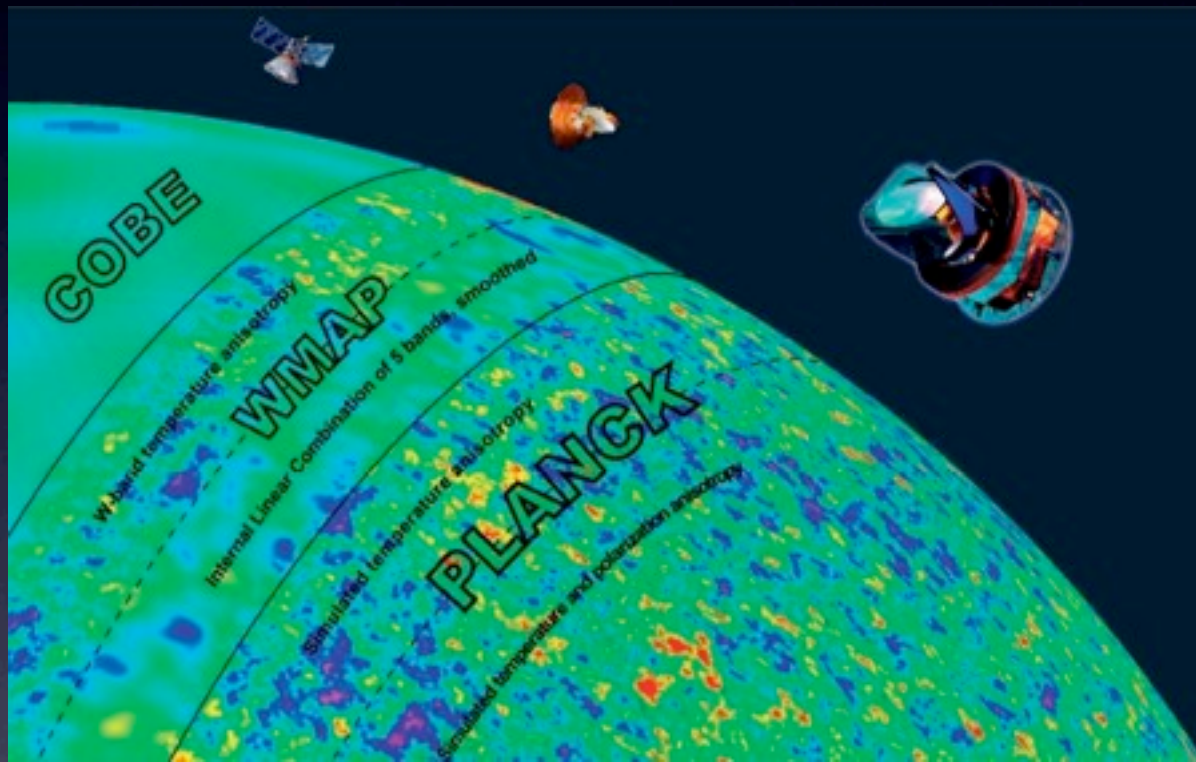


# Cosmic Team Play: how cross-correlations can help a more comprehensive understanding of the universe

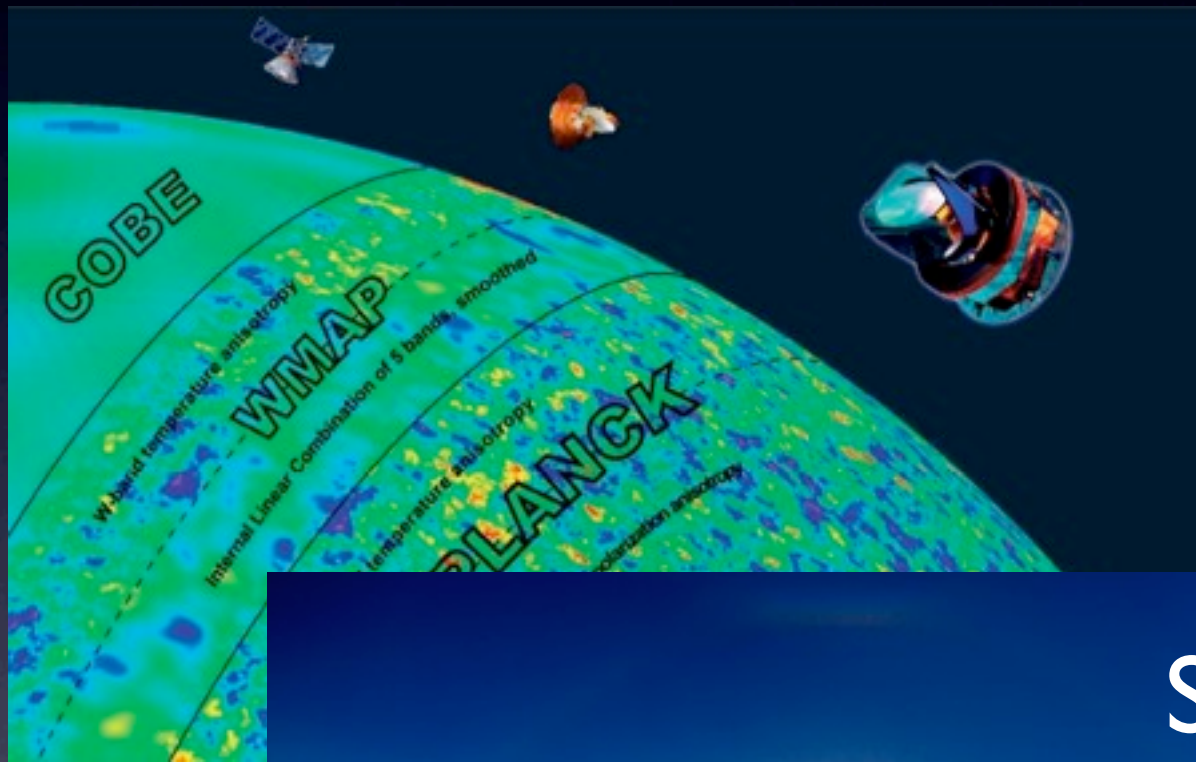
Alberto Vallinotto  
UC Berkeley and LBNL

# Data: The giant leap for cosmology...





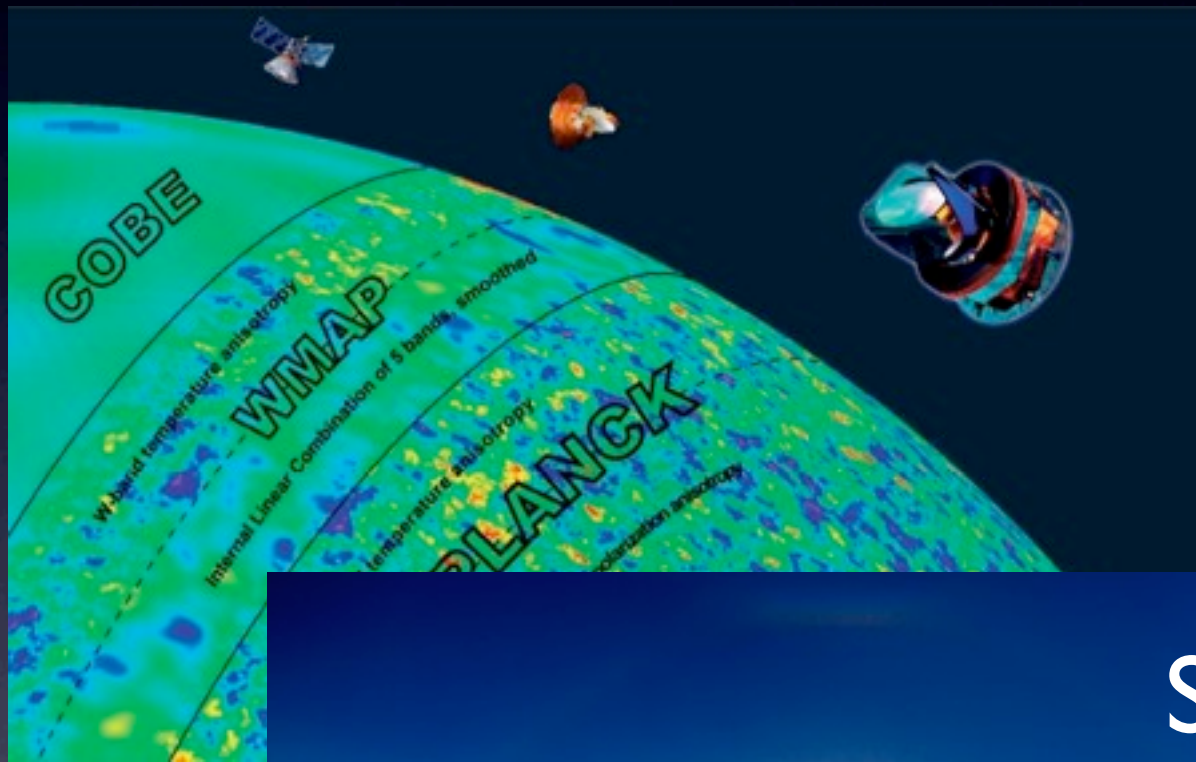
# Data: The giant leap for cosmology...



SPT

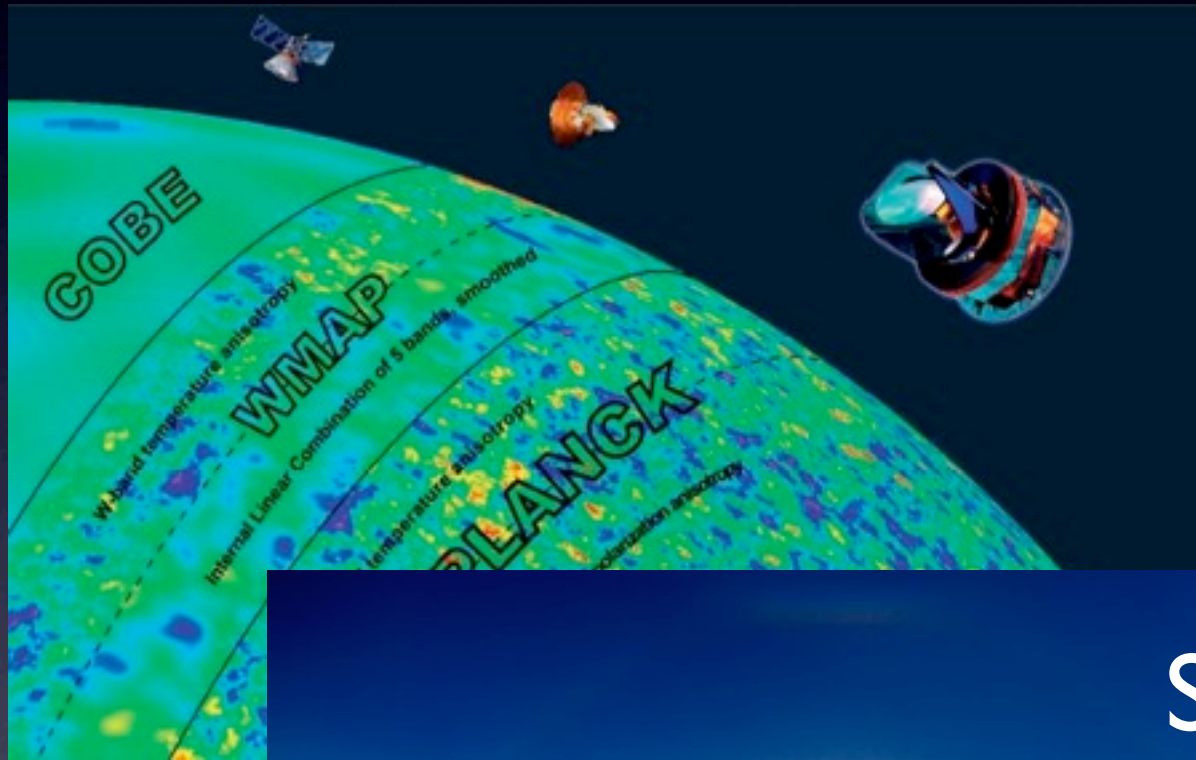


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# Data: The giant leap for cosmology...





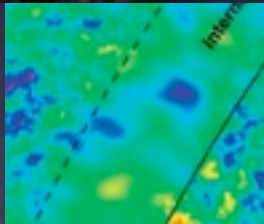
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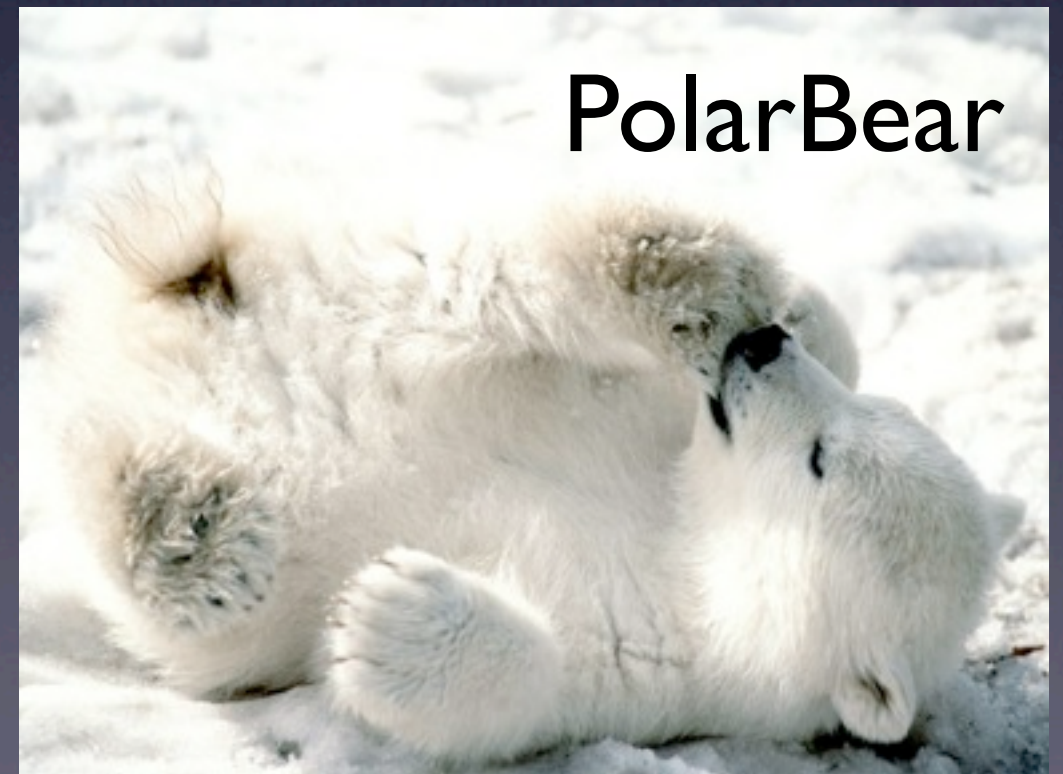
SDSS



ACT



SPT



PolarBear



# Data: The giant leap for cosmology...

SDSS



ACT



DES



PolarBear

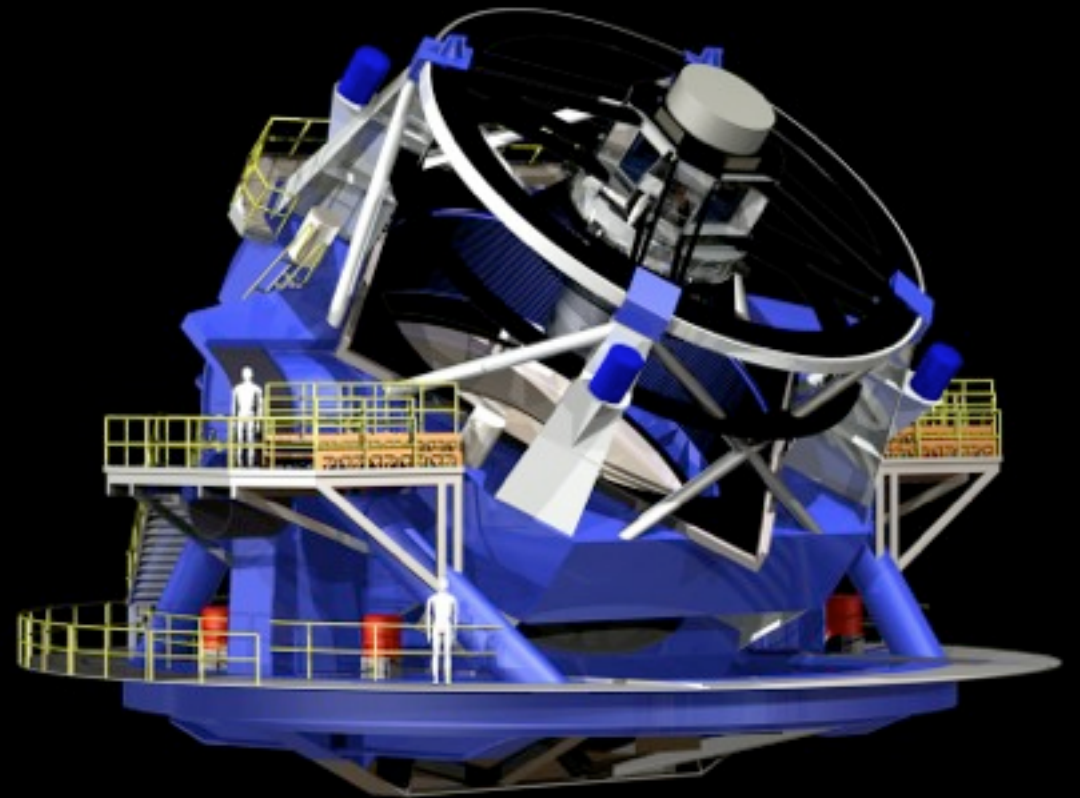




# Data: The giant leap for cosmology...

SDSS

LSST



DES

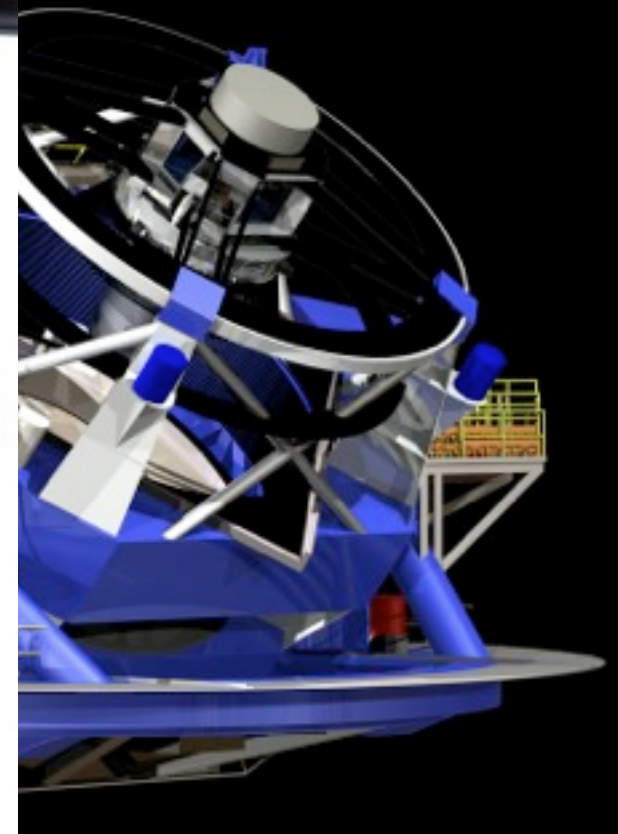
PolarBear





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LSST



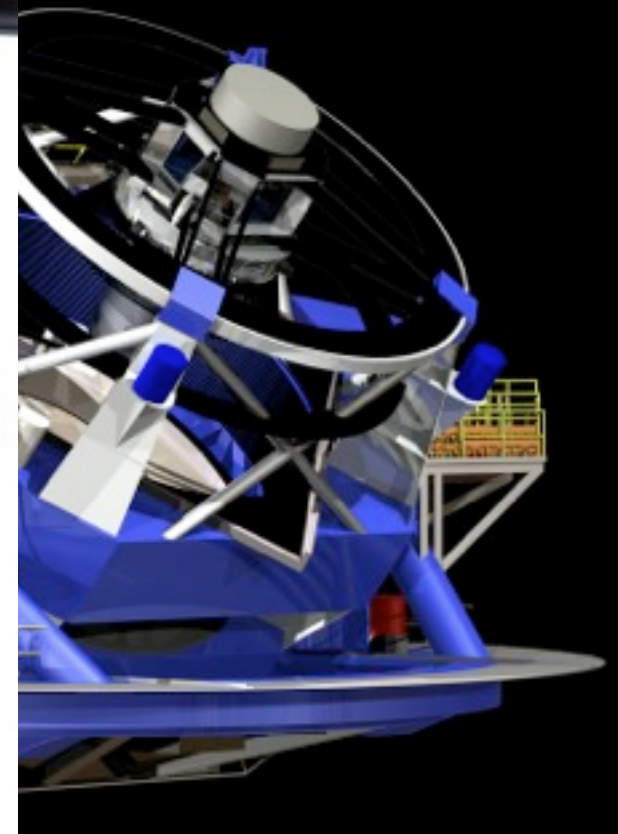
Polar Bear





# Data: The giant leap for cosmology...

LSST



Euclid



PolarBear





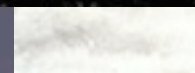
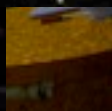
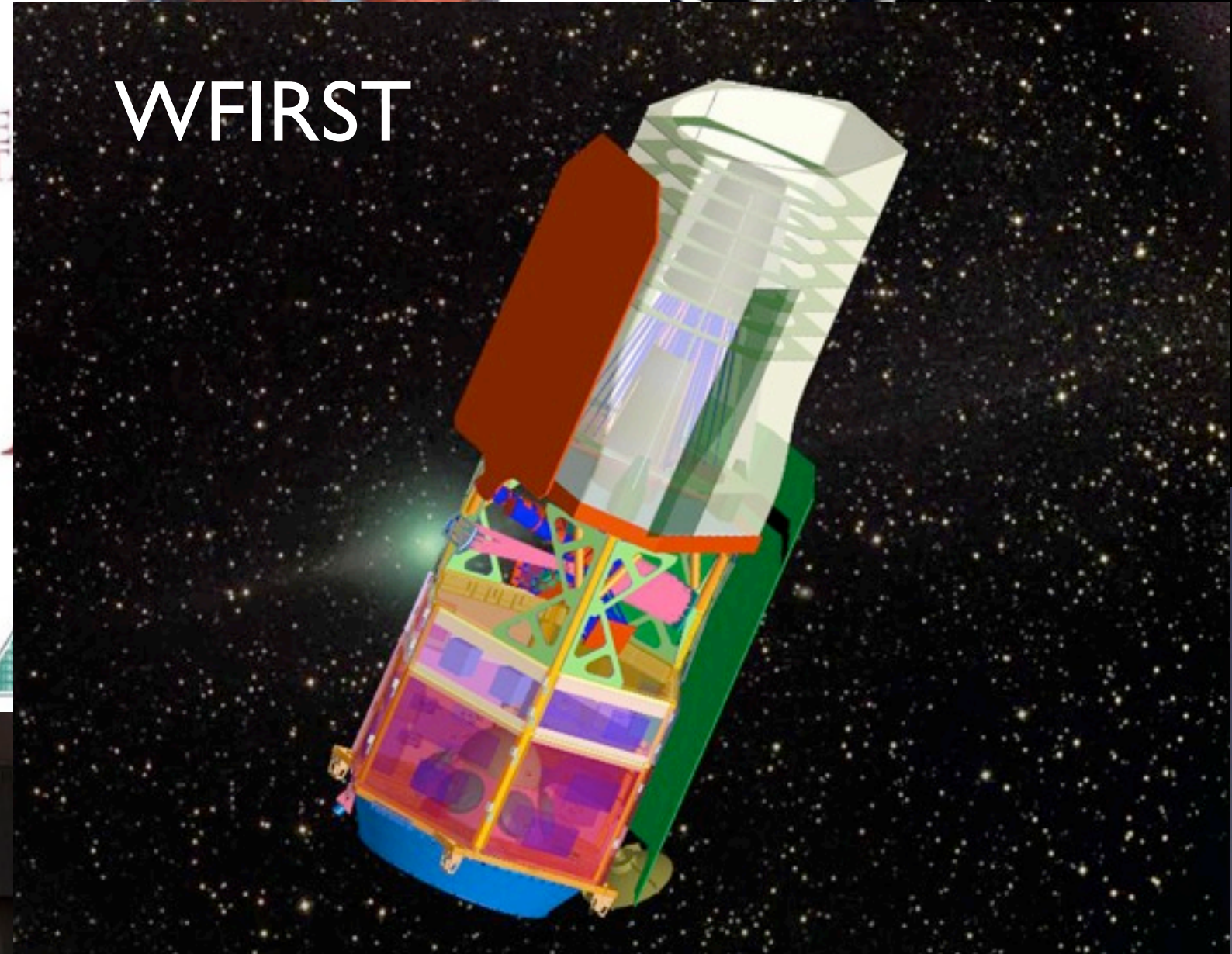
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LSST



