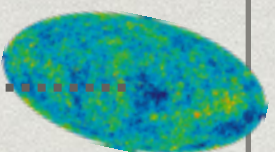
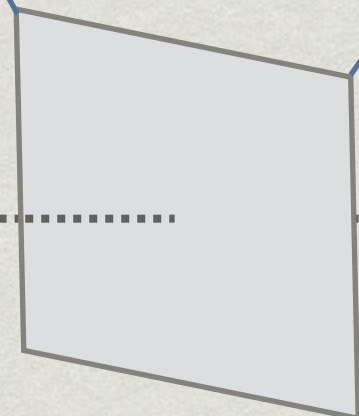
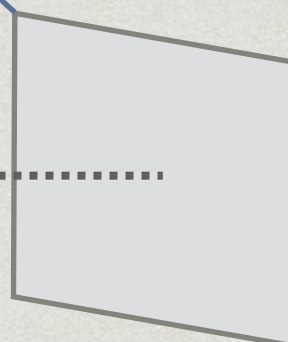
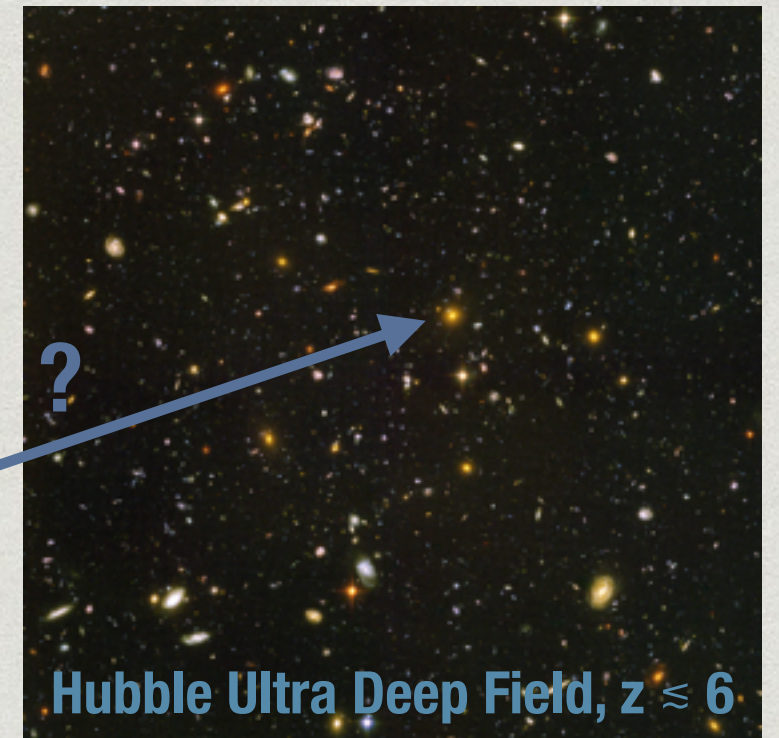


The diverse progenitors and descendants of (compact elliptical) galaxies in cosmological simulations

Sarah Wellons
Harvard/CfA

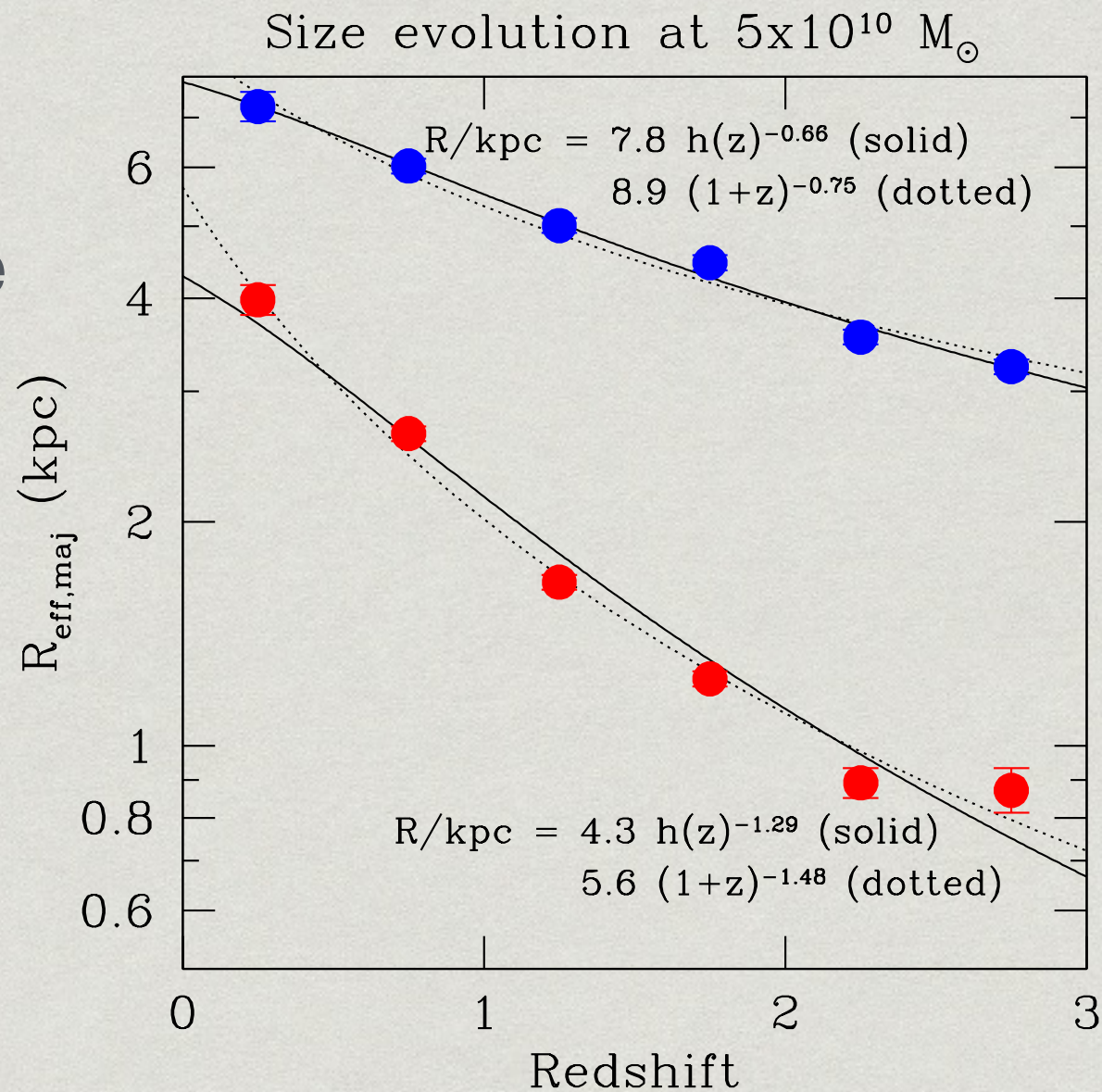


Instead, we have snapshots of galaxy populations at different moments in time, and we have to try to draw connecting/causative lines

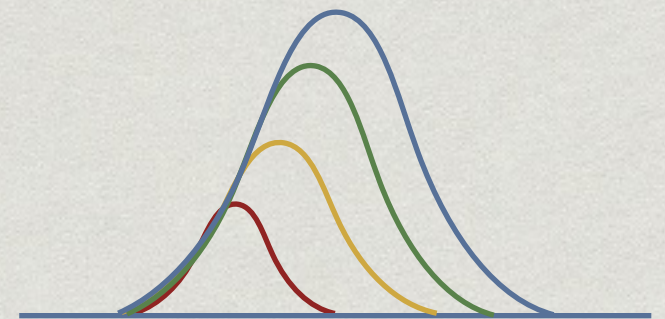


Example: strong evolution in galaxy size with time

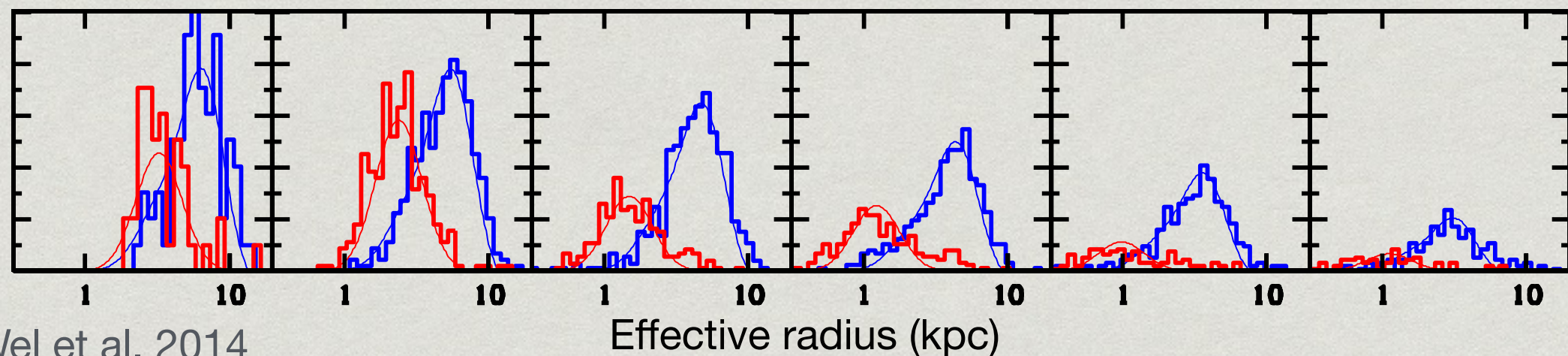
Individual size growth?



Progenitor bias?



$z = 0$



$z = 3$

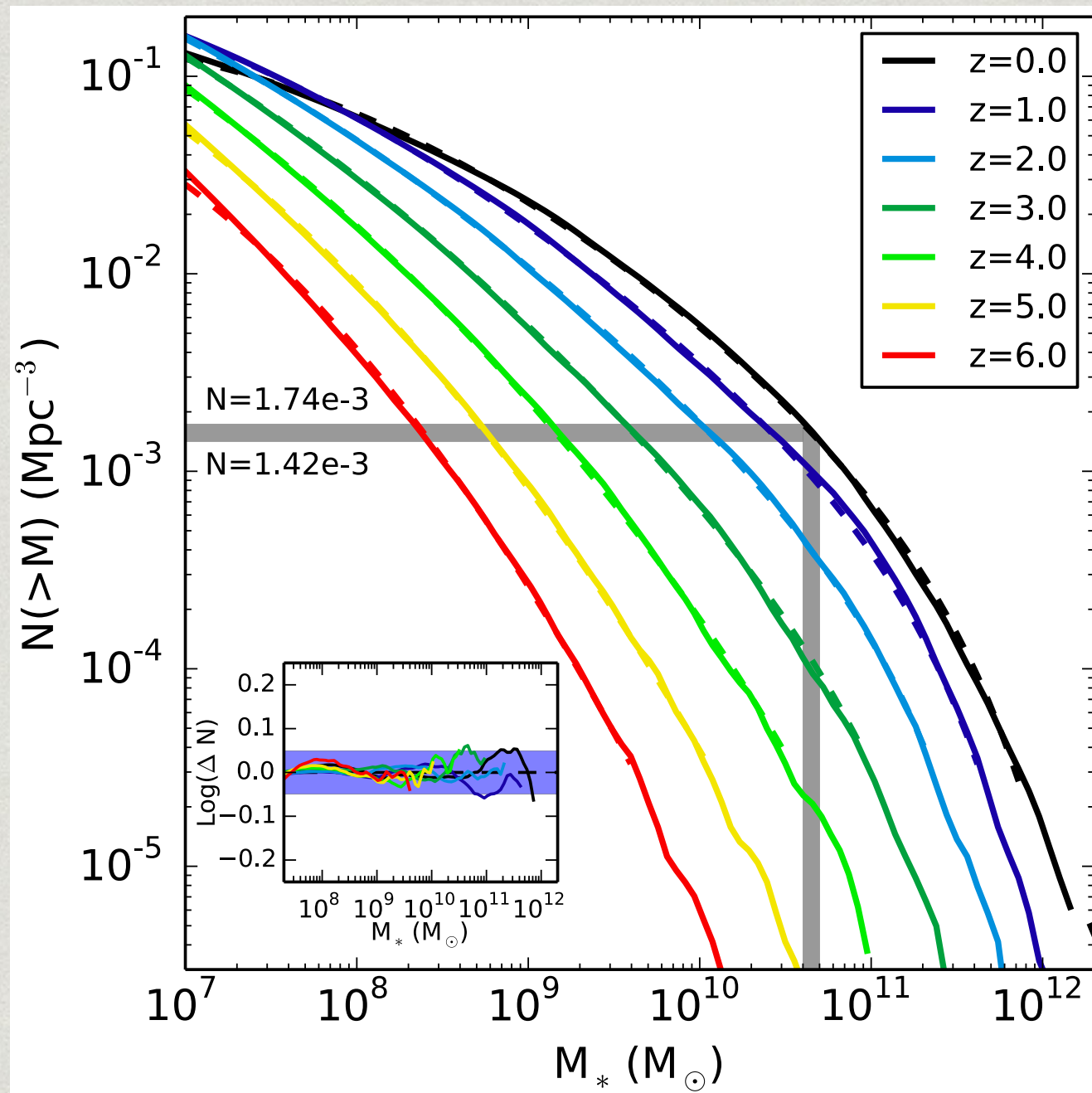
One common observational approach is the assumption of a constant cumulative comoving number density

Assuming that

- i) Galaxies preserve their relative rank order in time, and
- ii) Mergers are negligible, the cumulative comoving number density of any given galaxy will remain constant



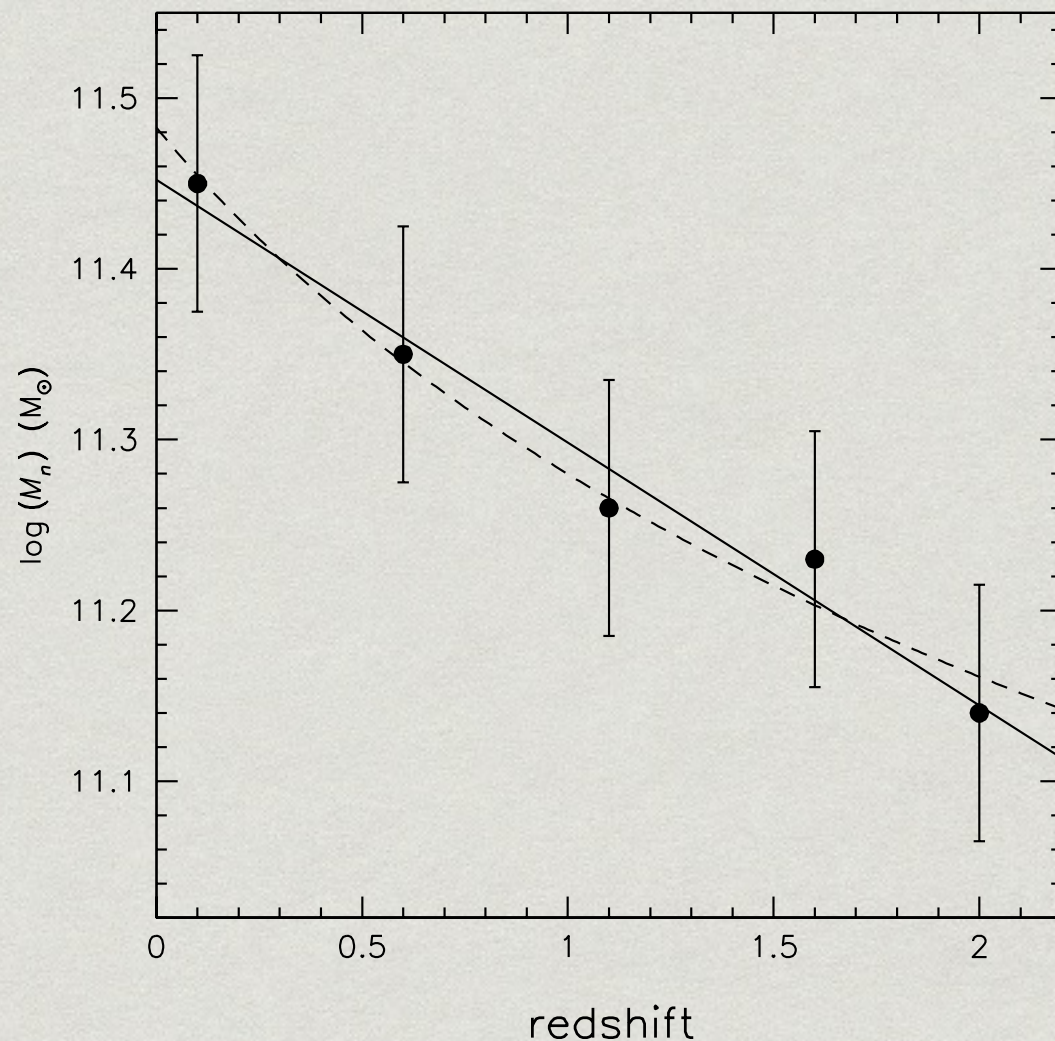
Predicted mass evolution given a set of mass functions



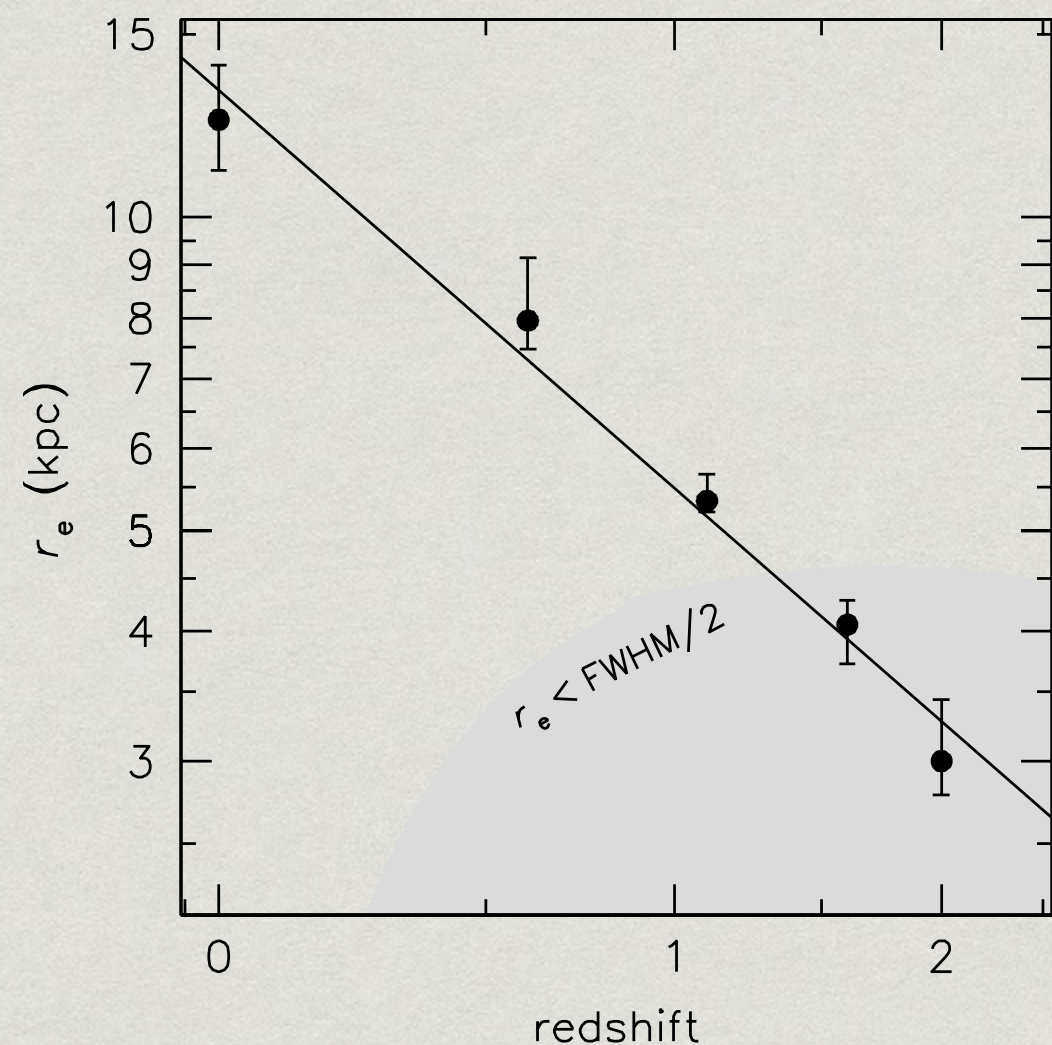
Illustris cumulative stellar mass function
(Torrey et al. 2015)

From the mass evolution prediction, the evolution of other quantities can be inferred

