

Probing Dark Energy with the
Canadian Hydrogen Intensity
Mapping Experiment

Richard Shaw



a place of mind

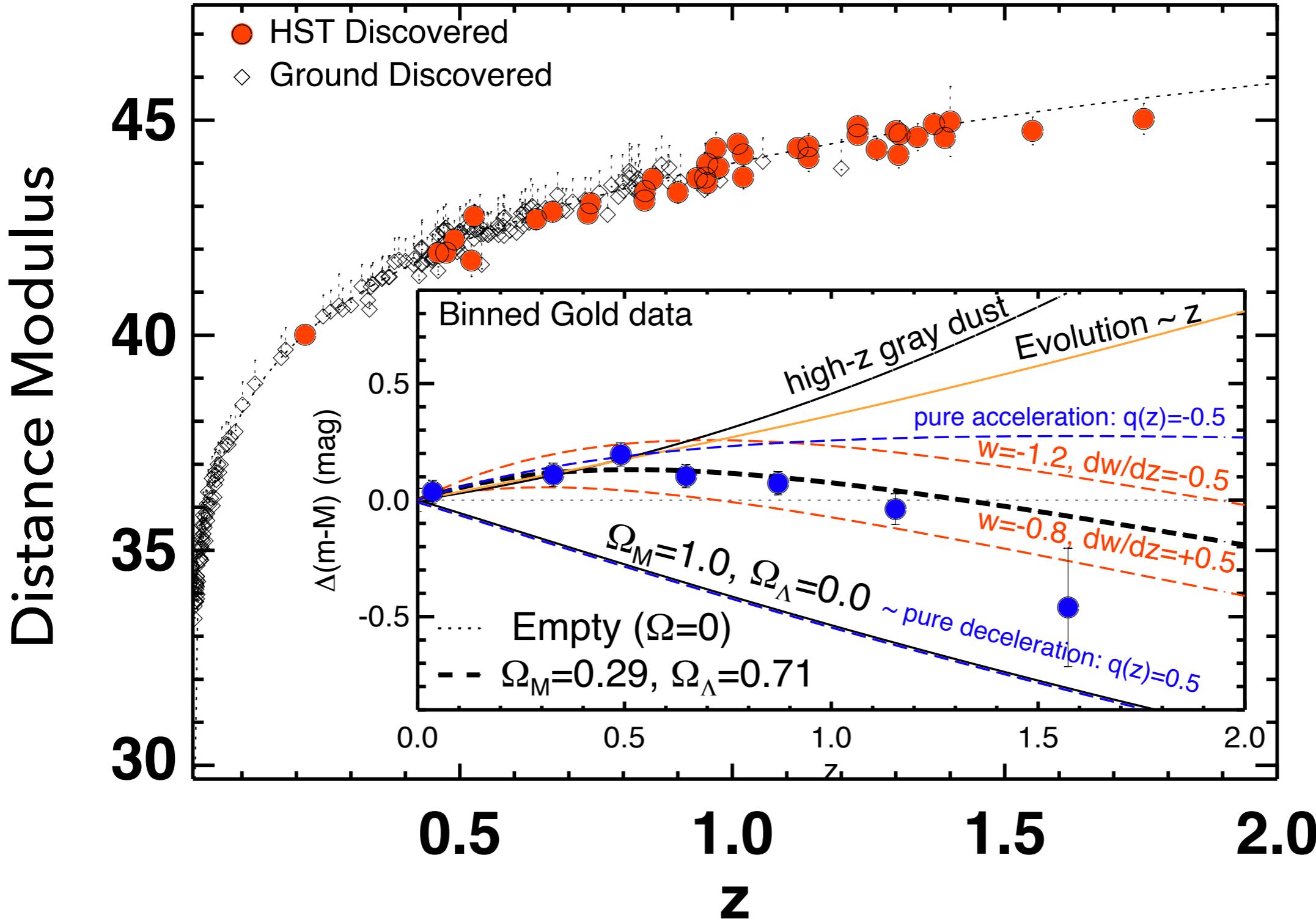
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Outline

- Dark Energy, BAOs and Intensity Mapping
- Current and future experiments
- CHIME
- Data analysis/Foreground removal

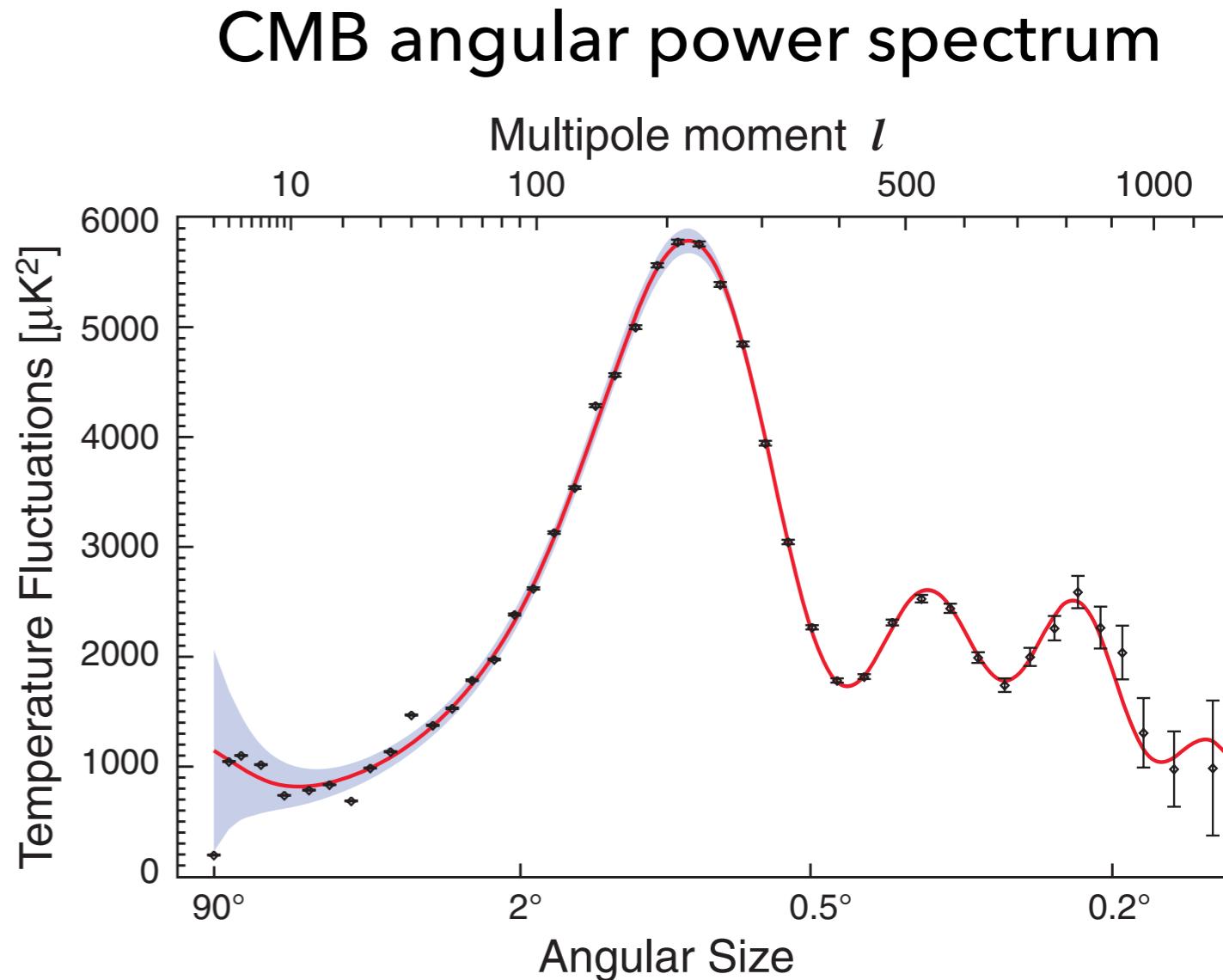
Accelerating Universe

Luminosity distance
 $D_L = (L/4\pi F)^{1/2}$



Baryon Acoustic Oscillations

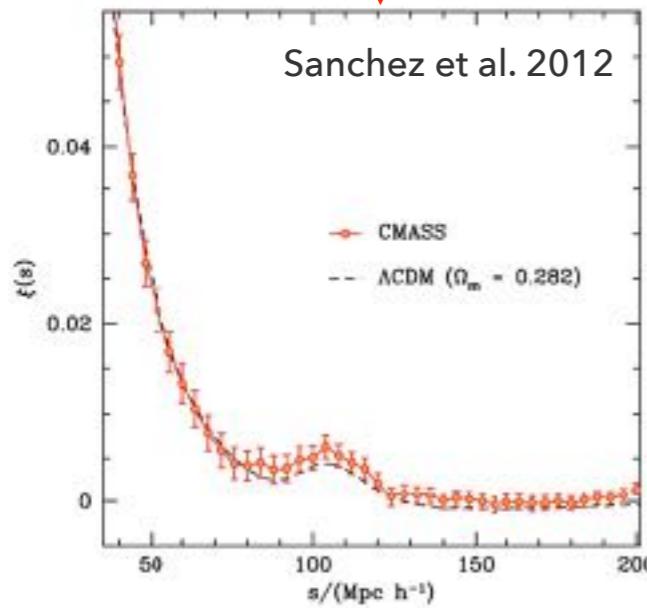
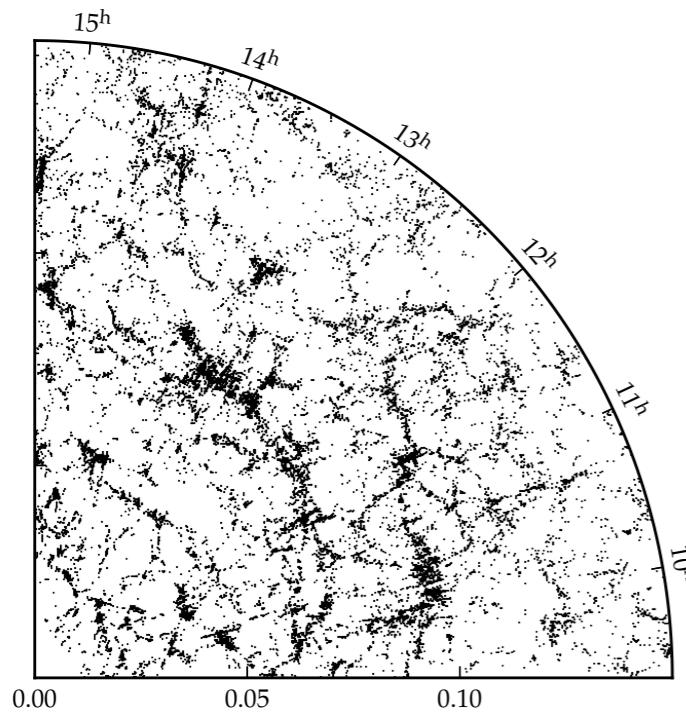
- Sounds waves propagating in the early Universe. Leave acoustic peaks in the CMB
- Weaker imprint left in the matter distribution
- Gives a standard (statistical) ruler



$$r_s = \int_0^{\tau_*} c_s d\tau \sim 100 h^{-1} \text{ Mpc}$$

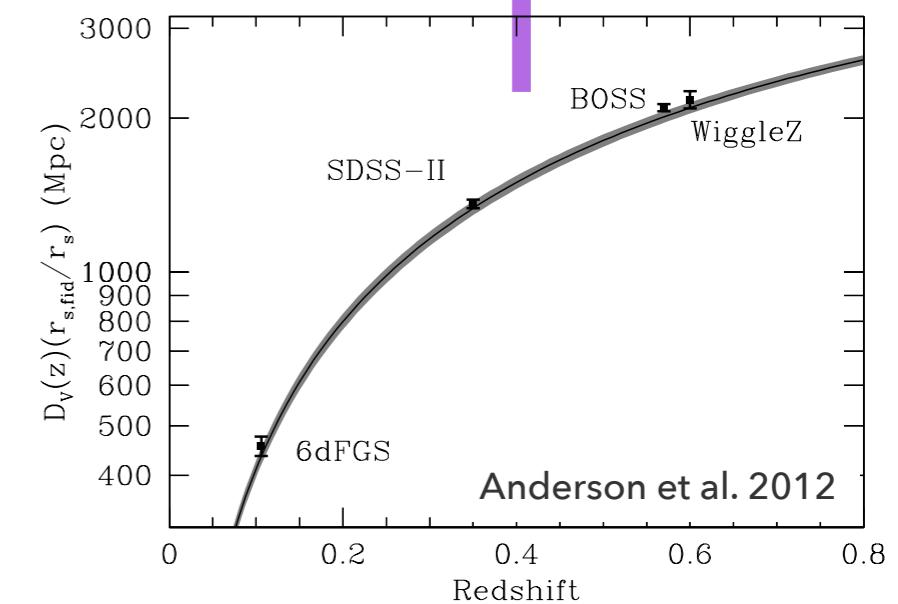
Known from CMB

Probing Dark Energy with BAOs



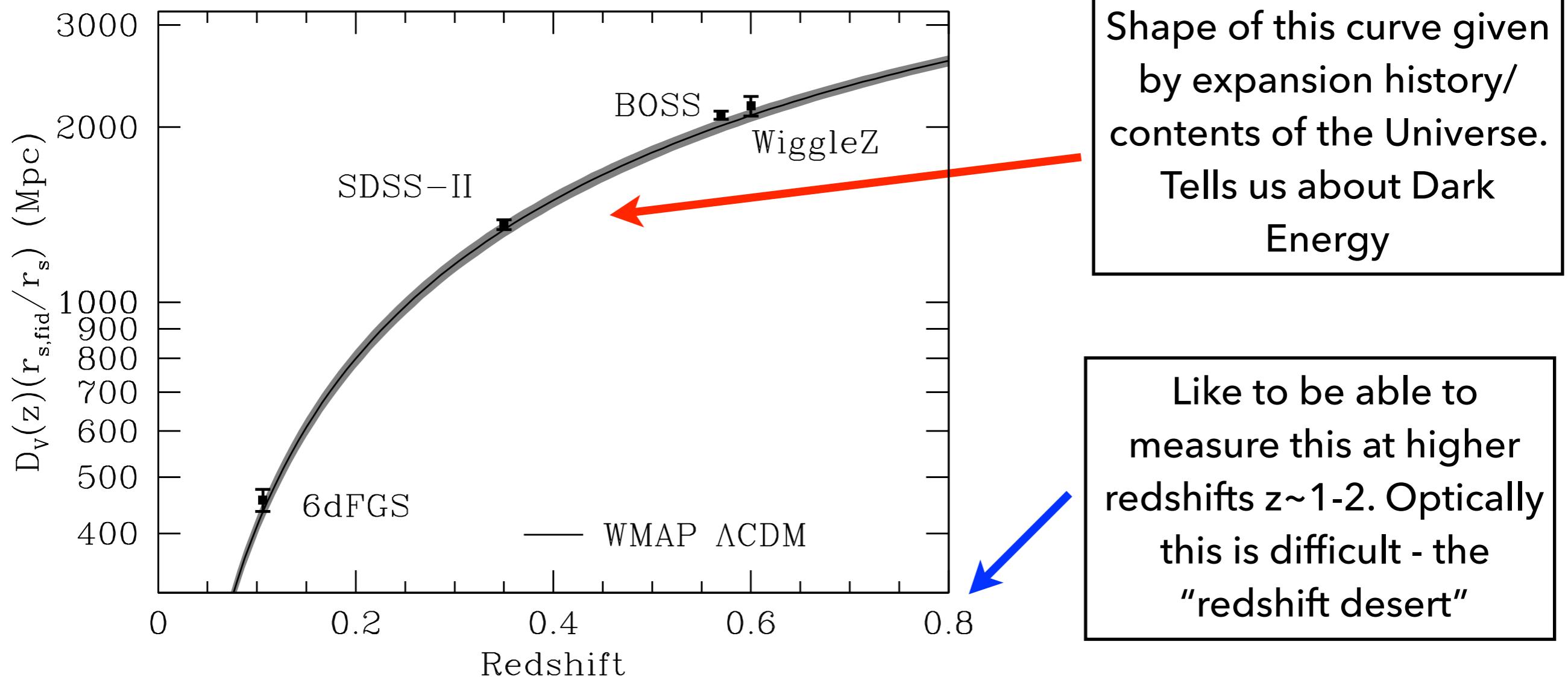
$$H(z)^2 \approx \Omega_m(1+z)^3 + \Omega_{DE} \exp \left[\int_0^z (1+w(z)) \frac{dz}{1+z} \right]$$

Friedmann Equation



Constraints on
theory of dark
energy

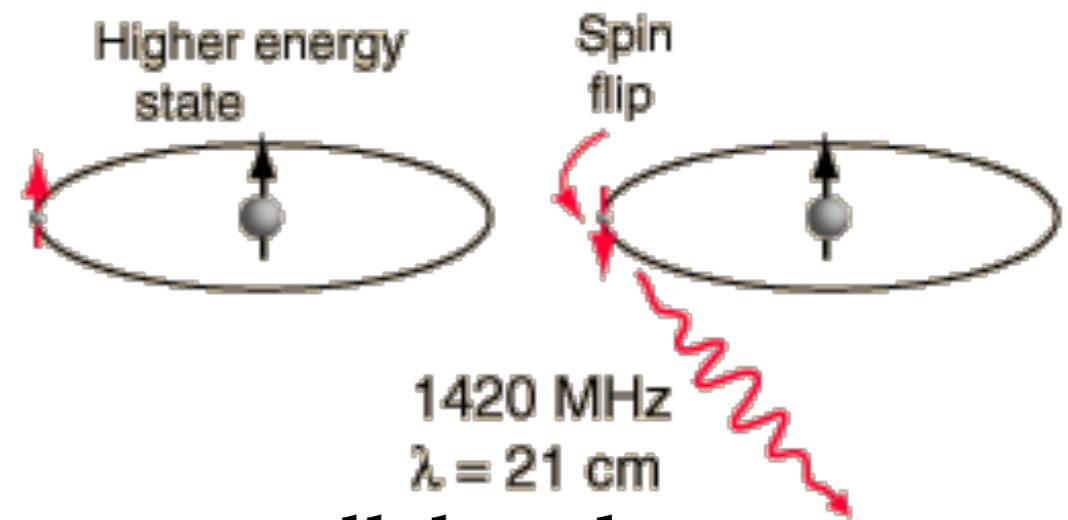
Baryon Acoustic Oscillations



- Potentially 21cm could extend this to higher redshifts

21cm Intensity Mapping

Cosmological 21cm



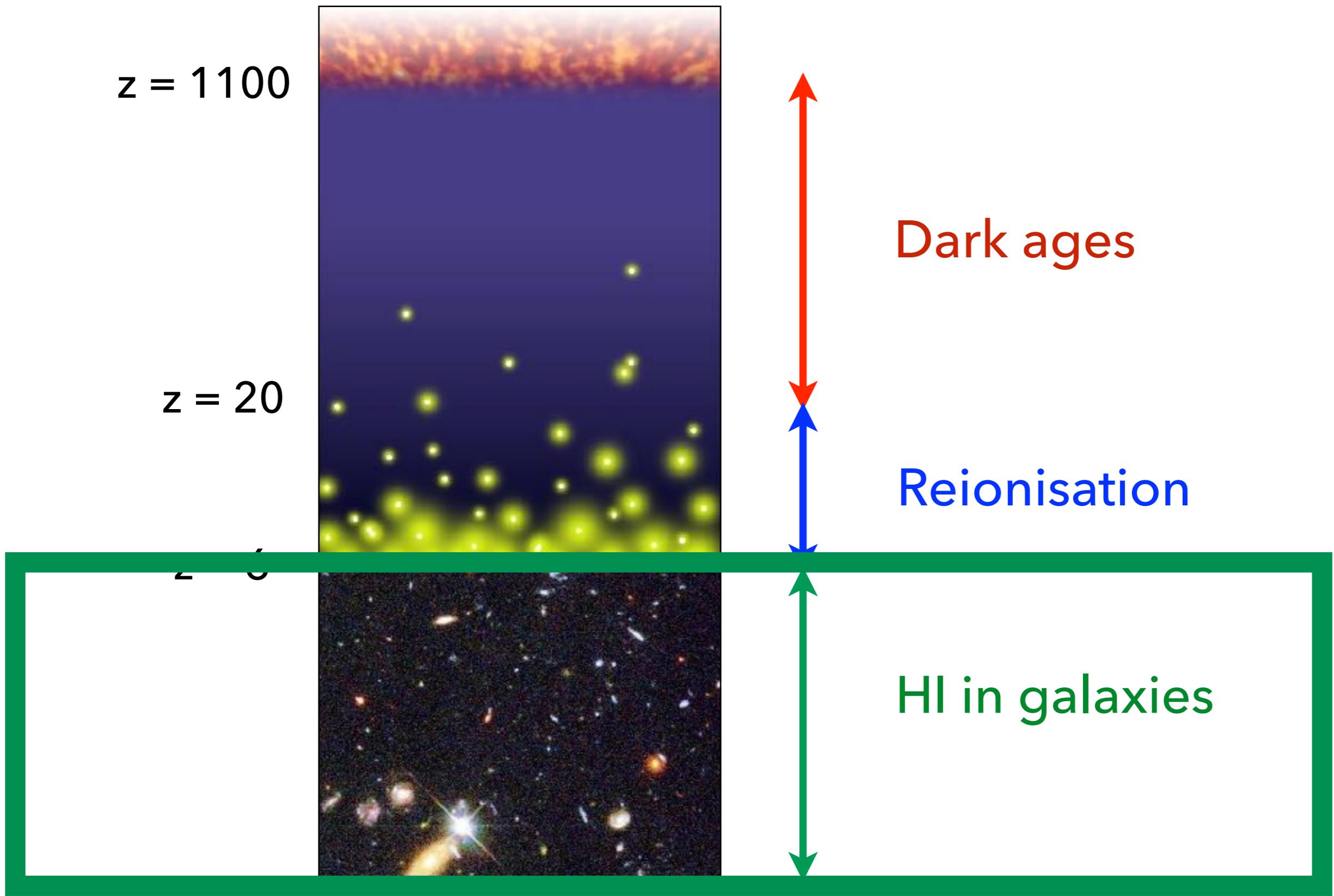
- 21cm line is the transition between parallel and anti-parallel spins of neutral Hydrogen
- The ratio between the two occupancies determines the spin temperature T_S (\sim gas temperature)

