

# Cosmic Complementarity: *constraining neutrinos, inflation & dark energy*

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INPA Seminar 10/17/2014



# Outline

- Neutrino mass constraints and the primordial power spectrum
- Combining weak lensing and galaxy clustering to probe dark energy, gravity and neutrinos
- Primordial non-Gaussianity from LSS:  
*what does an ideal experiment look like?*

# The absolute mass scale $\Sigma m_\nu$ is a crucial property of neutrinos

- Neutrino Oscillations:  $\Sigma m_\nu > 0.06 \text{ eV}$
- Tritium Beta Decay:  
 $m_\beta < 2.05 \text{ eV (95 \% CL)} \Rightarrow \Sigma m_\nu < 6.2 \text{ eV}$   
*Troitsk Collaboration 2011*

- COSMOLOGY

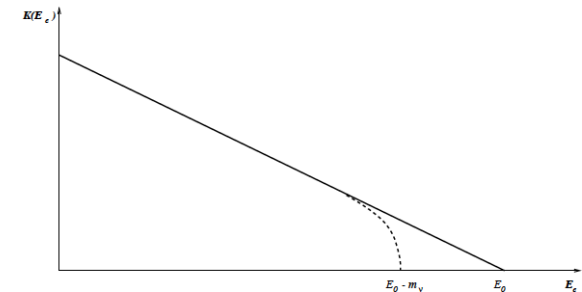
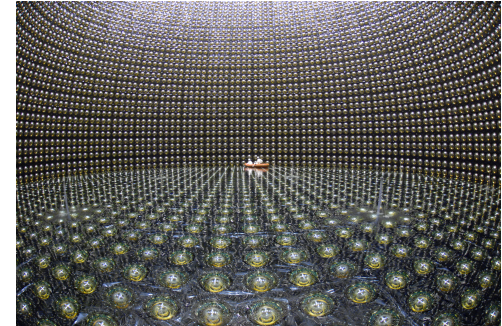
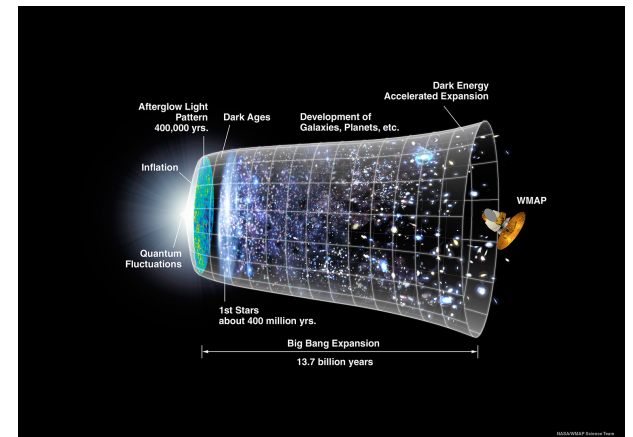


Figure 1: Kurie plots for  $m_\nu = 0$  (solid line) and  $m_\nu \neq 0$  (dashed line)



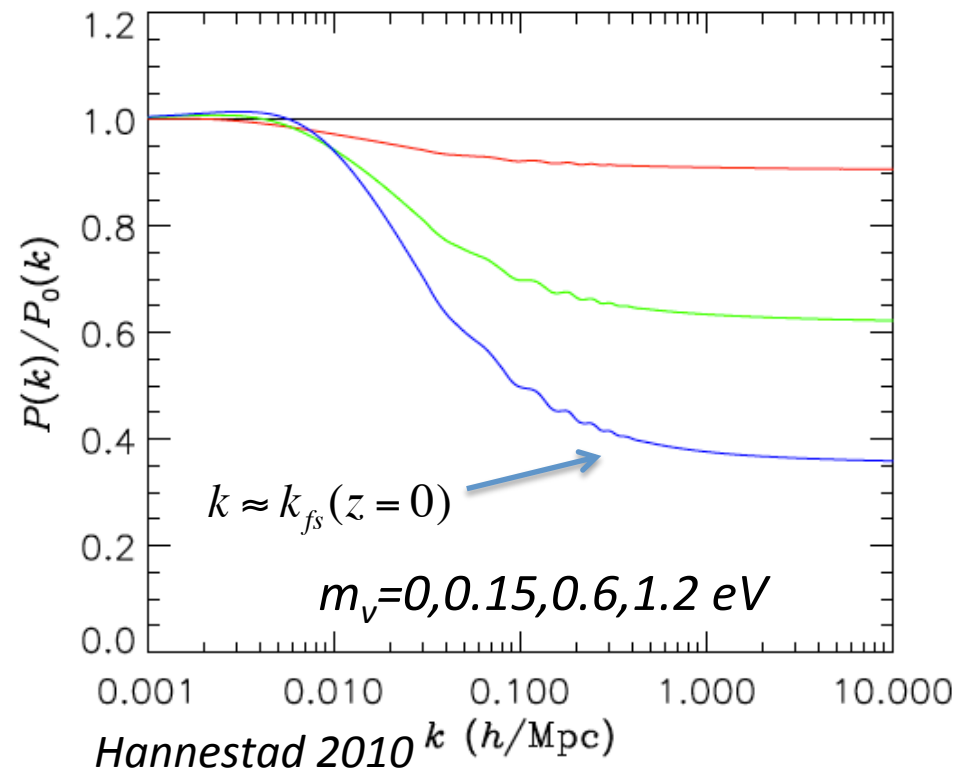
# The Cosmic Neutrino Background affects cosmological observables in 2 ways:

## 1. Background Evolution:

- effect on cosmic distances, BAO, ...

## 2. Growth of Structure:

- neutrinos do not cluster on scales below free-streaming length





The strongest limits on  $\Sigma m_\nu$  come from cosmological data:

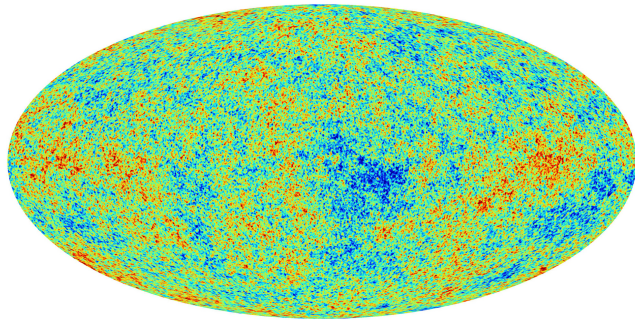
**$\Sigma m_\nu < 0.23$  eV (95 % CL) from Planck CMB + BAO**

*Planck Collaboration XVI*

**These bounds assume a power law primordial power spectrum (PPS)!**

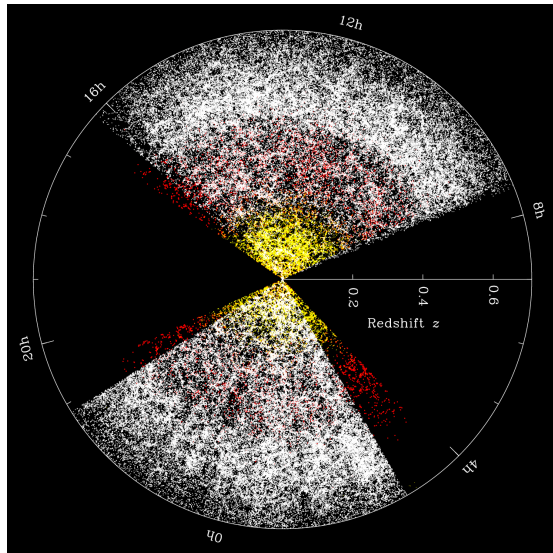
$$\Delta_R^2(k) = \Delta_R^2(k_0) \left( \frac{k}{k_0} \right)^{n_s-1}$$

Power spectra of cosmic fluctuations are the “product” of PPS and transfer functions



CMB anisotropies

$$C_l = \int d\ln k \underbrace{W_l(k)}_{\text{transfer function}} \underbrace{\Delta_R^2(k)}_{\text{PPS}}$$



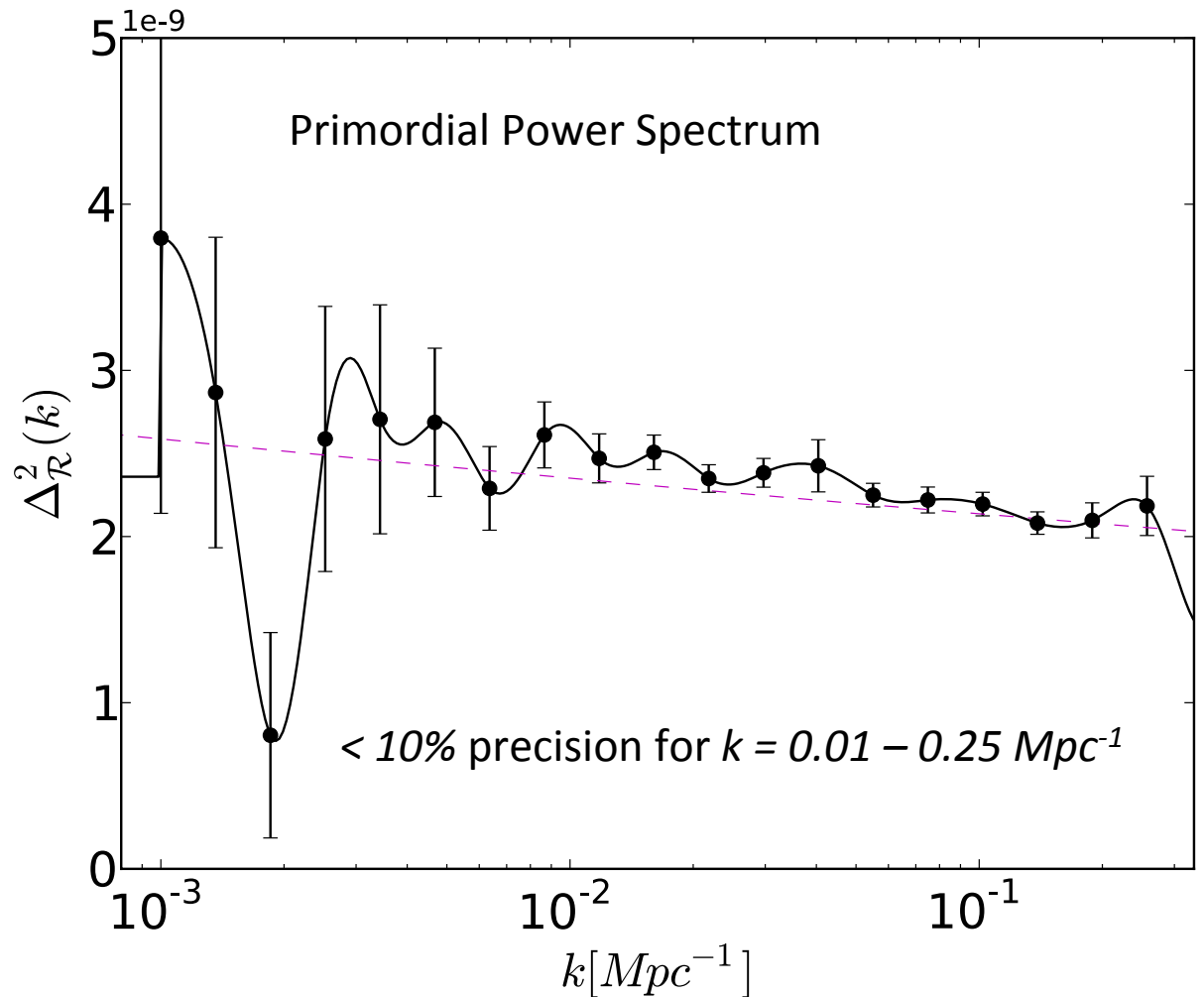
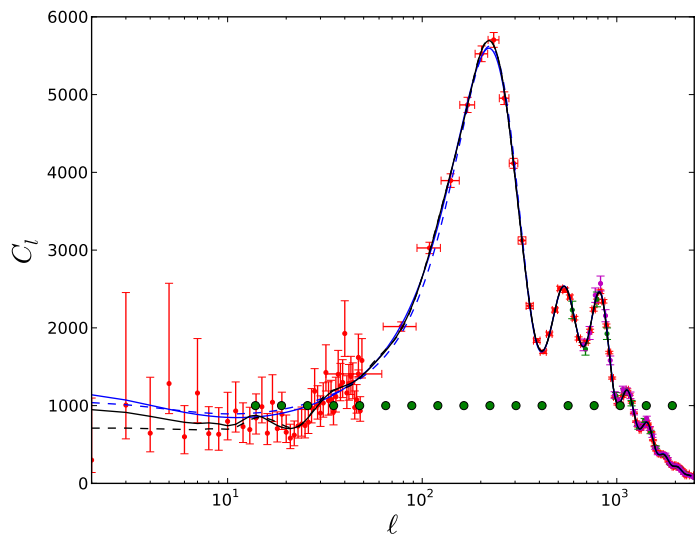
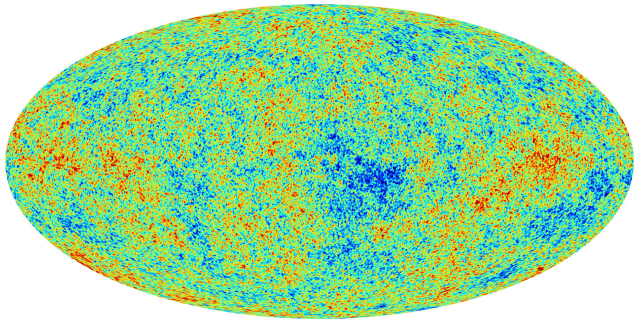
Galaxy Clustering

