

kSZ velocity reconstruction:

Current measurements with ACT DR6 and near-future measurements with Simons Observatory

Fiona McCarthy

arXiv:2511.15701; 2410.06229 (JCAP 2025); work in prep

*with **ACT collaboration**, incl./+ Anton Baleato Licanzos, Anthony Challinor, Carmen Embil Villagra, Simone Ferraro, Boryana Hadzhiyska, Matthew Johnson, Guanming Liang, Blake Sherwin, ++*

Overview

Introduction

ΛCDM; Open questions; inflation; primordial non-Gaussianity

The kSZ effect

kSZ velocity reconstruction

Background; first measurements; C_L^{vv} ; CMB datasets

Analysis with ACT+DESILS

Results from McCarthy et al 2025 a+b; Other progress in the field;
Foregrounds

Forecasts for Simons Observatory(+LSST)

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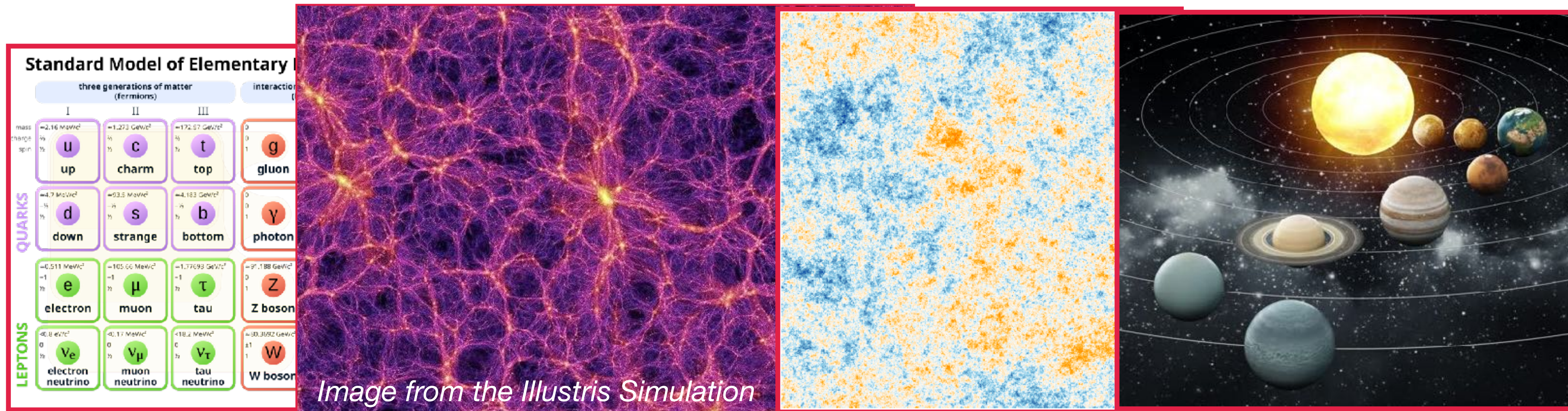
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The standard cosmological model: Λ CDM

- Framework: Standard Model + Cold Dark Matter (CDM) + cosmological constant Λ + initial conditions for perturbations + gravity



Standard Model

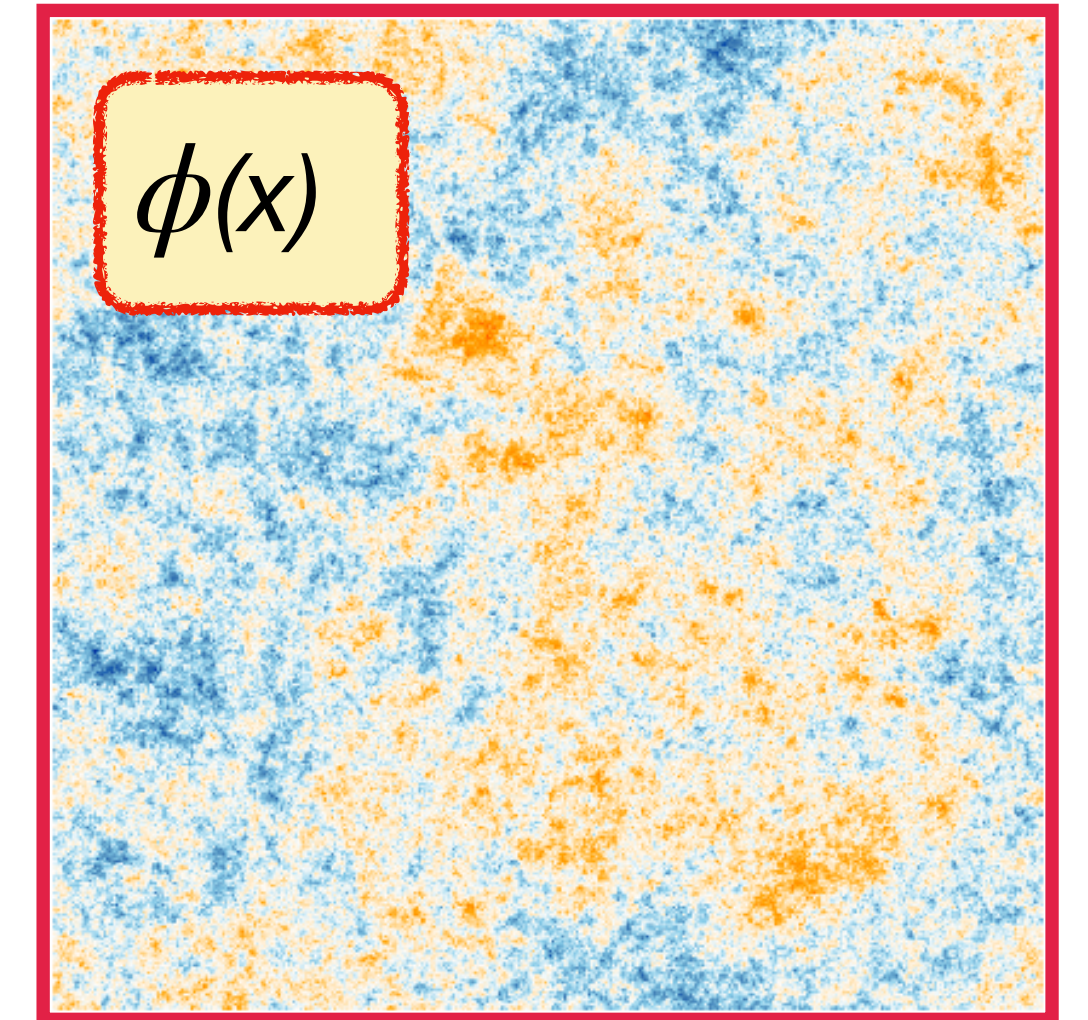
The dark sector:
CDM + Λ

Initial fluctuations

Gravity

Open questions: inflation

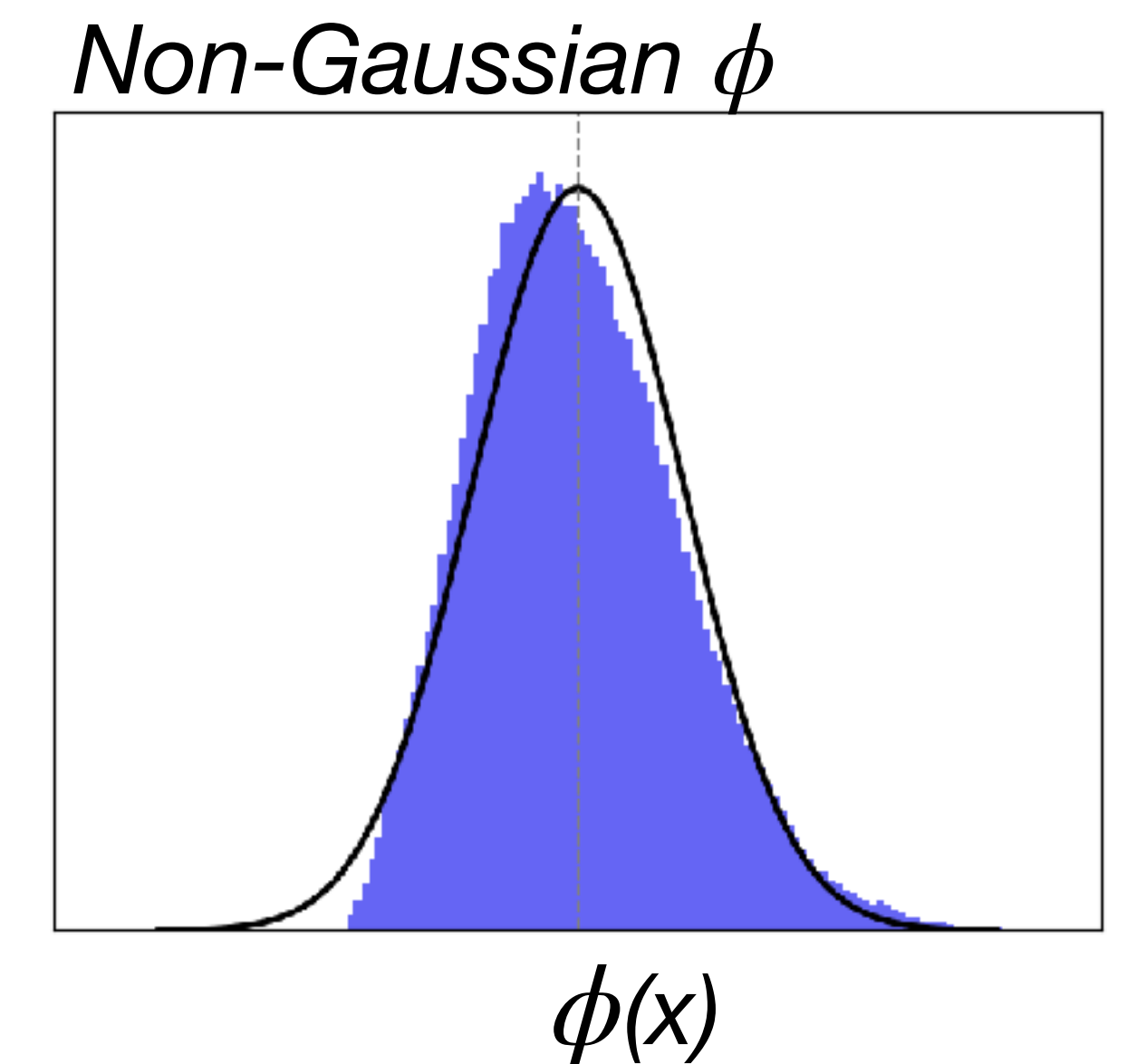
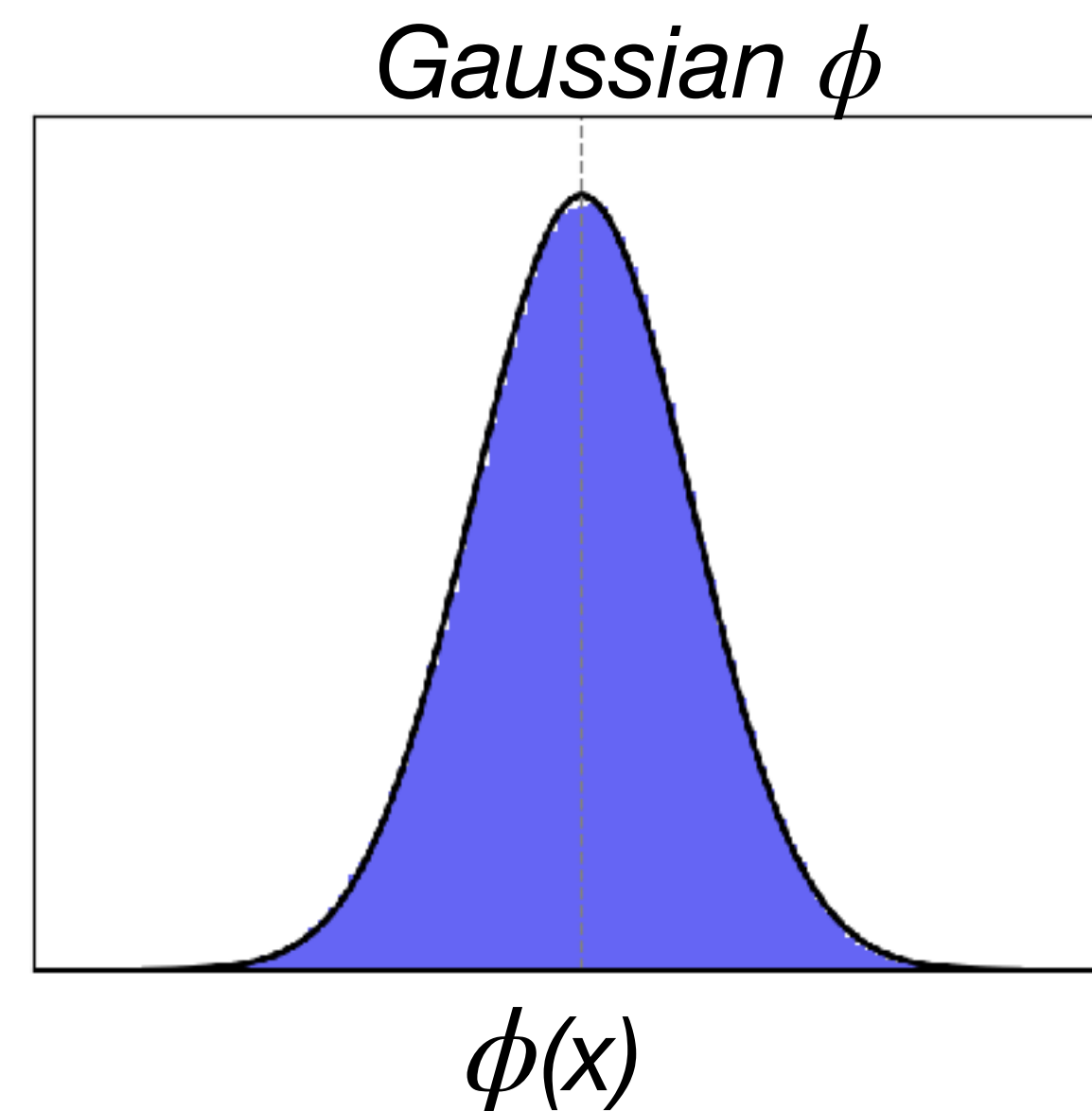
- What caused the initial fluctuations?
 - *What sourced inflation?*
- Probe with **non-Gaussianity** of initial conditions
- **Local** non-Gaussianity



$$\phi = \phi_G + f_{NL}^{\text{loc}} \phi_G^2$$

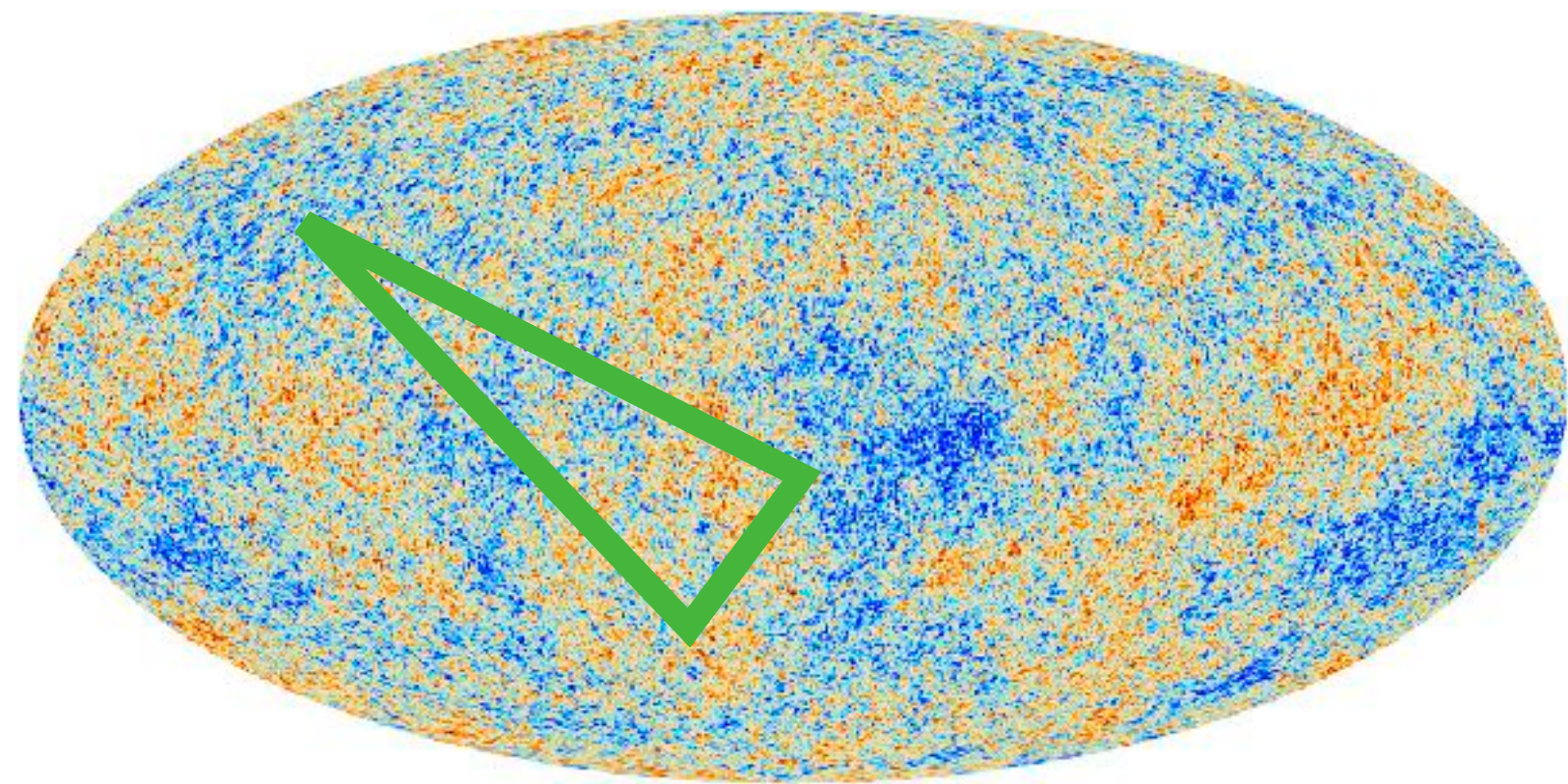
$f_{NL} \sim 0$: *single field inflation*

$f_{NL} \sim \mathcal{O}(1)$: *multi field inflation*

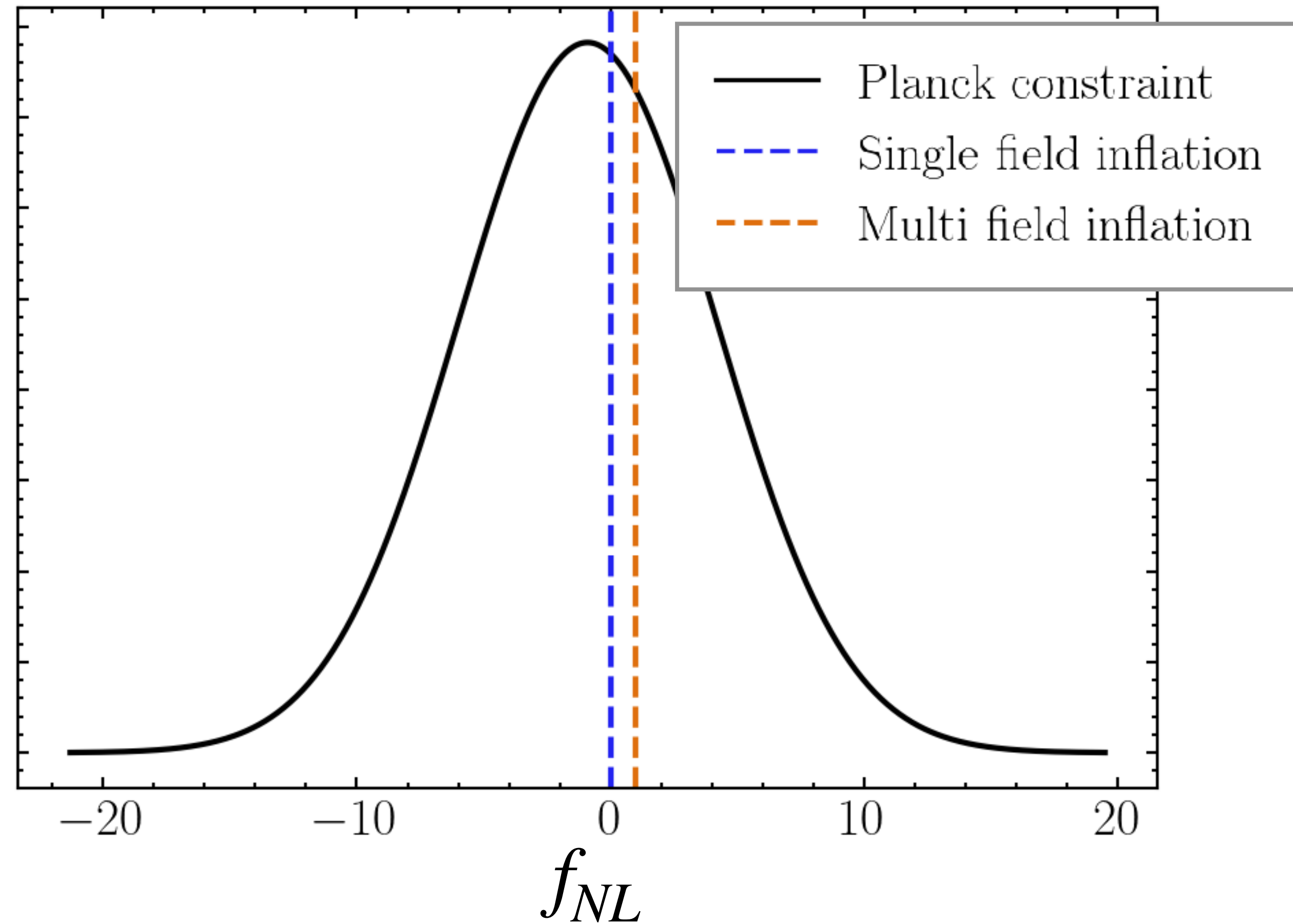


Current constraints

- Current constraints: $f_{NL} = -0.9 \pm 5.1$
(from *Planck* CMB bispectrum)



- There are **not enough modes** in the CMB to get to $\sigma(f_{NL}) < 1$



$f_{NL} \sim 0$: *single field inflation*

$f_{NL} \sim \mathcal{O}(1)$: *multi field inflation*

f_{NL} and galaxy clustering

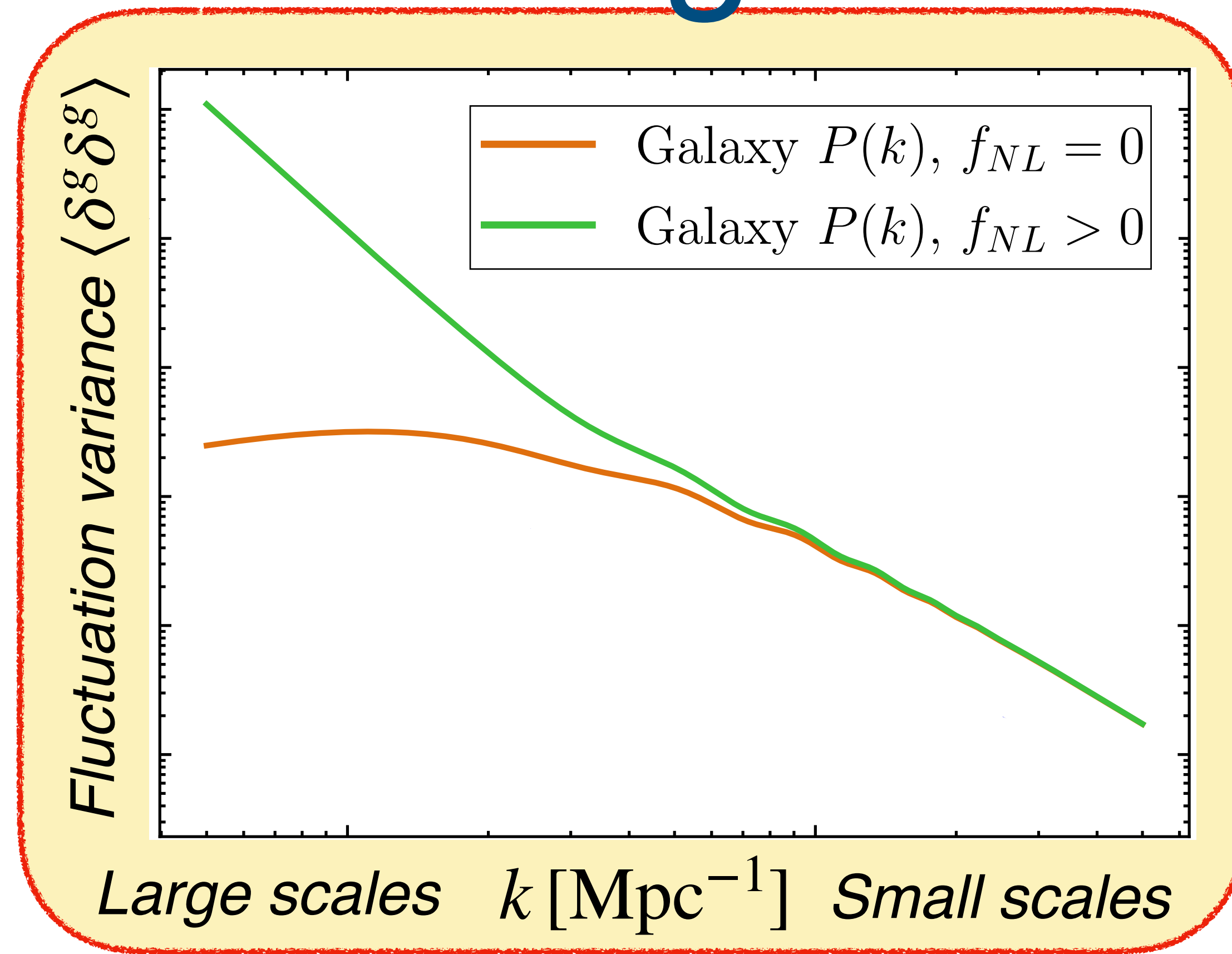
- The best way to constrain f_{NL} is the **large-scale galaxy distribution**

$$\langle \delta^g(k) \delta^g(k) \rangle \equiv P_{gg}(k) = b^2 P_{mm}(k)$$

- In presence of non-zero f_{NL} , **galaxies cluster differently on large scales** (Dalal et al 2007)

$$P_{gg}(k) \sim \left(b \left(1 + \frac{f_{NL}}{k^2} \right) \right)^2 P_{mm}(k)$$

- Large-scale galaxy surveys are attempting to reach $\sigma(f_{NL}^{\text{loc}}) < 1$
- Tightest constraints from DESI: $f_{NL} = -3.6_{-9.1}^{+9.0}$, Chaussidon et al 2025



Large-scale challenges

- Galaxy clustering is sensitive to f_{NL} on large scales

$$b^{NG} \sim b^G \left(1 + \frac{f_{NL}}{k^2}\right)$$

(Dalal et al 2008)

- Clustering is hard to measure on large scales for (at least) two reasons: **cosmic variance** and **additive systematics**.

- Cosmic variance:

$$\sigma(P_{gg}(k)) \propto \frac{P_{gg}(k)}{k} + \frac{1}{k\bar{n}}$$

- Systematics:

$$\hat{P}_{gg}(k) = P_{gg}(k) + P_{NN}(k)$$

- kSZ measurement can help with both.

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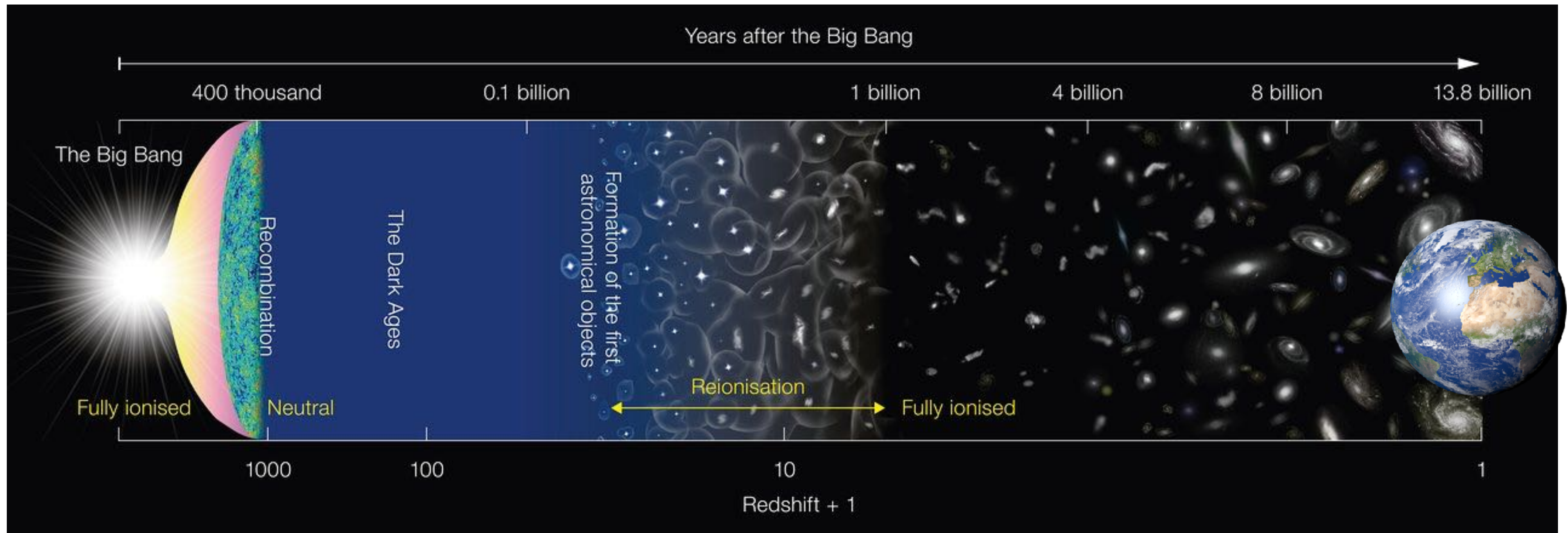
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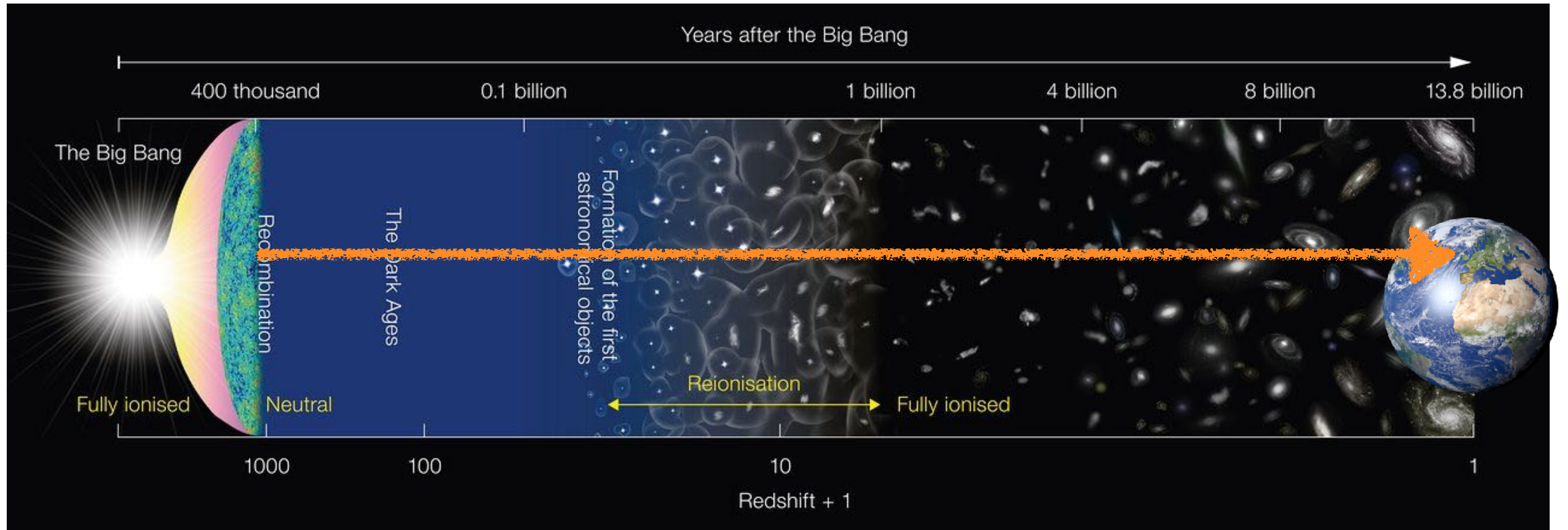
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CMB-electron scattering

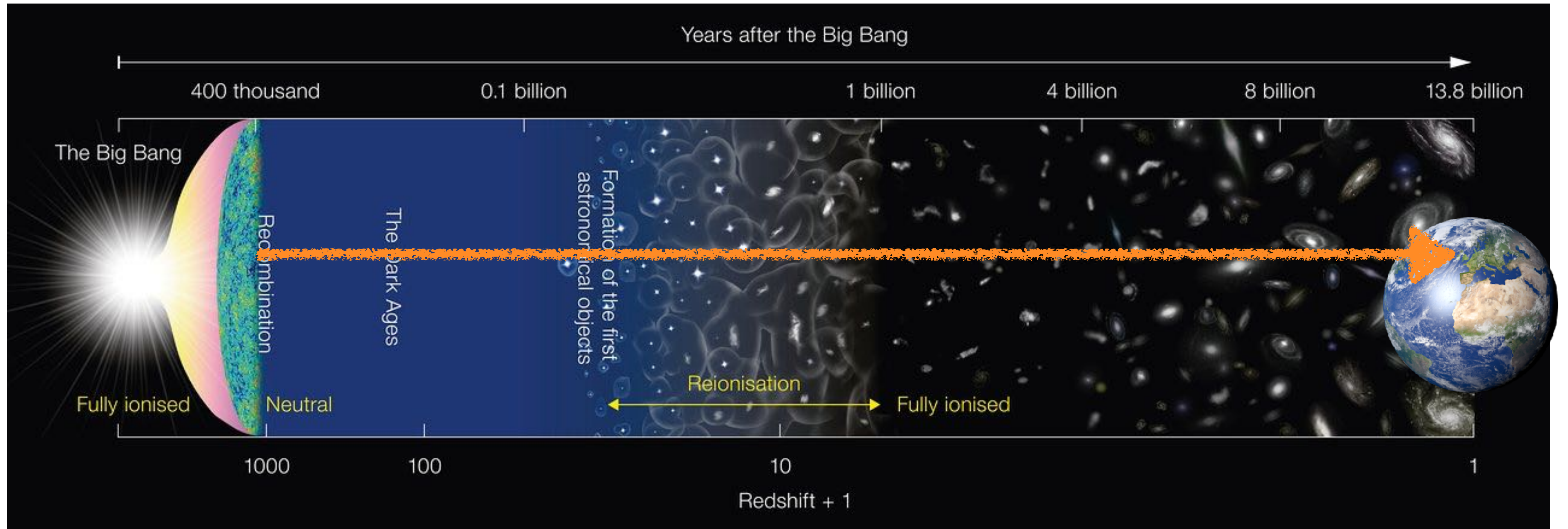


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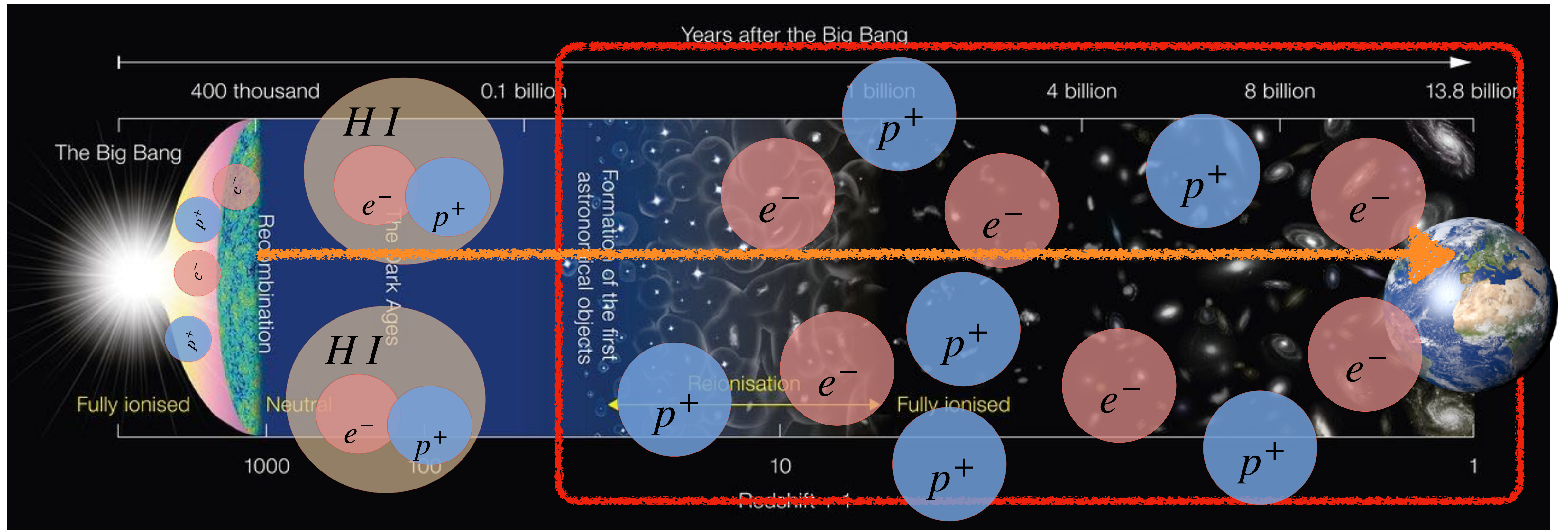
CMB-electron scattering

- At $z \sim 10 - 6$, Hydrogen was ionized



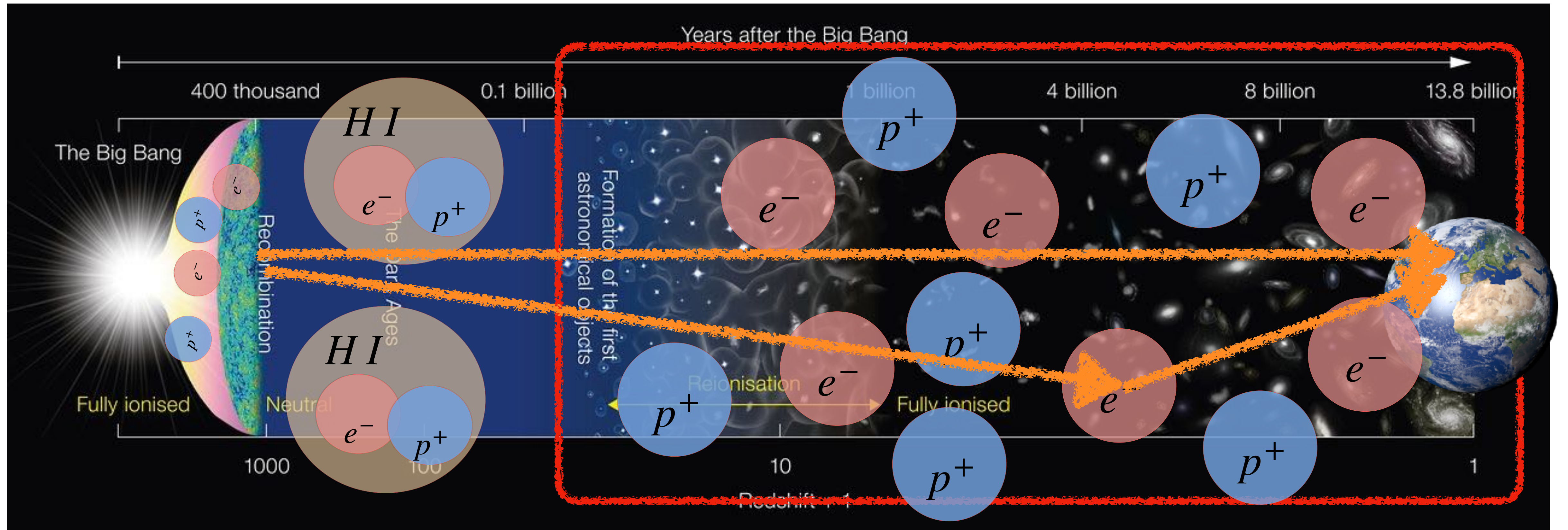
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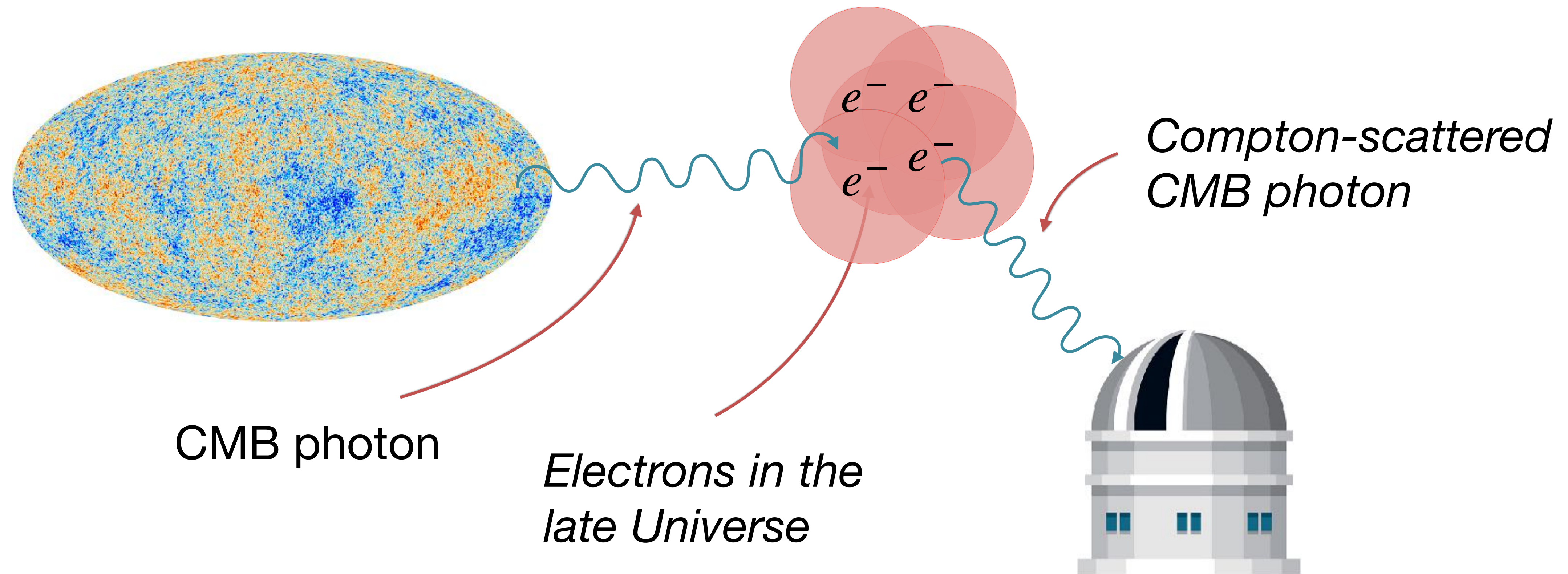
CMB-electron scattering

- At $z \sim 10 - 6$, Hydrogen was ionized
- The CMB photons could scatter again: **Sunyaev–Zel’dovich effect**



The Sunyaev-Zel'dovich (SZ) effect

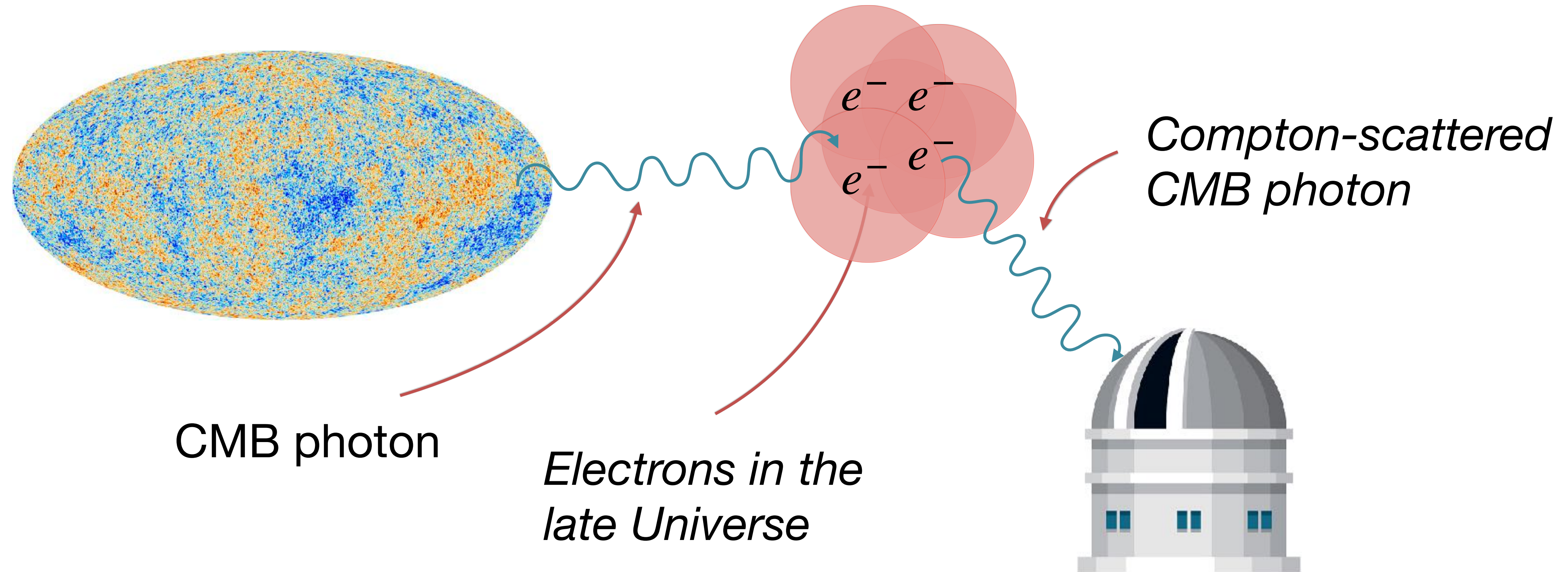
- We can use the CMB light to “see” late-Universe electrons!