Progenitor masses predicted for a 2.5×10^{11} solar mass galaxy at $z=0$



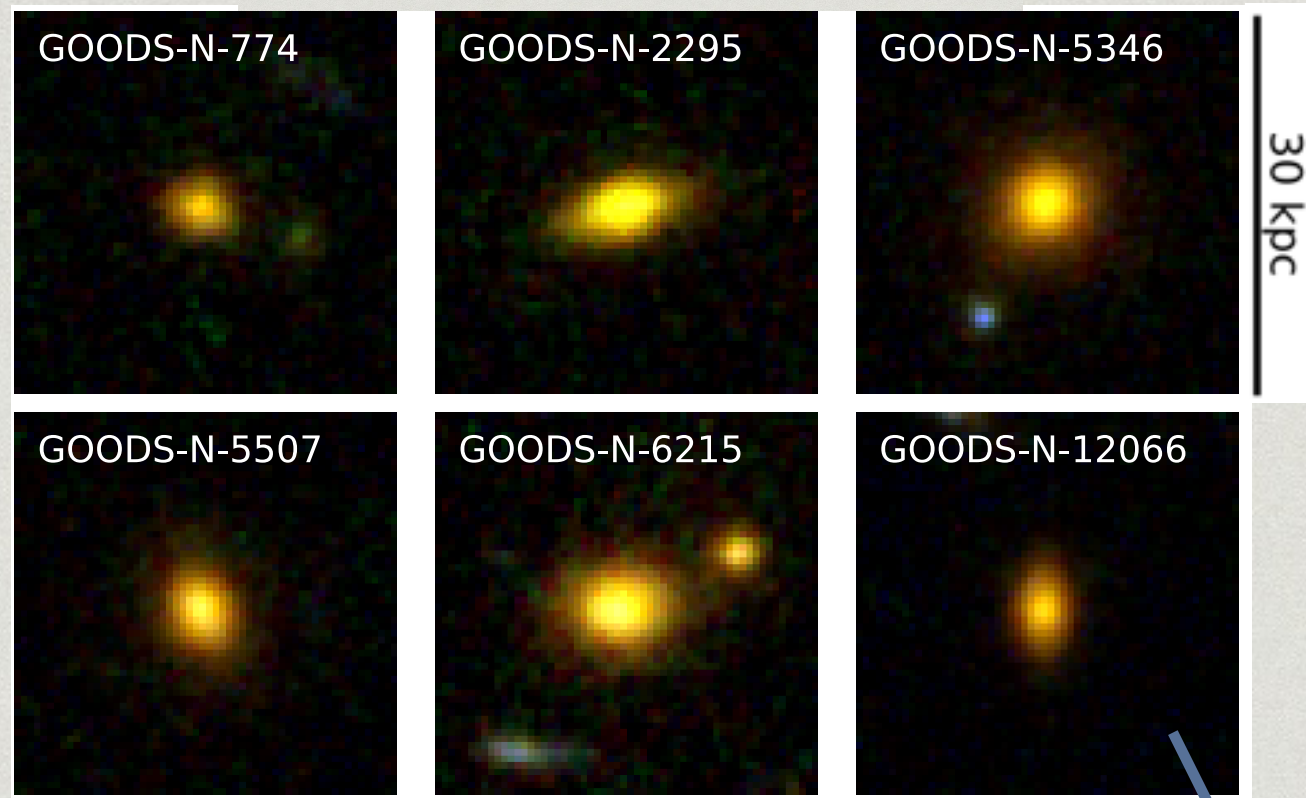
Size evolution inferred from those masses and redshifts



Simulations **do** allow us to follow individual systems through time, so we can see how galaxy populations behave and test these observational approaches

A case study: compact elliptical galaxies

Data: Skelton et al. 2014

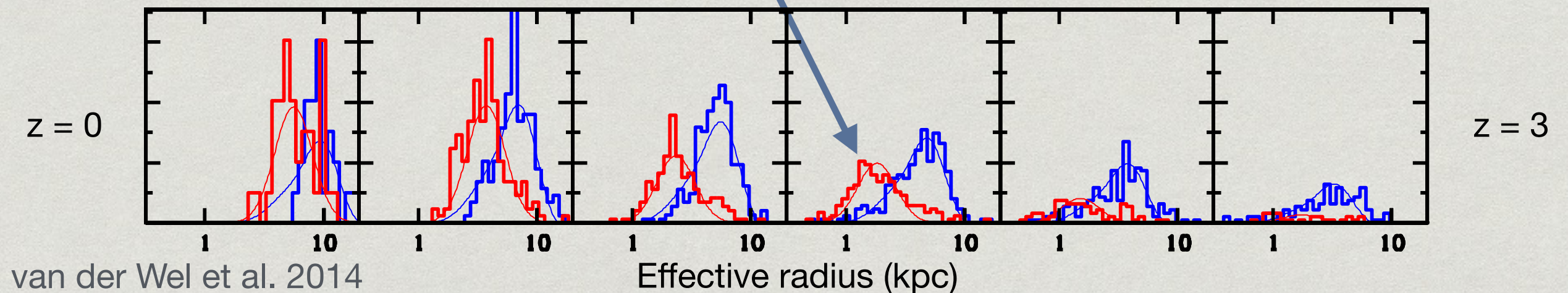


High-redshift: $z \sim 2$

Massive: $M_* \sim 10^{11} M_\odot$

Small: $R_e \sim 1$ kpc

Quiescent

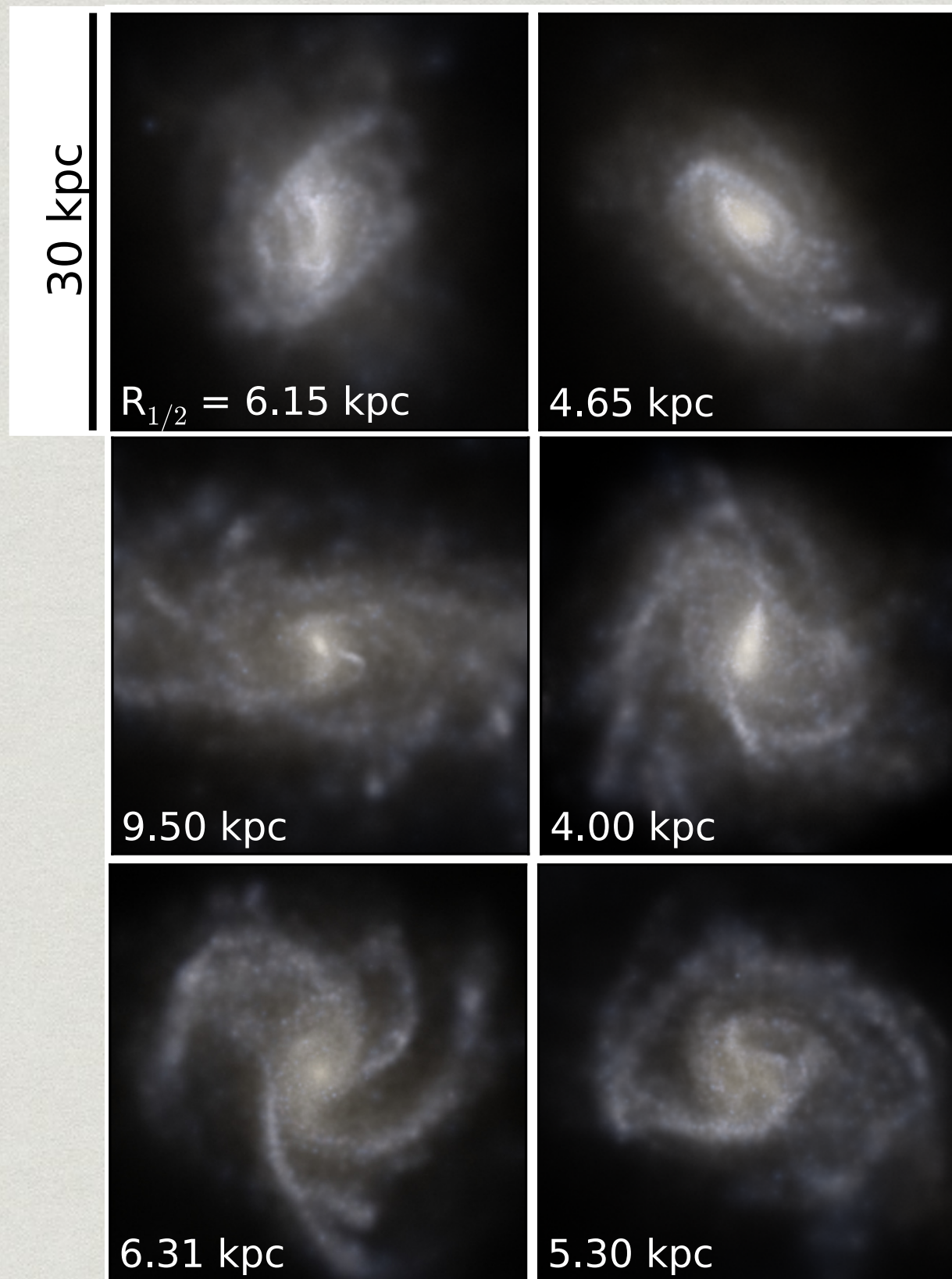


How/why do they form at these masses and sizes?

What has happened to them since?

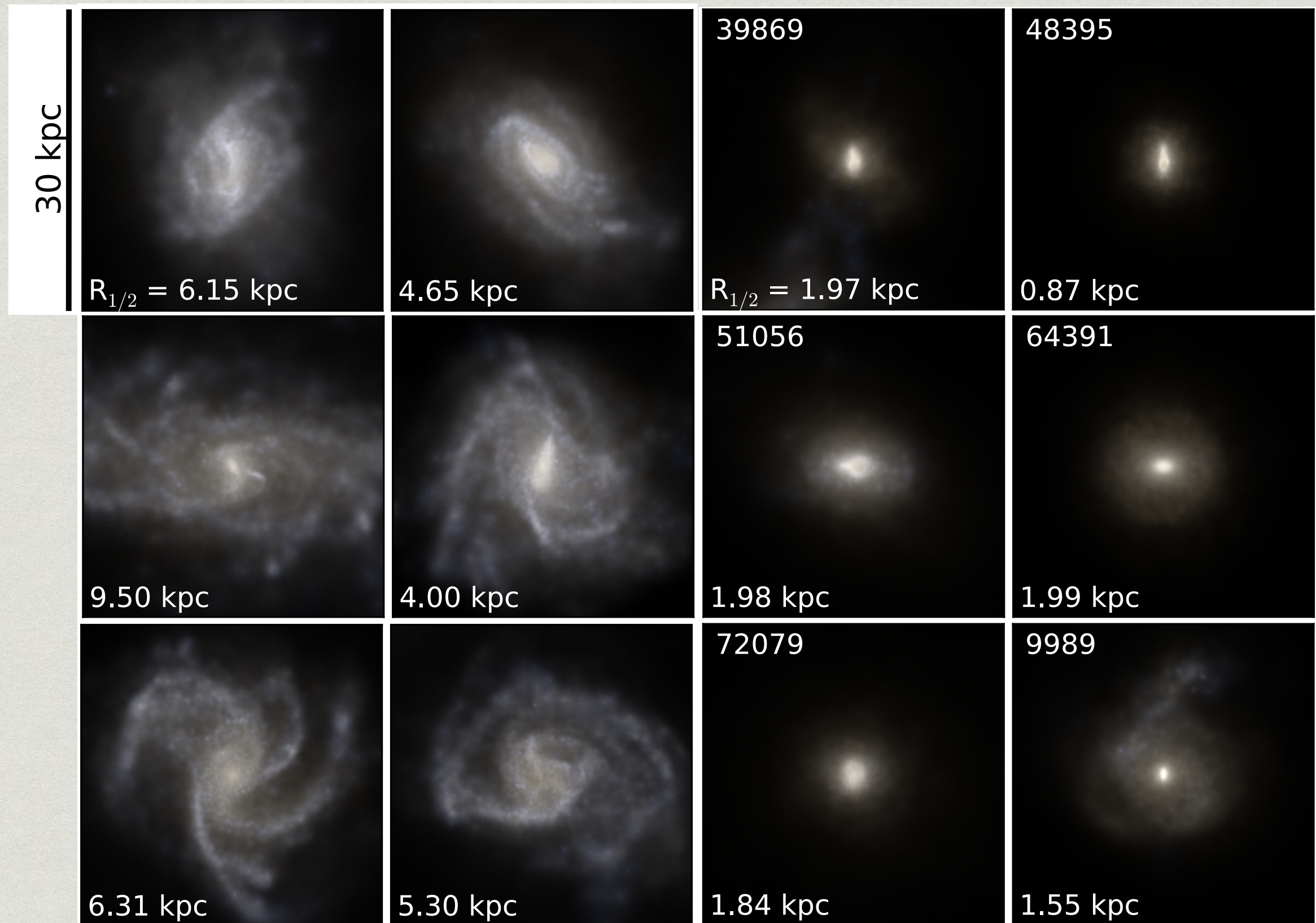
Massive Galaxies at $z=2$ in Illustris

($1-3 \times 10^{11} M_{\odot}$)



Massive Galaxies at $z=2$ in Illustris

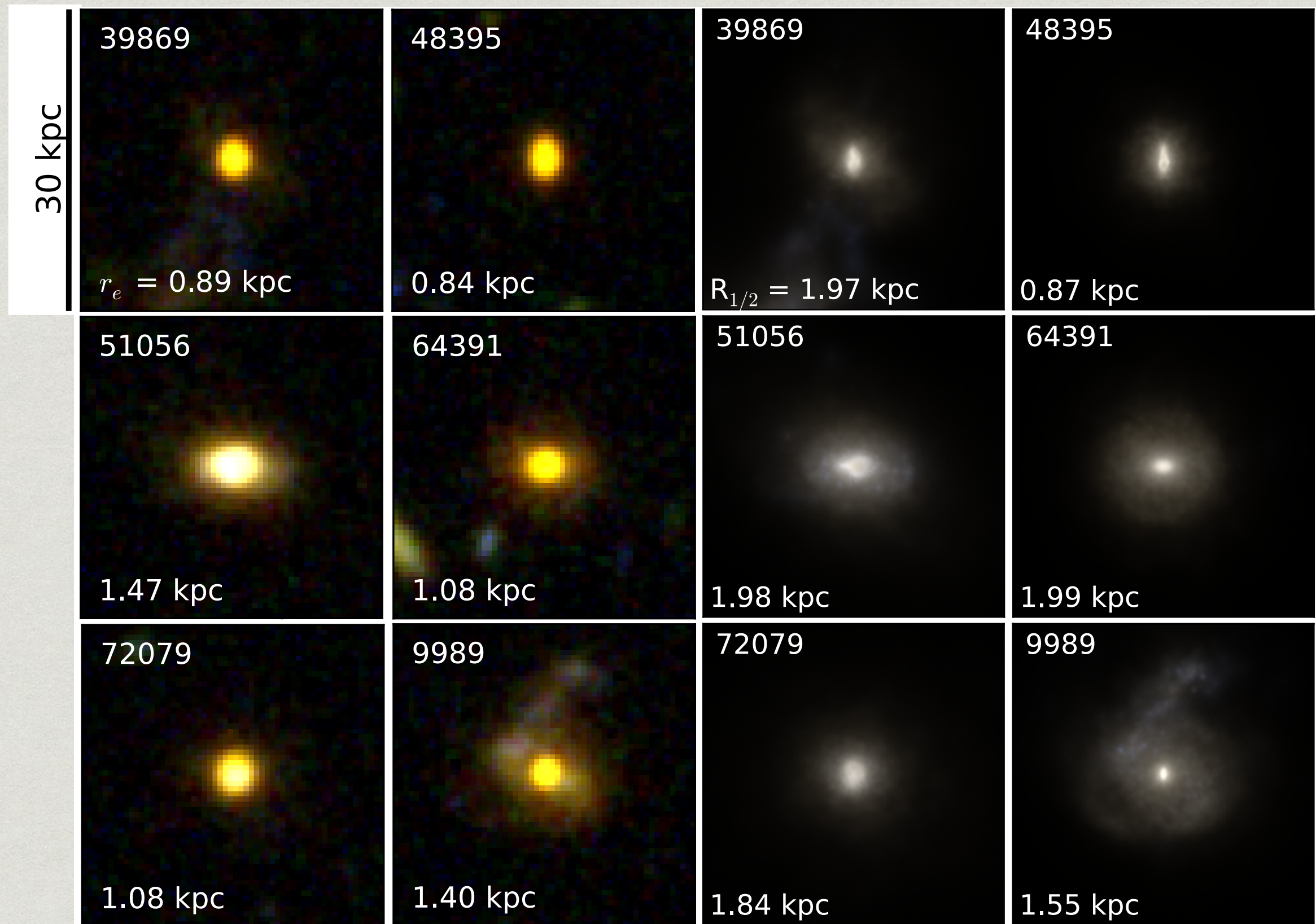
($1-3 \times 10^{11} M_{\odot}$)