Agnostic approach: model the PPS by a 20-node spline at  $k = 0.001 - 0.35 \text{ Mpc}^{-1}$

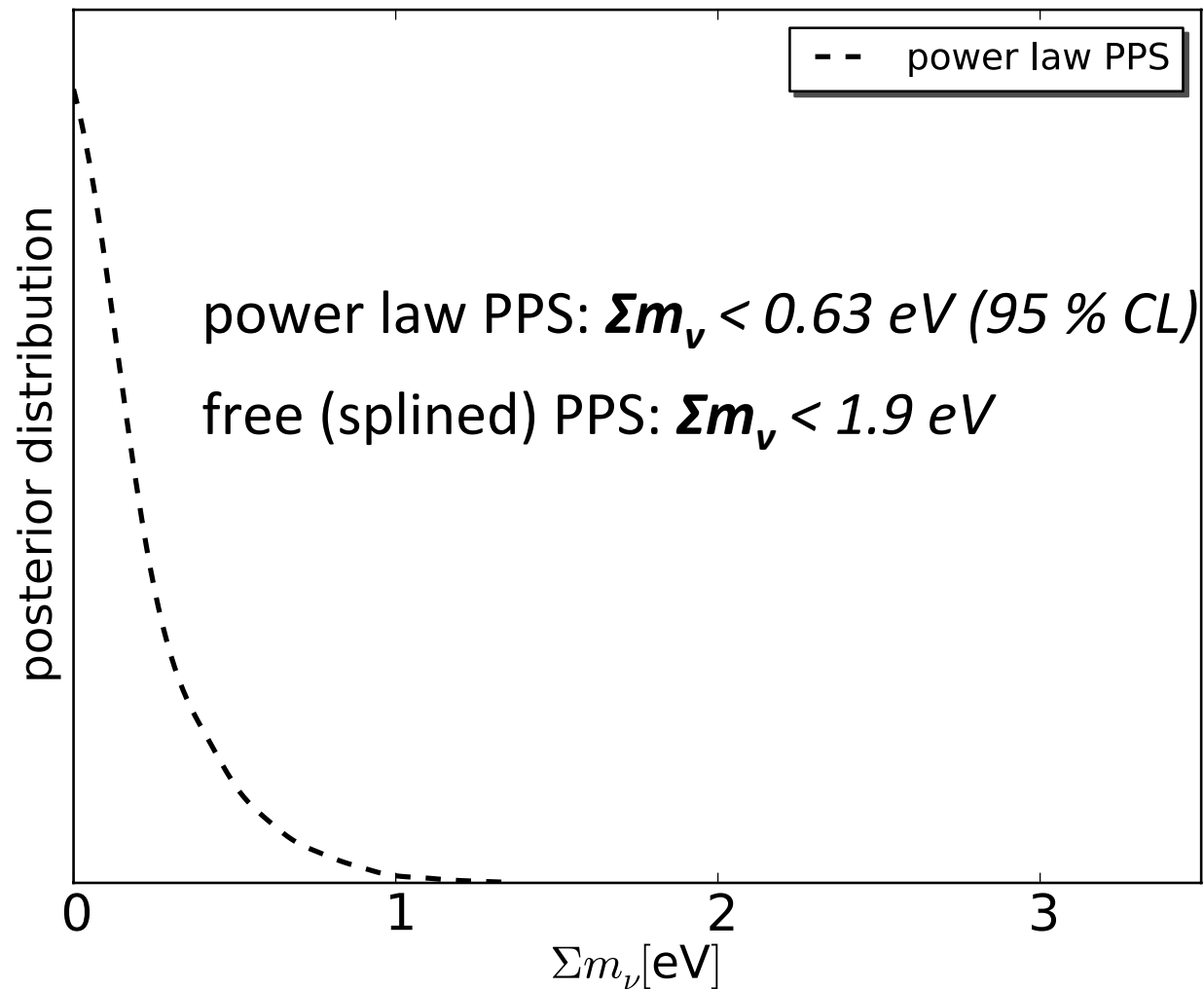
$$\Delta_R^2(k) = \Delta_{R,0}^2 \cdot \text{spline}[p\{k_i\}]$$

*RdP, Linder & Mishra, Phys Rev D 2014 (arXiv:1401.7022)*

# CMB data (Planck + SPT/ACT + WMAP Polarization) strongly constrain the primordial power spectrum

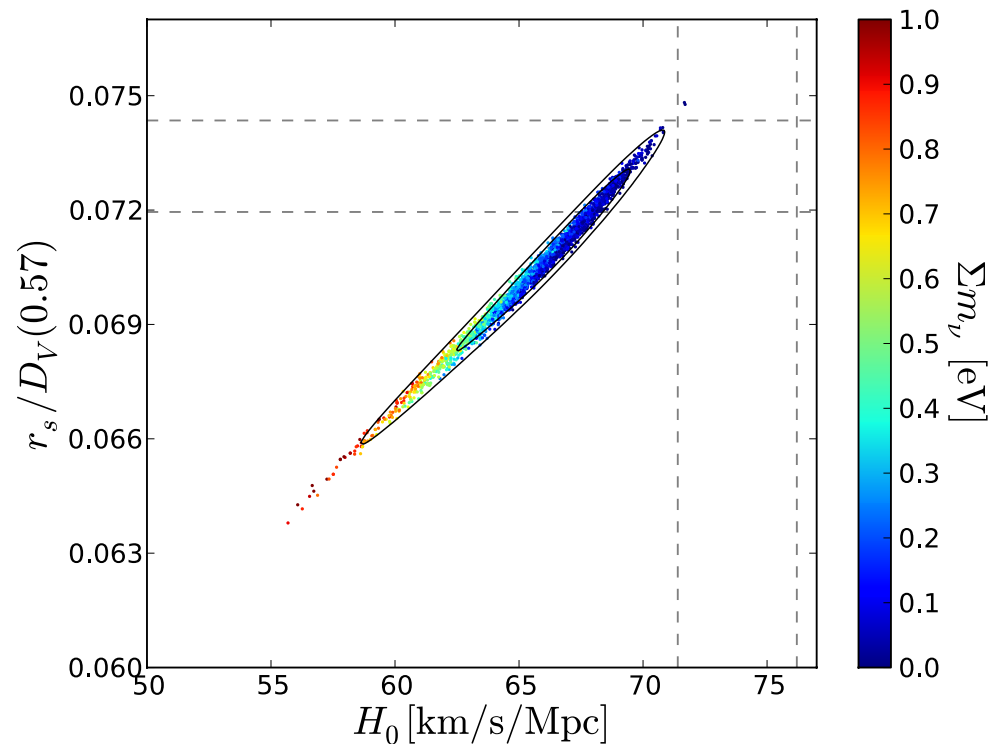


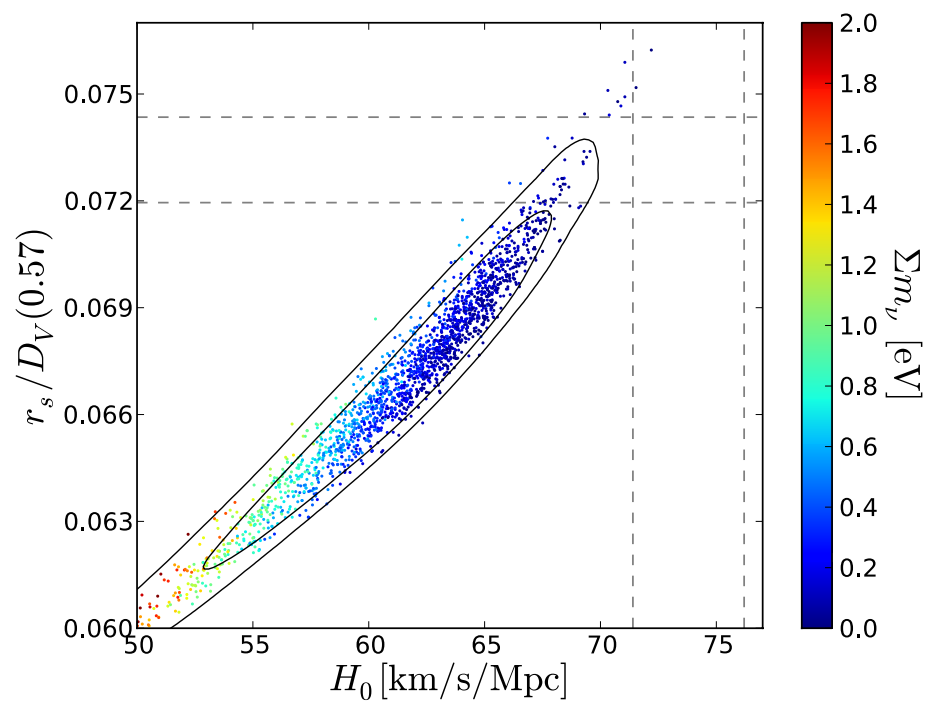
The CMB-only neutrino mass bound weakens by a factor 3 when the PPS is left free



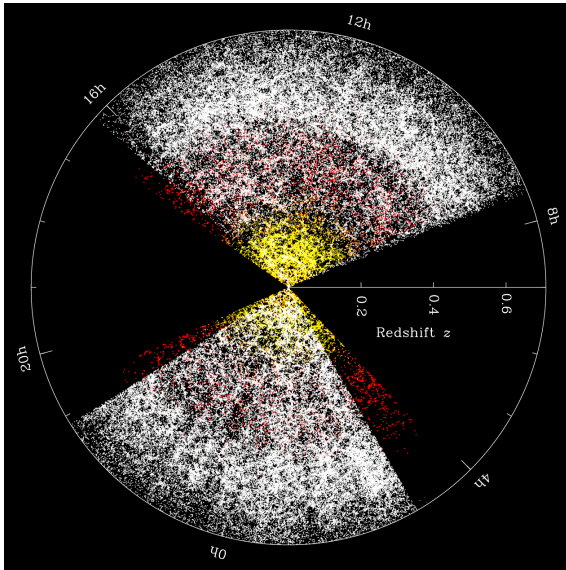
Adding low-redshift data breaks the degeneracy between “late-universe parameters”  $\Sigma m_\nu$  and  $H_0$

measured from  
BAO feature in  
galaxy clustering  
(in power law case)



