



Cosmology at high-redshift with the Lyman- α forest

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Outline

- **Introduction and background**
- The Lyman- α forest
- Baryon Acoustic Oscillations (BAO)
- The Alcock-Paczynski (AP) effect
- Redshift Space Distortions (RSD)

Measuring the expansion and growth

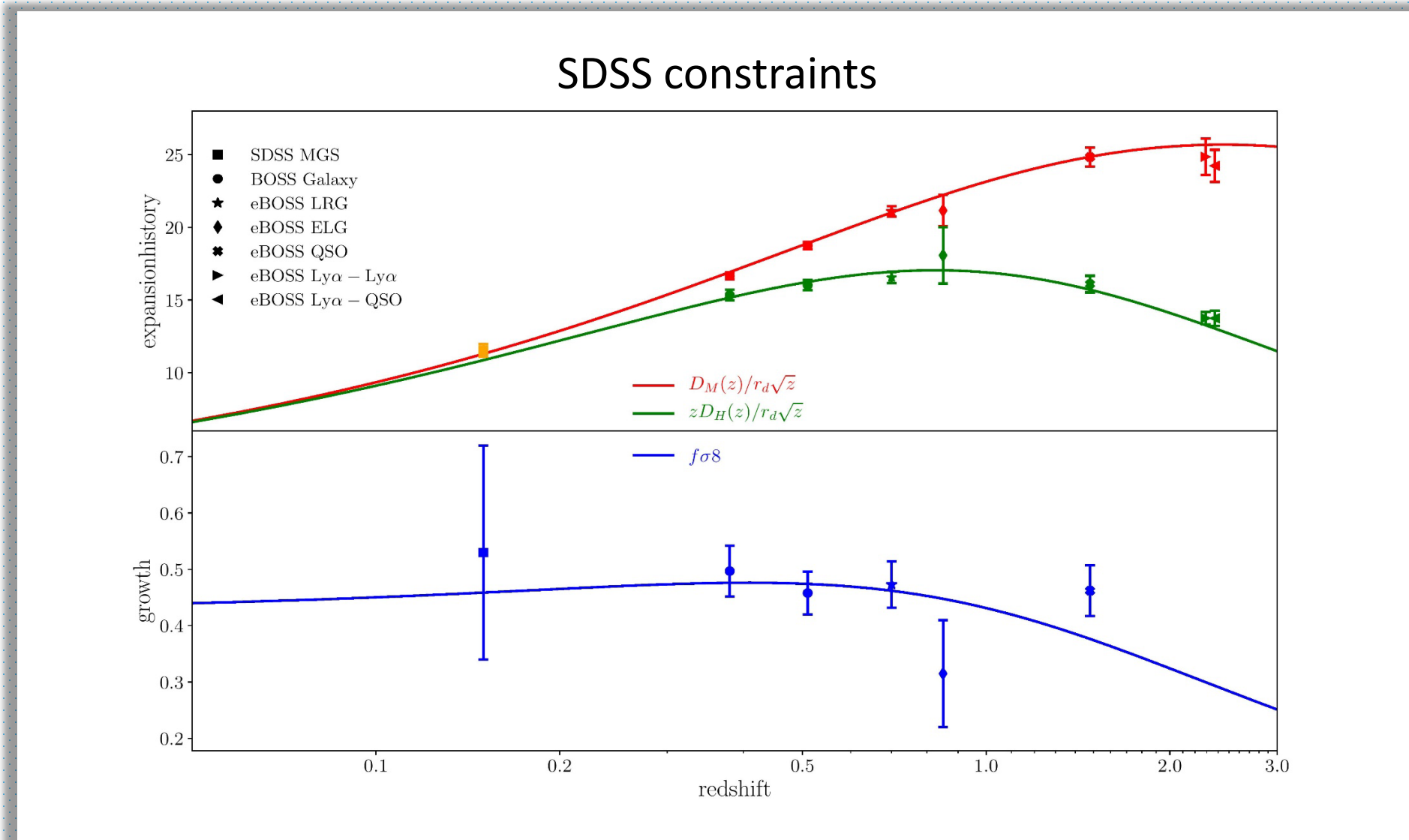


Figure from Alam et al. 2021 (2007.08991)

Measuring the expansion and growth

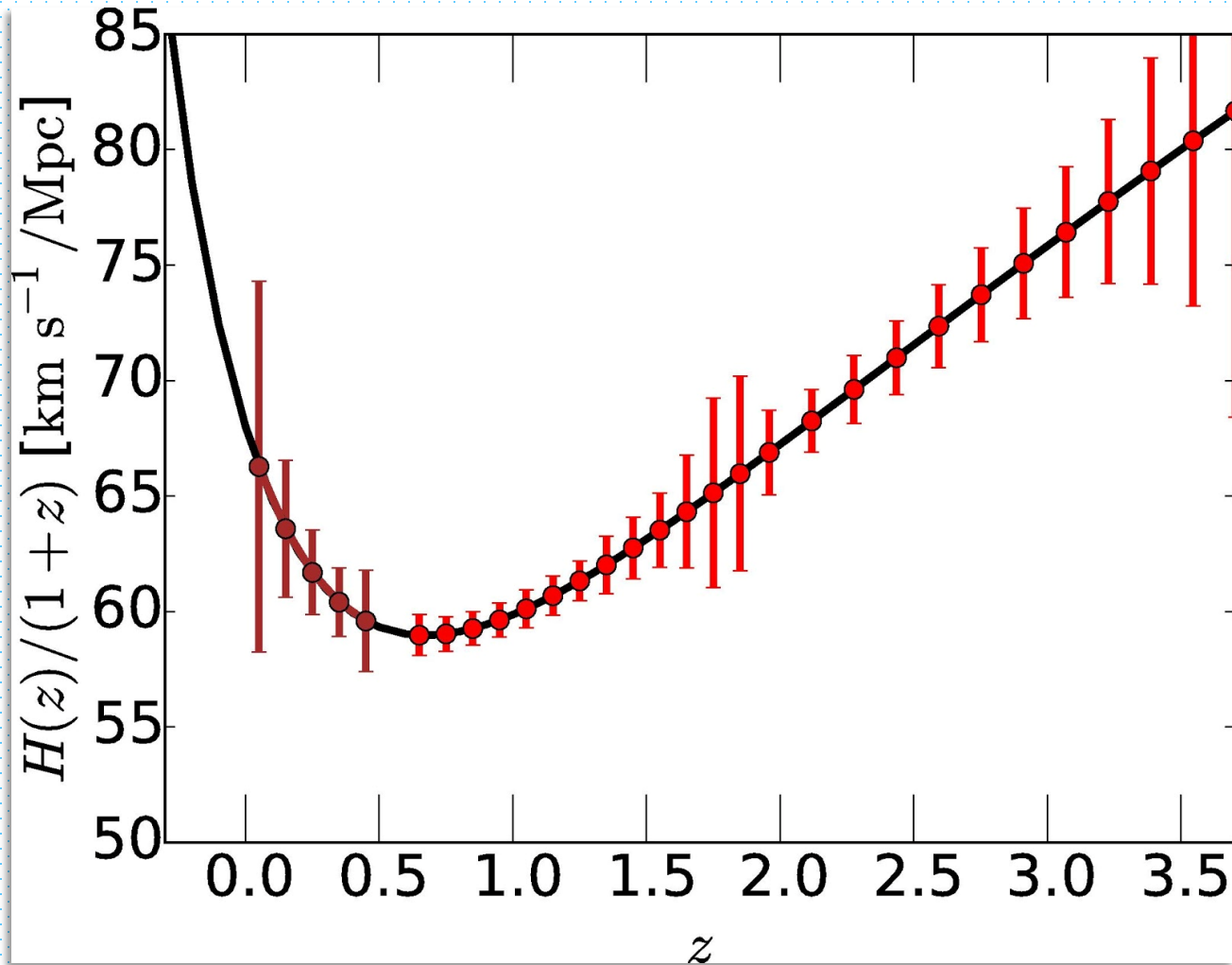
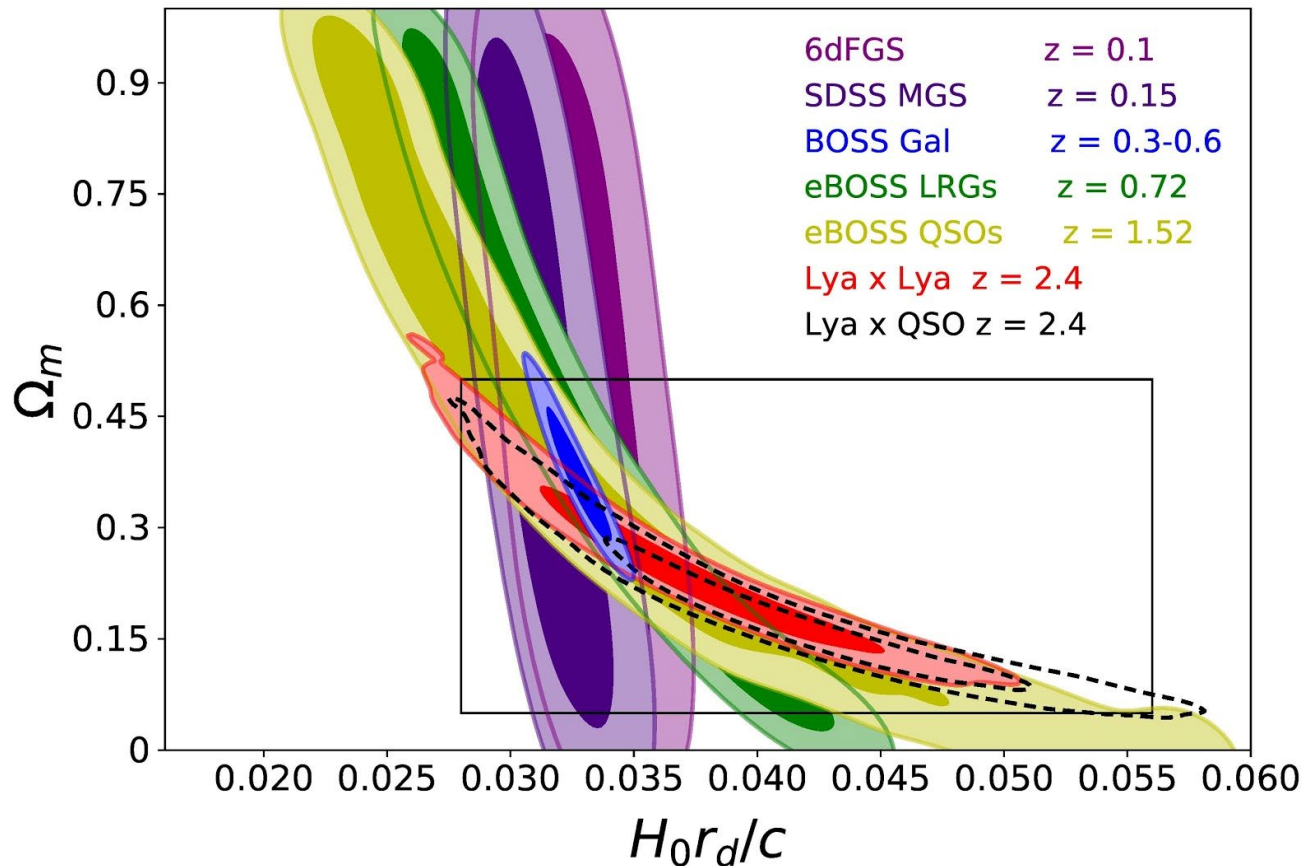


Figure from DESI Collaboration et al. 2016 (1611.00036)

- The Dark Energy Spectroscopic Instrument (DESI) is comprehensively measuring the expansion history all the way to redshift $z \sim 4$

Why so many measurements?

Flat Λ CDM

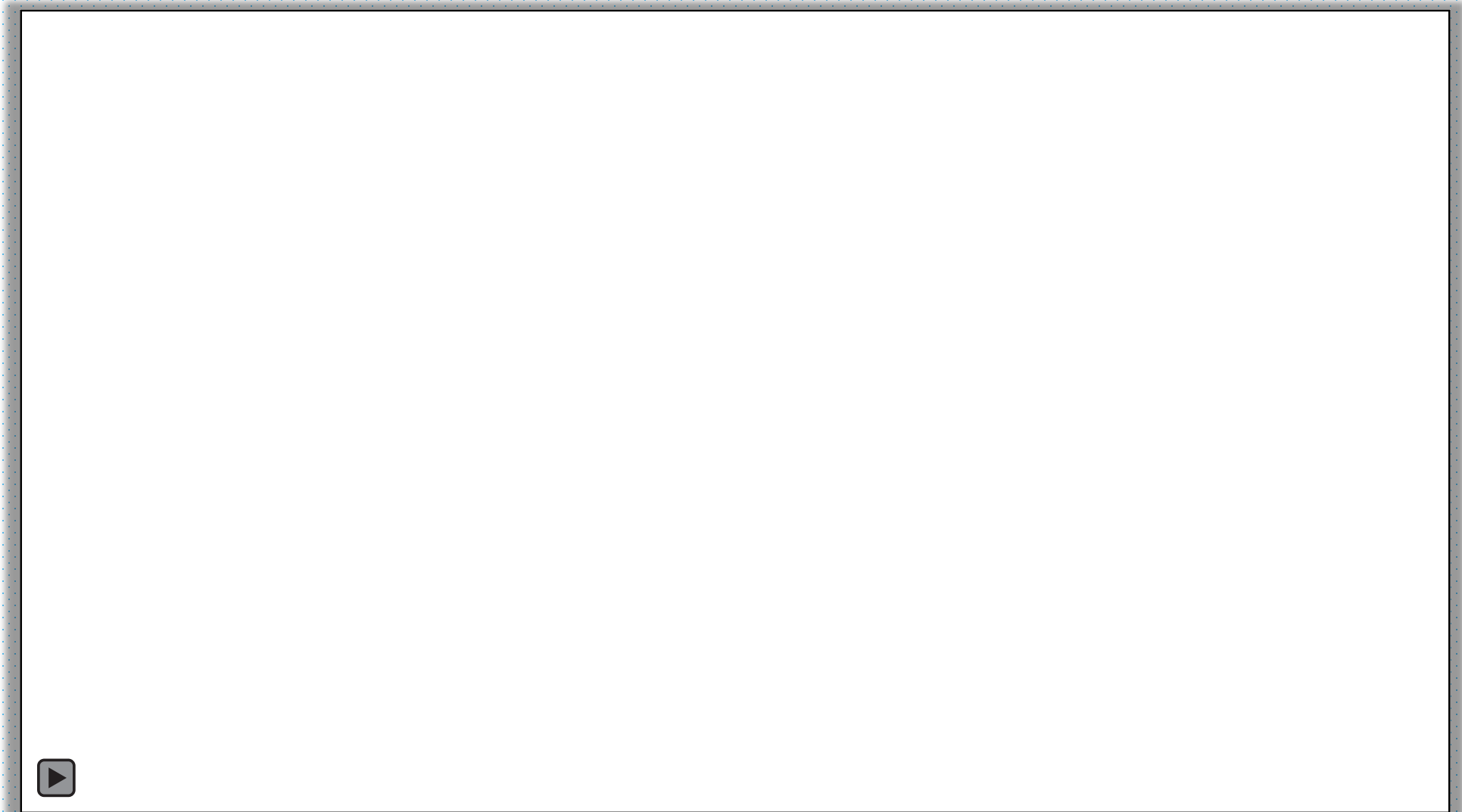


- Measurements at different redshifts lead to different degeneracies
- Low- z \rightarrow Dark energy dominated Universe
- High- z \rightarrow Matter dominated Universe

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The Lyman- α forest



The Lyman- α forest

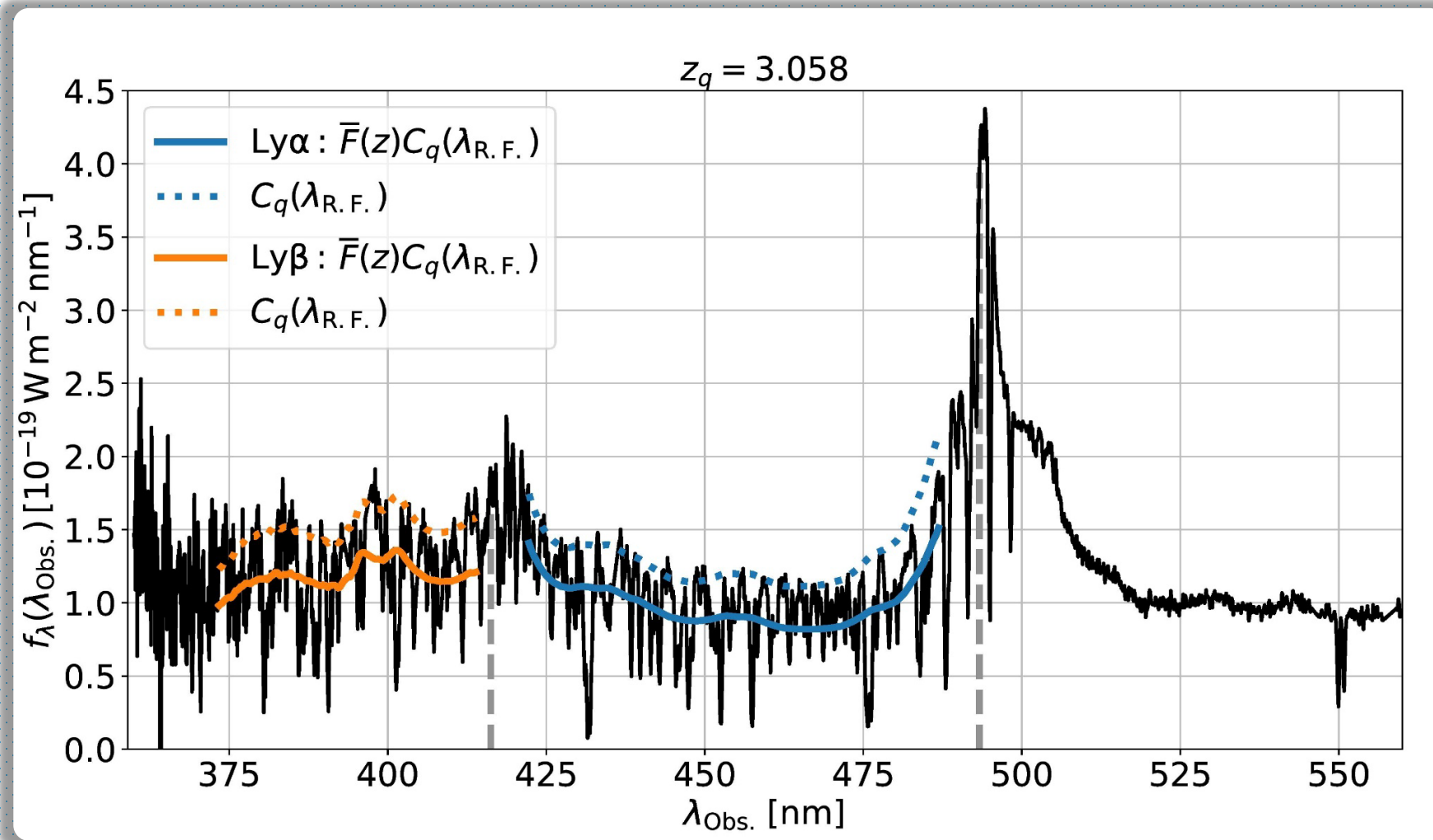


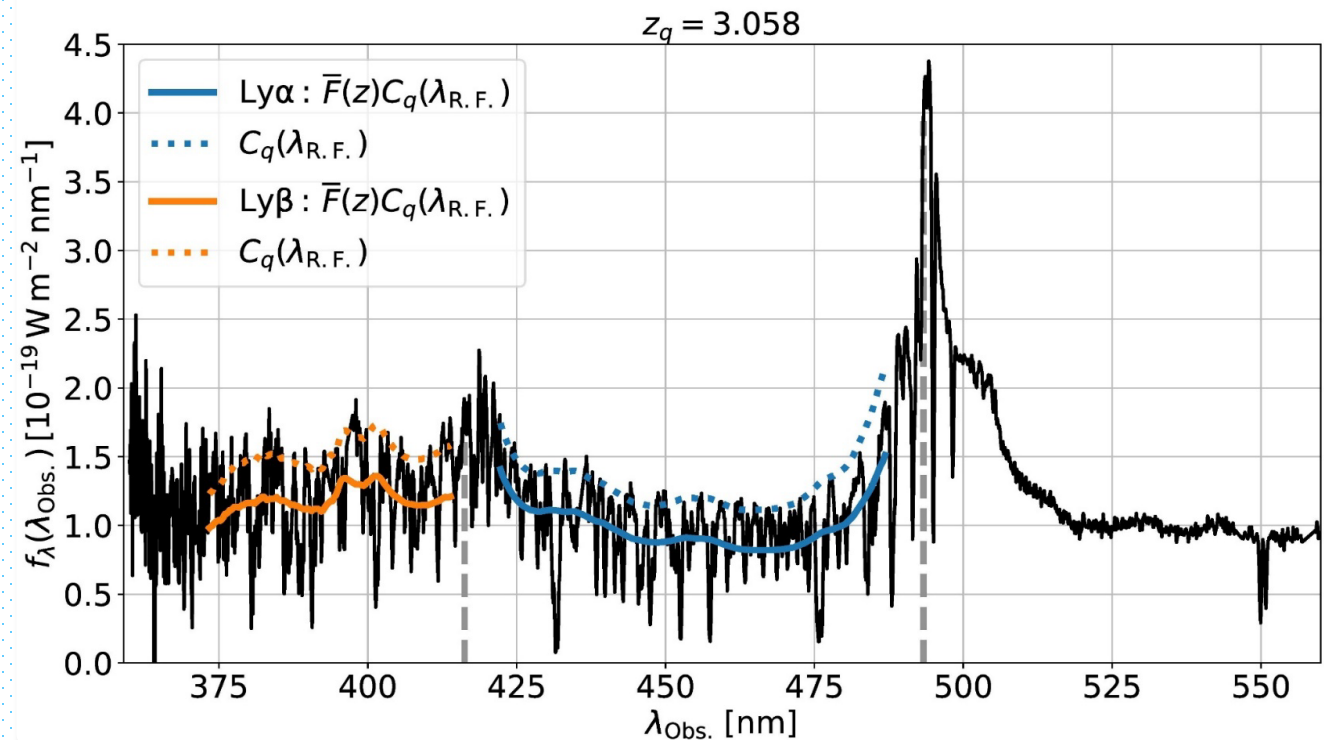
Figure from du Mas des Bourboux et al. 2020 (2007.08995)