Massive Galaxies at $z=2$ in Illustris

Mock HST

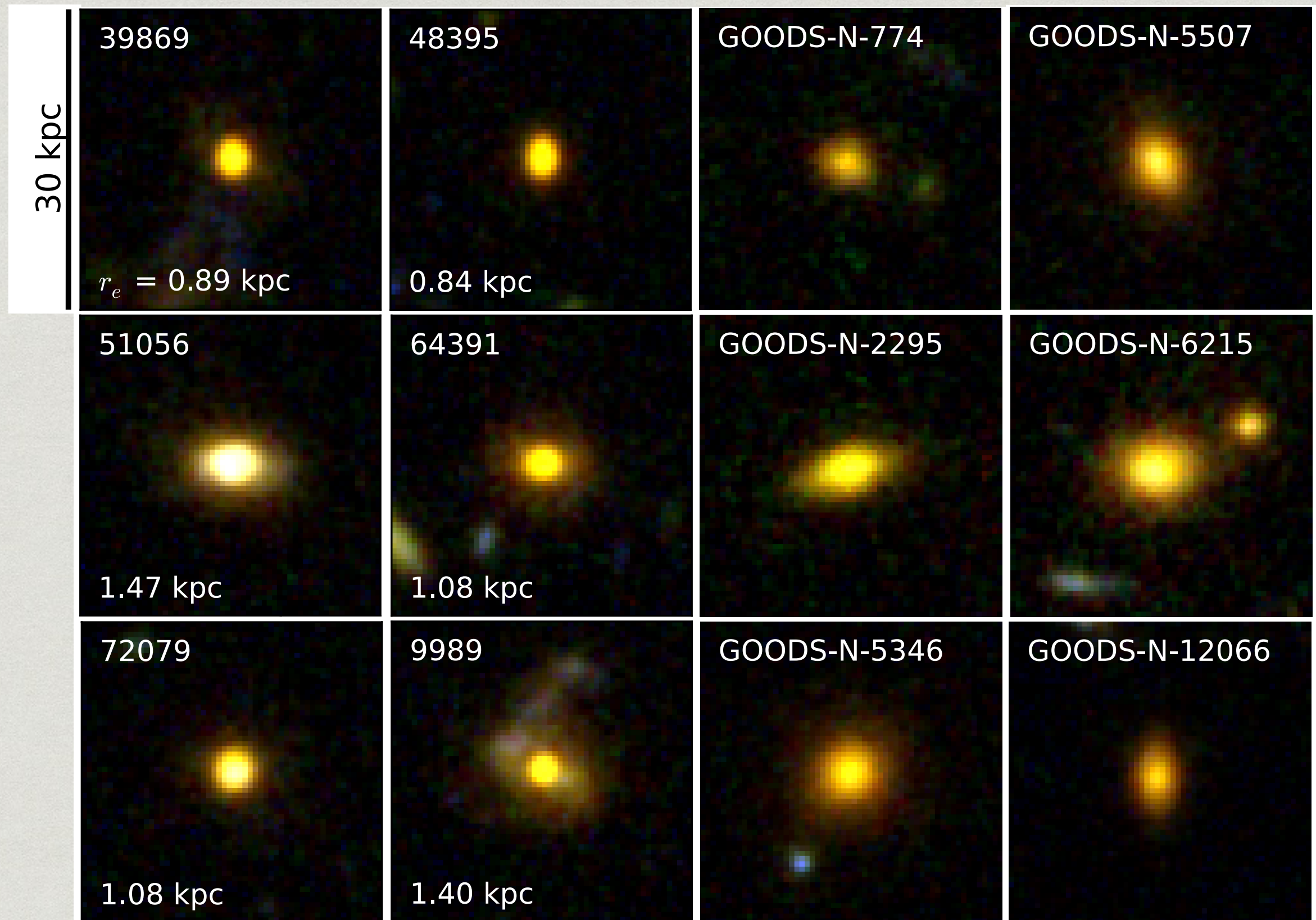
Idealized



Massive Galaxies at $z=2$

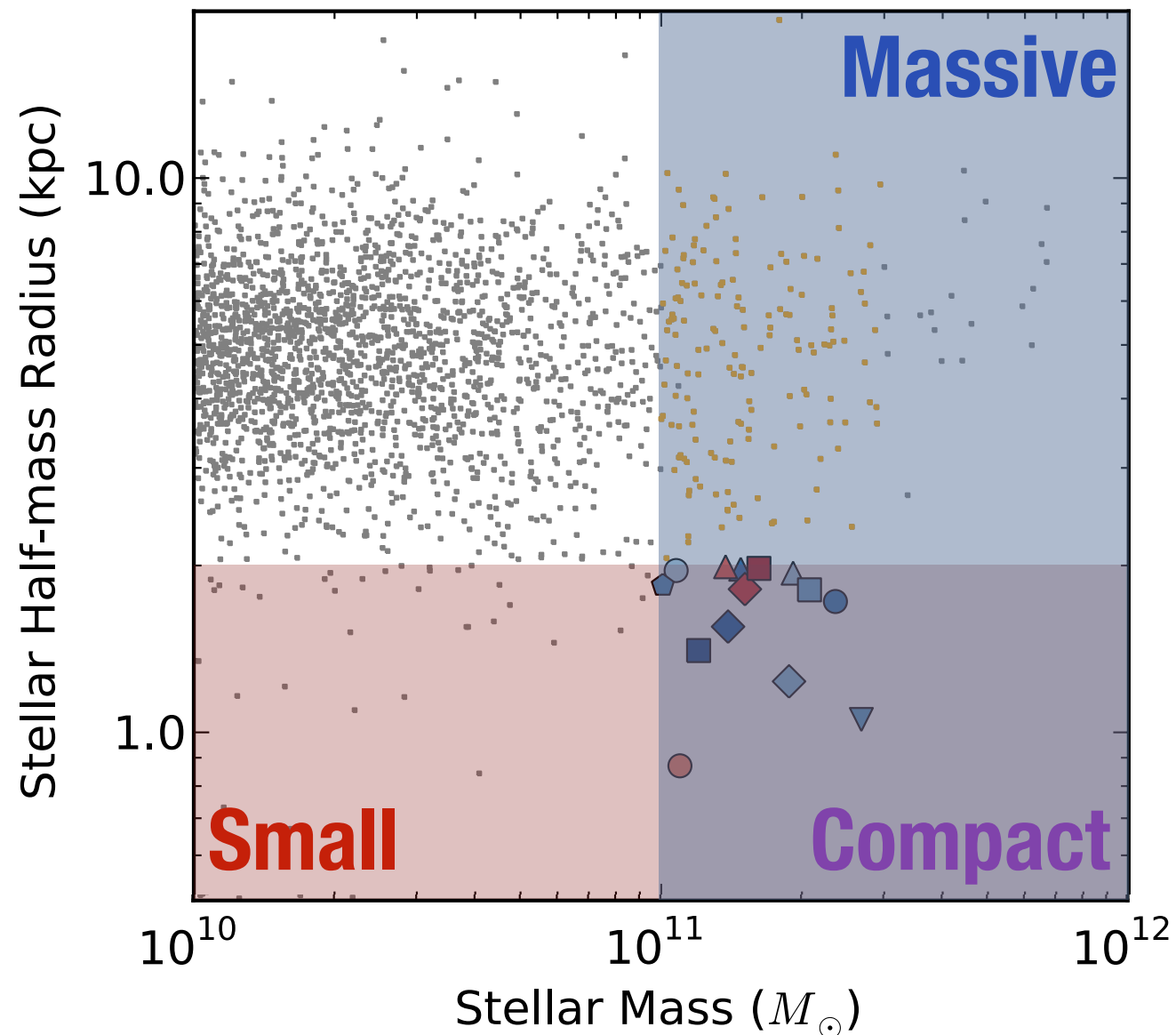
Mock HST

Real HST



“Compact” selection criteria

$$z = 2$$



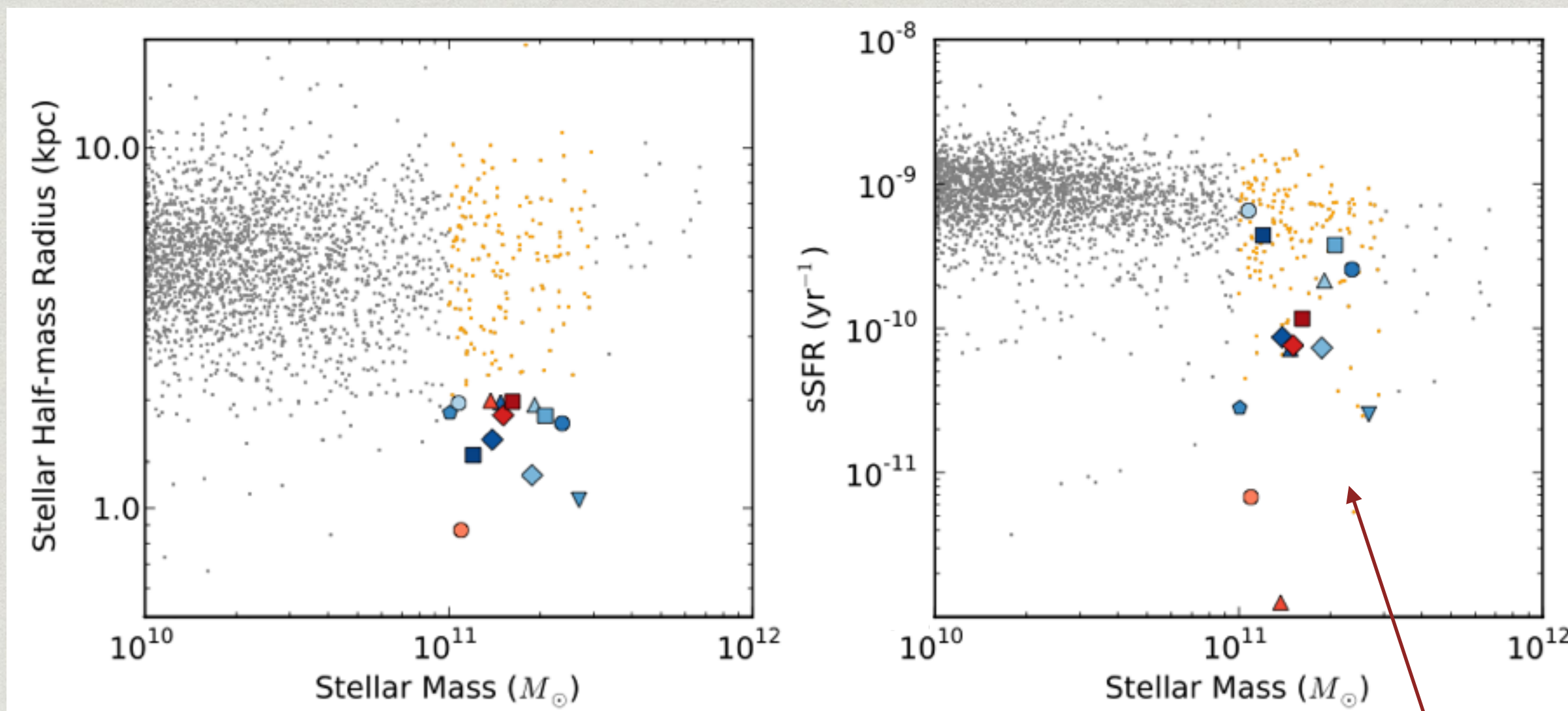
Select for galaxies with:

- * stellar mass $> 10^{11} M_{\odot}$
- * half-mass radius < 2 kpc



14 massive,
compact galaxies

Side effect of selection: low sSFR

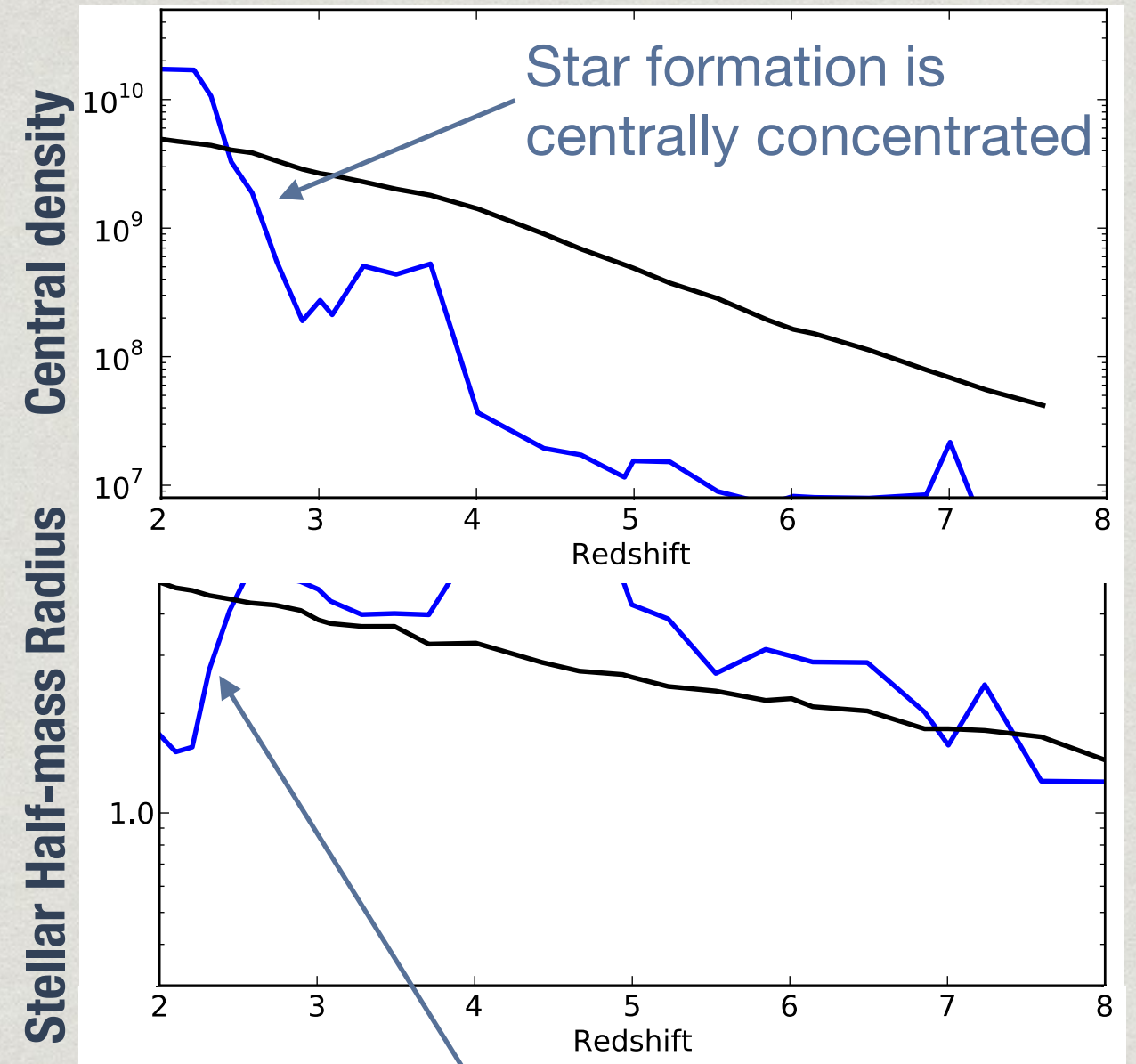
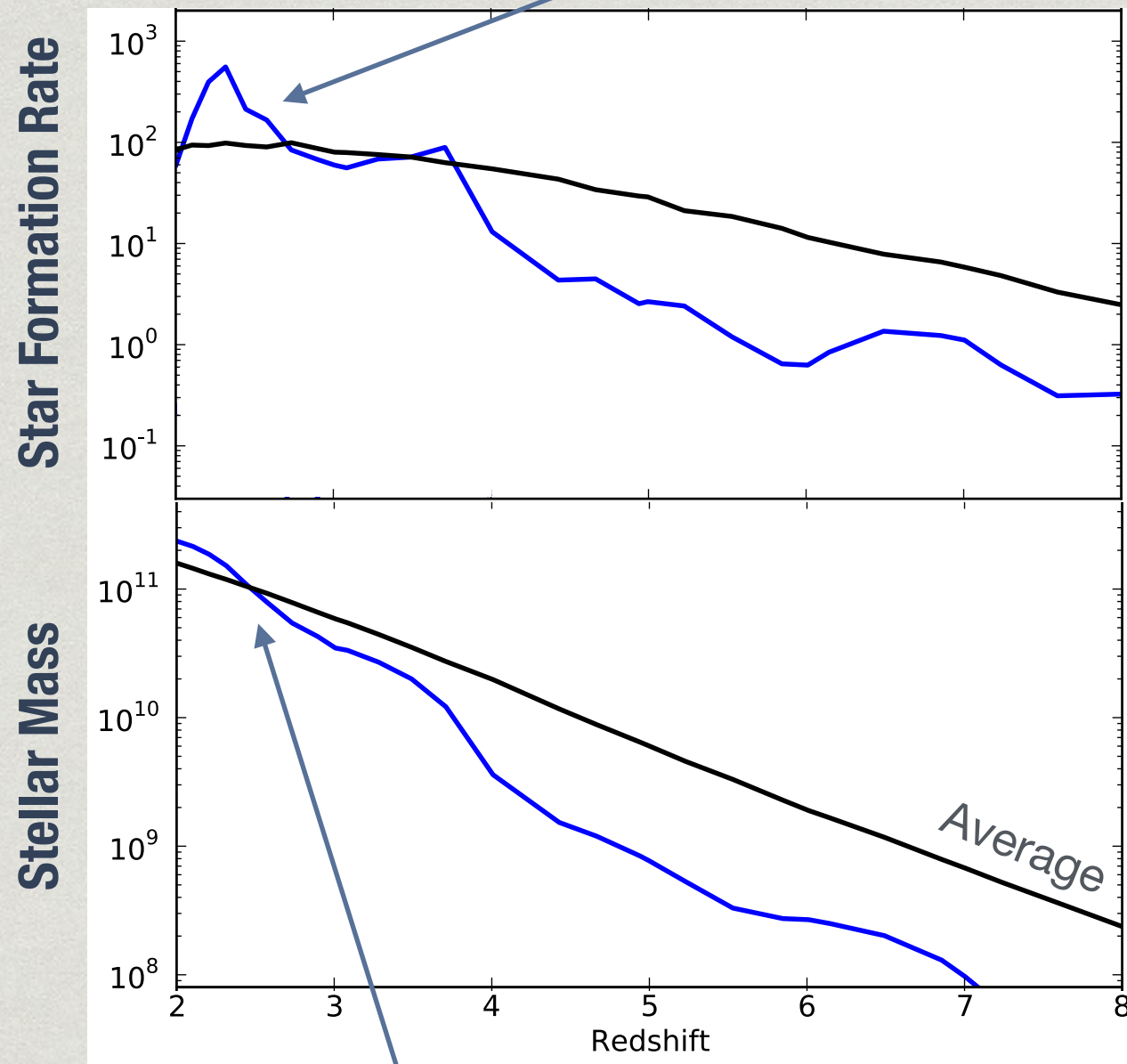


**Star formation
often quenched**

Formation channels

Example #1:

Major merger is accompanied by burst of star formation



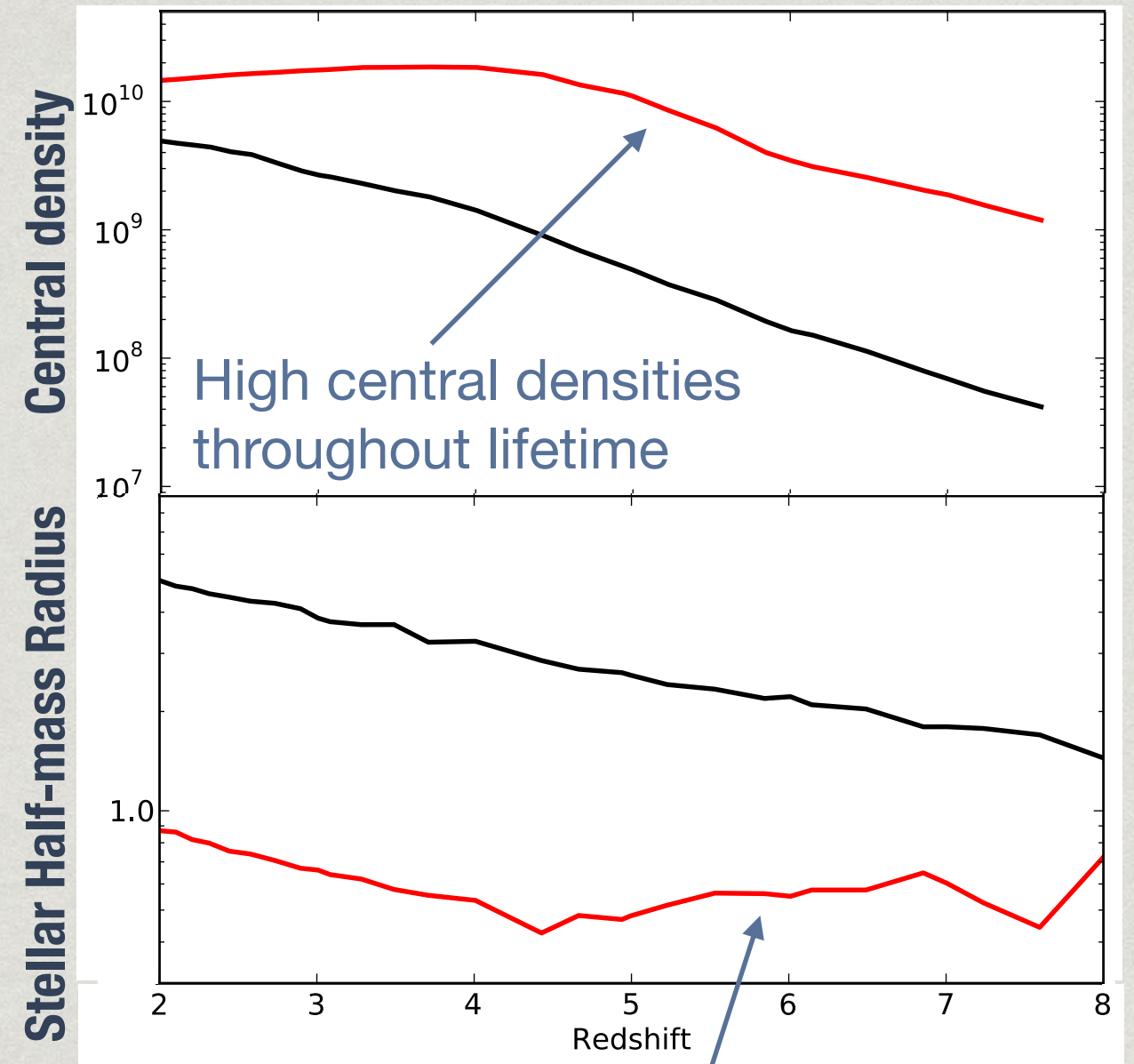
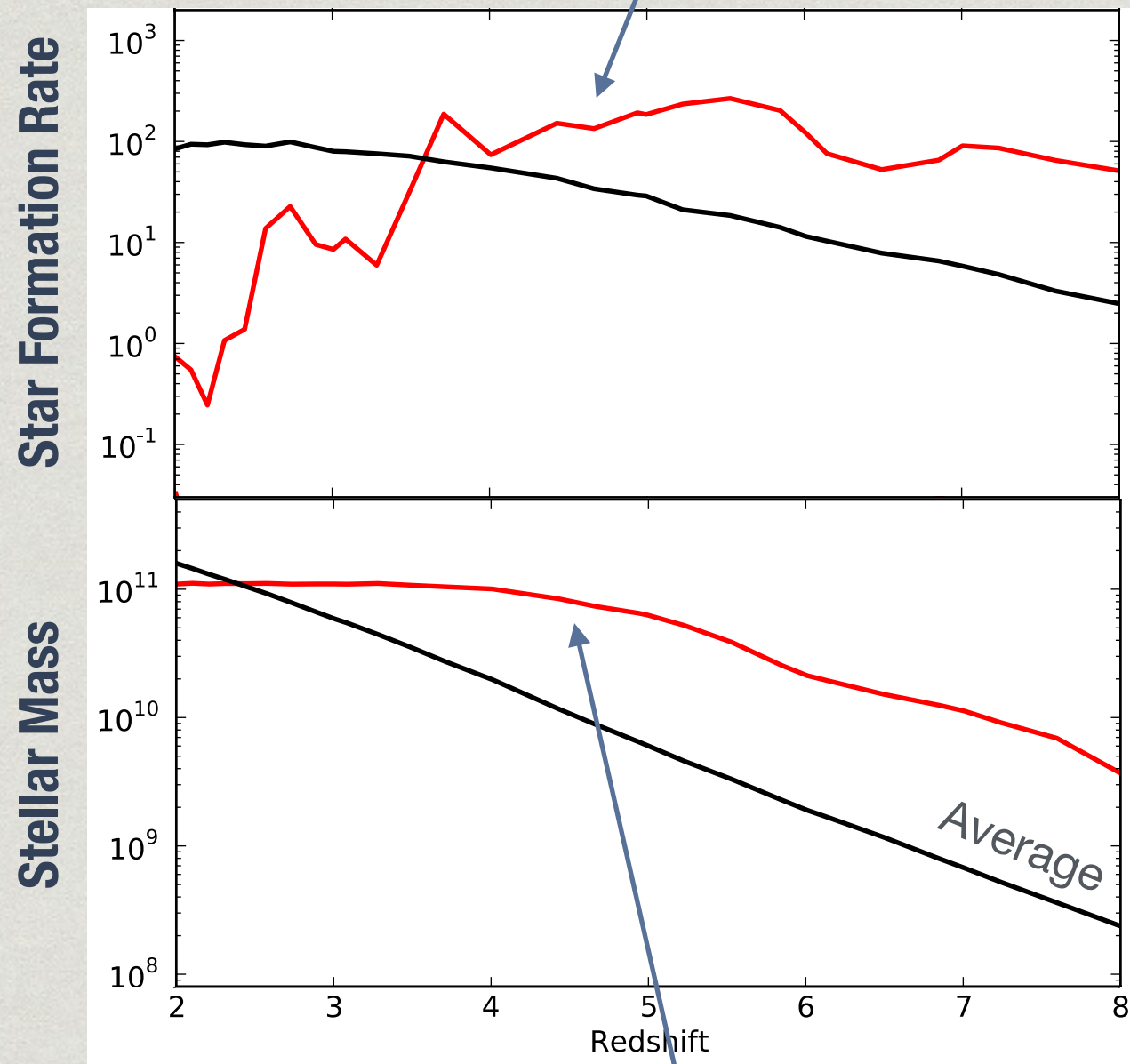
Major gas-rich merger drives intense central starburst

Increase in central density drives down half-mass radius

Formation channels

Example #2:

