

Probing dark matter with radio surveys

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Two different dark-matter candidates

A compact stellar-sized object



A new particle with interactions



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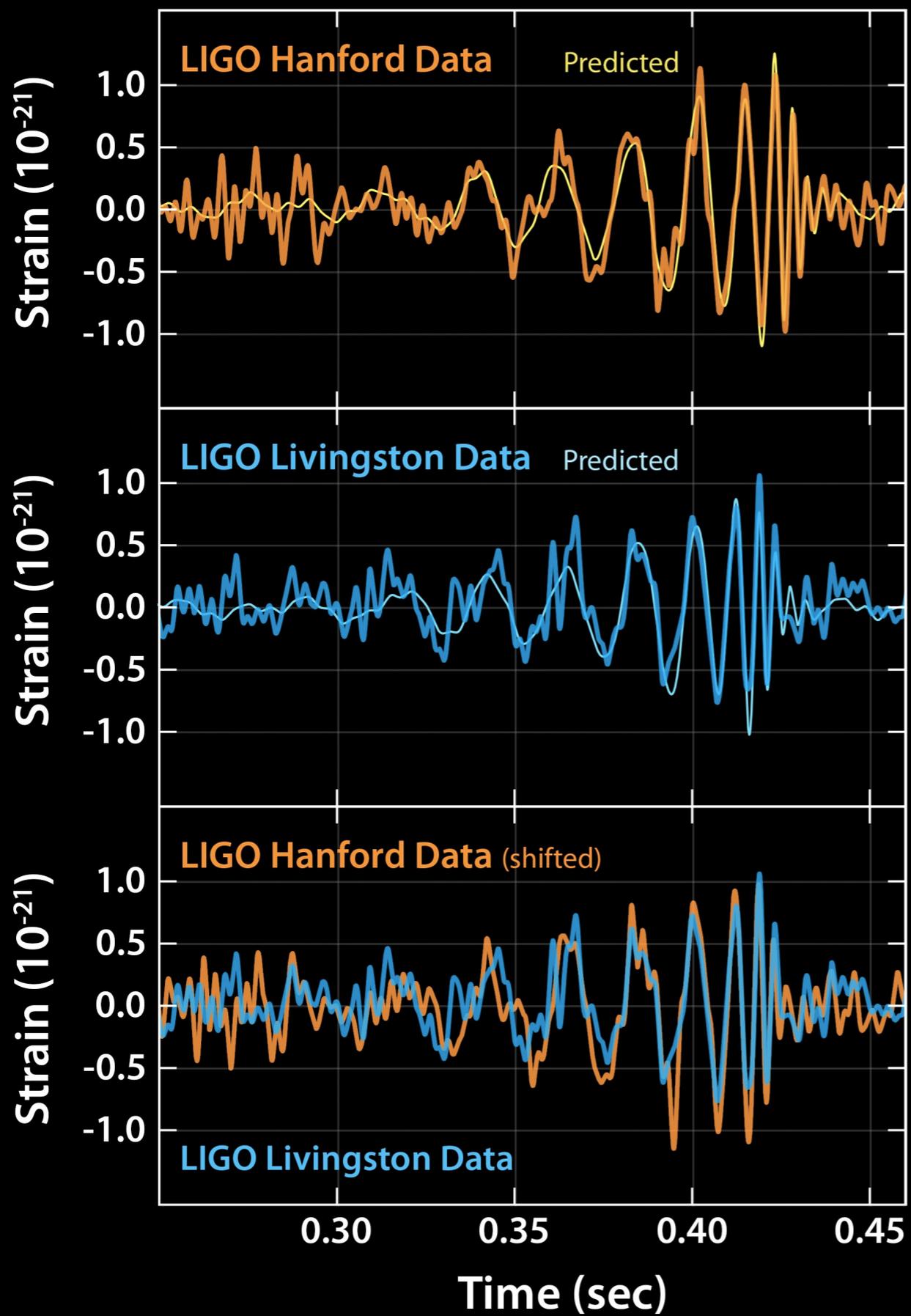
→ FRBs

A new particle with interactions

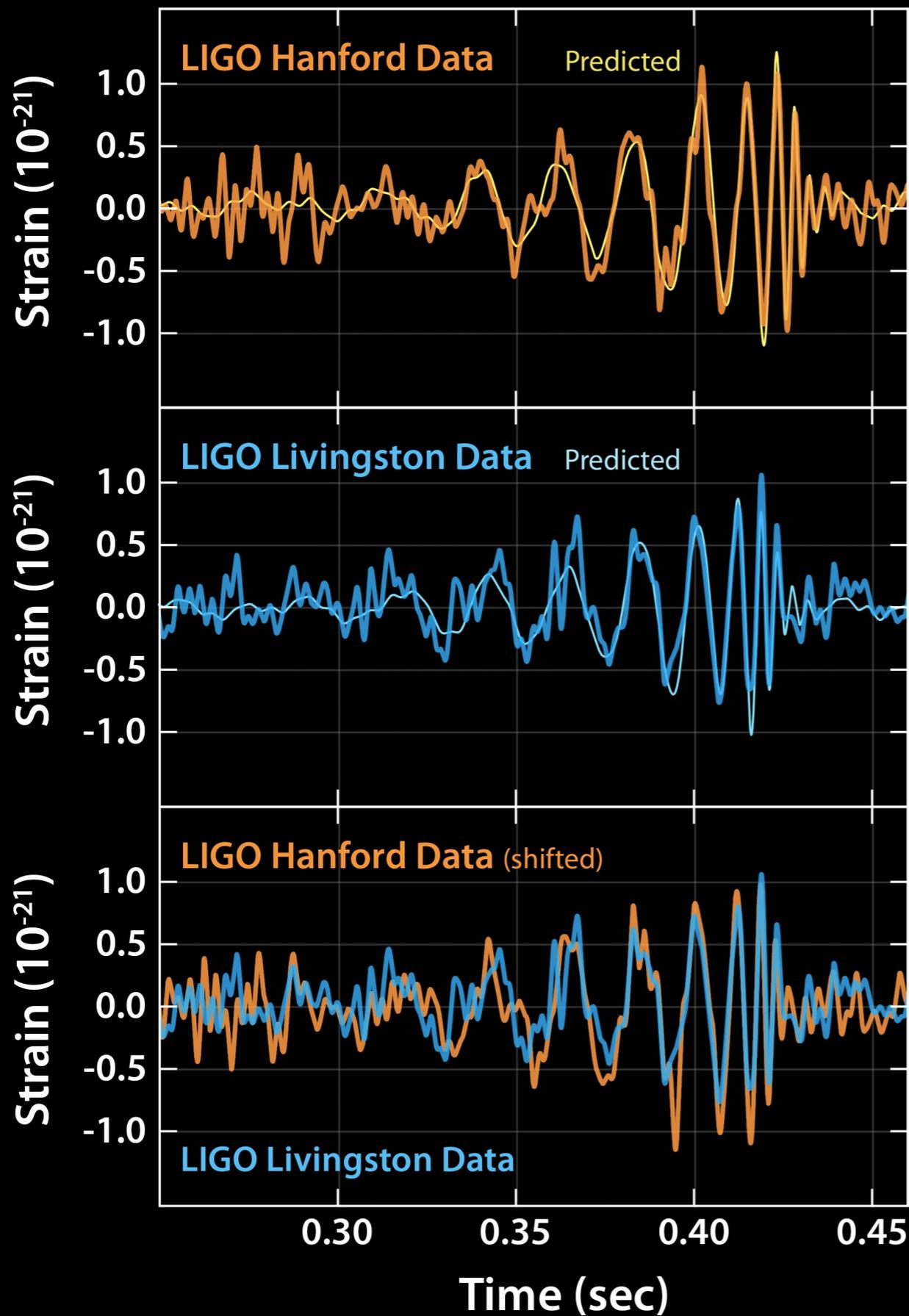


→ 21-cm

On September 14, 2015 at 09:50:45 GMT:



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$$\mathcal{R} = 0.6 - 12 \text{ Gpc}^{-3} \text{ yr}^{-1}$$

$$M_{\text{bh}} = 29 - 36 M_{\odot}$$

Primordial Black Holes

They form (?) from overdensities at time

$$M_{\text{pbh}} \sim 100 M_{\odot} \times \frac{t}{1 \text{ ms}}$$

No new particles required!

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What causes the overdensities?

Fine tuning problem $\frac{\rho_{\text{pbh}}}{\rho_{\text{rad}}} \sim 10^{-8}$

If Dark matter is PBHs of $\sim 30 M_{\odot}$

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A diagram showing two white circles representing black holes. The upper circle has a white arrow pointing downwards and to the left, indicating its trajectory. The lower circle is stationary.

$$\frac{dE_{\text{GW}}}{dt} = \frac{G}{5c^5} \ddot{Q}_{ij}^2$$

If Dark matter is PBHs of $\sim 30 M_{\odot}$

$$\delta E_{\text{GW}} = \frac{G^{7/2} M^{9/2}}{c^5 r_p^{7/2}}$$



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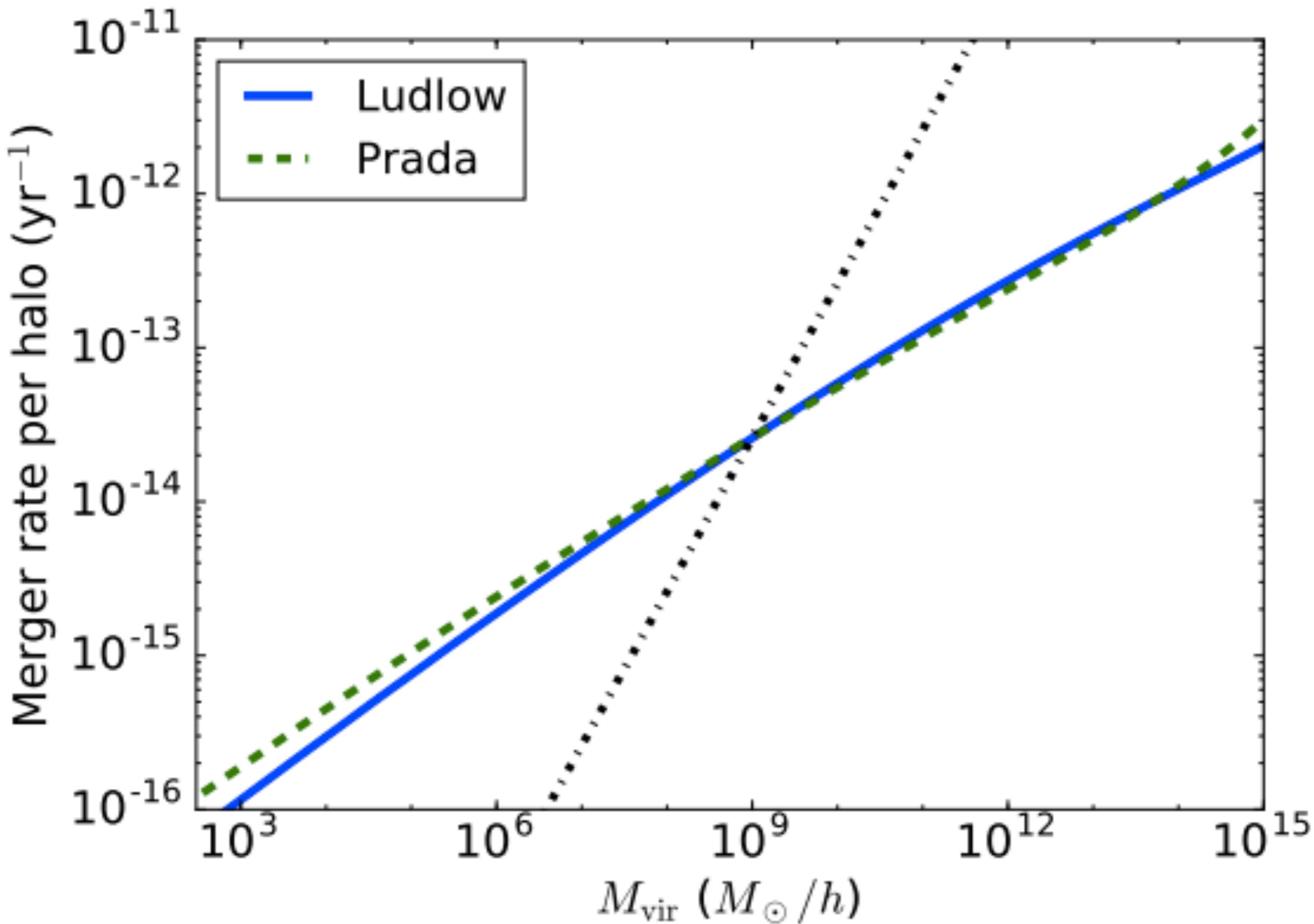
$$\delta E_{\text{GW}} > \frac{1}{2} M v_{\infty}^2$$

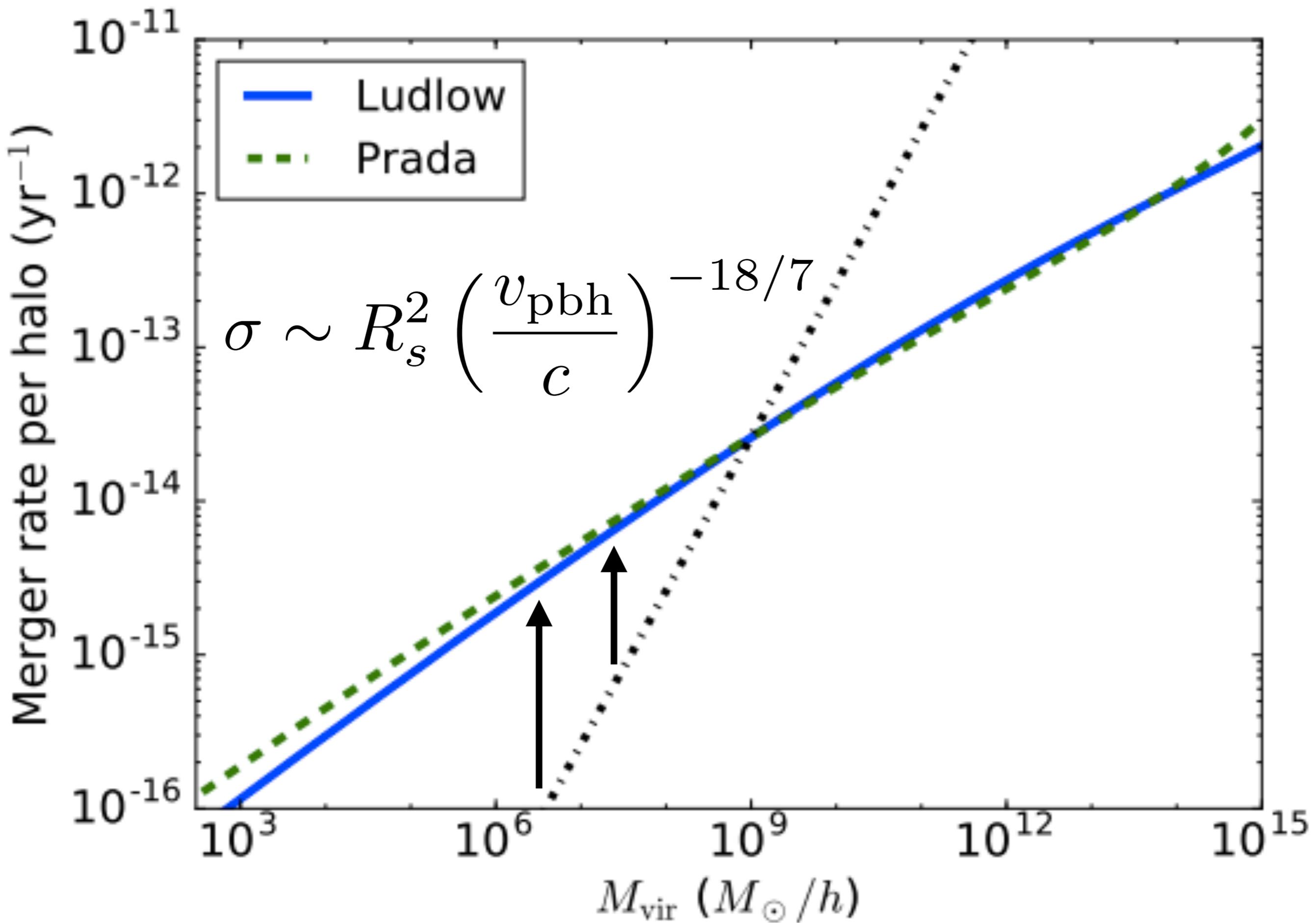
$$\sigma_{\text{GW}} \approx R_s^2 \left(\frac{v_{\infty}}{c} \right)^{-18/7}$$

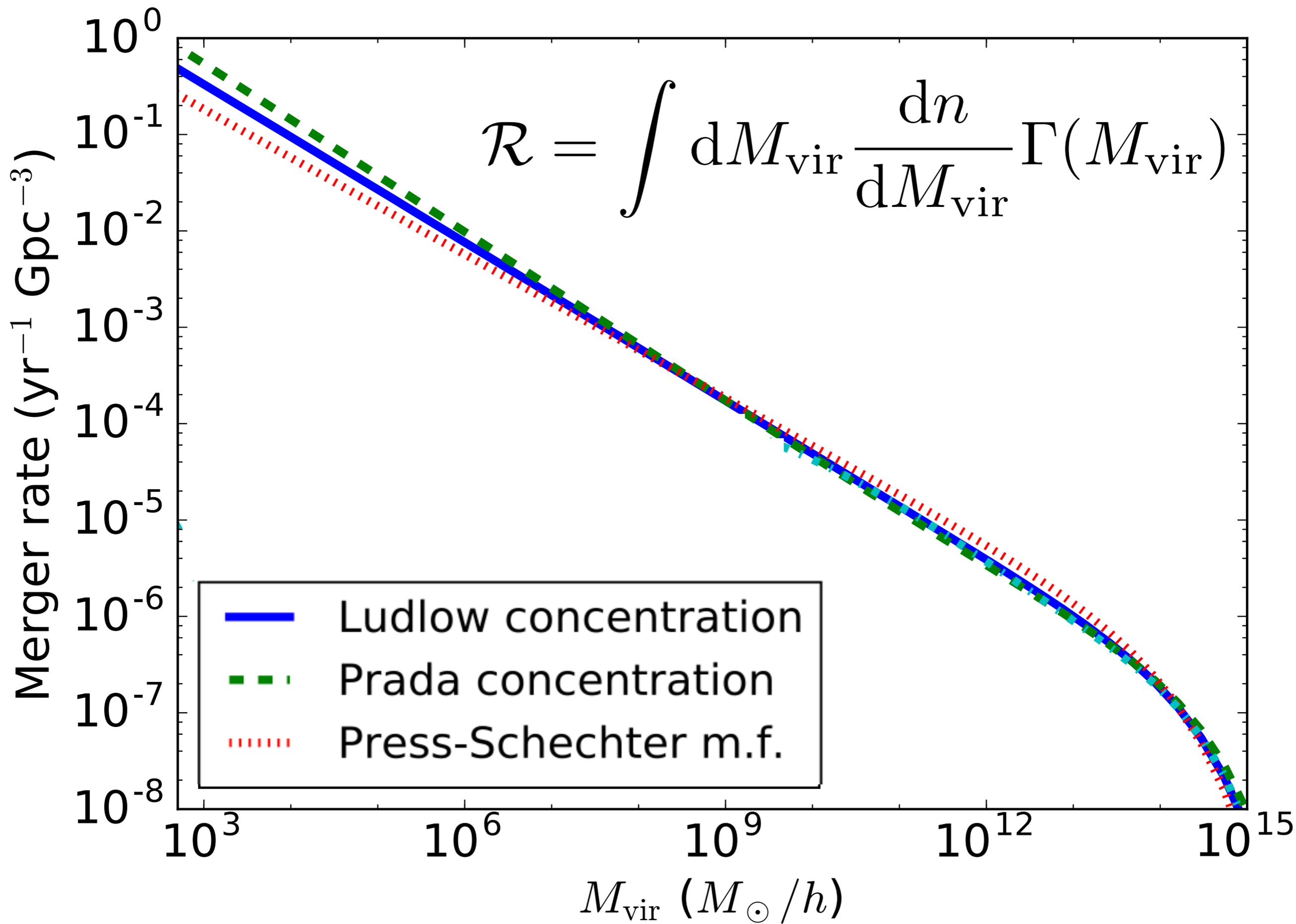
Capture rate per halo:

$$\sigma_{\text{GW}} \approx R_s^2 \left(\frac{v_\infty}{c} \right)^{-18/7}$$

$$\Gamma_{\text{halo}} \propto \int d^3r \frac{\rho_{\text{NFW}}^2}{M_{\text{pbh}}^2} \langle \sigma v \rangle$$

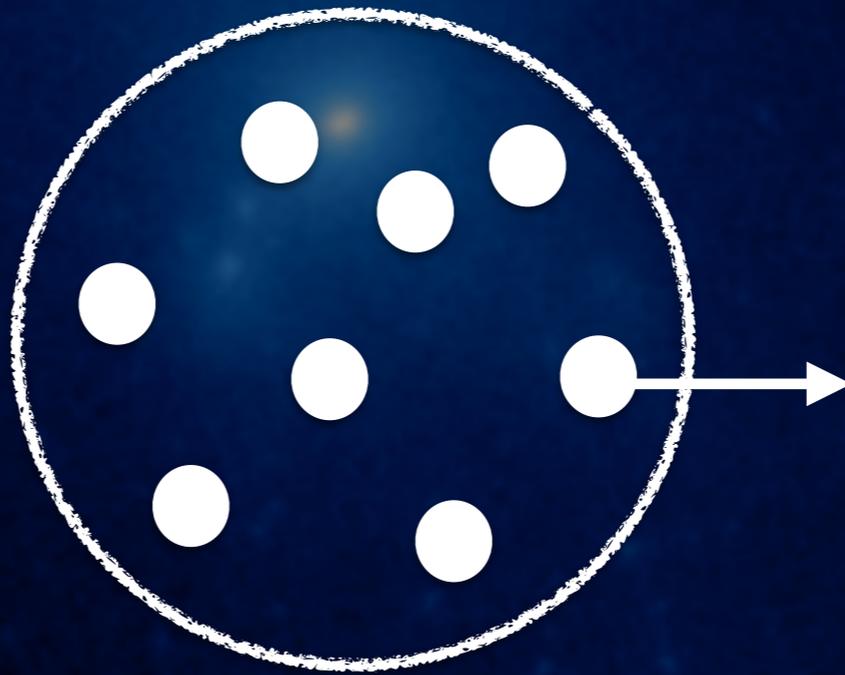






We cut off at halos of $400 M_{\odot}$
Lower-mass halos would evaporate

$$t_{\text{evap}} \sim 3 \text{ Gyrs} \times N_{\text{pbh}}/15$$



Binney and Tremaine 1987

100 $\text{Gpc}^{-3}\text{yr}^{-1}$

Integrating the rate:

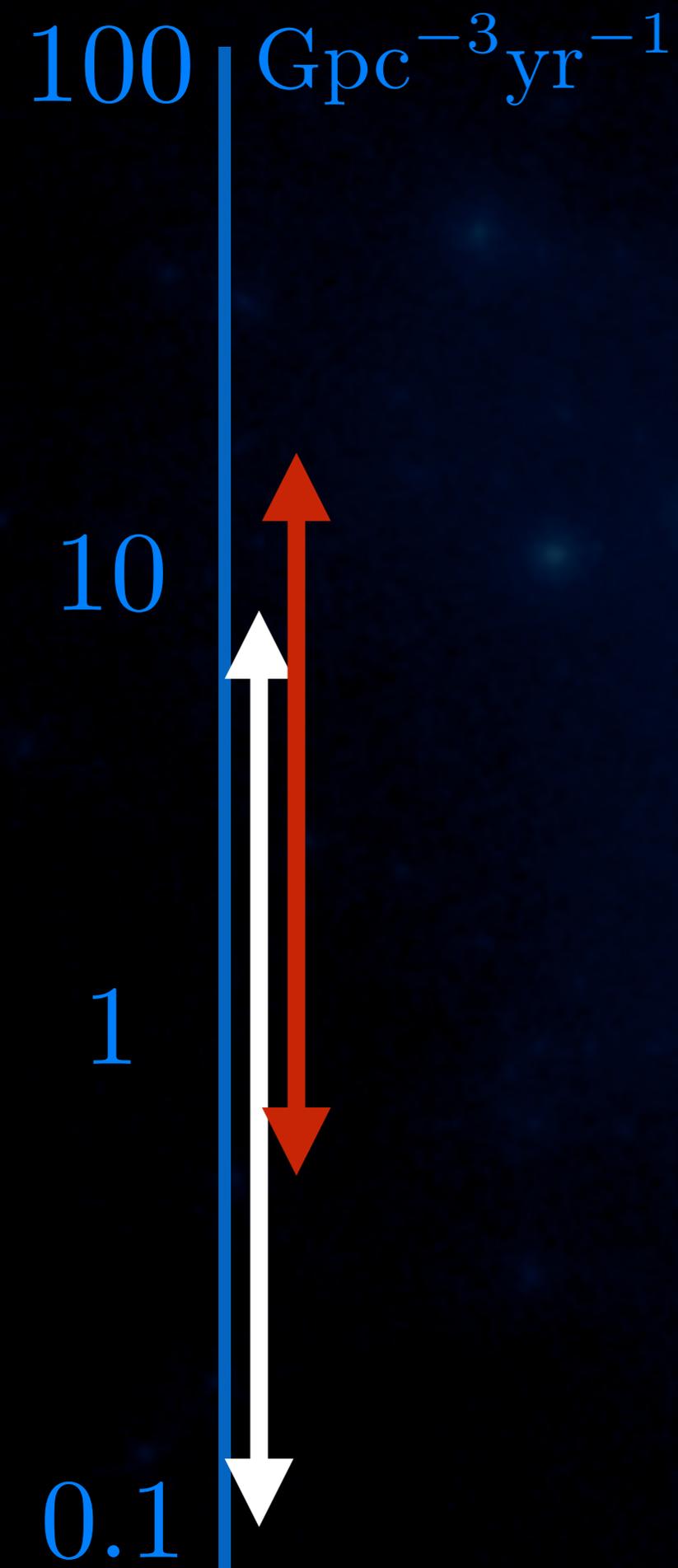
$$\mathcal{R} = O(1) \text{Gpc}^{-3}\text{yr}^{-1}$$

10

1

0.1





Integrating the rate:

$$\mathcal{R} = O(1) \text{ Gpc}^{-3}\text{yr}^{-1}$$

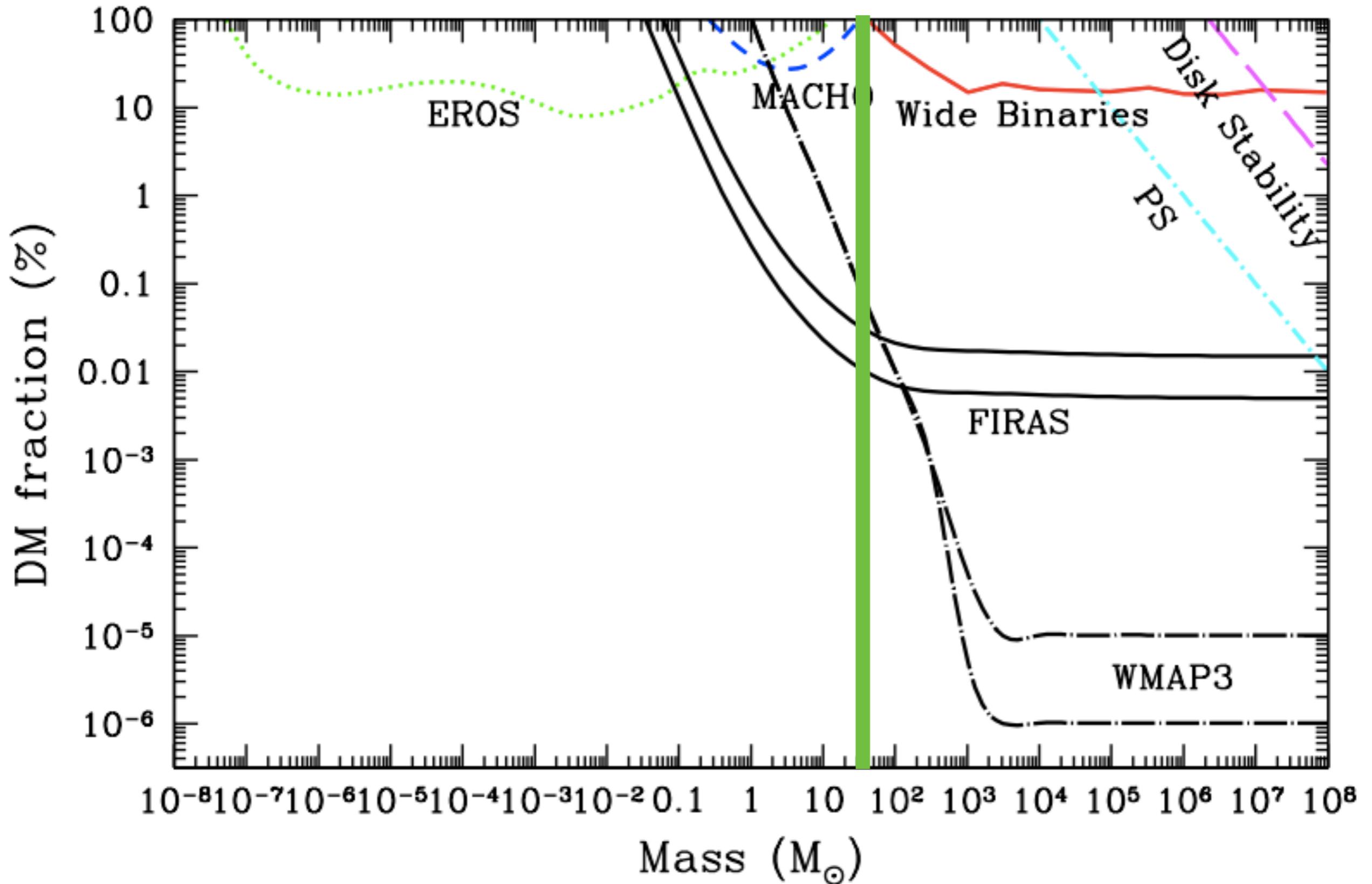
To be compared with GW150914:

(Abbot et al. arXiv: 1602.03842)

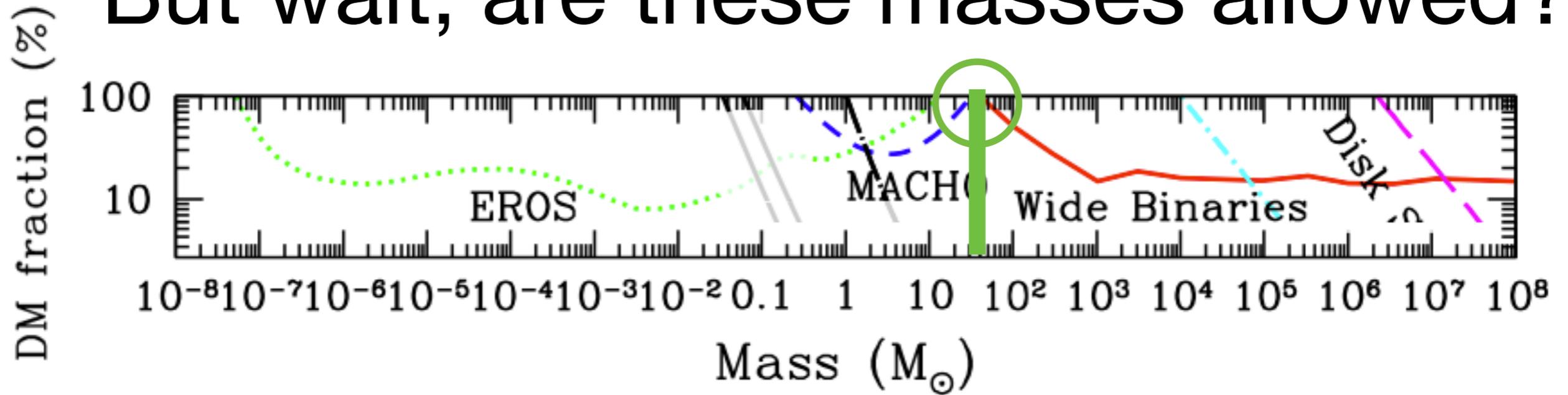
$$\mathcal{R} = 0.6 - 12 \text{ Gpc}^{-3}\text{yr}^{-1}$$

So they overlap!

But wait, are these masses allowed?



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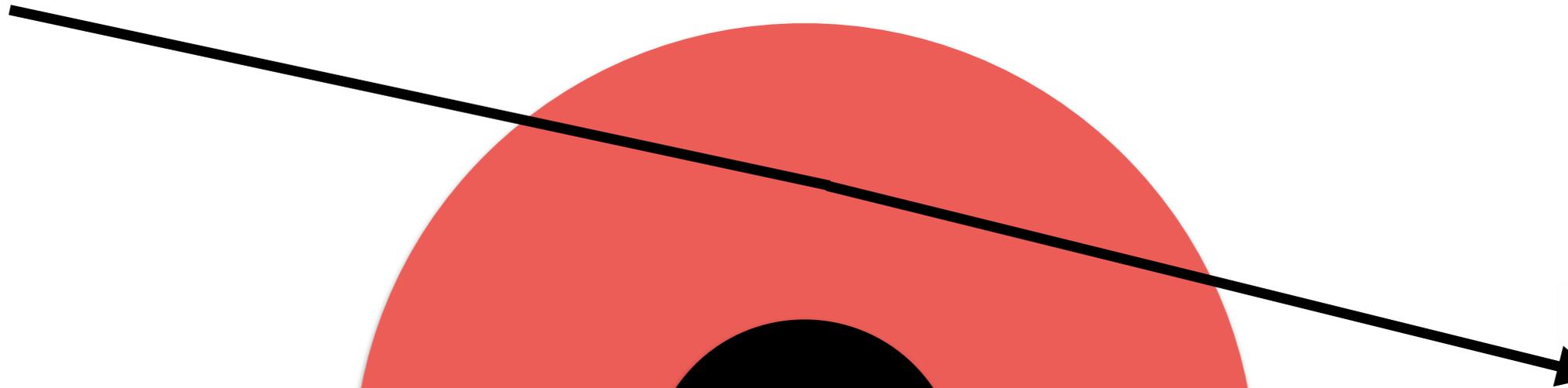
Ali-Haimoud and Kamionkowski (in prep.)

1- No spectral distortions

2- $M \gtrsim 100 M_{\odot}$

Also, what if it is not PBHs?

(Gravitational) Lensing

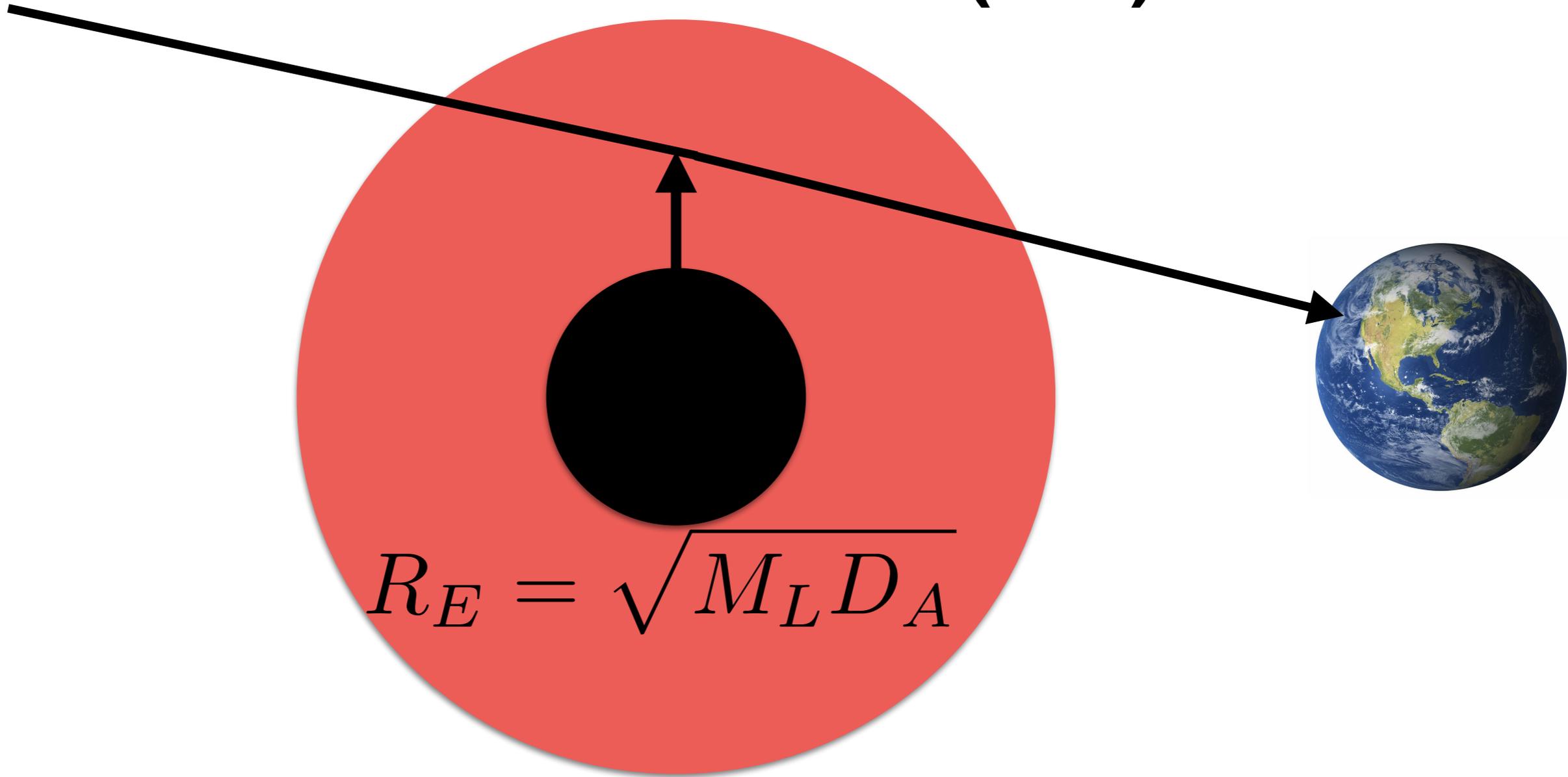


$$R_E = \sqrt{M_L D_A}$$

(Gravitational) Lensing

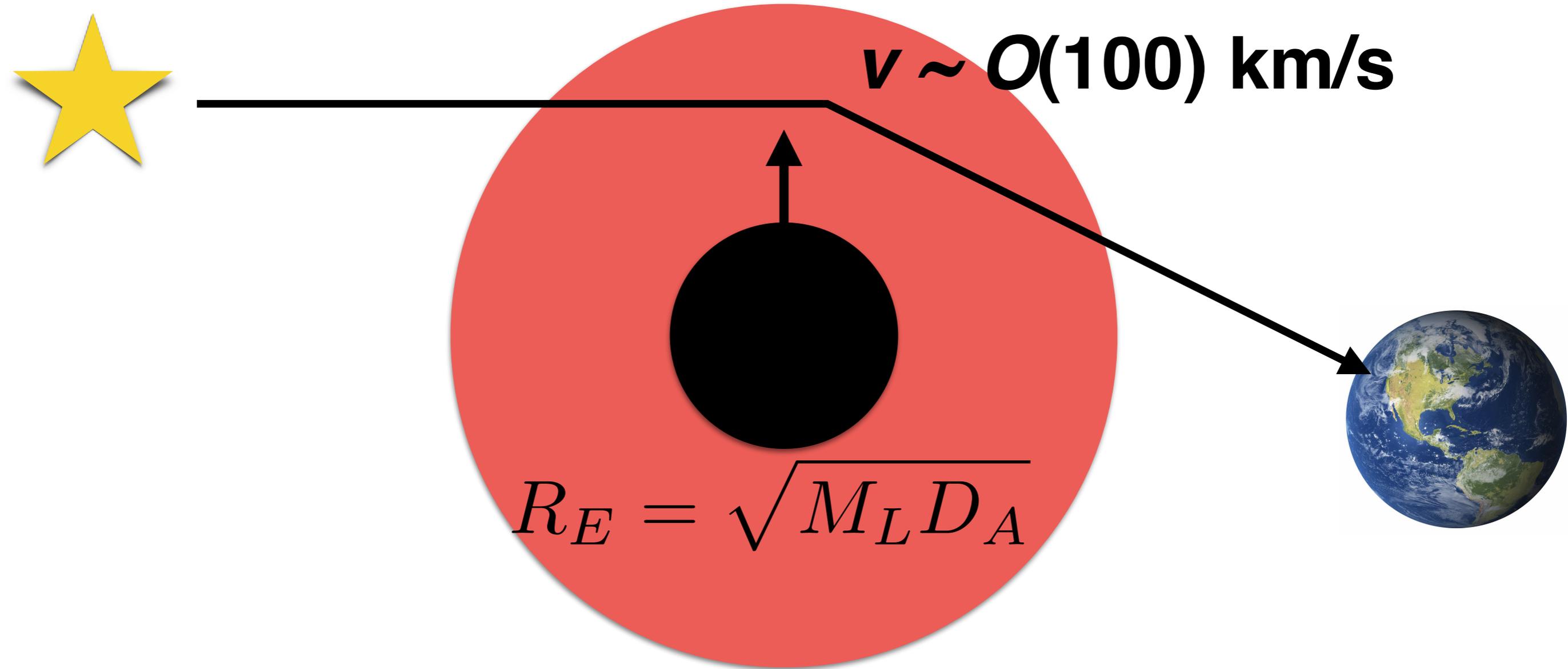


$v \sim O(100) \text{ km/s}$



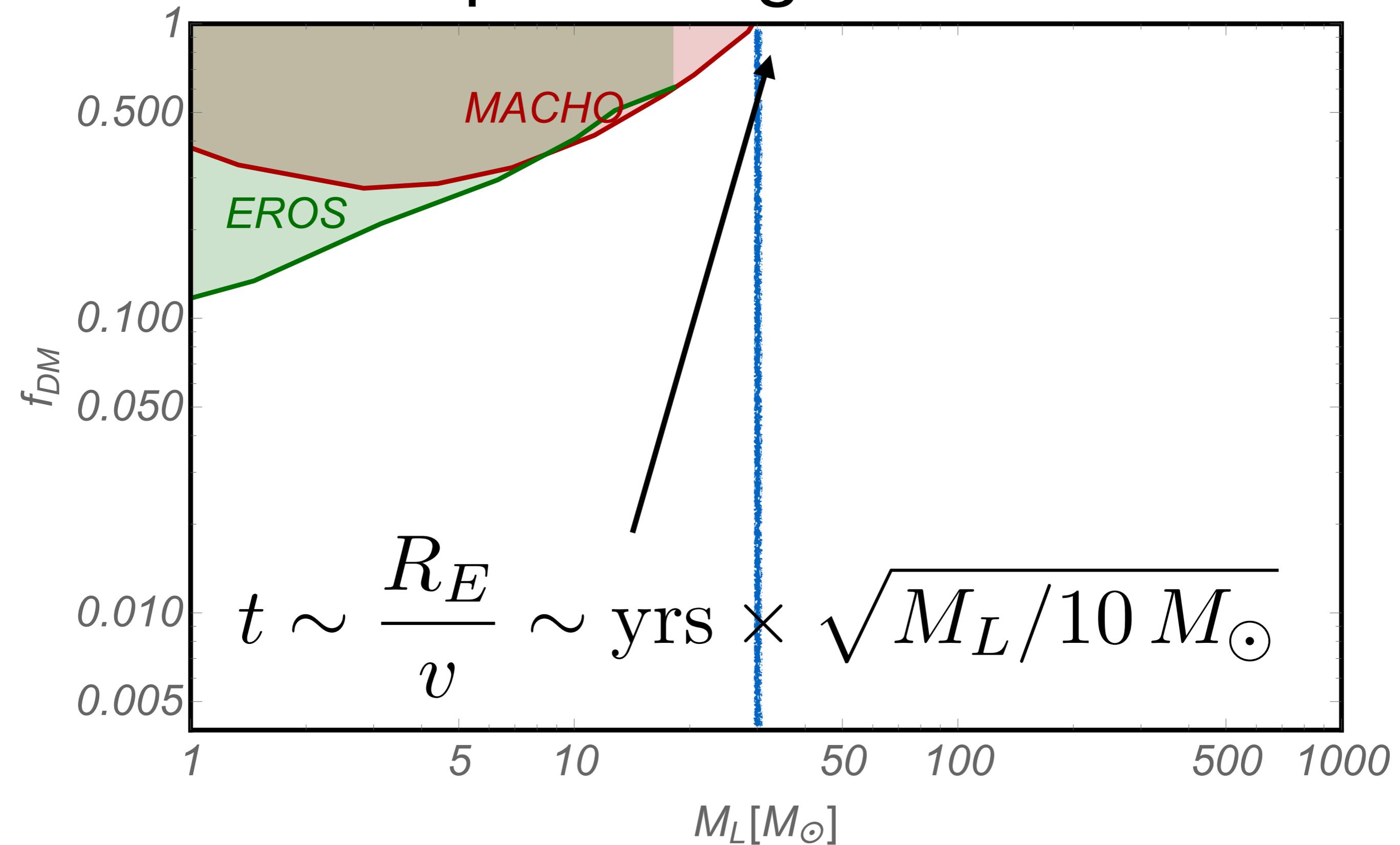
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(Gravitational) Lensing



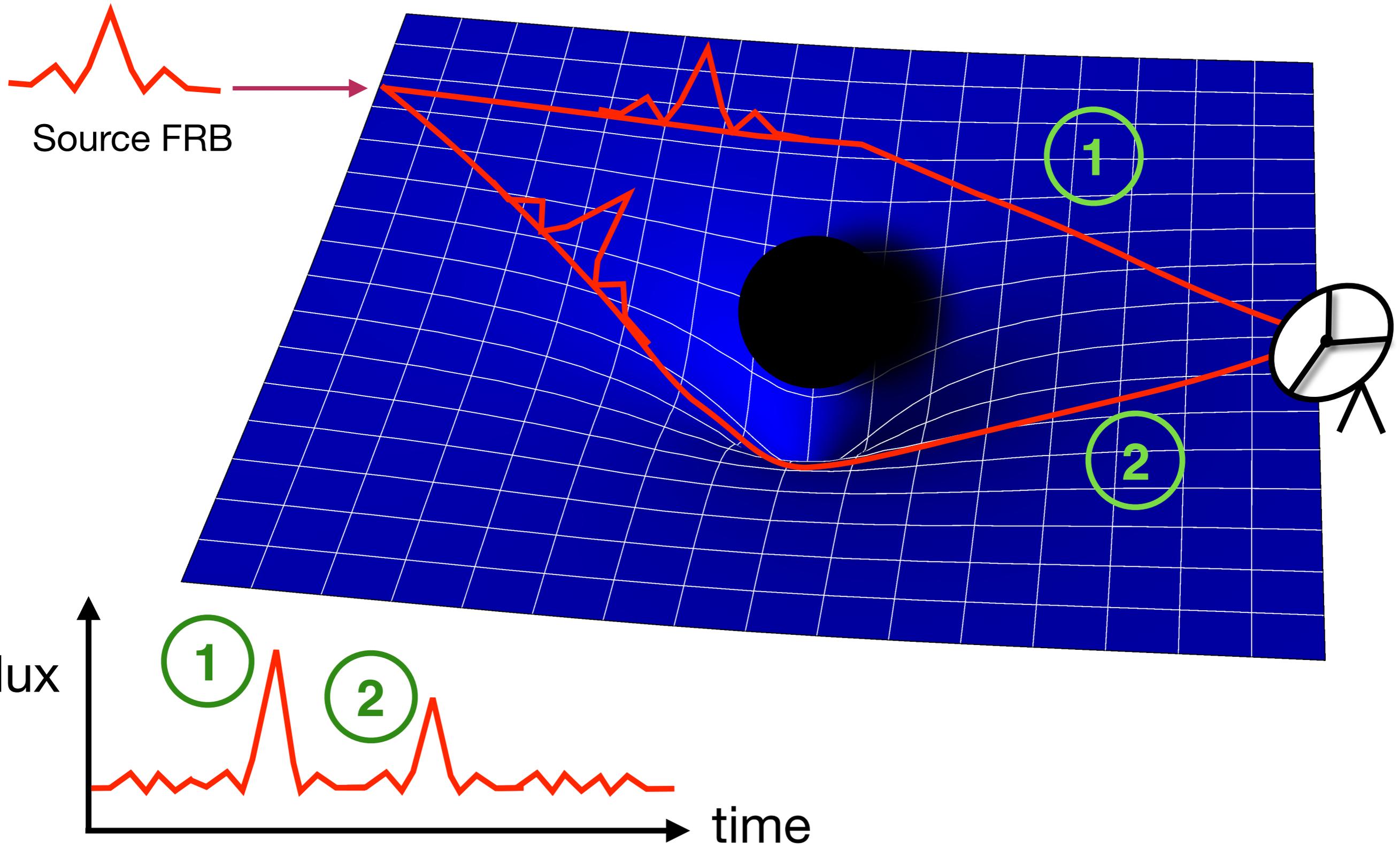
$$t \sim \frac{R_E}{v} \sim \text{yrs} \times \sqrt{M_L / 10 M_\odot}$$

How to probe higher masses?*

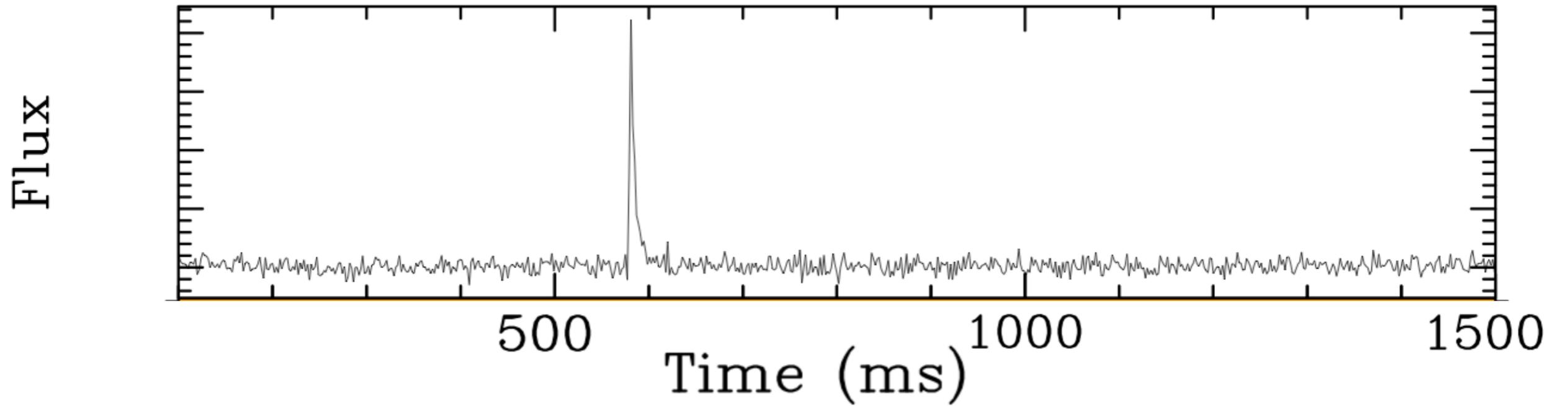


*Additional lines in this plot not shown

(Gravitational) Lensing of FRBs!



