

Unveiling Λ CDM: beyond the power spectrum

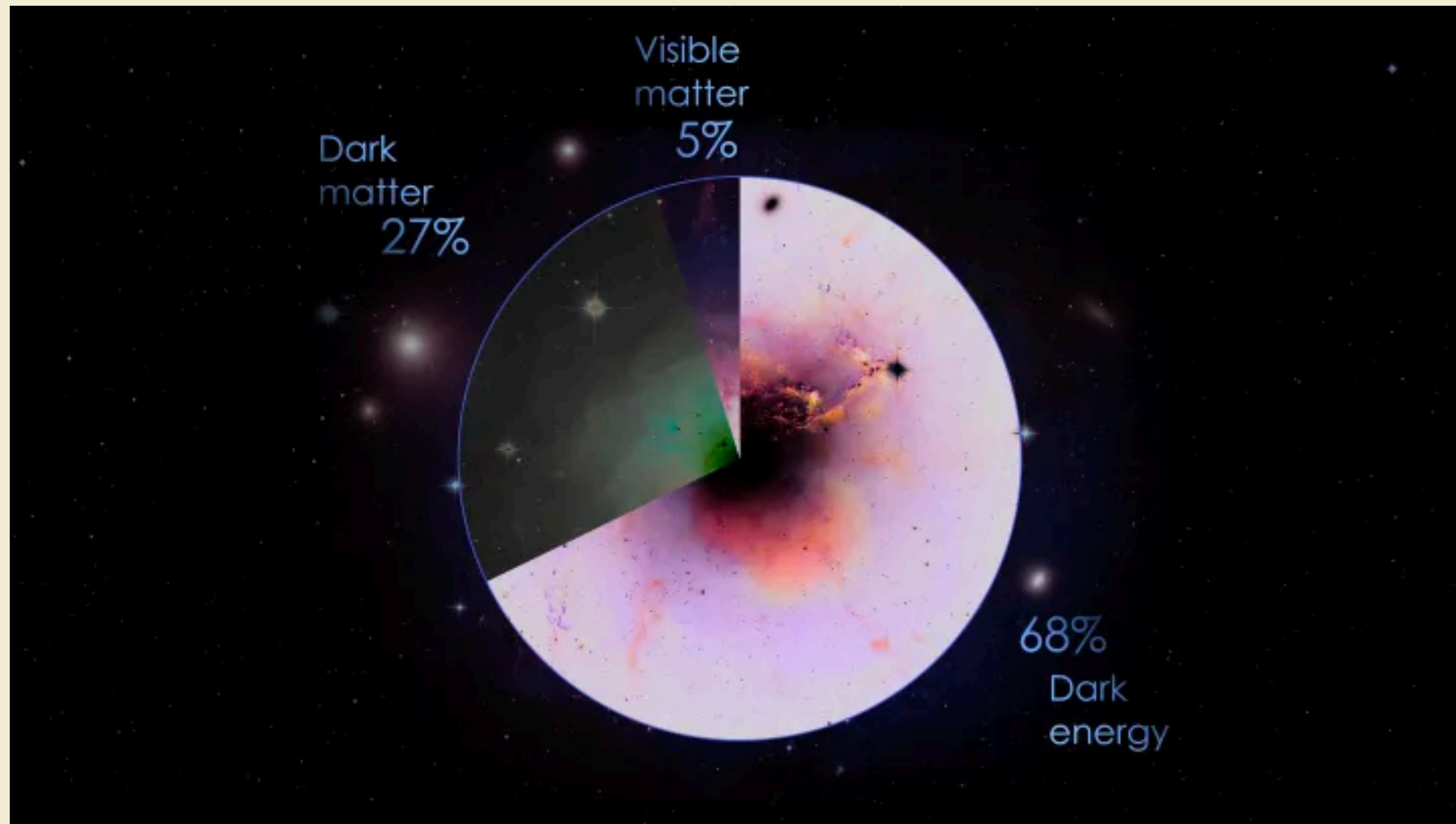
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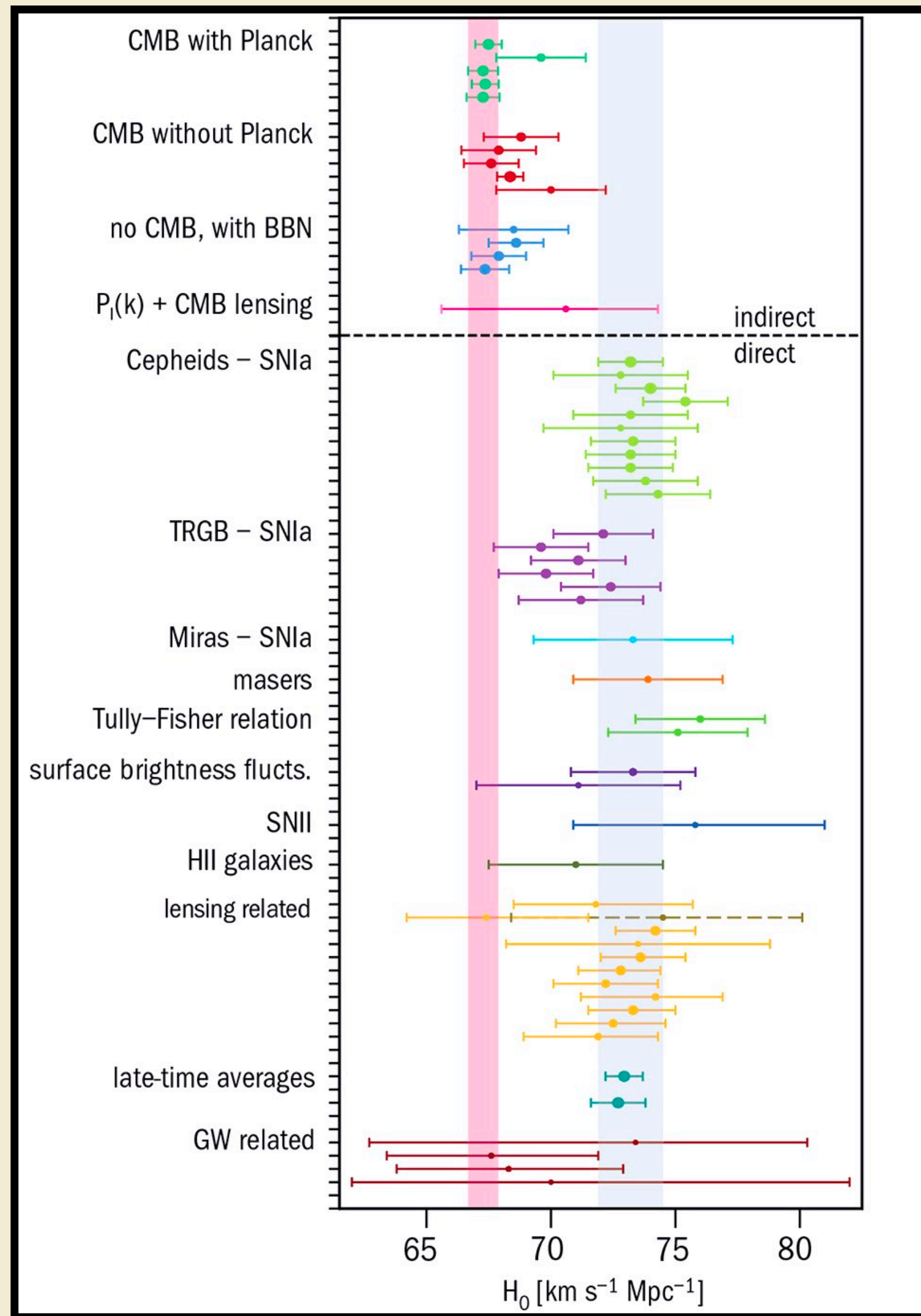


Λ CDM: our cosmological paradigm

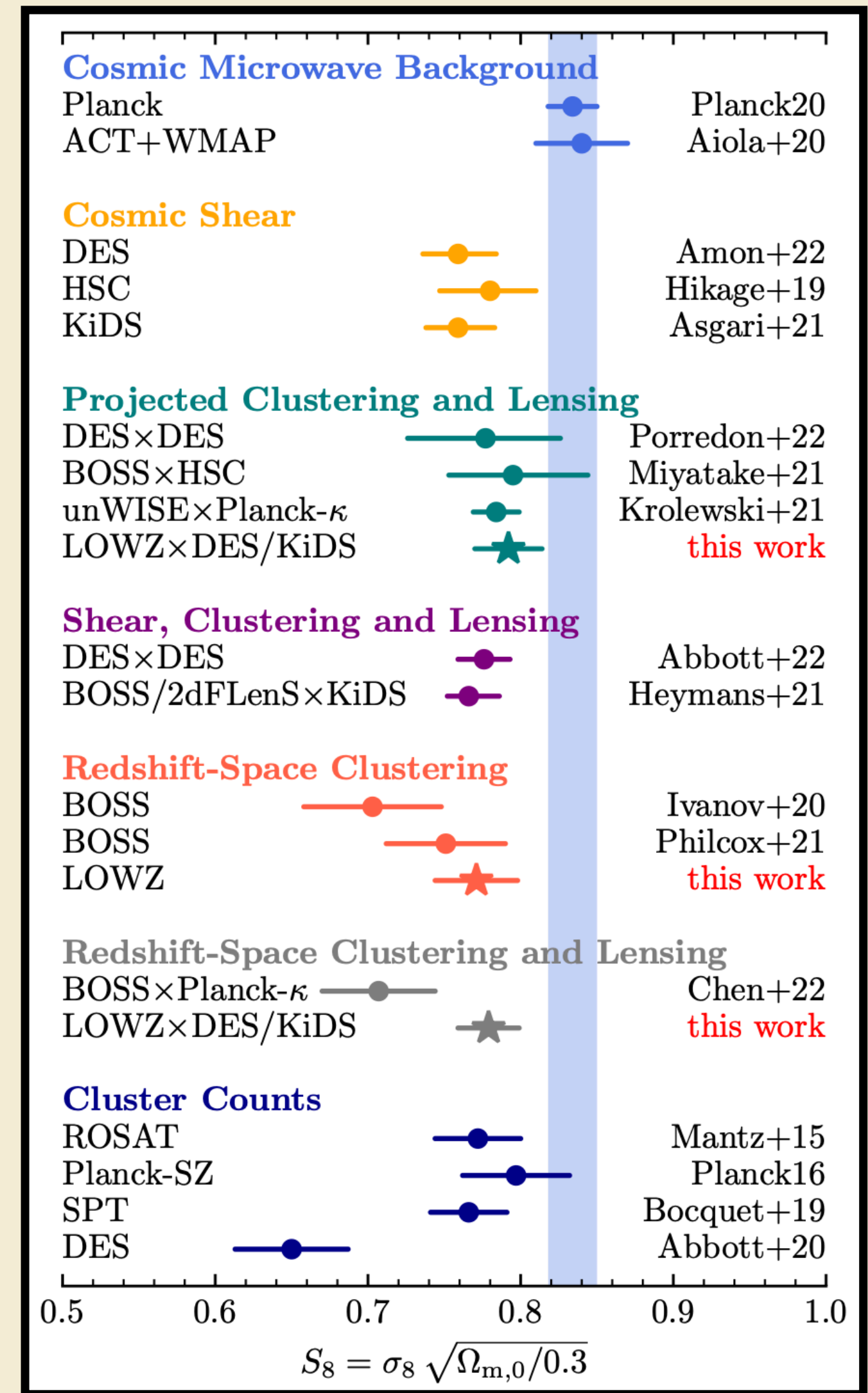


Credit: Simons Observatory

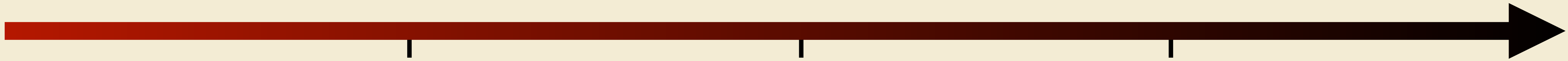
“There is nothing wrong with Λ CDM, maybe just the Λ and the CDM part”.



Di Valentino et al. 2021



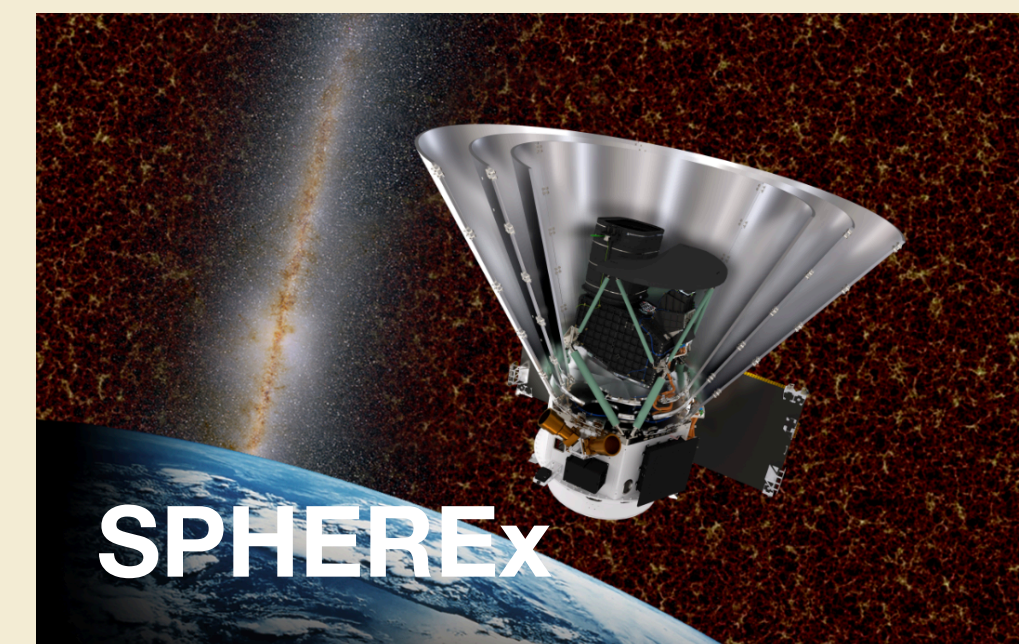
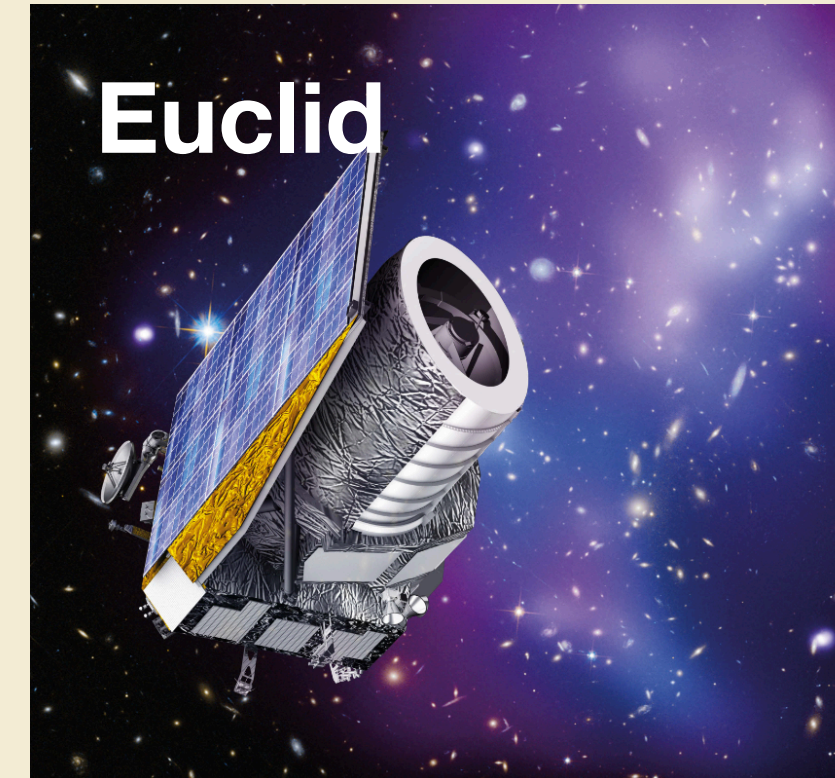
Lange et al. 2023



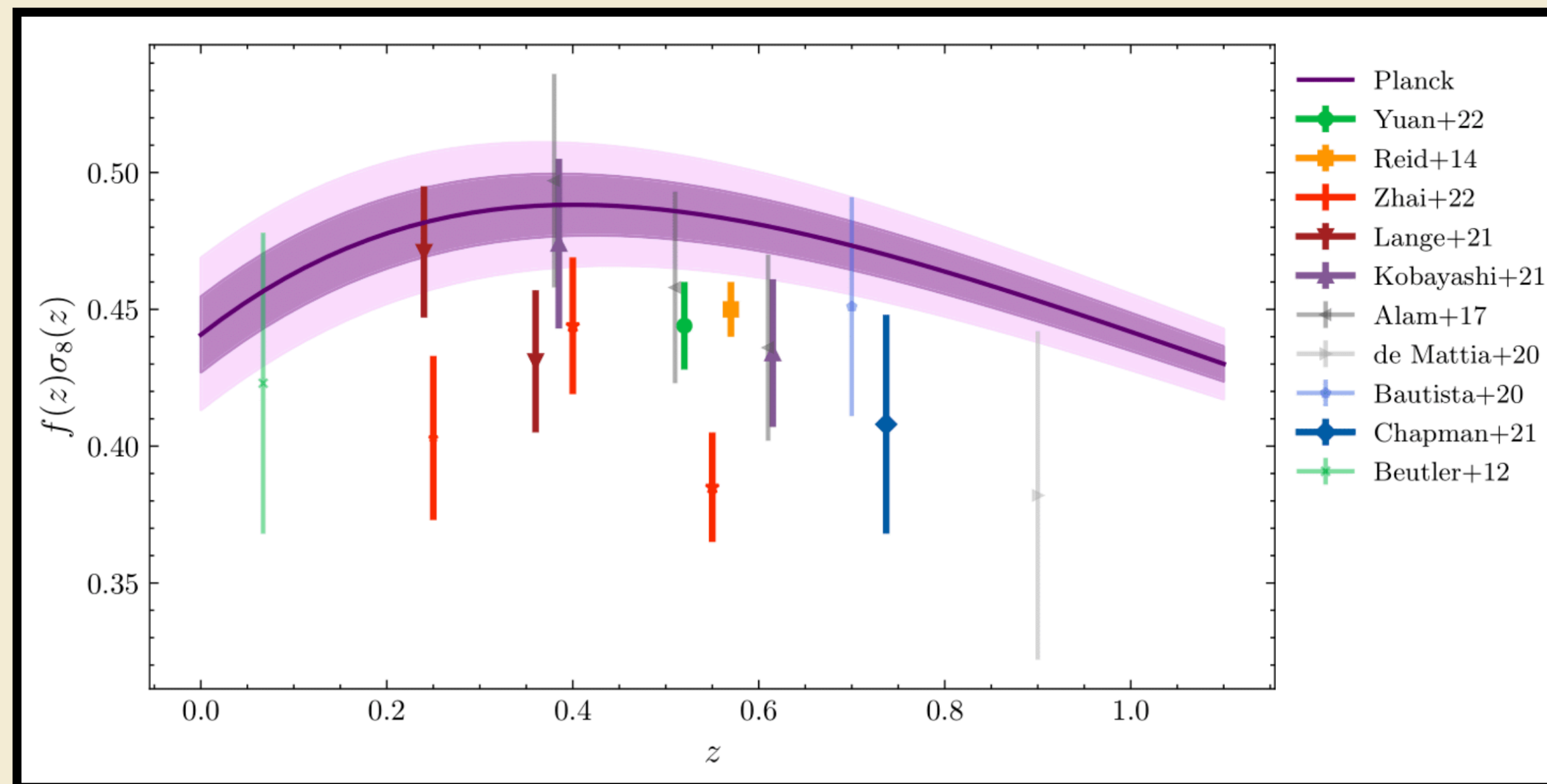
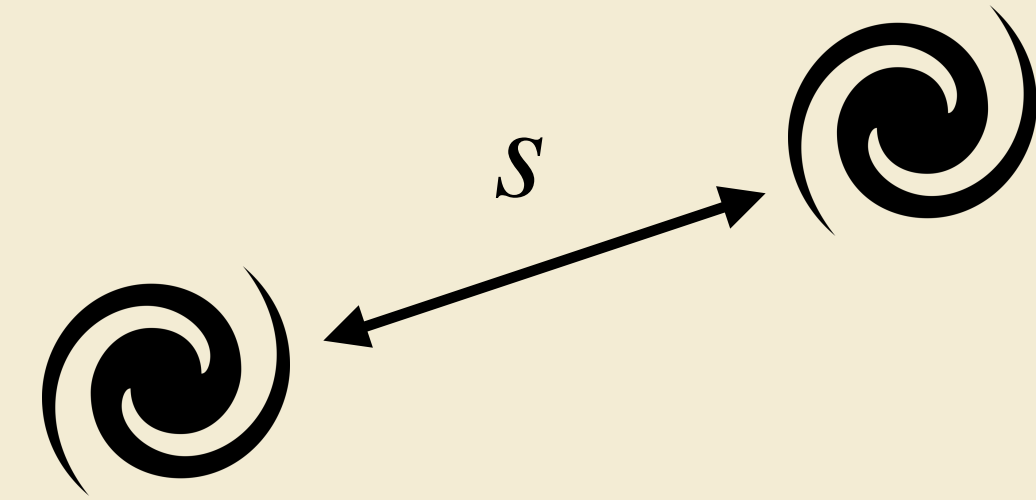
2020

2022

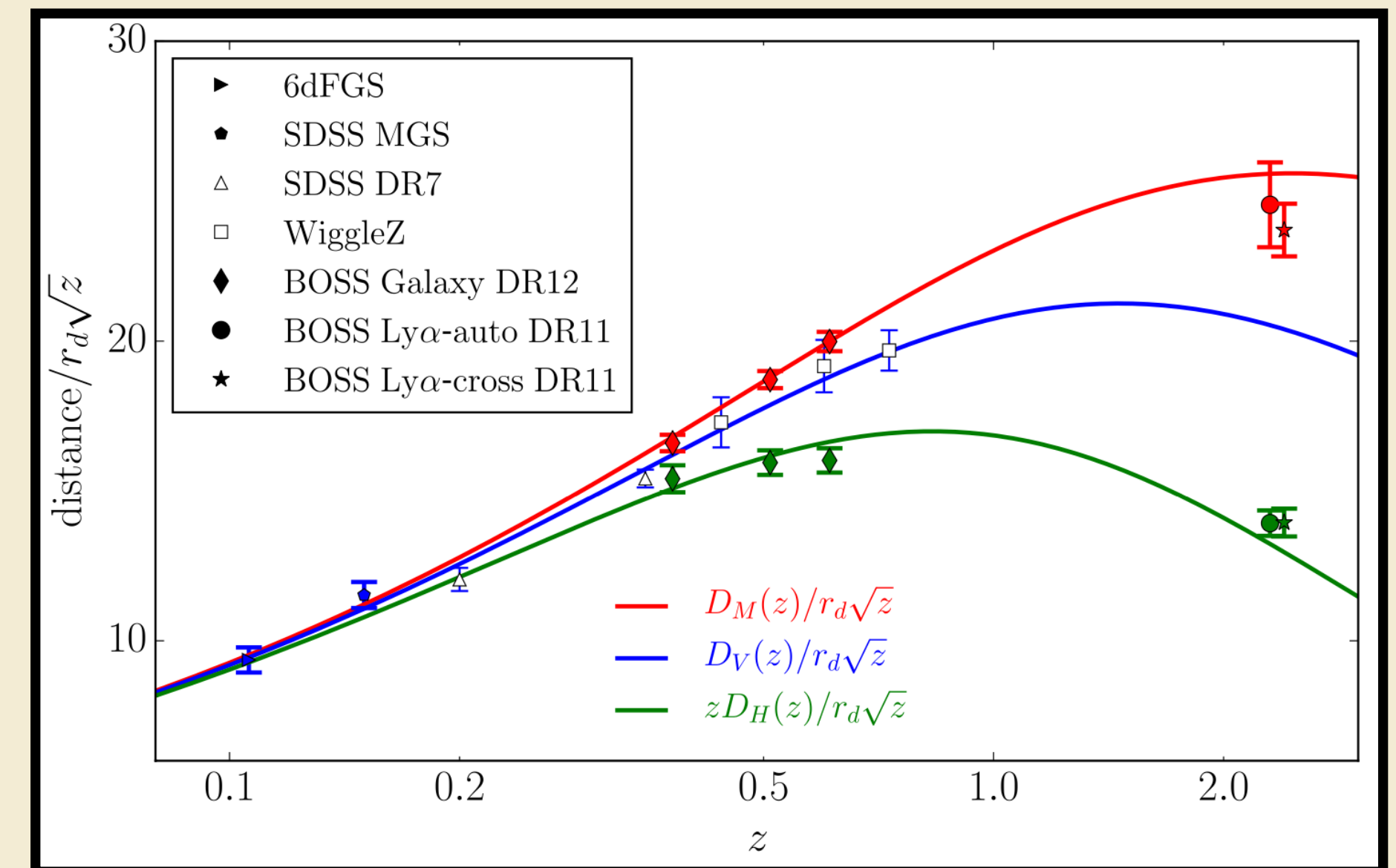
2024



Measurements of the galaxy **power spectrum** or the **two-point correlation function** have allowed precise measurements of the **geometry and growth**.

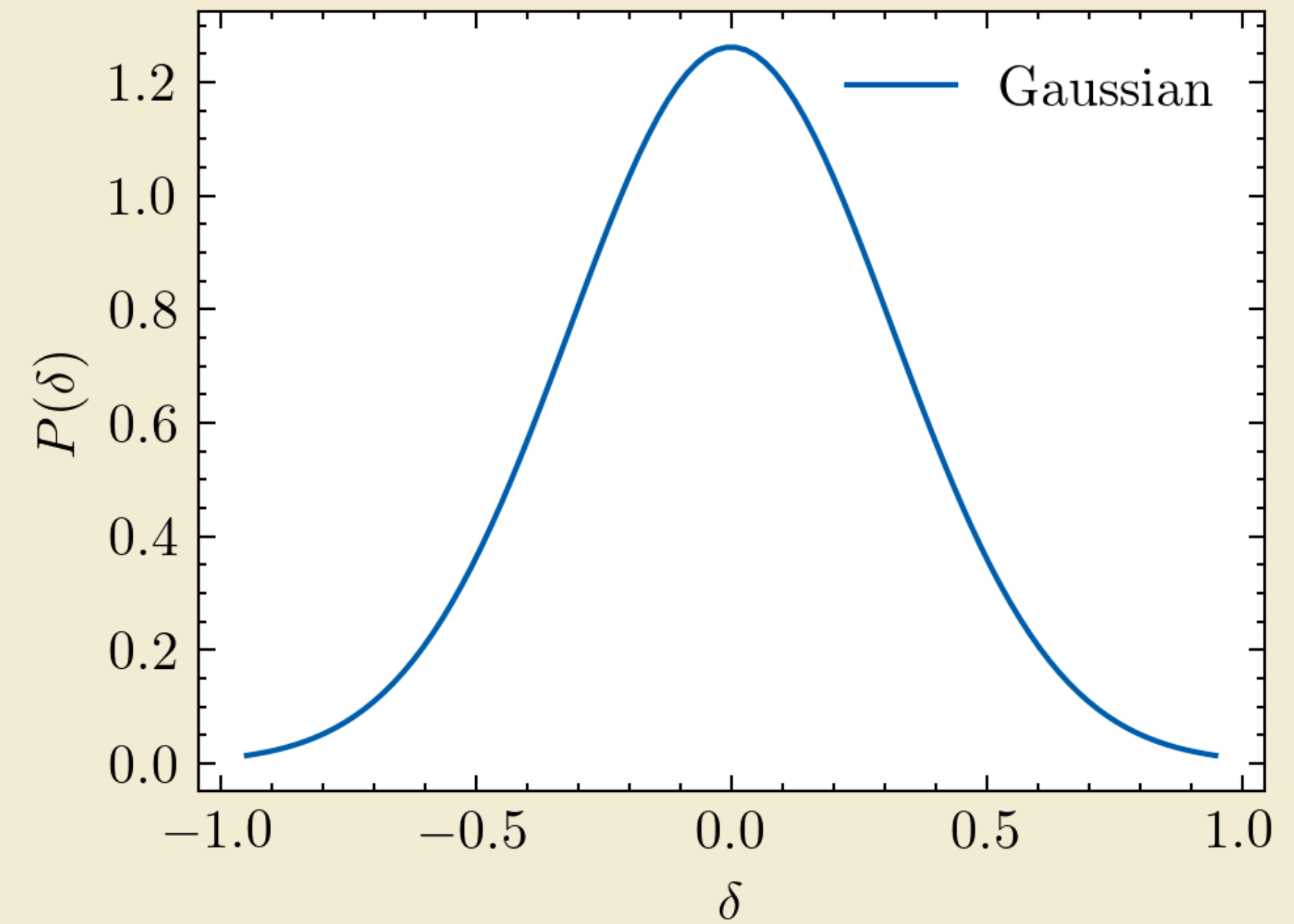
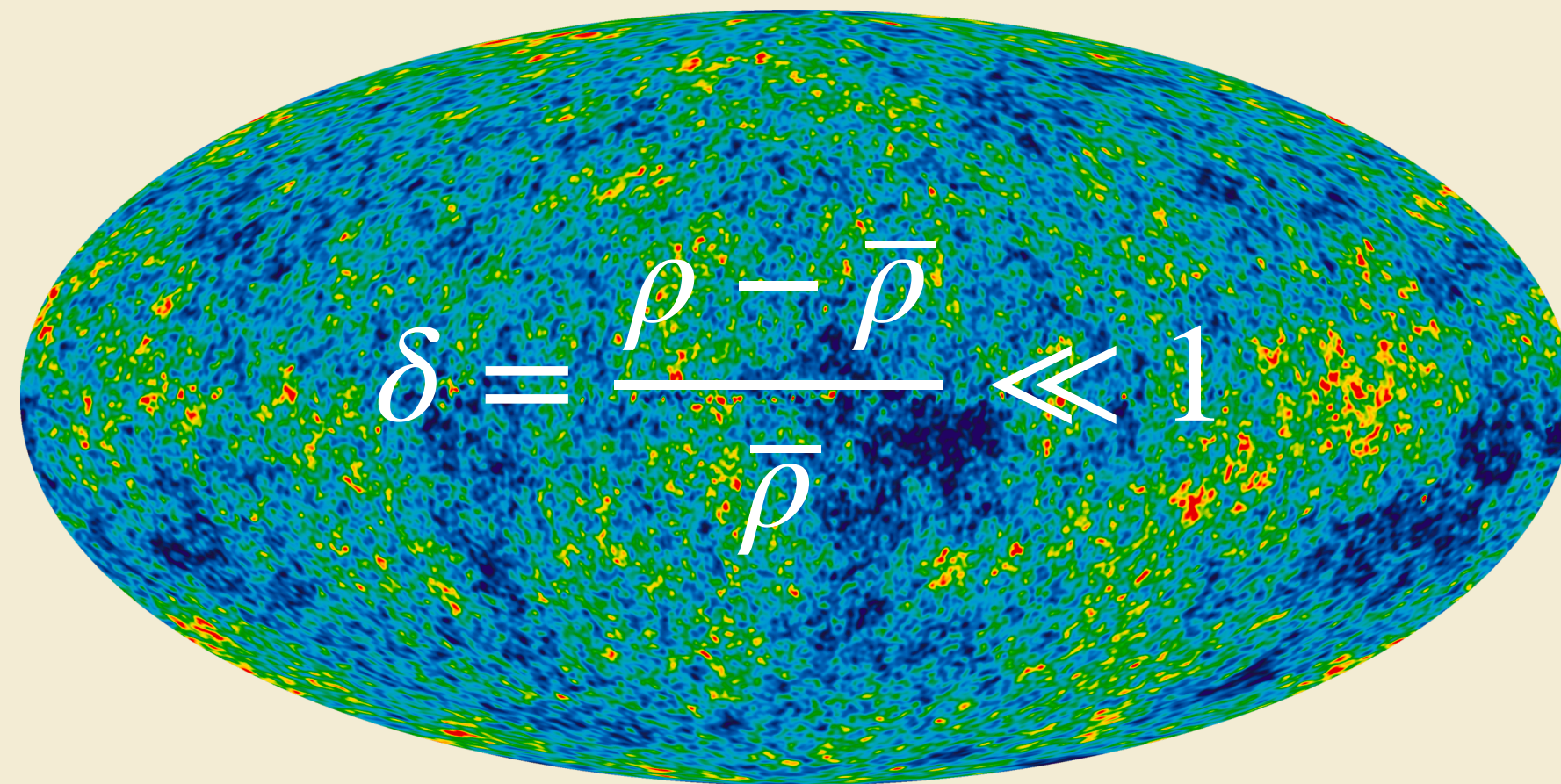