$$n_1/n_0 = (g_1/g_0) \exp(-T_*/T_S)$$

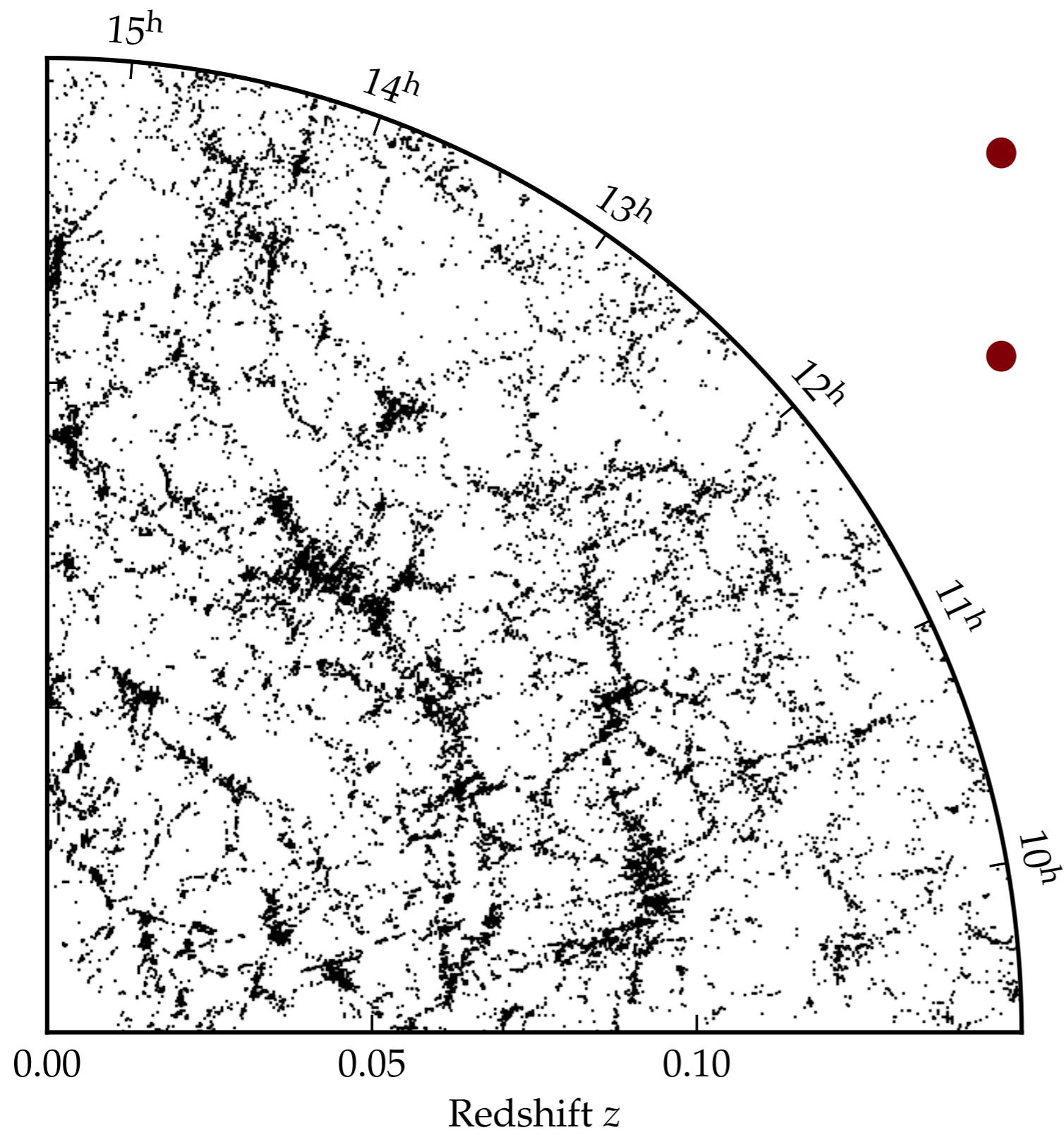
- We can observe the contrast relative to the CMB

$$\Delta T = 23.8 \left(\frac{1+z}{10} \right)^{1/2} [1 - \bar{x}(1 + \delta_x)] (1 + \delta_b)(1 - \delta_v) \left[\frac{T_S - T_\gamma}{T_S} \right] \text{ mK}$$

Hydrogen in the Universe



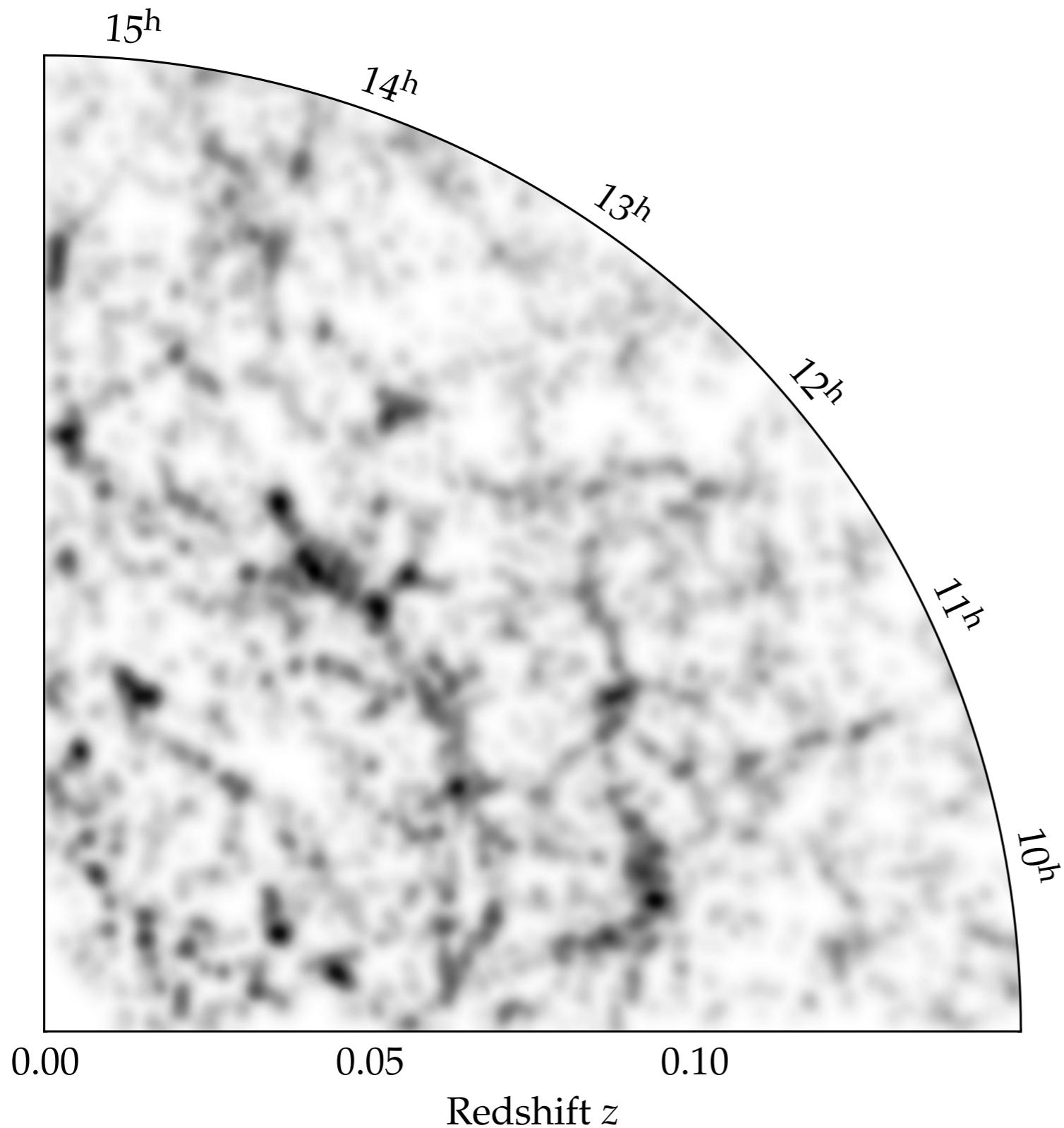
Galaxy Redshift Survey



- Detect all galaxies with high significance.
- Take spectra to determine redshift

Only interested in large scales

Intensity Mapping



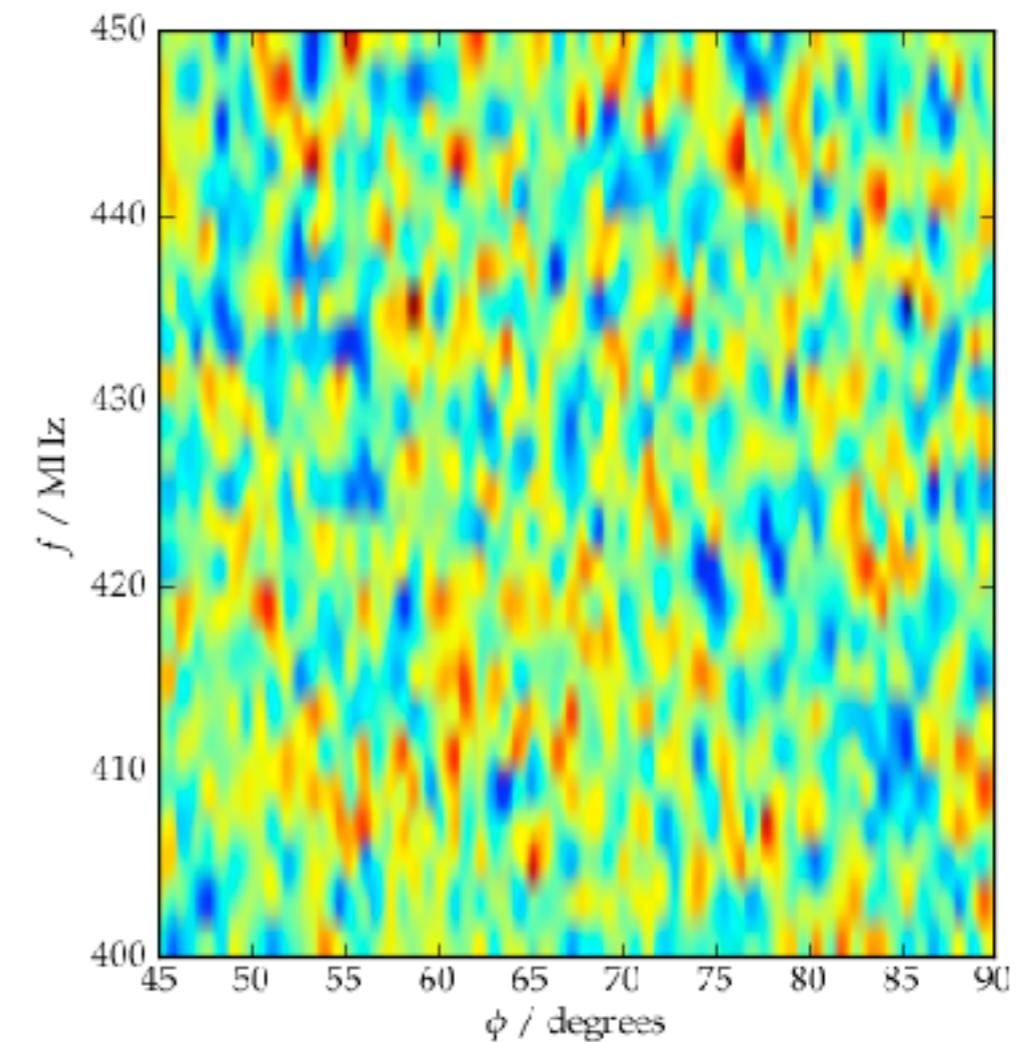
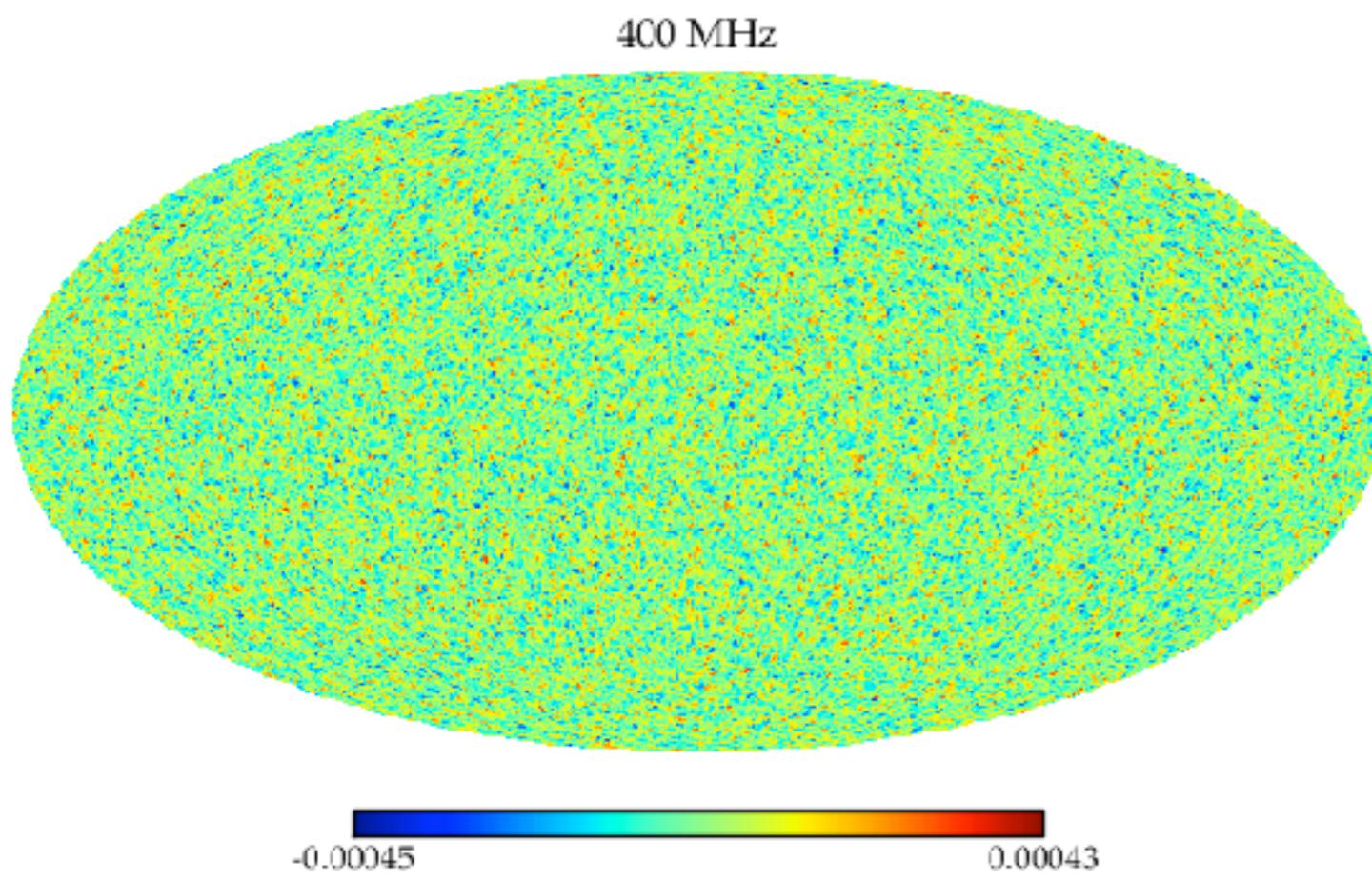
- Observe galaxies with a line transition
- Automatically gives redshift

Don't need to resolve individual galaxies

21cm Intensity Mapping

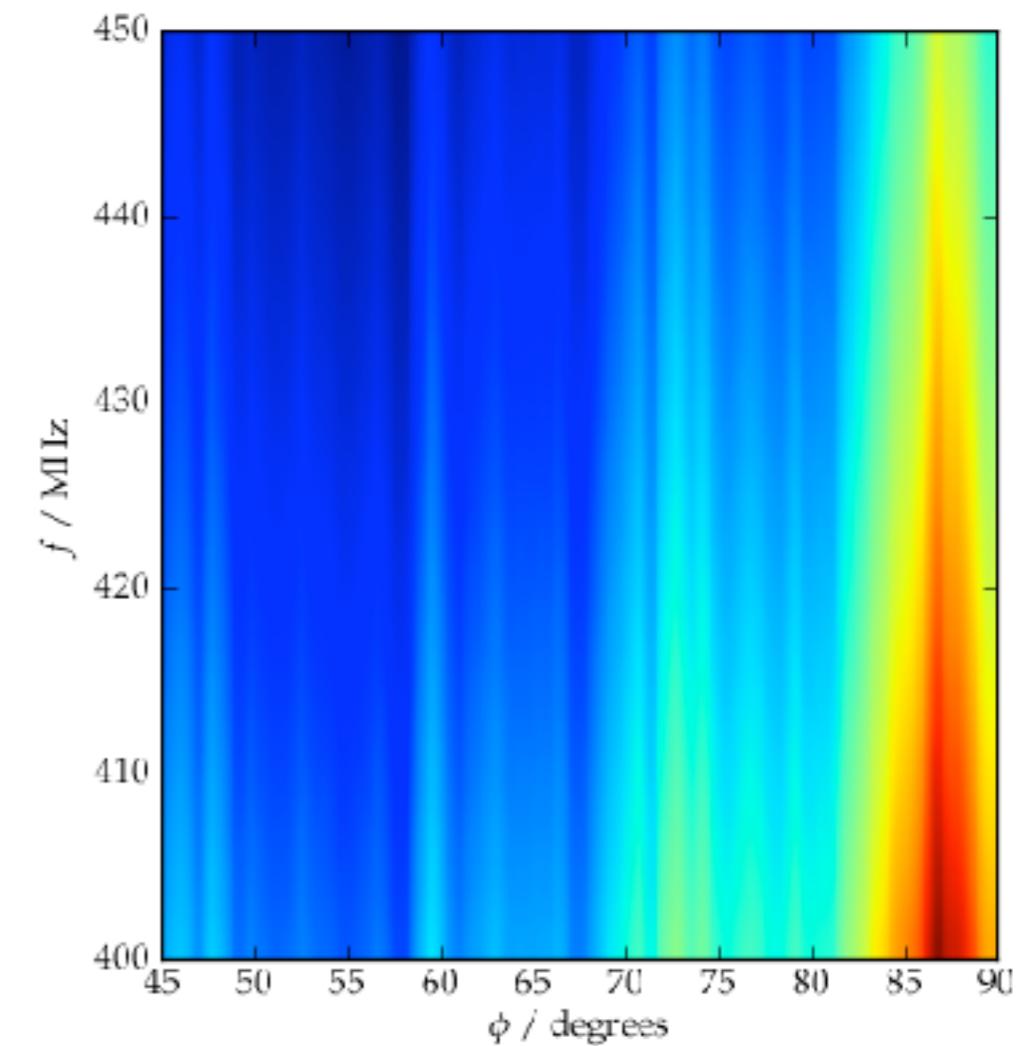
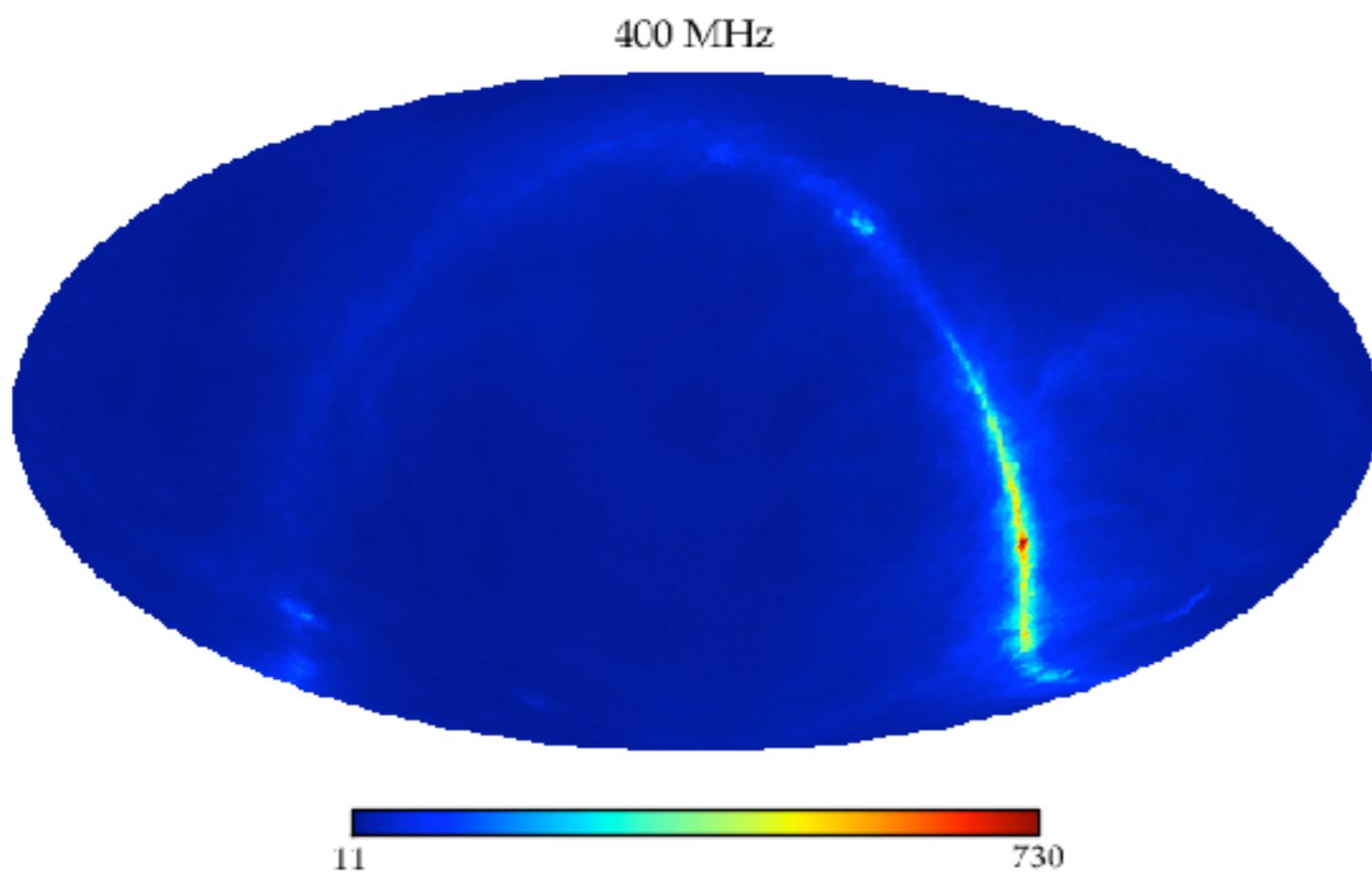
- In 21cm the frequency gives the redshift.
- Observe the diffuse emission from many unresolved galaxies
- Changes the game in telescope design:
 - ▶ Previously: large field of view, large collecting area, large angular resolution (SKA?)
 - ▶ Now: large field of view, large collecting area, modest angular resolution (compact arrays, single dishes).