FRB 110220



Fast

$$\Delta t \approx 1 \text{ ms}$$

Radio

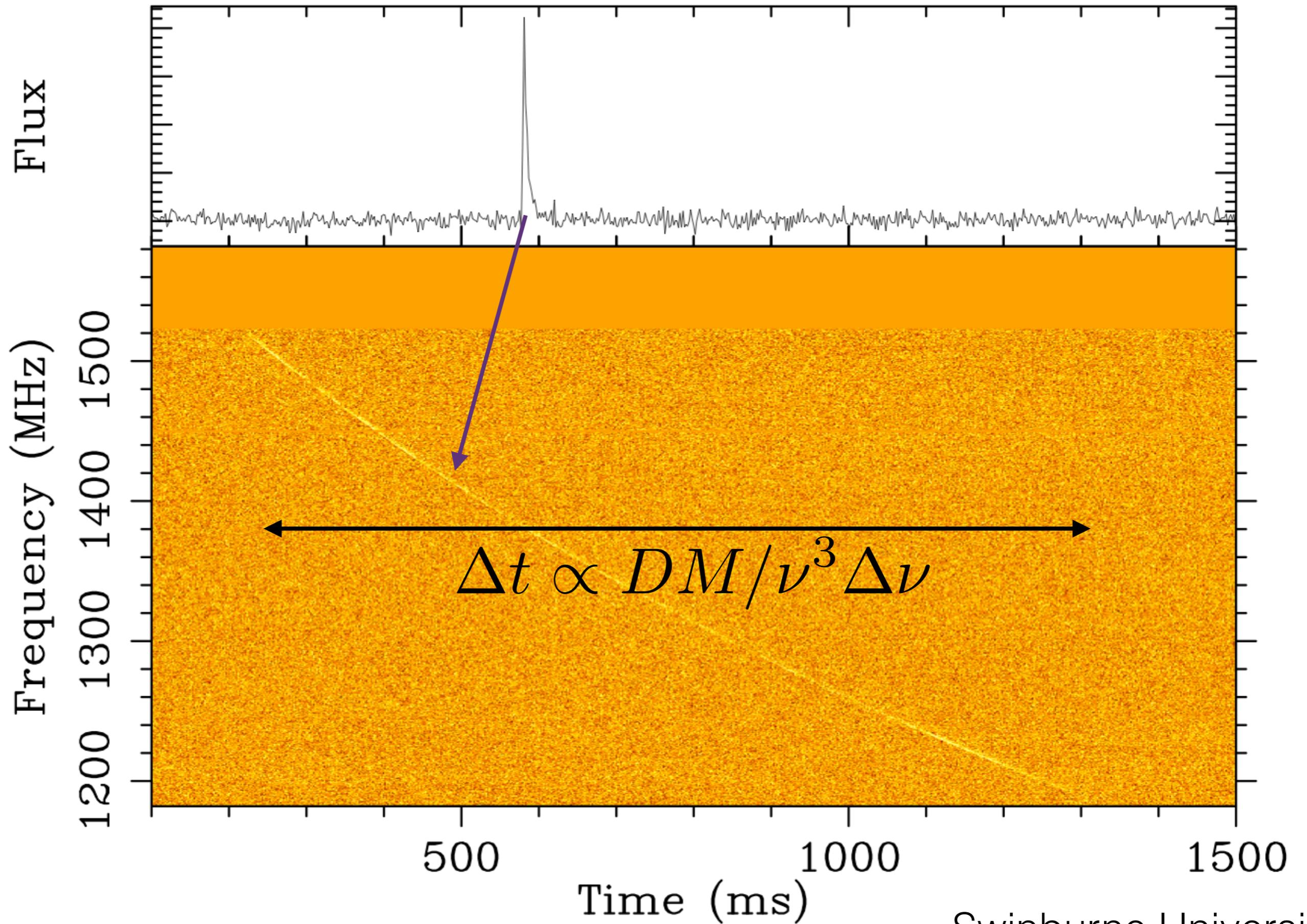
$$f \sim 1 \text{ GHz}$$

???

Bursts

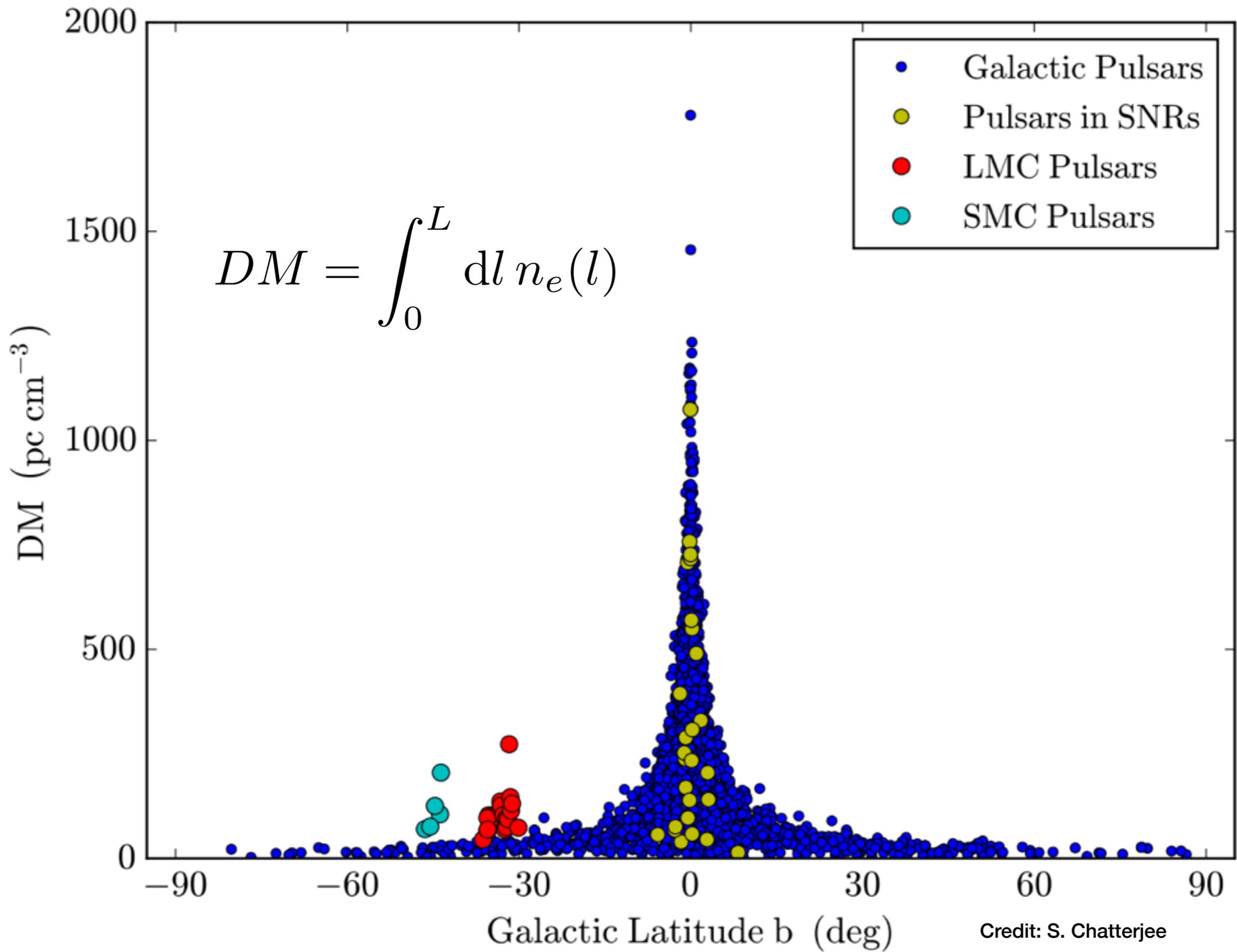
$$F = \mathcal{O}(1) \text{ Jy}$$

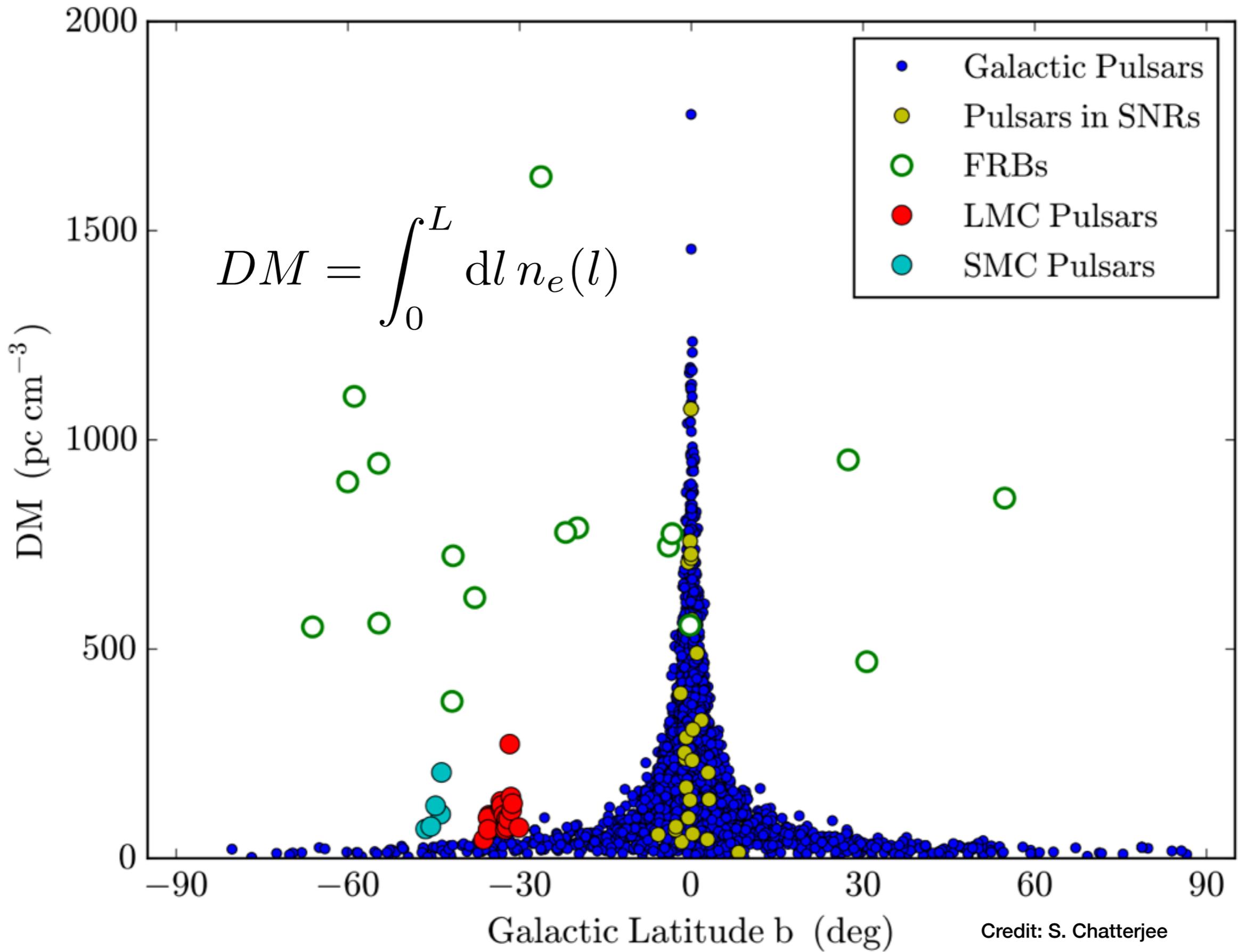
FRB 110220

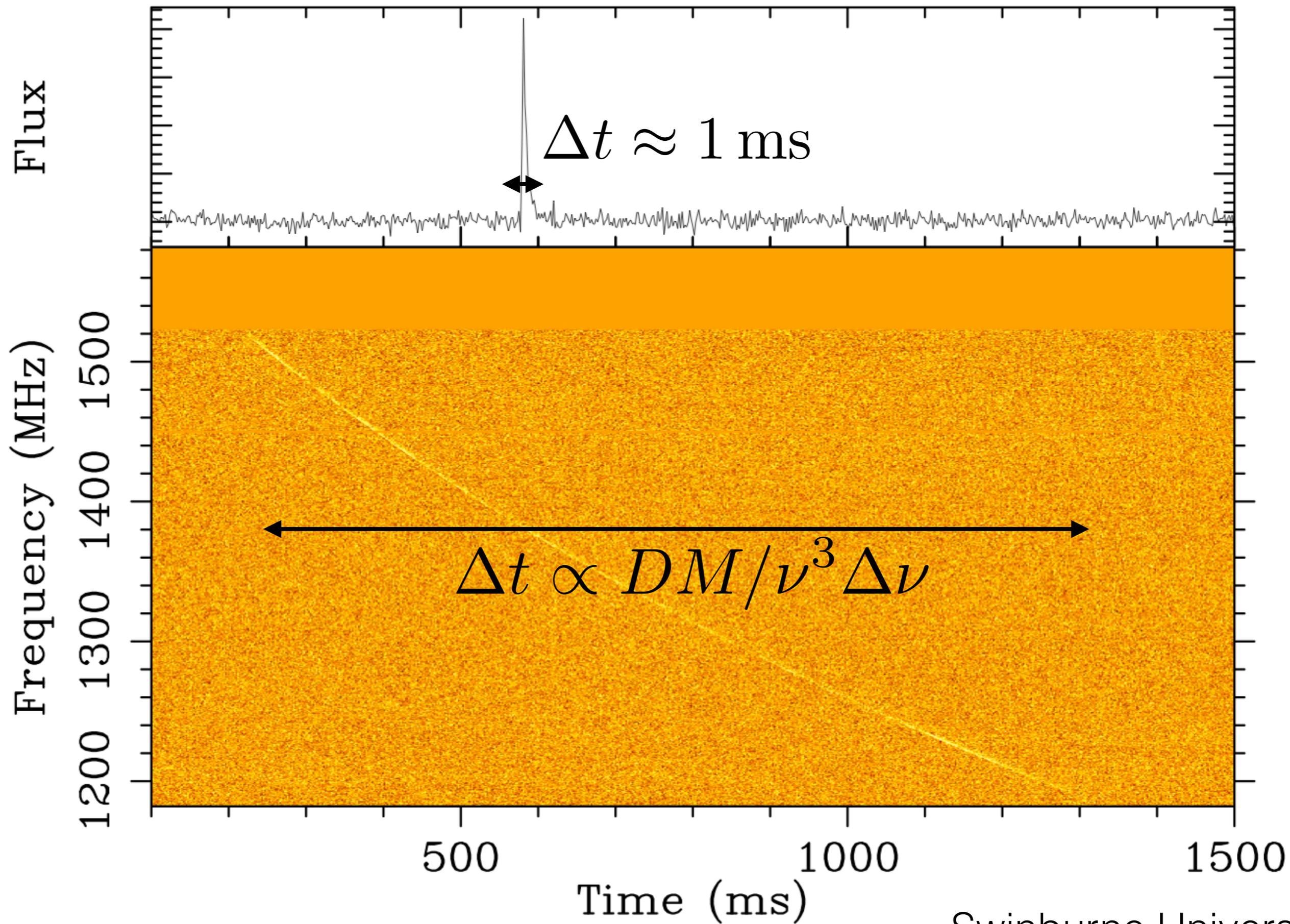


$$\Delta t \propto DM/\nu^3 \Delta\nu$$

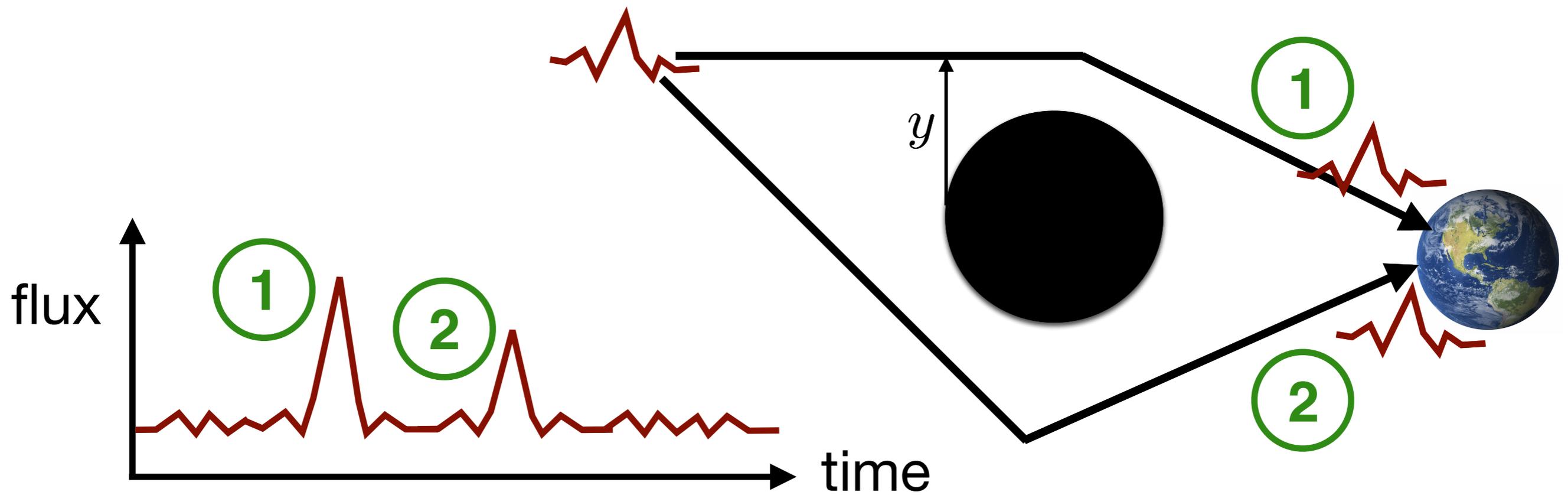
$$DM = \int_0^L dl n_e(l)$$



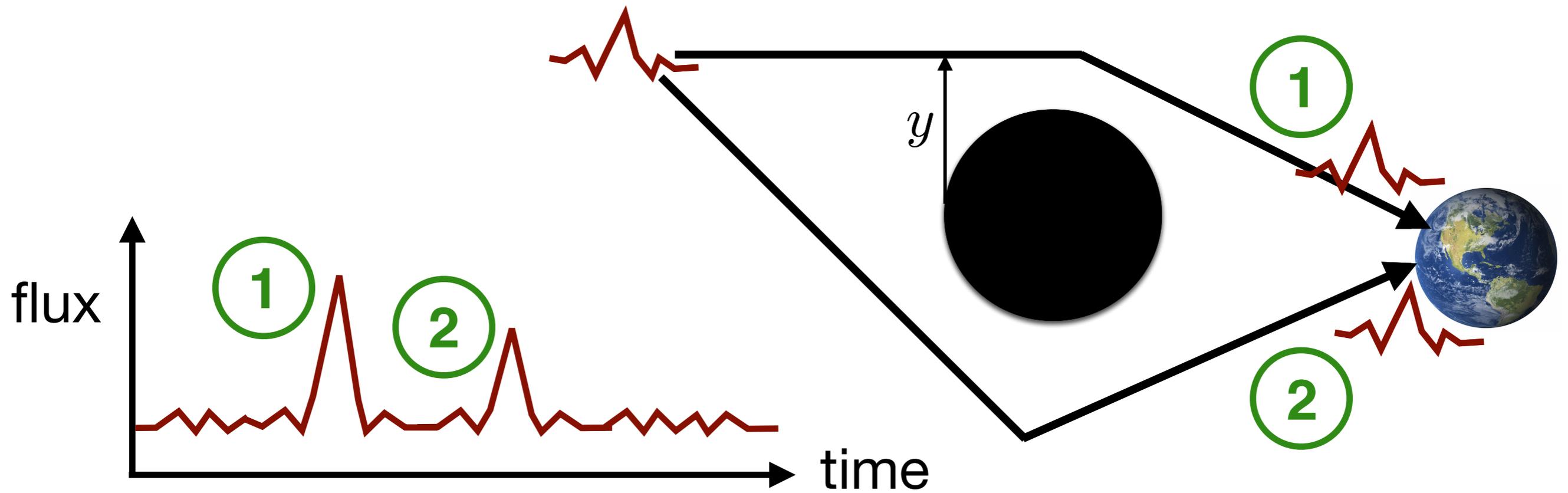




How to see lensing:

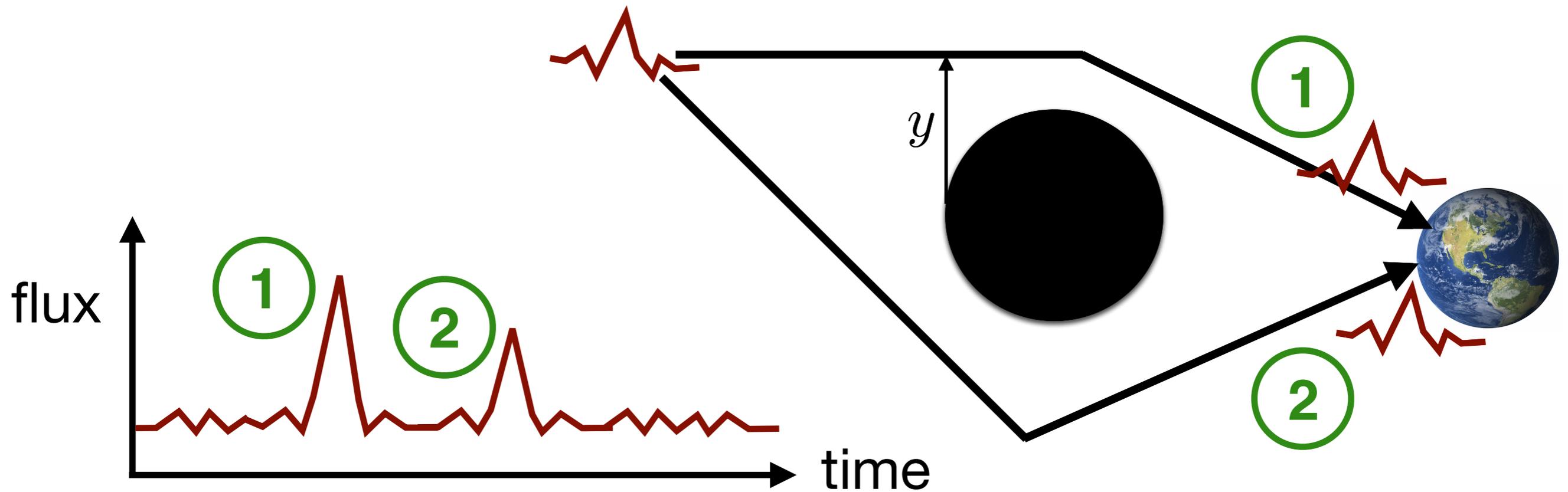


How to see lensing:



Flux ratio $\frac{F_1}{F_2} = g(y)$ \longrightarrow $y < y_{\max}$ (both images need be detectable)

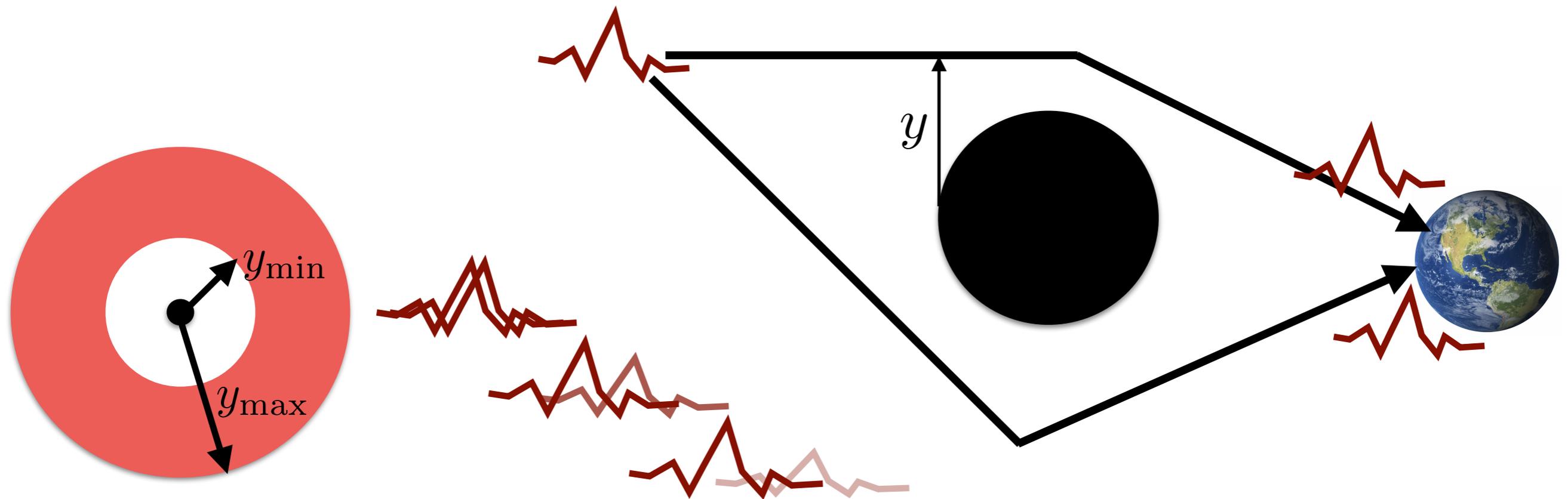
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Time delay $\Delta t = 4M_L f(y) \sim 1 \text{ ms} \times \frac{M_L}{30 M_\odot} \xrightarrow{> \Delta t_{\text{int}}} y > y_{\min}(M_L, z_s)$

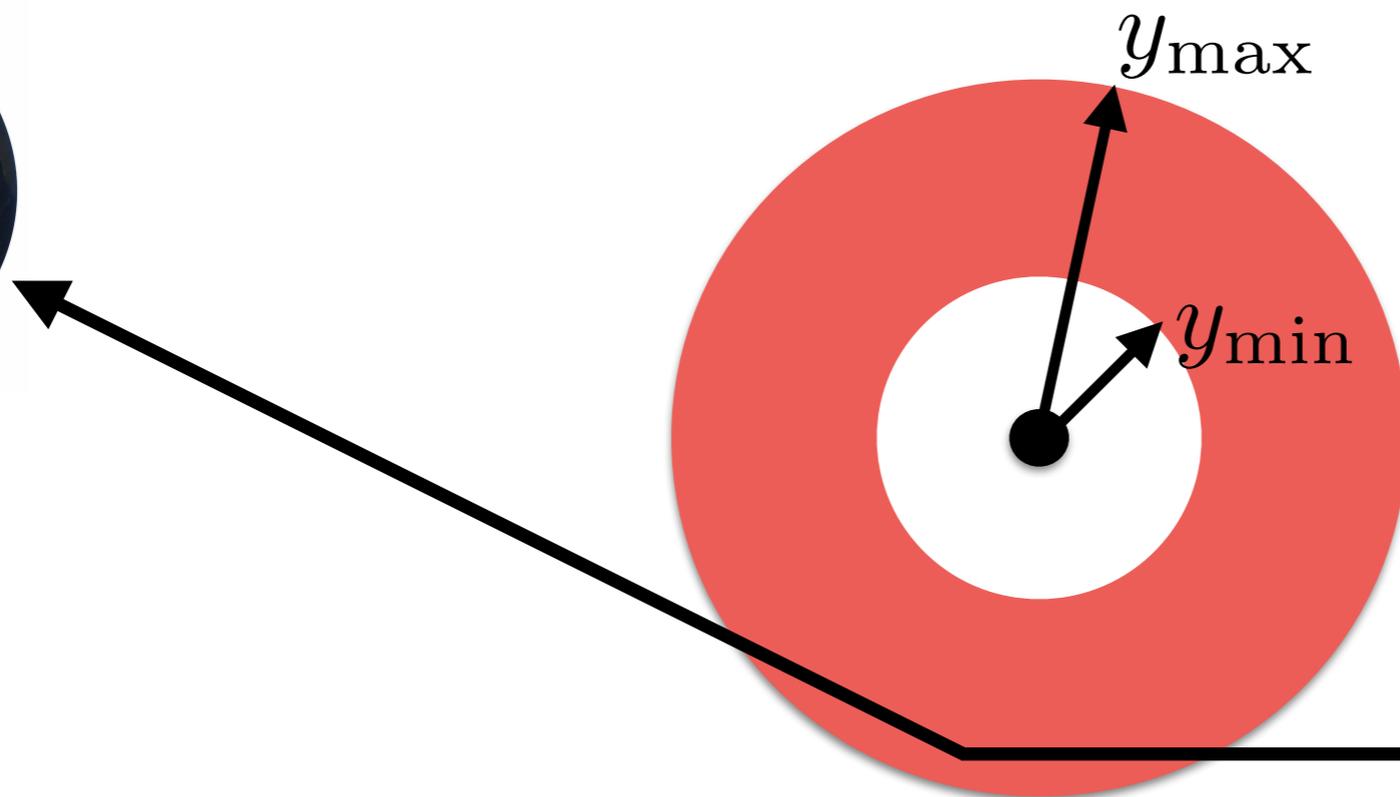
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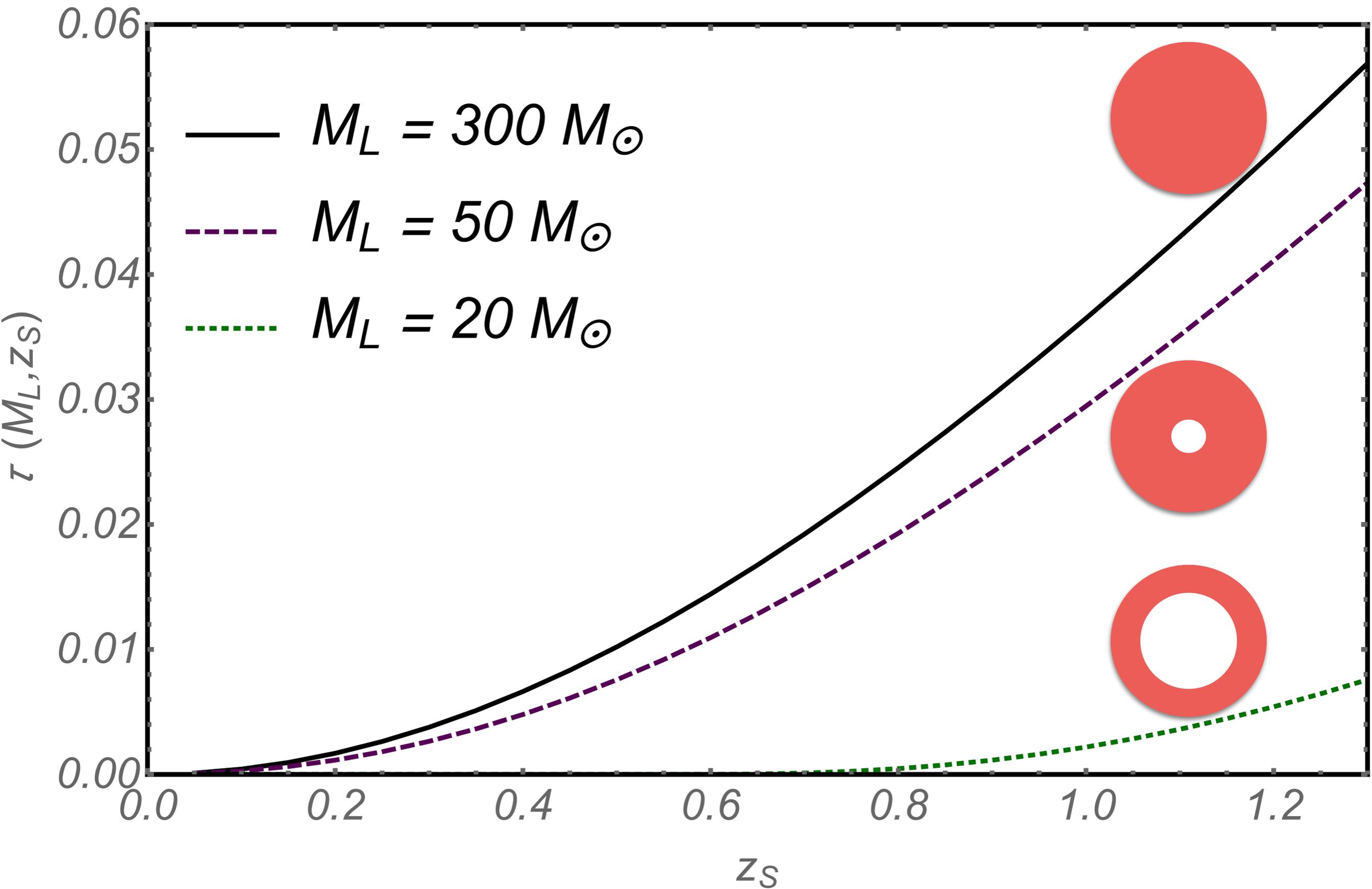
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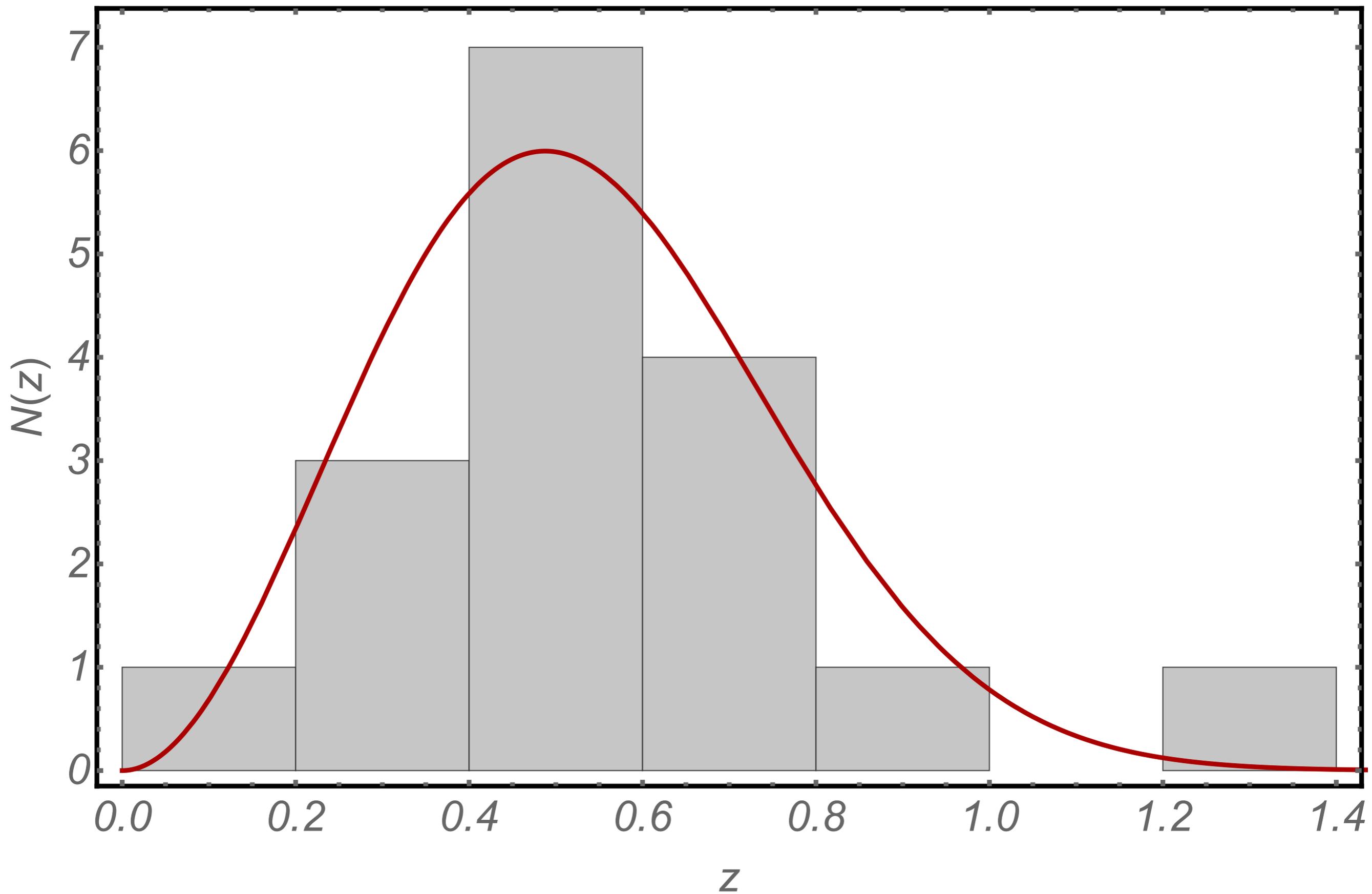
$$\tau(M_L, z_S) = \frac{3}{2} f_{\text{DM}} \Omega_c \int_0^{z_S} dz_L \frac{H_0^2}{c H(z_L)} \frac{D_L D_{LS}}{D_S} \times (1 + z_L)^2 [y_{\text{max}}^2 - y_{\text{min}}^2(M_L, z_L)]$$



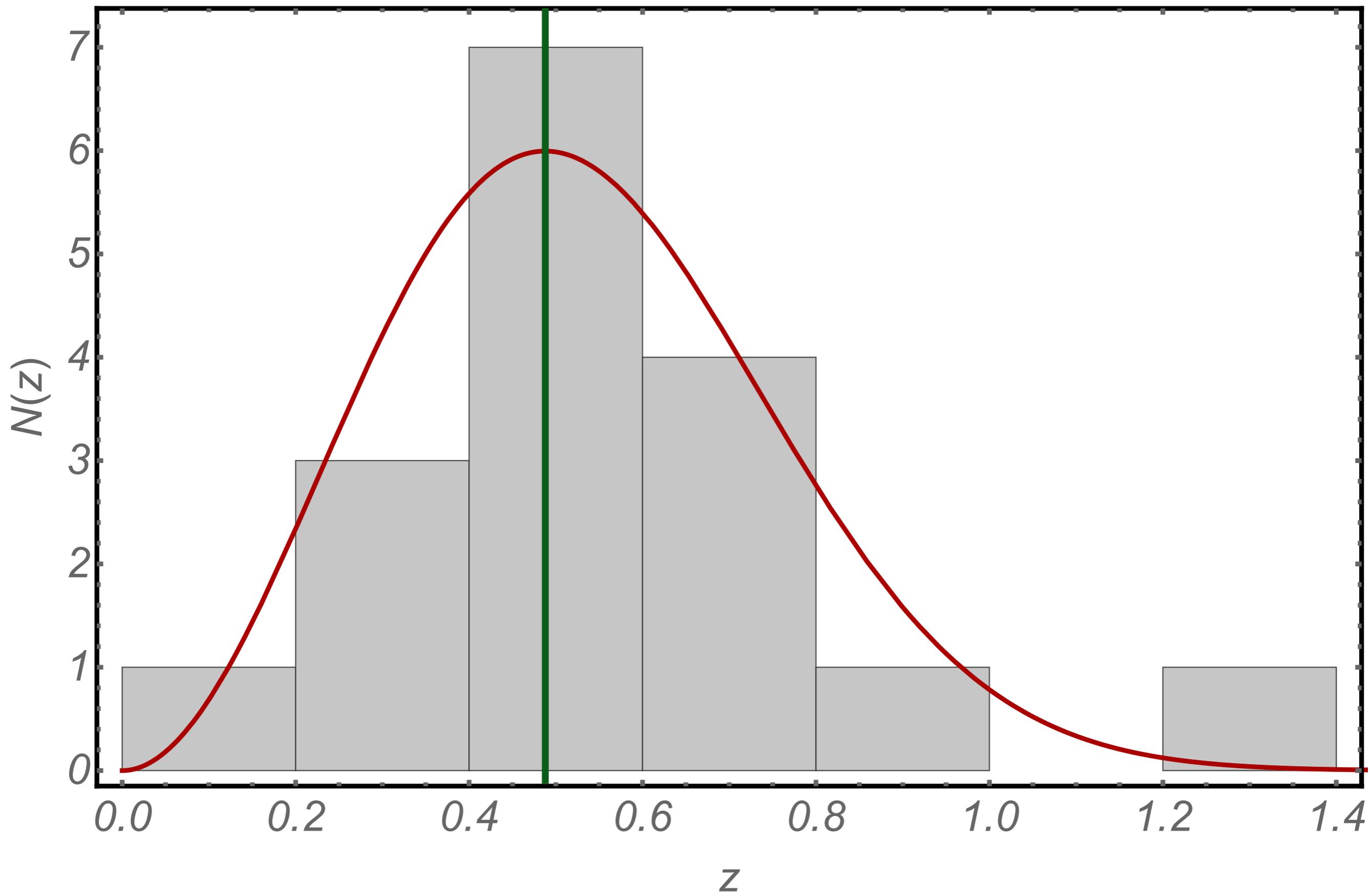
For a time delay longer than 1 ms



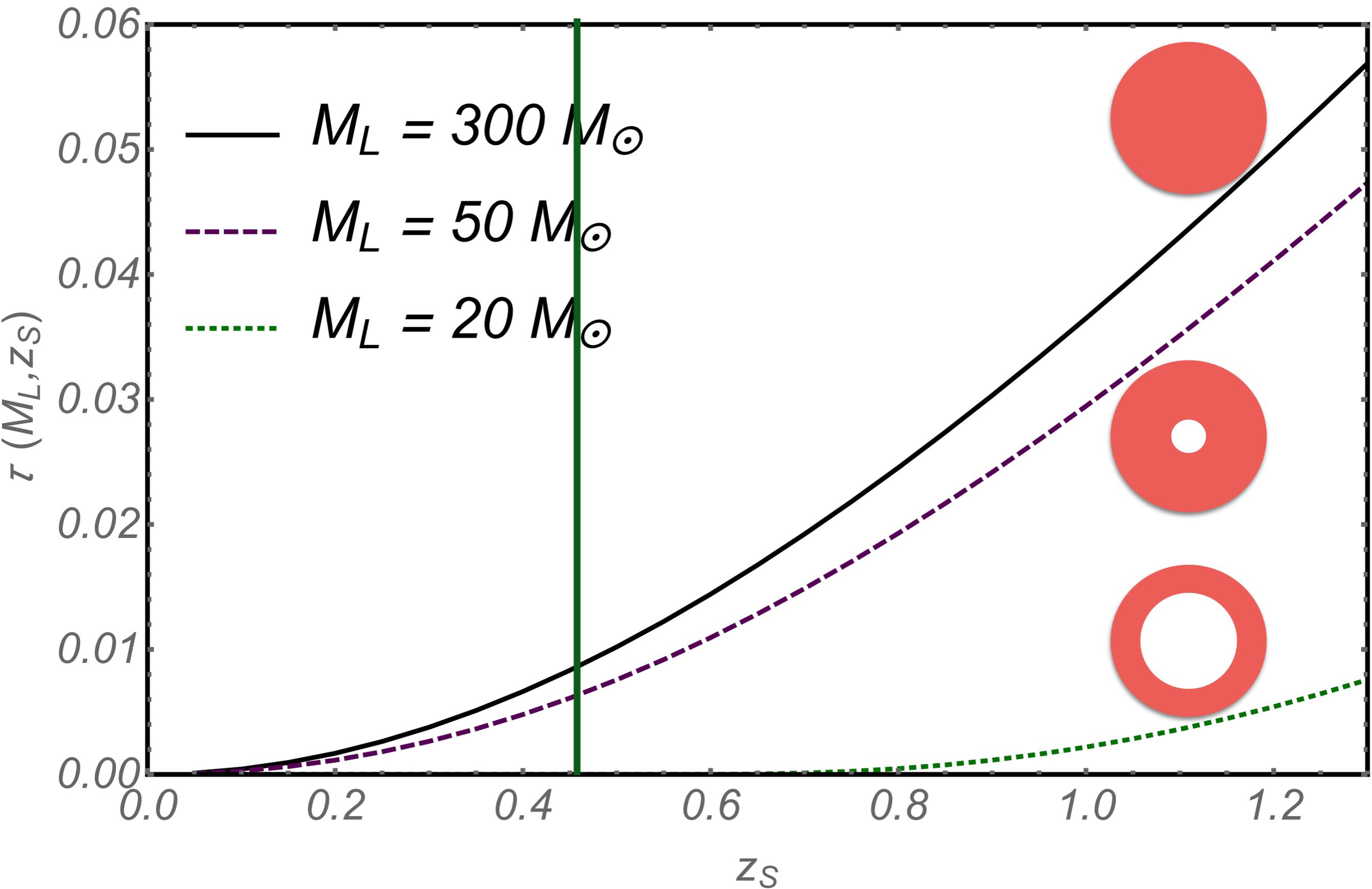
Redshift distribution of observed FRBs



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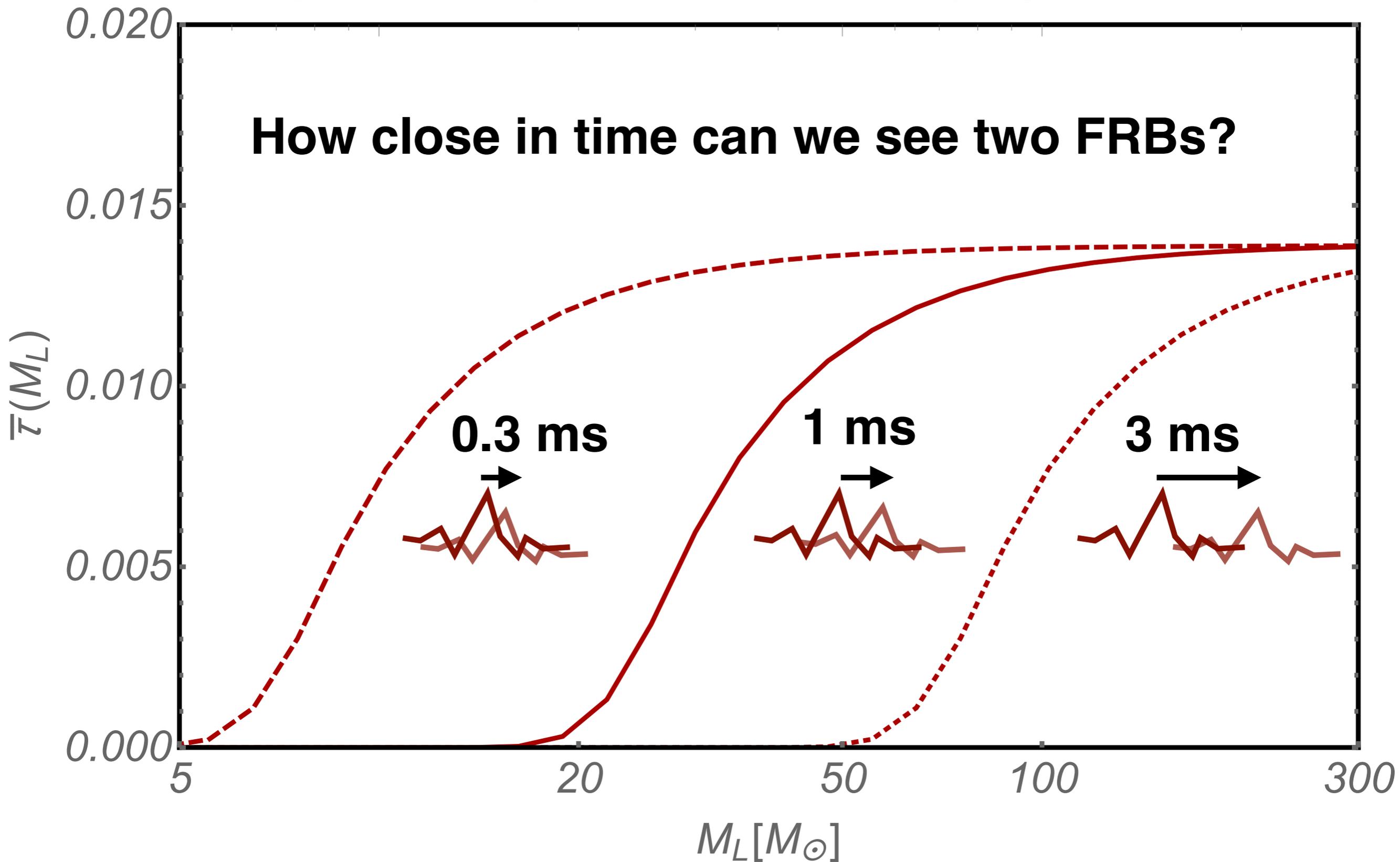


For a time delay longer than 1 ms



Optical depth of the FRB population

How close in time can we see two FRBs?