The flux overdensity field

- For cosmology we use the statistics of the flux delta field, defined as:

$$\delta_q(\lambda_i) = \frac{f_q(\lambda_i)}{C_q(\lambda_i)\bar{F}(z_i)} - 1$$

- In general, we do not know the quasar continuum, $C_q(\lambda_i)$, and the global mean transmission, $\bar{F}(z_i)$.
- Therefore, we usually have to fit the product $C_q(\lambda_i)\bar{F}(z_i)$ directly from the data.



Lyman- α forest correlations

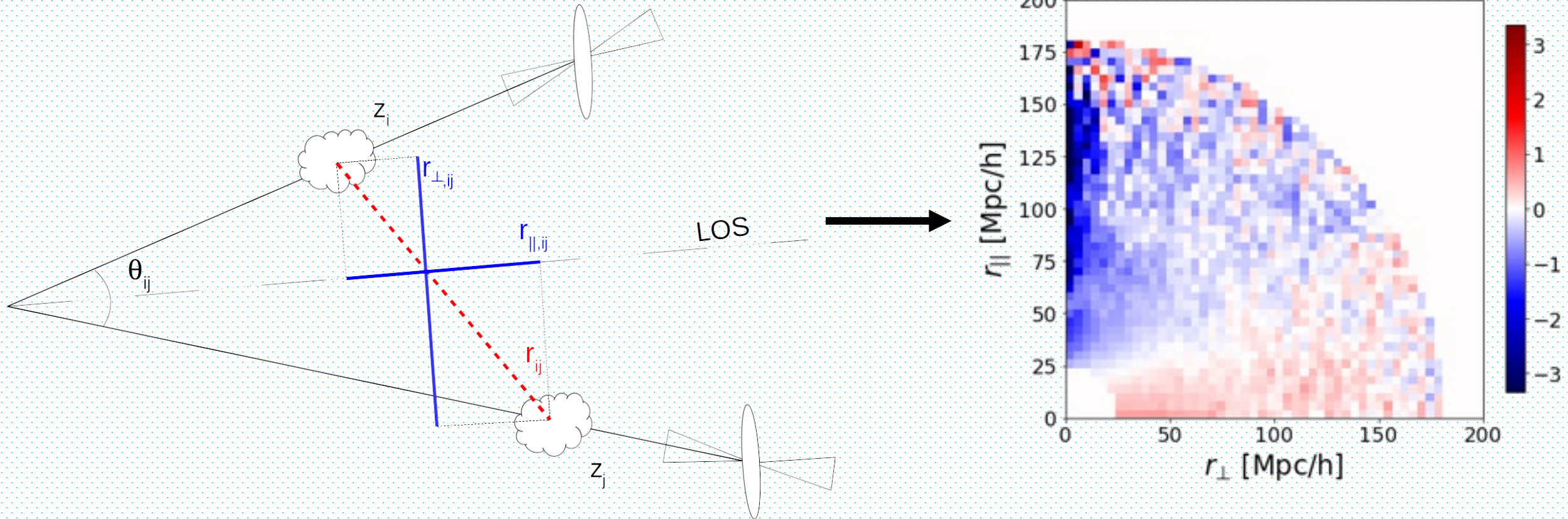
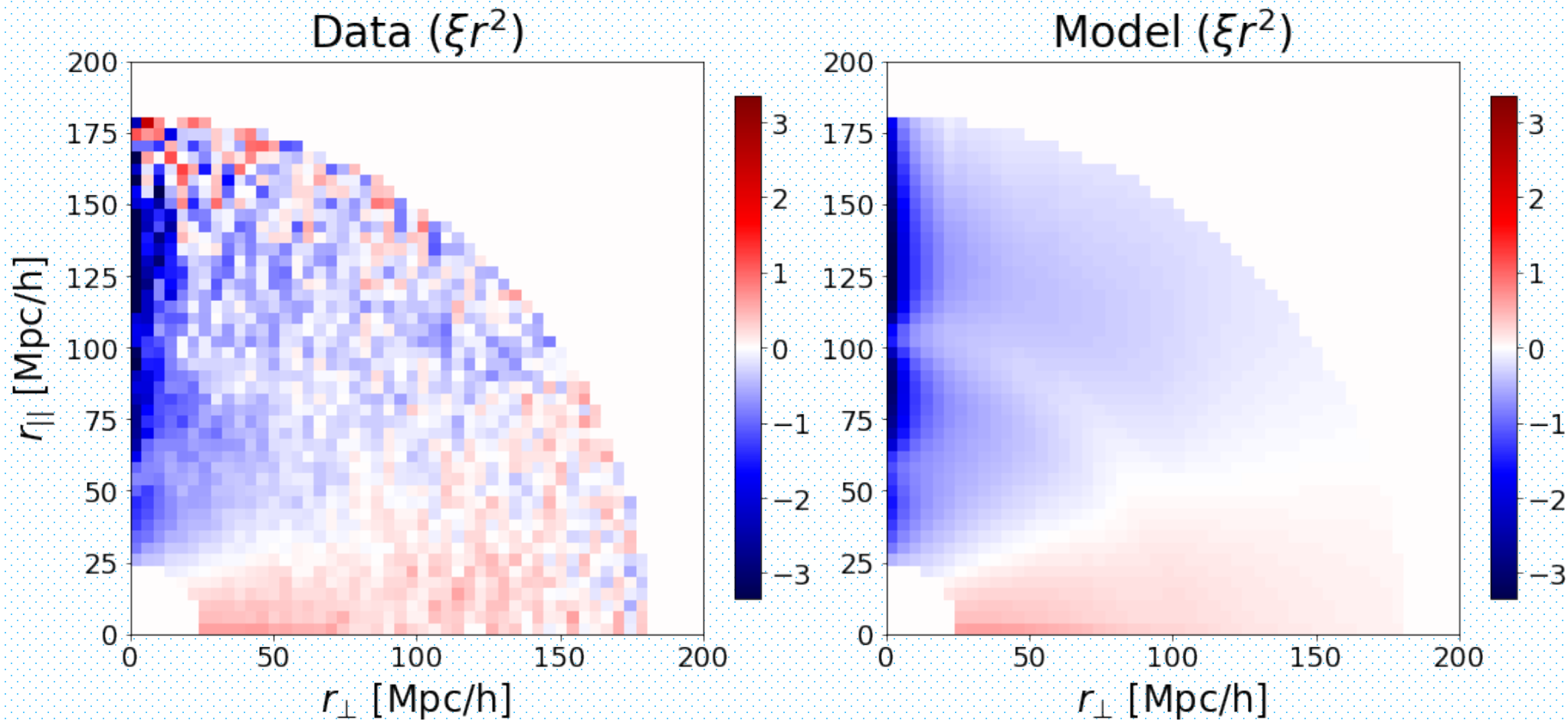
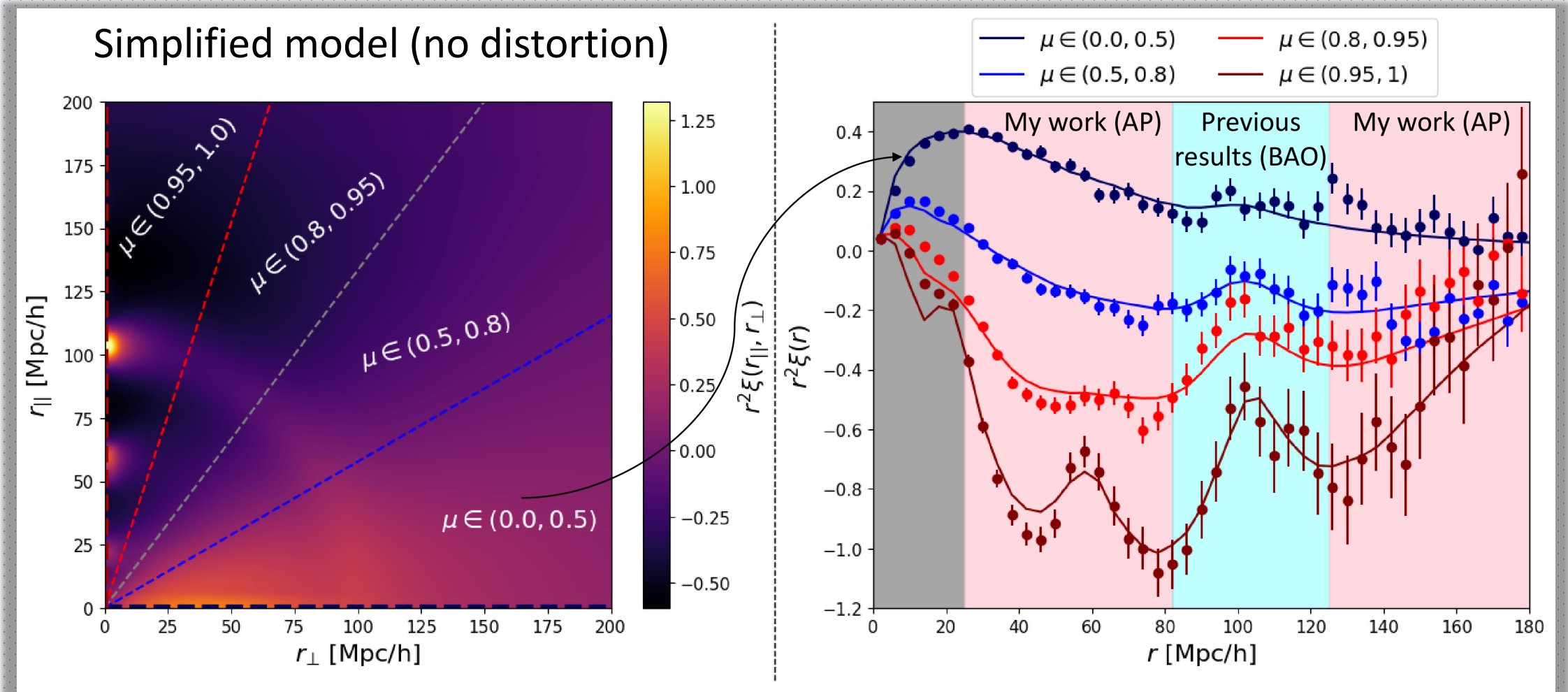


Figure from de Sainte Agathe et al. 2019 (1904.03400)

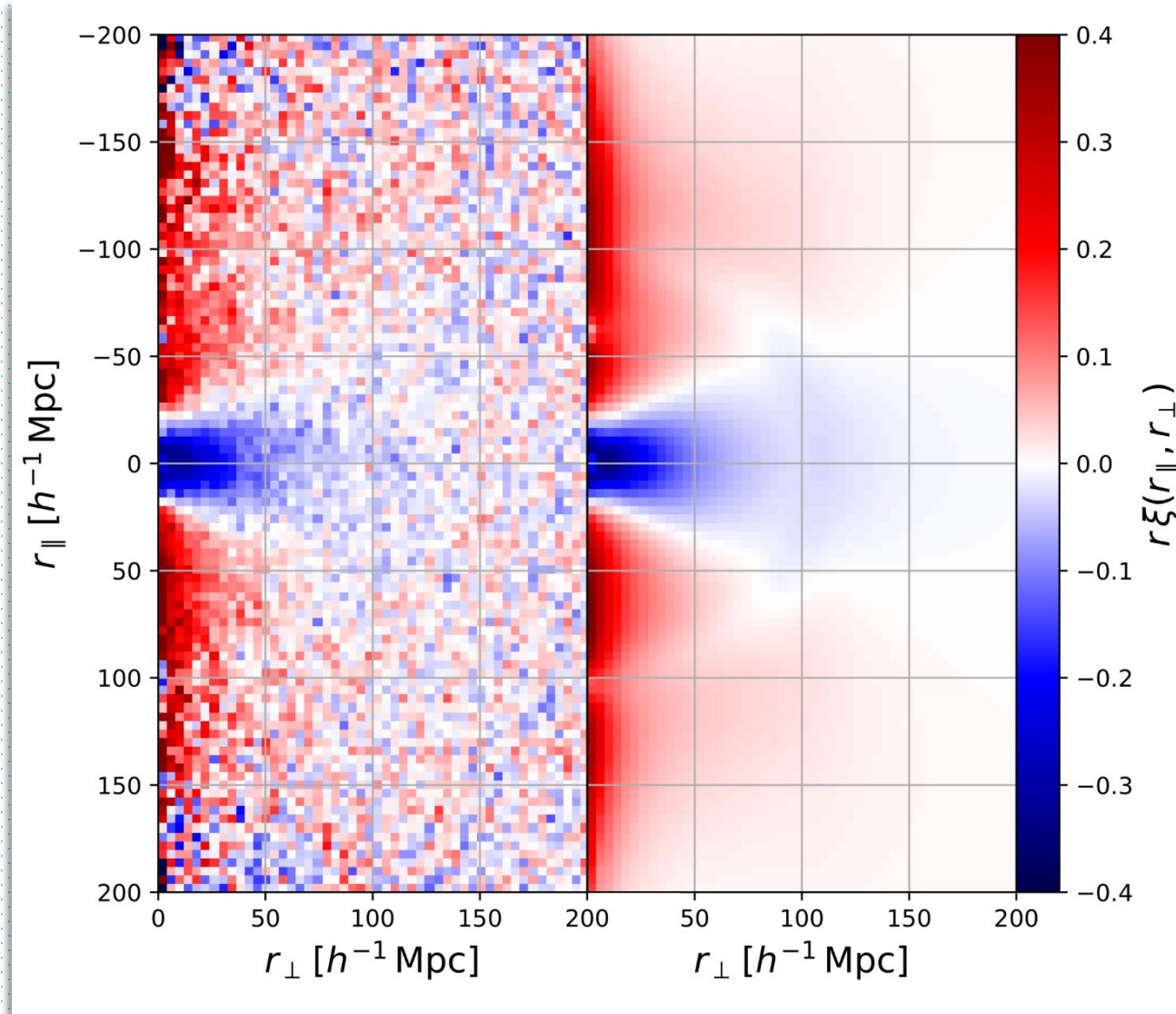
Lyman- α forest correlations: data vs model



Compressing into wedges



Ly α -quasar cross-correlation



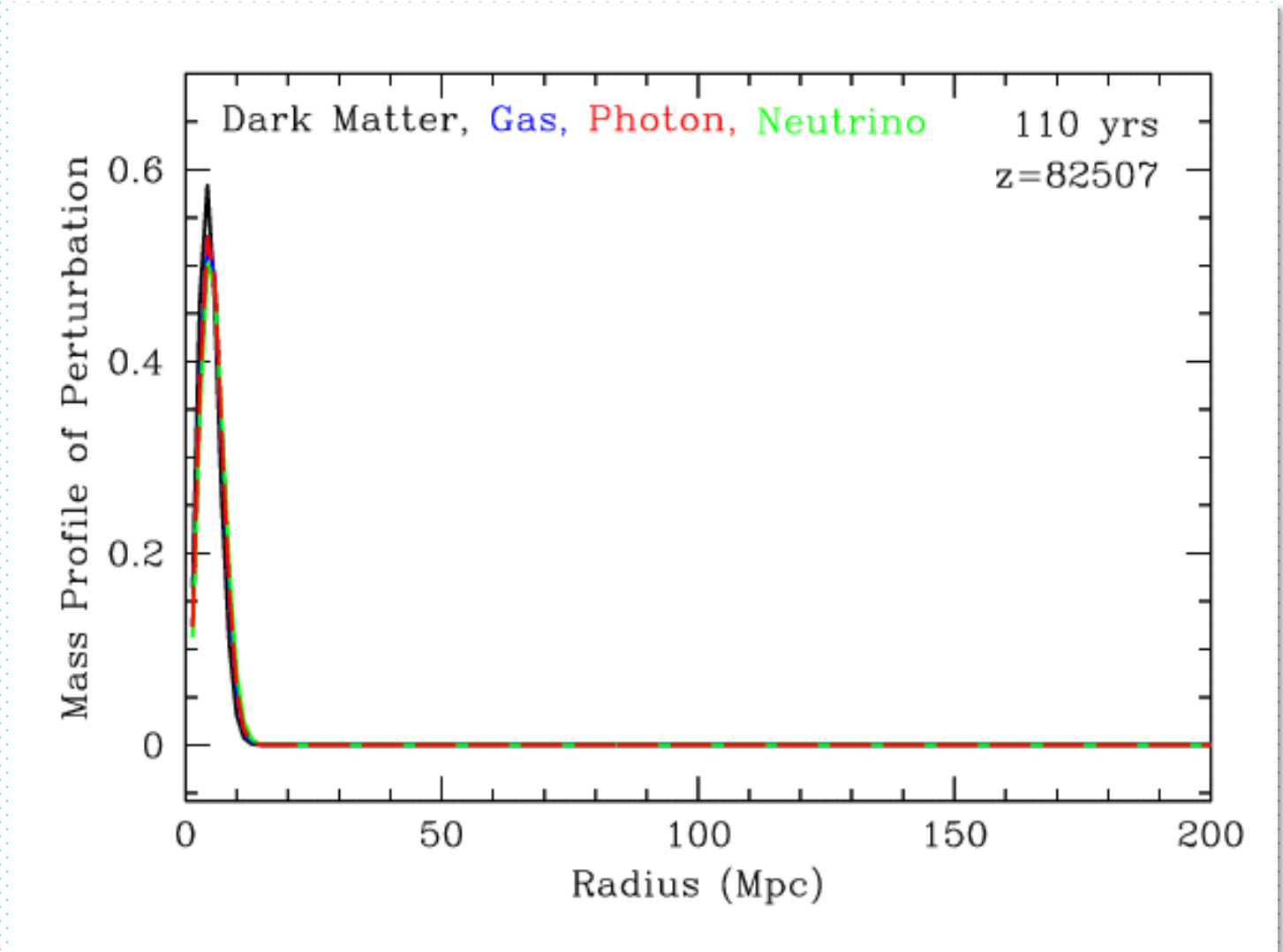
- Also compute the cross-correlation between the Ly α forest and the quasar distribution
- Distinguish between forest pixels in front or behind the quasar