Credits: Carolina Cuesta-Lazaro

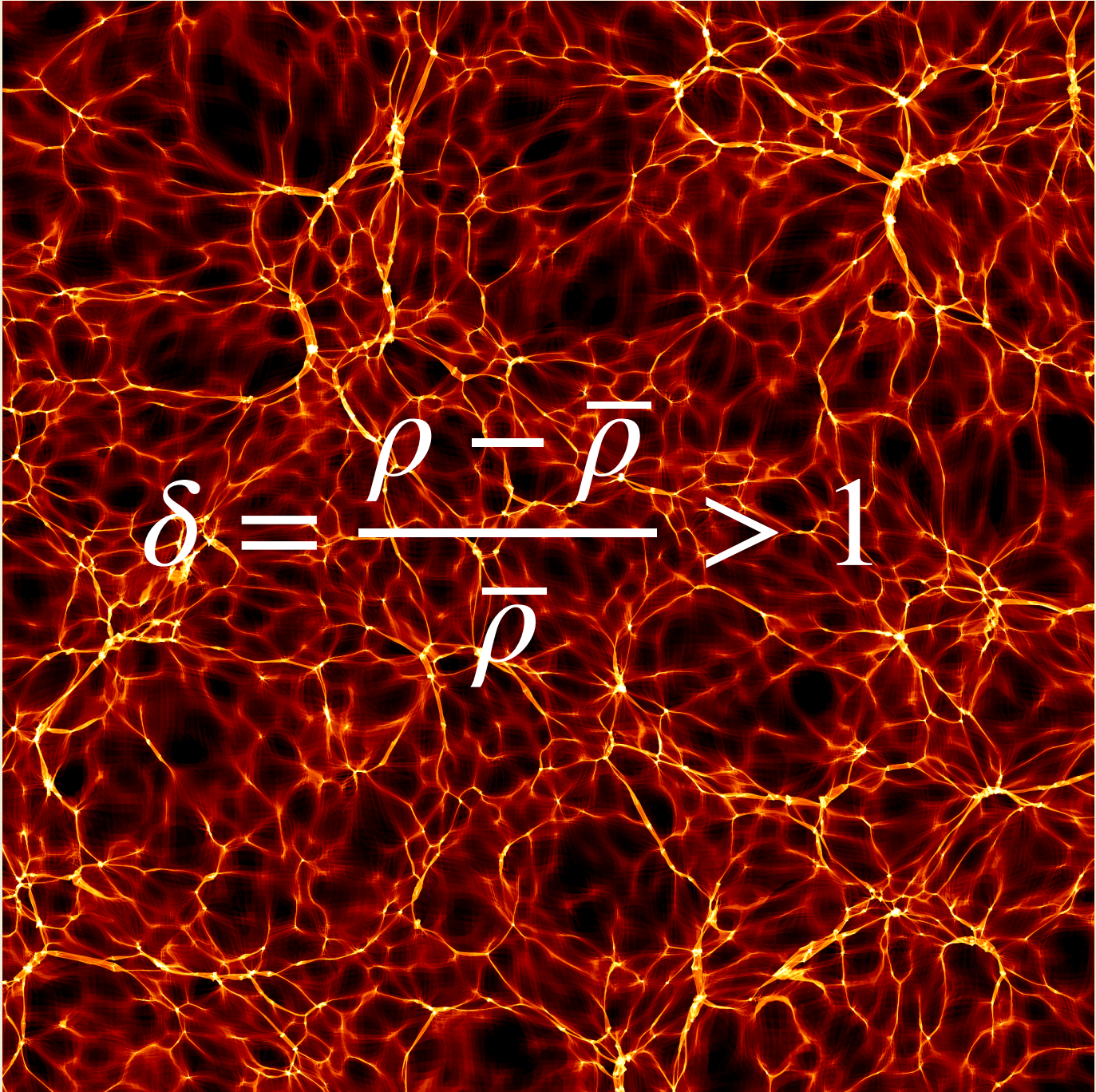


Alam et al. (2017)

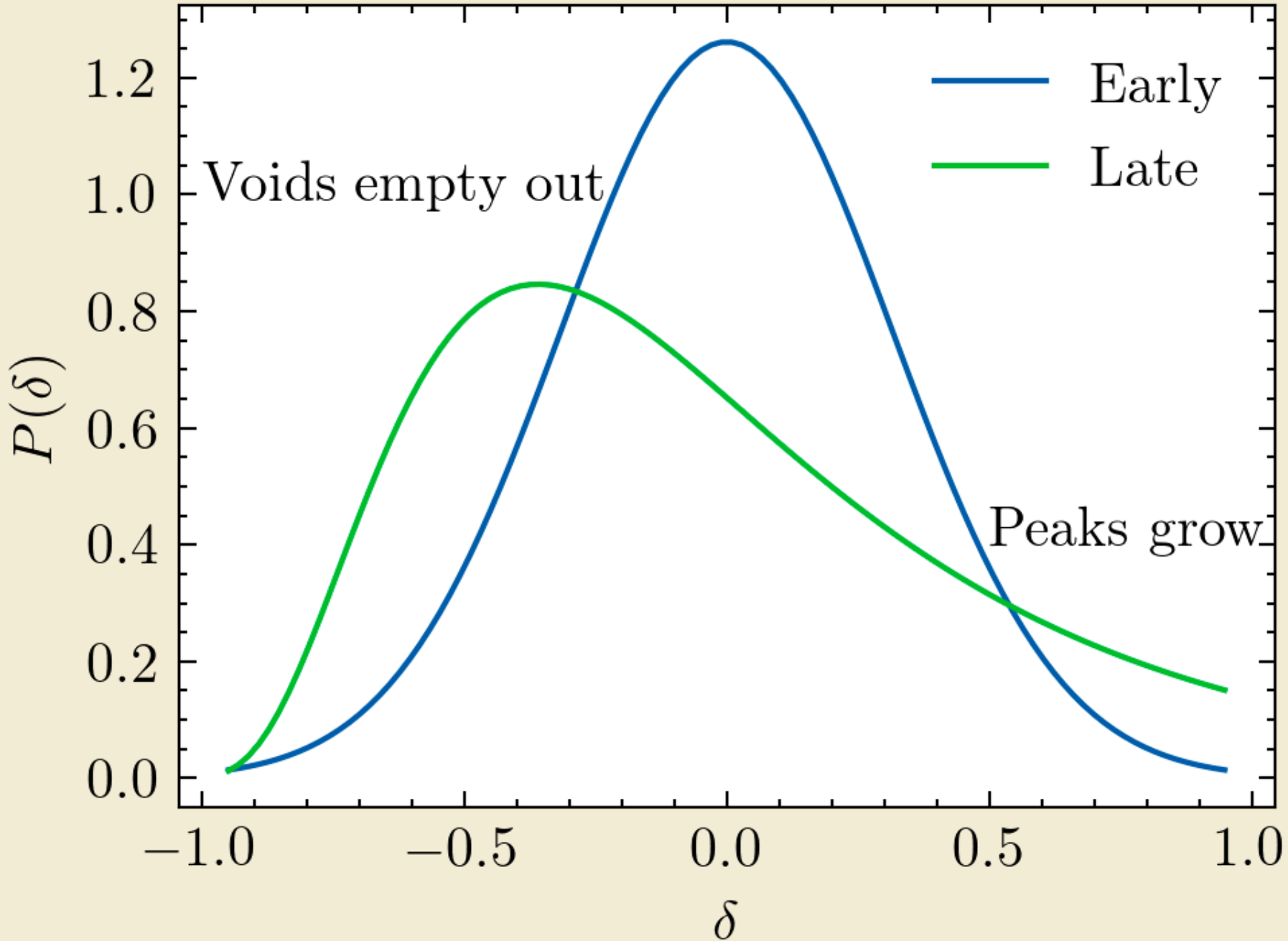
Early Universe: Close to Gaussian PDF of density fluctuations.
Governed by linear dynamics.



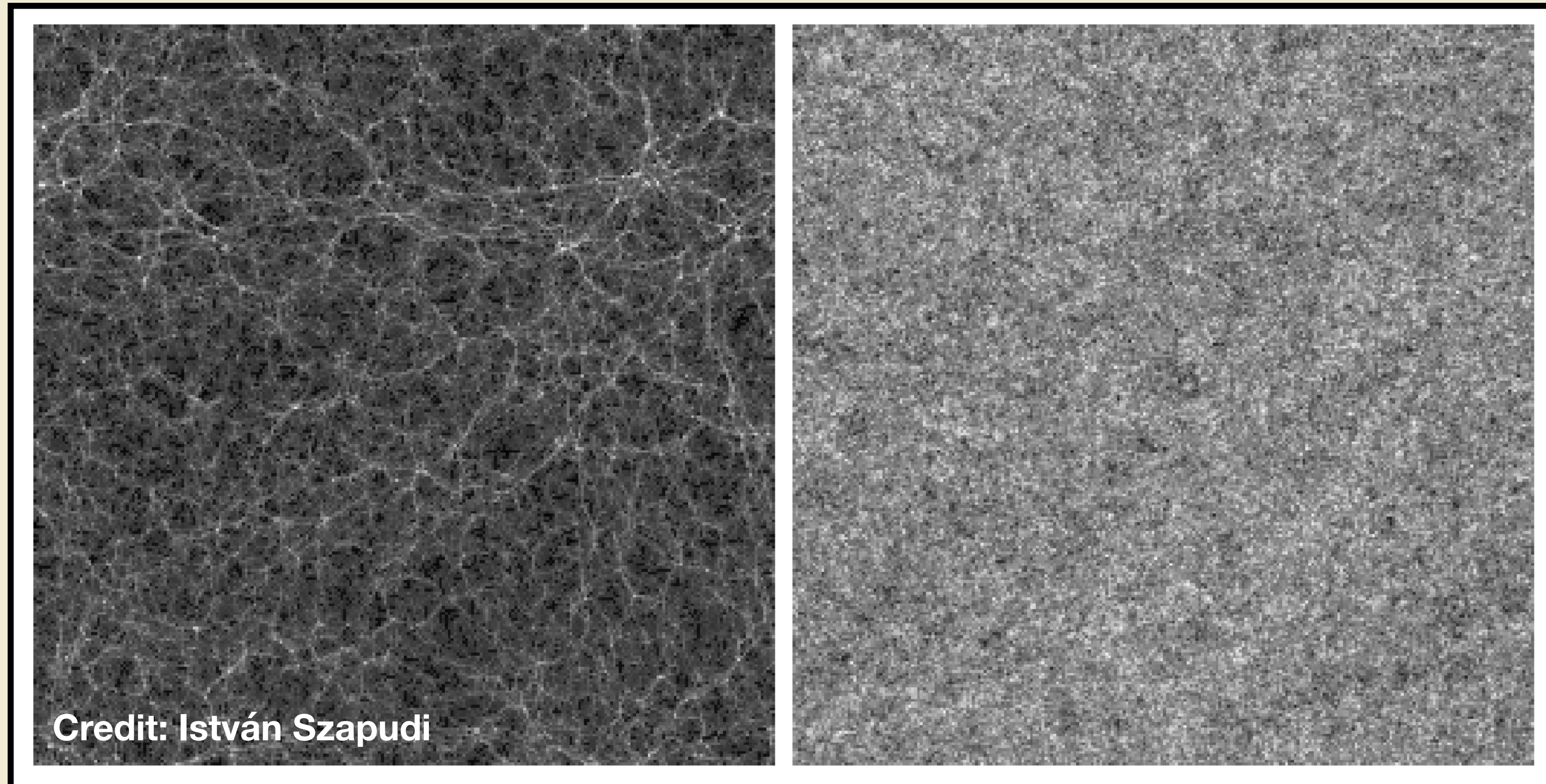
Late-time Universe: Non-Gaussian density field. Non-linear evolution governing small scales.



A slice through the AbacusSummit cosmological simulation at redshift 1.0.
Credits: [Lehman Garrison](#)



Two fields with the same two-point correlation function or $P(k)$. **Higher-order correlations** become essential to capture non-Gaussian information.



Finding **alternative clustering methods** that can be complemented with the $P(k)$ is now an active field in cosmology.

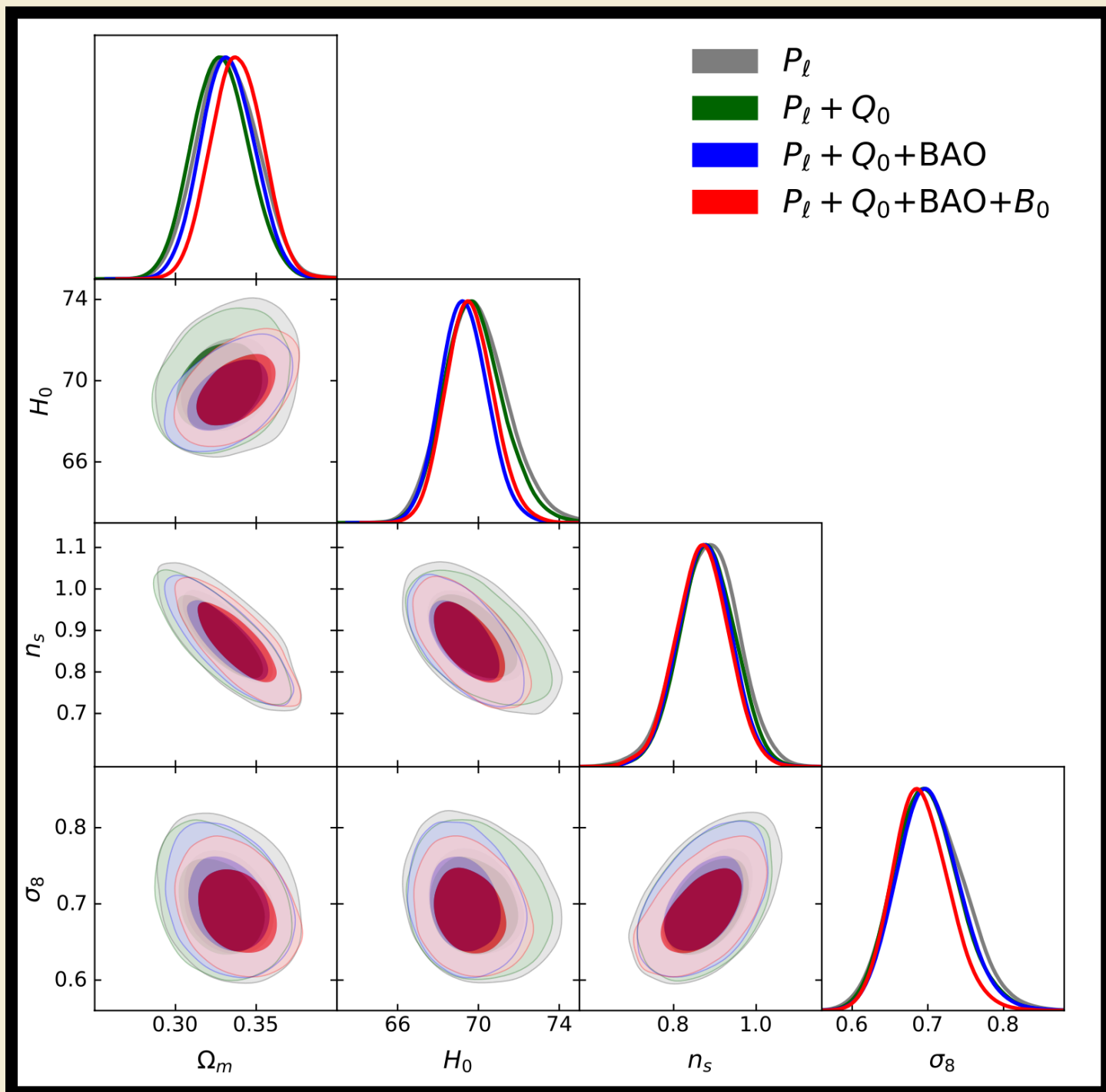
- **N-point correlation functions, polyspectra**
- **Non-linear transformations of the density field**
- **Counts-in-cells statistics**
- **Separate Universes**

- **Density-dependent clustering**
- **Density field reconstruction**
- **Cosmic voids**
- **Marked correlation functions**
- **Wavelet-based methods**

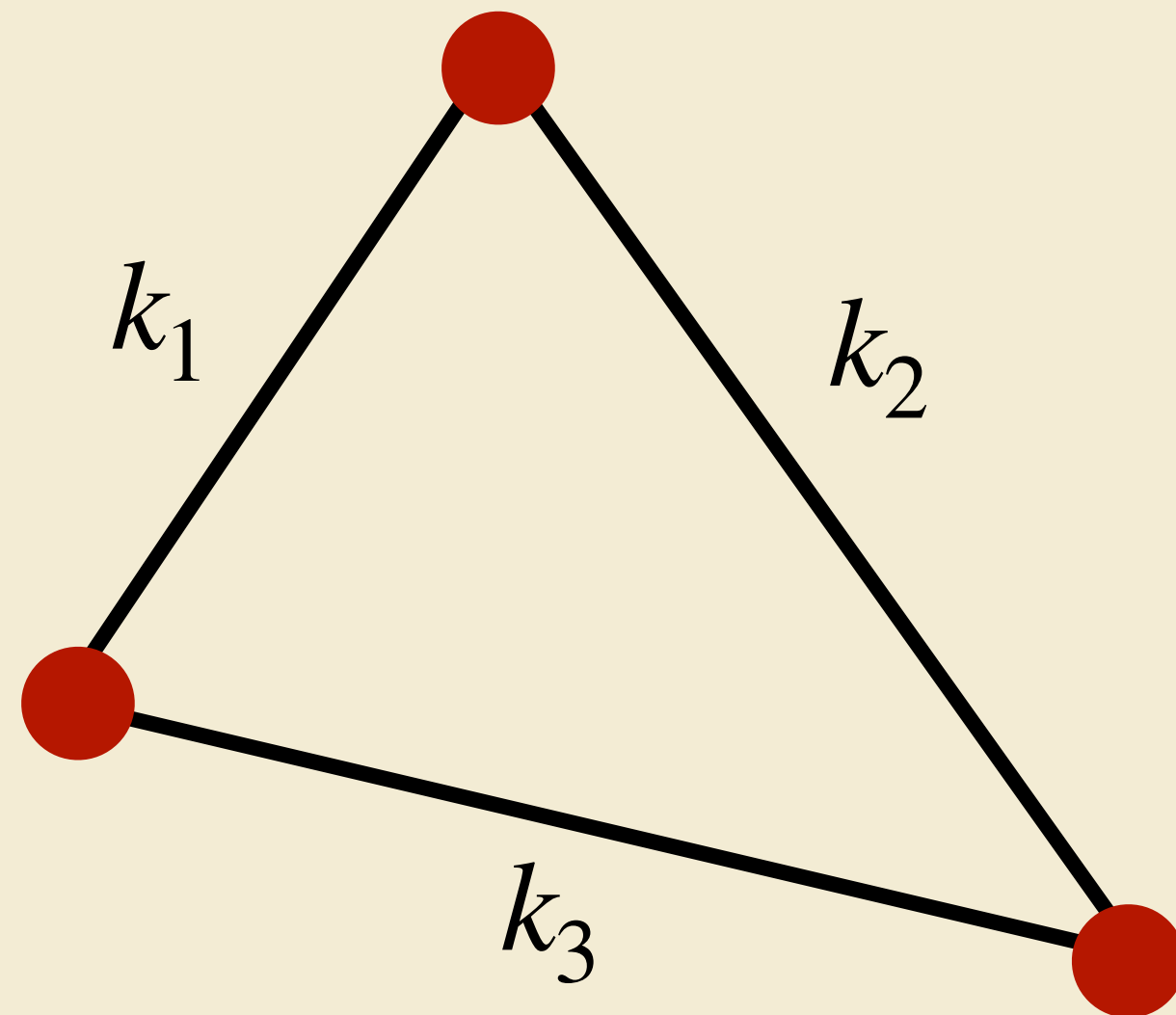
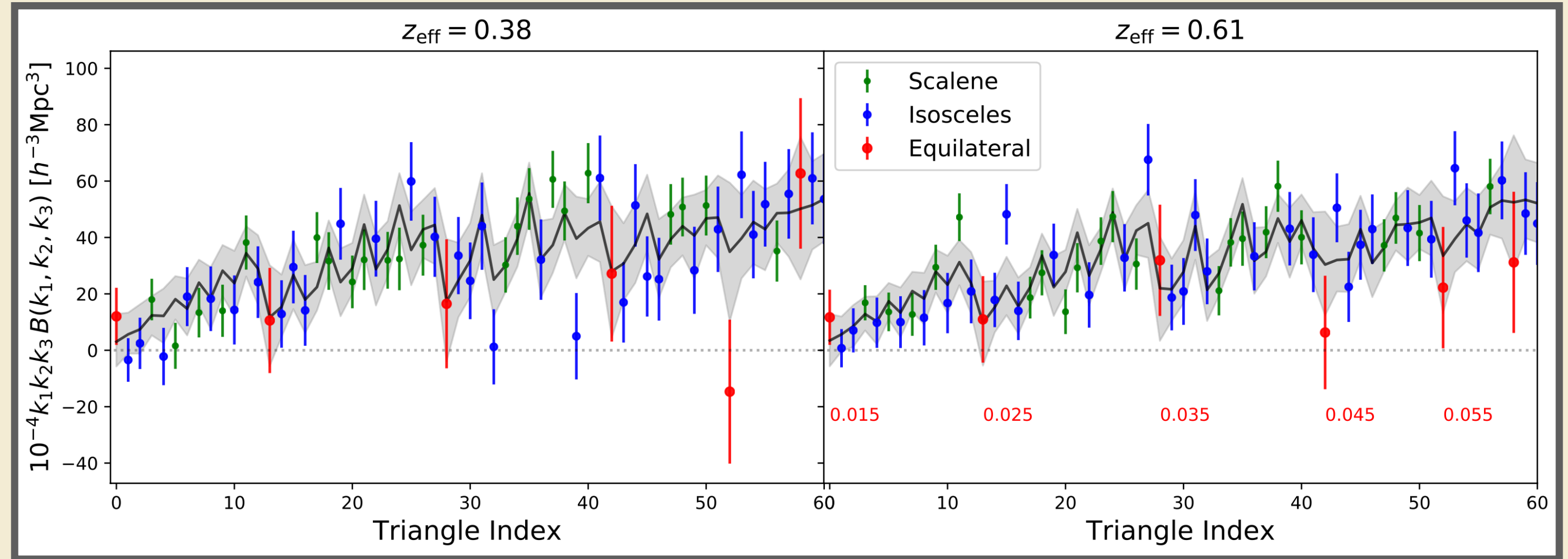


Galaxy Bispectrum

Measured bispectrum in BOSS (Philcox & Ivanov 2021)

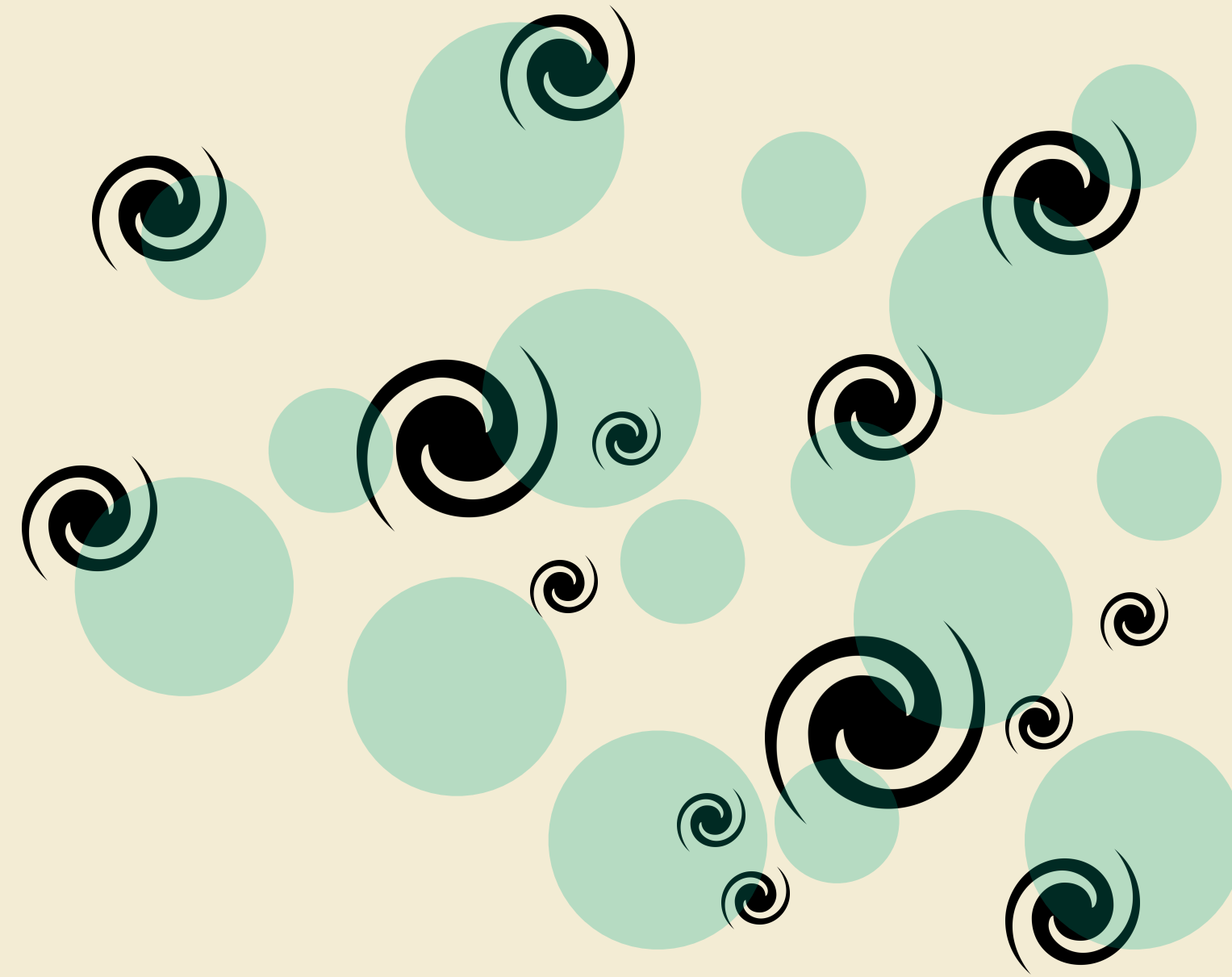


Constraints from a full-shape analysis of the bispectrum in BOSS (Philcox & Ivanov 2021)

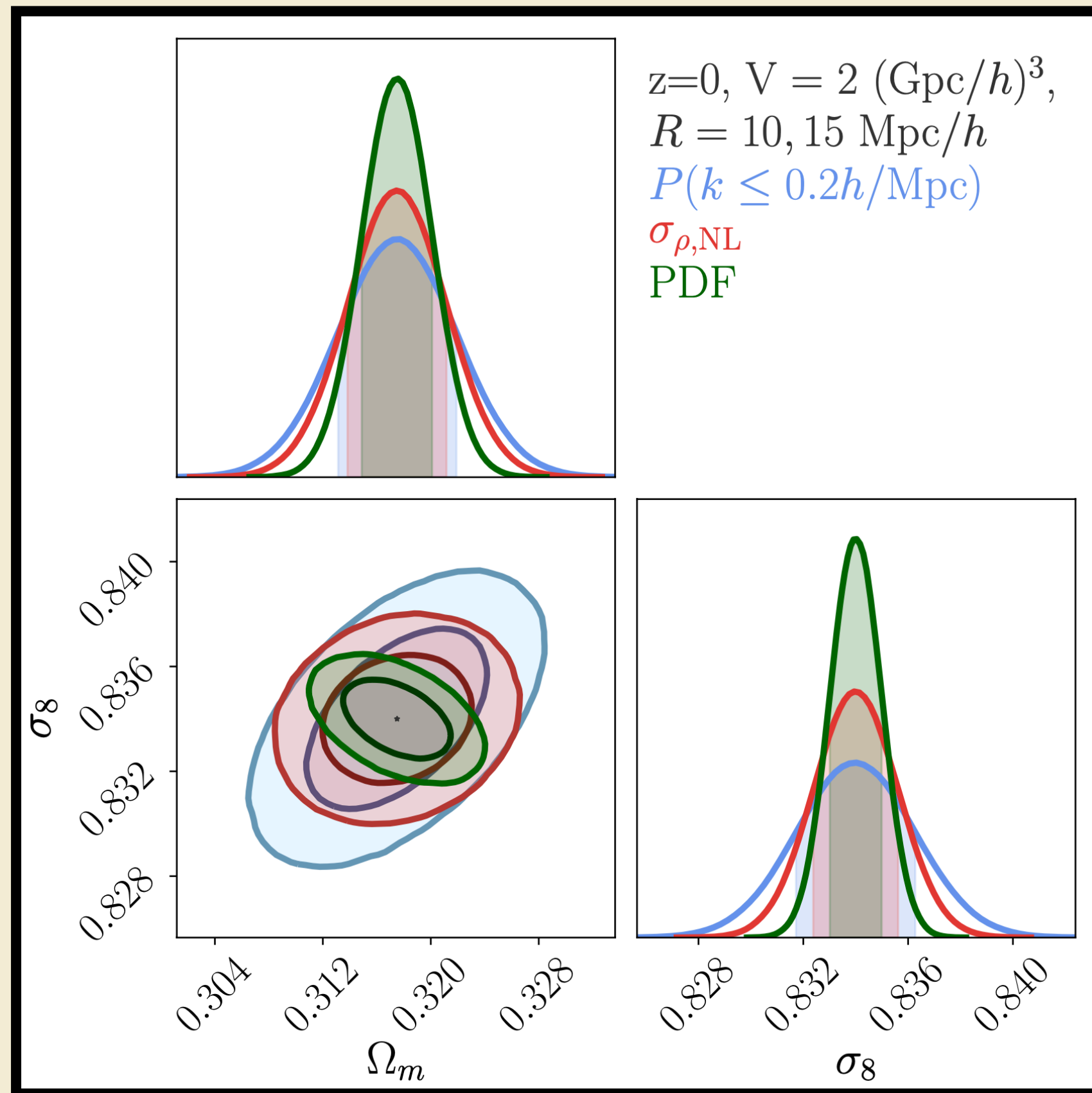


Measures the excess probability of finding galaxy triplets over a random distribution