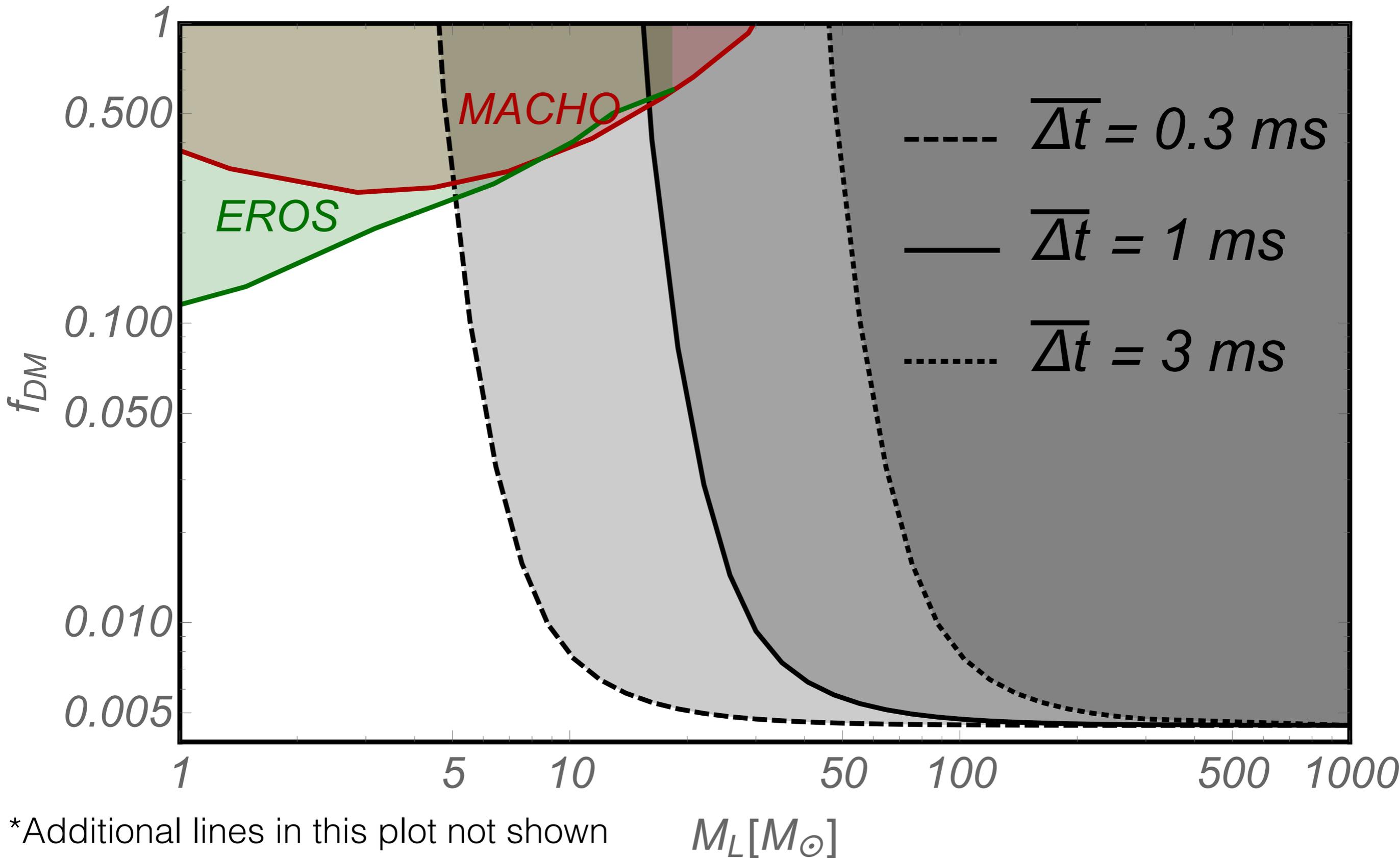


CHIME/HIRAX/HERA will see 10^4 FRBs per year!

$$N_{\text{lensed}} = \tau N_{\text{FRB}}$$

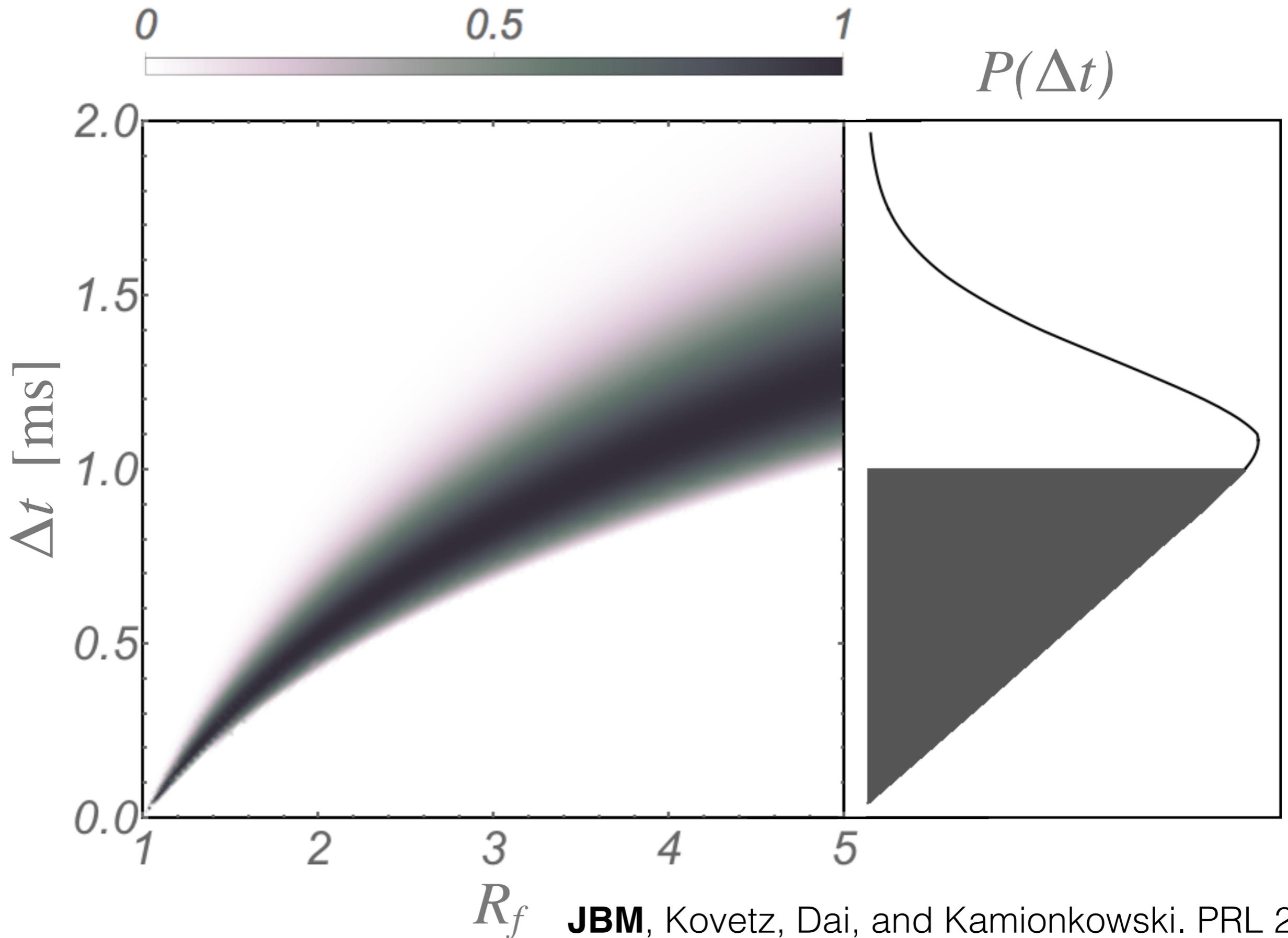
$$N_{\text{lensed}} \sim 10 - 100$$

If you do not see any lensed FRBs:*

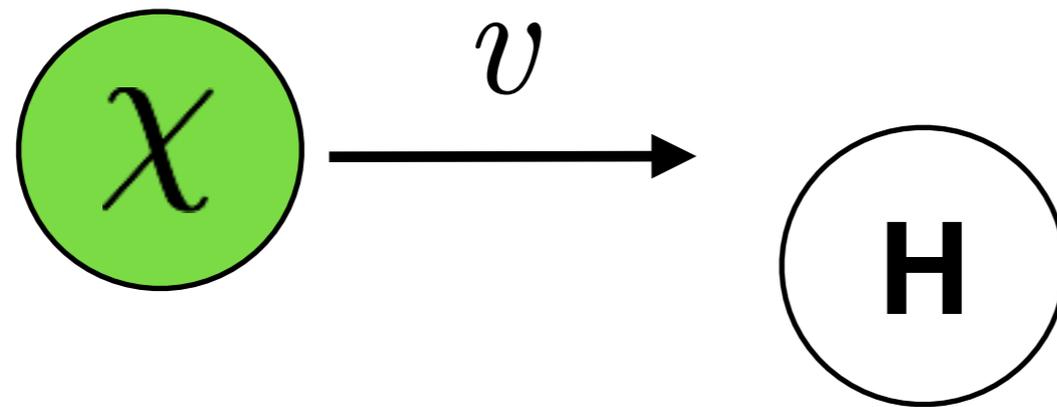


*Additional lines in this plot not shown

How to identify lensing? E.g. $30 M_{\odot}$



A new particle with interactions

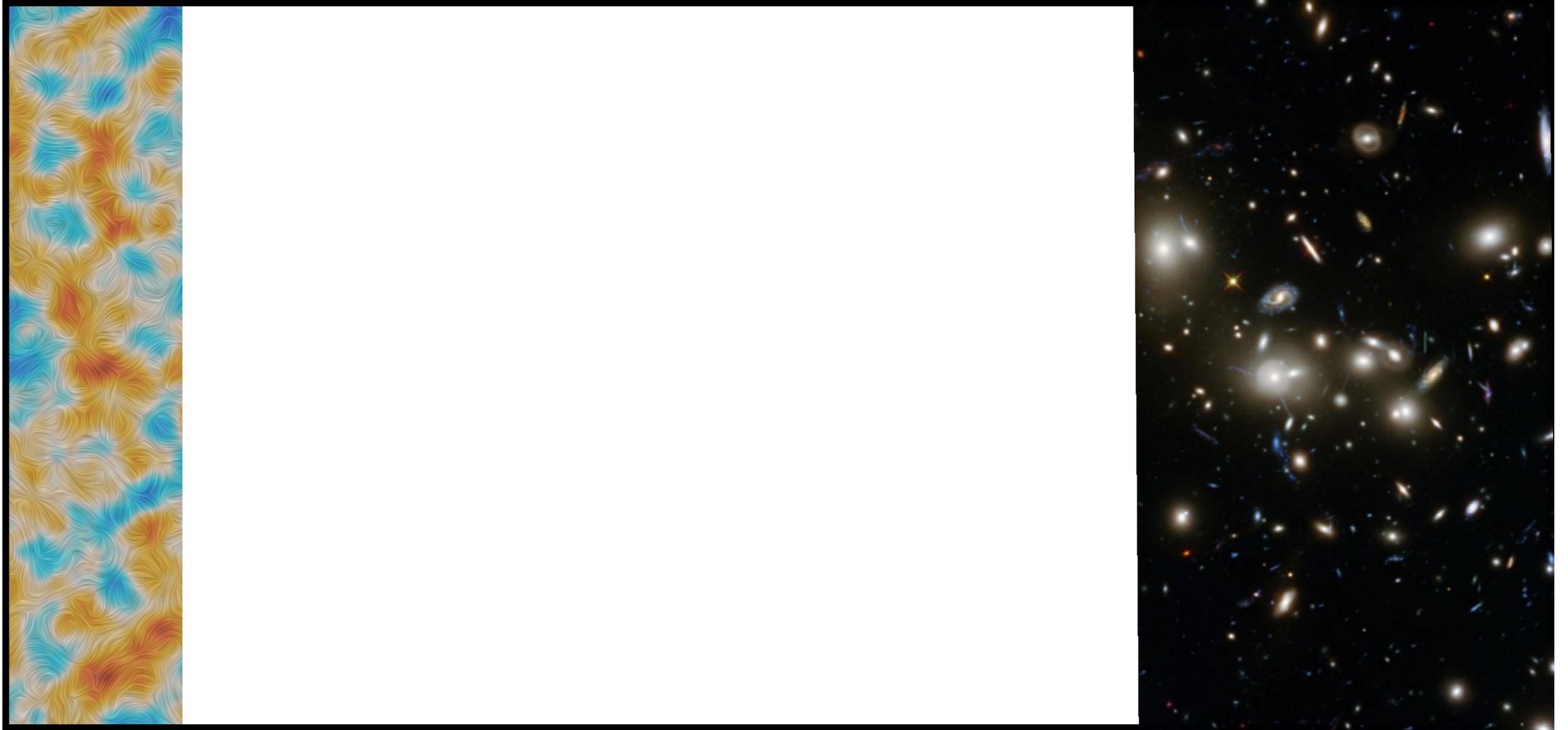


$$\sigma = \sigma_0 v^{-4}$$

A new particle with interactions

$z = 1100$

$z = O(1)$



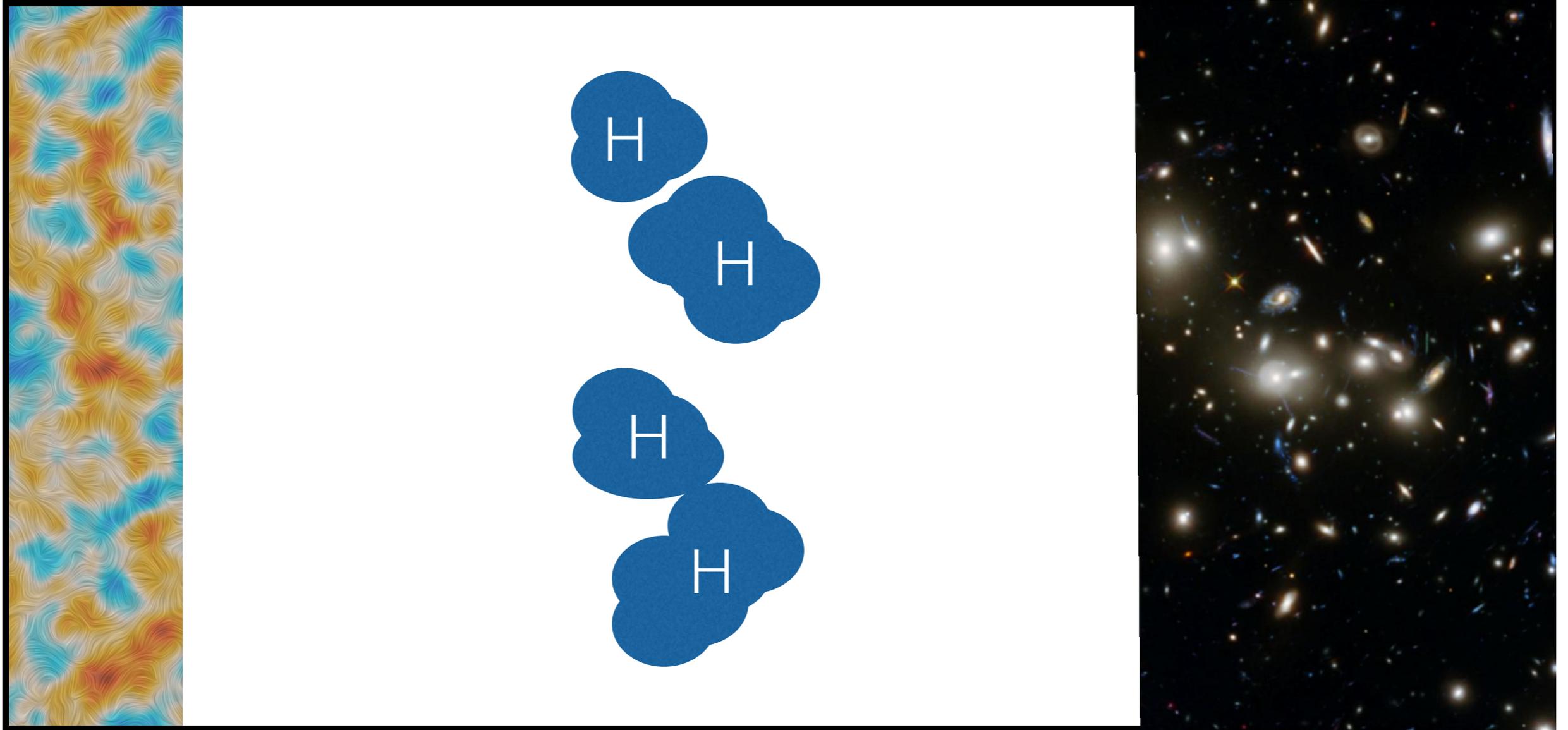
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A new particle with interactions

$z = 1100$

$z \approx 30$

$z = O(1)$



$$\sigma = \sigma_0 v^{-4}$$



Triplet

$$\frac{n_1}{n_0} = \frac{g_1}{g_0} e^{-T_*/T_s}$$

Singlet



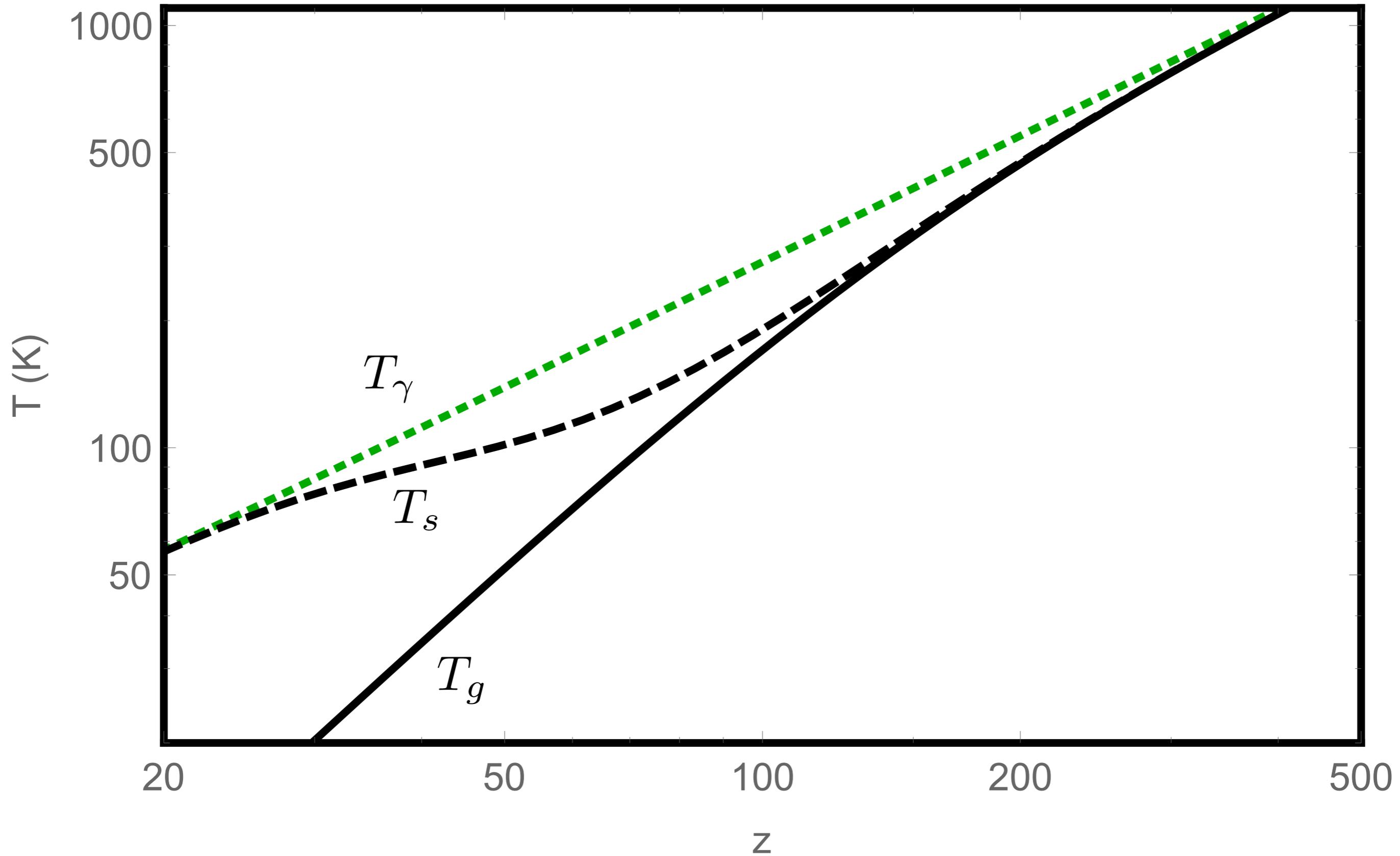
Triplet

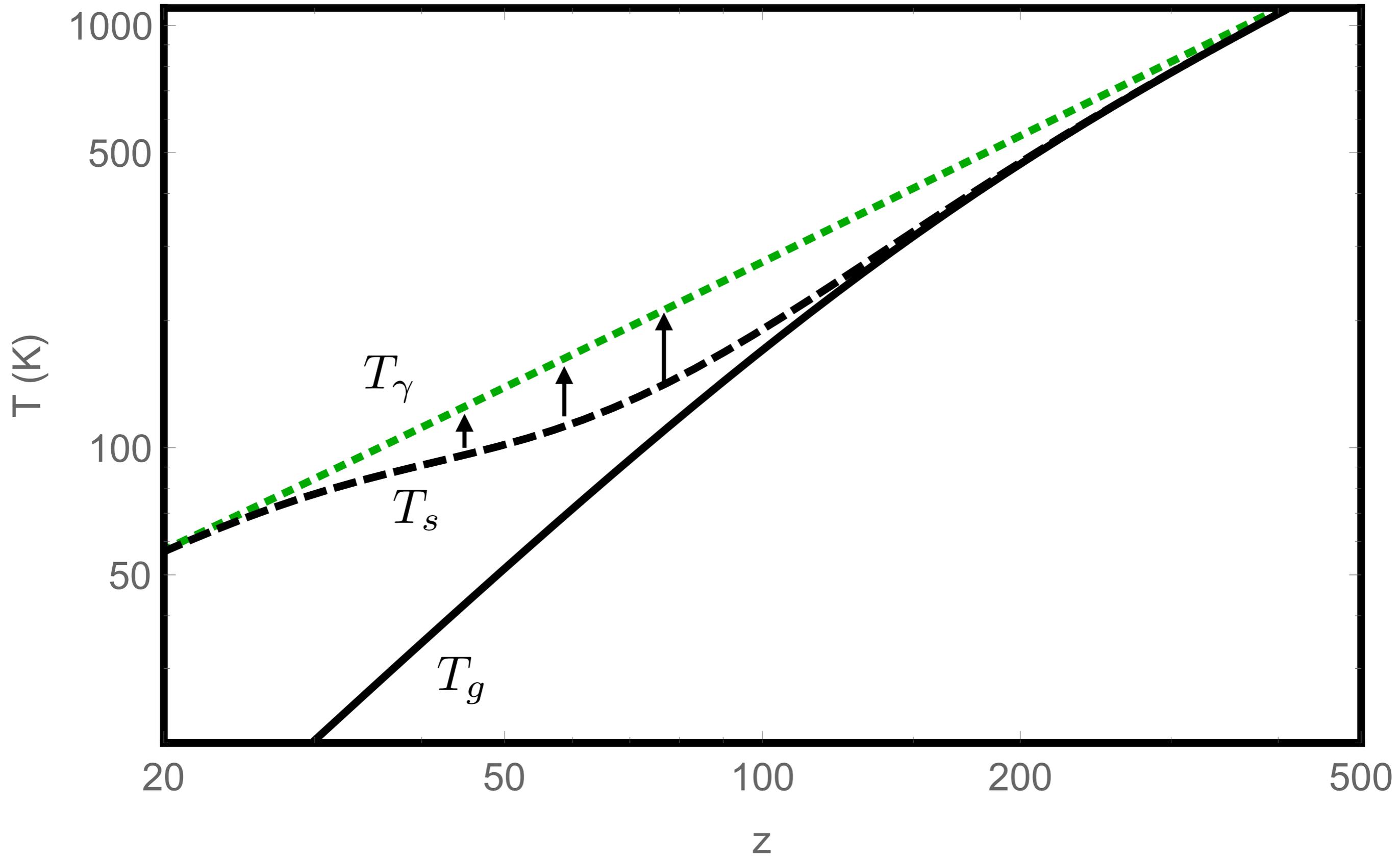
$$\frac{n_1}{n_0} = \frac{g_1}{g_0} e^{-T_*/T_s}$$