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- The Alcock-Paczynski (AP) effect
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Baryon acoustic oscillations (BAO)

- We can detect BAO in the two point correlation function of galaxies, as a peak at around $\sim 100 h^{-1} Mpc$
- We can also detect them in the power spectrum as an oscillation



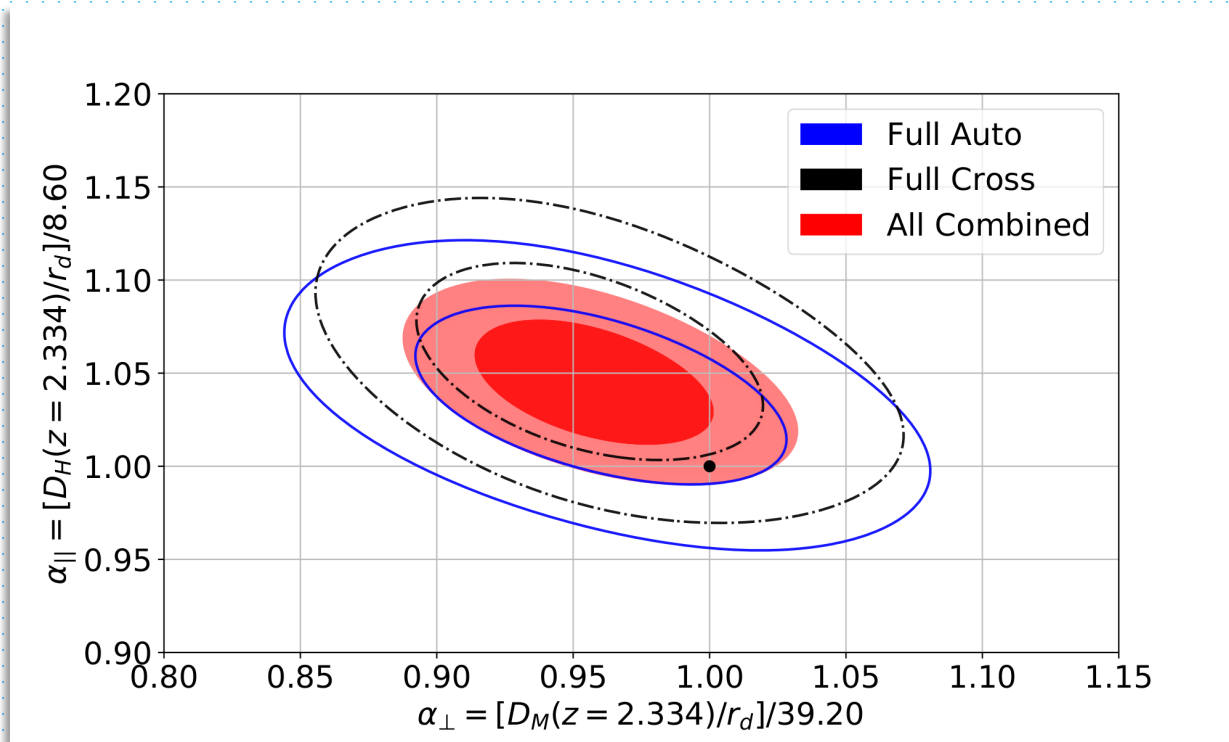
BAO with the Lyman- α forest

- We use a template power spectrum decomposed into a peak and a smooth component
- We fit two scale parameters that shift the BAO peak along and across the line of sight:

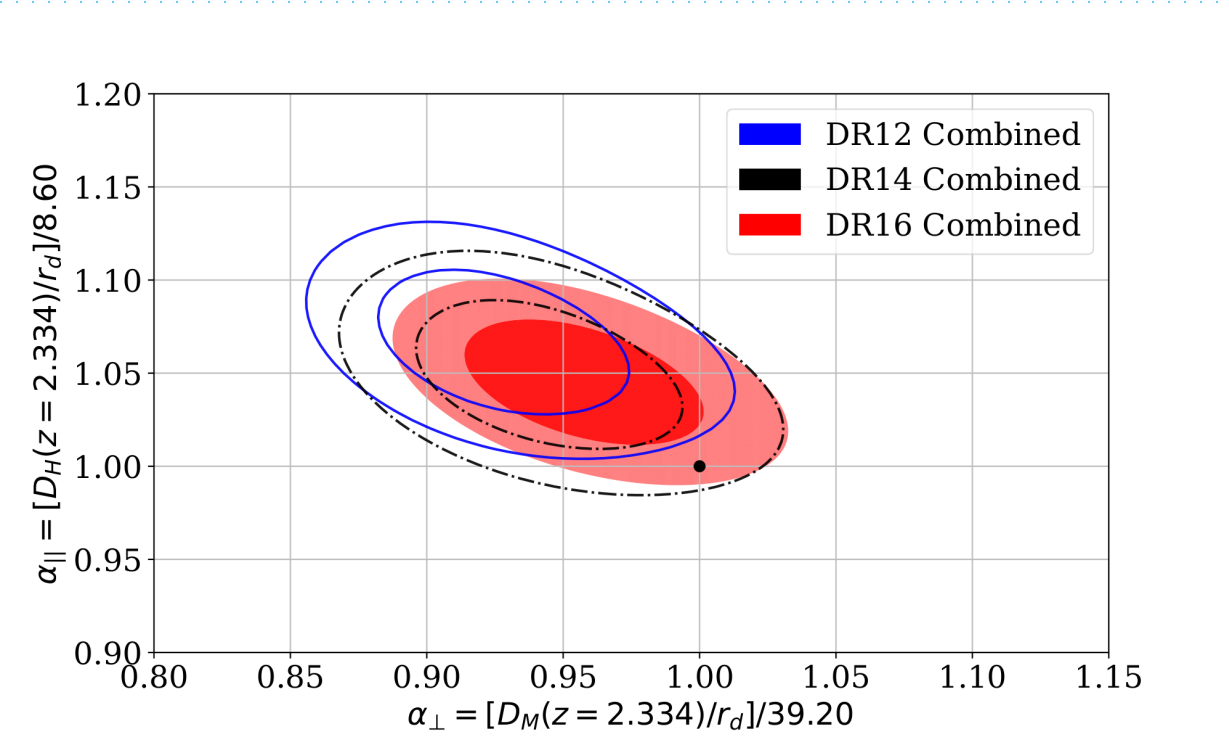
$$\alpha_{\parallel} = \frac{[H(z) r_d]_{fid}}{H(z) r_d}, \quad \alpha_{\perp} = \frac{D_A/r_d}{[D_A/r_d]_{fid}}$$

- In a flat Λ CDM cosmology, these two parameters measure the matter fraction (Ω_m) and a combination of the Hubble constant and the size of the sound horizon ($H_0 r_d$)
- However, because of the compression, you can use these parameters to constrain other cosmological models as well

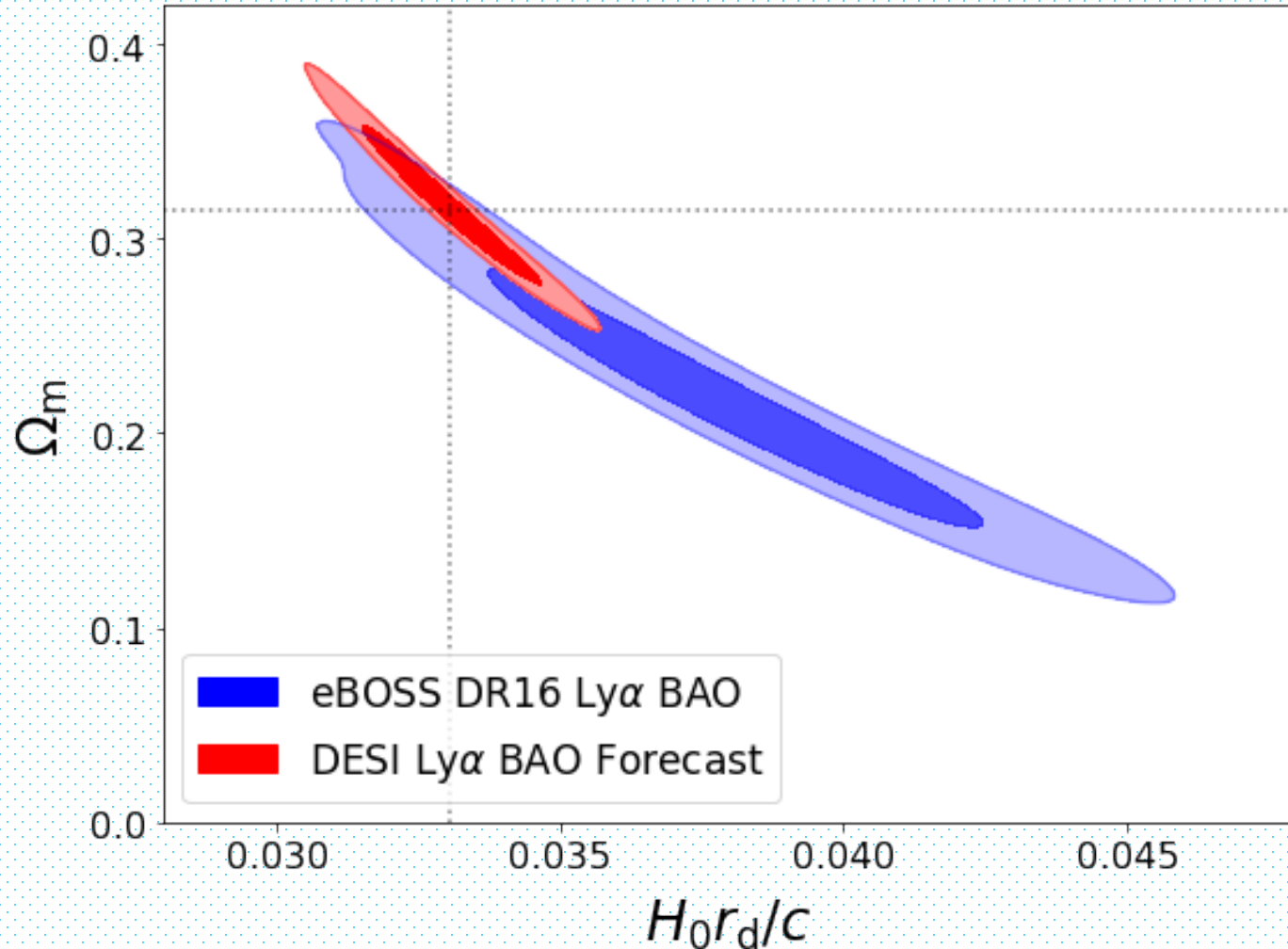
eBOSS DR16 measurements



Comparison of SDSS measurements

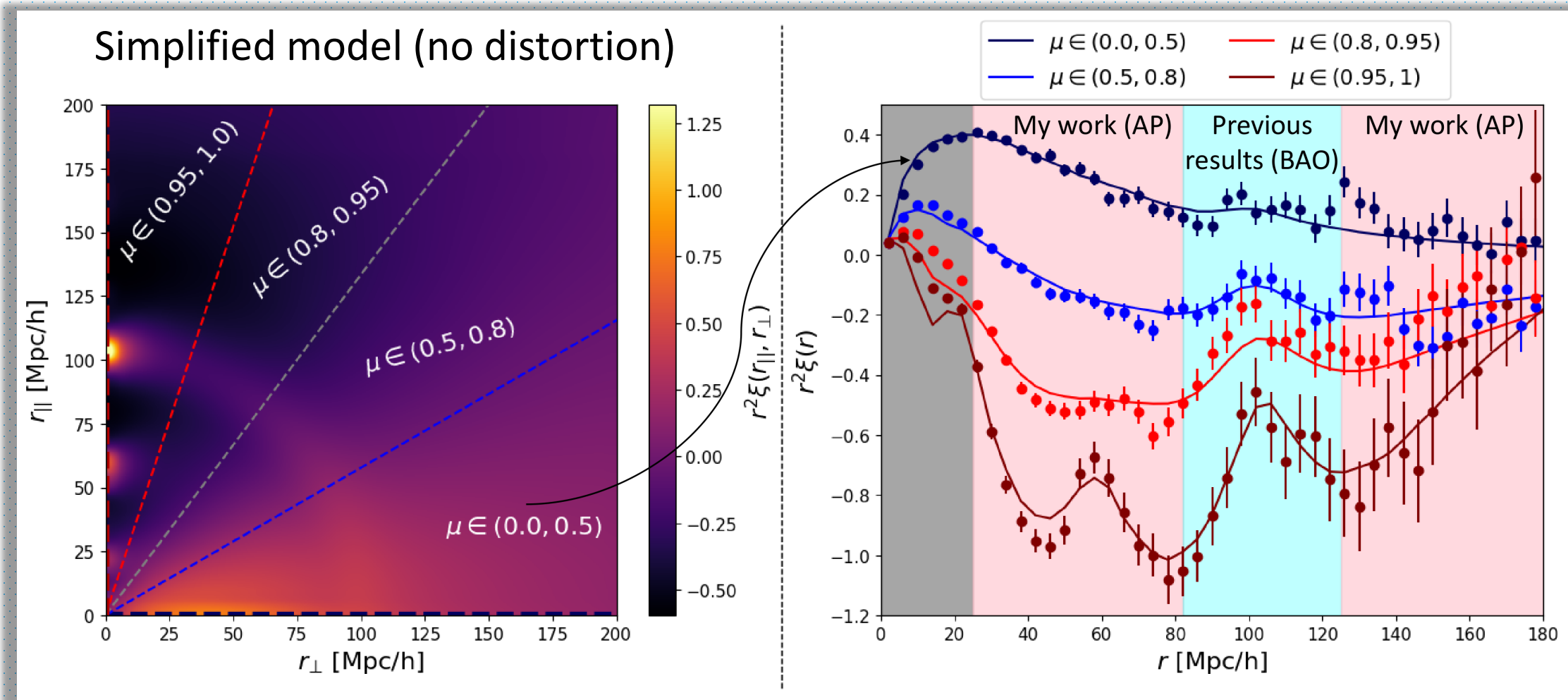


DESI Ly α BAO forecast



- In flat Λ CDM, BAO measurements correspond to constraints in the $\Omega_m - H_0 r_d$ plane
- Currently, the best BAO measurement from the Ly α forest is given by eBOSS DR16
- DESI will provide the first sub-percent BAO measurements from LSS at $z > 2$

Beyond BAO with Ly α correlations



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The story so far (BOSS/eBOSS)

Two-point statistics

$\text{Ly}\alpha \times \text{Ly}\alpha$ ($z_{\text{eff}} \sim 2.3$)

$\text{Ly}\alpha \times \text{QSO}$ ($z_{\text{eff}} \sim 2.3$)

$\text{QSO} \times \text{QSO}$ ($z_{\text{eff}} \sim 1.5$)

Compressed information

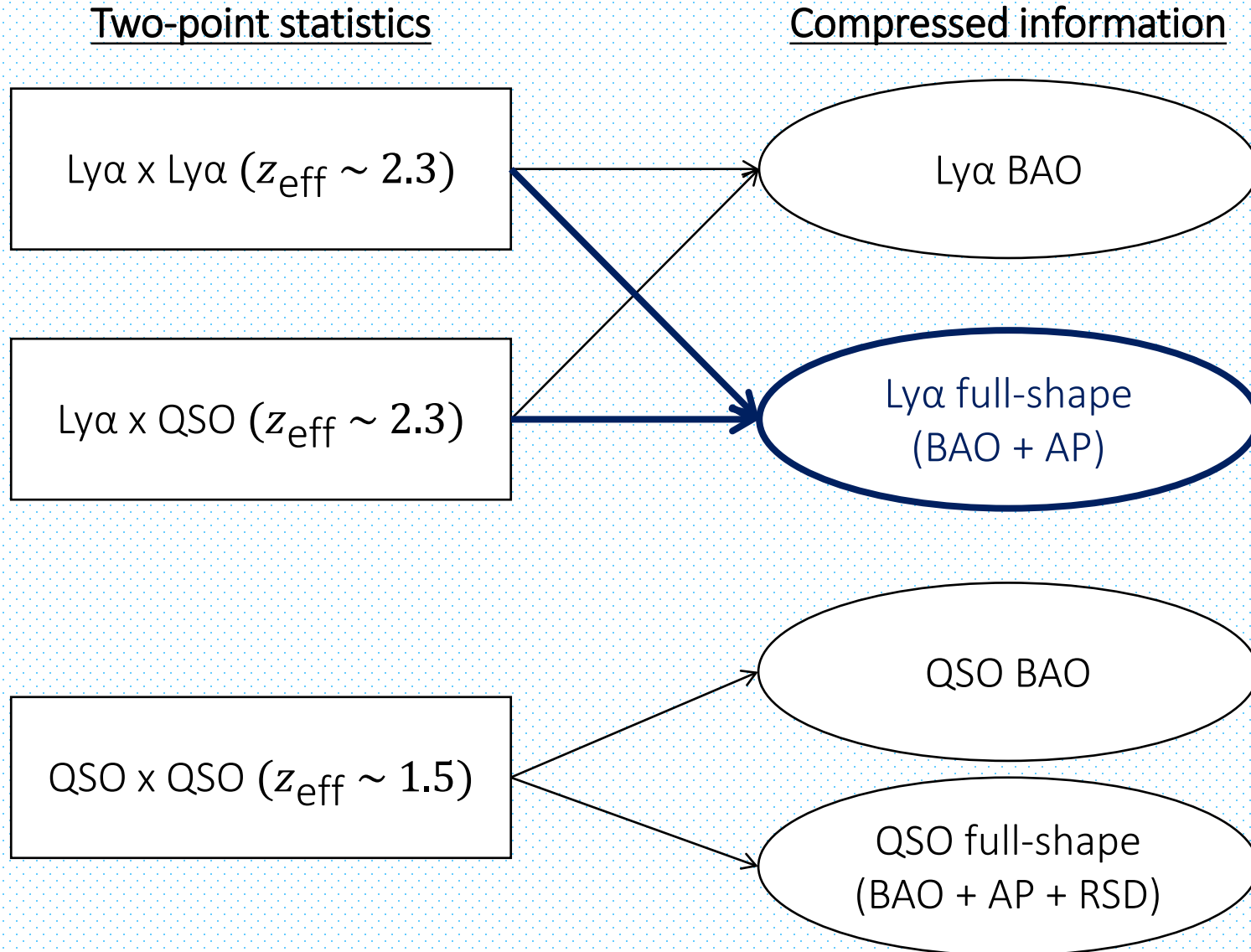
$\text{Ly}\alpha$ BAO

QSO BAO

QSO full-shape
(BAO + AP + RSD)

- Only BAO from the 3D distribution of the $\text{Ly}\alpha$ forest in BOSS and eBOSS
- Galaxies were used for both BAO and full-shape analyses, which include redshift space distortions (RSD) and Alcock-Paczyński (AP).