Foreground Challenges



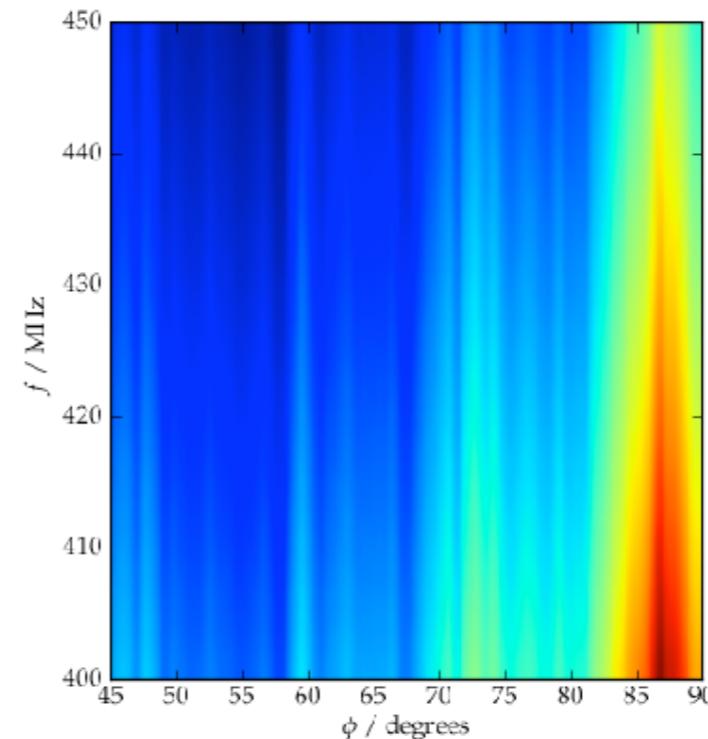
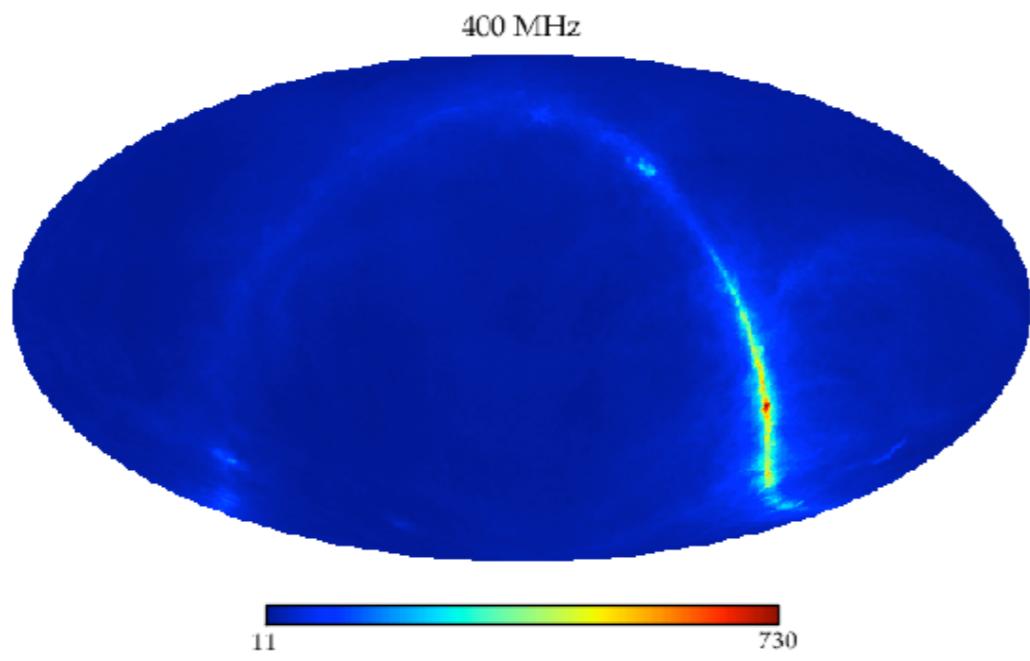
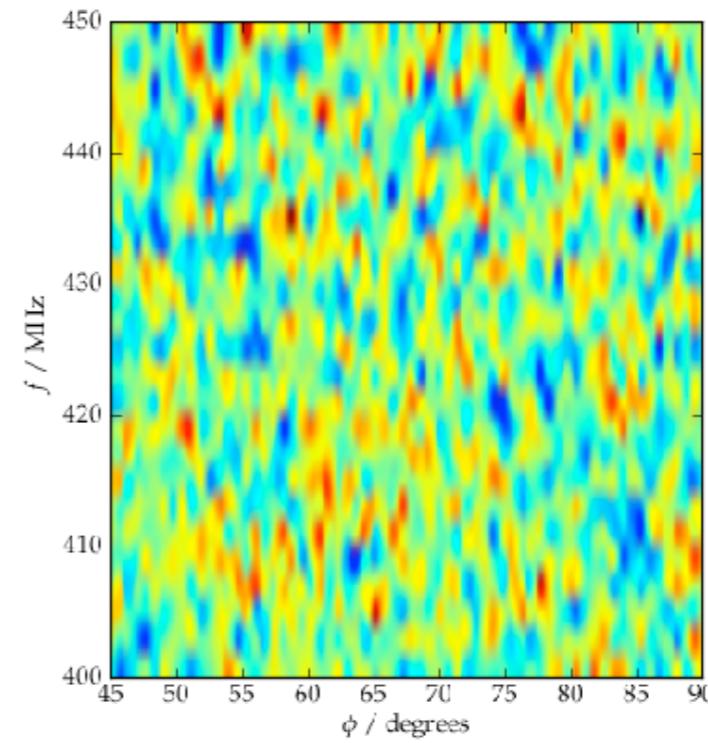
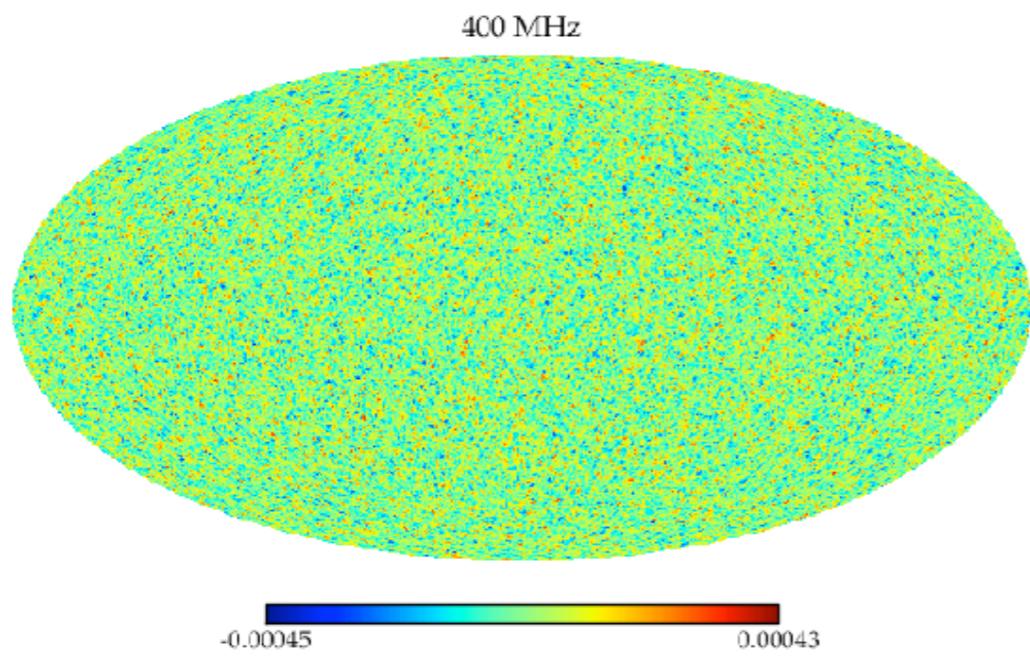
Cosmological 21cm Signal $\sim 1\text{mK}$

Foreground Challenges

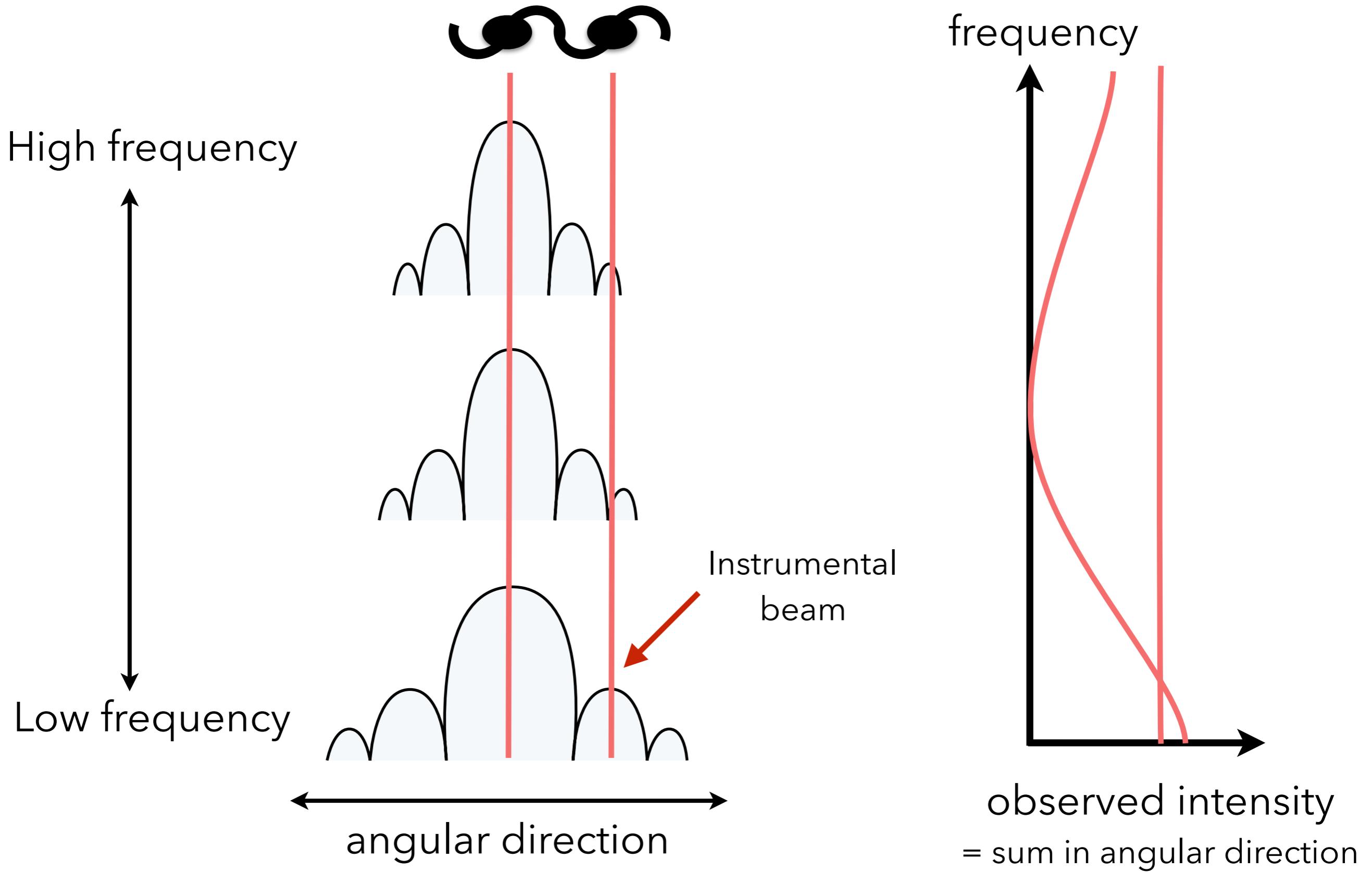


Galaxy: up to 700K

A way out?



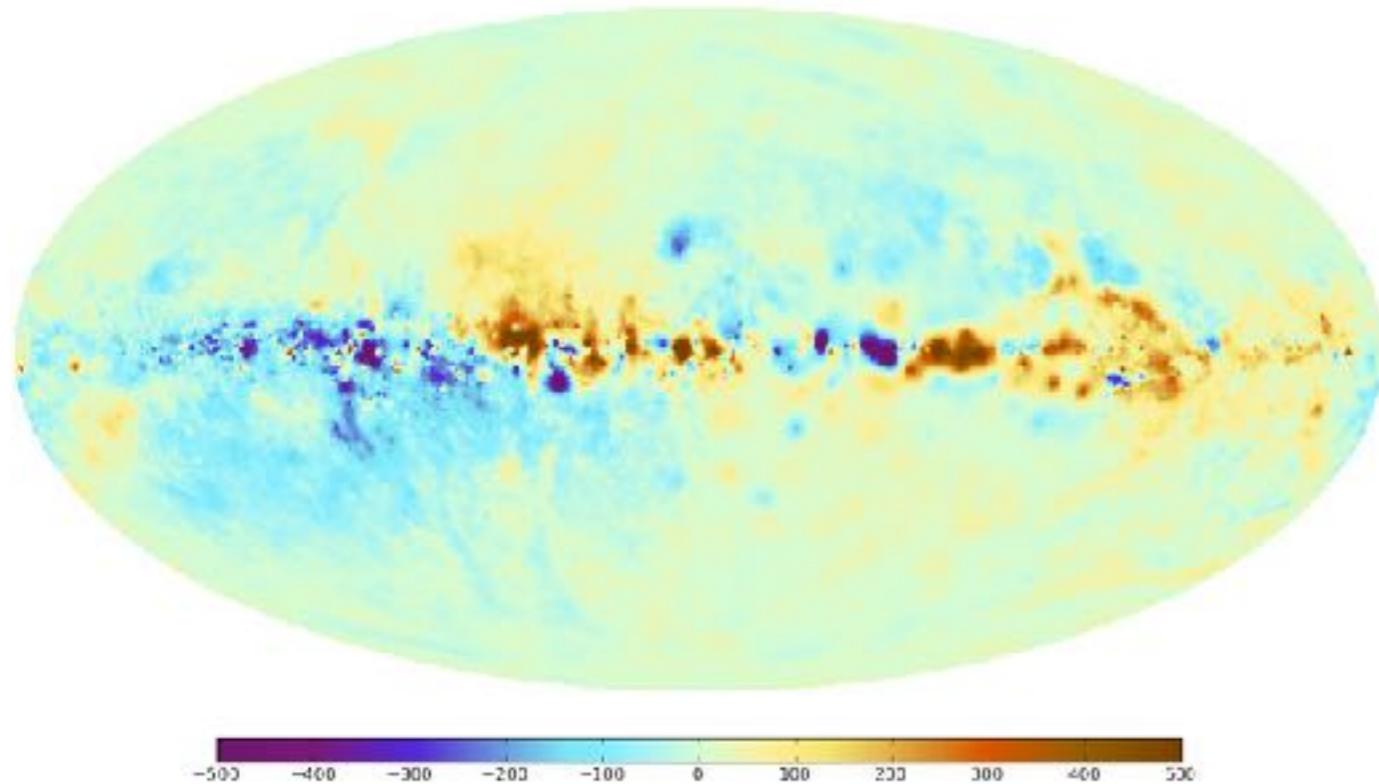
Issue 1: Mode mixing



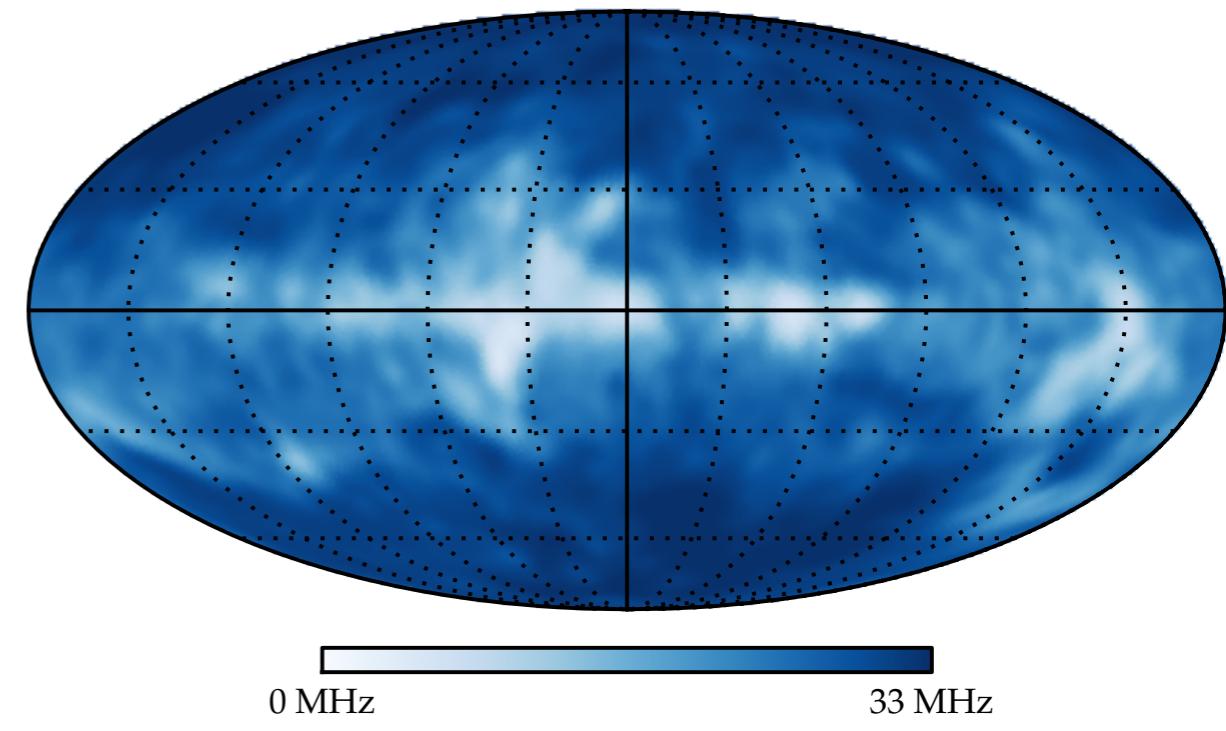
Issue 2: Polarised Foregrounds

- Synchrotron is highly polarised (fraction ~ 0.5)
- Faraday rotation changes polarisation angle with frequency $\sim \text{RM } \lambda^2$
- Galactic emission at different Faraday depths give multiple modes.
- Extent of problem unknown, expected to be worst at intermediate frequencies

Rotation measure through our galaxy (Oppermann et al., 2012)