SFR an order of magnitude higher at early times, then quenches at $z=4$

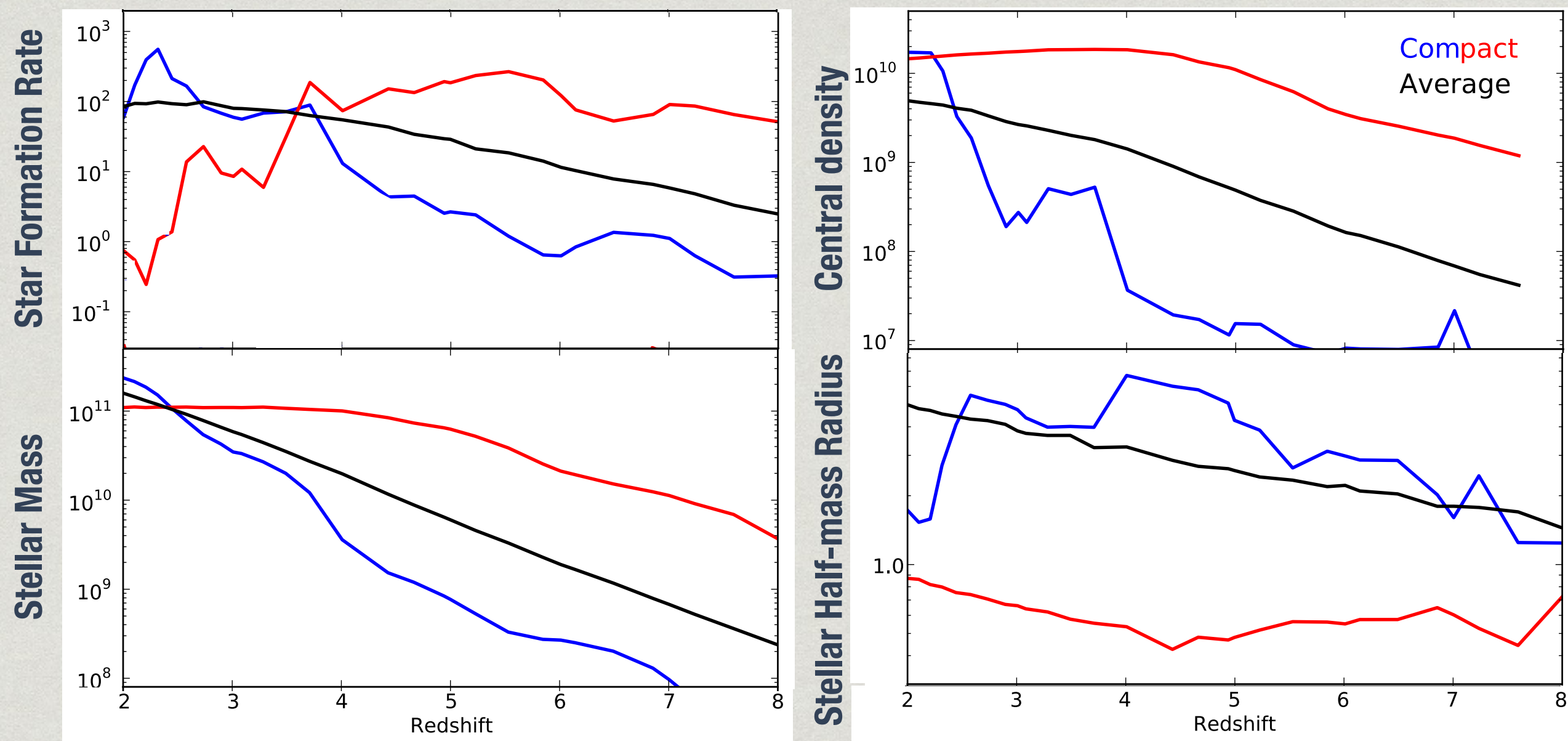


Stellar mass is assembled early and gradually

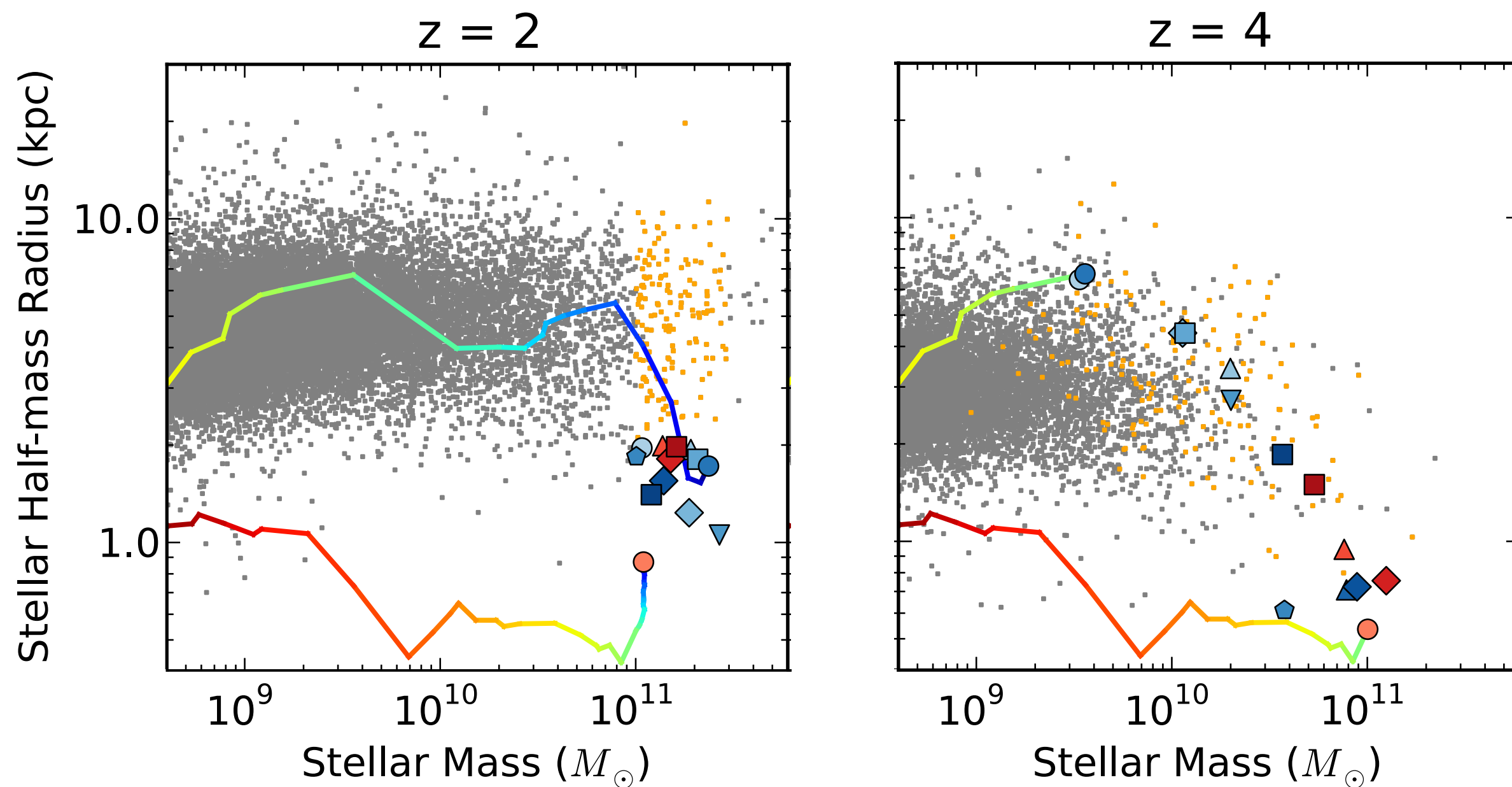
Early formation → **small size**

Forms with, and maintains, small size

Two distinct formation mechanisms: Central starbursts & Early assembly

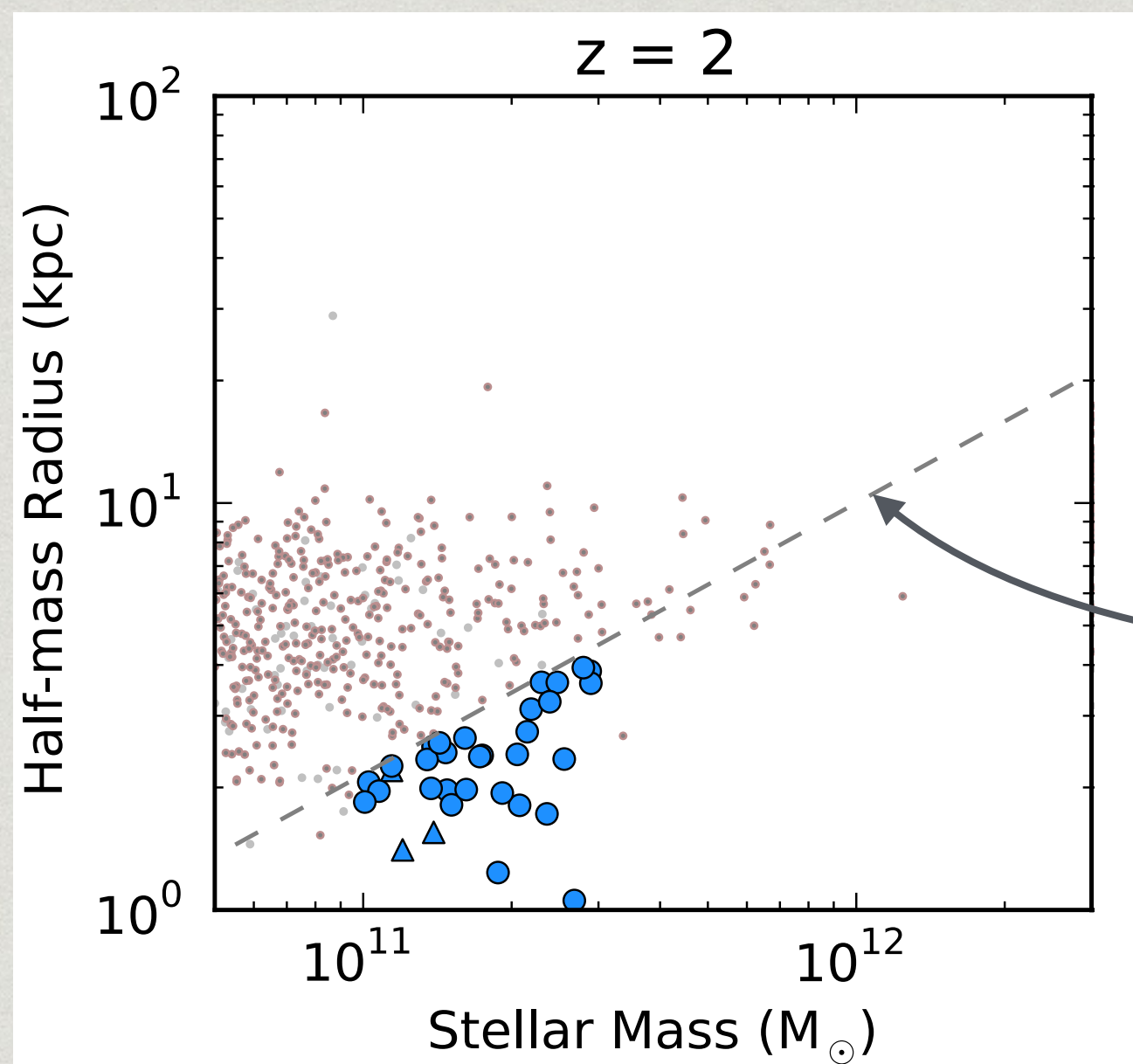


High- z Progenitors



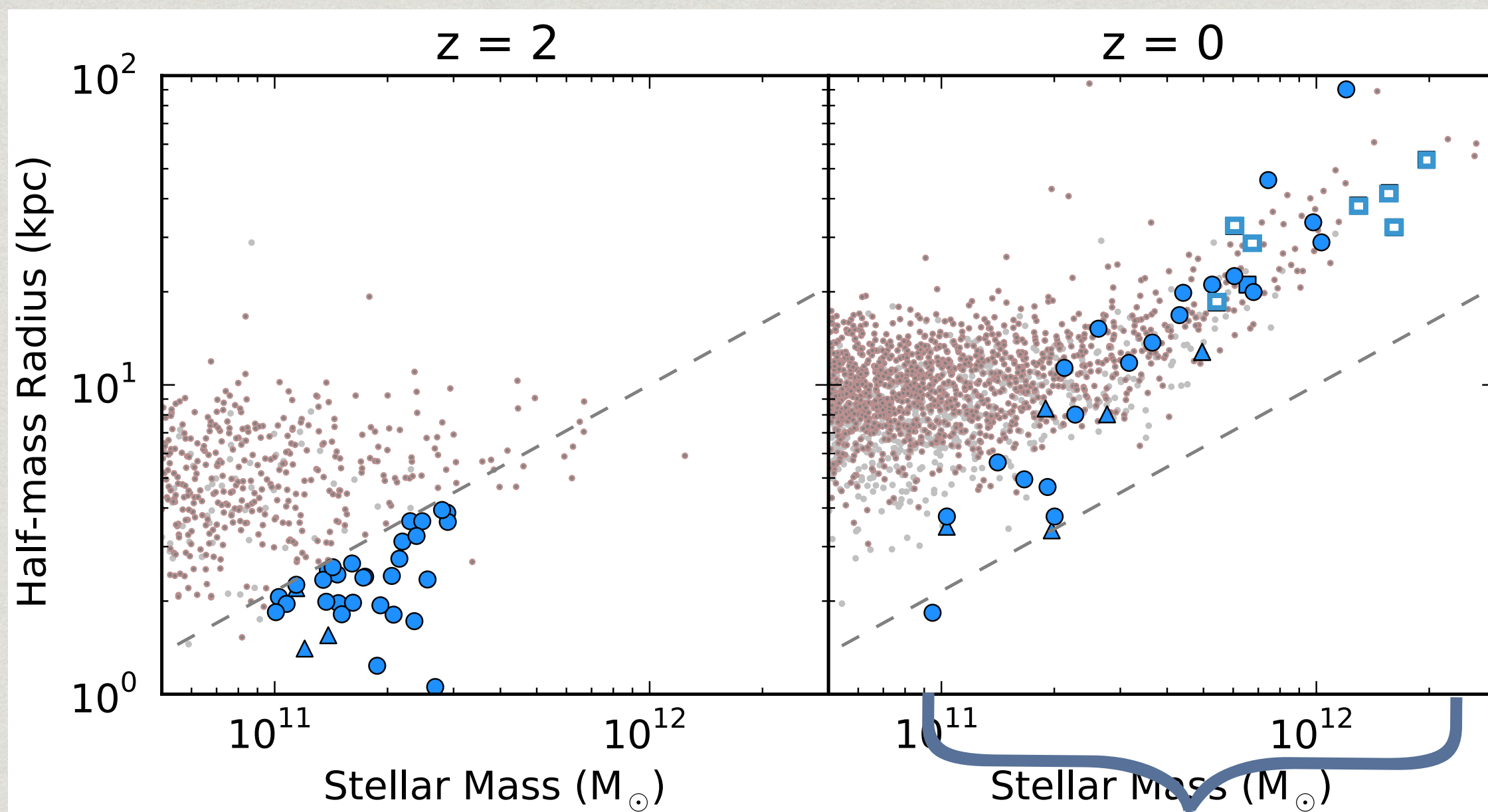
4 early formers, 10 central starbursts

Next: what do they become?