- New probes of electron distribution, thermodynamics, and **bulk motion**

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Kinematic SZ (kSZ) effect

- Temperature signal sourced by **velocity** and **electron density**
- New probes of electron distribution, thermodynamics, and **bulk motion**

$$\frac{\Delta T(\hat{n})}{T} = \int d\chi v^{\text{radial}}(\chi, \hat{n}) \frac{\partial \tau}{\partial \chi}(\chi, \hat{n})$$

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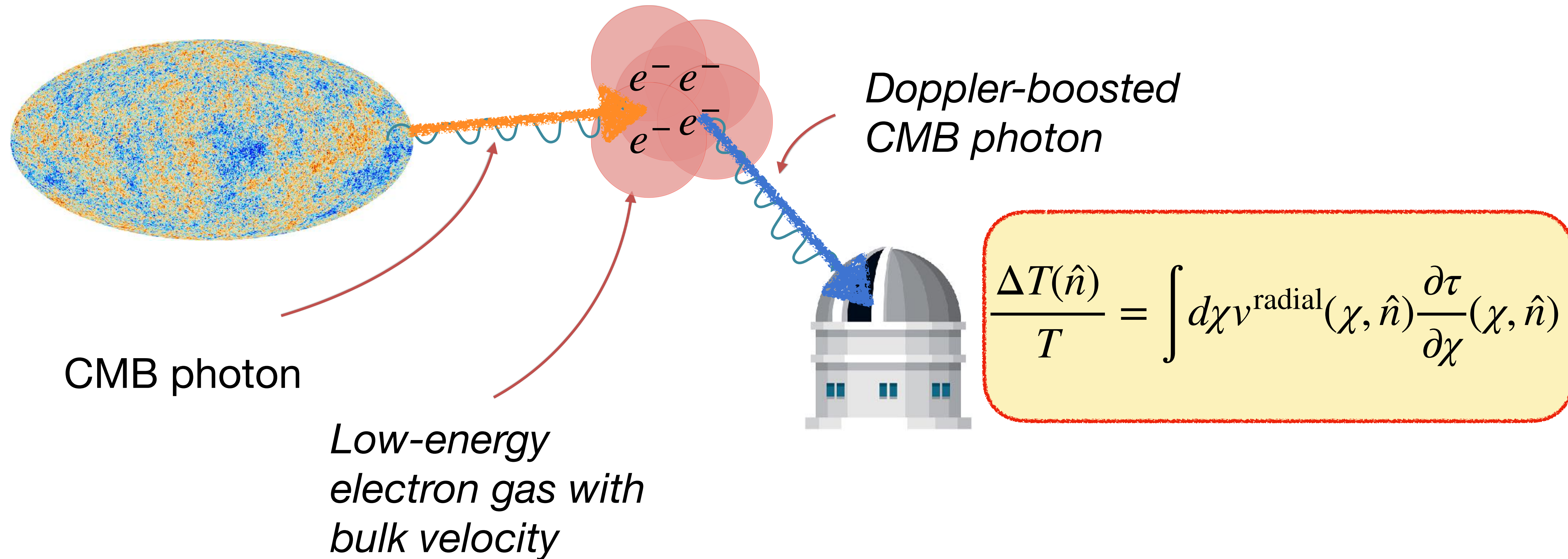
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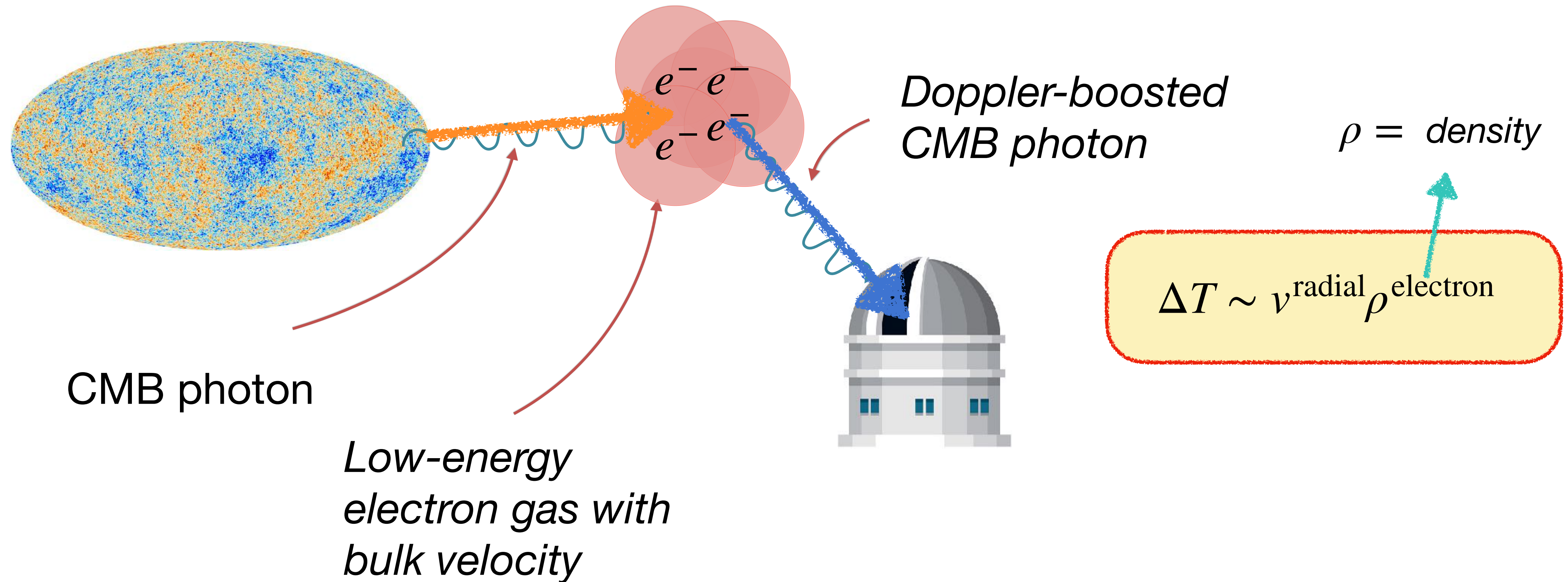
- If we “know” velocity we can probe **small-scale electron distribution** (eg kSZ velocity-weighted stacking)
- If we “know” electron distribution we can probe **large-scale velocity** (eg kSZ tomography)
- Lots of interesting non-Gaussian effects in this signal! Can also probe **reionisation** (see Smith & Ferraro 2017 and Ferraro & Smith 2018)

KSZ and velocity measurements



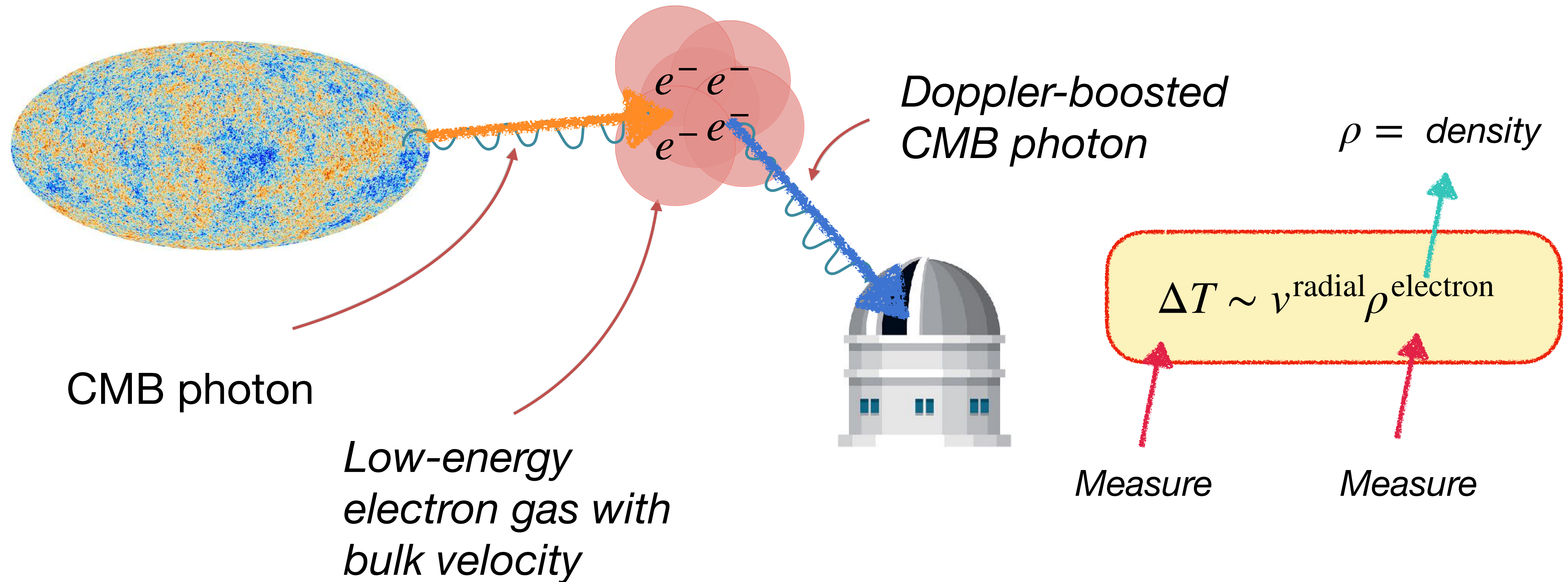
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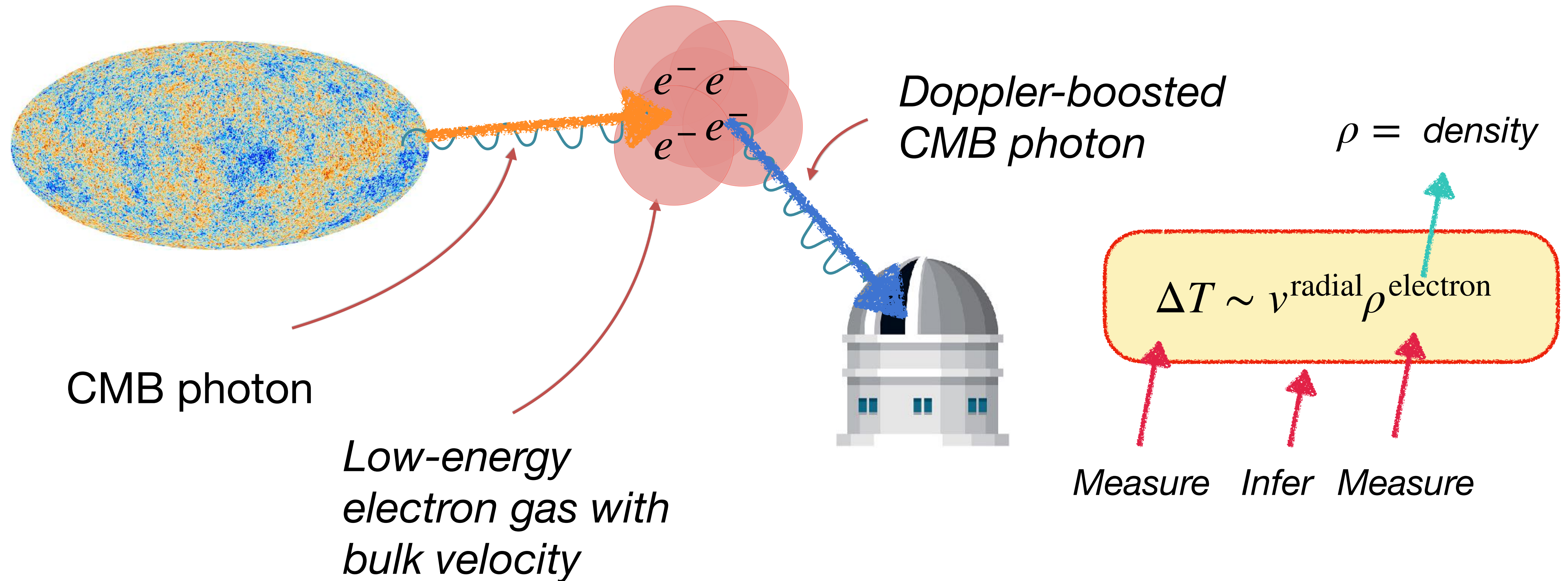
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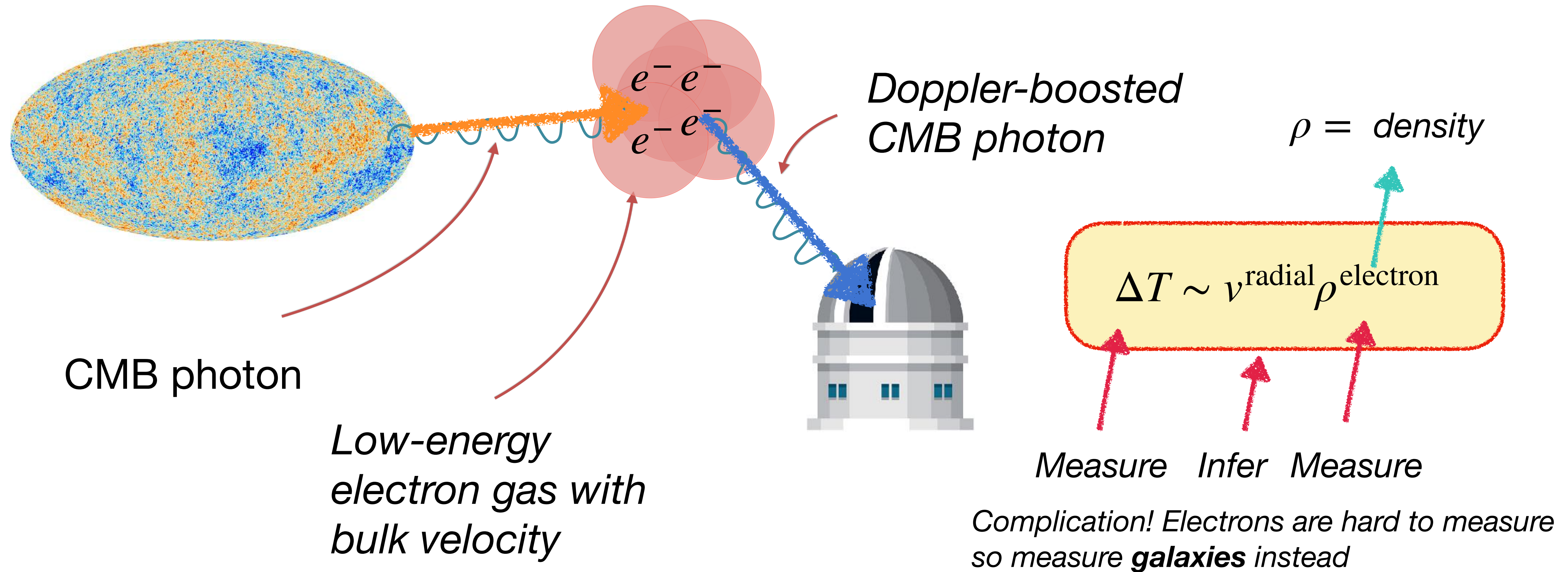
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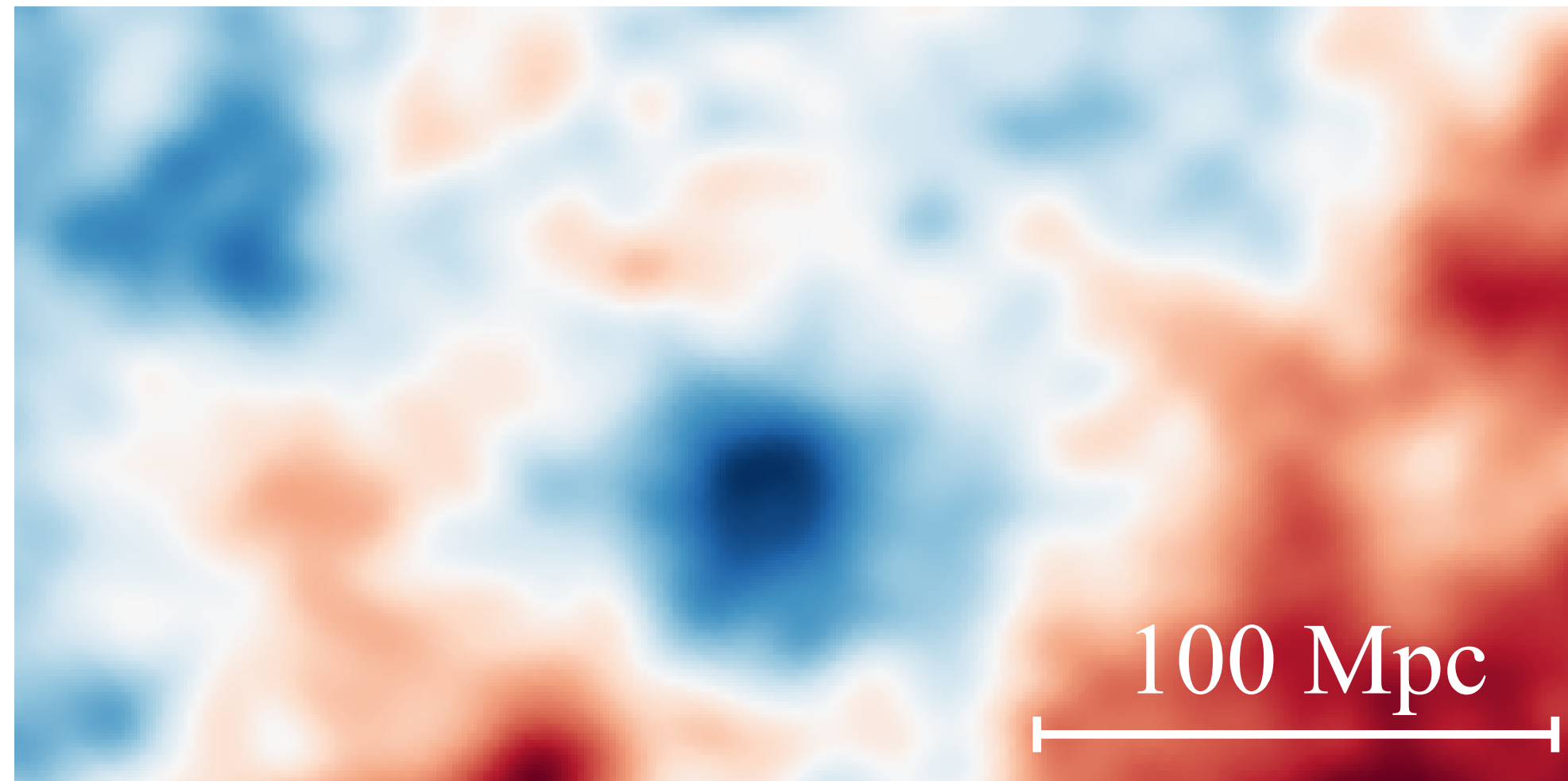
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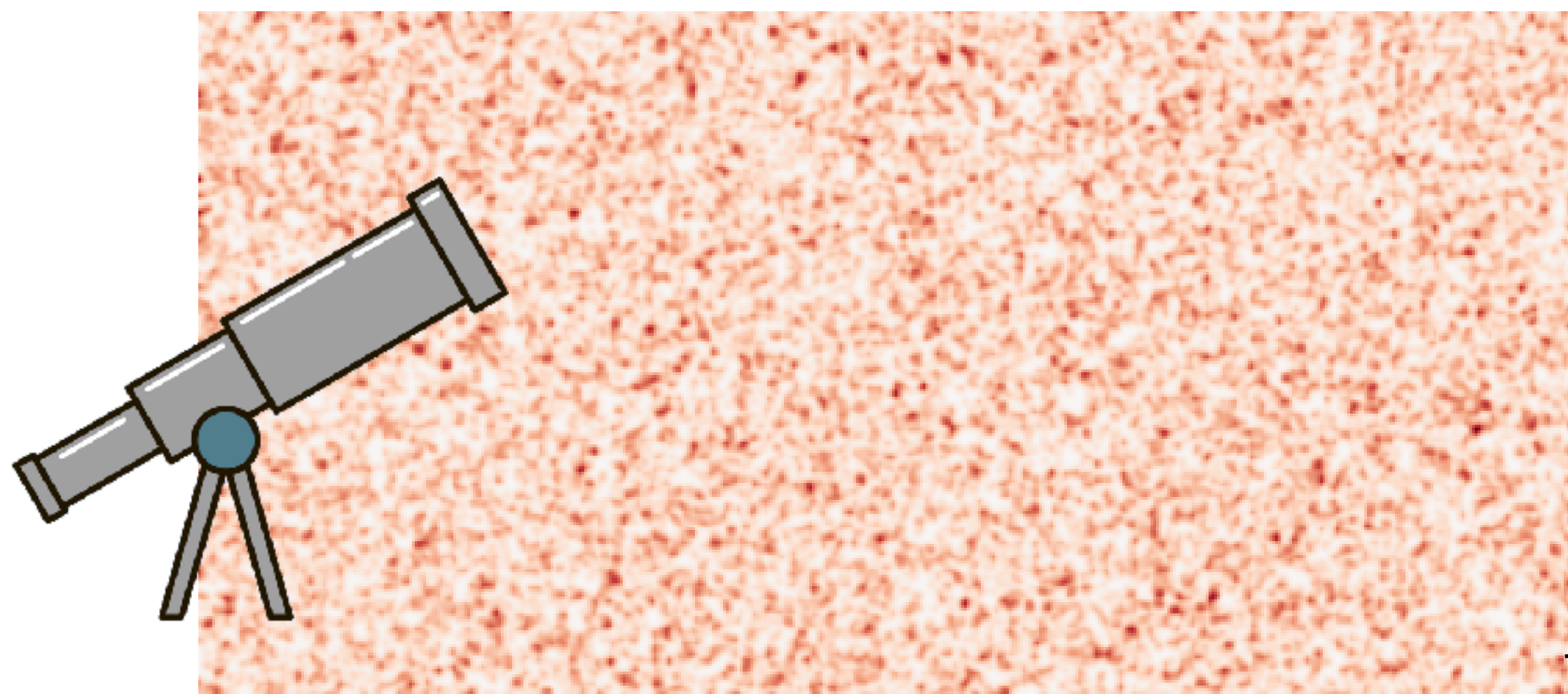
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kSZ Velocity Reconstruction

Cosmological radial velocity field v



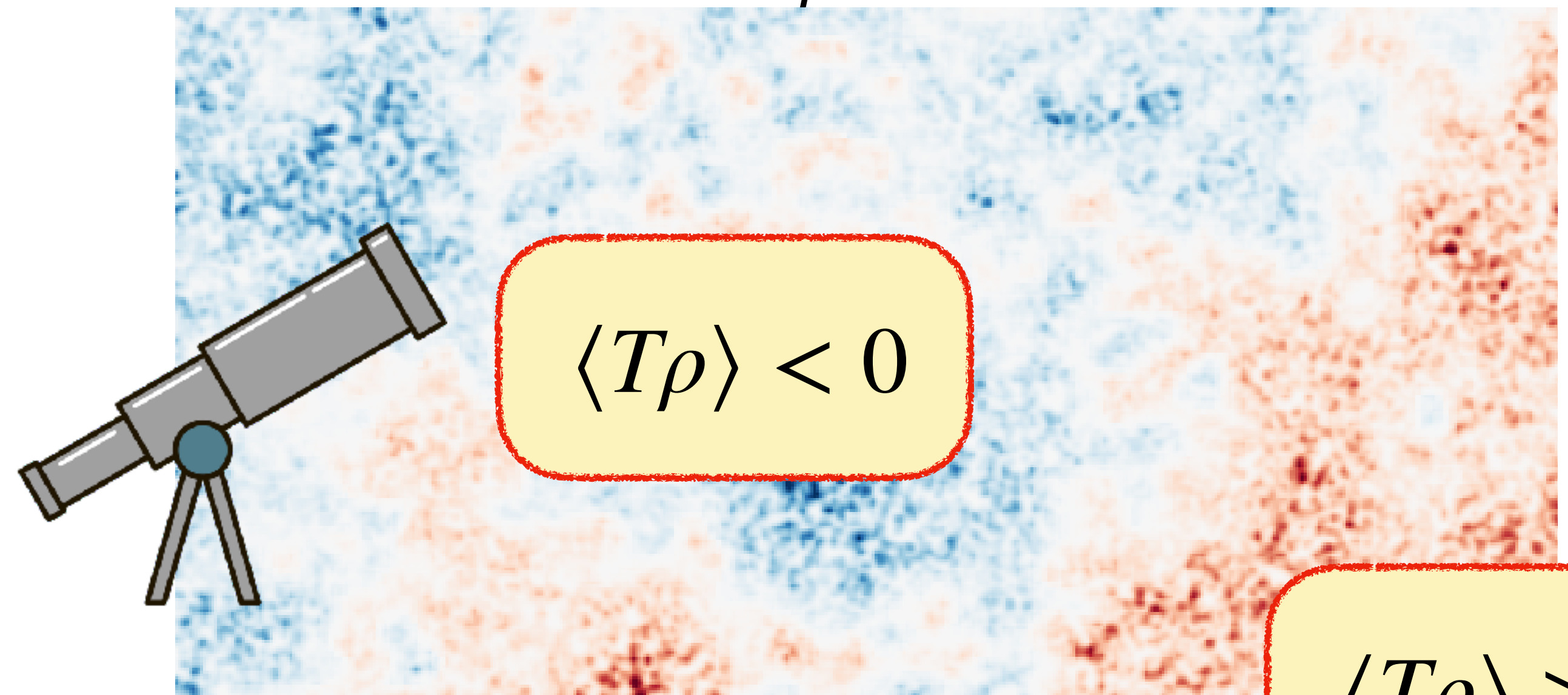
Electron / galaxy distribution ρ



$$T \sim v \times \rho$$

$$v \sim \frac{T}{\rho}$$

kSZ temperature T



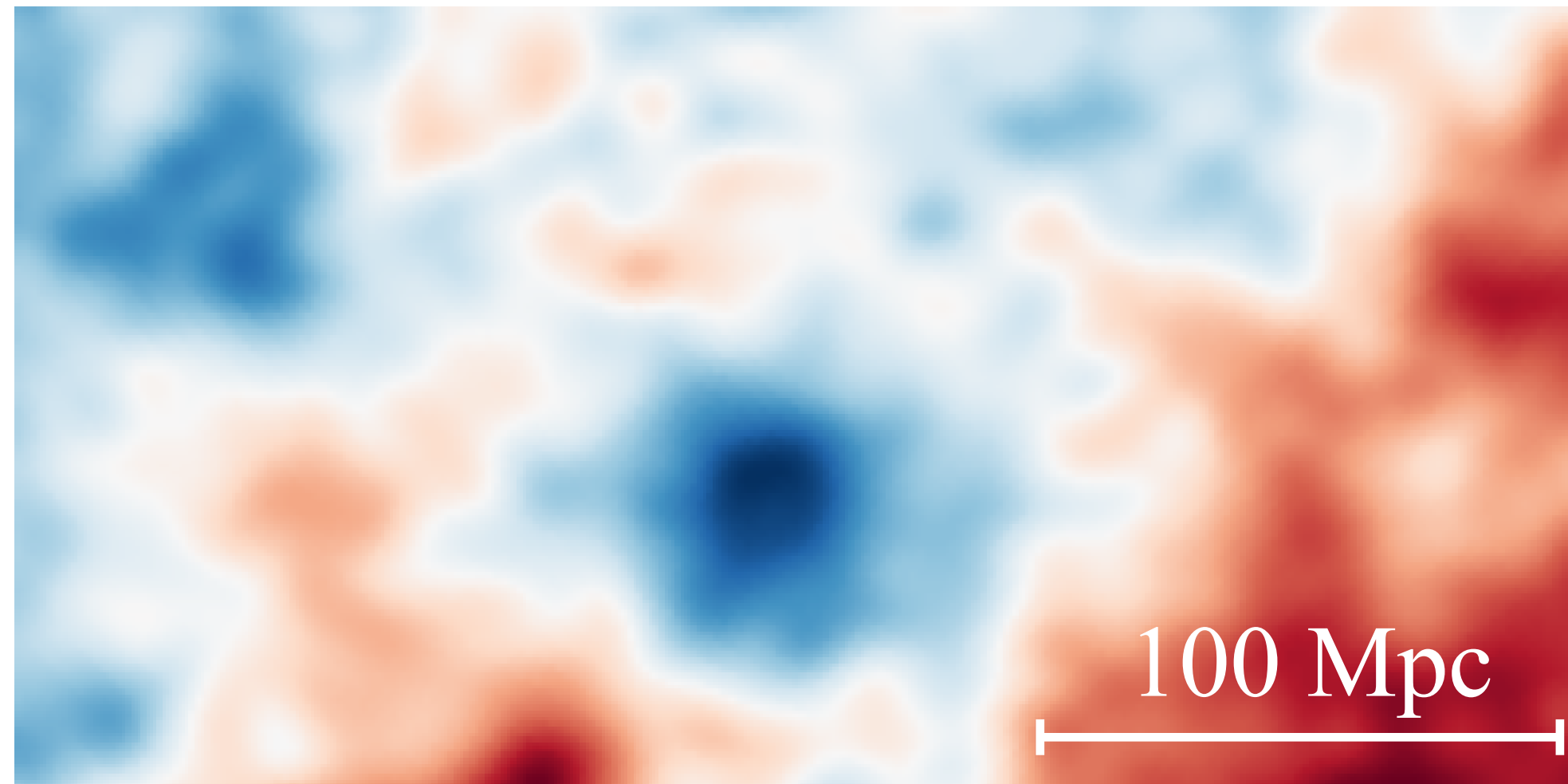
$$\langle T\rho \rangle < 0$$

$$\langle T\rho \rangle > 0$$

1 Mpc

kSZ Velocity Reconstruction

Cosmological radial velocity field v



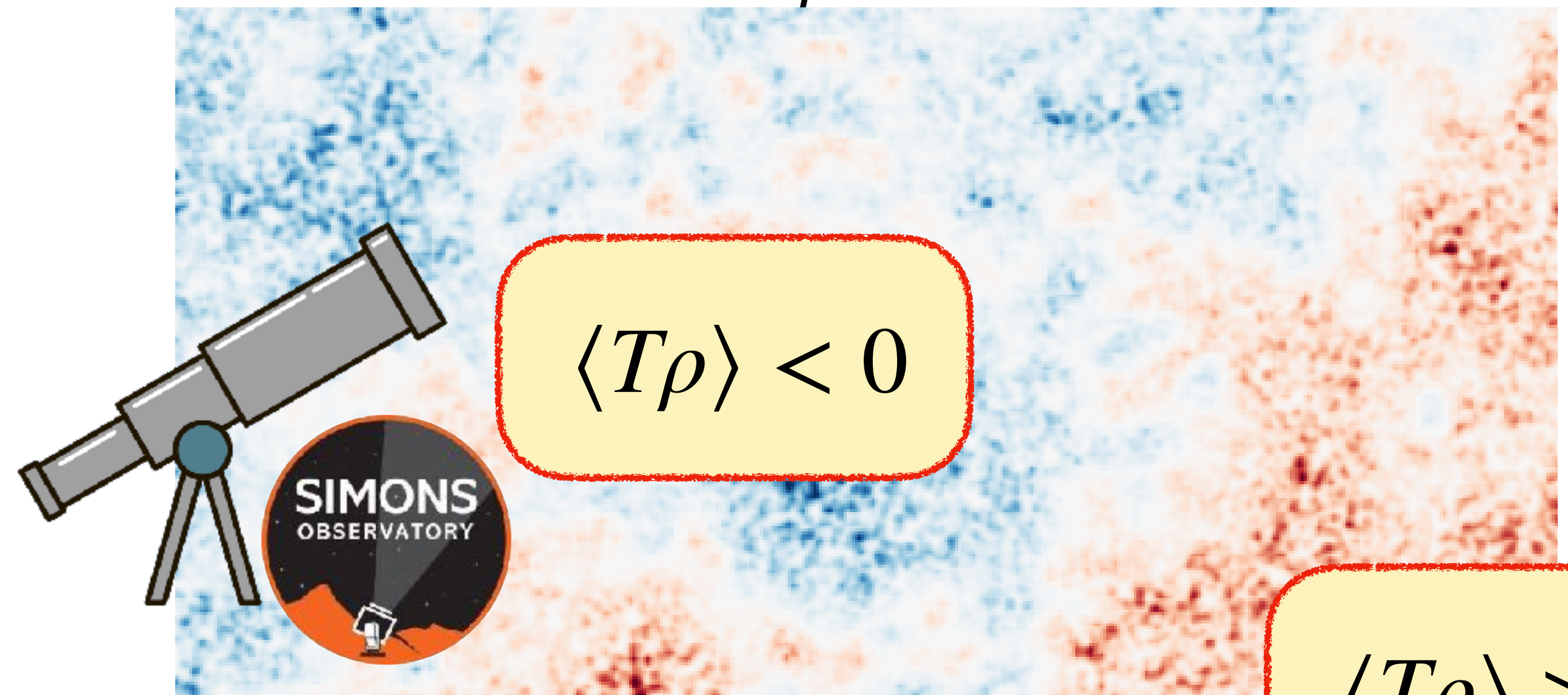
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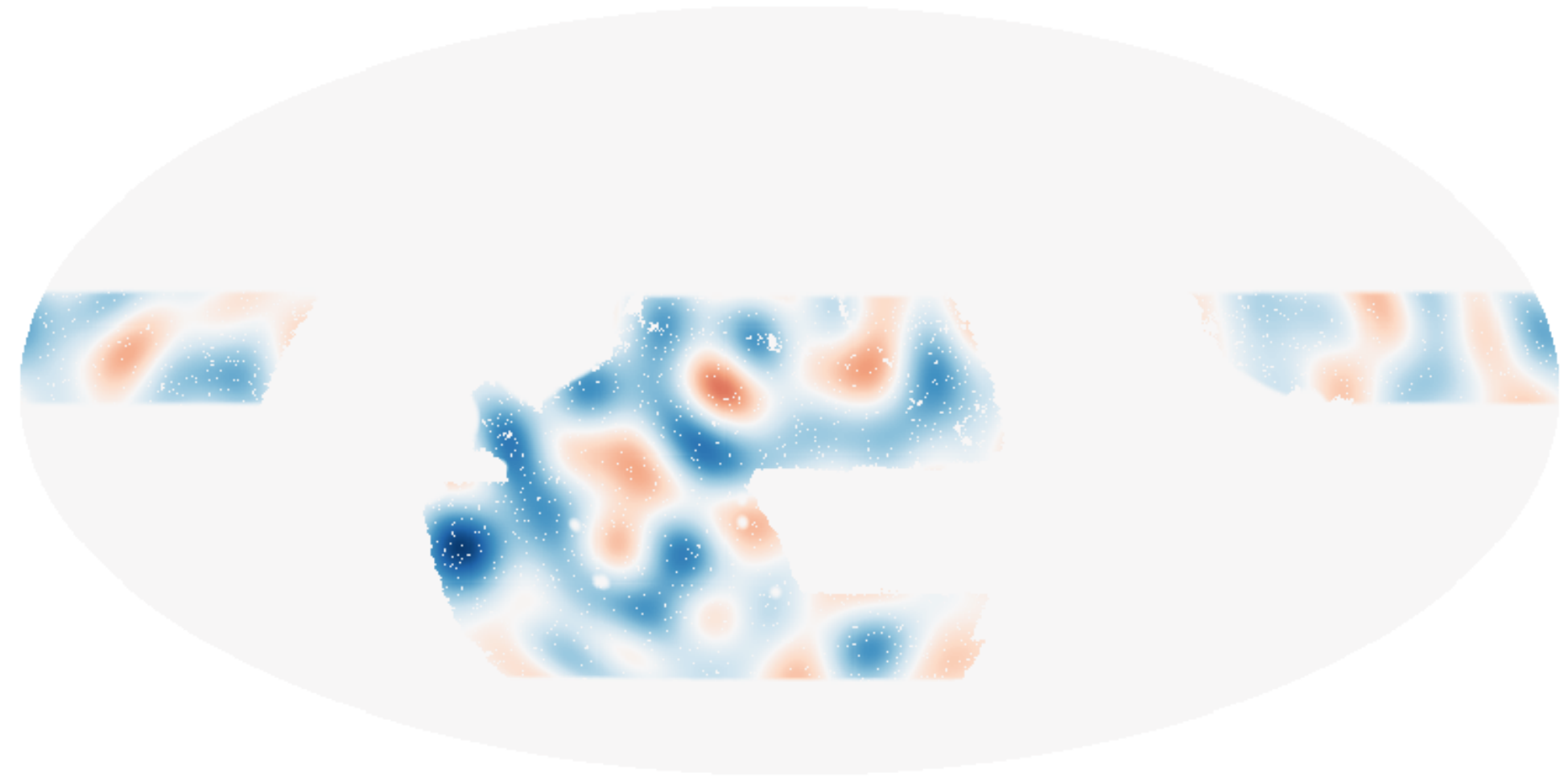


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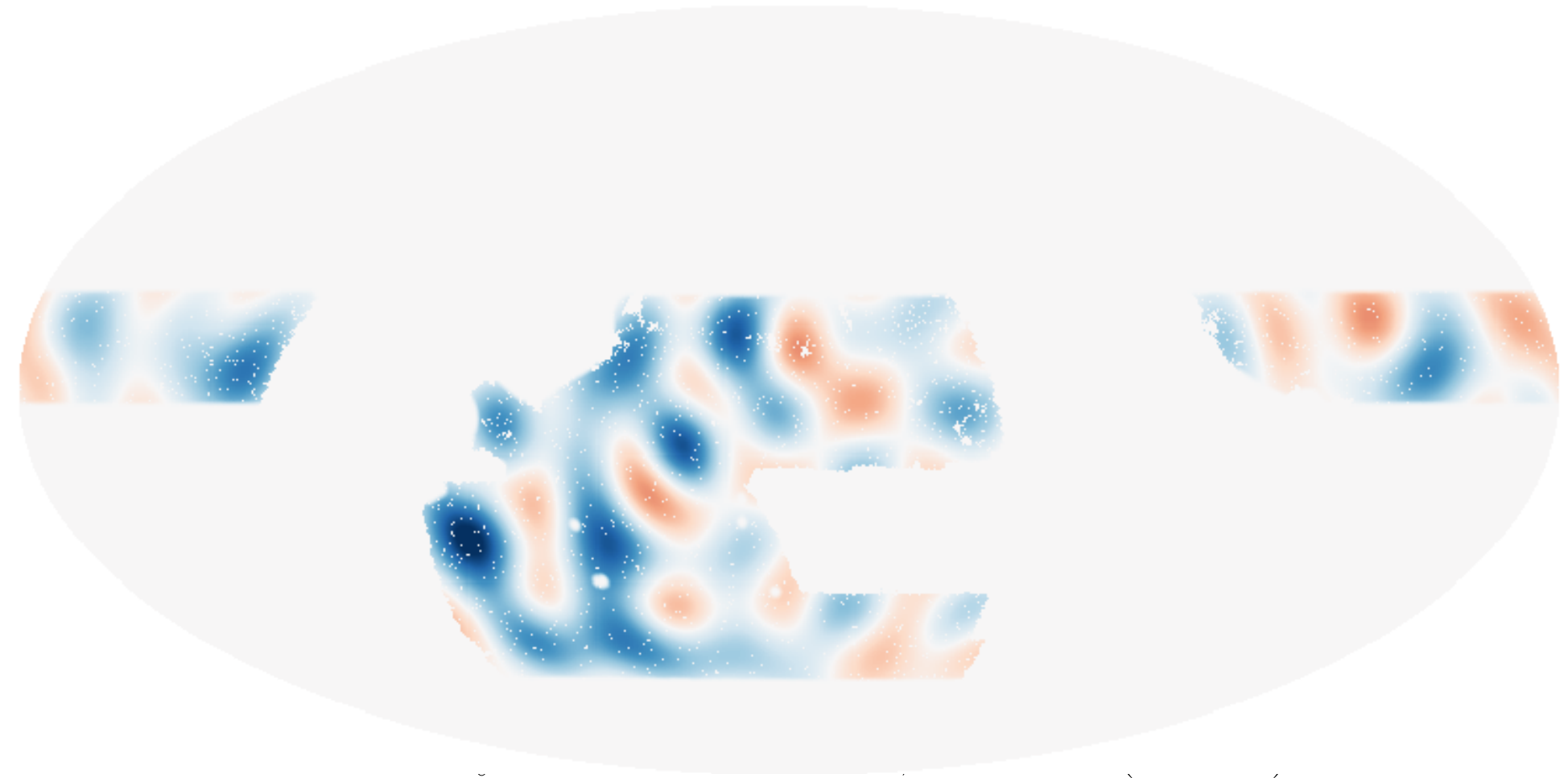
1 Mpc

First kSZ velocity measurements with ACT+DESILS

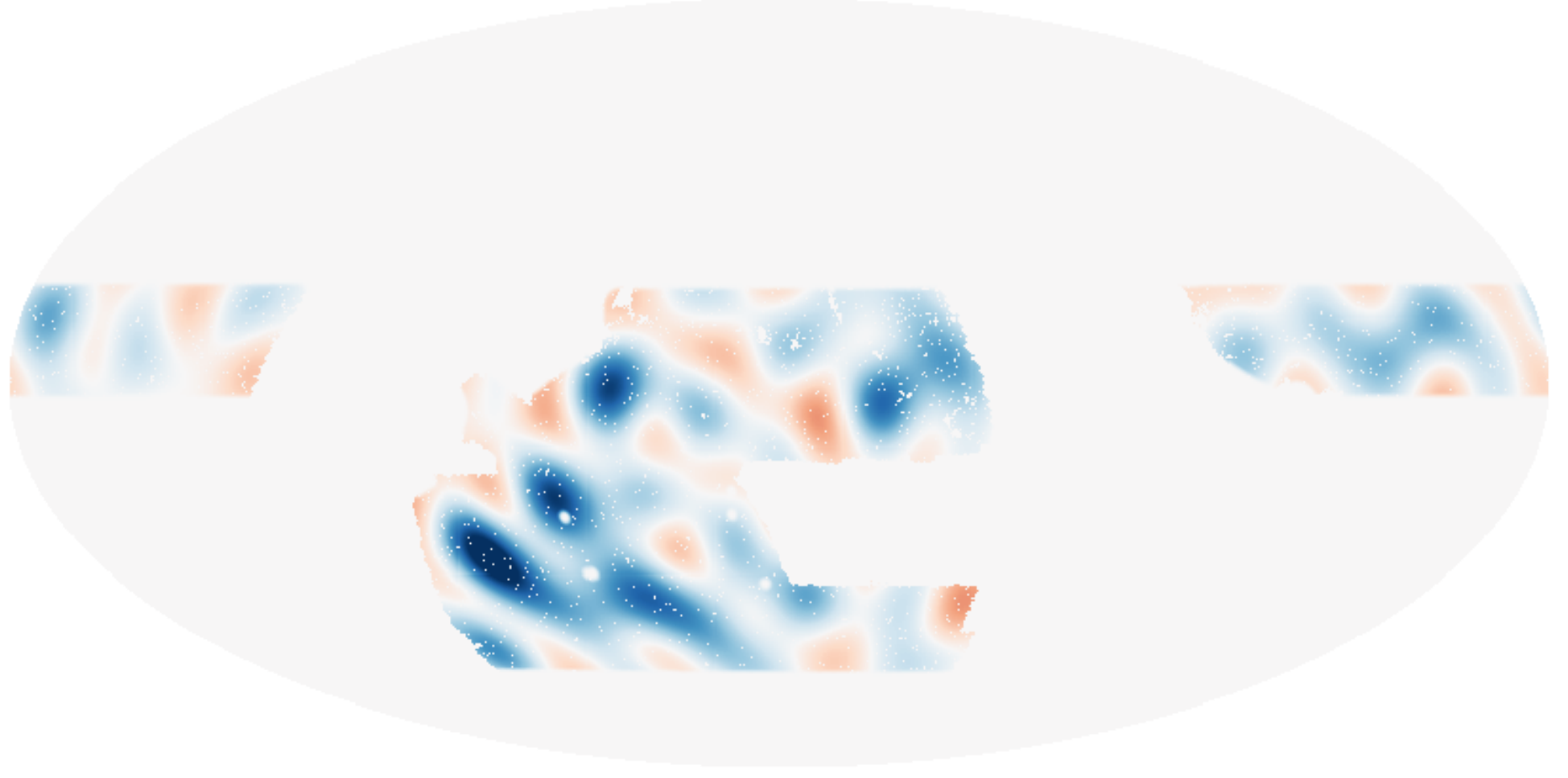
$z \sim 0.45$



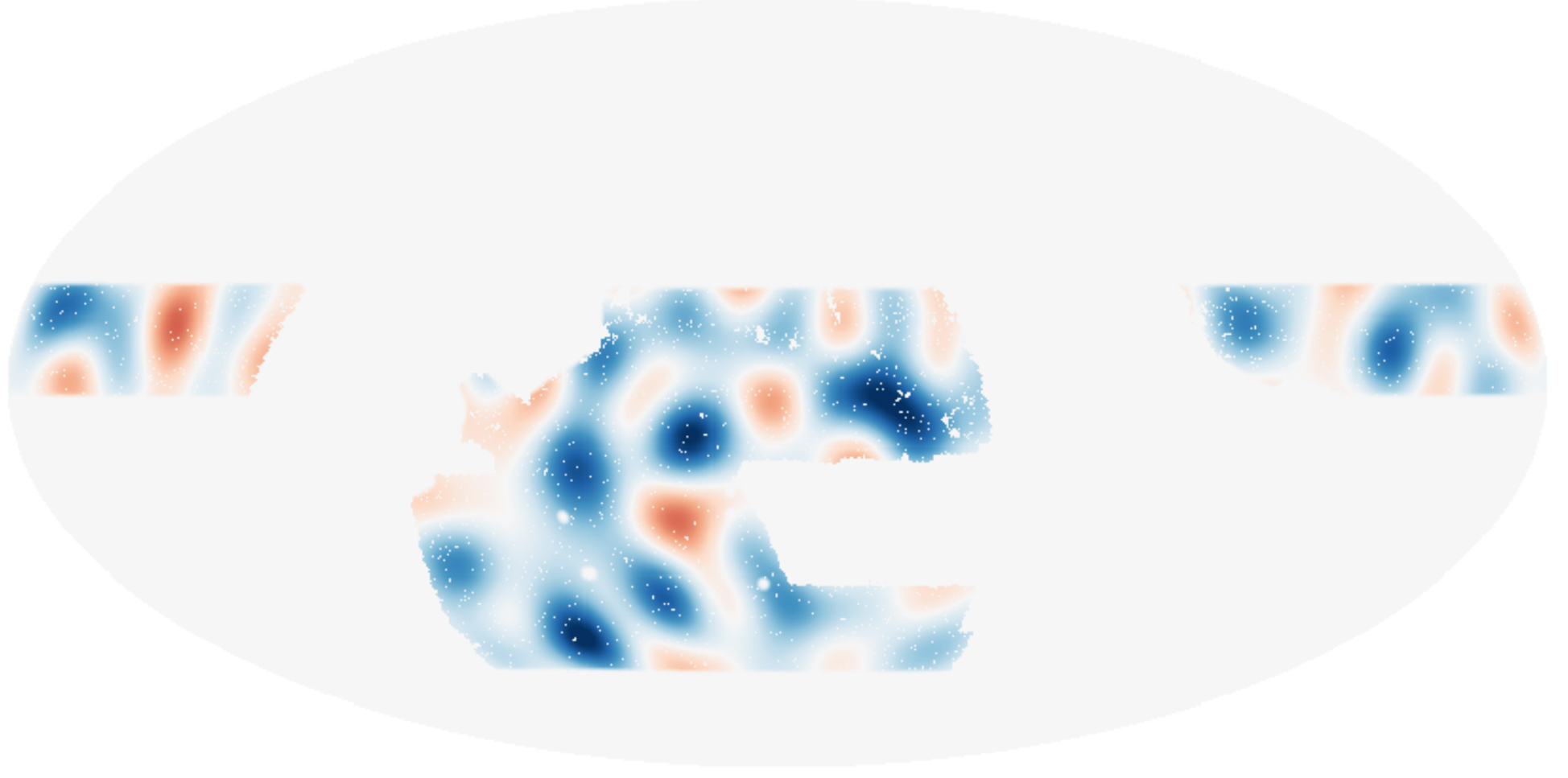
$z \sim 0.5$



$z \sim 0.6$



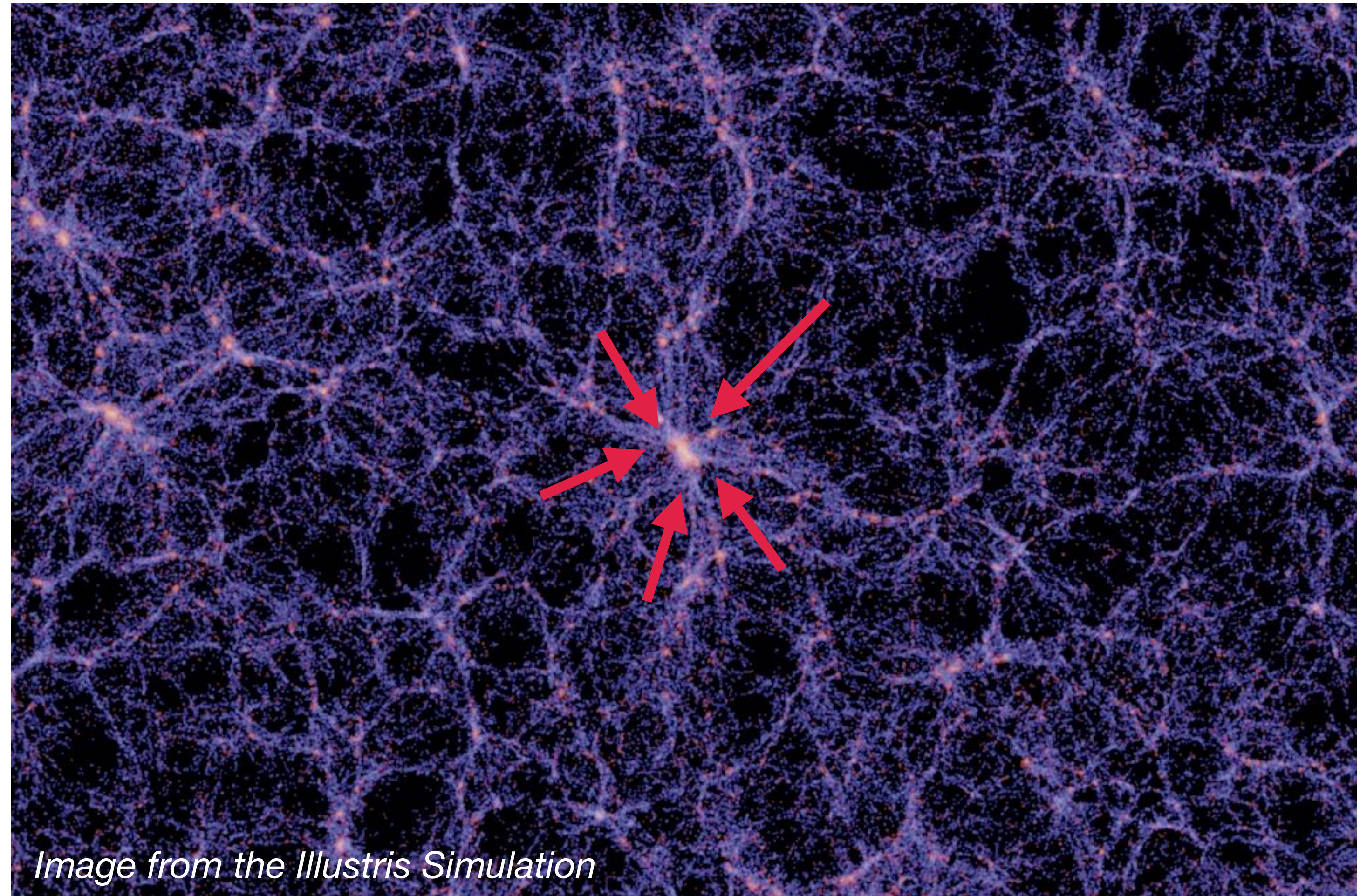
$z \sim 0.65$



FMcC et al 2025a (JCAP)

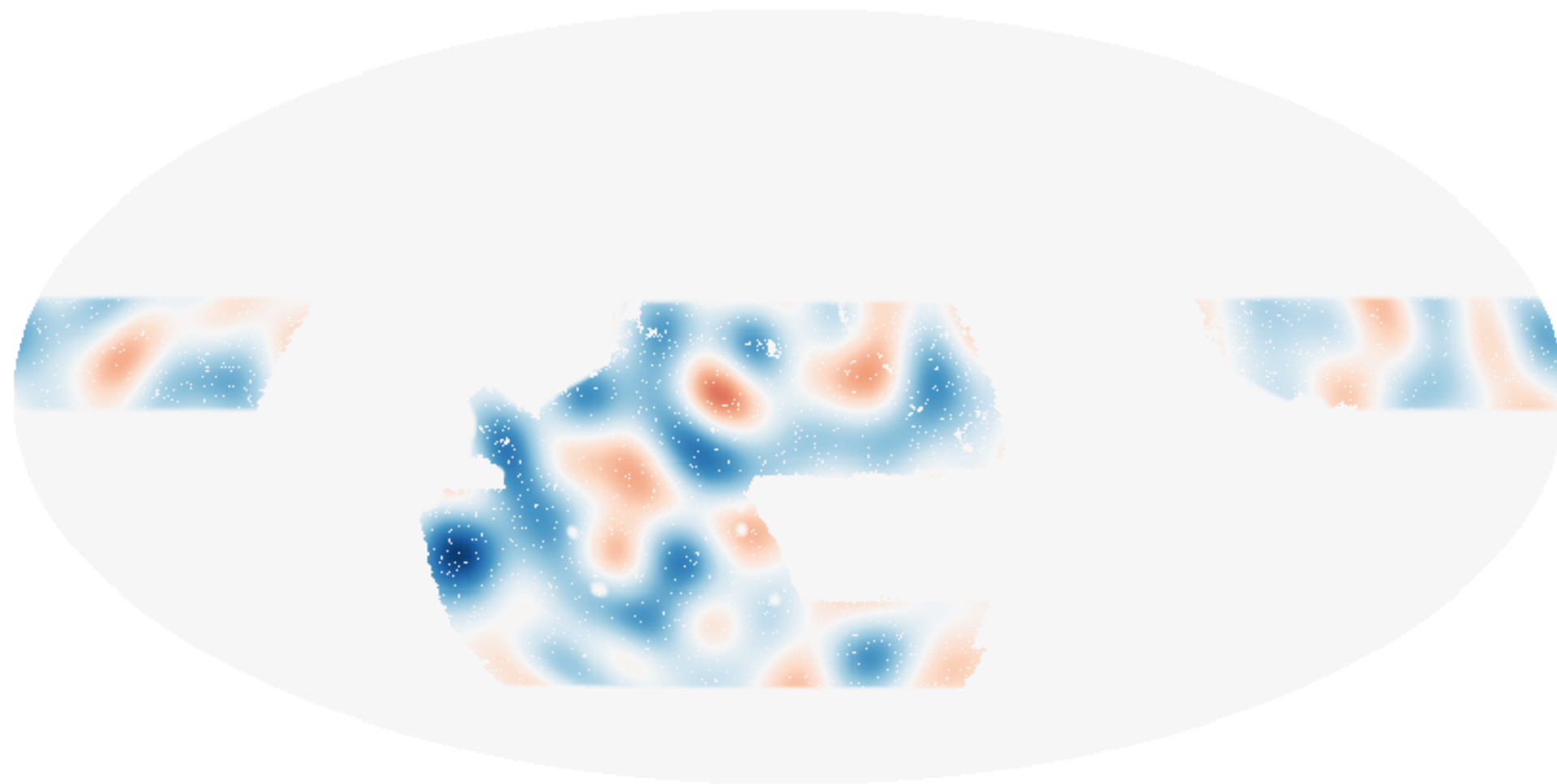
A new large scale probe: peculiar velocity

- Velocity tells us about large scale cosmology similar to large scale galaxy surveys!
- New velocity probe is **independent** of previous large scale measurements
- With galaxy surveys, large scales are hard - kSZ velocity **cleaner**