Ly α full-shape from eBOSS (my work)



- In this talk, I will present results from the first full-shape analysis of the Ly α forest 3D correlations

- We use BOSS and eBOSS data from SDSS data release 16 (DR16)

The Alcock-Paczynski (AP) effect

- Assume a fiducial cosmology to transform angles and redshifts ($\Delta\theta, \Delta z$) to comoving distances (r_{\parallel}, r_{\perp}).
- Fiducial cosmology \neq true cosmology \rightarrow anisotropy in the measured 3D correlation.
- Generally use $(\alpha_{\parallel}, \alpha_{\perp})$ to measure this by rescaling the coordinates of the template:

$$r'_{\parallel} = \alpha_{\parallel} r_{\parallel} \quad \text{and} \quad r'_{\perp} = \alpha_{\perp} r_{\perp}$$

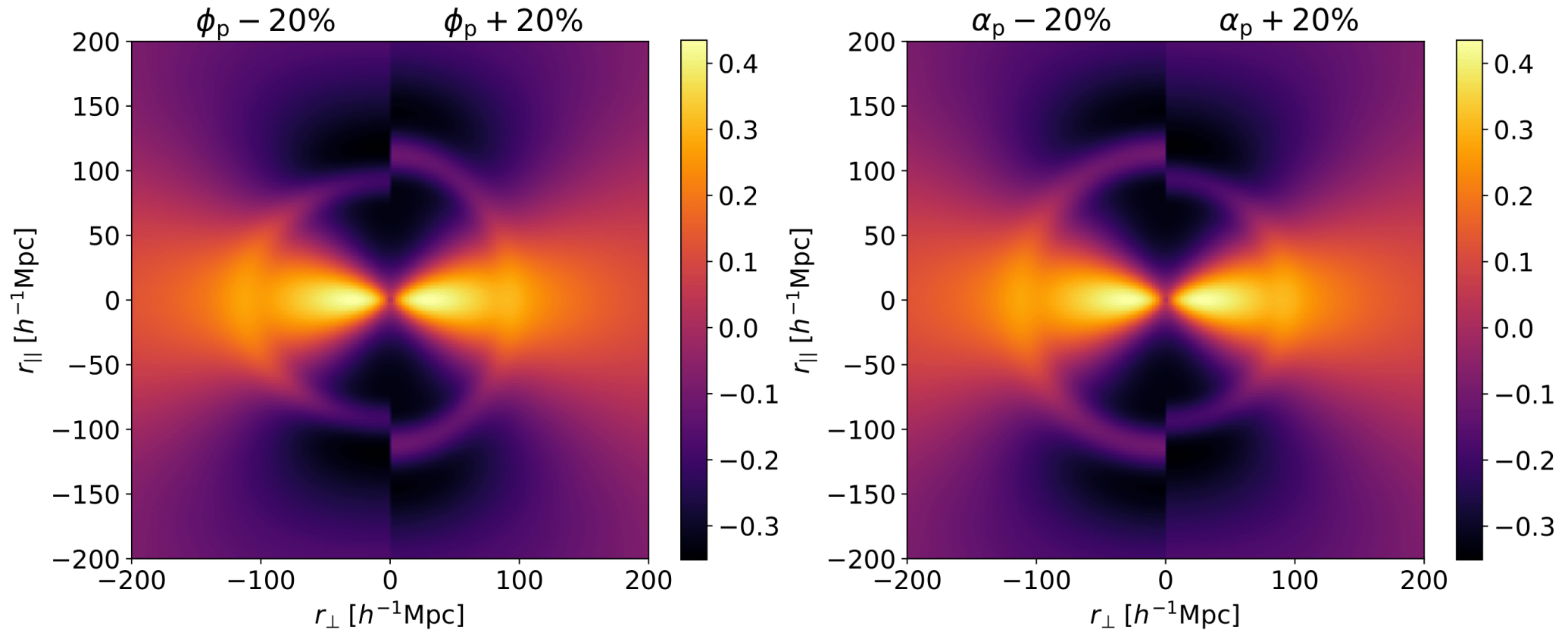
- For our analysis, we redefined these parameters to isolate the AP effect:

$$\phi = \frac{\alpha_{\perp}}{\alpha_{\parallel}} \quad \text{and} \quad \alpha = \sqrt{\alpha_{\perp} \alpha_{\parallel}}$$

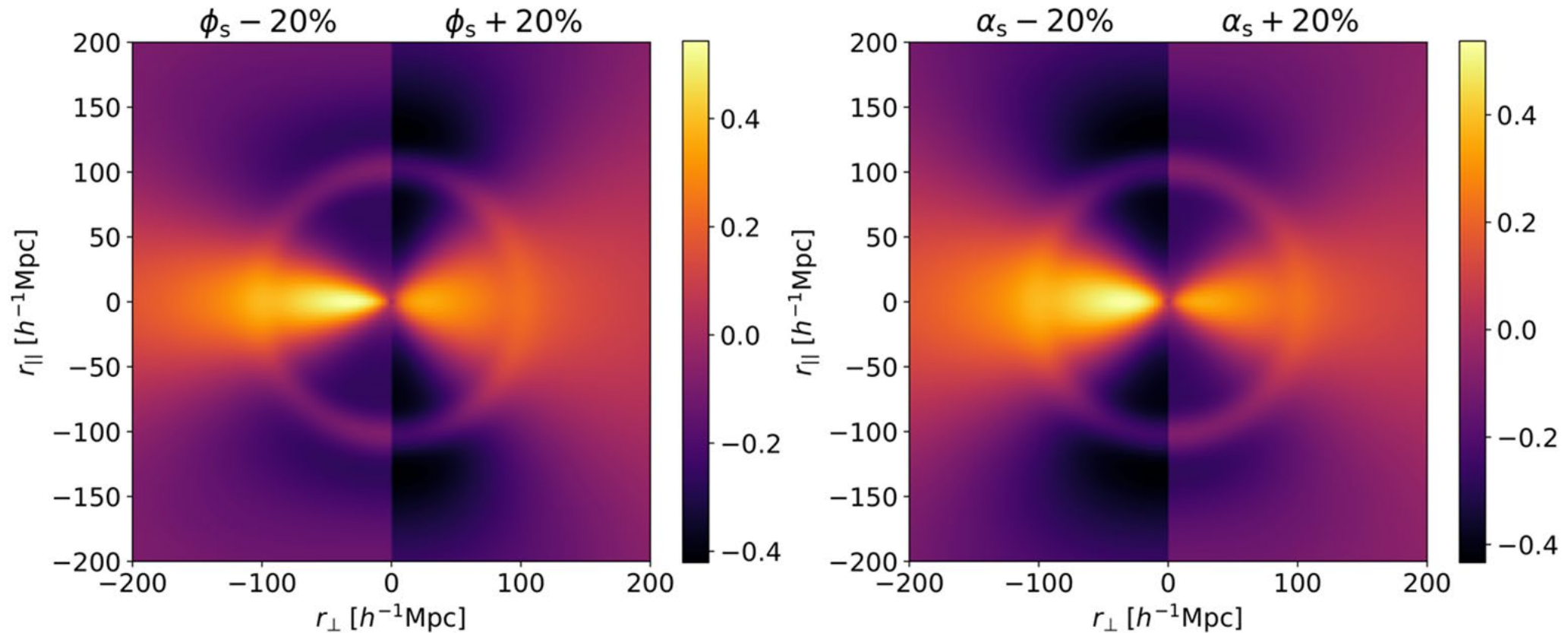
- Measurements of ϕ and α correspond to:

$$\phi = \frac{D_M(z)H(z)}{[D_M(z)H(z)]_{fid}} \quad \text{and} \quad \alpha = \sqrt{\frac{D_M(z)D_H(z)/r_d^2}{[D_M(z)D_H(z)/r_d^2]_{fid}}}$$

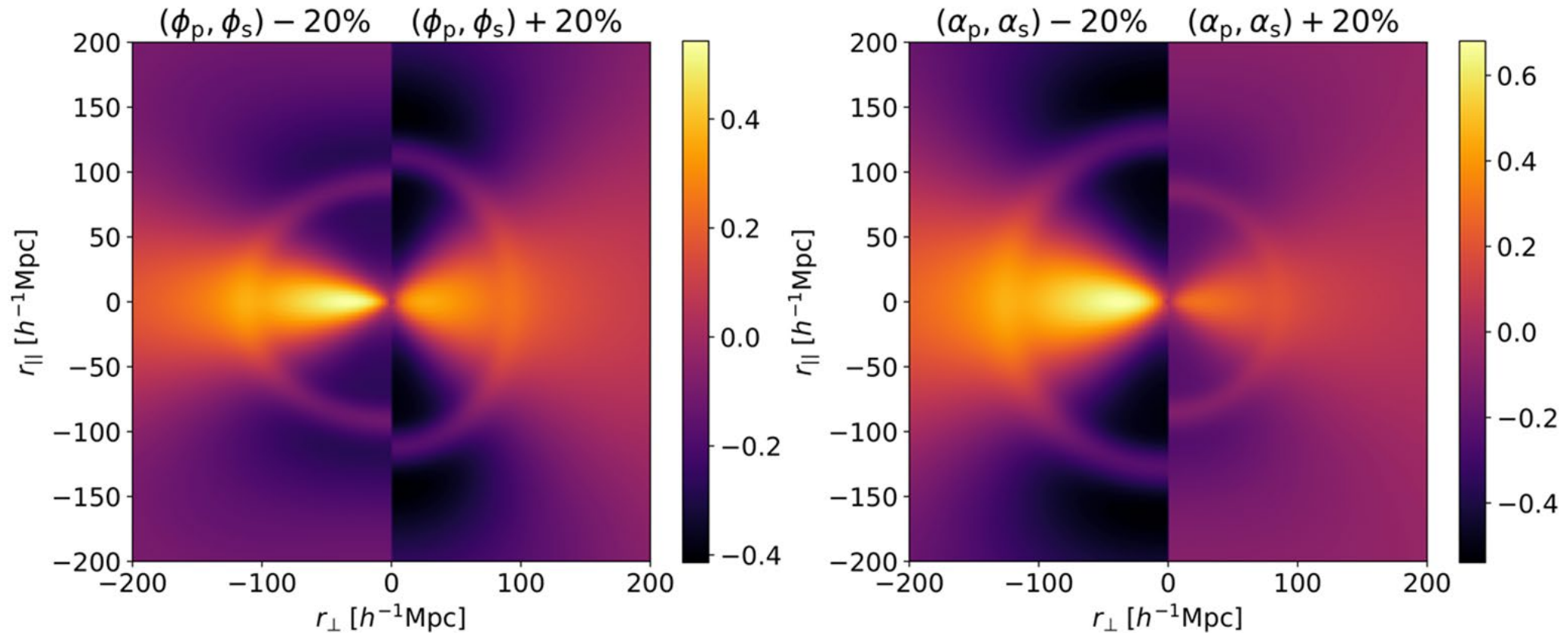
Rescaling the peak component



Rescaling the smooth component



Rescaling the full shape

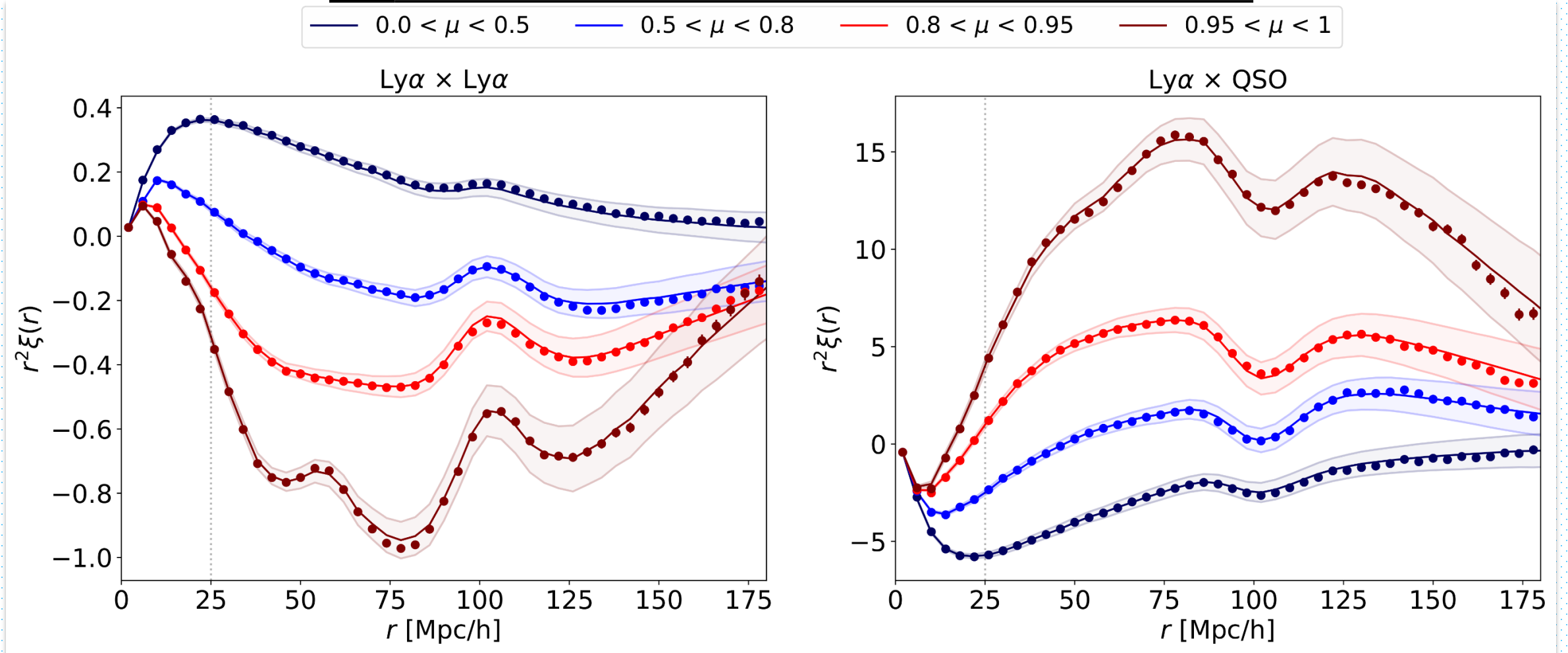


Analysis validation using mocks

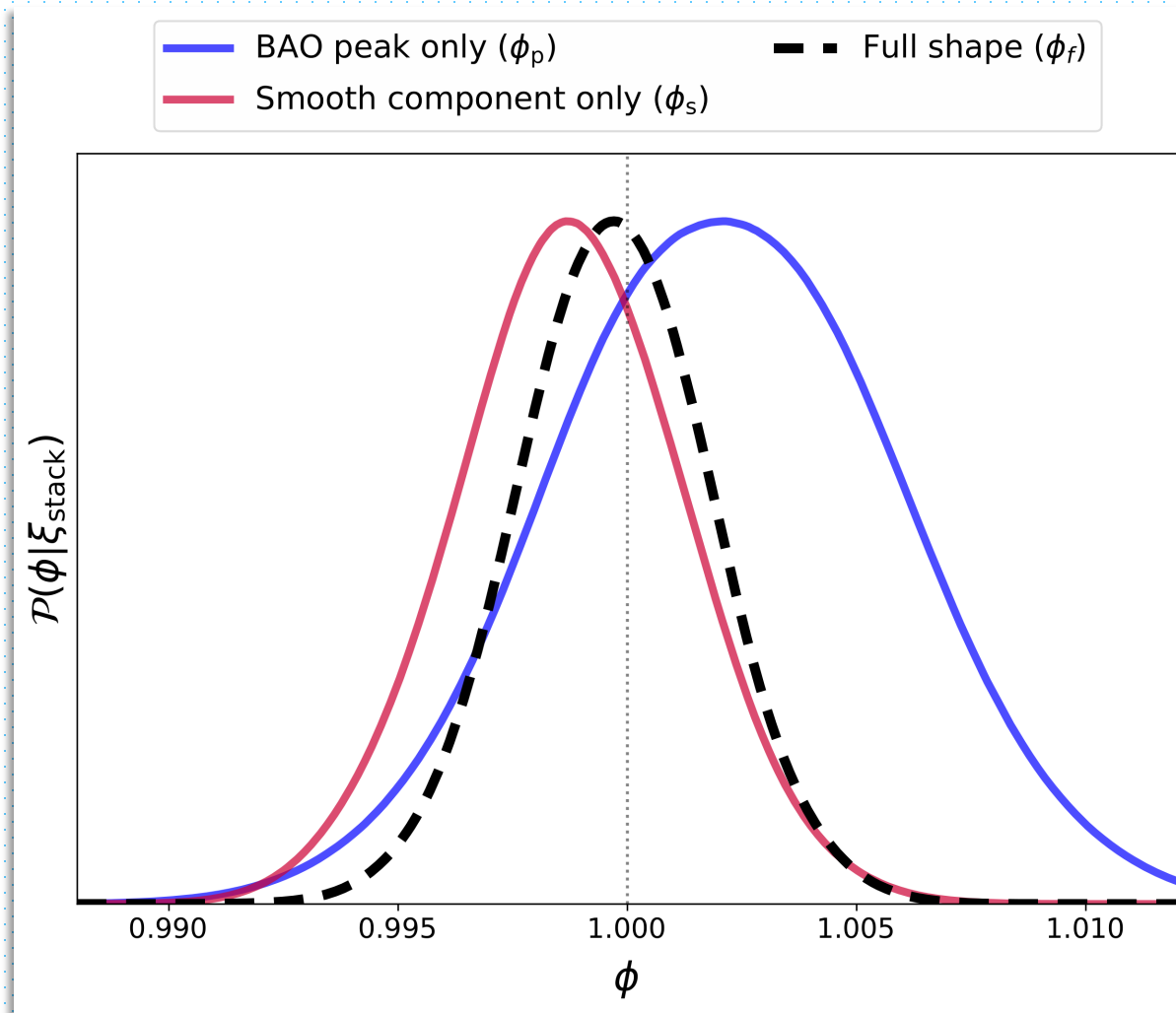
- To validate our measurement, we used synthetic data (mocks)
- Set of 100 eBOSS mocks created for the DR16 Ly α BAO analysis
- Mocks use a Gaussian field with quasars drawn from its log-normal transformation
- Include all the major contaminants affecting Ly α forest correlations

Analysis validation using mocks

Measurements from mean of 100 eBOSS mocks



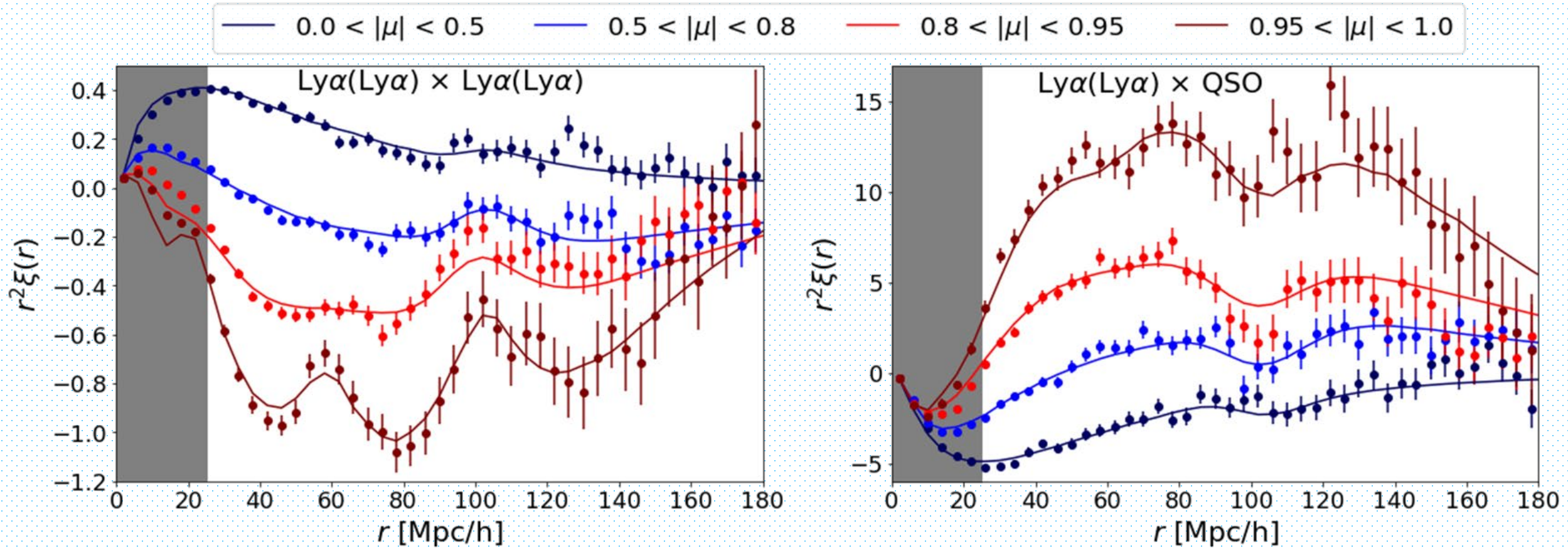
Results from analysis of 100 eBOSS mocks