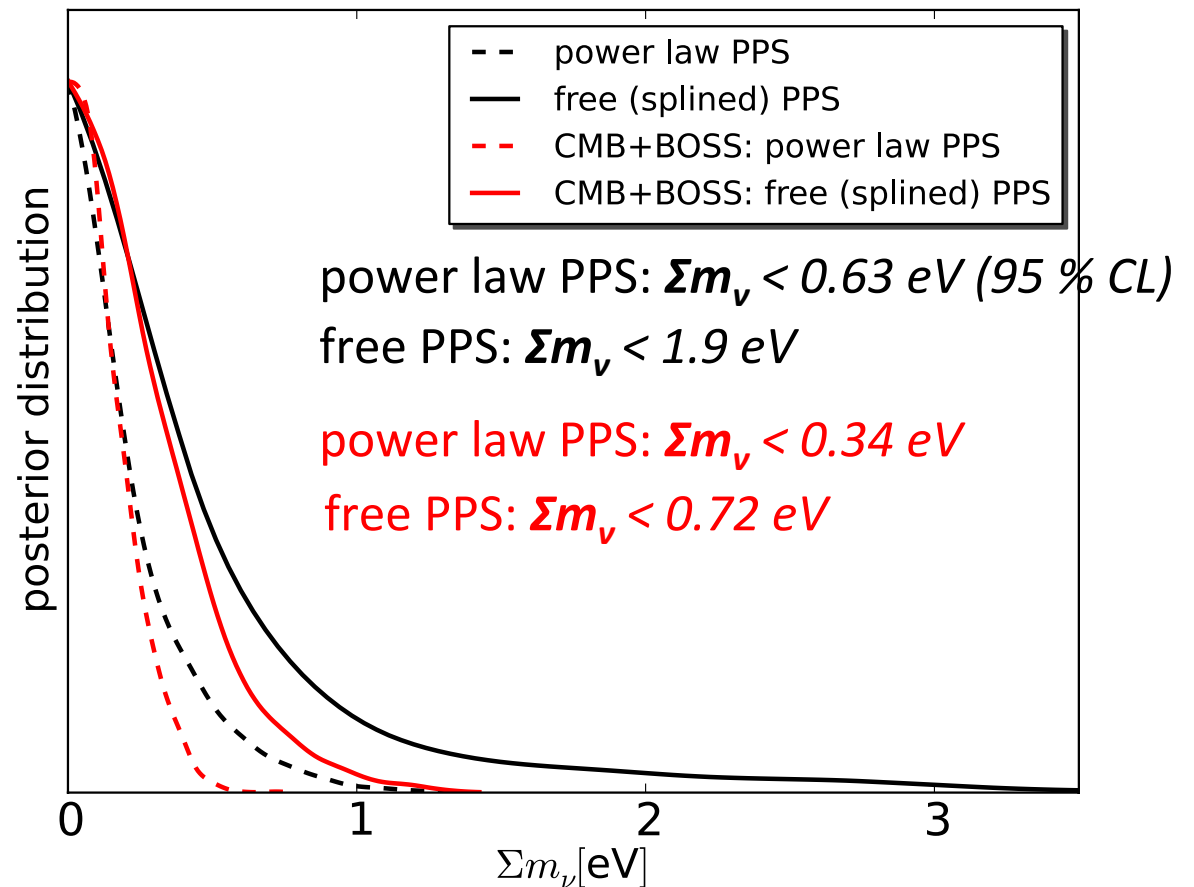


# CMB + BOSS Galaxy Power Spectrum tightens the constraint and makes it less dependent on the assumed PPS

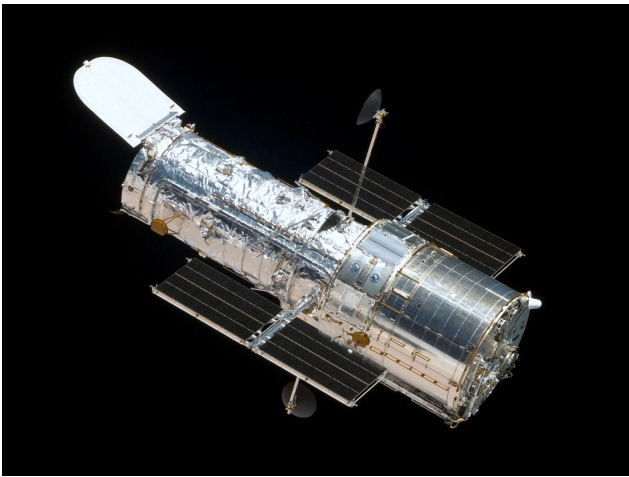


**BOSS** = Data Release 9  
CMASS galaxy sample  
( $z=0.57$ )

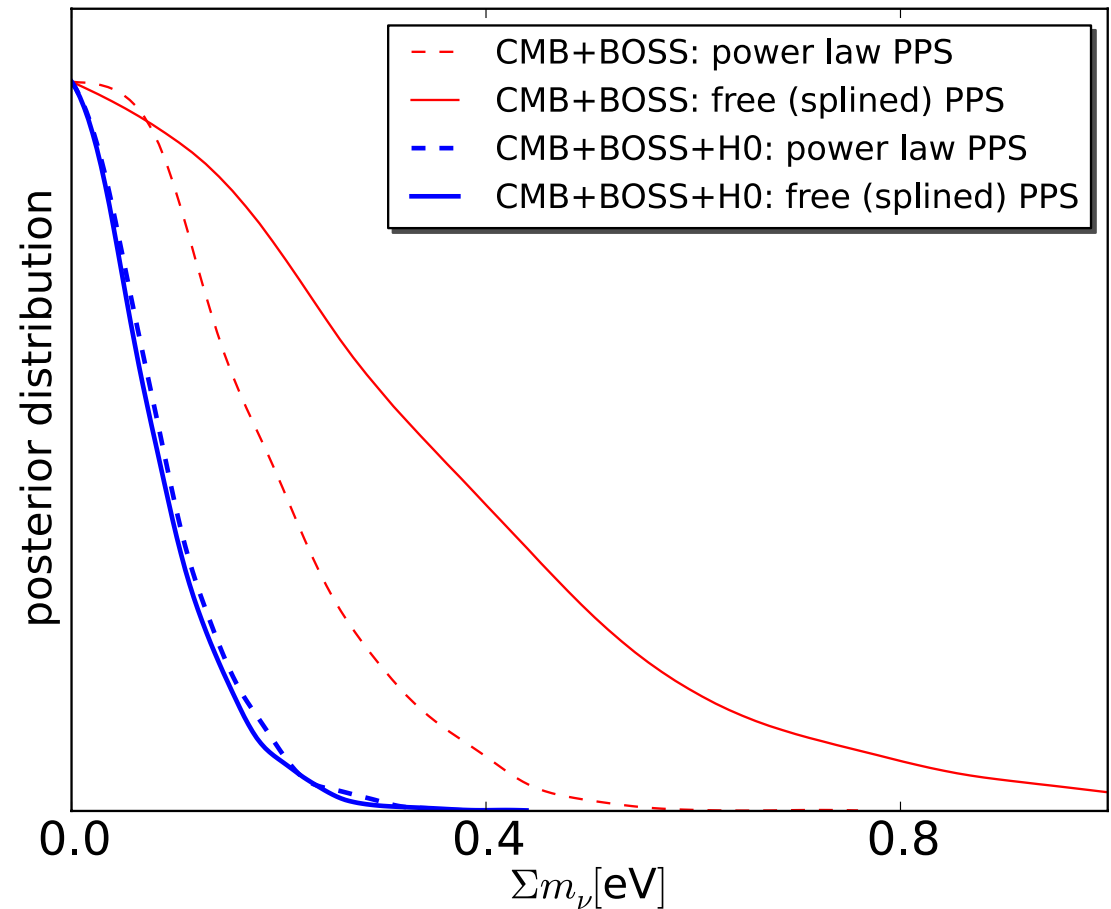
*Anderson et al 2012*



Adding a direct measurement  $H_0=73.8 \pm 2.4 \text{ km/s/Mpc}$  yields a constraint  $\Sigma m_\nu < \mathbf{0.19 \text{ eV}}$ , independent of PPS



*Riess et al 2001  $H_0$  measurement uses Hubble Cepheids to calibrate supernova distance ladder*



- Tension ( $\Delta\chi^2 \approx 10.5$ ) between CMB and  $H_0$  data
- Variations in  $H_0$  analysis lead to upper limit  $\mathbf{0.18 \text{ eV} - 0.28 \text{ eV}}$   
**a robust, consensus  $H_0$  measurement will be incredibly useful**

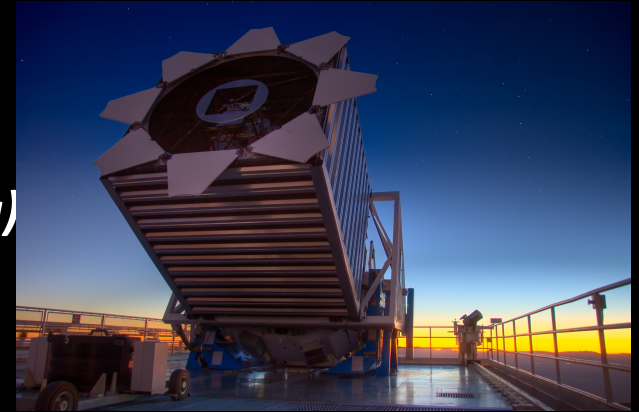


## Part 2

- Neutrino mass constraints and the primordial power spectrum
- *Combining weak lensing and galaxy clustering to probe dark energy, gravity and neutrinos*
- Primordial non-Gaussianity from LSS:  
*what does an ideal experiment look like?*

## Galaxy Clustering:

- 3D maps of galaxies -> 3D power spectrum  $P(k, \mu)$
- **BOSS:**  $V = 4.4 (h^{-1} \text{ Gpc})^3$ ,  $\Omega \approx 10,000 \text{ deg}^2$



The SDSS telescope at Apache Point, New Mexico

## Weak Gravitational Lensing:

- **Cosmic shear** -> angular power spectra  $C_l$  of shear and source density
- **CFHTLS:**  $\Omega \approx 150 \text{ deg}^2$
- soon: **DES, KIDS, HSC, LSST, EUCLID,...**



The Canada France Hawaii Telescope (Mauna Kea)

## Major Development: Advent of Large, Overlapping Surveys

# **SuMIRe:** *Subaru Measurement of Images and Redshifts (1500 deg<sup>2</sup>)*



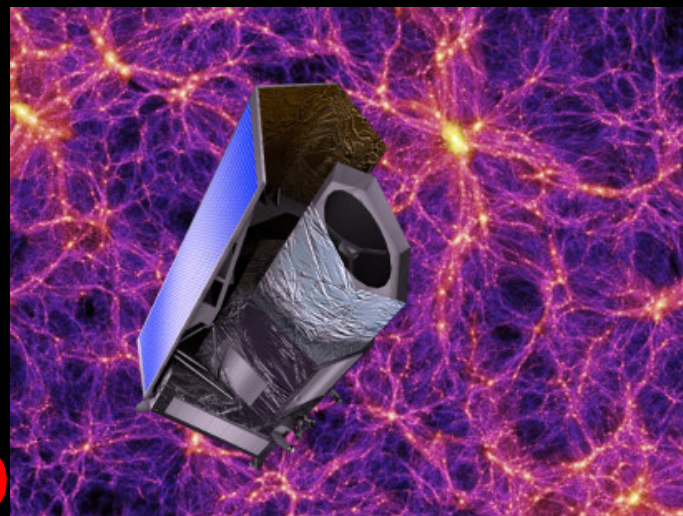
8.2 m Subaru telescope

- Hyper Suprime Cam (HSC) lensing survey
- Prime Focus Spectrograph (PFS) redshift survey

