



New Constraints on the Amplitude of Cosmic Density Fluctuations and Intracluster Gas from the Thermal SZ Signal Measured by Planck and ACT

Colin Hill

Princeton Astrophysics

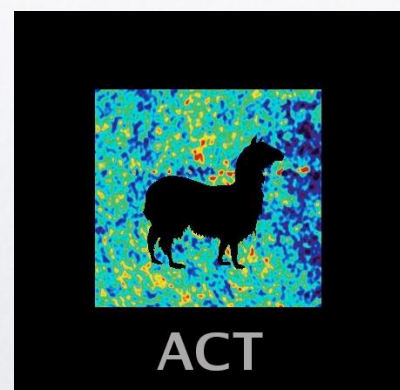
19 November 2013

1203.6633

1205.5794

1303.4726

1311.soon

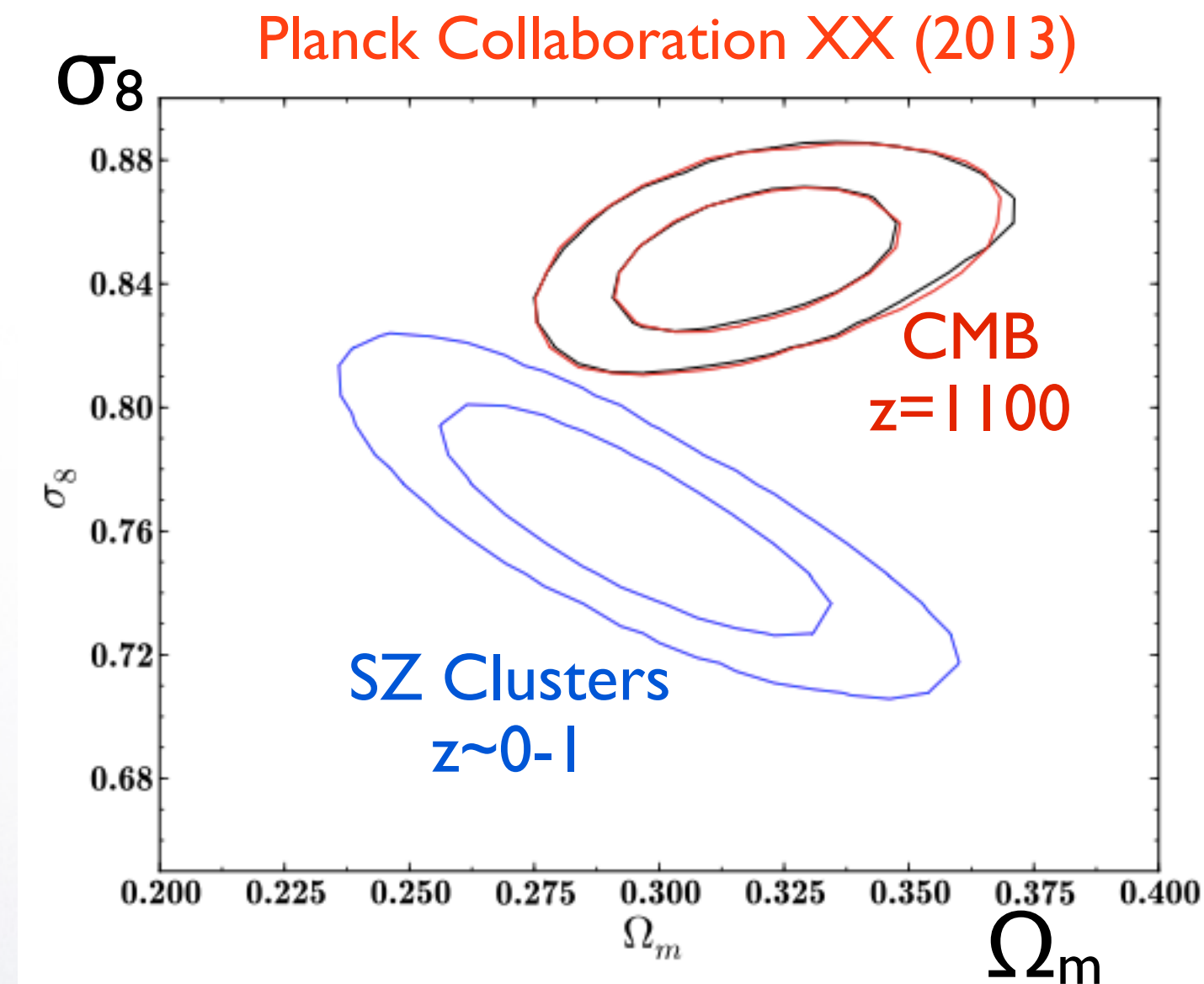


Work with:

David Spergel, Enrico Pajer, Blake Sherwin, Kendrick Smith, ACT

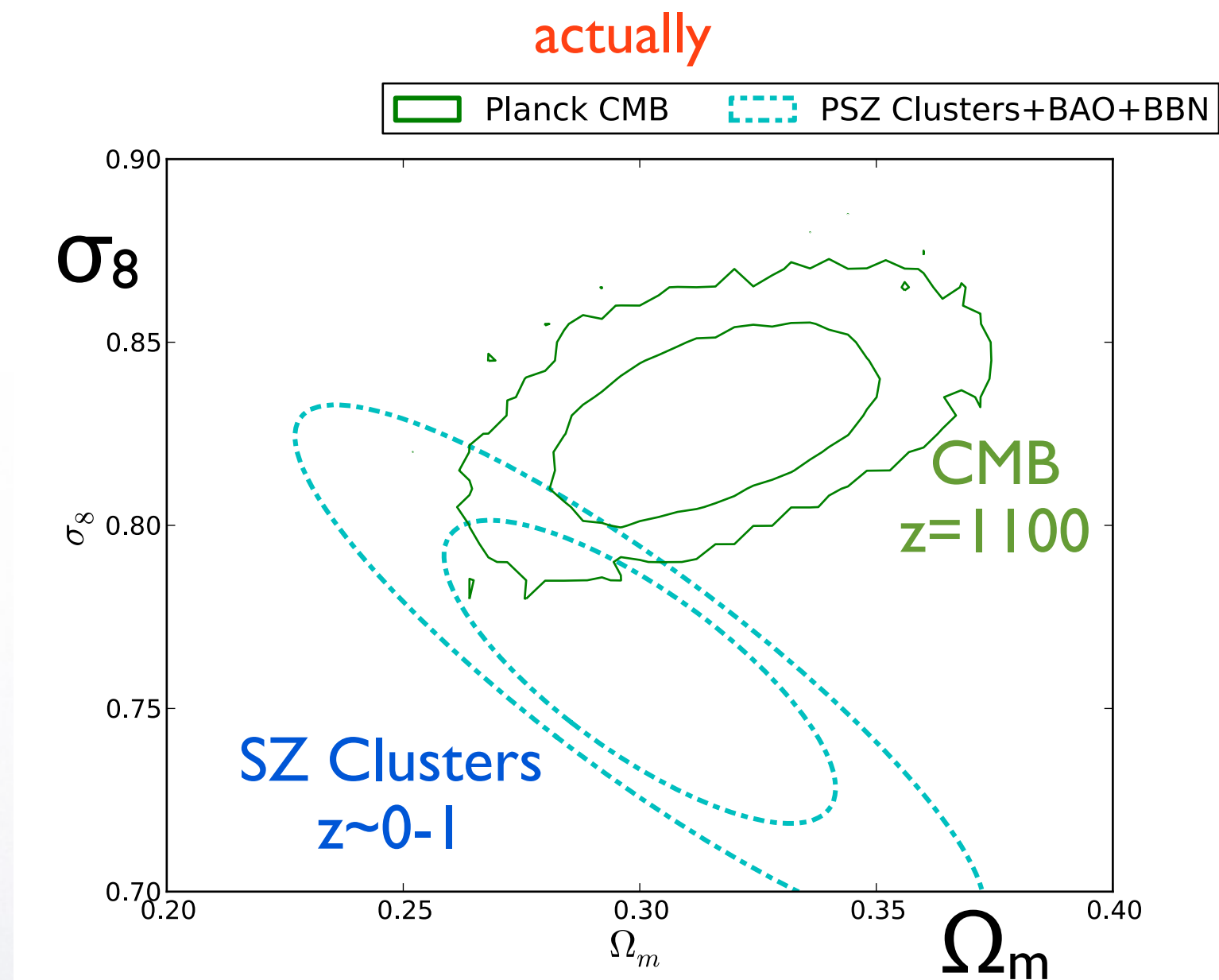


Outline



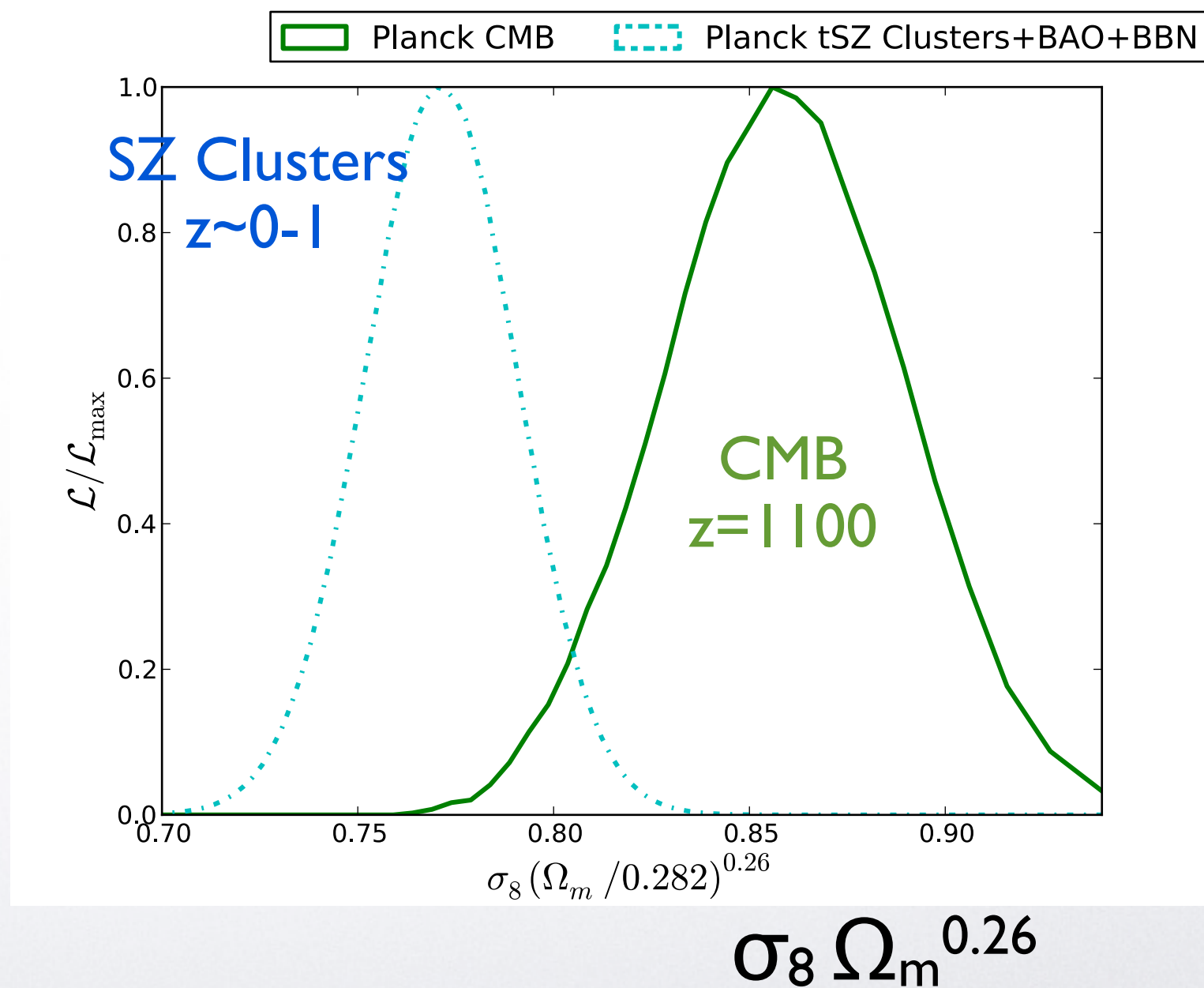


Outline





Outline

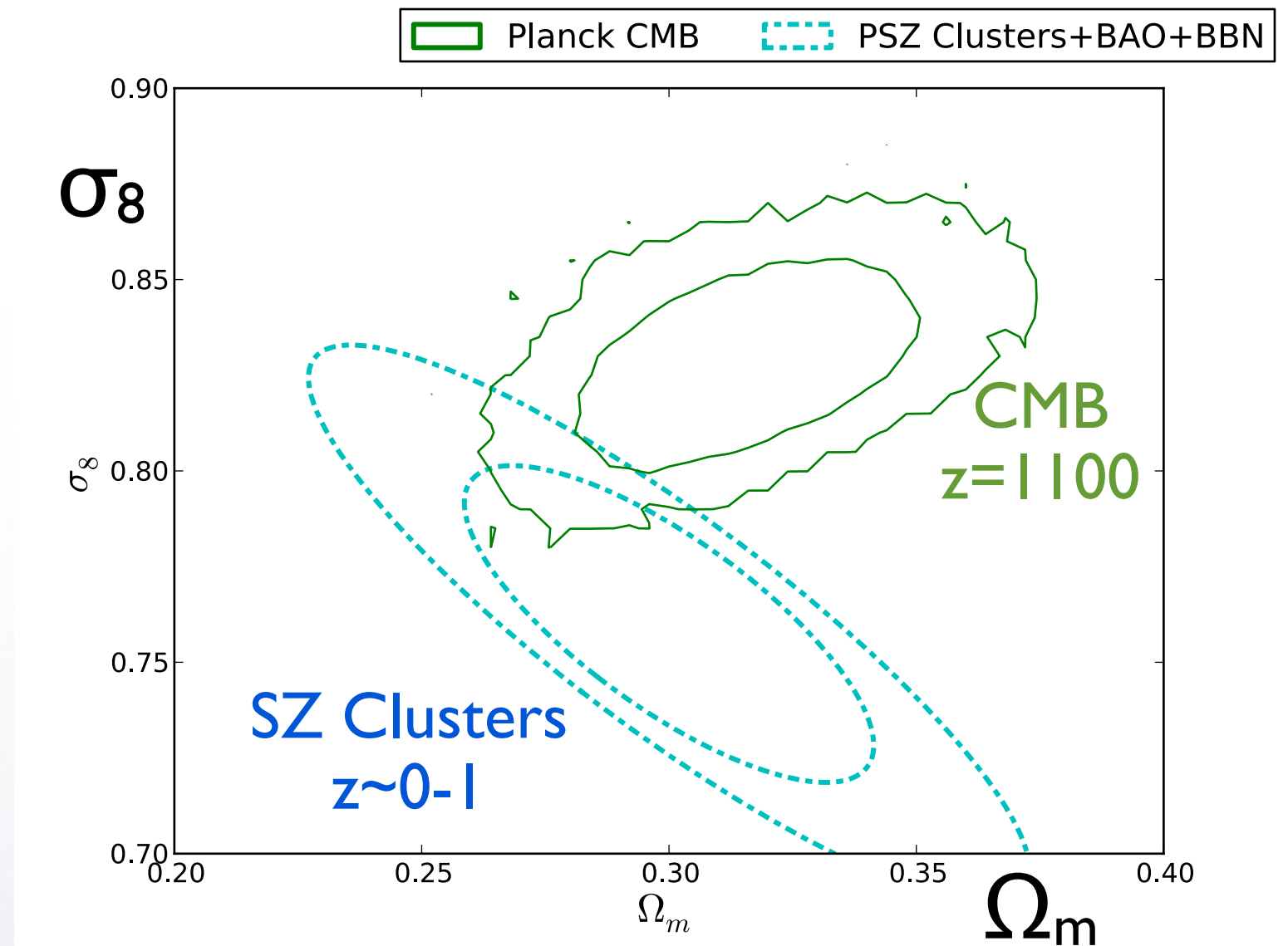




Wrong modeling of
cluster gas physics?
(or obs. systematics?)

Systematics in CMB
analysis (e.g.,
foregrounds)?