From Cuceu et al. 2022a (2209.12931)

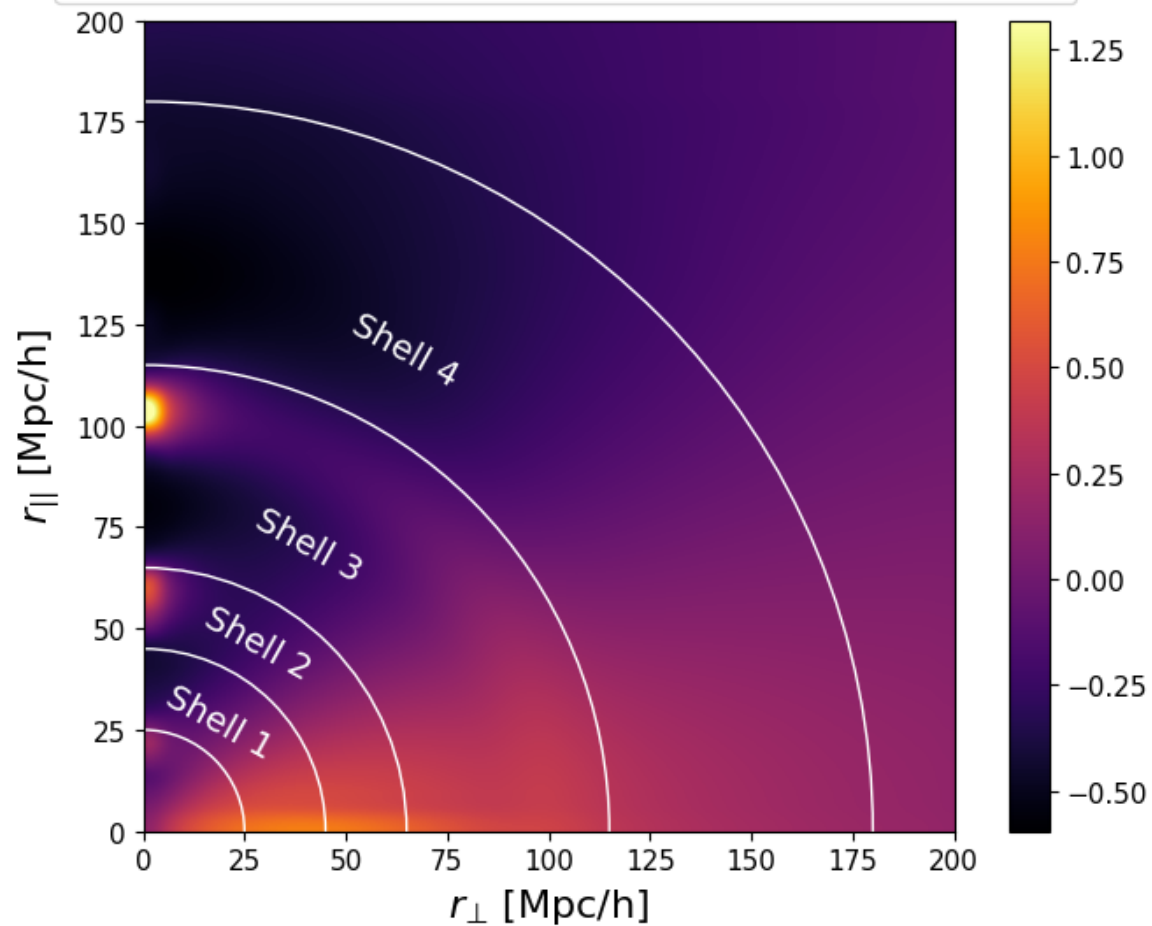
- We used 100 eBOSS DR16 log-normal mocks to validate our analysis
- These mocks include all the major contaminants affecting Ly α forest correlations
- Recovering the cosmology in the mocks corresponds to $\phi = 1$

eBOSS data and best-fit model



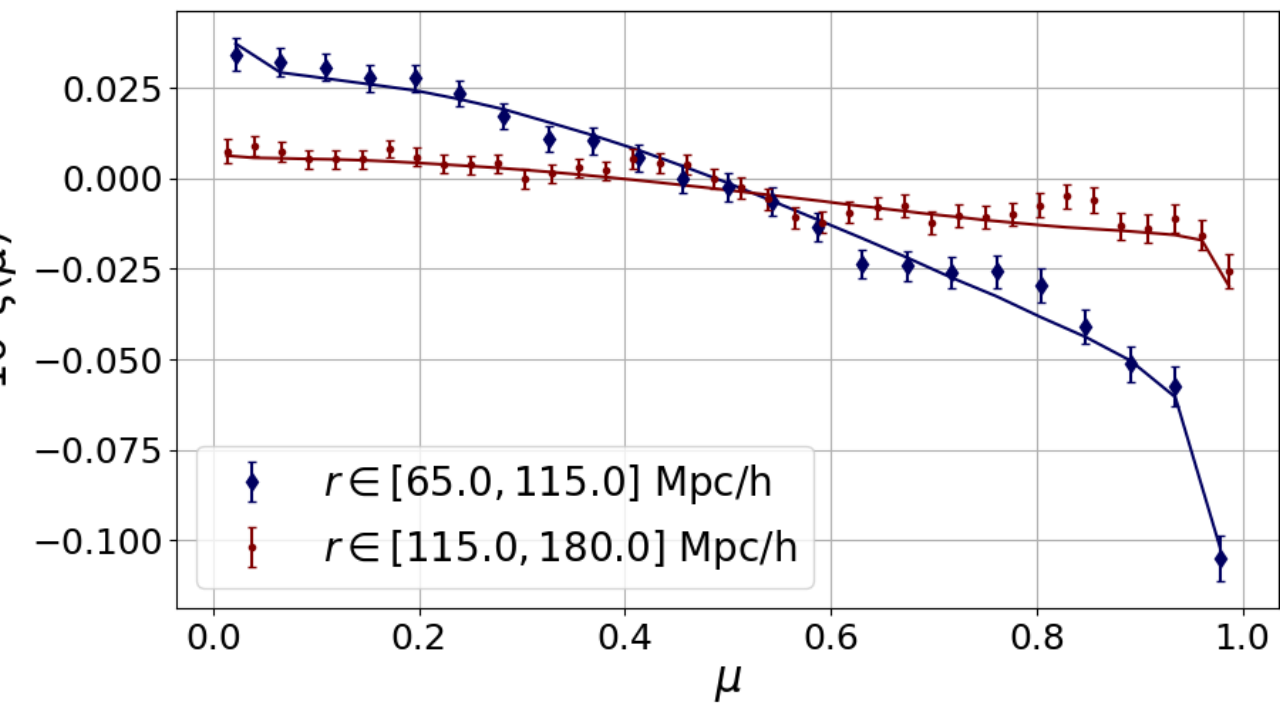
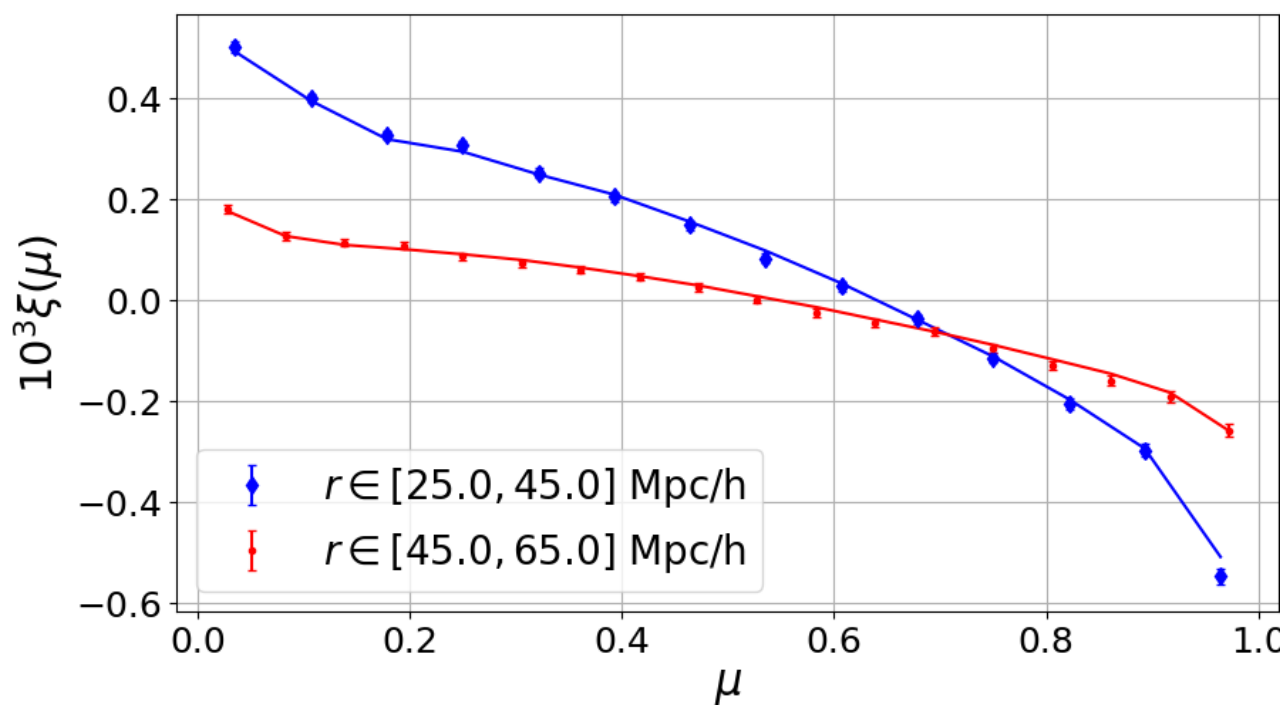
Compressing into shells

Shell 1: $r \in (25, 45)$ Mpc/h Shell 3: $r \in (65, 115)$ Mpc/h
Shell 2: $r \in (45, 65)$ Mpc/h Shell 4: $r \in (115, 180)$ Mpc/h

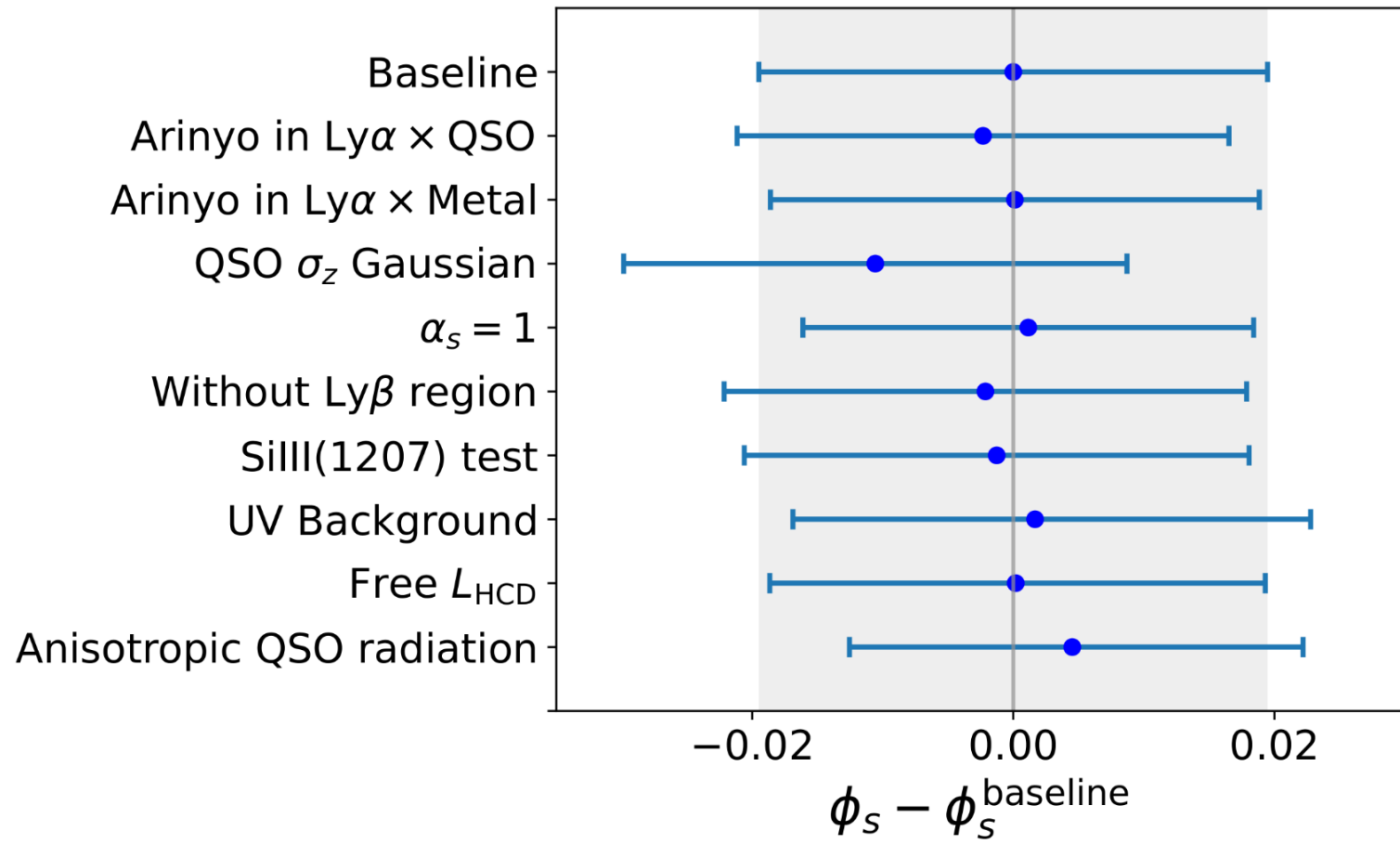


$r^2 \xi(r_{\parallel}, r_{\perp})$

$10^3 \xi(\mu)$



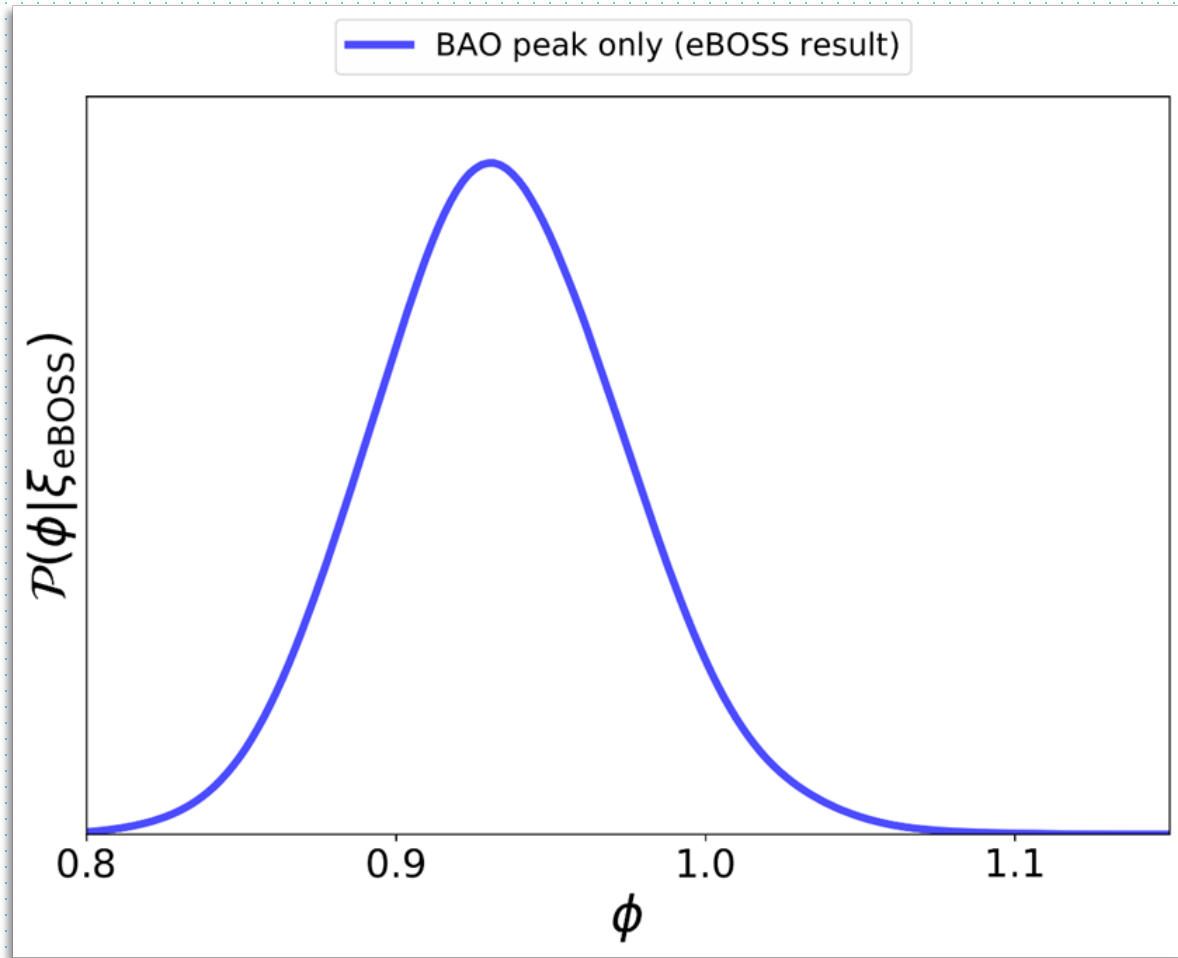
Robustness tests



- Performed a blind analysis to test robustness of result
- Focused on effects that we could not study with mocks
- Only found minor shifts in the AP constraint