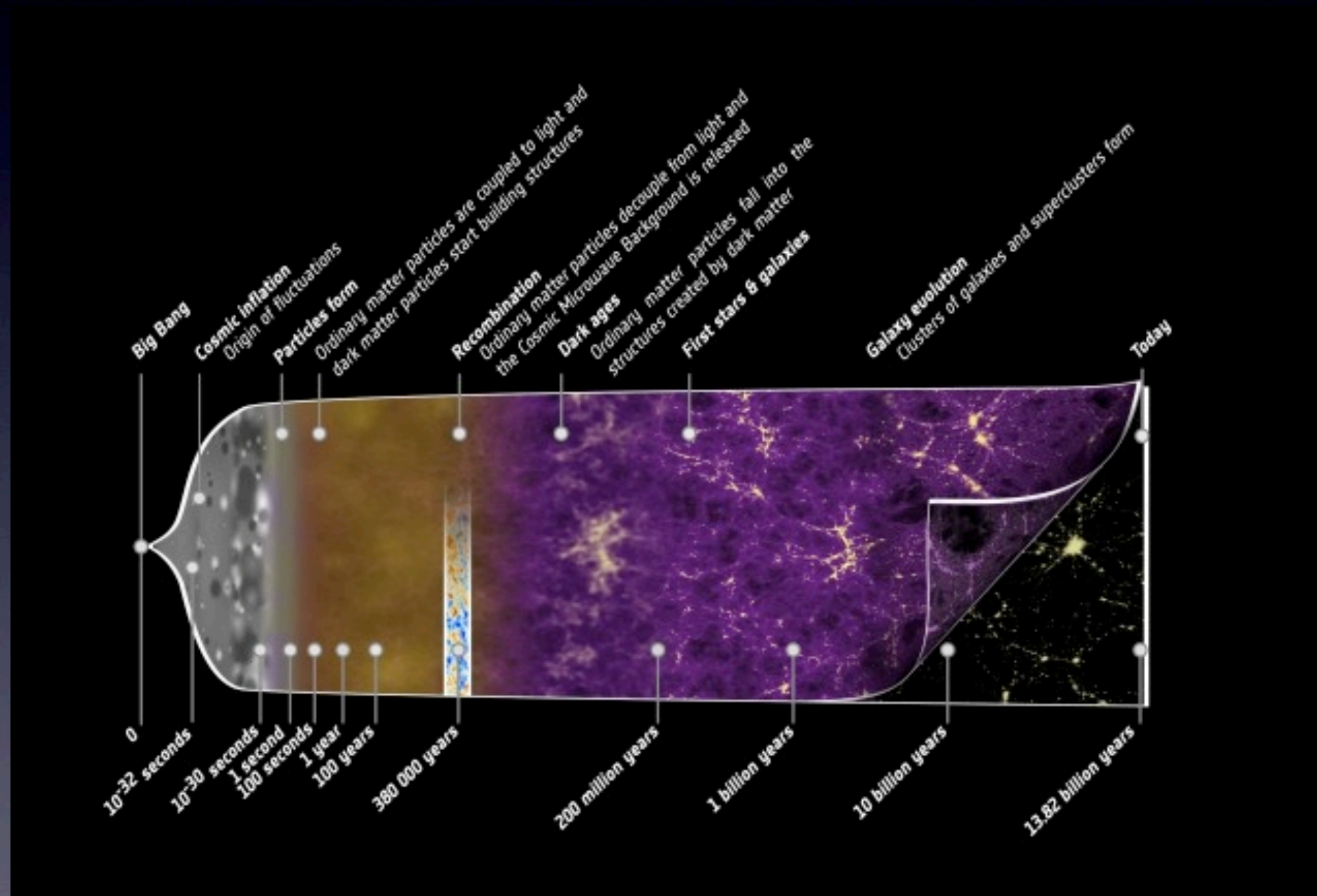
Euclid

WFIRST



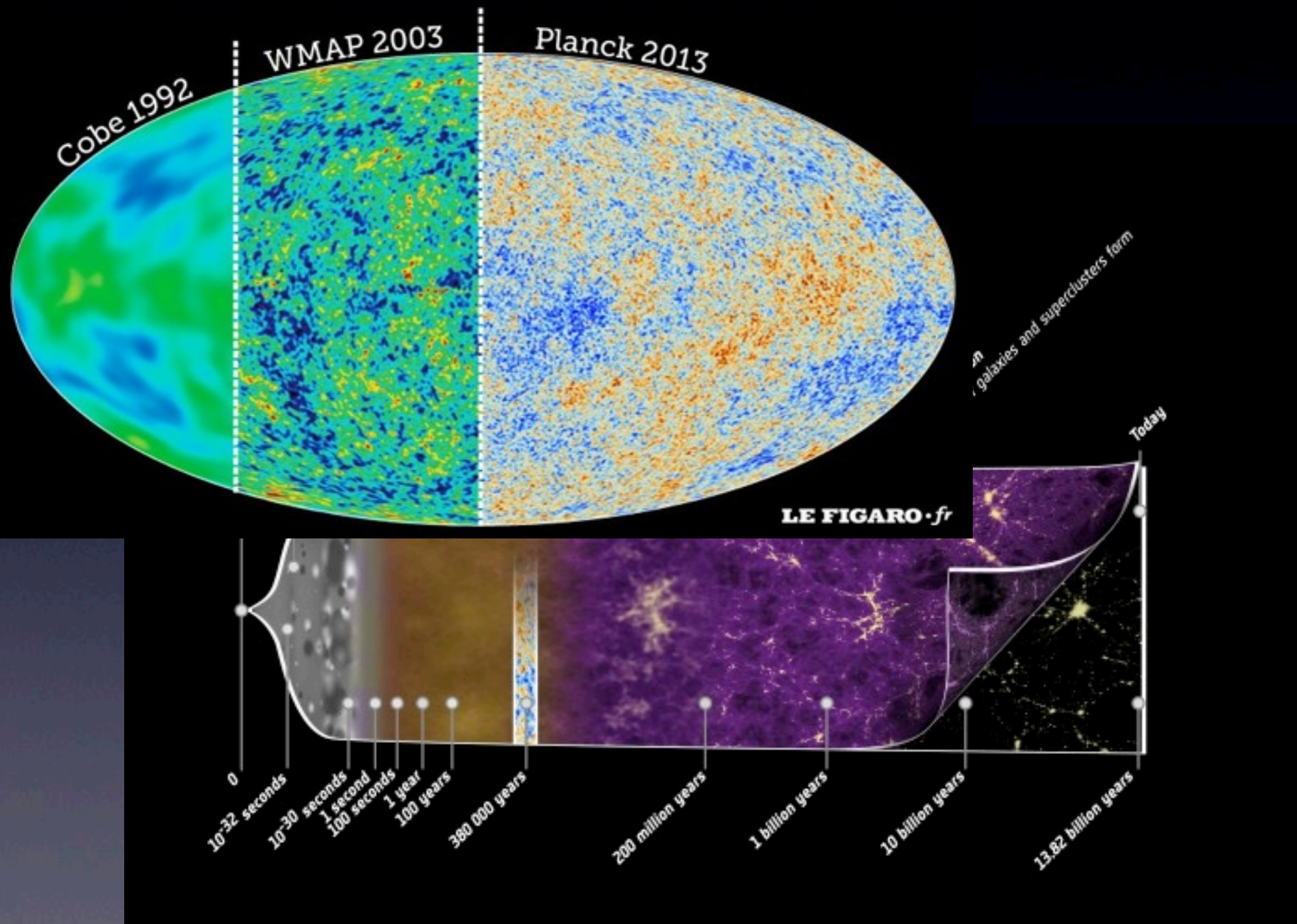


# The Berkeley Universe



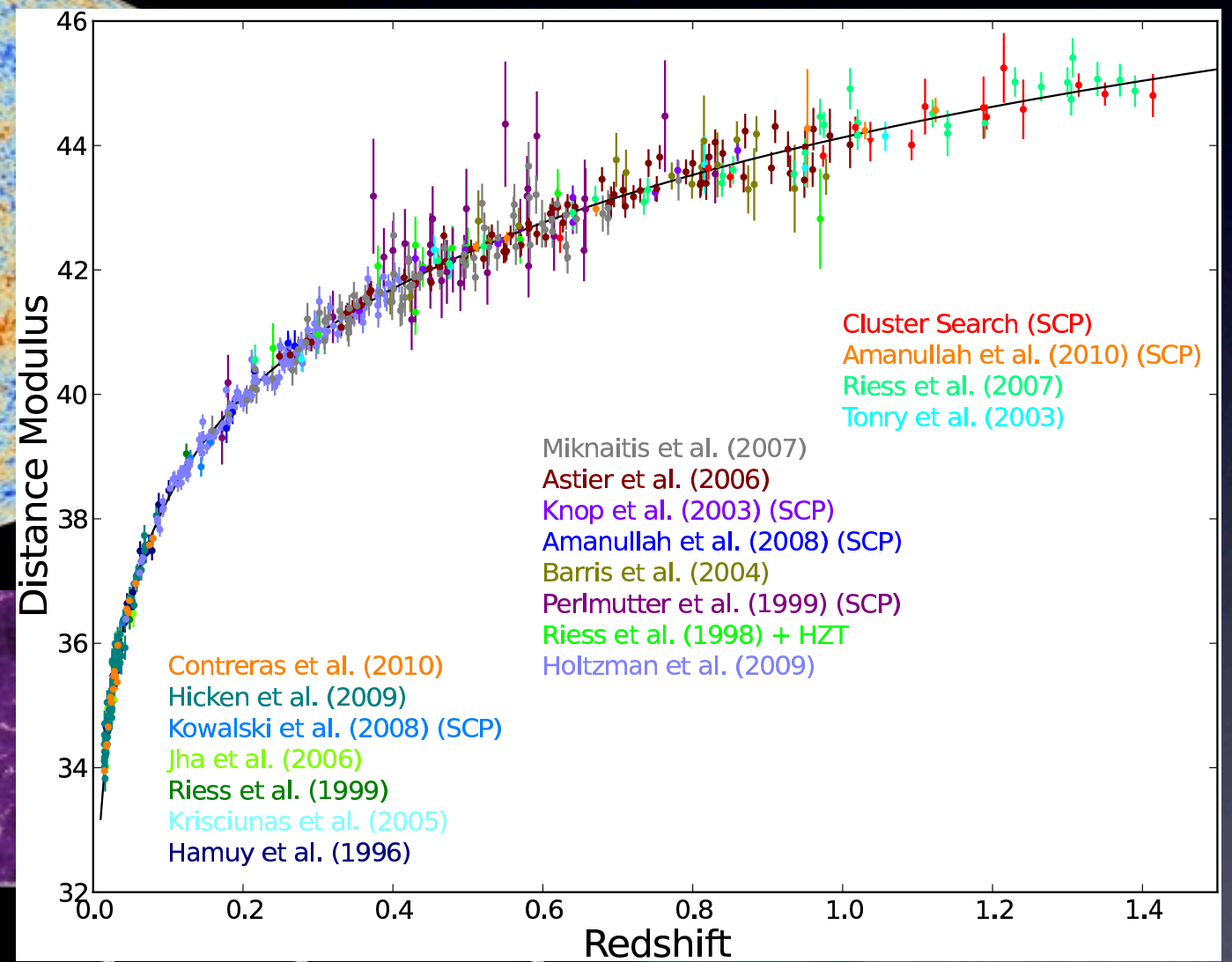
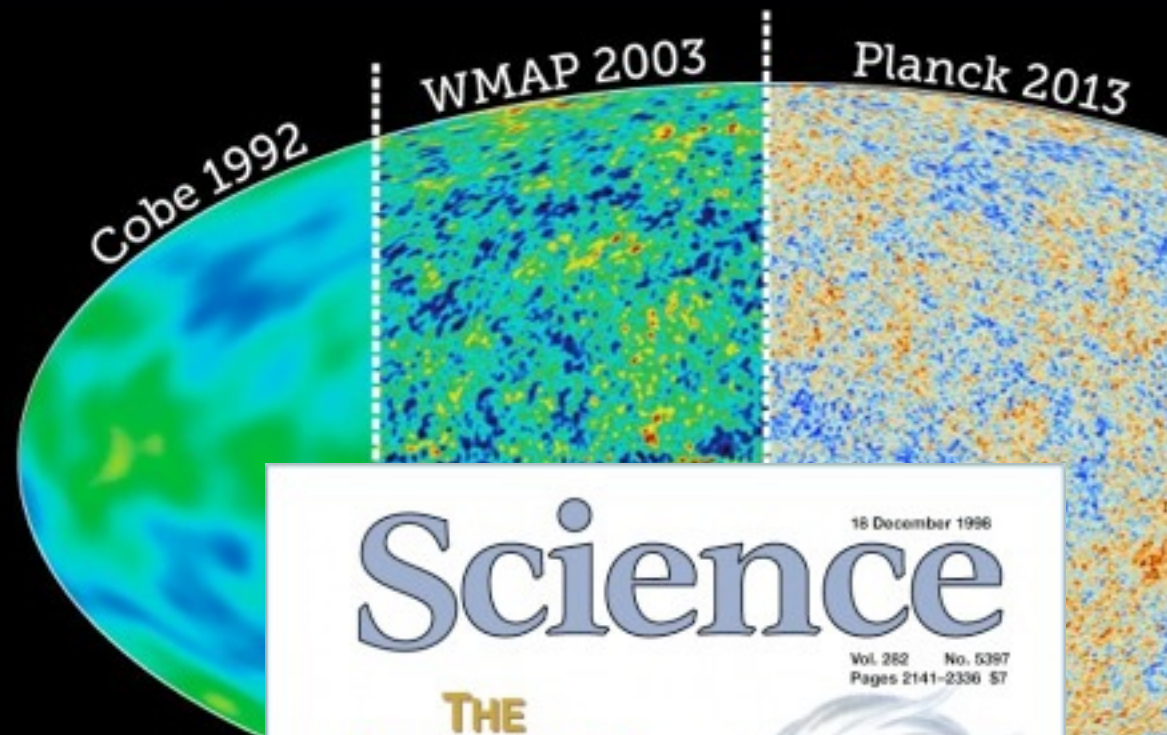


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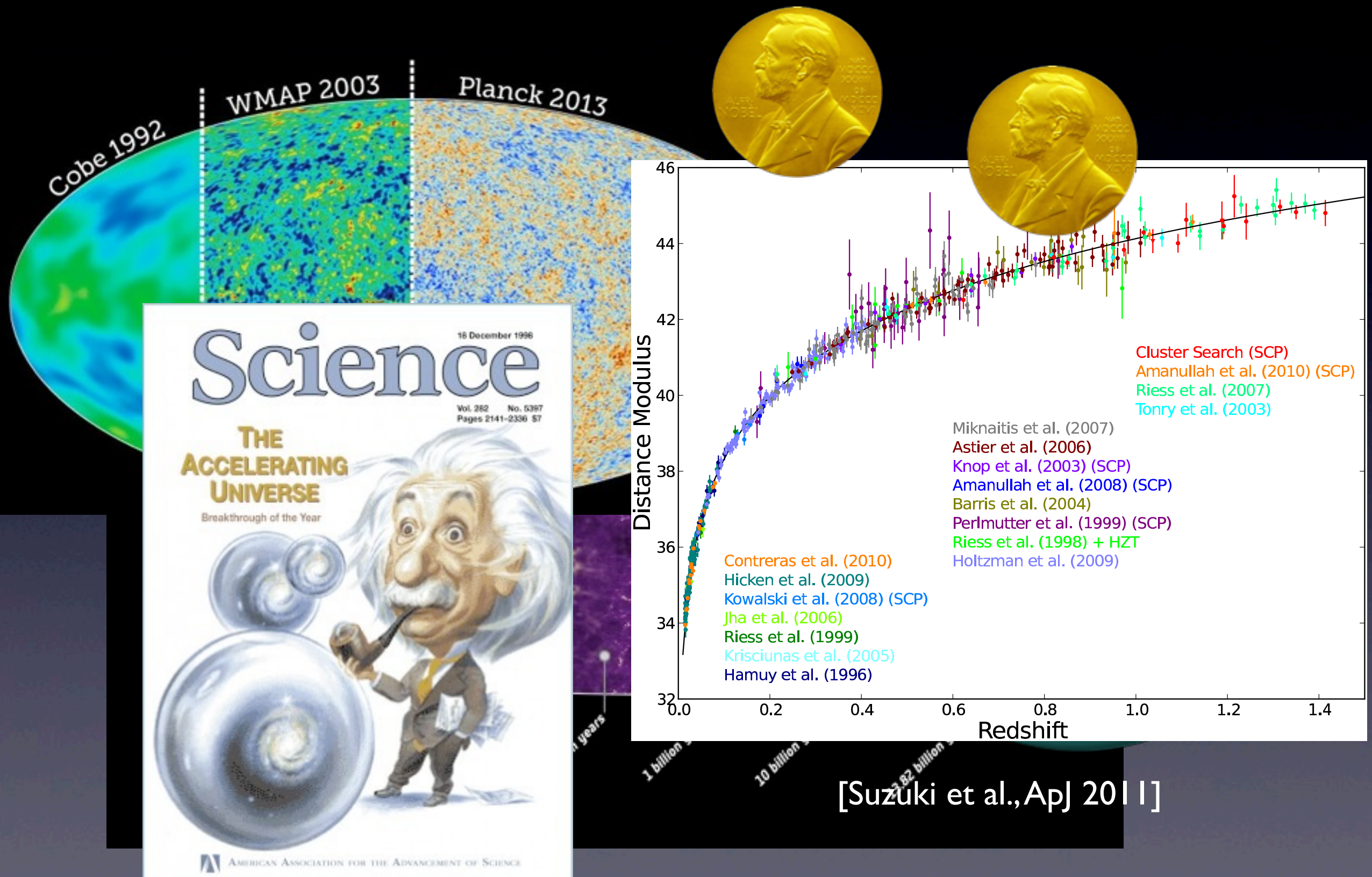
# The Berkeley Universe



[Suzuki et al., ApJ 2011]

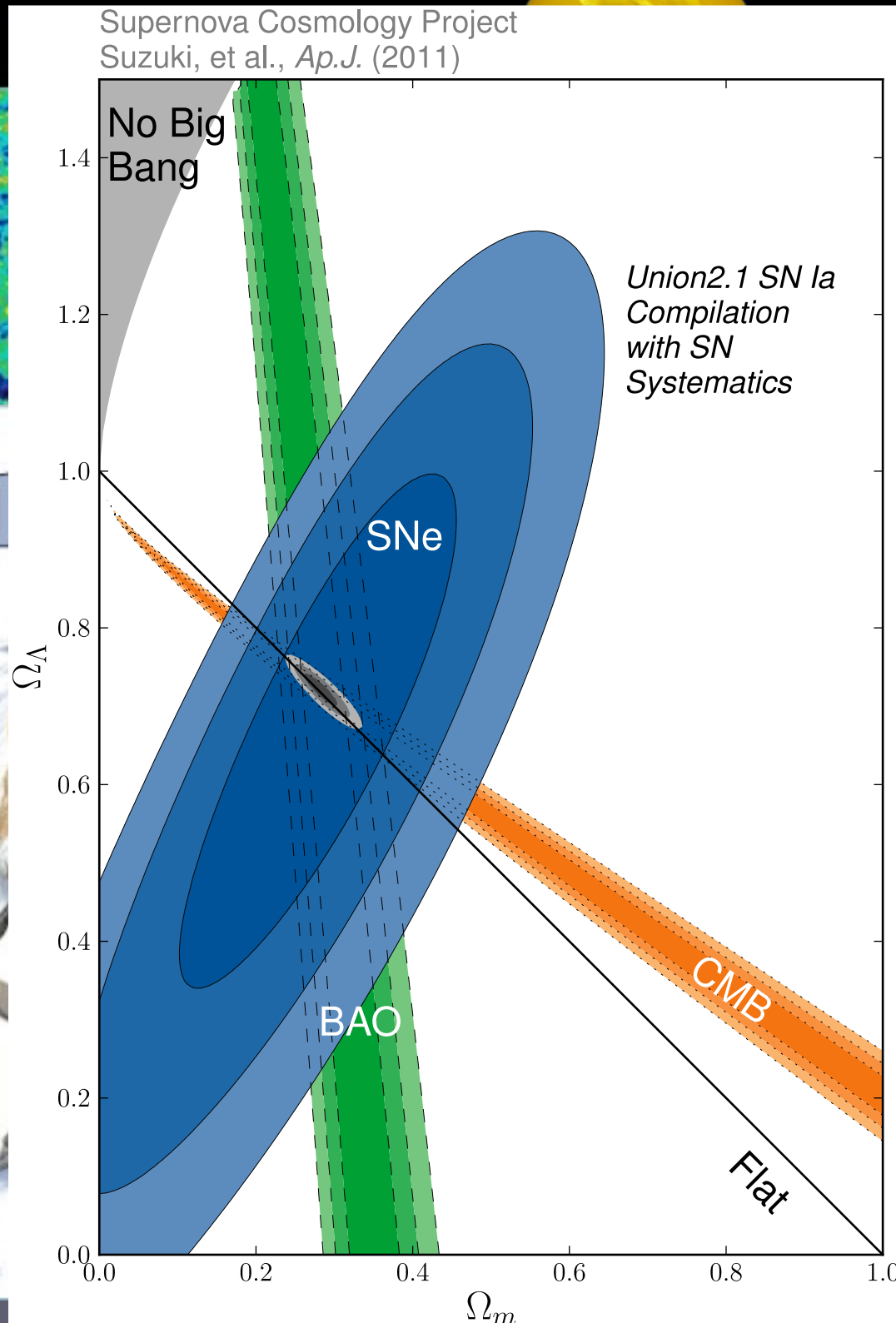


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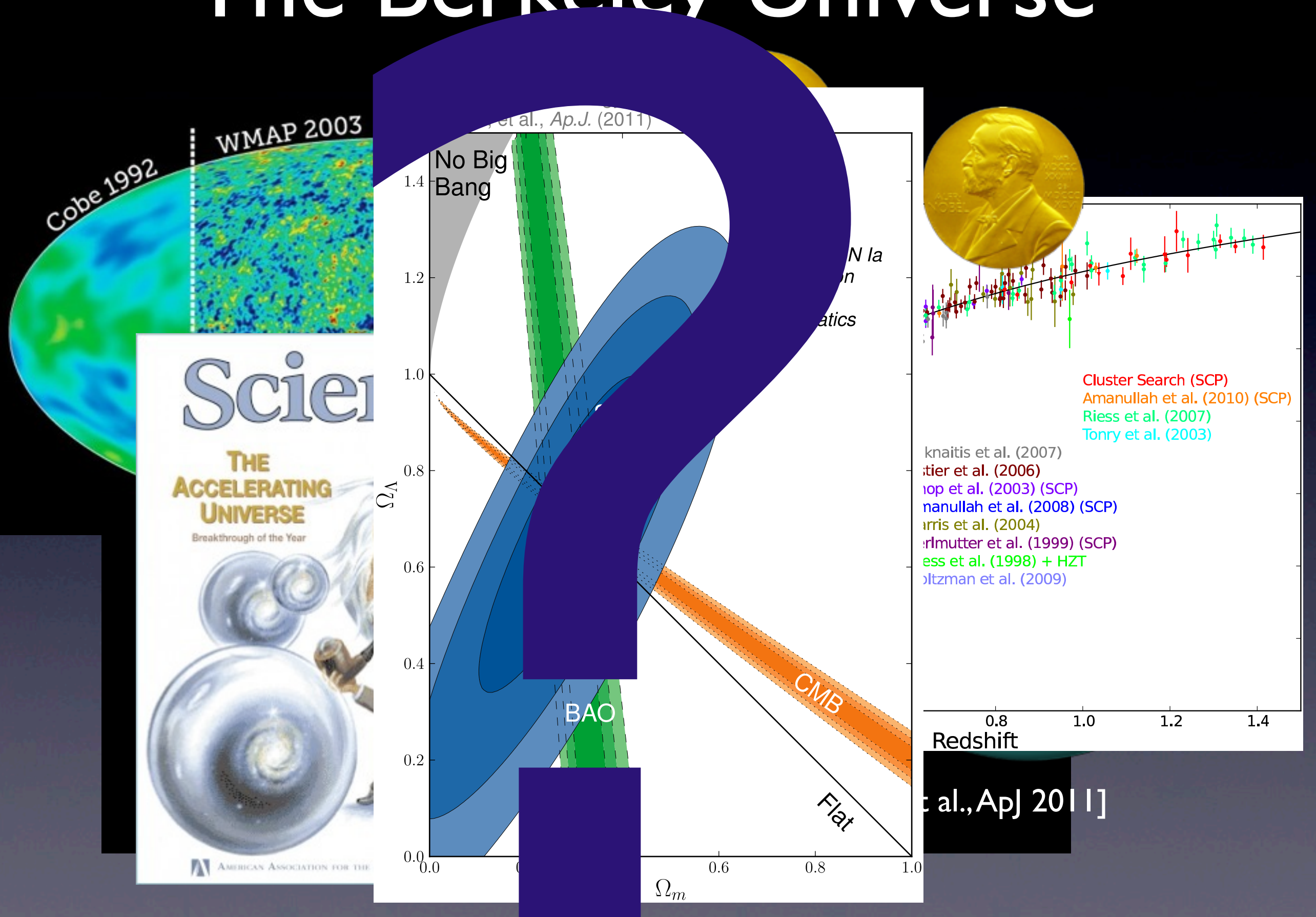


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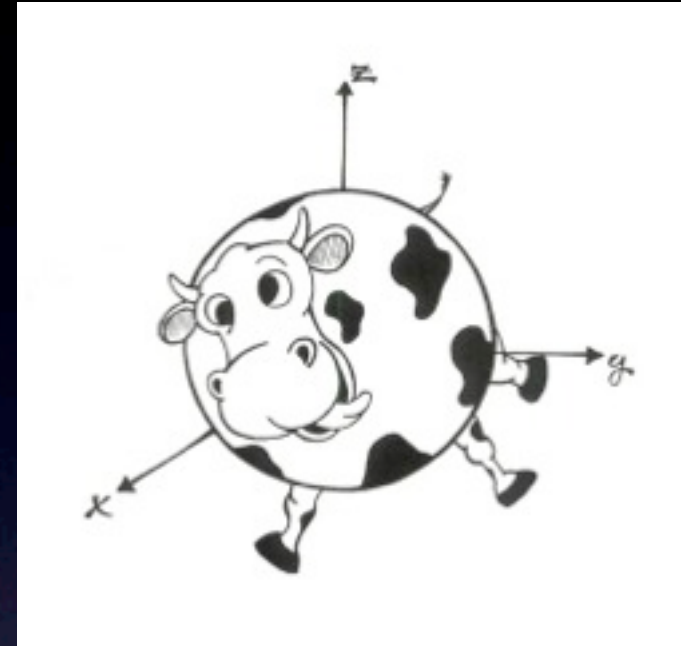
# The Berkeley Universe





# Elephants and spherical cows

- As scientists, we have an almost natural tendency toward “spherical cows”: isolating only the relevant aspects of a system/phenomenon.
- A more comprehensive understanding can sometimes arise from a broader perspective, considering the interaction of aspects that may, at first sight, seem unrelated.