Correlation length from simulation

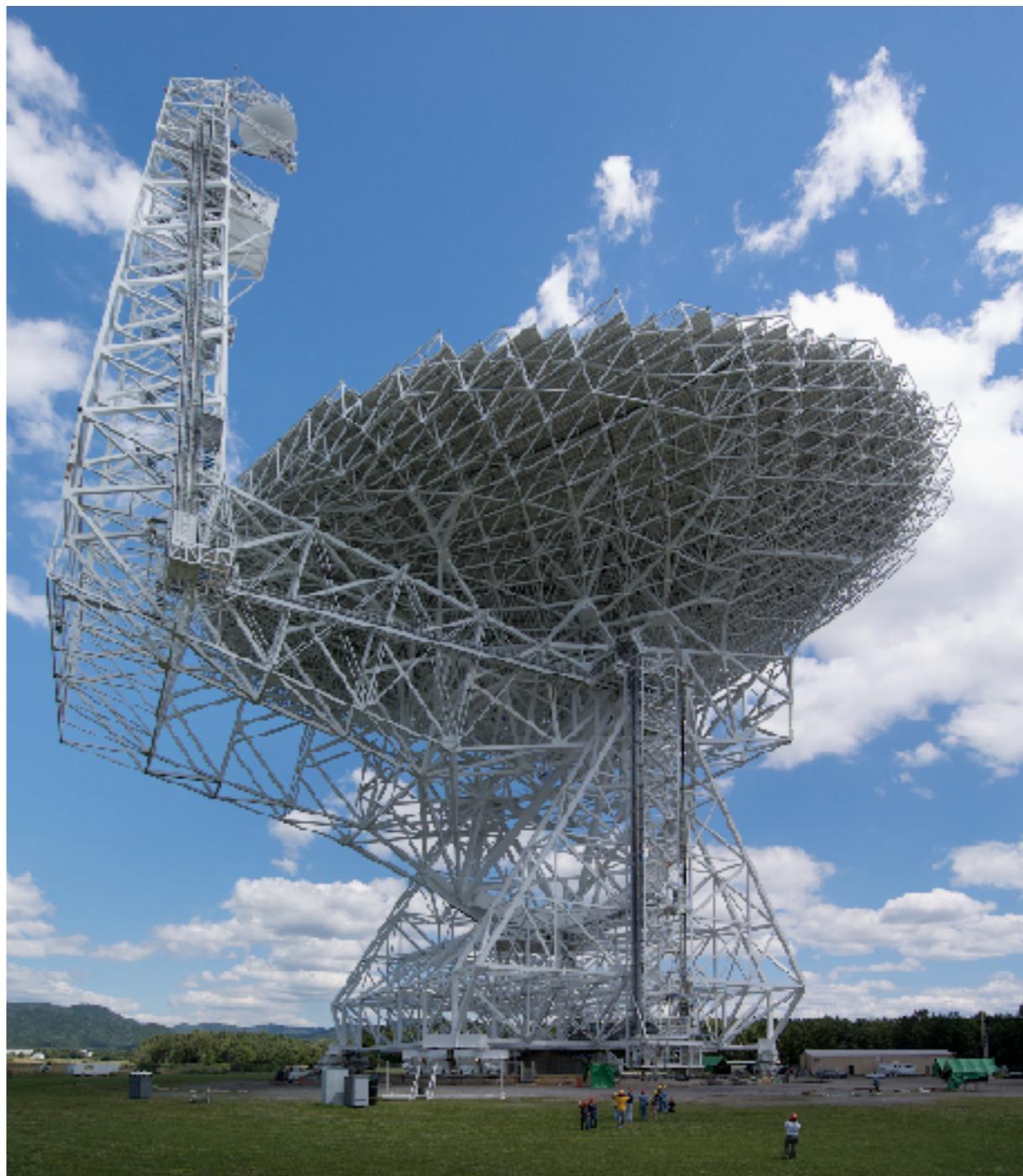


Intensity Mapping at Green Bank



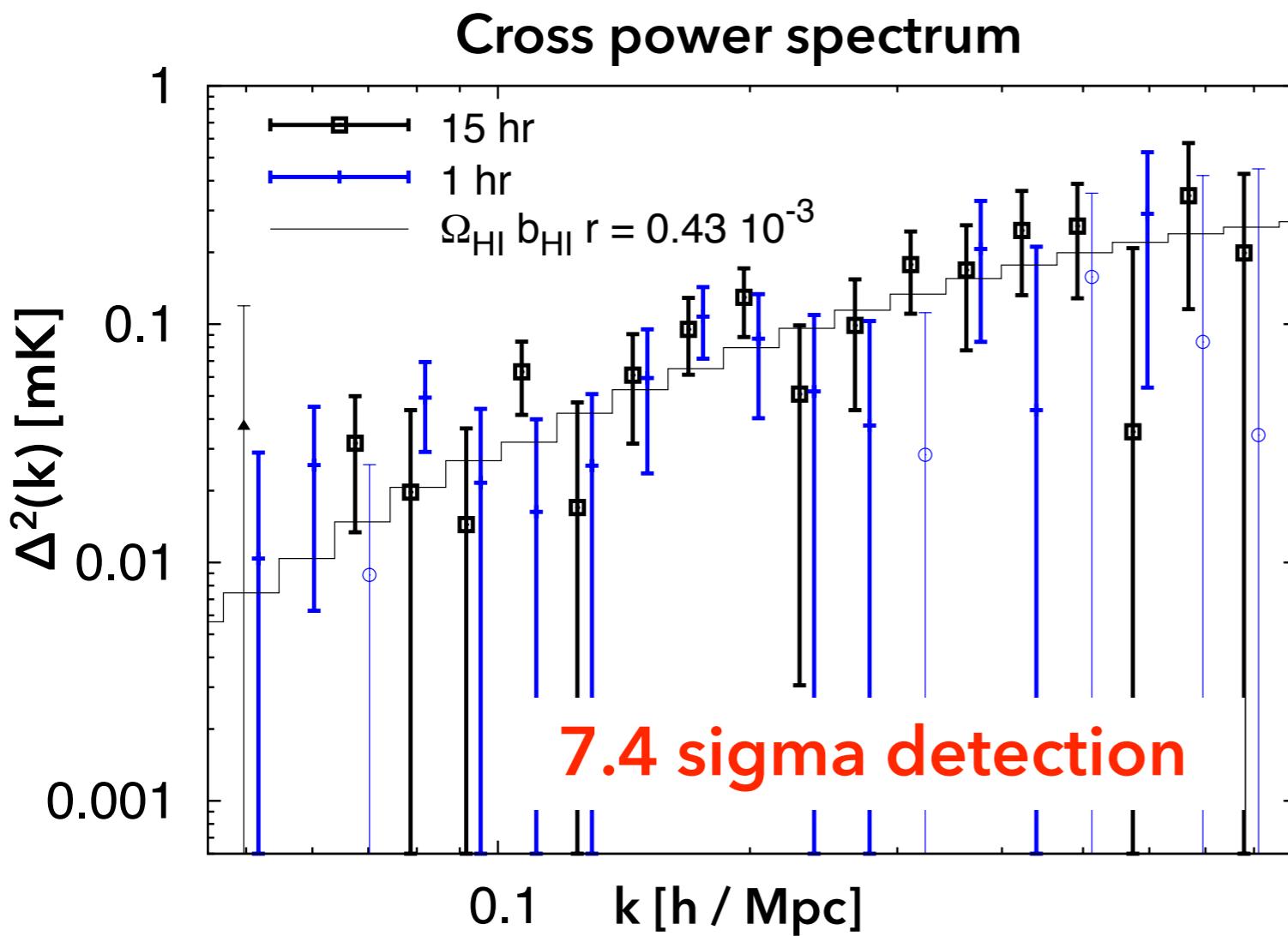
Intensity Mapping with GBT

- Collaboration: CITA, CMU, NRAO, UWisc, NAOC, ASIAA
- 100m telescope (15' resolution)
- 700-900 MHz ($z \sim 0.6 - 1$)
- 190 hours observation
- 41 sq deg

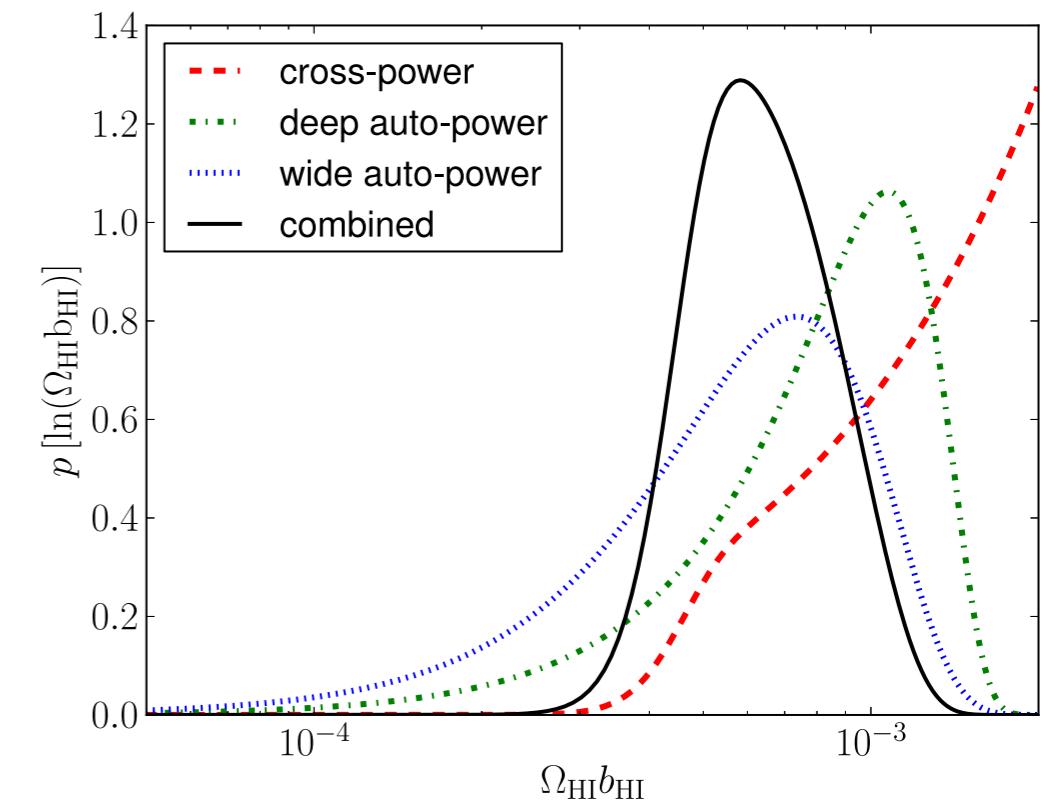


Cross correlation detection

- Correlation with DEEP2 Galaxy survey by Chang et al. (2010) - *avoids foreground problem!*
- Updated using WiggleZ survey (Masui et al. 2012)



$$\Omega_{\text{HI}} = [0.62^{+0.25}_{-0.15}] \times 10^{-3}$$



The Future?

- Work at GBT will continue with the aim of measuring the 21cm *autocorrelation*.
- However, observations like this are slow. To survey the whole sky to this depth ~ 20 years
 - ▶ Is there a better way to do this?

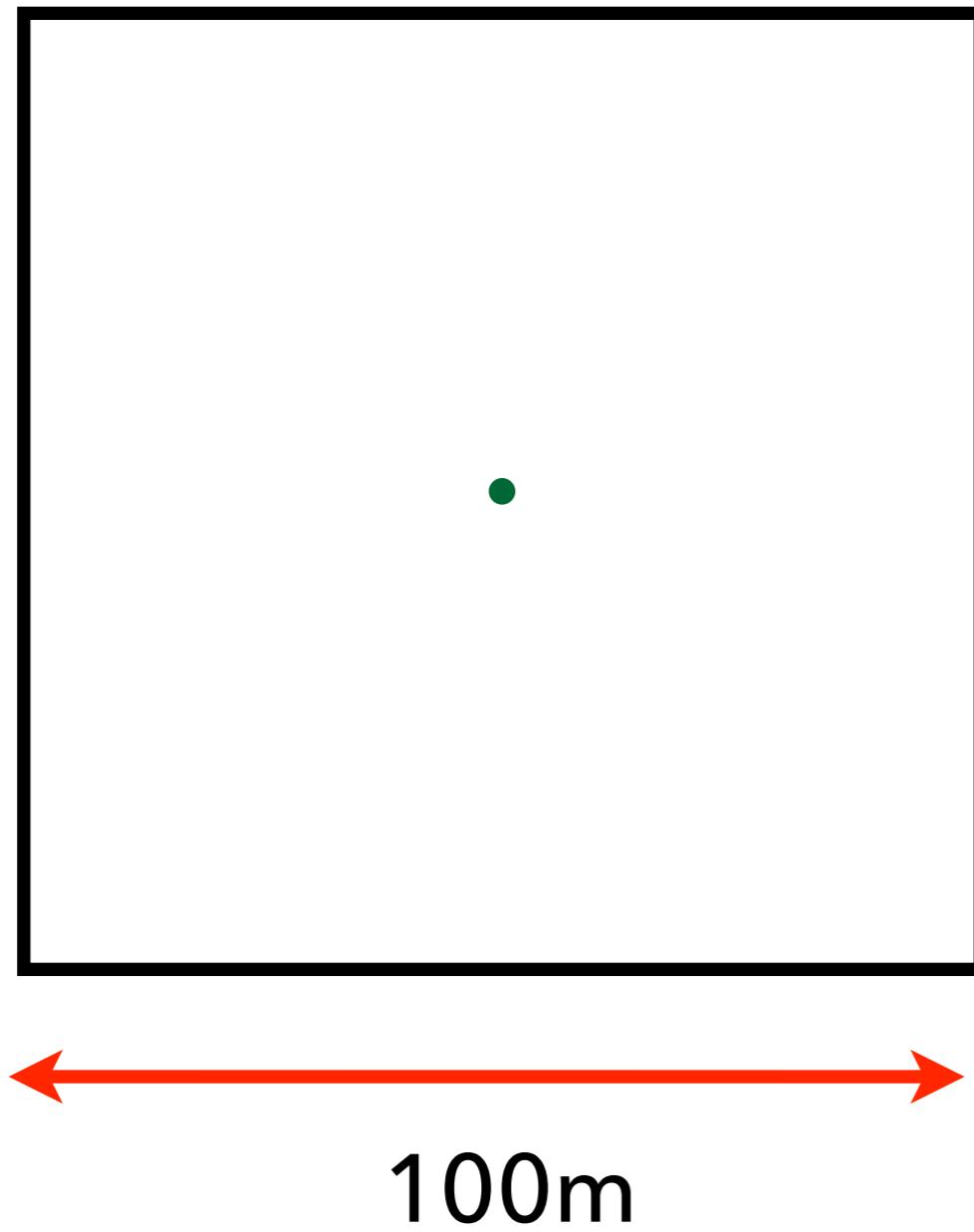
Next Generation Experiments

Requirements: Resolution

- Don't need to resolve individual galaxies, but do need sufficient resolution to resolve BAO peak ~ 10 arcmin
- For $z \sim 1-3$ requires 100m radio telescope (with ~ 1 MHz freq resolution)

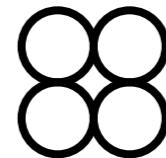
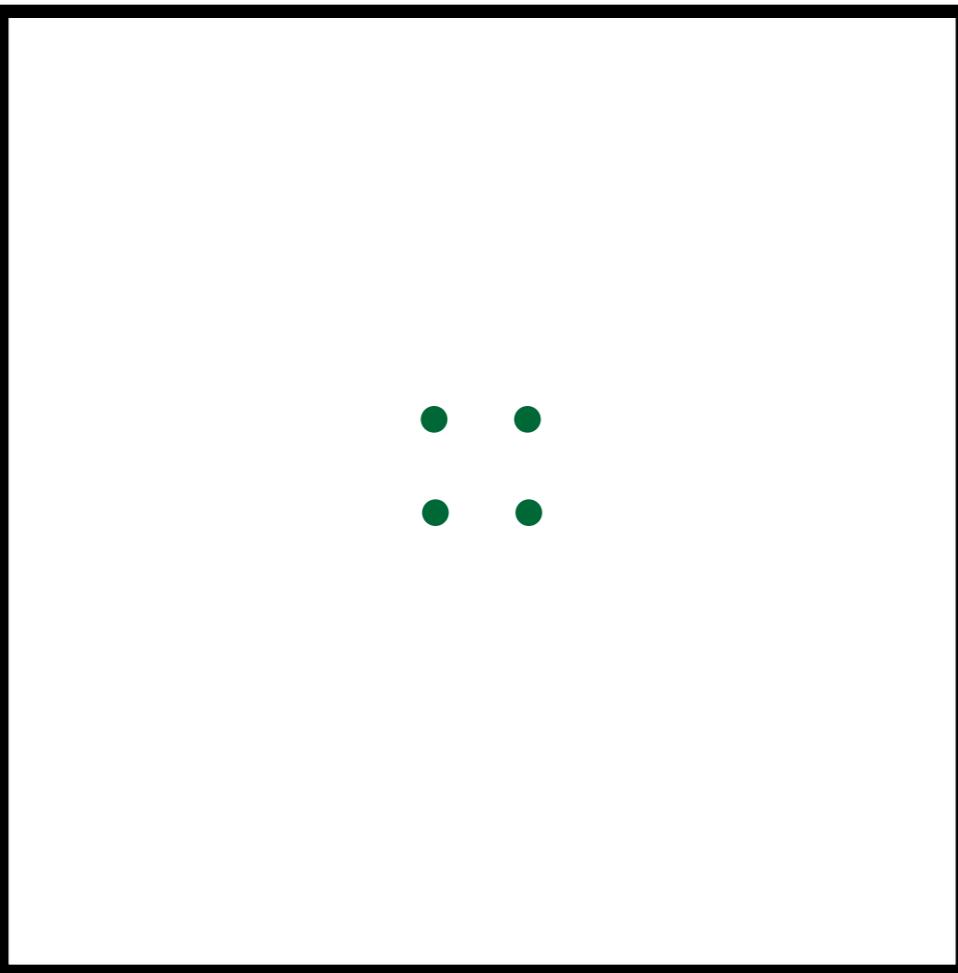
$$\Delta\theta \sim \frac{\lambda}{D}$$

Single Dish



- Slow survey
- Noise: σ_T

Focal Plane Array

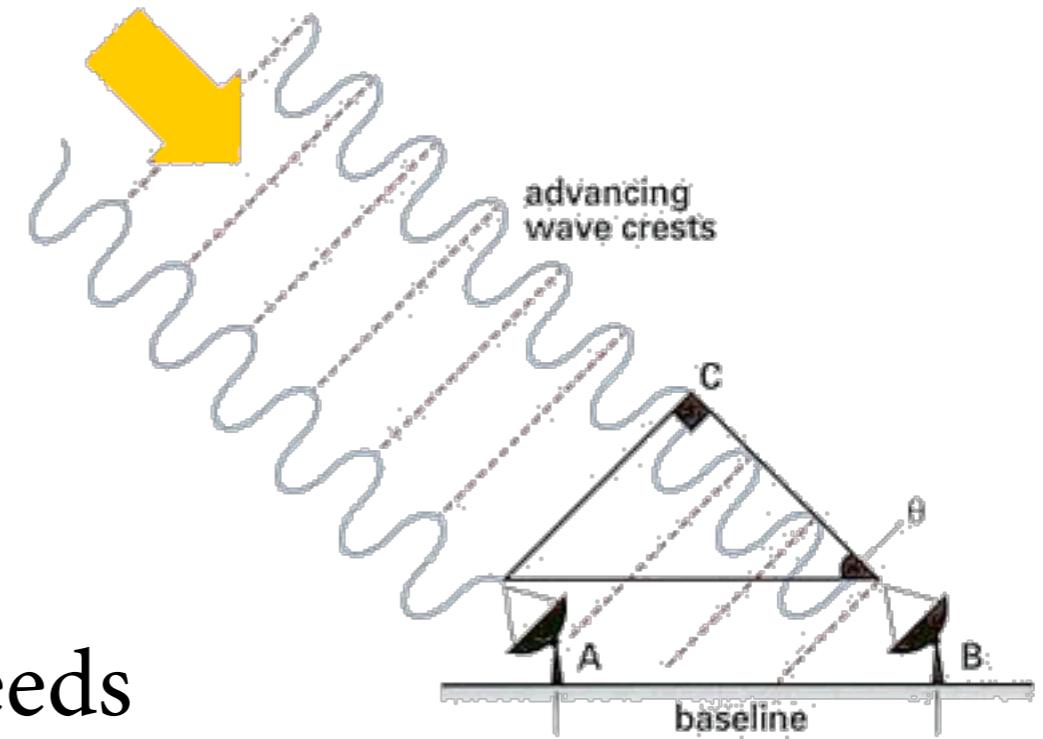


- Slightly offset feeds
- Each beam noise: σ_T
- 4x faster survey

Interferometers



Interferometers



- Complex correlation of two feeds

$$R = \int d^2\hat{\mathbf{n}} A^2(\hat{\mathbf{n}}) e^{2\pi i \hat{\mathbf{n}} \cdot \mathbf{u}} I(\hat{\mathbf{n}})$$

- For small parts of sky this is 2d Fourier mode

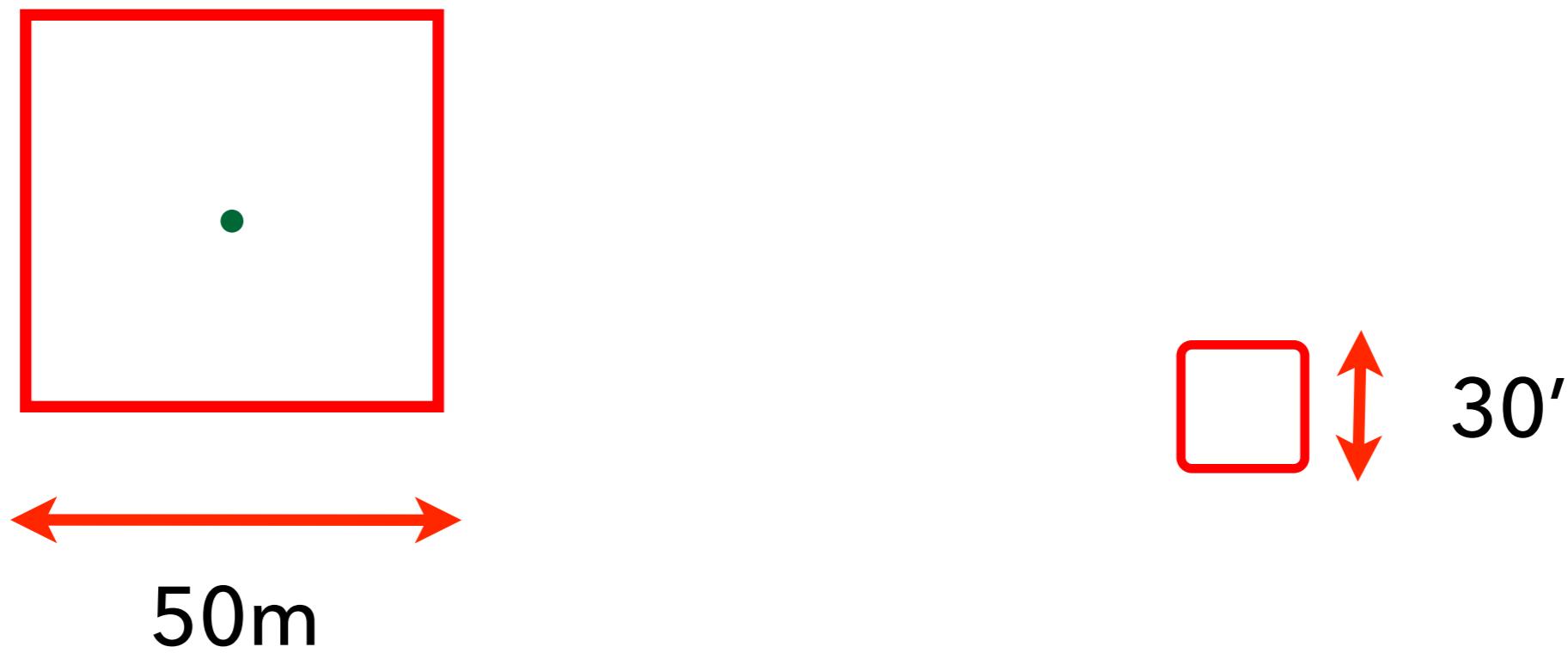
$$R = \int dl dm A^2(l, m) e^{2\pi i (ul + vm)} I(l, m)$$

- Imaging: inverse Fourier transform and deconvolution (*on flat sky*)

