Fruitful information beyond ID-BAOs through galaxy surveys

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Introduction

- Baryon Acoustic Oscillations (BAOs)
- standard ruler (~150Mpc) precisely determined by CMB
- imprinted in late-time matter distribution: galaxy surveys, Ly-alpha forest
- one of main targets to determine the cosmic expansion history
- Clustering of galaxies in redshift-space
- so far angle-averaged (ID) BAO scale is simply measured BUT
- shape information in galaxy P(k): Neutrino Mass, Inflation parameters
- 2D BAOs in redshift-space distortion

Neutrino Mass & Galaxy survey

A experimental proof that SM of particle physics is not sufficient

- Cosmology: **complementary & powerful** to constrain total mass
- cosmology: Σm_v< ~leV
- terrestrial: $0.05eV < \Sigma m_v < 2eV$
- suppression effects due to neutrino's free-streaming
- comparable to BAO scale
- Neutrino effect cannot be negligible

 $\delta P/P \approx -8f_{\nu} \ge -4\%$



Shape of galaxy P(k)

To use info of galaxy P(k) shape, we need to model nonlinear issues

- nonlinear gravitational evolution
- nonlinear galaxy biasing

(- nonlinear redshift-distortion)

Modeling based on perturbation theory S.S, Takada, Taruya (2008,2009)





2D BAOs in redshift-space

Redshift Space Distortion (RSD) Kaiser (1987)

- peculiar velocity of galaxies along l.o.s should be contaminated in measured-z

redshift space $\vec{s} = \vec{r} + \frac{\vec{v} \cdot \hat{z}}{aH(z)}$ line of sight direction

- Linear Kaiser formula depends on growth parameter "f": modified gravity

$$P^{S}(k,\mu) = b^{2} \left(1 + \frac{f}{b}\mu^{2}\right)^{2} P_{\rm m}(k)$$



Modeling of RSD

Taruya, Nishimichi, S.S. (2010)

We found a perturbation-theory motivated formula in which nonlinear matter power spectrum can successfully recover the N-body results.

$$P^{S}(k,\mu) = e^{-k^{2}f^{2}\sigma_{V}^{2}\mu^{2}} [P_{\delta\delta}(k) + 2f\mu^{2}P_{\delta\theta}(k) + f^{2}\mu^{4}P_{\delta\theta}(k) + A(k,\mu) + B(k,\mu)]$$
correction terms originating from higher-order correlation
$$\int_{P_{roc}: Gaussian} \int_{1}^{1} \int_{1}^{$$



Multipole vs full-2D?

Multipole expansion even $P(k,\mu) = \sum P_{\ell}(k) \mathcal{P}_{\ell}(\mu)$ $\ell = 0$ 106 full 2D P_0, P_2, P_4 $- P_0 \& P_2$ FoM_{Da}, H. f 105 104 ratio 0.8 0.6 0.4 0.2 0 0 1 $k_{max}[hMpc^{-1}]$

Padbanabhan & White (2008) Taruya, S.S., Nishimichi, in prep

- Even if including nonlinear effects, nearly full 2D information can be obtained with multipoles up to I=4.

- With monopole & quadrupole, roughly 50% information can be gained





- need precise modeling especially at k > 0.1 h/Mpc

- constraint on D_A seems to depend on modeling of galaxy biasing

Conclusion

Full shape of galaxy power spectrum in redshift space potentially contains fruitful information on fundamental physics Key: modeling of nonlinear issues

Neutrino Mass

• obtained a "conservative" bound, $\Sigma m_v < 0.81 eV$ (95% C.L.) with SDSS DR7 combined with WMAP5

) 2D BAOs

- preliminary results: we should carefully constrain D_A & H
- first step to use 2D BAO information