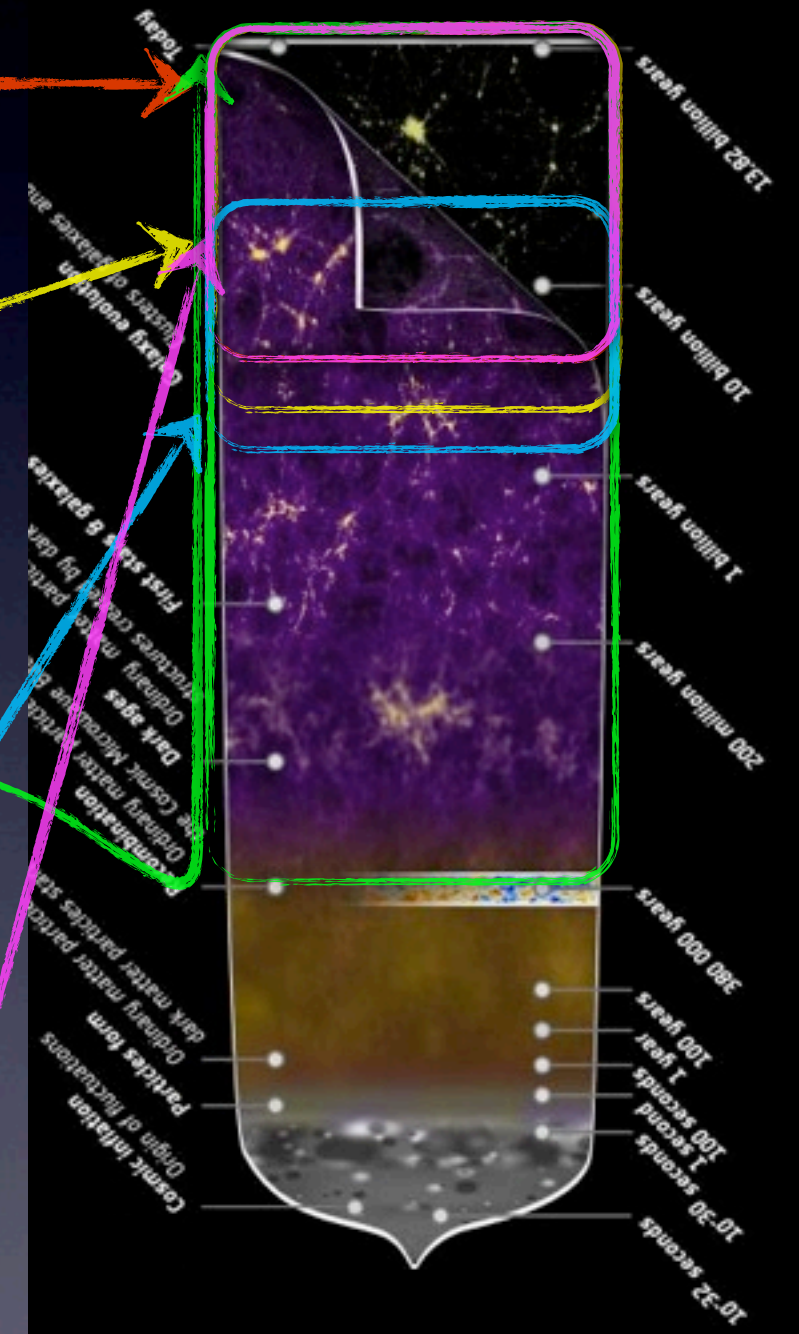
# Why is this interesting?

1. Cross-correlations can allow the extraction of astrophysical and cosmological information from what is normally considered “noise”.
2. Different experiments/data sets are characterized by different systematics. Cross-correlations can sometimes mitigate their impact.



# Outline

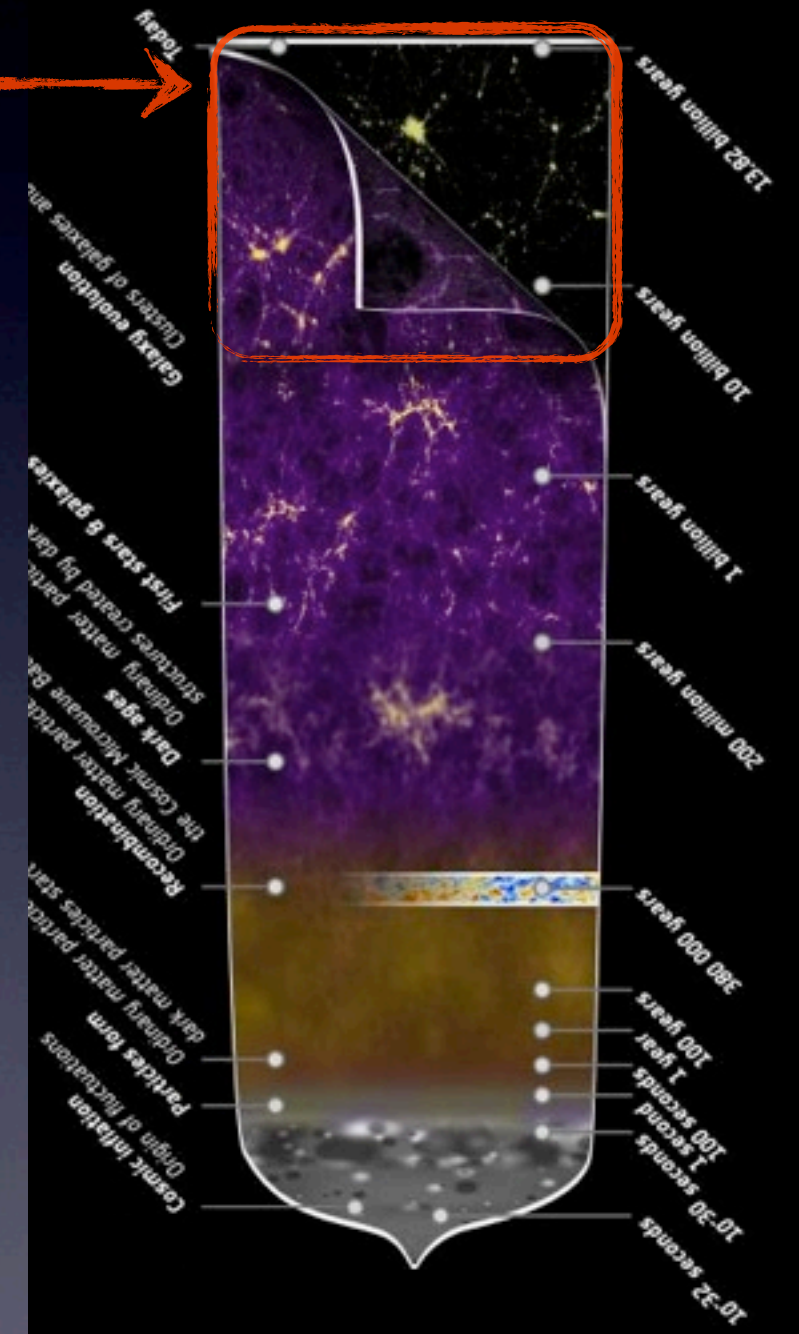
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- CMB lensing and galaxy redshift surveys





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# A first example: lensing of SNIa

- Weak lensing alters the luminosity of SNIa's: the scatter of  $\mu$  is sensitive to an intrinsic component  $\delta\mu_i$  and to a lensing contribution  $\delta\mu_{\text{cos}}$

$$\mu = \mu_0 + \delta\mu_i + \delta\mu_{\text{cos}}$$

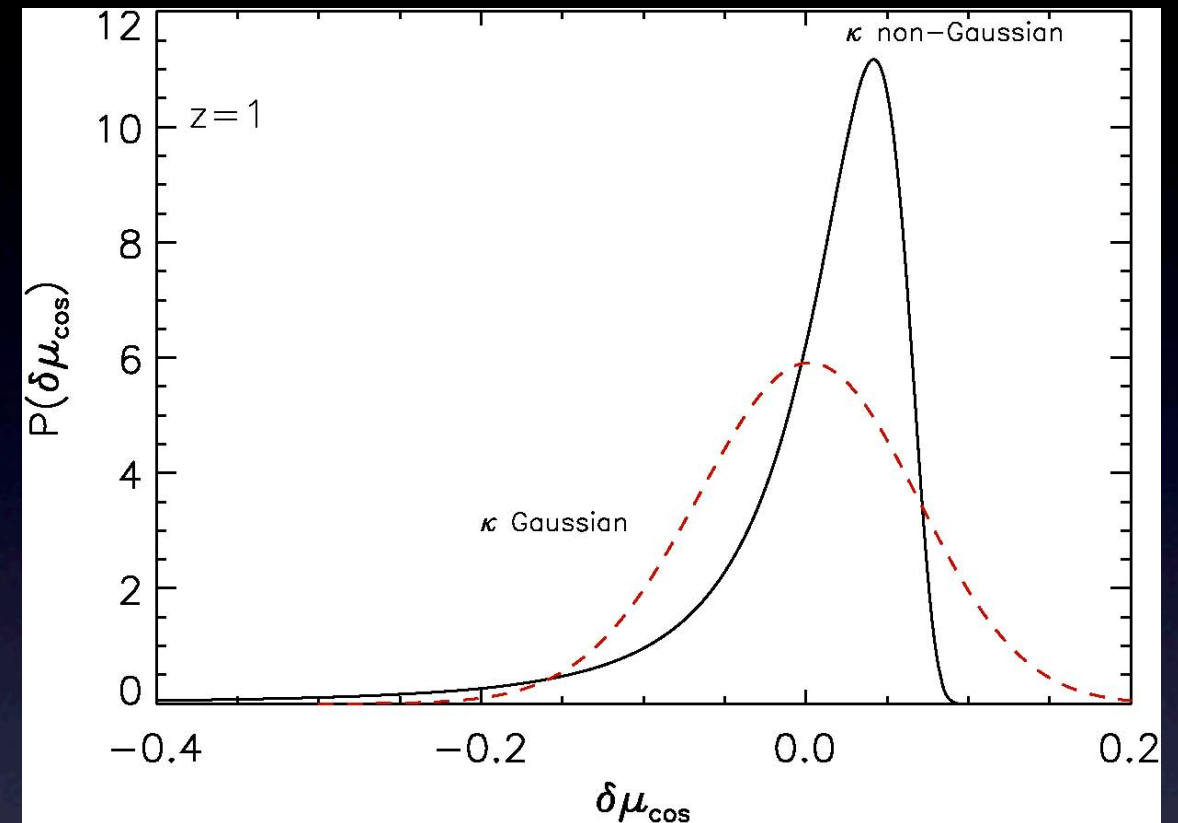


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- The pdf for  $\delta\mu_{\text{cos}}$  depends on  $\Omega_m$  and  $\sigma_8$  can be calculated [Valageas 1999,2000, Munshi and Jain 2000, Wang et al. 2002, Holz and Linder 2004, Das and Ostriker 2006].



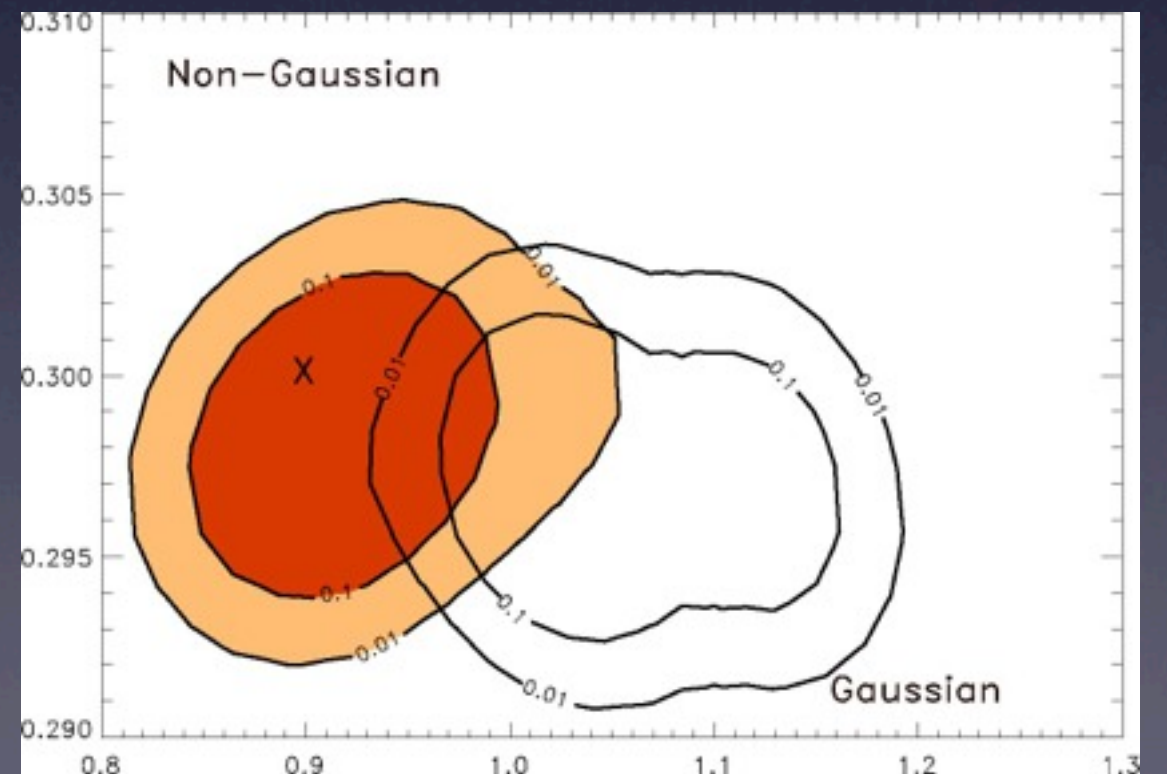
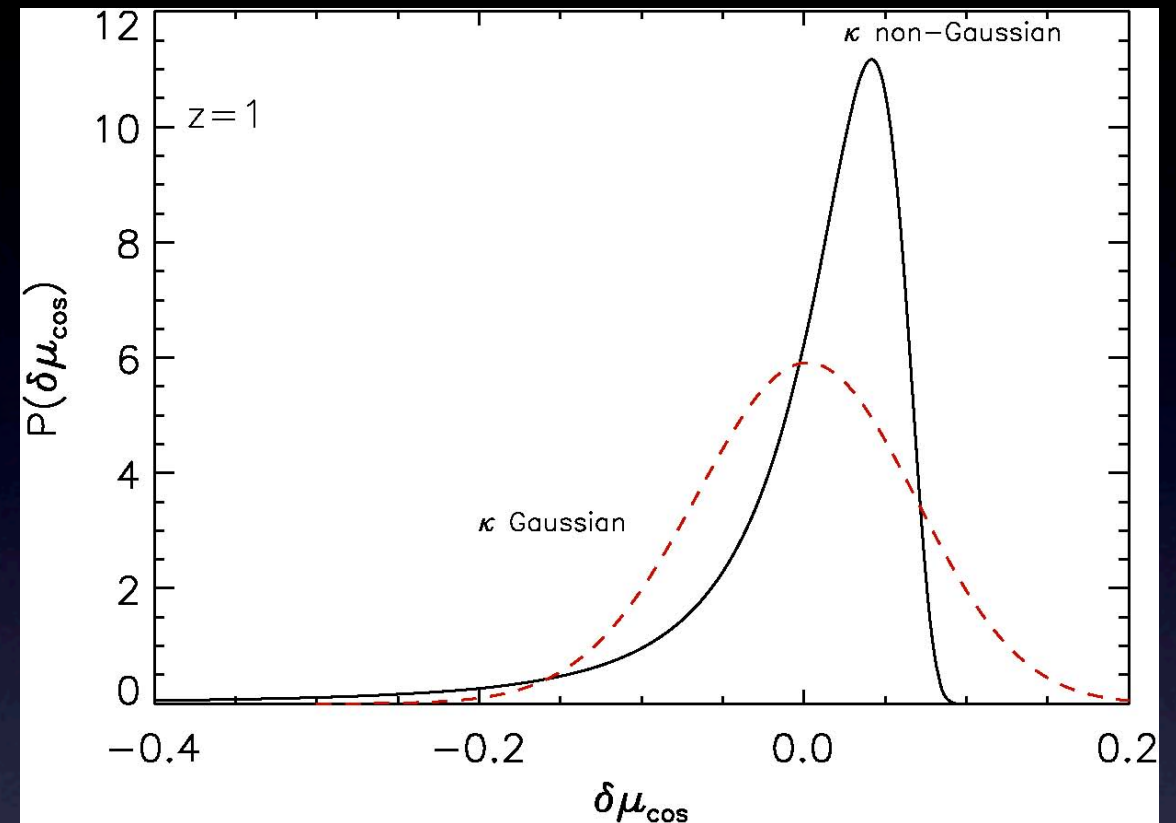


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- If properly calibrated on simulations, the knowledge of the pdf for  $\delta\mu_{\text{cos}}$  can be used to extract the  $\Omega_m$  and  $\sigma_8$  dependence (for free!)



[Dodelson and Vallinotto, 2005]



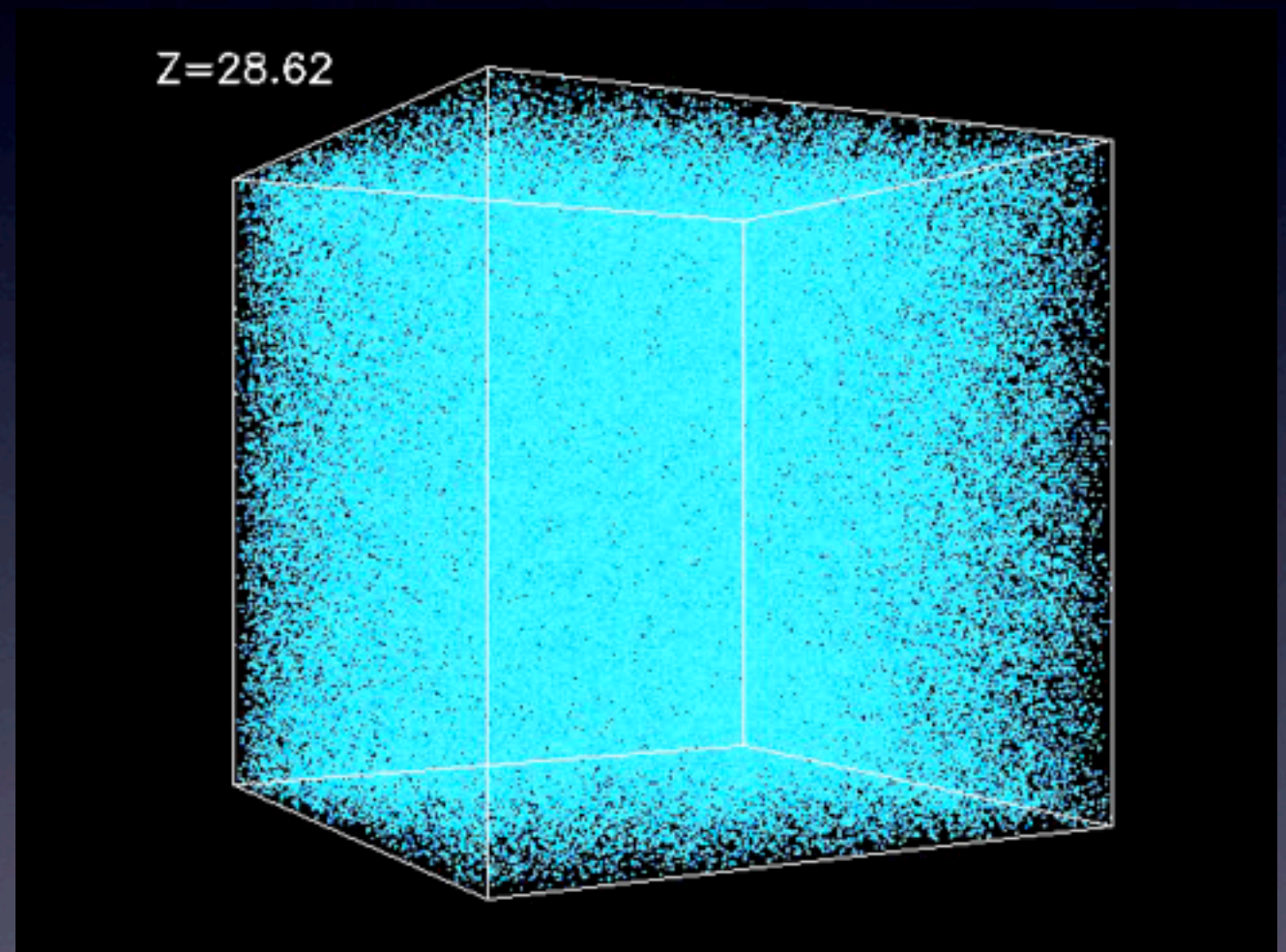
# A few things we've learned...

1. We can only observe the universe through an inhomogeneous medium.
2. Whether something can be considered “information” or “noise” is mostly a matter of taste (or focus).
3. If we are clever and “lucky” we can turn this to our advantage, extracting information from the “noise”.



# Observing the universe through an inhomogeneous medium

- Structure forms through gravitational collapse...
- ... starting from initial conditions consistent with CMB.

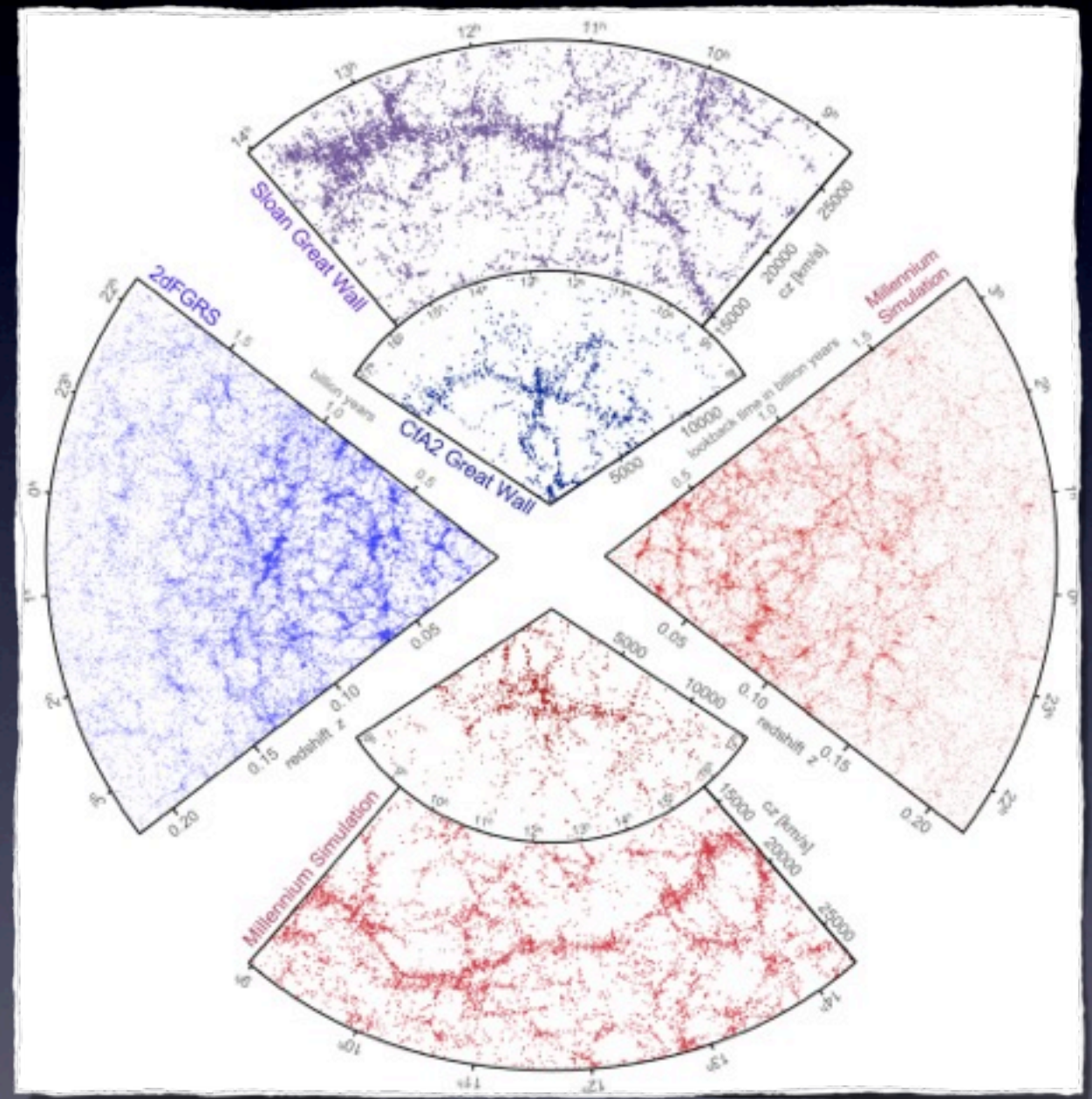


[Kravtsov, 2005]



# Observing the universe through an inhomogeneous medium

- Structure forms through gravitational collapse...
- ... starting from initial conditions consistent with CMB.
- Simulations results are consistent with observational evidence from LSS surveys on large scales.