Ly α BAO from eBOSS

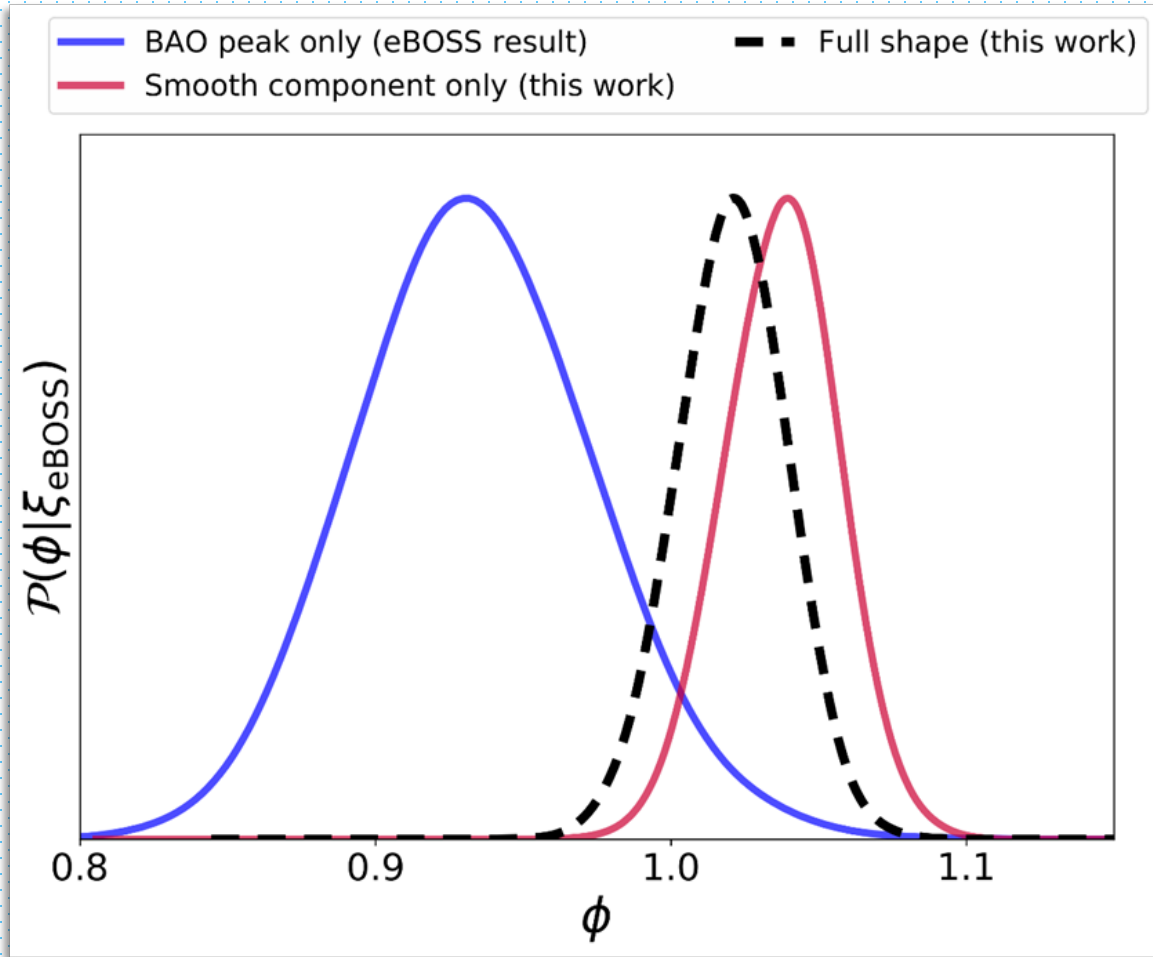
Results from eBOSS DR16 data



- This is the Ly α BAO measurement from eBOSS DR16

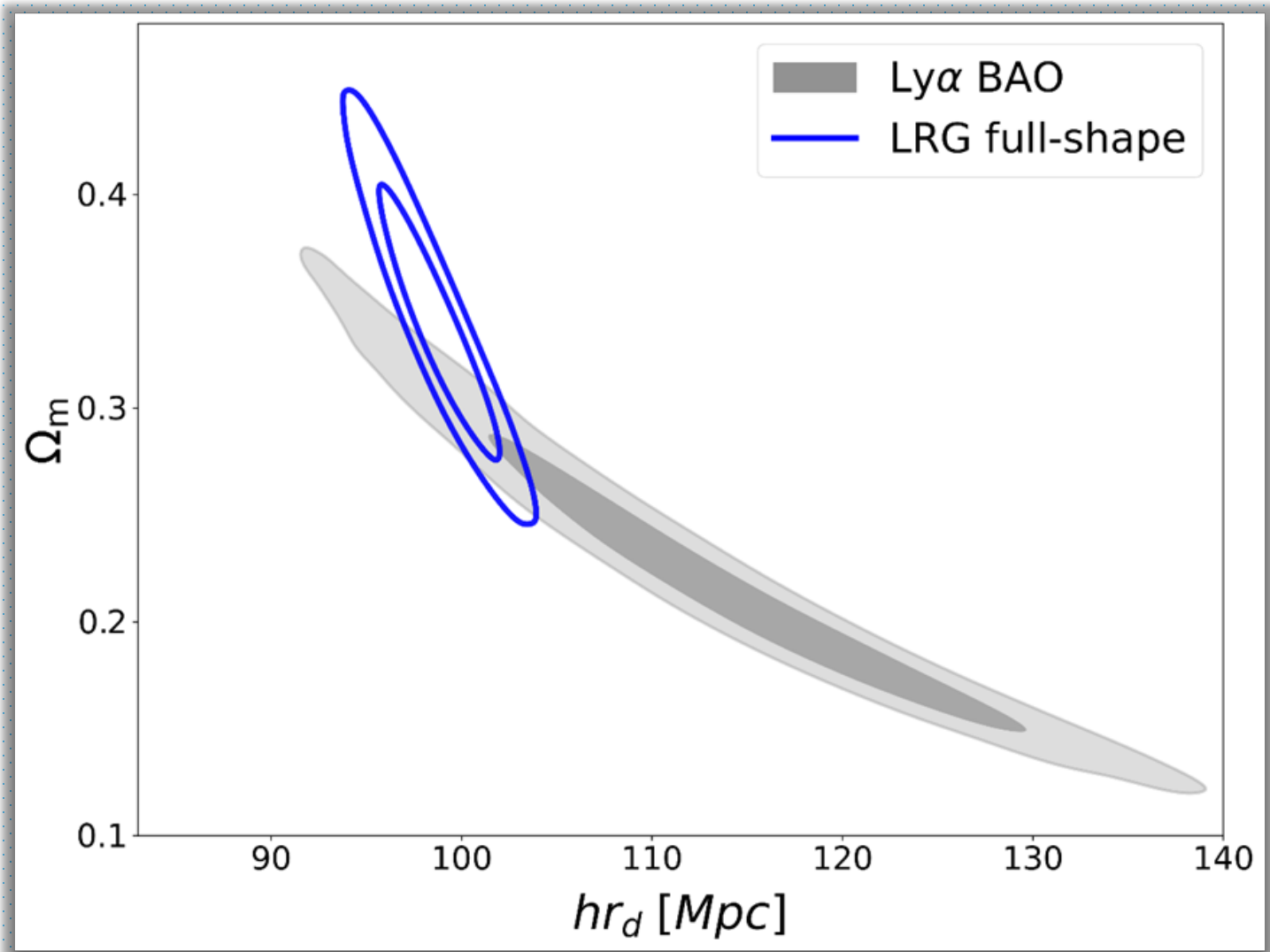
Ly α BAO from eBOSS

Results from eBOSS DR16 data

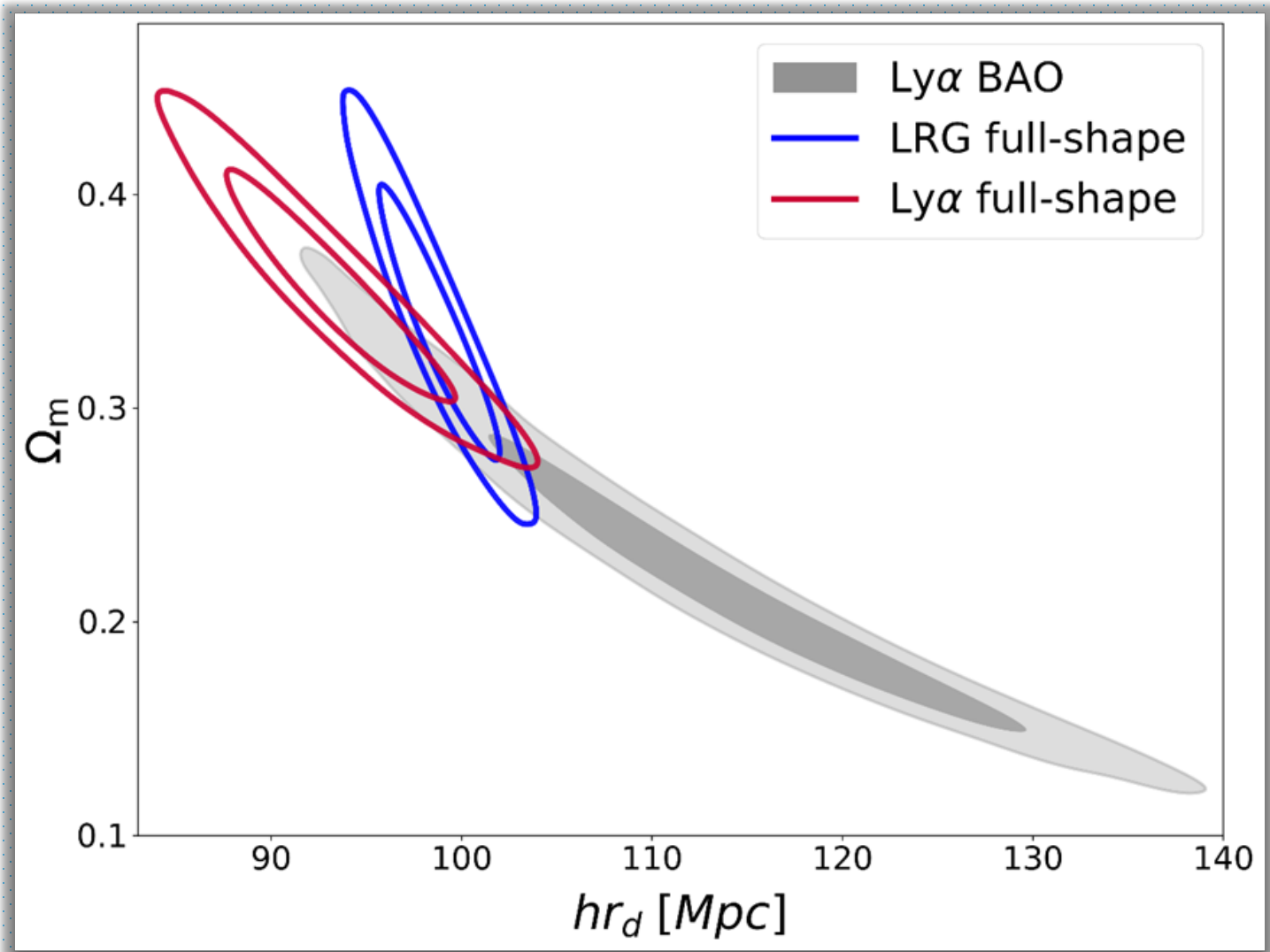


- First ever cosmology measurement from the full-shape of Ly α correlations
- The AP constraint from the full-shape gives a factor of 2 improvement over the BAO constraint