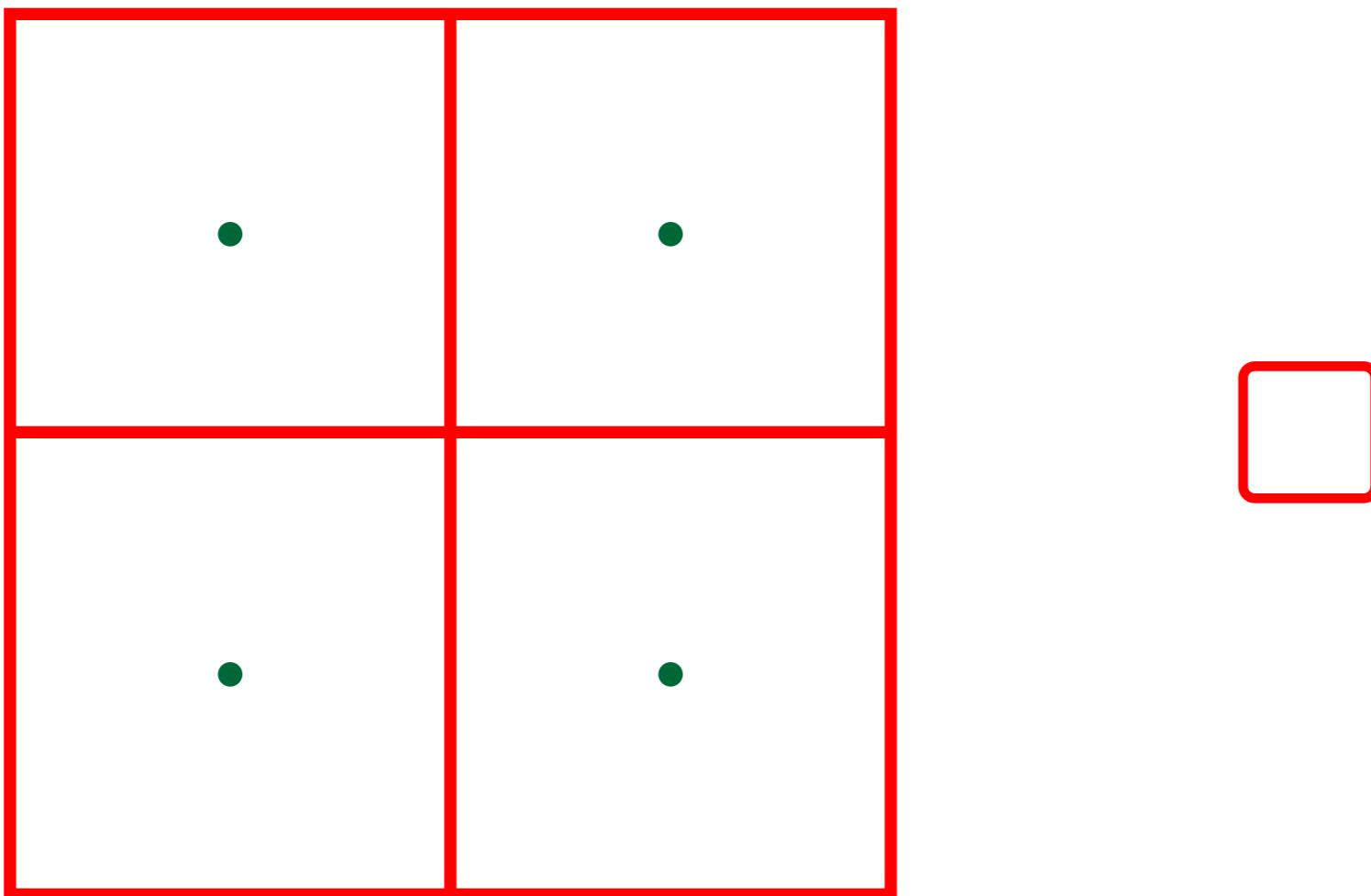
Interferometers

- Traditionally interferometers emphasized high resolution observations of small fields
- We can turn them into high speed survey instruments.
- We need maximal sensitivity to large scales. Means measuring smallest fourier modes (hence many short baselines)

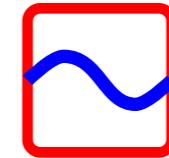
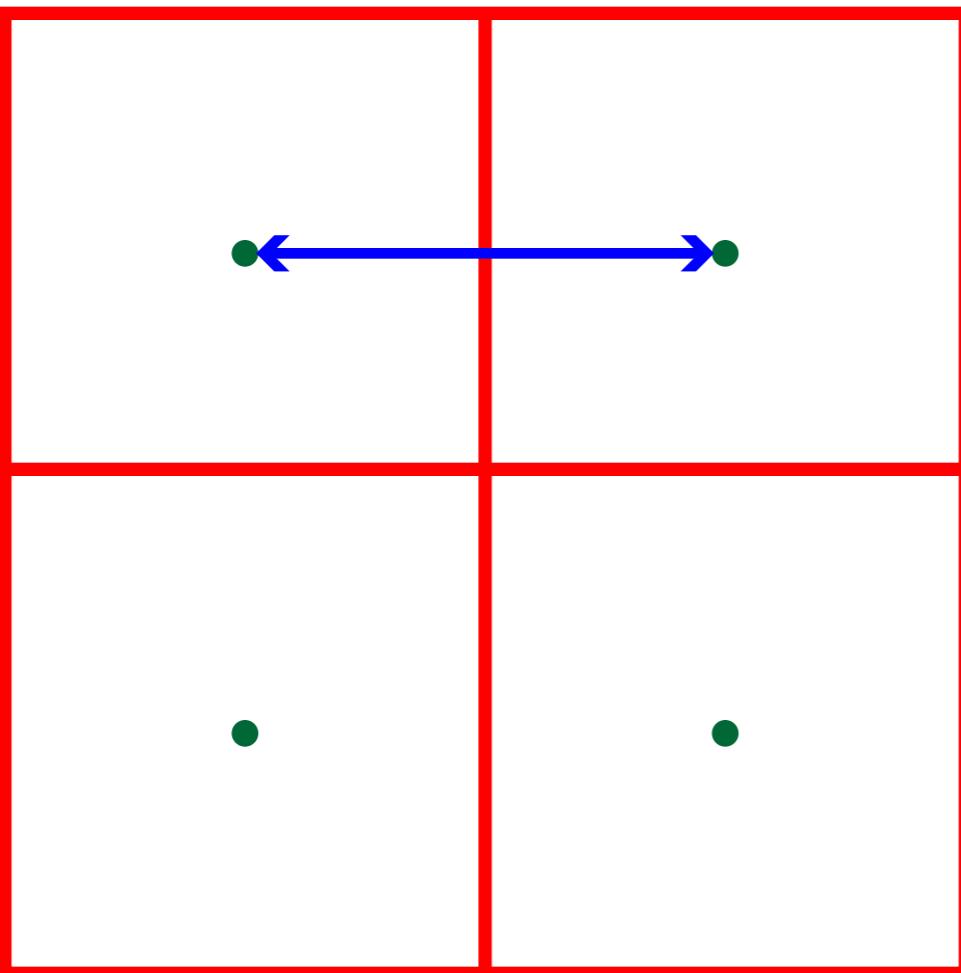
2x2 Interferometer



2x2 Interferometer

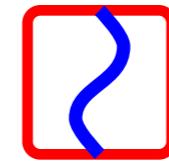
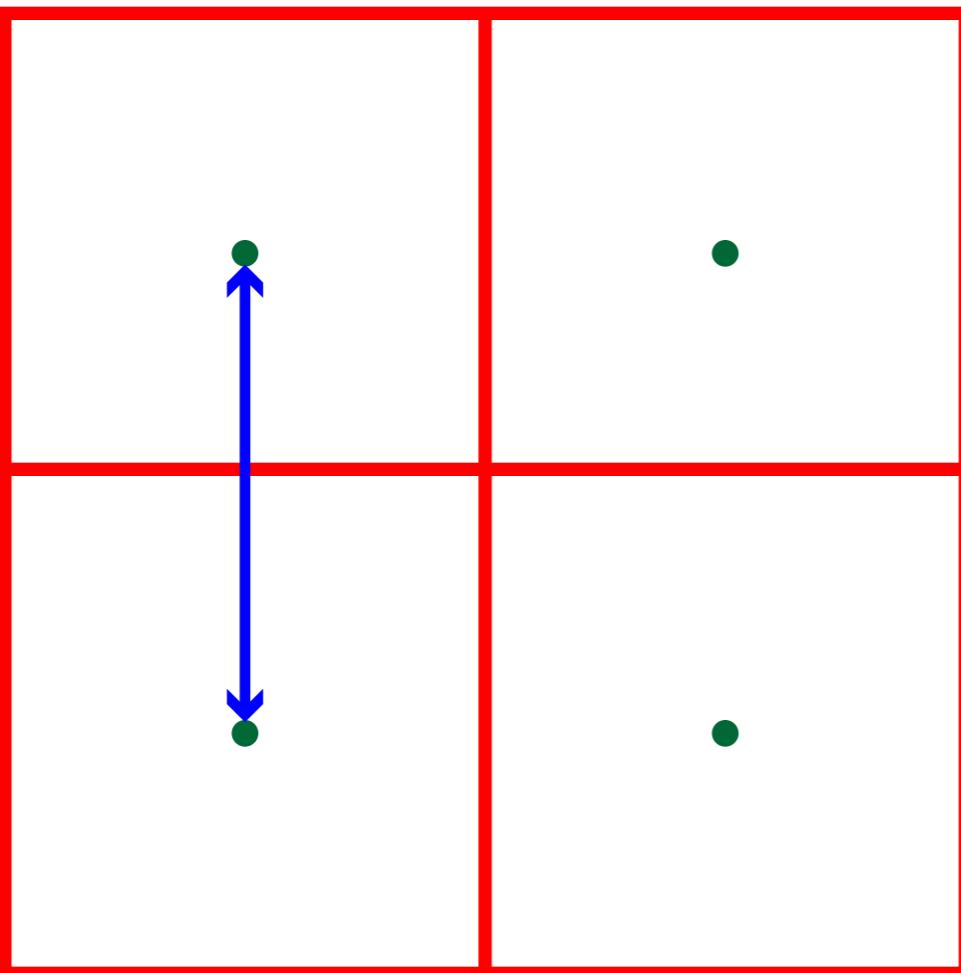


2x2 Interferometer



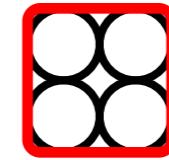
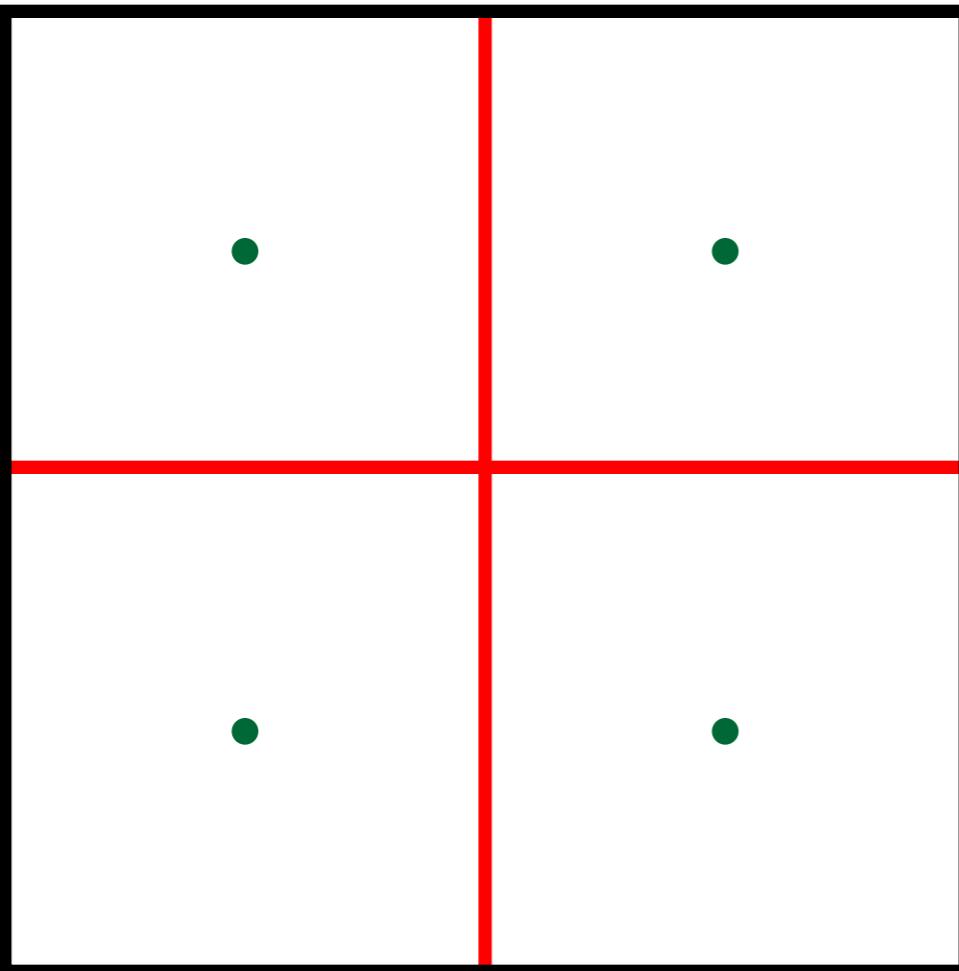
- Measure fourier modes
in redbox (primary
beam)

2x2 Interferometer



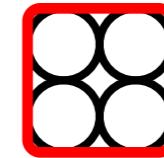
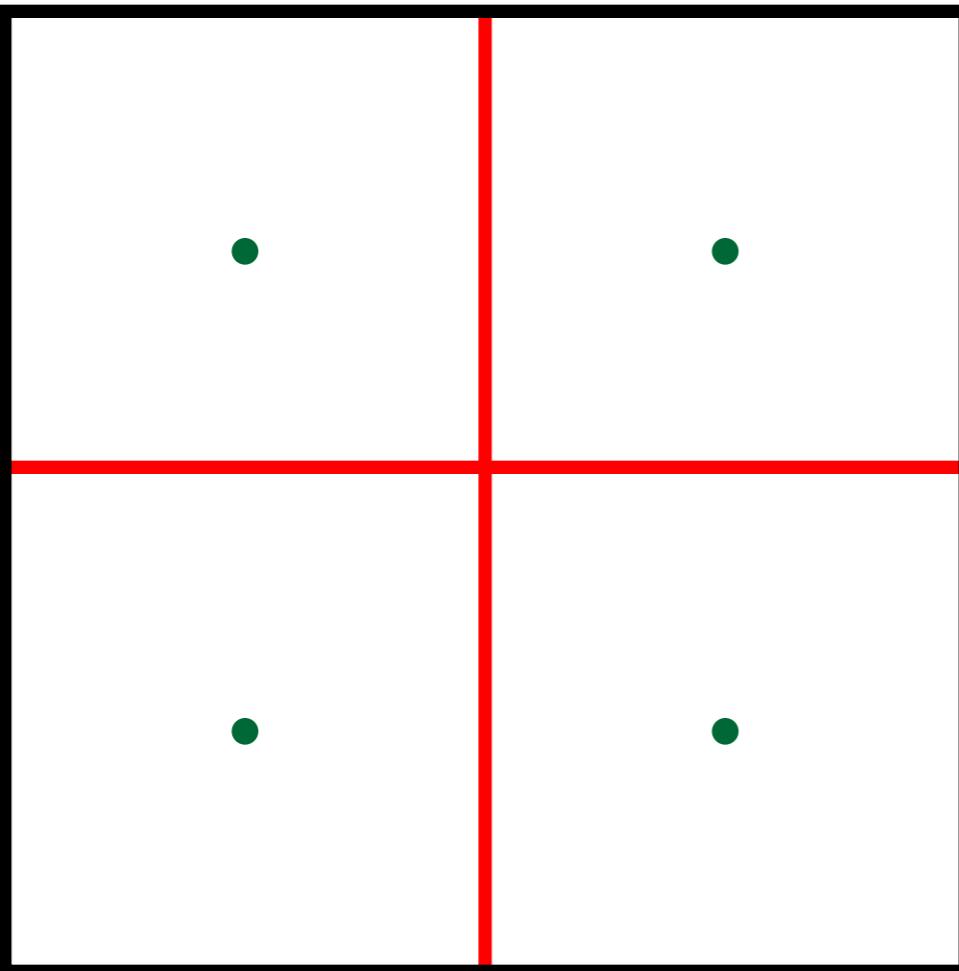
- Measure fourier modes in redbox (primary beam)

2x2 Interferometer



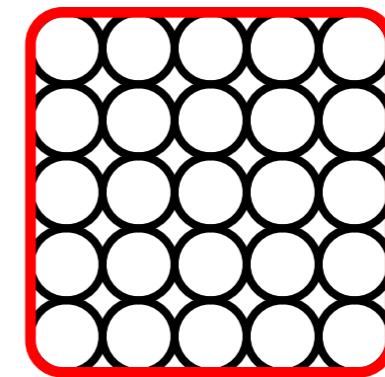
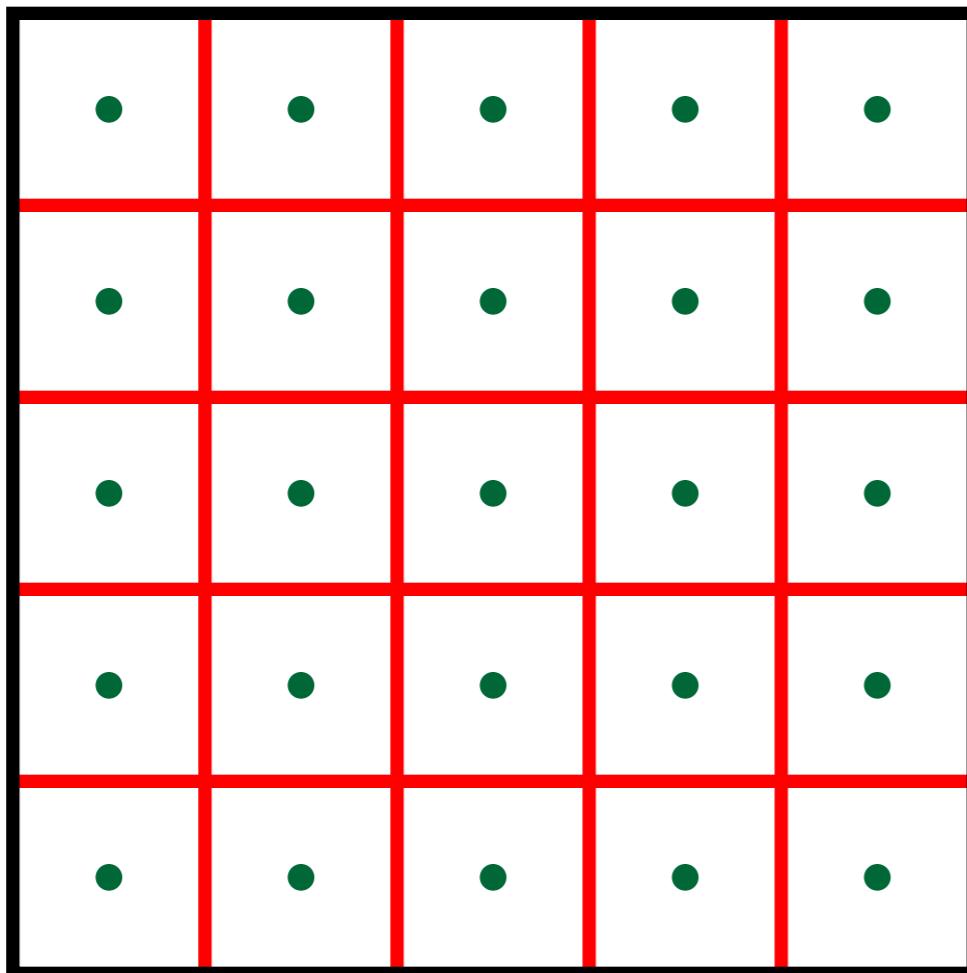
- Linear combinations give independent beams

2x2 Interferometer



- Each beam has noise σ_T
- 4x faster, with same noise and resolution

5x5 Interferometer



25x faster

Survey Interferometers

- A cheap, scalable way of building large collecting area and angular resolution
- FoV (primary beam) given by size of individual elements
- Resolution determined by total size of array
- Survey speed proportional to N_{feeds}