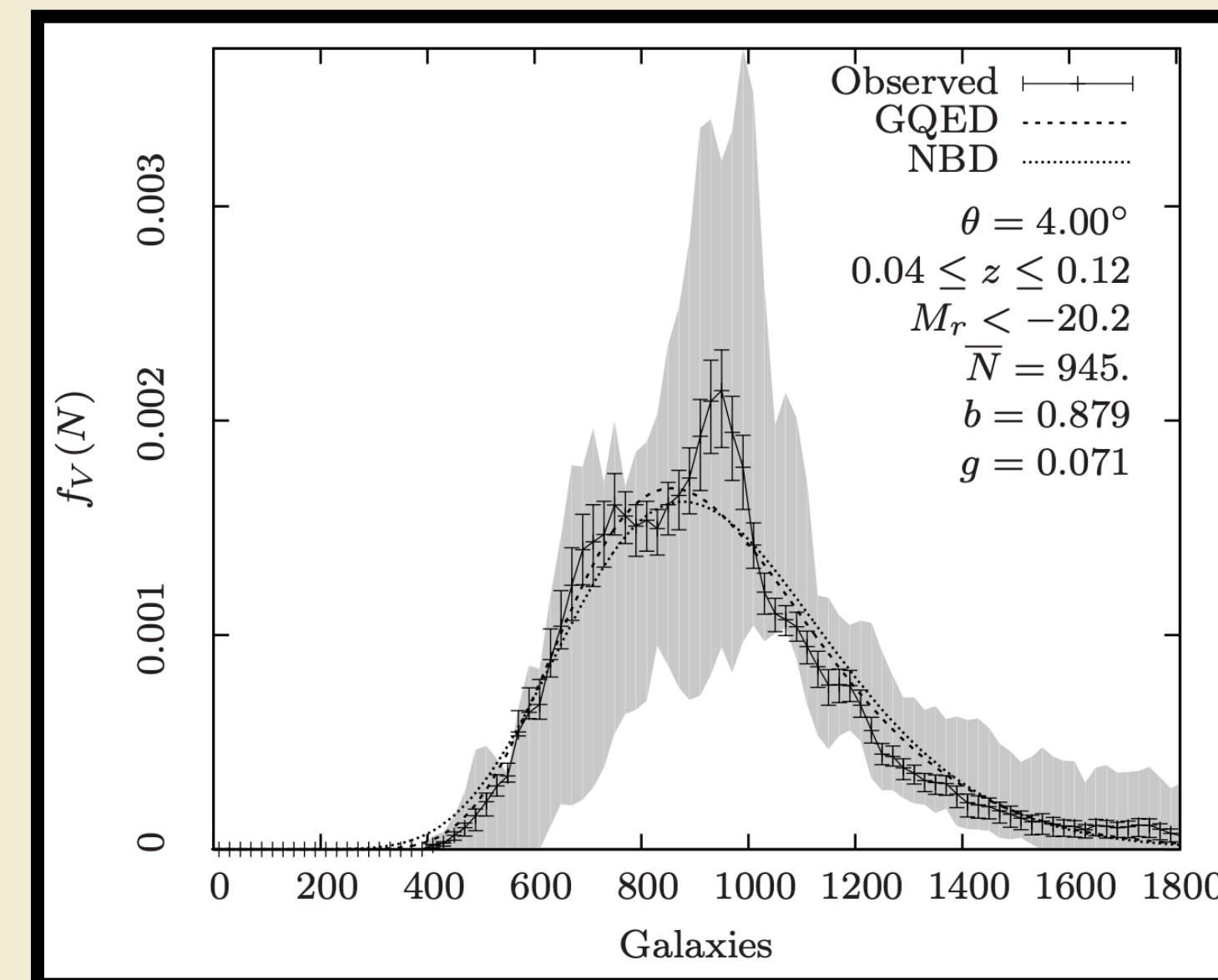
Counts-in-cells statistics



Measures galaxy counts in “cells” or spheres of a certain size

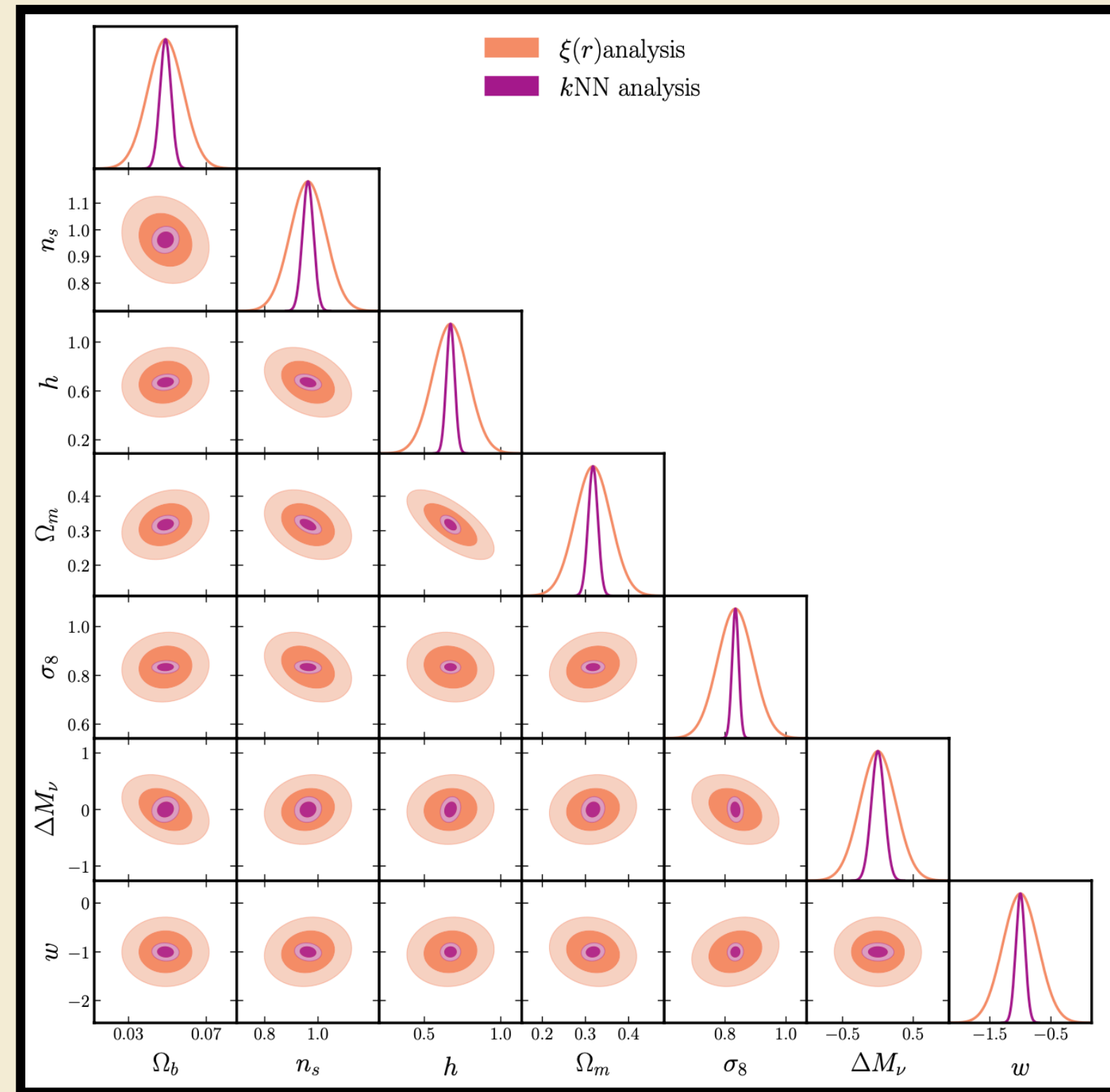


Constraints from the matter PDF (green) and the standard $P(k)$ from simulations (Uhlemann et al. 2019)

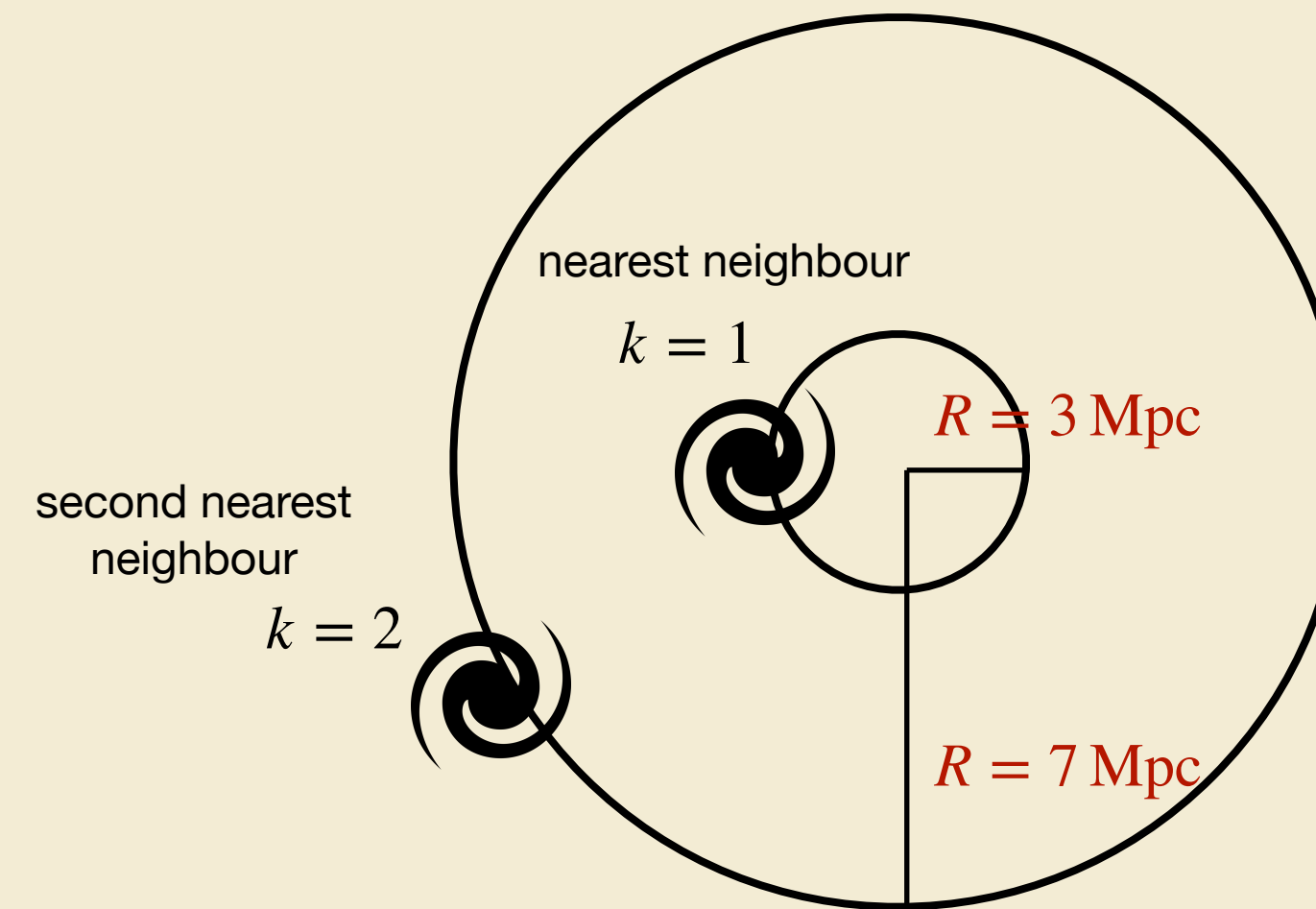


A measurement of the galaxy counts-in-cells in SDSS (Yang & Saslaw 2011)

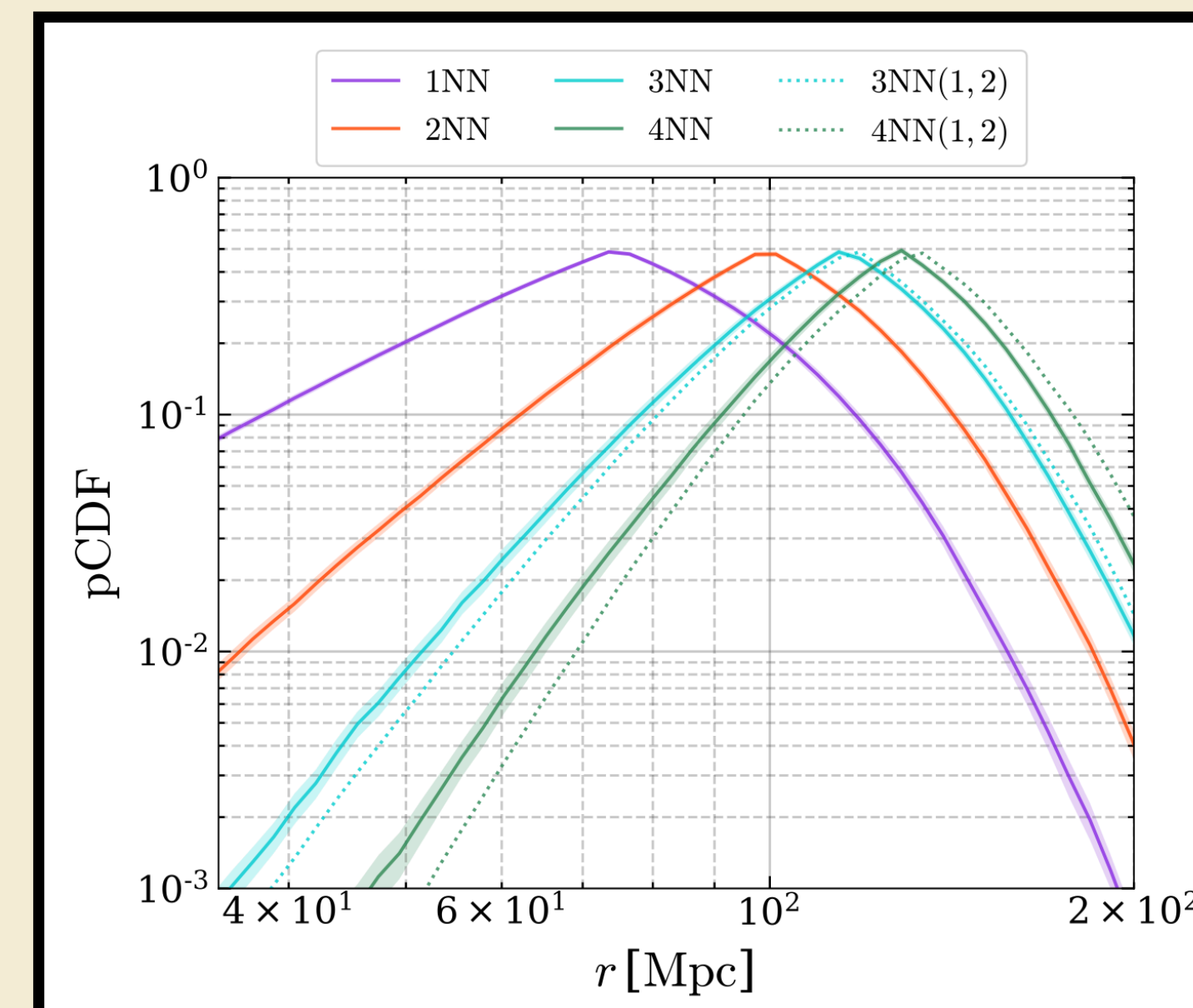
Nearest-neighbour distributions



Constraints from k NN analysis against the standard 2PCF from simulations (Banerjee & Abel 2020)



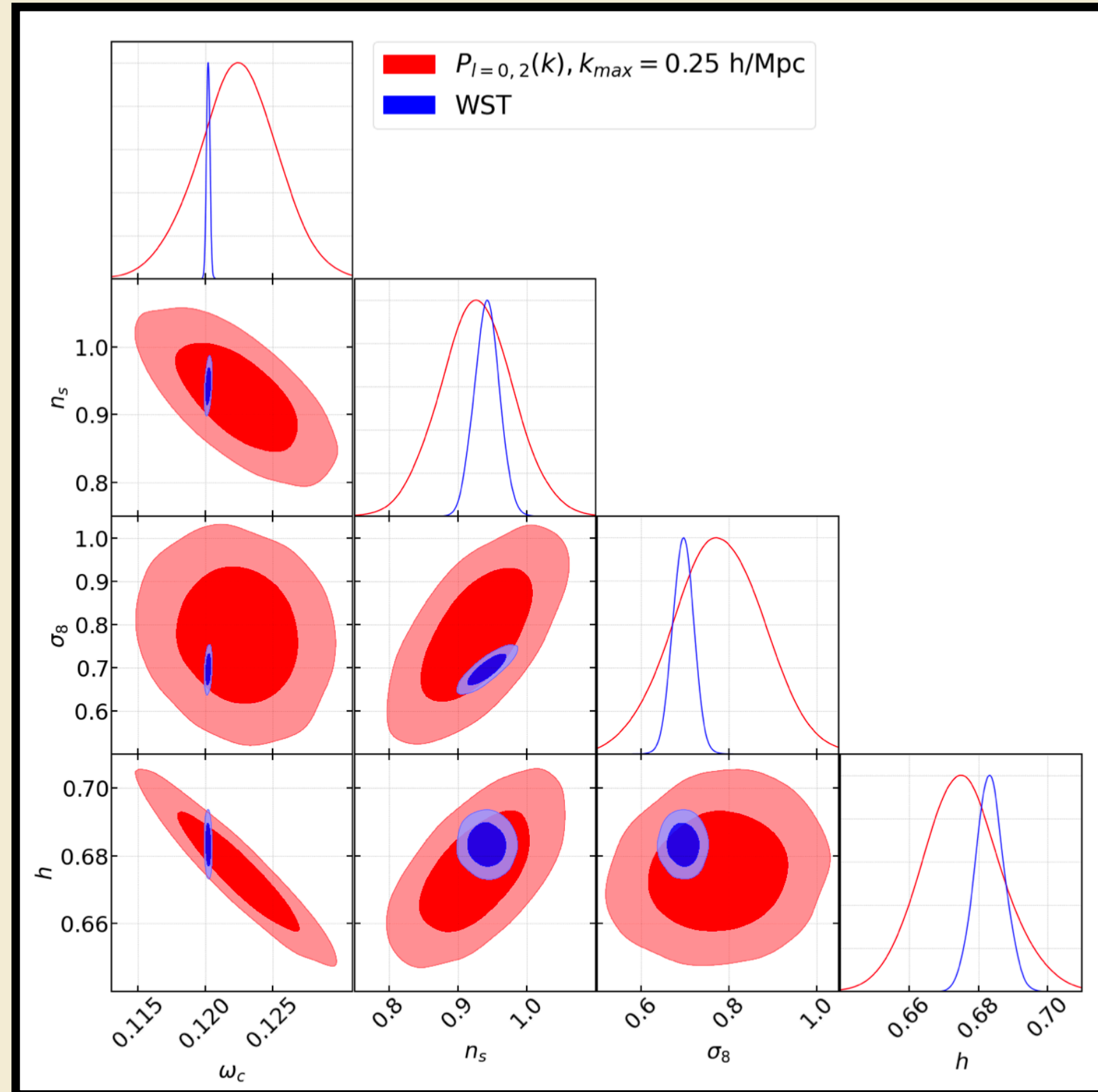
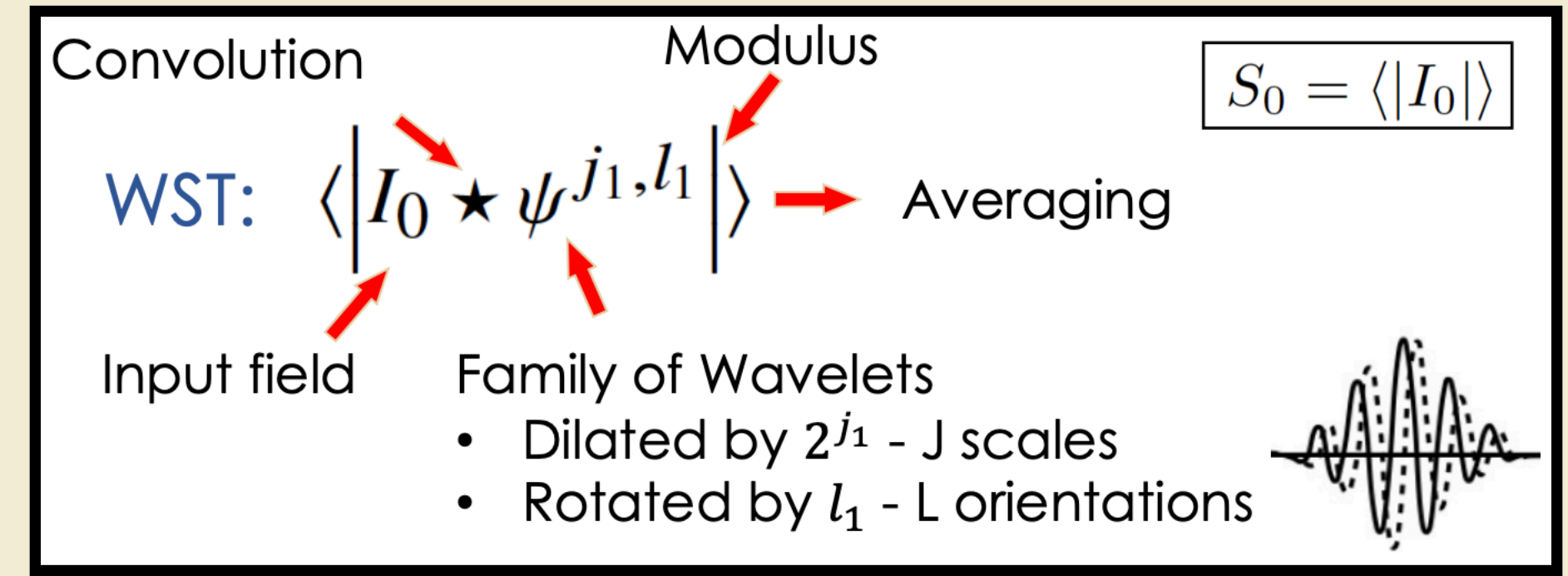
Measures the probability distribution of the distances to the nearest neighbouring points



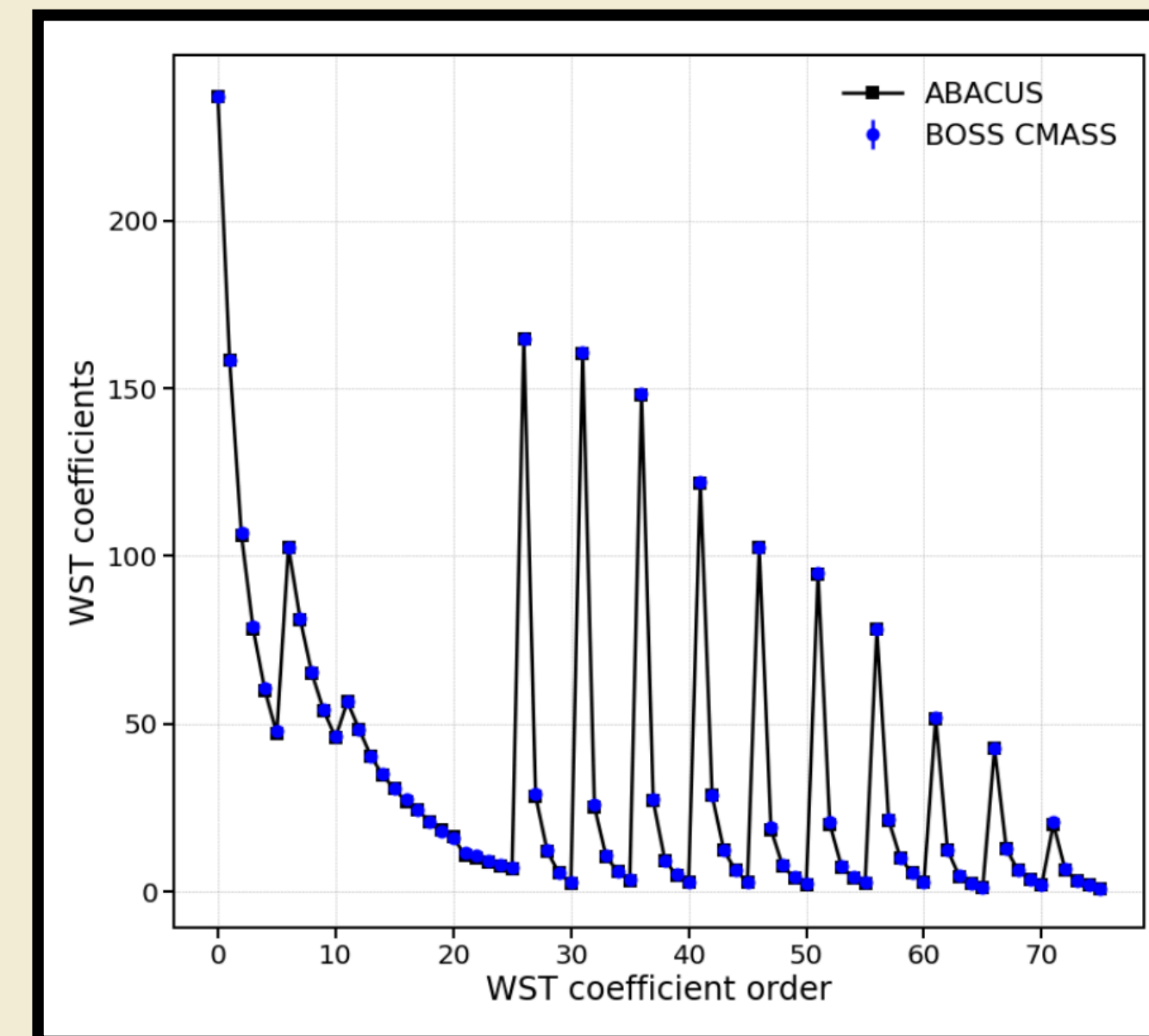
k NN analysis in redMaPPer clusters (Wang et al. 2021)

Wavelet scattering transform

Credits: Georgios Valogiannis

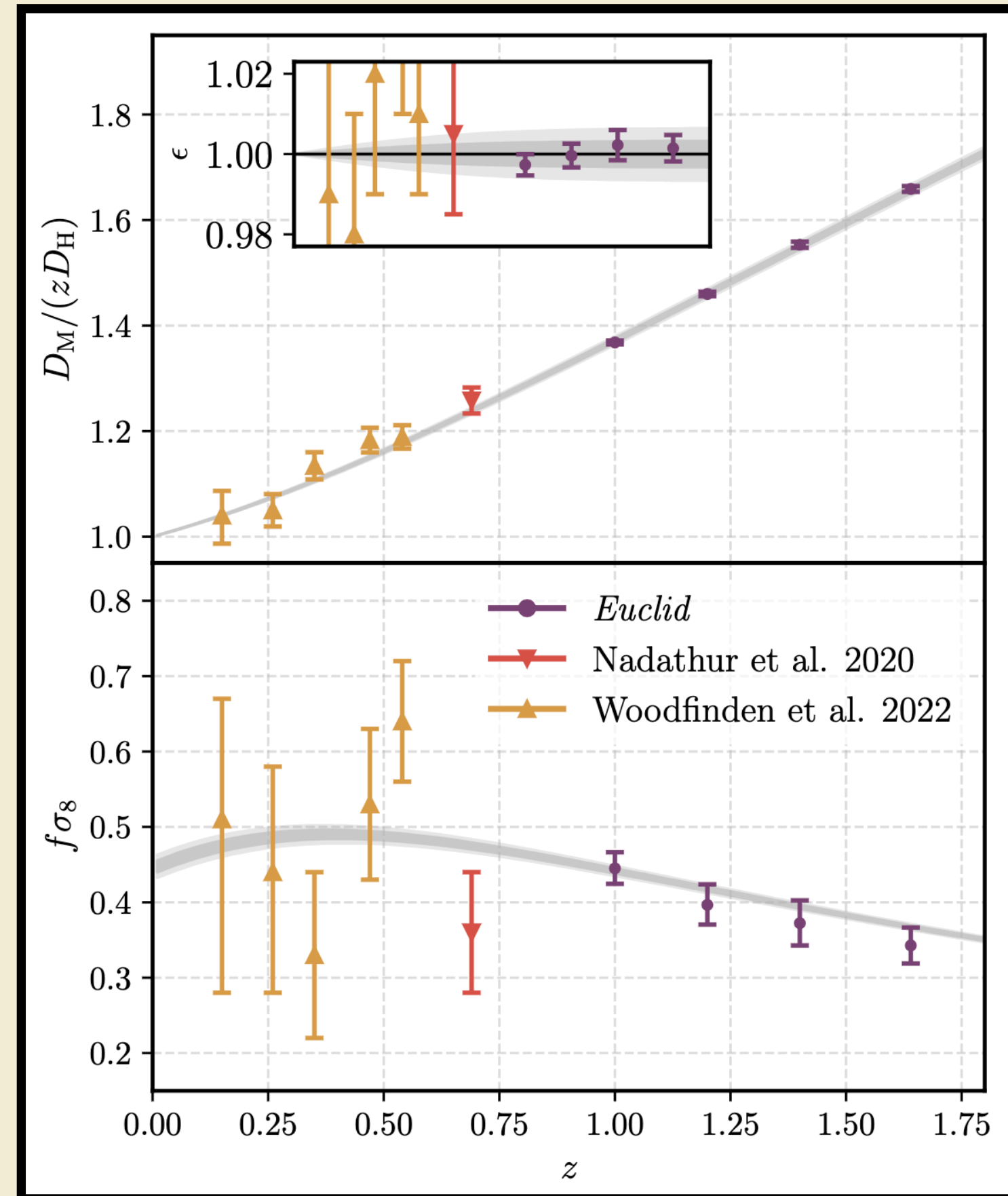


Constraints from a WST analysis in BOSS
(Valogiannis & Dvorkin, 2022)