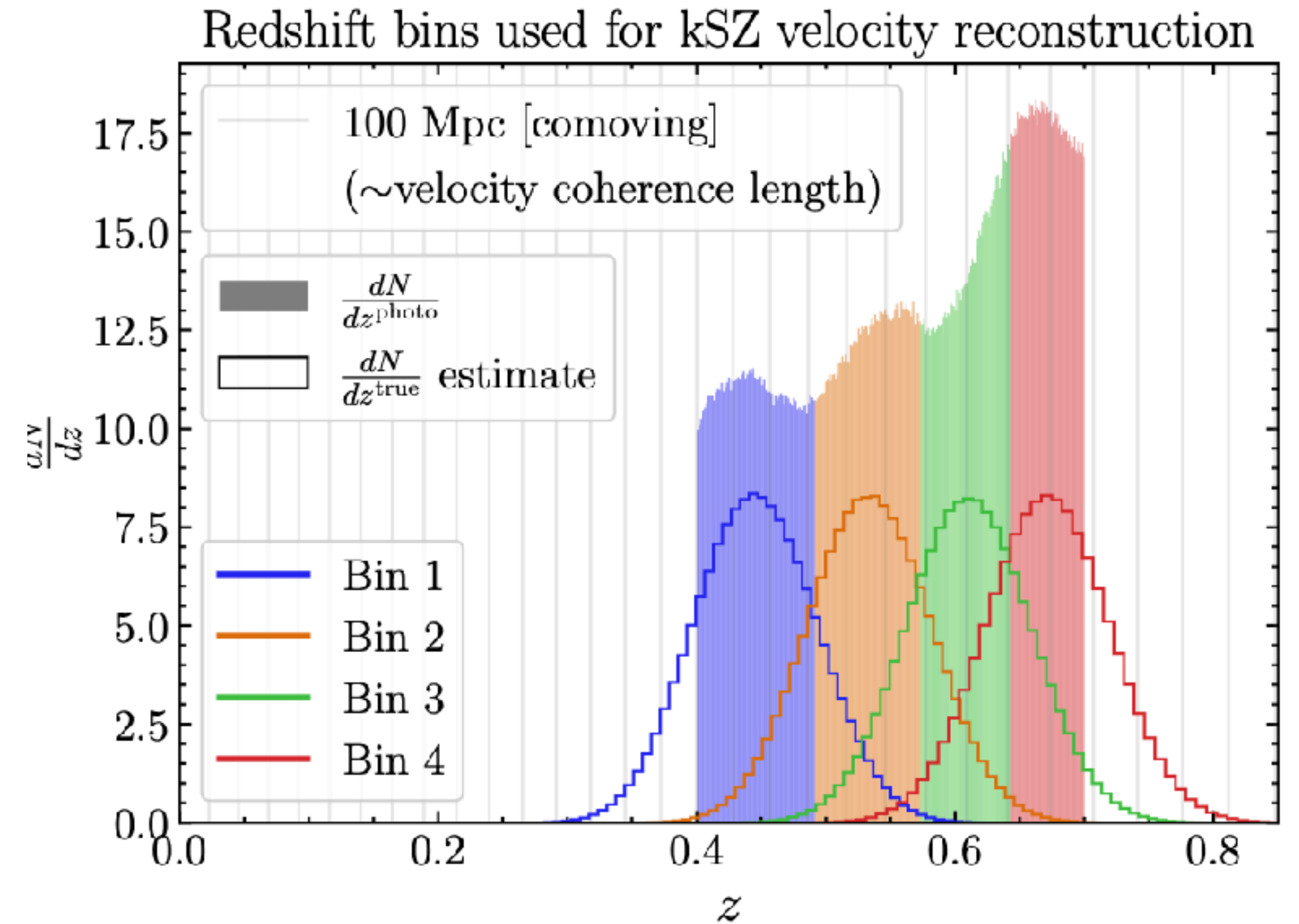


2-Dimensional angular clustering

$z \sim 0.45$
 $\alpha = 1$



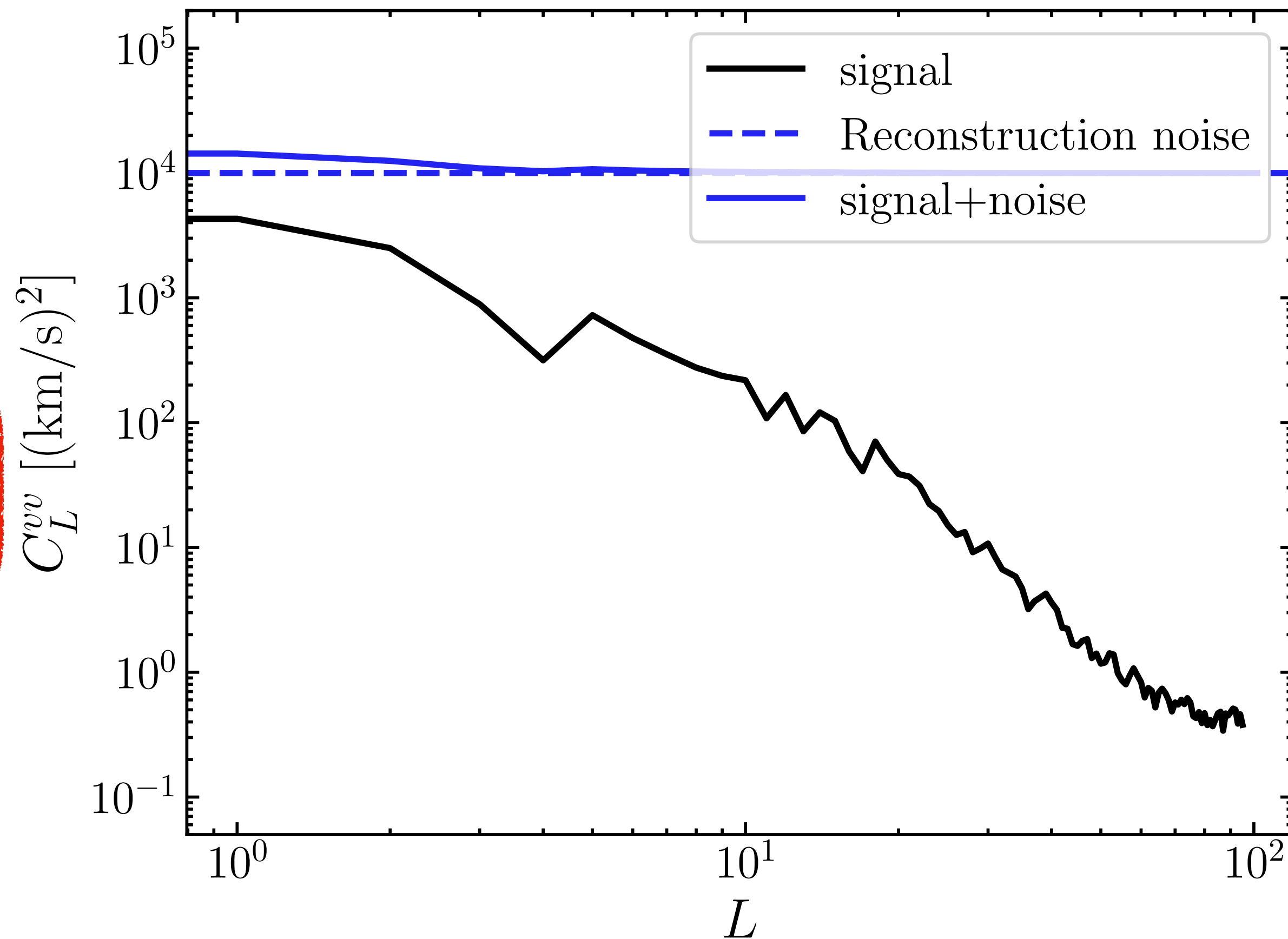
$$\mathbf{v}(\vec{\theta}) = \int dz \frac{dN^\alpha}{dz} \mathbf{v}(z, \vec{\theta})$$



- Angular power spectrum $C_L^{v^\alpha v^\beta}$ quantifies fluctuation variance over angles $L \sim \frac{\pi}{\theta}$

Large-scale ν from small-scale g, T

- Large-scale statistical power comes from **better measurement of small scales**

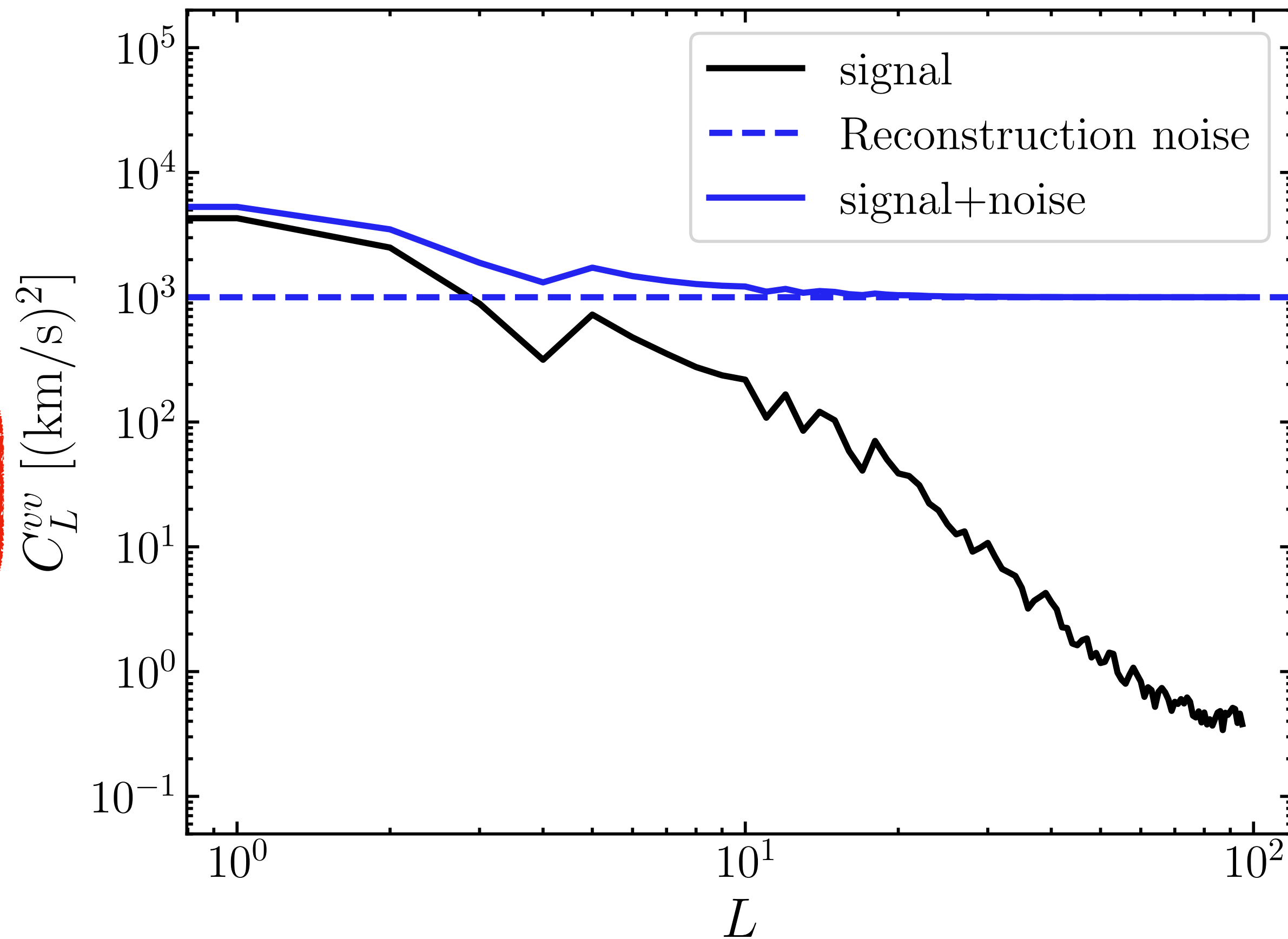


Reconstruction noise
from chance correlations
in a Gaussian signal

~Planck + unWISE
(See Bloch + Johnson
arXiv:2405.00809)

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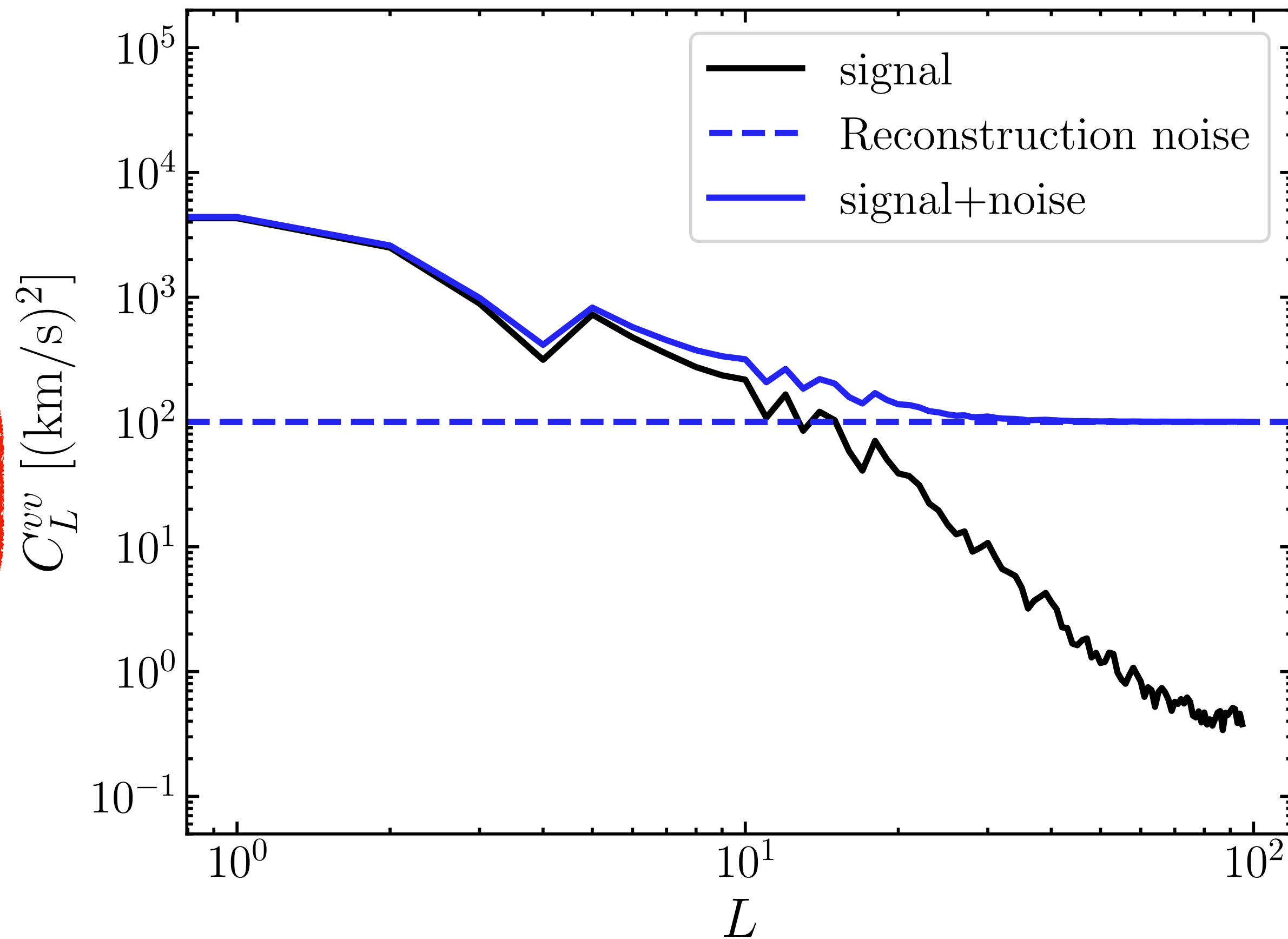


Reconstruction noise
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~ACT + DESILS
(See *FMcC et al 2025*
a+b; Lai et al 2025)

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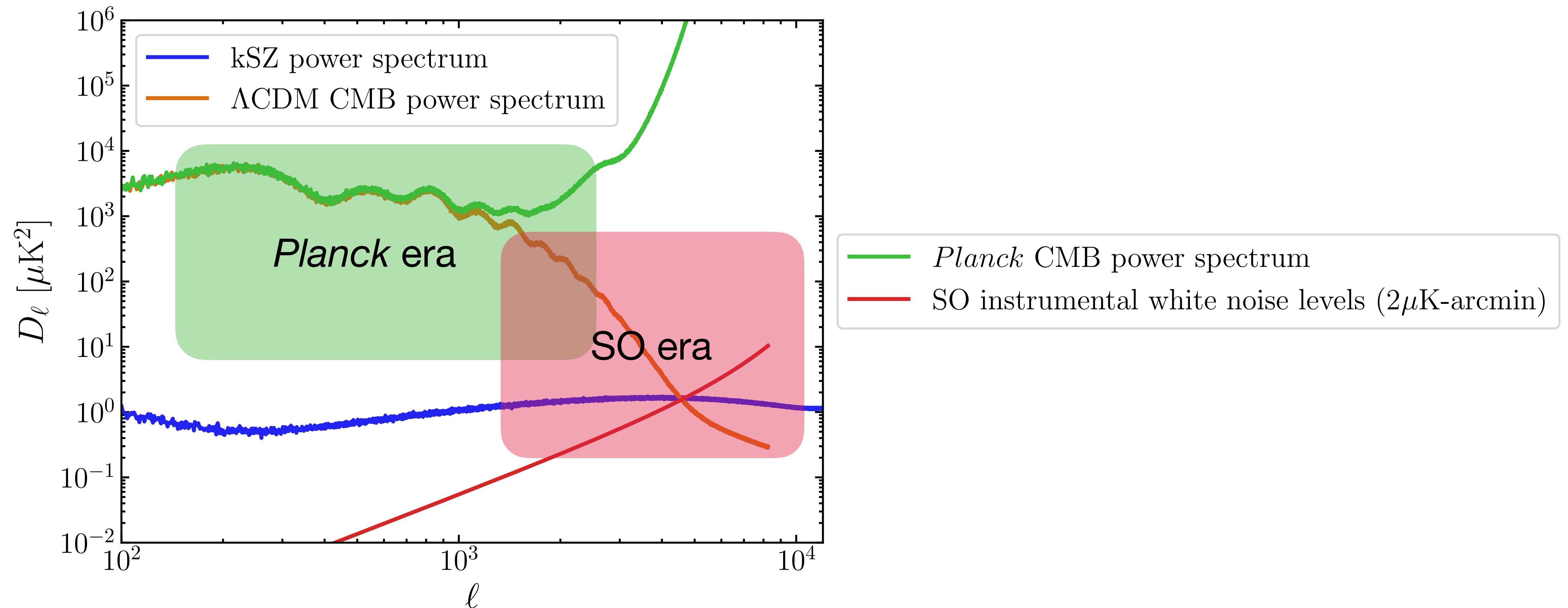


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Future experiments!

How to measure kSZ? On small scales

- kSZ dominates over primary CMB at $\ell \gtrsim 6000$



- We are measuring the CMB on small scales with ACT and SO!! kSZ measurements will get really good

The Atacama Cosmology Telescope

- Observed from 2007-2022 in the Atacama Desert in Chile
- 90 GHz, 150 GHz, 220 GHz
- DR6, 2025: *maps of the CMB over ~30% of the sky (Naess et al 2025, Coulton et al 2023)*
- Resolution ~ 1 arcmin
- Typical depth $\sim 10 \mu\text{K}$ arcmin
- Typical kSZ signal: $\sim 1 \mu\text{K}$ over 1 arcmin



Photo Credit: Jon Ward

SO and kSZ measurements

- kSZ measurements will be more precise (typical depth $\sim 2.5\mu\text{K}$ -arcmin)
- SO LAT will be a kSZ machine!

*FMcC: SO kSZ co-lead with
Boryana Hadzhiyska*

*(I also co-lead Foreground WG so please
also talk to me about that if interested)*

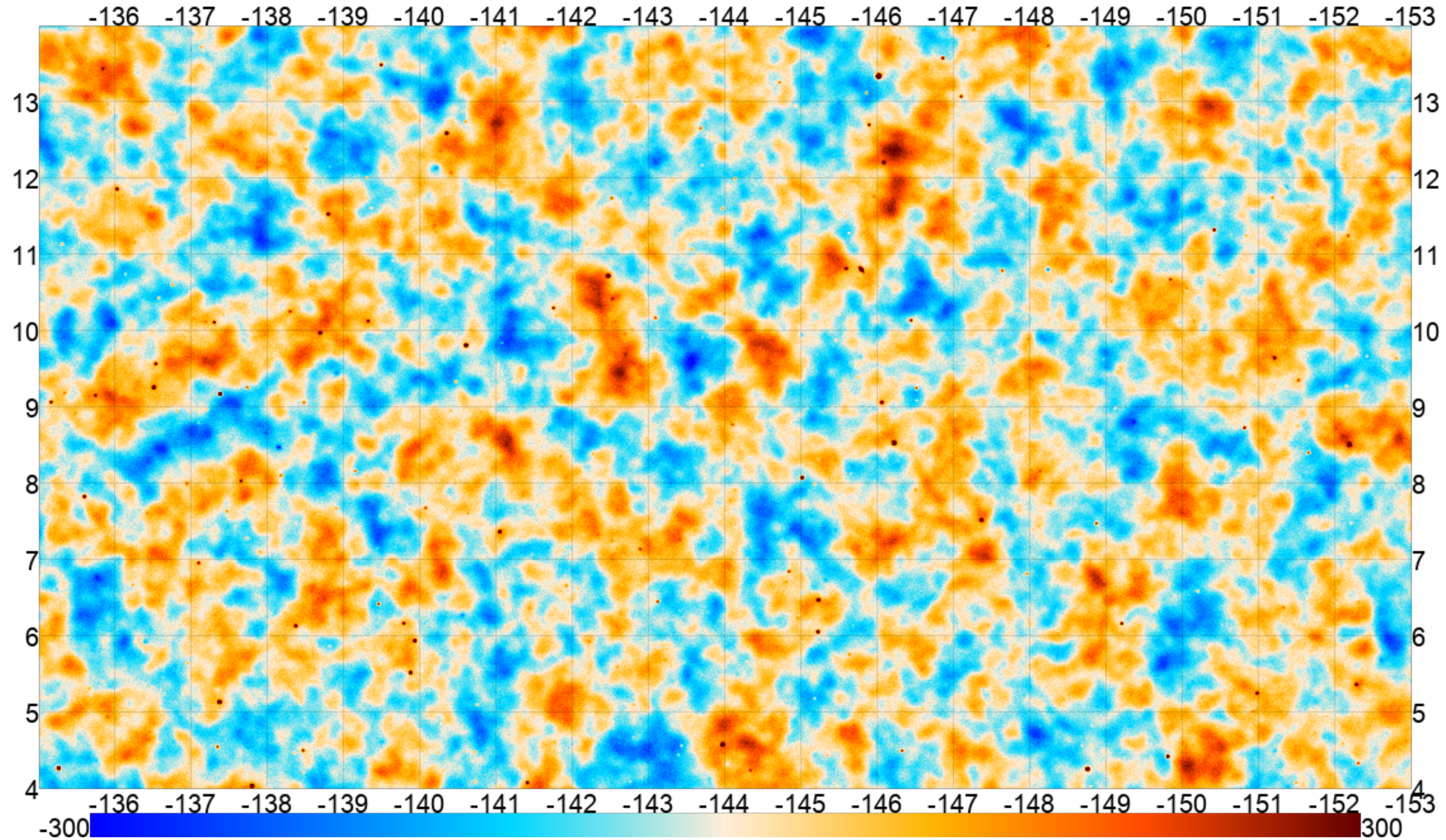


SO Large Aperture Telescope

Initial SO data

Image credit: SO collaboration

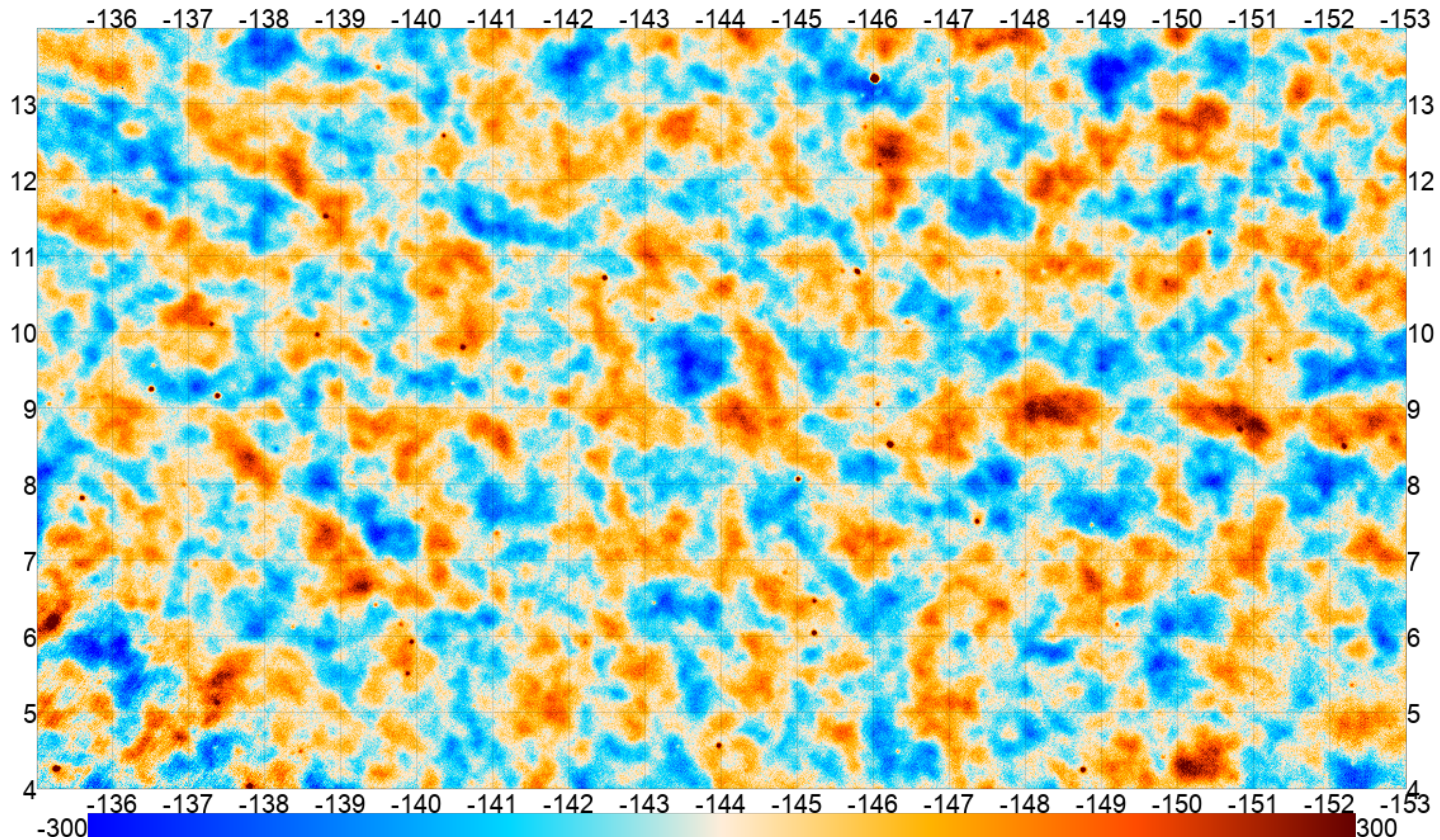
ACT DR6 at 90 GHz (**5 years**)



Initial SO data

Image credit: SO collaboration

SO LAT at 90 GHz (**144 hours**)



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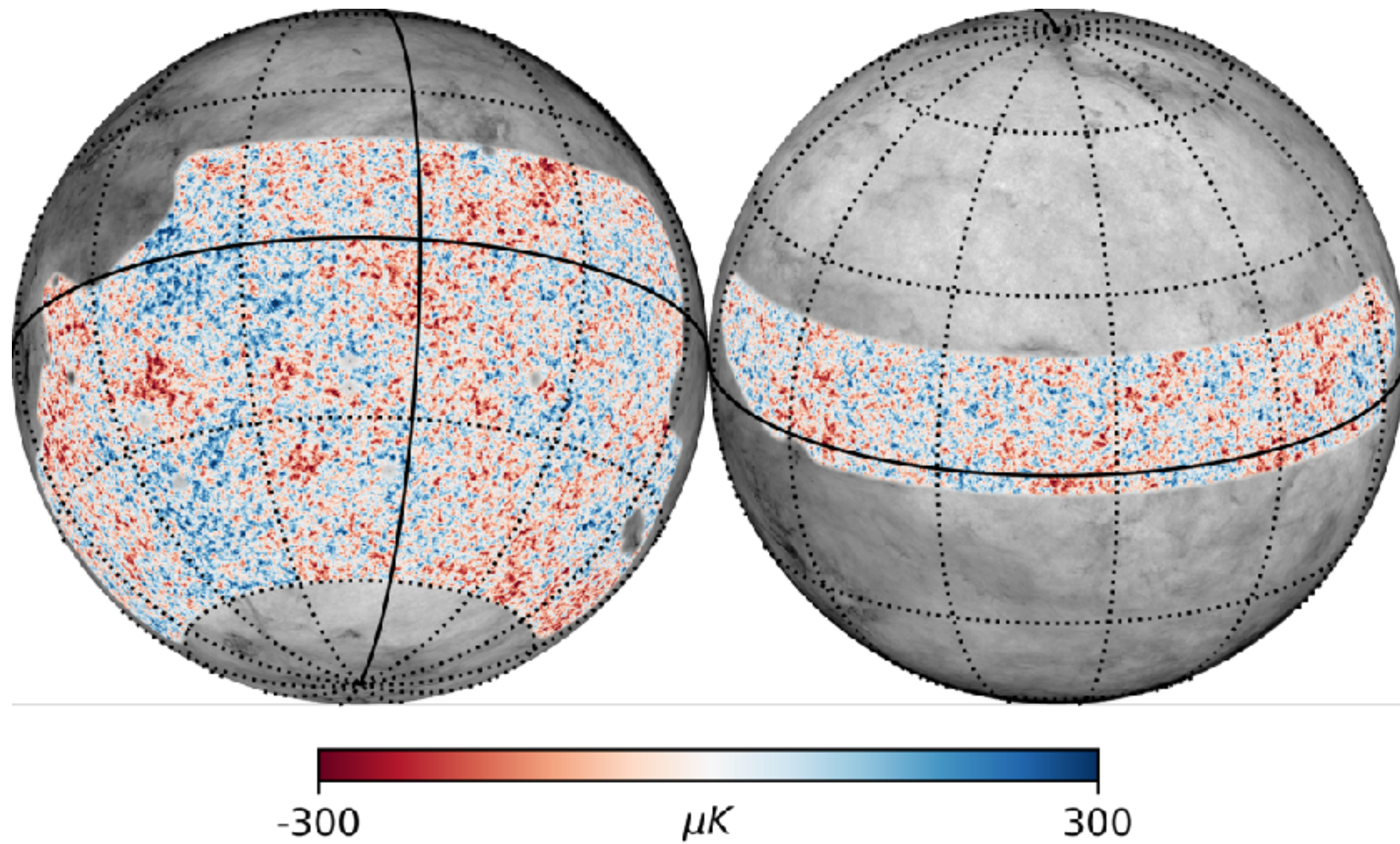
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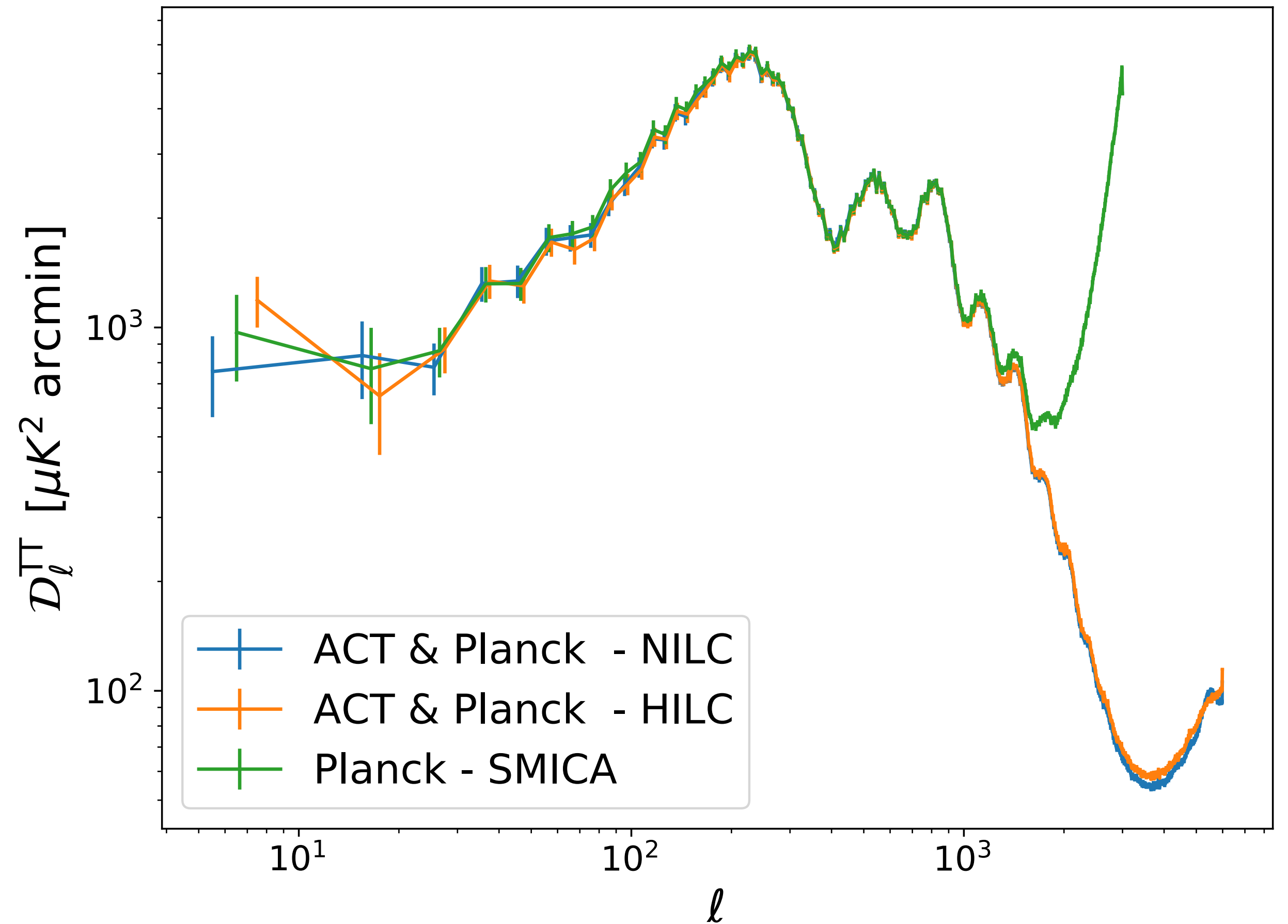
Forecasts for Simons Observatory(+LSST)

Temperature data: ACT DR6

- We use the ACT DR6 temperature map from **Coulton et al 2023**

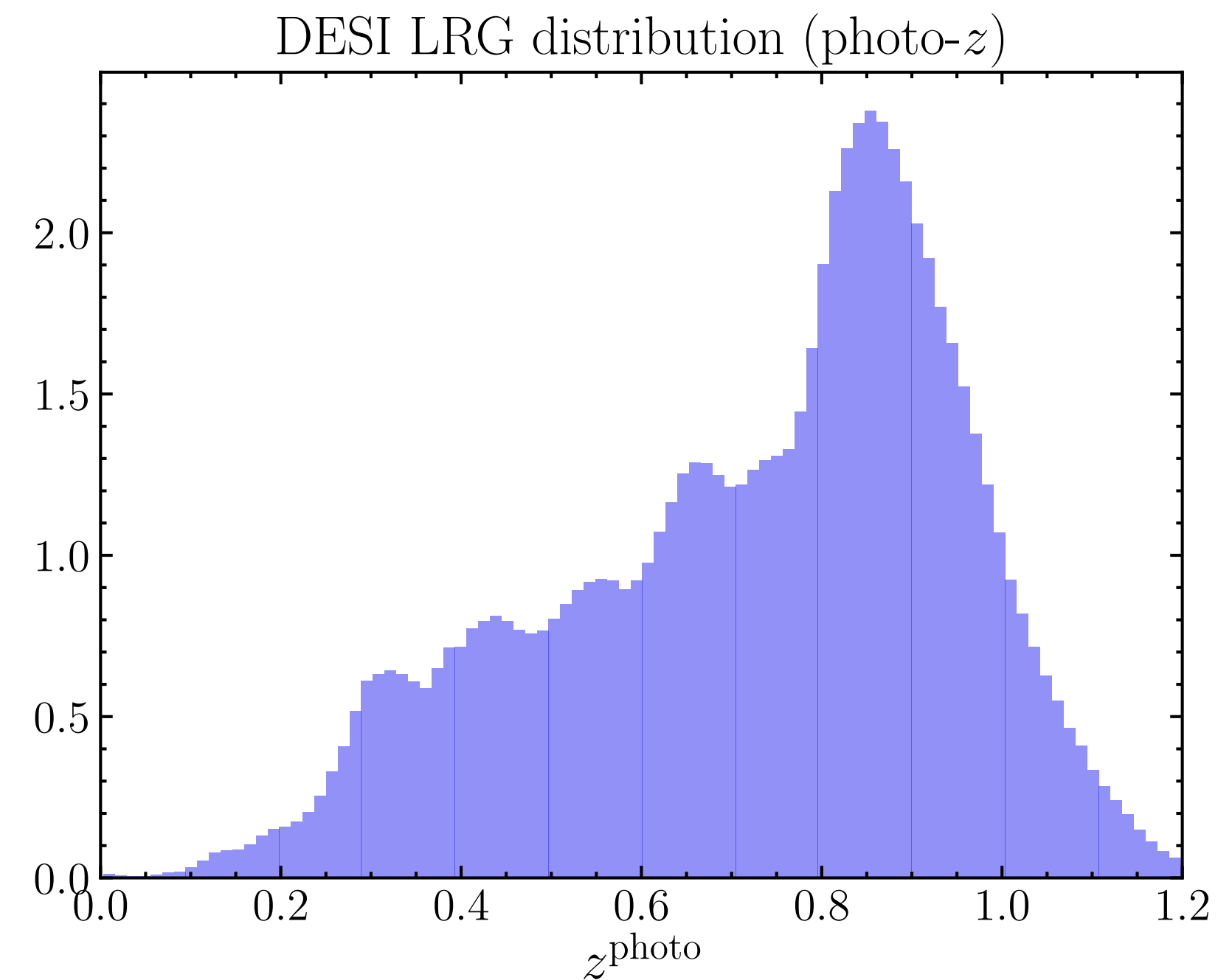
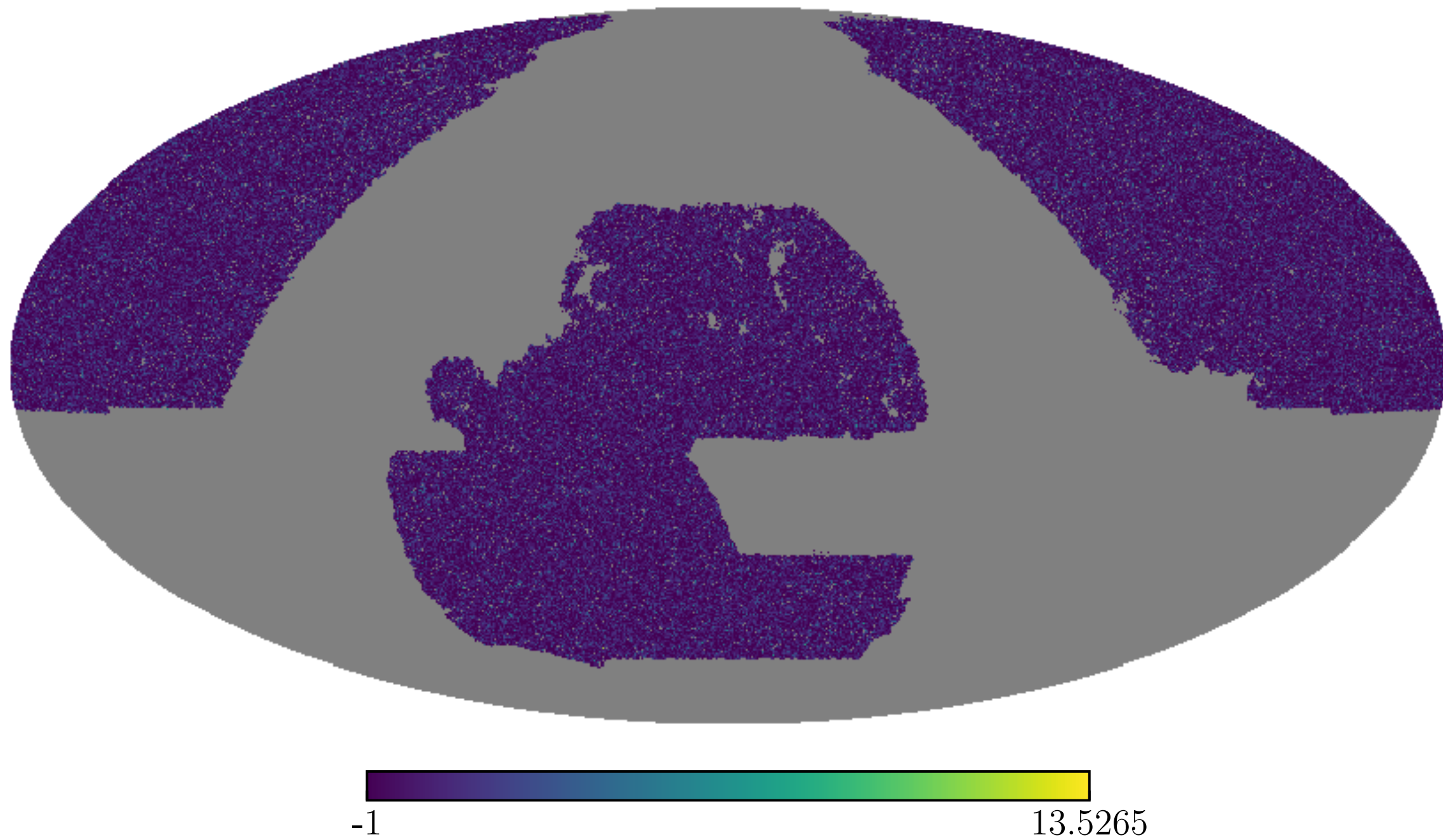


Figures from Coulton et al 2023



Galaxy data: DESILS

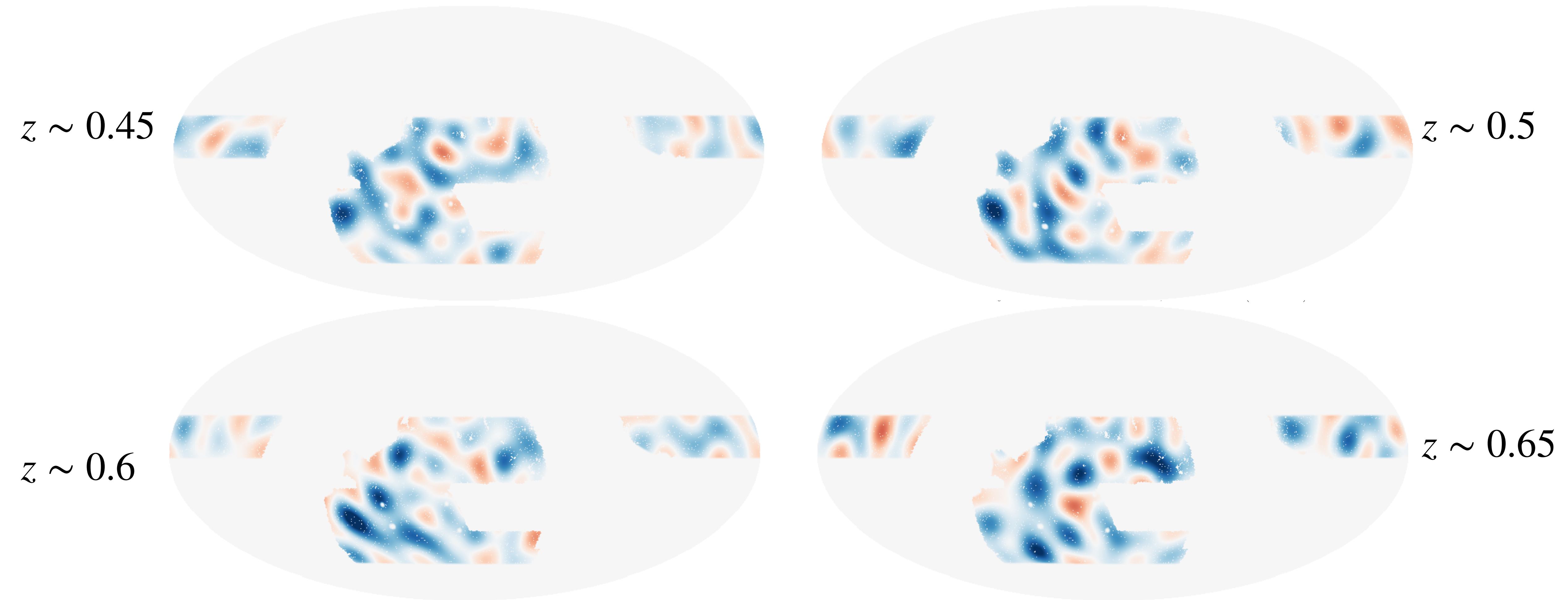
- We use the DESI-legacy extended sample from **Zhou et al 2023**



- These are at redshift $\sim 0.4 < z < 1$
- Photometric redshift error $\frac{\sigma(z)}{1+z} \sim 0.027$

27,253,833 objects
18,000 square degrees

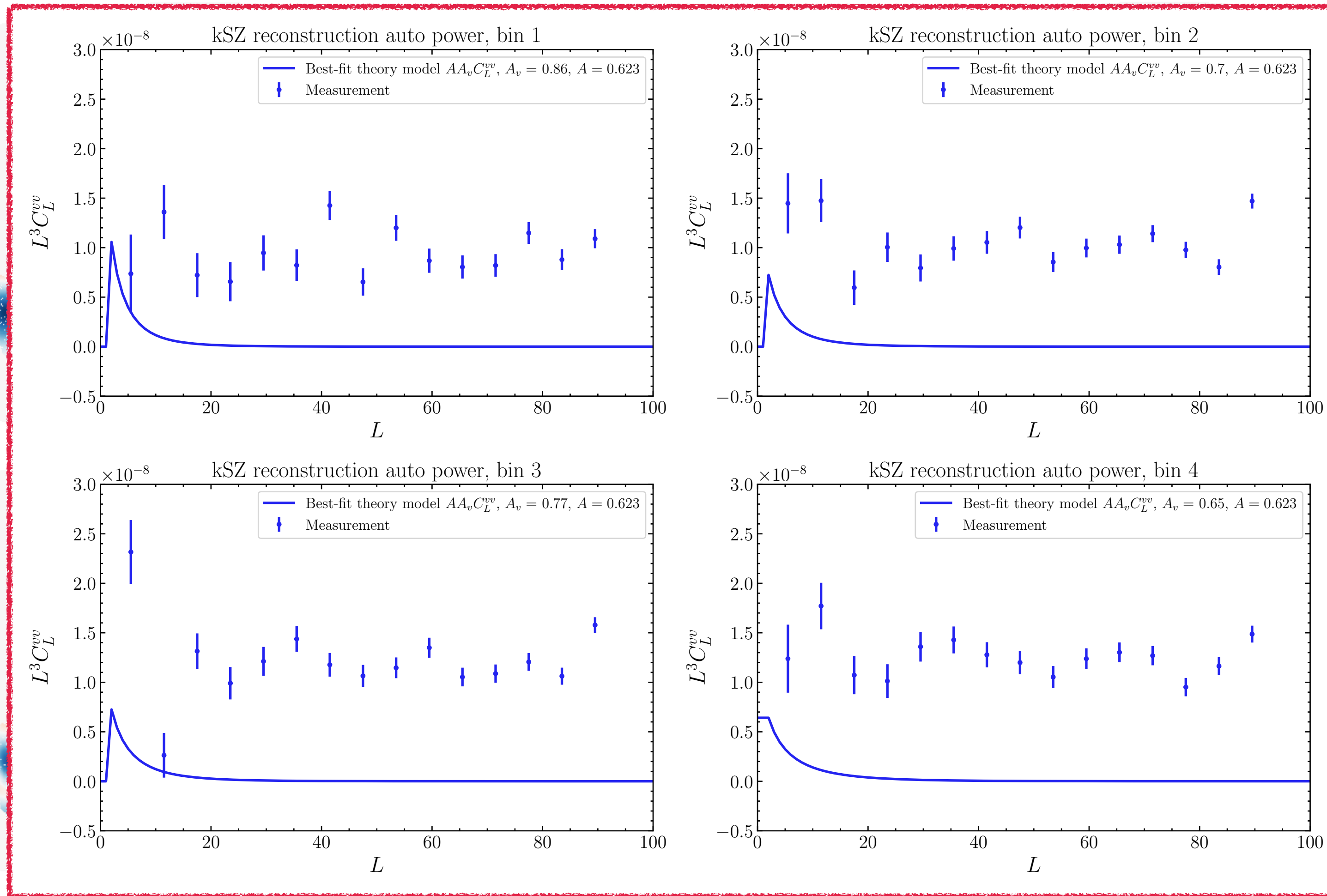
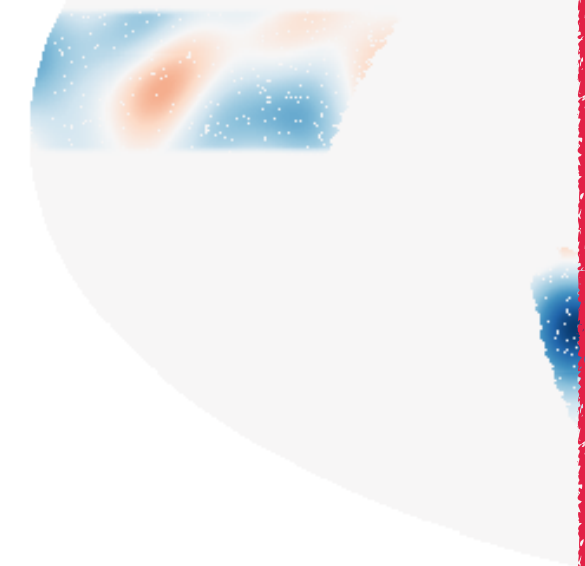
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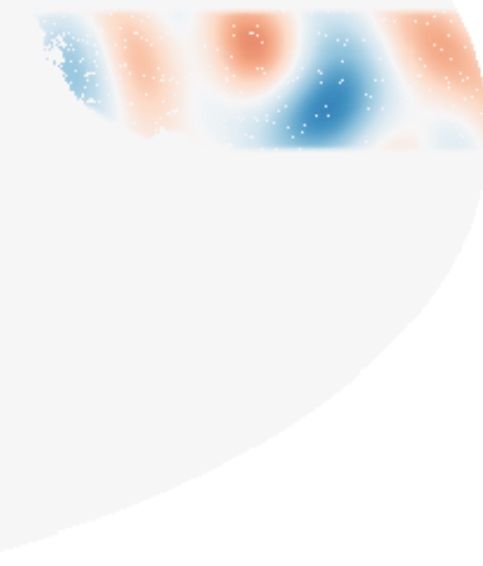
FMcC et al 2025 (JCAP)

Maps are noise dominated

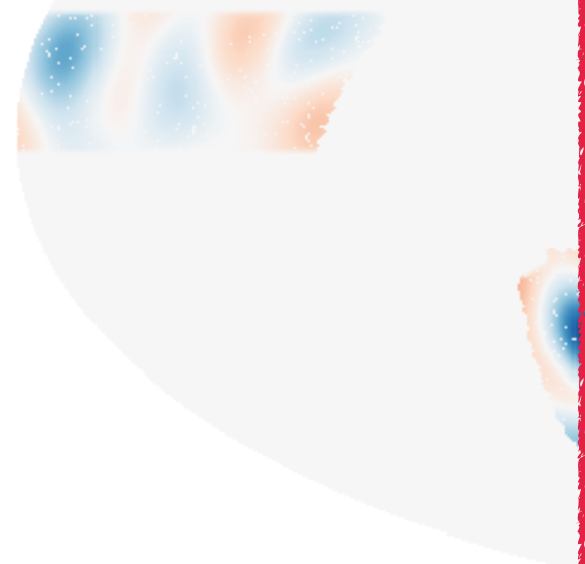
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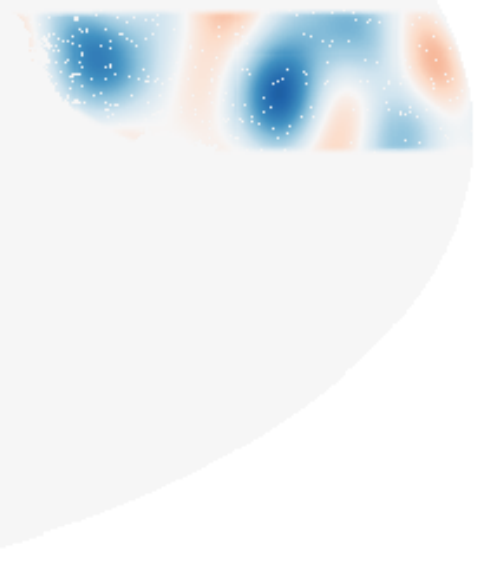
$z \sim 0.5$



$z \sim 0.6$



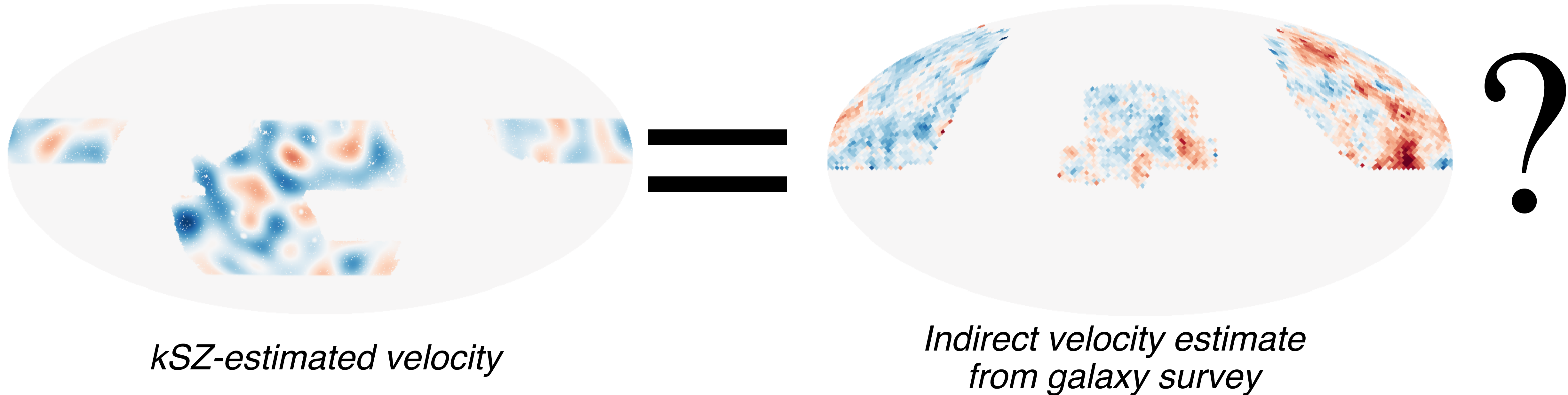
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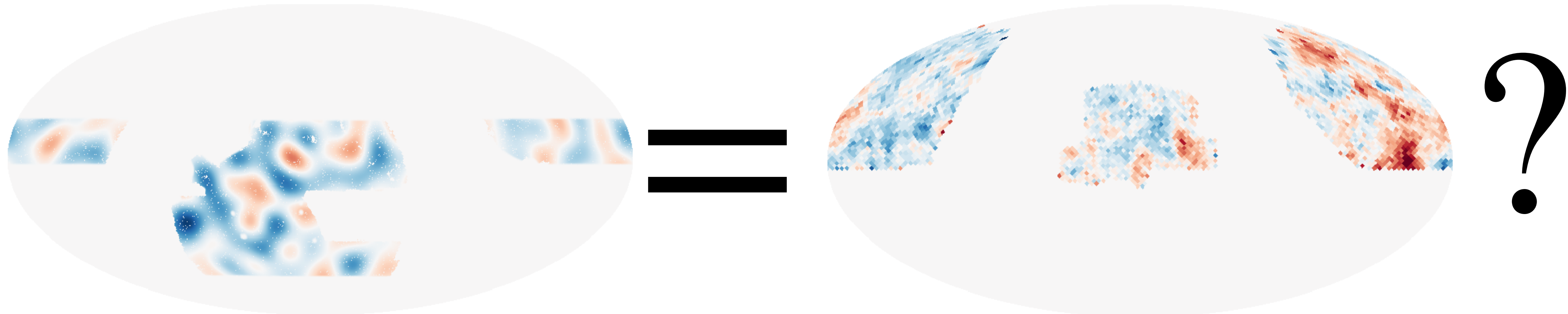
Cross-correlation measurement