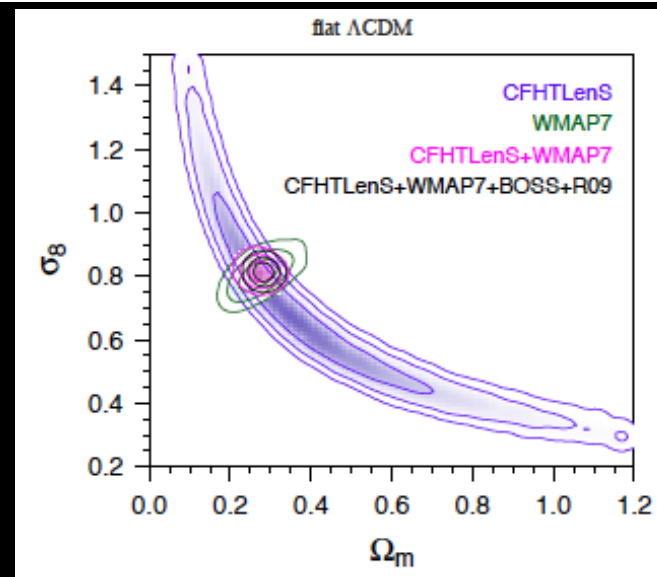


**WFIRST**

**EUCLID**

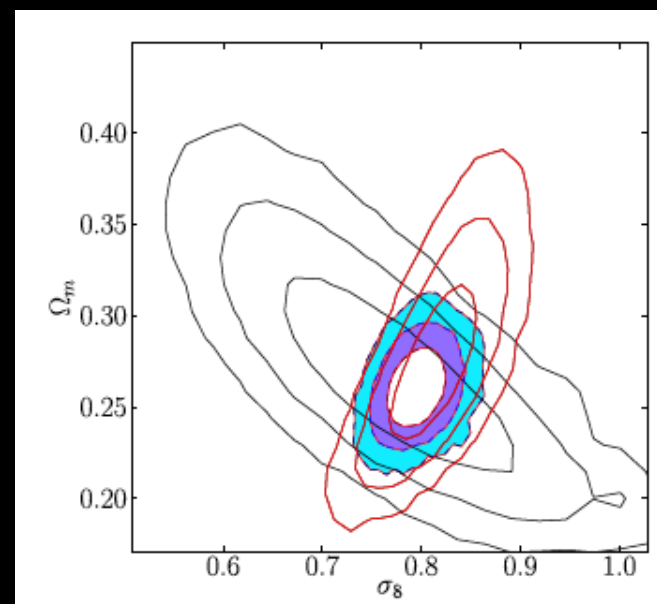


- How much improvement when Weak Lensing and Galaxy Clustering combined?



Kilbinger et al 2012 (*CFHTLS*)

- How important is overlap between surveys?

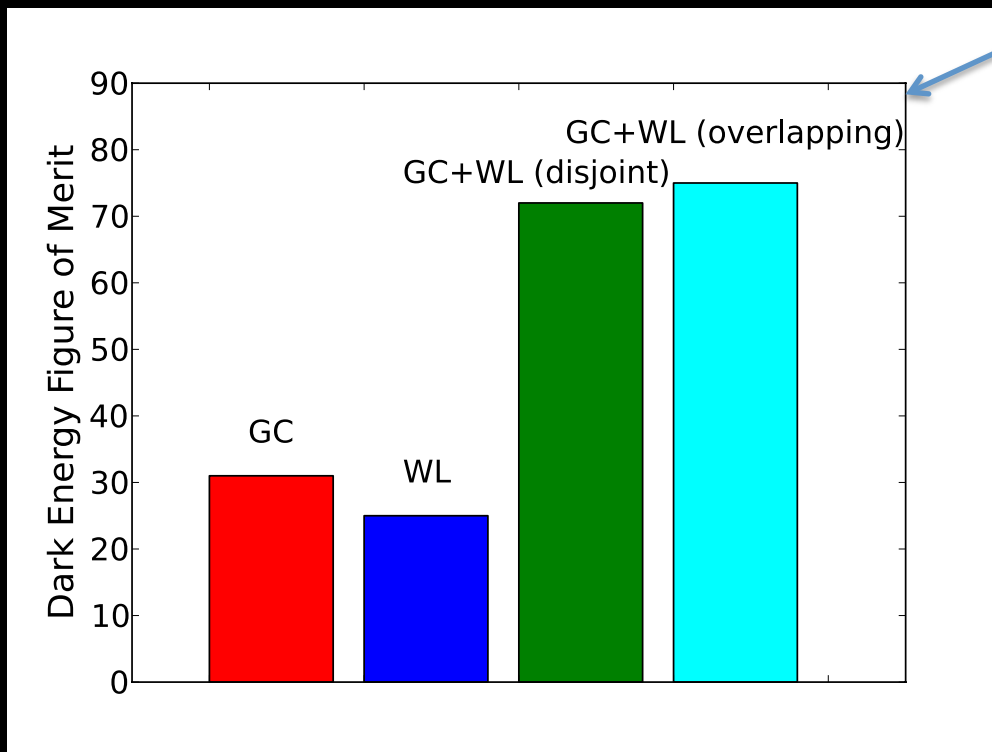


Mandelbaum et al 2013 (*SDSS*)

# ***SuMIRe*** Dark Energy: Strong WL + GC complementarity, but overlap not crucial

$$\text{FOM} = (\text{Det}(\text{Cov}[w_0, w_a]))^{-\frac{1}{2}}$$

Tight bounds on time-varying DE equation of state

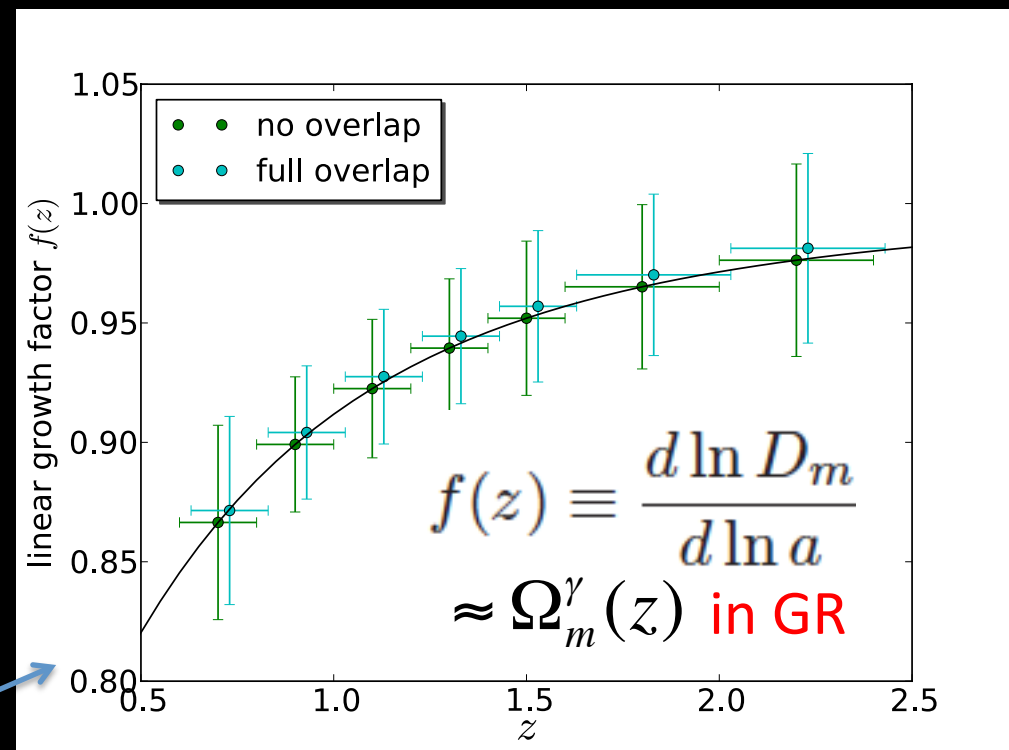


***CMB prior (Planck) included***

*RdP, Dore & Takada 2013*

# ***SuMIRe growth rate:*** Strong WL + GC complementarity, but overlap not crucial

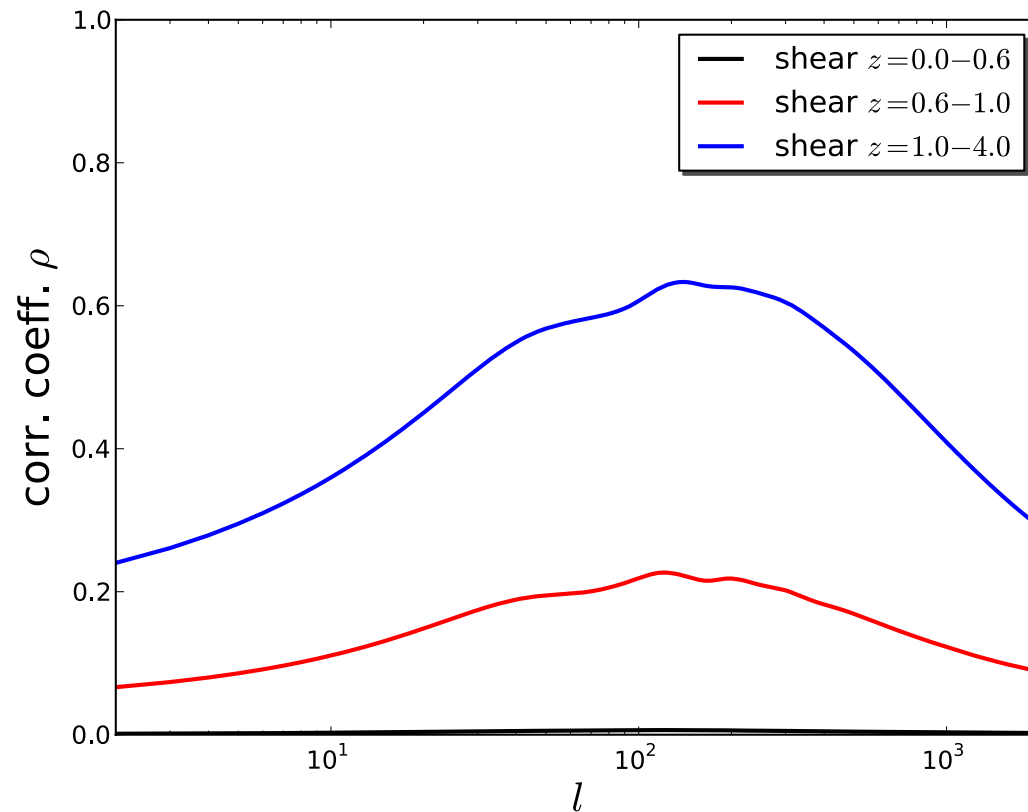
***CMB prior (Planck) included***



Bounds on growth rate of large scale structure  
Combination of WL + GC crucial!