Select for constant
 $\Sigma_{1.5} \sim M/R^{1.5}$

$z = 0$ Descendants

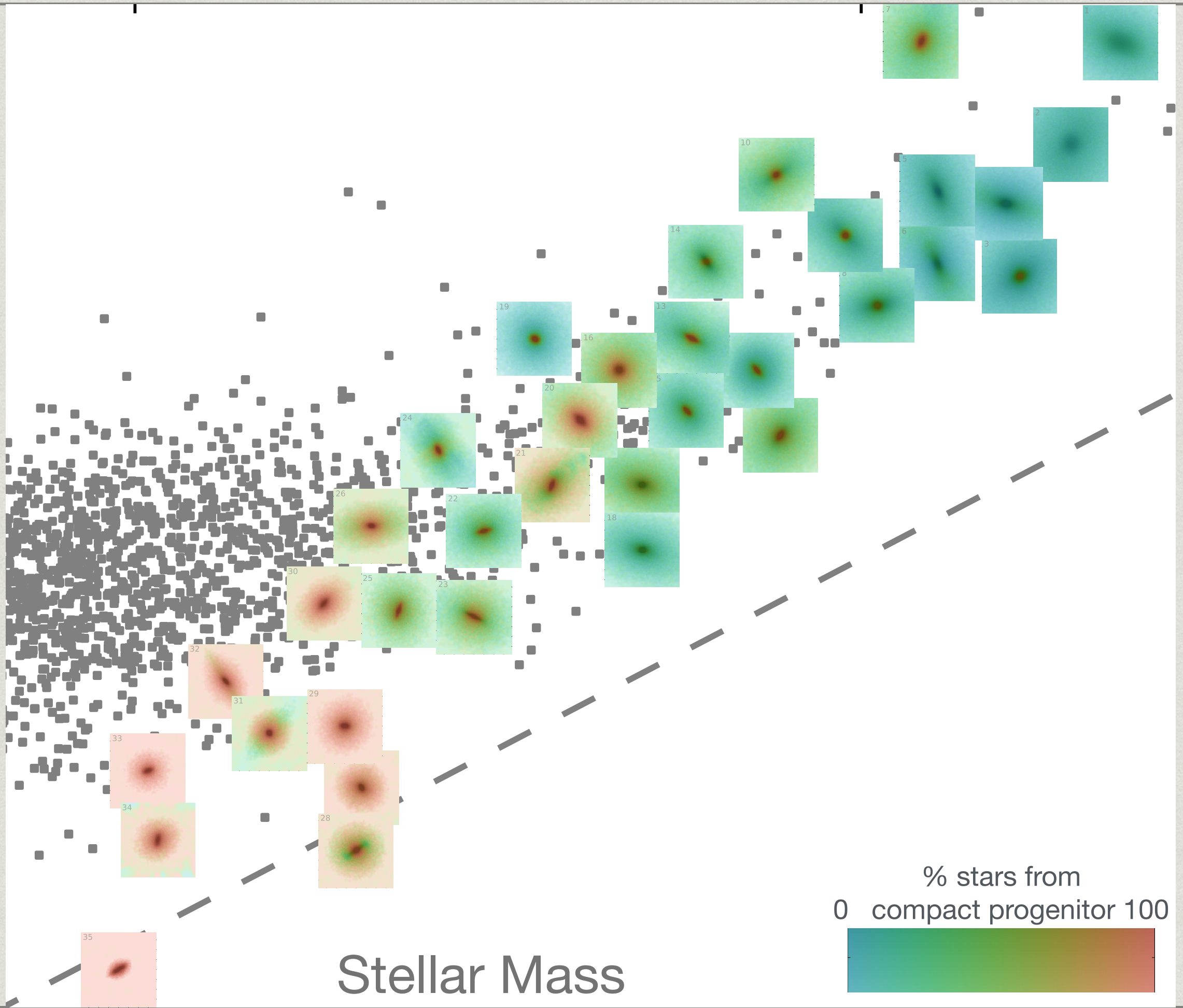


Wide dispersion in stellar mass

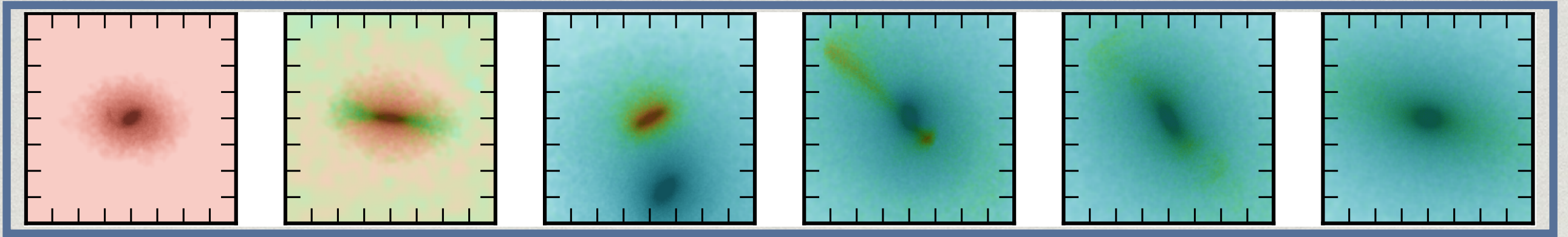
Half-mass Radius

Stellar Mass

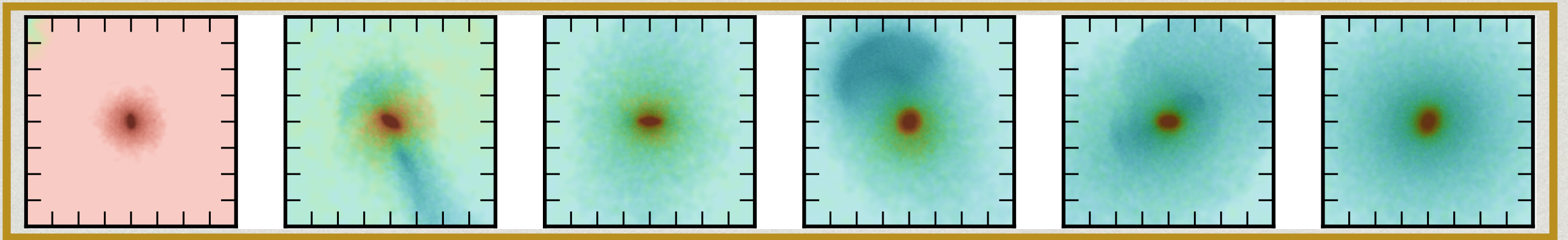
% stars from
0 compact progenitor 100



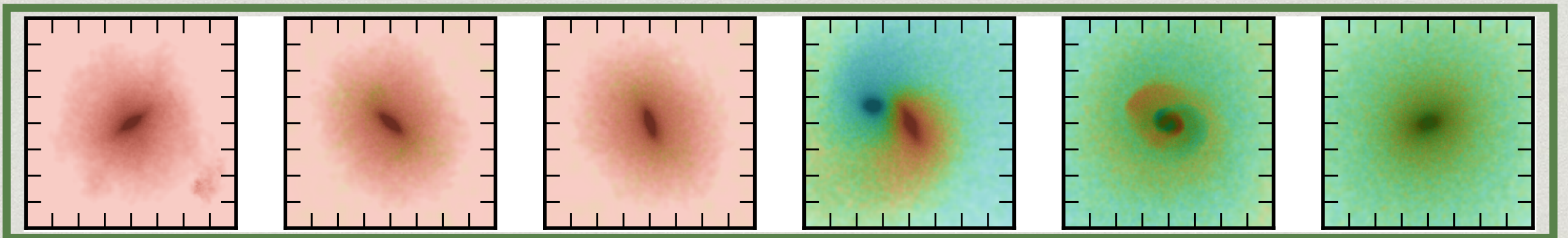
Consumed



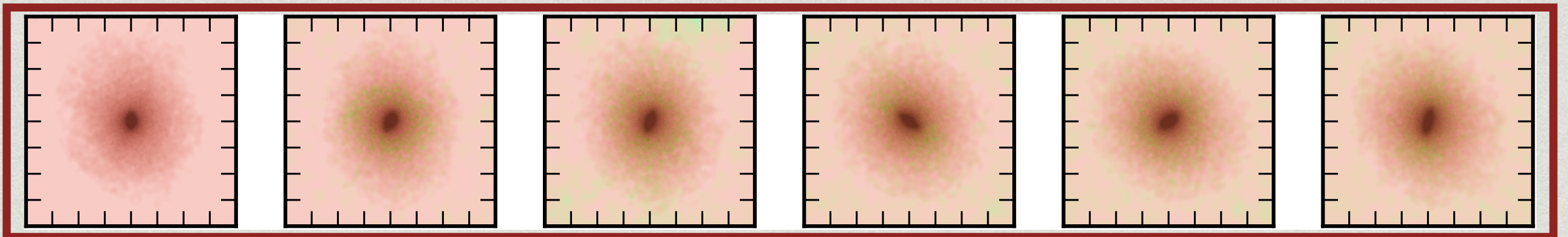
Core



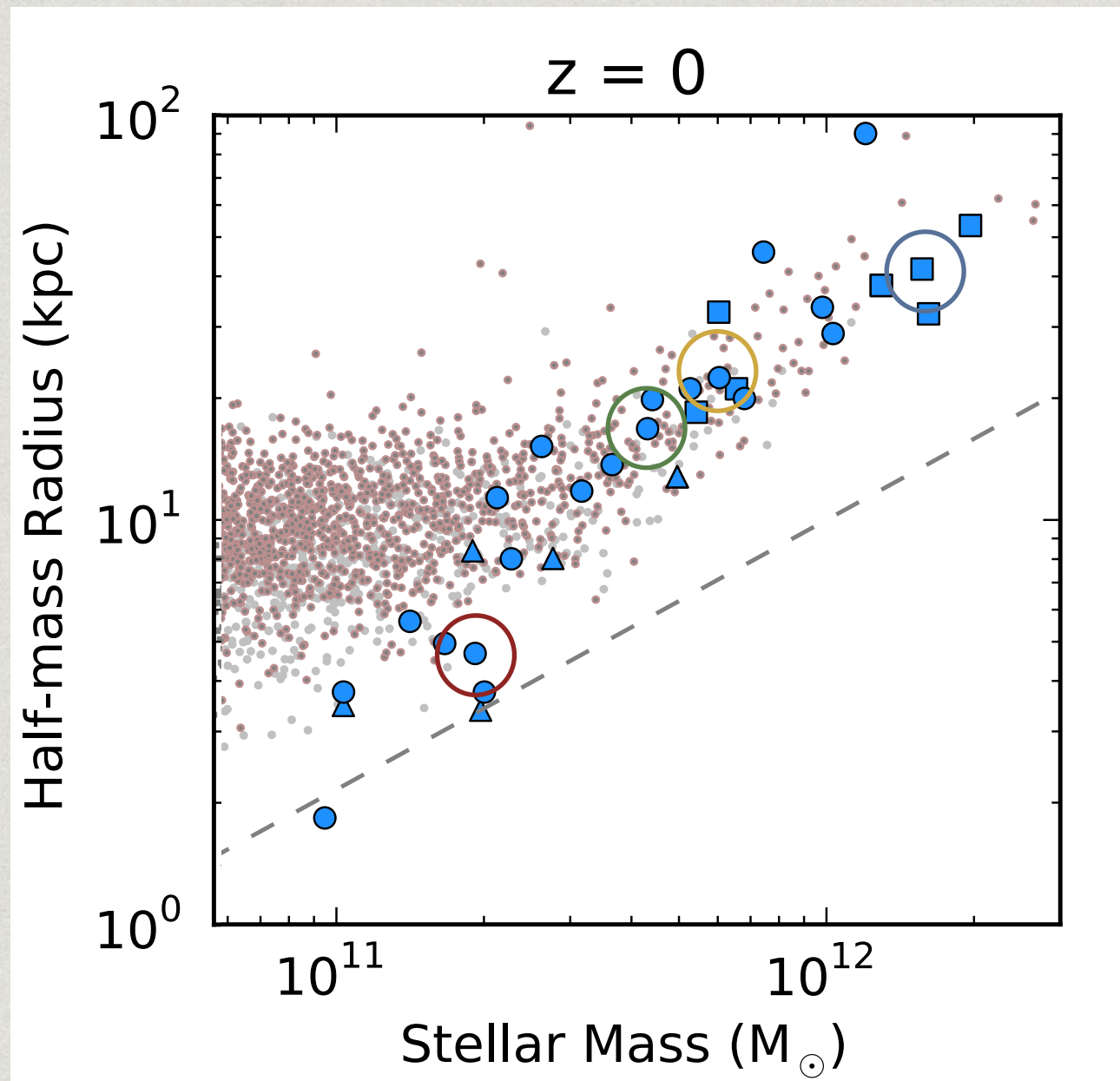
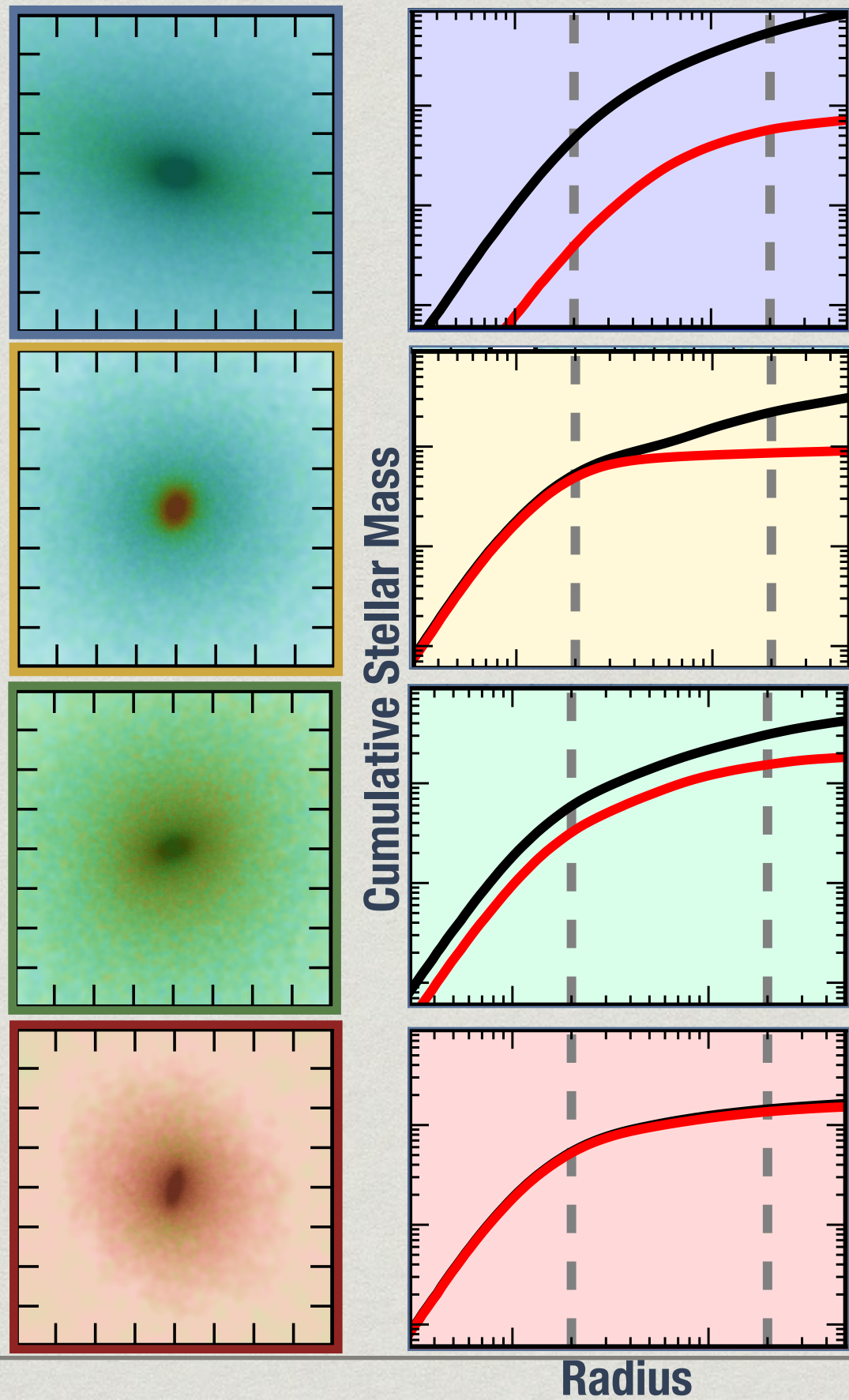
Mixed



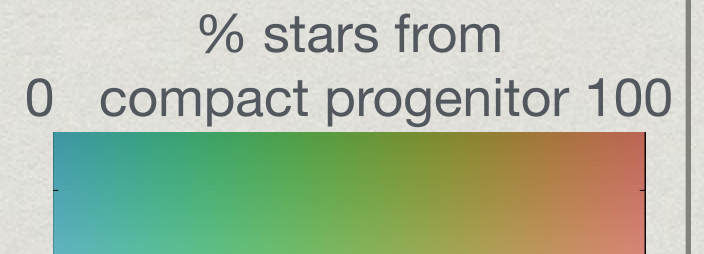
Undisturbed



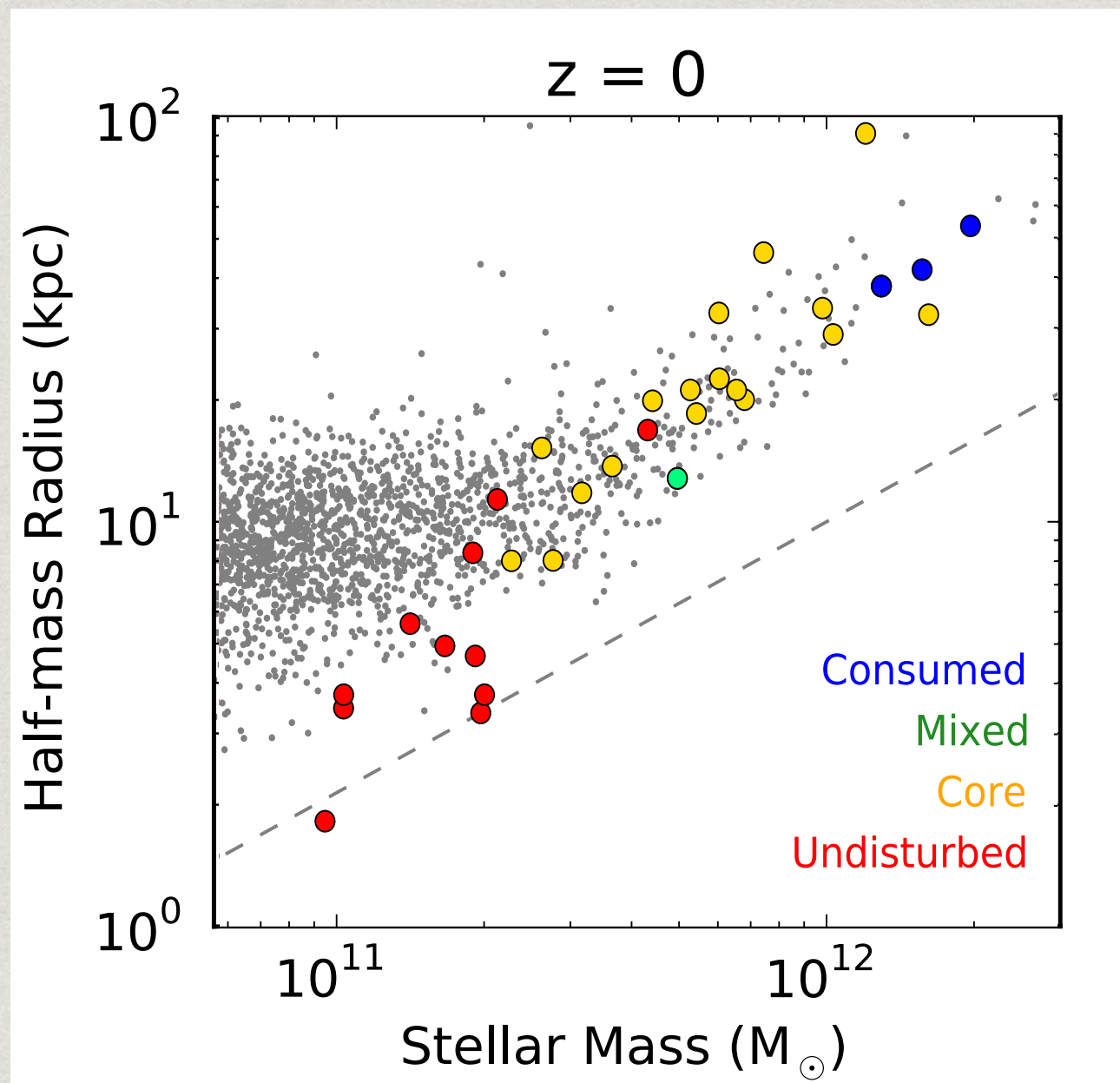
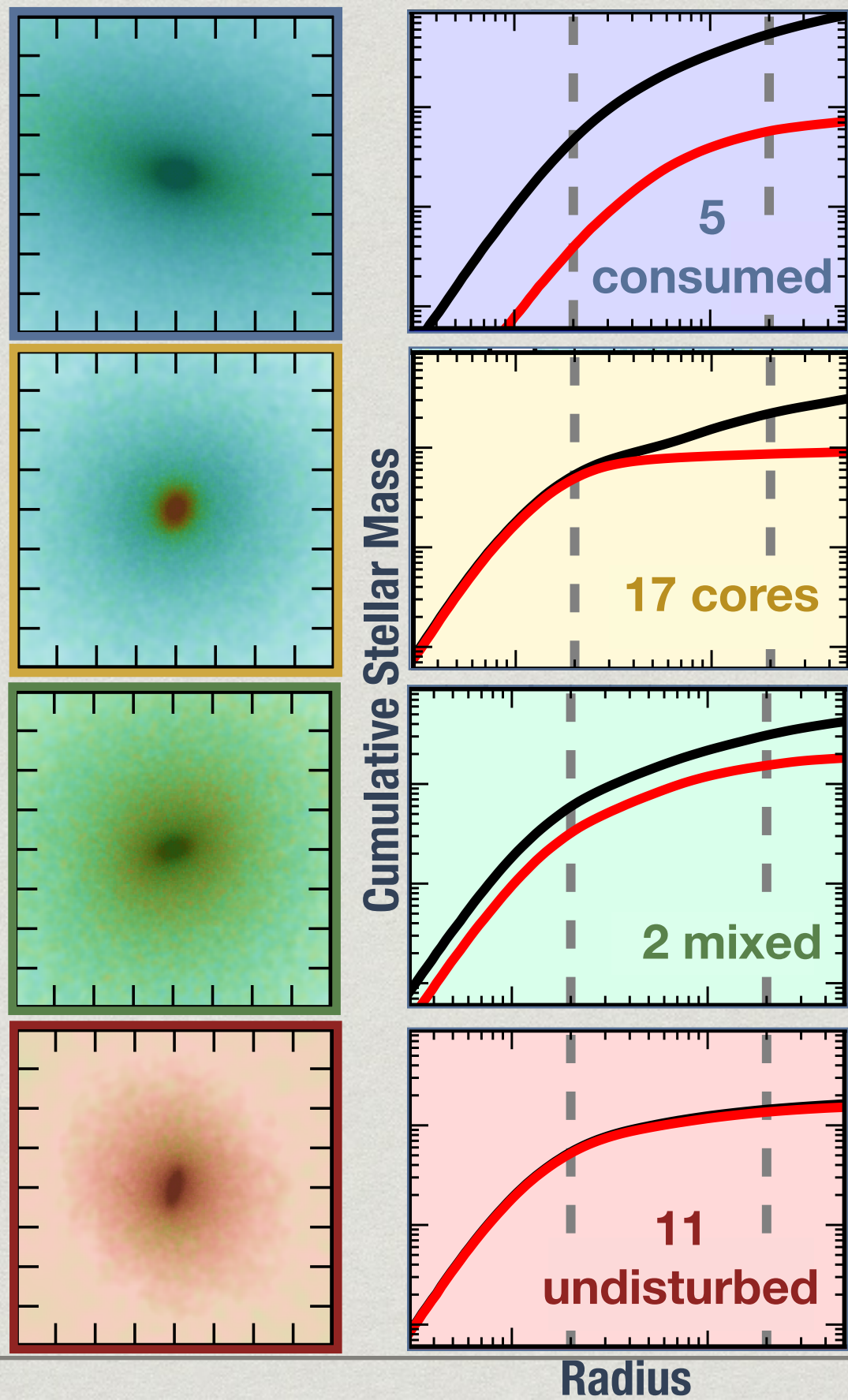
Descendant Types