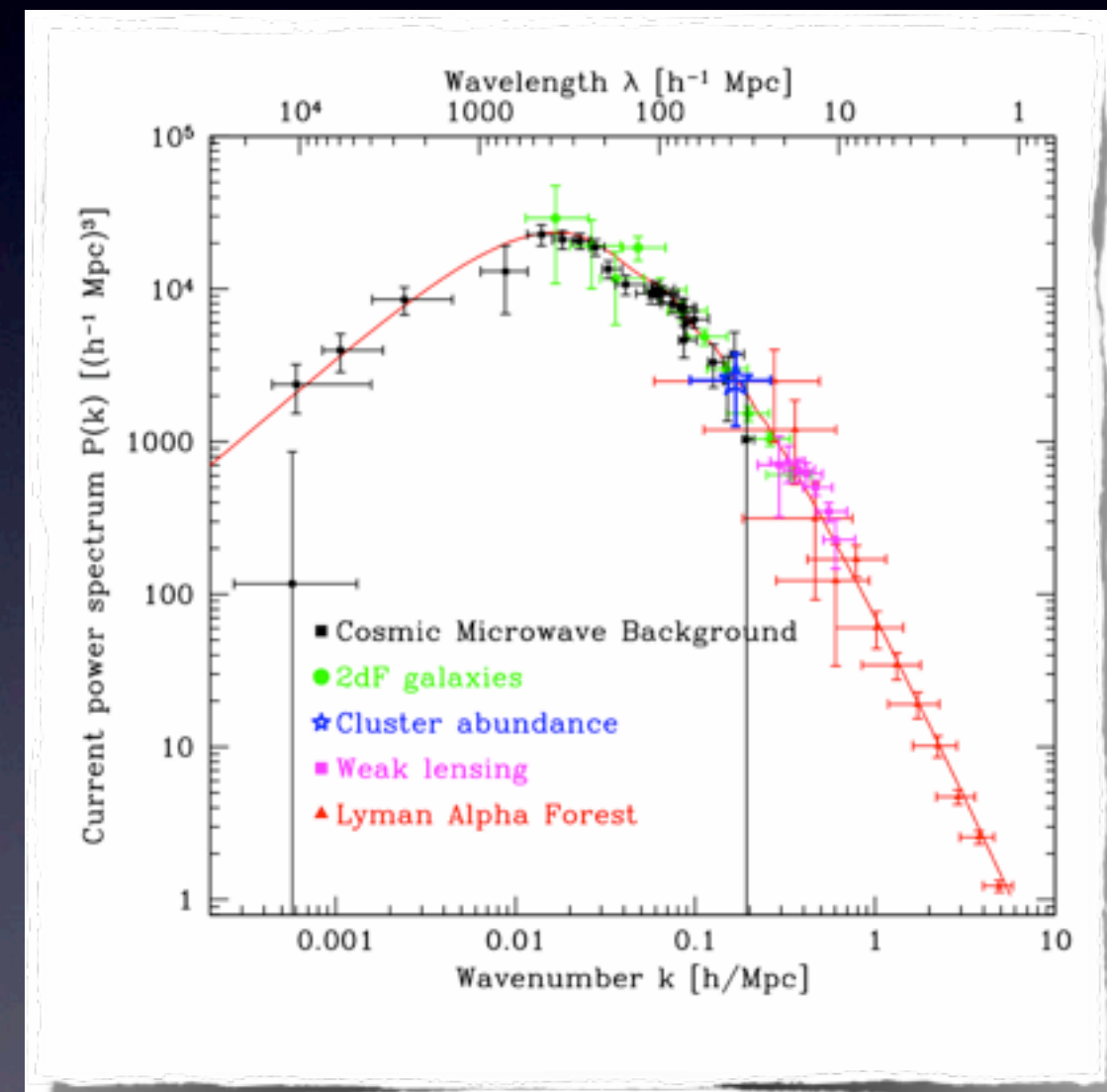


[Springel et al., 2005]



# Observing the universe through an inhomogeneous medium

- Dark matter structure provides the scaffolding over which most of other structure forms.
- The dark matter power spectrum is mostly sensitive to the **cosmology** and to the physics of structure formation (ie gravity).
- Intuitively, on large enough scales overdensities in the DM field should be matched by overdensities in the other “visible stuff” (galaxies/quasars, Lyman- $\alpha$ , HI,...).
- The “**biasing relation**” between the tracers and the DM field therefore contains **astrophysical** information about the former: how baryons cluster and form structure.
- Different tracers allow to probe the DM field on different scales.



[Tegmark, 2002]

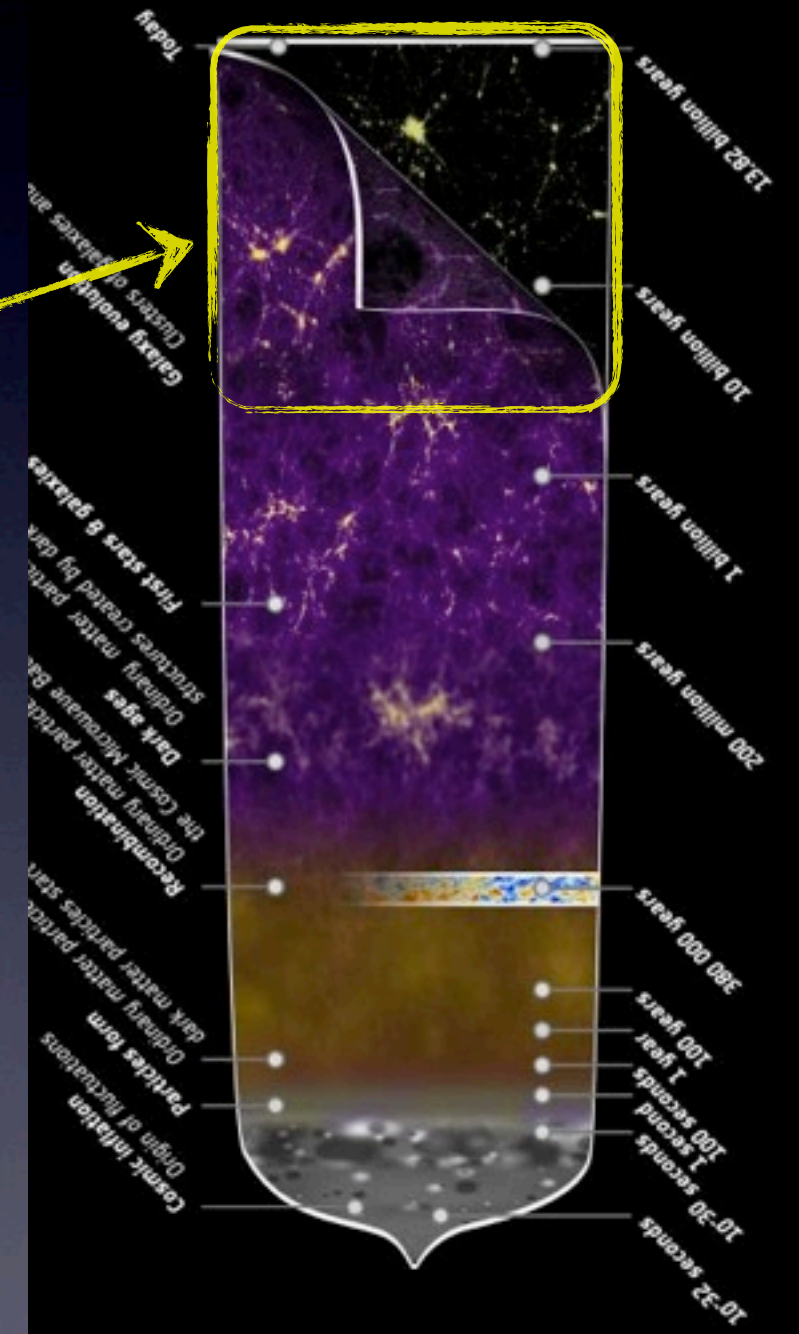
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# Outline

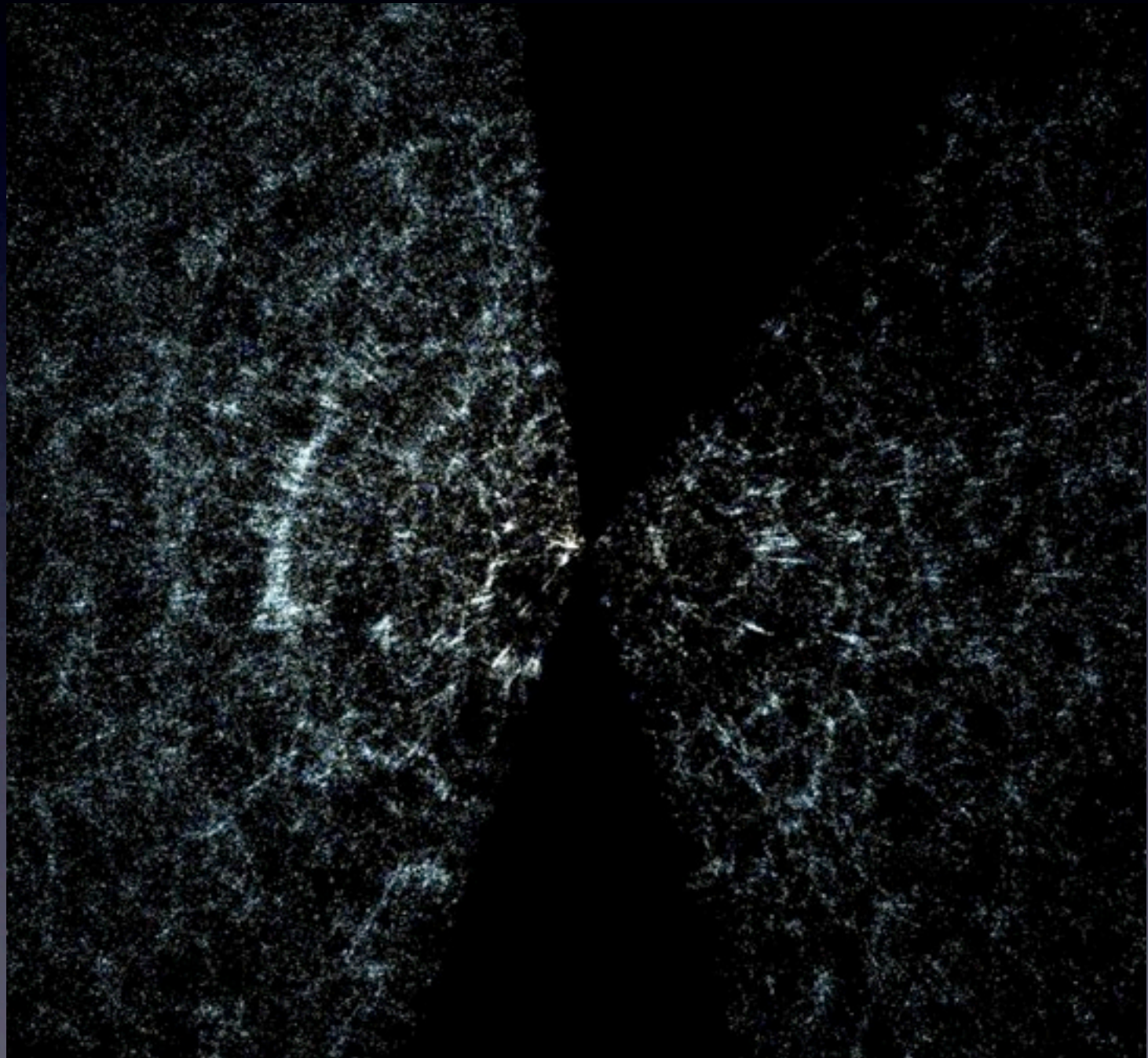
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# Redshift space distortions

- Noise: observed galaxy positions are distorted by the component of their peculiar velocity parallel to the line of sight.
- RSD arise from the interplay between the density and velocity fields.



[BOSS]



# Using “noise” to probe cosmology

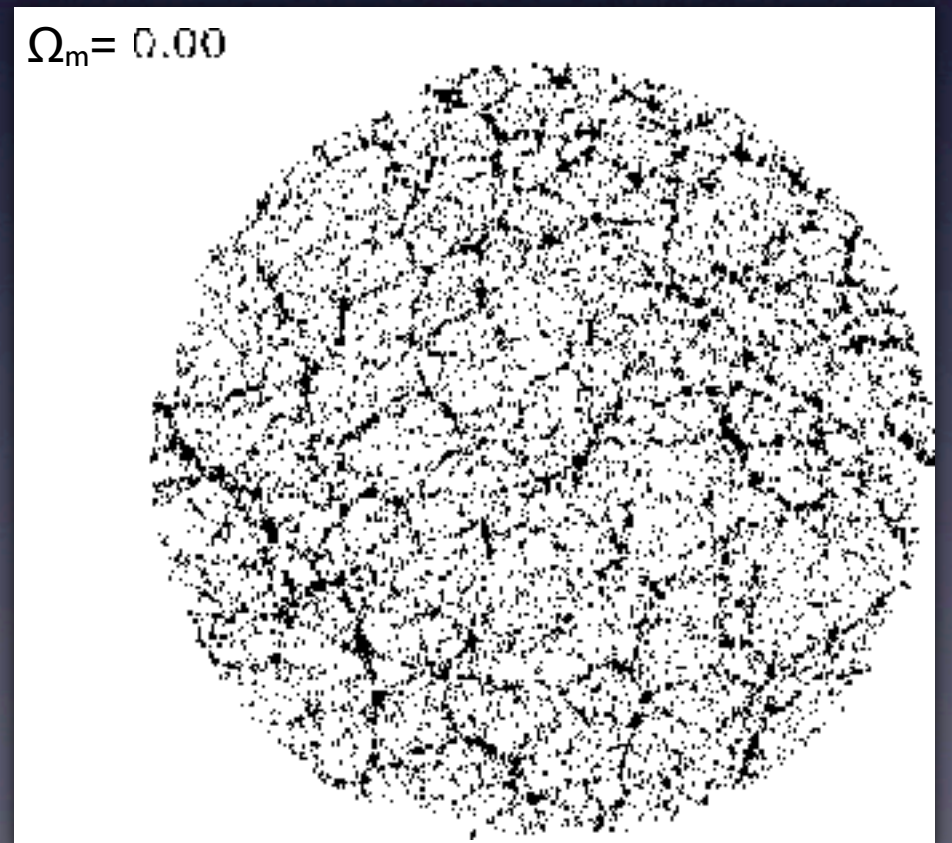
- Information: the velocity field is sensitive to the growth of structure.
- RSD allow to probe structure growth and, through that, cosmology and gravity.

$$P_{gg}(k, \mu) = (b + f\mu^2)^2 P_{\delta\delta}(k)$$

[Kaiser, 1987]

Linear galaxy  
bias

$$f = \frac{d \ln(D)}{d \ln(a)} \sim \Omega_m(a)^\gamma$$



[Hume Feldman]

# Using “noise” to probe cosmology

- Information: the velocity field is determined by the growth of structure.
- RSD allow to probe cosmology and gravity through structure growth.
- Several complementary approaches (Seljak++ 2012, Kwan++ 2012, Reid and White 2011). We consider two in particular:
  - Distribution function approach (SMD): useful to understand the physics.
  - Reconstruction function approach (KLL): useful to extract the cosmology.



# Distribution function approach (Seljak, McDonald++)

- Starts considering the distribution function of particles in phase space  $f(\vec{x}, \vec{q}, t)$ , whose dynamics is determined by the Vlasov-Poisson equation.
- It defines the following n-rank tensors, effectively decomposing the distribution function into its helicity states

$$T_{i_1, i_2, \dots, i_n}^n(\vec{x}) \equiv \frac{m}{\bar{\rho}} \int d^3 \vec{q} f(\vec{x}, \vec{q}) u_{i_1} u_{i_2} \dots u_{i_n}$$

$$T_{i_1, i_2, \dots, i_n}^n(\vec{k}) = \int d^3 \vec{x} e^{i\vec{k} \cdot \vec{x}} T_{i_1, i_2, \dots, i_n}^n(\vec{x})$$

- Then it expands the redshift space density field in angle as

$$\delta_s(\vec{k}) = \sum_n \frac{1}{n!} \left( \frac{ik\mu}{aH} \right)^n T_{\parallel}^n(\vec{k})$$

- Defining the power spectra of the different tensors as  $P^{ab}(\vec{k}) \delta_D(\vec{k} - \vec{k}') \equiv \langle T_{\parallel}^a(\vec{k}) T_{\parallel}^{*b}(\vec{k}') \rangle$

- The redshift space power spectrum of the density field is

$$P(\vec{k}) = \sum_{n=0}^{\infty} \frac{1}{(n!)^2} \left( \frac{k\mu}{aH} \right)^{2n} P^{nn}(\vec{k}) + 2 \operatorname{Re} \left[ \sum_{a=0}^{\infty} \sum_{b>a}^{\infty} \frac{(-1)^b}{a!b!} \left( \frac{ik\mu}{aH} \right)^{a+b} P^{ab}(\vec{k}) \right]$$

- It physically makes a lot of sense!

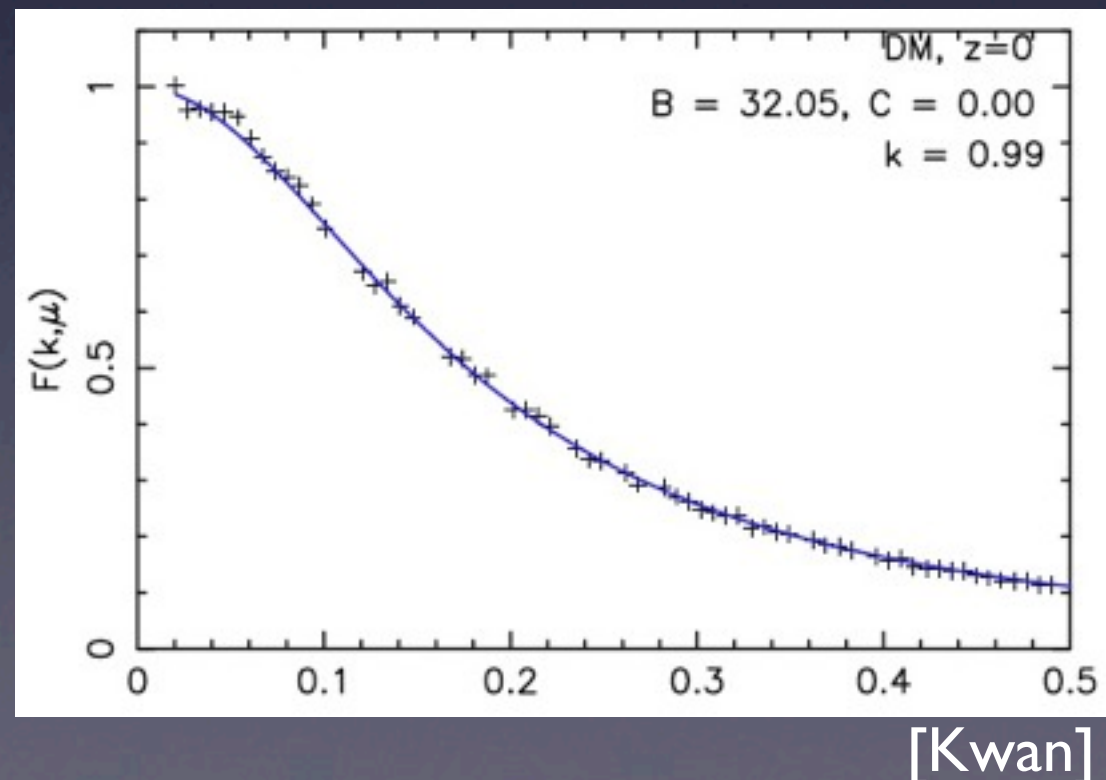
# Reconstruction function approach (Kwan, Lewis and Linder)

- The reconstruction function approach yields the full nonlinear anisotropic redshift power spectrum as a product of the reconstruction function times the nonlinear real space power spectrum.

$$P_{\text{RSD}}(k, \mu, z) = F(k, \mu, z) P_{\delta}(k, z)$$

- Simple fitting form, shown to work at  $\sim 1\%$  level with  $\Lambda\text{CDM}$ .

$$F(k, \mu) = \frac{1}{1 + Bk^2\mu^2} + Ck^2\mu^2$$





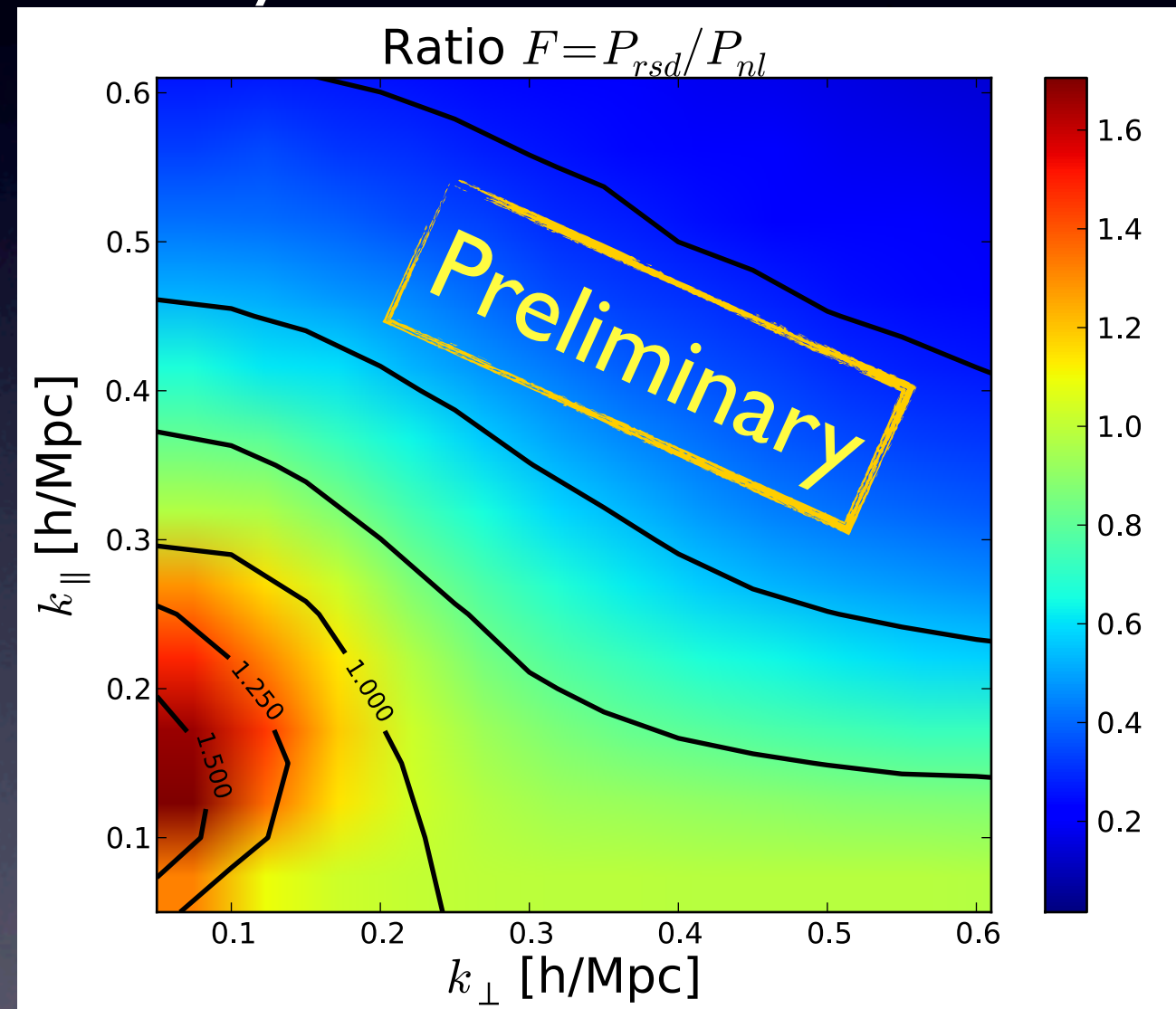
# Reconstruction function approach (Kwan, Lewis and Linder)

- Ongoing program for the calibration of  $F(k, \mu, z)$  on simulation suite, extending in redshift and cosmology depend.
- Currently developing automated pipeline to extract and calibrate the power spectra and reconstruction function from a large suite of simulations (also for Coyote++ and future suites).
- Goal 1: build an emulator for  $F(k, \mu, z)$  allowing the solution of the inverse problem: from RSD measurement to cosmology.
- Goal 2: extend the reach with new suite of simulations (in collaboration with ANL and NERSC).
- Coyote Simulations Suite:
  - 37 cosmologies
  - $1024^3$  particles
  - Box size: 936 Mpc/h
  - High resolution runs use Gadget-2
  - Initial conditions set at  $z=211$  using ZA.

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- Coyote Simulations Suite:



$z=0$

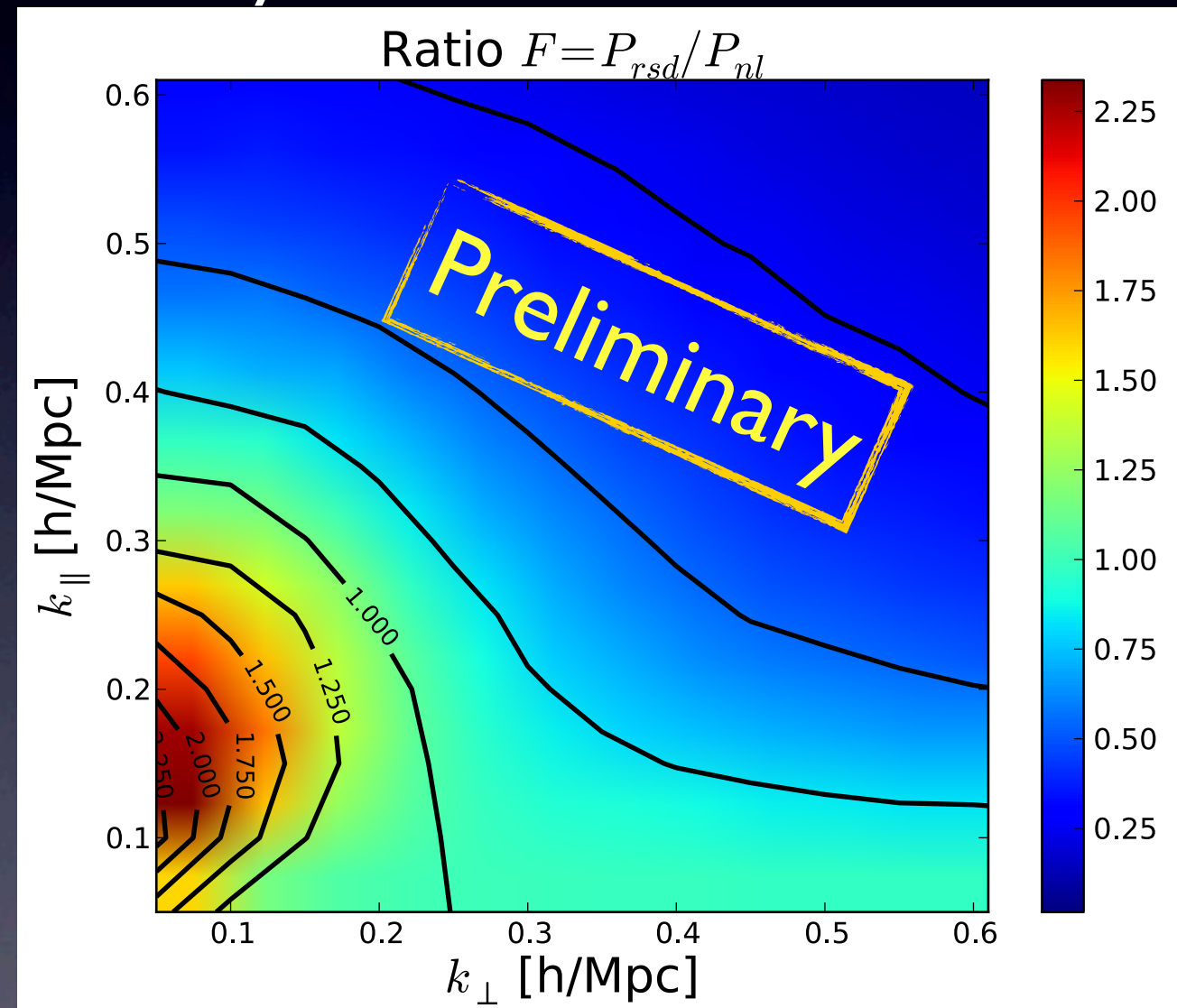
[Vallinotto and Linder, in prep.]