New physics (e.g.,
massive neutrinos)?
 $\Sigma m_\nu \sim 0.2\text{-}0.3$ eV





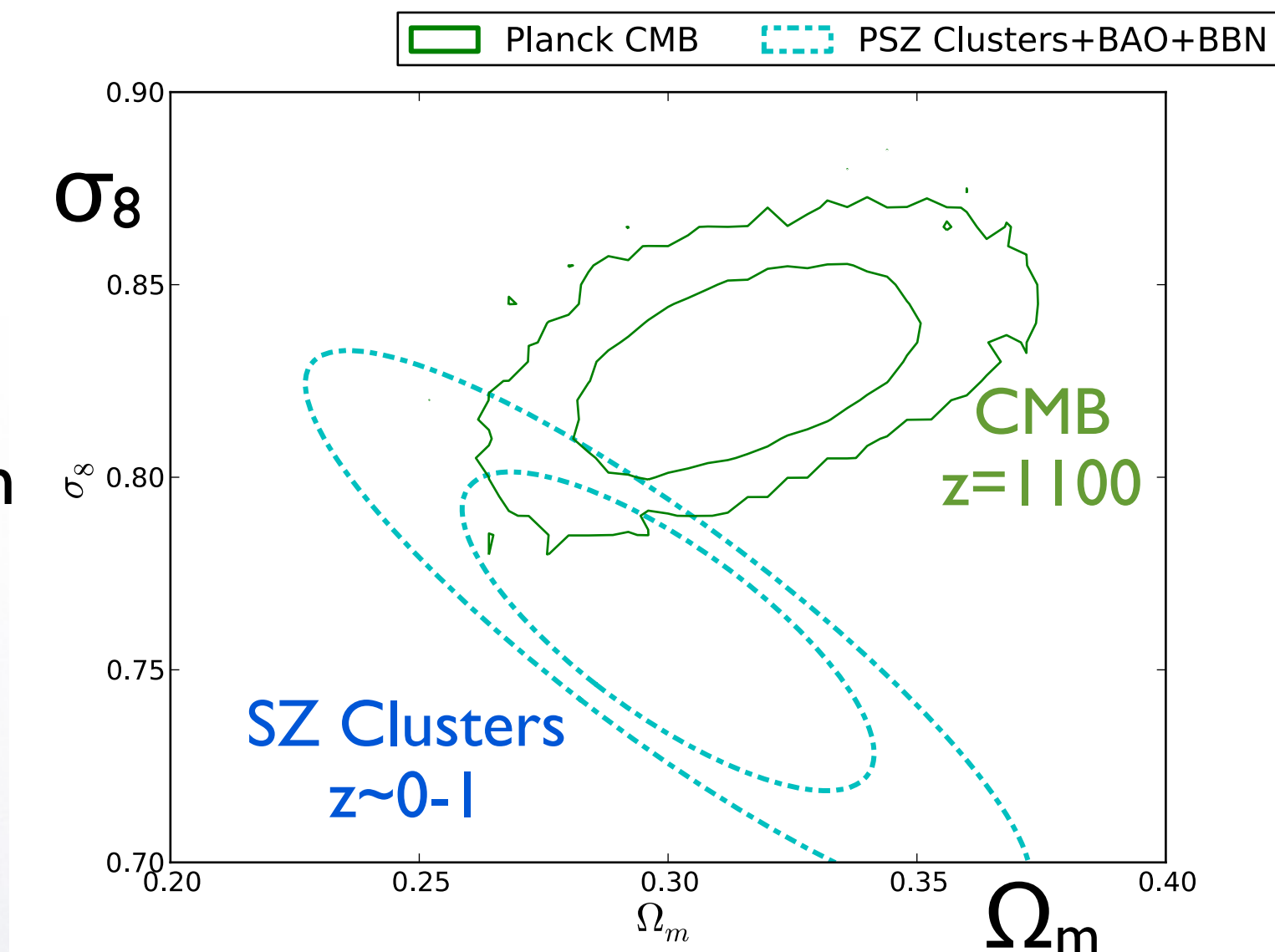
The Sunyaev-Zel'dovich (SZ) Effect

Planck:

- Thermal SZ Power Spectrum
- Thermal SZ x CMB Lensing

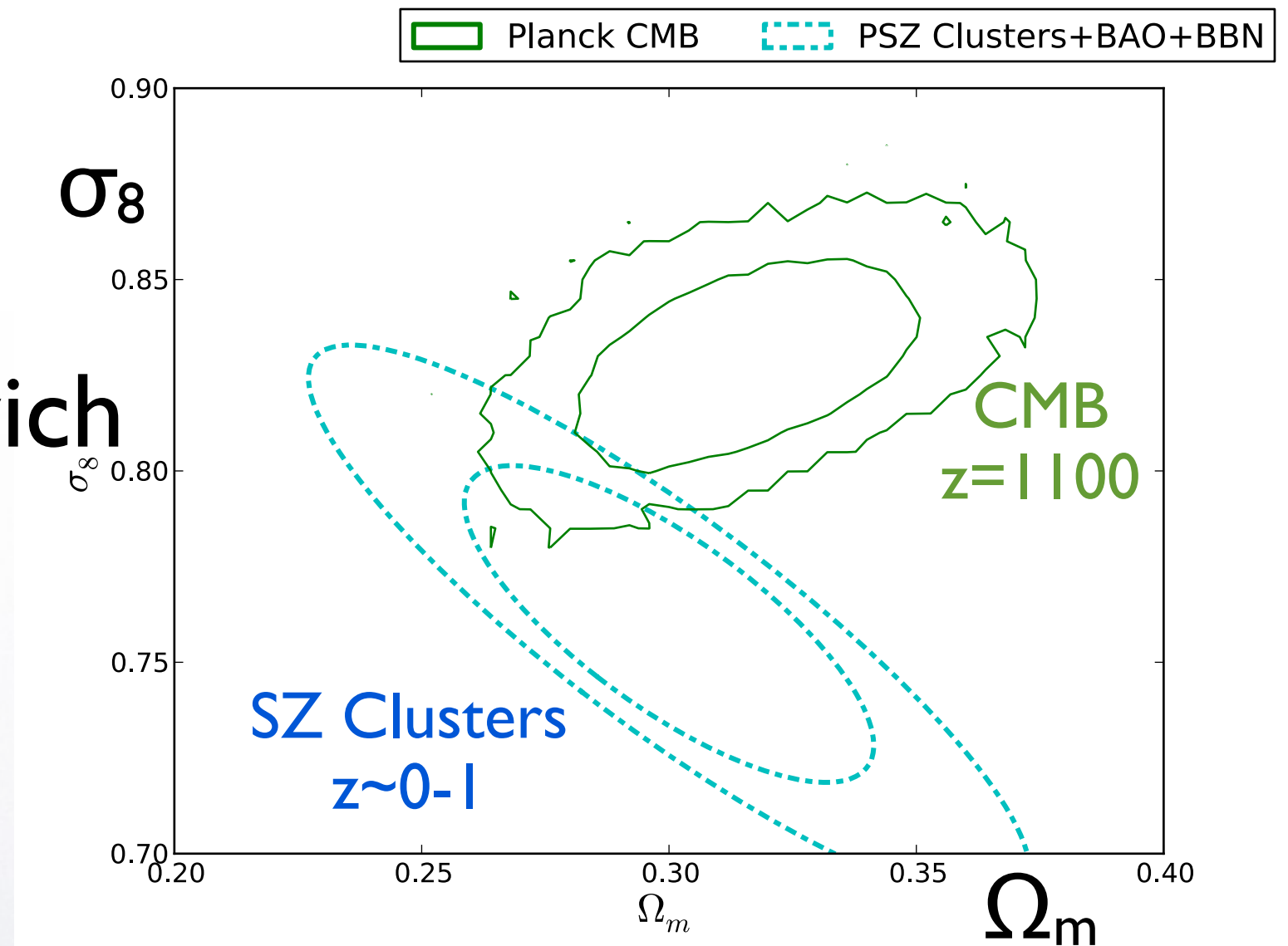
ACT:

- Thermal SZ 1-pt PDF





The Sunyaev-Zel'dovich Effect

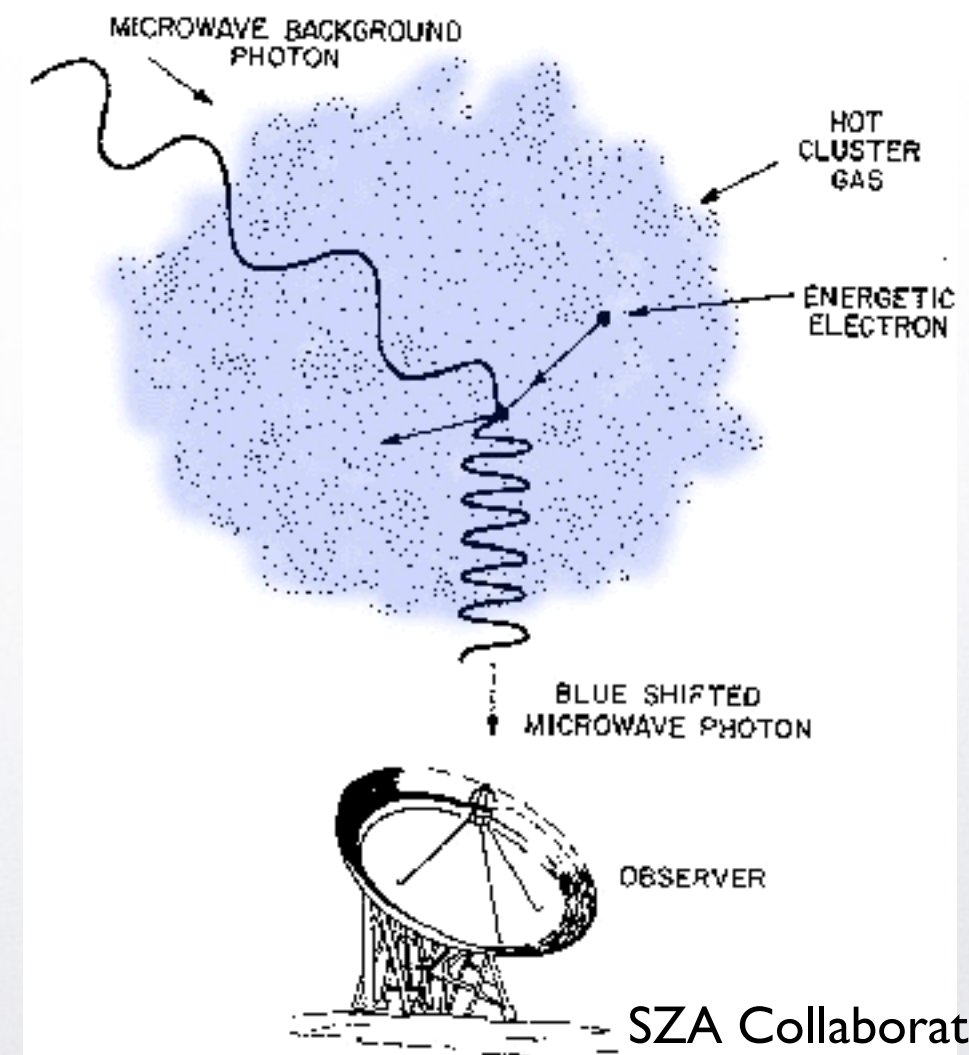




The Sunyaev-Zel'dovich Effect



- Change in brightness of CMB photons due to inverse Compton scattering off hot electrons in **intracluster medium (ICM)**
 - **Thermal (tSZ)**: caused by thermal motion of ICM electrons
 - Kinematic (kSZ): caused by bulk velocity of ICM electrons
- tSZ: $-\Delta T$ below ~ 218 GHz
 $+\Delta T$ above ~ 218 GHz

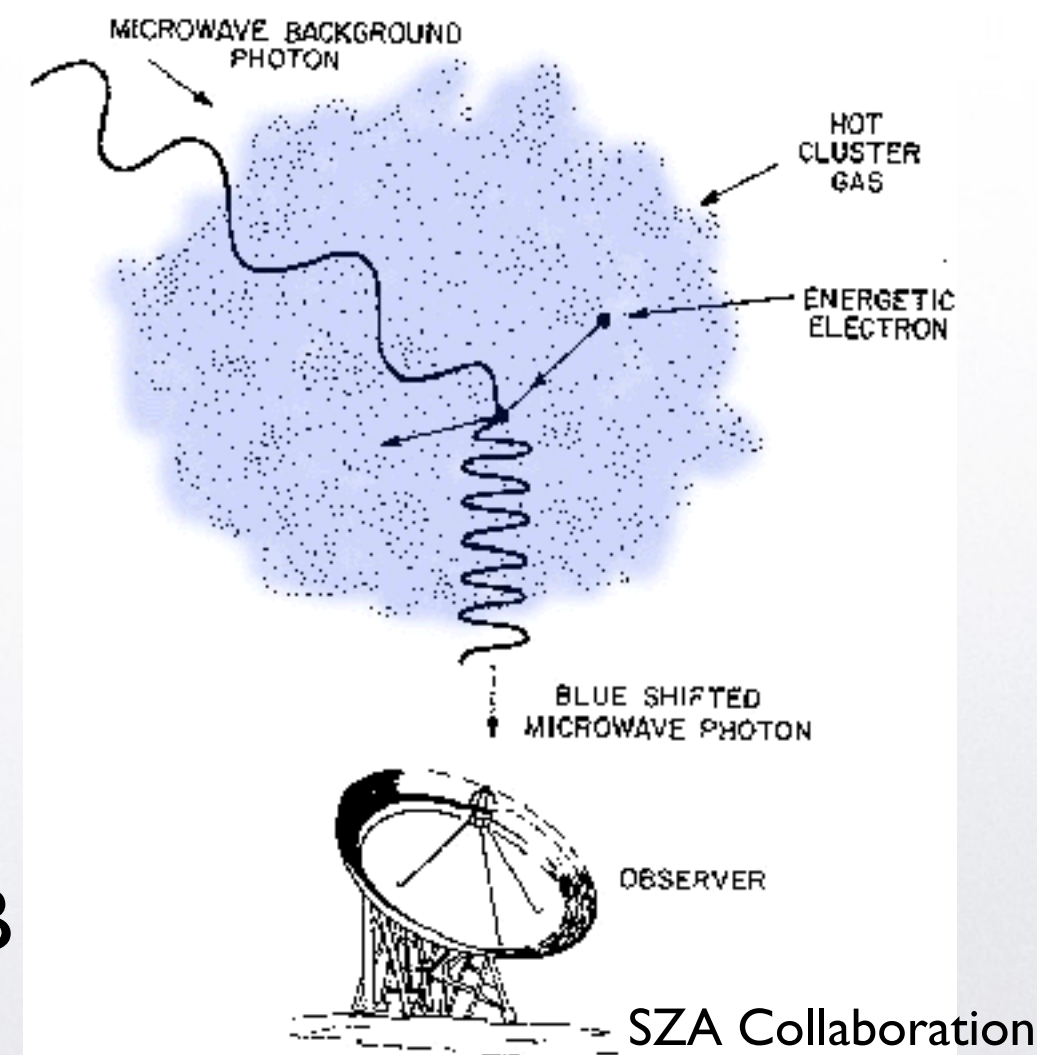




The Sunyaev-Zel'dovich Effect

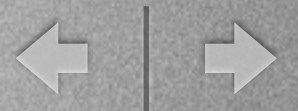


- Change in brightness of CMB photons due to inverse Compton scattering off hot electrons in **intracluster medium (ICM)**
 - **Thermal (tSZ)**: caused by thermal motion of ICM electrons
 - Kinematic (kSZ): caused by bulk velocity of ICM electrons
- tSZ: $-\Delta T$ below ~ 218 GHz
 $+\Delta T$ above ~ 218 GHz
- $\Delta T_{148 \text{ GHz}} \sim 100\text{s } \mu\text{K}$ for massive clusters
- Nearly redshift-independent
- Integrated signal probes LOS integral of temperature-weighted mass (total thermal energy)
- Found on arcminute angular scales in CMB