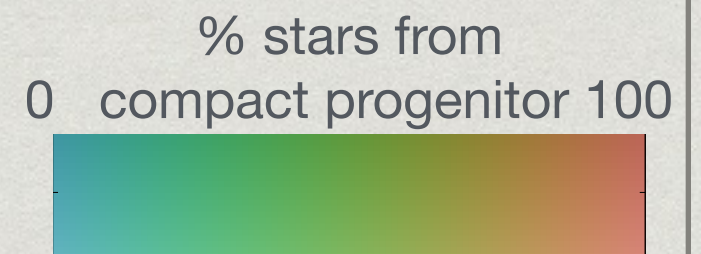
Wellons et al 2016



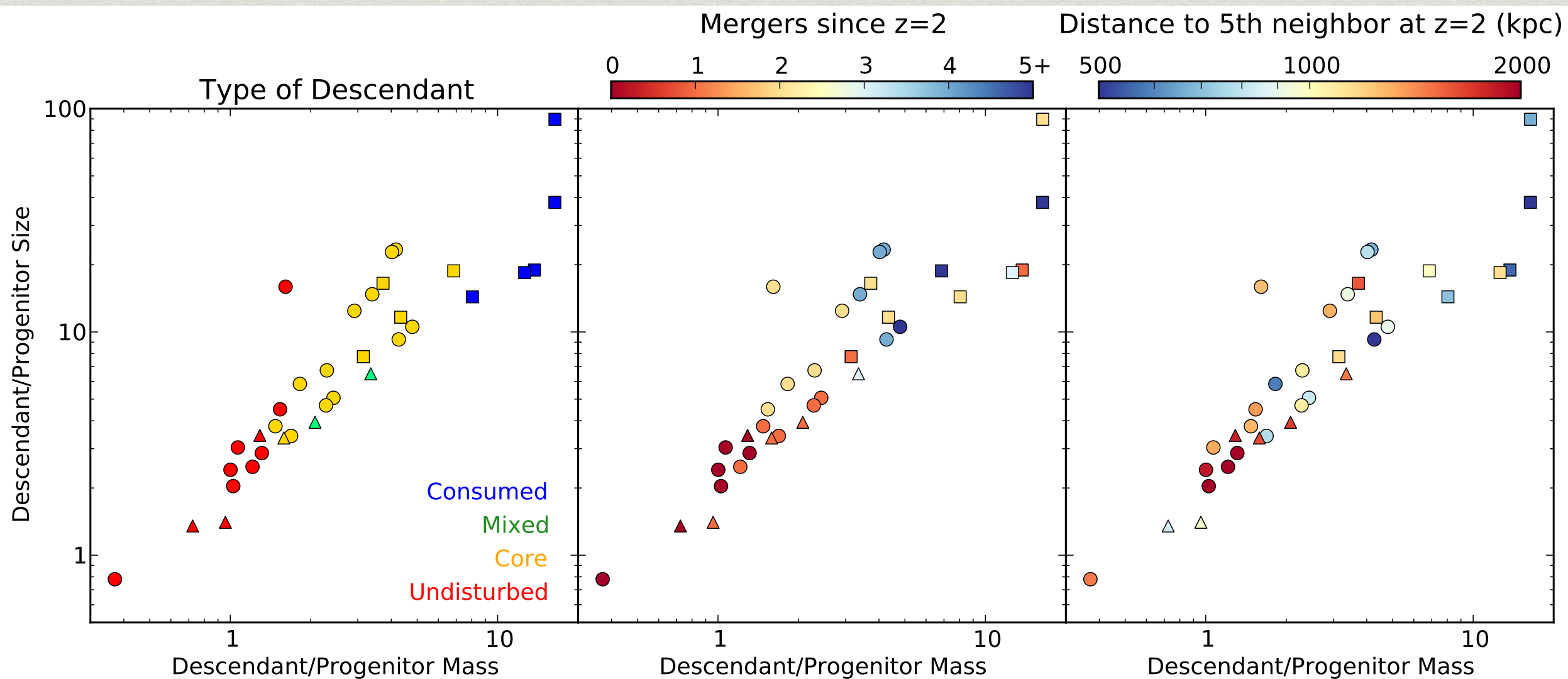
Descendant Types



Wellons et al 2016



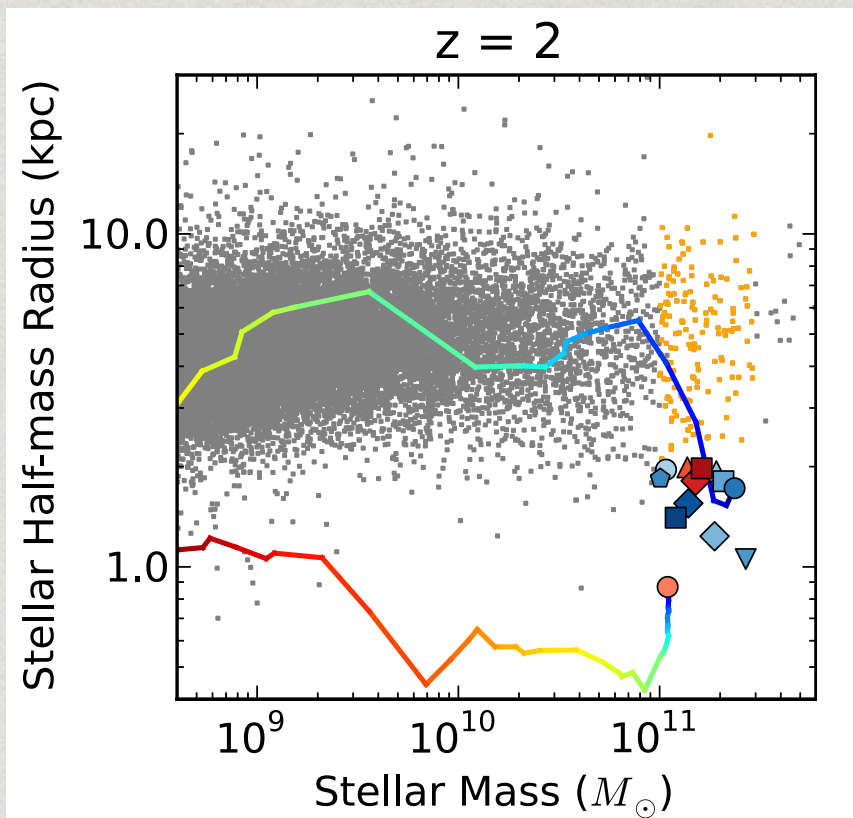
Environmental influence



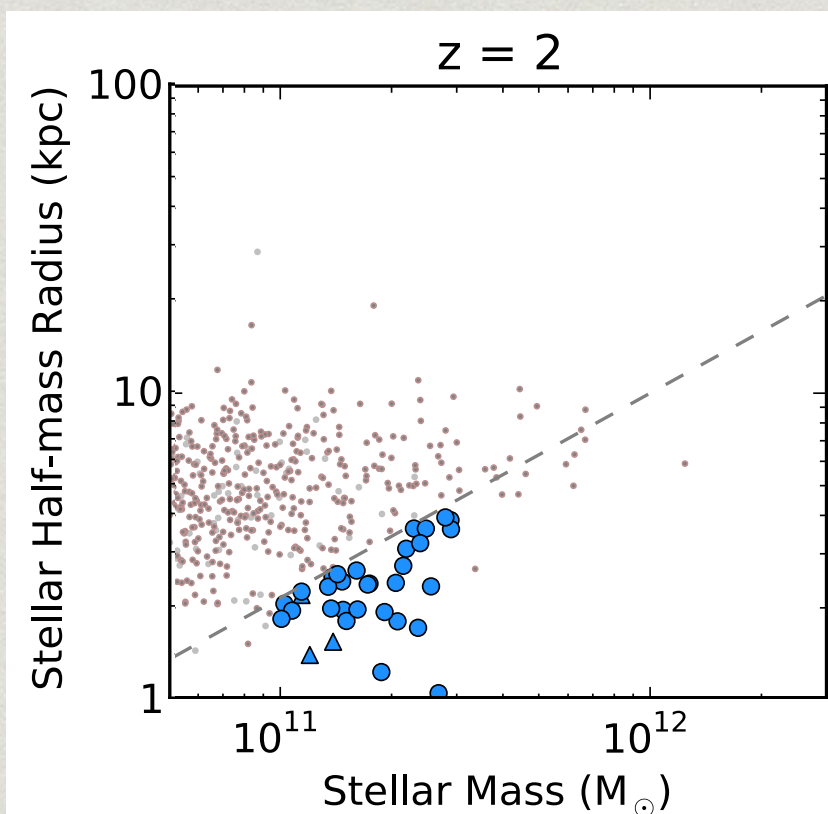
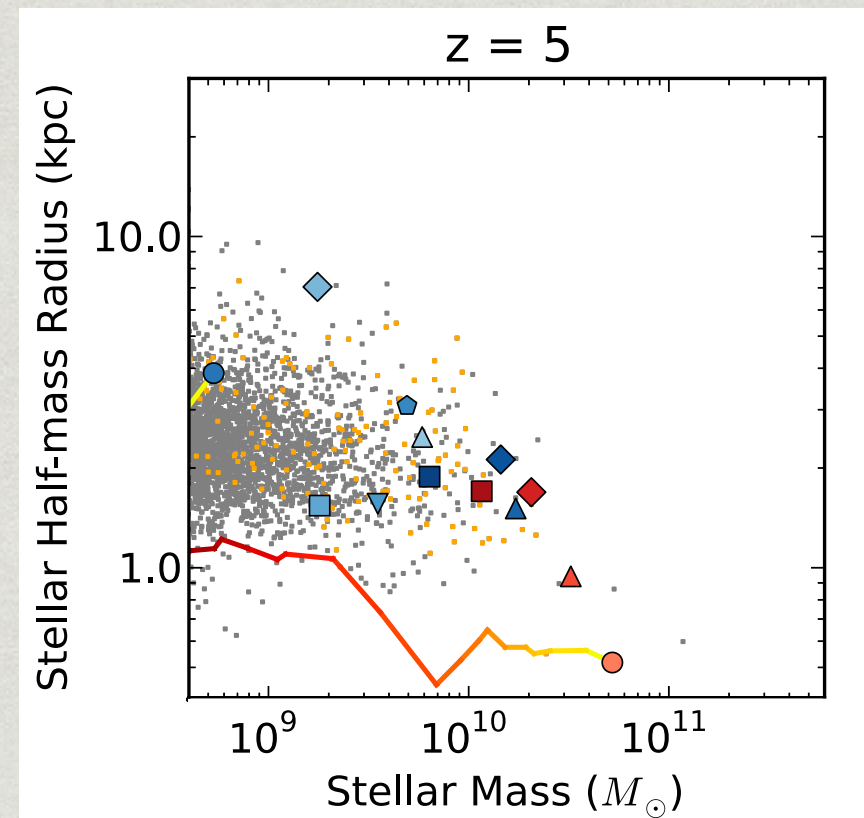
More mergers $\rightarrow$ more mass growth

Denser environment $\rightarrow$ more mergers

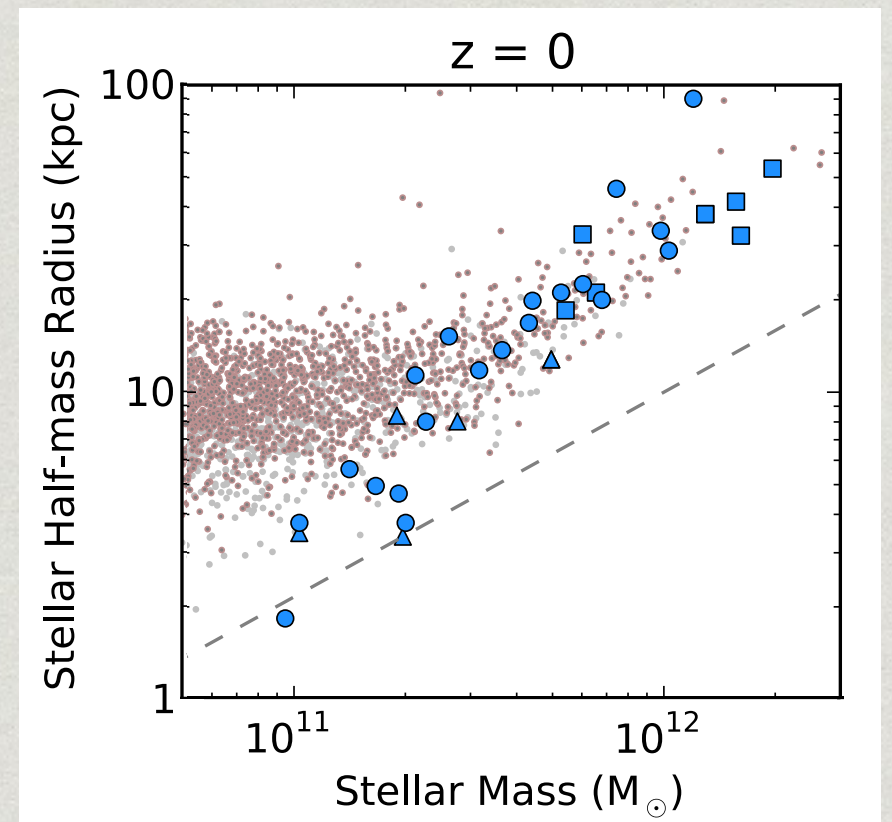
In both directions, the population spreads out!



Progenitors
←
(Wellons et al. 2015)

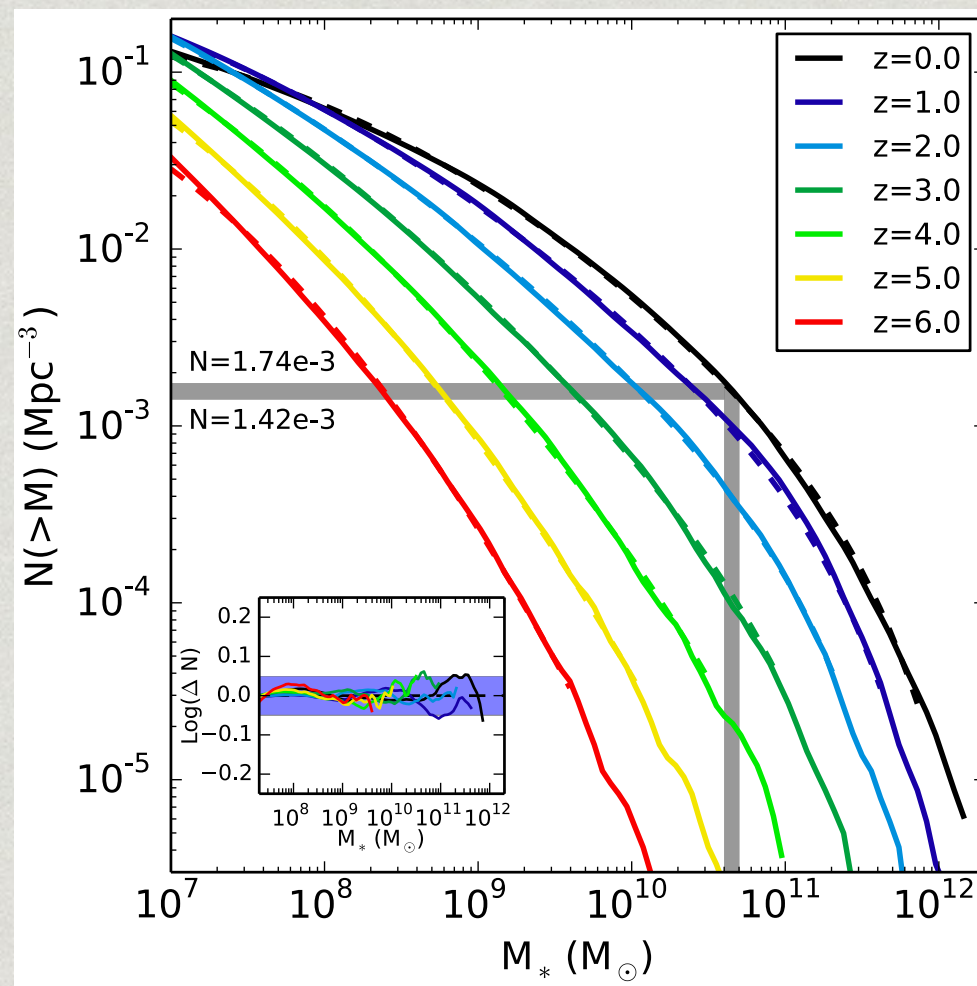


Descendants
→
(Wellons et al. 2016)



Recall the constant number density method for predicting progenitor/descendant populations that I described earlier:

One common observational approach is the assumption of a constant cumulative comoving number density



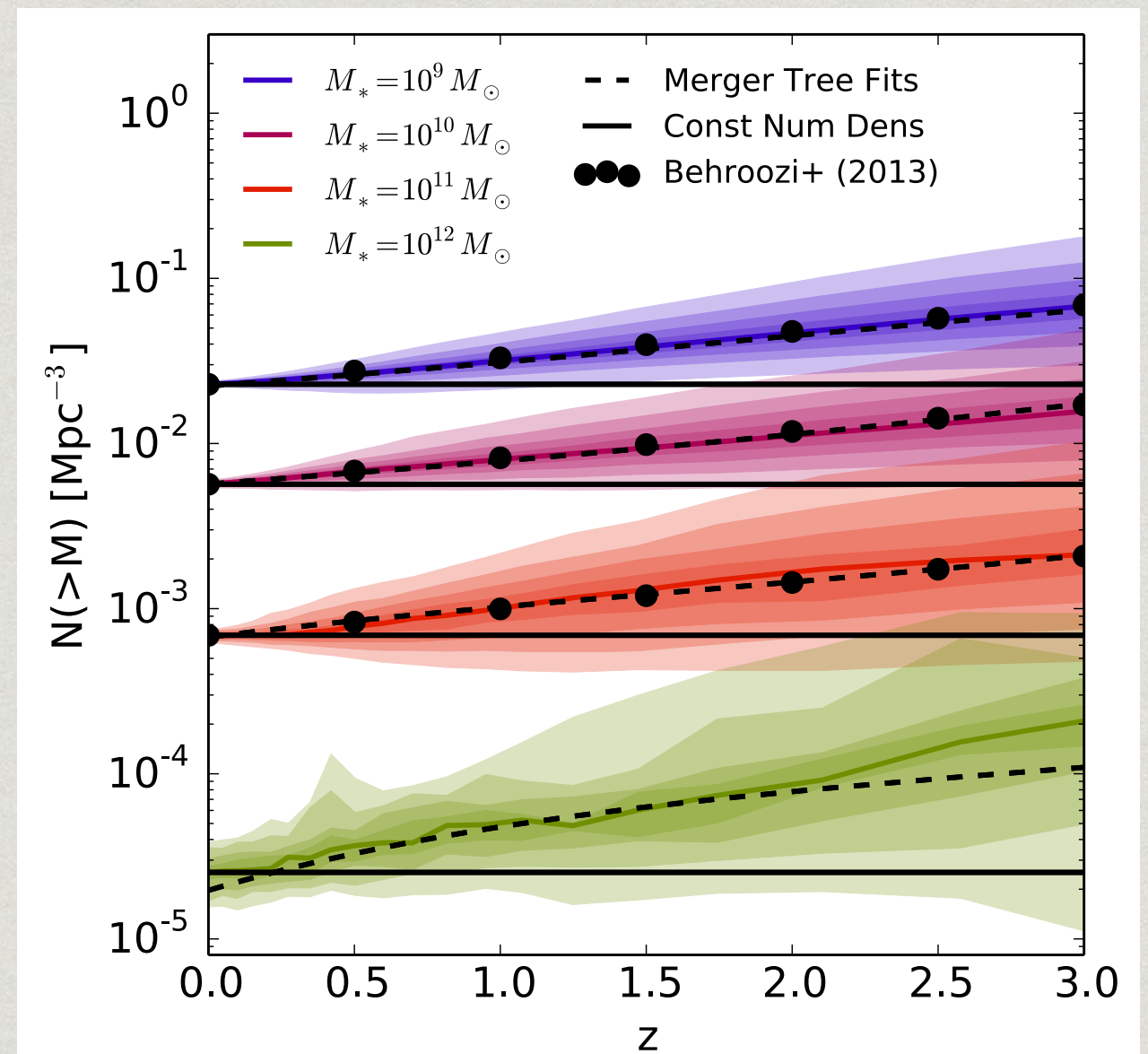
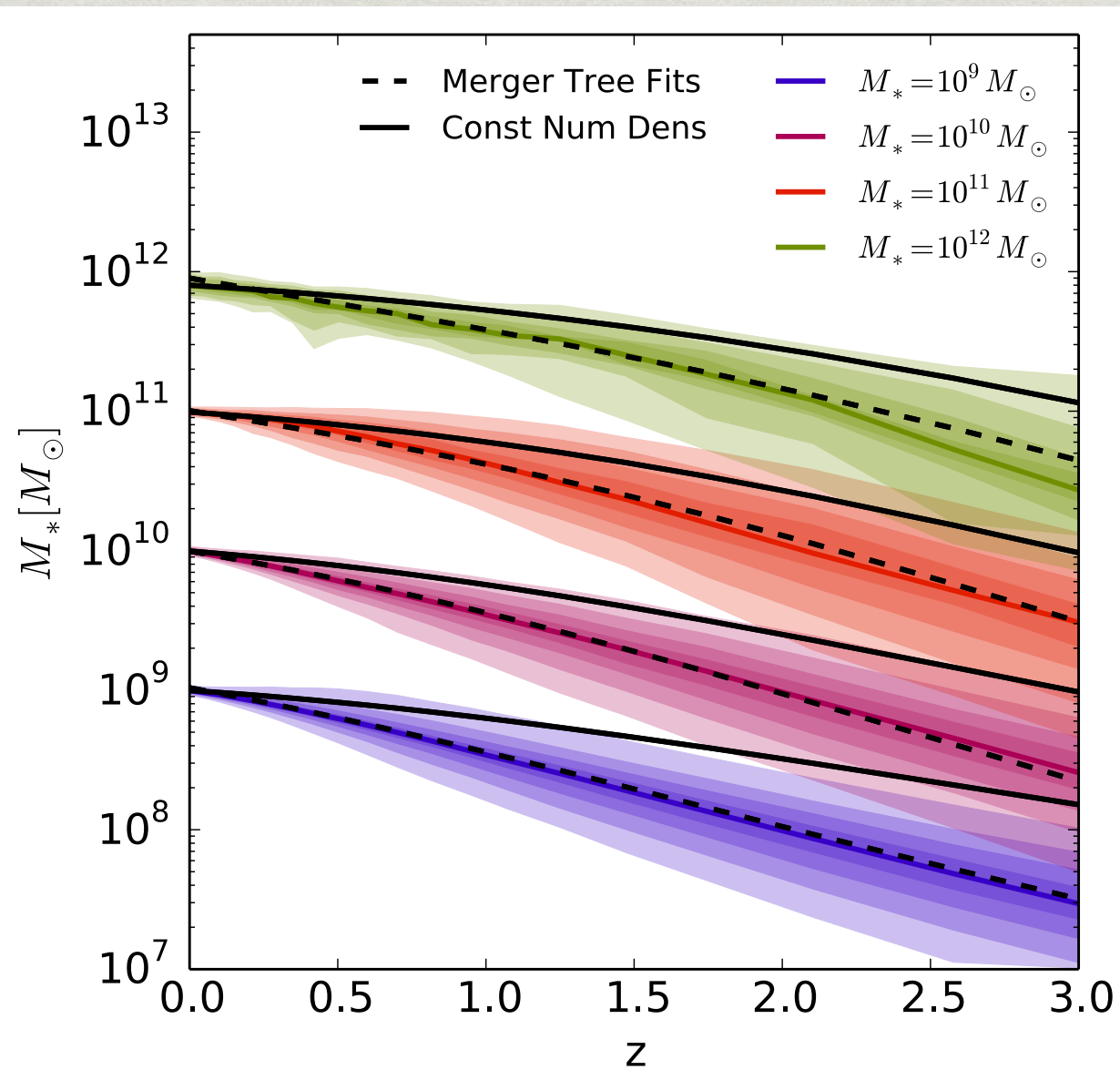
Illustris cumulative stellar mass function
(Torrey et al. 2015)

- Assuming that
- ~~i) Galaxies preserve their relative rank order in time, and~~
 - ~~ii) Mergers are negligible,~~
- the cumulative comoving number density of any given galaxy will remain constant



Predicted mass evolution
given a set of mass functions

The spreading-out occurs for any mass-selected sample, not just the compact population.