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- Coyote Simulations Suite:



$z=0.43$

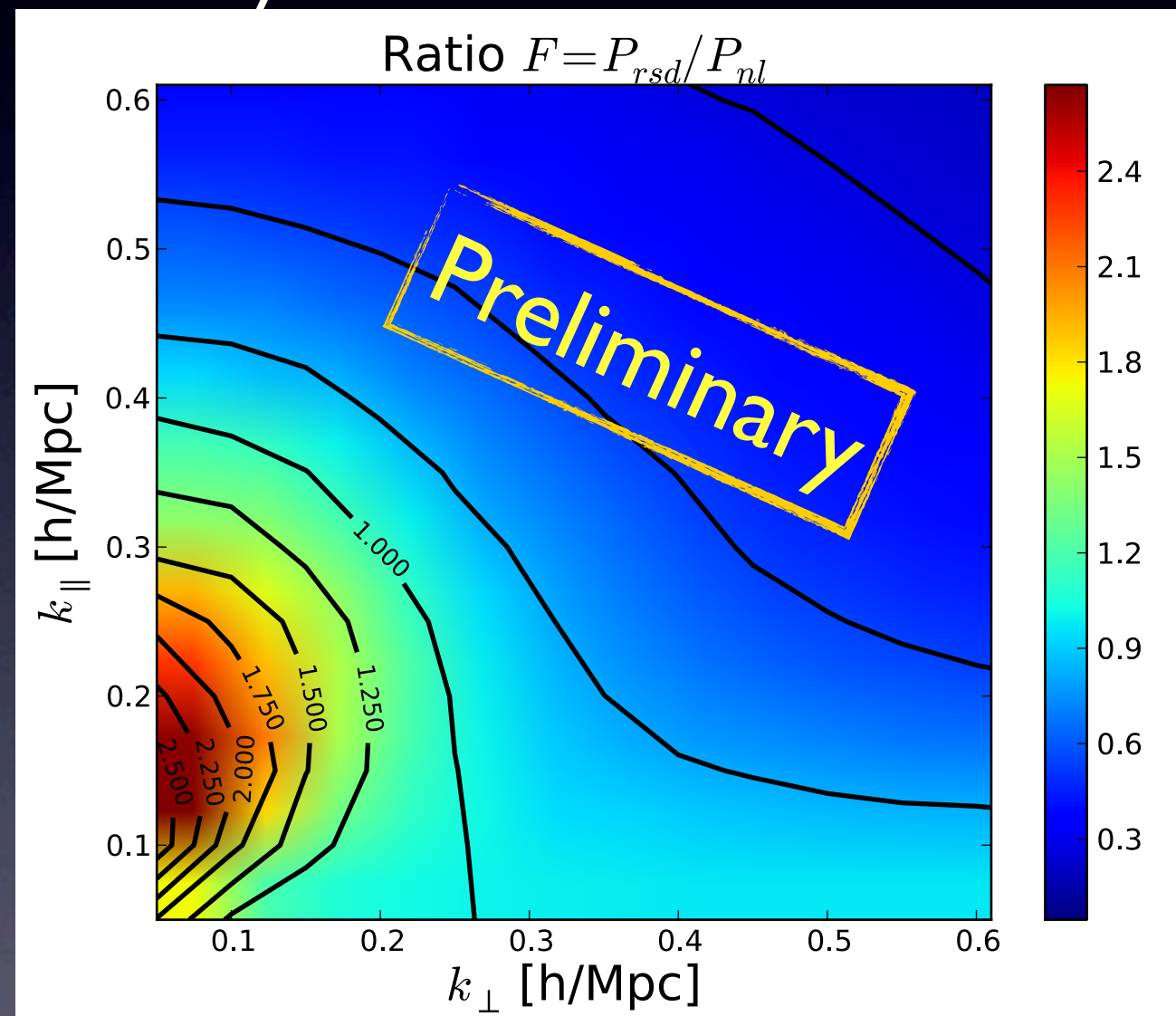
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# Reconstruction function approach

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- Coyote Simulations Suite:



$z=0.6$

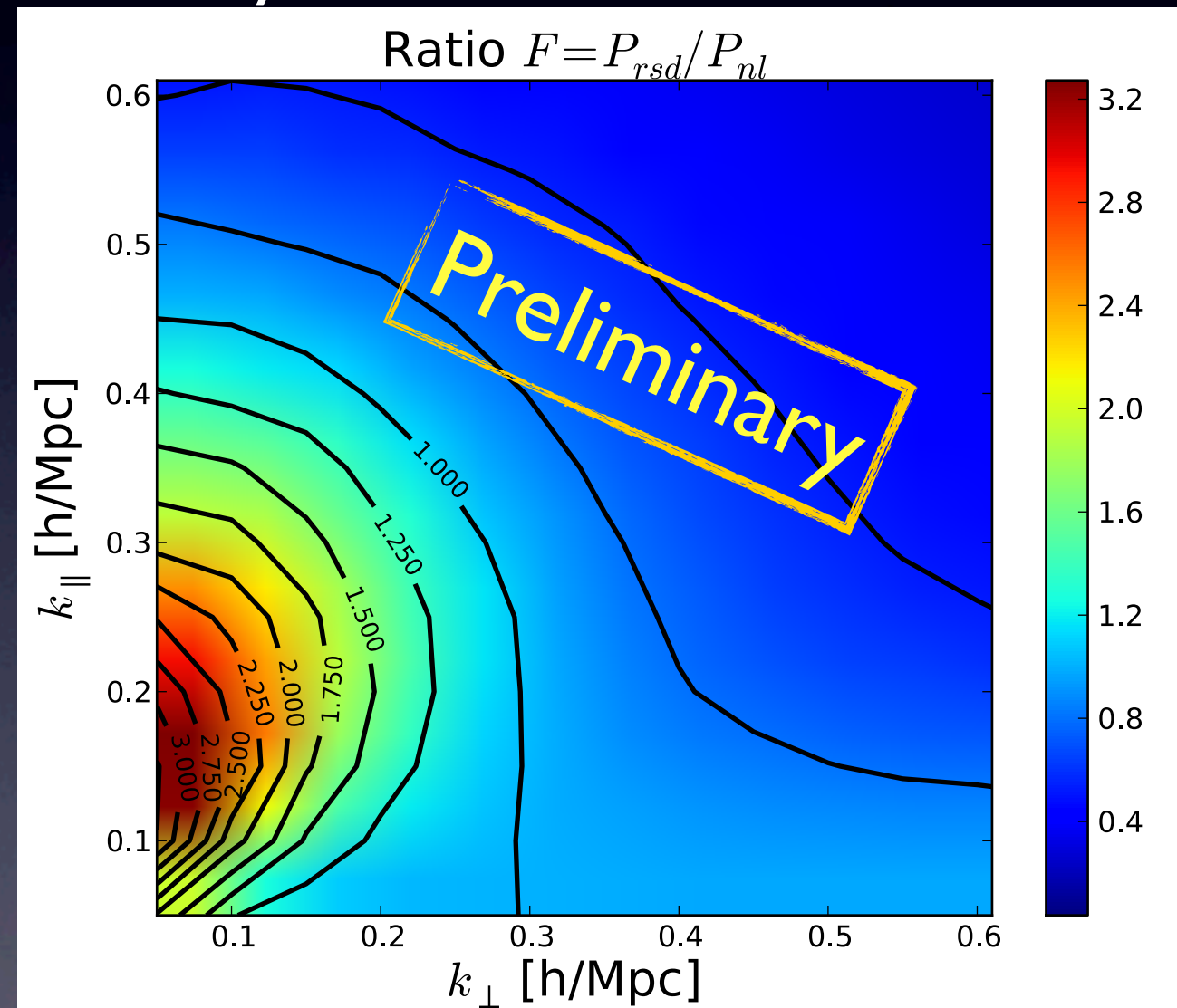
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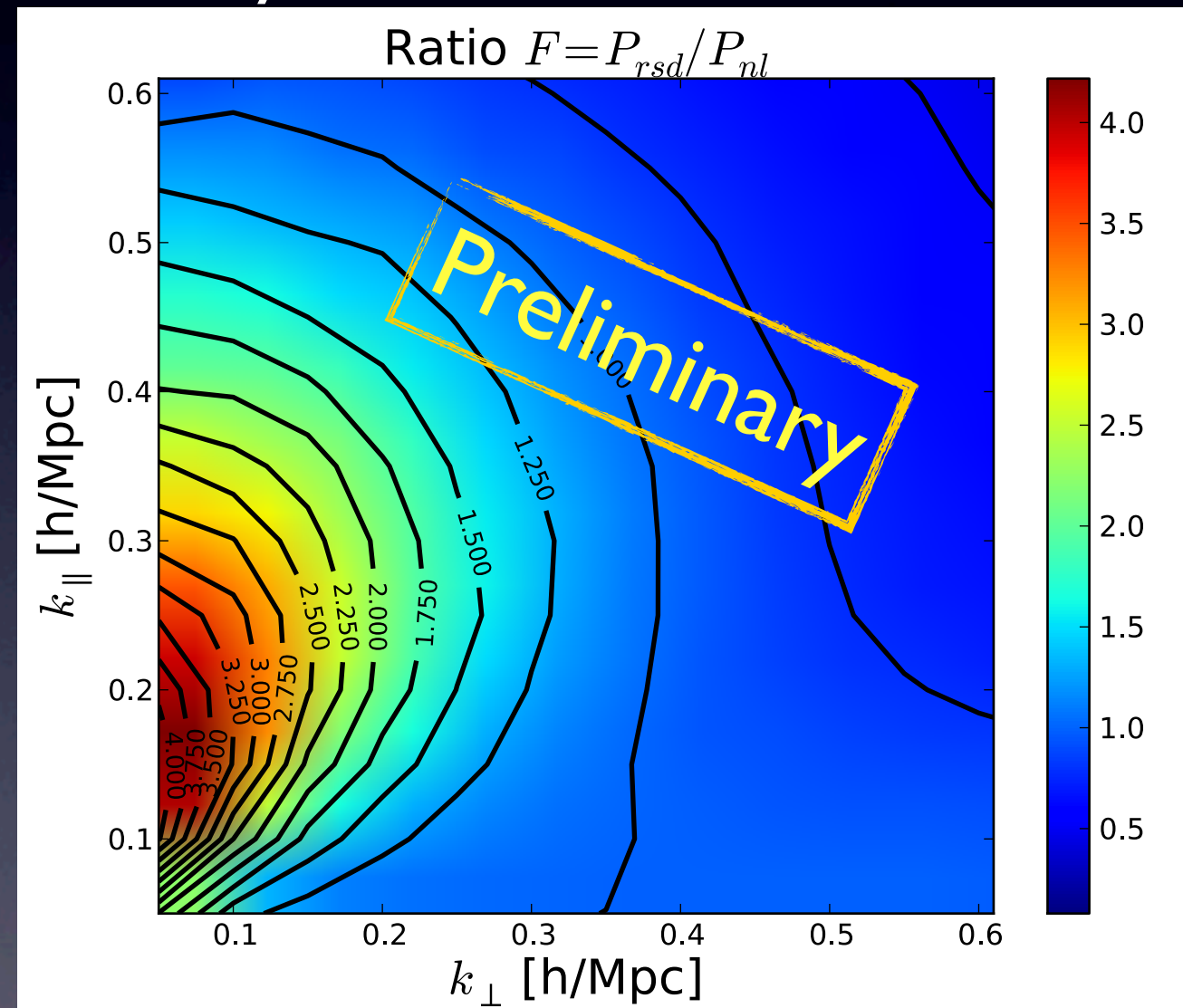
$z=1.0$

[Vallinotto and Linder, in prep.]

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- Coyote Simulations Suite:



$z=1.5$

[Vallinotto and Linder, in prep.]

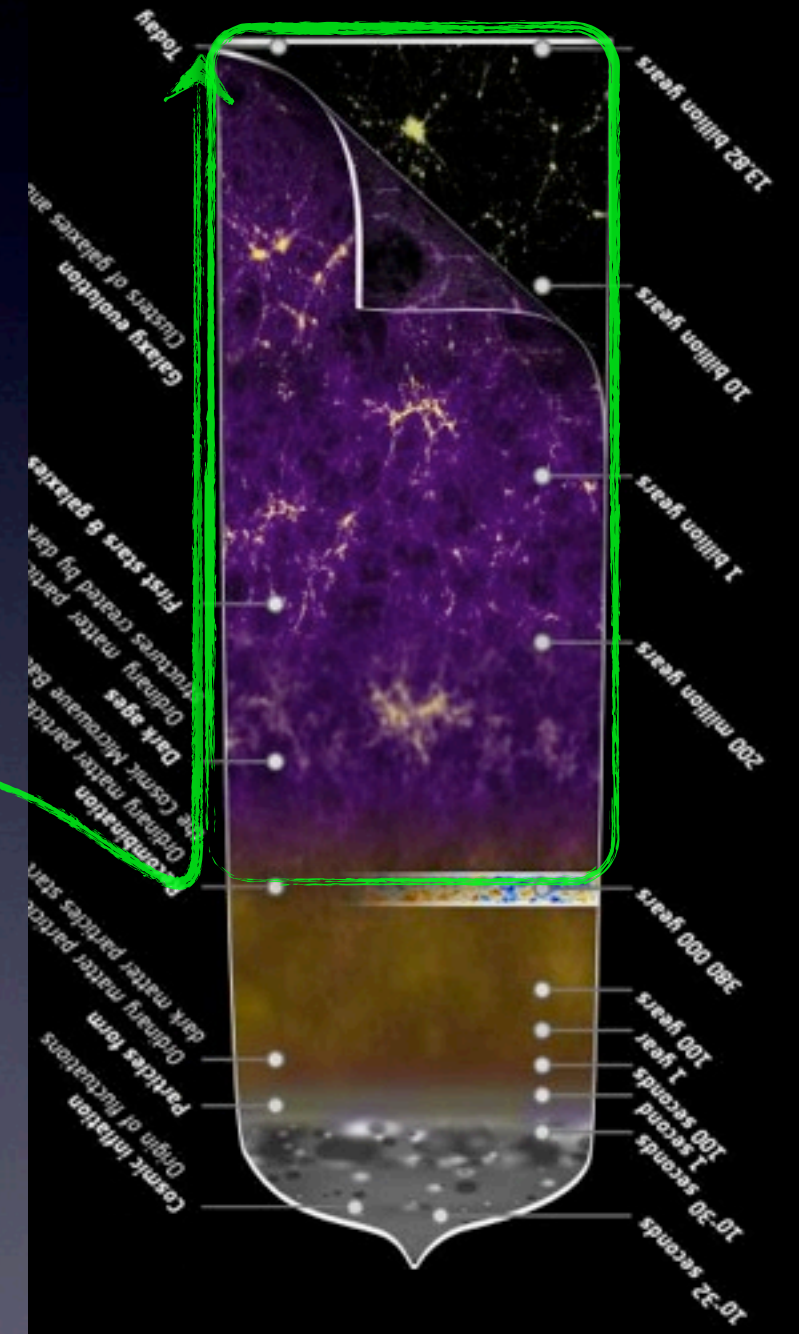


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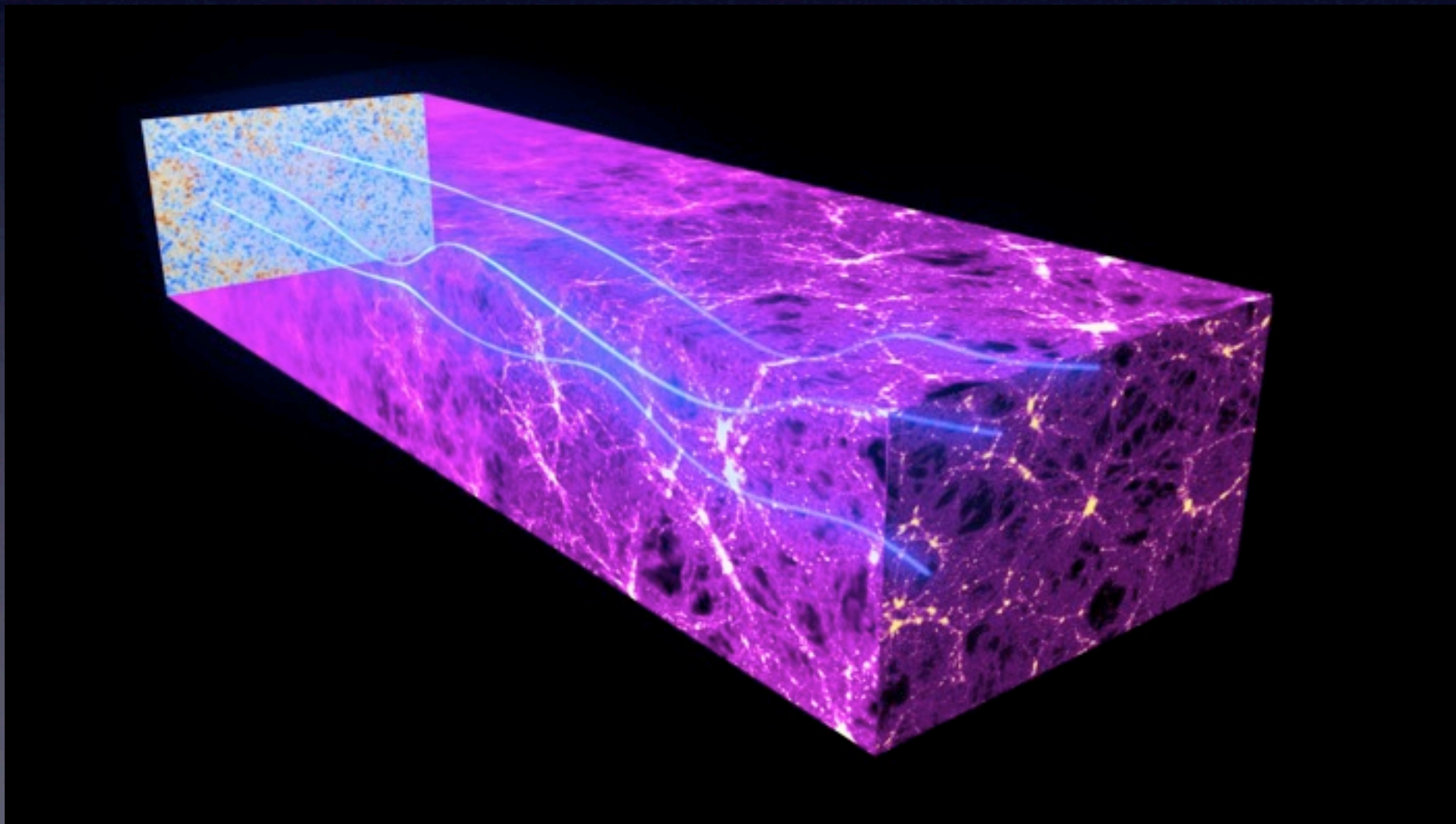
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# The key role of CMB lensing

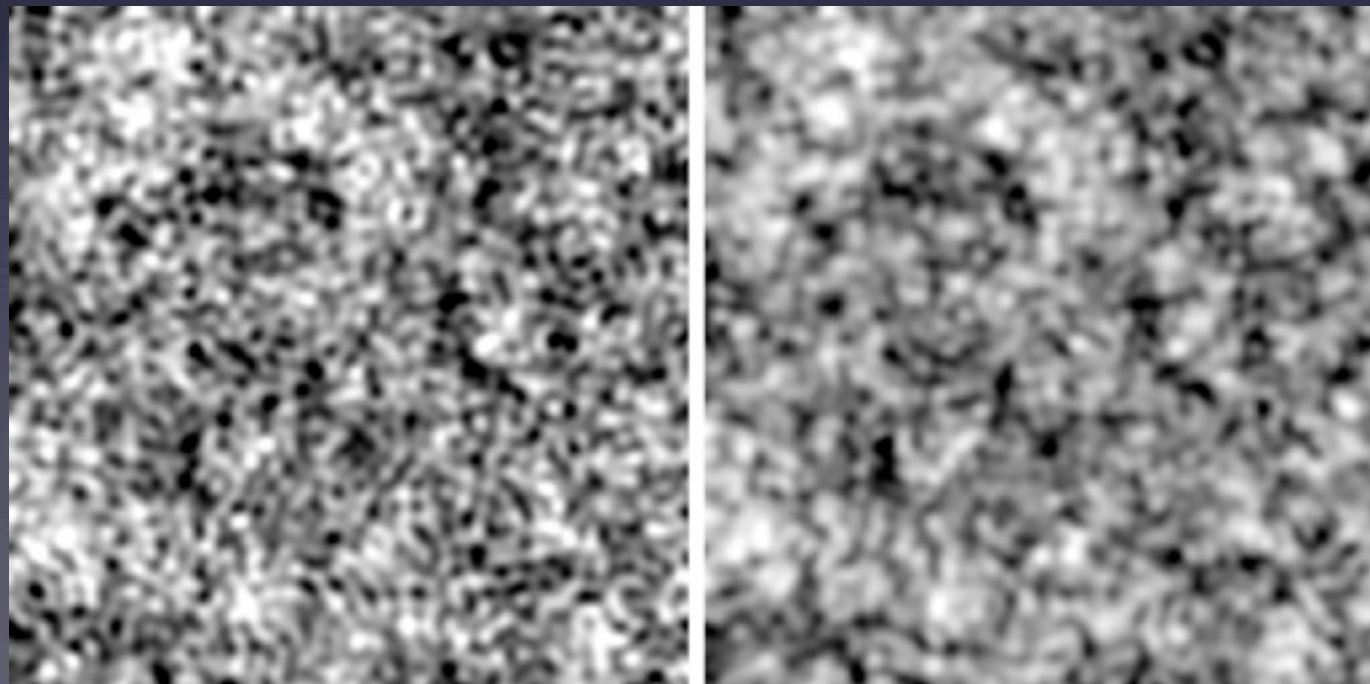
- In general, weak lensing depends to the density of matter between the observer and the source.
- CMB lensing probes the distribution of matter all the way to the last scattering surface.



# The key role of CMB lensing

- CMB lensing depends primarily on CMB physics: it is a relatively clean probe, especially compared to other probes of the density field.
- Optimal quadratic estimators allow the reconstruction of the CMB lensing convergence field [Hu and Okamoto (2000), Hirata and Seljak (2003)].

$$\kappa(\chi_s, \hat{n}) \simeq \frac{3\Omega_m H_0^2}{2c^2} \int_0^{\chi_s} d\chi \frac{\mathcal{D}(\chi)\mathcal{D}(\chi_s - \chi)}{\mathcal{D}(\chi_s)} \frac{\delta(\chi, \hat{n})}{a(\chi)}$$

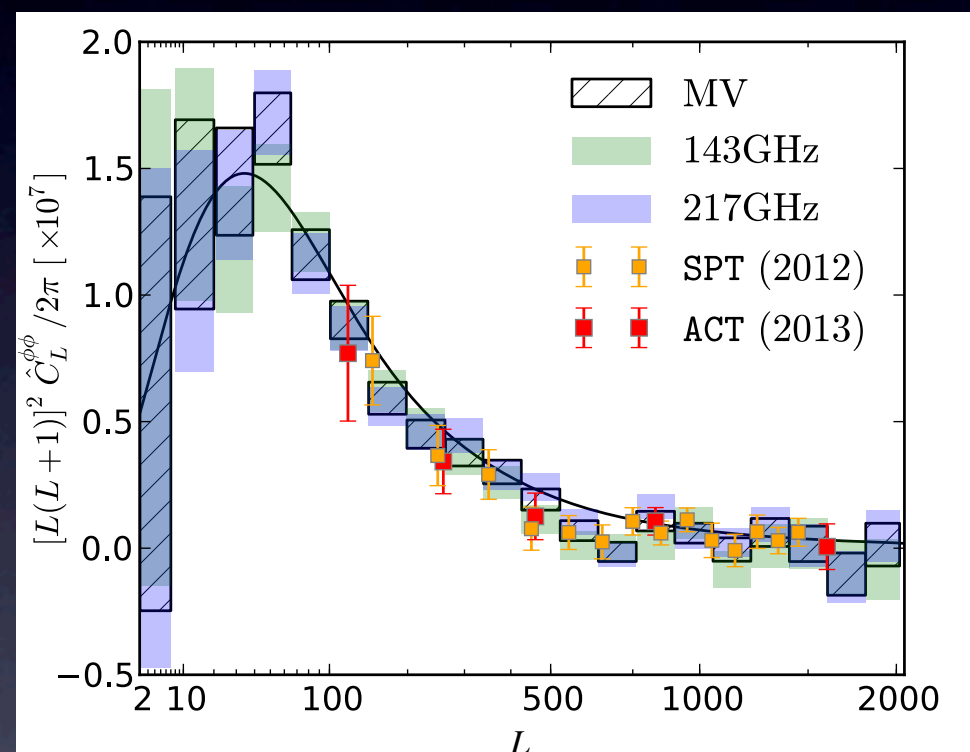


Original vs reconstructed deflection field [Hirata and Seljak, 2003]



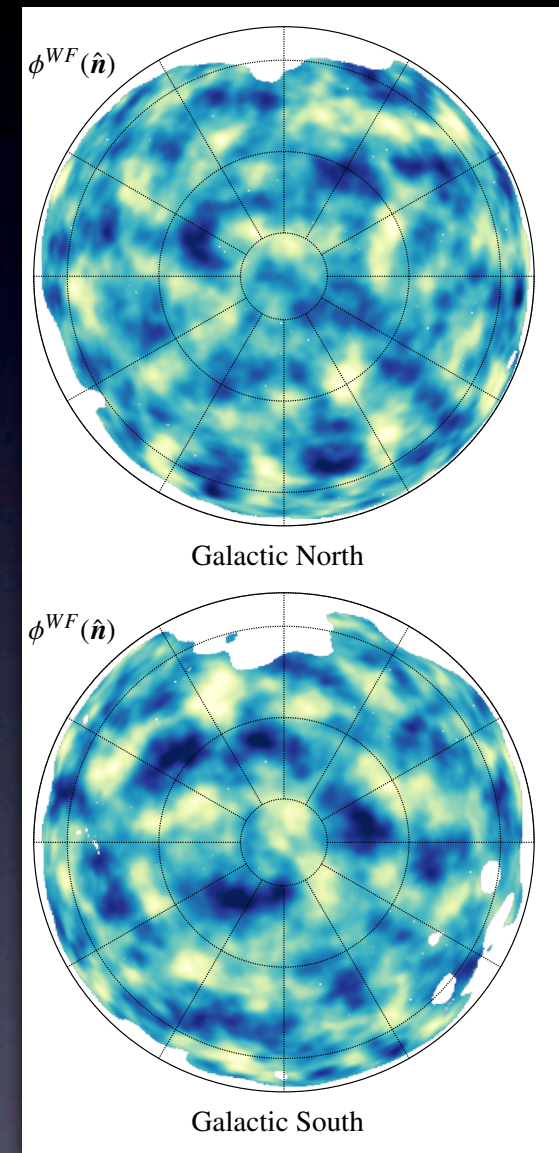
# CMB lensing is here!