- Cross correlate with a galaxy survey
- *Currently* less noisy than kSZ estimate - **will not always be the case!**



Cross-correlation measurement

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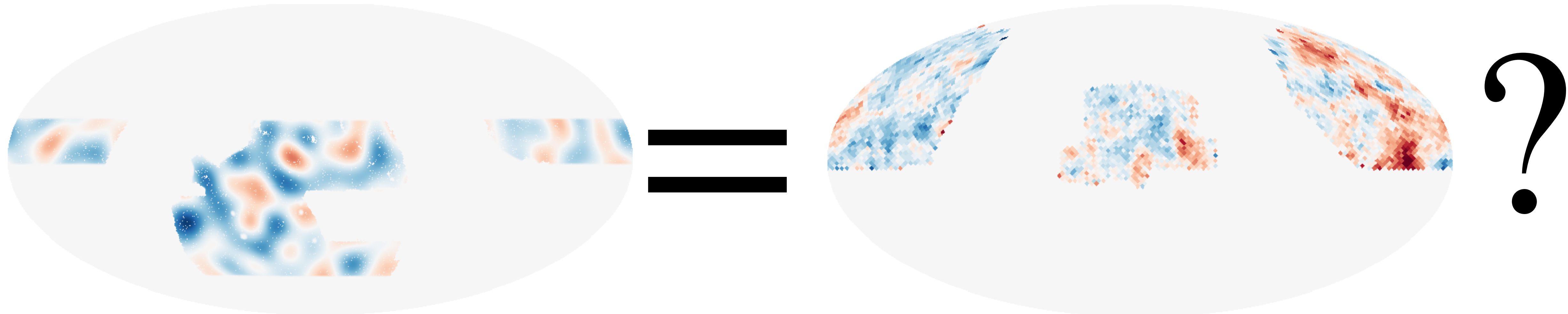
kSZ-estimated velocity

*Indirect velocity estimate
from galaxy survey*

- *FMcC et al 2025a: use SDSS for the indirect estimate (large redshift and f_{sky} overlap penalty)*

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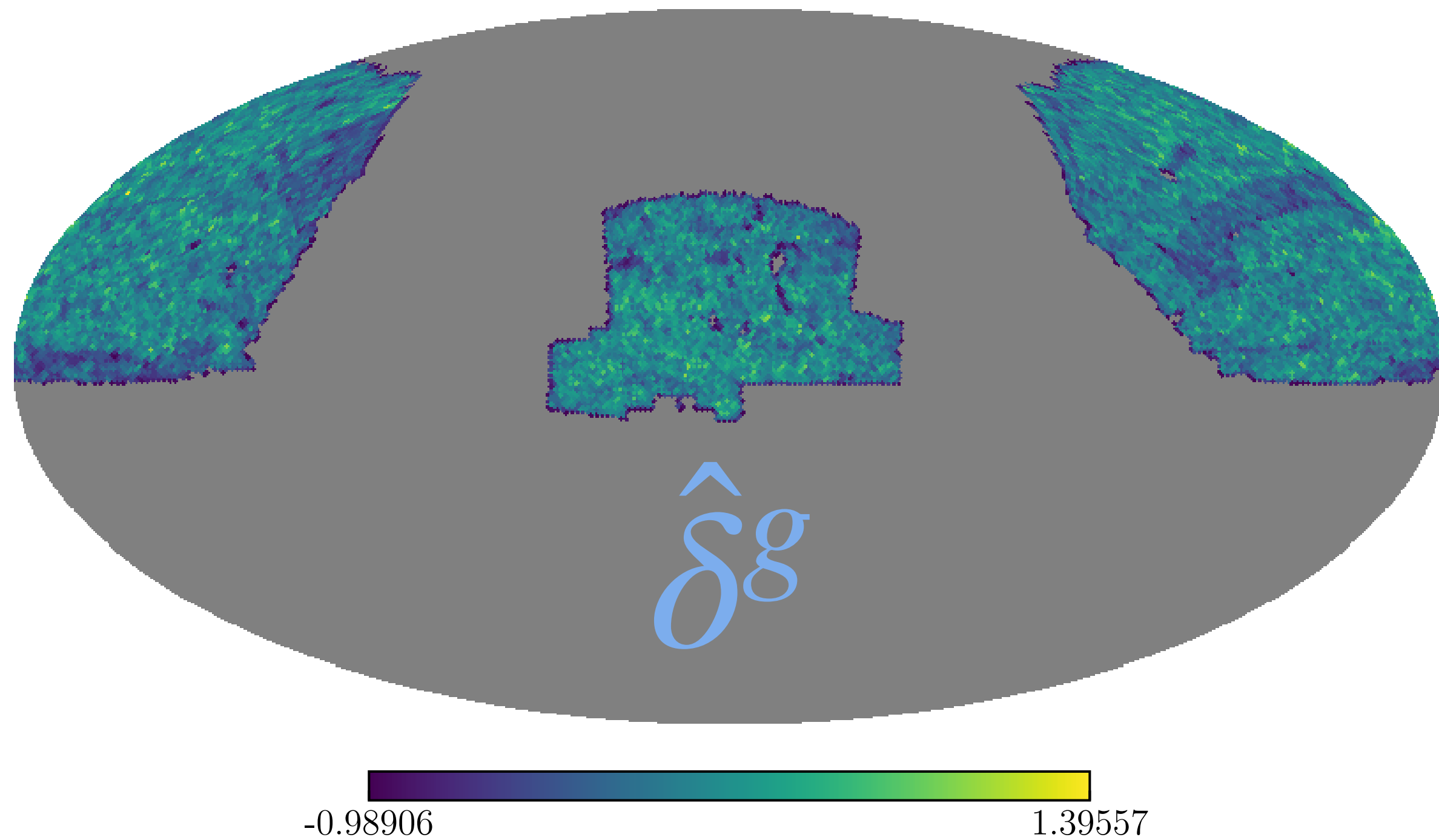
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*Indirect velocity estimate
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- *FMcC et al 2025a: use SDSS for the indirect estimate (large redshift and f_{sky} overlap penalty)*
- *FMcC et al 2025b: improve SNR by using DESILS for indirect estimate*

Indirect velocity measurement

- Galaxies move in a gravitational field -> **infer the velocity from density** (using GR + continuity equation)
- To differentiate from v^{kSZ} I refer to this as v^{cont}



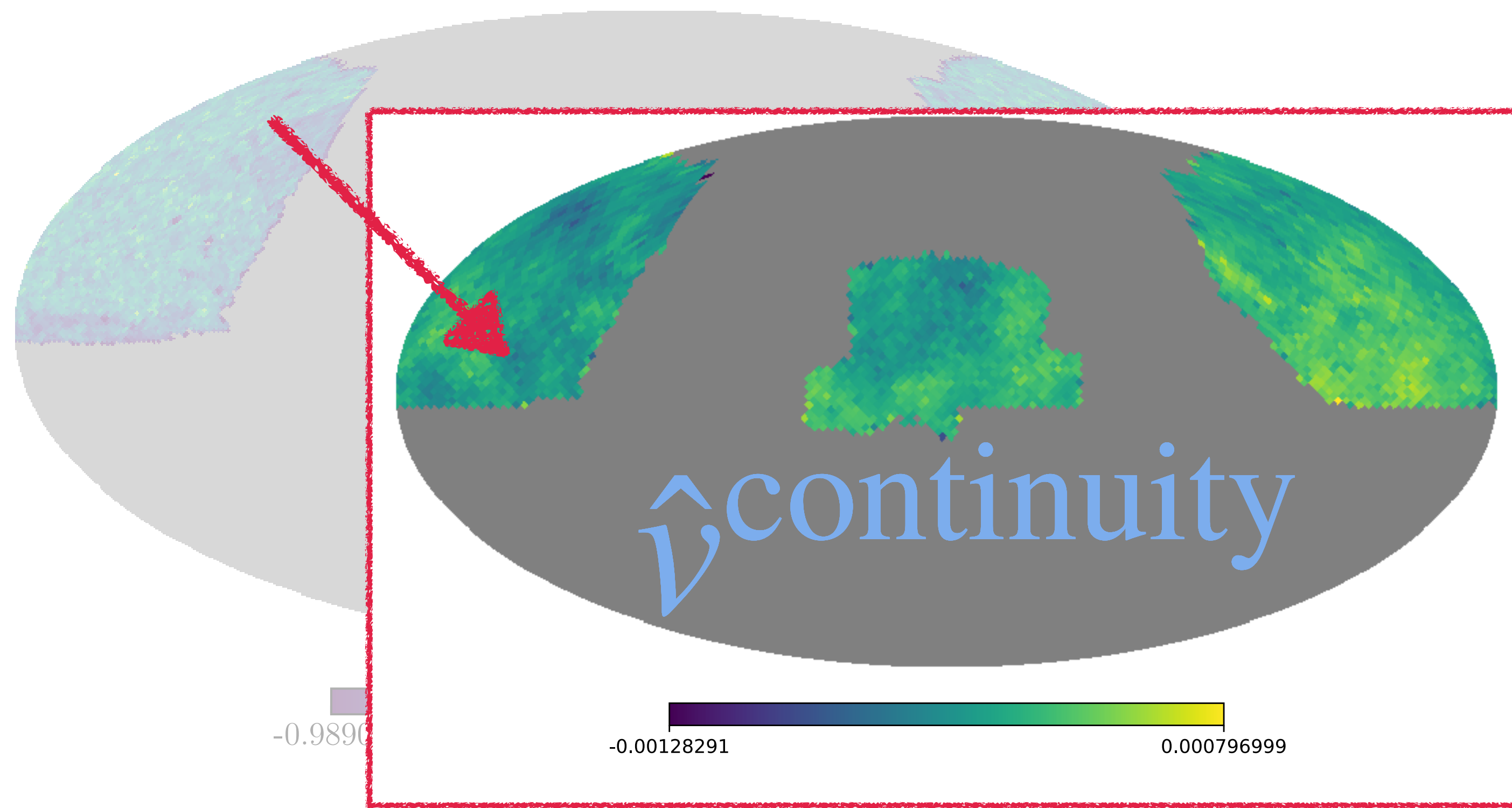
$$\langle v^{\text{kSZ}} v^{\text{external}} \rangle ?$$

Continuity equation:

$$-i\vec{k} \cdot \vec{v} - i\vec{k} \cdot \left(v_{\parallel} \hat{n} \right) = -aHf \frac{\delta_g}{b}$$

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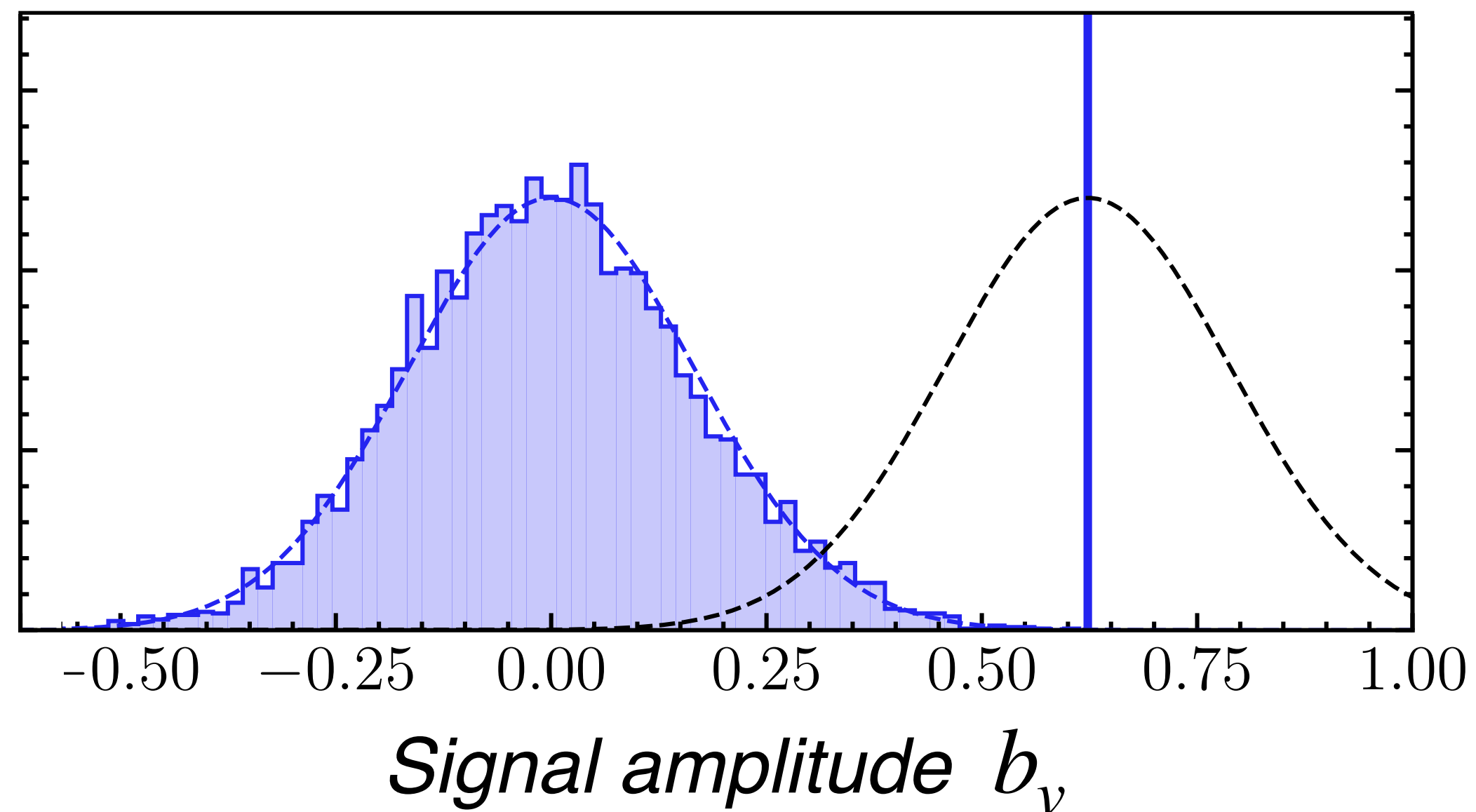
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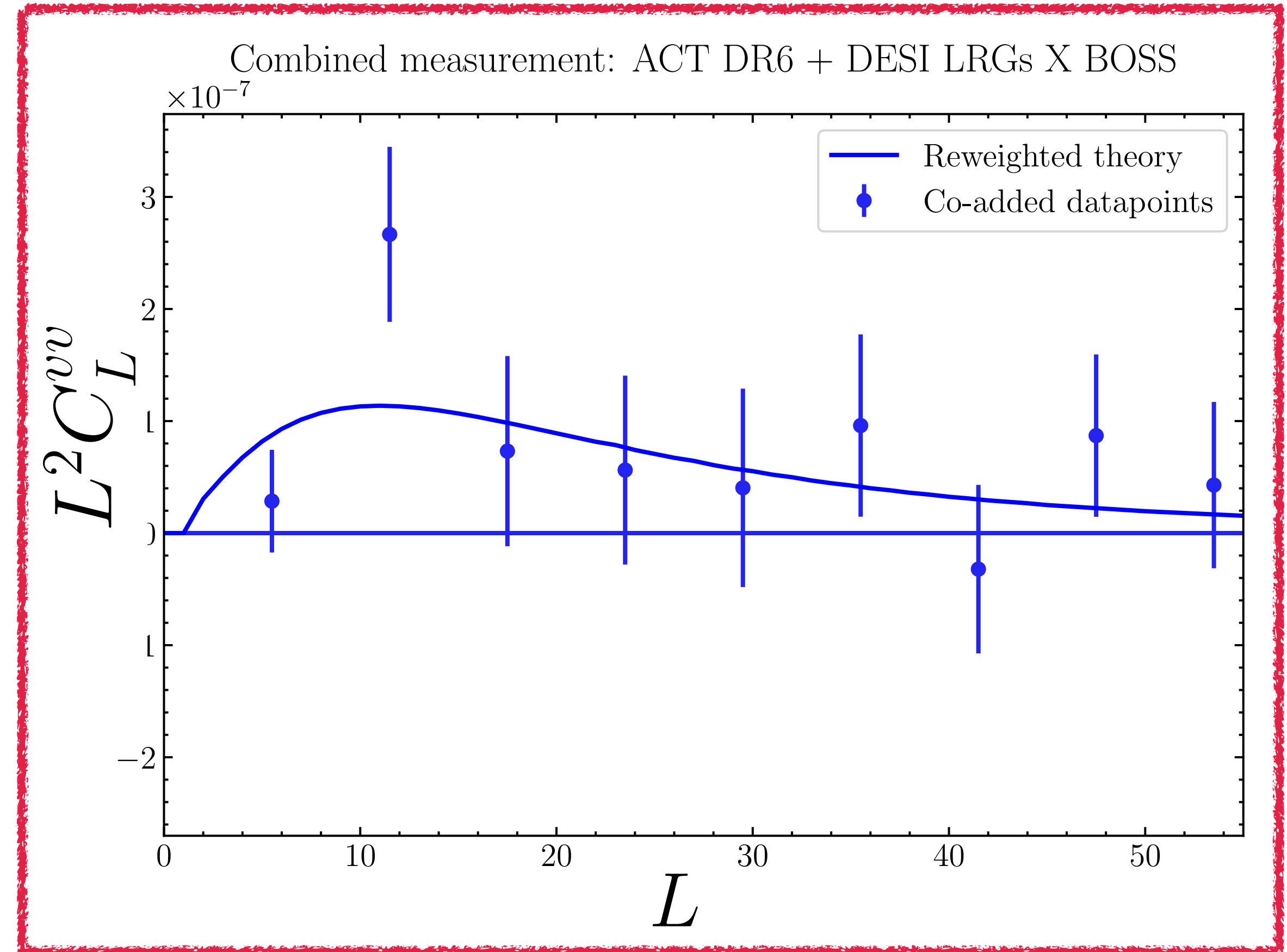
Weak first detection

- **FMcC** et al 2025a (ACT-DESILS-SDSS):
Weak first detection



$$\hat{C}_L^{v\text{kSZ}_v\text{cont}} \sim b_v C_L^{vv,\text{fiducial}}$$

3.8 σ significant!



Optical depth bias

- We use **galaxies** to trace **electrons**. There is a modelling step in the velocity estimator

$$v \sim \frac{T}{\delta^e} \xrightarrow{\text{“Galaxies trace electrons”}} \delta_\ell^e = \frac{C_\ell^{\tau g}}{C_\ell^{gg}} \delta_\ell^g$$

- $C_\ell^{\tau g}$ is not perfectly known!! This introduces a bias

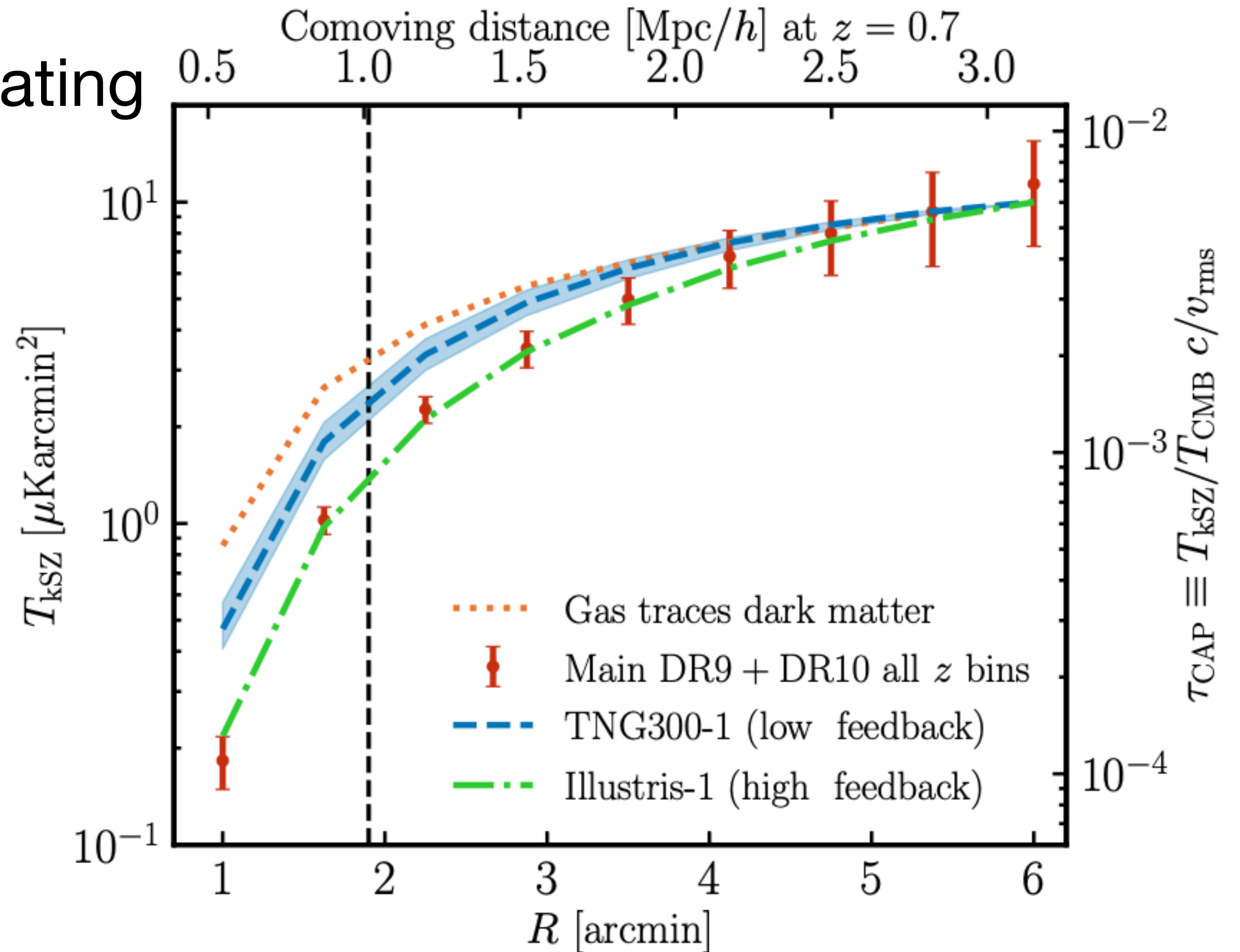
$$v^{\text{kSZ}} = b_v v^{\text{true}} \quad b_v = b_v(\Delta C_\ell^{g\tau}) \quad \Delta C_\ell^{g\tau} = C_\ell^{g\tau, \text{true}} - C_\ell^{g\tau, \text{assumed}}$$

- Importantly, b_v is **scale-independent on large scales**

- “Strong feedback” $\implies C_\ell^{\tau g}$ suppressed on scales of interest $\implies b_v < 1$, weaker signal than expected

“Strong feedback”(?)

- kSZ **stacking** measurements are indicating suppression in small-scale $C_{\ell}^{g\tau}$ for DESILS (eg, Hadzhiyska et al 2025)
- I will use the “TNG-300” curve with similar modelling assumptions to Hadzhiyska et al for fiducial theory
- We **expect** $b_v < 1$ (a manifestation of the same signal as Hadzhiyska et al)

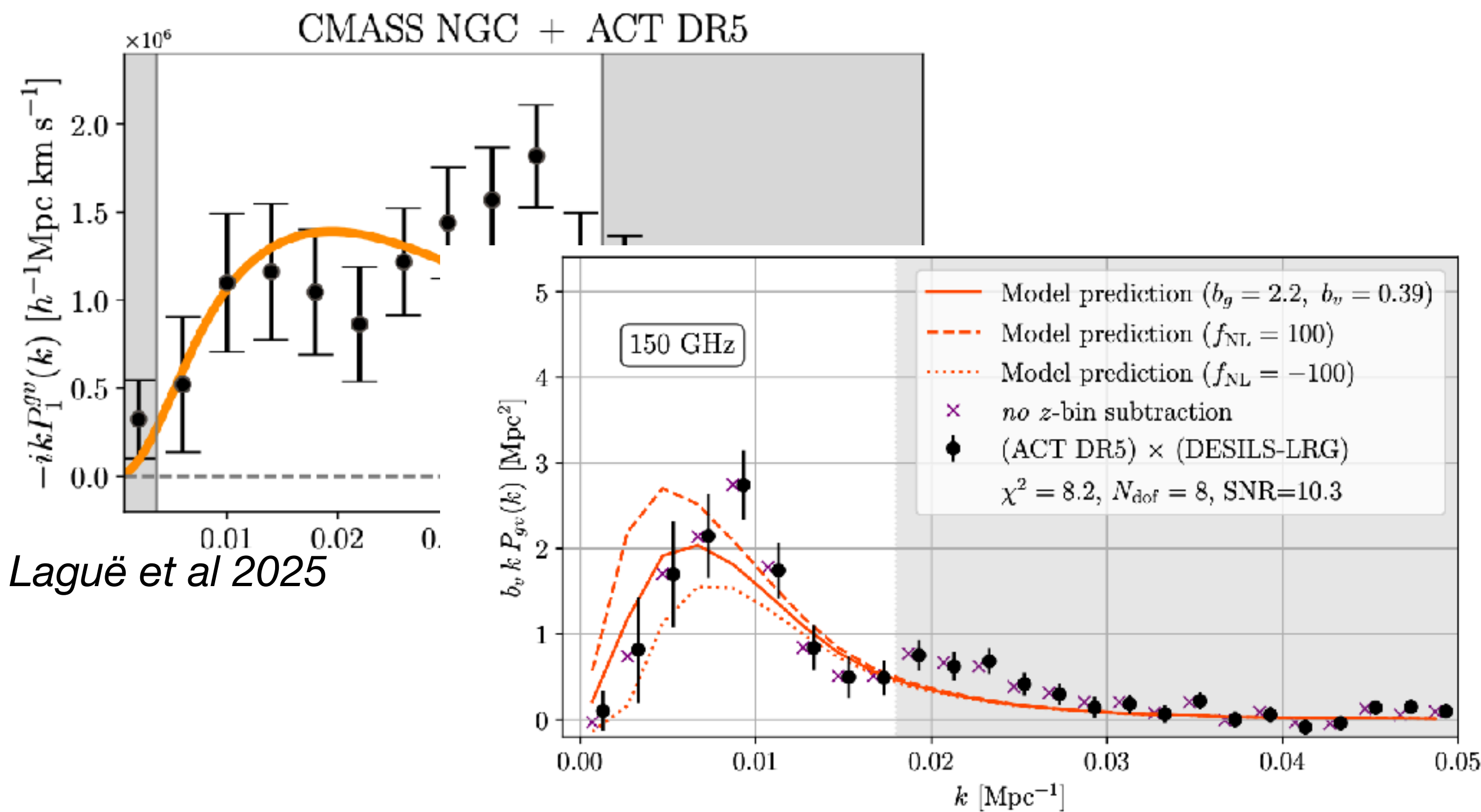


Hadzhiyska et al 2025

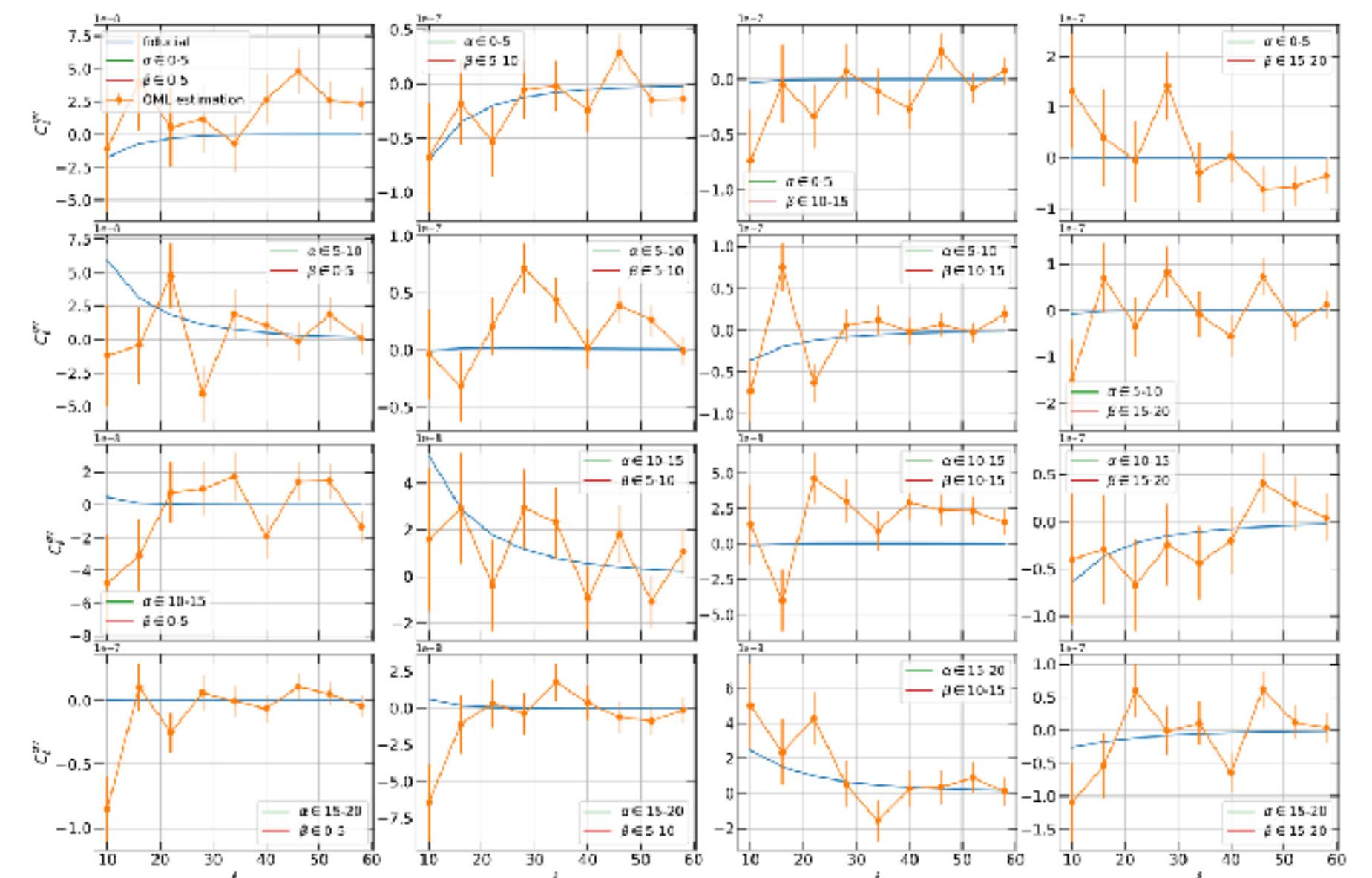
Ongoing progress in the field

- Since our first detection, several increasingly high-significance measurements have been made:

- *Bloch and Johnson 2024*: $\sim 1\sigma$
- *Laguë et al 2025*: $\sim 7\sigma$
- *Hotinli et al 2025*: $\sim 11\sigma$
- *Lai et al 2025*: $\sim 11\sigma$



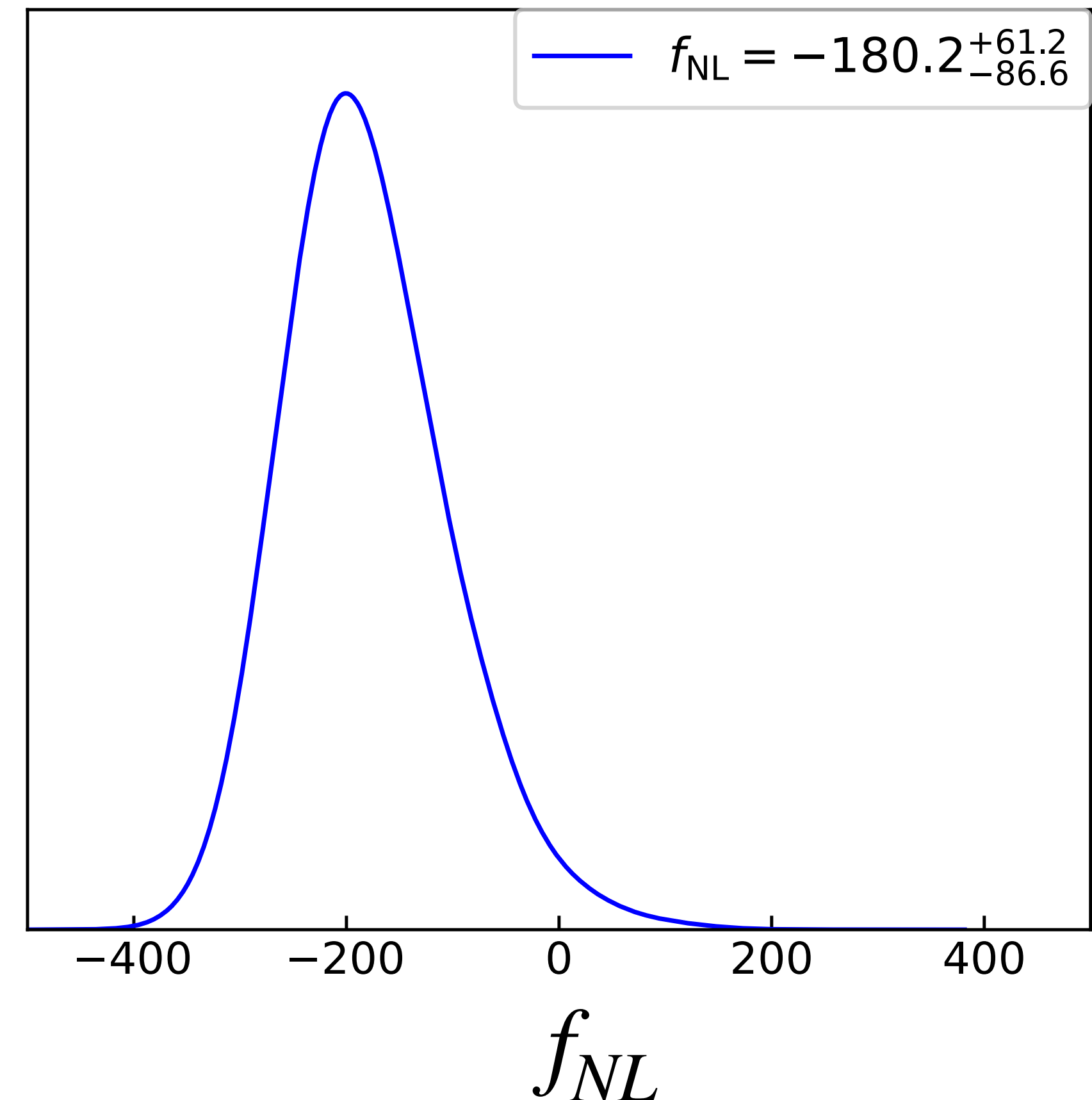
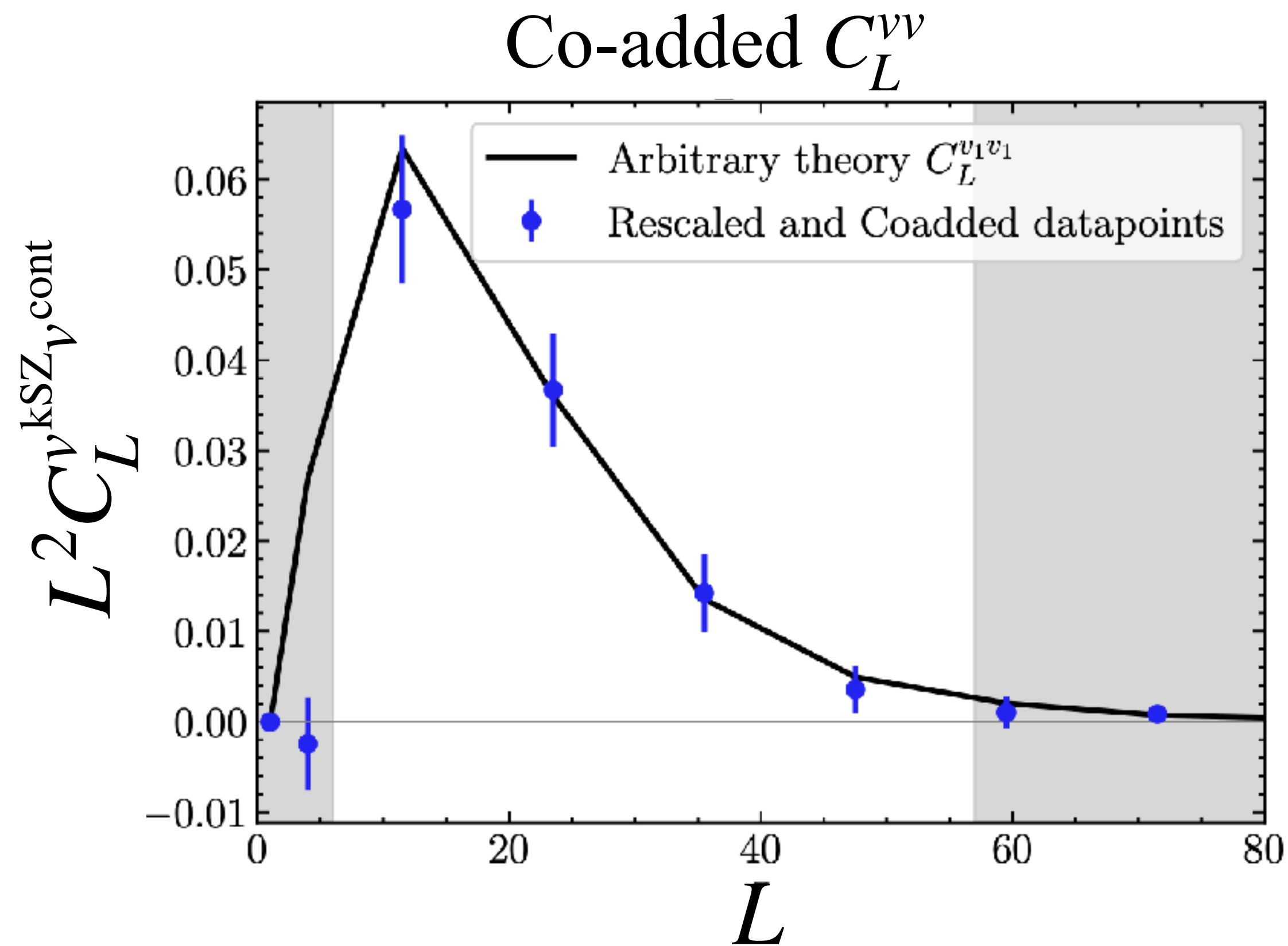
Hotinli et al 2025



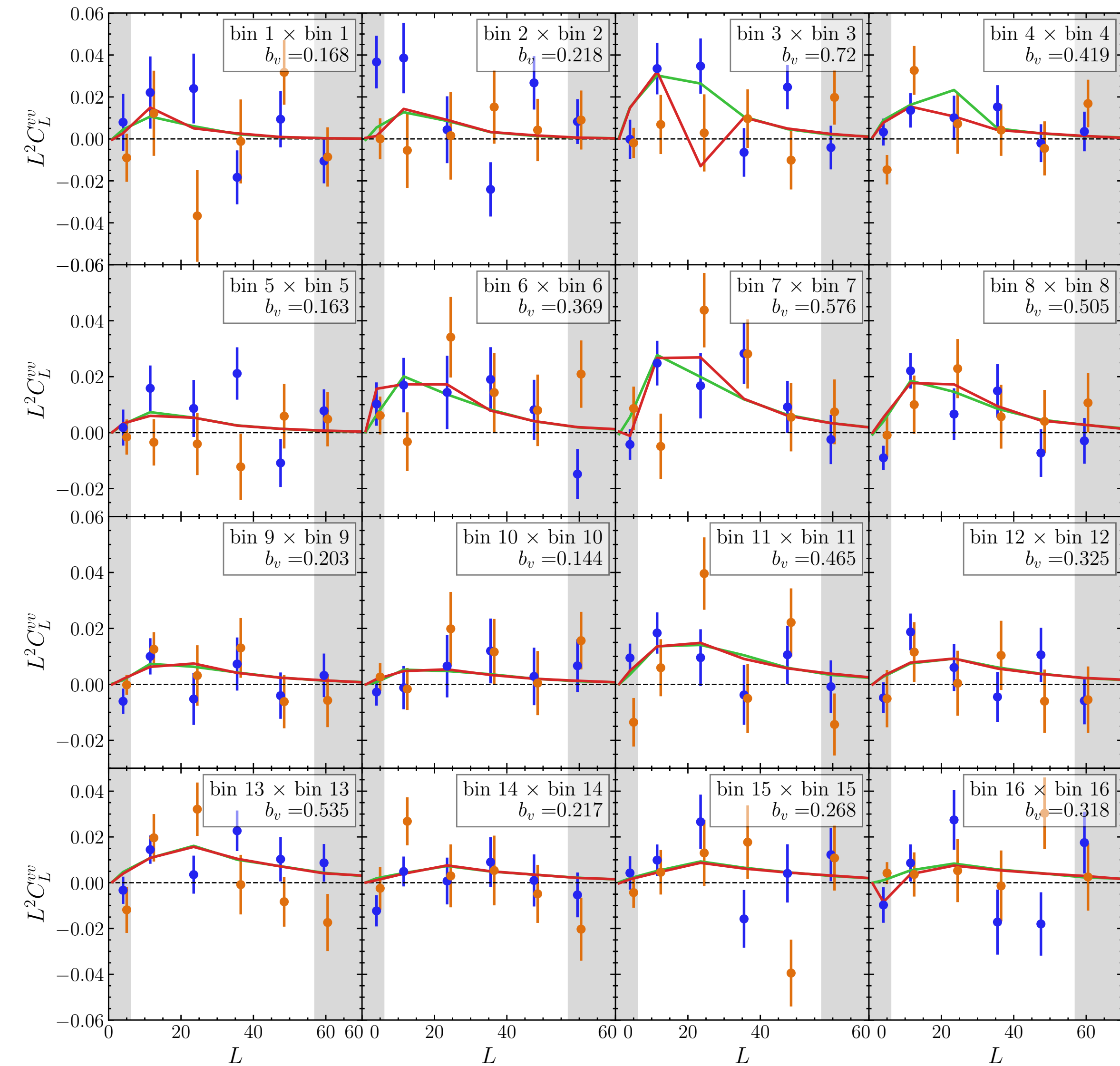
Lai et al 2025

Recent measurement: ACT-DESILS-DESILS

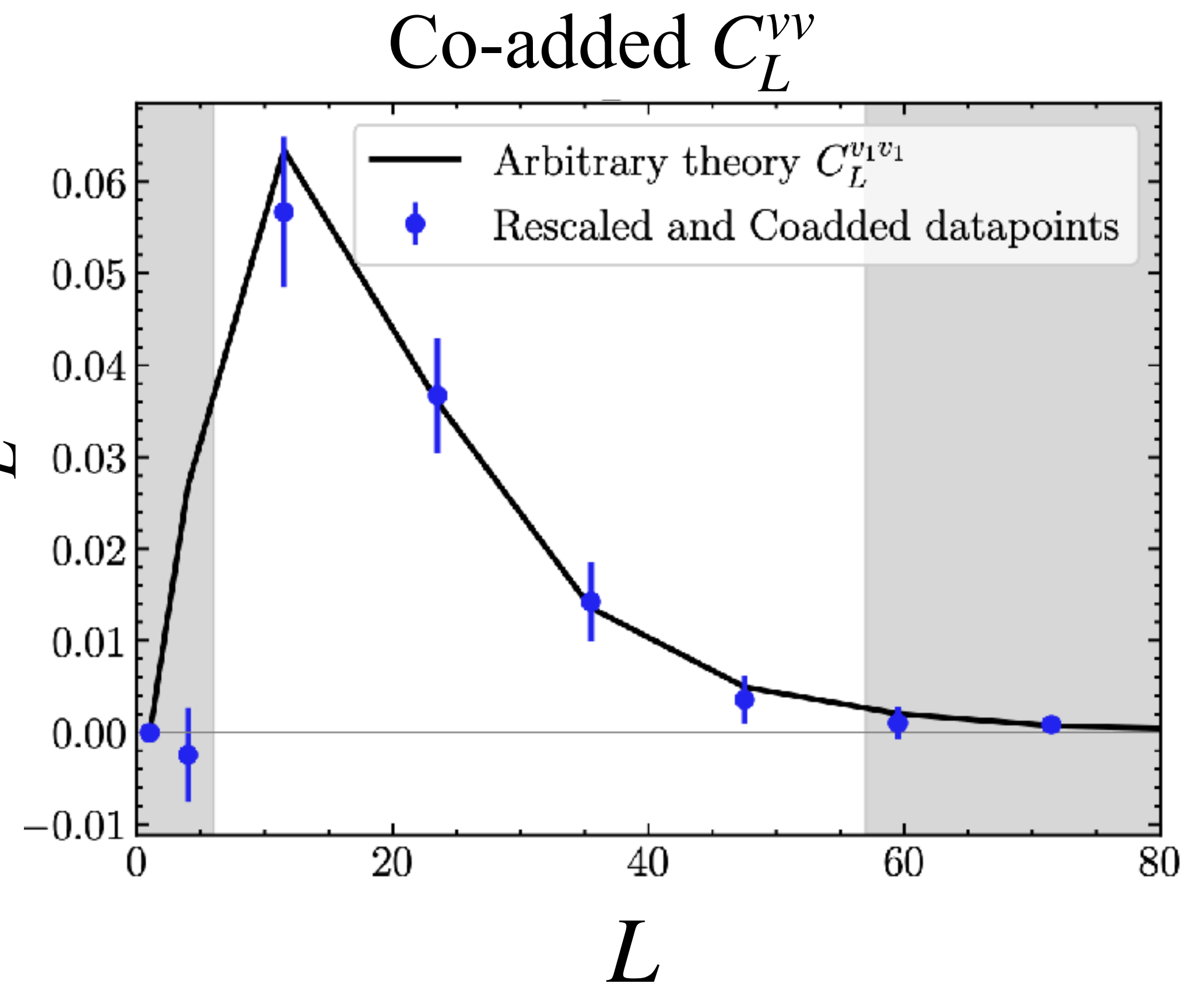
- High-significance measurement of cross-correlation between velocity template and kSZ reconstruction
- Cosmological constraints on f_{NL}



Cross-correlation measurement

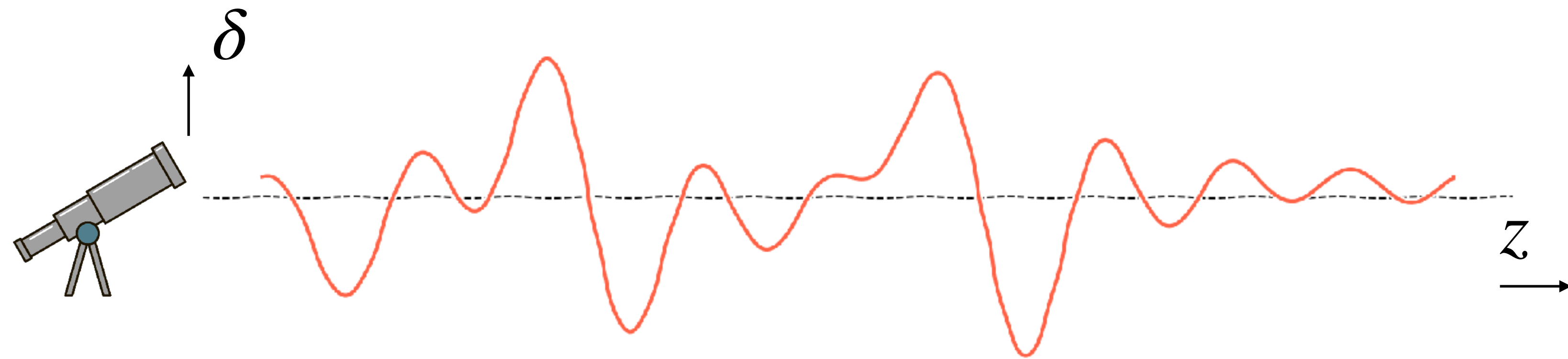


$L^2 C_L^{\text{ksZ}_\nu \text{cont}}$



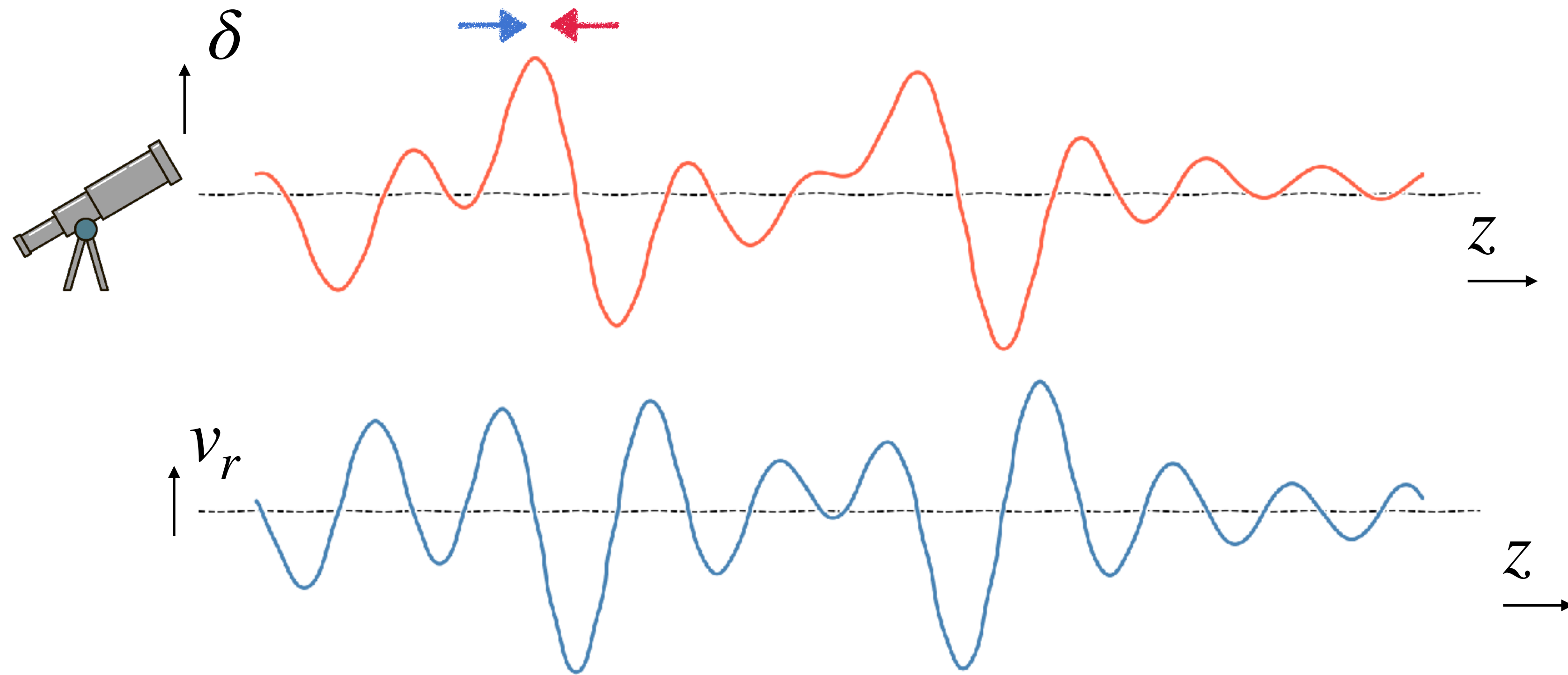
Redshift resolution

- Intrinsic signal size depends on redshift resolution
- Wide bin: *radial modes average down*