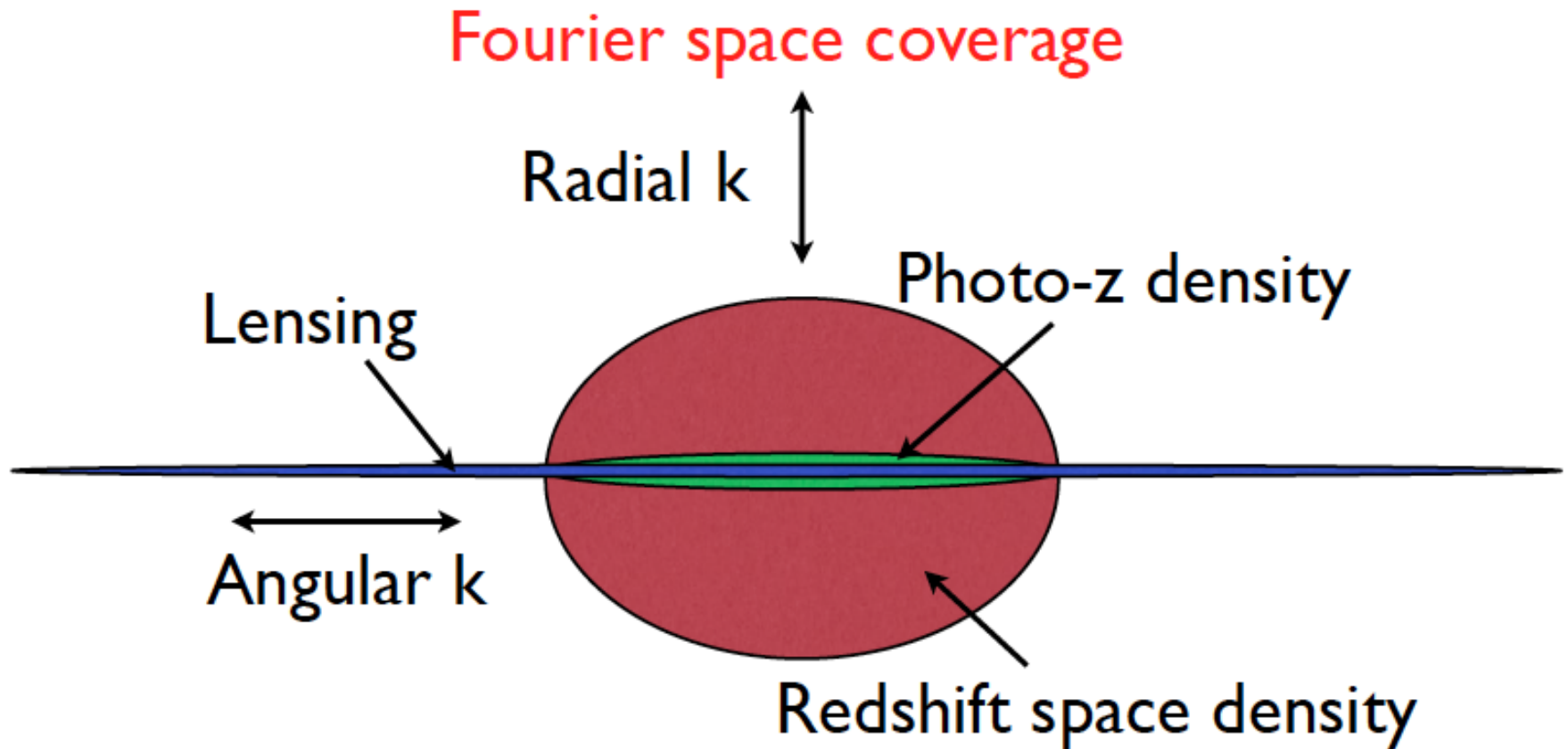
*RdP, Dore & Takada 2013*

Correlation between shear and galaxy density is modest because of limited redshift overlap



“global correlation coefficient” of shear with spectroscopic galaxy density

The number of modes probed by cross-correlations is small compared to that probed by RSD or WL alone



*Font-Ribera et al, 2014*



# Cosmological information in shear-galaxy cross power spectra is limited, but other “same-sky” benefits do exist

*See also: Cai & Bernstein 2012, Font-Ribera et al 2013  
BUT: Gaztanaga 2012, Kirk et al 2013*

- *imaging survey provides target catalog*
- *information from non-linear regime*

*Hikage, Takada & Spergel 2011*

*Yoo & Seljak 2012*

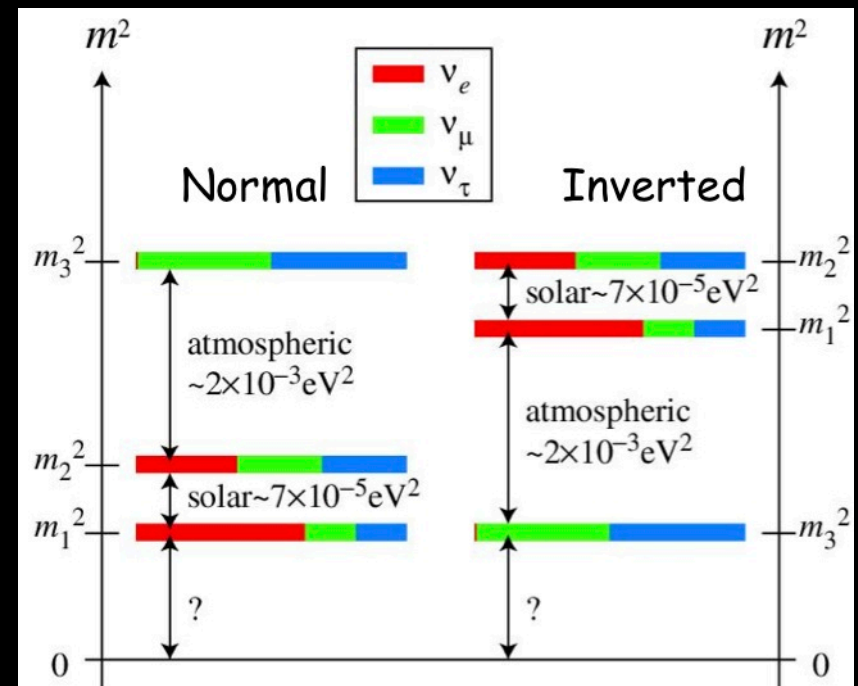
*Hikage et al 2013*

*Cacciato et al 2013*

- *higher order statistics*
- *Identifying/constraining systematics*

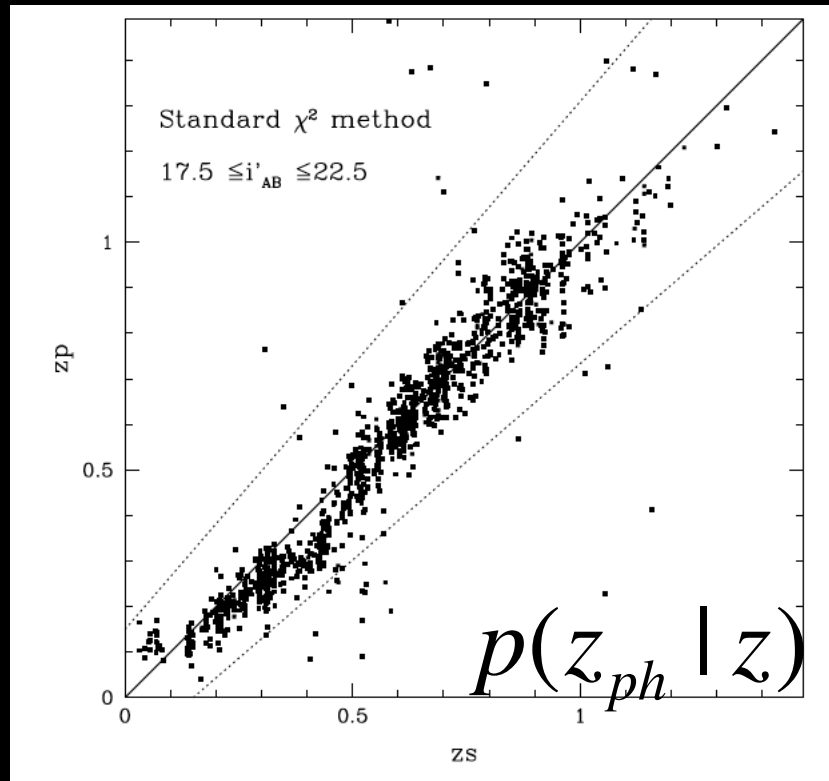
# Neutrino mass detection should be possible with EUCLID (and DESI)

- $\sigma(\Sigma m_\nu) = 0.03 \text{ eV}$



# Upcoming cosmic shear surveys require $< 1\%$ level calibration of photometric redshifts

*Huterer et al 2005; Ma, Hu & Huterer 2005; etc*



*In forecasts, distribution defined by scatter  $\sigma_z(z)$  and bias  $b_z(z)$ :*

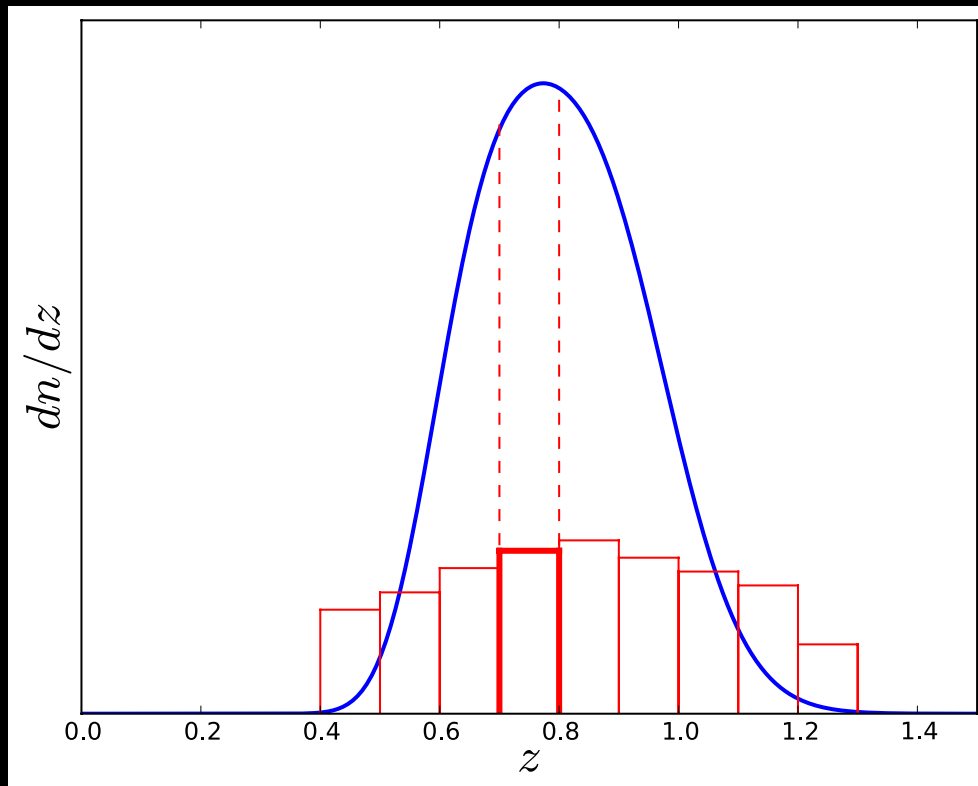
$$p(z_{ph}|z) = \frac{1}{\sqrt{2\pi}\sigma_z(z)} e^{-\frac{1}{2}(z_{ph}-z-b_z(z))/\sigma_z^2(z)}$$

*See, e.g. Ma, Hu & Huterer (2006), Huterer et al (2006), Ma & Bernstein (2008), Hearin et al (2010)*

*Ilbert et al 2006*

(Source) redshift distributions can be estimated using cross-correlations with overlapping spectroscopic sample

*Newman 2008, Schulz 2010, Matthews & Newman 2010, McQuinn & White 2013, Menard et al 2013, Rahman et al 2014*