 McGill

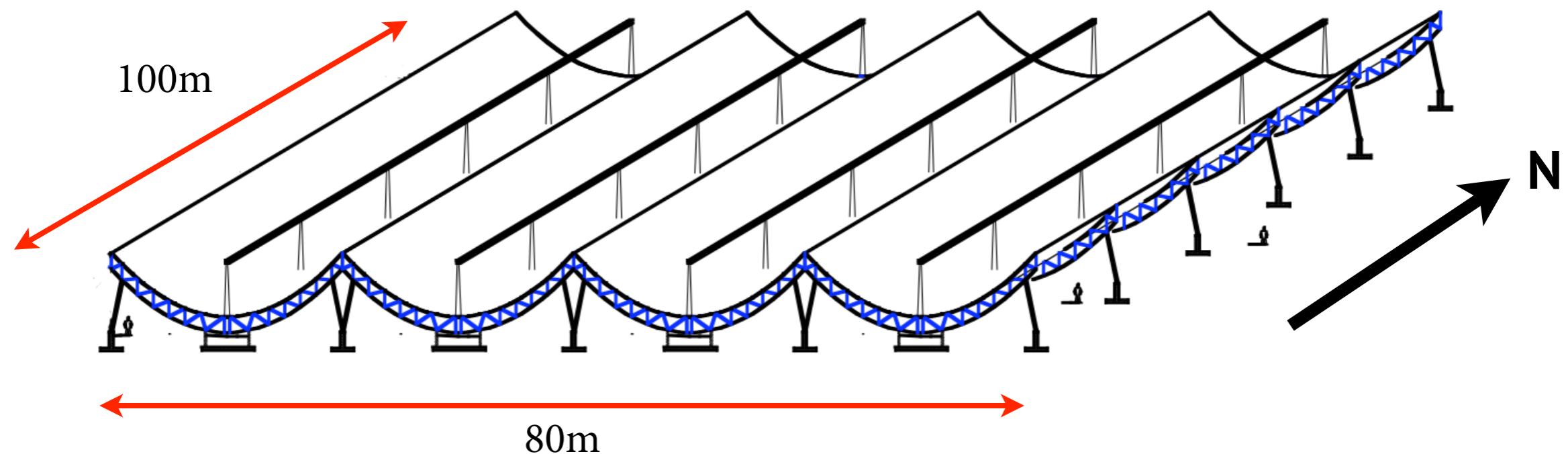


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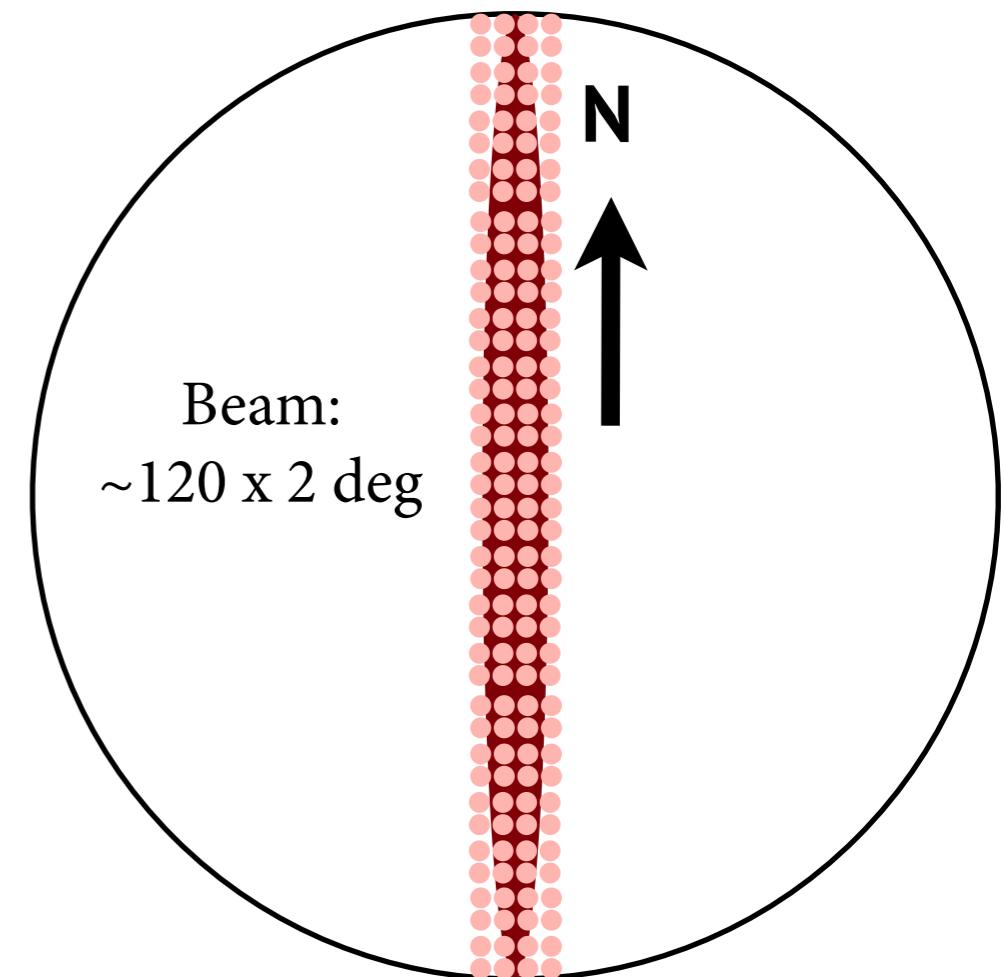


 chime

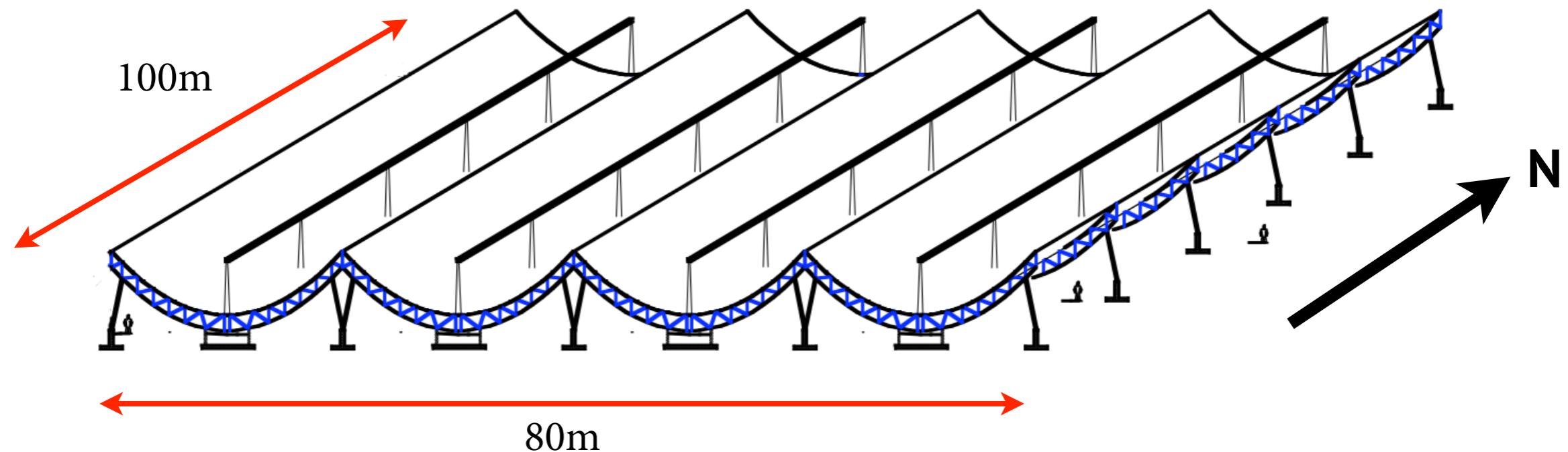
CHIME Overview



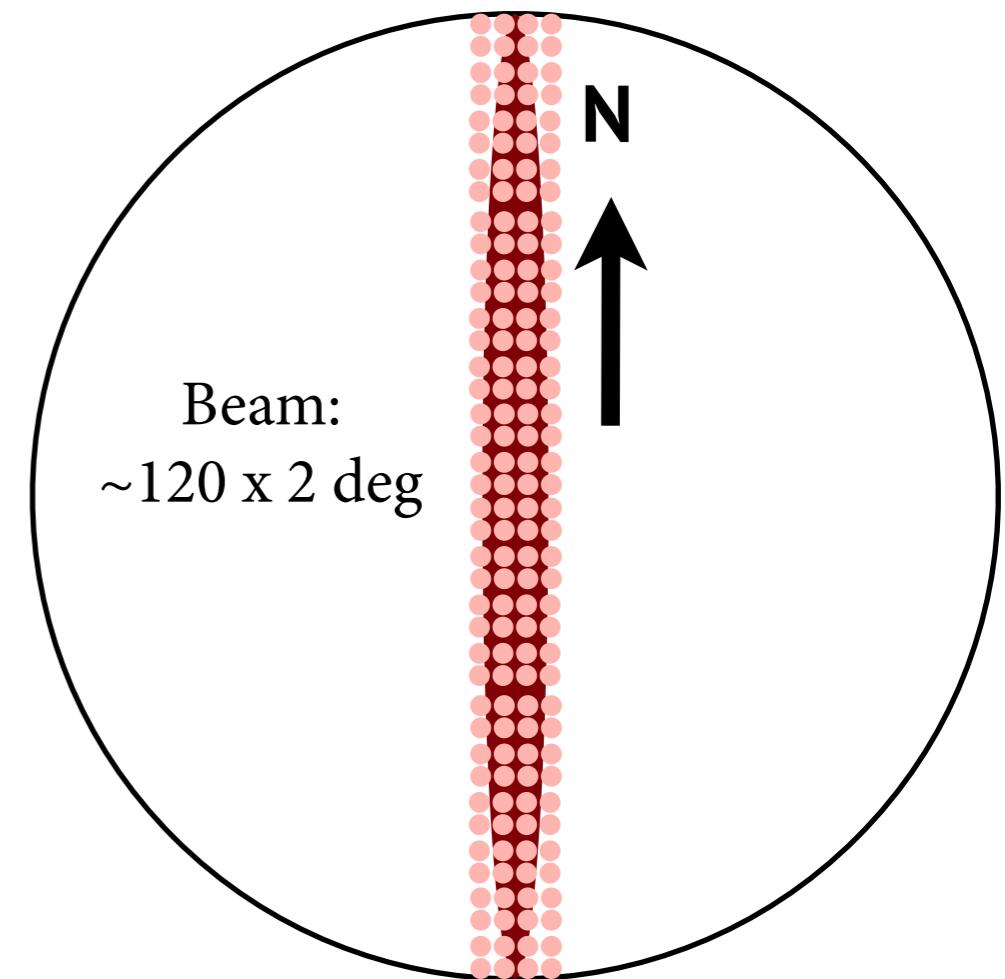
- Located at DRAO in BC
- Transit radio interferometer
 - ▶ Observe between 400-800 MHz
 - ▶ 0.4 MHz spectral resolution
 - ▶ 1024 dual pol antennas ($T_{\text{recv}} = 50\text{K}$)
- 120 x 2 degree FoV
- 4x256 beams = 15 arcmin resolution



CHIME Overview



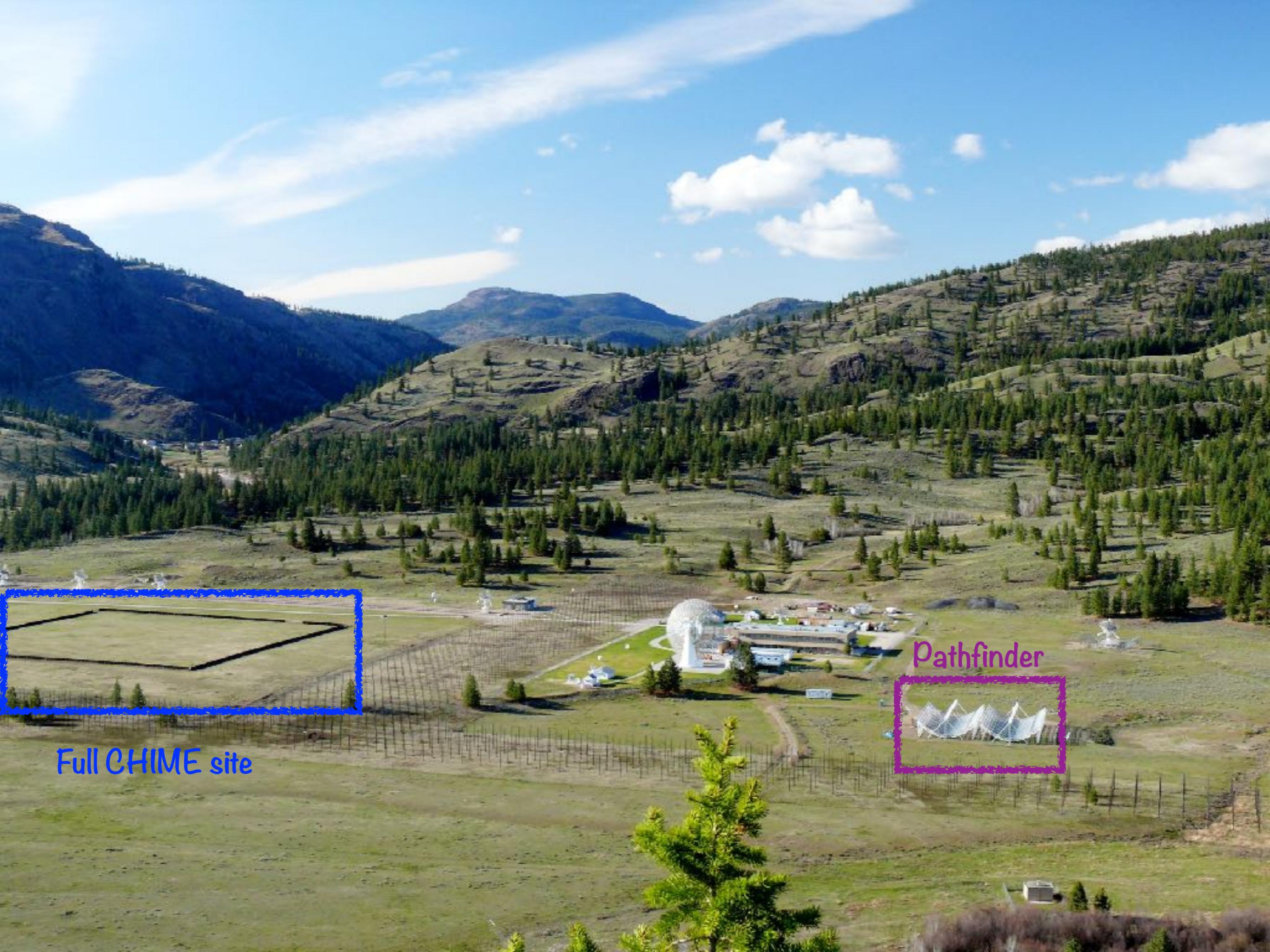
- Science Goals
 - ▶ Intensity mapping for BAOs
 - ▶ Pulsar observations
 - ▶ Radio transients





CHIME

Jessica Rae Gordon

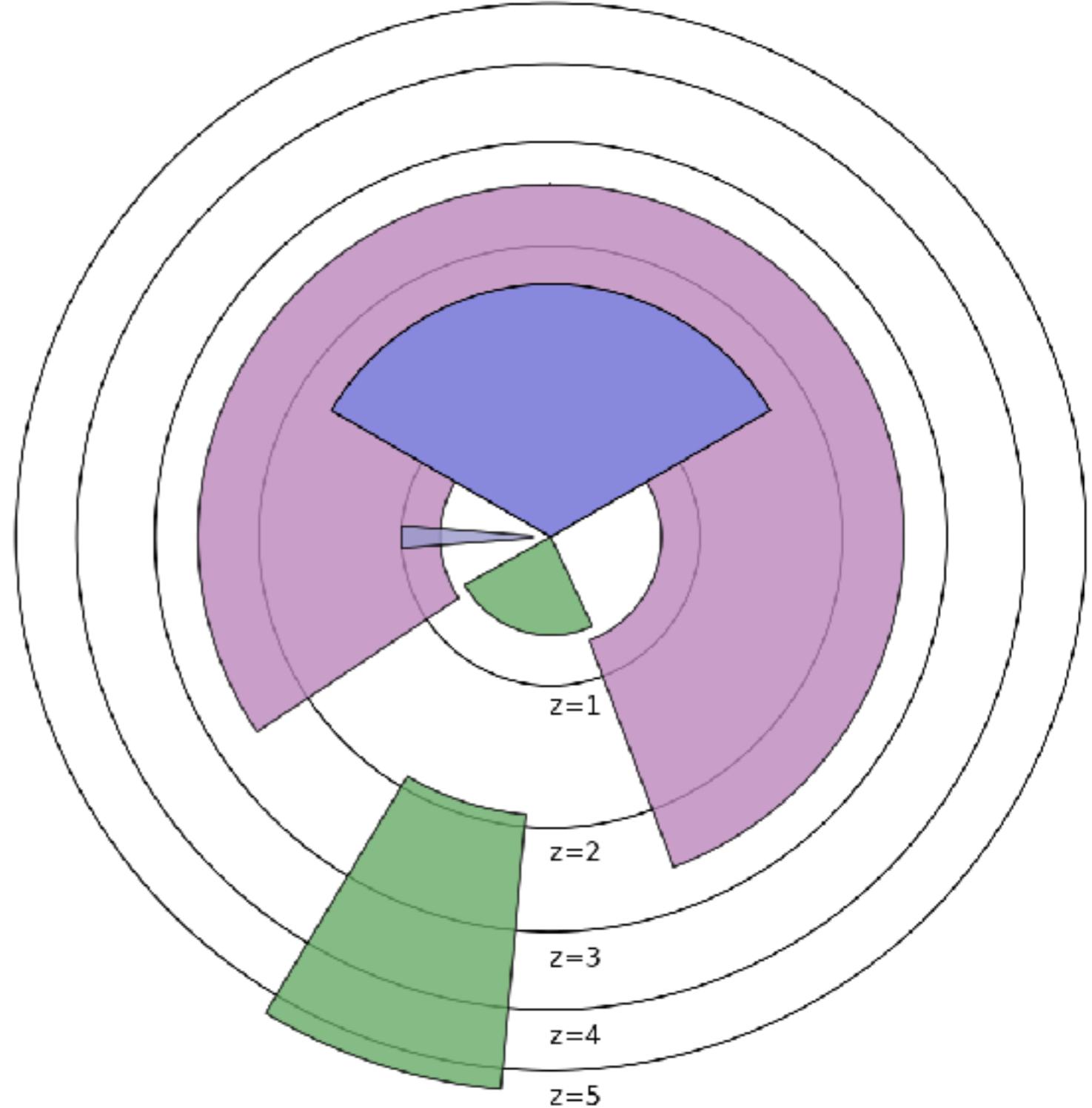


Full CHIME site

Pathfinder

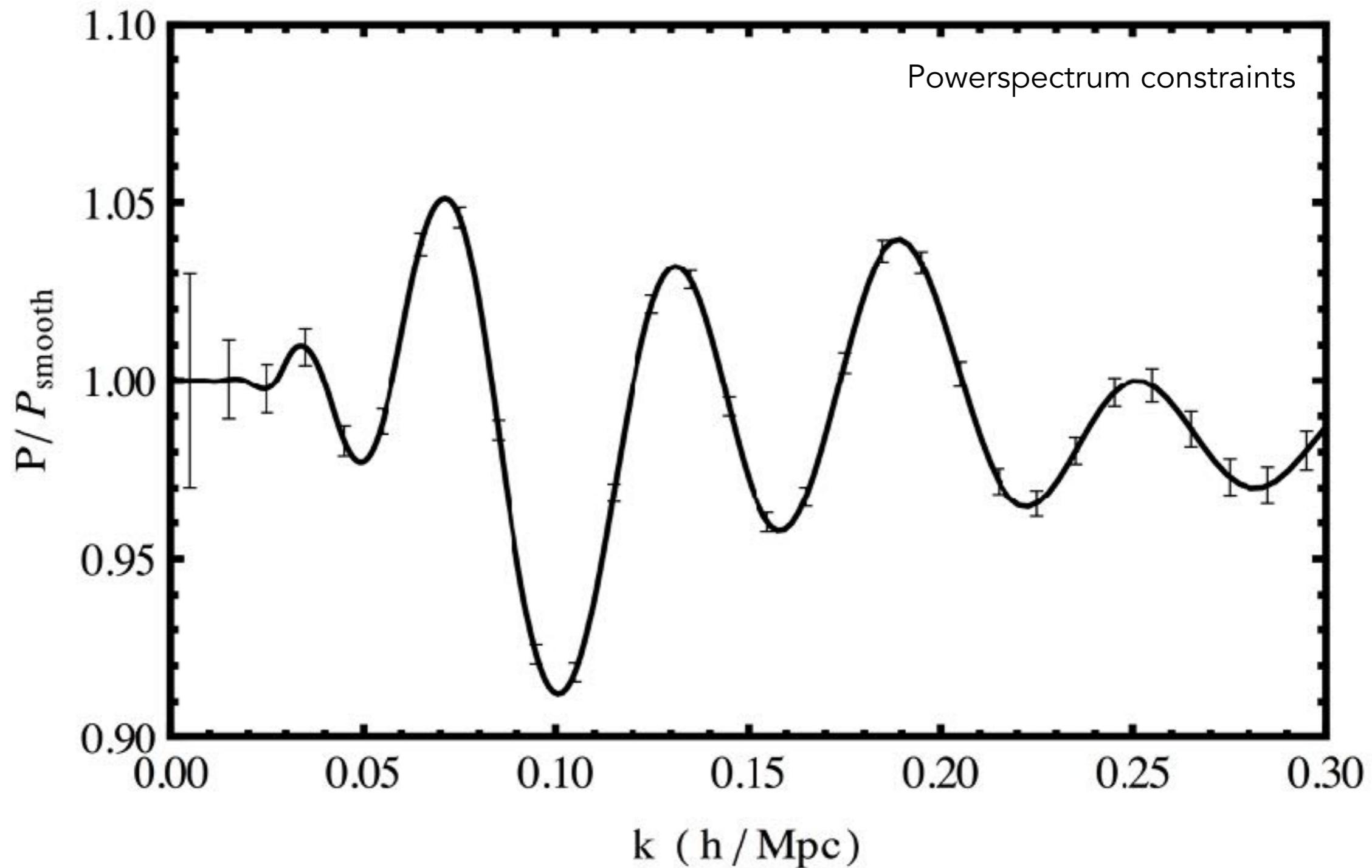
Survey Volume

- WiggleZ: $1.2 (h^{-1} \text{ Gpc})^3$
- BOSS
 - LRG: $5.3 (h^{-1} \text{ Gpc})^3$
 - Ly α : $37 (h^{-1} \text{ Gpc})^3$
- CHIME: $200 (h^{-1} \text{ Gpc})^3$
- DESI ELG: $50 (h^{-1} \text{ Gpc})^3$