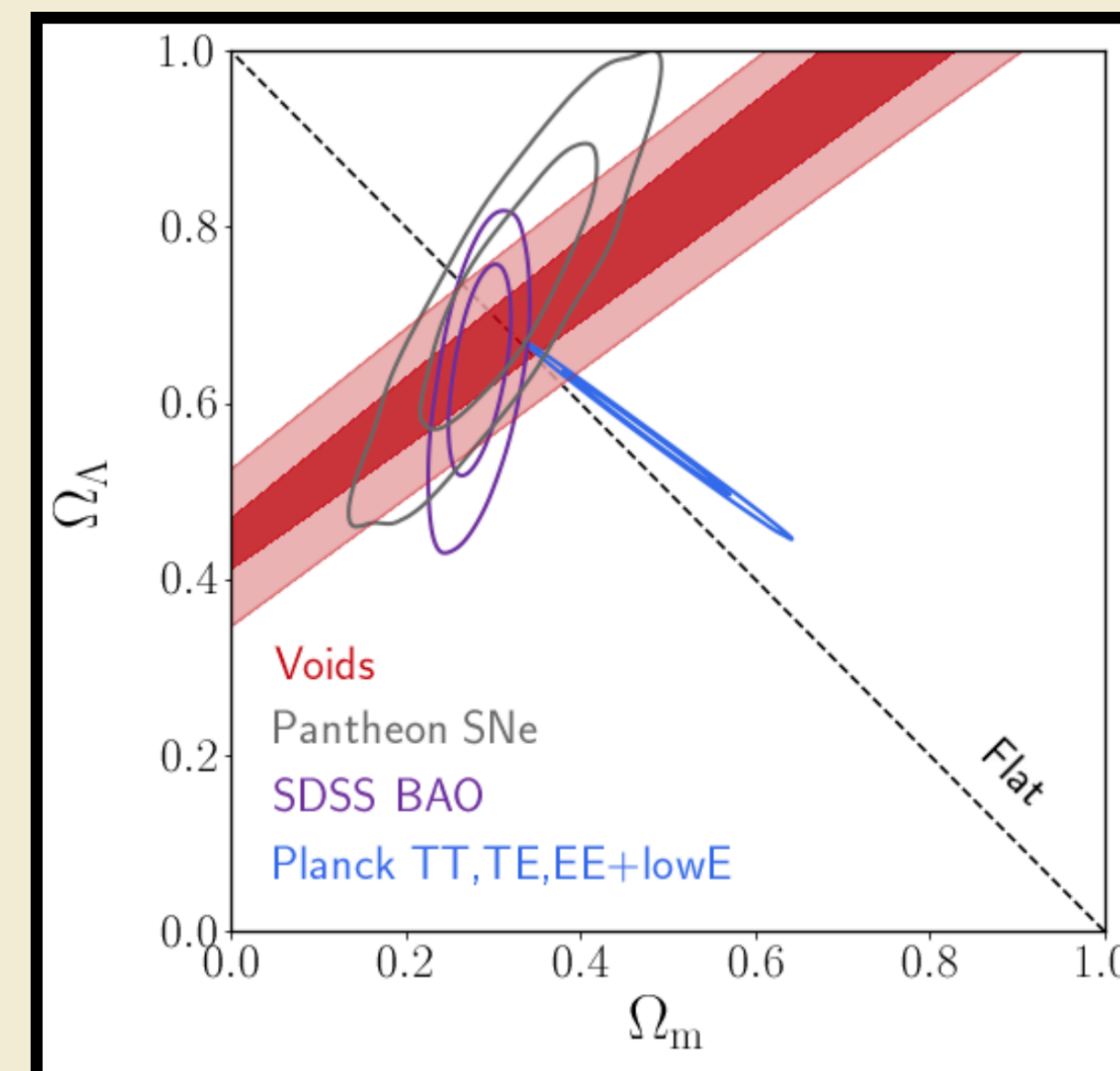
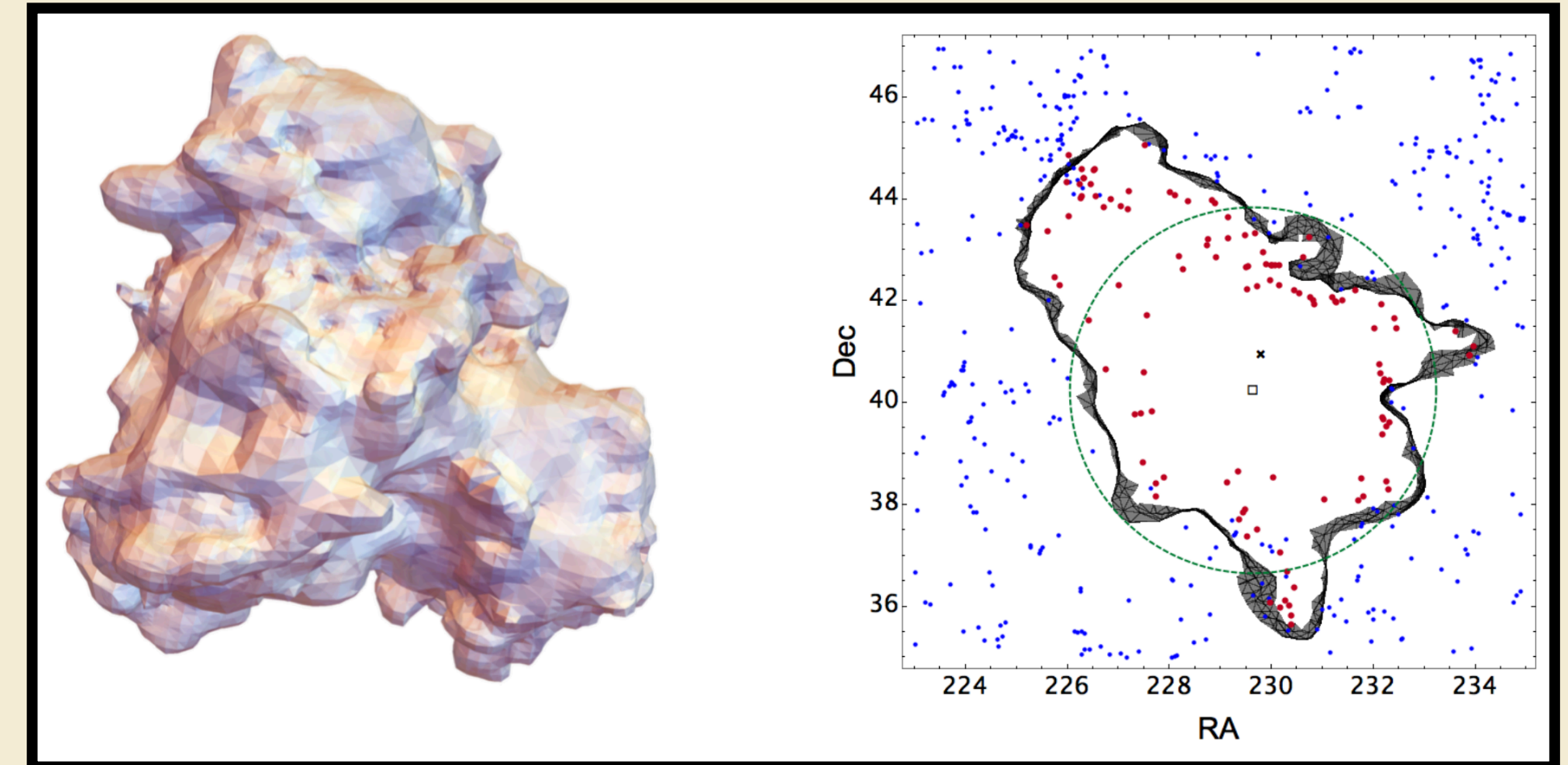
Measured WST
coefficients from BOSS
(Valogiannis & Dvorkin,
2022)

Cosmic void statistics



Constraints on geometry and growth from the void-galaxy CCF (Radinovic et al., including Paillas, in prep.)

A void measured in SDSS CMASS (Nadathur 2016)

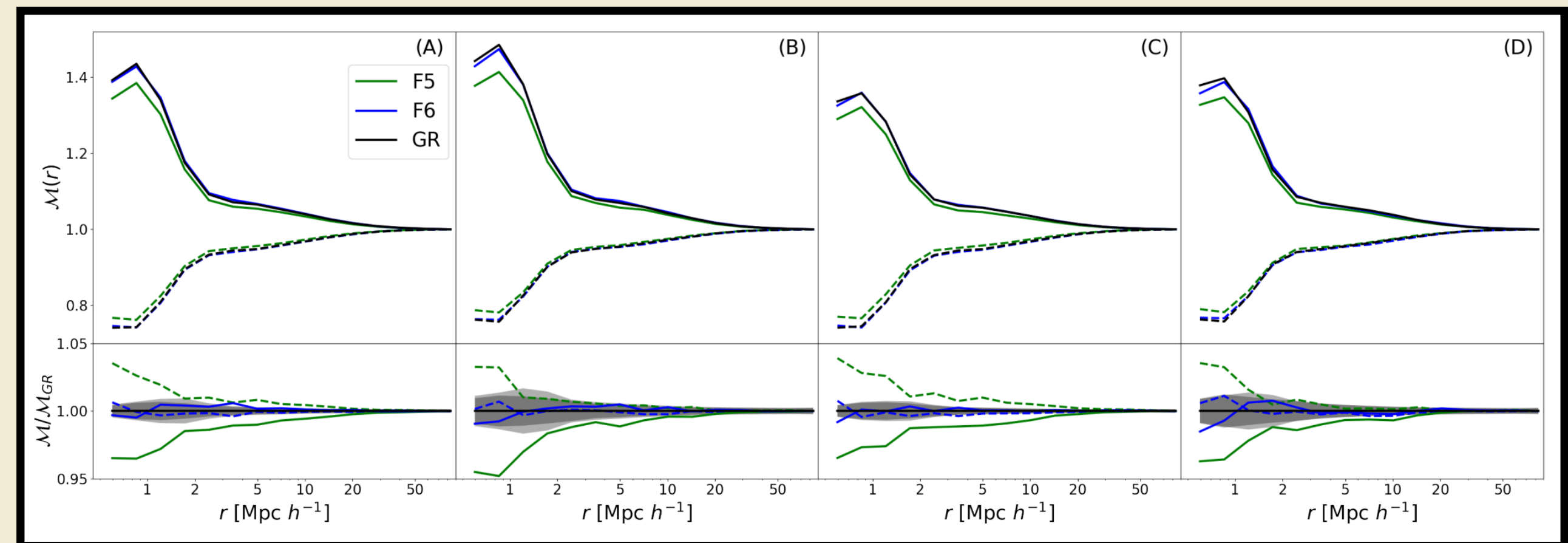
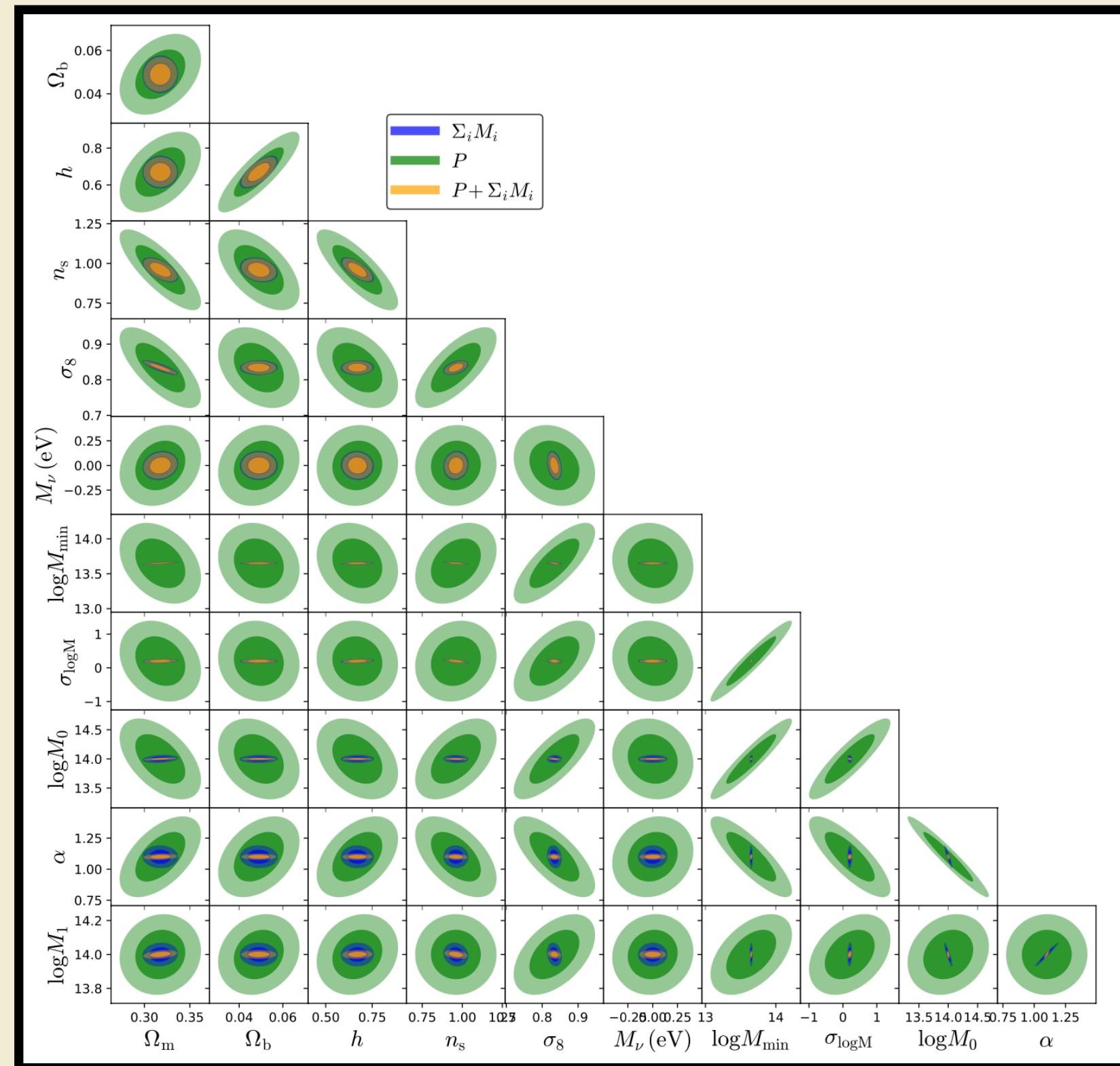


Voids provide independent evidence for dark energy and accelerated expansion (Woodfinden et al., 2022)

Marked power spectra or correlation functions

Similar to the power spectrum, but weights each galaxy according to a mark that depends on the local density (White 2016)

$$m(\vec{x}; R, p, \delta_s) = \left[\frac{1 + \delta_s}{1 + \delta_s + \delta_R(\vec{x})} \right]^p \equiv \left[1 + \frac{\delta_R(\vec{x})}{1 + \delta_s} \right]^{-p}$$

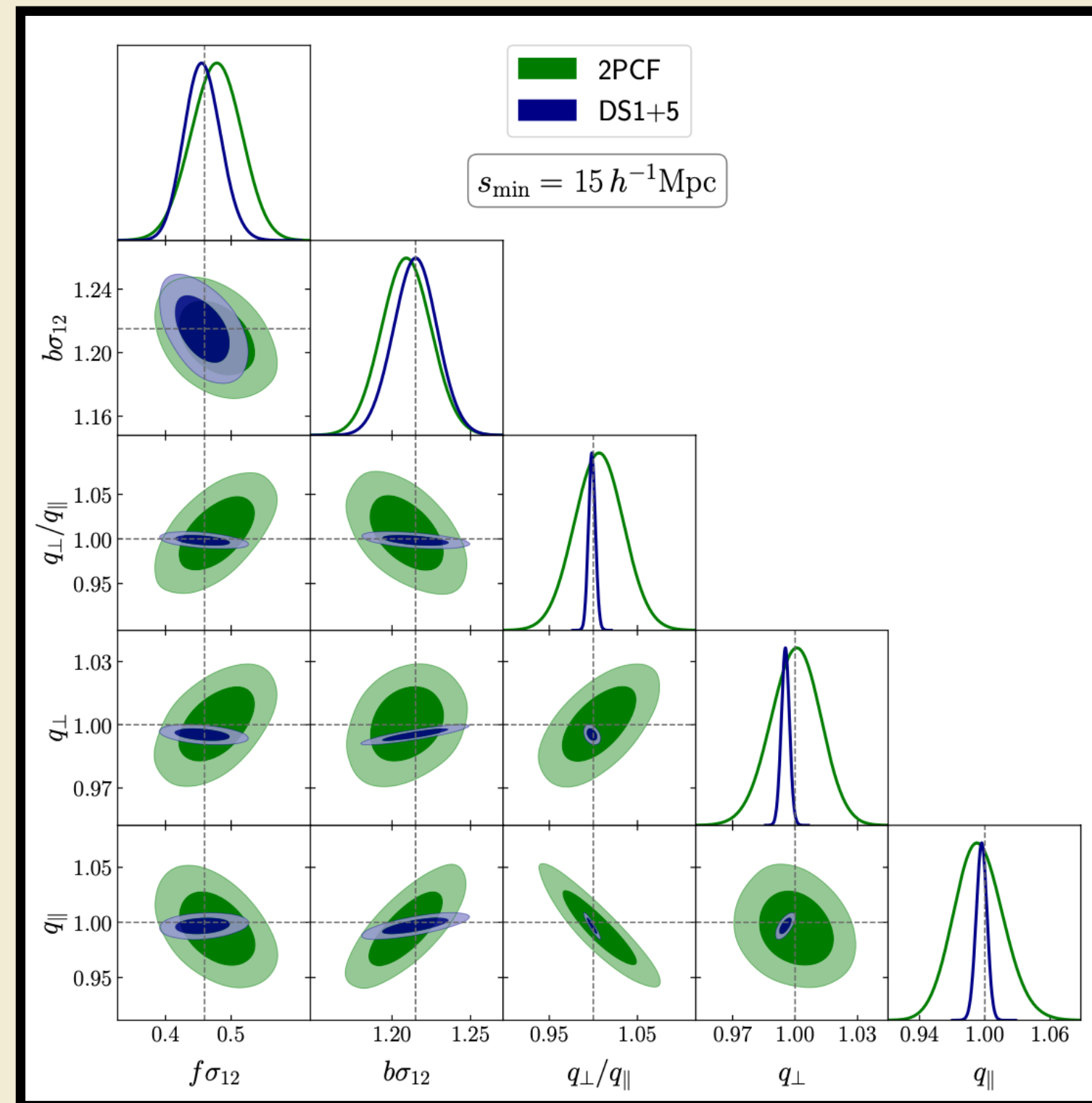


Marked correlation functions show sensitivity to modifications to gravity (Armijo et al. 2018)

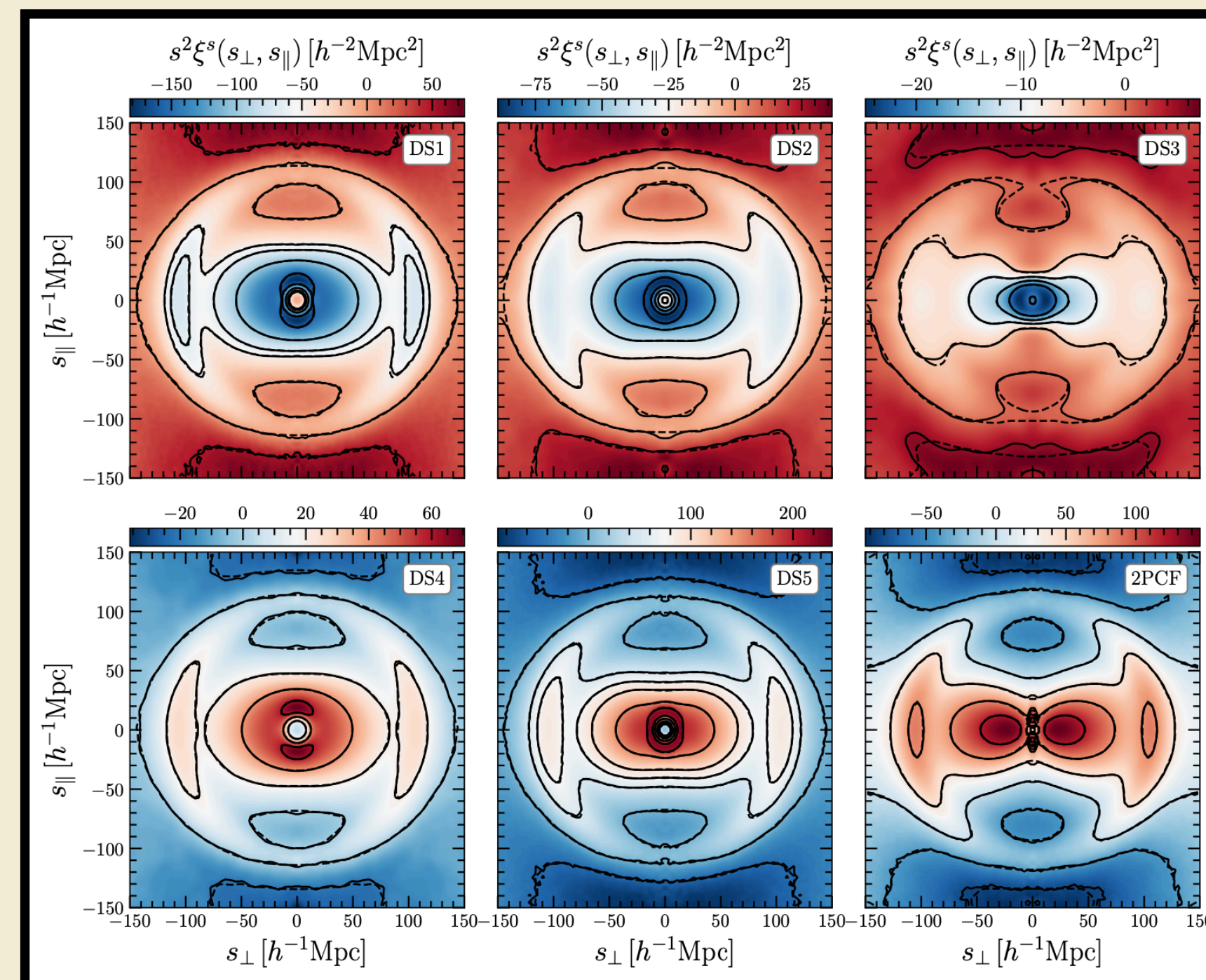
Marked power spectrum constraints from the galaxy field in simulations (Massara et al. 2022)

Density-split clustering

Measures clustering statistics associated with regions of different environmental density, and performs a joint cosmological analysis.

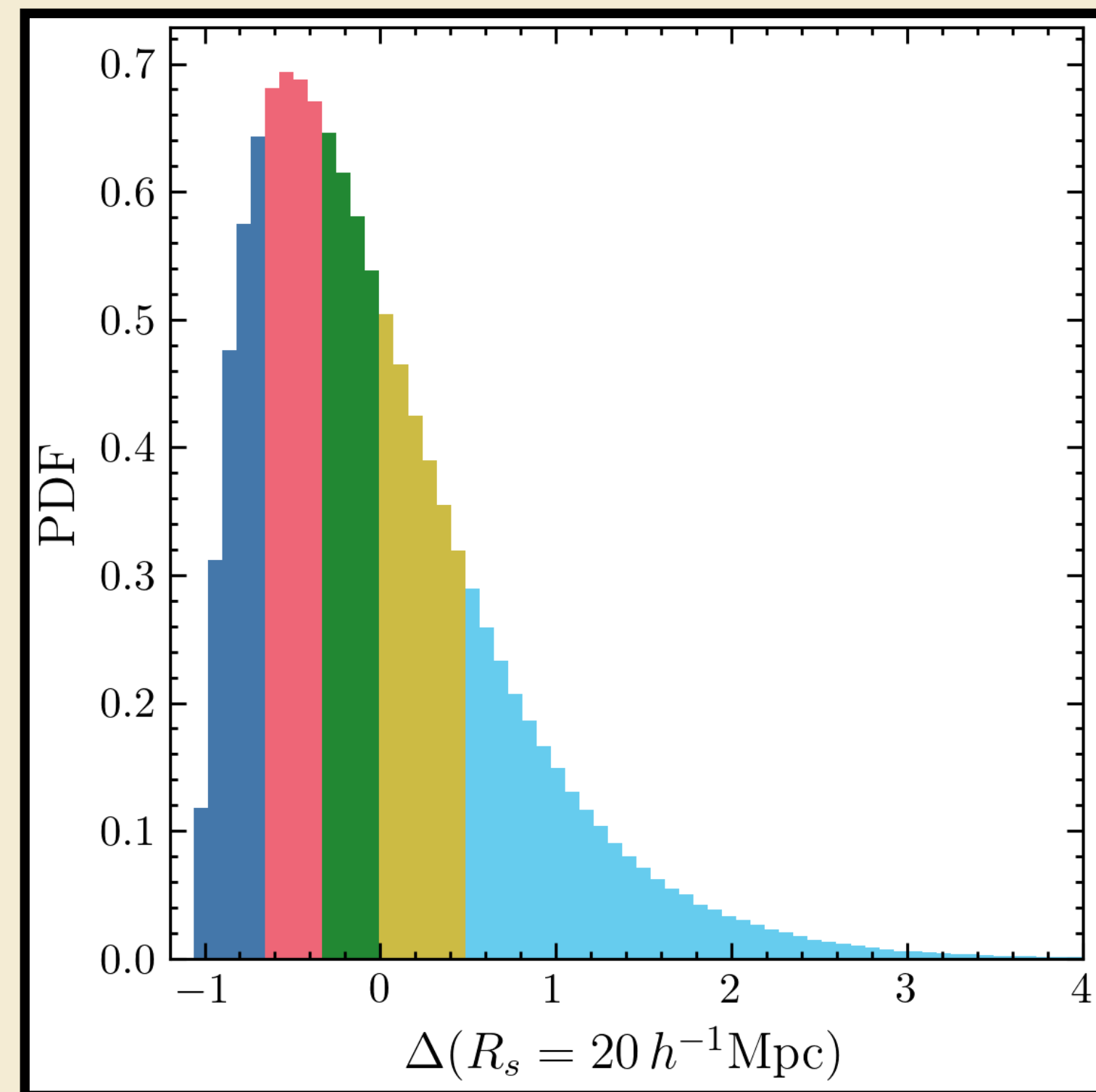
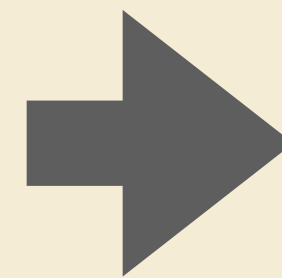
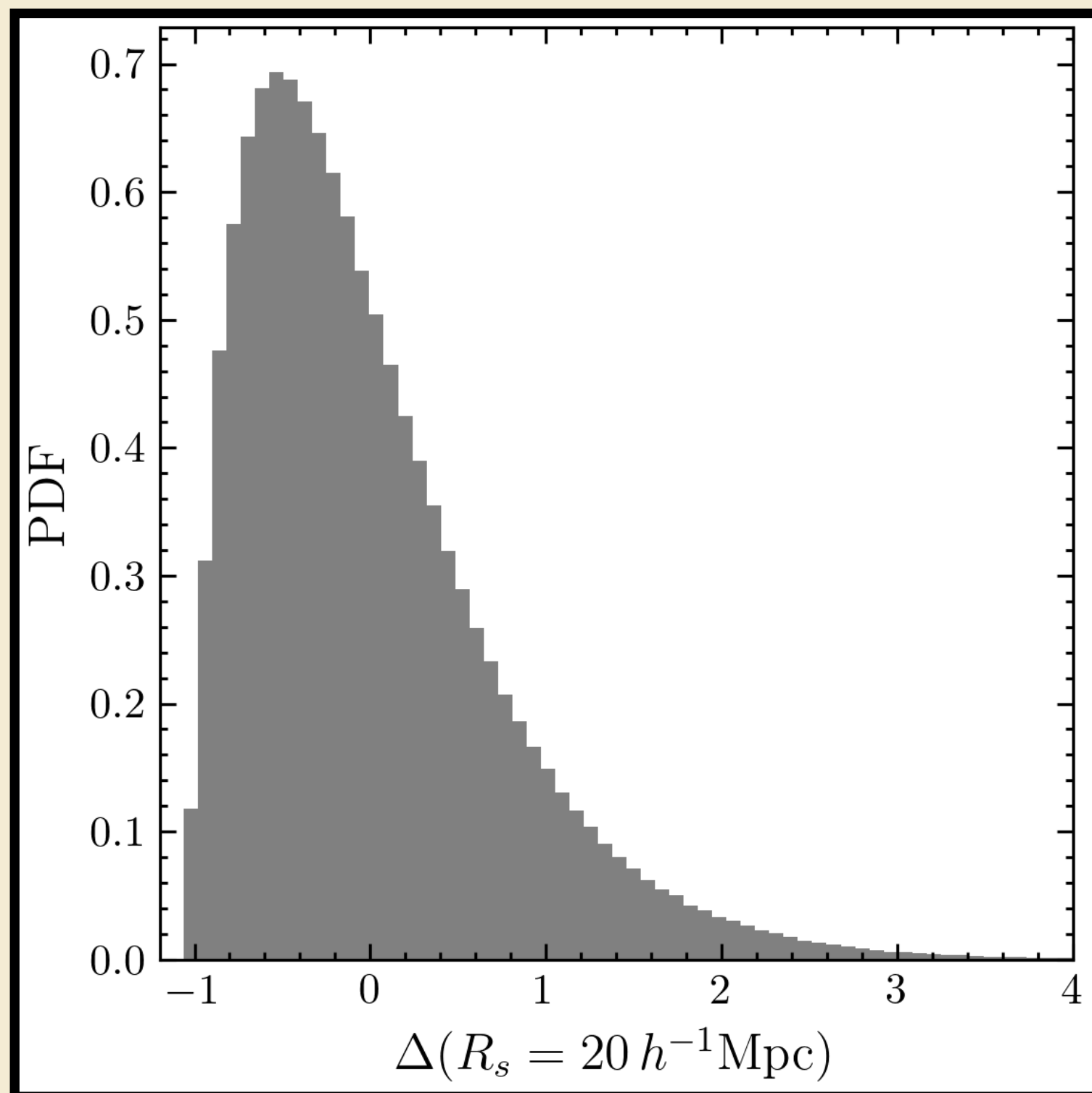


Constraints from a density-split RSD analysis in simulations (Paillas et al. 2021)



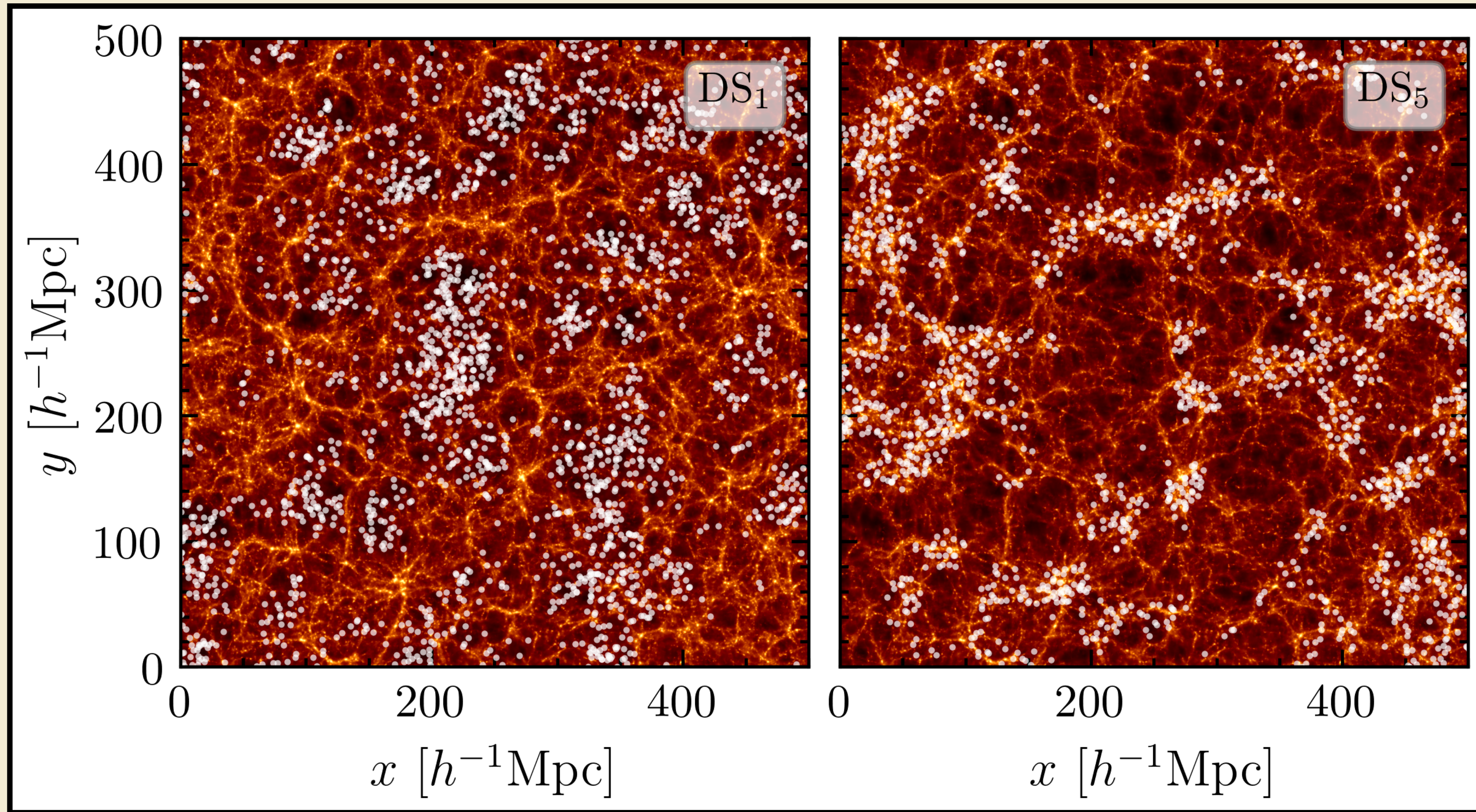
Correlation functions for different density environments in the Minerva simulations (Paillas et al. 2021)