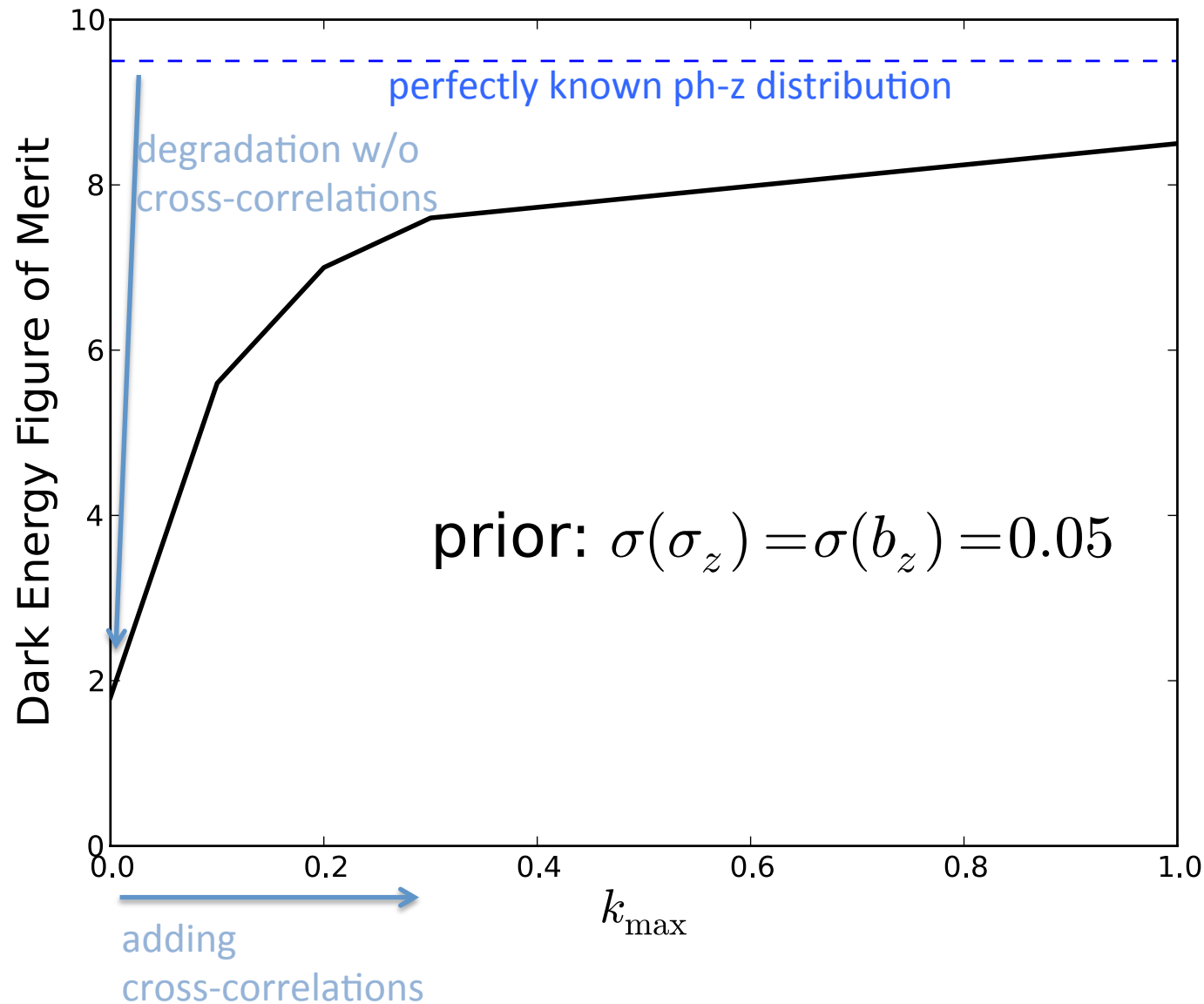
*BUT: Redshift distribution reconstruction crucially relies on knowledge of galaxy bias evolution (< 10 % needed)*

$$C_{\ell}^{ps_i} \propto b^{(s)}(z_i) b^{(p)}(z_i) \bar{n}^p(z_i) P(\ell / D_i)$$

Can cross-correlations technique improve  
cosmic shear constraints by calibrating  
photo-z distribution?

*de Putter, Dore & Das 2013*

Cross-correlations can partially restore **HSC** cosmic shear information lost due to poorly calibrated photo-z's



Cross-correlation technique looks promising, but major challenges remain

- *Breaking the  $n(z)$  – galaxy bias degeneracy*
- *Dealing with outliers/distributions beyond Gaussian*
- *Non-linear bias*
- *Confusion with magnification bias*
- *etc*

## Part 3

- Neutrino mass constraints and the primordial power spectrum
- Combining weak lensing and galaxy clustering to probe dark energy, gravity and neutrinos
- *Primordial non-Gaussianity from LSS:  
what does an ideal experiment look like?*



# Primordial (non-)Gaussianity provides crucial information on physics of inflation

$$P(k) \rightarrow P(k), \quad B(k_1, k_2, k_3) = \langle \Phi(\vec{k}_1) \Phi(\vec{k}_2) \Phi(\vec{k}_3) \rangle, \dots$$

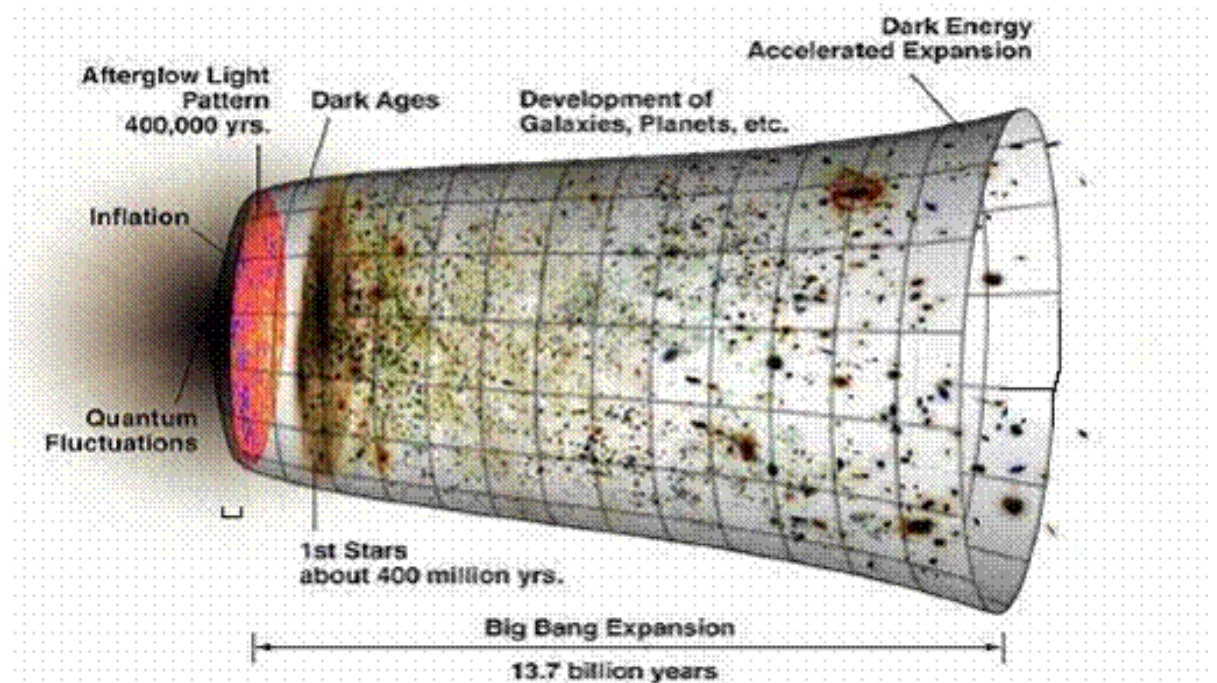
↖ *bispectrum*

Local non-Gaussianity:

$$\Phi(\vec{x}) = \Phi_G(\vec{x}) + f_{NL}^{loc} \left( \Phi_G^2(\vec{x}) - \langle \Phi_G^2(\vec{x}) \rangle \right)$$

Planck bispectrum:

$$f_{NL} = 2.7 \pm 5.8 \text{ (1sigma)}$$



# Constraining primordial non-Gaussianity to $\sigma(f_{NL}) \sim 1$

## Why constrain PNG further?

- Single-field inflation consistency relation:  
*“squeezed limit”  $f_{NL} \sim (1 - n_s) \sim \text{few } \%$*
- Lots of model space to be explored:  
*multi-field, non-standard vacuum, non-canonical kinetic terms, etc*
- Order unity  $f_{NL}$  from “GR effects” (?)

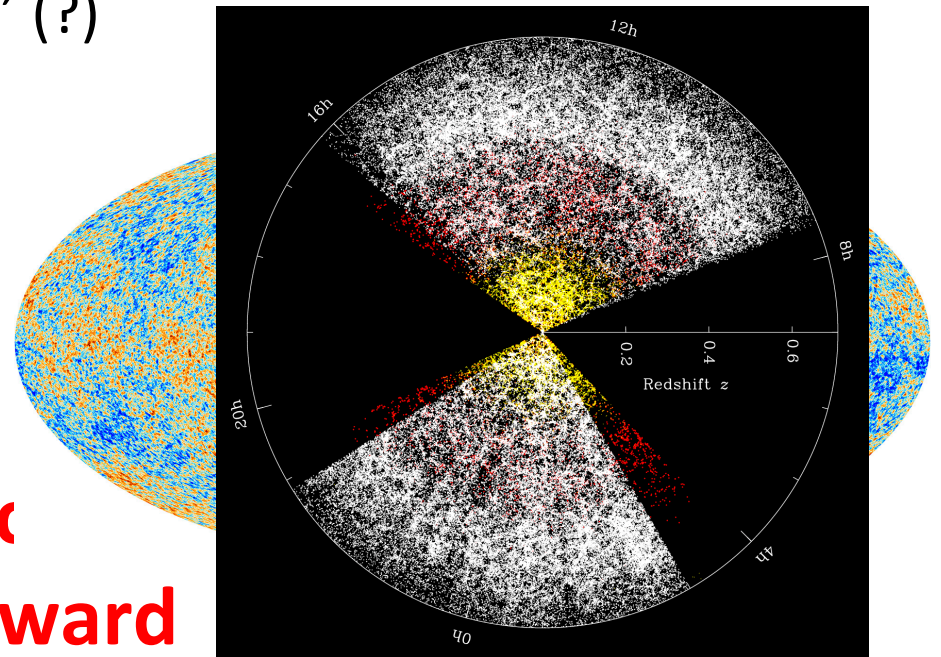
## Cosmic Microwave Background

Planck temperature:  $\sigma(f_{NL}) = 5.8$

→  $\sigma(f_{NL}) \sim 3$

(CV limited temperature and polarization)