- CMB lensing has been detected by ACT, SPT and Planck.



[Planck, 2013]

- Planck released noise dominated maps of the deflection potential.
- In the next few years SPTPol and ACTPol will provide detailed maps over fraction of sky.



[Planck, 2013]

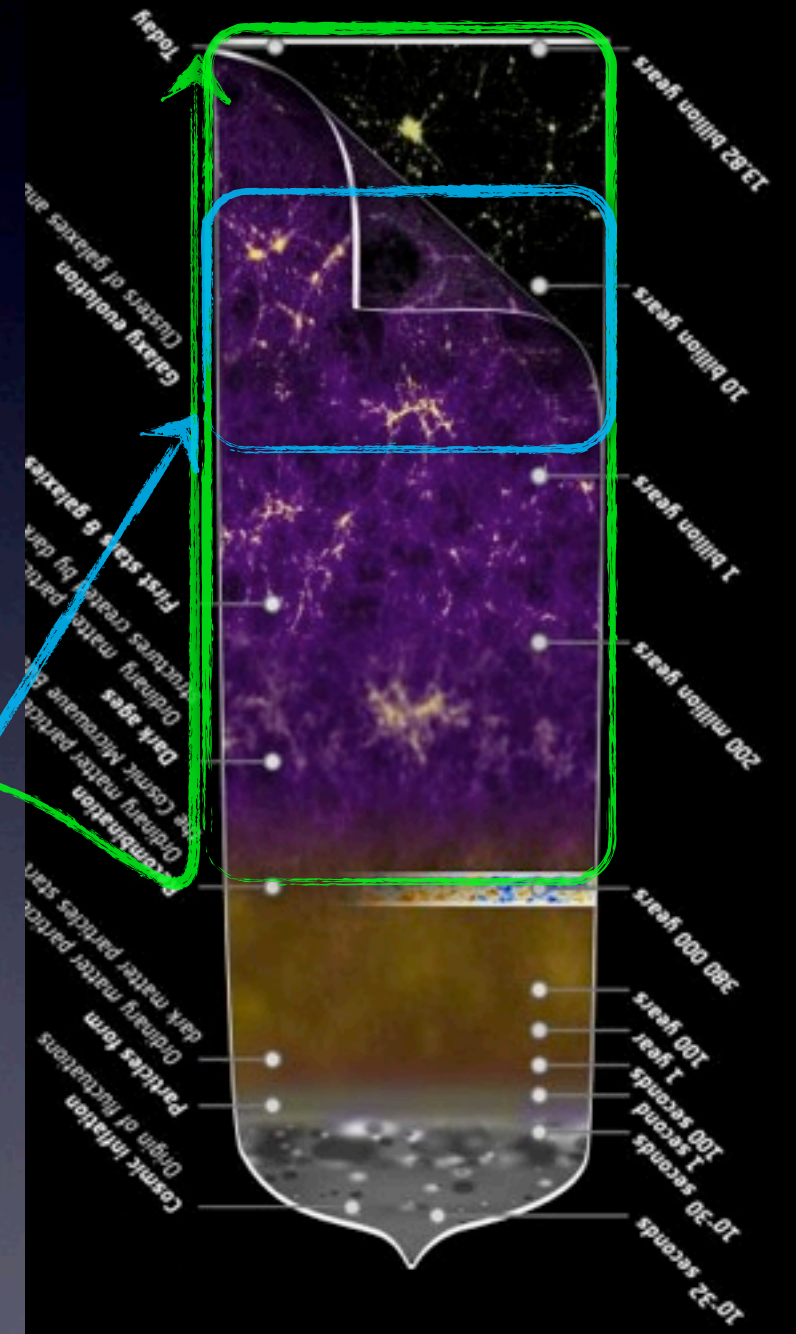
# The key idea

- CMB lensing measures directly the fluctuations of the density field integrated all the way to the LSS, hence
- cross-correlating any other biased tracer of the density field with CMB lensing allows the extraction of the biasing relation.



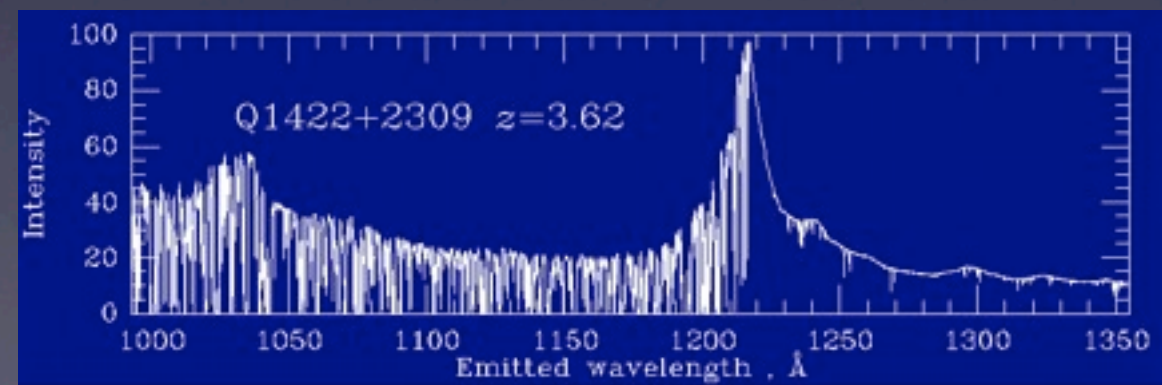
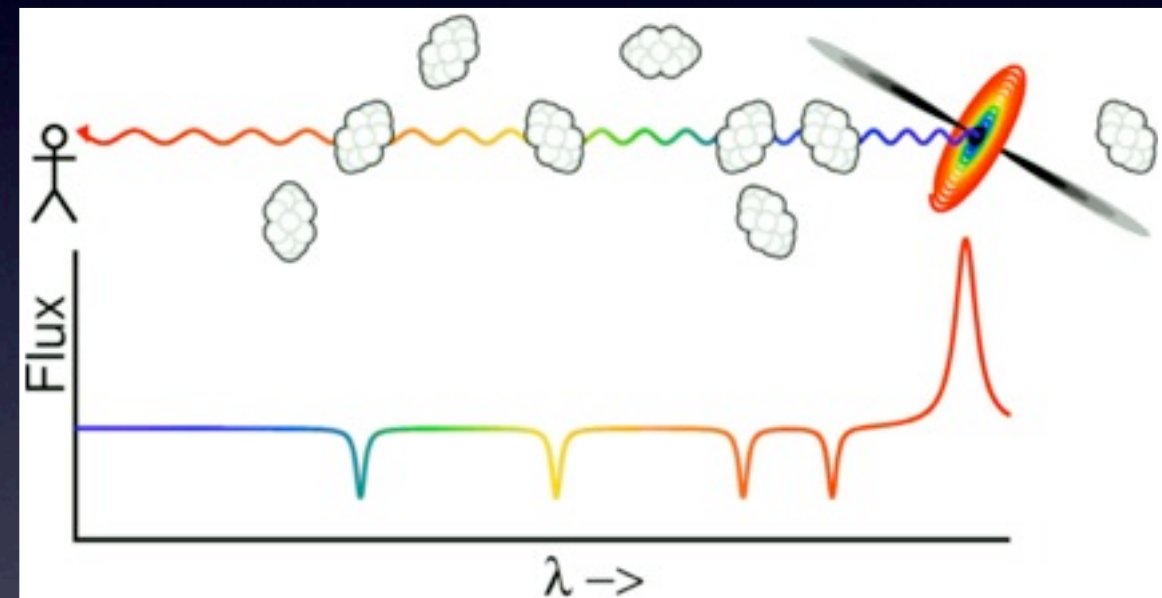
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# Lyman- $\alpha$ forest and CMB lensing cross-correlation

- Quasar emits light which, as it travels through the universe, is redshifted.
- Whenever light travels through a gas cloud, a fraction of it (that at the cloud's redshift has the appropriate frequency) is **scattered** through Lyman- $\alpha$  transition in neutral hydrogen.
- The quasar spectra is then characterized by a “forest” of “**absorption**” lines.
- The forest is a **map** of neutral H along the los.
- Understanding the forest requires understanding and modeling the physics of the IGM.
- Fluctuations in the flux are related to overdensities
$$\mathcal{F} = \exp \left[ -A(1 + \delta)^\beta \right]$$
- On large scales ( $> 1$  Mpc) the Lyman- $\alpha$  forest can be used as a dark matter tracer [Viel et al. 2001]
$$\delta_{\text{IGM}} \approx \delta$$
- The flux-matter relation has many sources of uncertainty.



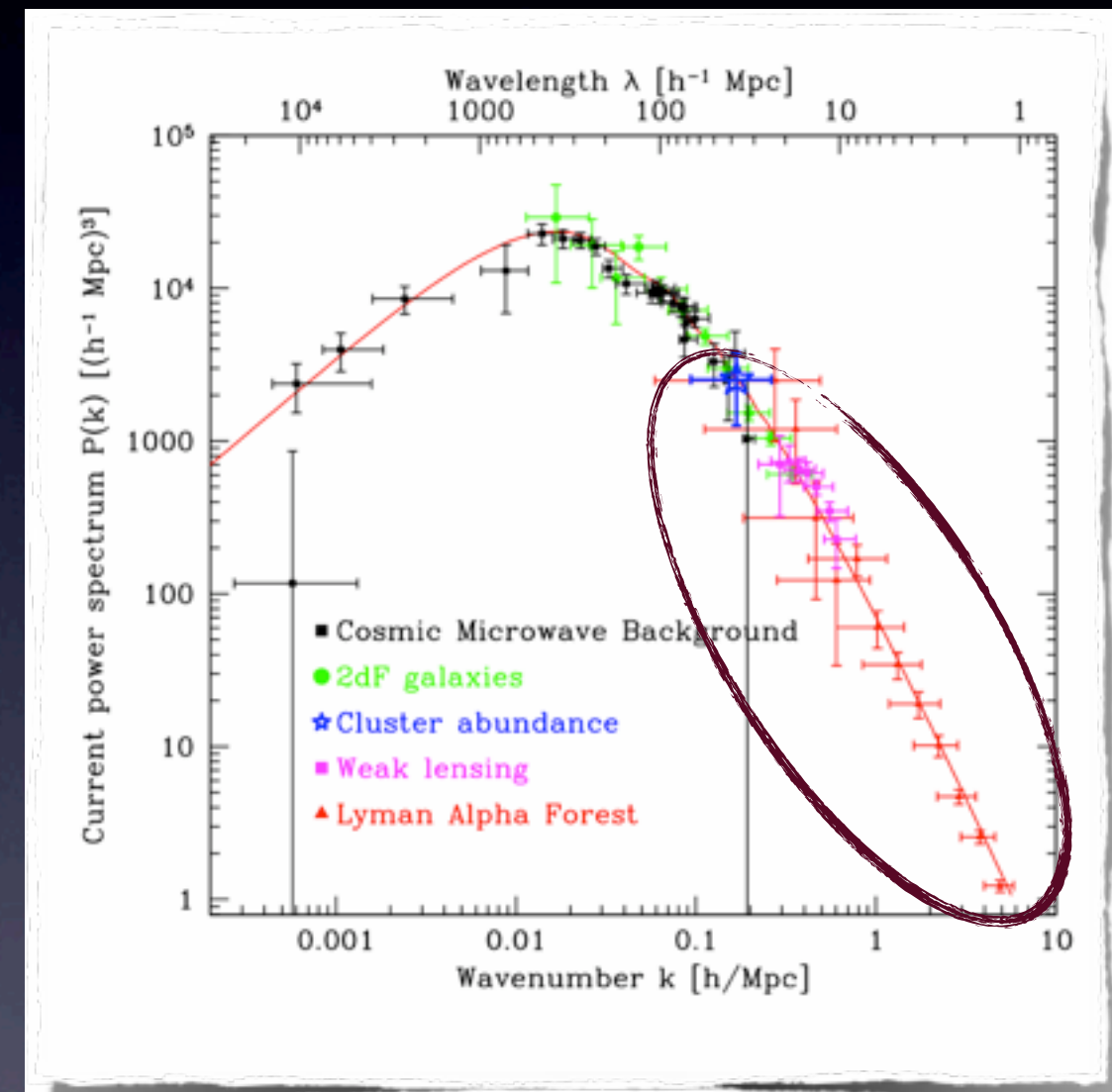


# Lyman- $\alpha$ forest and CMB lensing

## cross-correlation

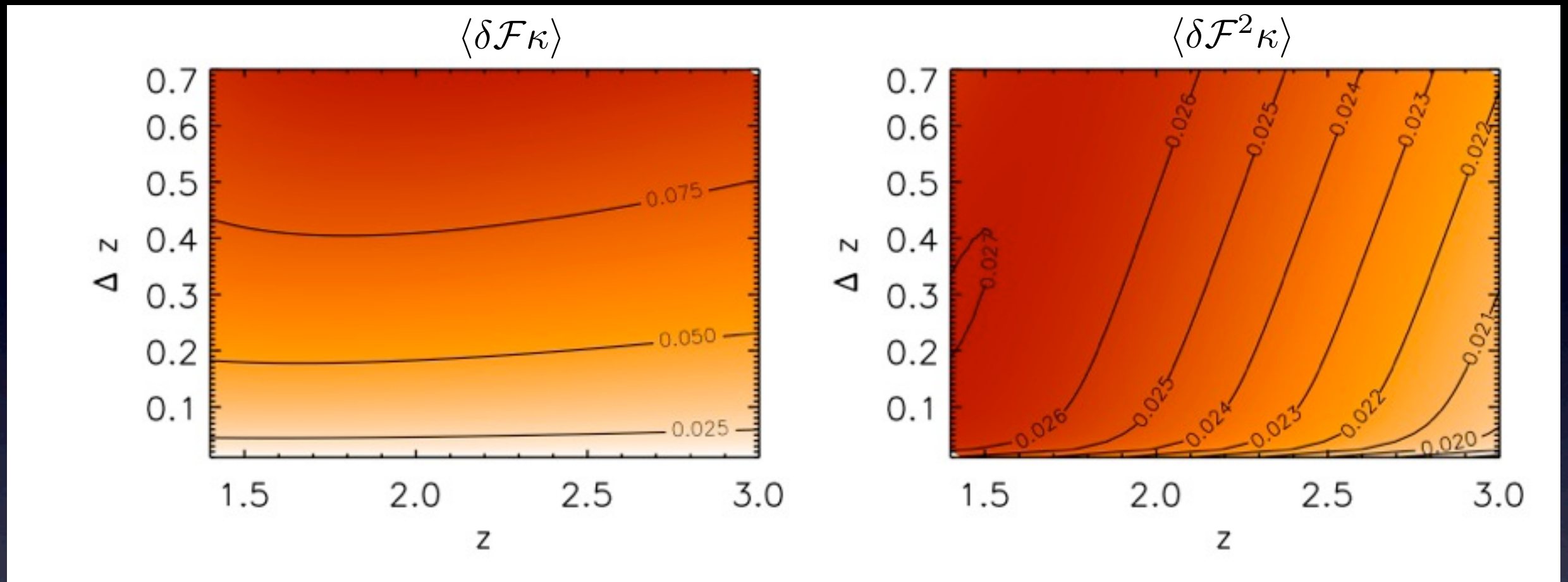
What can we hope to learn from this?

- The CMB convergence field  $\kappa$  is sensitive **only** to the DM distribution, hence it's **very clean**.
- This x-correlation is a **completely independent probe** that
  1. provides extra information about the flux-dark matter bias.
  2. can in principle probe effects characteristic of small scales (gas dynamics, neutrinos, scale dependent modifications of gravity).



[Tegmark, 2002]

# Results: detectability (BOSS+Planck)



[Vallinotto++; PRL (2009)]

- S/N for single line-of-sight.  $1.6 \cdot 10^5$  los for Boss,  $\sim 10^6$  los for BigBoss.
- Estimates for total S/N are  $\sim 30$  (75) for  $\langle \delta \mathcal{F} \kappa \rangle$  and  $\sim 9.6$  (24) for  $\langle \delta \mathcal{F}^2 \kappa \rangle$  when Planck dataset is xcorrelated with Boss (BigBoss).
- The growth of structure enters twice for  $\langle \delta \mathcal{F}^2 \kappa \rangle$ : once for the long-wavelengths and once for the short wavelengths. The variance is dominated by long wavelengths only.

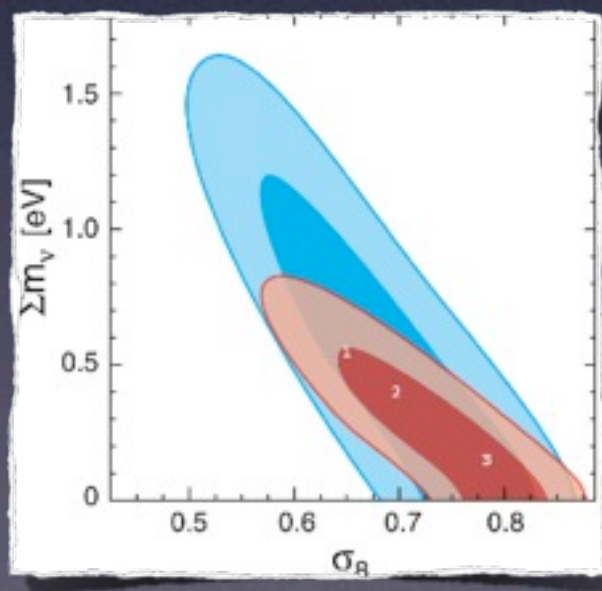


# Cosmological application: neutrino masses

$\langle \delta \mathcal{F}^2 \kappa \rangle$  is sensitive to  
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normalization  $\sigma_8$ .

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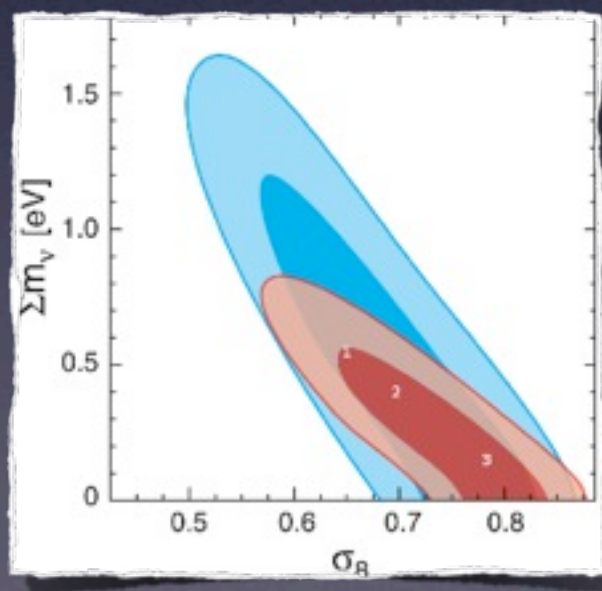
$\sum m_\nu$  and  $\sigma_8$  are not independent if they are to be consistent with CMB measurements.

[Komatsu et al., 2008]



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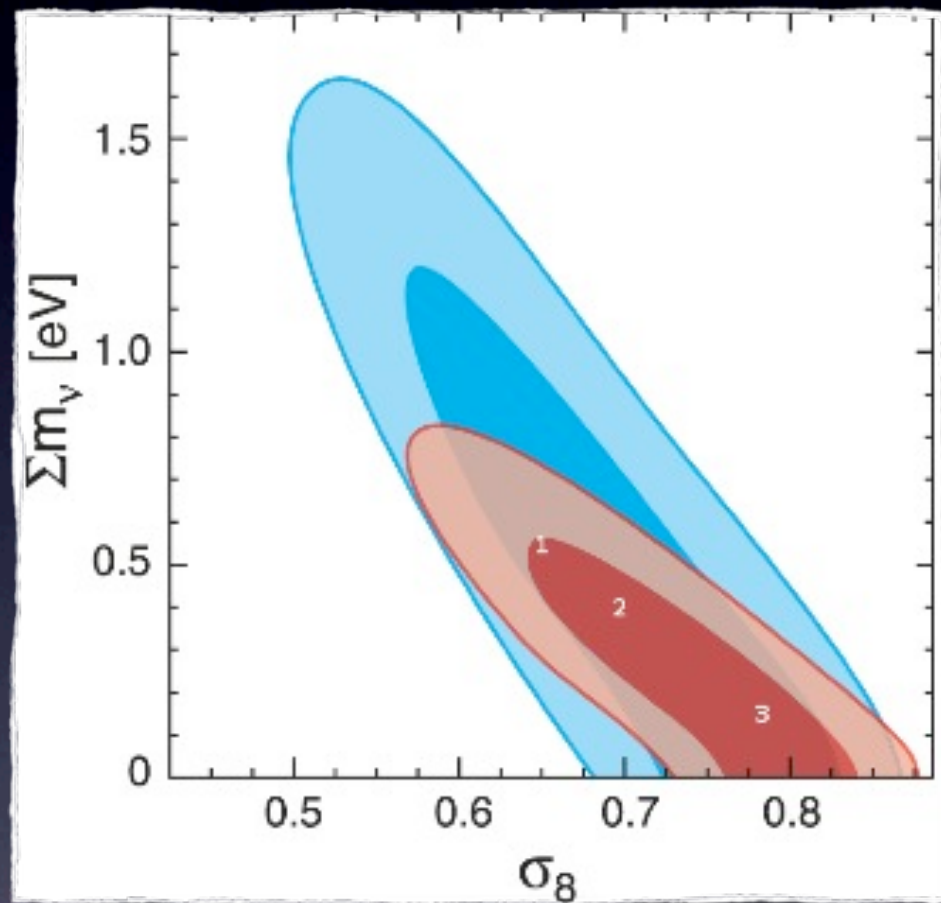


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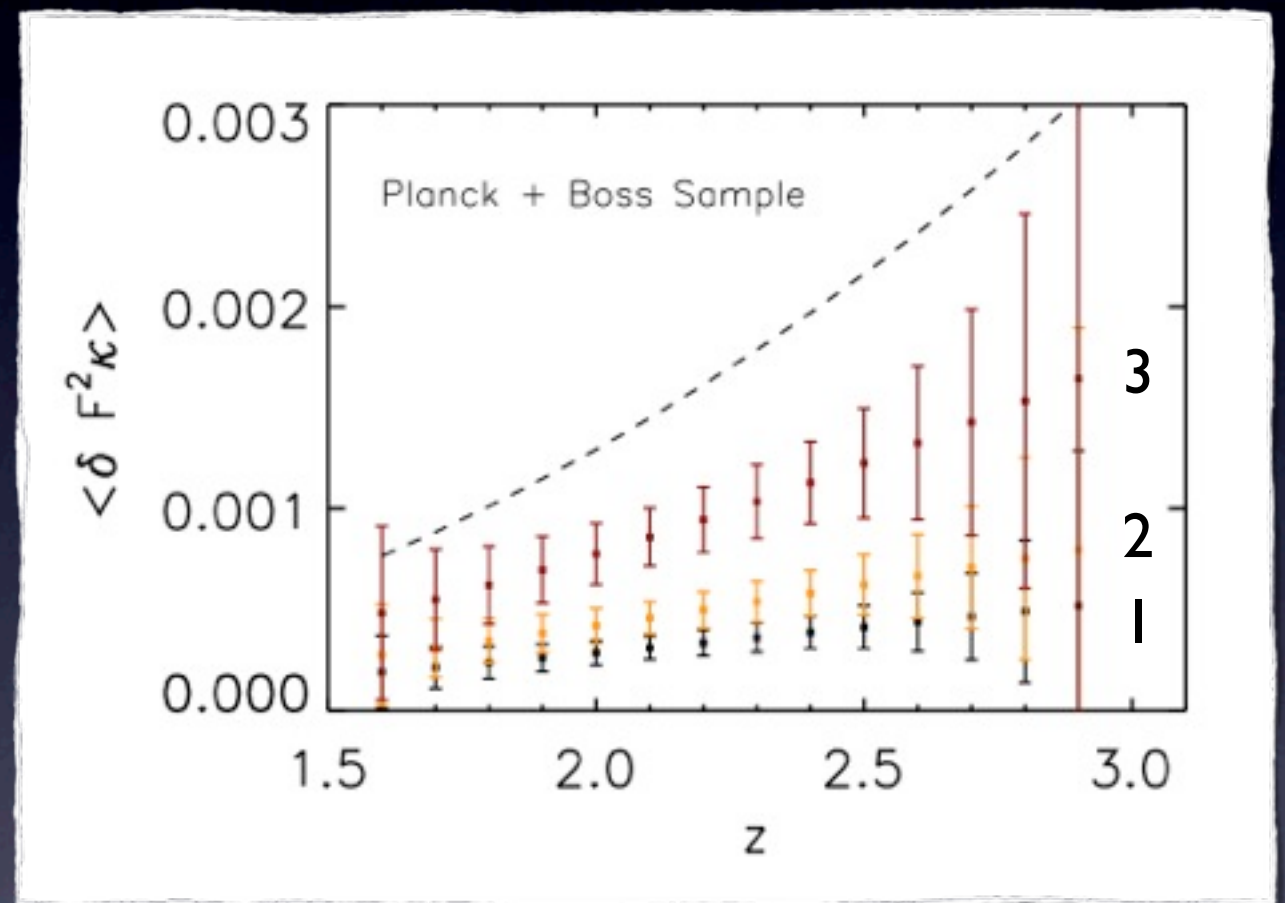
We can use  $\langle \delta \mathcal{F}^2 \kappa \rangle$  to put limits on the neutrino mass

[Komatsu et al., 2008]

# Cosmological application: neutrino masses



[Komatsu et al., 2008]



[Vallinotto++, ApJ 2009]

- **Caveat:** non-linear effects due to gravitational collapse need to be taken into account.