1 Splitting the density field



Low-density

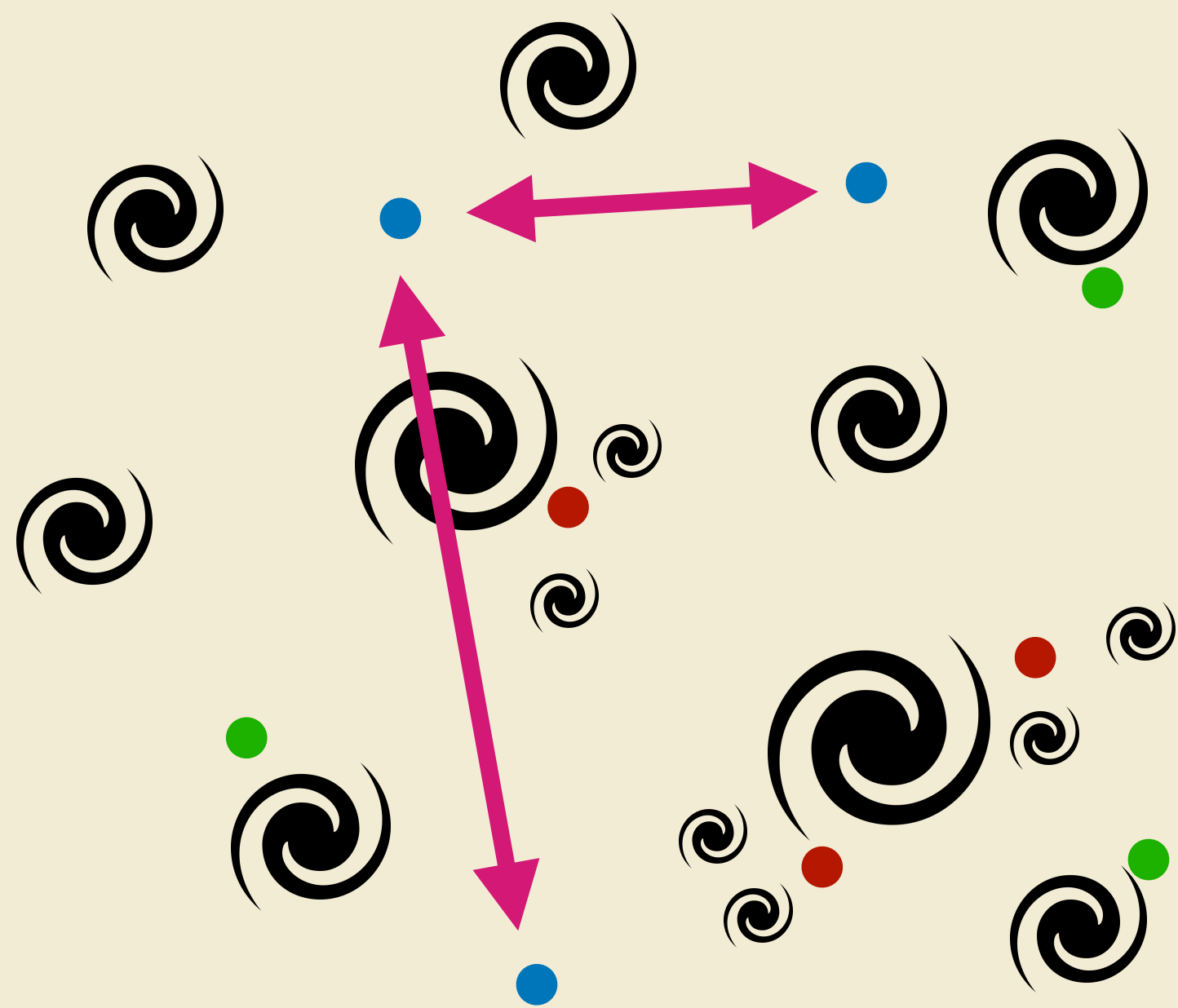
High-density



2 Clustering statistics

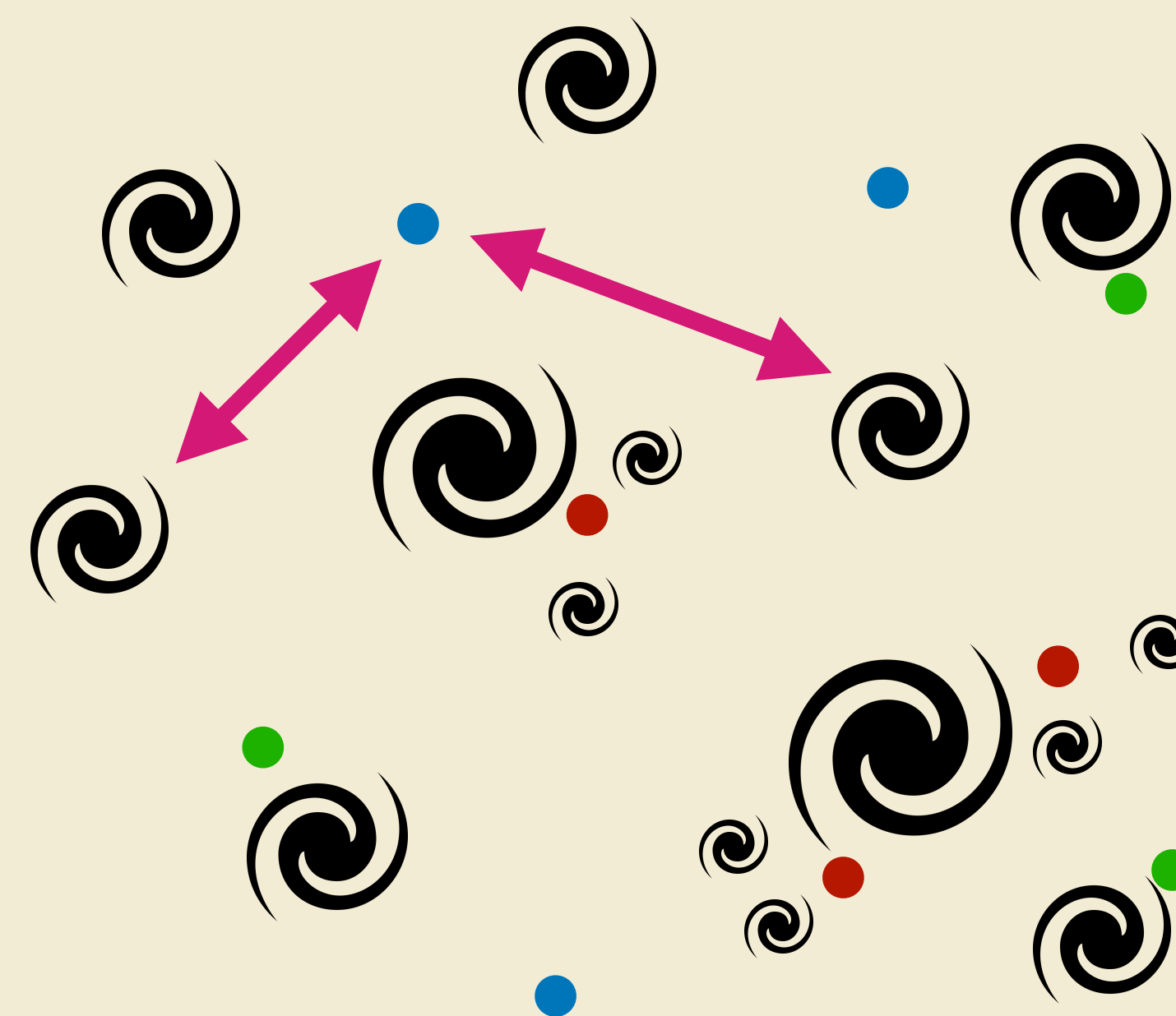
$$\xi^{qq}(s)$$

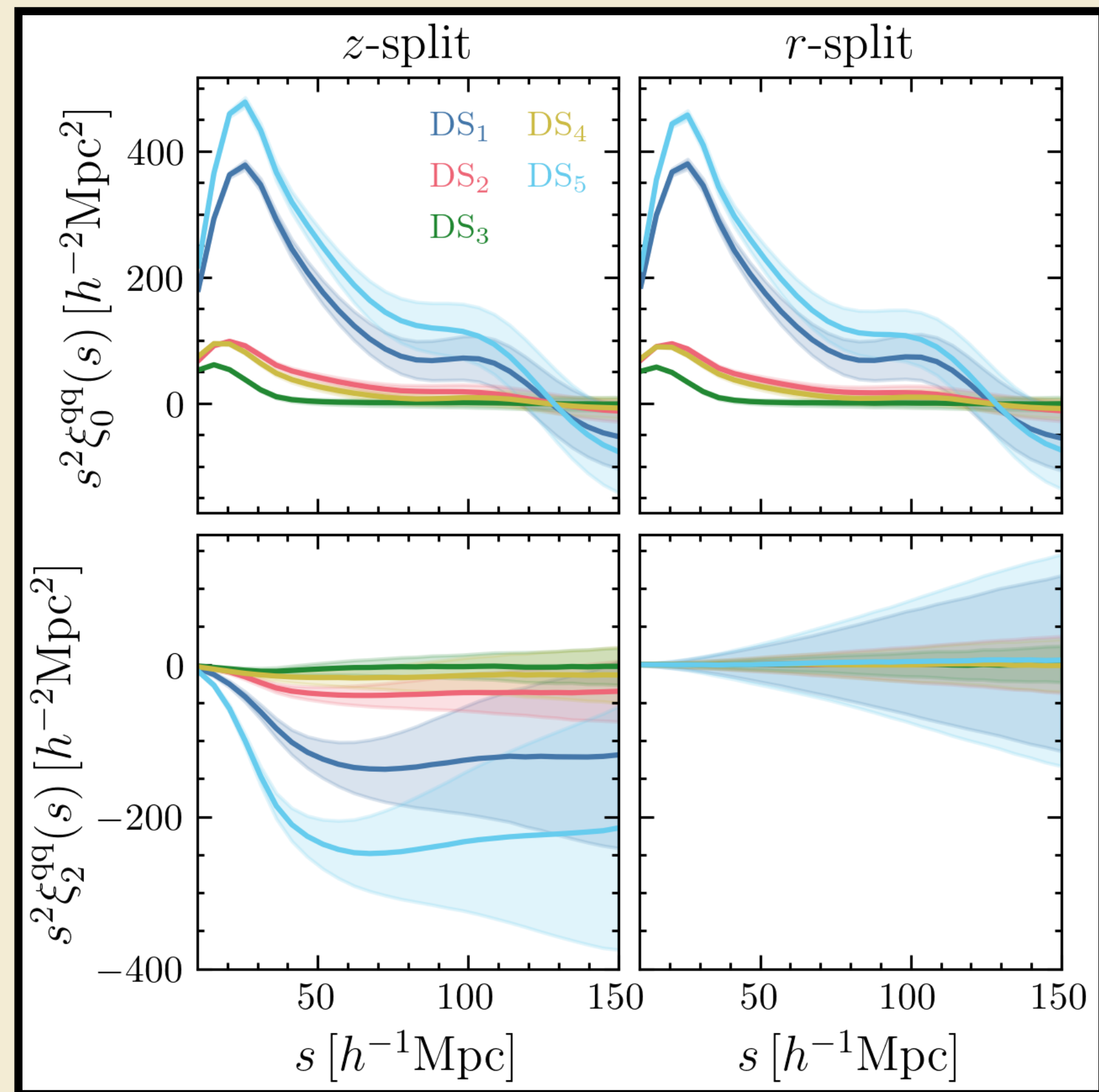
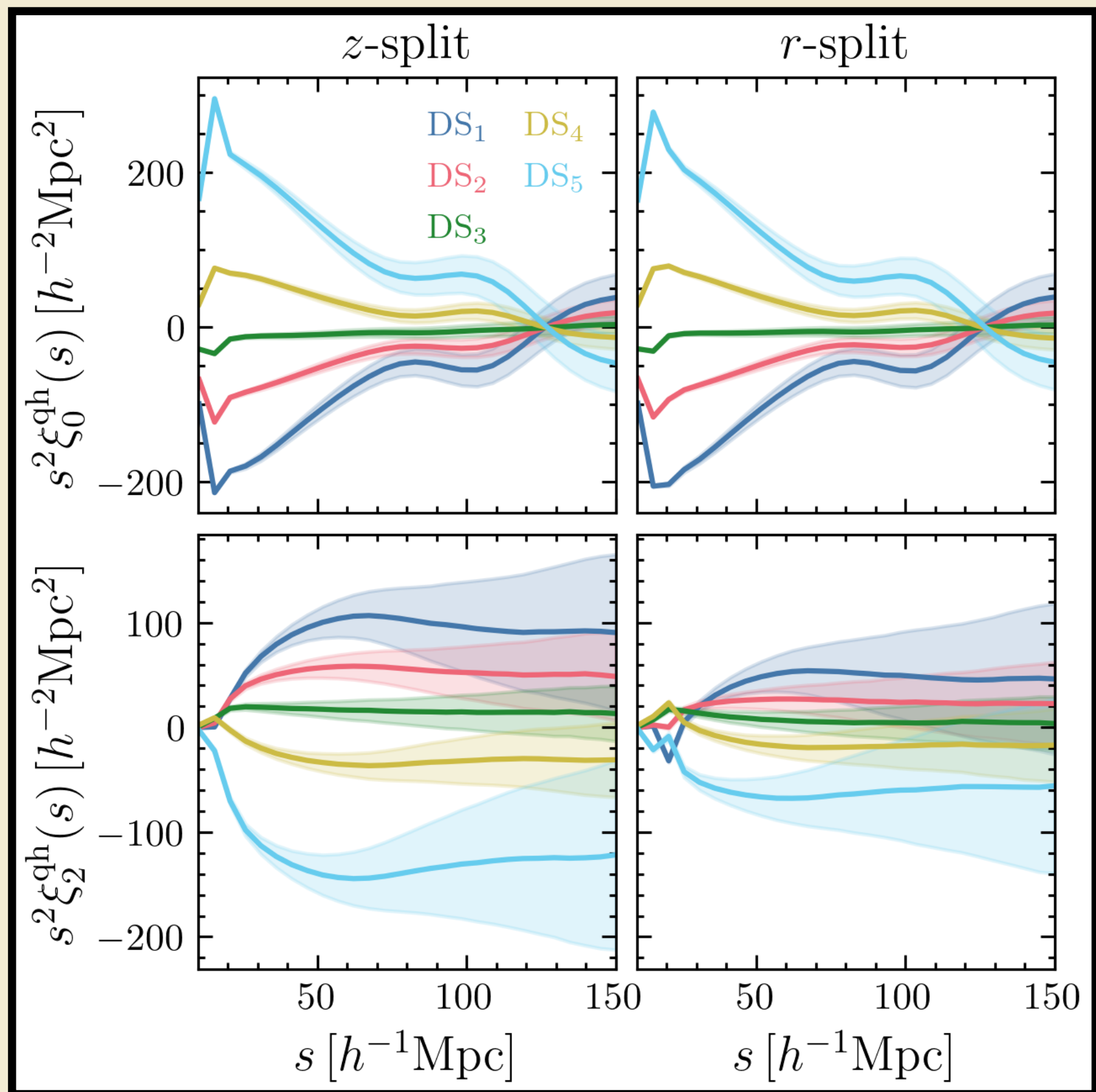
Quintile autocorrelation
function



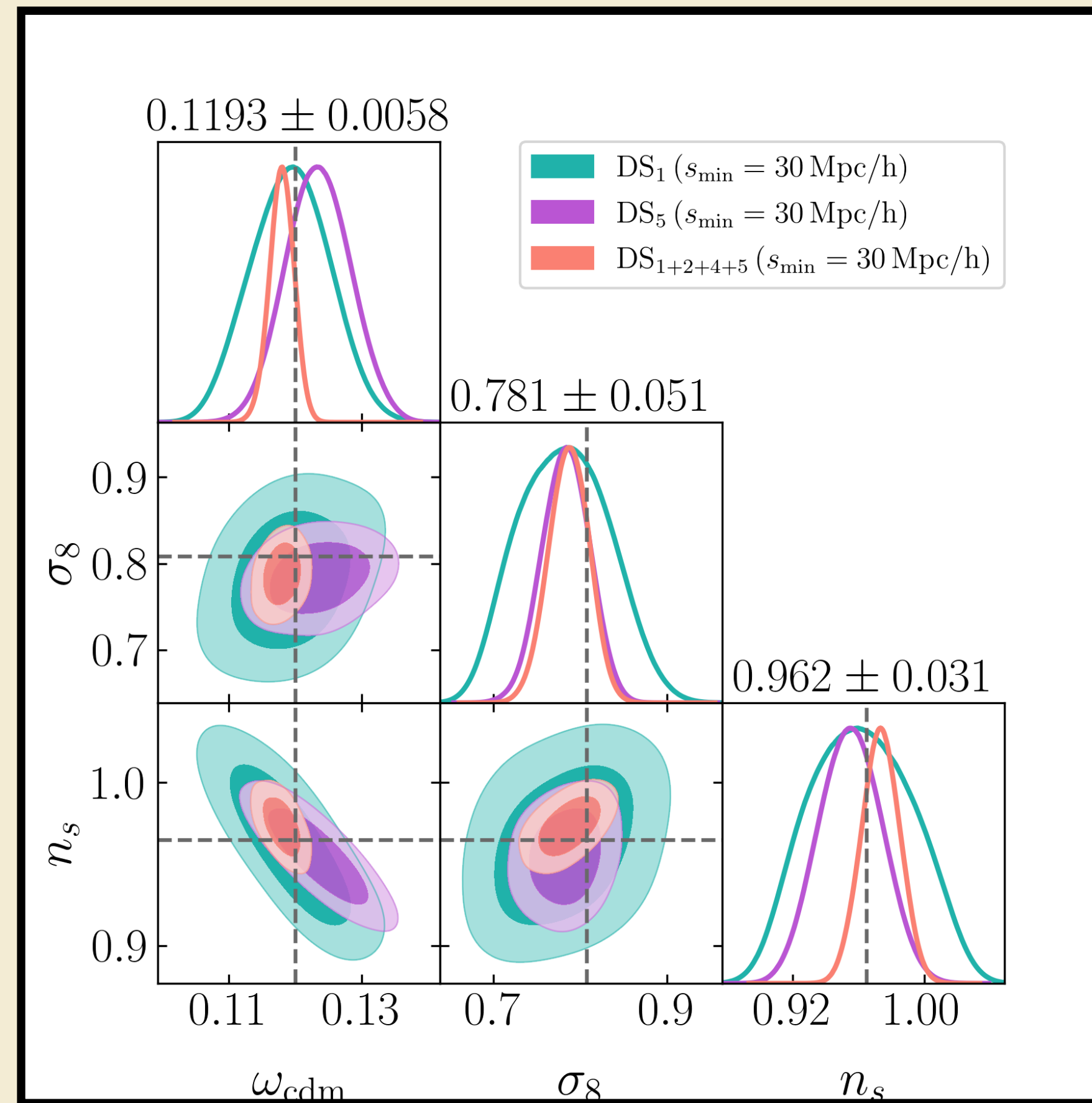
$$\xi^{qg}(s)$$

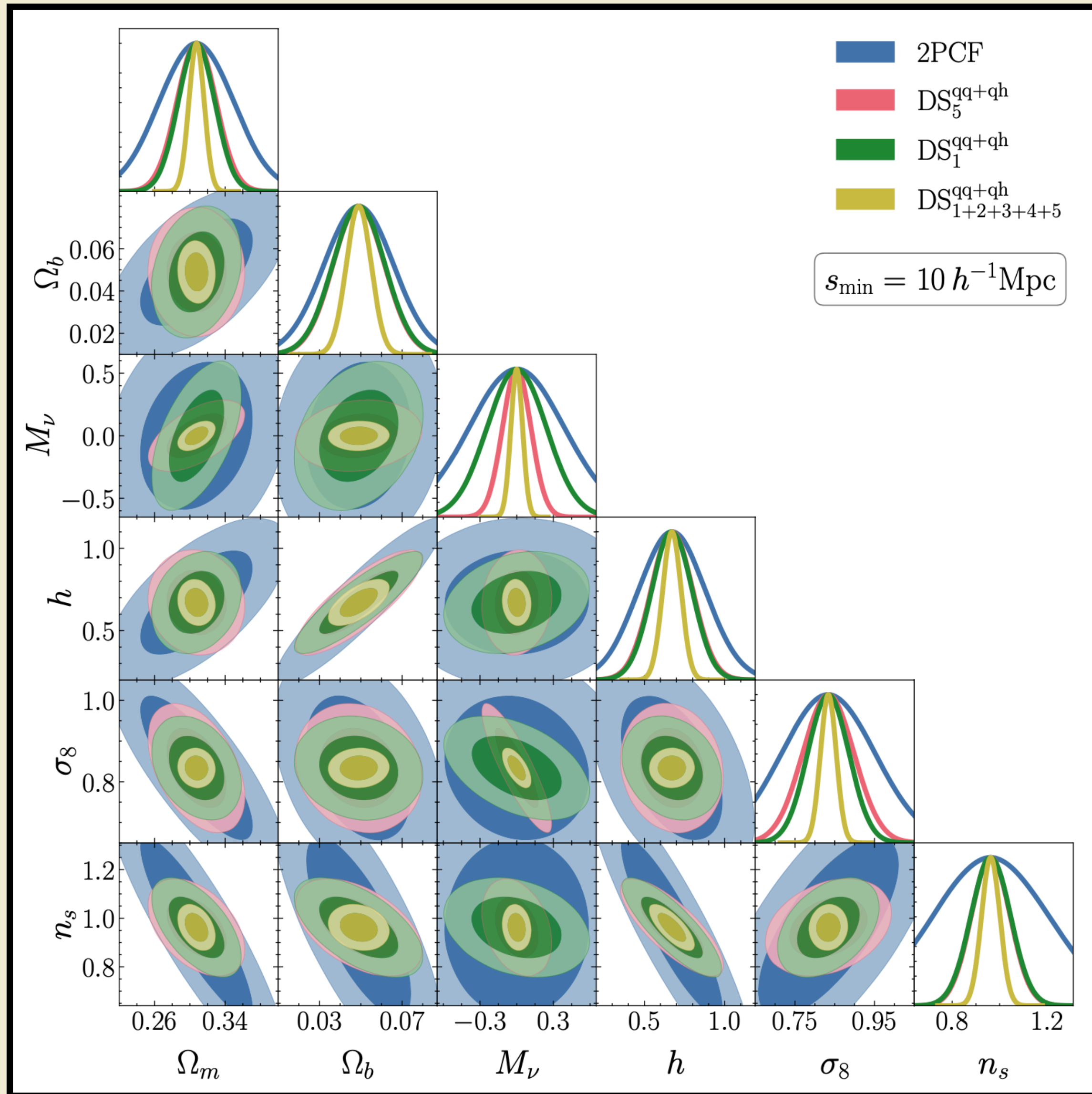
Quintile-galaxy cross-
correlation function





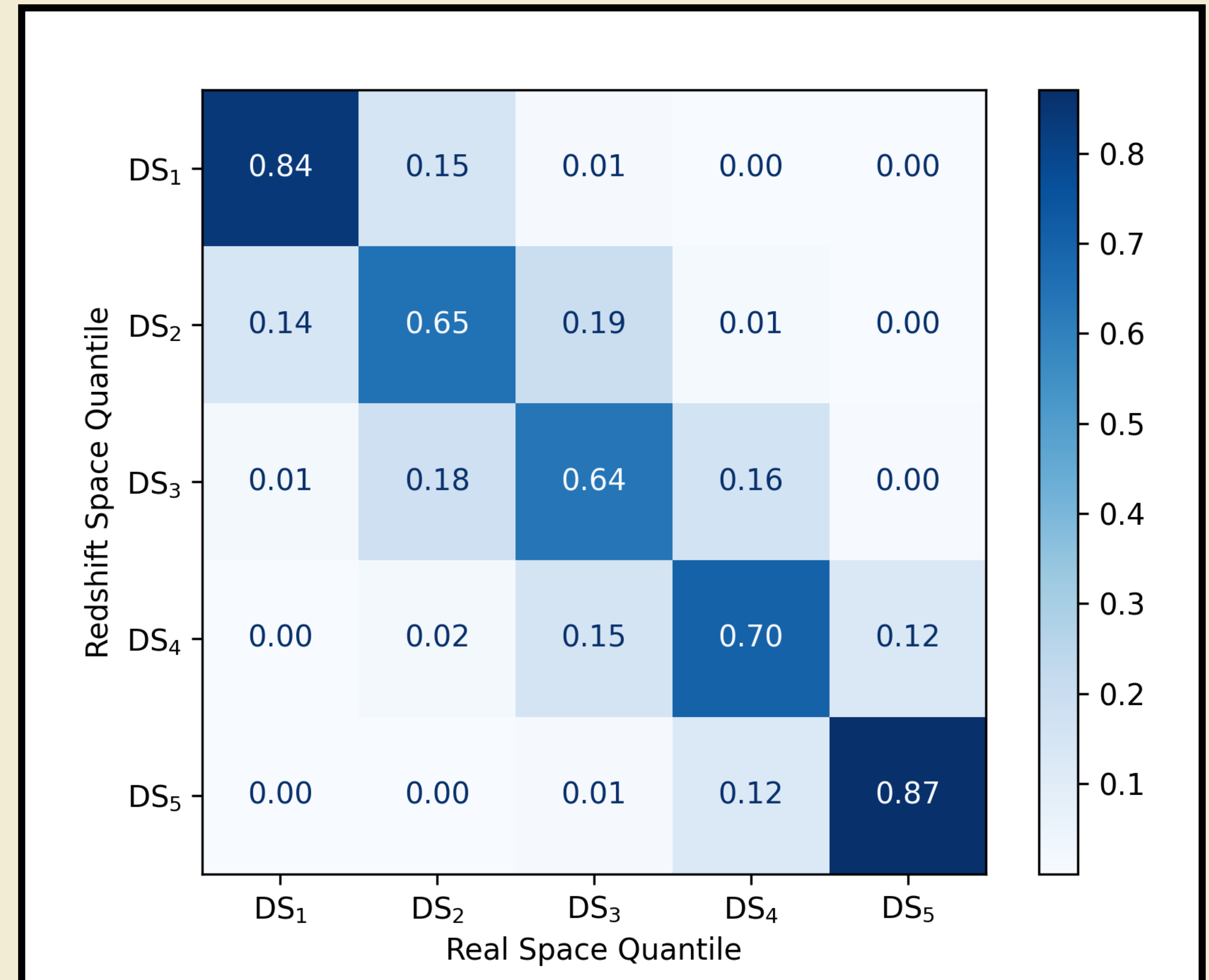
3 Joint likelihood analysis



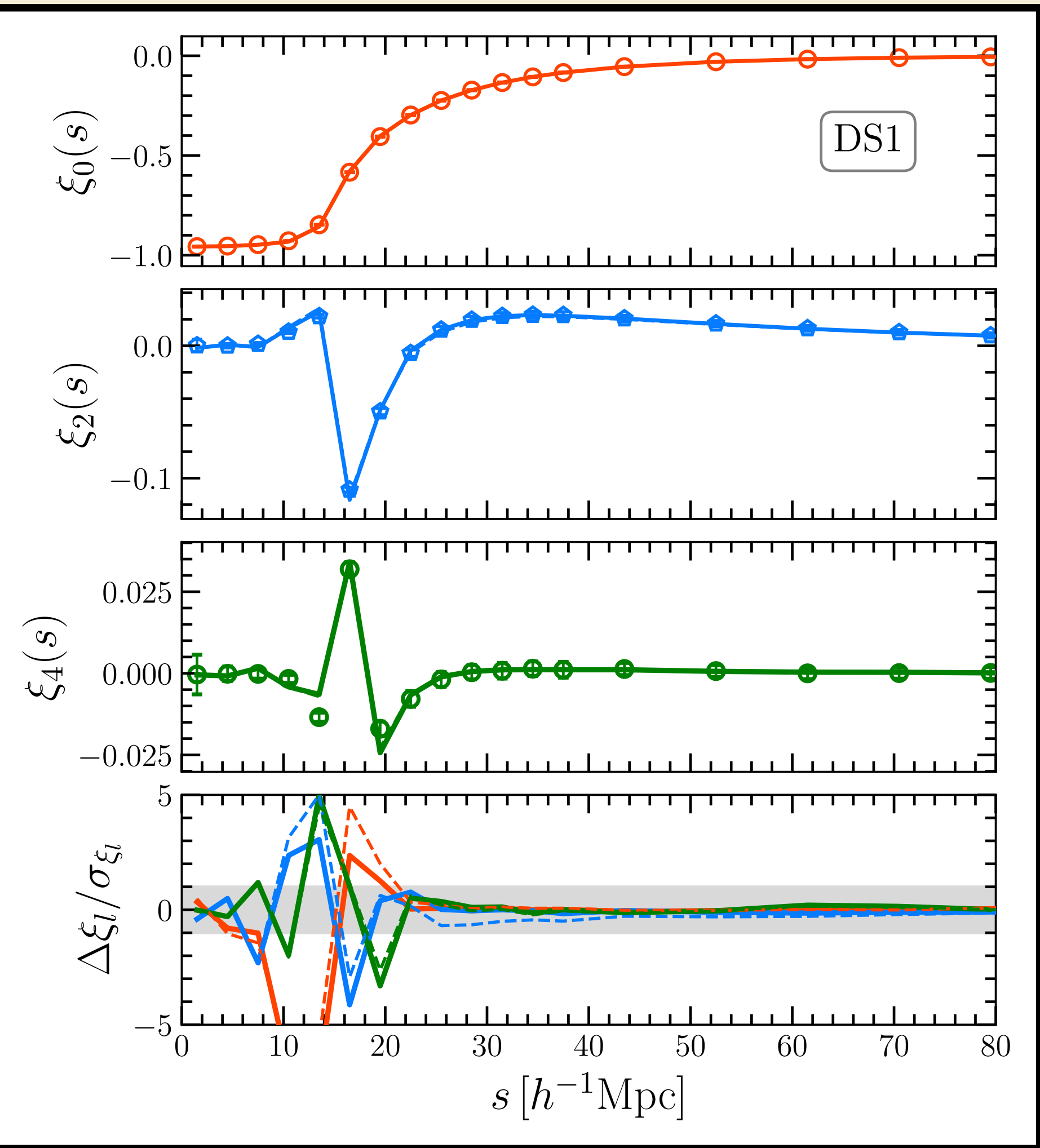


- DS provides **more precise constraints** on the parameters of the Λ CDM model compared to the 2PCF.
- DS improves the **constraints on the sum of neutrino masses** by a factor of 8 and by factors of 5, 3, 4, 6, and 6 for Ω_m , Ω_b , h , n_s , and σ_8 , respectively.