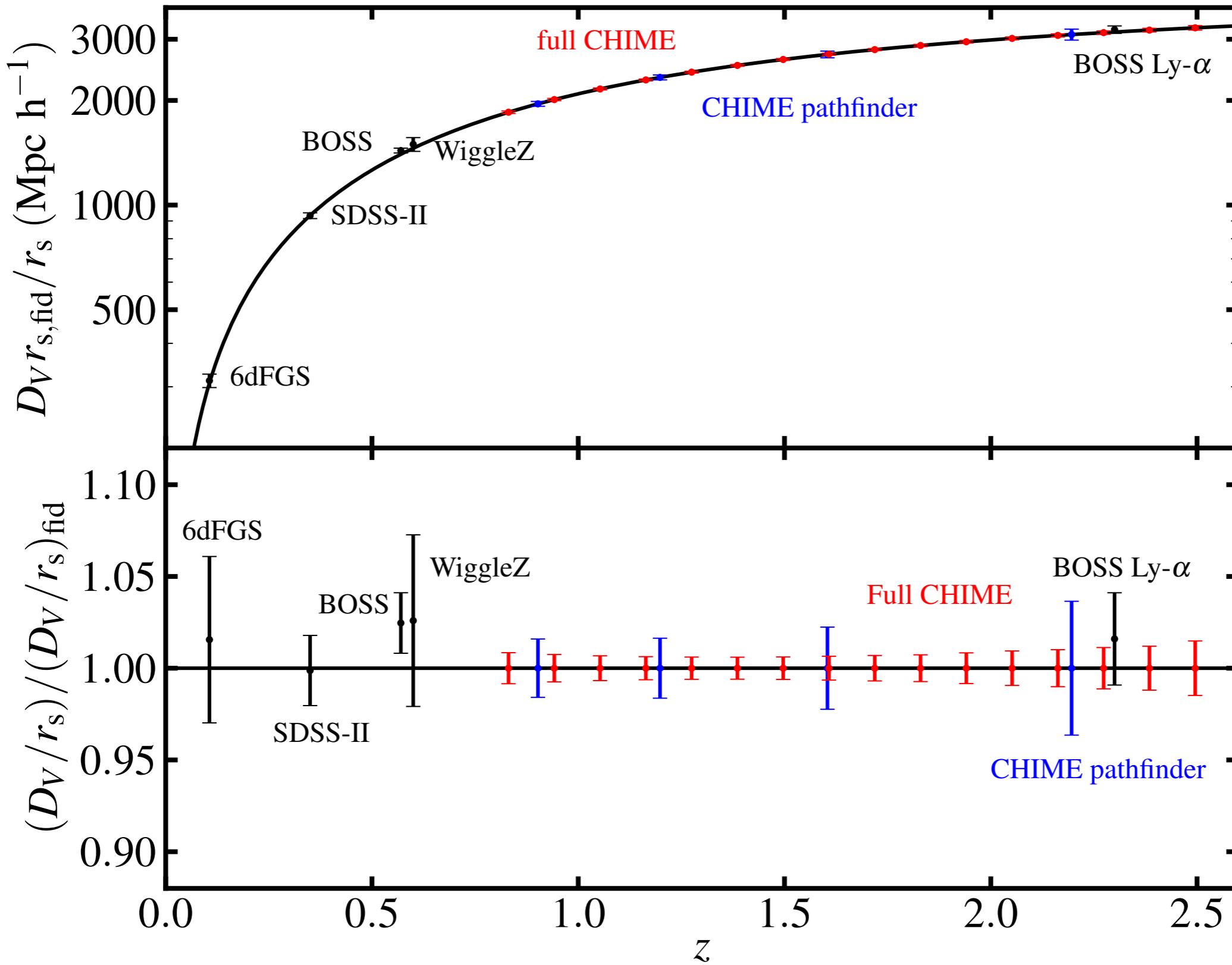


Scaled such that:
area of patch=volume of survey

BAO Forecasts

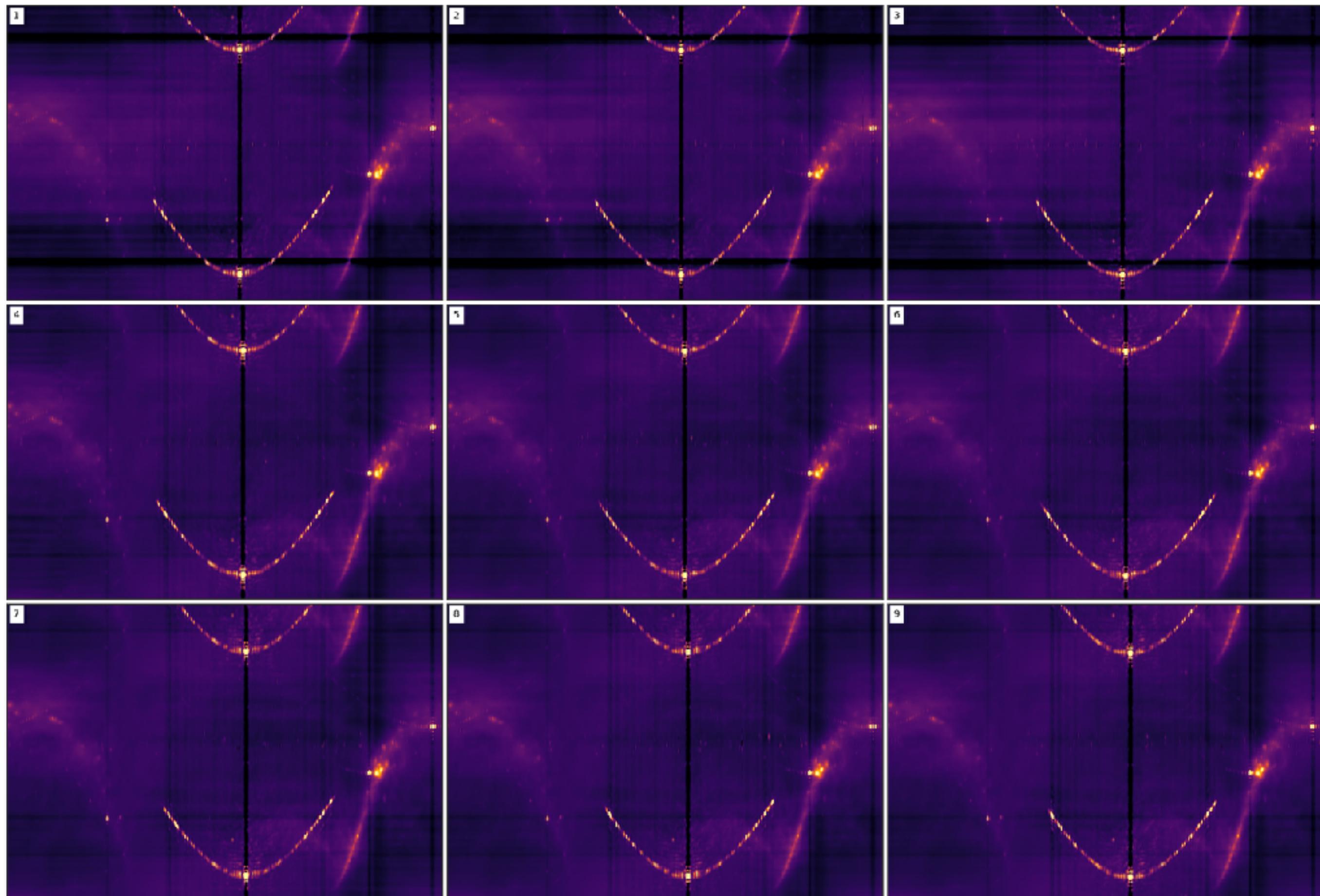


BAO Forecasts

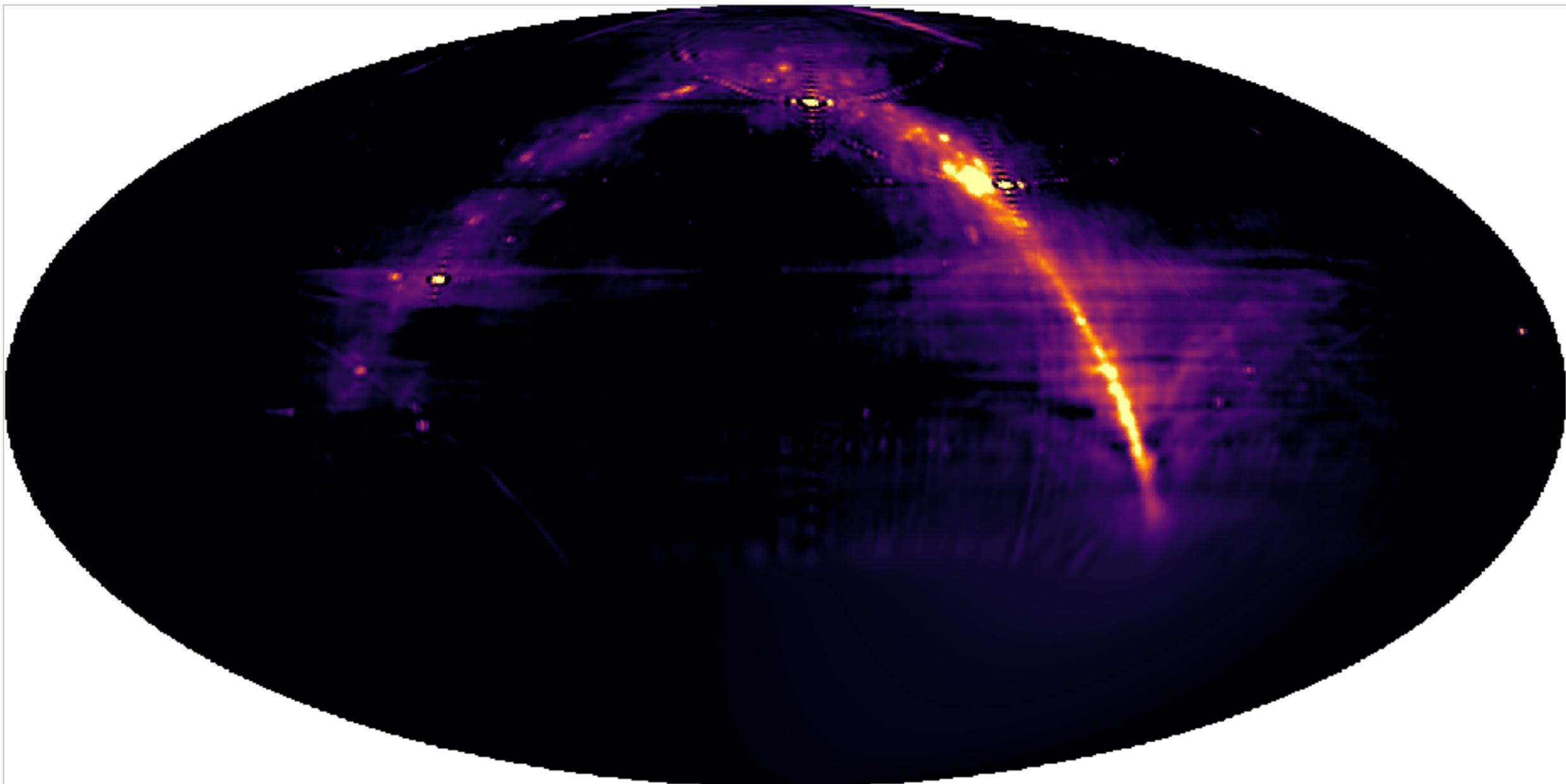


CHIME Pathfinder





Deconvolved Map



711 MHz

Data Analysis with the m-mode formalism

Data Analysis

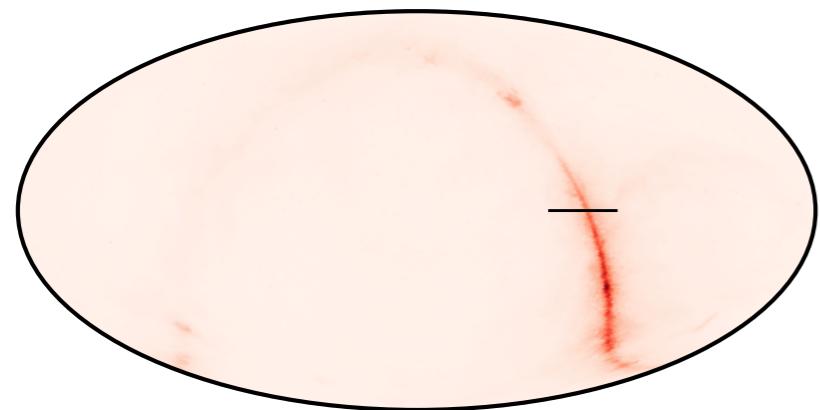
- Analysis is challenging:
 - ▶ Wide field at given instant ($\sim 120 \times 2$ degrees)
 - ▶ Effectively an all sky survey (3π sr)
 - ▶ Data volume ($>\sim 1$ TB/day for pathfinder)
 - ▶ Polarisation leakage
 - ▶ **Foreground removal** ($> 10^6$ times brighter)

m-mode transform

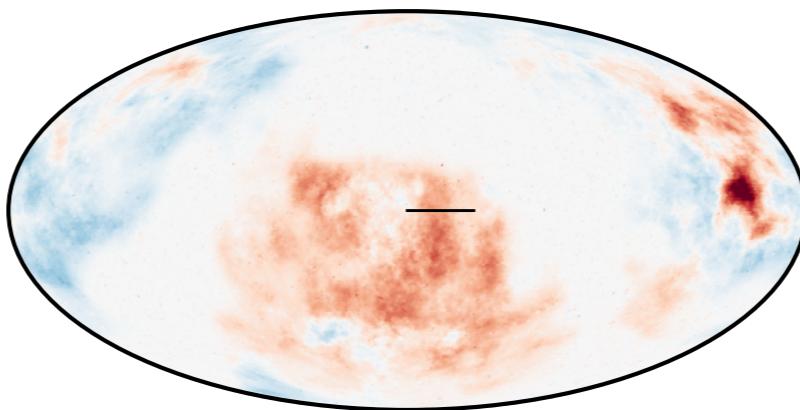
- Developed m -mode formalism
 - ▶ Transit telescopes only (*stationary noise*)
 - ▶ Naturally full sky, wide-field, and *exact* (*no UV plane*)
 - ▶ Breaks problem into statistically independent modes (*efficient*)
 - ▶ Simple linear mapping per mode
 - ▶ Published in [arXiv:1302.0327](#); [arXiv:1401.2095](#)
- Enables an efficient cleaning of foregrounds:
 - ▶ Use covariance of data to find a statistical separation (KL Transform/SN eigenmodes)
 - ▶ Fully treats mode mixing effects

Foreground Cleaning

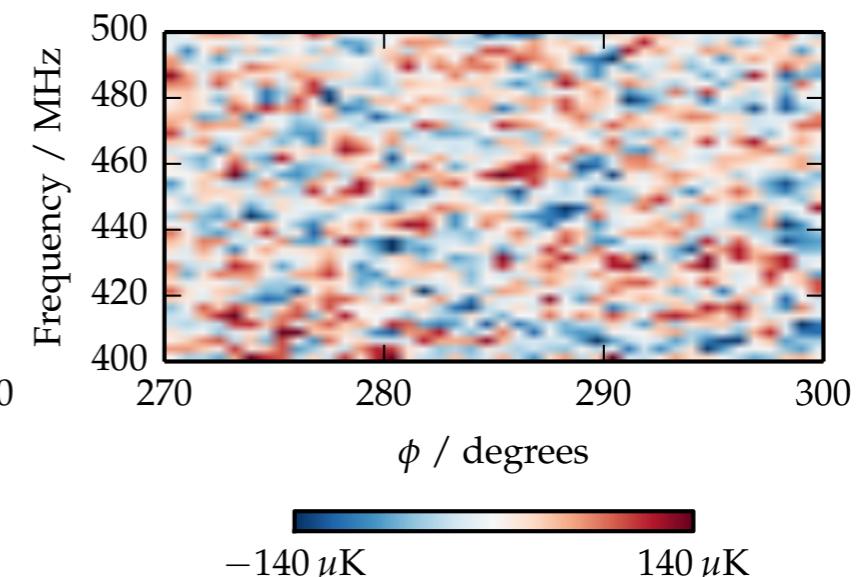
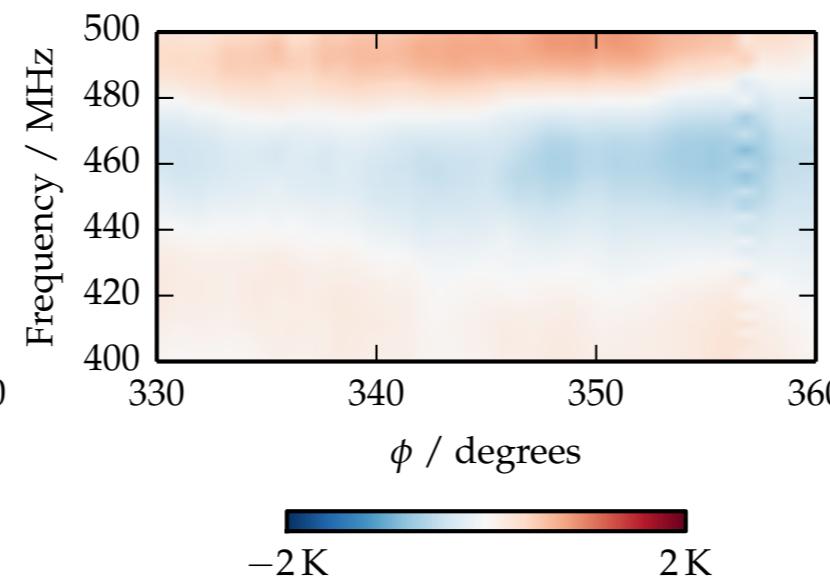
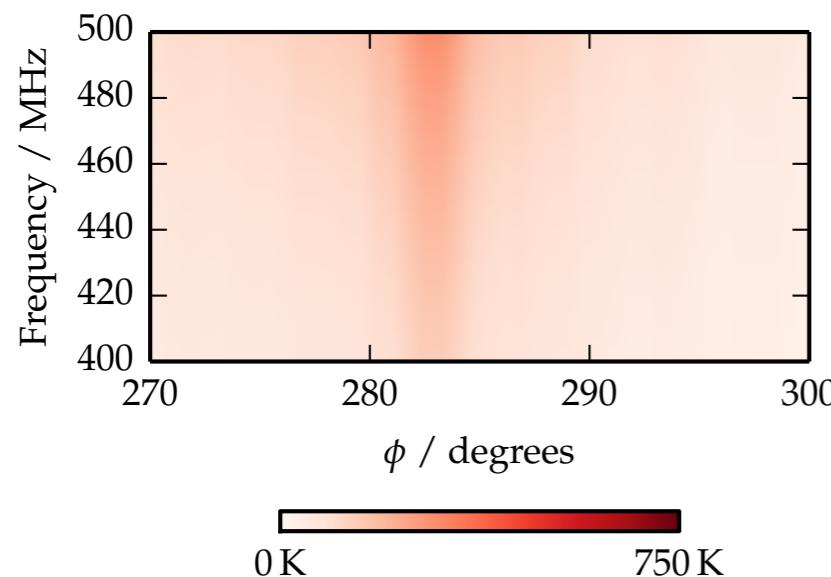
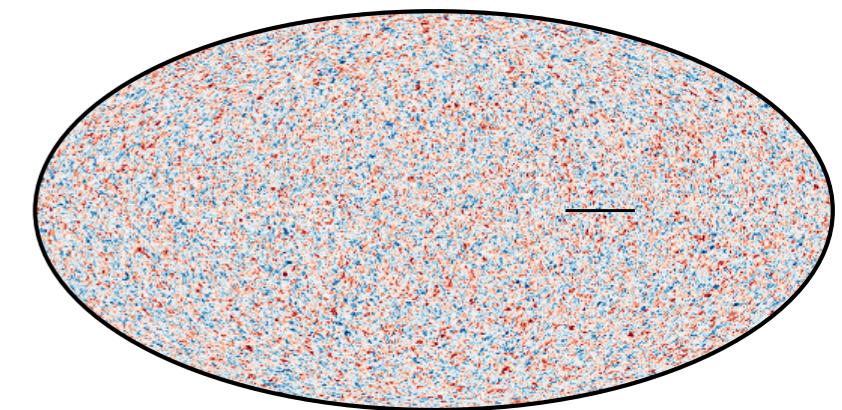
Unpolarised Foreground



Polarised Foreground (Q)



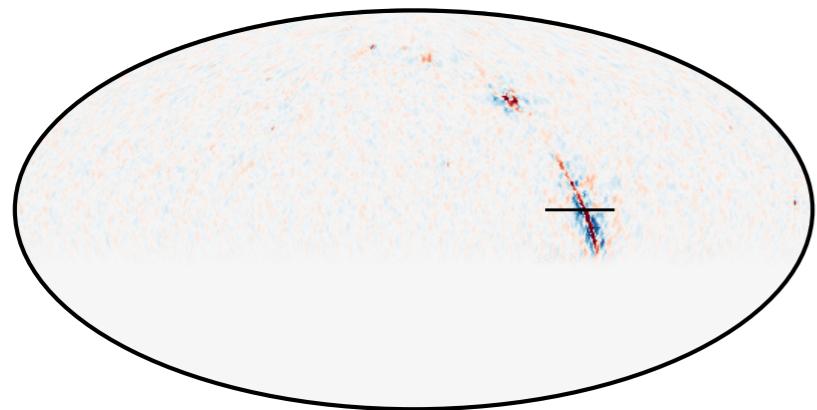
21cm Signal



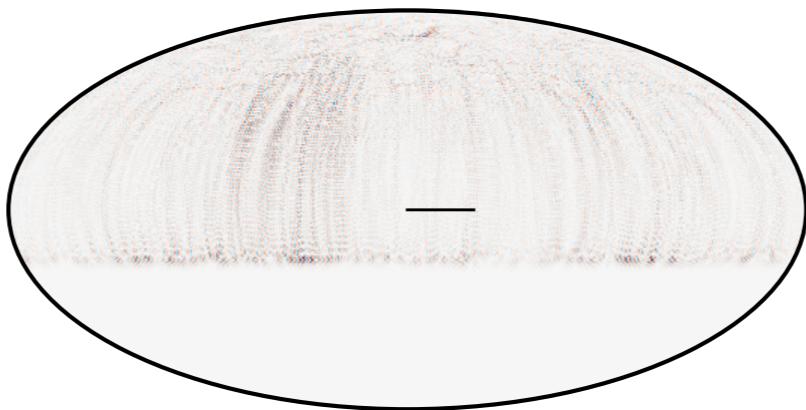
Foregrounds 10^6 times larger than signal