**Need Large Scale Structure  
to move forward**



# Primordial non-Gaussianity leads to scale-dependent halo bias

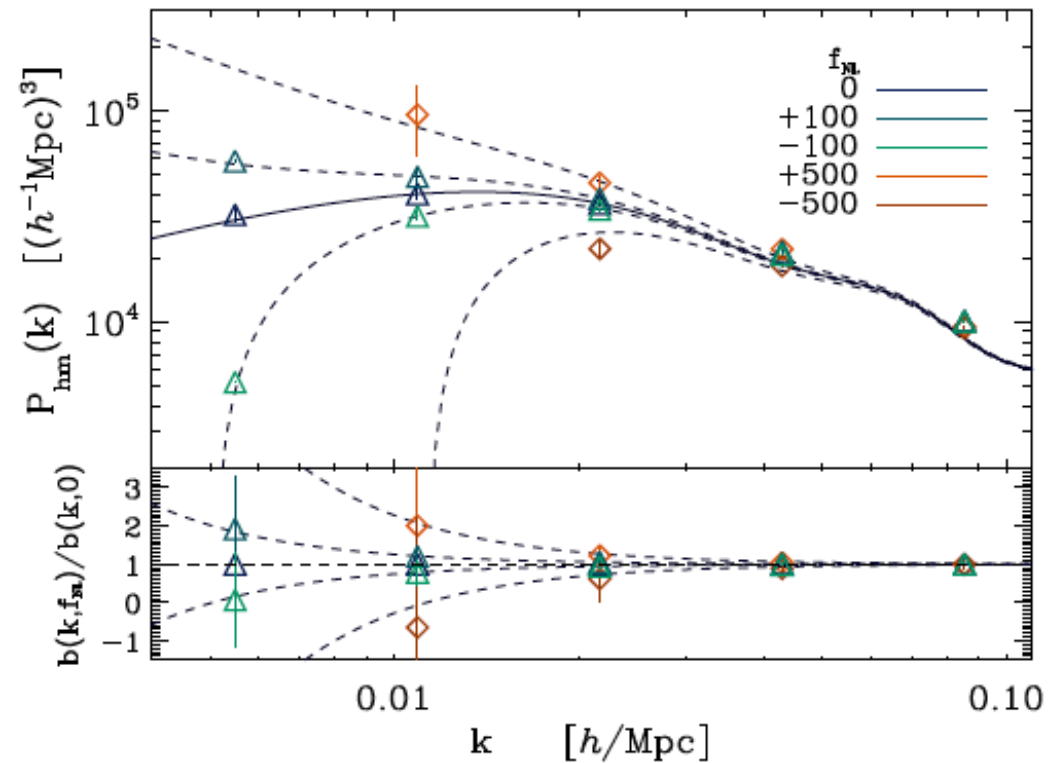
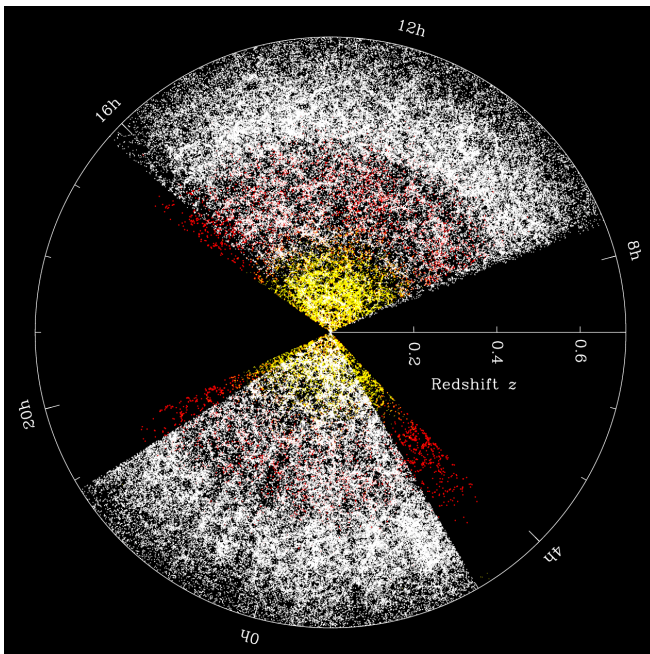
*Dalal, Doré, Huterer & Shirokov 2008*

$$\Delta b = 2 f_{NL} (b-1) \delta_c \frac{3 \Omega_m H_0^2}{k^2 T(k) D(z)}$$

Current bounds:

*e.g.*  $f_{NL} = 5 \pm 21$

*Giannantonio et al 2014*



**Can evade cosmic variance  
with multitracer technique**

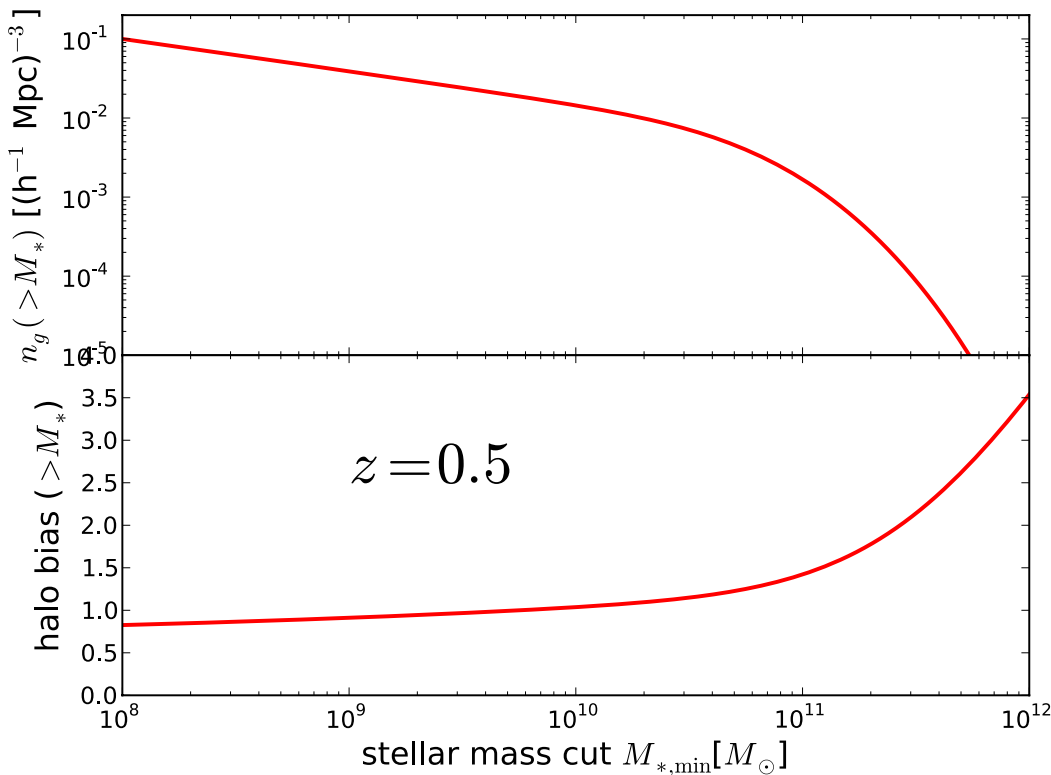
*e.g. Seljak 2009*

# Optimizing a galaxy survey for $f_{NL}$

What is dependence on:

1. Number density?
2. Survey volume?
3. Redshift accuracy?

See also very recent studies: Ferraro & Smith, Raccañelli et al, Yamauchi et al, Camera et al

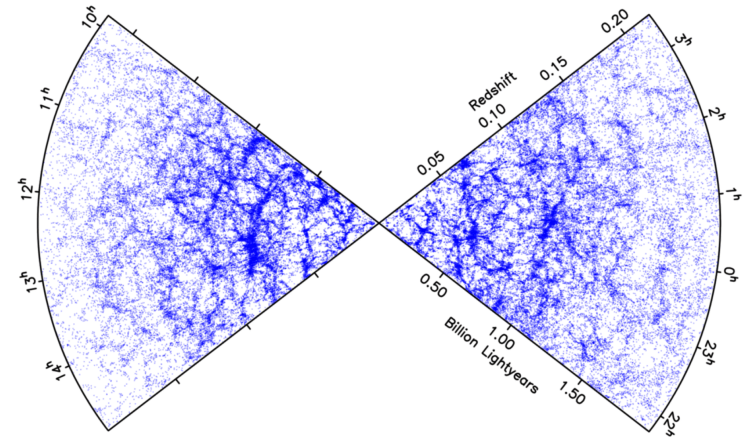
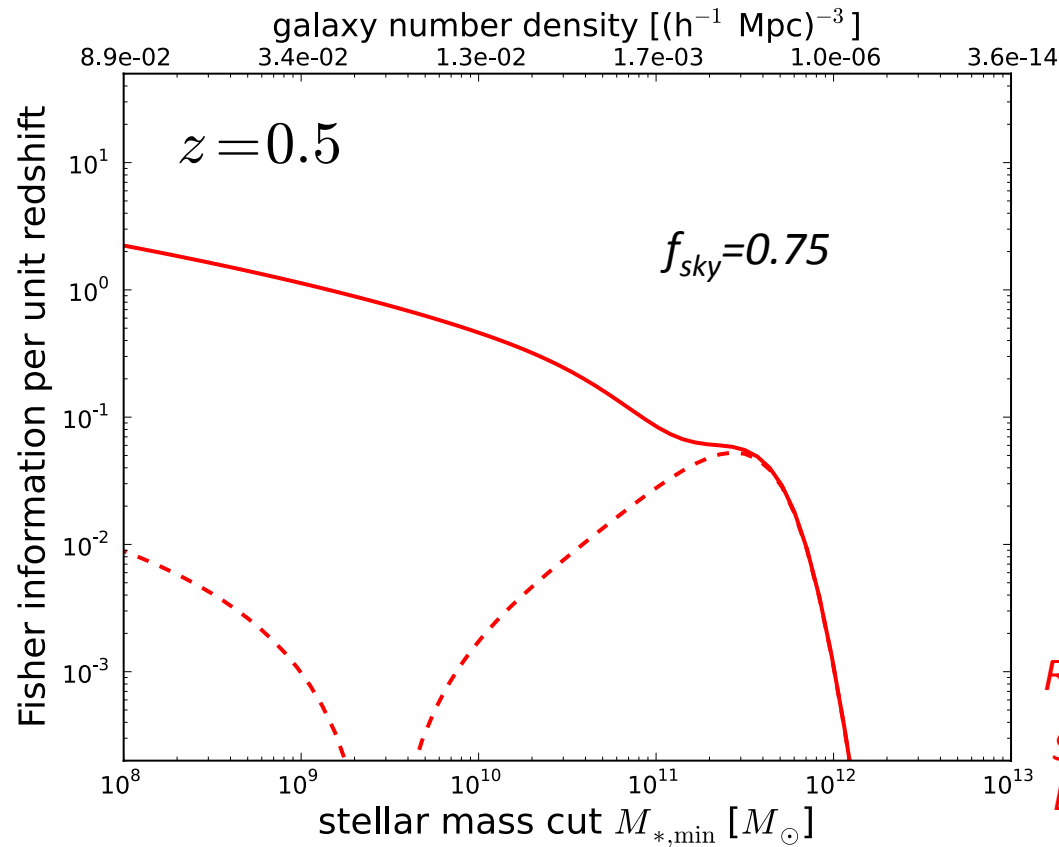


Galaxy sample defined in terms of stellar mass cuts

RdP & Doré in prep

# Optimizing a galaxy survey for $f_{NL}$

## 1. Number density



*RdP & Doré in prep*

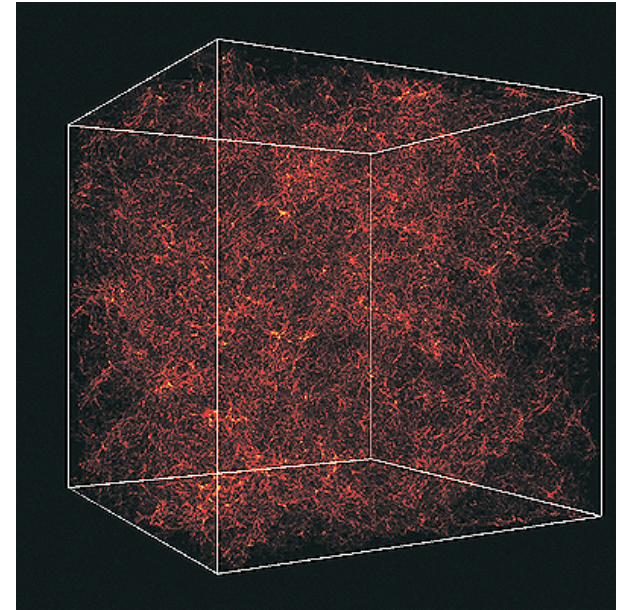
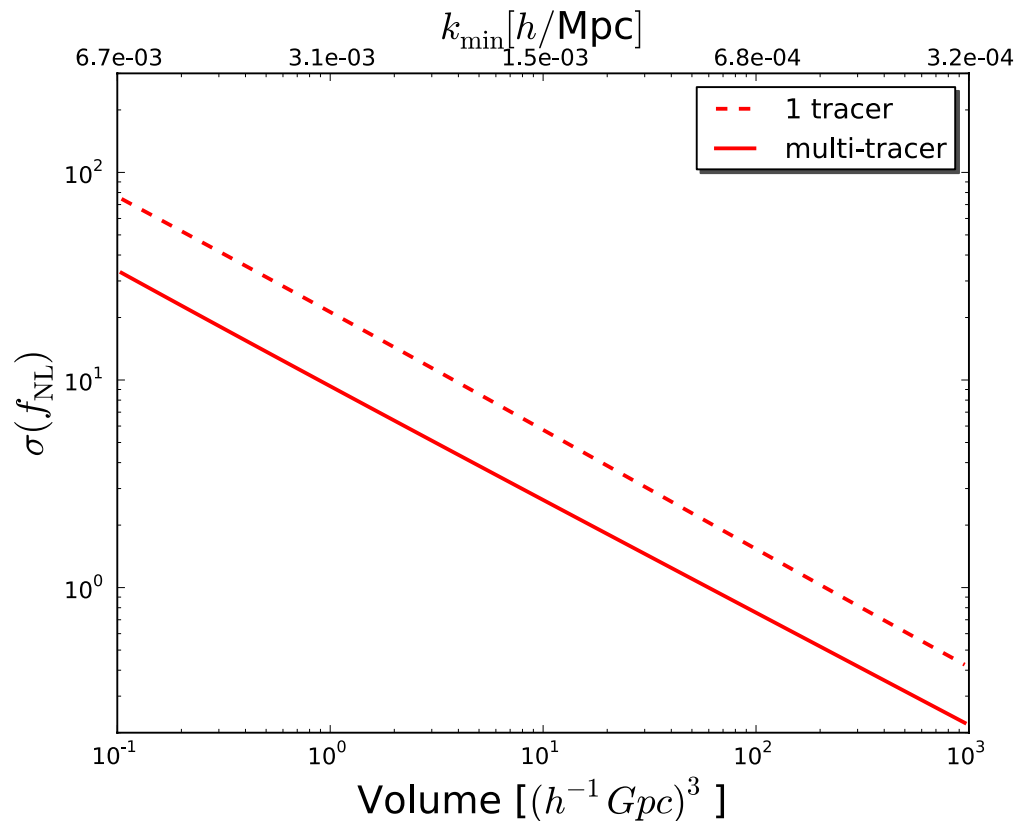
*See also Hamaus, Seljak & Desjacques 2011*