- It makes a difference if you split the densities in **real v/s redshift space**; there's a non-negligible fraction of points that swap to neighbouring quintiles.
- Similar effect as running a void finder in real v/s redshift space.
- Usually difficult to account for this in the RSD model (but see Correa et al. 2021)



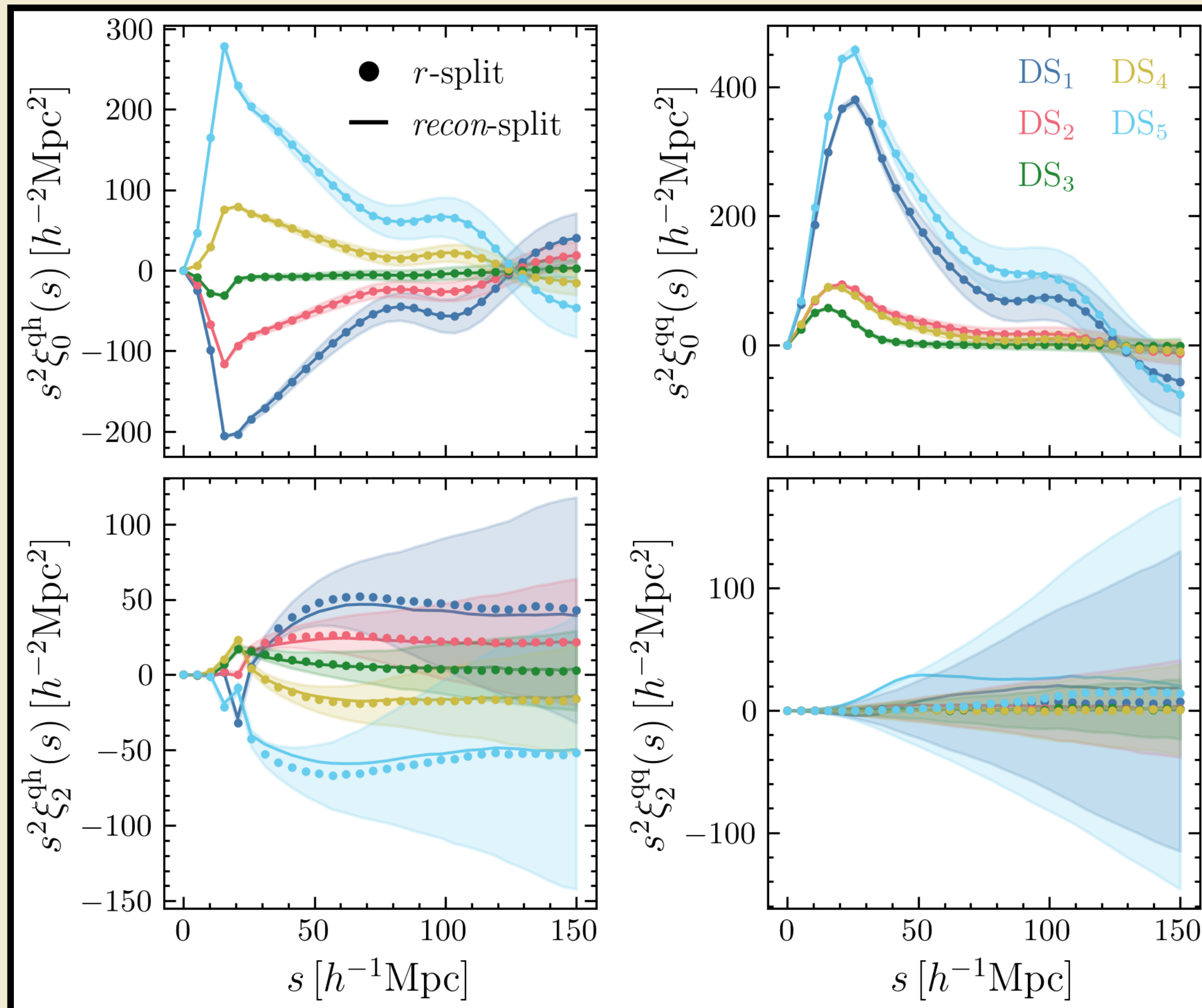
Paillas et al. (2022)



The **Gaussian Streaming Model** provides an accurate description of the density-split multipoles when we define the densities in real space.

$$1 + \xi^s(s_{\perp}, s_{\parallel}) = \int [1 + \xi(r)] \frac{1}{\sqrt{2\pi\sigma_{\parallel}^2(r, \mu)}} \exp \left\{ -\frac{[v_{\parallel} - v_r(r)\mu]^2}{2\sigma_{\parallel}^2(r, \mu)} \right\} dv_{\parallel}$$

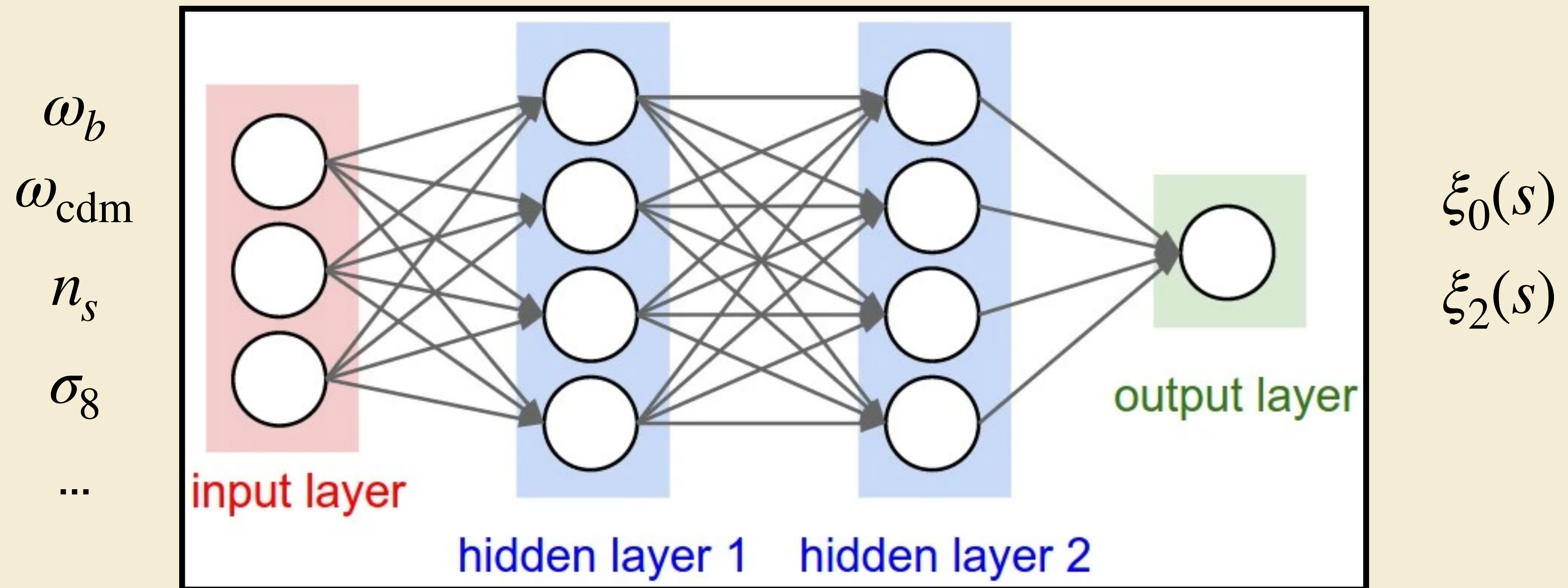
However, the real-space density field **is not immediately available** from observations.



A potential way around this is to use **reconstruction** to remove RSD from the galaxy field, and estimate the split densities in the post-reconstructed catalogue.

This method has been successful for void statistics (e.g. **Nadathur et al. 2019c**)

Using **neural networks** to emulate clustering statistics

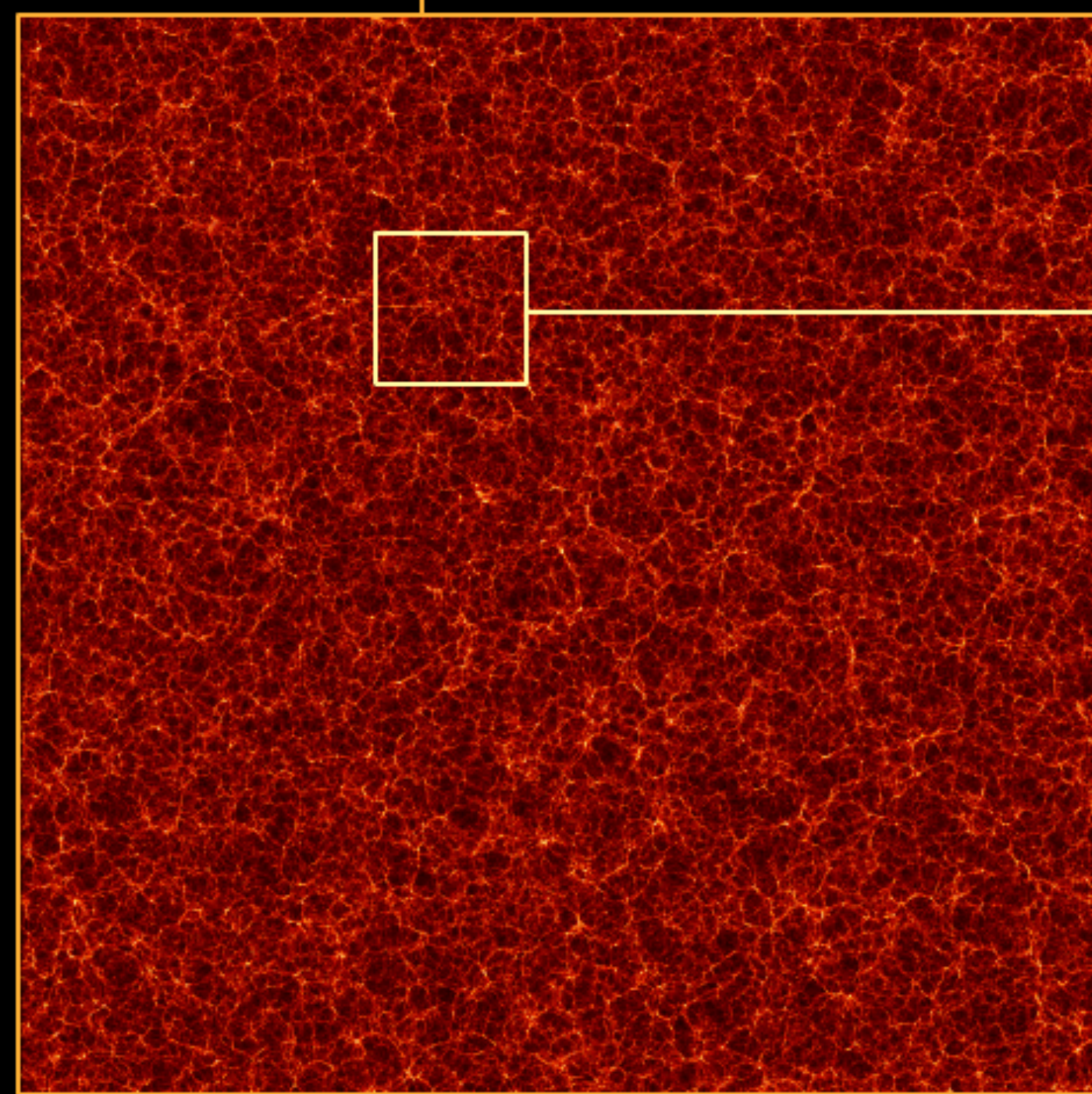
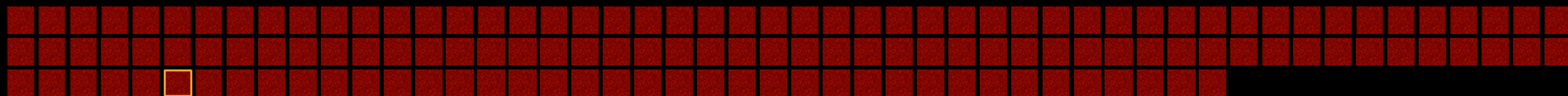


AbacusSummit: A Massive Set of High-Accuracy, High-Resolution N -Body Simulations

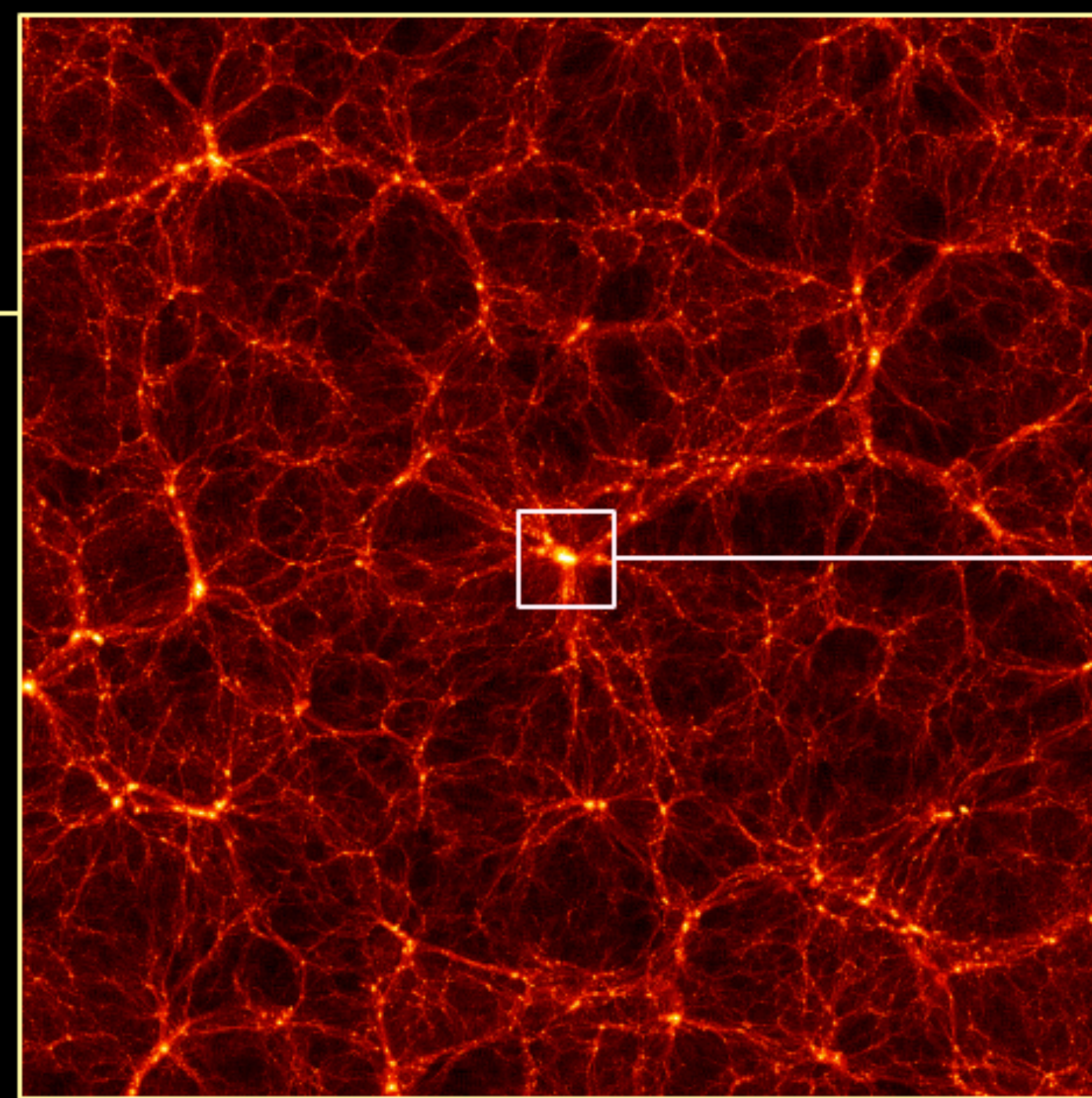
Nina Maksimova, Lehman Garrison, Daniel Eisenstein, Boryana Hadzhiyska, Sownak Bose, and Thomas Satterthwaite



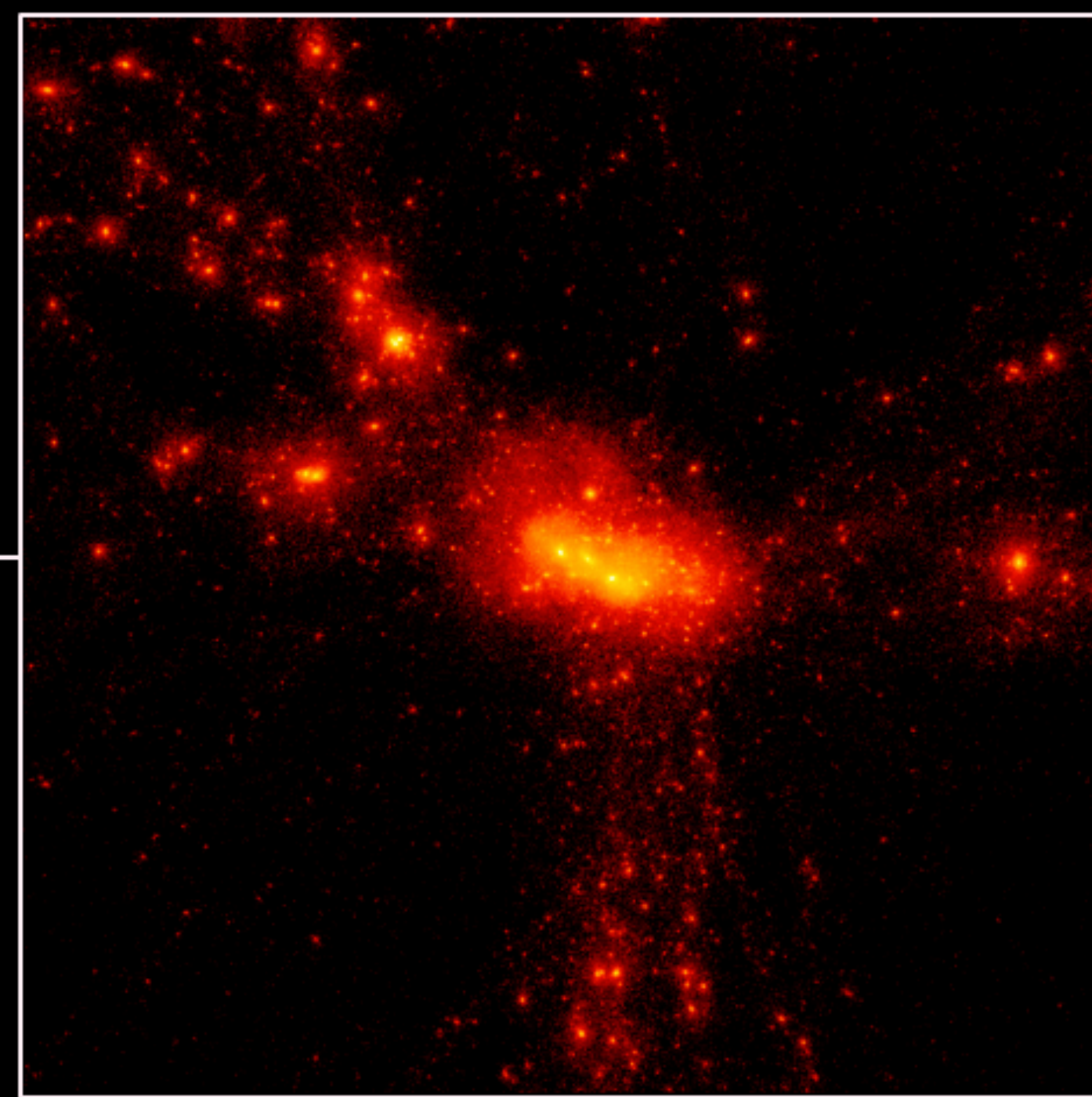
139 base simulations | 60 trillion particles | 97 cosmologies | 67 billion halos | Particle mass $2 \times 10^9 h^{-1} M_{\odot}$ | AbacusSummit.readthedocs.io



Size: 2 Gpc/h

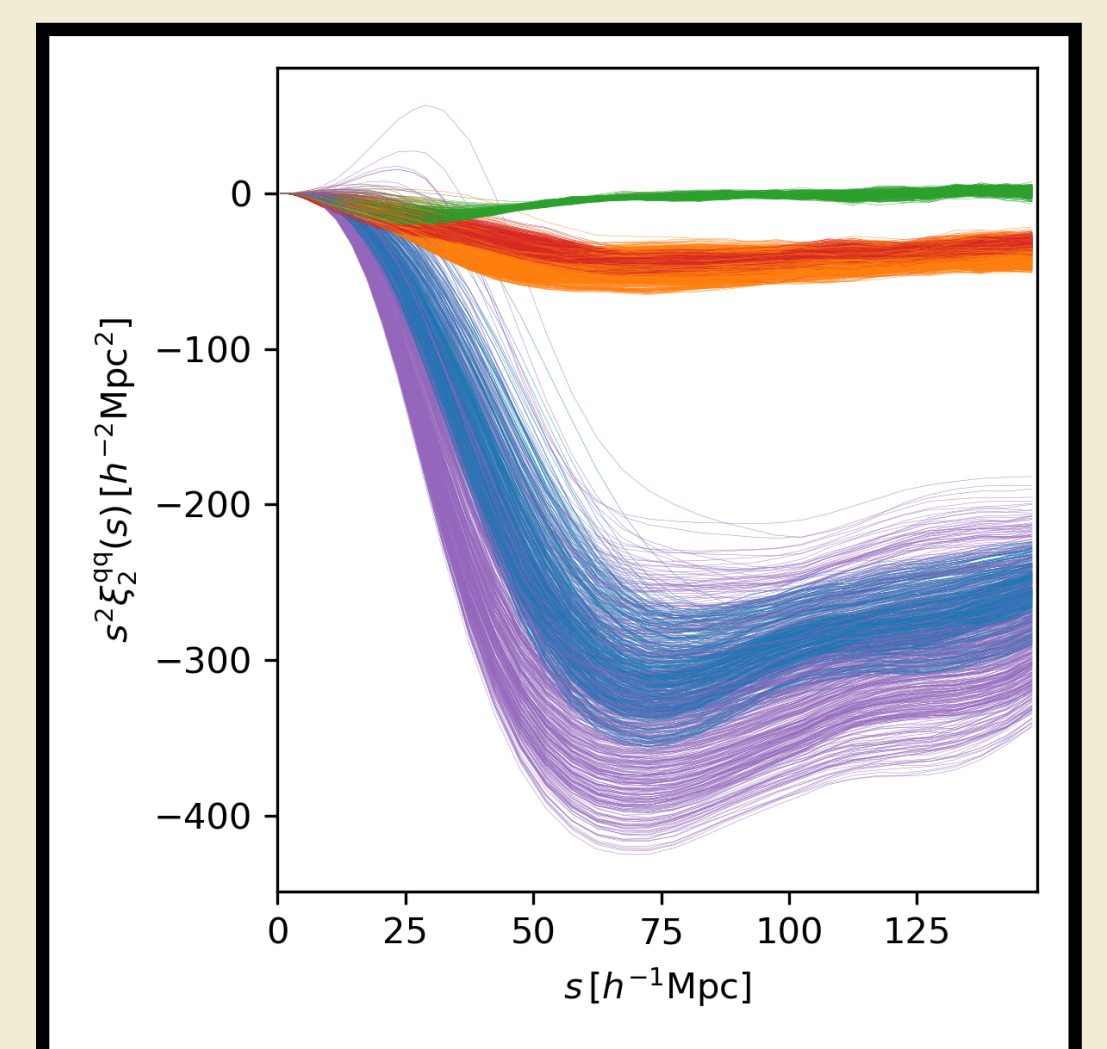
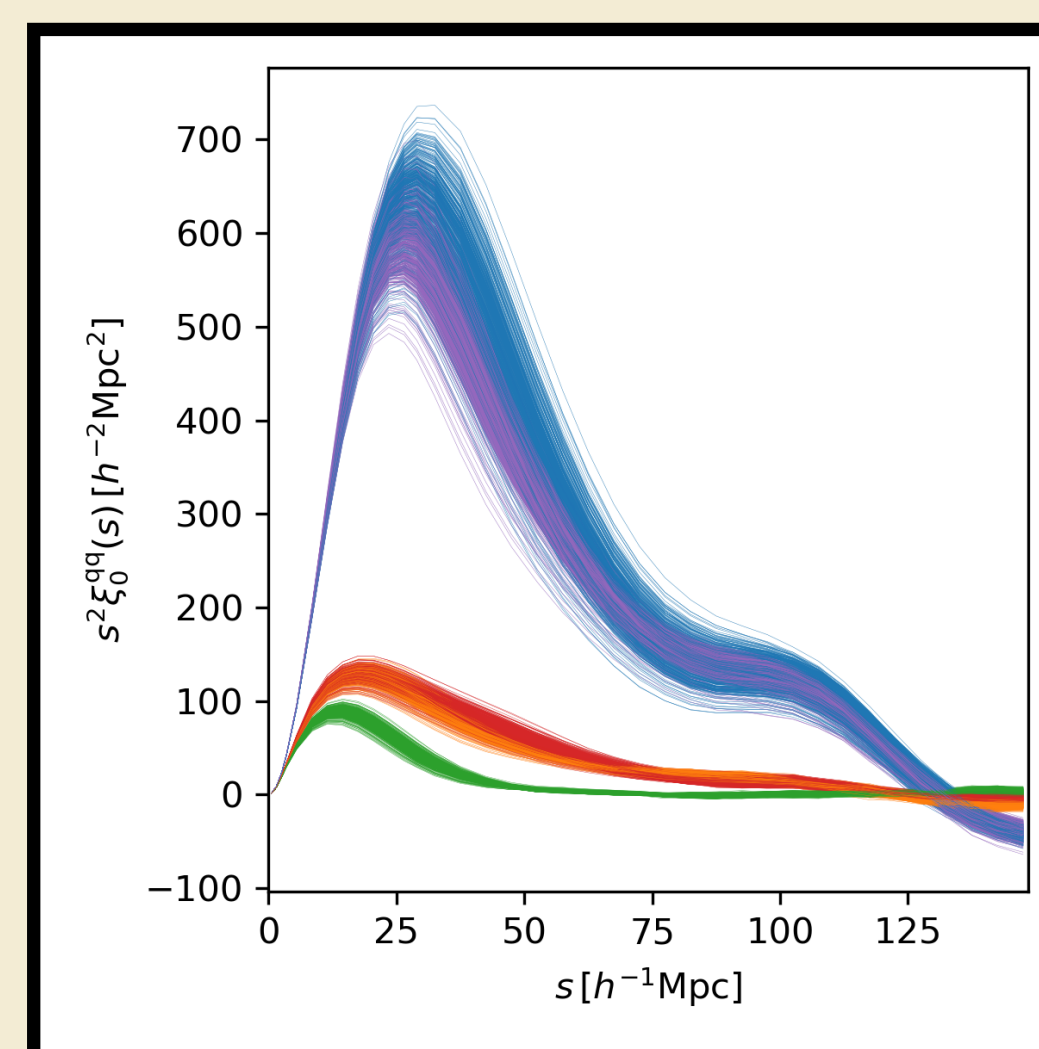
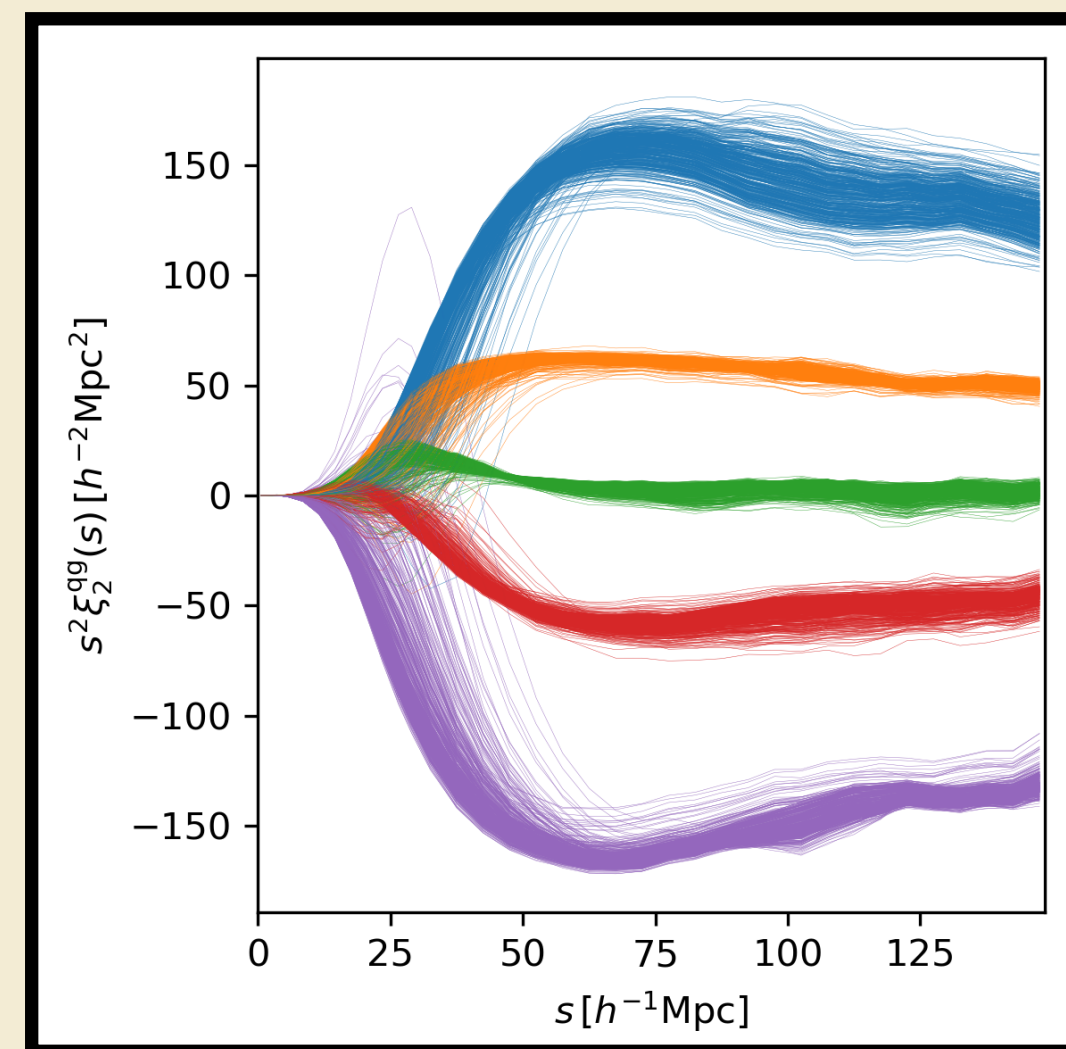
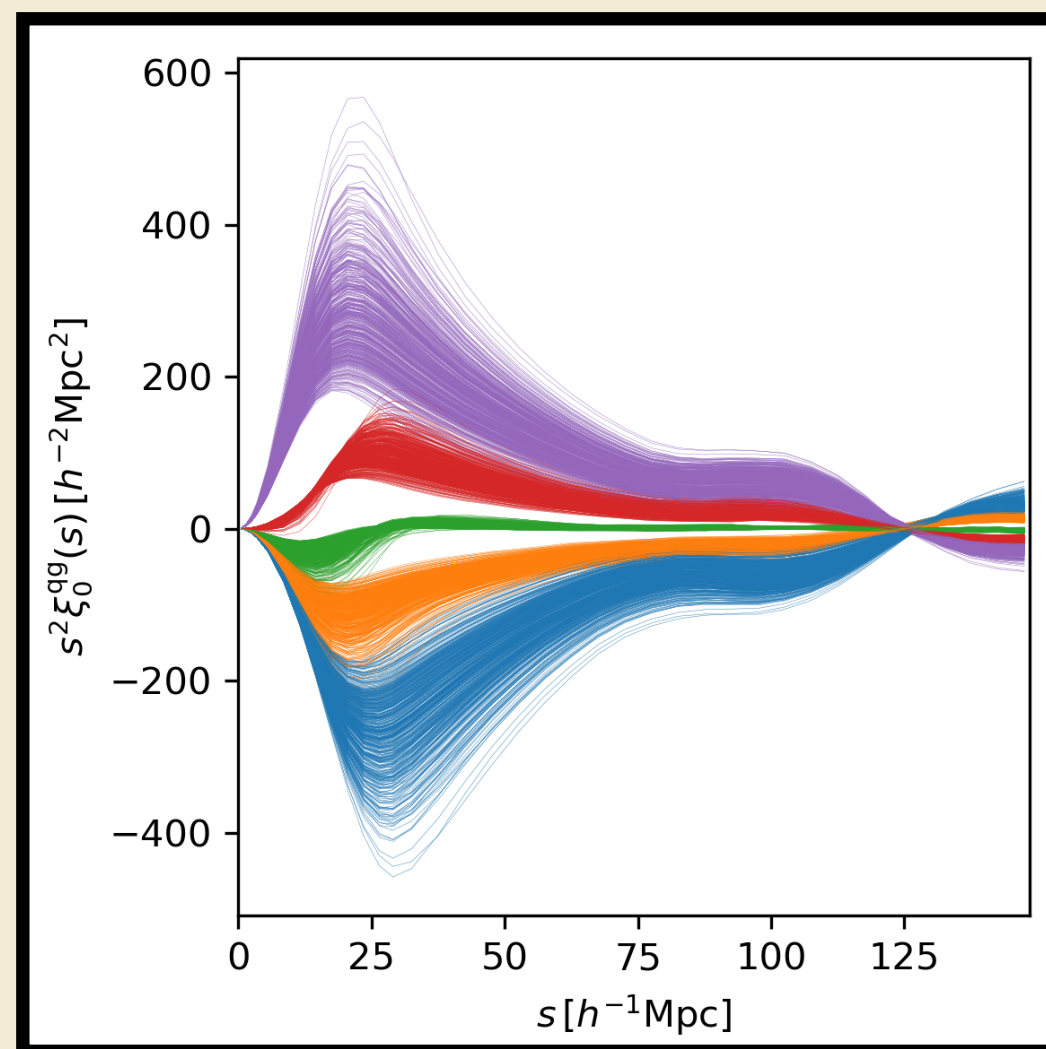