Singlet

3

6 mK

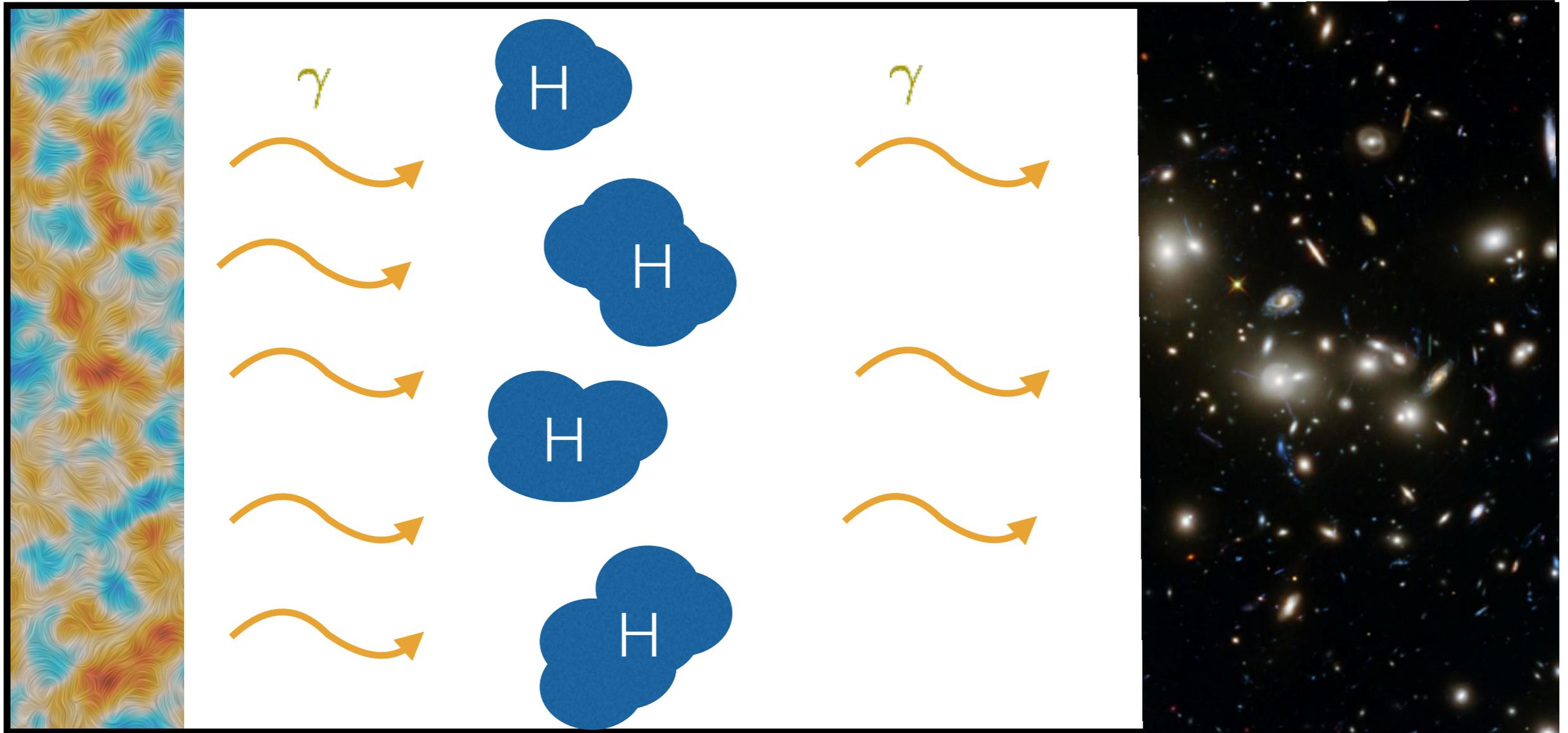




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T_{CMB}

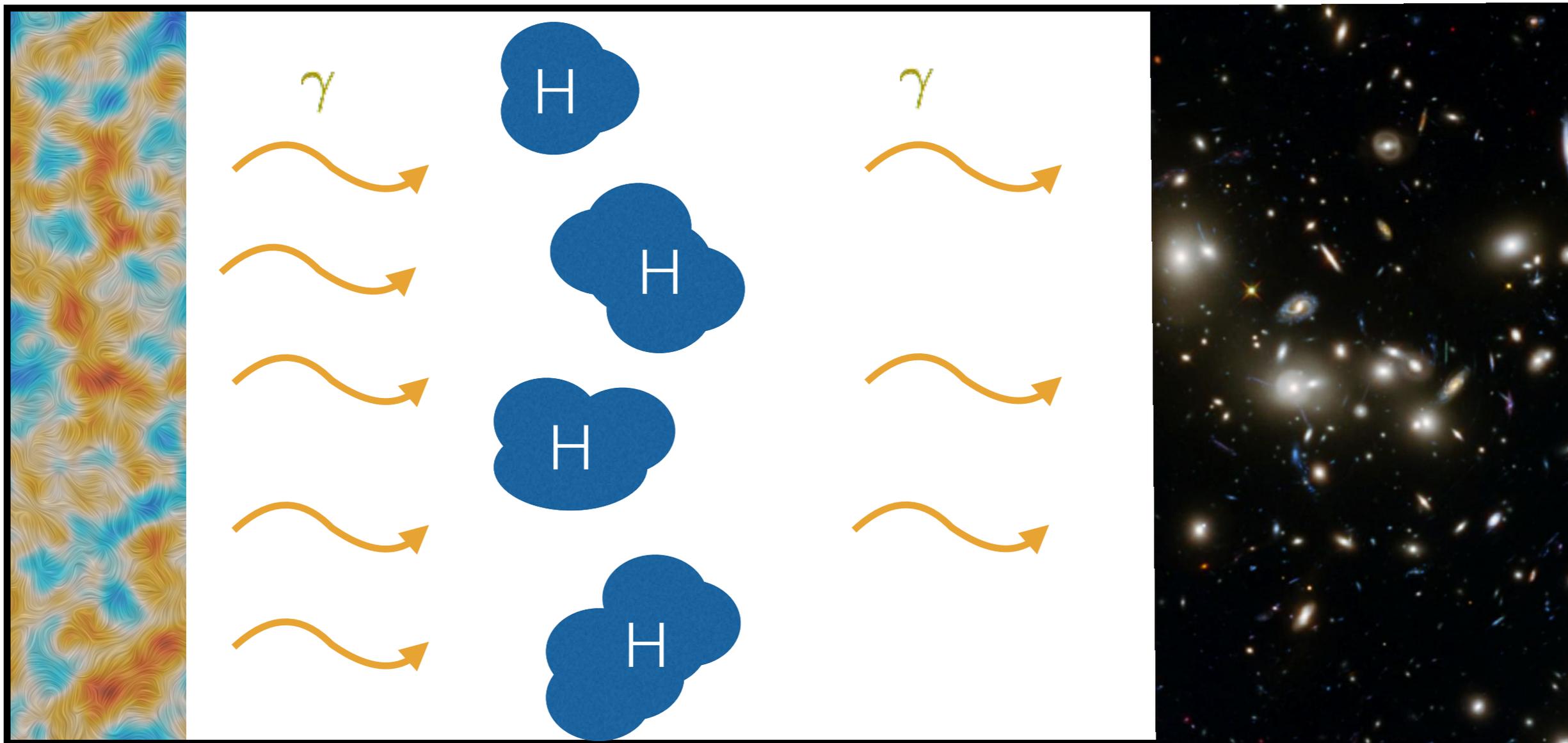
21 cm

$T_b < T_{\text{CMB}}$

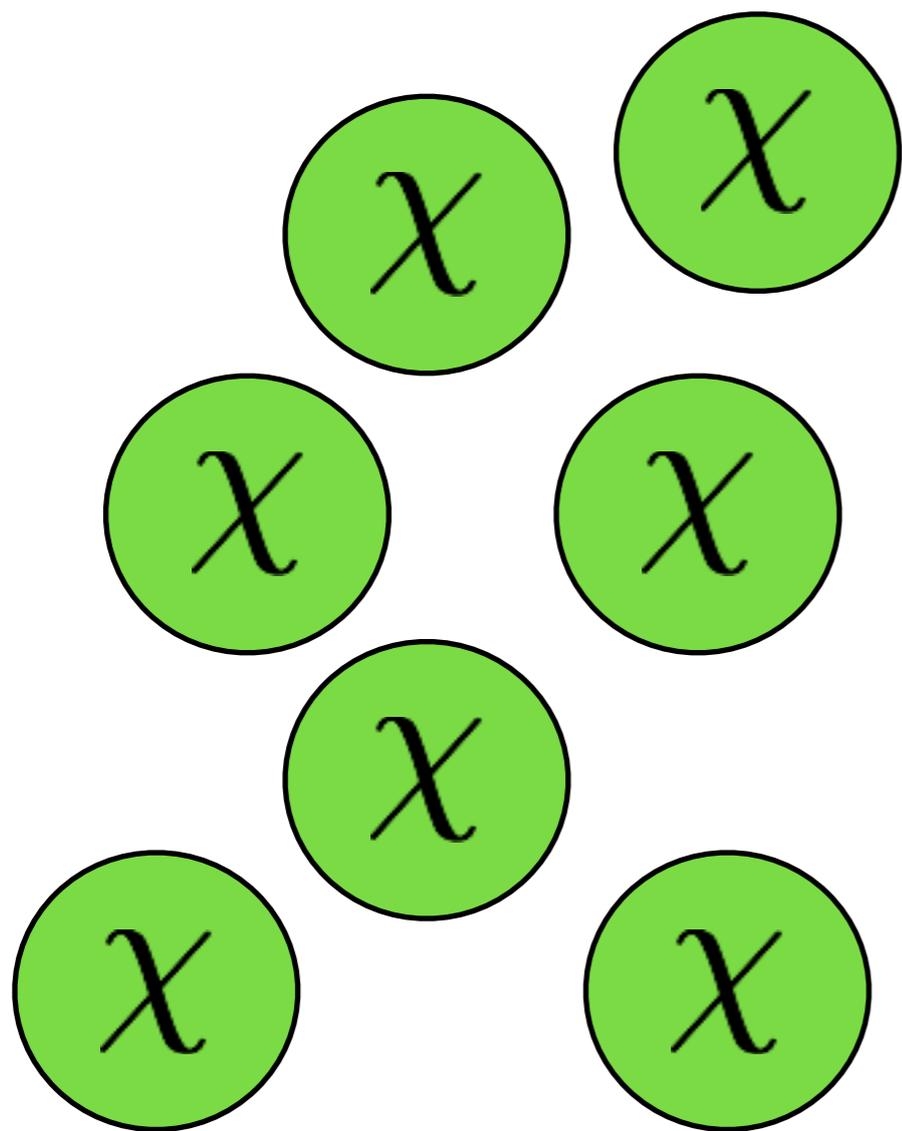
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$z \approx 30$

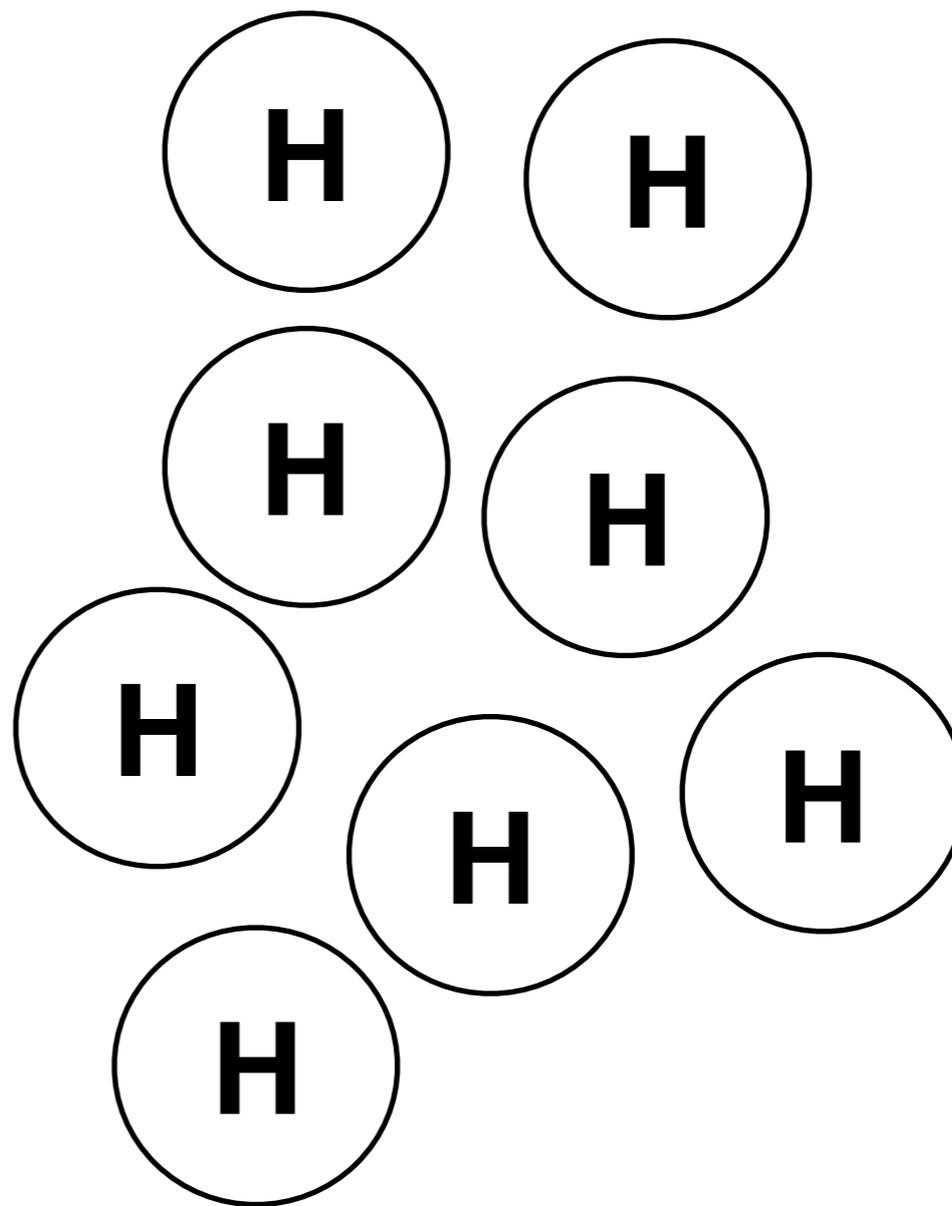
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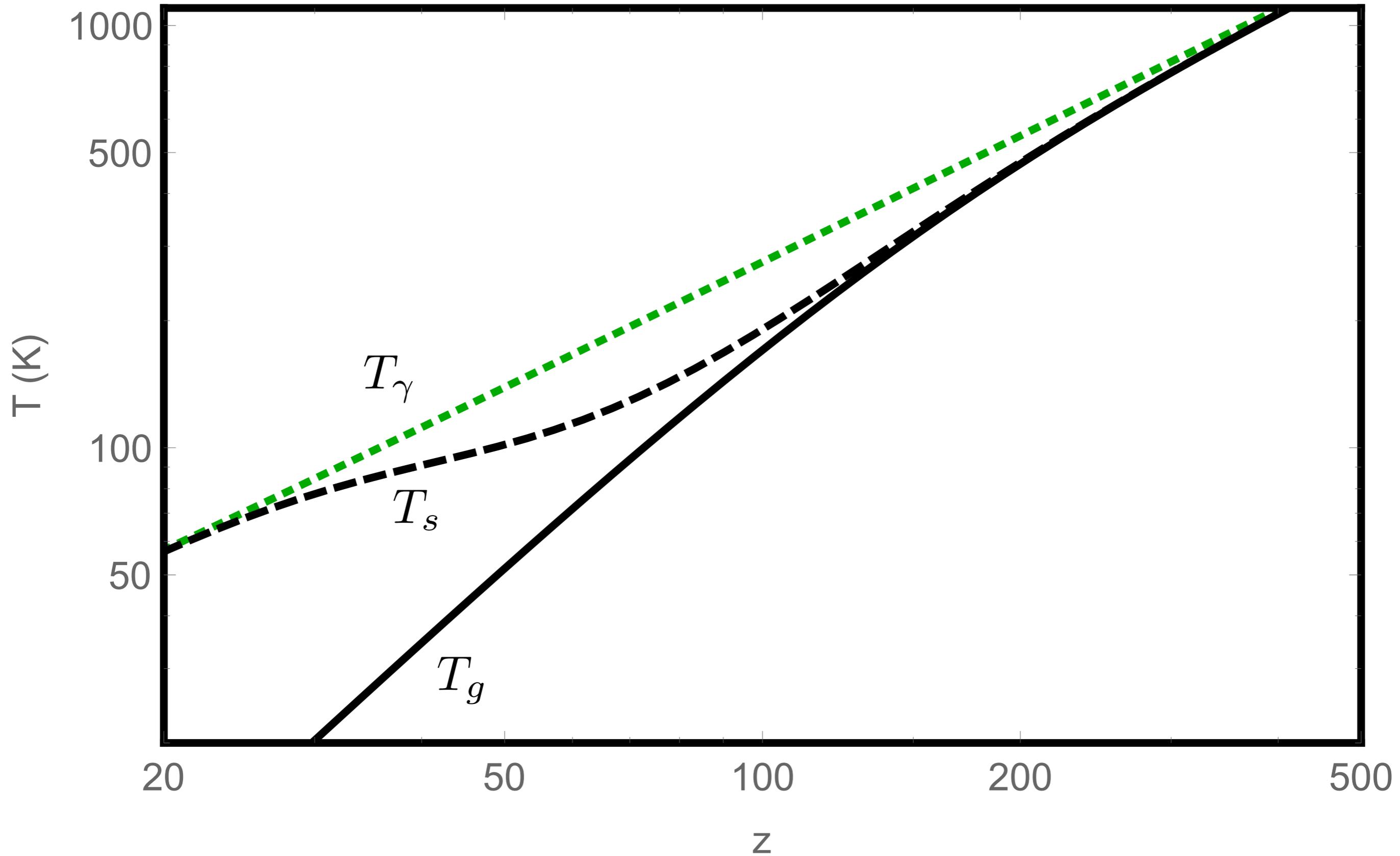
$$T^{(21)} = \tau \frac{T_s - T_{\text{cmb}}}{1 + z}$$