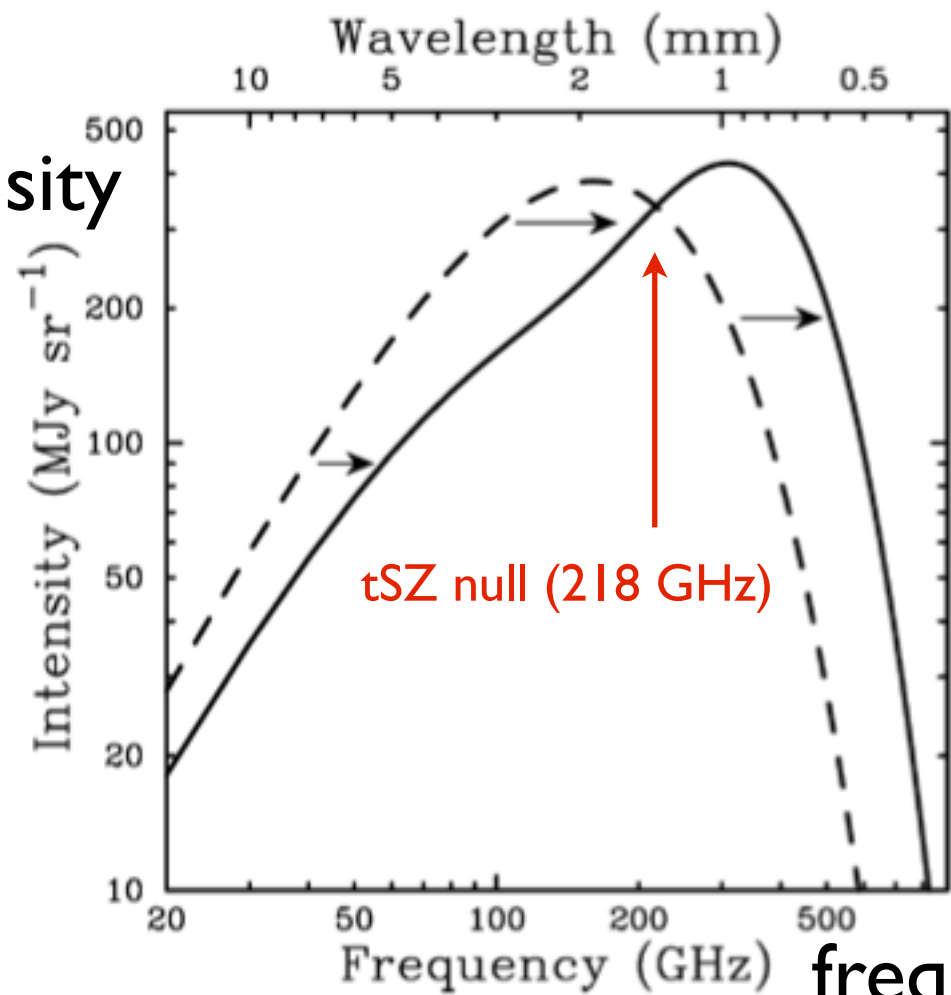




The Sunyaev-Zel'dovich Effect



intensity

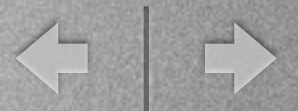


Unique Spectral Signature

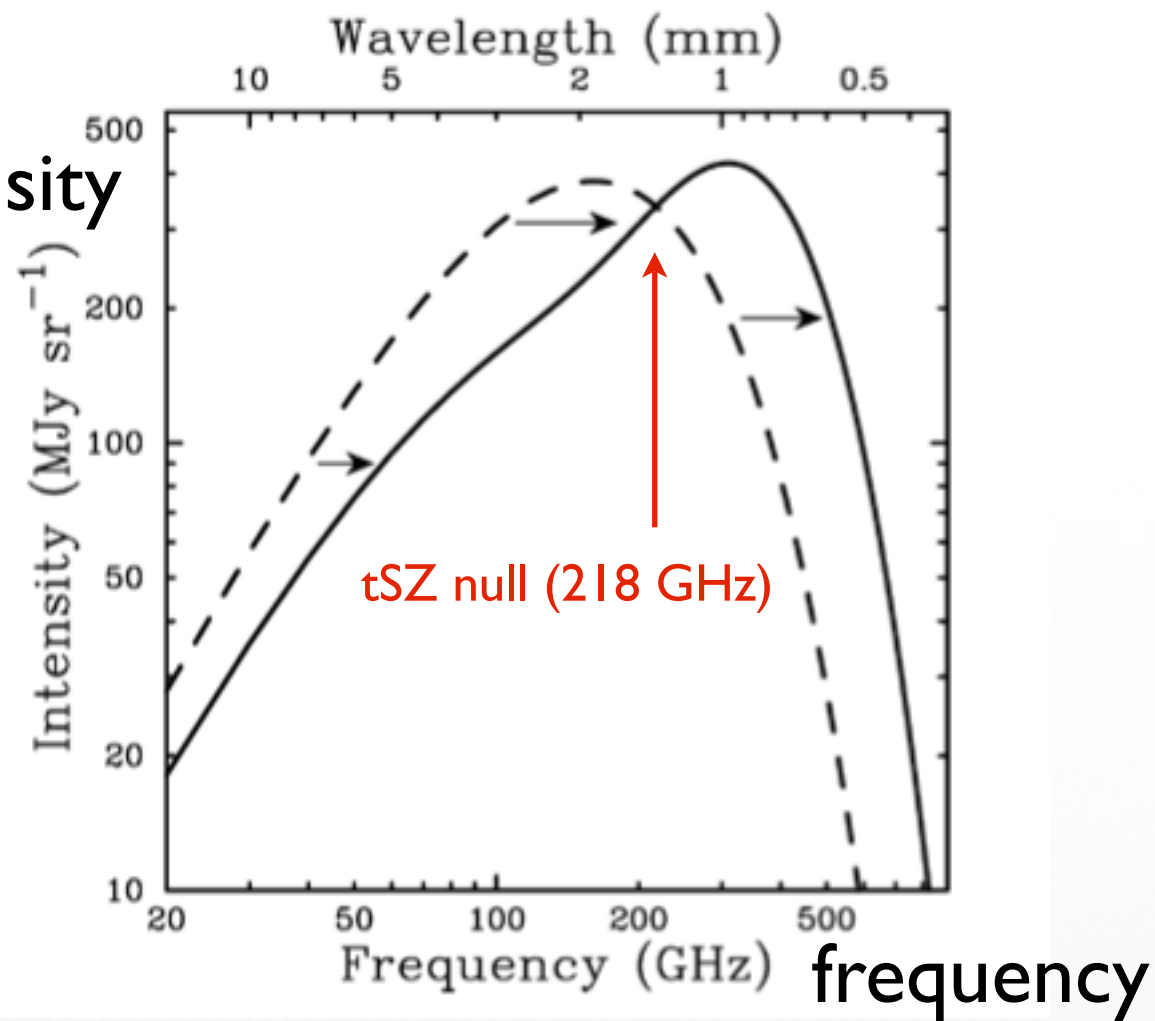
frequency



The Sunyaev-Zel'dovich Effect

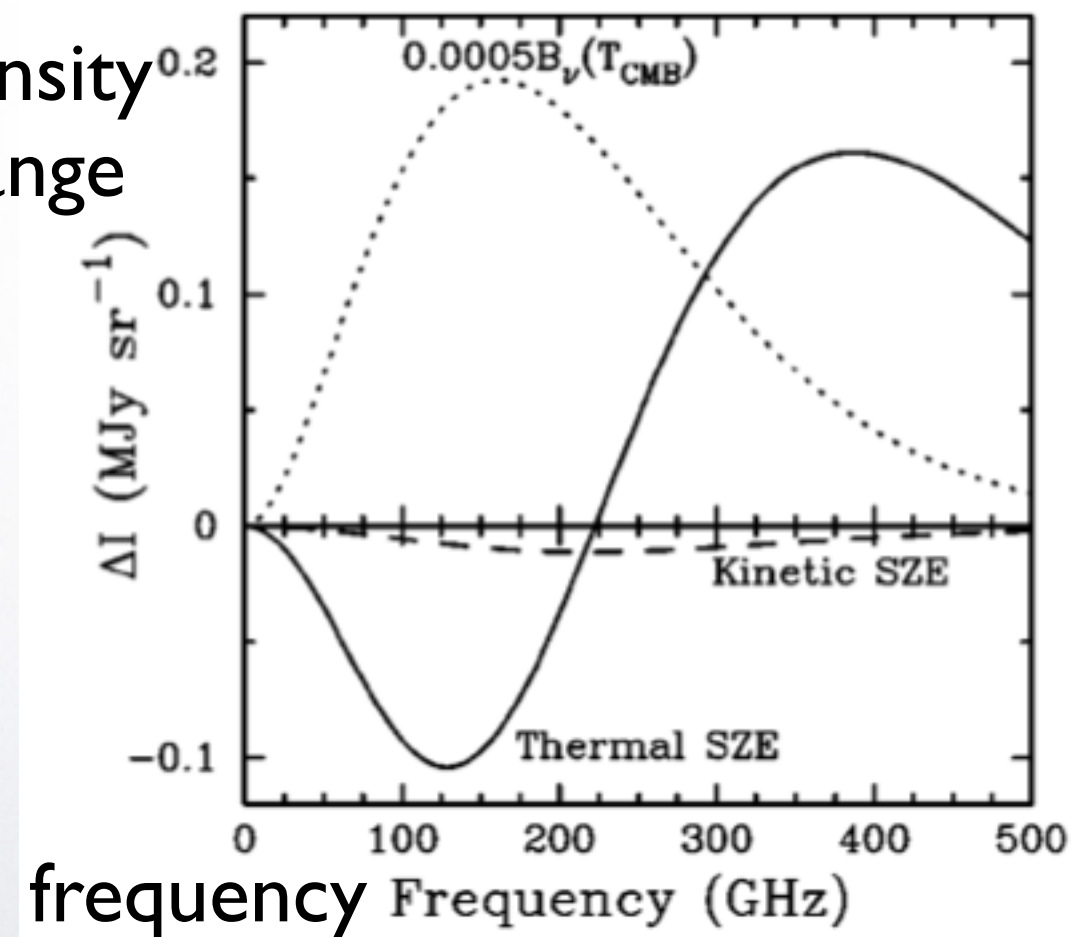


intensity



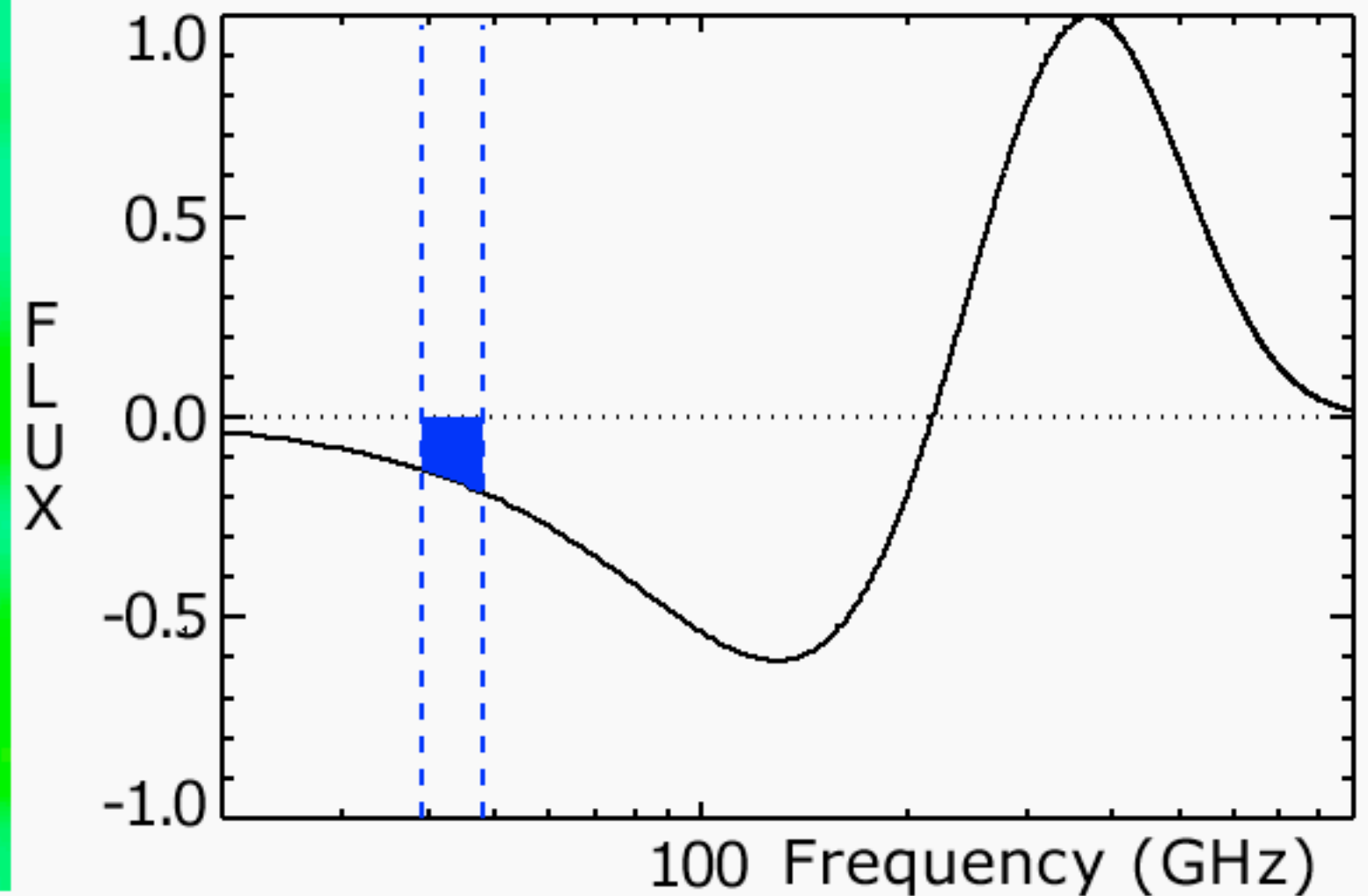
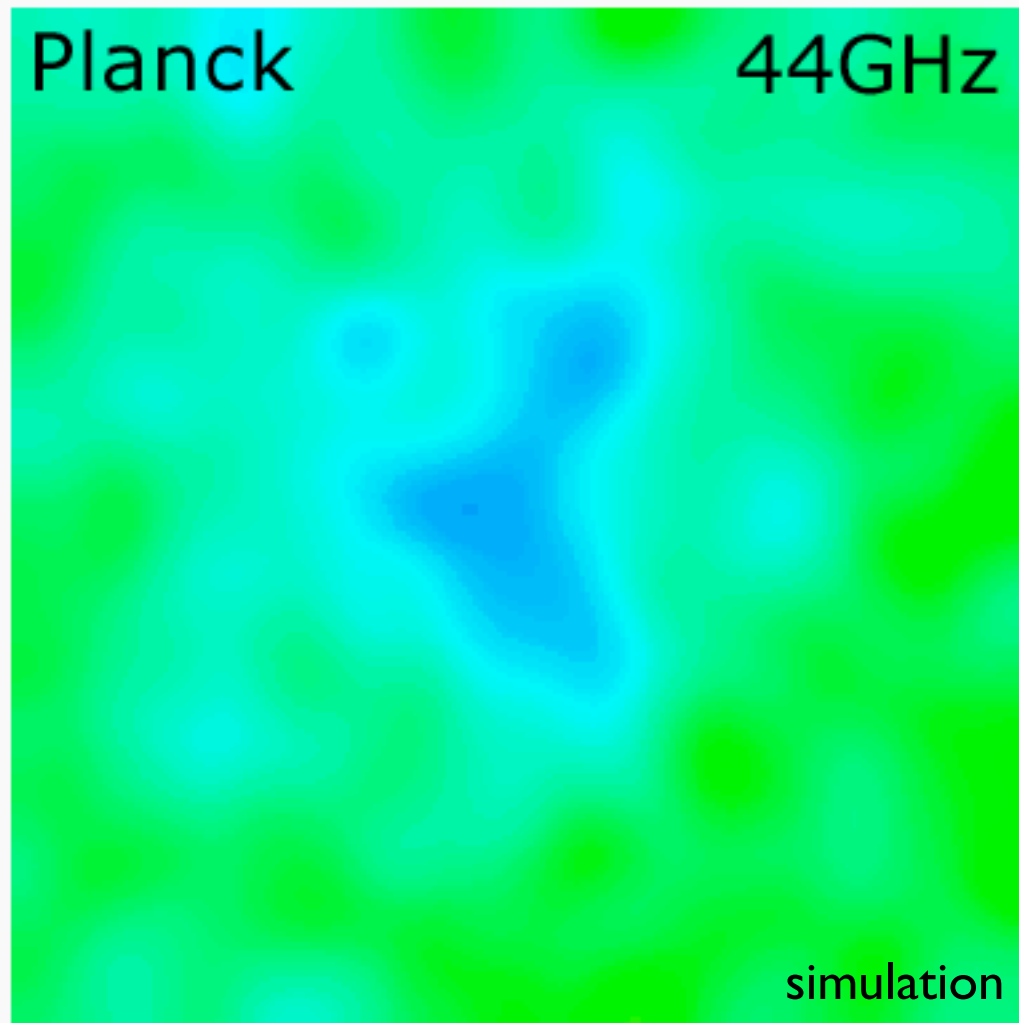
Unique Spectral Signature

intensity
change





The Sunyaev-Zel'dovich Effect



ESA/Planck Collaboration



The Sunyaev-Zel'dovich Effect



- Thermal SZ temperature shift at position $\vec{\theta}$ on the sky with respect to the center of a cluster of mass M at redshift z :

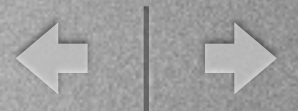
$$\frac{\Delta T(\vec{\theta}; M, z)}{T_{\text{CMB}}} = g(\nu) y(\vec{\theta}; M, z)$$