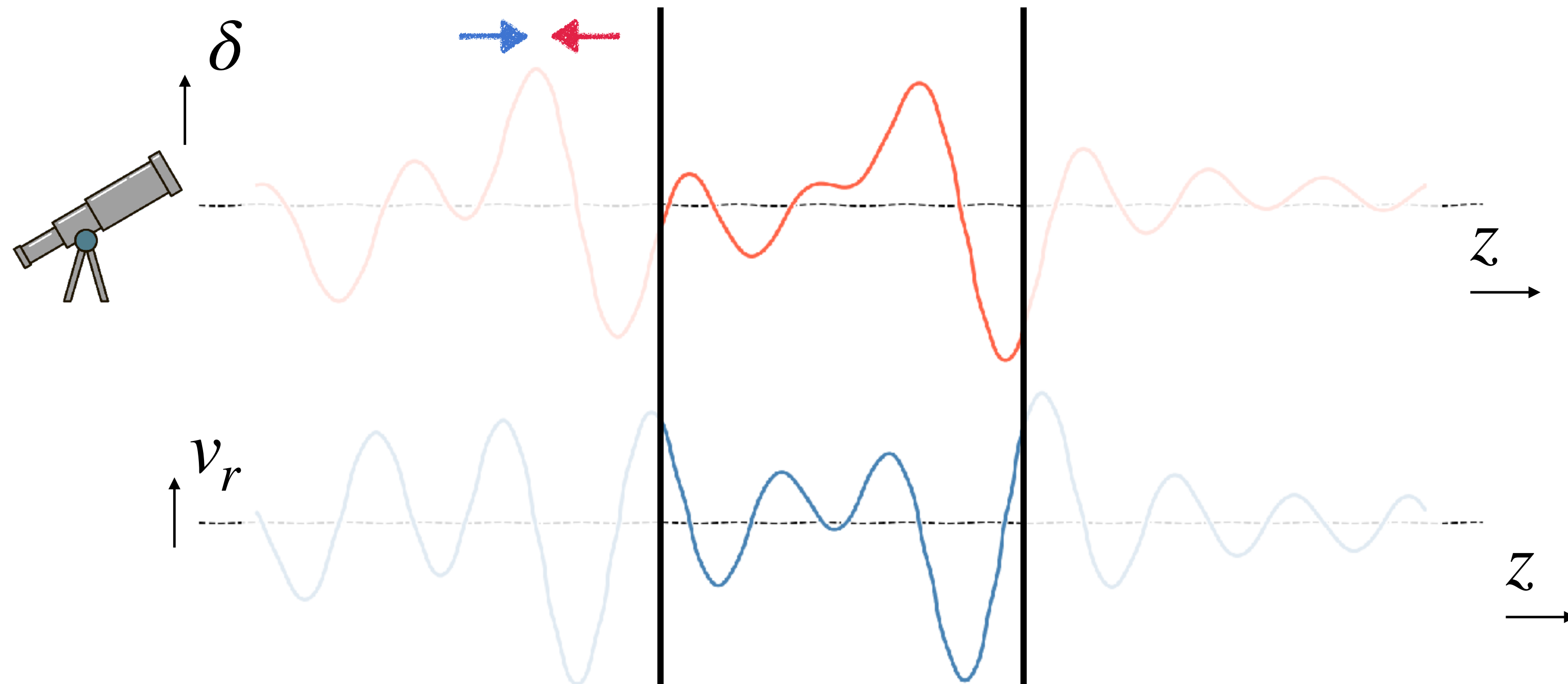
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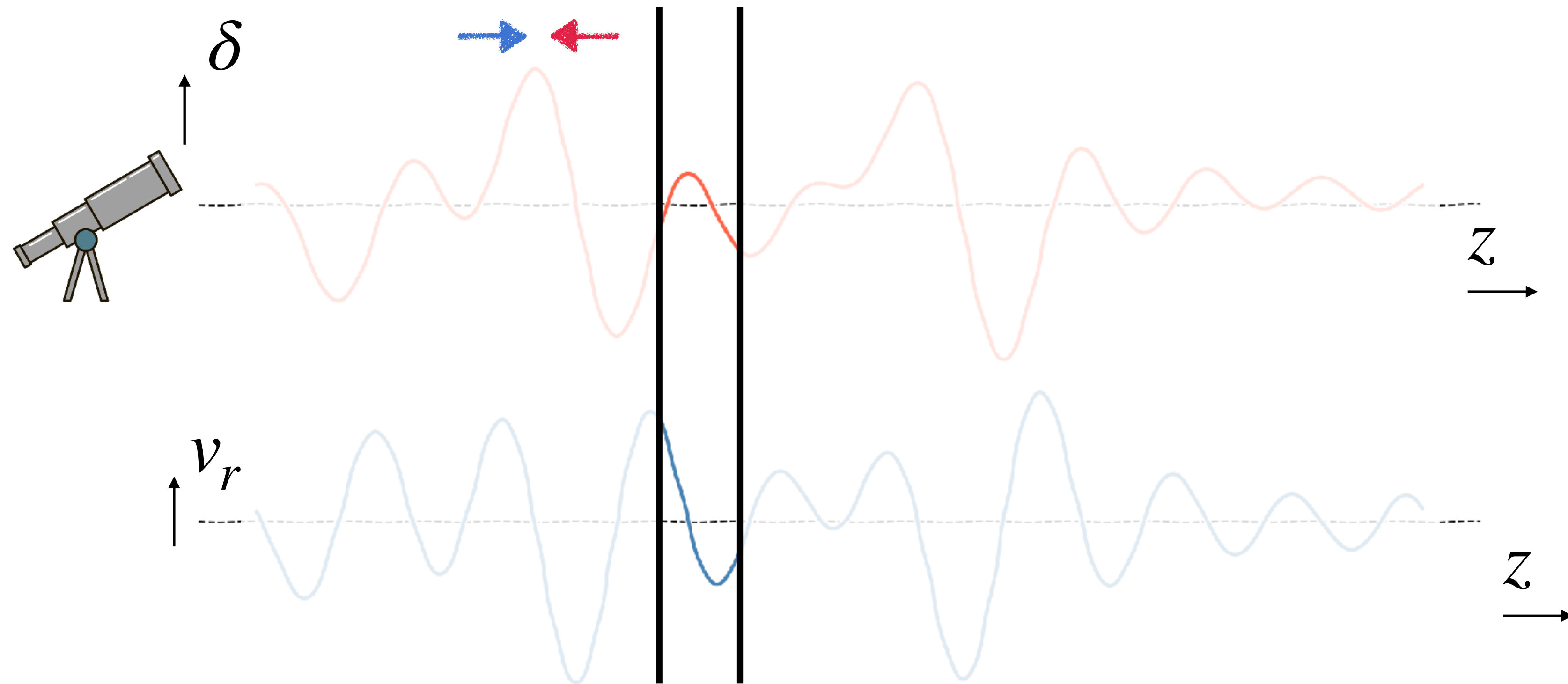
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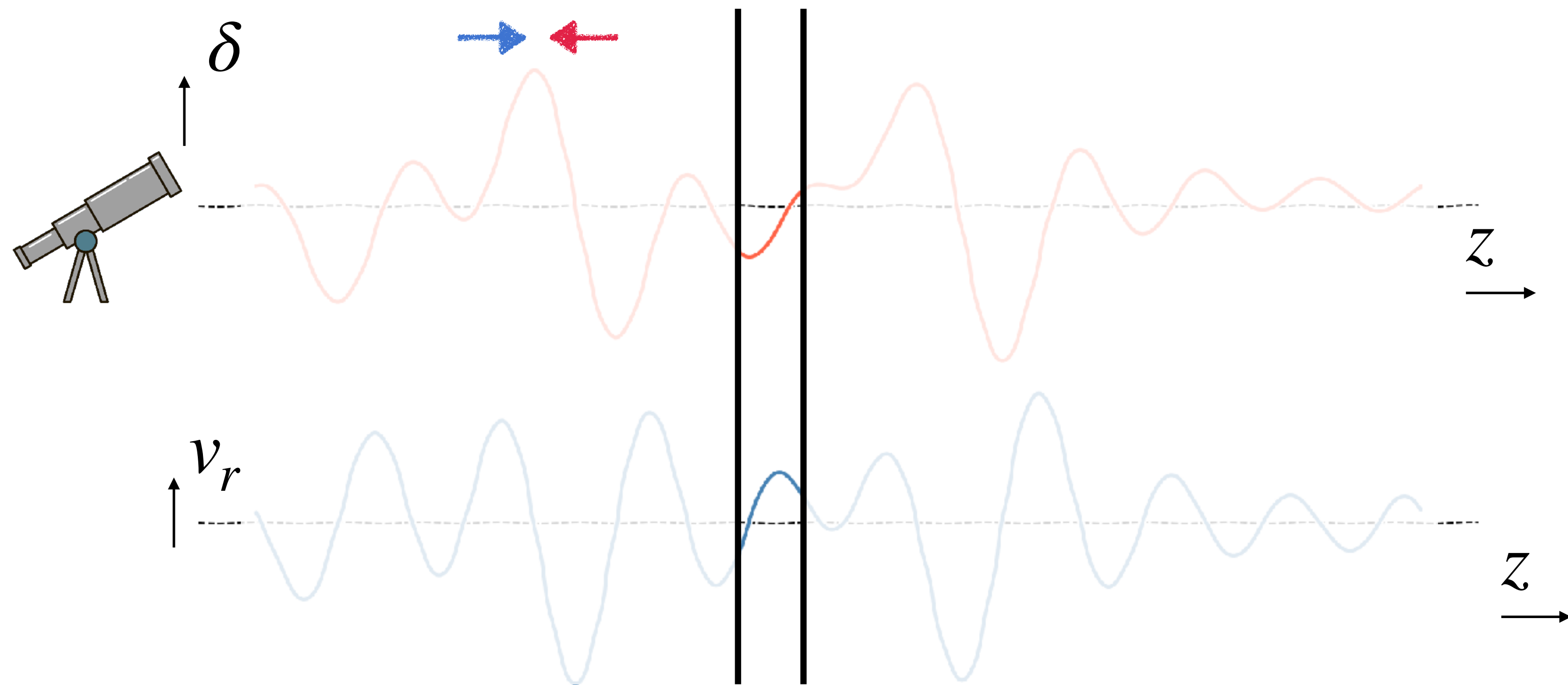
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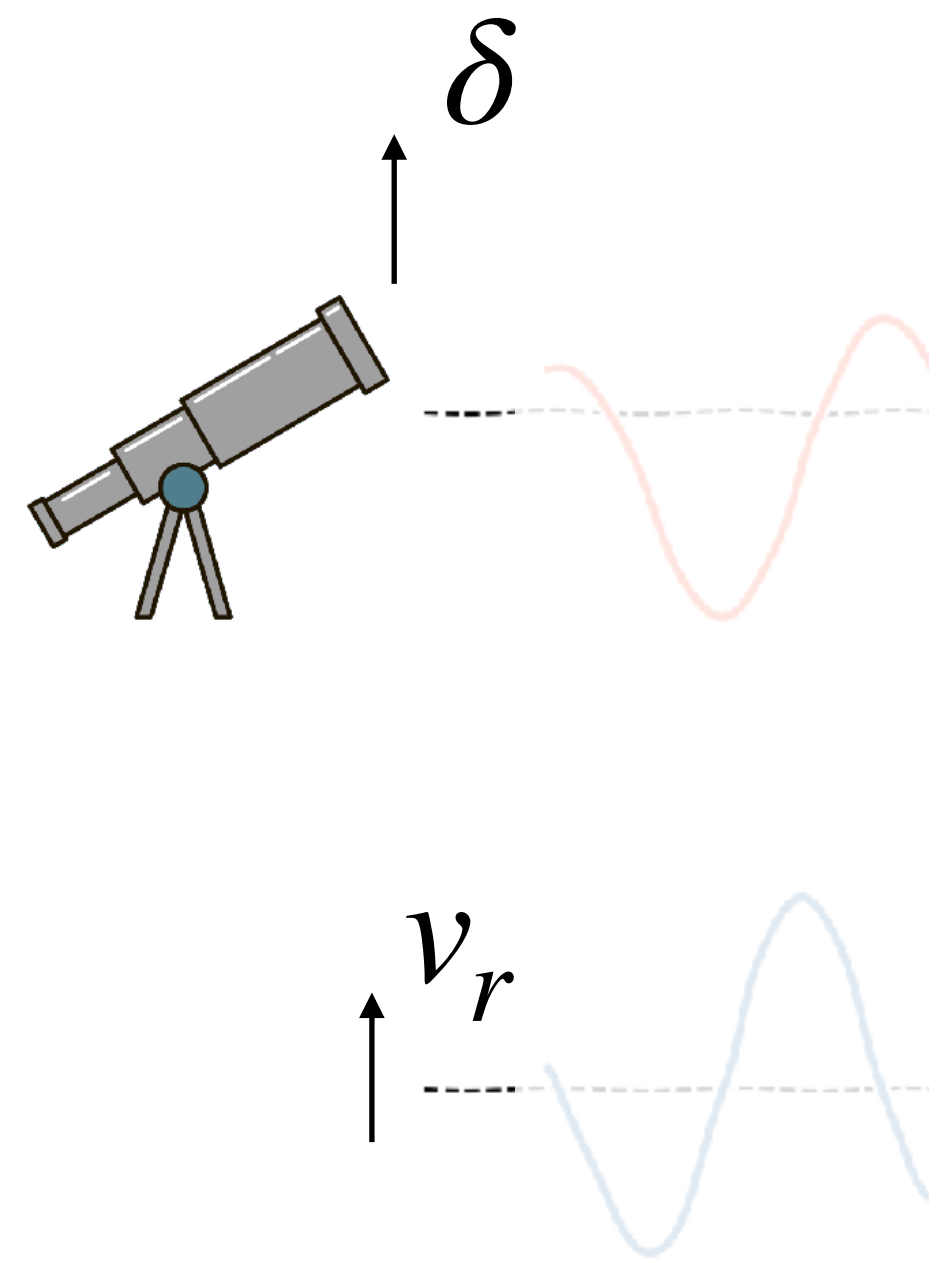
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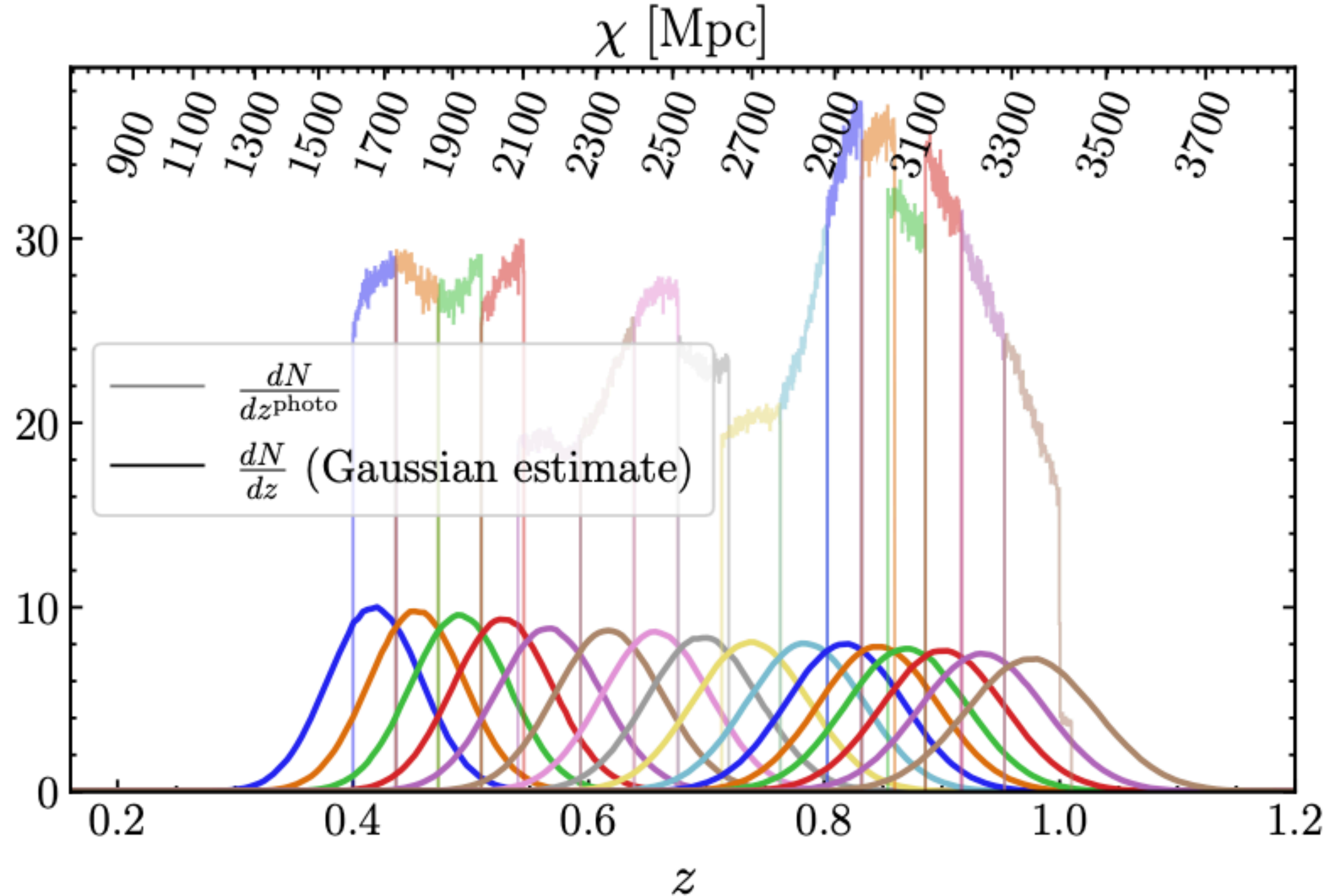


Redshift resolution

- Intrinsic signal
- Wide bin: δ

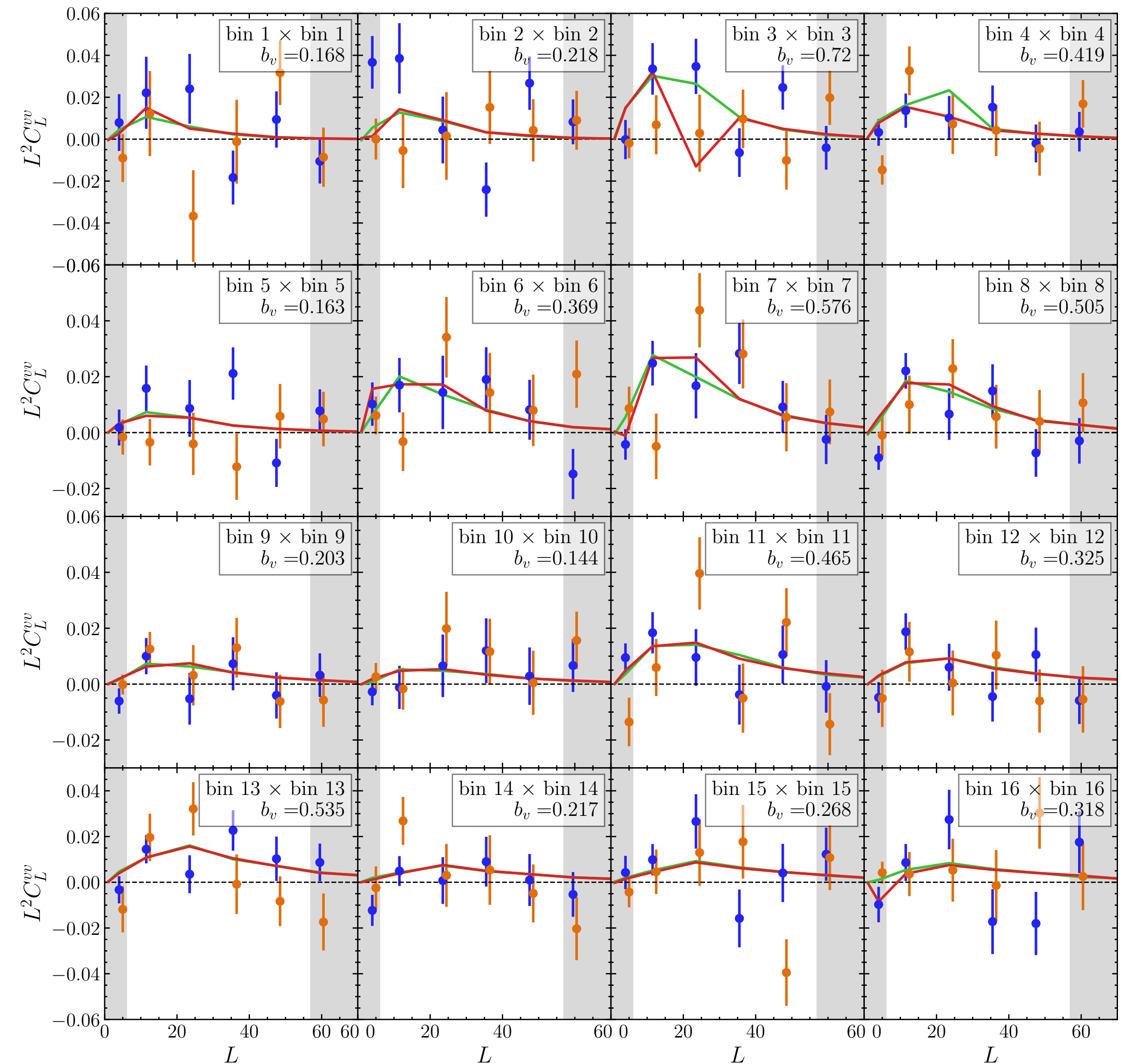
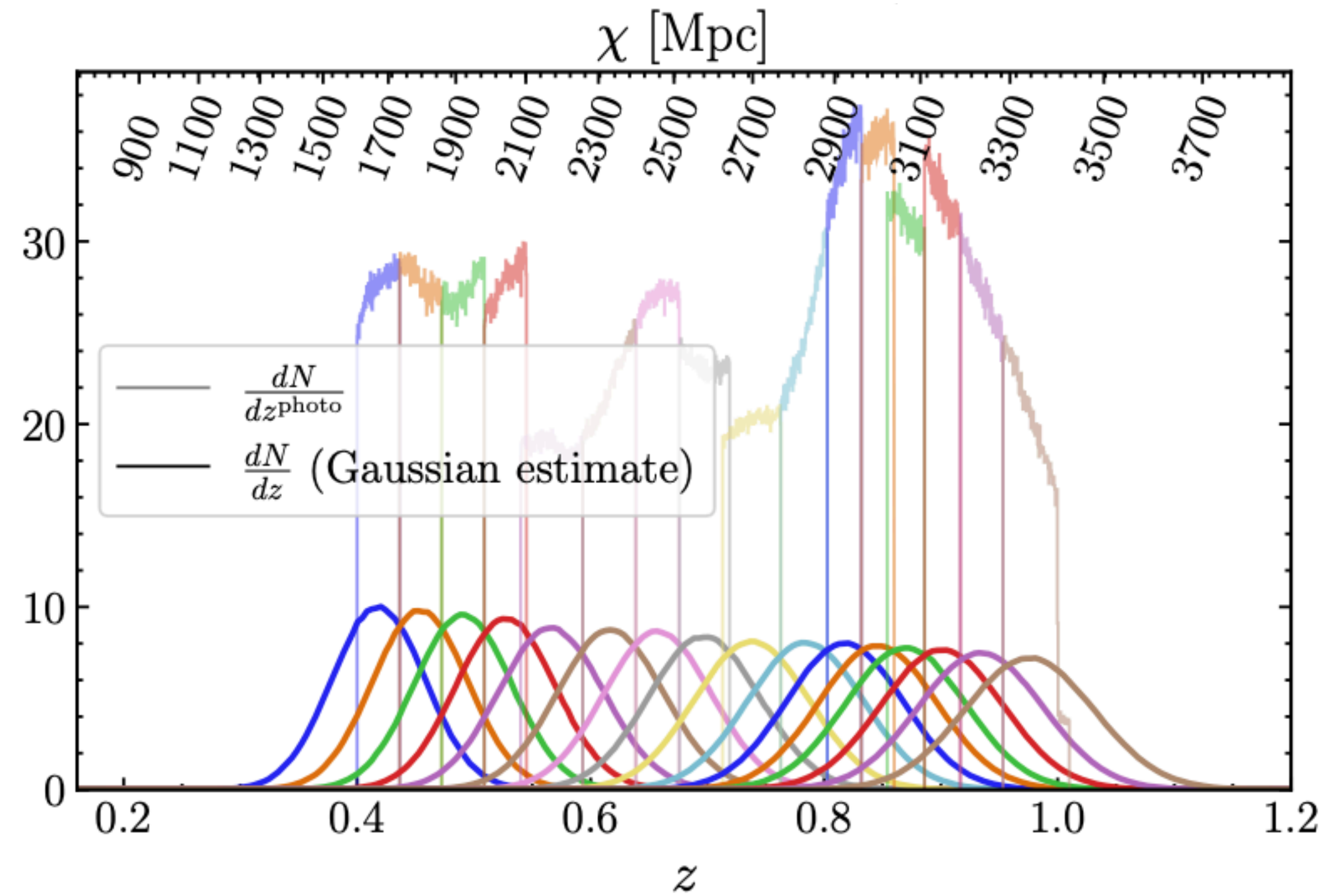


Normalized redshift distributions, $N = 16$ bins



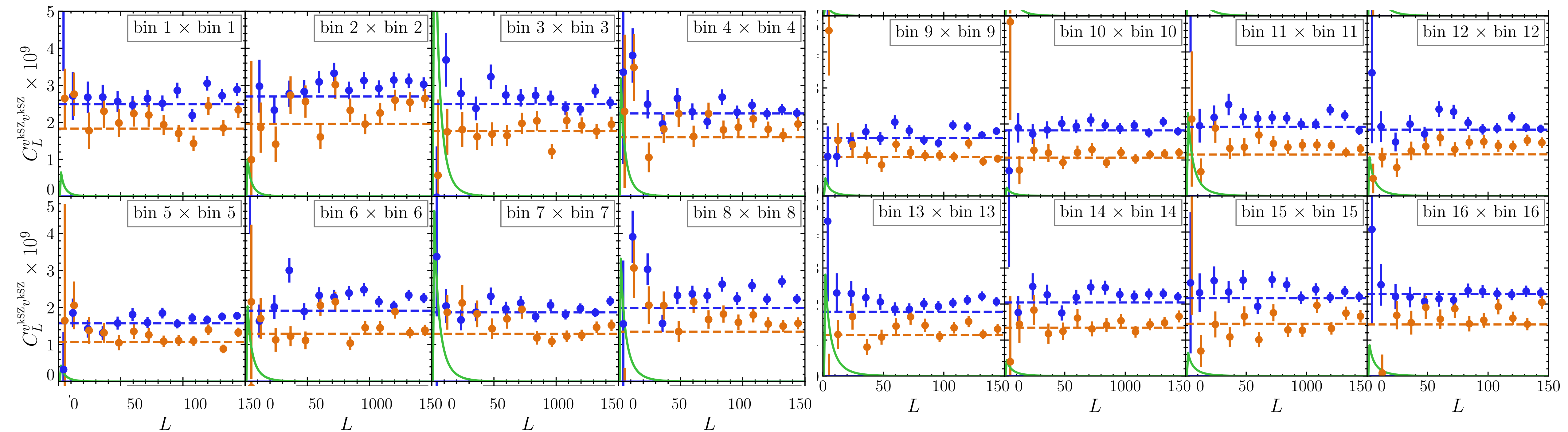
Cross correlation measurement

- Cross correlation between kSZ velocity and continuity equation velocity



Hint of auto measurement

- Auto spectrum of the kSZ velocity C_L^{vv}

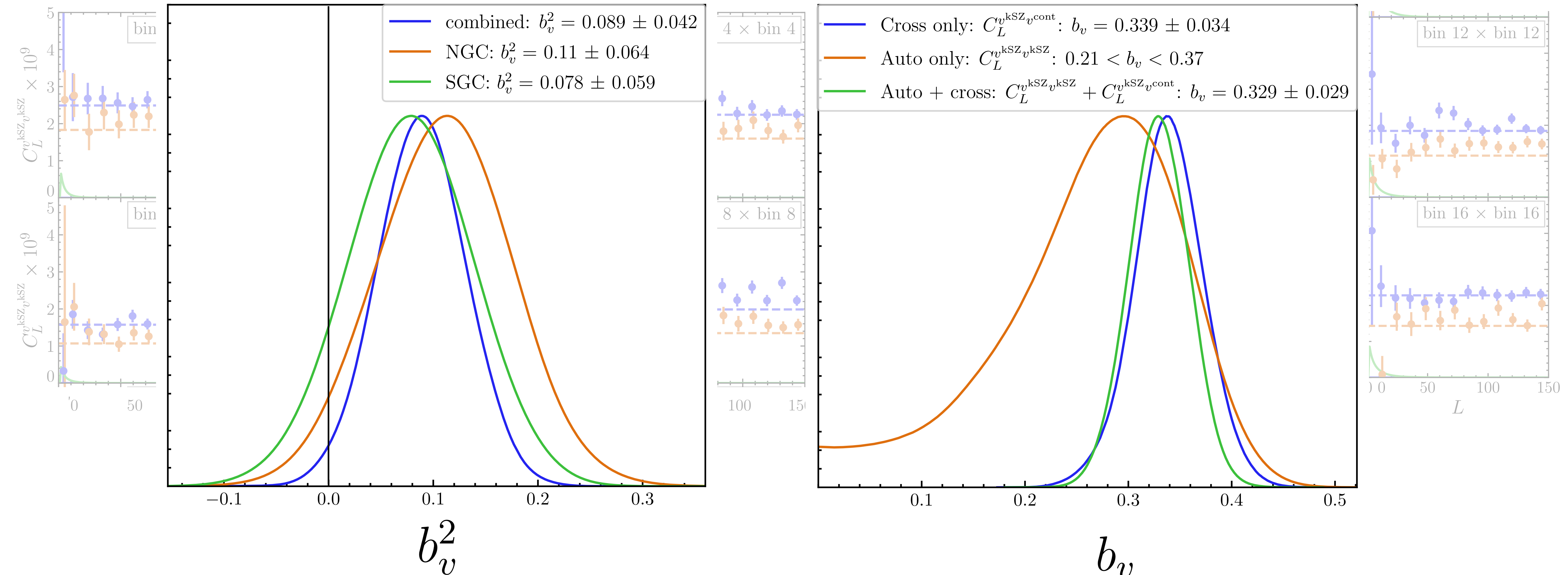


Hint of consistent auto measurement

- Amplitude of auto is consistent with the cross

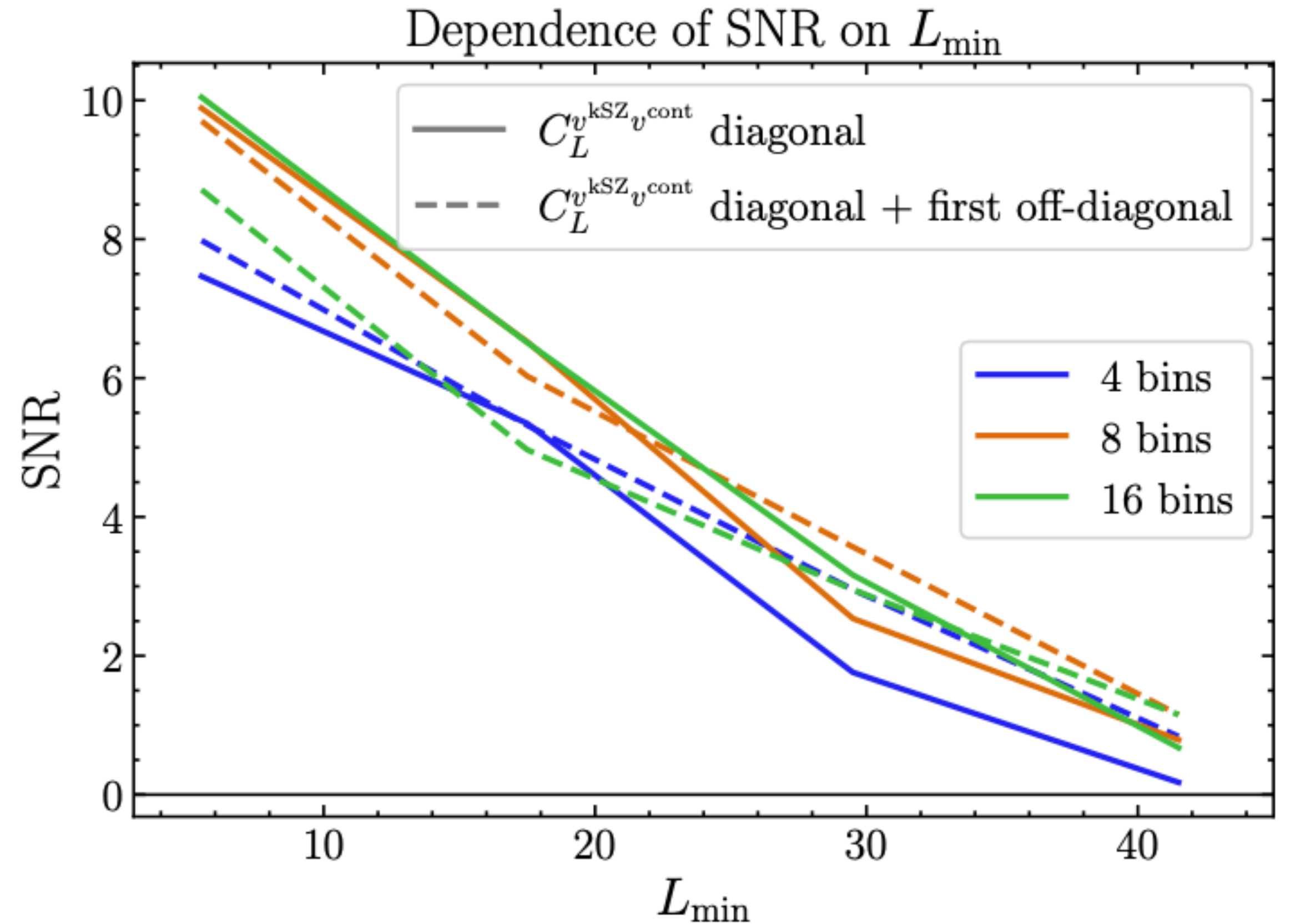
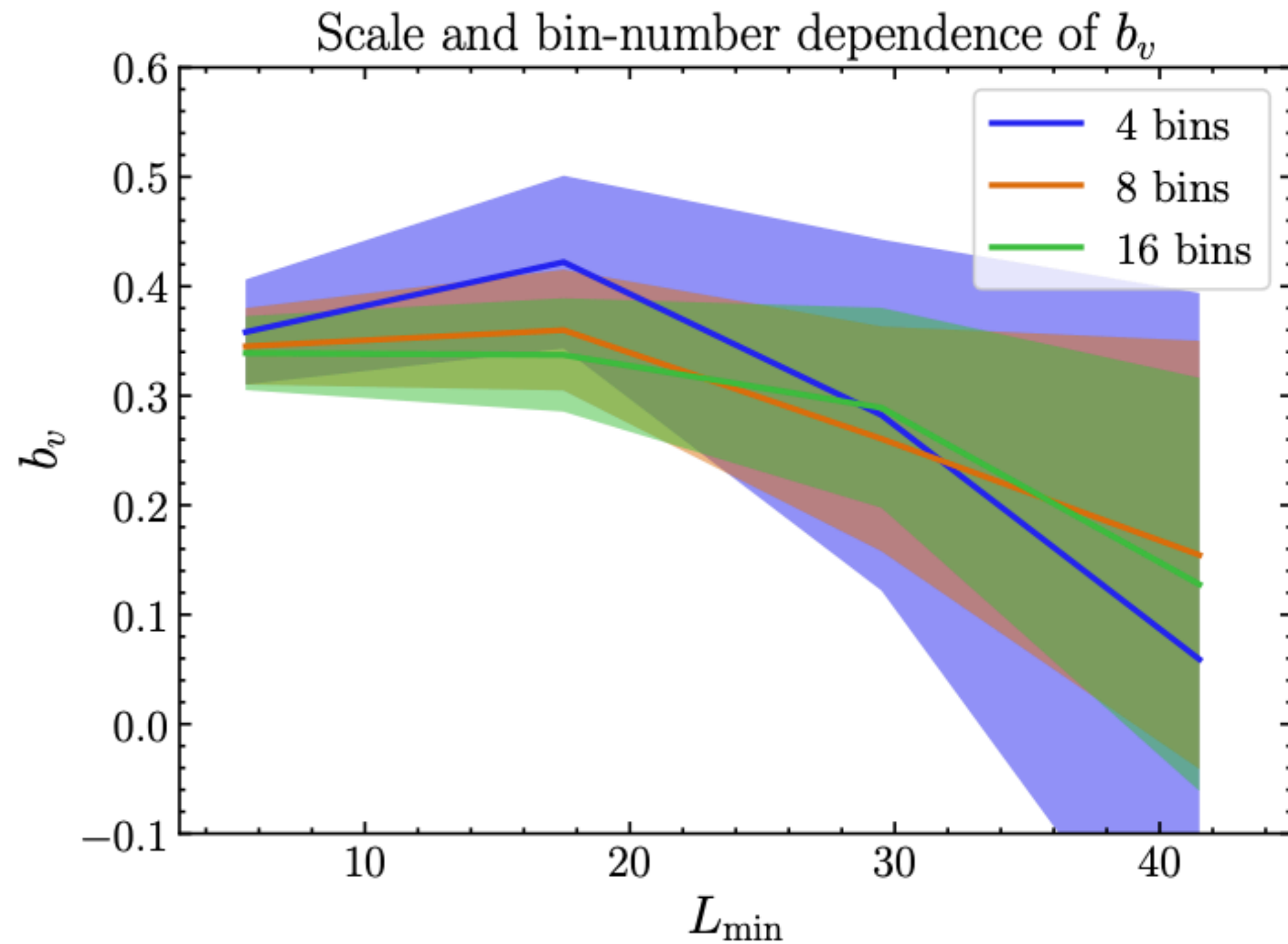
From auto alone

From auto + cross



Scale- and binning dependence

- Most signal-to-noise is at **large scales**
- Increase in SNR with finer binning



Modeling C_L^{vv} for v_L^{cont}

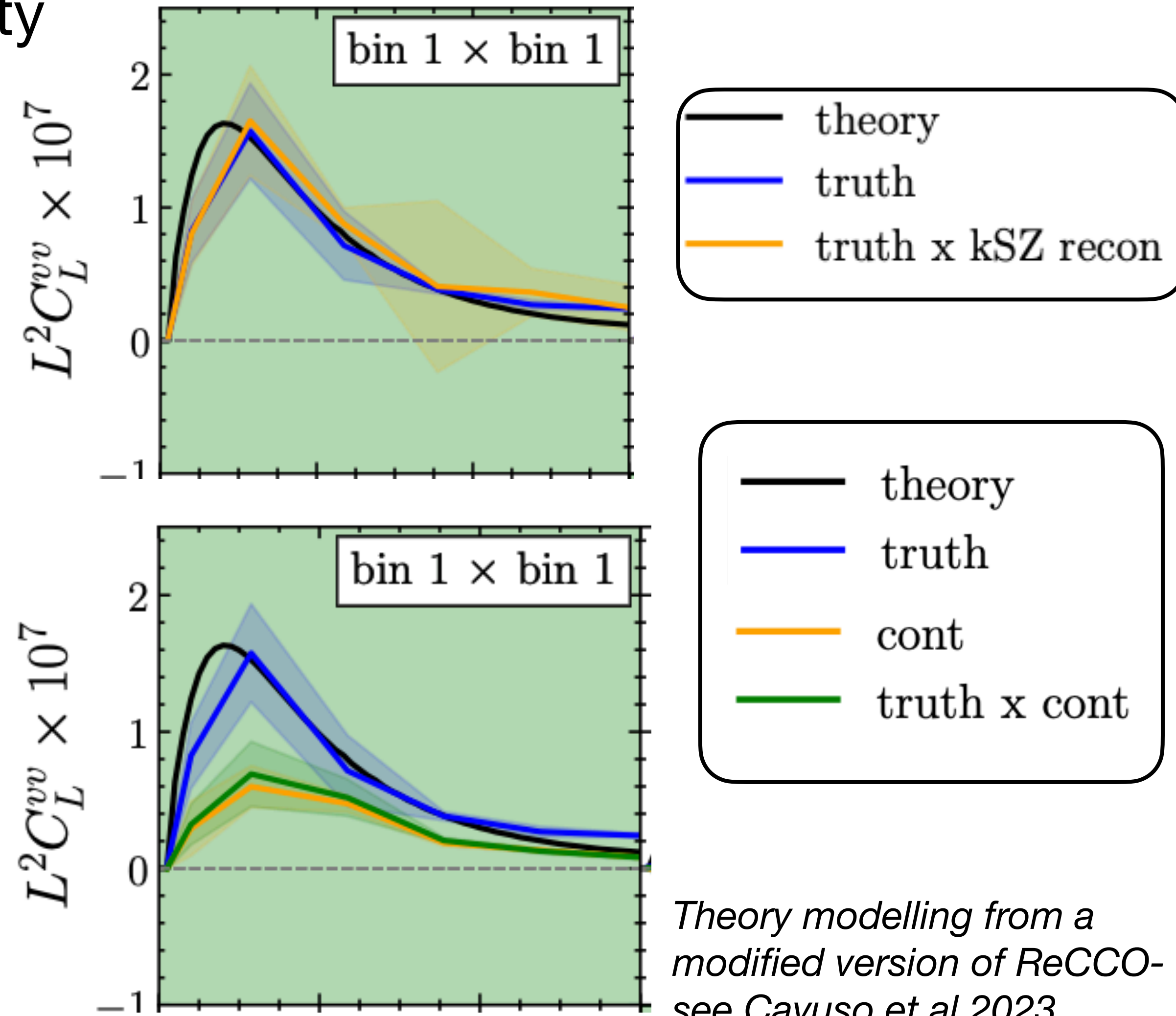
- Within ΛCDM , we can model peculiar velocity

$$v_\alpha(\hat{n}) = \int d\chi W^\alpha(\chi) v_r(\chi, \hat{n}),$$

$$C_L^{v_\alpha v_\beta} = \int d\chi_1 d\chi_2 W^\alpha(\chi_1) W^\beta(\chi_2) \times \int \frac{k^2 dk}{(2\pi)^3} \mathcal{K}_L^v(\chi_1, k) \mathcal{K}_L^v(\chi_2, k) P_{\text{lin}}(\chi_1, \chi_2, k),$$

$$\mathcal{K}_L^v(\chi, k) = 4\pi i^L \frac{f(\chi) H(\chi) a(\chi)}{(2L+1)k} (L j_{L-1}(k\chi) - (L+1) j_{L+1}(k\chi)),$$

- This model works when applied to N -body sims - but v^{cont} is suppressed

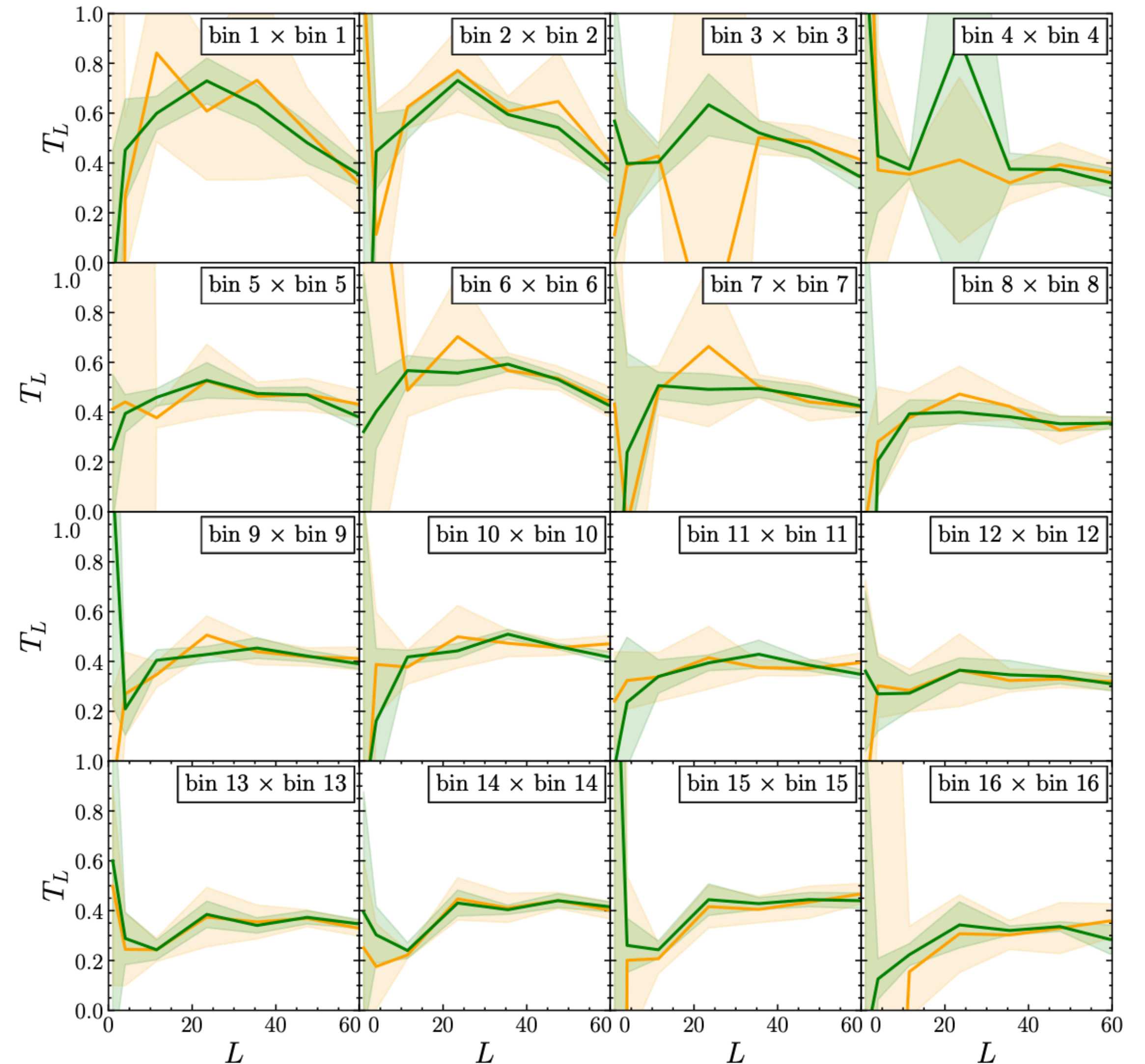


Theory modelling from a modified version of ReCCO-see Cayuso et al 2023 (including FMcC)

Modeling C_L^{vv} for v_L^{cont}

- Use N -body+HOD sims (AbacusSummit light cone; see Maksimova et al 2021; Hadzhiyska et al 2022) to calibrate a “transfer function” for $C_L^{vv^{\text{cont}}}$

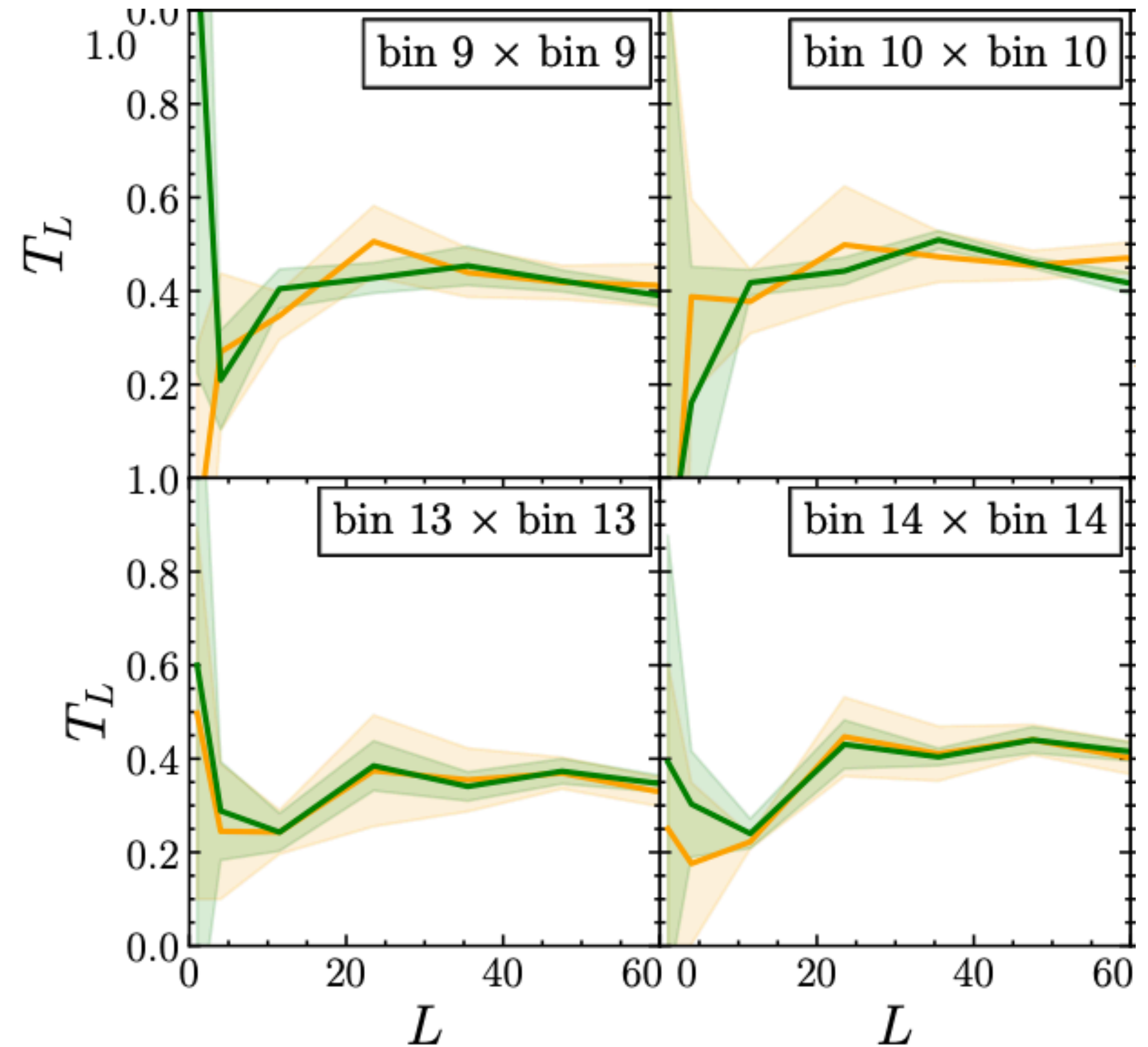
$$C_L^{v^\alpha v^\beta, \text{cont}} = T_L^{\alpha\beta} C_L^{v^\alpha v^\beta}$$



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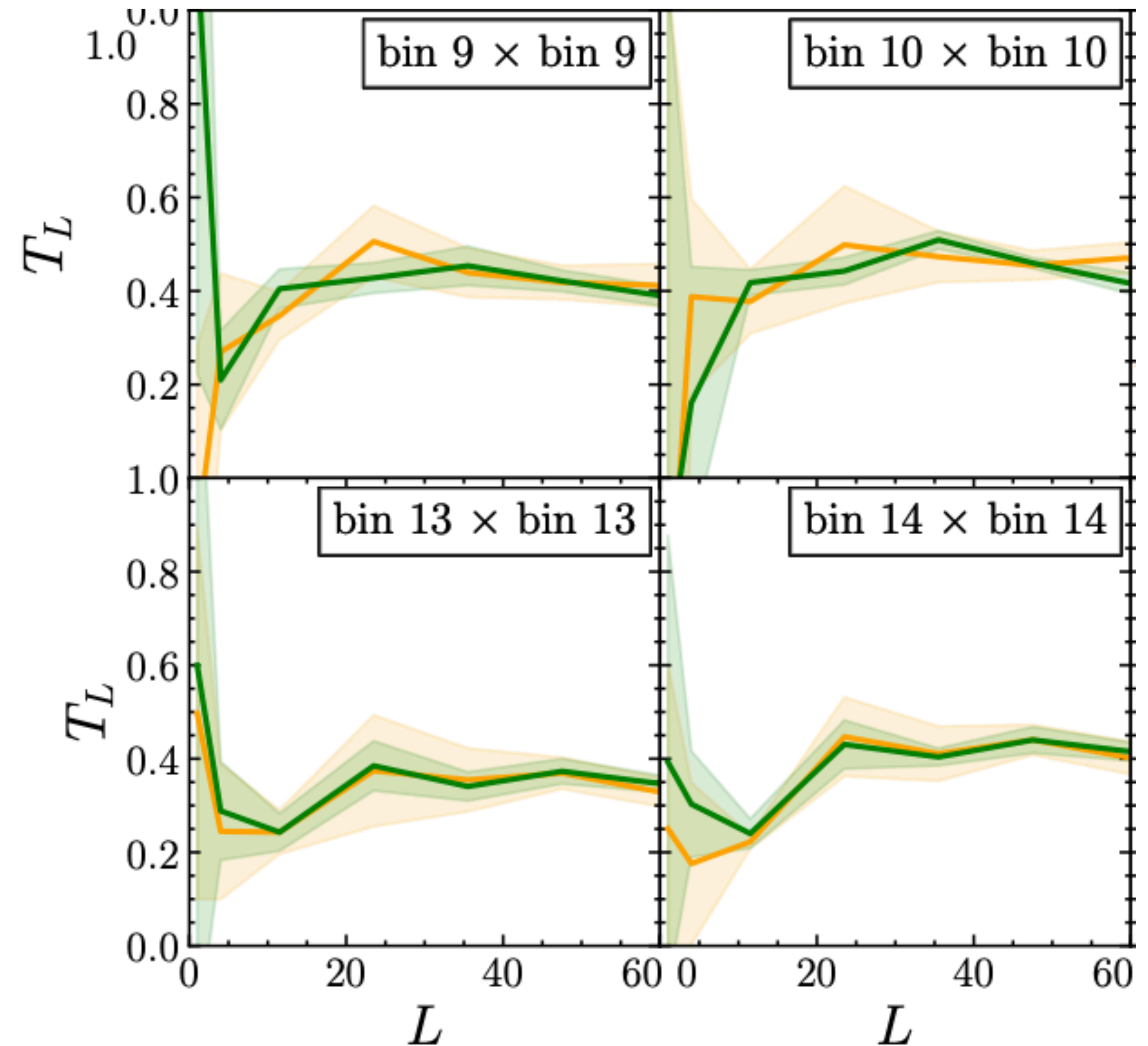