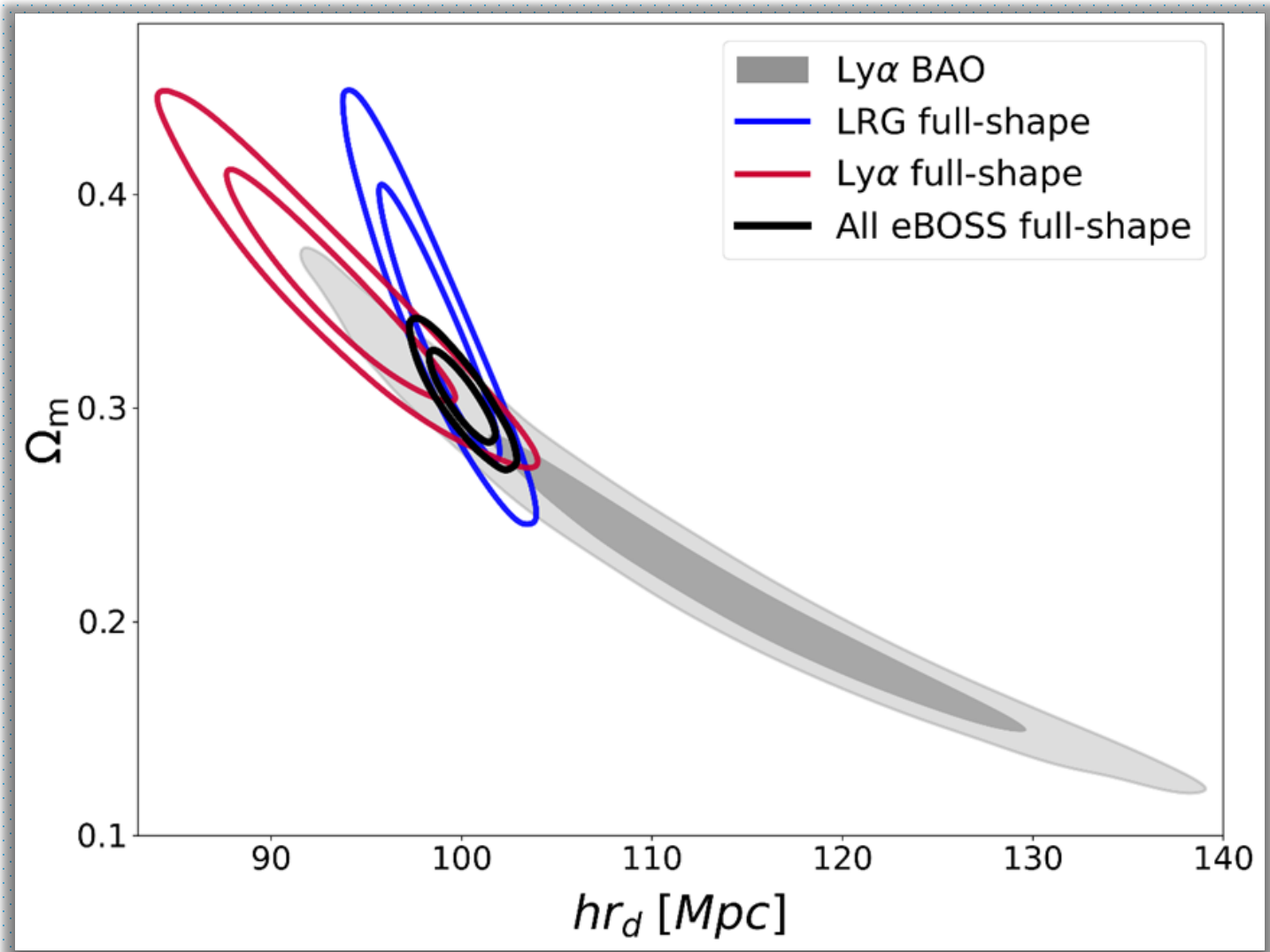
Results in flat Λ CDM



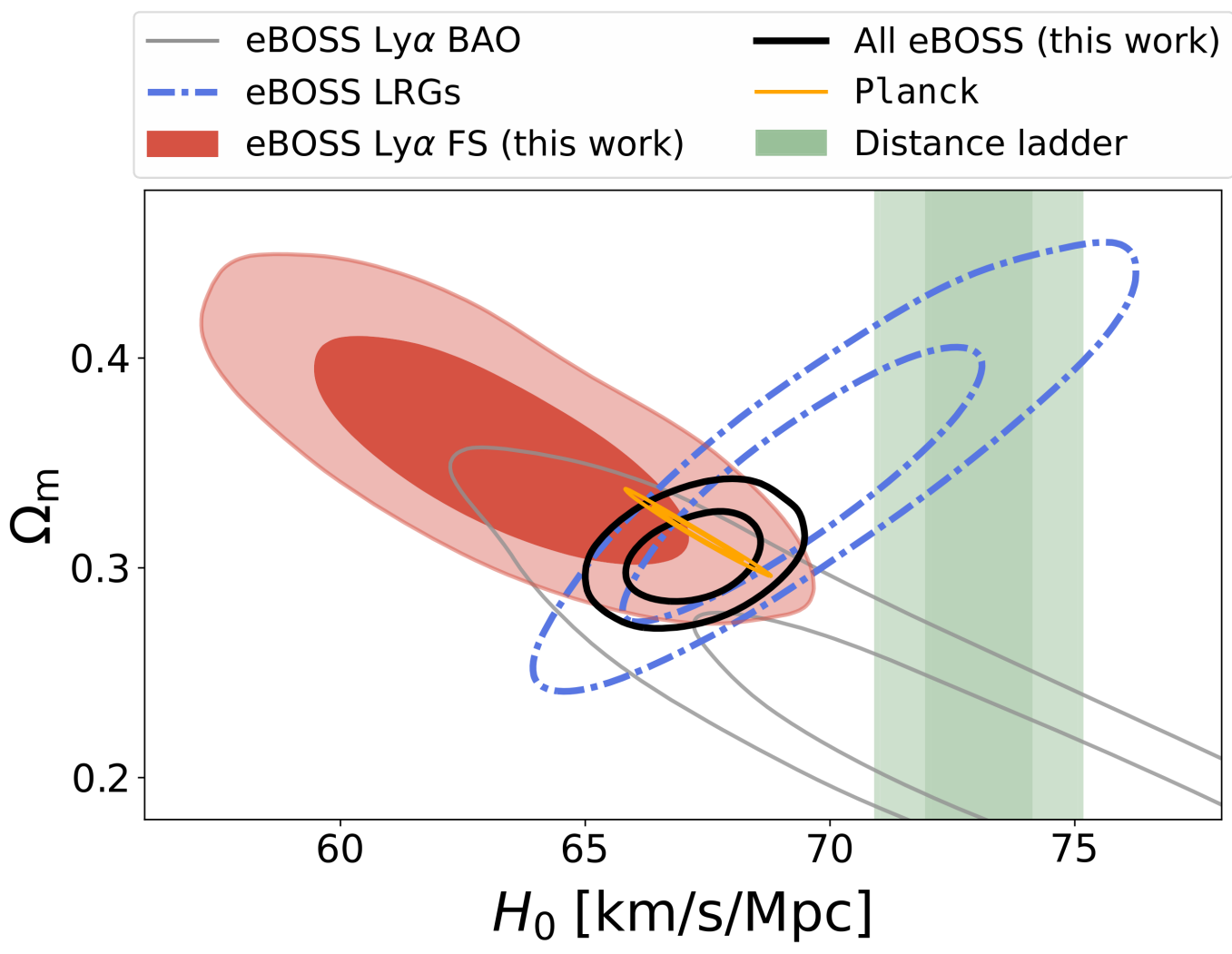
Results in flat Λ CDM



Results in flat Λ CDM



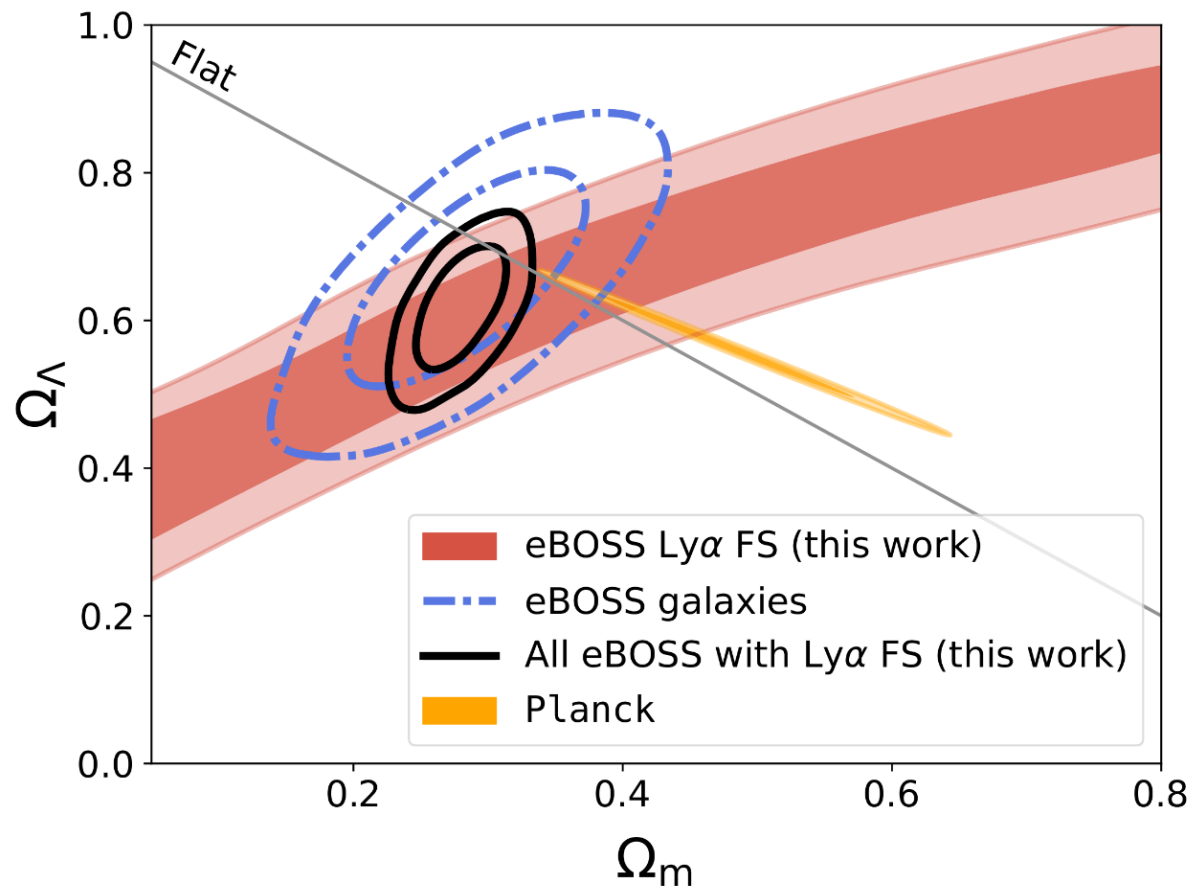
Measuring the Hubble constant



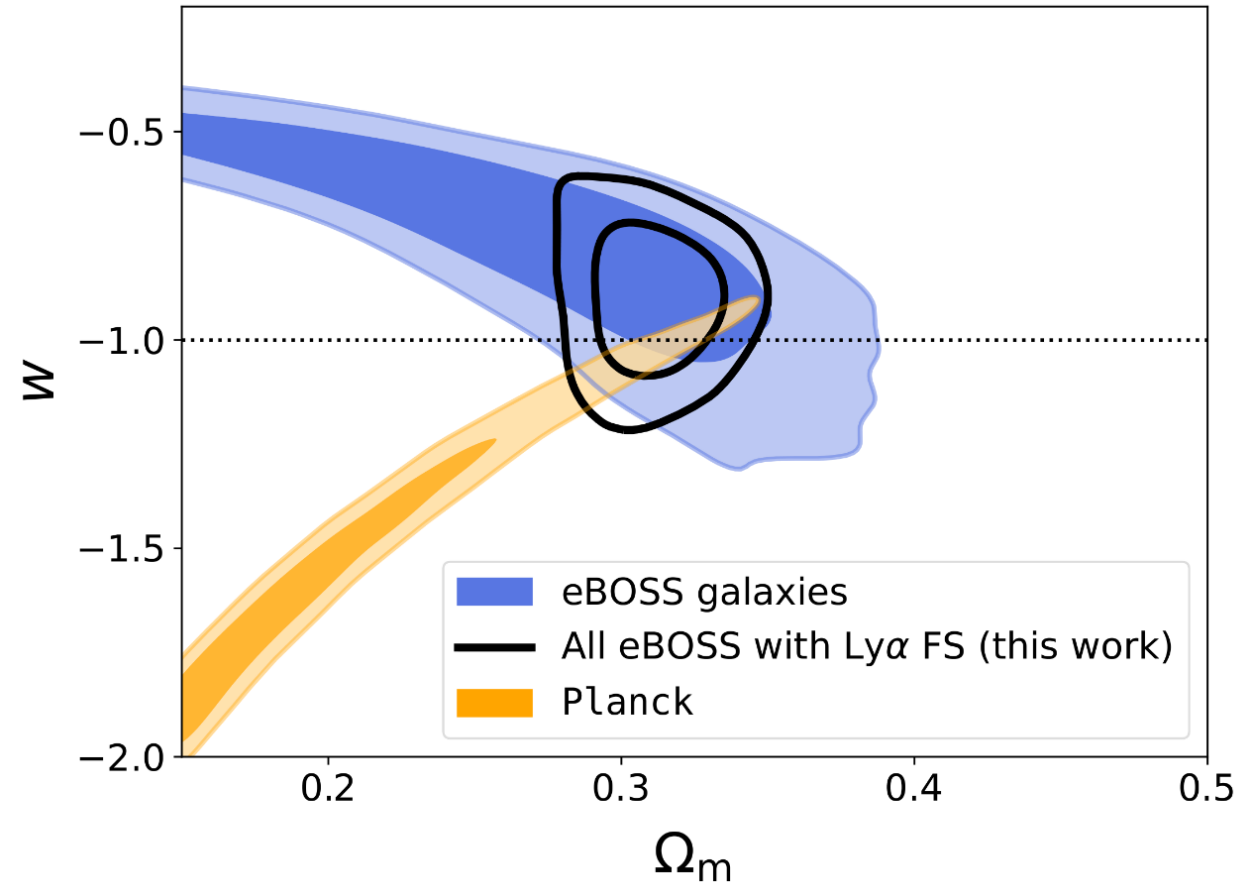
- In flat Λ CDM, Alcock-Paczynski $\rightarrow \Omega_m$
- Adding isotropic BAO $\rightarrow H_0 r_d$
- Adding a prior on $\Omega_b h^2$ from Big Bang Nucleosynthesis (BBN) $\rightarrow H_0$
- Ly α constraint: $H_0 = 63.2 \pm 2.5$ km/s/Mpc
- Full eBOSS: $H_0 = 67.2 \pm 0.9$ km/s/Mpc

Dark energy

Measuring dark energy with free curvature

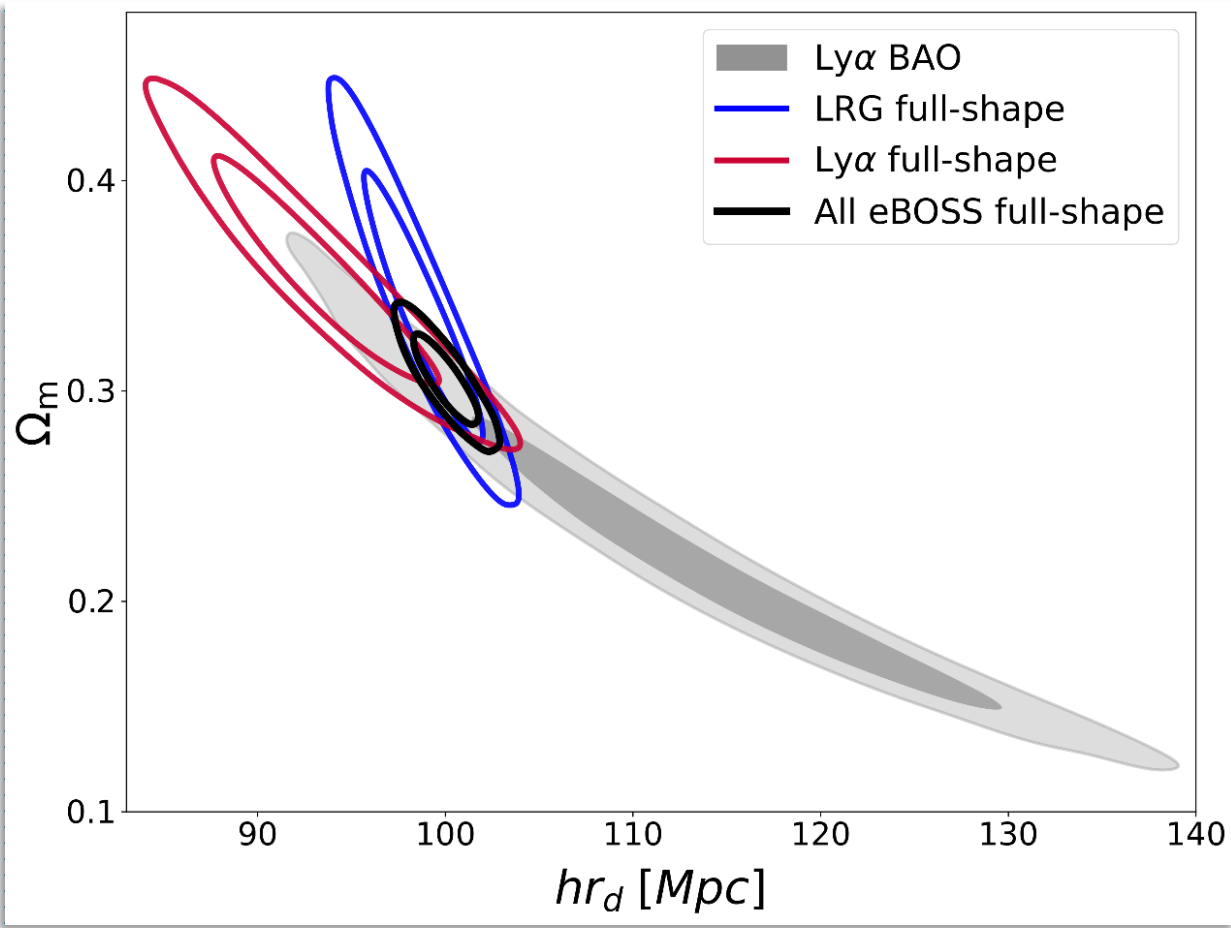


Measuring dark energy equation of state

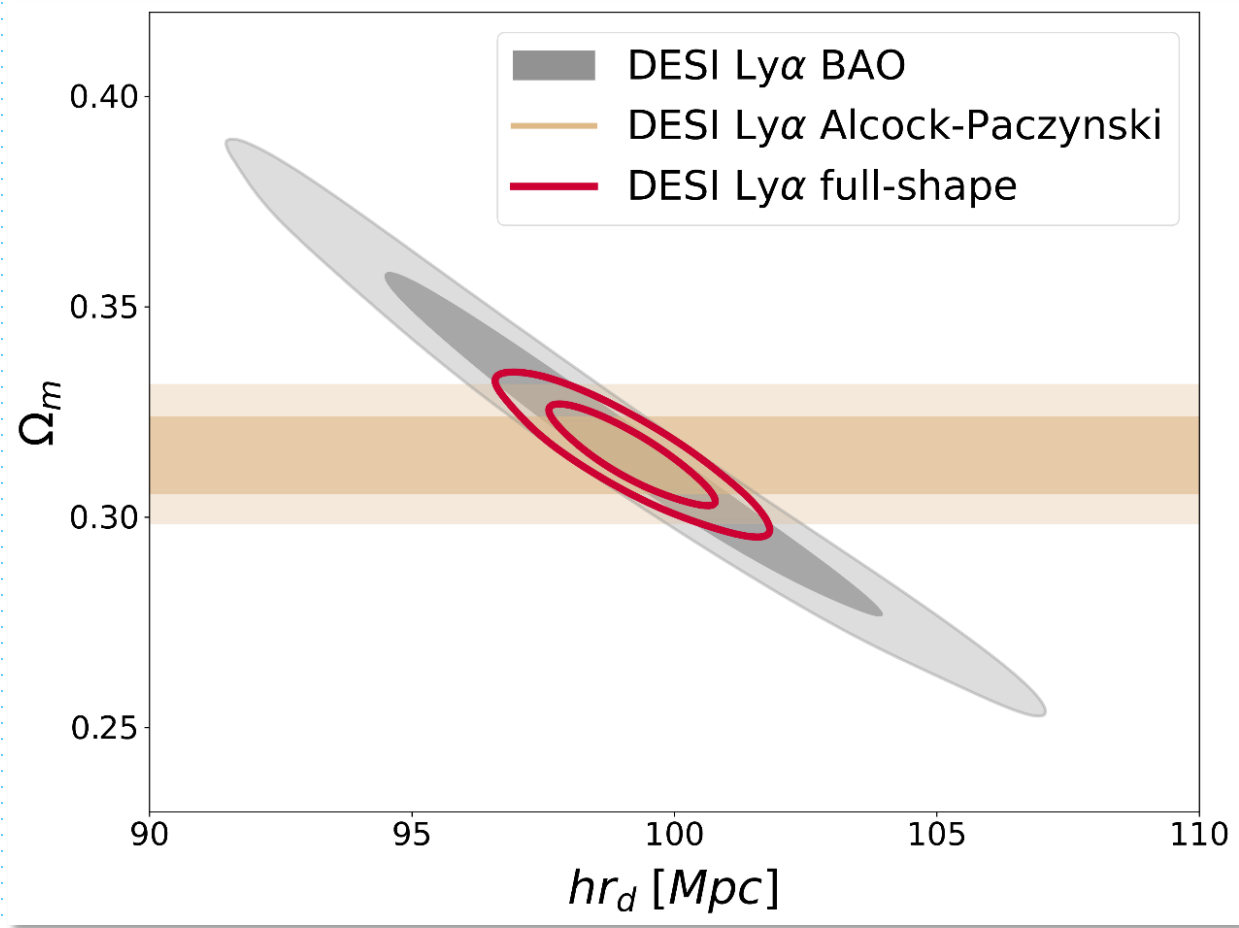


DESI forecasts

eBOSS results



DESI Ly α forecasts



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- **Redshift Space Distortions (RSD)**

Why no Ly α RSD measurement?

- Linear theory terms:

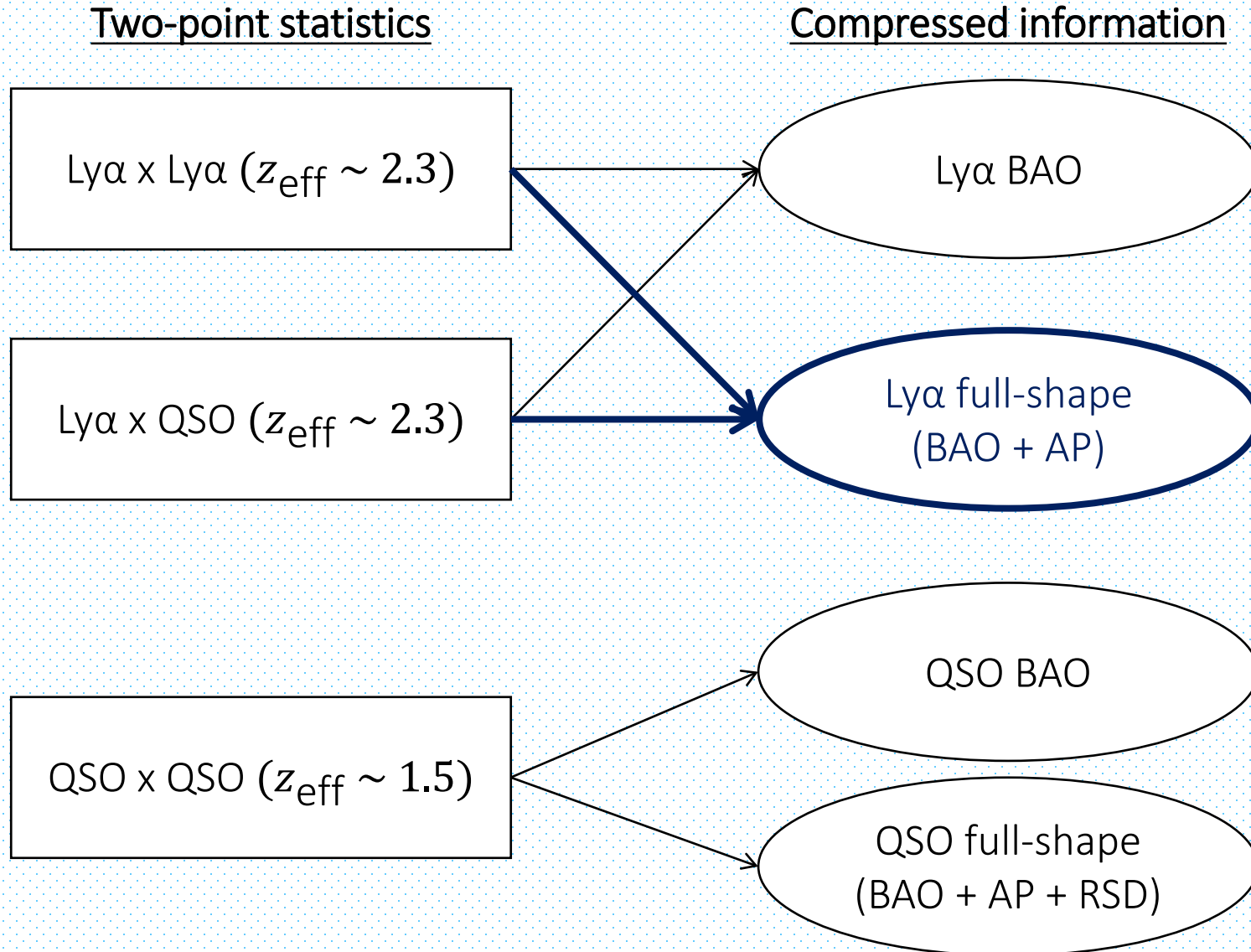
$$\text{Ly}\alpha \times \text{Ly}\alpha : \quad P(k, \mu, z) = (b_F + b_{\eta,F} f \mu^2)^2 P(k, z)$$

$$\text{Ly}\alpha \times \text{QSO} : \quad P(k, \mu, z) = (b_F + b_{\eta,F} f \mu^2)(b_Q + f \mu^2) P(k, z)$$

$$\text{QSO} \times \text{QSO} : \quad P(k, \mu, z) = (b_Q + f \mu^2)^2 P(k, z)$$

- For the forest, the growth rate (f) is degenerate with an unknown velocity divergence bias ($b_{\eta,F}$).
- However, a joint analysis of Ly α x Ly α and Ly α x QSO would be able to measure f .

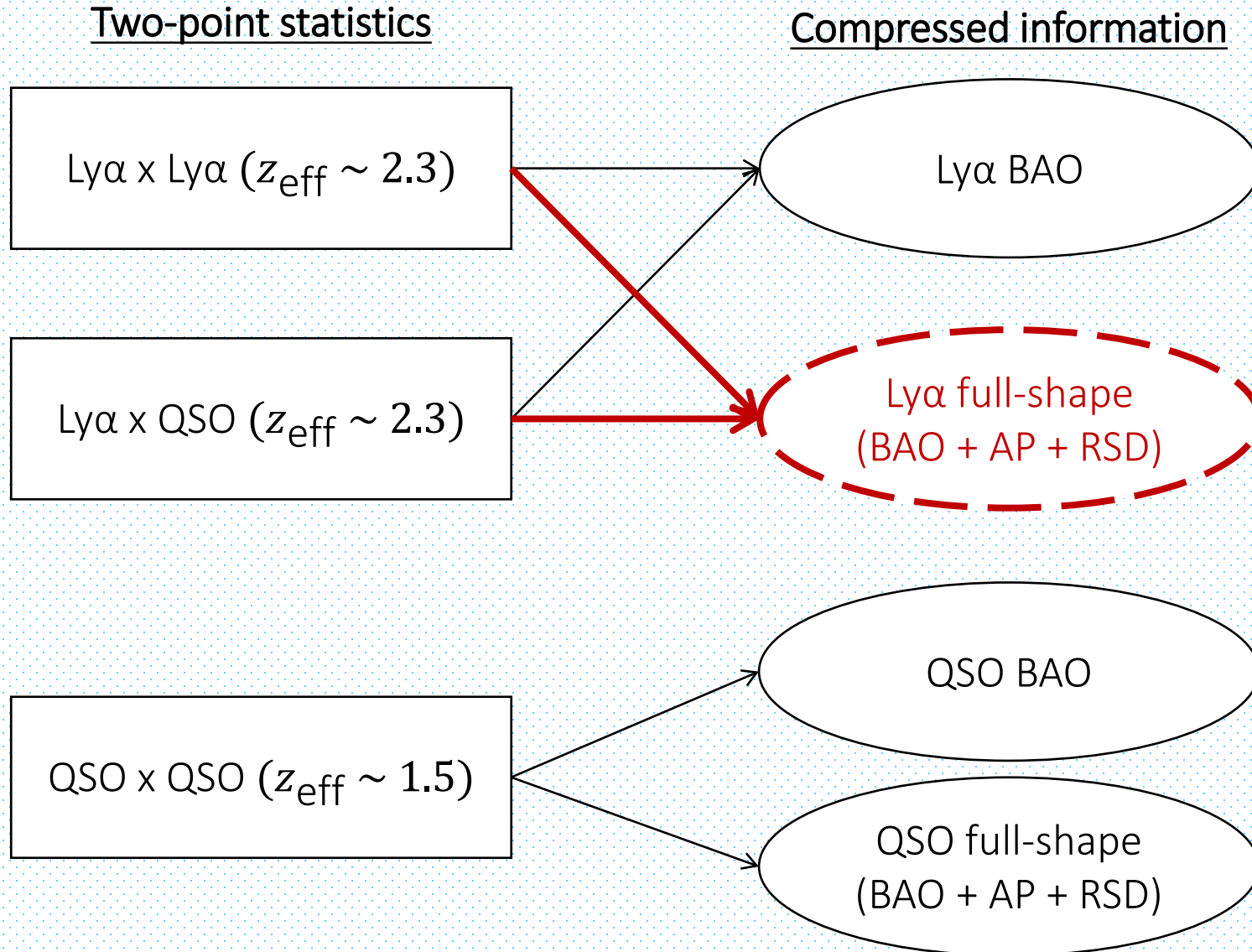
Ly α full-shape from eBOSS (my work)



- We have now measured the Alcock-Paczynski effect from the full-shape of Ly α correlations

- Next step is to also measure redshift space distortions (RSD)

Ly α full-shape from eBOSS (my work)



- In Cuceu et. al. 2021 (arxiv:2103.14075) we showed that the Ly α correlations could also be used to measure growth through RSD
- However, this only works in a joint analysis of the Ly α auto and cross-correlation with QSOs.