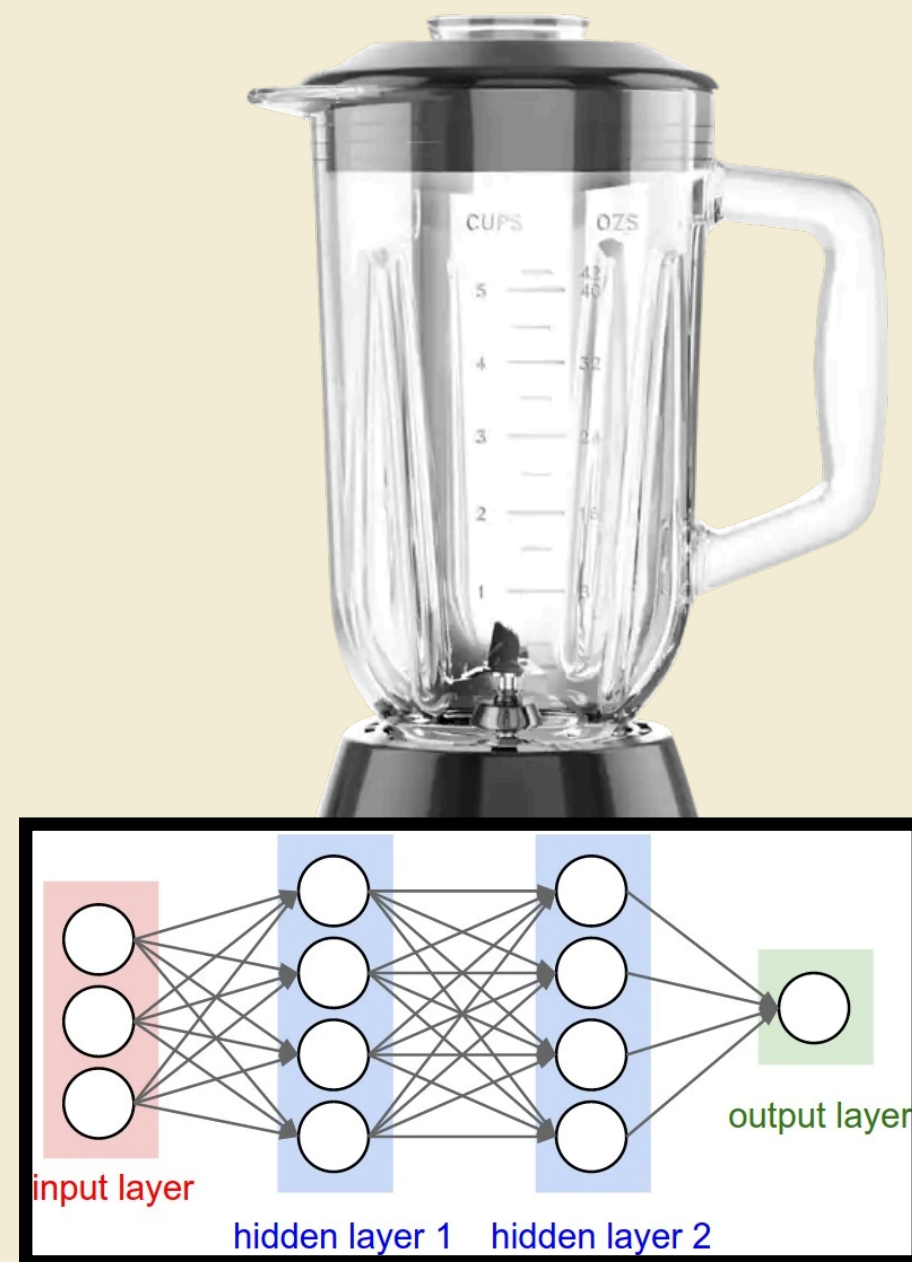
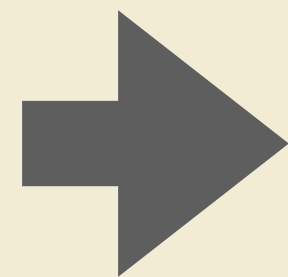
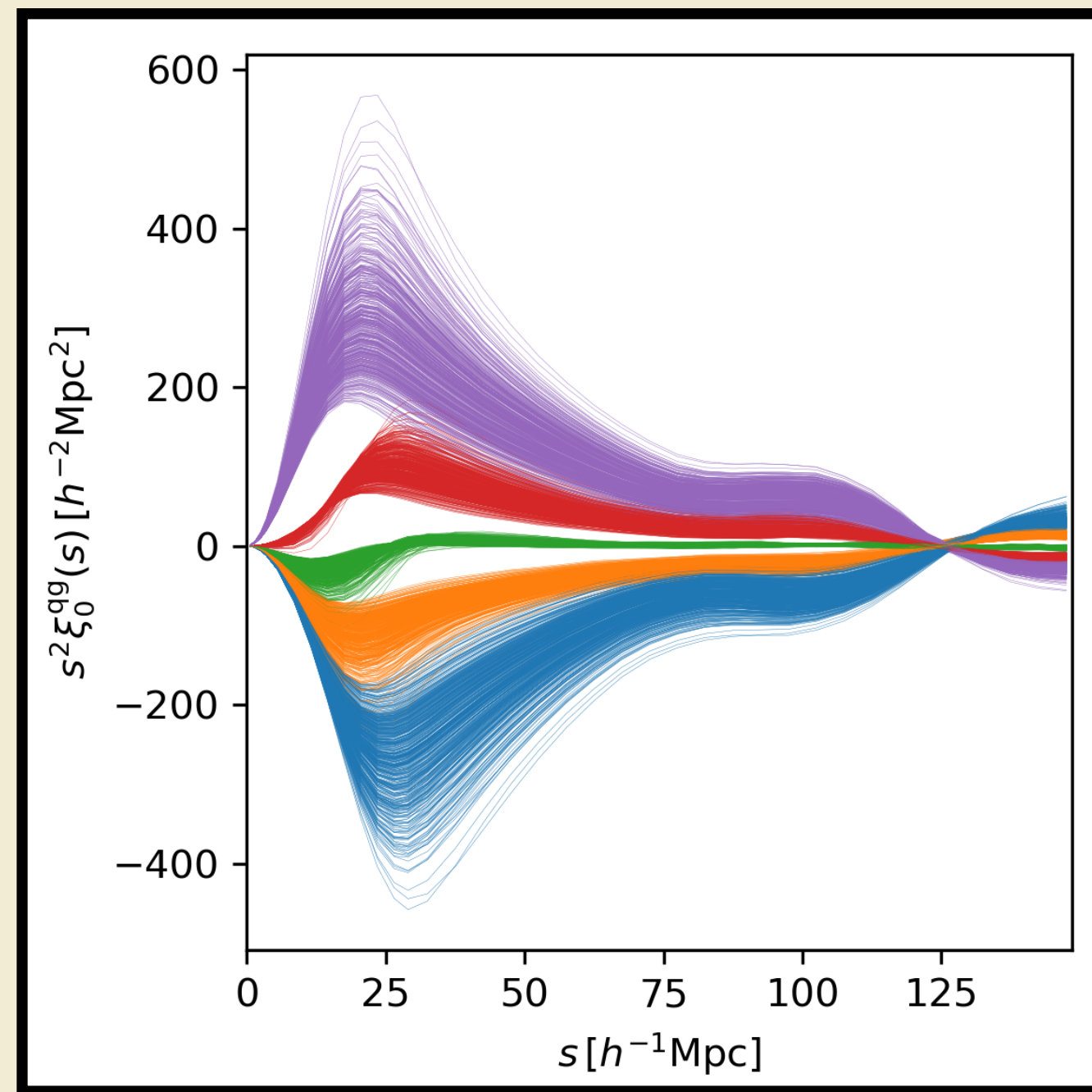
Size: 250 Mpc/h



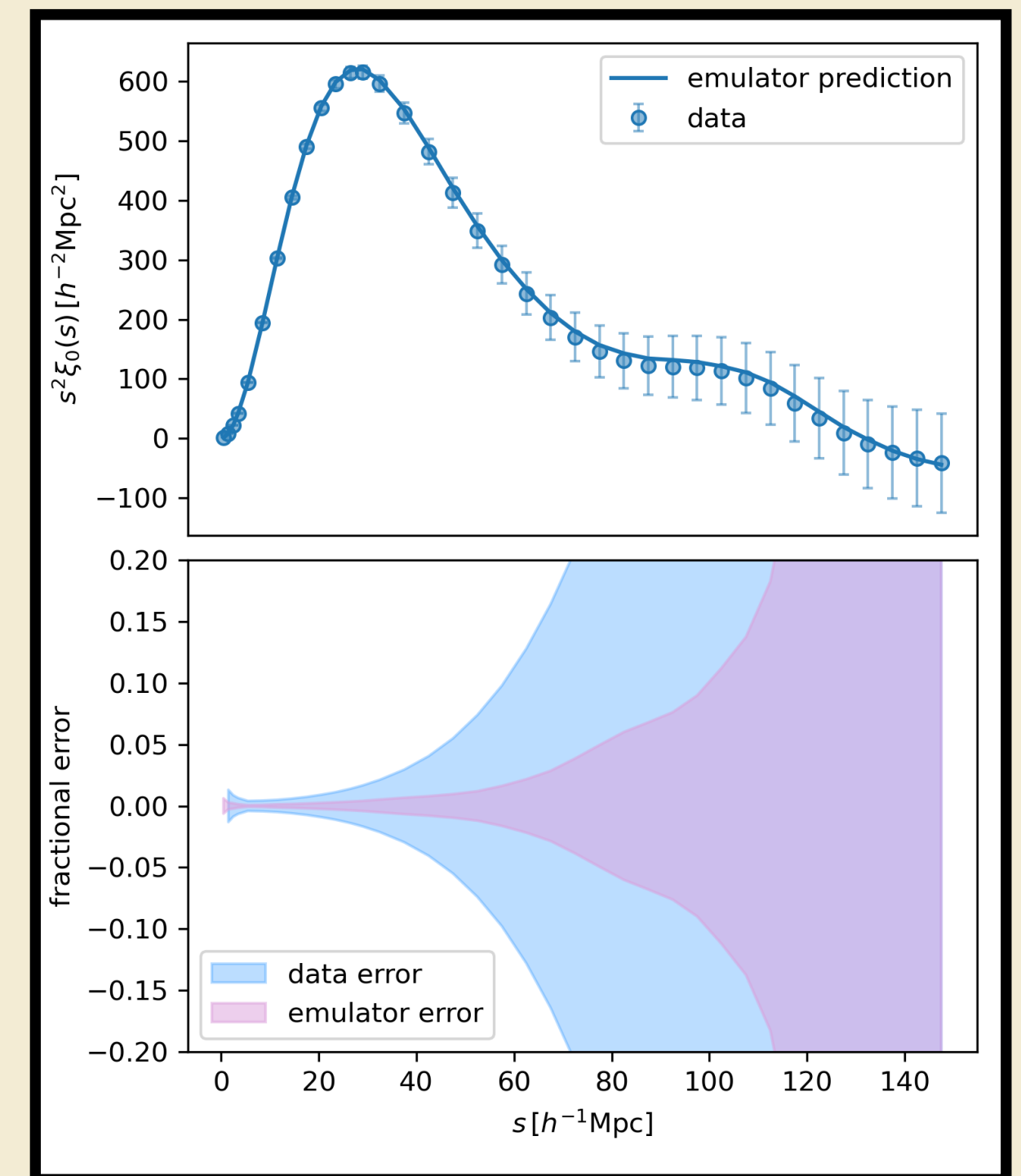
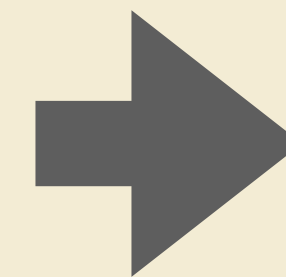
Size: 20 Mpc/h

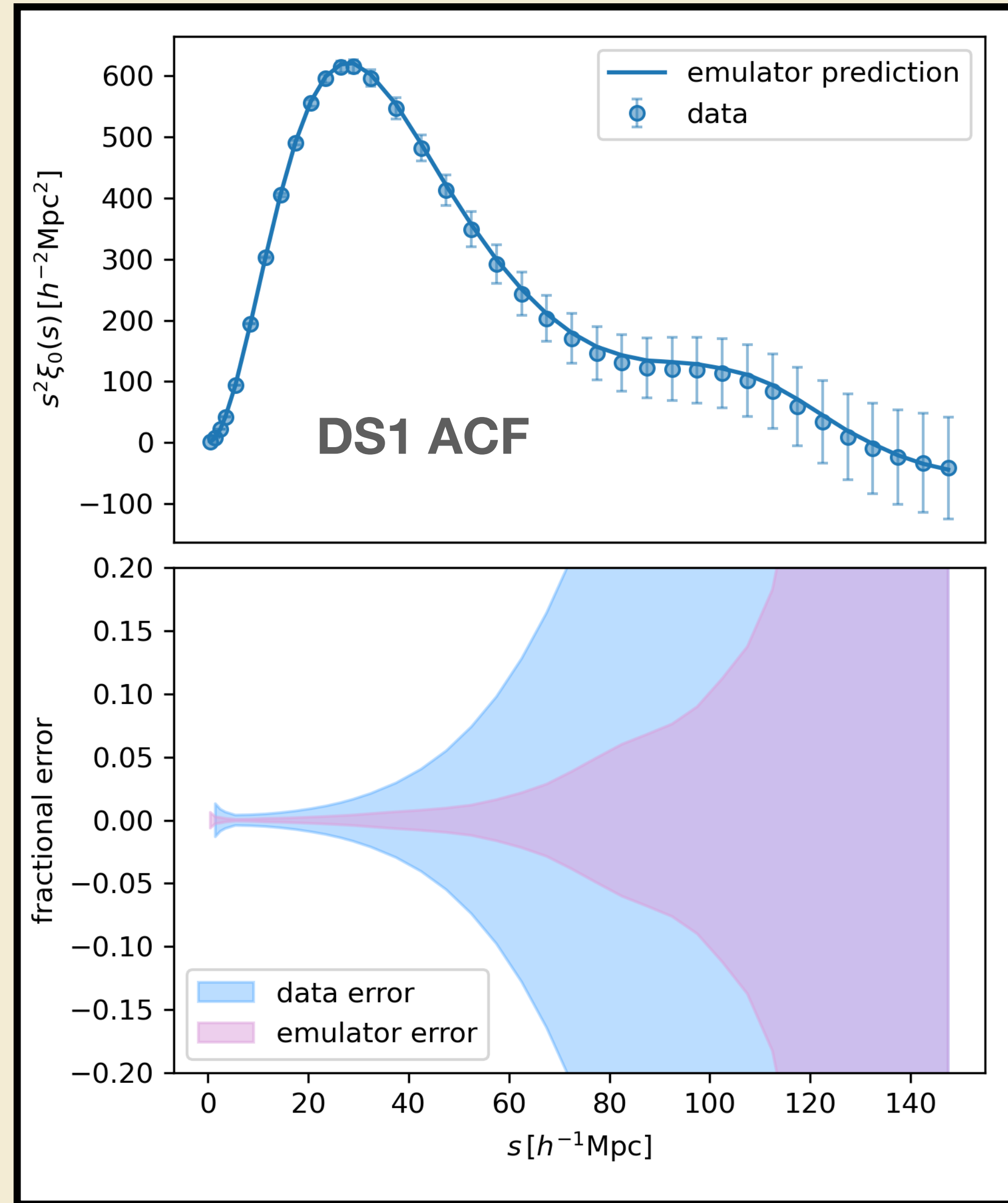
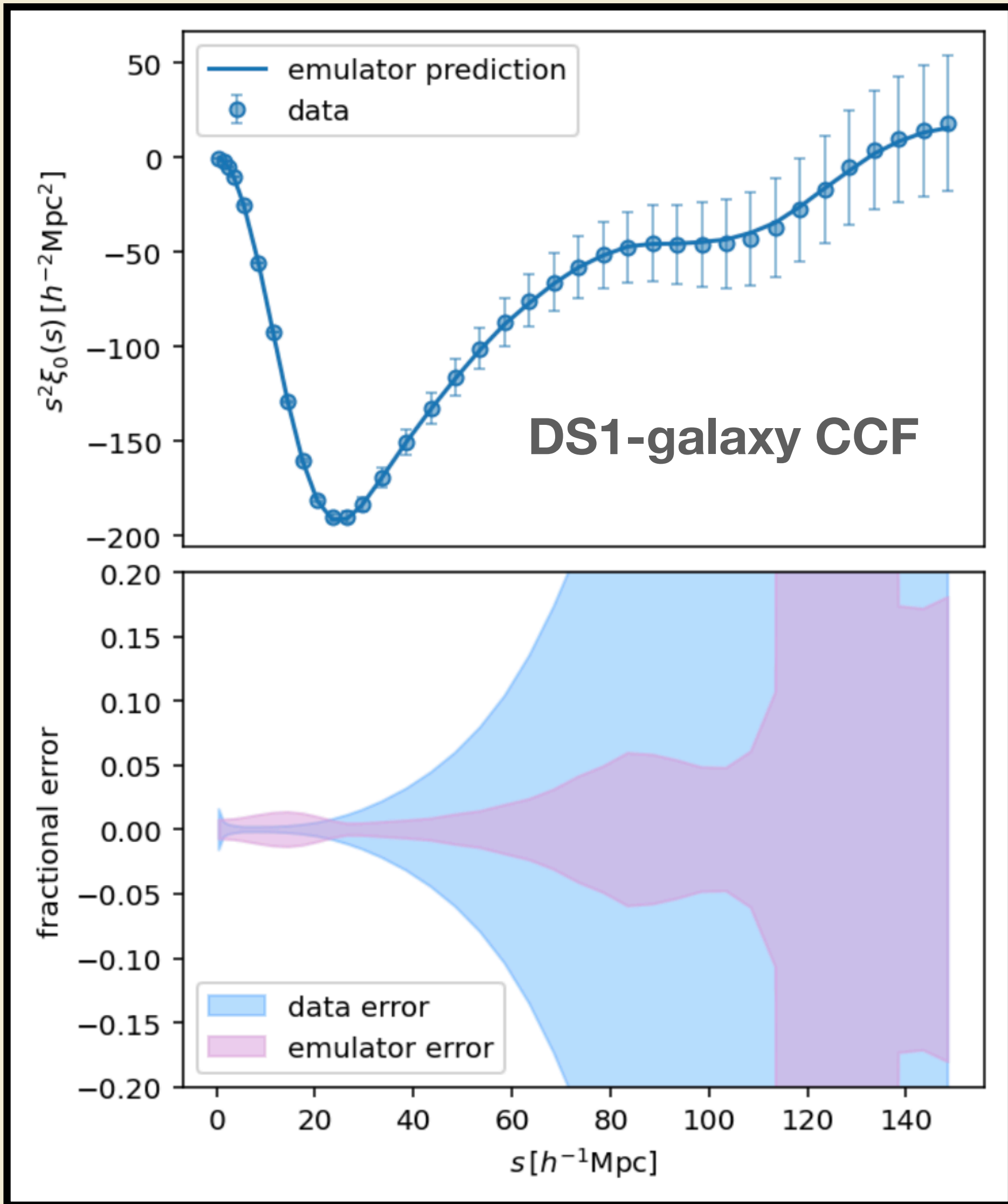
The training data for the neural network: monopole and quadrupole moments of the density-split auto/cross correlation functions (80,000 samples each)

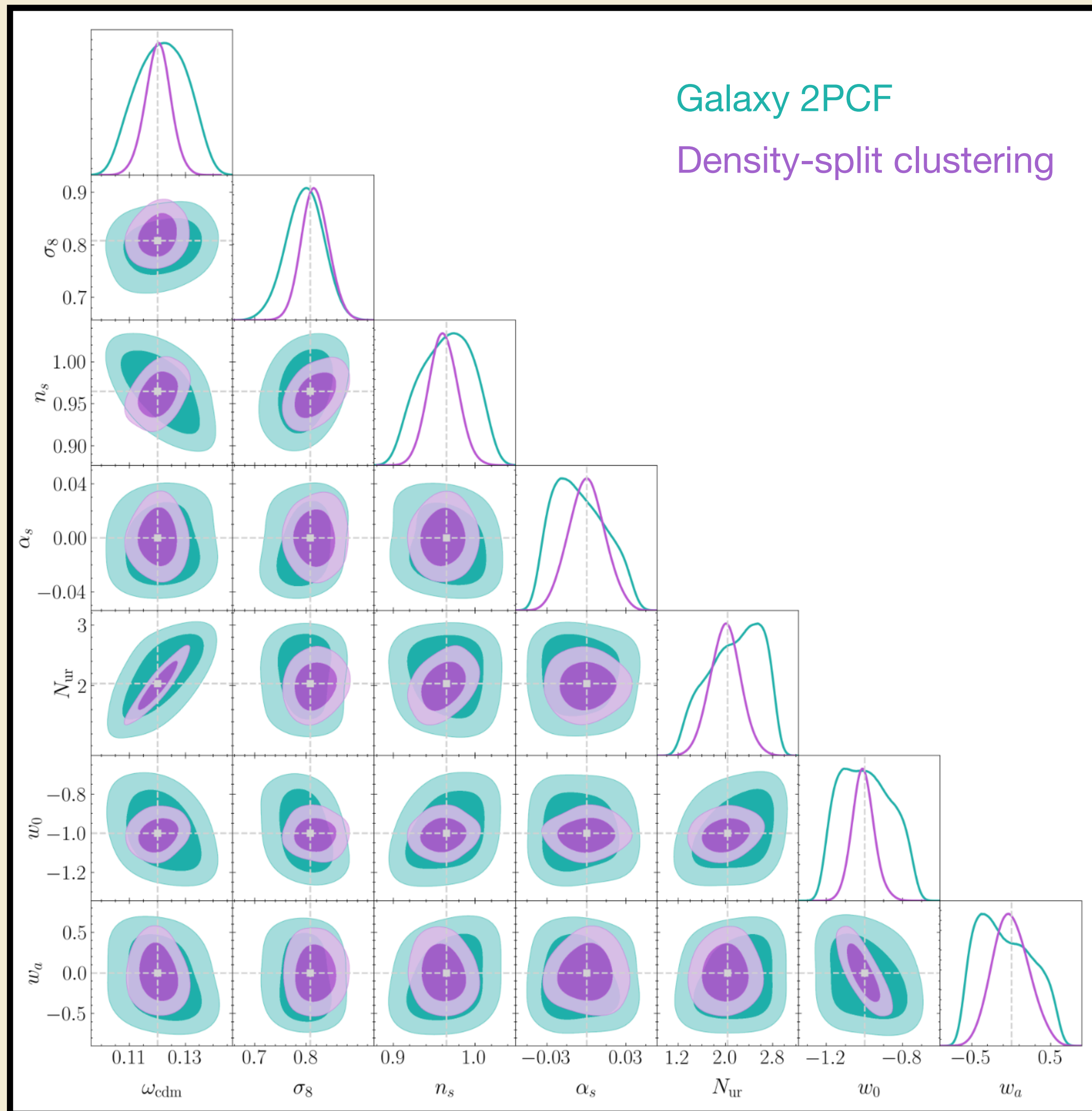




$$\mathcal{L} = \frac{1}{N} \sum_{i=0}^N |y_{\text{true}}^i - y_{\text{predicted}}^i|,$$