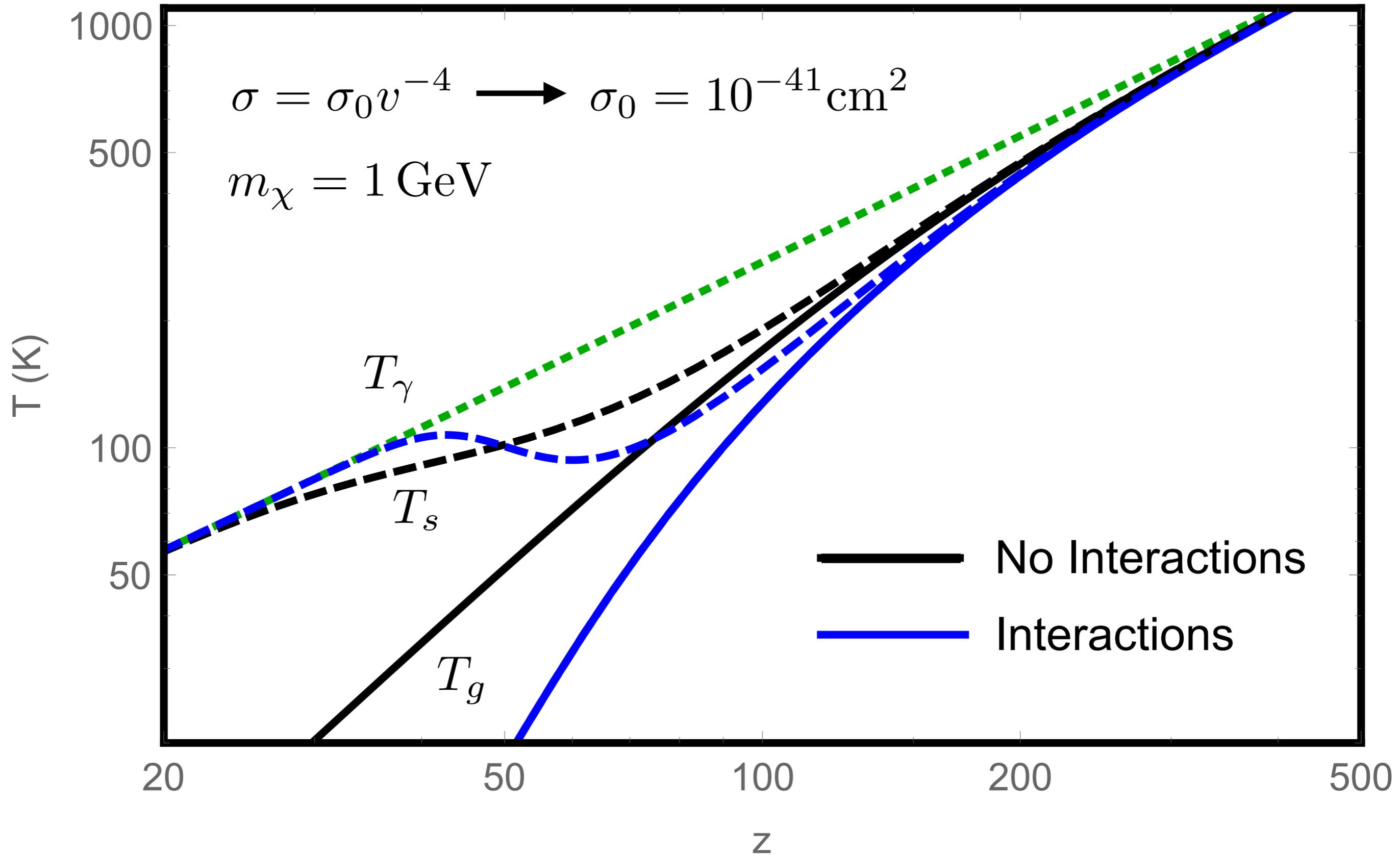


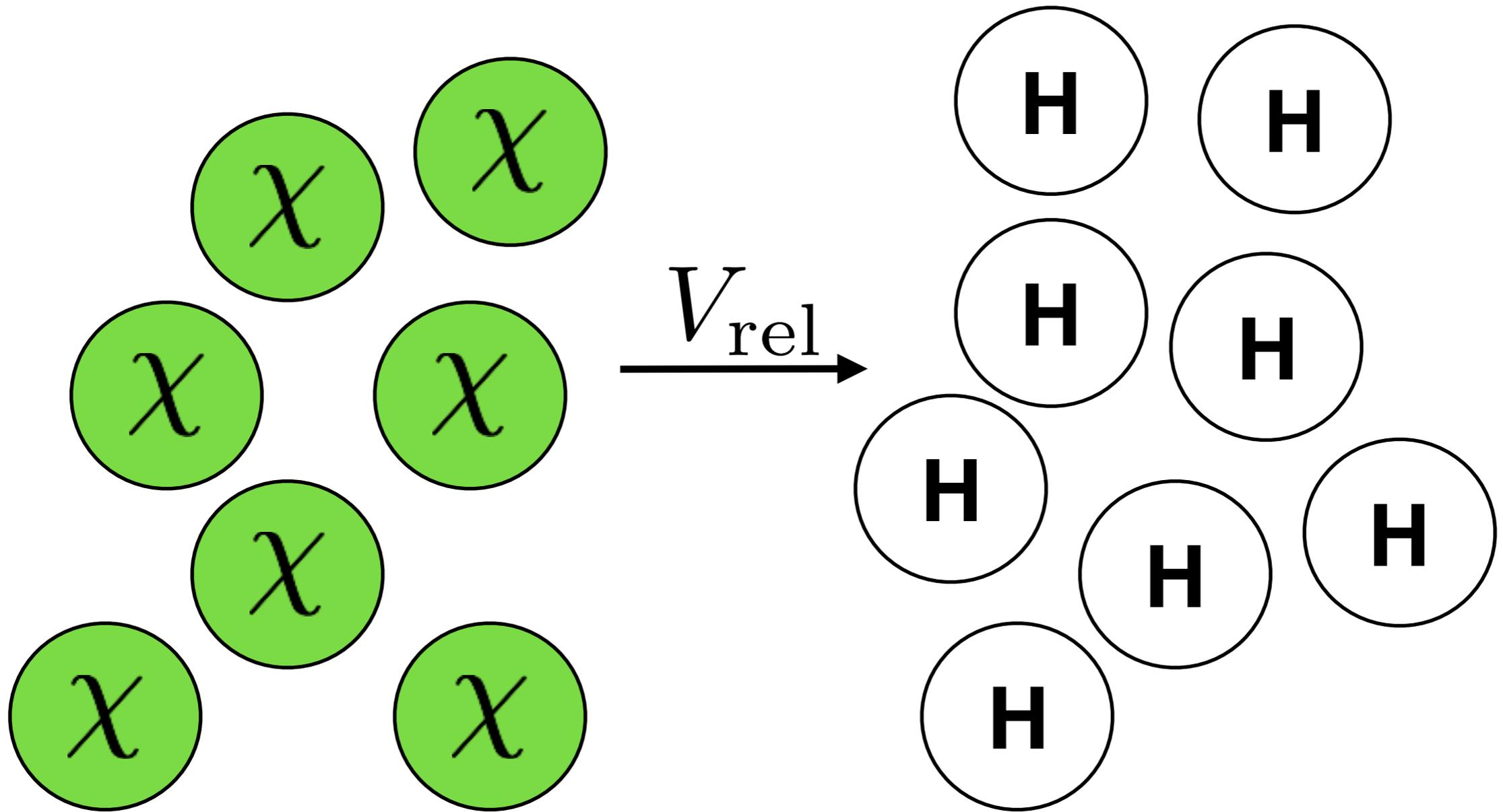
T_{χ}



T_g

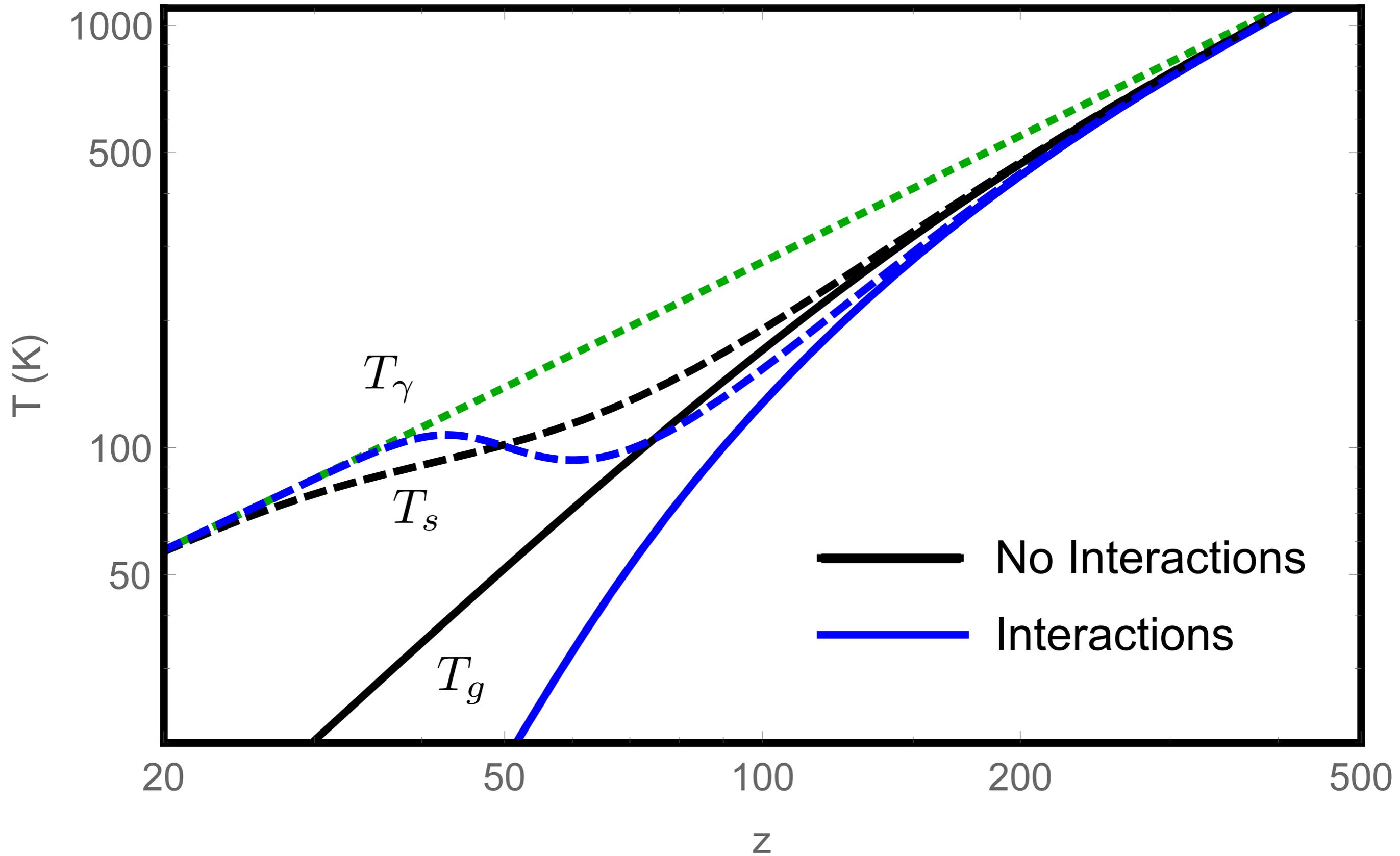


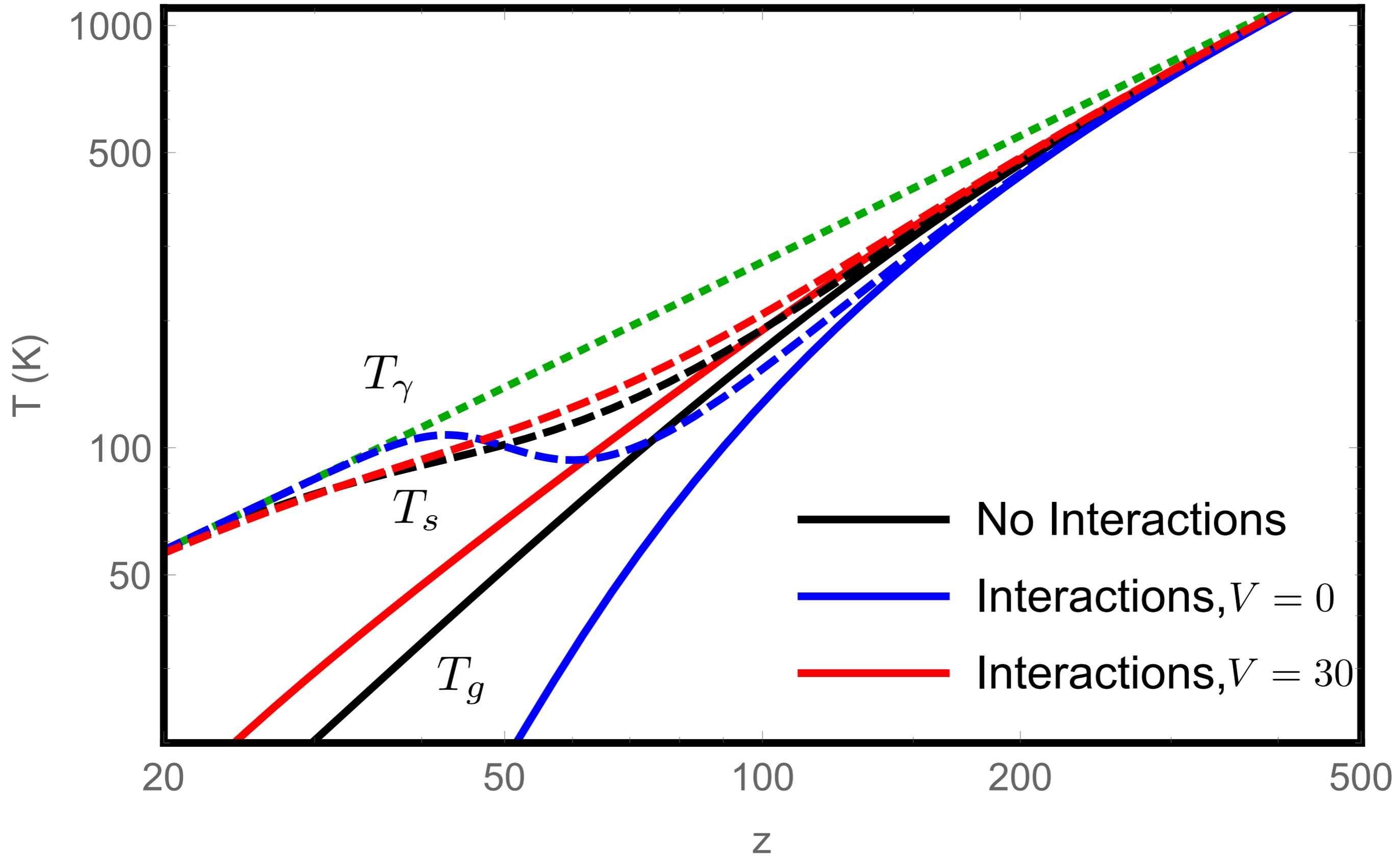




T_{χ}

T_{g}



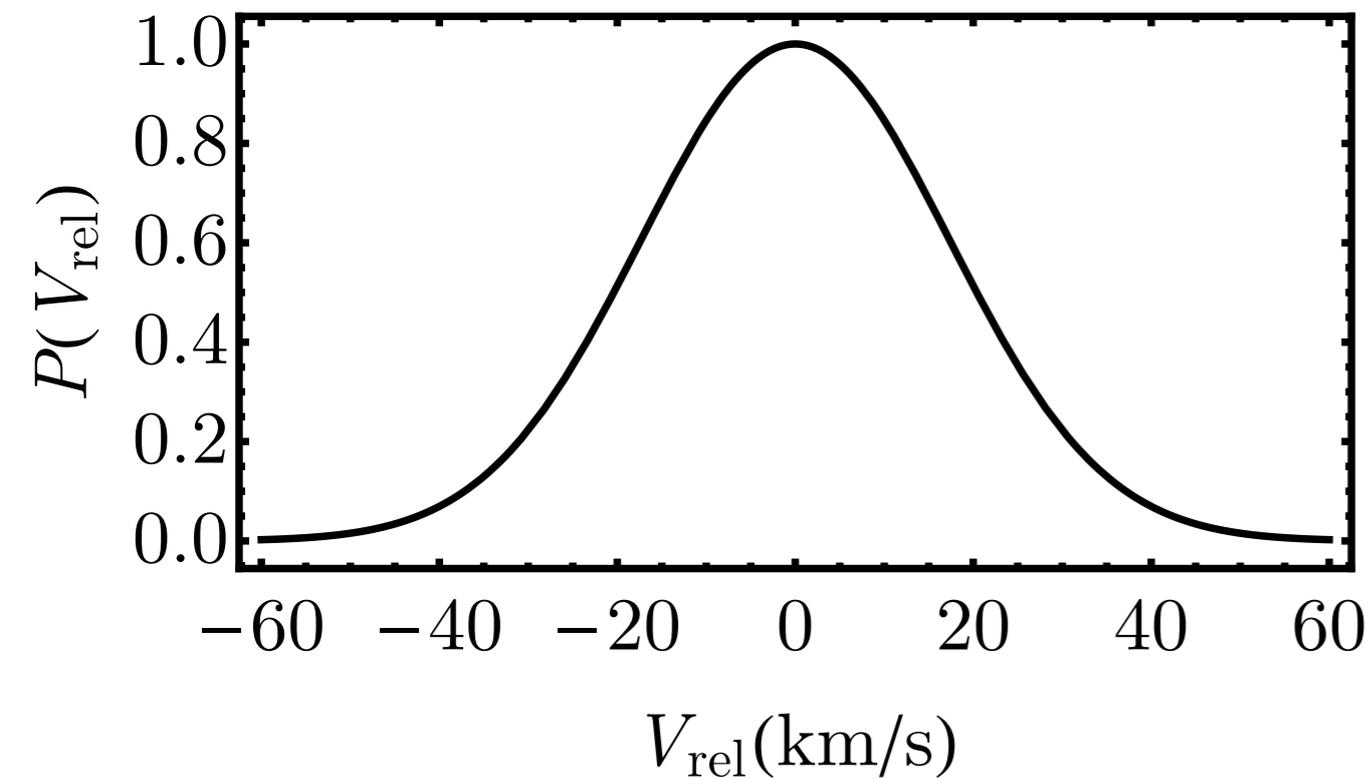


$$T^{(21)} = \tau \frac{T_s - T_{\text{cmb}}}{1 + z} (V_{\text{rel}}) \leftarrow \text{Relative velocity at decoupling}$$

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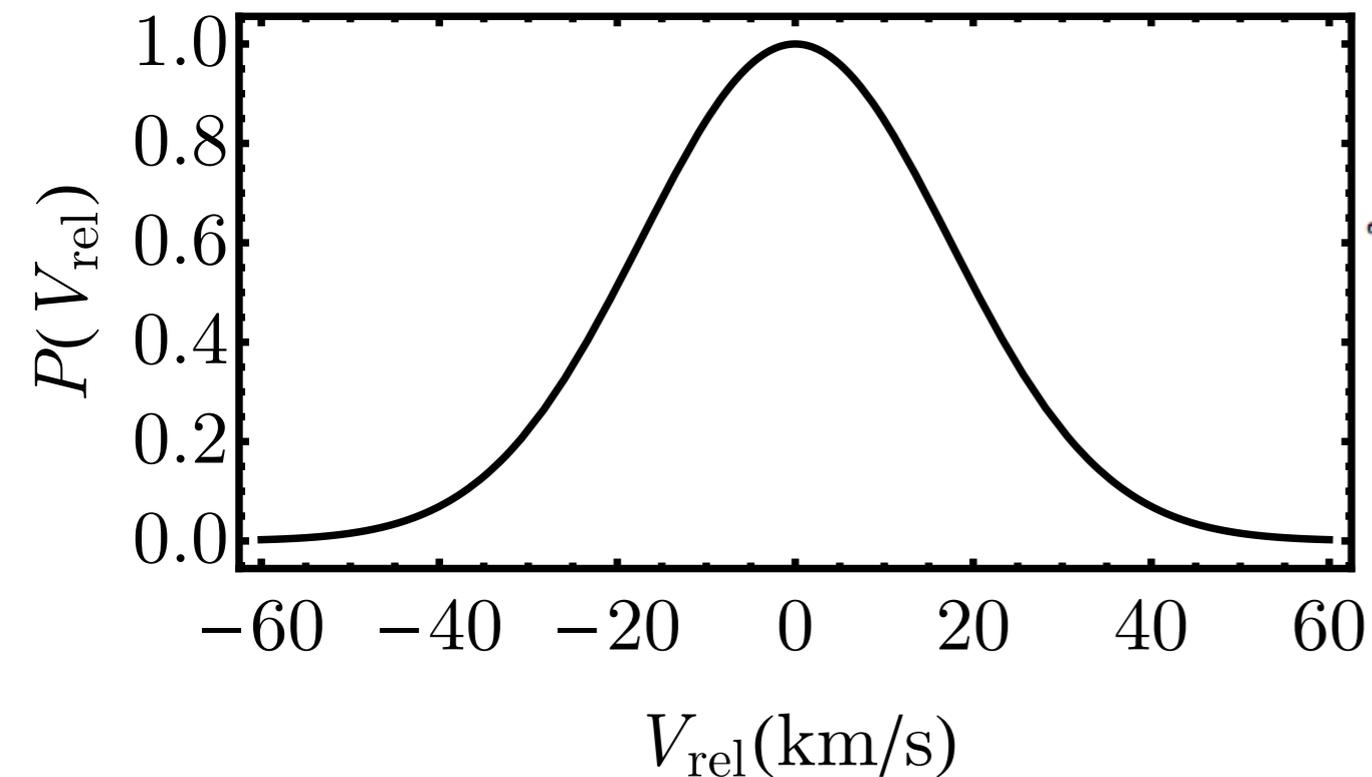
$$V_{\text{rms}} \approx 30 \text{ km/s}$$



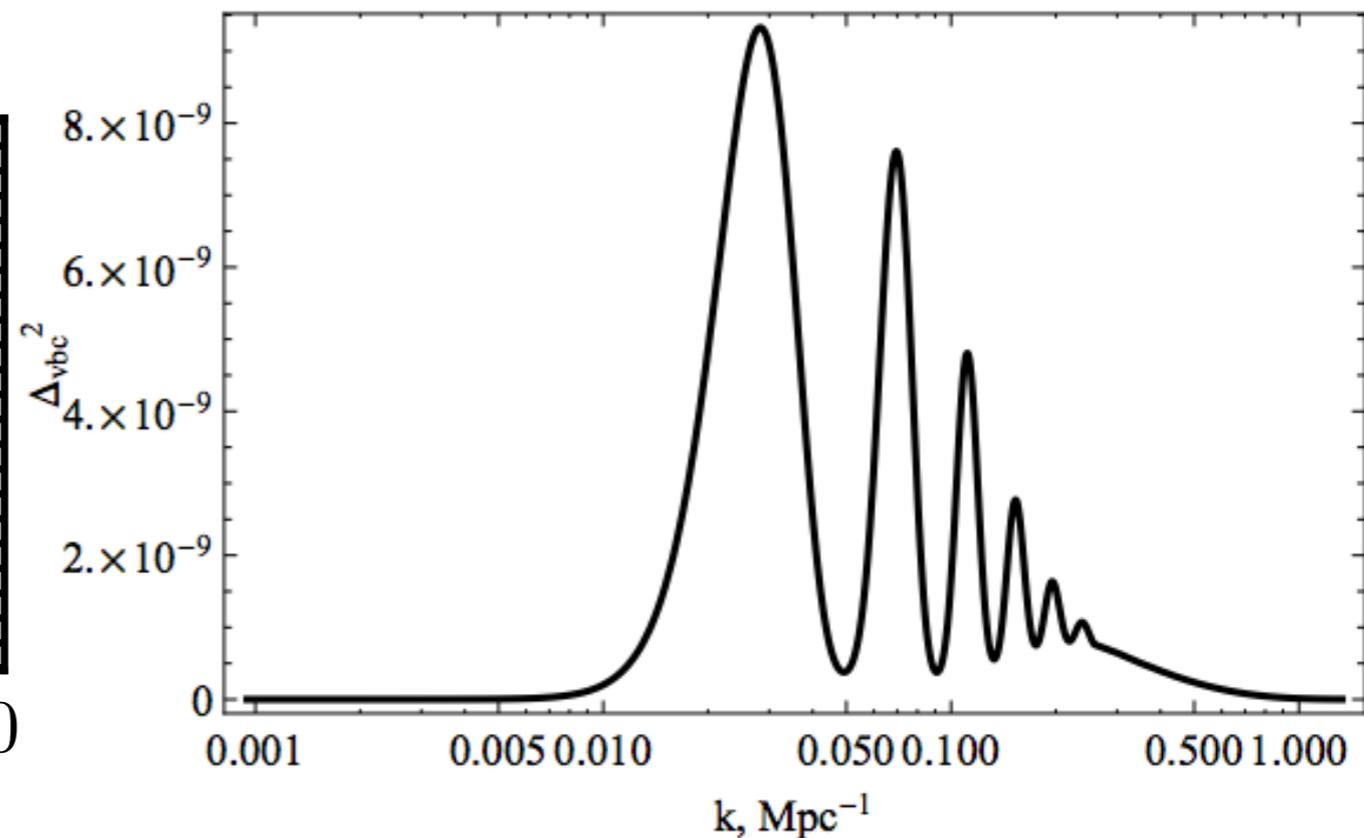
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Tseliakhovich and Hirata PRD 2010