- *Single tracer:* need moderate number density  
 $n = \text{few } 10^{-4} (h^{-1} \text{ Mpc})^{-3} \quad (n P \sim 1)$
- *Multitracer:* need large number density,  $n = \text{few } 10^{-3} (h^{-1} \text{ Mpc})^{-3}$



# Optimizing a galaxy survey for $f_{NL}$

## 2. Survey volume

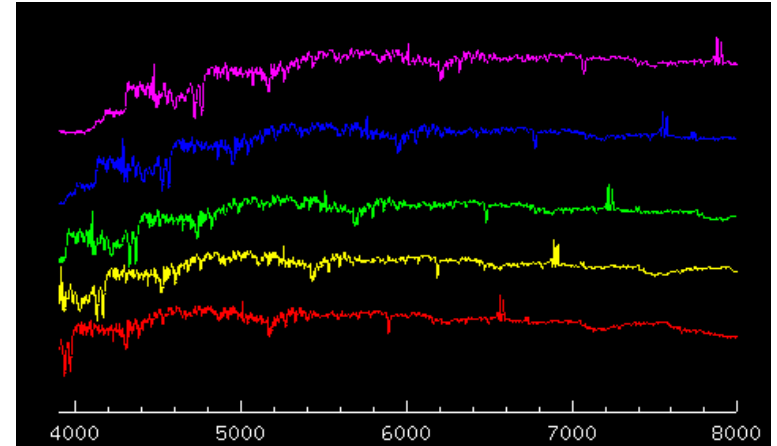
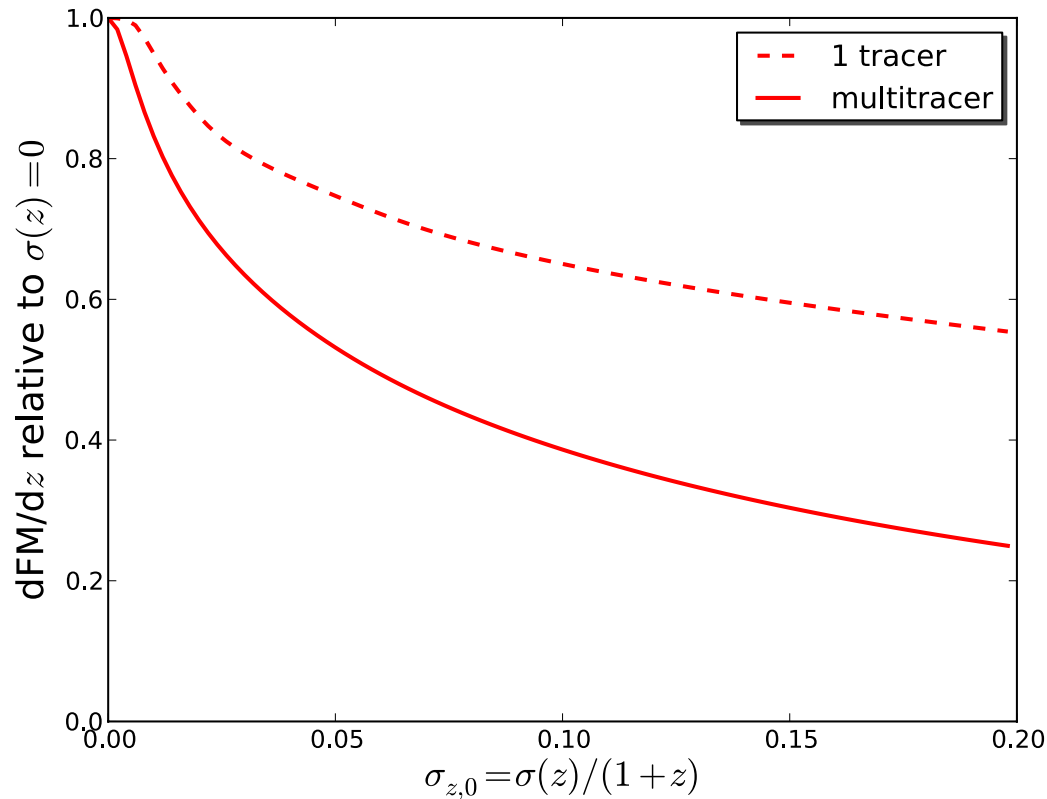


*RdP & Doré in prep*

- *Single tracer: need  $V = \text{many } 100\text{'s } (h^{-1} \text{Gpc})^{-3}$  for  $\sigma(f_{NL}) \sim 1$*
- *Multitracer: need  $V \sim 100 (h^{-1} \text{Gpc})^{-3}$  for  $\sigma(f_{NL}) \sim 1$*

# Optimizing a galaxy survey for $f_{NL}$

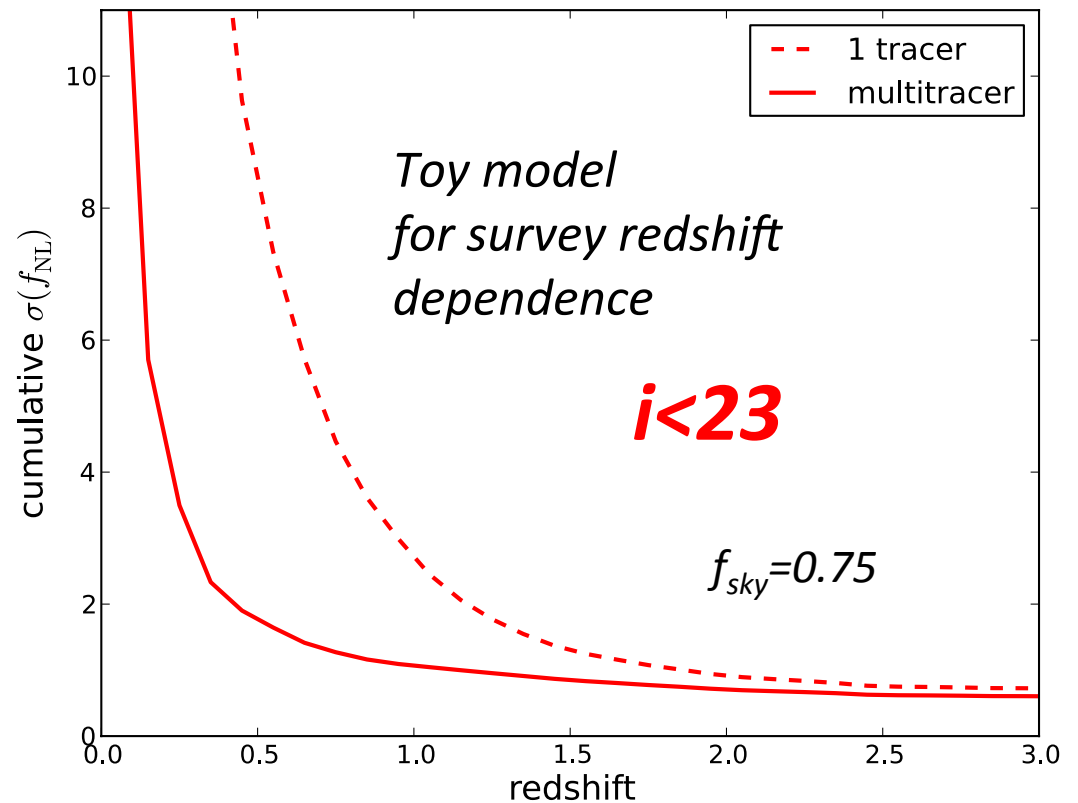
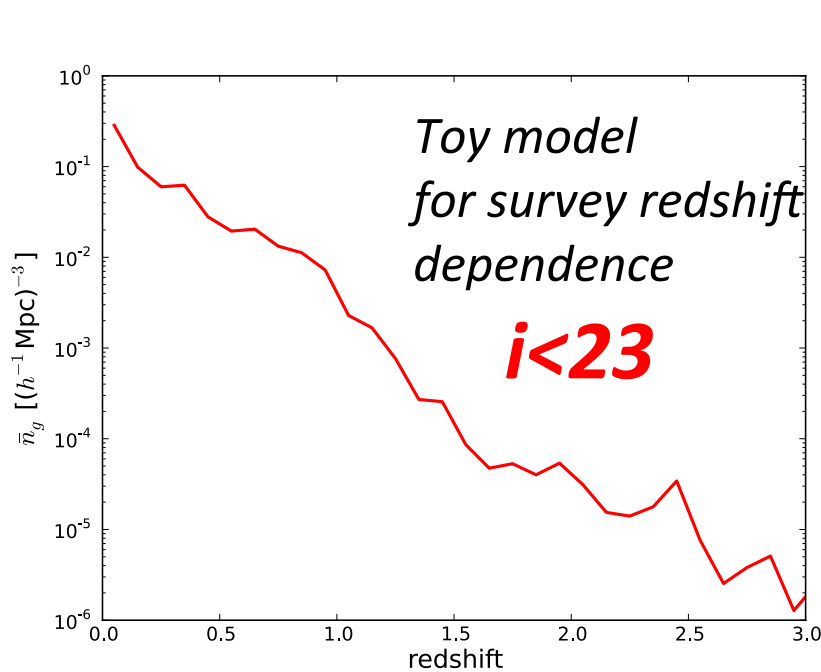
## 3. Redshift accuracy



*RdP & Doré in prep*

- High redshift accuracy **NOT** needed
- Even  $\sigma(z)=0.10 * (1+z)$  tolerable

# *A large-area, multi-band imaging survey would be an ideal $f_{NL}$ experiment*



## 2 regimes:

- Low redshift ( $z \sim < 1$ ), **multi-tracer**
- High redshift ( $z \sim > 1$ ), **single tracer**



# Summary/Conclusions

- *Robust joint constraints on neutrino mass and inflation can be obtained using complementary current data sets*
- *Combining Weak Lensing and Galaxy Clustering will improve **DE FOM** by factor **2-3** compared to either probe alone and will lead to **strong cosmic growth constraints***
- *Cross-correlations between WL and GC surveys add limited direct cosmological information, but are crucial for constraining systematics such as photo-z calibration*
- ***SPHEREx: measuring the near-IR spectrum of the full sky. A space-based galaxy survey to constrain primordial non-Gaussianity to  $\sigma(f_{NL}) \sim 1$***