tSZ spectral function $\nearrow$

$\nwarrow$ “Compton-y”



The Sunyaev-Zel'dovich Effect



- Thermal SZ temperature shift at position $\vec{\theta}$ on the sky with respect to the center of a cluster of mass M at redshift z :

$$\begin{aligned} \frac{\Delta T(\vec{\theta}; M, z)}{T_{\text{CMB}}} &= g(\nu) y(\vec{\theta}; M, z) \\ &= g(\nu) \frac{\sigma_T}{m_e c^2} \int P_e \left(\sqrt{l^2 + d_A^2(z) |\vec{\theta}|^2}; M, z \right) dl \end{aligned}$$

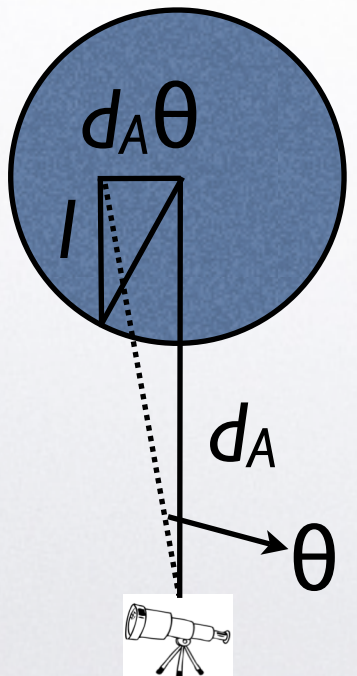
“Compton-y” (points to $y(\vec{\theta}; M, z)$)

tSZ spectral function (points to $g(\nu)$)

Thomson cross-section (points to σ_T)

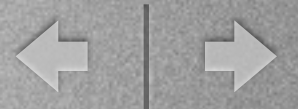
ICM electron pressure profile integrated over LOS (points to P_e)

Gastrophysics (indicated by a downward arrow from the ICM pressure profile)