Foreground Cleaning

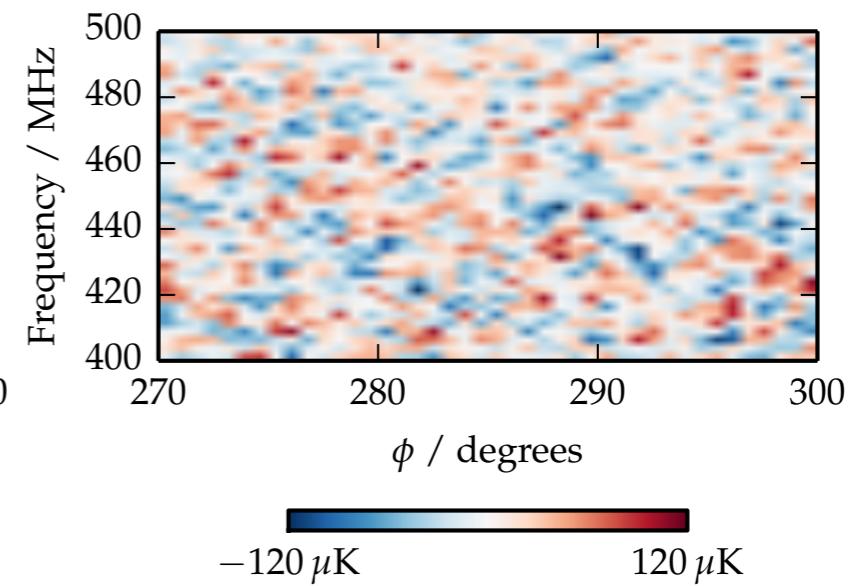
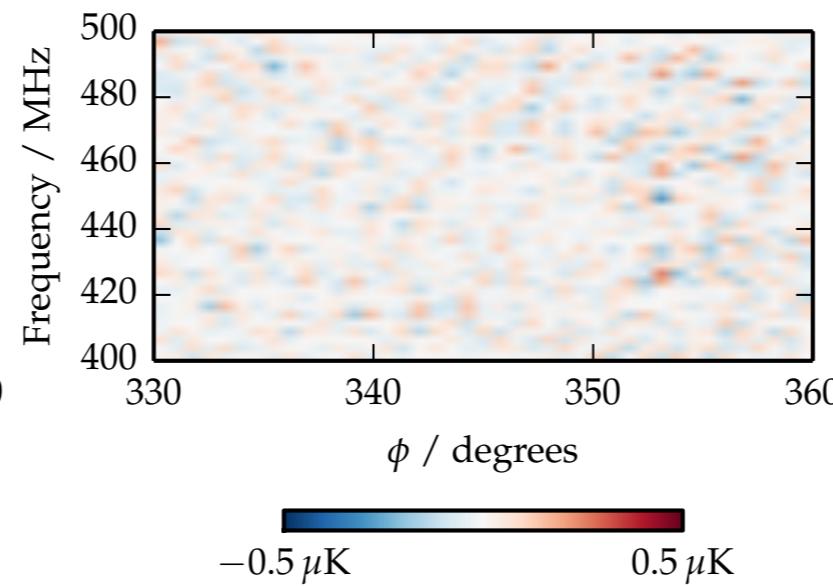
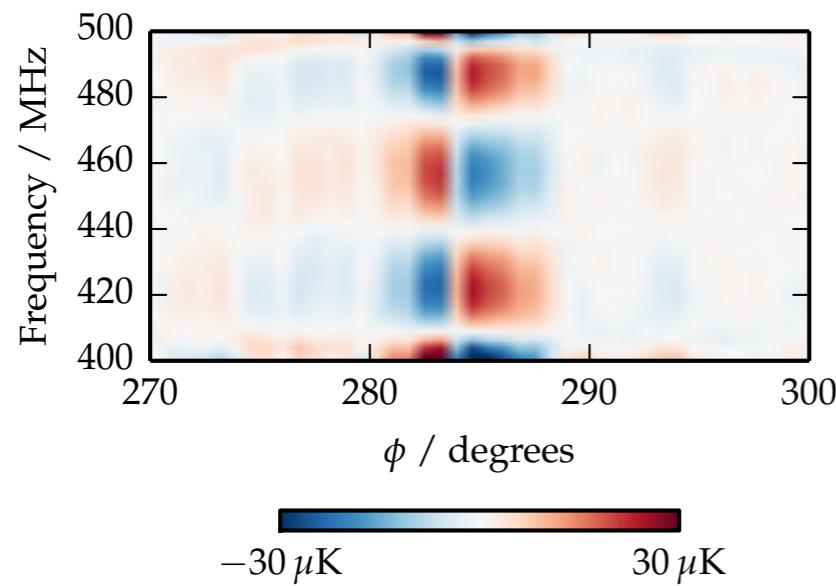
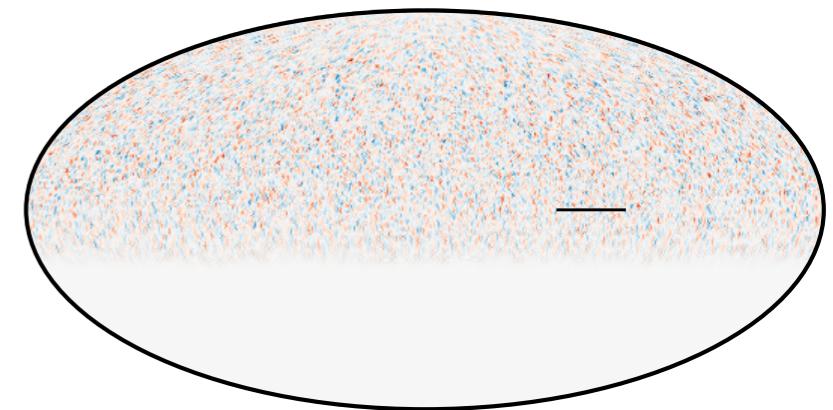
Unpolarised Foreground



Polarised Foreground (Q)

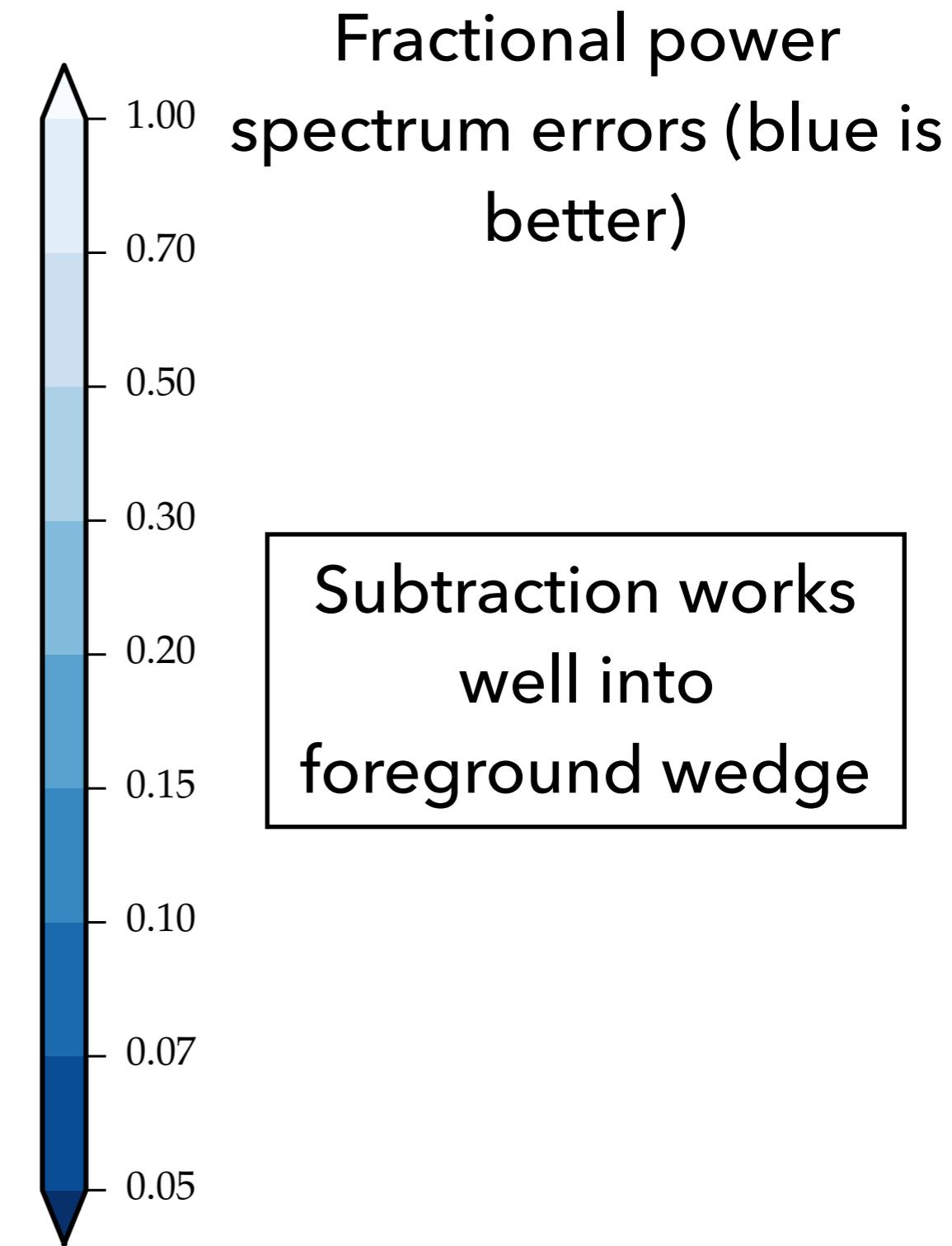
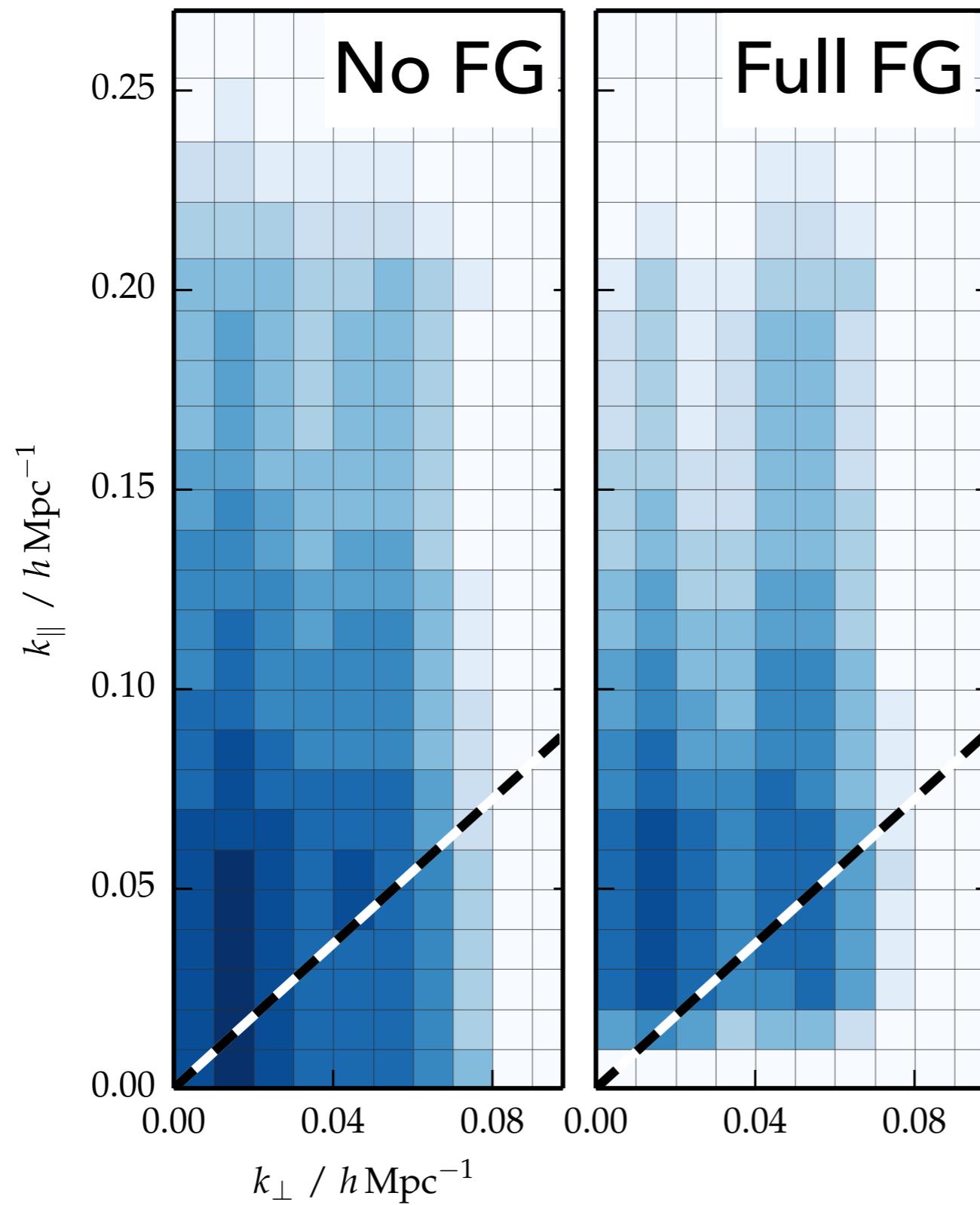


21cm Signal



Foreground residuals significantly smaller than signal

2D Power spectrum Estimation



Warning: Growth Rate

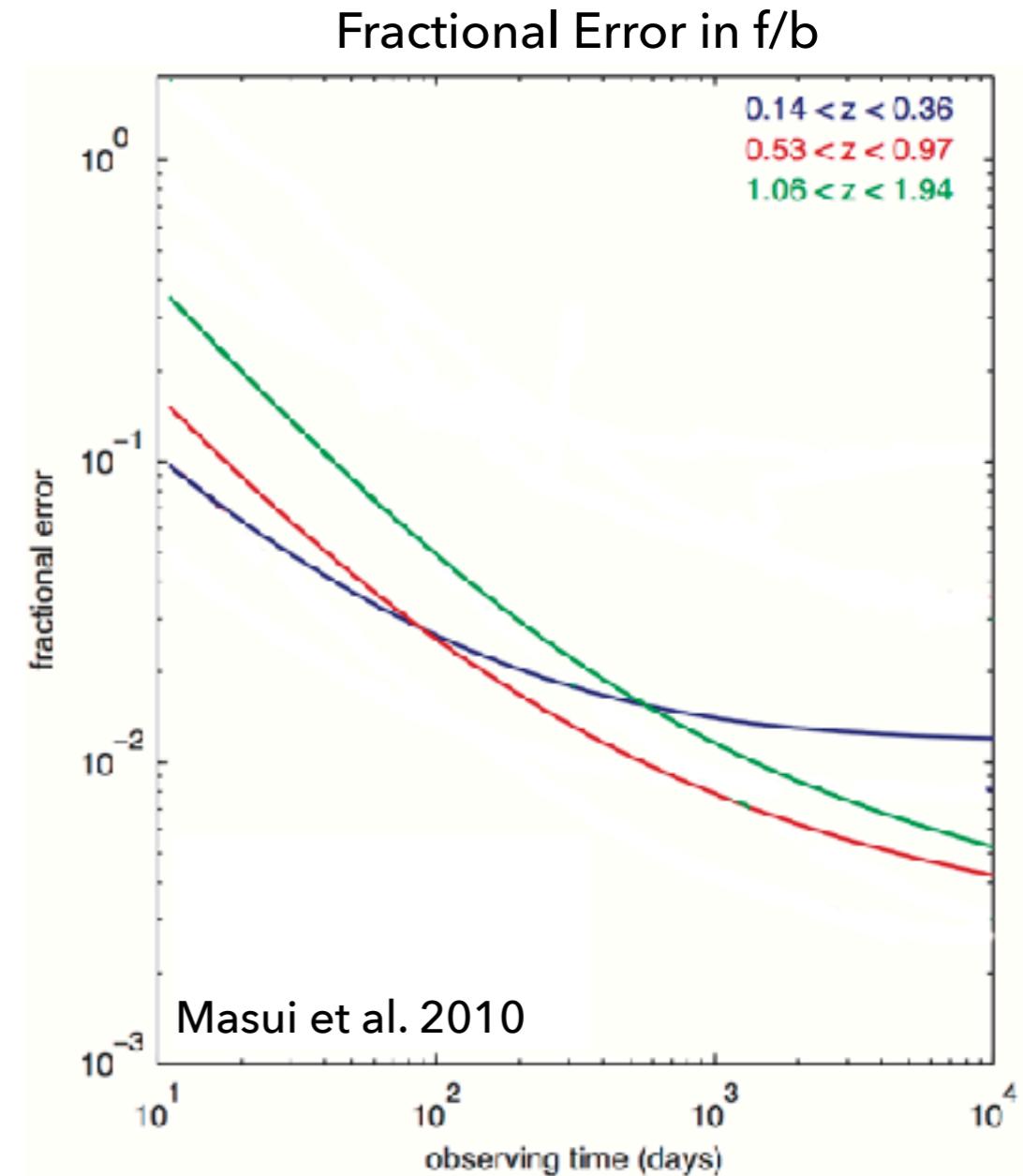
- Can use redshift space distortions to get access to the growth index $f = \Omega_m^\gamma$
- Problem: we have no direct measurement of the 21cm brightness temperature

$$P_{21}(\mathbf{k}) = \bar{T}_b^2 (b + f\mu^2)^2 P(k)$$

- Intensity mapping can only measure degenerate combinations:

$$f/b \quad \bar{T}_b f \sigma_8$$

- Can we learn these any other way?
Sims, global sky experiments, 21cm galaxy surveys?

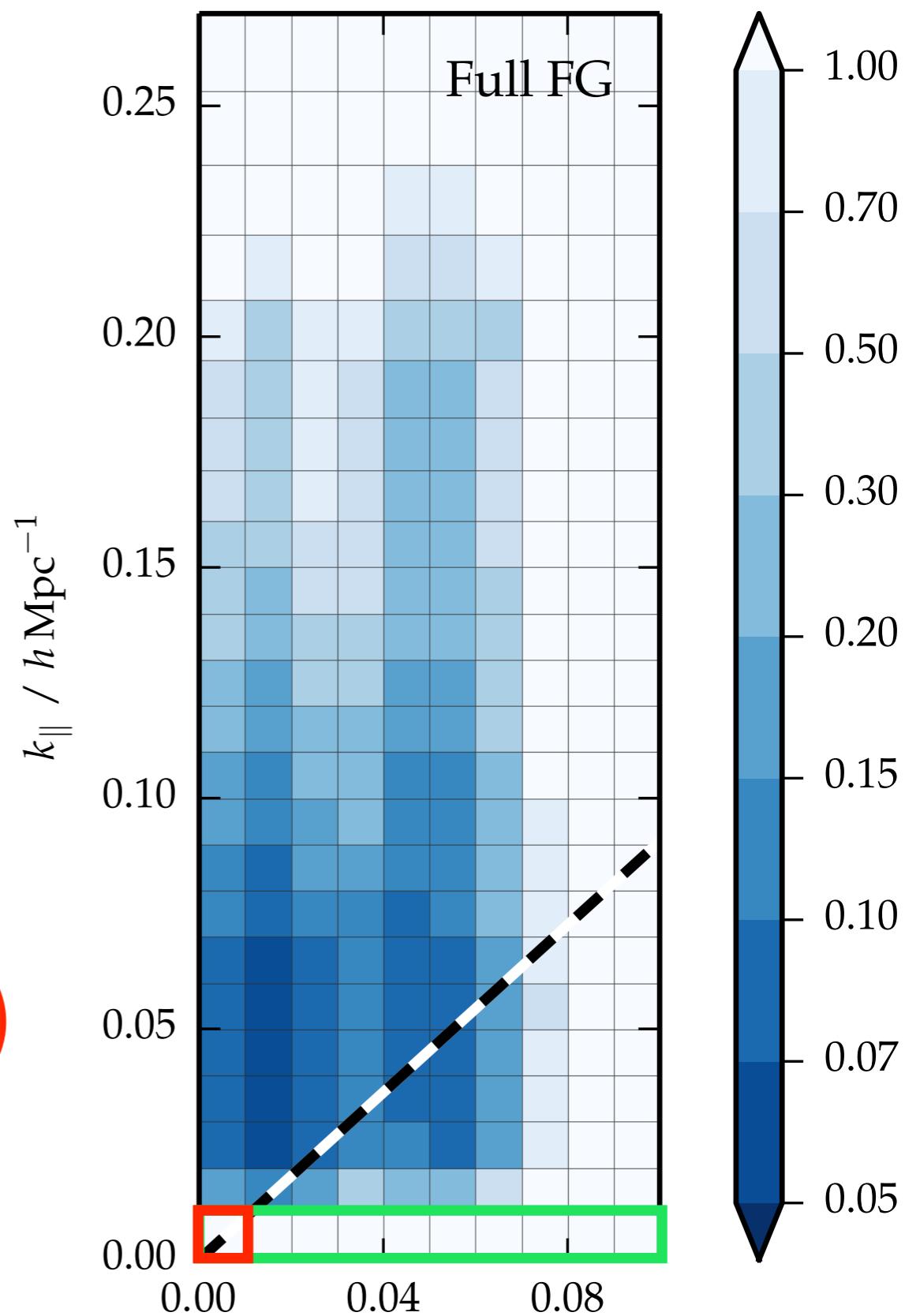


Warning: large scale IM correlation

- Ultra-large scales are a promising regime for tests of gravity (Baker et al., Alonso et al.)
- Use multiple tracers to avoid sample variance (McDonald and Seljak 2009)
- Foregrounds are a huge barrier
 - ▶ Cleaning removes the 21 cm signal
 - ▶ Without cleaning we get enhanced noise (but not bias)

$$\text{Var} \left(C_{\ell}^{g,21+fg} \right) = \frac{1}{N} C_{\ell}^g C_{\ell}^{21+fg}$$

- IM-CMB lensing, IM-CIB similar problems



Summary

- 21cm Intensity Mapping is a promising technique for mapping the Universe and measuring BAOs - foregrounds are challenging
- CHIME Pathfinder is operating, full instrument construction finishing in 2017
- Analysis is fun! Polarised radio sky simulation and 21cm data analysis code all available at:

<http://github.com/radiocosmology/>