Modeling C_L^{vv} for v_L^{cont}

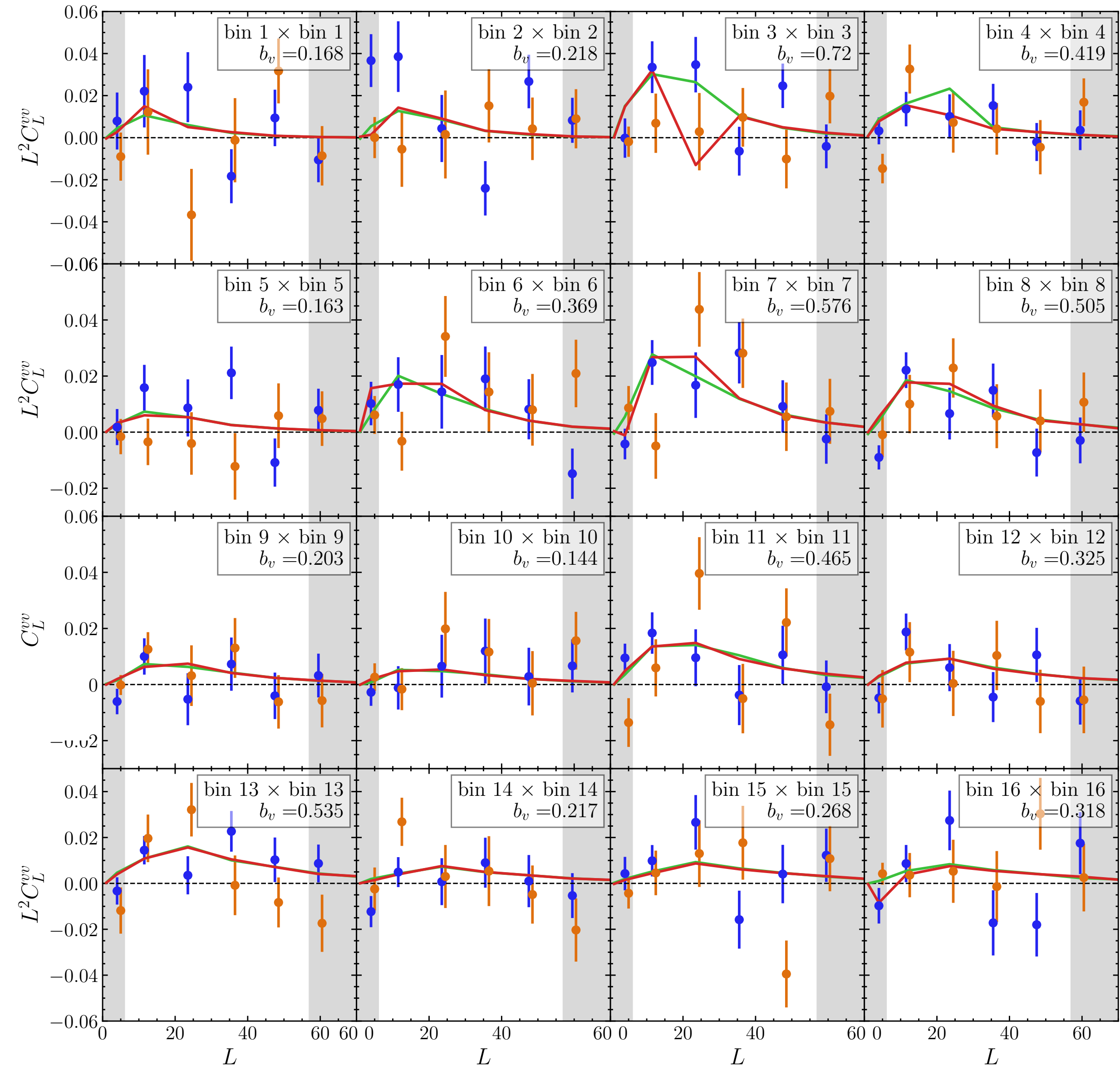
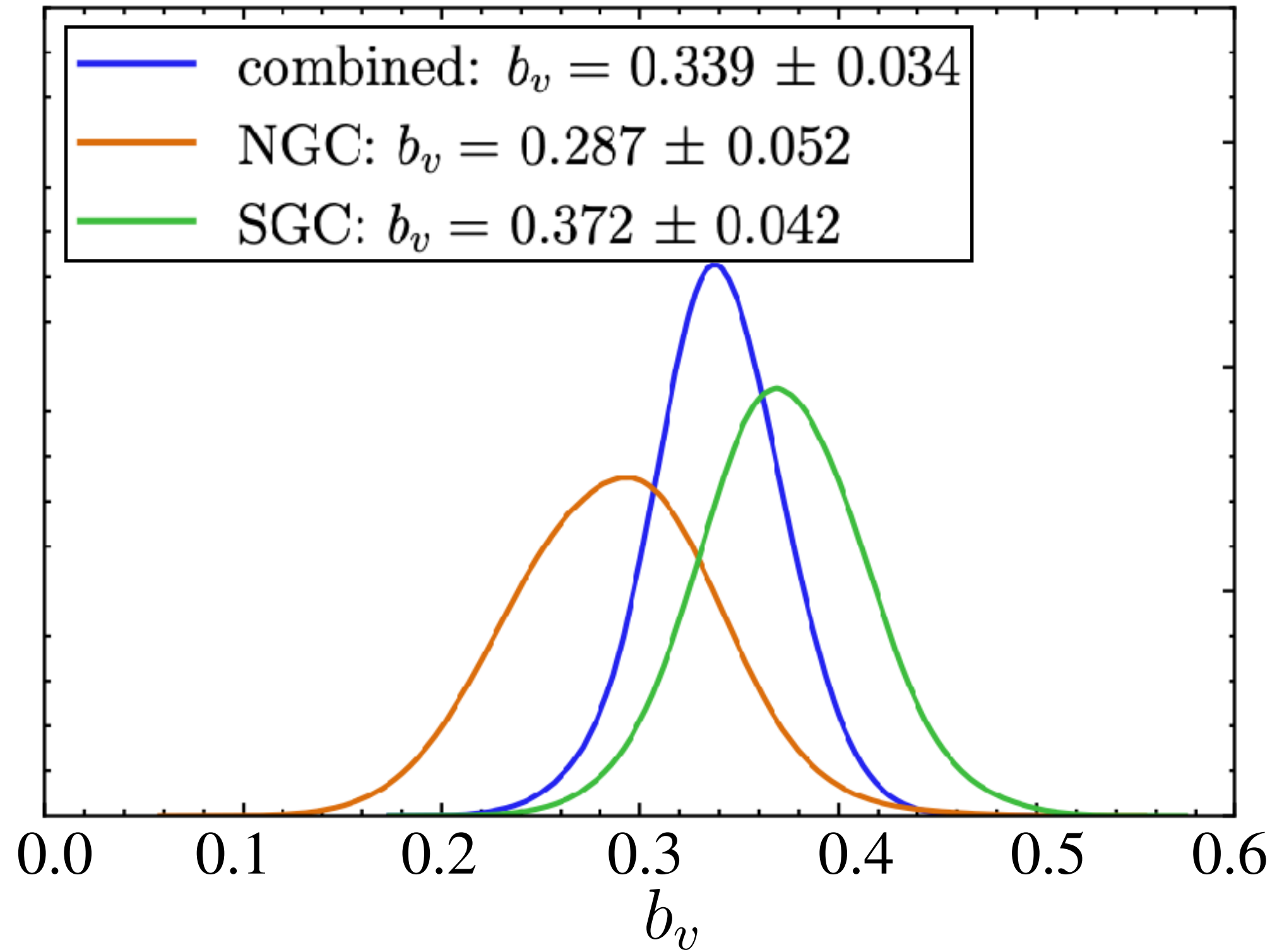
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$$C_L^{v^\alpha v^\beta, \text{cont}} = T_L^{\alpha\beta} C_L^{v^\alpha v^\beta}$$

$$\text{(Then } C_L^{v^\alpha, \text{kSZ} v^\beta, \text{cont}} = b_v^\alpha T_L^{\alpha\beta} C_L^{v^\alpha v^\beta}\text{)}$$

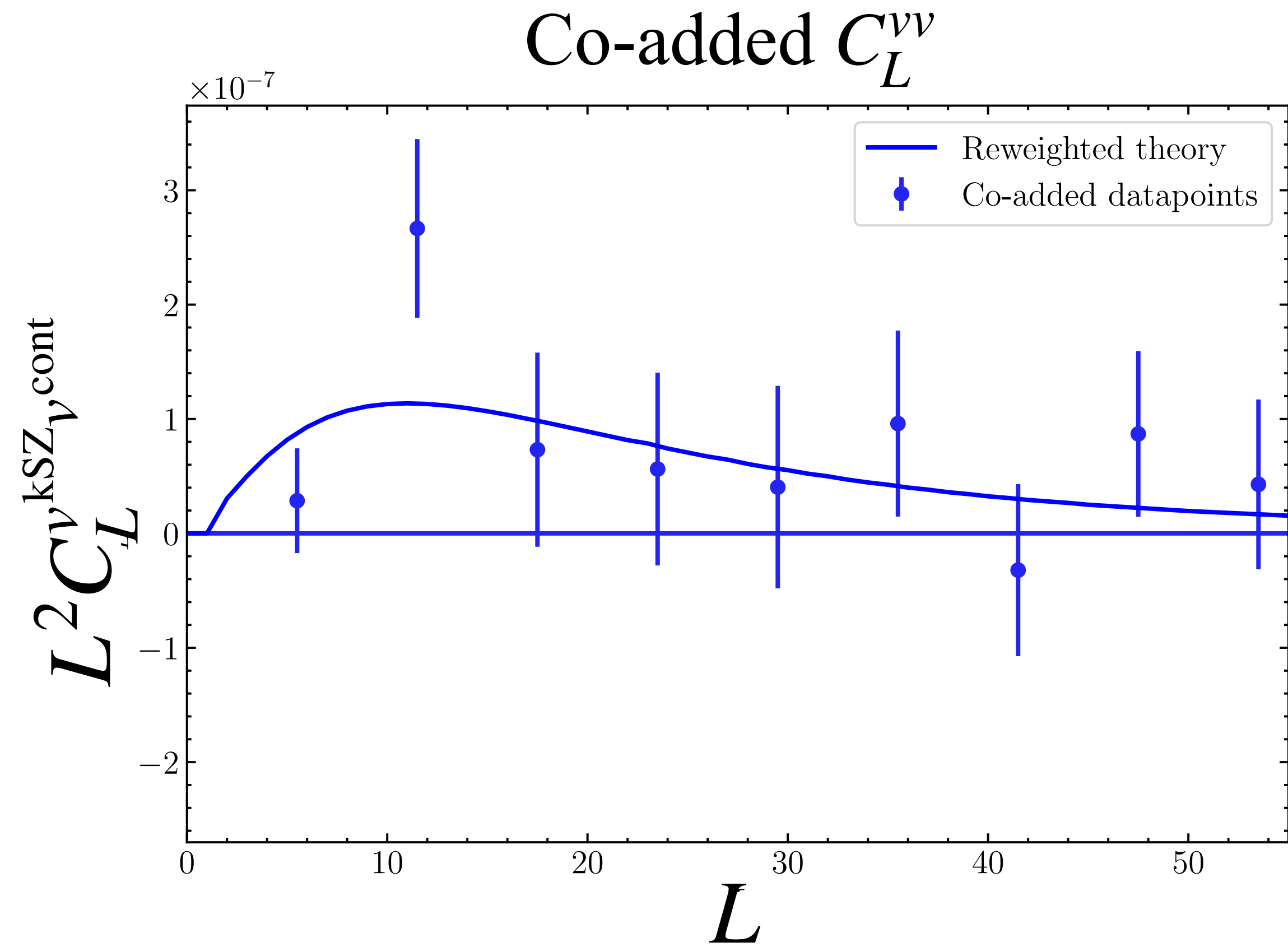


Comparison of model to data

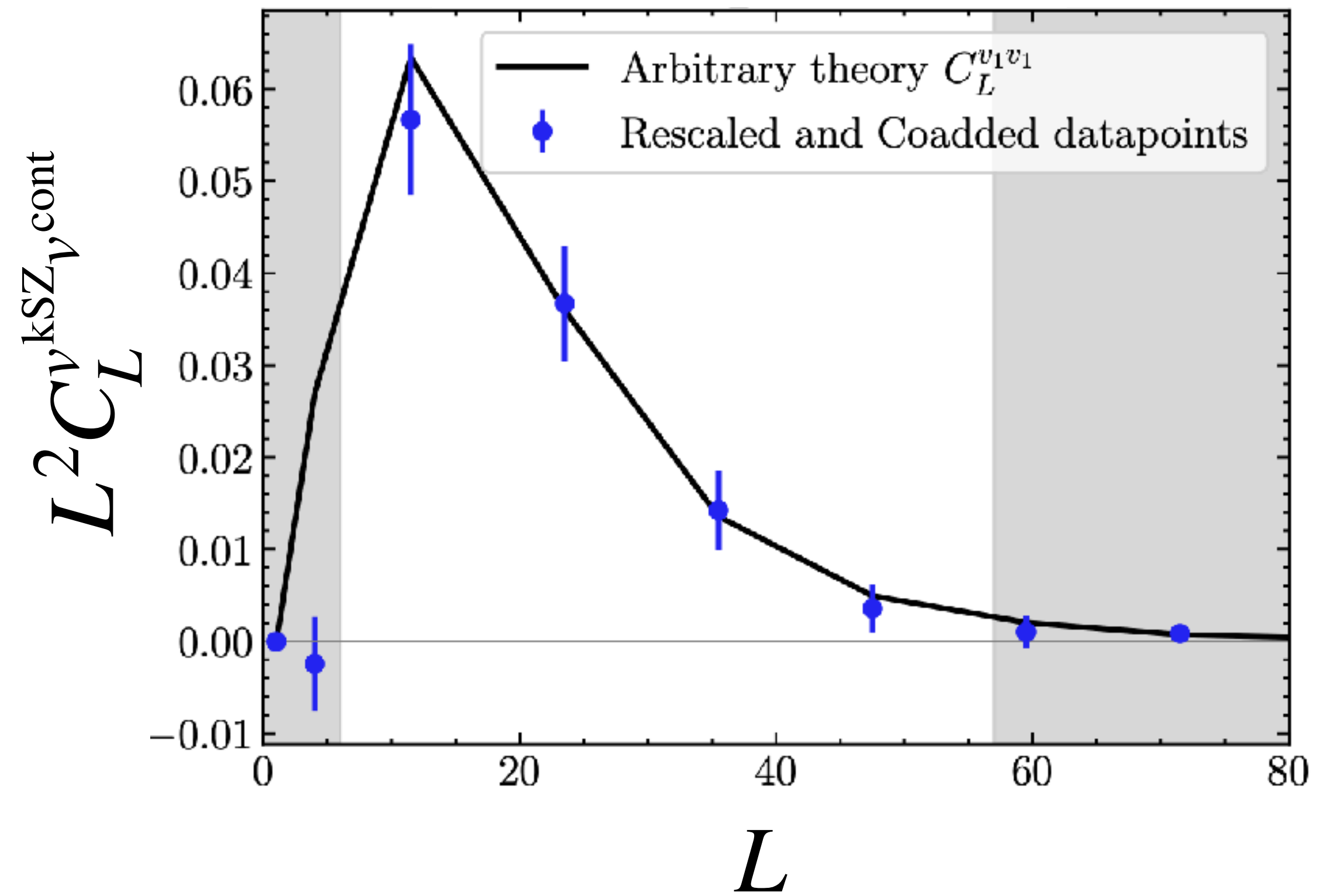


spec	constraint (combined)	SNR	N_{points}	$\chi^2_{\text{min}} (b_v^\alpha)$	PTE (b_v^α)
NGC	0.287 ± 0.052	5.53	64	55.49	0.21
SGC	0.372 ± 0.042	8.78	64	55.6	0.21
Joint	0.339 ± 0.034	10.04	128	129.25	0.13

Co-add across redshift bins



1st measurement, 2025a (ACT-DESILS-SDSS)



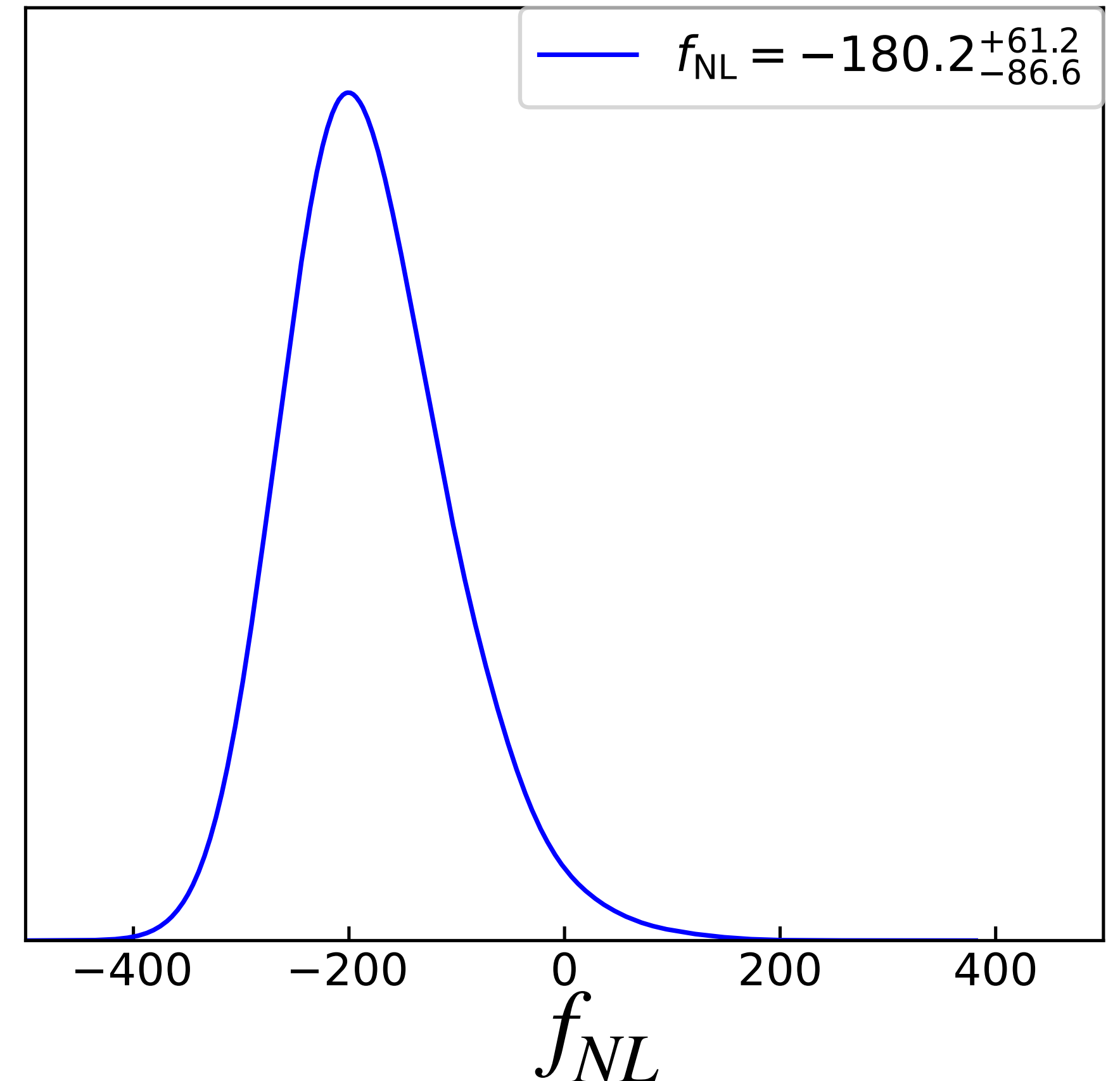
Latest measurement, 2025b (ACT-DESILS-DESILS)

Non-Gaussianity constraint

- $C_L^{v^{\text{cont}}, v^{\text{kSZ}}}$ is sensitive to f_{NL} from b_g

Continuity equation:
$$-i\vec{k} \cdot \vec{v} - i\vec{k} \cdot (v_{\parallel} \hat{n}) = -aHf \frac{\delta_g}{b}$$

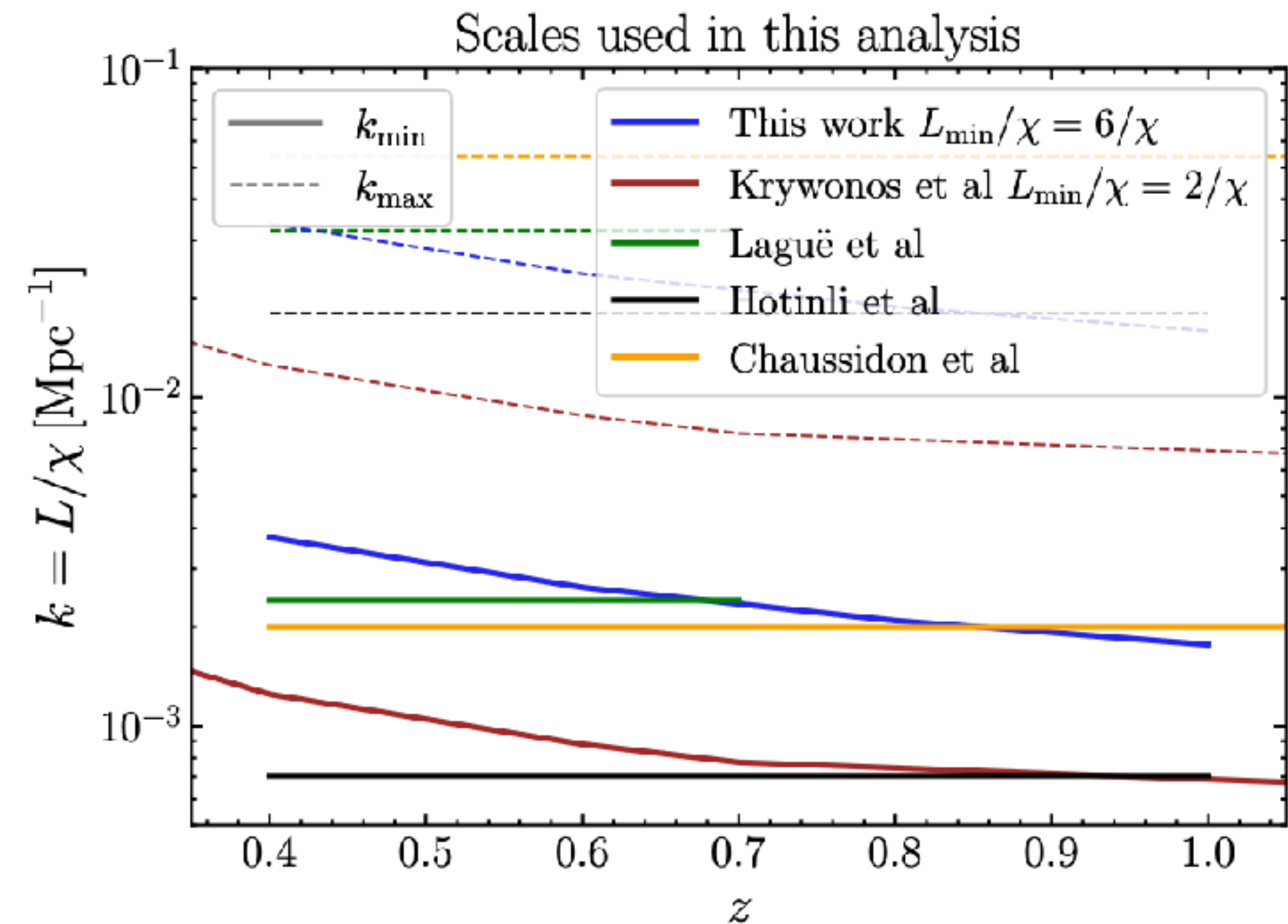
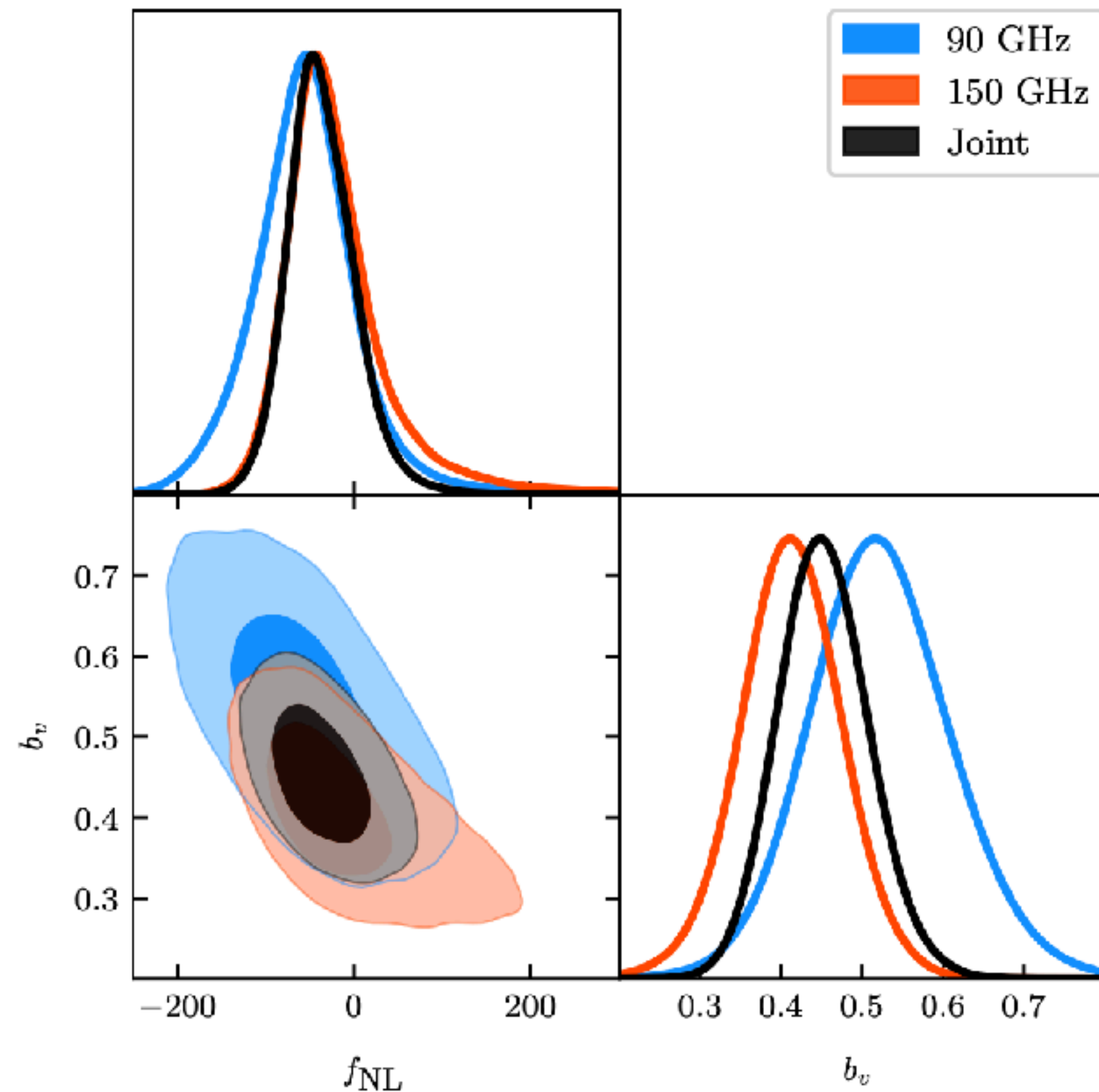
$$v^{\text{cont, true}} = \frac{b^{\text{true}}}{b^{\text{fid}}} v^{\text{cont, estimated}}$$



Comparison to other work in 3-D

- See **Hotinli et al 2025**: $f_{NL} = -30^{+40}_{-33}$

- Possible explanation: different scale coverage although **3-D vs 2-D comparison is not a fully solved problem**



Large scale cross-correlation: $C_L^{v^{\text{kSZ}}v^{\text{cont}}}$ or $C_L^{v^{\text{kSZ}}g}$?

- From kSZ, we get $v_L^{\text{kSZ}} \sim T_S \delta_s^g$
- Estimate v^{cont} from the solving the continuity equation on the large-scale galaxies

$$-i\vec{k} \cdot \vec{v} - i\vec{k} \cdot (v_{||}\hat{n}) = -aHf \frac{\delta_g}{b}$$

- Two options: Measure $\langle v_L^{\text{kSZ}} \delta_L^g \rangle$ ($C_L^{v^{\text{kSZ}}g}$) or $\langle v^{\text{kSZ}} v^{\text{cont}} \rangle$ ($C_L^{v^{\text{kSZ}}v^{\text{cont}}}$)

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Easy to model and interpret

Much messier to model and interpret (v^{cont} is not perfect)

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- Two options: Measure $\langle v_L^{\text{kSZ}} \delta_L^g \rangle$ ($C_L^{v^{\text{kSZ}}g}$) or $\langle v^{\text{kSZ}} v^{\text{cont}} \rangle$ ($C_L^{v^{\text{kSZ}}v^{\text{cont}}}$)

Easy to model and interpret

Much messier to model and interpret (v^{cont} is not perfect)

- We chose $\langle v^{\text{kSZ}} v^{\text{cont}} \rangle$! Why? **Foregrounds not automatically suppressed in** $\langle v_L^{\text{kSZ}} \delta_L^g \rangle \sim \langle T_s \delta_s^g \delta_L^g \rangle$

Foregrounds in $C_L^{\nu^{\text{kSZ}}g} \sim \left\langle T_S \delta_S^g \delta_L^G \right\rangle$

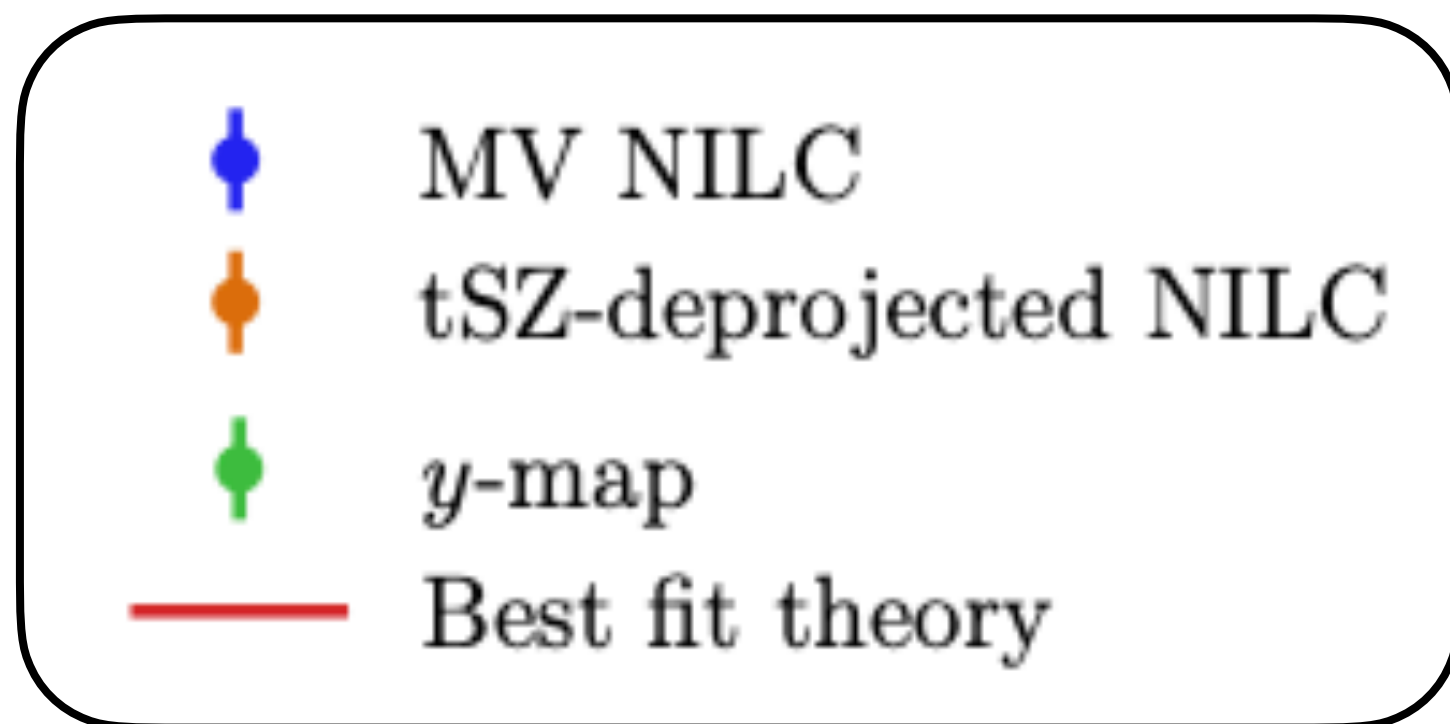
- $\left\langle T_S \delta_S^g \delta_L^g \right\rangle$ contains a foreground contribution

$$T = T^{\text{kSZ}} + FG$$

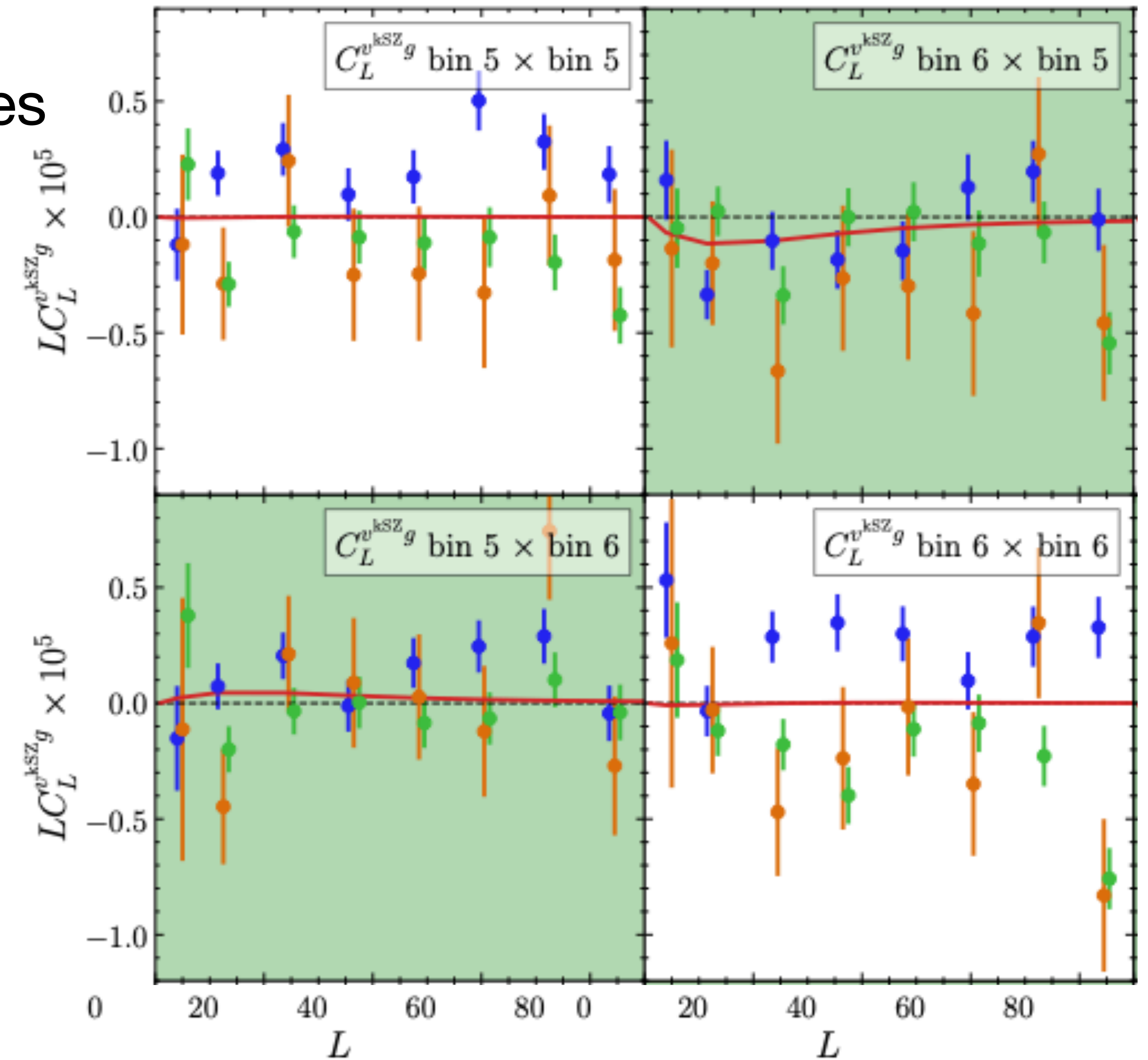
- Extragalactic foregrounds (eg CIB, tSZ) are **non-Gaussian on small scales and trace the density field**
- $\left\langle FG_s \delta_s^g \delta_L^G \right\rangle \sim \left\langle \delta_s^{\text{CIB}} \delta_s^g \delta_L^G \right\rangle$ - this signal is **non-zero** due to **gravitationally-induced non-Gaussianity of δ**
- These are **suppressed** by the filtering that goes from $\delta_L^g \rightarrow v_r^{\text{cont}}$ ($\delta \rightarrow \hat{n} \cdot \frac{i\vec{k}}{k} \delta$)

Foregrounds in $C_L^{v^{kSZ}g} \sim \left\langle T_S \delta_S^g \delta_L^G \right\rangle$

- $C_L^{v^{kSZ}g}$ was **not stable** to analysis choices
- Foregrounds **visibly affected** “diagonal” $C_L^{g^\alpha v^\alpha}$ measurement



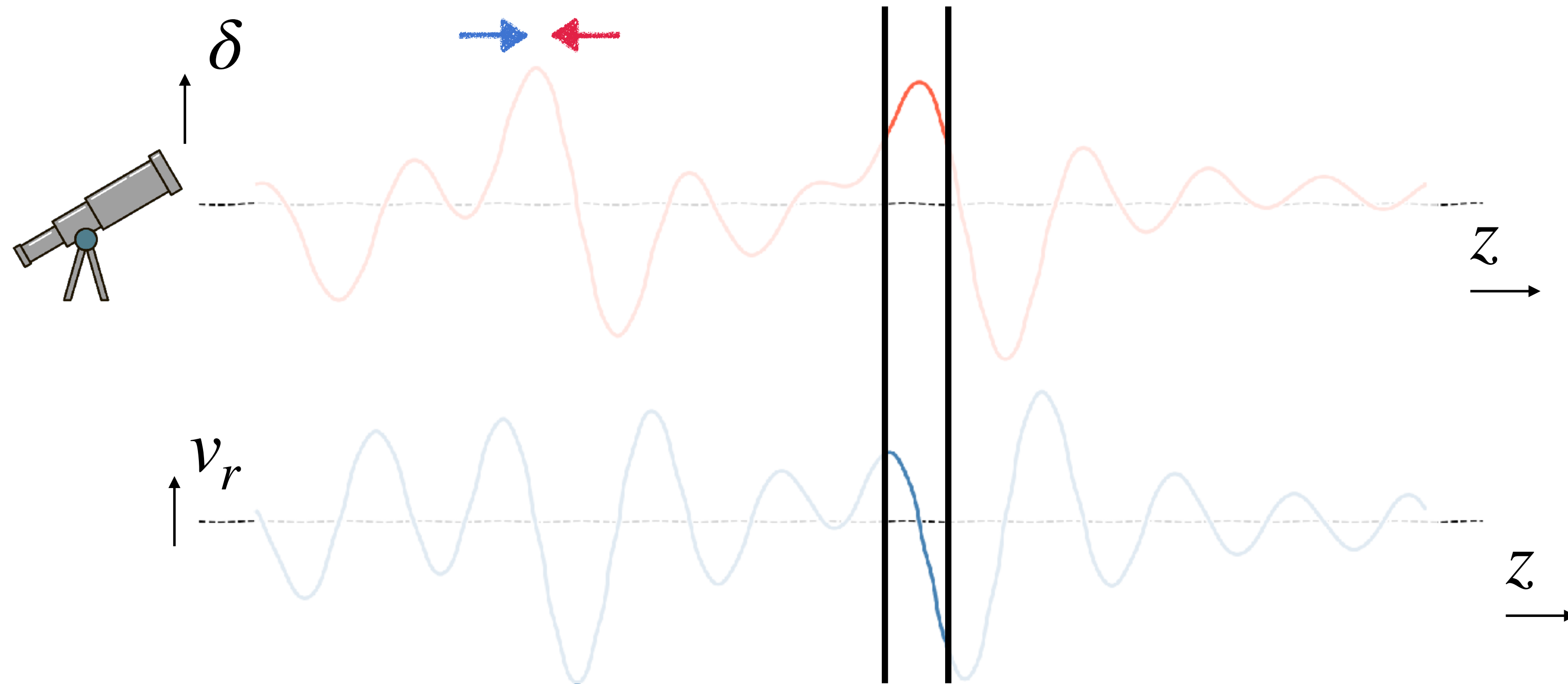
- Blue and orange **inconsistent** and green **not consistent with null**



Redshift resolution and structure

- Velocity and density are **out-of-phase**

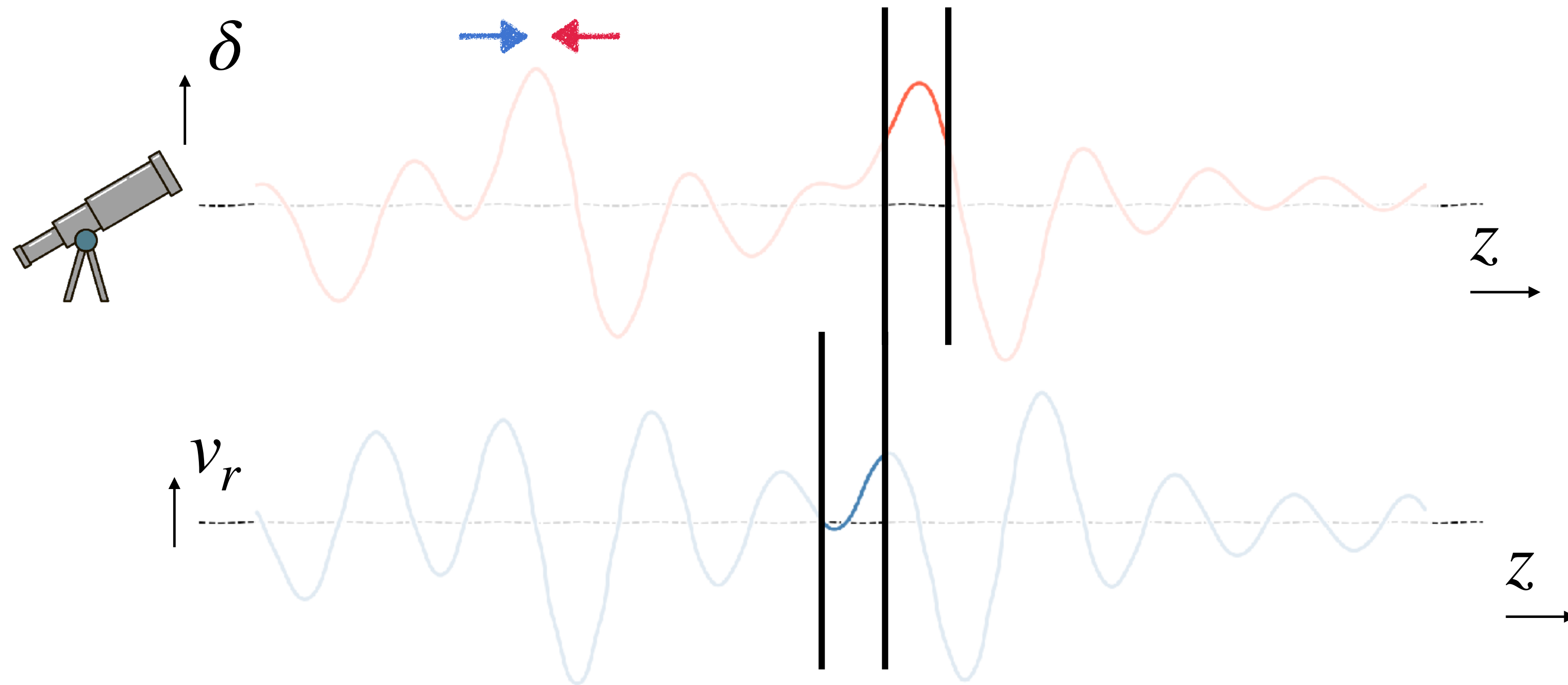
- $\langle v^\alpha g^\alpha \rangle = 0$



Redshift resolution and structure

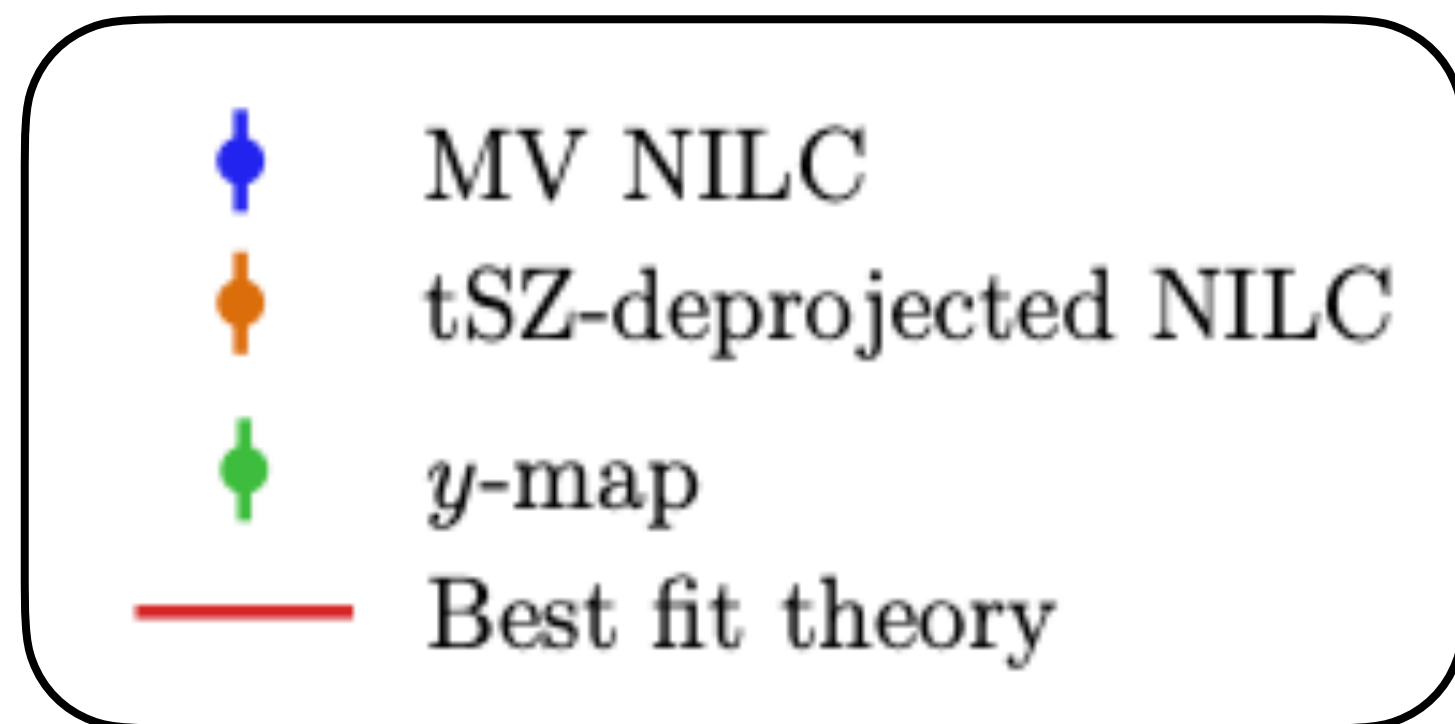
- Velocity and density are **out-of-phase**
- “Off-diagonal” correlations are important

- $\langle v^\alpha g^\alpha \rangle = 0$
- $\langle v^\alpha g^{\alpha+1} \rangle \neq 0$

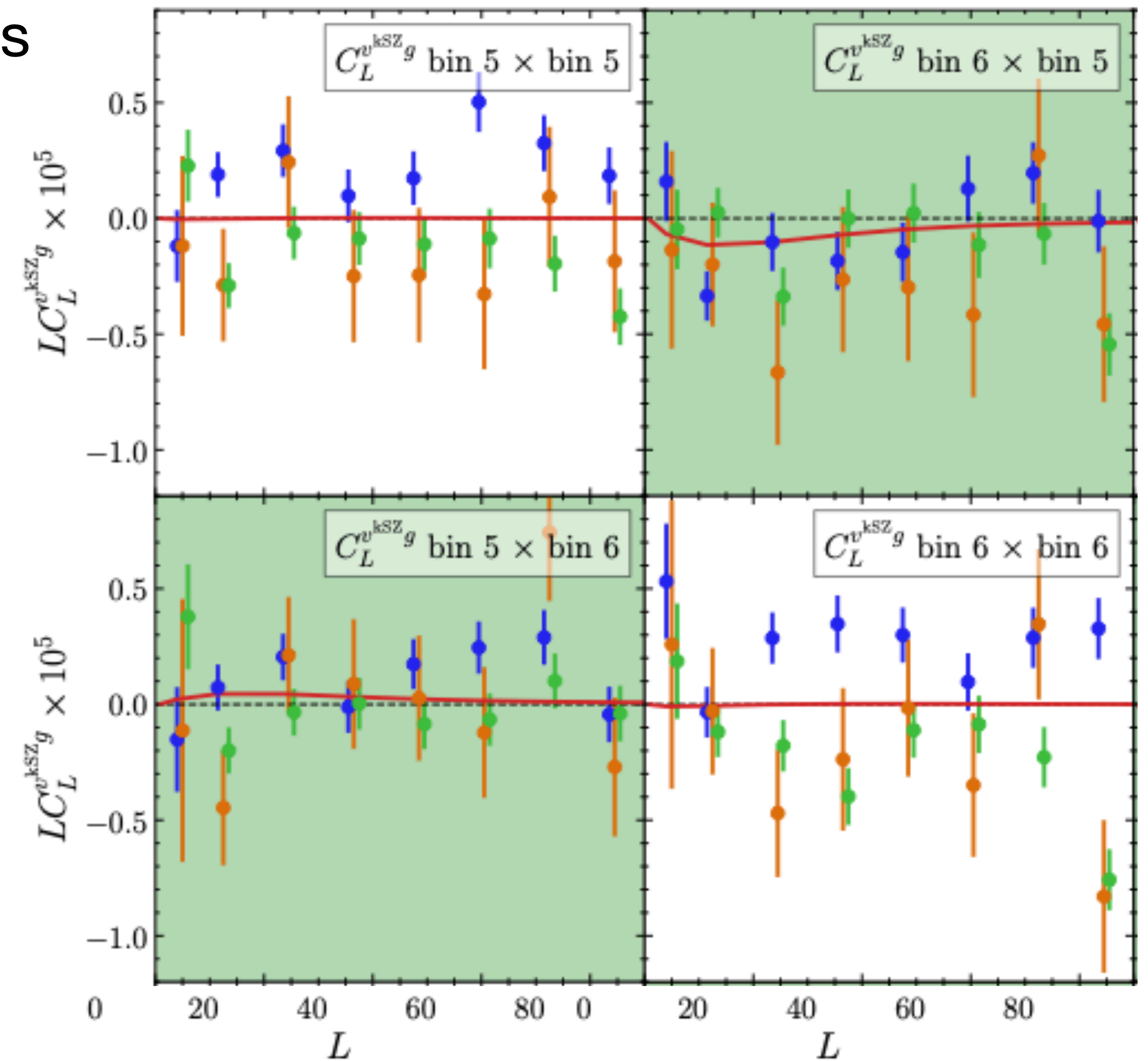


Foregrounds in $C_L^{vg} \sim \langle T_S \delta_S^g \delta_L^G \rangle$

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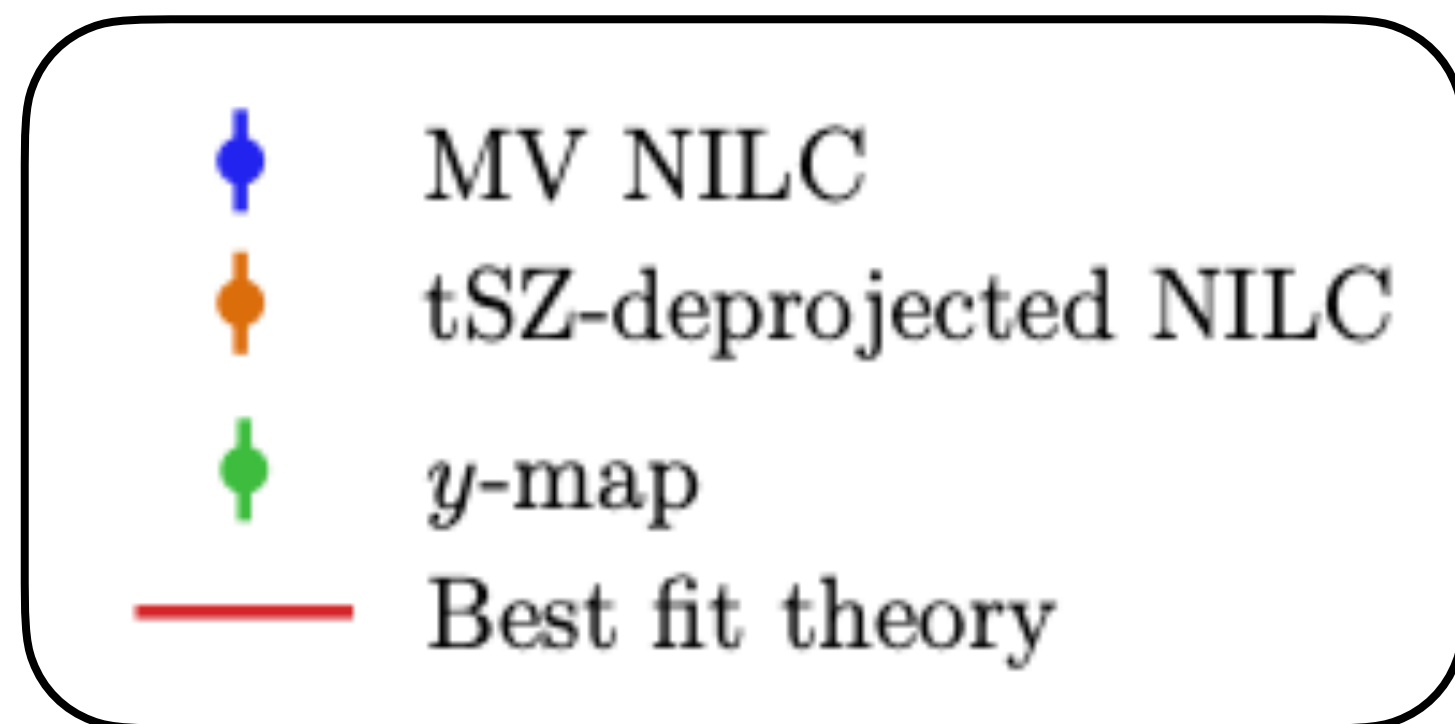