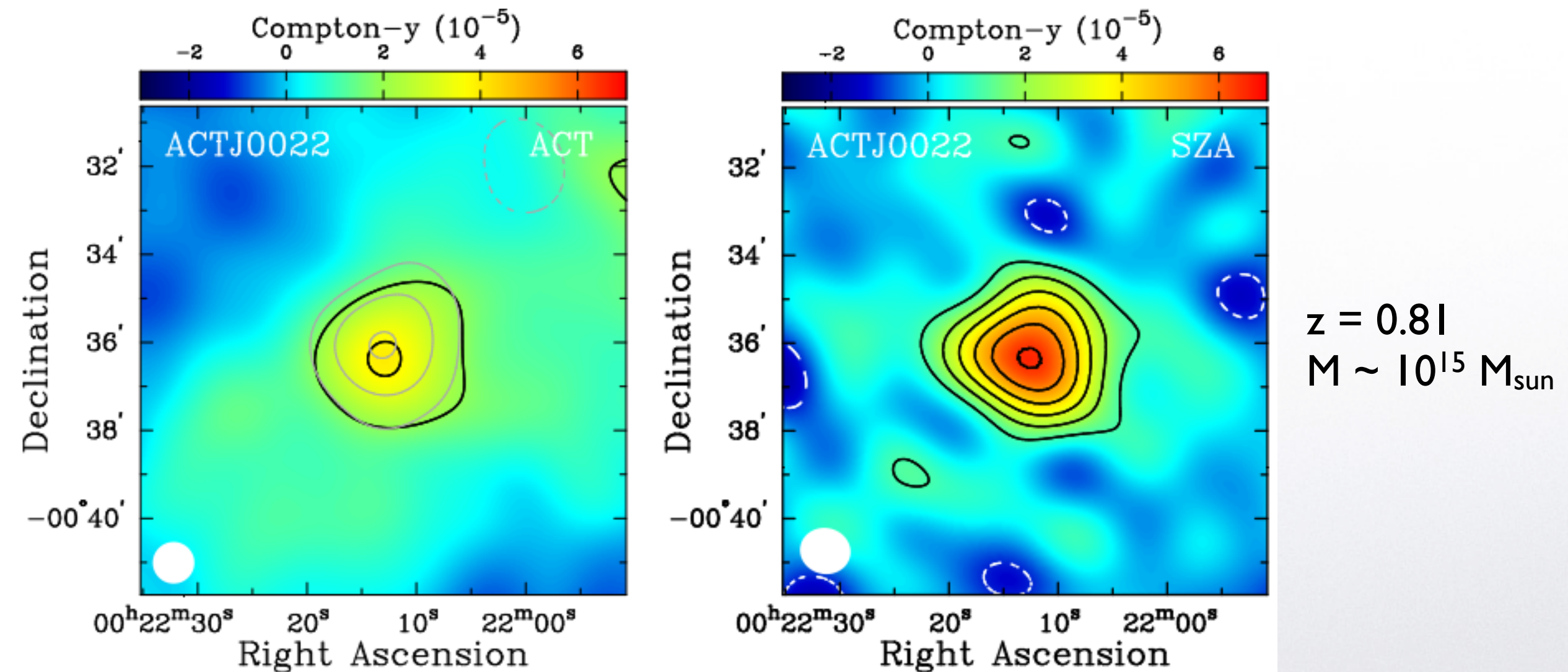




Cosmology from Compton-y

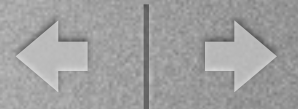


- Method 1: find and count clusters
 - Goal: masses and redshifts (requires optical/IR follow-up)
 - Cosmological analysis: directly reconstruct halo mass function
 - Difficulties: obtaining accurate masses + understanding selection function

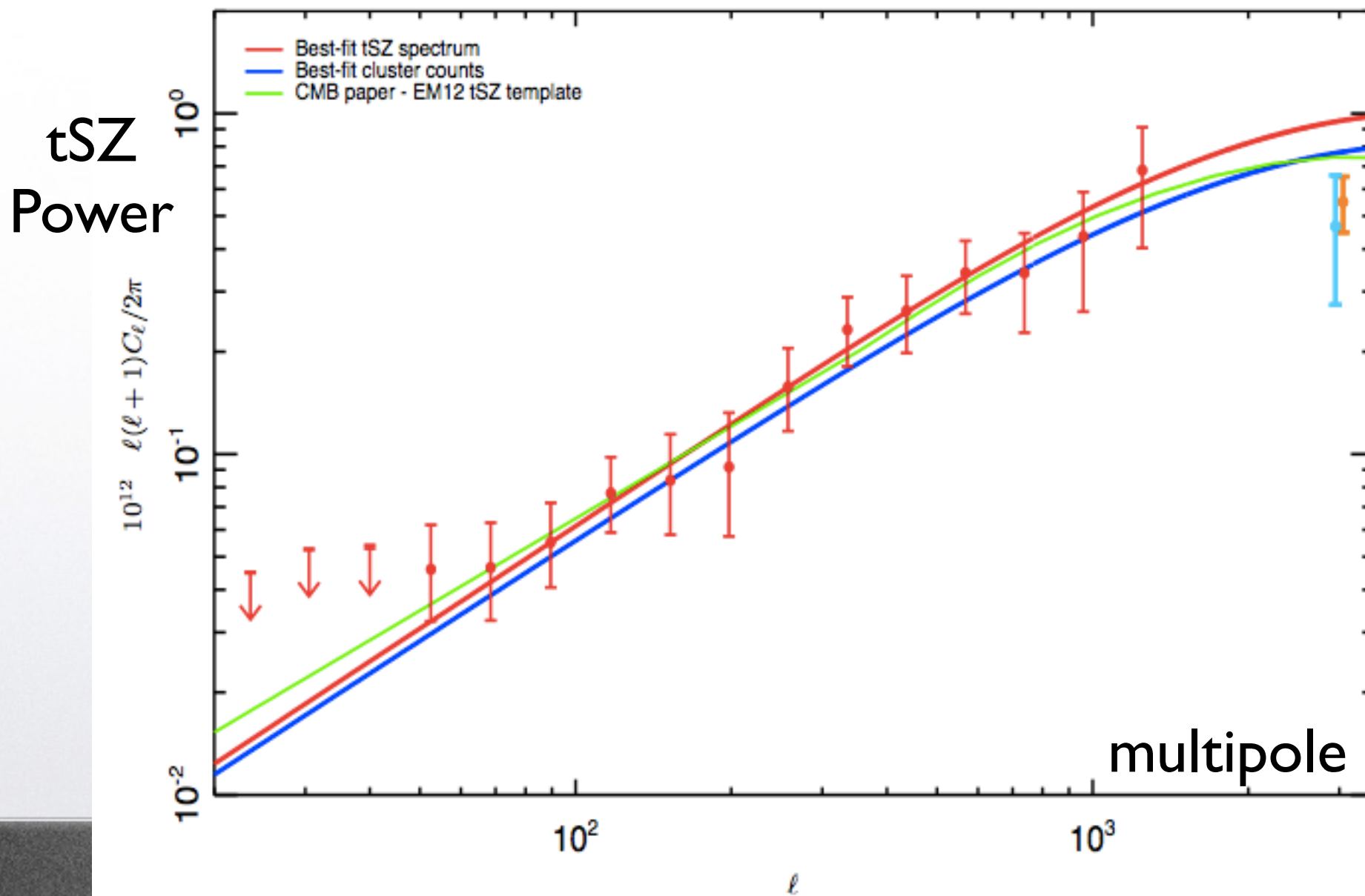




Cosmology from Compton-y



- Method II: statistical approaches (power spectrum, bispectrum, ...)
 - Goal: amplitude of temp. fluctuations due to tSZ as a function of angular scale
 - Cosmological analysis: compare to halo model calculations or full simulations
 - Difficulties: ICM electron pressure profile (theory); must separate signal from other sources of CMB power (observation)





- Why adopt a statistical approach?
 - no selection effect-related systematics (Malmquist or Eddington bias)
 - no choice of “aperture” within which mass is measured
 - no need to apply an averaged/universal pressure profile to individual objects
 - signal is **very sensitive to σ_8** : rms amplitude of fluctuations on $8 h^{-1}$ Mpc scale
 - signal is very non-gaussian*, hence many statistics to measure
 - precise individual cluster masses are expensive to obtain and subject to many systematics

$$\frac{l(l+1)C_l}{2\pi} \simeq 330 \mu\text{K}^2 \sigma_8^7 \left(\frac{\Omega_b h}{0.035} \right)^2$$

$$\langle T^3 \rangle \propto \sigma_8^{10-11.5}$$



- Why adopt a statistical approach?
 - no selection effect-related systematics (Malmquist or Eddington bias)
 - no choice of “aperture” within which mass is measured
 - no need to apply an averaged/universal pressure profile to individual objects
 - signal is **very sensitive to σ_8** : rms amplitude of fluctuations on $8 h^{-1}$ Mpc scale
 - signal is very non-gaussian*, hence many statistics to measure
 - precise individual cluster masses are expensive to obtain and subject to many systematics