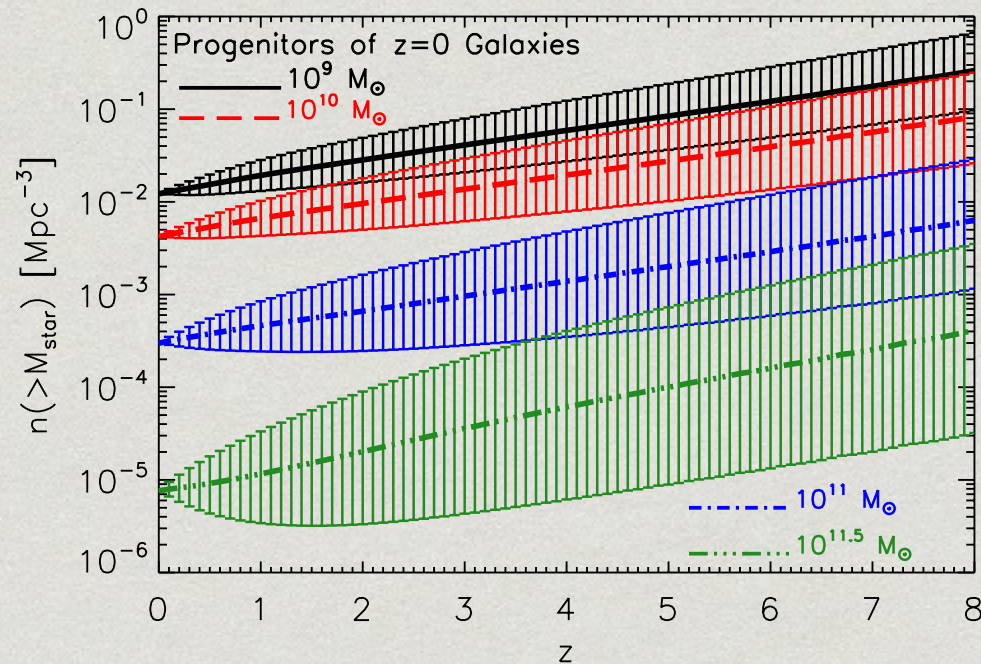


Torrey, Wellons et al. 2015

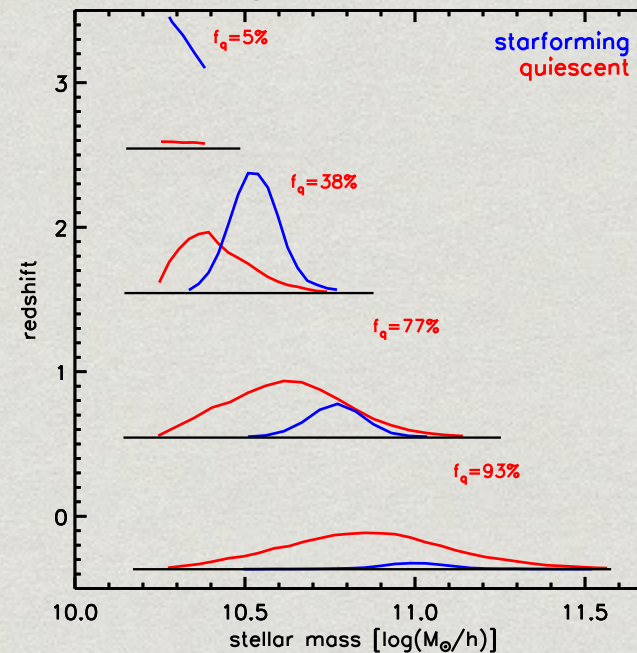
This presents several problems for the constant number density method of predicting galaxy progenitor/descendant properties.

The predicted evolution in number density is remarkably consistent across theoretical methodologies and ranking quantities

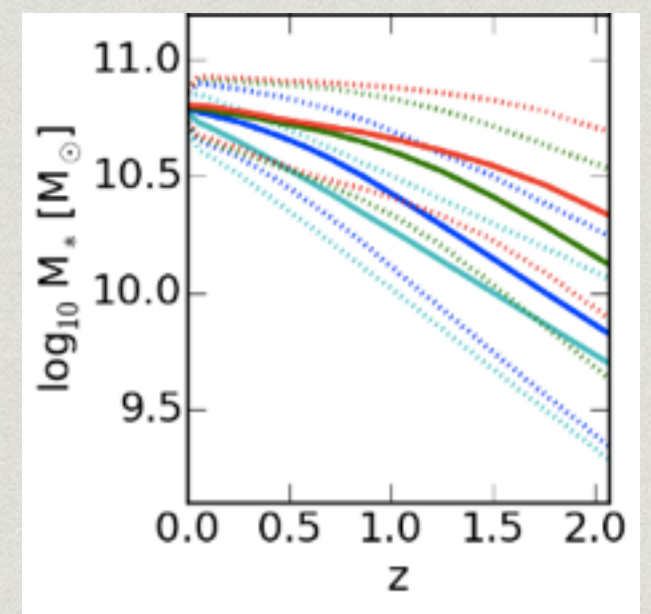
Abundance matching
Behroozi et al 2013



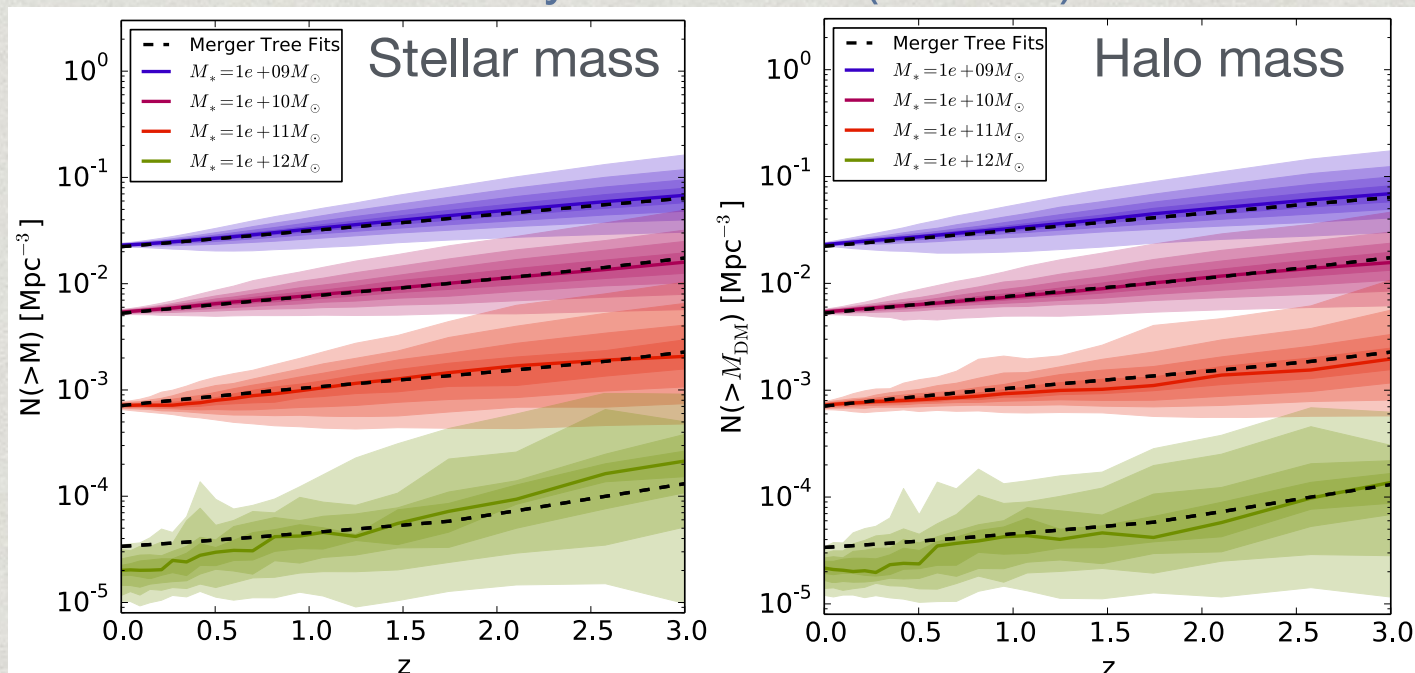
Semi-analytical modeling
Leja et al 2013



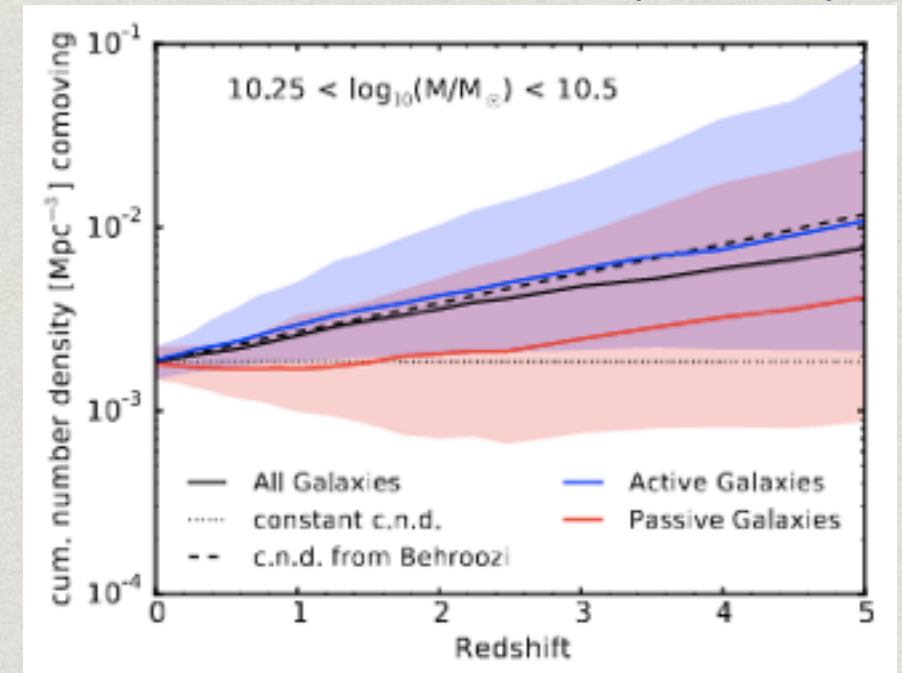
Semi-analytical modeling
Terrazas et al 2016



Hydrodynamical simulations
Torrey et al 2015 (Illustris)



Clauwens et al 2016 (EAGLE)



The predicted evolution in number density is remarkably consistent across theoretical methodologies and ranking quantities

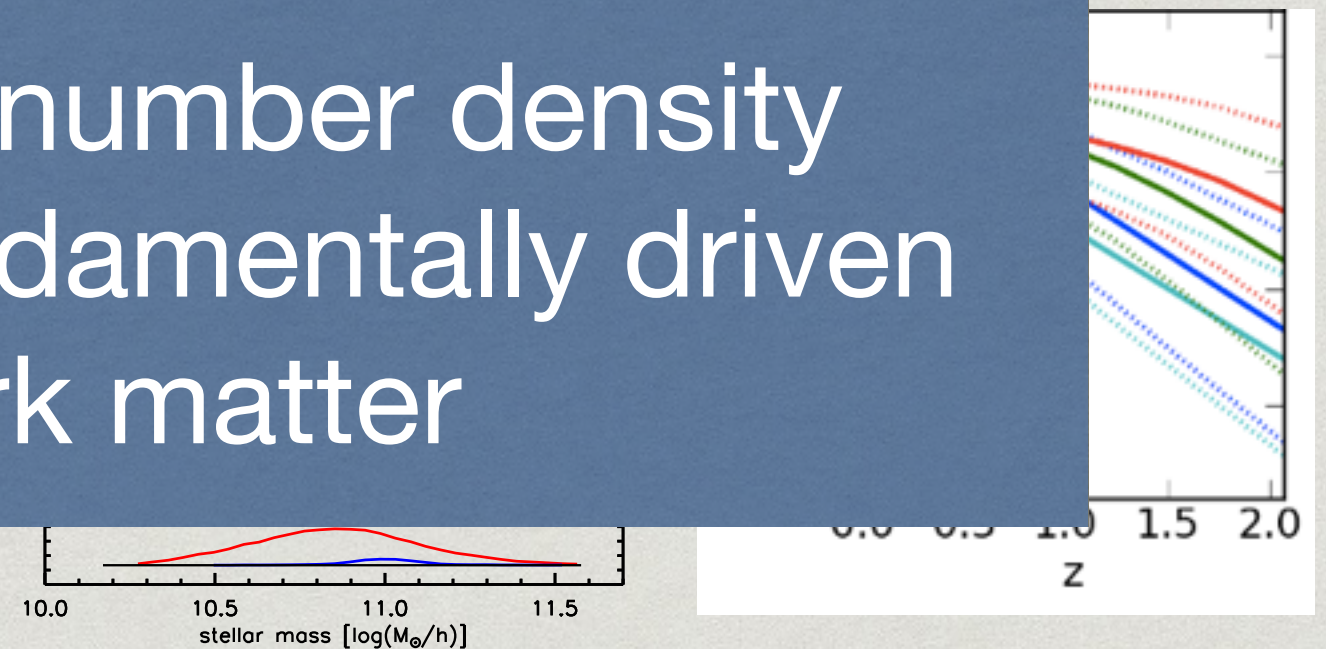
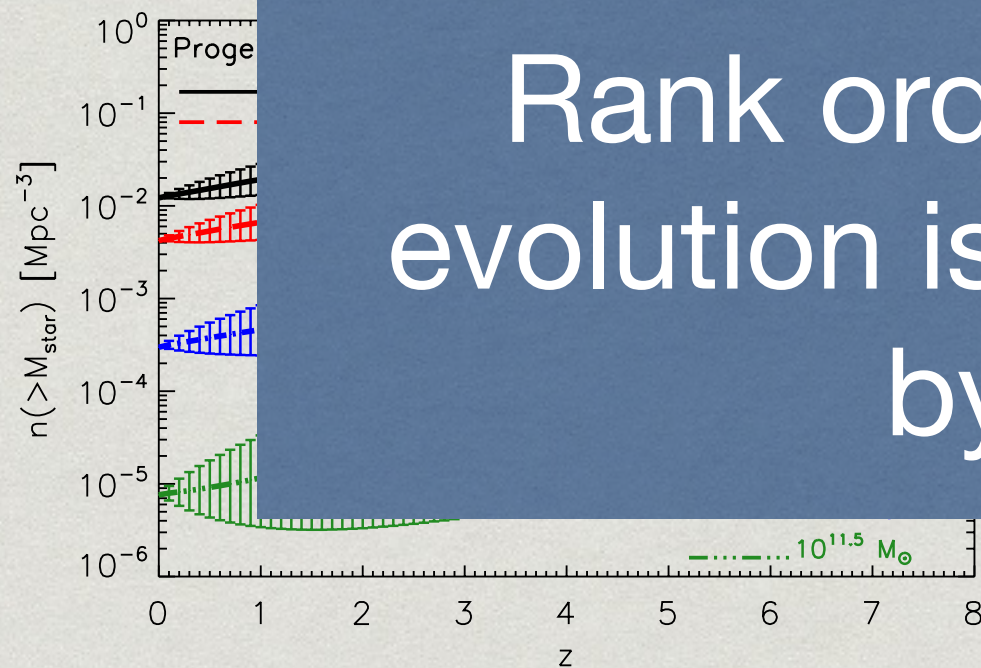
Abundance matching

Behroozi et al 2013

Semi-analytical modeling

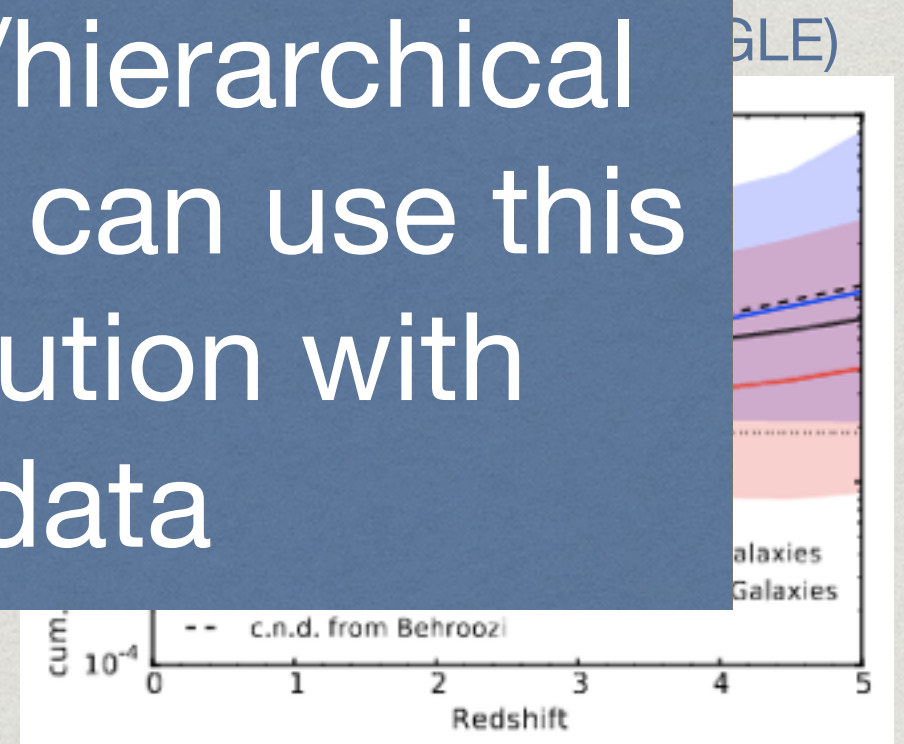
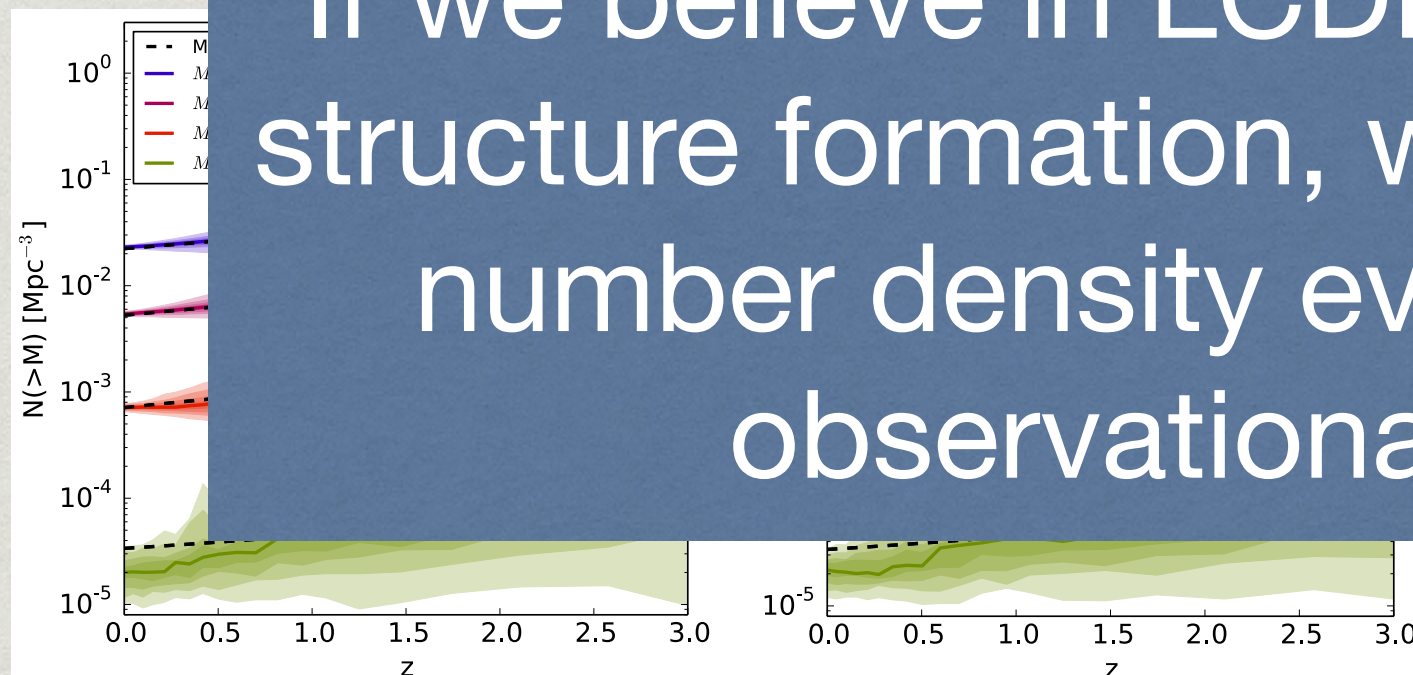
Leia et al 2013

Terrazas et al 2016



Rank order / number density evolution is fundamentally driven by dark matter

If we believe in LCDM/hierarchical structure formation, we can use this number density evolution with observational data



How can we do better?