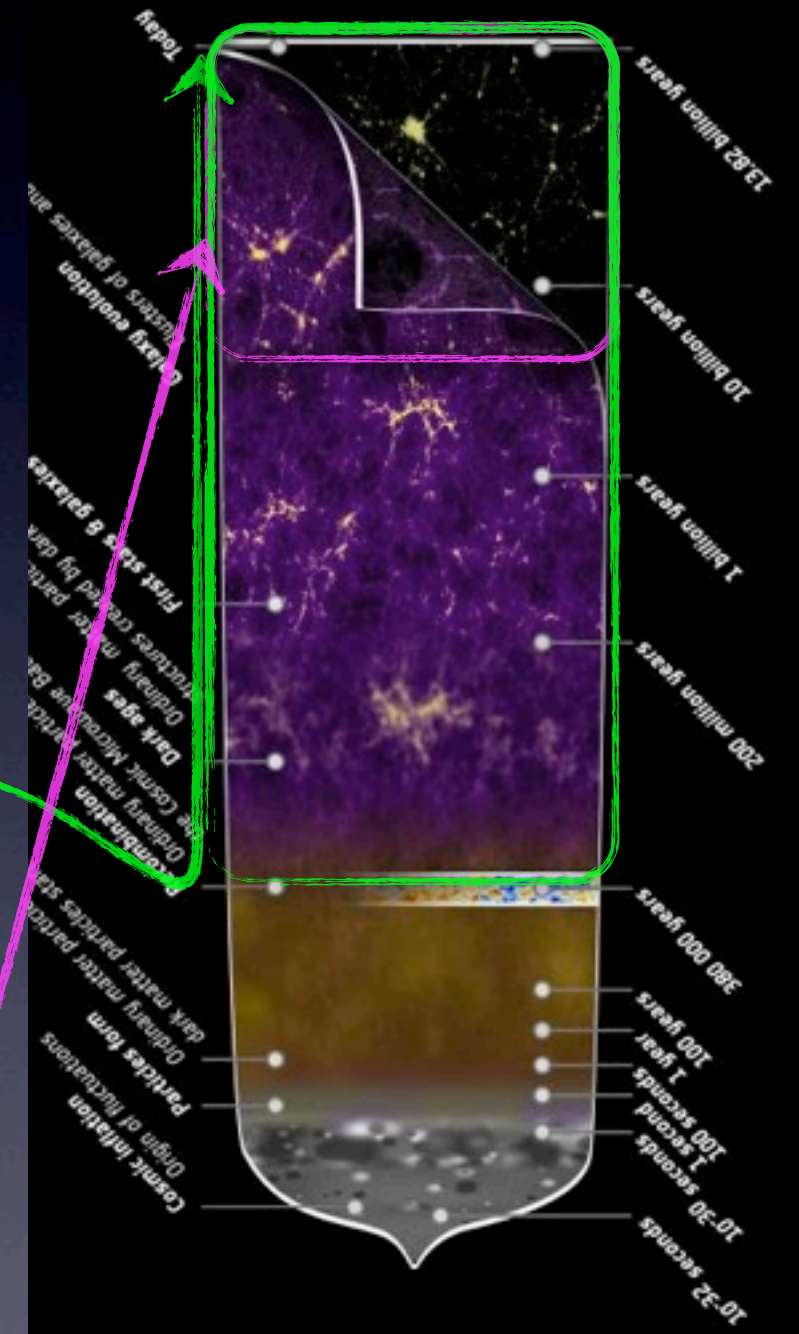


# Caveats

- **Semianalytical** results currently do not take into account non-linear effects due to gravitational collapse
  - Extension is straightforward
  - Signal is expected to increase, S/N is hard to say.
- **All** results do not take into account small scales ( $< 1$  Mpc) IGM physics and use “gaussian approximation” to evaluate the correlators’ variance
- **Numerical simulations** will be crucial for the **calibration** of this cross-correlation signal and for the extraction of IGM physics.

# Outline

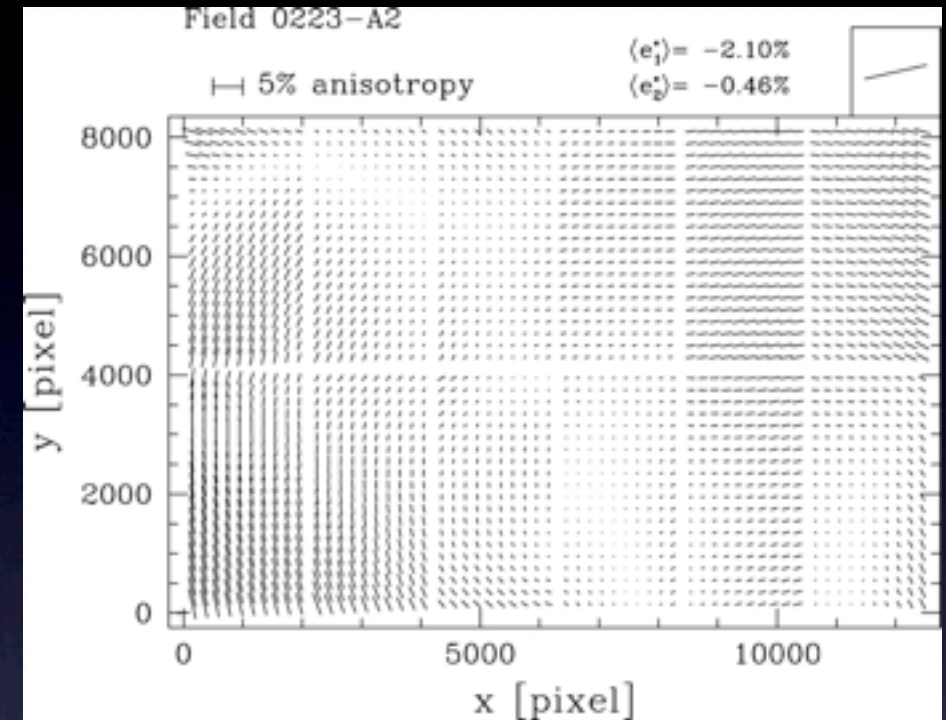
- An introductory example:  
Type Ia Supernovae and weak lensing
- Redshift Space Distortions
- CMB lensing and the extraction of biasing relations:
  - CMB lensing and the Lyman- $\alpha$  forest.
  - CMB lensing and galaxy redshift surveys





# Shear multiplicative bias

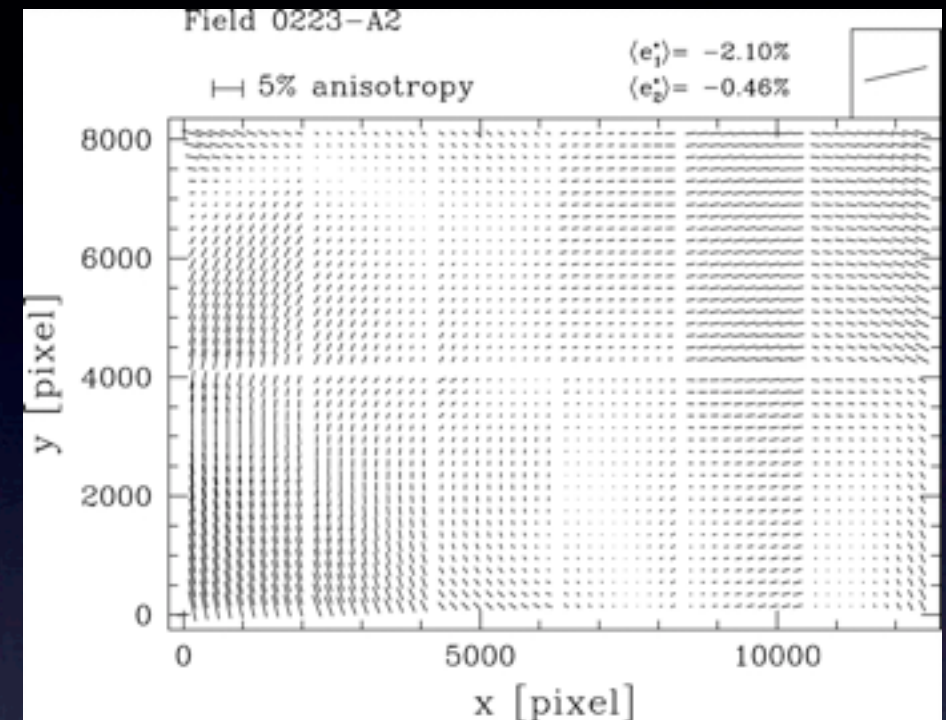
- Consider a galaxy survey aiming at measuring weak lensing through cosmic shear (like CFHT, DES, EUCLID and LSST)
- A critical issue for such surveys is the correction of the distortions of the point spread function.



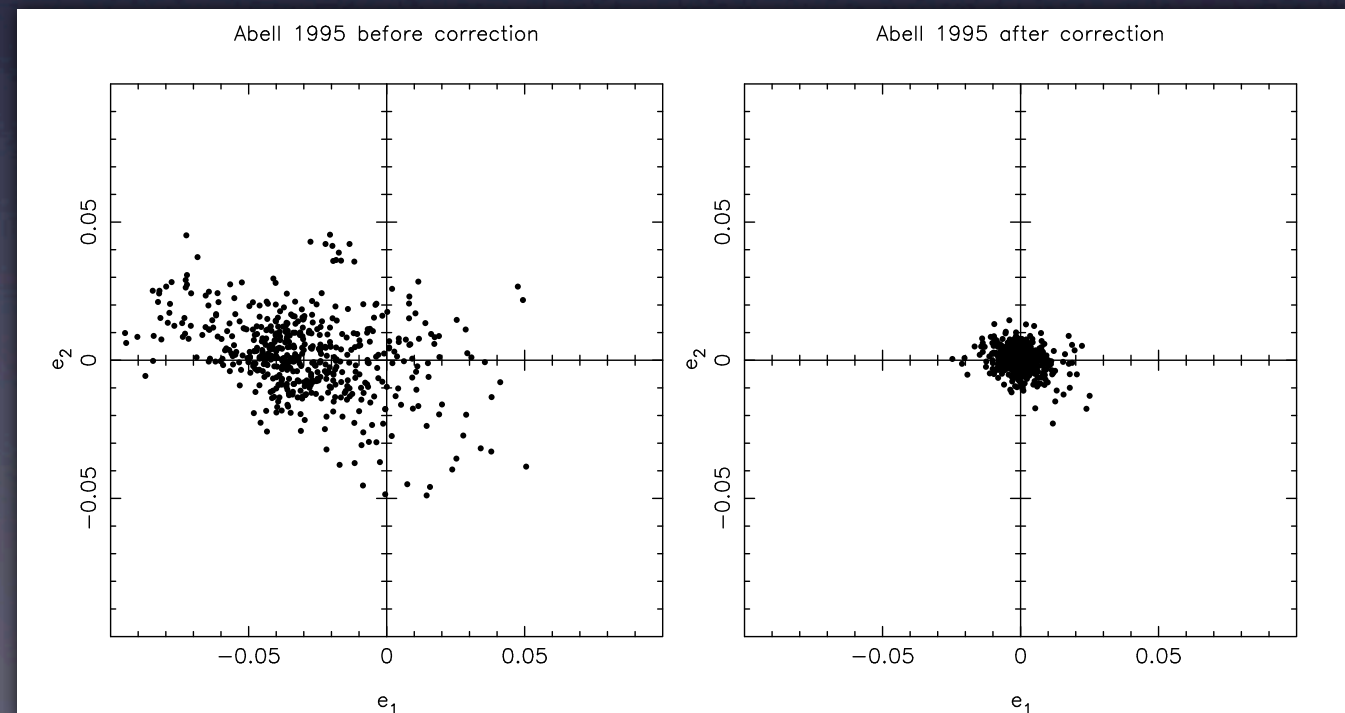
[Hoekstra et al., 2002]

# Shear multiplicative bias

- Consider a galaxy survey aiming at measuring weak lensing through cosmic shear (like CFHT, DES, EUCLID and LSST)
- A critical issue for such surveys is the correction of the distortions of the point spread function.
- Many different pipelines exist to correct for psf distortions.



[Hoekstra et al., 2002]



[Hohljem et al., 2009]



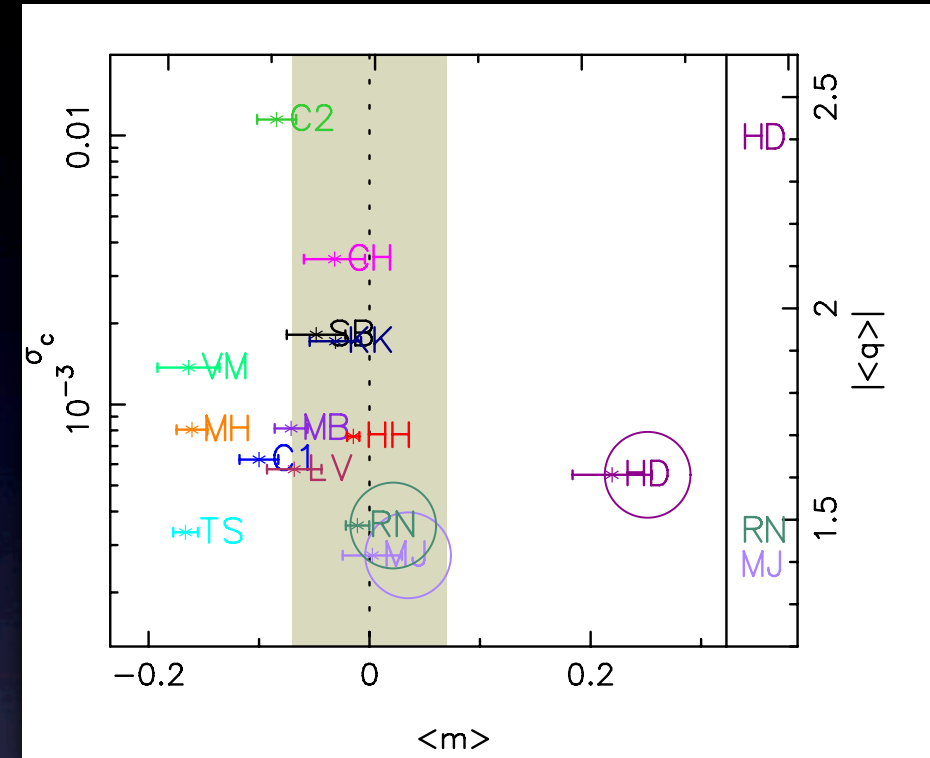
# Shear multiplicative bias

- Psf correction algorithm are known to introduce biases in the measured ellipticities.

$$\gamma - \gamma^{\text{true}} = q(\gamma^{\text{true}})^2 + m\gamma + c$$

- The shear multiplicative bias  $m$  is particularly insidious systematic because it is totally degenerate with  $\sigma_8$ .

$$\kappa_t(\hat{n}, \chi) = \frac{3\Omega_m H_0^2}{2c^2} \int_0^{\chi_F} d\chi W_L(\chi, \chi_F) \frac{\delta(\hat{n}, \chi)}{a(\chi)}$$



[Heymans et al., 2006]

# Shear multiplicative bias

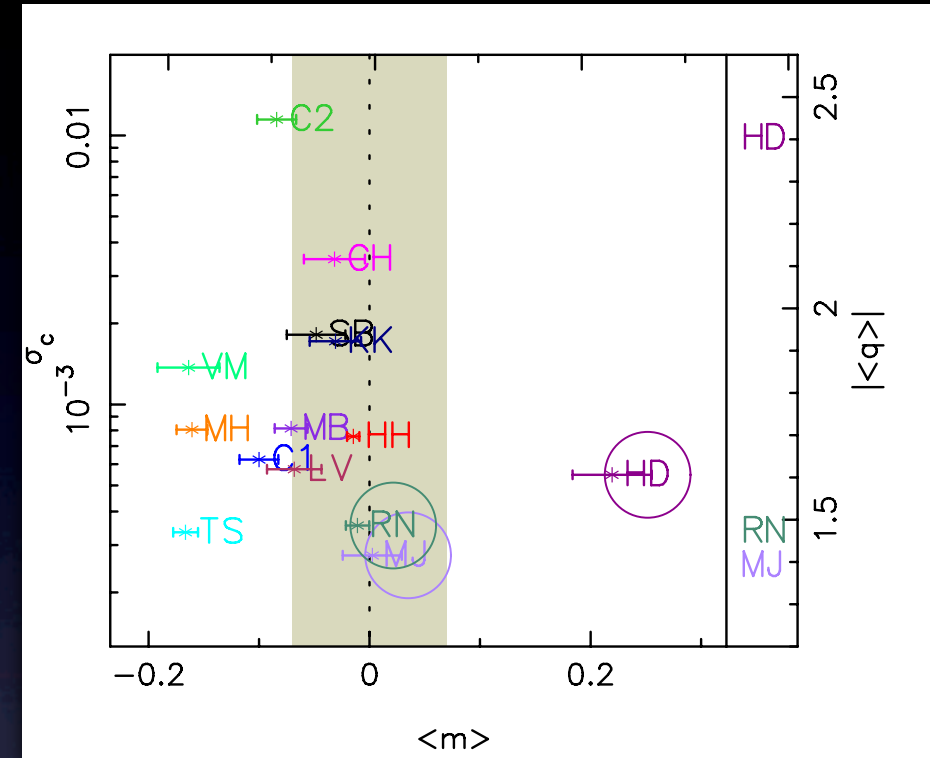
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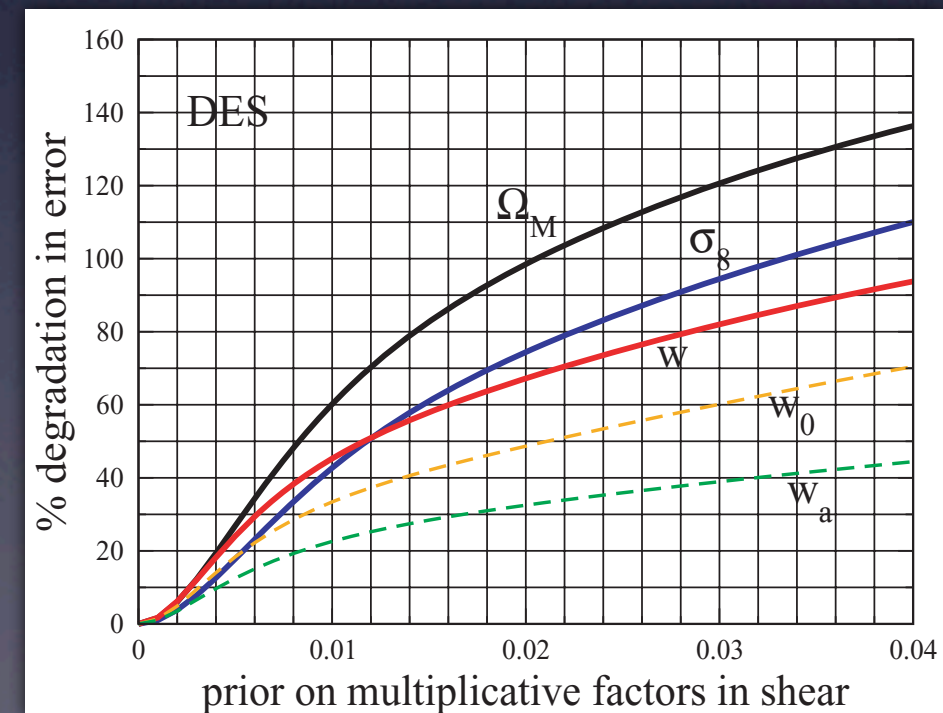
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- Lack of knowledge/constraint on it can severely degrade the constraining power of shear surveys.



[Heymans et al., 2006]



[Huterer et al., 2005]



# Shear multiplicative bias

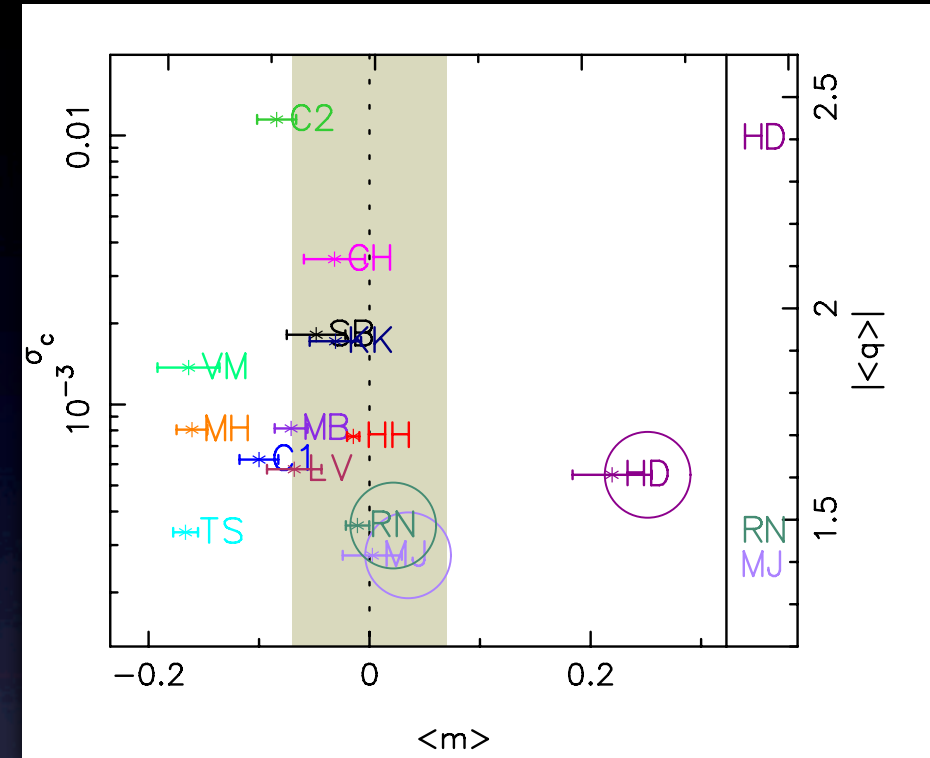
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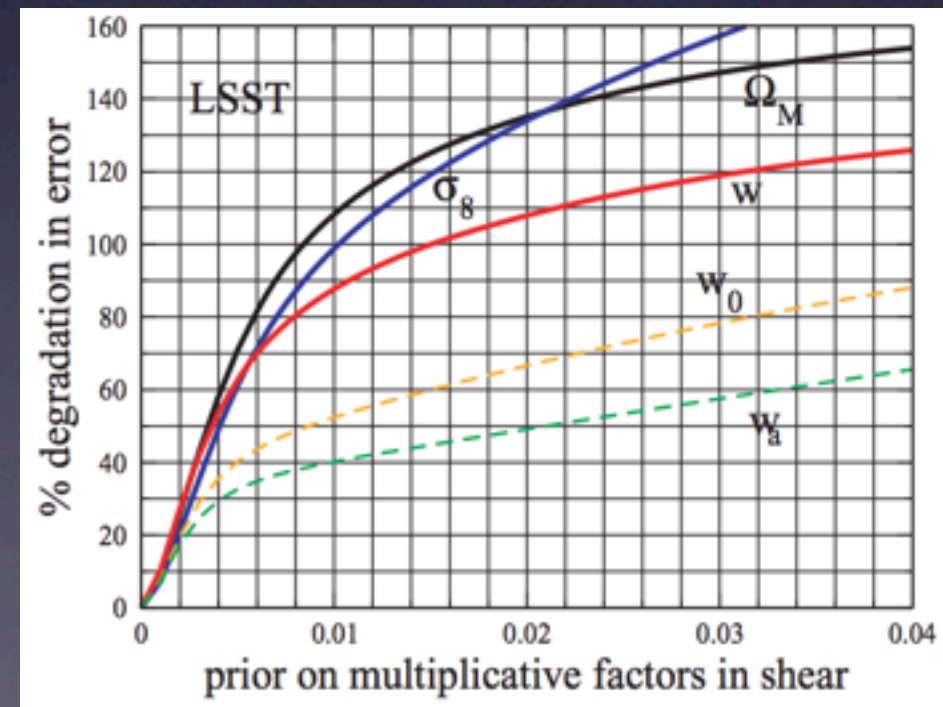
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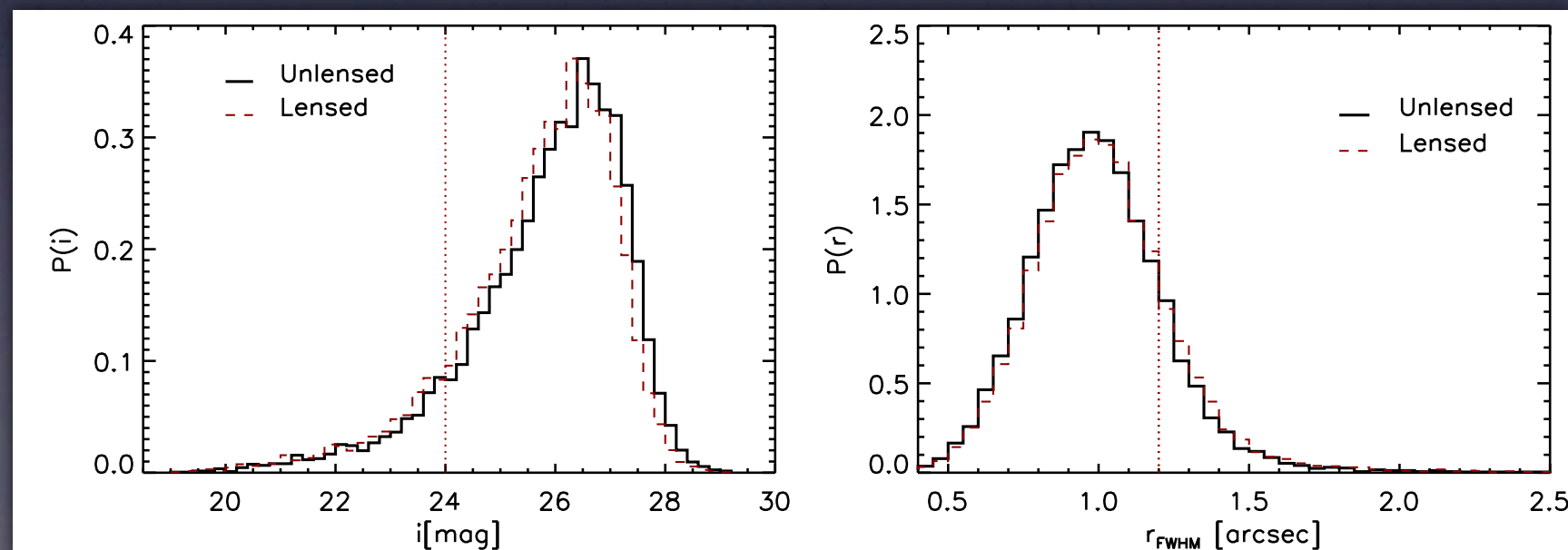
[Heymans et al., 2006]



[Huterer et al., 2005]

# A first solution

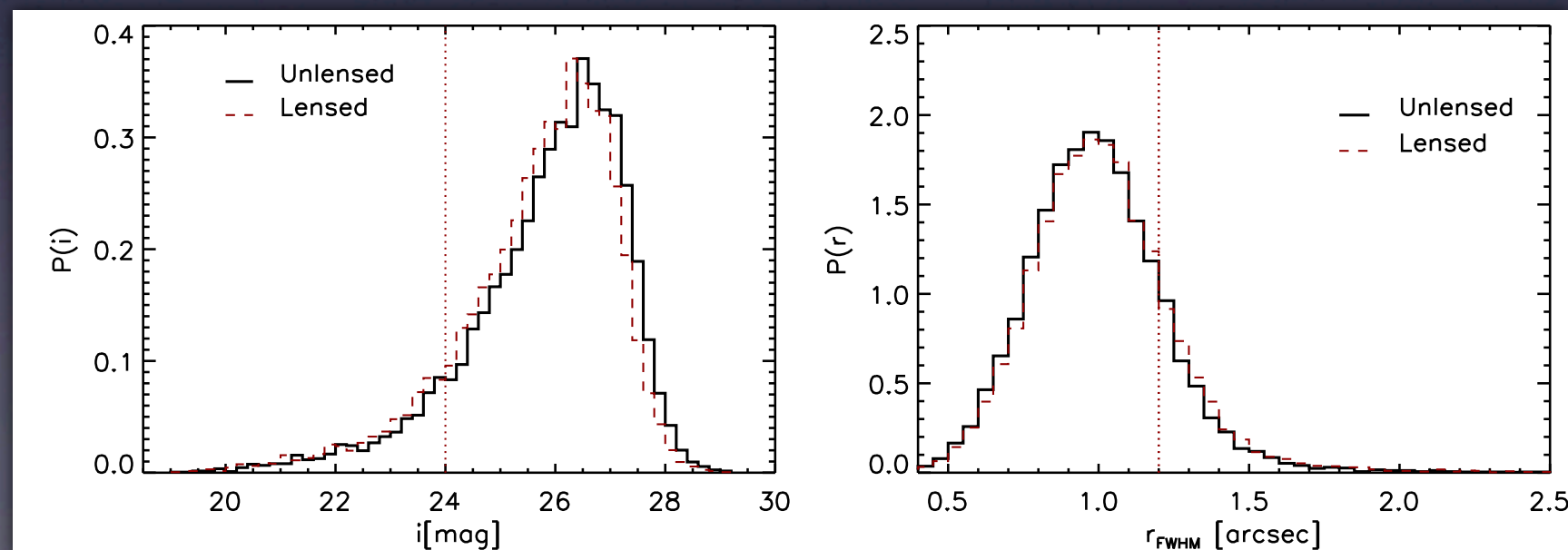
- Since we observe the universe through an inhomogeneous medium, lensing acts on all the galaxy observables (ie also on sizes and luminosities).