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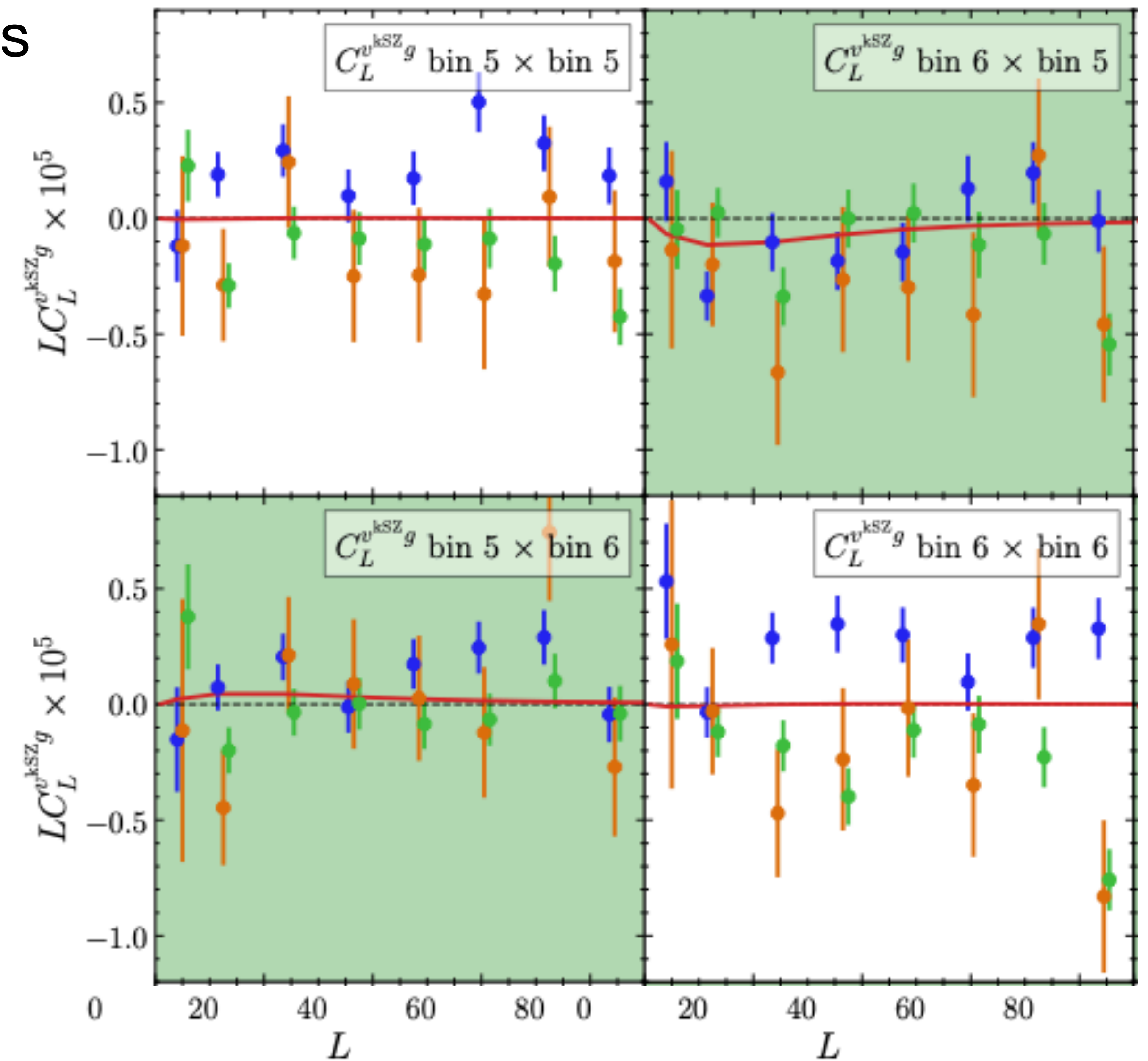


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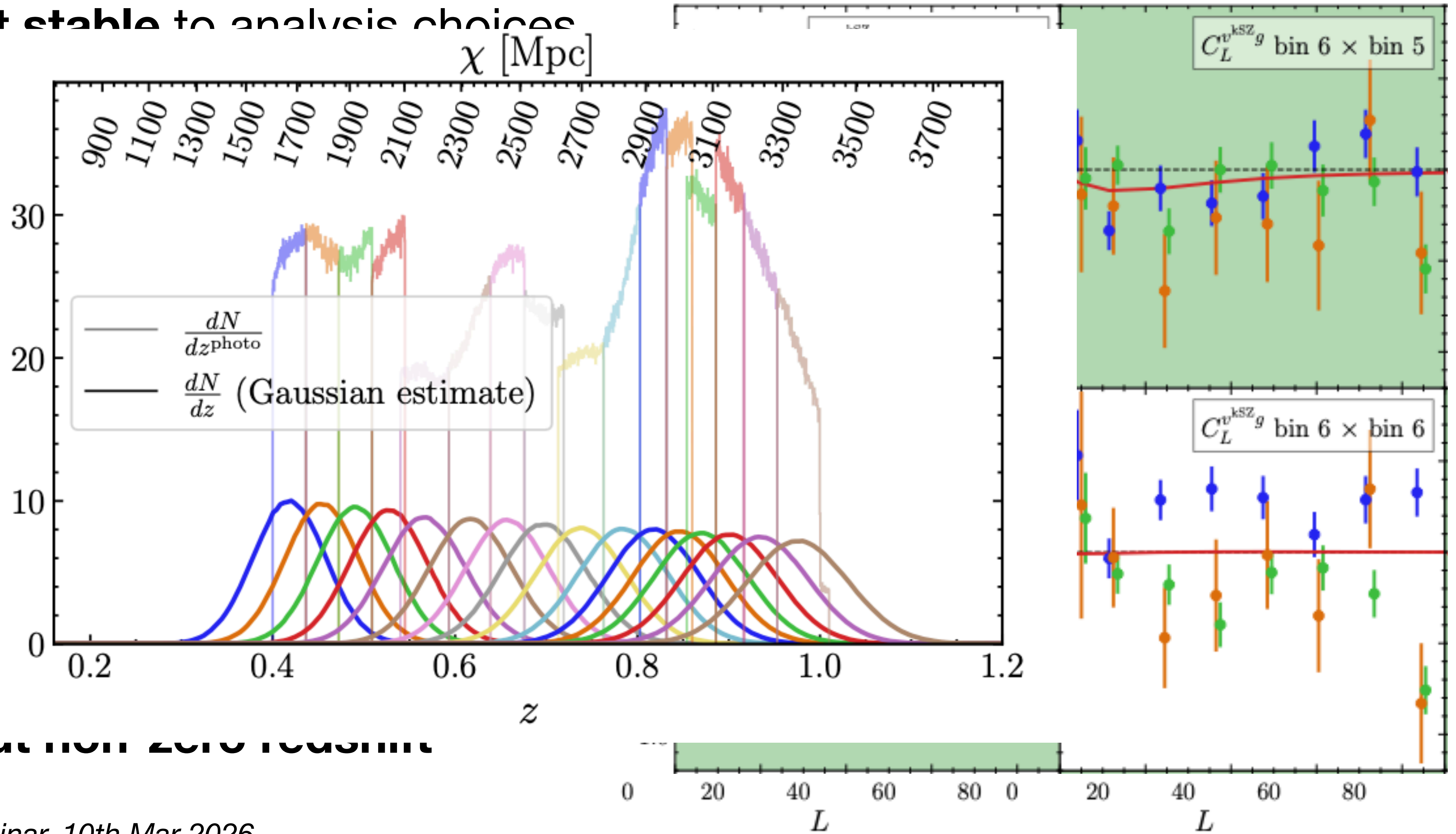
- Blue and orange **inconsistent** and green **not consistent with null**
- One option: use just off-diagonal. But **worried about non-zero redshift overlap**



Foregrounds in $C_L^{vg} \sim \langle T_S \delta_S^g \delta_L^G \rangle$

- $C_L^{v^{kSZ}g}$ was **not stable** to analysis choices

- Foreground $C_L^{g^{\alpha}v^{\alpha}}$ measu

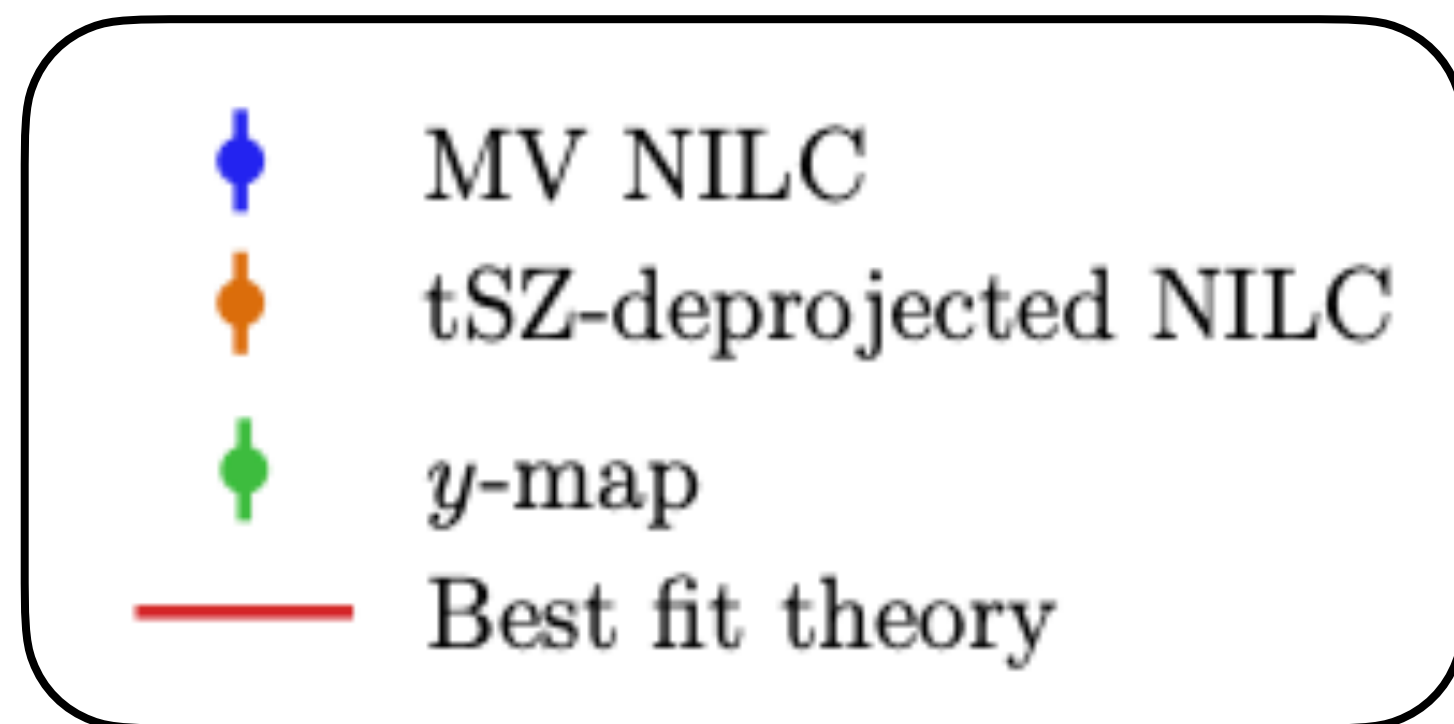


- Blue and orange
- green **not**

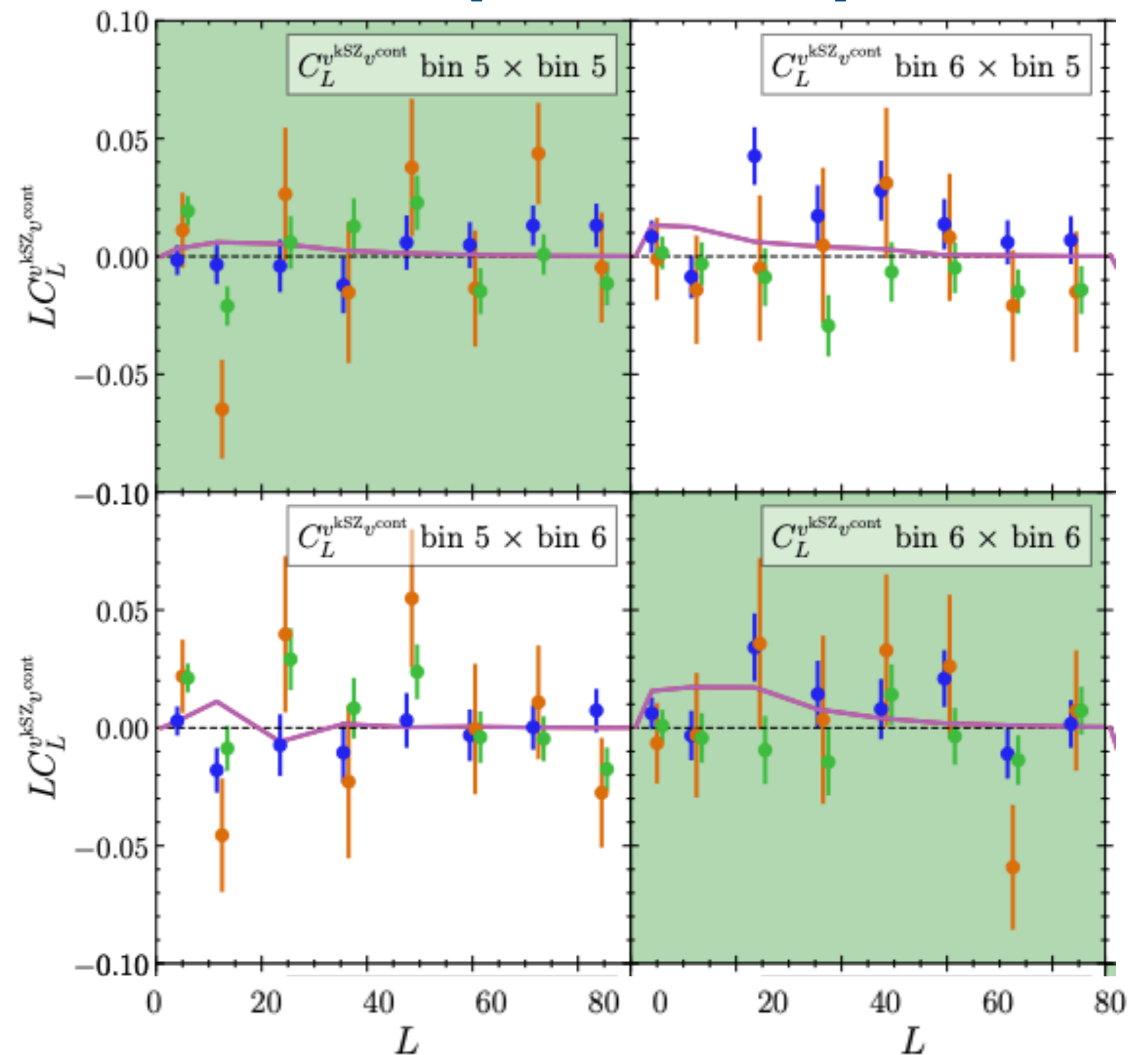
- One option
- **worried about non-zero redshift**
- **overlap**

Foregrounds in $C_L^{vg} \sim \langle T_S \delta_S^g \delta_L^G \rangle$

- $C_L^{v^{\text{kSZ}}_{v^{\text{cont}}}}$ passed foreground null tests

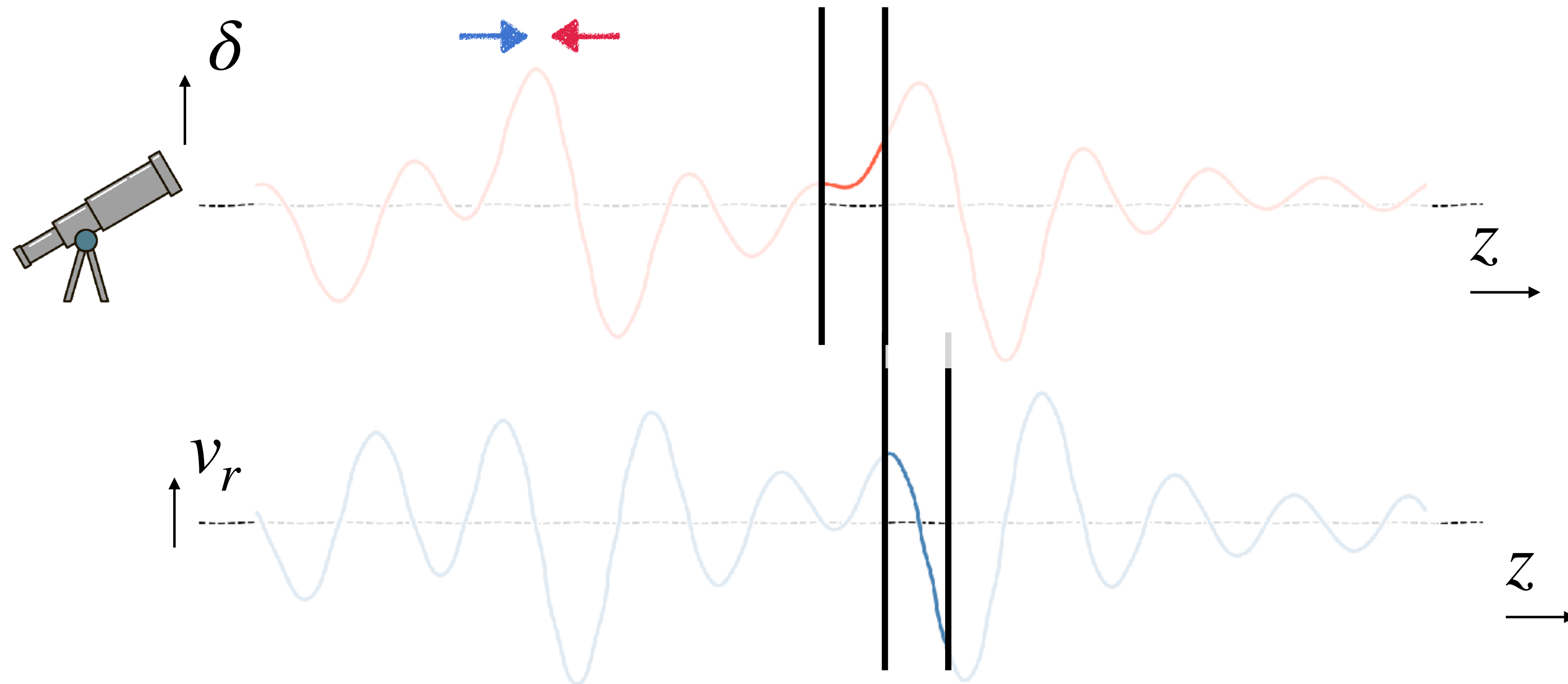


- Blue and orange **consistent** and green **consistent with null**



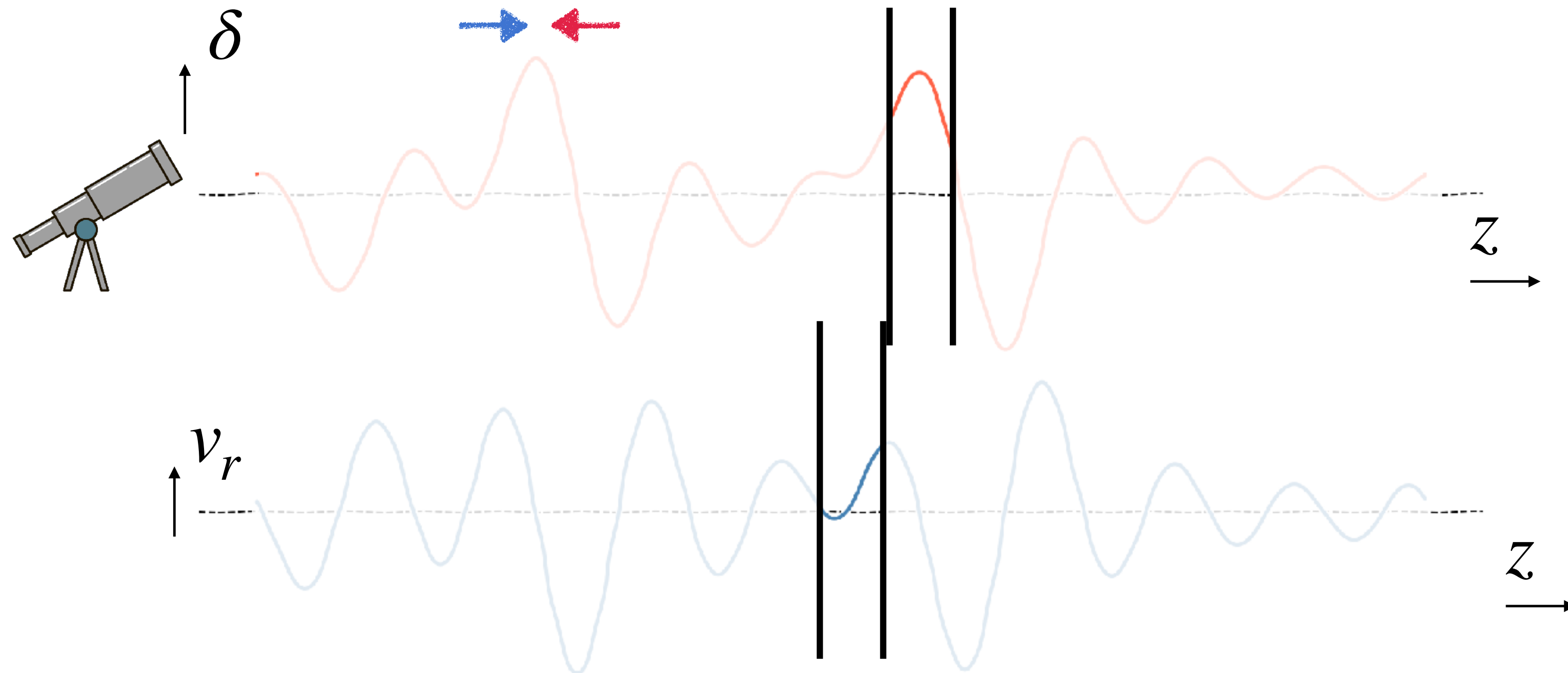
Redshift structure

- Foregrounds and signal display **distinctly different parity properties**
- Neglecting redshift evolution, $\langle g^\alpha v^\beta \rangle = - \langle g^\beta v^\alpha \rangle$
- For foregrounds, $\langle g^\alpha FG^\beta \rangle = \langle g^\beta FG^\alpha \rangle$

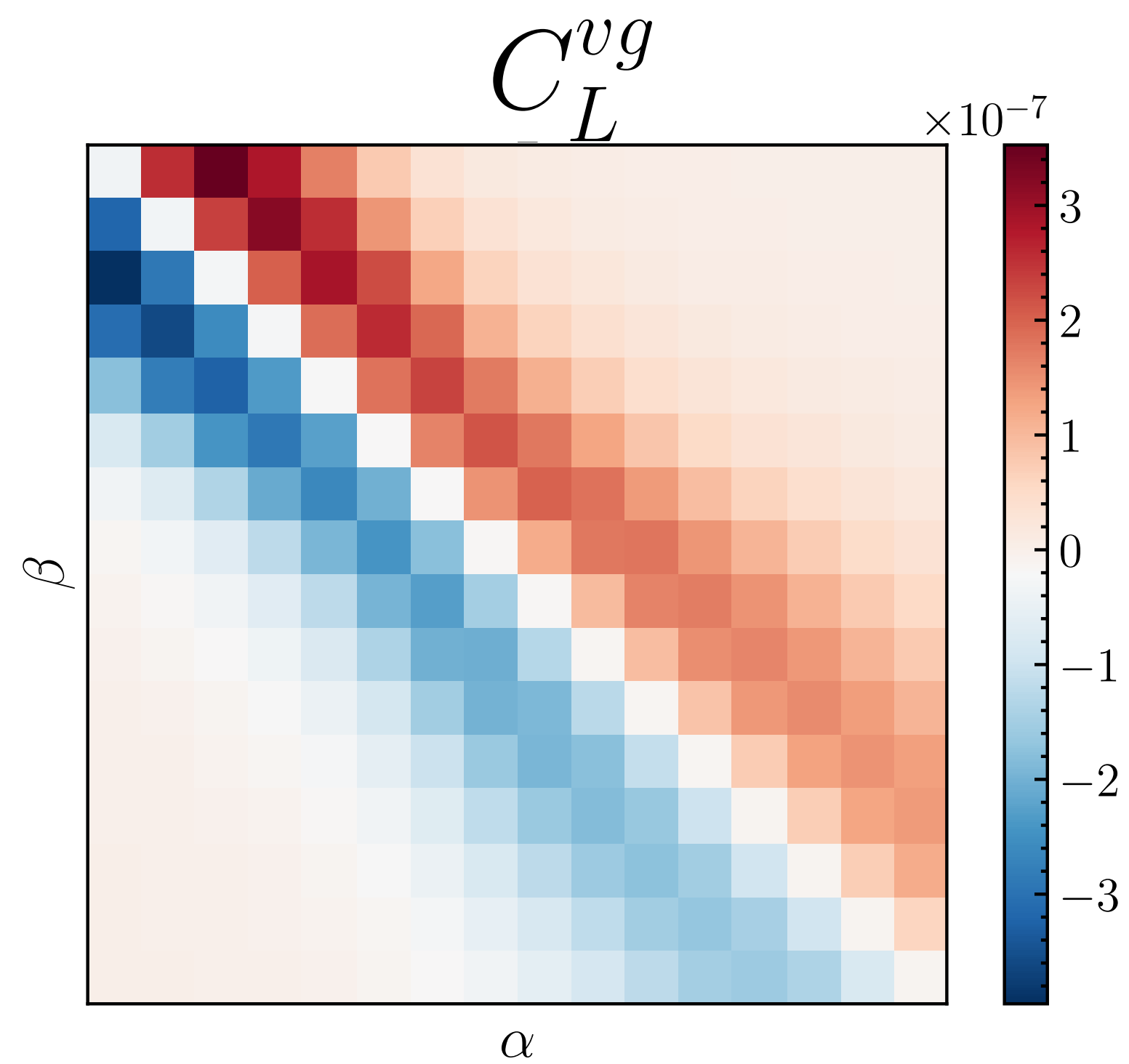


Redshift structure

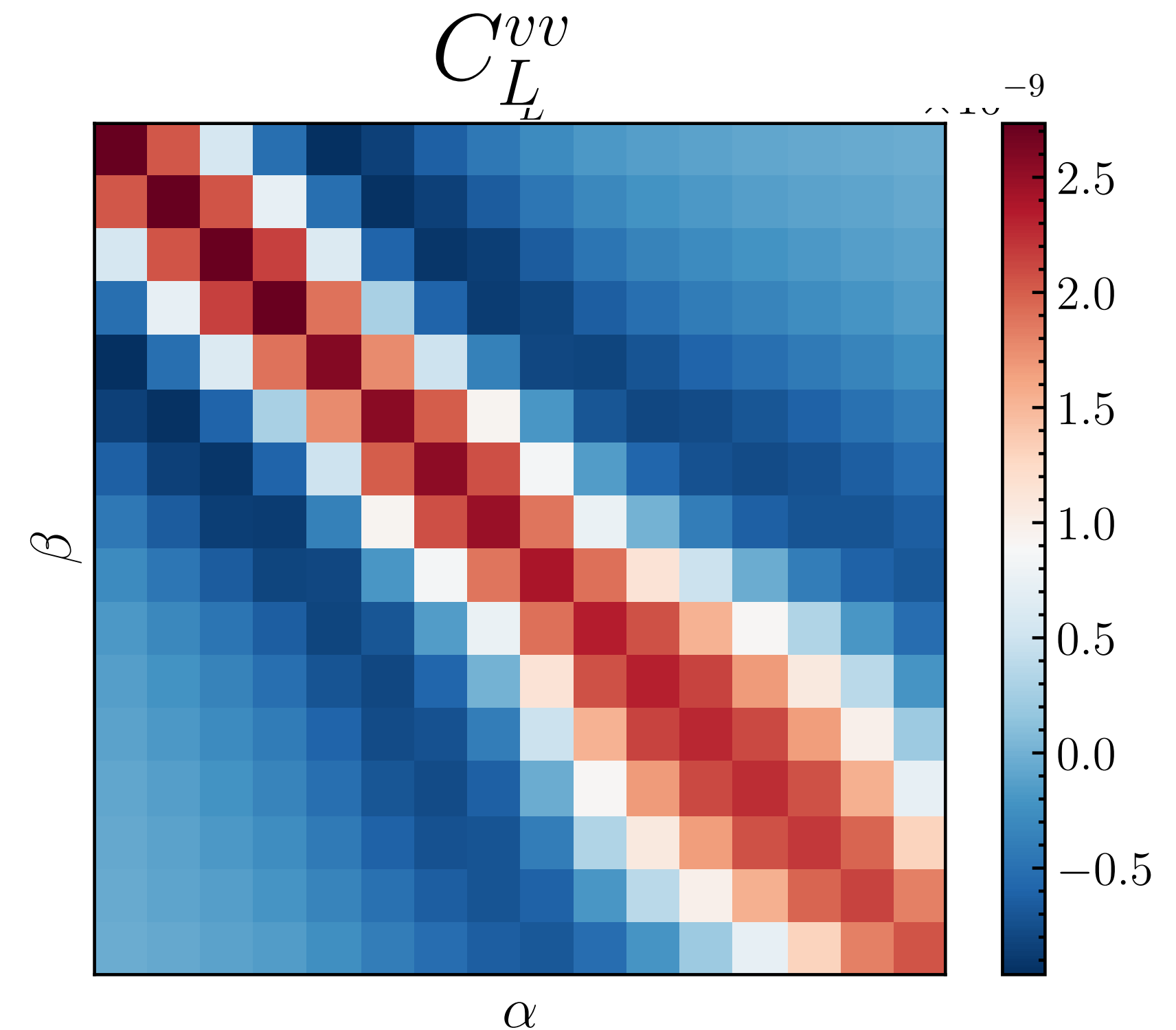
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Redshift structure



Antisymmetric in α, β



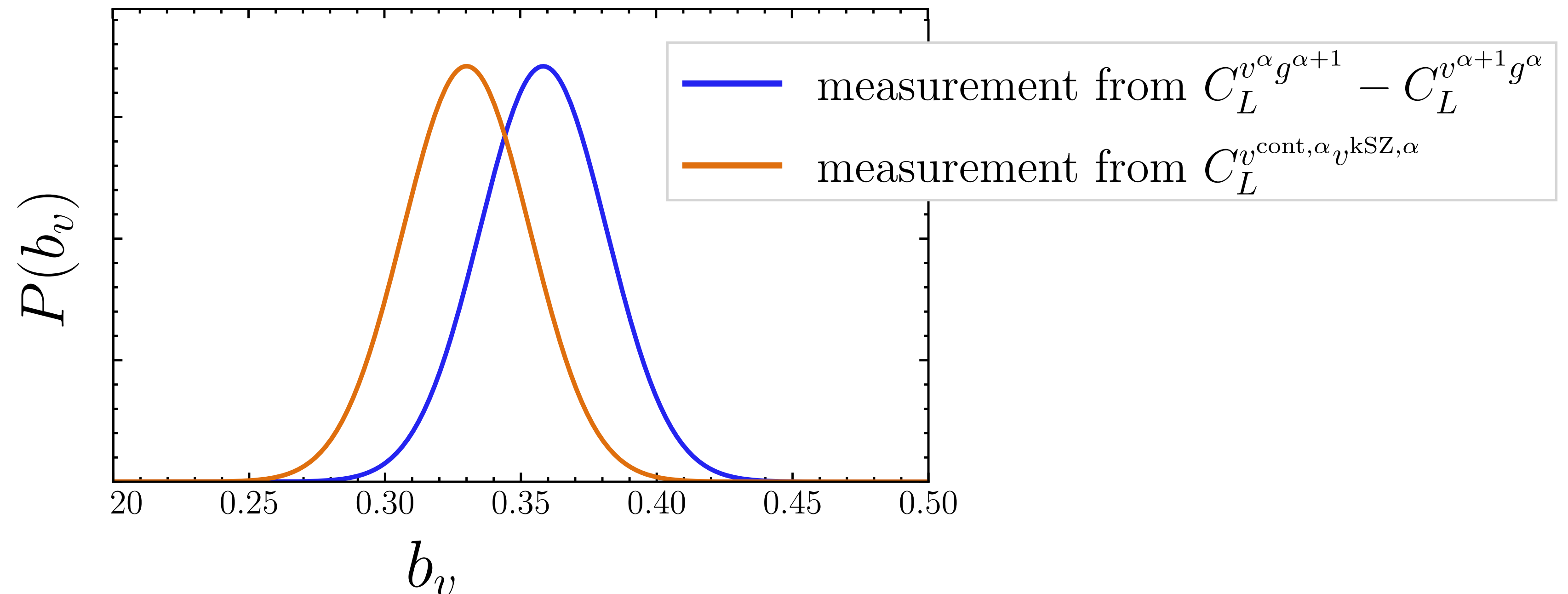
Symmetric in α, β

Foreground mitigation

- **Embil Villagra** et al in prep: a study of foreground contamination
- Definition of a **mitigation strategy**: *fit only* $C_L^{v^\alpha g^\beta} - C_L^{v^\beta g^\alpha}$
- Applying this allows us to find a good fit with $C_L^{v^{\text{kSZ}} g}$ for the first time

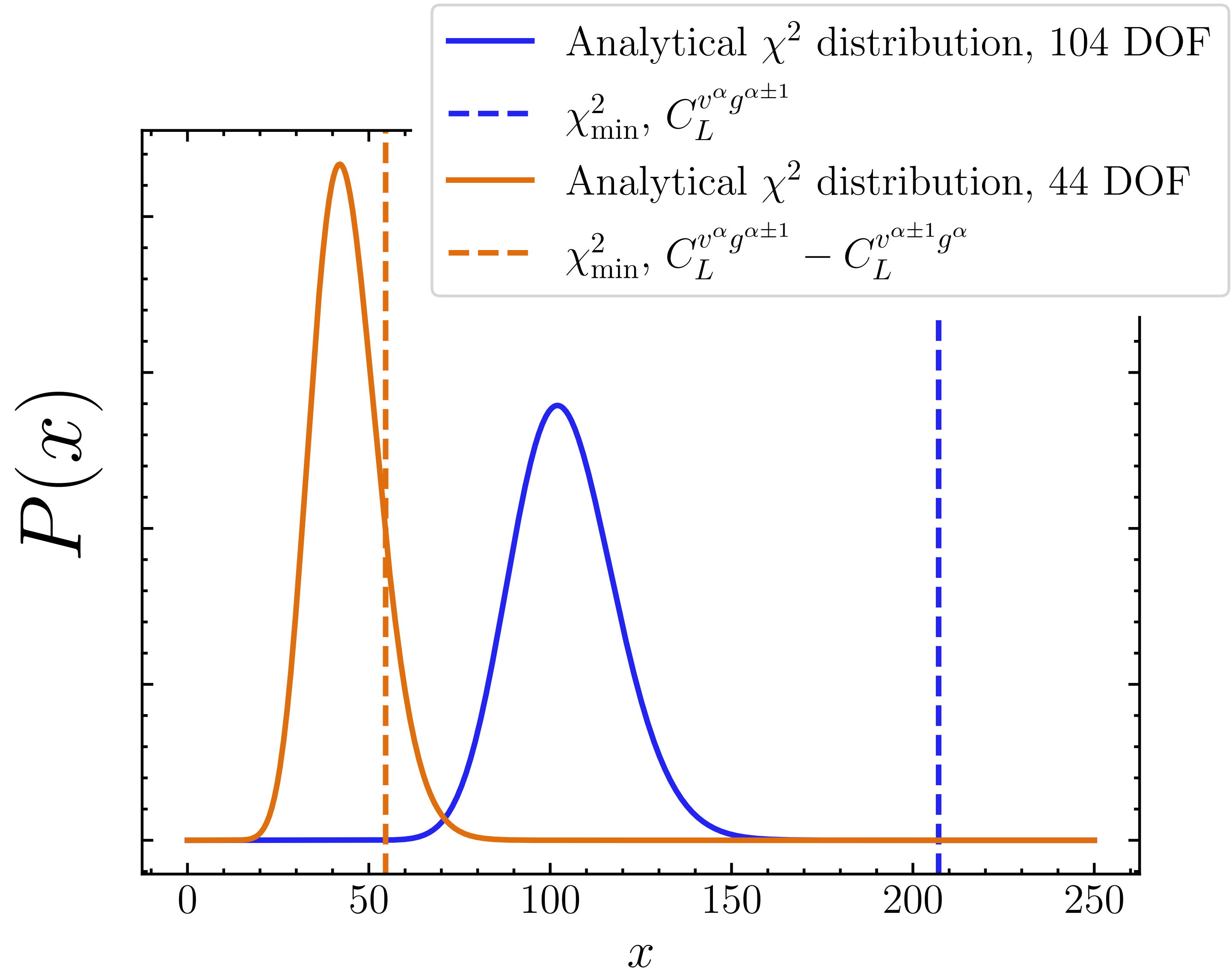


Carmen Embil Villagra



Foreground mitigation

- With antisymmetric combination $C_L^{v^\alpha, \text{kSZ} g^\beta} - C_L^{v^\beta, \text{kSZ} g^\alpha}$ we have consistent results
- We find a good fit with $C_L^{v^{\text{kSZ} g}}$ for the first time



Overview

Introduction

ΛCDM; Open questions; inflation; primordial non-Gaussianity

The kSZ effect

kSZ velocity reconstruction

Background; first measurements; C_L^{vv} ; CMB datasets

Analysis with ACT+DESILS

Results from McCarthy et al 2025 a+b; Other progress in the field;
Foregrounds

Forecasts for Simons Observatory(+LSST)

Large-scale challenges

- Galaxy clustering is sensitive to f_{NL} on large scales

$$b^{NG} \sim b^G \left(1 + \frac{f_{NL}}{k^2} \right)$$

Large scales
(Dalal et al 2008)

- Clustering is hard to measure on large scales for (at least) two reasons: **cosmic variance** and **additive systematics**.

- Cosmic variance:

$$\sigma(P_{gg}(k)) \propto \frac{P_{gg}(k)}{k} + \frac{1}{k\bar{n}}$$

Largest scales have fundamental CV error even for noiseless measurements

- Systematics:

$$\hat{P}_{gg}(k) = P_{gg}(k) + P_{NN}(k)$$

Additive systematics are problematic on large scales

- kSZ measurement can help with both.

Sample variance cancellation

- kSZ will provide us with a measurement of $P_{mm}(k)$

- Recall statistical error decreases with N samples: $\frac{1}{\sqrt{N}}$

- Cosmic variance:

$$\sigma(P_{gg}(k)) \propto \frac{P_{gg}(k)}{k} + \frac{1}{k\bar{n}}$$

Gets very large on large scales - not many modes available.

- Seljak 2008: *sample variance cancellation*: simultaneously measure $P_{mm}(k)$ and $P_{gg}(kk)$

$$P_{gg}(k) = b^2(k)P_{mm}(k) \quad \implies \quad b^2(k) = \frac{P_{gg}(k)}{P_{mm}(k)}$$

Sample variance cancellation

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- Recall statistical error decreases with N samples: $\frac{1}{\sqrt{N}}$
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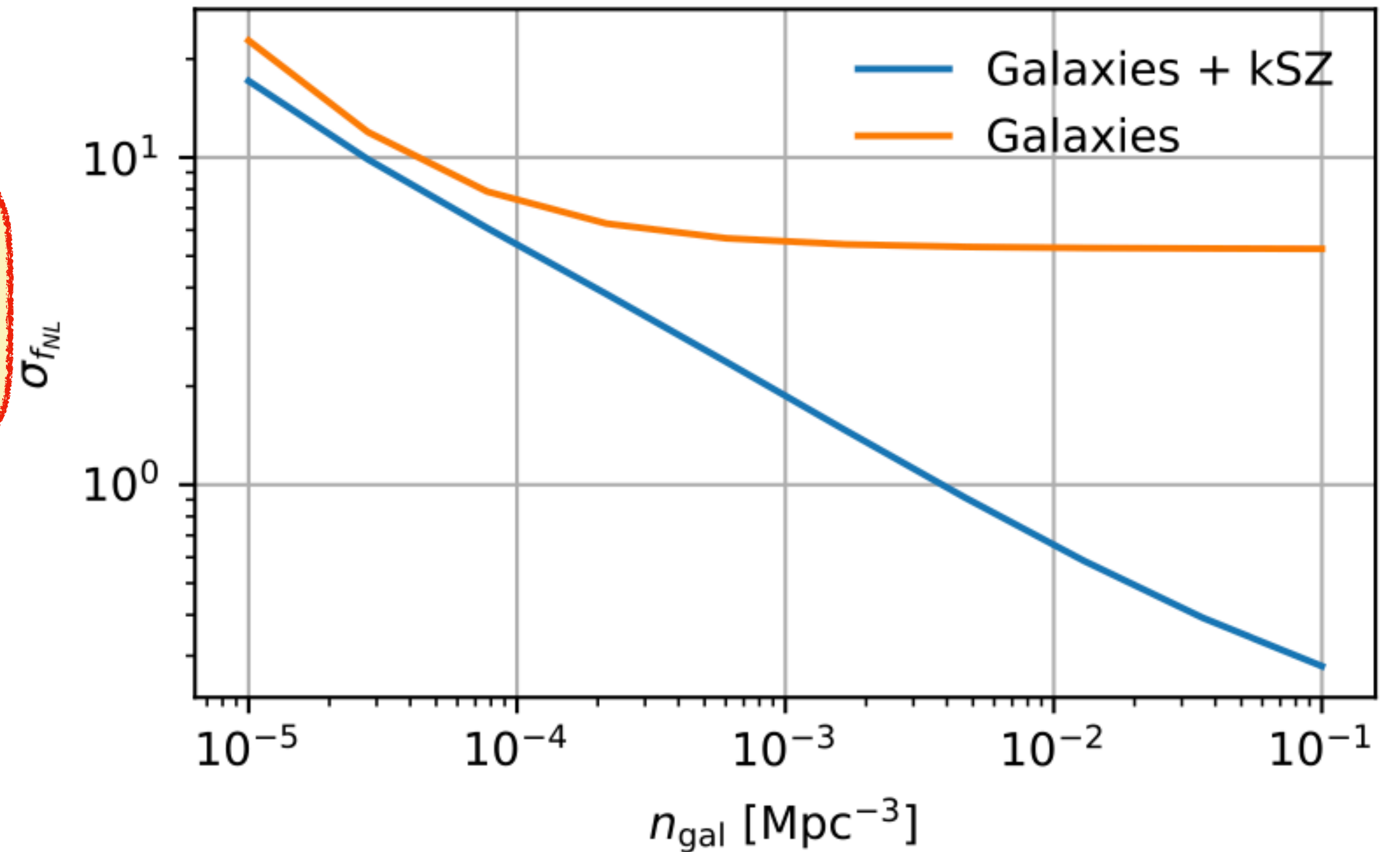
No stochasticity here,
cosmic variance cancels out!

$$P_{gg}(k) = b^2(k)P_{mm}(k) \quad \Longrightarrow \quad b^2(k) = \frac{P_{gg}(k)}{P_{mm}(k)}$$

Sample variance cancellation

- Munchmeyer et al 2018: combining kSZ with galaxy survey you can improve constraining power

kSZ combination can bypass fundamental cosmic variance limit!



Plot from Munchmeyer et al 2018

Large-scale systematics

- Galaxy surveys are hard to measure on large scales

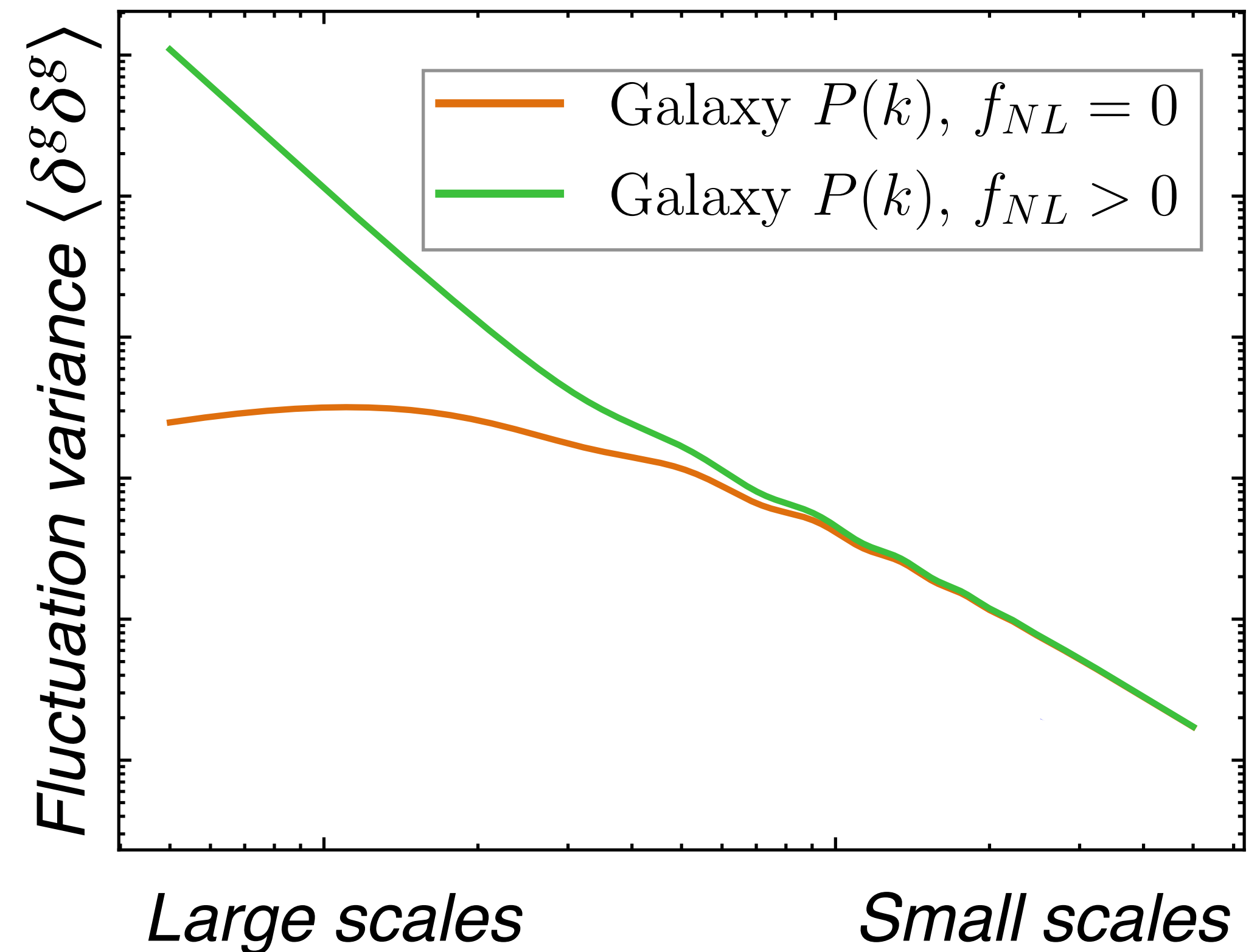
- Systematics:

$$\langle \hat{\delta}^g \hat{\delta}^g \rangle = \langle \delta^g \delta^g \rangle + \langle ss \rangle$$

$$\hat{\delta}^g = \delta^g + s$$

$s =$ *Stellar contamination*

$\delta^g =$ *galaxy density fluctuation*



Large-scale systematics

- Galaxy surveys are hard to measure on large scales

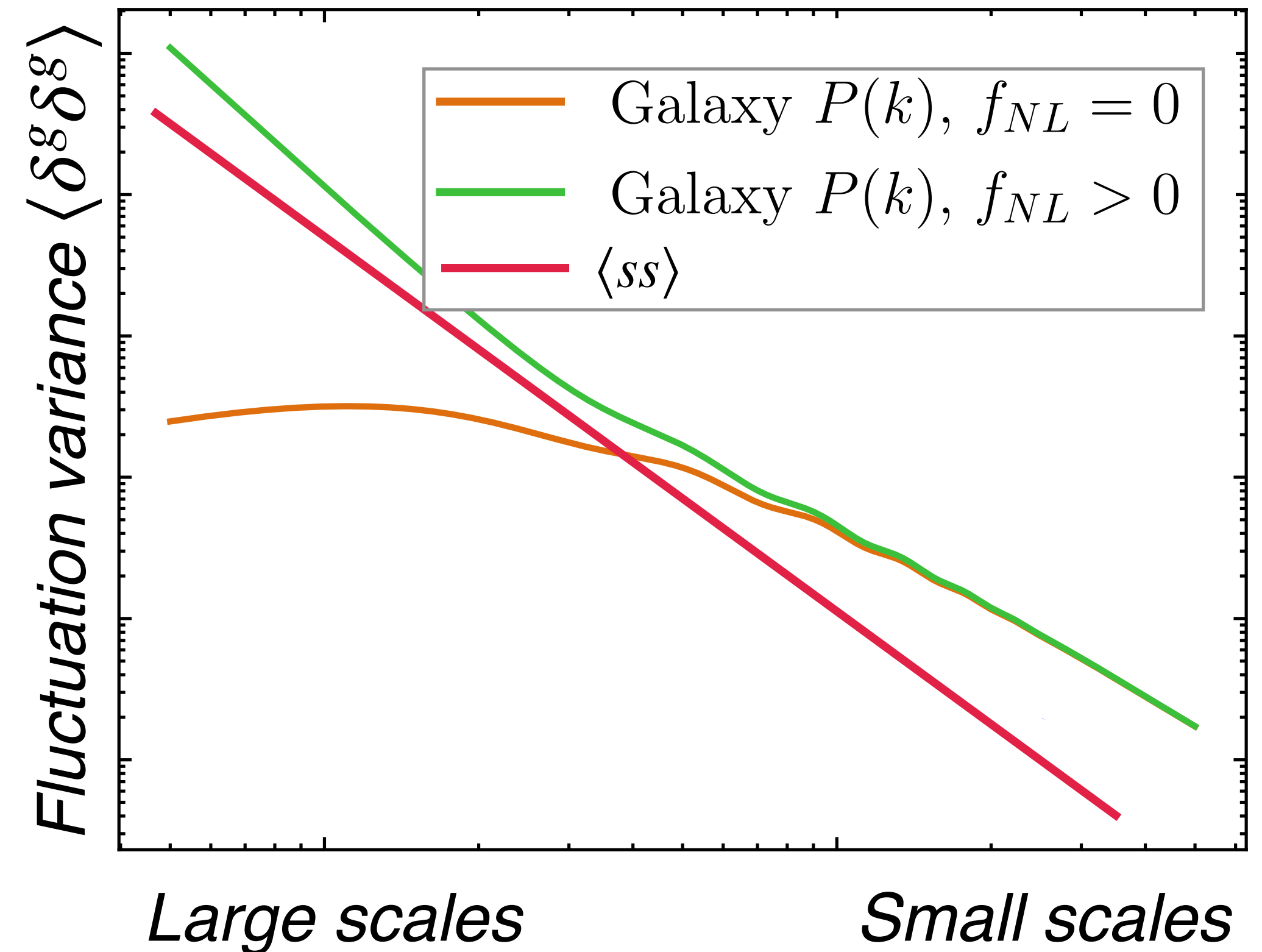
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$\langle ss \rangle$ often looks like the f_{NL} signal on large scales!