(Wellons & Torrey, submitted)

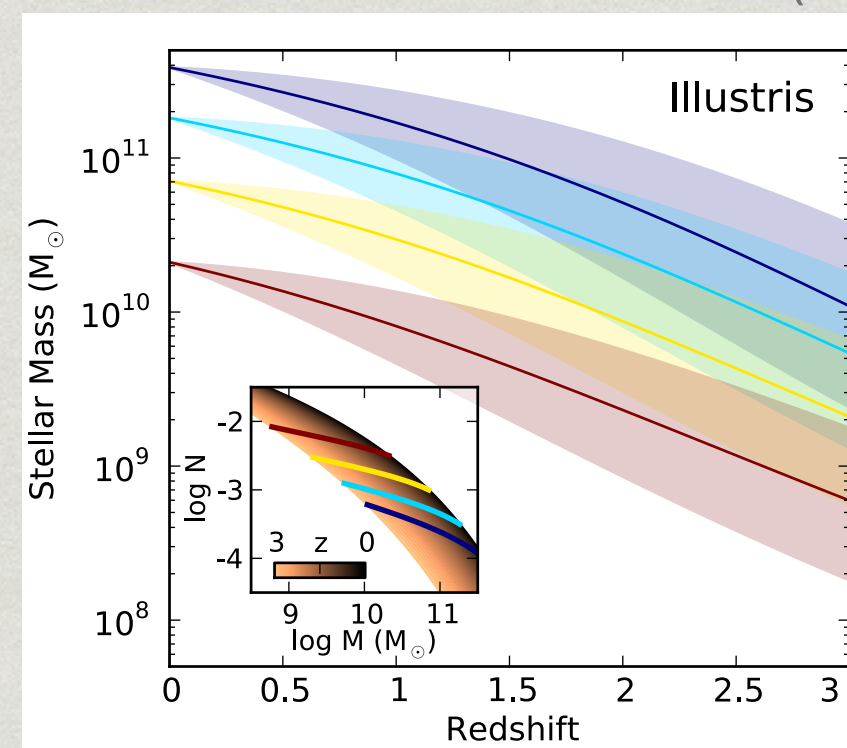
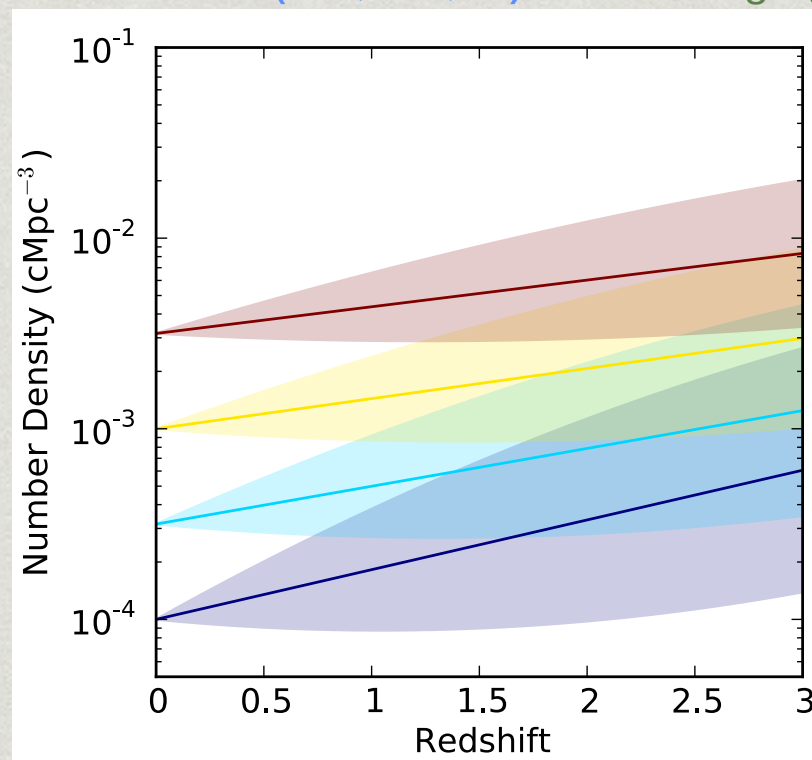
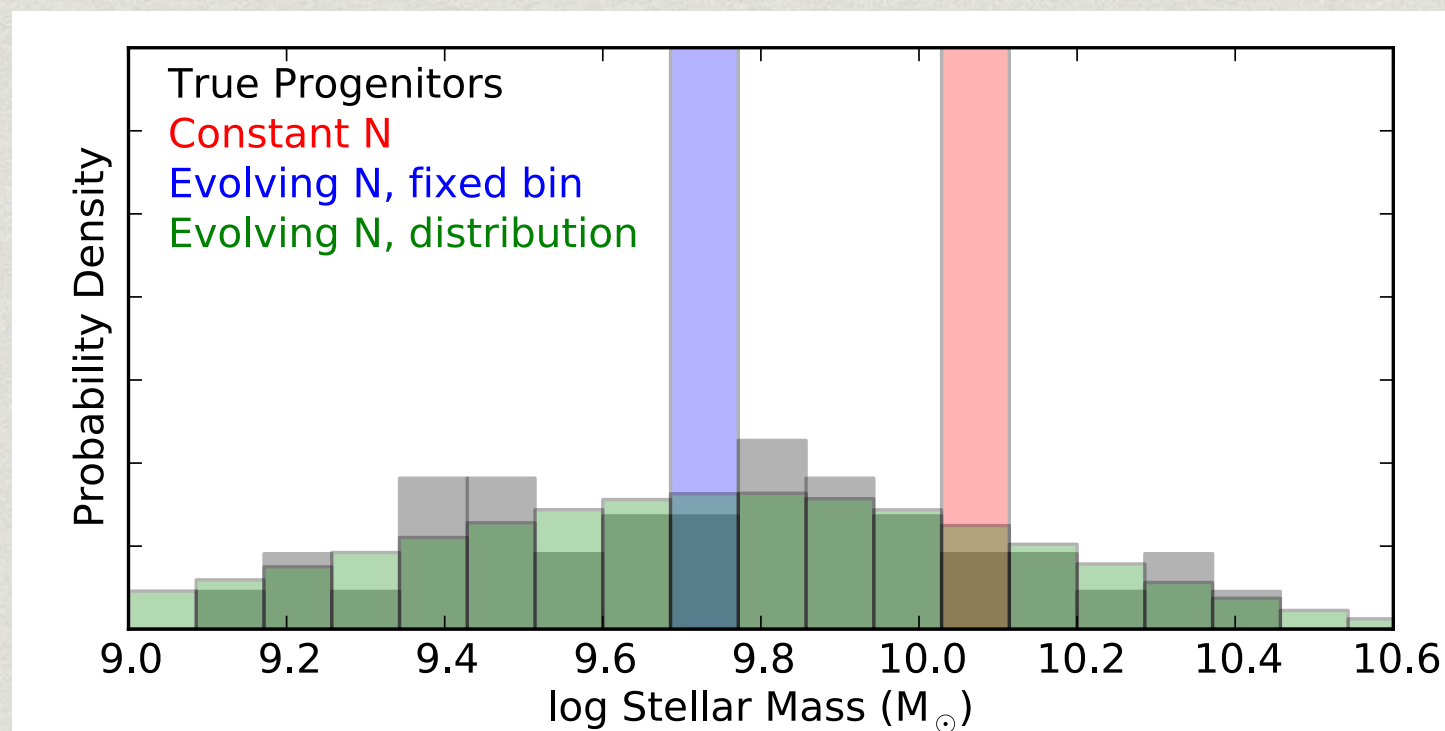
Use an **evolving number density** as the center of a **distribution**

Predictions for $z=2$ progenitors of Milky-Way-mass galaxies:

Requires:

Functions for $N(N_0, z_0, z)$ and $\sigma_{\log N}(N_0, z_0, z)$

Cumulative mass functions $N(M, z)$



[Illustris - Torrey, Wellons et al, submitted]

[Illustris - Torrey et al 2015]

How can we do better?

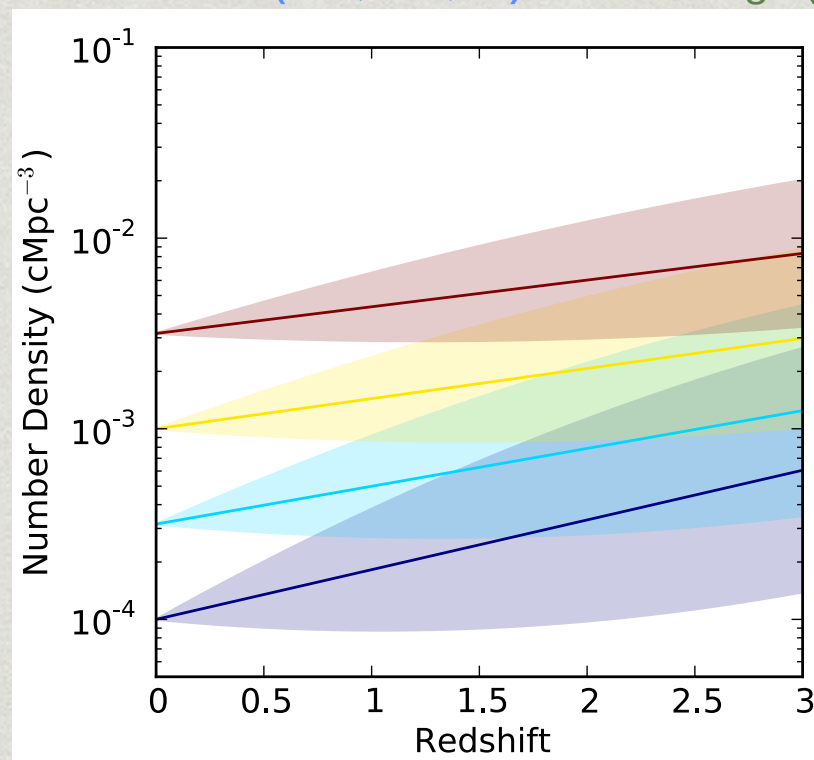
(Wellons & Torrey, submitted)

Use an **evolving number density** as the center of a **distribution**

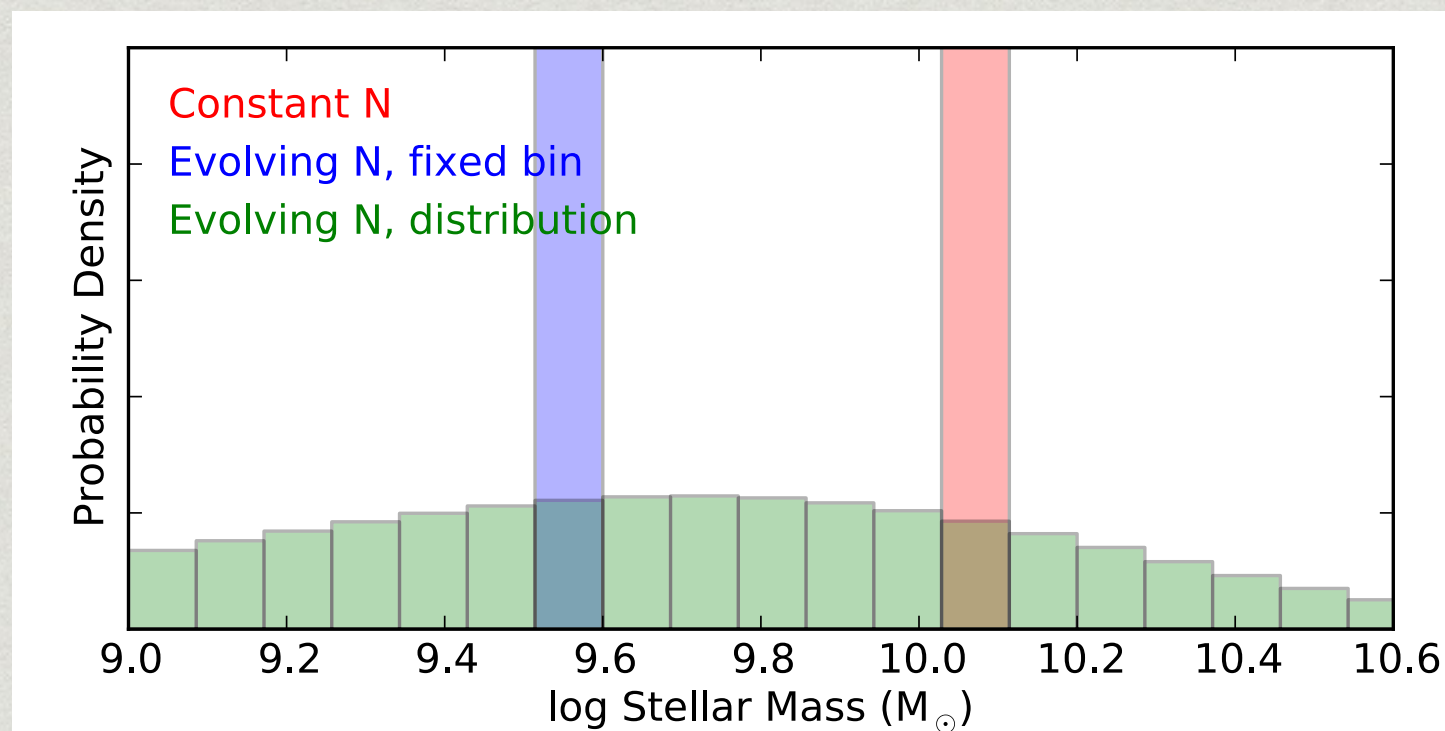
Predictions for $z=2$ progenitors
of Milky-Way-mass galaxies:

Requires:

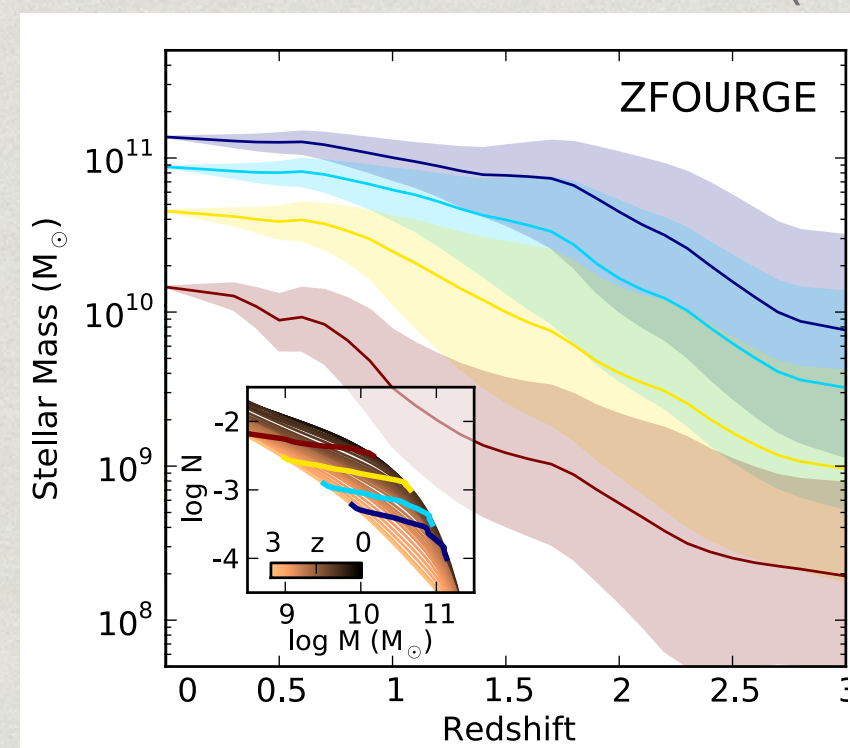
Functions for $N(N_0, z_0, z)$ and $\sigma_{\log N}(N_0, z_0, z)$



[Illustris - Torrey, Wellons et al, submitted]



Cumulative mass functions $N(M, z)$

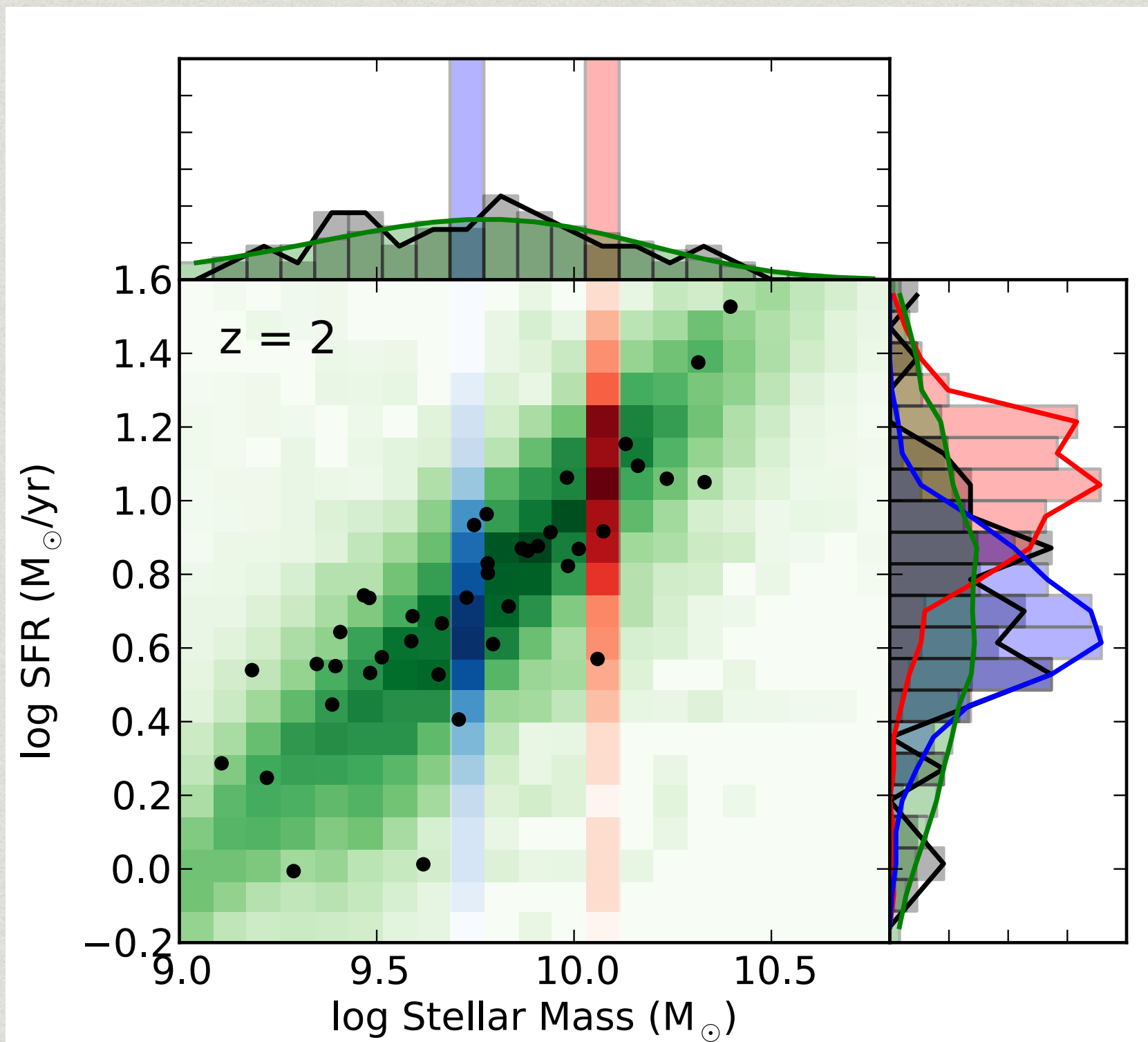


[ZFOURGE - Tomczak et al 2014]

How can we do better?

(Wellons & Torrey, submitted)

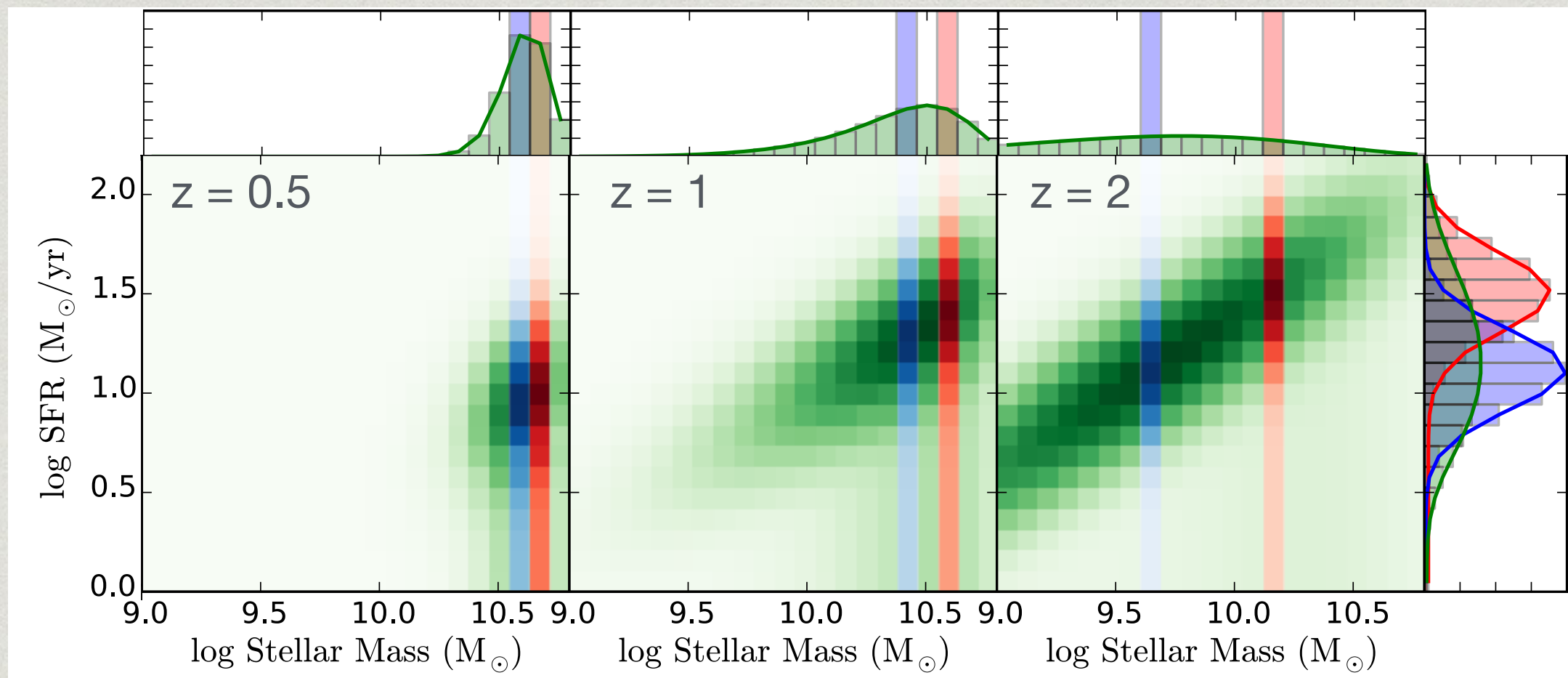
Distribution in mass $\rightarrow$ distribution in other quantities



How can we do better?

The same prediction can be generated from observational data (using my Python package at <https://github.com/sawellons/NDpredict>) given:

- * Measurements of galaxy stellar masses and star formation rates at several redshifts
- * A set of observational mass functions at those redshifts



Recap

Wellons et al 2015

- * We found a sample of compact galaxies at $z=2$ in Illustris which are reasonable analogs to observed compact ellipticals.
- * The compactness at $z=2$ is driven by centralized bursts of star formation and/or an early formation time.

Wellons et al 2016

- * About half of the compact galaxies exist as the core of their more massive descendant at $z=0$, a quarter are essentially undisturbed, and a few are mixed or consumed in major mergers.
- * Both the progenitors and descendants are widely dispersed in stellar mass and experienced a variety of evolutionary paths, implying that galaxy rank order is not conserved.

Wellons & Torrey, submitted

- * Connecting galaxy populations between redshifts can be improved with the use of an evolving distribution in number density.