Ly α full-shape from eBOSS (my work)

Two-point statistics

Ly α x Ly α ($z_{\text{eff}} \sim 2.3$)

Ly α x QSO ($z_{\text{eff}} \sim 2.3$)

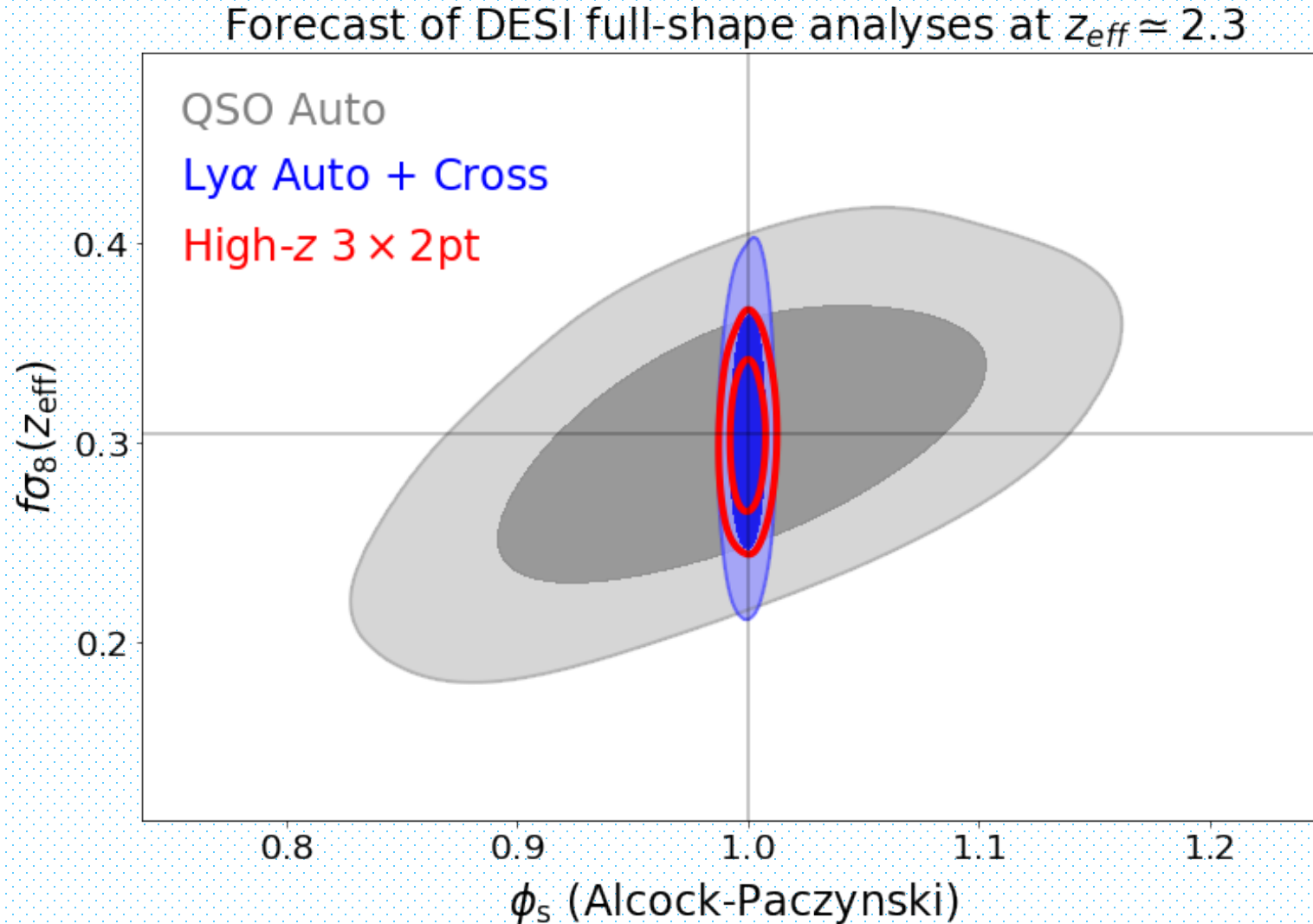
QSO x QSO ($z_{\text{eff}} \sim 2.3$)

Compressed information

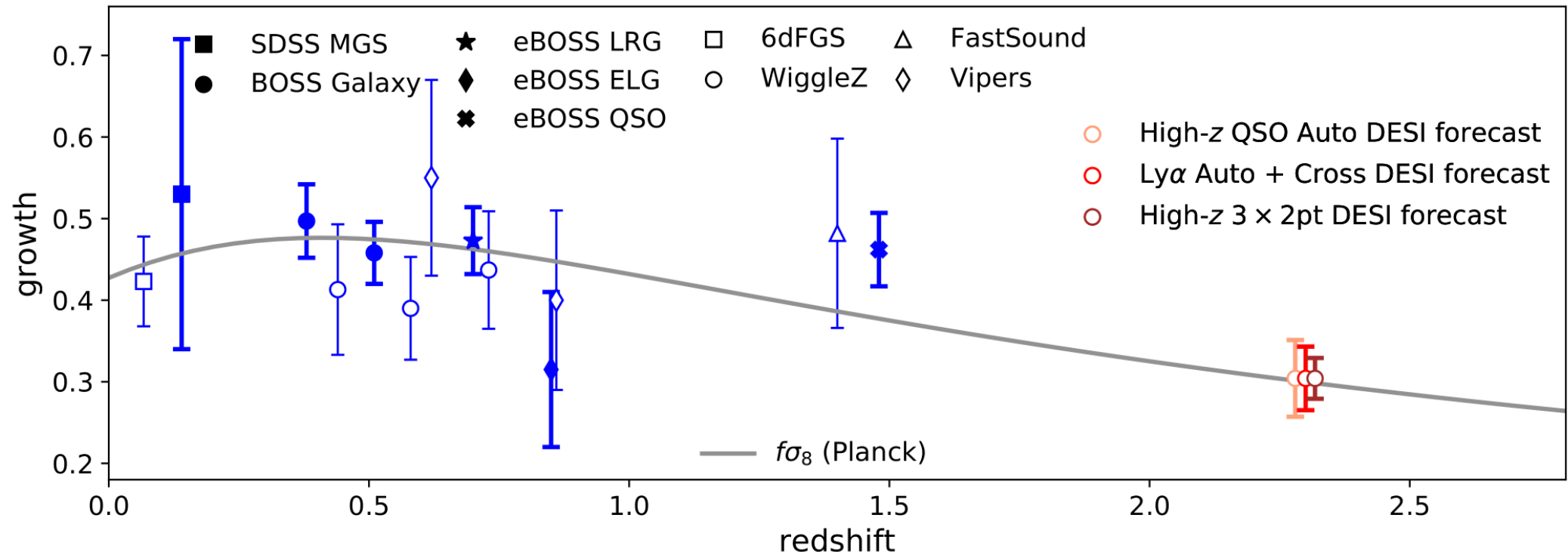
High-z 3x2pt
full-shape
(BAO + AP + RSD)

- With DESI we could also perform a joint analysis of the 3 high redshift 2pt statistics (high-z 3x2pt)
- This would help break parameter degeneracies and lead to greatly improved constraints

Towards a high- z 3x2pt analysis



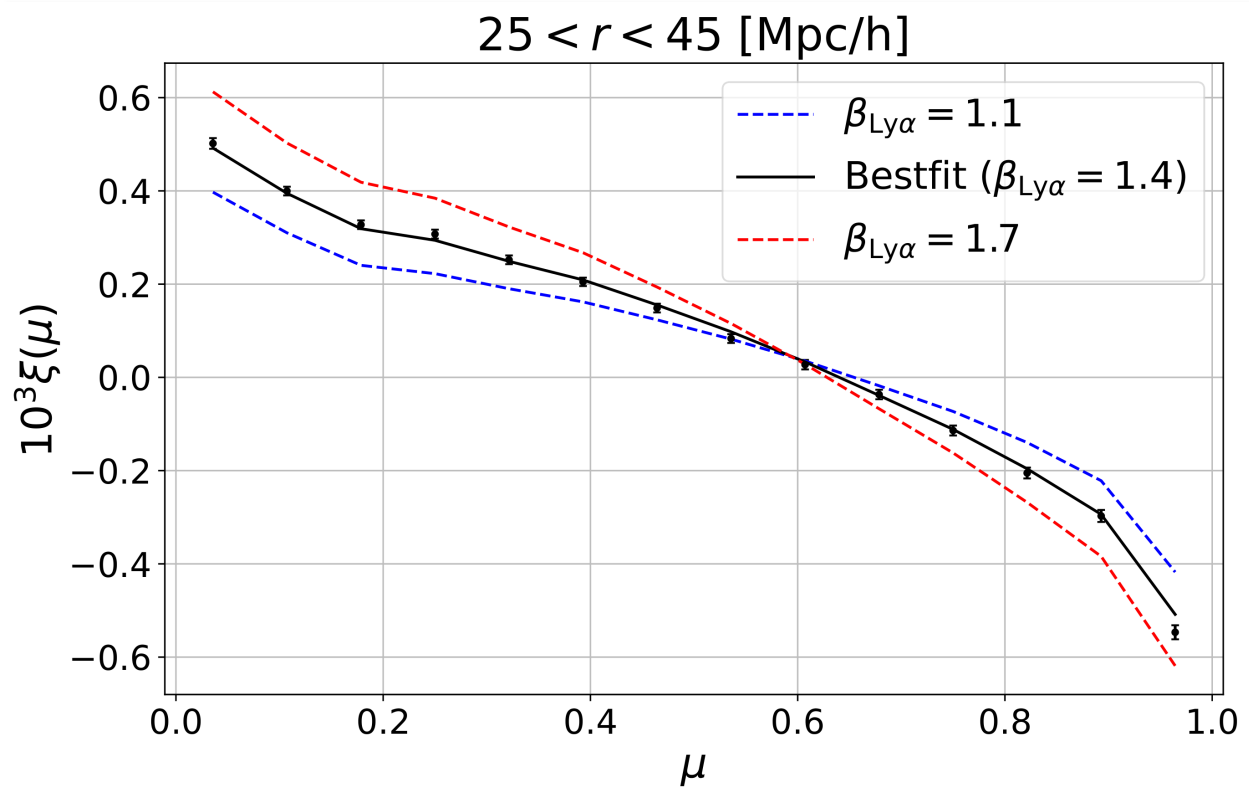
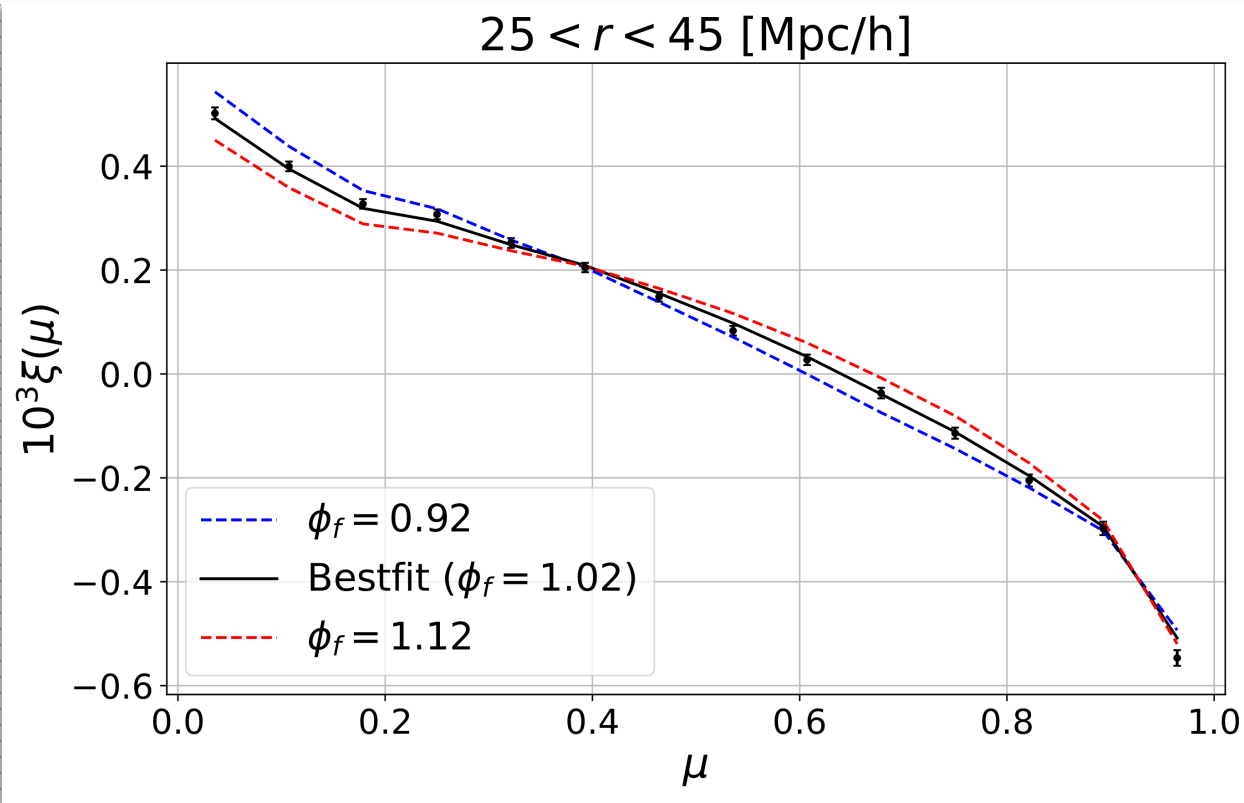
Measuring growth with the Ly α forest



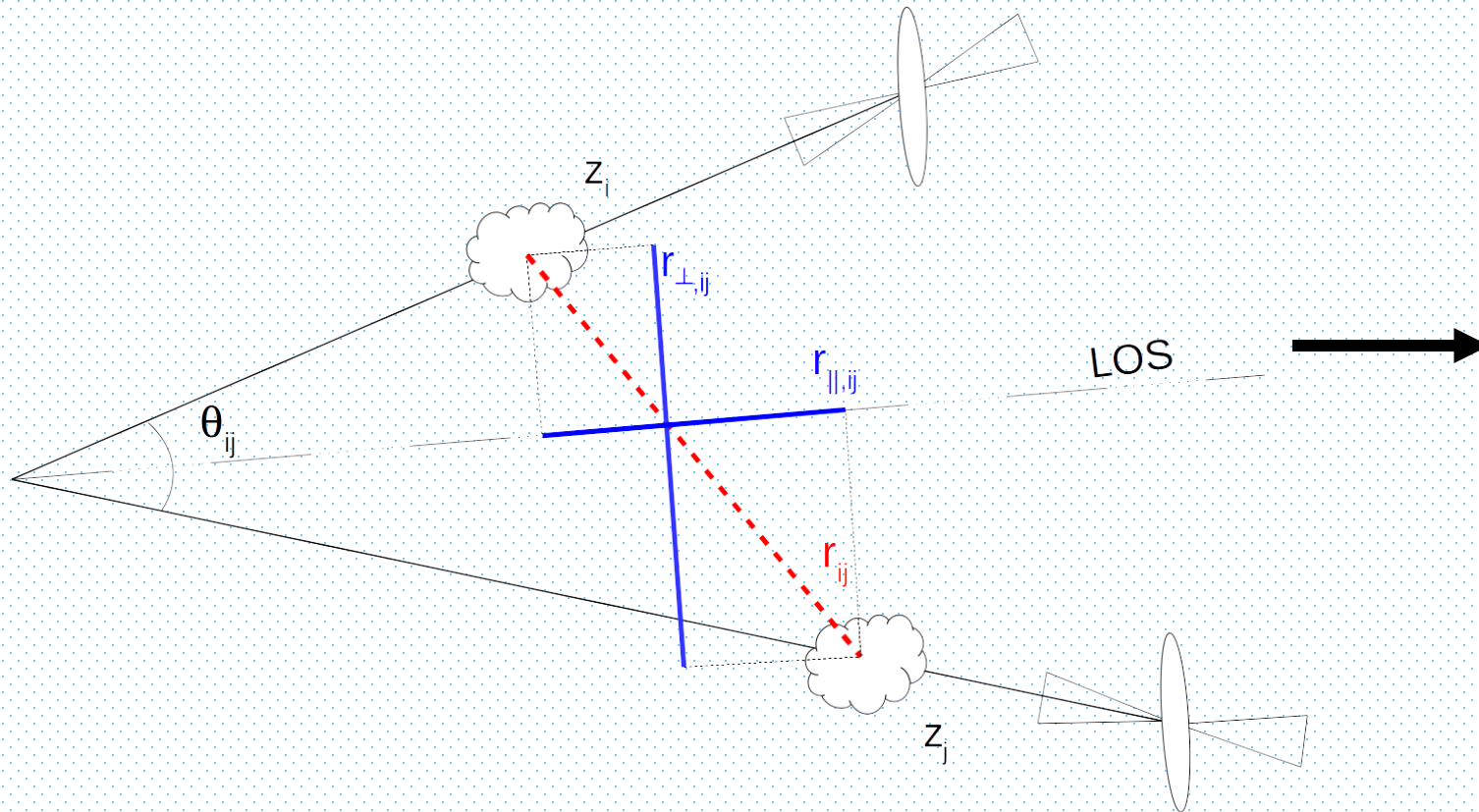
Summary

- We performed the first full-shape analysis of Ly α forest 3D correlations.
- Most precise expansion rate constraint from large-scale structure at $z > 1$, and a factor of two tighter than the BAO-only constraint.
- Key areas of improvement for DESI include modelling of QSO redshift errors and non-linearities.
- Opens the way for growth rate measurements from the 3D distribution of the Ly α forest.

Alcock-Paczynski vs redshift space distortions



Lyman- α forest correlations



Comoving coordinates:

$$r_{\parallel} = [D_C(z_i) - D_C(z_j)] \cos(\theta_{ij}/2)$$

$$r_{\perp} = [D_M(z_i) + D_M(z_j)] \sin(\theta_{ij}/2)$$

In flat Λ CDM, $D_M(z) = D_C(z)$, with:

$$D_C(z) = c \int_0^z \frac{dz'}{H(z')}$$