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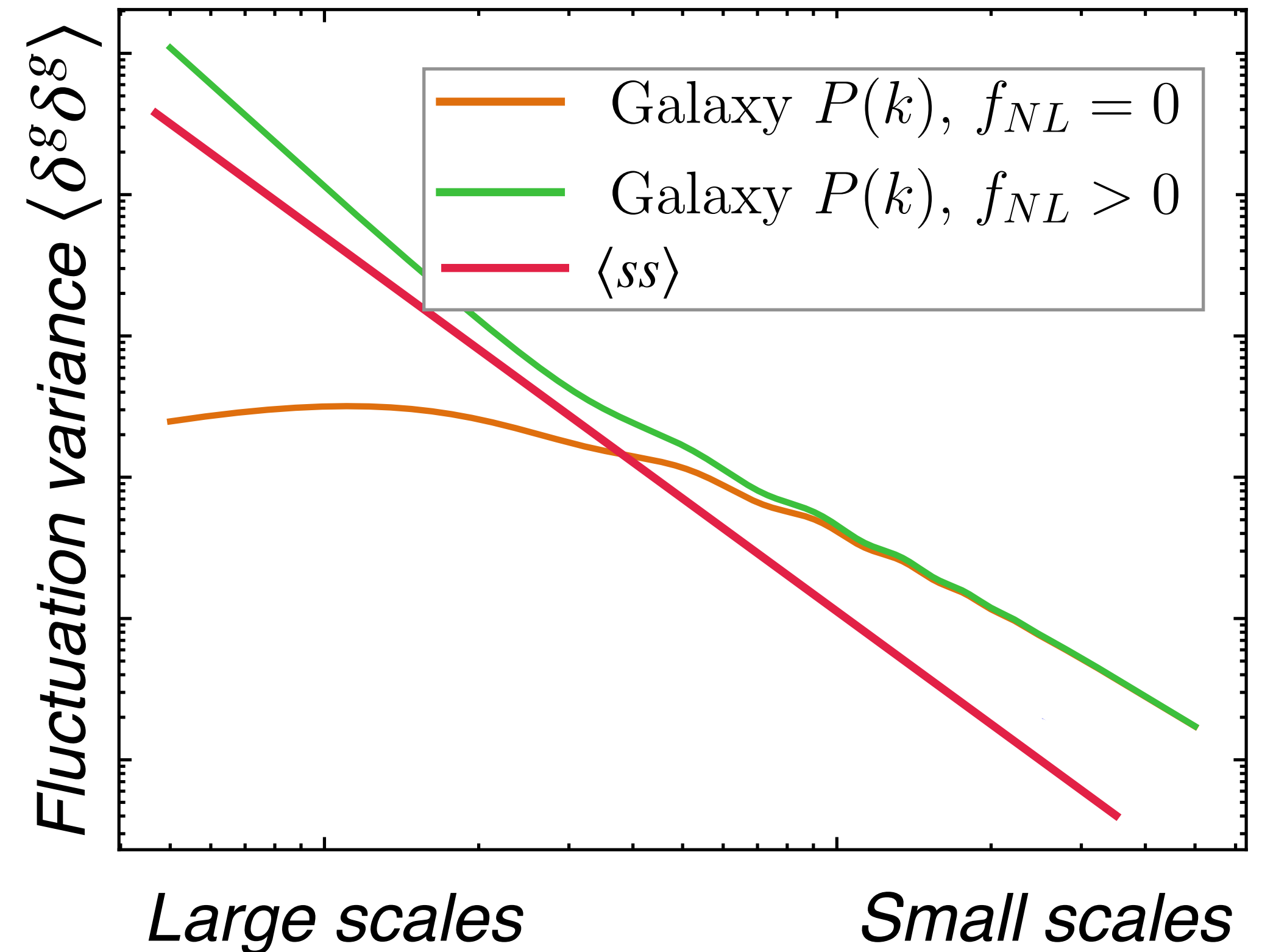
- Independent signal δ^{ind} contains uncorrelated contaminants
- Extract signal cleanly with cross correlation

$$\langle \hat{\delta}^g \delta^{\text{ind}} \rangle = \langle \delta^g \delta^{\text{ind}} \rangle + \cancel{\langle s \delta^{\text{ind}} \rangle}$$

$$\hat{\delta}^g = \delta^g + s$$

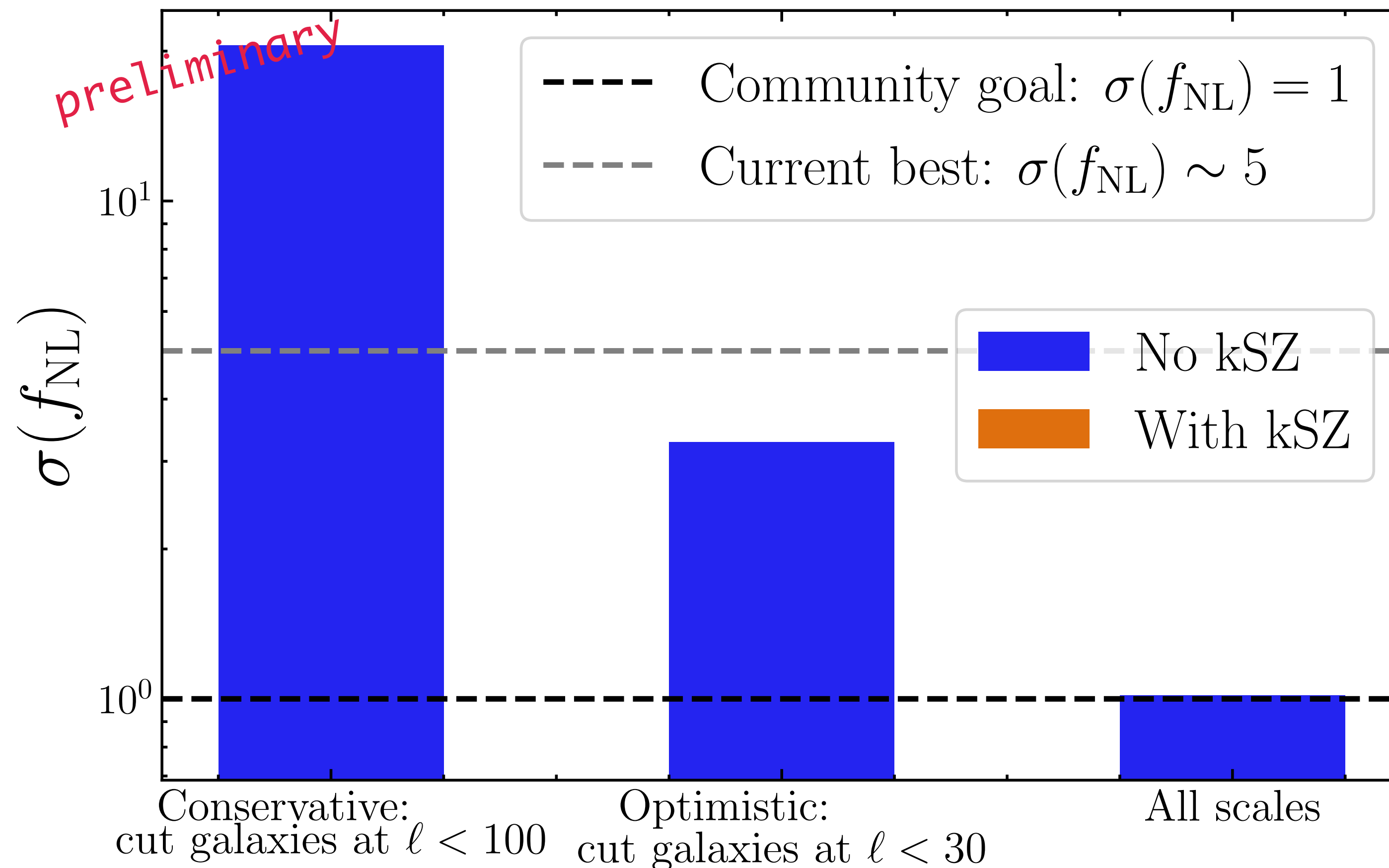
$s = \text{Stellar contamination}$

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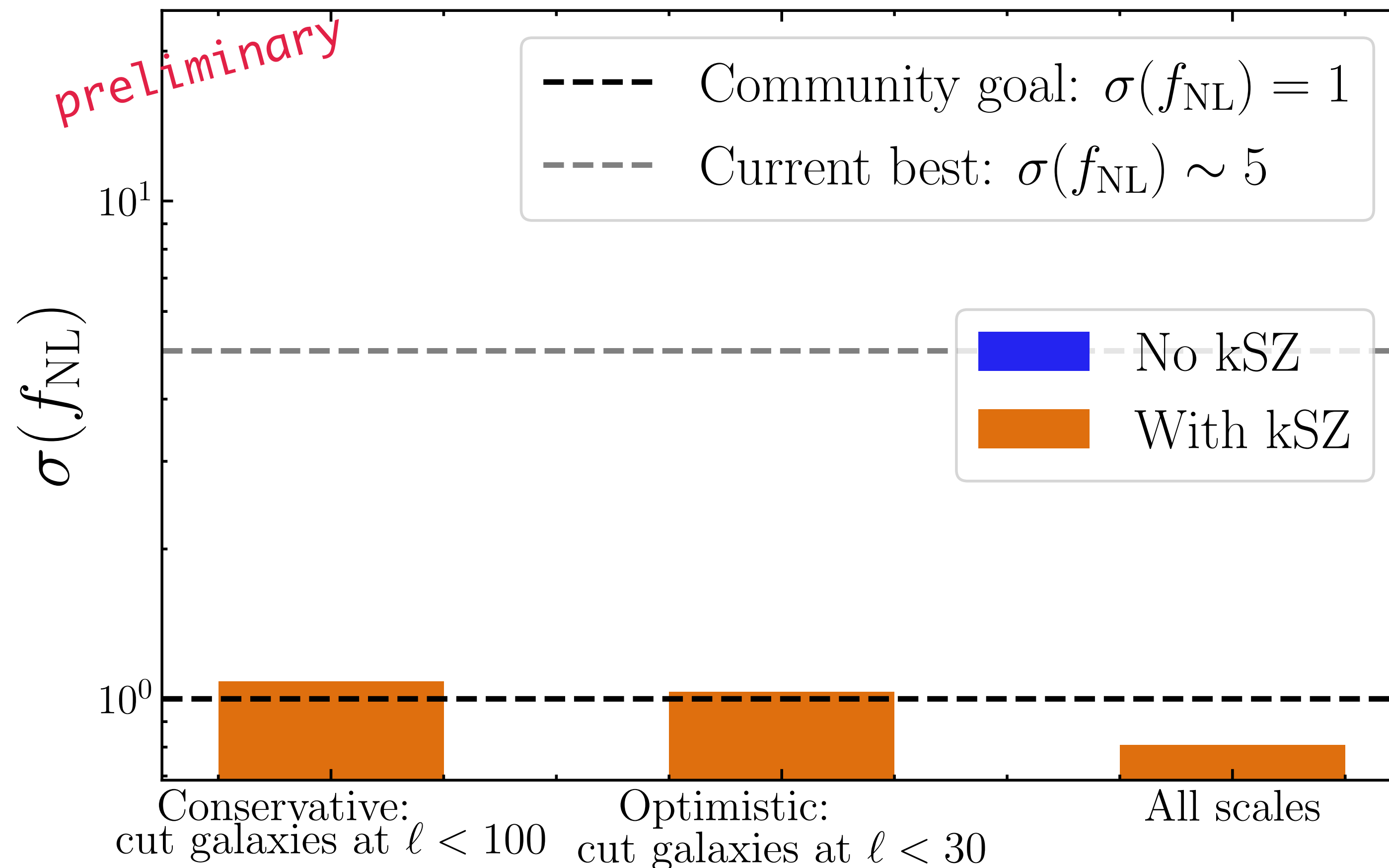
Forecast for SO-LSST



Guanming Liang

*Liang, **FMcC** et al in prep*

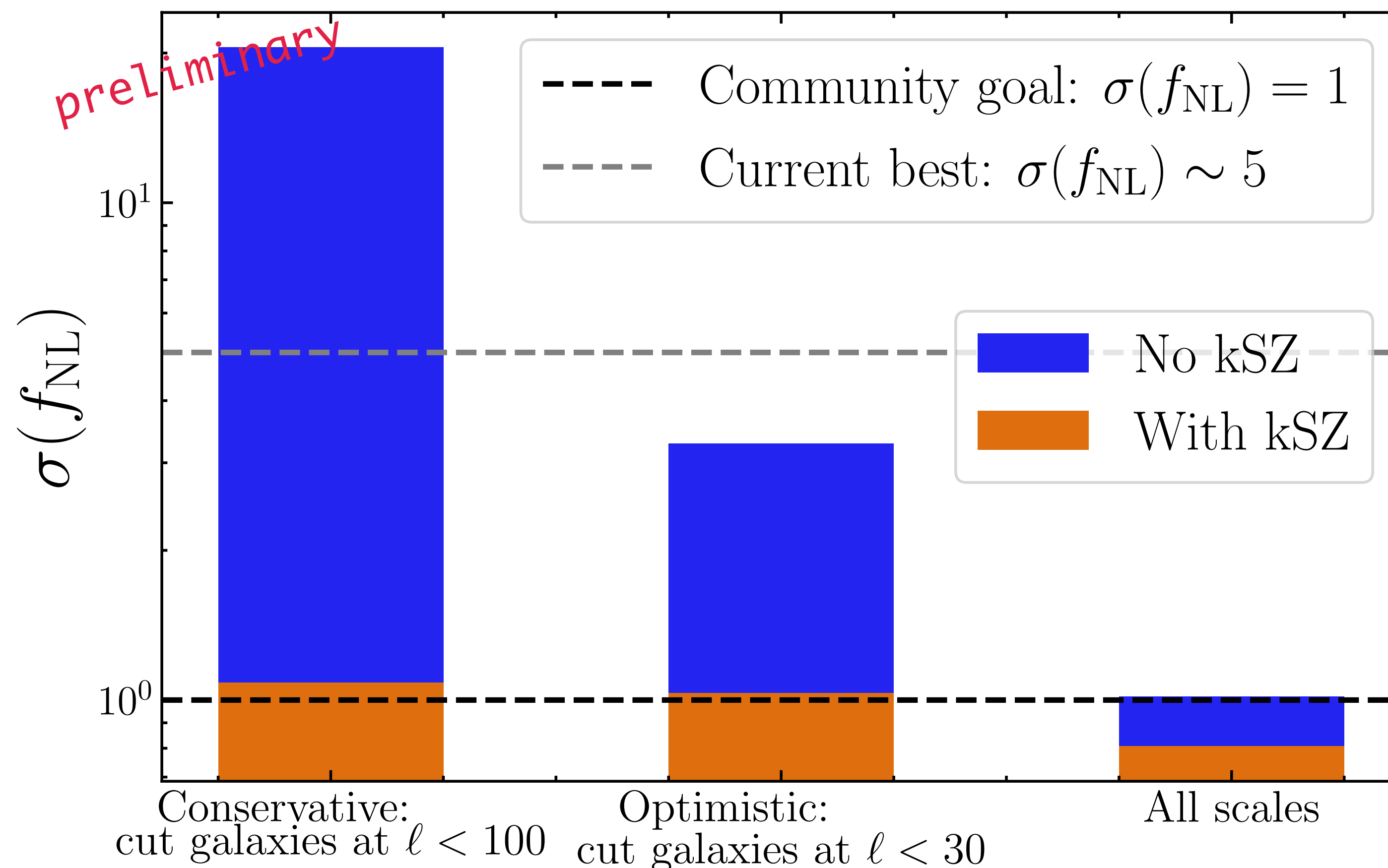
Forecast for SO-LSST



Guanming Liang

*Liang, **FMcC** et al in prep*

Forecast for SO-LSST

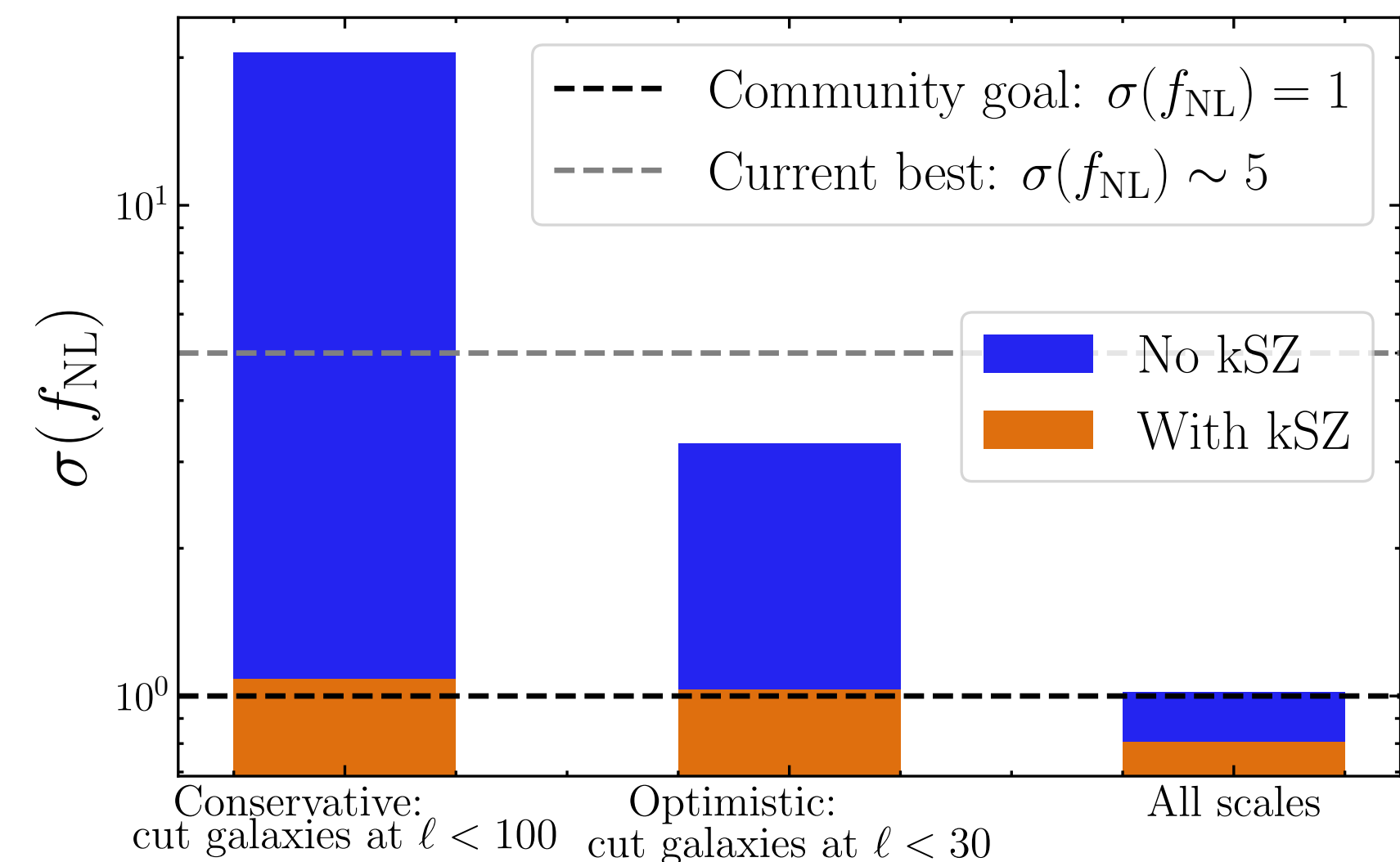
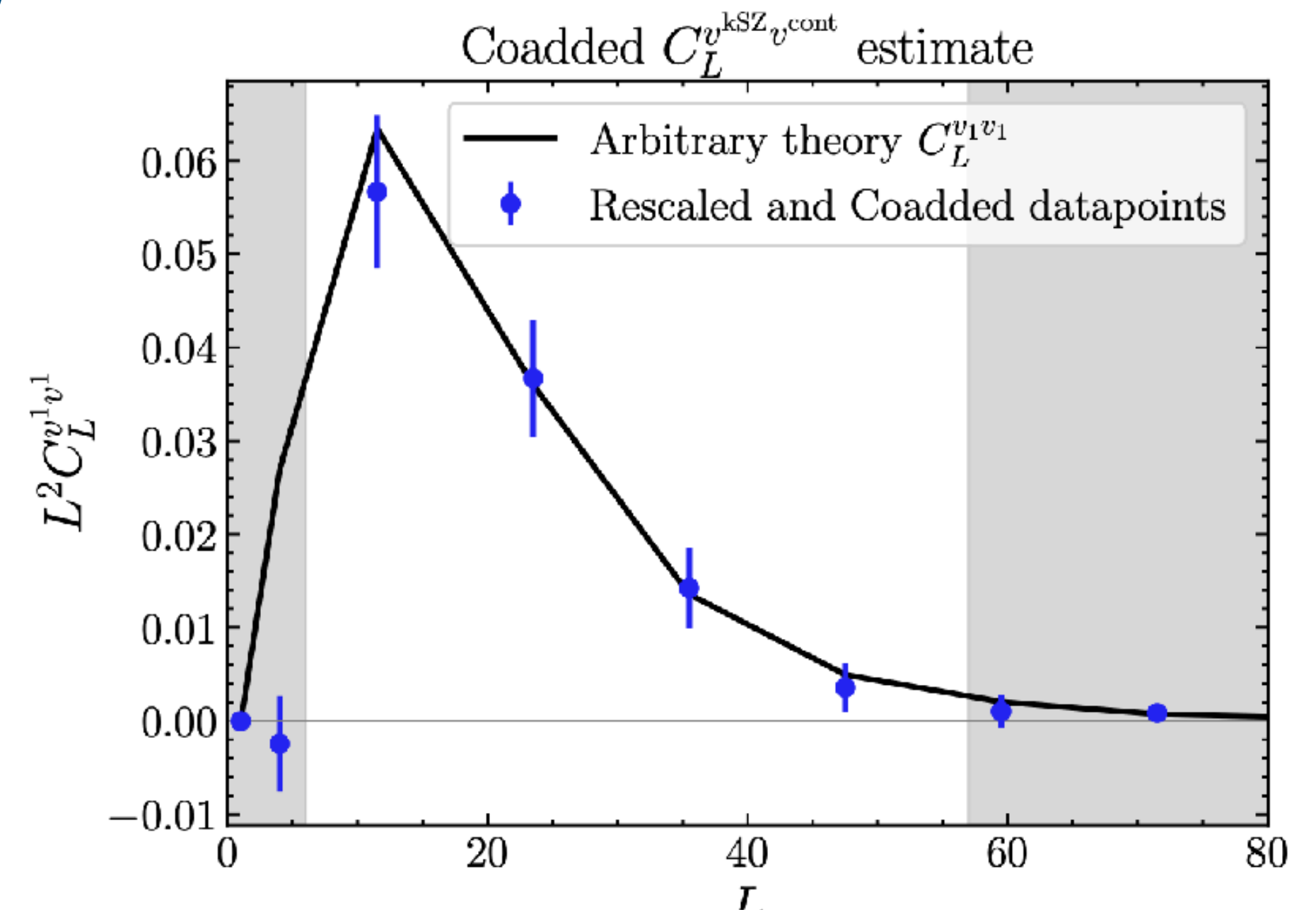


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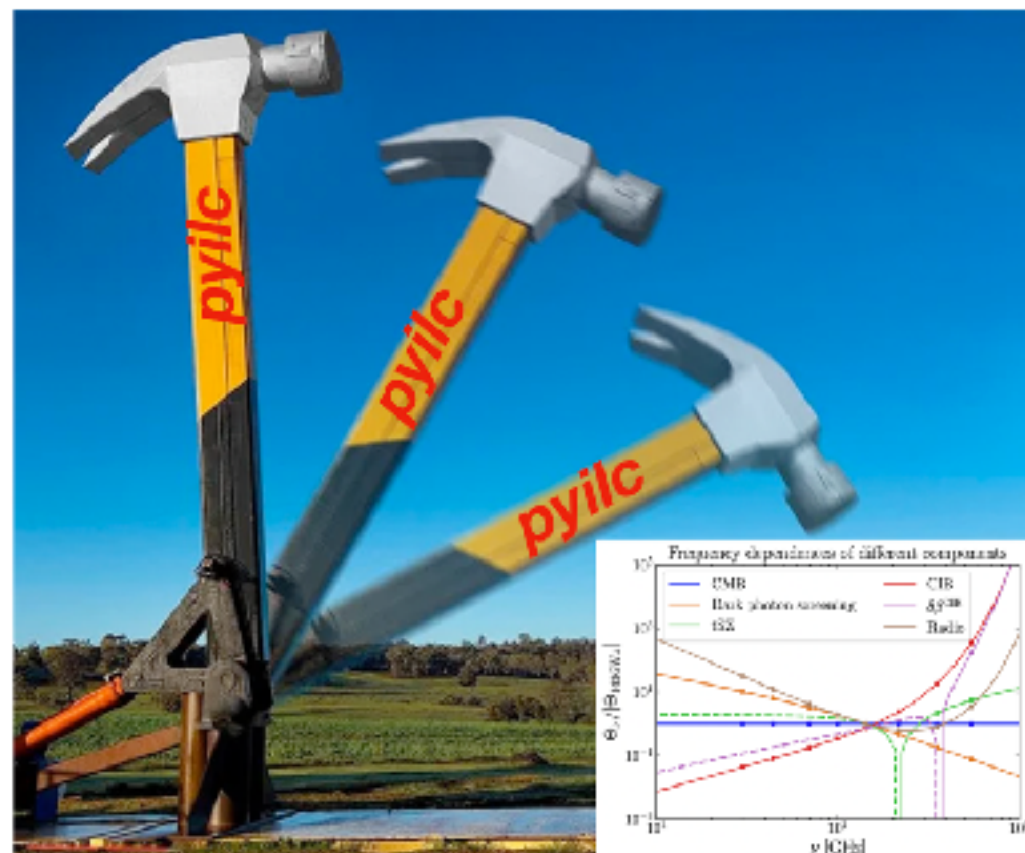
Overview

- Rapid progress in kSZ velocity reconstruction over the last 1.5 years
- SO kSZ measurements are coming - this is exciting!
- Competitive f_{NL} constraints **from cross-correlation alone as well as improvements from sample-variance cancellation**

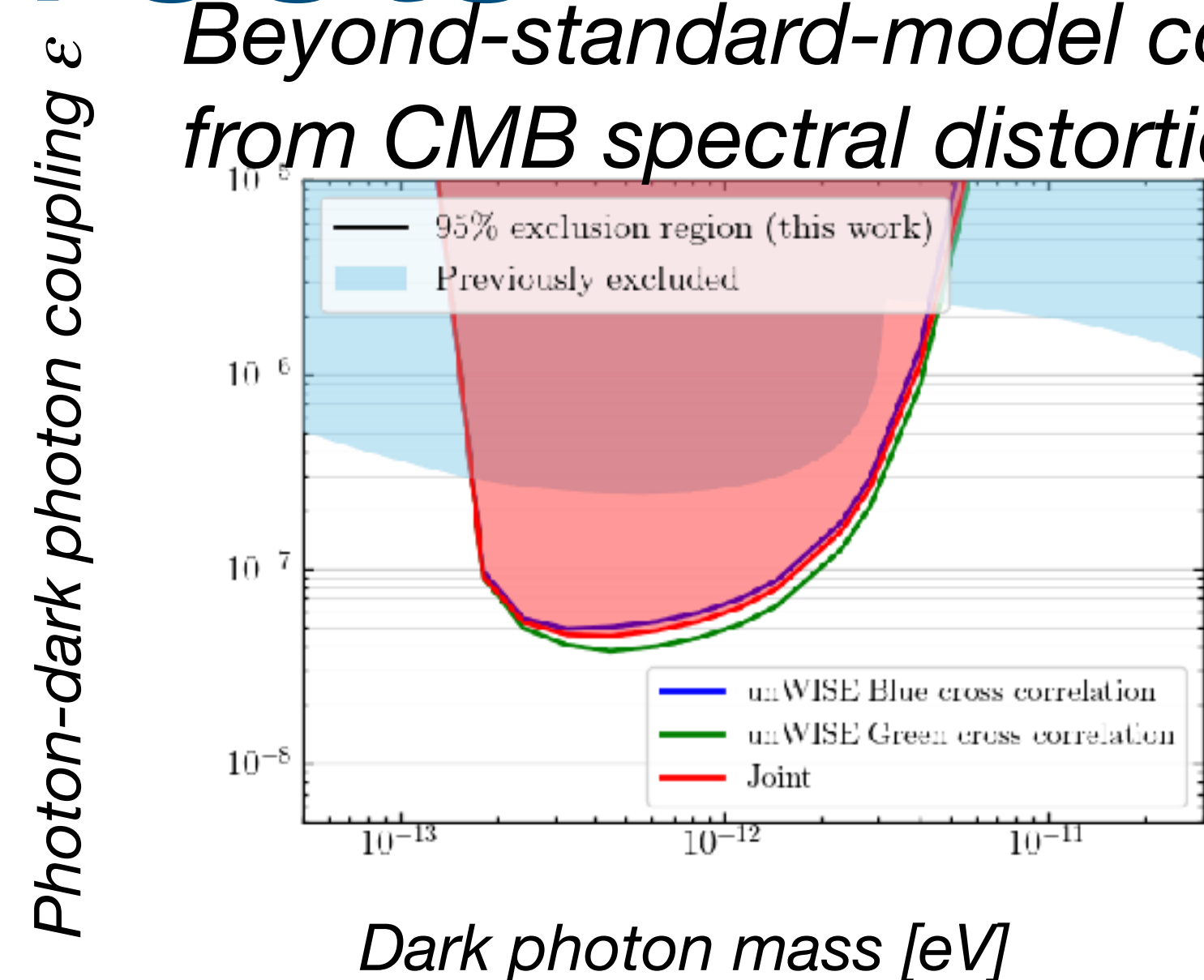


Additional interests

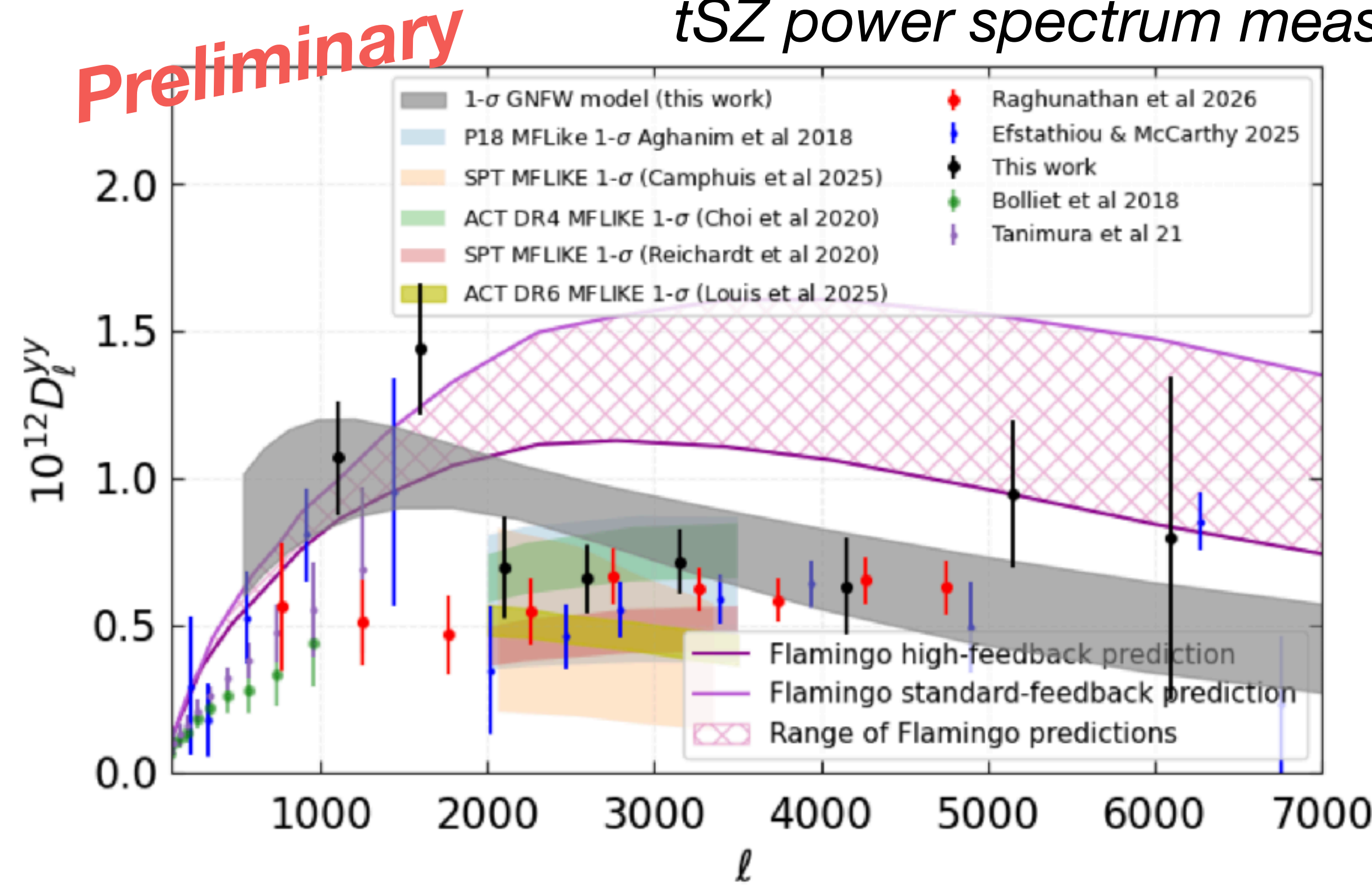
Component separation for CMB surveys (see *pyilc*)



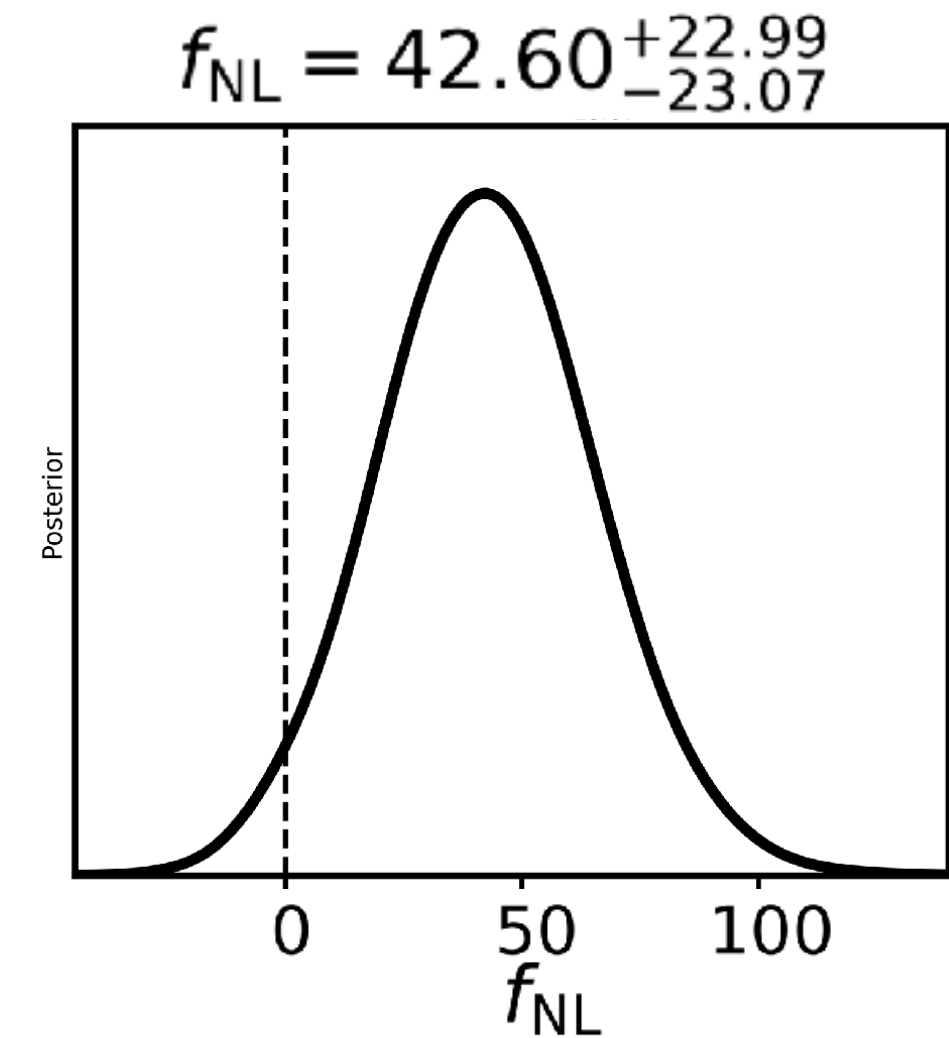
Beyond-standard-model constraints from CMB spectral distortions



*t*SZ power spectrum measurements



f_{NL} from CMB lensing-CIB cross correlation

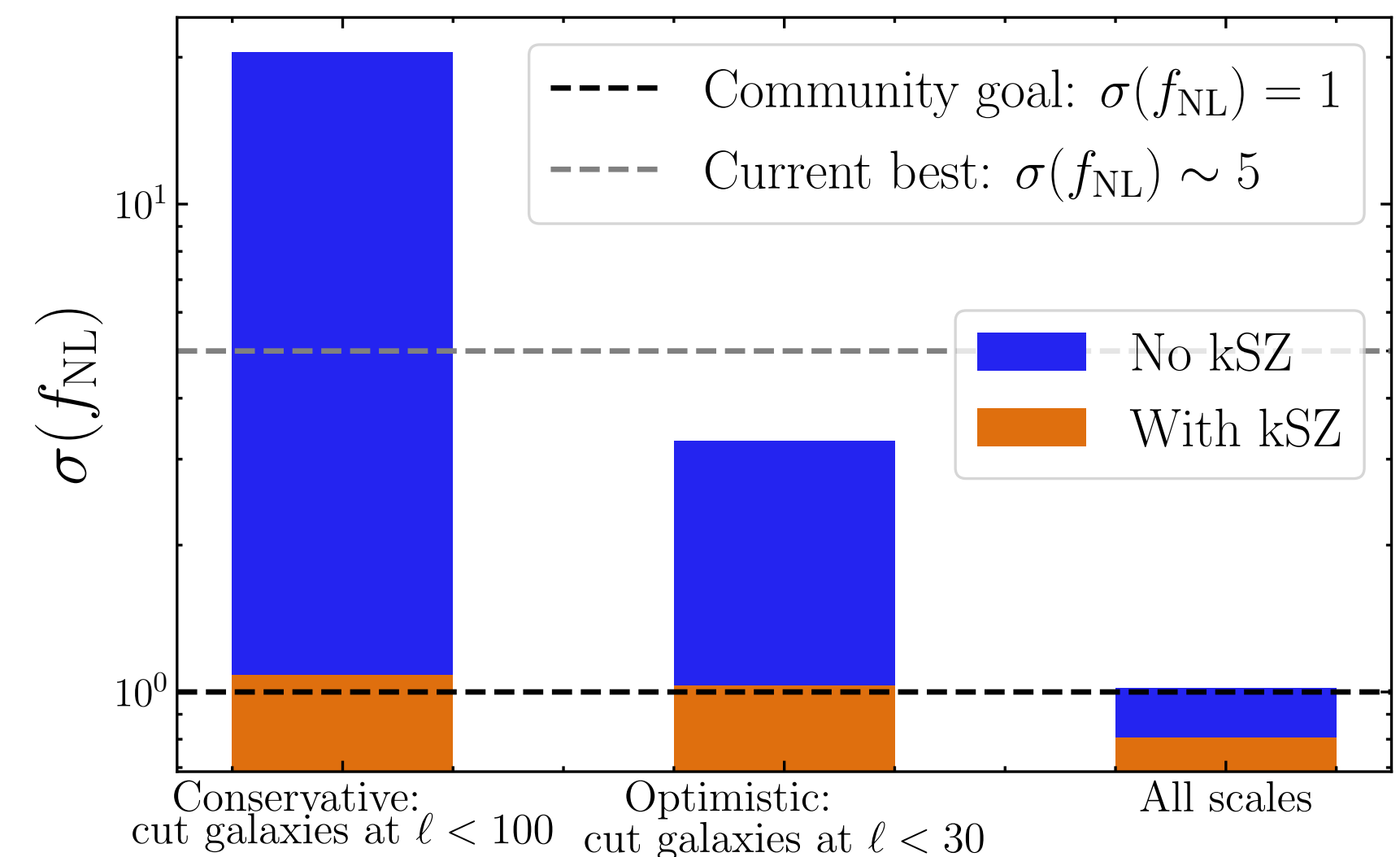
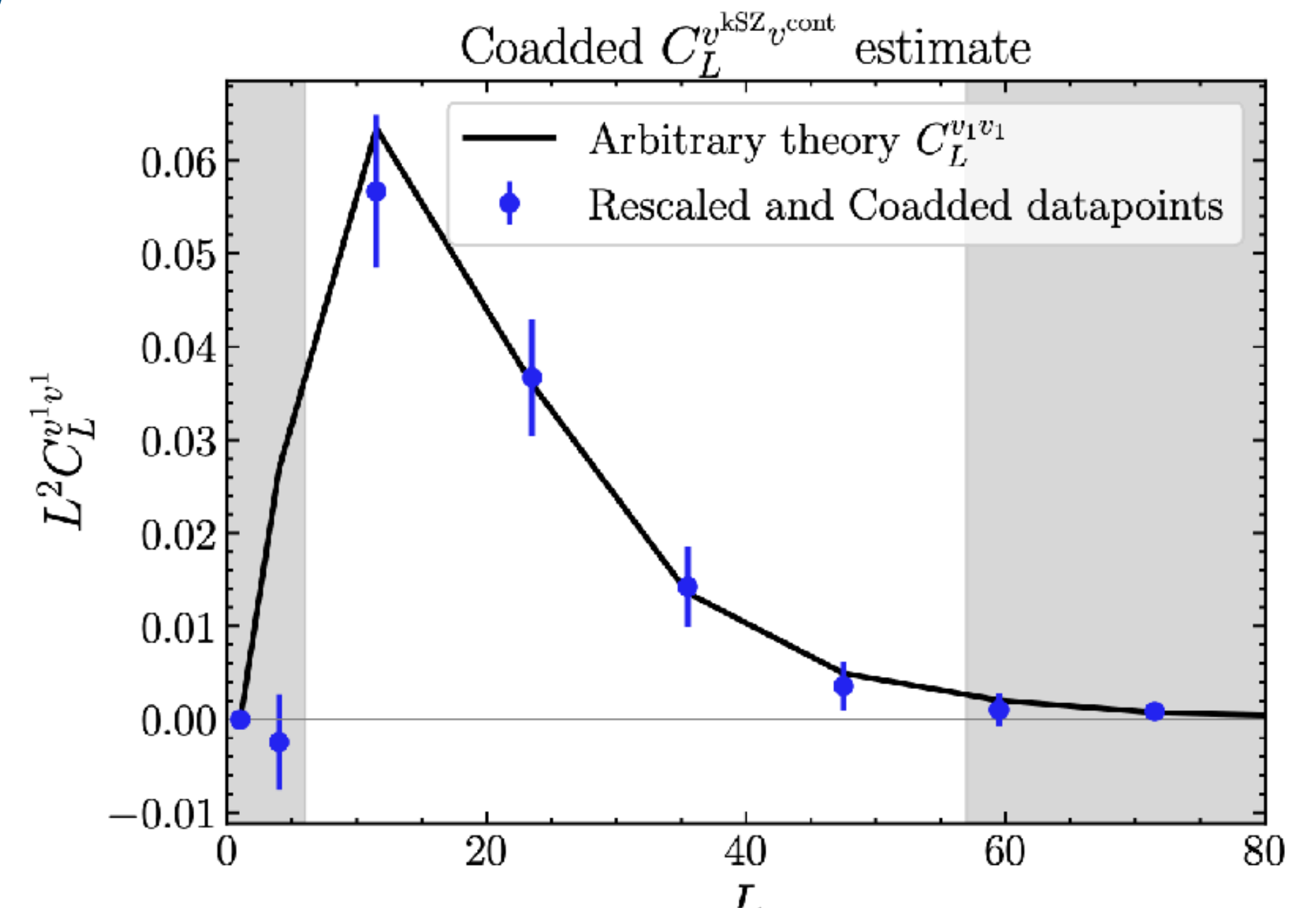


Joseph Thornton

Preliminary

Overview

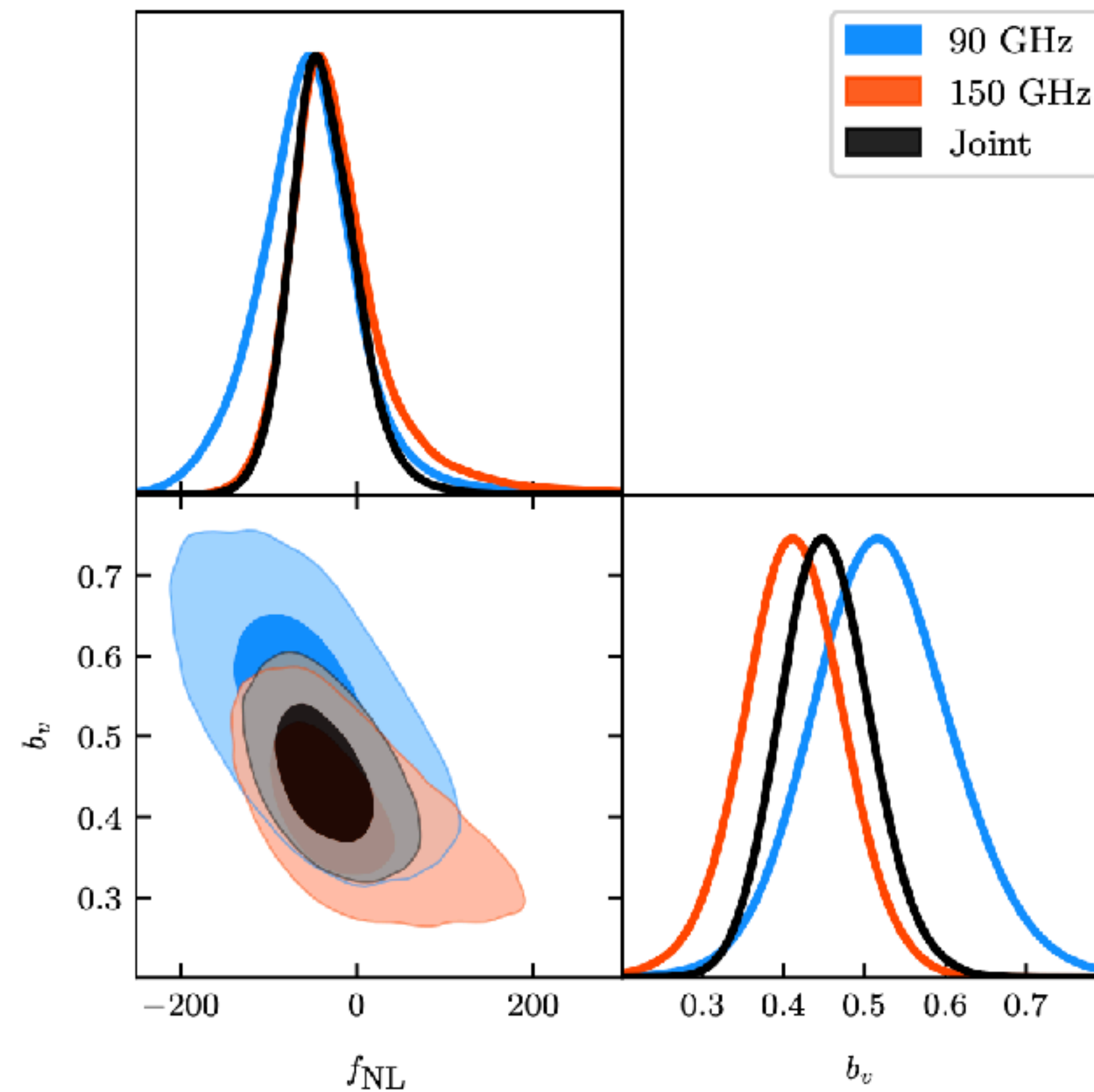
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Extra slides

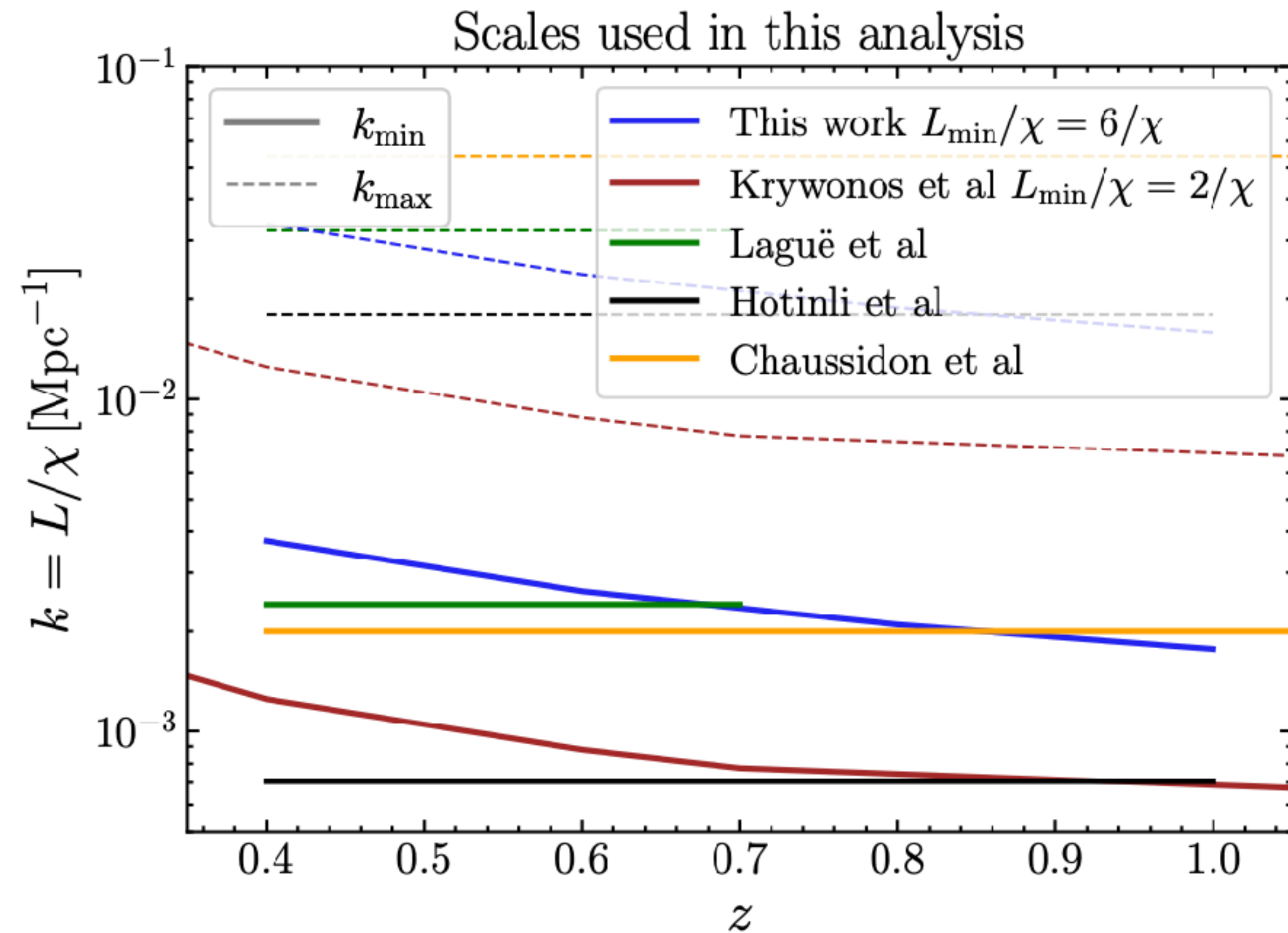
Comparison to 3-D

- See Hotinli et al 2025: $f_{NL} = -30^{+40}_{-33}$



Comparison to 3-D

- Possible explanation: different scale coverage although **3-D vs 2-D comparison is not a fully solved problem**



Photometry vs spectroscopy

- With **spectroscopy** we get **very good redshift measurements of galaxies**

- Work in 3-D. $\vec{x} \rightarrow \vec{k}$

- Observable is 3-dimensional $P_{vv}(k)$ or $P_{vg}(k)$

- With **photometry** we can get \sim few-percent accuracy on redshifts

- Work in 2+1-D. $\vec{\theta}, \alpha \rightarrow L, M, \alpha$

- Observable is 2+1-dimensional

$$C_L^{v^\alpha v^\beta} \text{ or } C_L^{v^\alpha g^\beta}$$

- Expect good measurements of **overall redshift distribution**