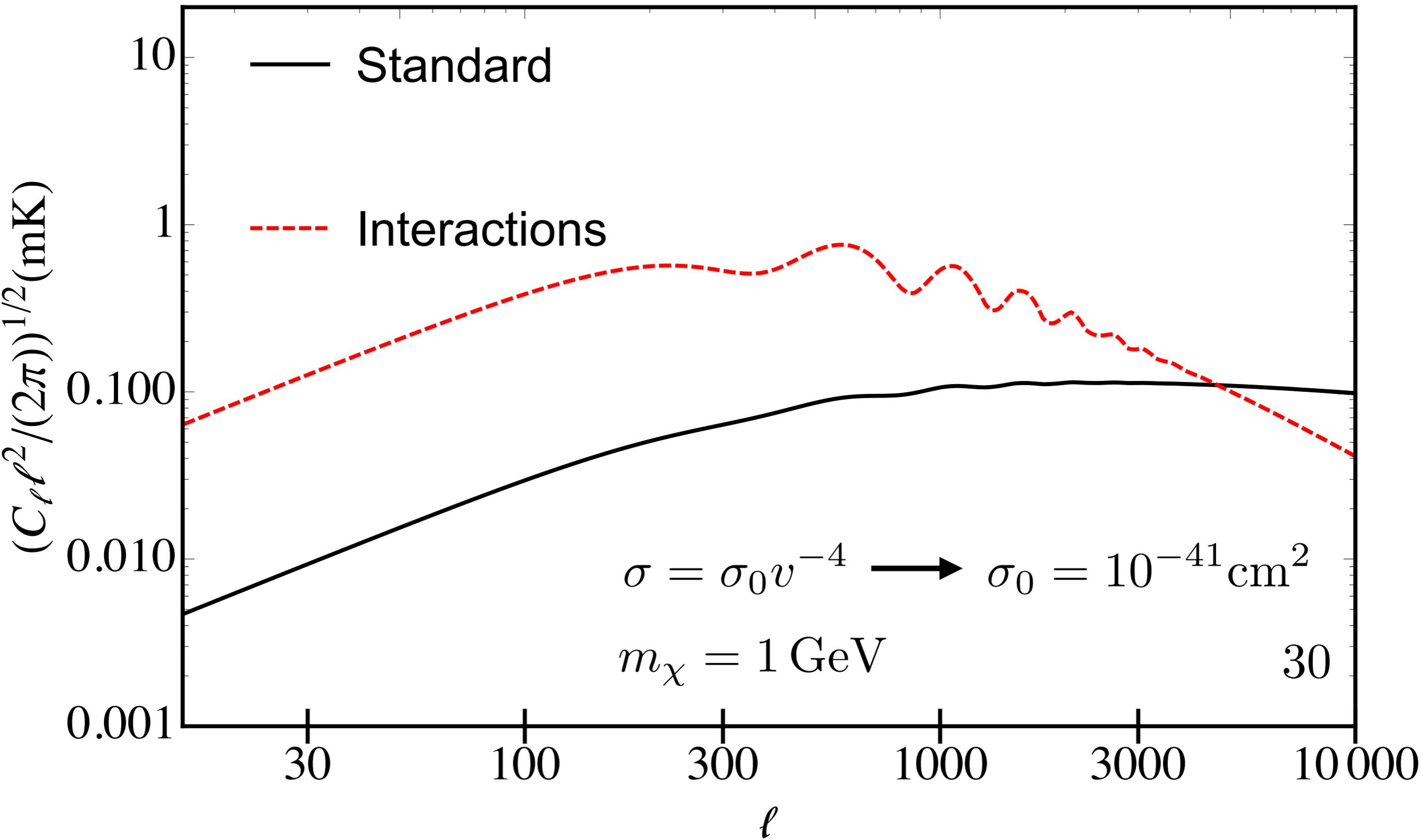


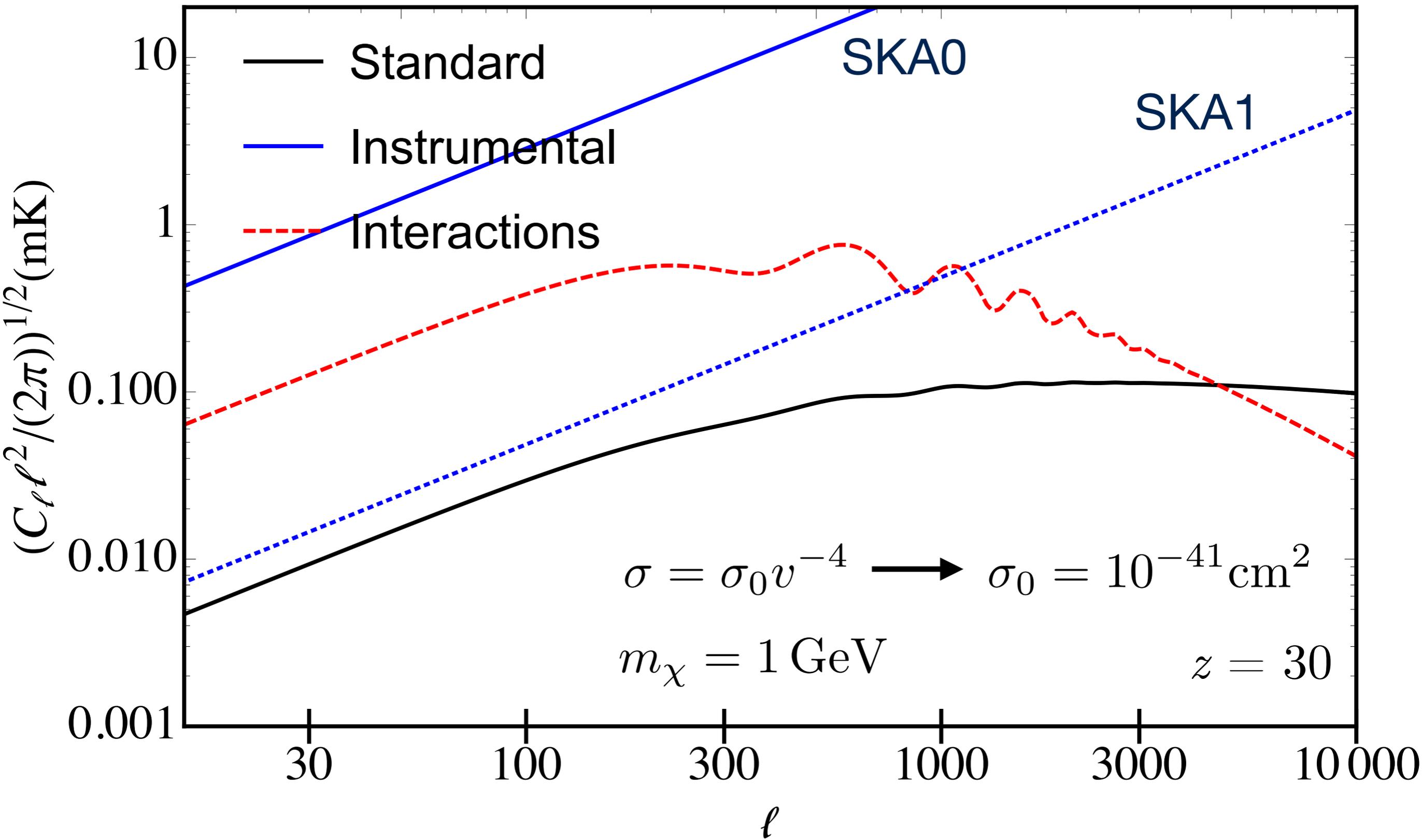
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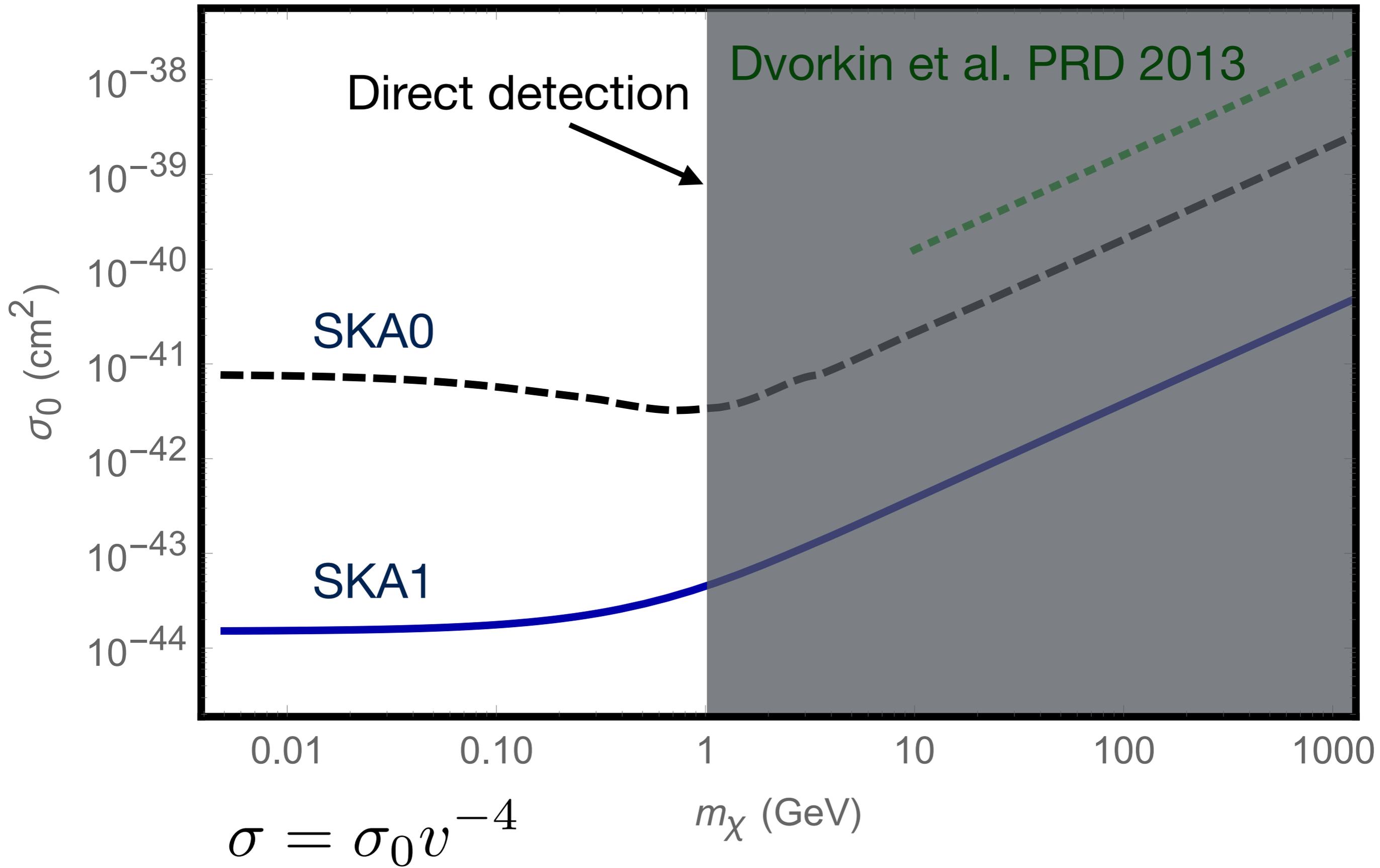
$$T_{\text{rms}}^{(21)} = \sqrt{\langle (T^{(21)})^2 \rangle - \langle T^{(21)} \rangle^2}$$

$$P_{21}^{\text{new}}(k) = \left(T_{\text{rms}}^{(21)} \right)^2 P_{V_{\text{rel}}^2}(k)$$





Forecast $z=20-30$



Is the dark matter compact?

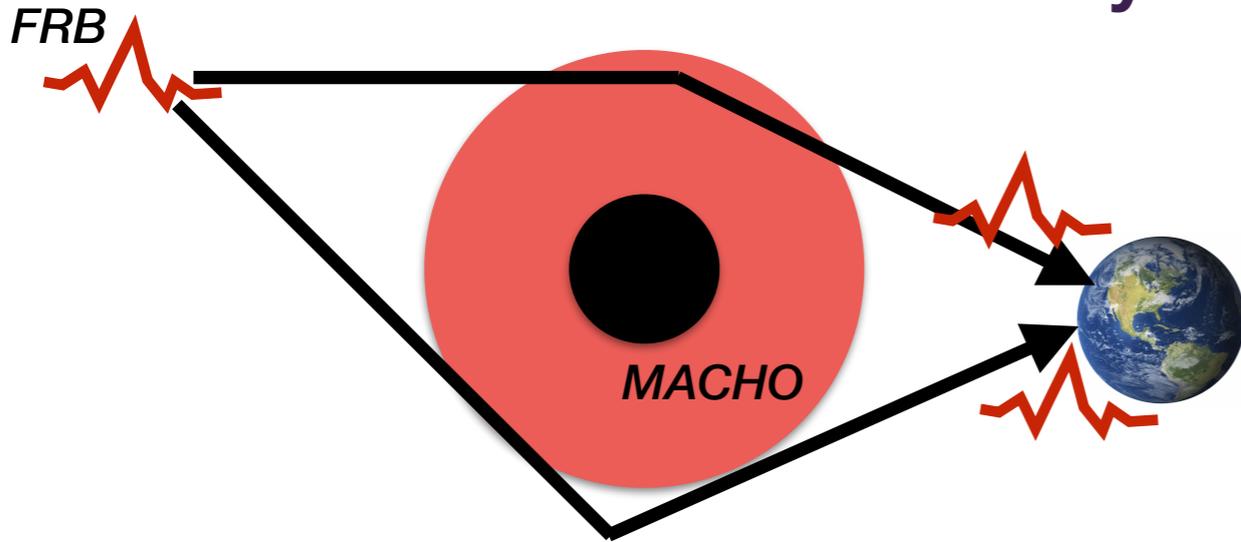
(Bird, Cholis, JBM et al., arXiv: 1603.00464)



Is the dark matter compact?

(Bird, Cholis, JBM et al., arXiv: 1603.00464)

CHIME + HIRAX ~ 5 years



→ FRB lensing

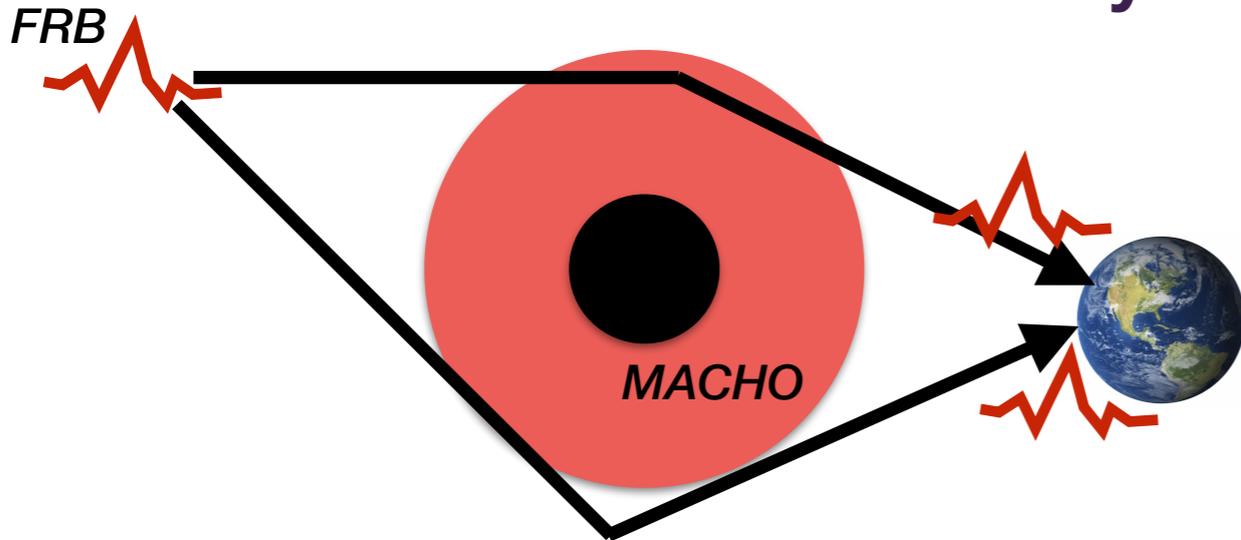
(JBM et al., arXiv: 1605.00008)



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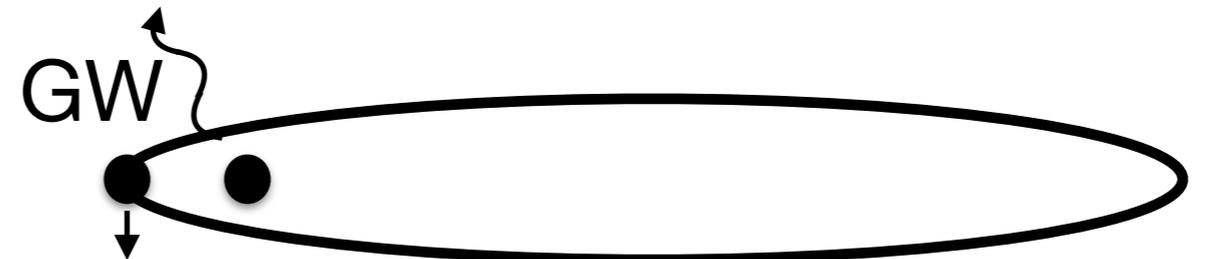
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CMB anisotropies; spectral distortions

Ricotti et al. arXiv:0709.0524

Microlensing of distant QSOs

Mediavilla et al. arXiv:0910.3645

Hawkins arXiv:1106.3875

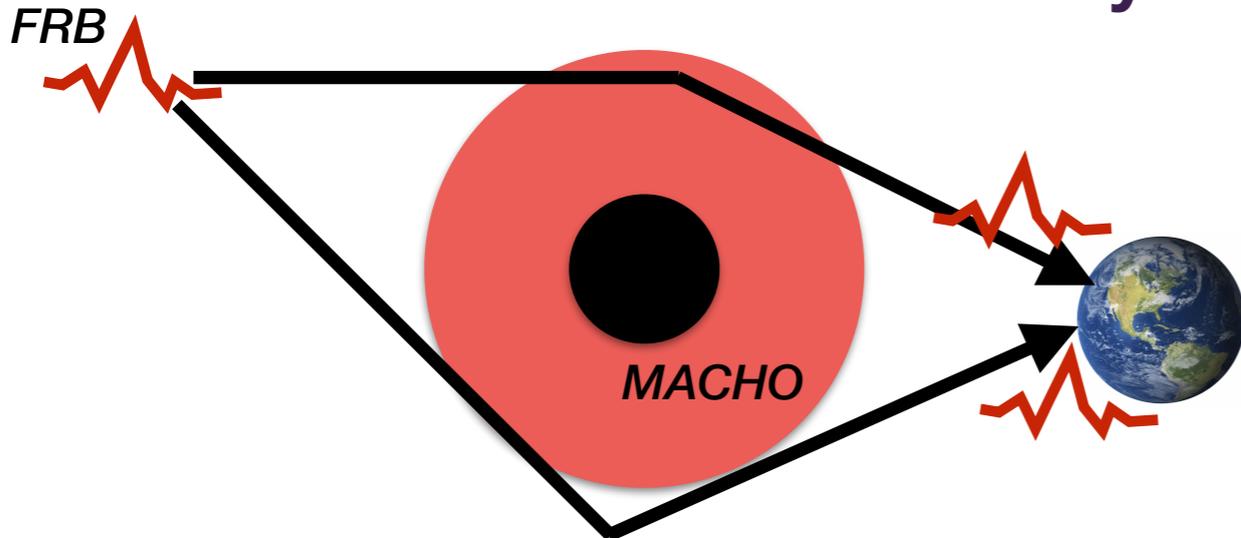
Disruption of stellar clusters

Brandt arXiv:1605.03665

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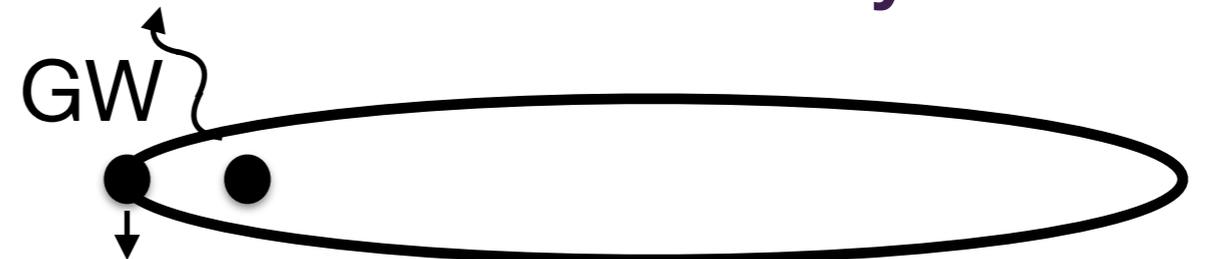
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Disruption of stellar clusters

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aLIGO + ET ~ 10 years



Spatial Clustering

(Raccanelli et al. (including JBM), arXiv: 1605.01405)

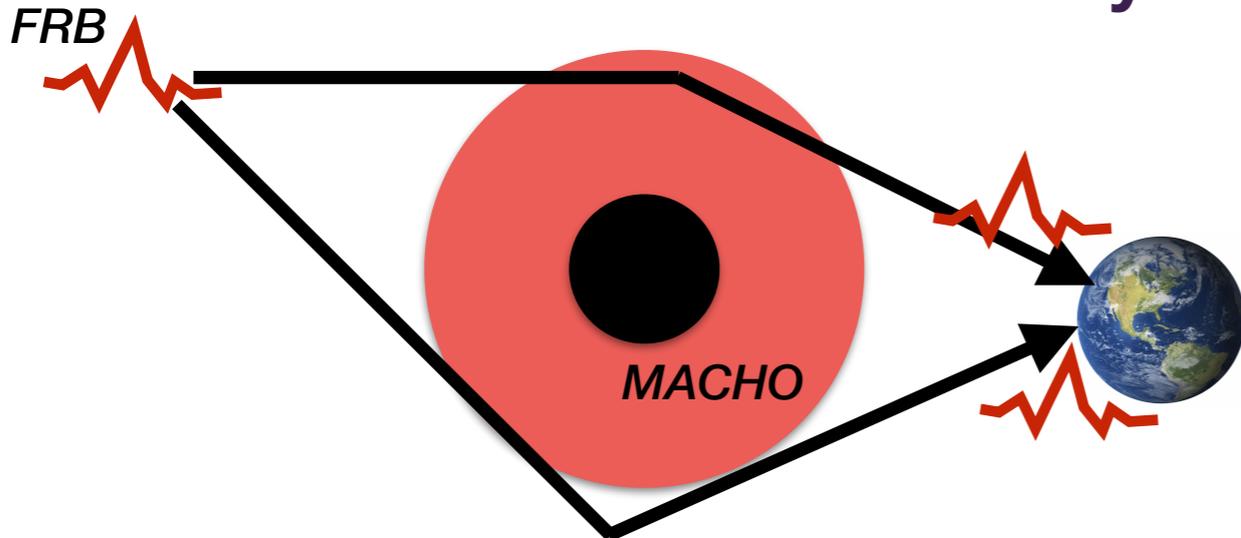
Orbital eccentricity

(Cholis et al. (including JBM), arXiv: 1606.07437)

Is the dark matter compact?

(Bird, Cholis, JBM et al., arXiv: 1603.00464)

CHIME + HIRAX ~ 5 years



→ **FRB lensing**

(JBM et al., arXiv: 1605.00008)

CMB anisotropies; spectral distortions

Ricotti et al. arXiv:0709.0524

Microlensing of distant QSOs

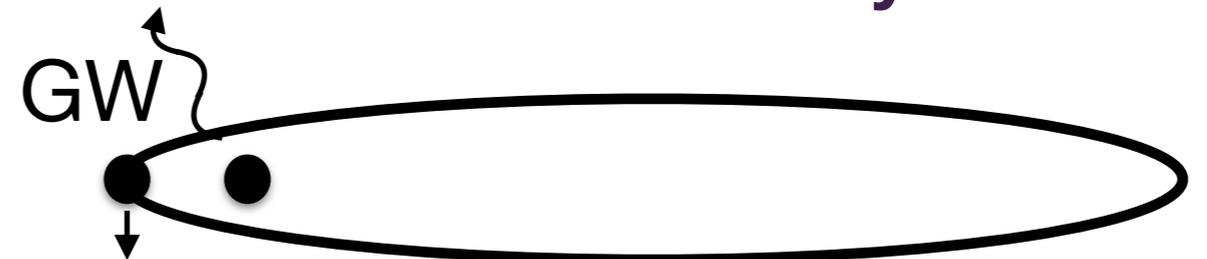
Mediavilla et al. arXiv:0910.3645

Hawkins arXiv:1106.3875

Disruption of stellar clusters

Brandt arXiv:1605.03665

aLIGO + ET ~ 10 years



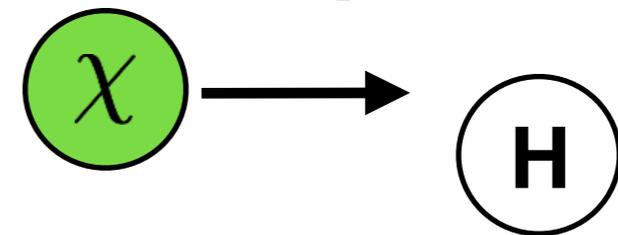
Spatial Clustering

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Or is it a particle?



HERA + SKA ~ 10 years

(JBM, Kovetz, and Ali-Haimoud, arXiv: 1509.00029)