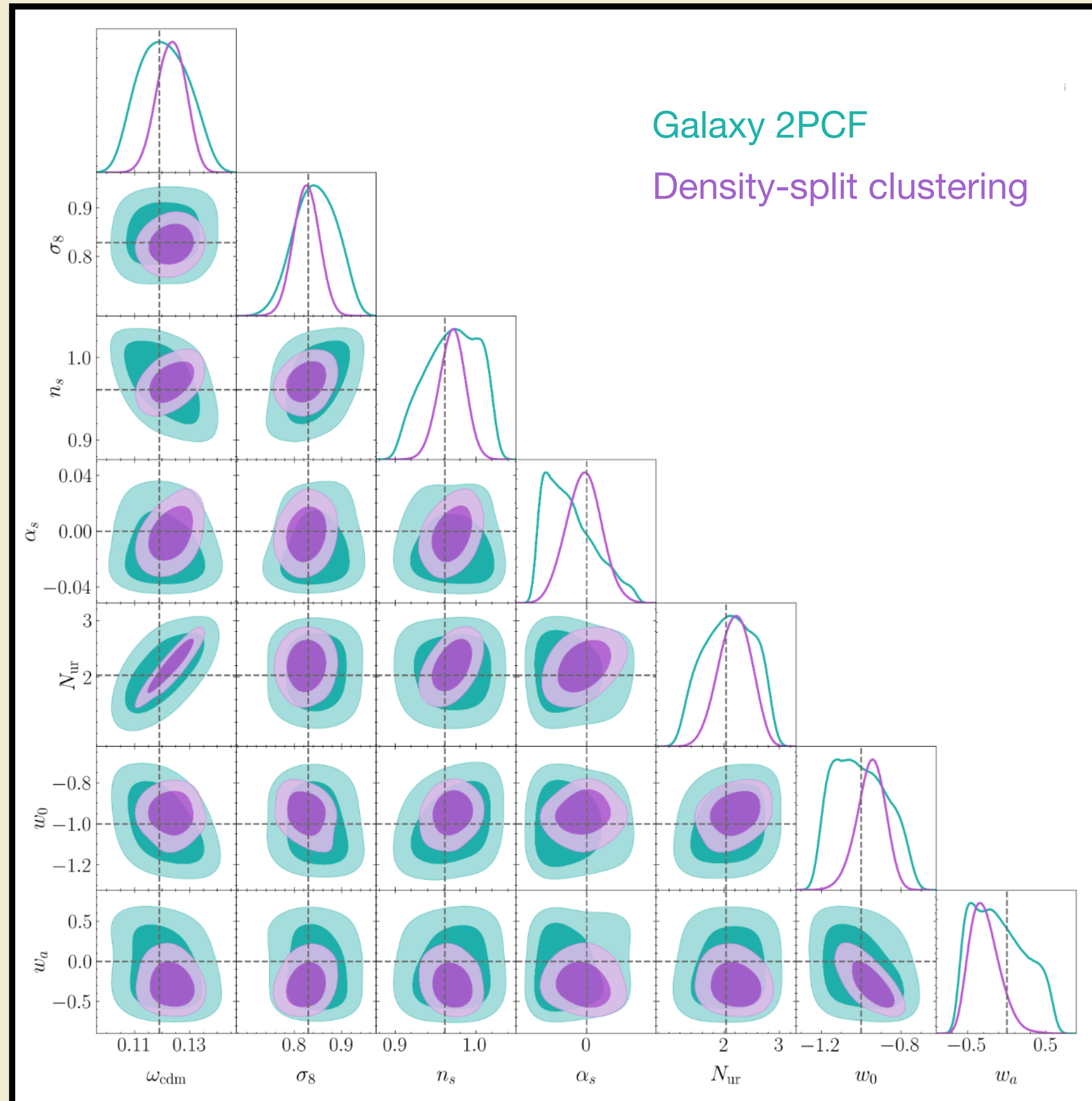






Recovery tests on AbacusSummit

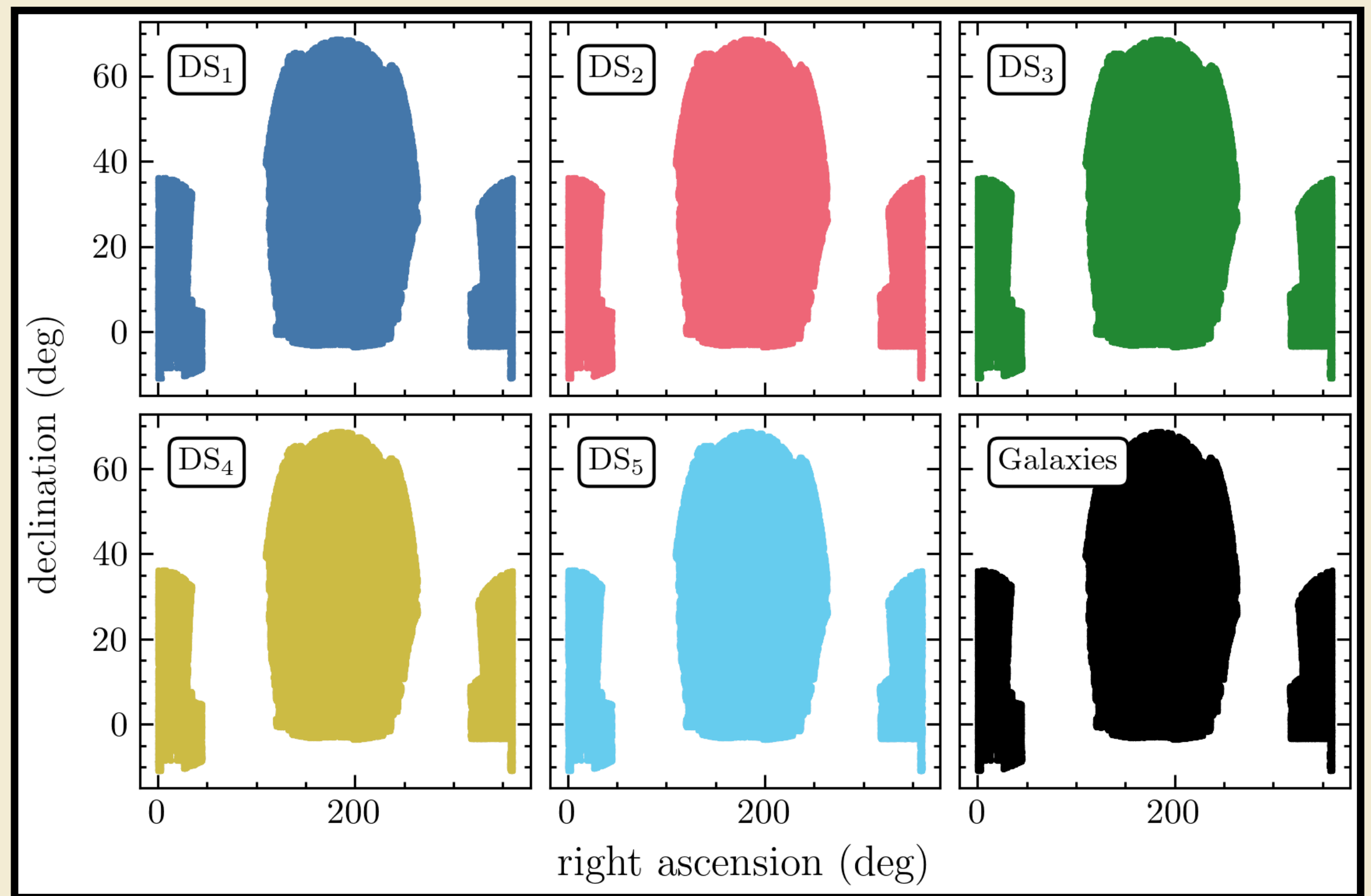
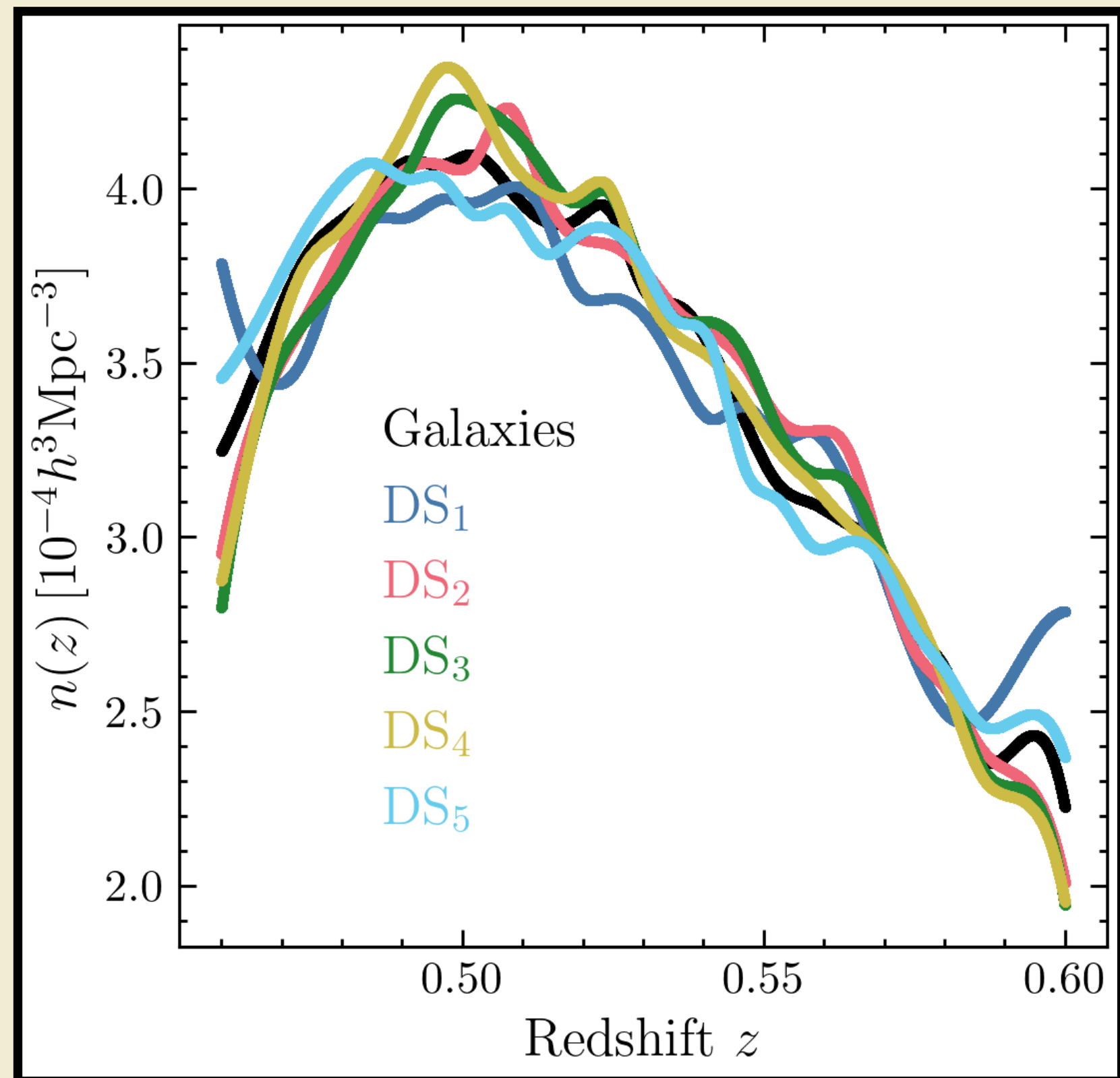
Constraints on cosmological parameters, after marginalizing over galaxy-halo connection parameters, for CMASS-like error bars.



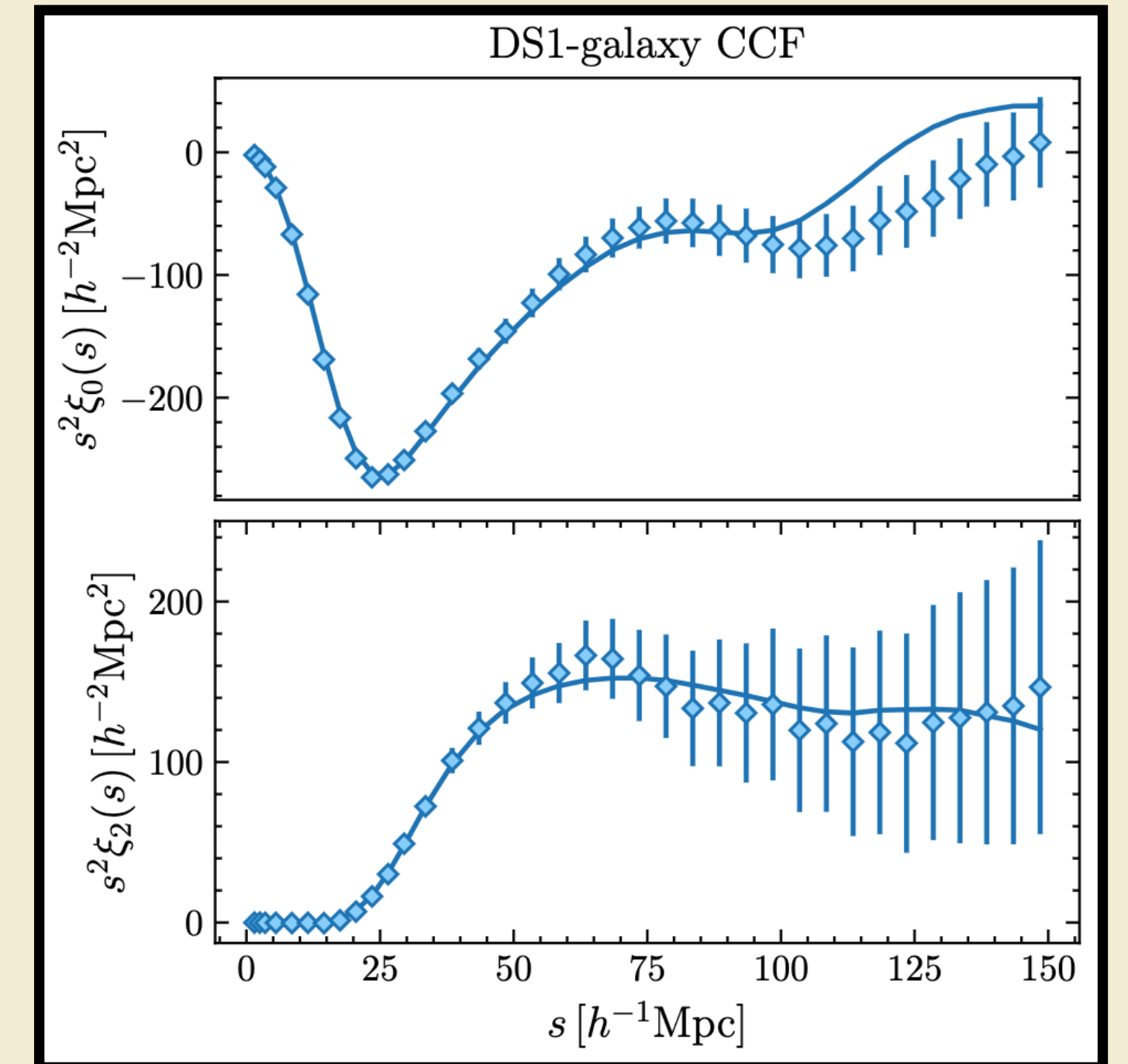
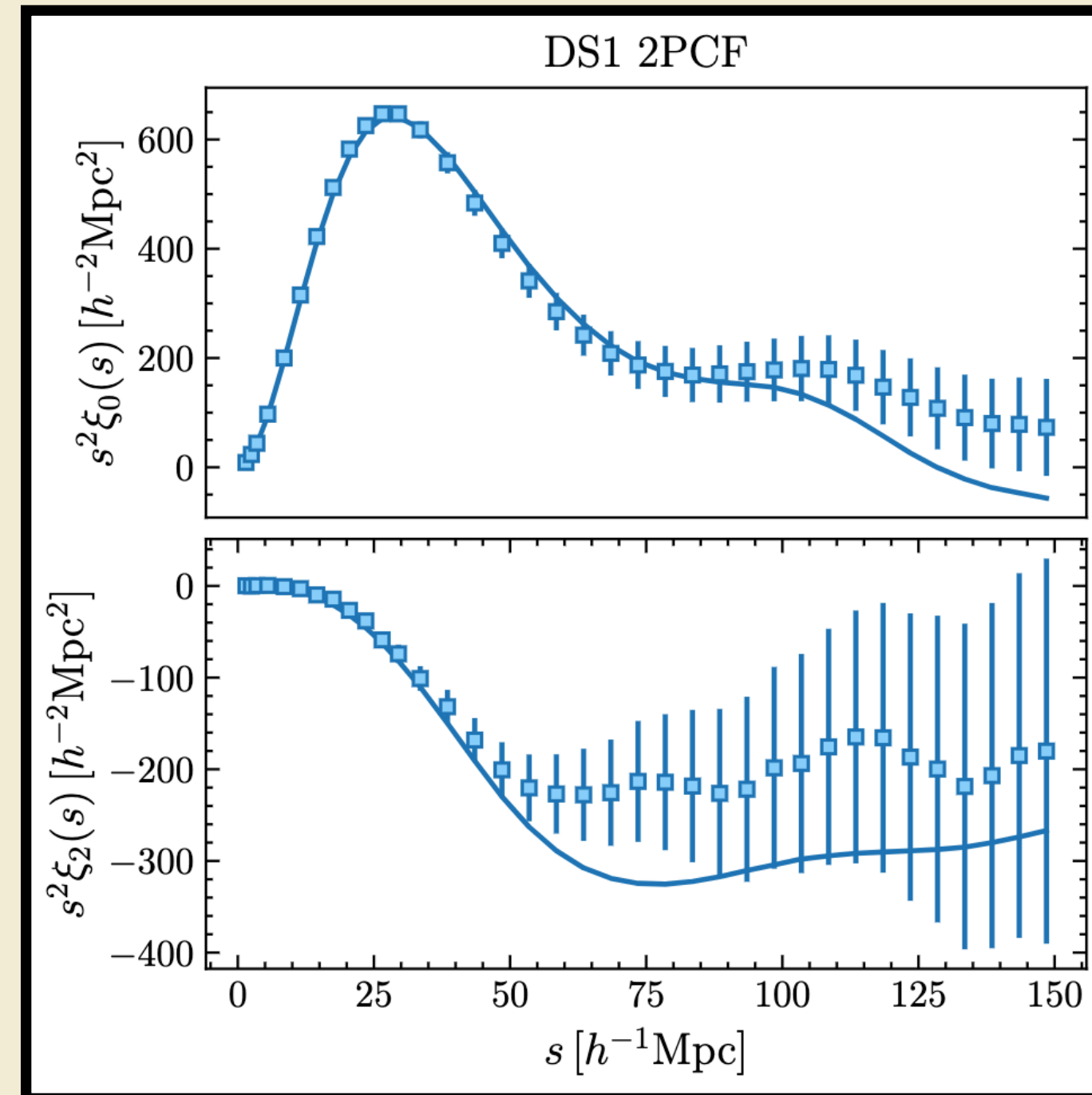
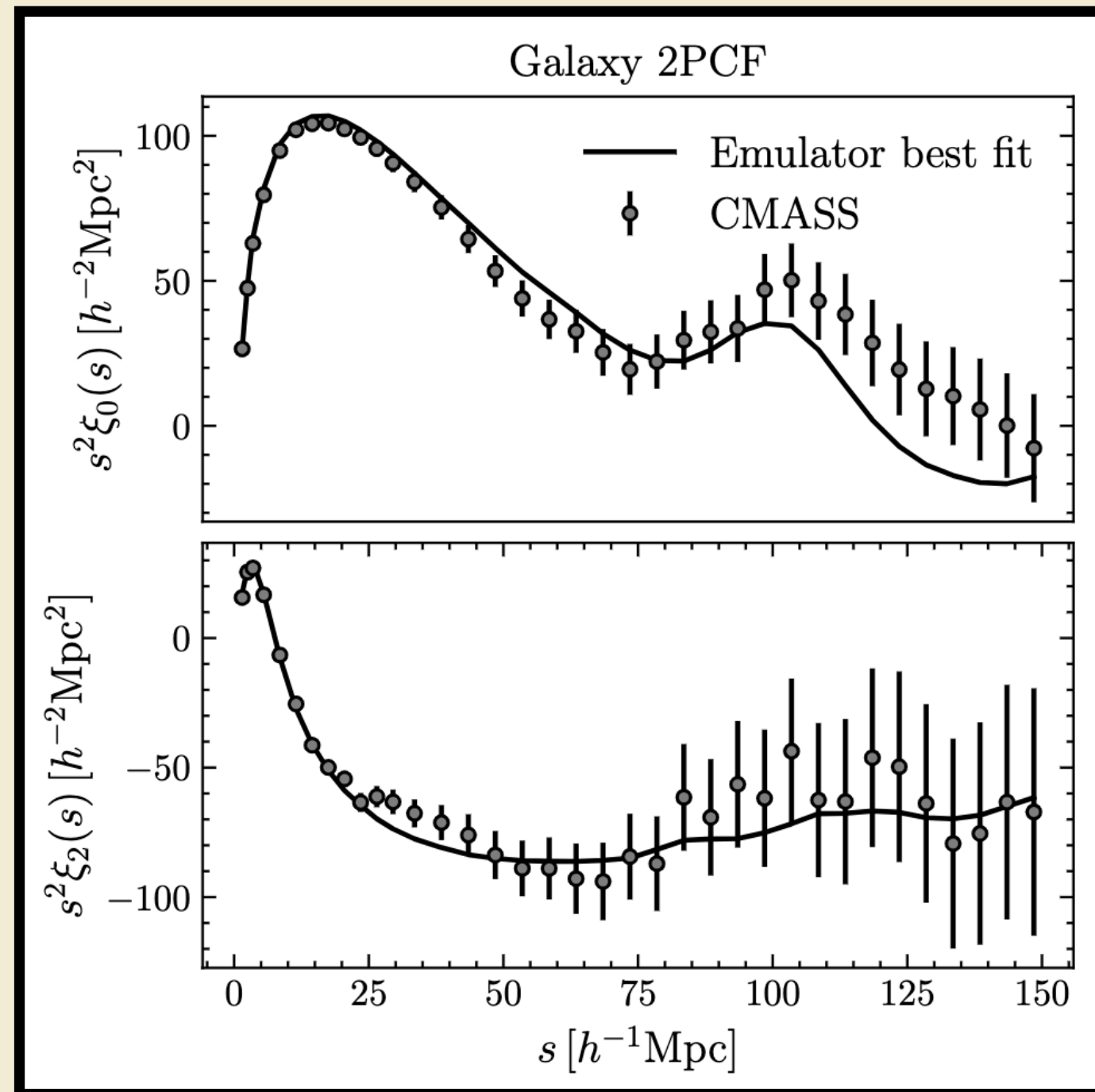
Recovery tests on Uchuu

- Constraints on **Uchuu simulations** ran with Gadget and using a **SHAM galaxy-halo connection** model instead of HOD.
- Our emulator is able to recover **unbiased constraints** on a different set of simulations than its training data, using a different galaxy-halo connection model.

Application to BOSS CMASS



Application to BOSS CMASS

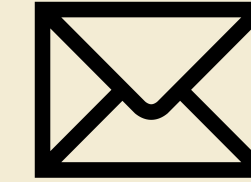


Interesting **excess clustering signal** at large scales from CMASS 2PCF, which has been previously reported in Kitaura et al. (2016), Ross et al. (2017). Also present in density-split multipoles.

Summary and conclusions



github.com/epaillas



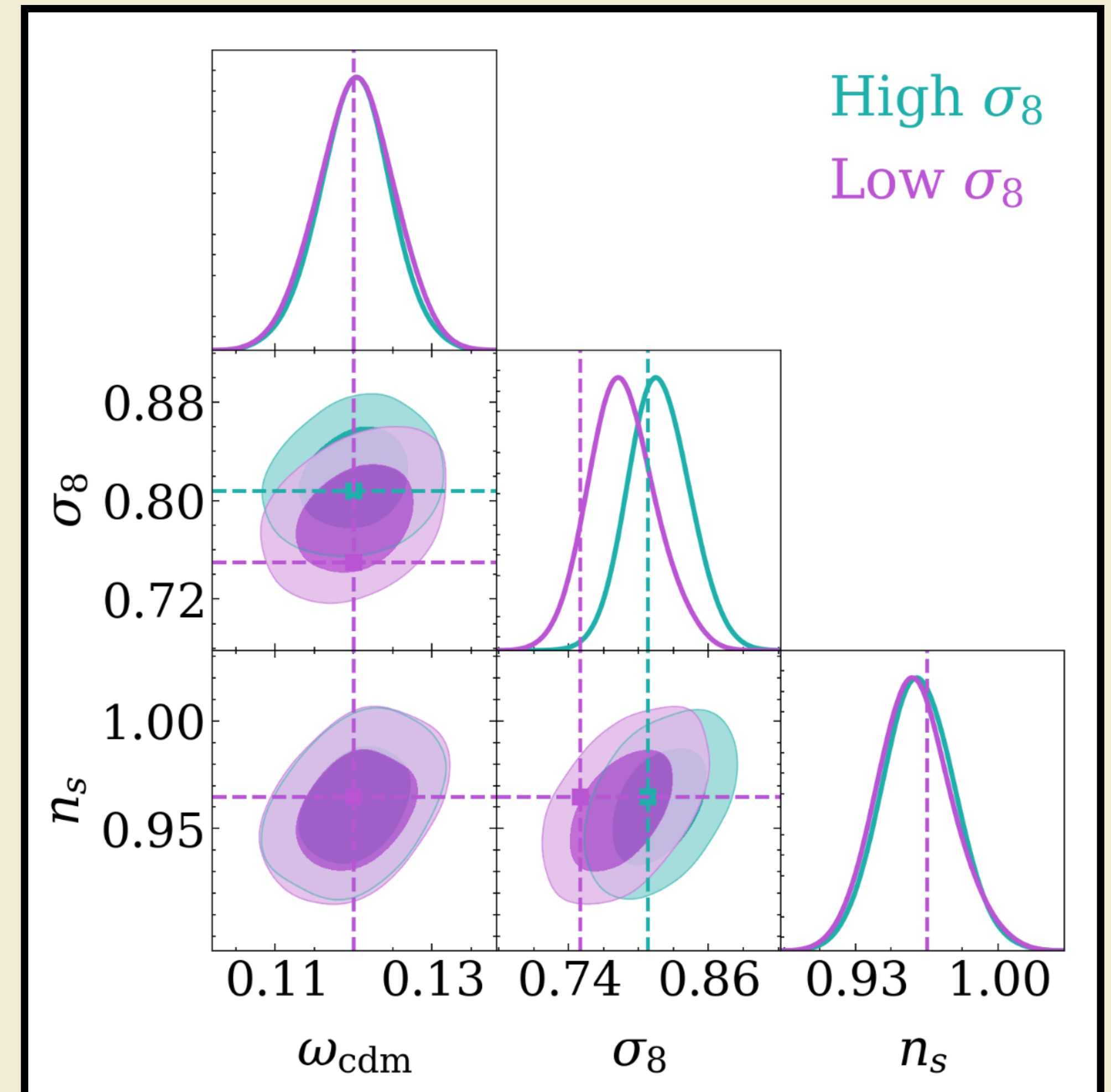
enrique.paillas@uwaterloo.ca

- Higher-order clustering statistics are crucial for extracting all cosmological information that is available from **non-Gaussian density fields**.
- Apart from polyspectra, several **novel clustering techniques** are now being applied in galaxy surveys, including the marked power spectrum, wavelet-based methods, nearest-neighbour distributions and counts-in-cells.
- **Density-split clustering** allows extraction of cosmological information from different density environments, including voids and clusters.
- We have constructed an **emulator for density-split statistics** that is currently being applied to BOSS, reaching percent-level accuracy down to very small scales.

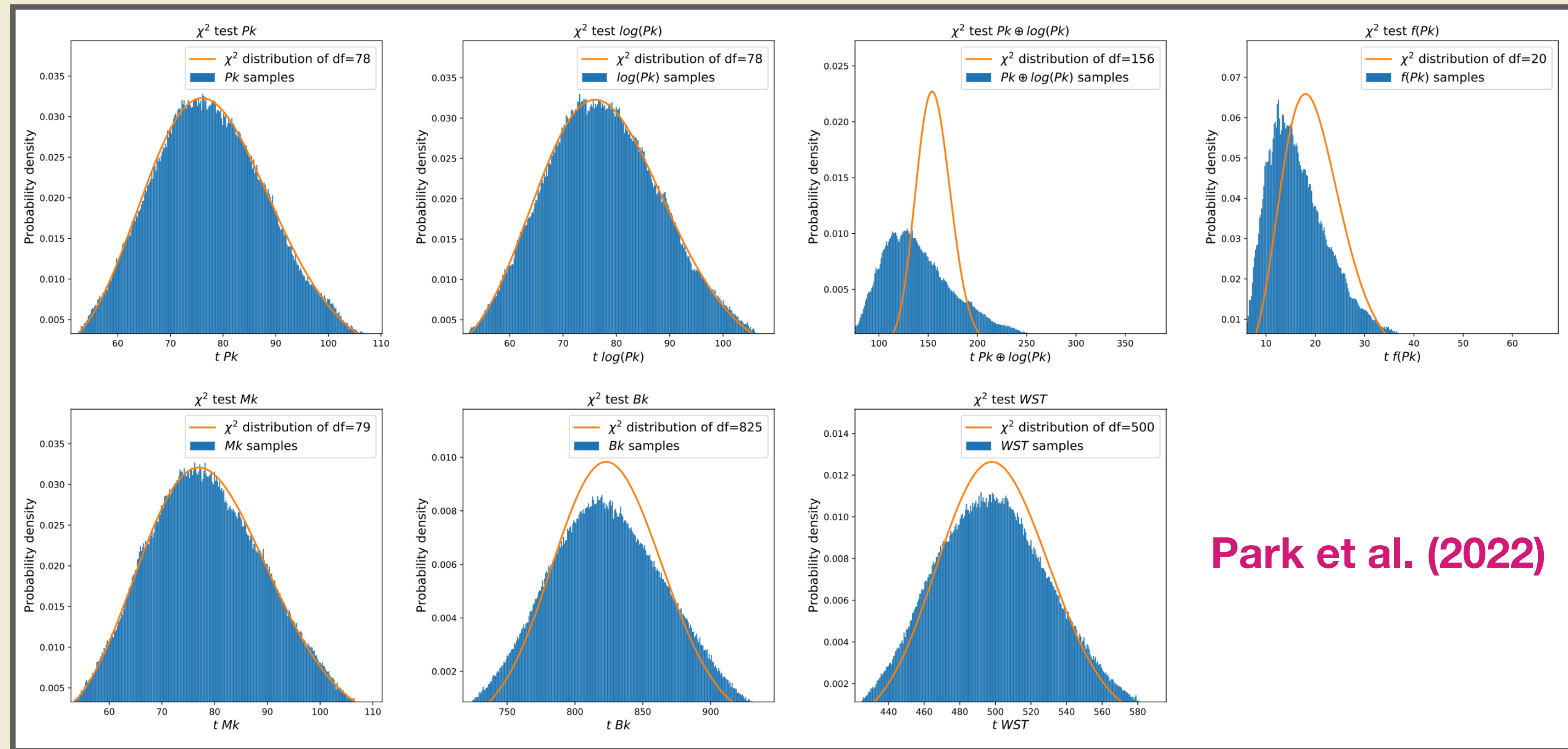
Backup slides

Recovery tests on AbacusSummit

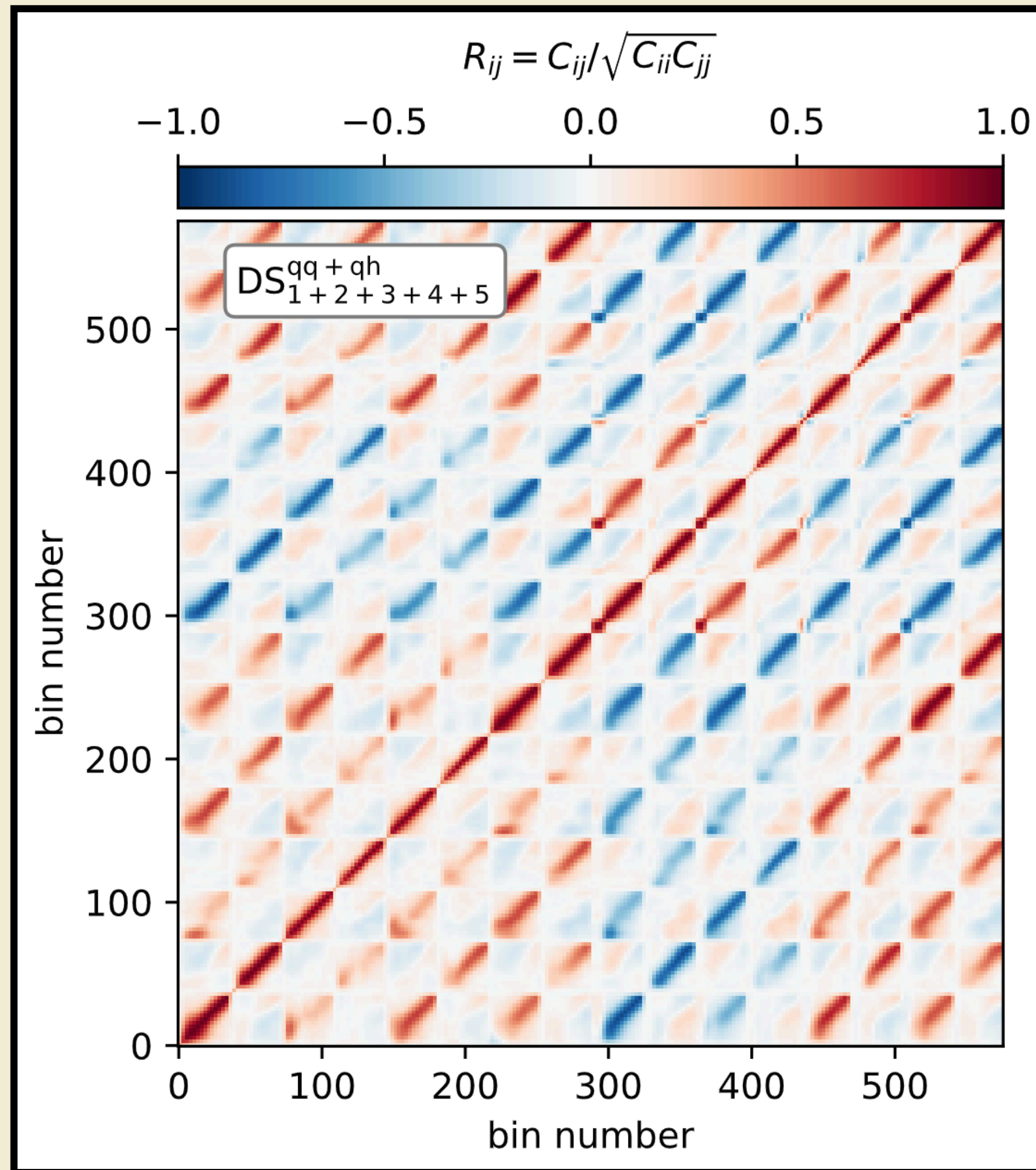
We can successfully recover cosmological parameters on simulations with σ_8 values that are lower and higher than Planck18.



Is the assumption of a **Gaussian likelihood** suitable for all statistics?



Covariance matrix



Covariance matrix of combined density-split multipoles, measured from 2048 realizations of the MD-Pachy mocks

PDF of peculiar velocities around density splits