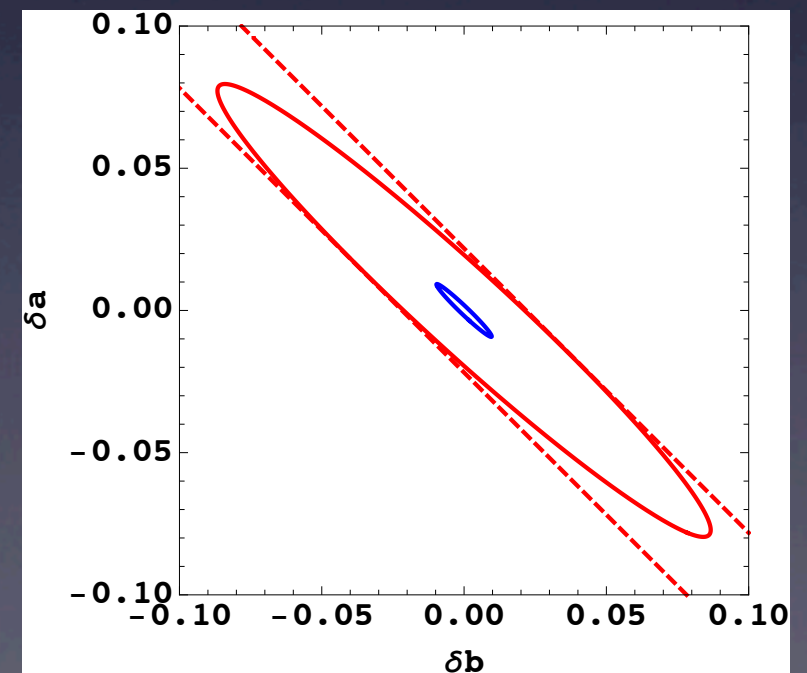
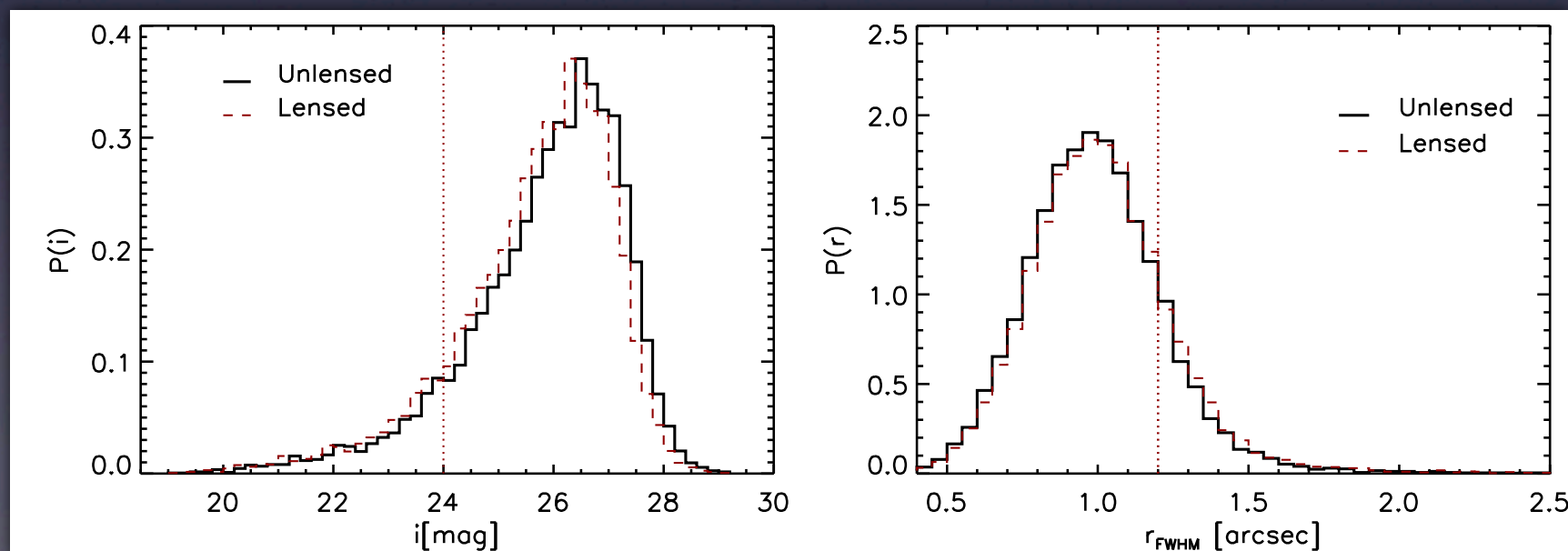
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- Since we observe the universe through an inhomogeneous medium, lensing acts on all the galaxy observables (ie also on sizes and luminosities).
- Multiplicative bias acts only on the shear/convergence.



# A first solution

- Since we observe the universe through an inhomogeneous medium, lensing acts on all the galaxy observables (ie also on sizes and luminosities).
- Multiplicative bias acts only on the shear/convergence.
- Considering sizes and luminosity information together with shear/convergence allows to constrain  $m$  and break the  $\sigma_8$  degeneracy.



[Vallinotto et al., PRD 2010]



Can we do better?

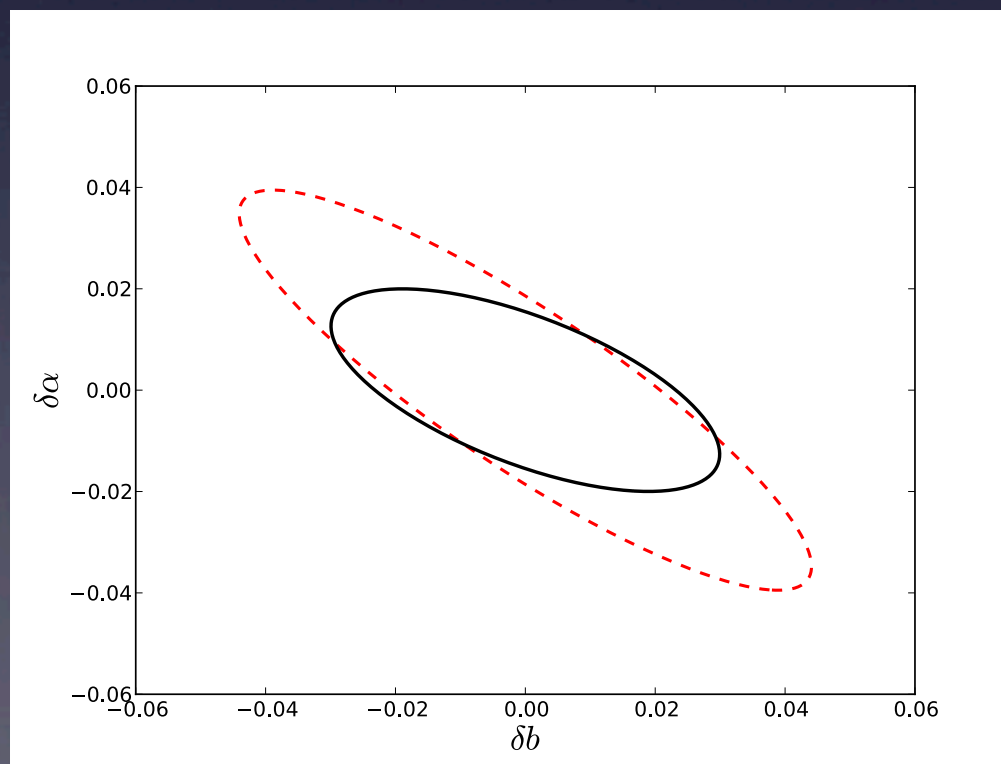
# Yes we can: recall the key idea...

- **CMB lensing** measures directly the fluctuations of the density field integrated all the way to the LSS, hence
- cross-correlating any other biased tracer of the density field with CMB lensing allows the extraction of the **biasing relation**.

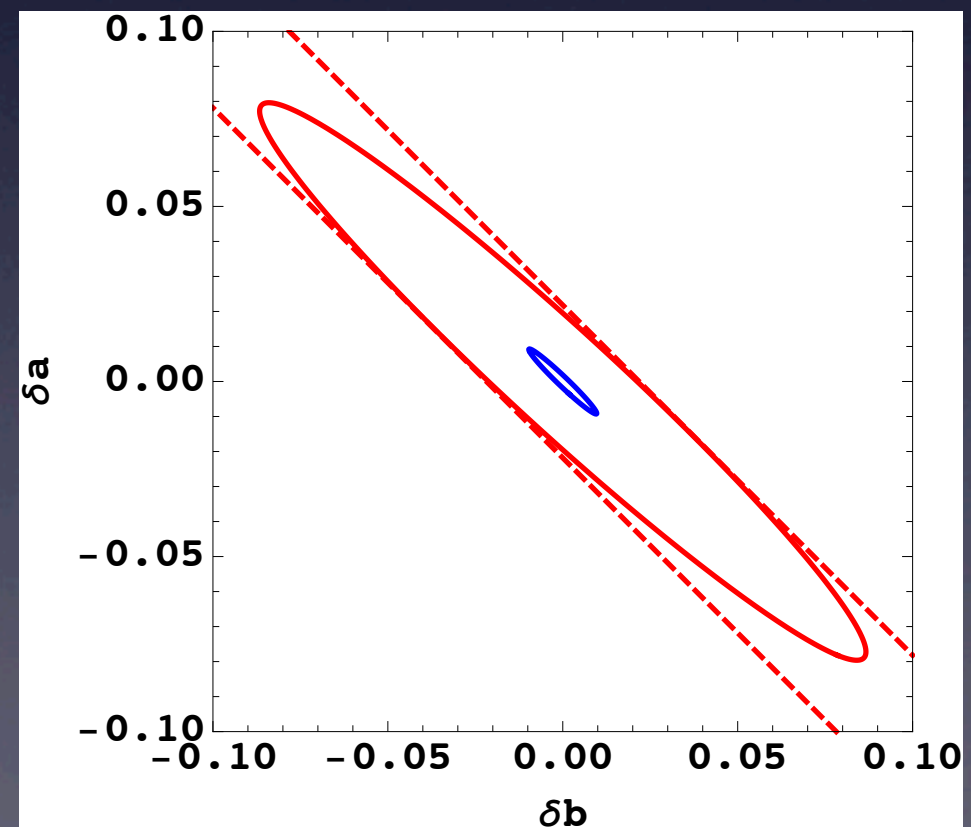


# Solution 2: use CMB lensing

- Proof of principle: just consider a single redshift slice, with  $z \in [0.9; 1]$  and same characteristics as in the luminosity/size case
- Solid curve: projection for DES + SPTlike



[Vallinotto, ApJ 2012]



[Vallinotto et al., PRD 2010]

# More details and more degeneracies...

- Consider the case of DES (or LSST).
- Include information about galaxy density.
- Include redshift dependent linear galaxy bias (important for probing gravity through structure growth).

$$\delta_g(k, z) \equiv b(z)\delta(k, z)$$

- Linear galaxy bias, shear multiplicative bias and  $\sigma_8$  are all completely degenerate.
- Can we break all these degeneracies?



# Fisher calculation

- Observables:
  - CMB lensing convergence (from SPT-SZ or ACTPol-like)
  - Weak lensing convergence (from DES)
  - Galaxy density (from DES-SV or DES)
- All auto and cross-spectra between the observables can be put in the generic form

$$C_{AB}(l) = \int_0^\infty d\chi \frac{g_A(\chi) g_B(\chi)}{\chi^2} \mathcal{P}_\delta \left( \frac{l}{\chi}, \chi \right)$$

$$g_\kappa(\chi) \equiv \frac{3\Omega_m H_0^2}{2c^2} \frac{D(\chi) D(\chi_{\text{CMB}} - \chi)}{D(\chi_{\text{CMB}}) a(\chi)},$$

$$g_{\bar{\kappa},i}(\chi) \equiv \frac{3\Omega_m H_0^2}{2c^2 a(\chi) \bar{\eta}_i} \int_\chi^\infty d\chi' \eta(\chi') \frac{D(\chi) D(\chi' - \chi)}{D(\chi')},$$

$$g_{\delta,j}(\chi) \equiv \eta(\chi) b_j \Pi(\chi; \chi_j, \chi_{j+1}),$$

$$\bar{\eta}_i \equiv \int_0^\infty d\chi \eta(\chi) \Pi(\chi; \chi_i, \chi_{i+1}),$$

# More improvements...

- Sources' redshift distribution  $dN/dz$  from DES mocks (determines the noise for galaxy density and cosmic shear measurements).
- CMB lensing reconstruction noise curves for SPT-SZ and for a future 5 uK-arcmin experiment (CMB-X),
- multiple redshift slices, covering DES'  $dN/dz$ :  
0-0.5-0.8-1-1.3
- Examine constraining power of xcorrelation for
  - breaking degeneracy between multiplicative and galaxy bias and  $\sigma_8$ .
  - Improvement (?) on the cosmological parameters constraints.

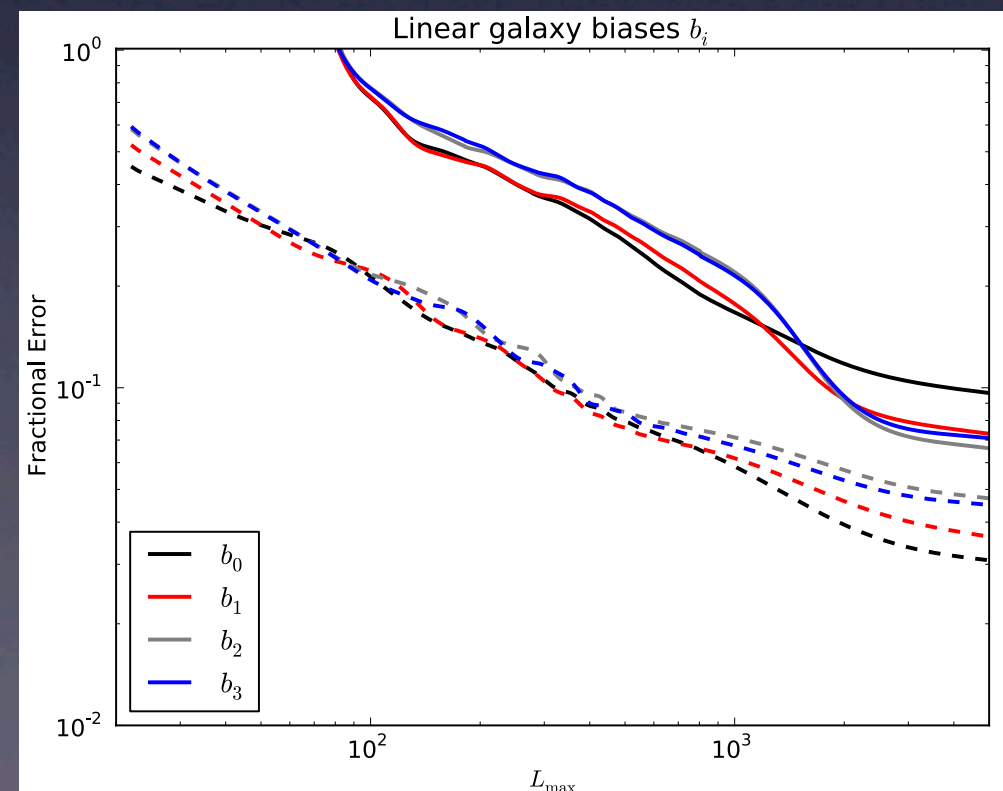


# Results

- Cross-correlation of DES-SV and SPT-SZ
- In this case we have only galaxy densities over 150 sq. deg. (DES-SV)
- SPT-SZ provides CMB lensing reconstruction over 2500 sq. deg.

Parameter	DES + SPT-SZ	DES + SPT-SZ
	No Planck prior	Planck Prior
$b_0$	1.05e-01	3.37e-02
$b_1$	7.92e-02	4.02e-02
$b_2$	7.16e-02	5.07e-02
$b_3$	7.55e-02	4.78e-02

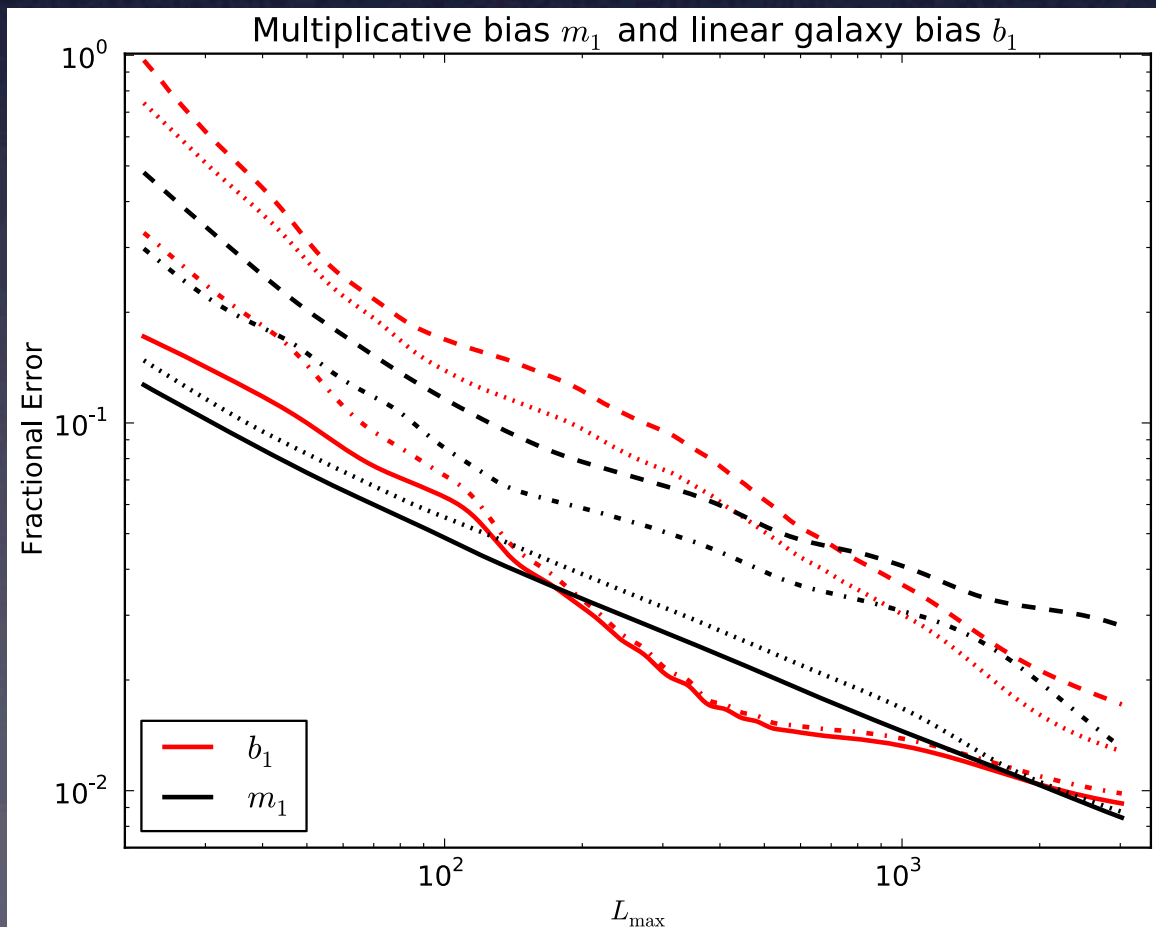
TABLE I: Fractional errors on the galaxy linear biases forecasted at  $L_{\max} = 3000$  for DES SV and SPT-SZ.



[Vallinotto, arXiv:1304.3474, submitted to PRL]

# Results (2)

- Cross-correlation of DES and CMB-X
- DES footprint: 5k sq. deg.  
CMB-X footprint 4k sq. deg.



	DES Only	D+CL No ovlp	D+CL Full ovlp	D+CL No ovlp Plnk Prior	D+CL Full ovlp Plnk Prior
$\sigma_8$	2.08e-01	7.77e-02	2.59e-02	2.74e-02	1.92e-02
$\Omega_m$	4.04e-02	3.81e-02	3.16e-02	3.05e-03	2.97e-03
$\Omega_b$	1.38e-01	1.22e-01	1.05e-01	4.53e-03	4.51e-03
$N_{\text{eff}}$	2.09e-01	1.98e-01	1.76e-01	9.22e-02	7.96e-02
$w$	4.47e-02	4.12e-02	3.38e-02	3.03e-02	2.23e-02
$n_s$	2.31e-02	1.63e-02	1.02e-02	2.40e-03	2.36e-03
$A_s$	8.51e-02	5.61e-02	4.29e-02	1.91e-02	1.81e-02
$h$	6.63e-02	4.53e-02	1.59e-02	1.43e-02	1.13e-02
$m_0$	1.70e-01	3.51e-02	1.96e-02	2.20e-02	1.93e-02
$m_1$	1.69e-01	2.81e-02	8.78e-03	1.32e-02	8.48e-03
$m_2$	1.68e-01	2.71e-02	8.19e-03	1.28e-02	7.99e-03
$m_3$	1.68e-01	2.64e-02	7.48e-03	1.22e-02	7.30e-03
$b_0$	1.67e-01	1.73e-02	1.15e-02	7.16e-03	6.67e-03
$b_1$	1.67e-01	1.72e-02	1.28e-02	9.84e-03	9.25e-03
$b_2$	1.67e-01	1.81e-02	1.30e-02	1.14e-02	1.08e-02
$b_3$	1.67e-01	1.76e-02	1.38e-02	1.14e-02	1.06e-02

TABLE II: Fractional errors on each of the parameters (all the other ones having been marginalized over) estimated at  $L_{\text{max}} = 3000$  for the full DES (D) and CMB-X lensing (CL) surveys.

- dashed: no overlap
- dot-dashed: no overlap but Planck prior
- dotted: full (4k) overlap
- solid: full overlap plus Planck prior

[Vallinotto, arXiv:1304.3474, submitted to PRL]



# Bottom line...

- Cross-correlation with CMB lensing allow to break the degeneracy between multiplicative bias, galaxy bias and  $\sigma_8$ , even without overlapping the footprints!
- Existing data already allow to constrain galaxy density bias to  $\sim 10\%$  for DES-SV galaxies in 4 redshift bins (caveats: photo-z errors and i24).
- Using CMB lensing in conjunction with galaxy density and shear allows self-calibration of these measurements.
- This is true for future surveys too (LSST, Euclid)!!

# A few things I left out...

- How lensing universally contributes to any correlation function.
- How white dwarfs can put stringent bounds on inelastic dark matter.
- Cross-correlations to extract RSD (in progress).
- Using simulations to make educated guesses on what cross-correlation packs more S/N (in progress).
- Cross-correlations to constrain photo-z errors (in progress).
- 21-cm and its cross-correlations (in progress).



# Conclusions

- A deeper understanding of the universe arises from conceiving it as a network of interrelated phenomena.
- Cross-correlation allow to:
  - extract further cosmological and (when supported by simulations) astrophysical information,
  - constrain experiments' systematics.
- They require a broad and very interesting array of tools: analytical, numerical and observational.