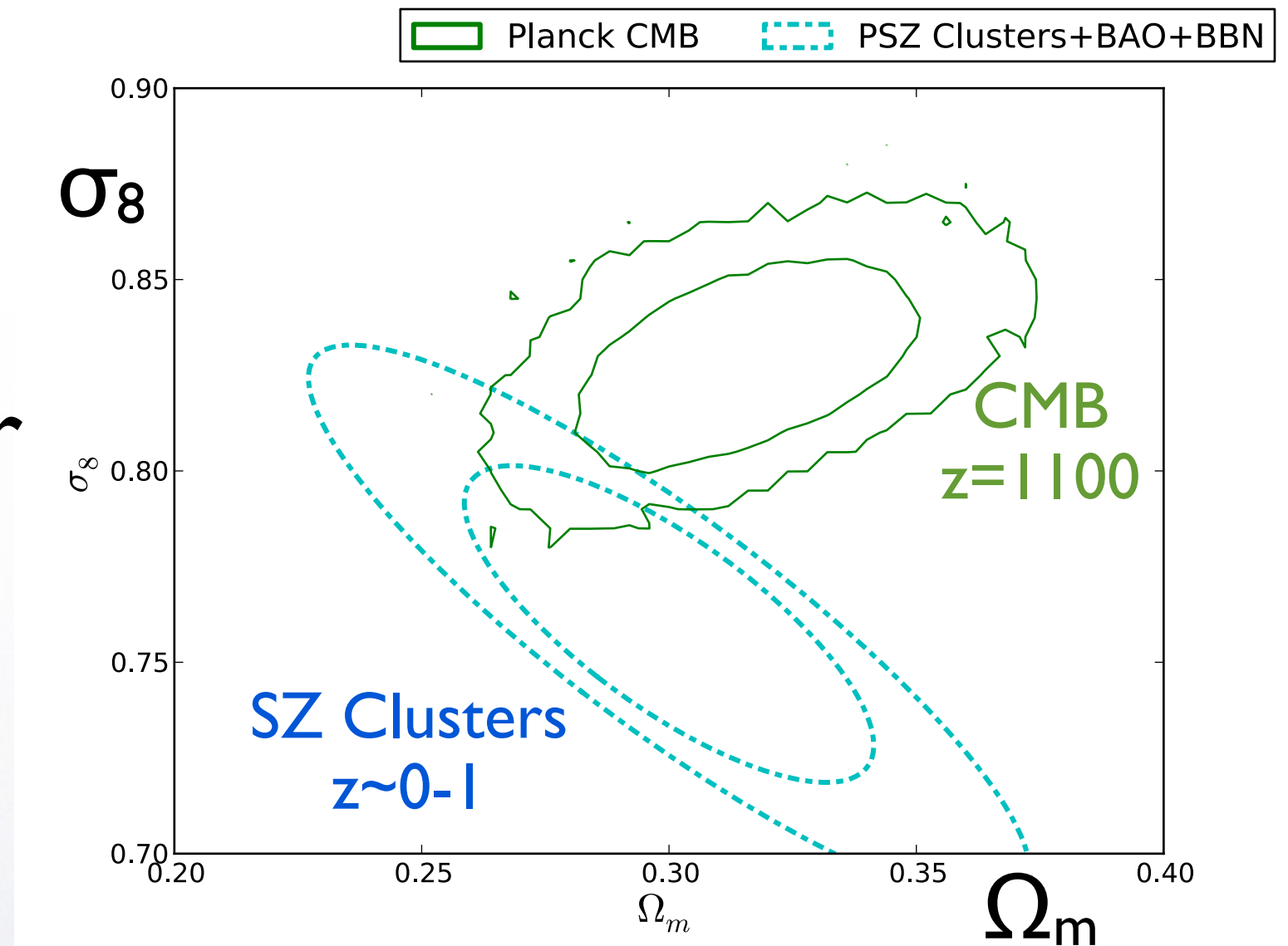
$$\frac{l(l+1)C_l}{2\pi} \simeq 330 \mu\text{K}^2 \sigma_8^7 \left(\frac{\Omega_b h}{0.035} \right)^2$$

$$\langle T^3 \rangle \propto \sigma_8^{10-11.5}$$

- Difficulties:
 - need pressure profile model for wide range of masses/redshifts
 - must separate tSZ signal from other microwave sky components
- Why y?
 - Cosmology: σ_8 (and M_V), Ω_m , w
 - ICM gas physics



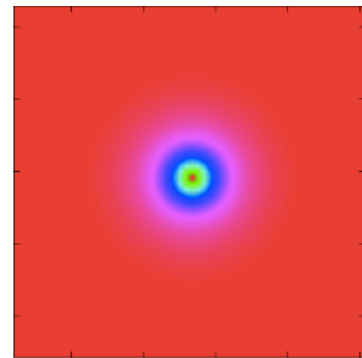
Planck: Thermal SZ Power Spectrum





- First: compute the Fourier transform of the y -profile of each cluster

Gastrophysics



$$y(\vec{\theta}; M, z) \xrightarrow{\text{F.T.}} \tilde{y}_\ell(M, z)$$

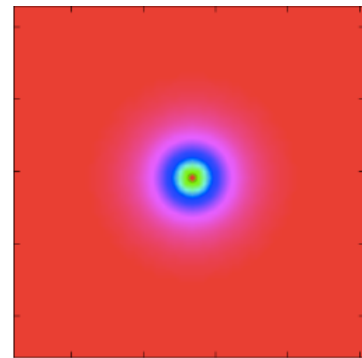


Thermal SZ Power Spectrum



- First: compute the Fourier transform of the y -profile of each cluster

Gastrophysics



$$y(\vec{\theta}; M, z) \xrightarrow{\text{F.T.}} \tilde{y}_\ell(M, z)$$

- Then: add up the contributions from all clusters in the universe



$$C_\ell^{y,1h} = \int dz \frac{d^2V}{dz d\Omega} \int dM \frac{dn}{dM} |\tilde{y}_\ell(M, z)|^2$$

(“one-halo”
term)

comoving
volume per
steradian

halo mass function

Cosmology

(“two-halo” term
also included in
results)



- ICM to lowest order: hydrostatic equilibrium between gas pressure and DM potential; gas traces DM; polytropic EOS (Komatsu-Seljak)

$$\frac{dP_{gas}(r)}{dr} = -\rho_{gas}(r) \frac{d\Phi_{DM}(r)}{dr}$$

- Problems: central cooling catastrophe, non-convergent profile at edge



- ICM to lowest order: hydrostatic equilibrium between gas pressure and DM potential; gas traces DM; polytropic EOS (Komatsu-Seljak)

$$\frac{dP_{gas}(r)}{dr} = -\rho_{gas}(r) \frac{d\Phi_{DM}(r)}{dr}$$

- Problems: central cooling catastrophe, non-convergent profile at edge
- Additional physics needed:
 - Formation shock heating
 - Star formation, supernova feedback, cosmic rays
 - Active galactic nucleus (AGN) **feedback: can heat gas or expel it from cluster**
 - Turbulent (**non-thermal**) pressure support: **suppresses tSZ signal**
 - Magnetic fields, plasma instabilities



- Model adopted in this work/talk: parametrized “GNFW” fit from Battaglia et al. simulations (GADGET SPH + sub-grid AGN feedback)

self-similar pressure at r_{200} $\rightarrow$

$$\frac{P_{th}(x)}{P_{200,c}} = \frac{P_0 (x/x_c)^\gamma}{[1 + (x/x_c)^\alpha]^\beta}, \quad x \equiv r/r_{200,c}$$

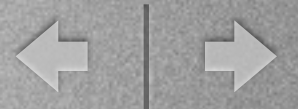
$\alpha = 1.0$
 $\gamma = -0.3$
 $\beta \sim 4-5$

$\downarrow$
(radius within which avg density is $200\rho_c$)

- P_0, x_c, β are fit to power-laws in M and $(1+z)$ -- capture deviations from self-similar profile (energy injection, nonthermal pressure support, etc.)



ICM Gastrophysics



- Model adopted in this work/talk: parametrized “GNFW” fit from Battaglia et al. simulations (GADGET SPH + sub-grid AGN feedback)

$$\frac{P_{th}(x)}{P_{200,c}} = \frac{P_0 (x/x_c)^\gamma}{[1 + (x/x_c)^\alpha]^\beta}, \quad x \equiv r/r_{200,c}$$

$$\alpha = 1.0$$

$$\gamma = -0.3$$

$$\beta \sim 4-5$$

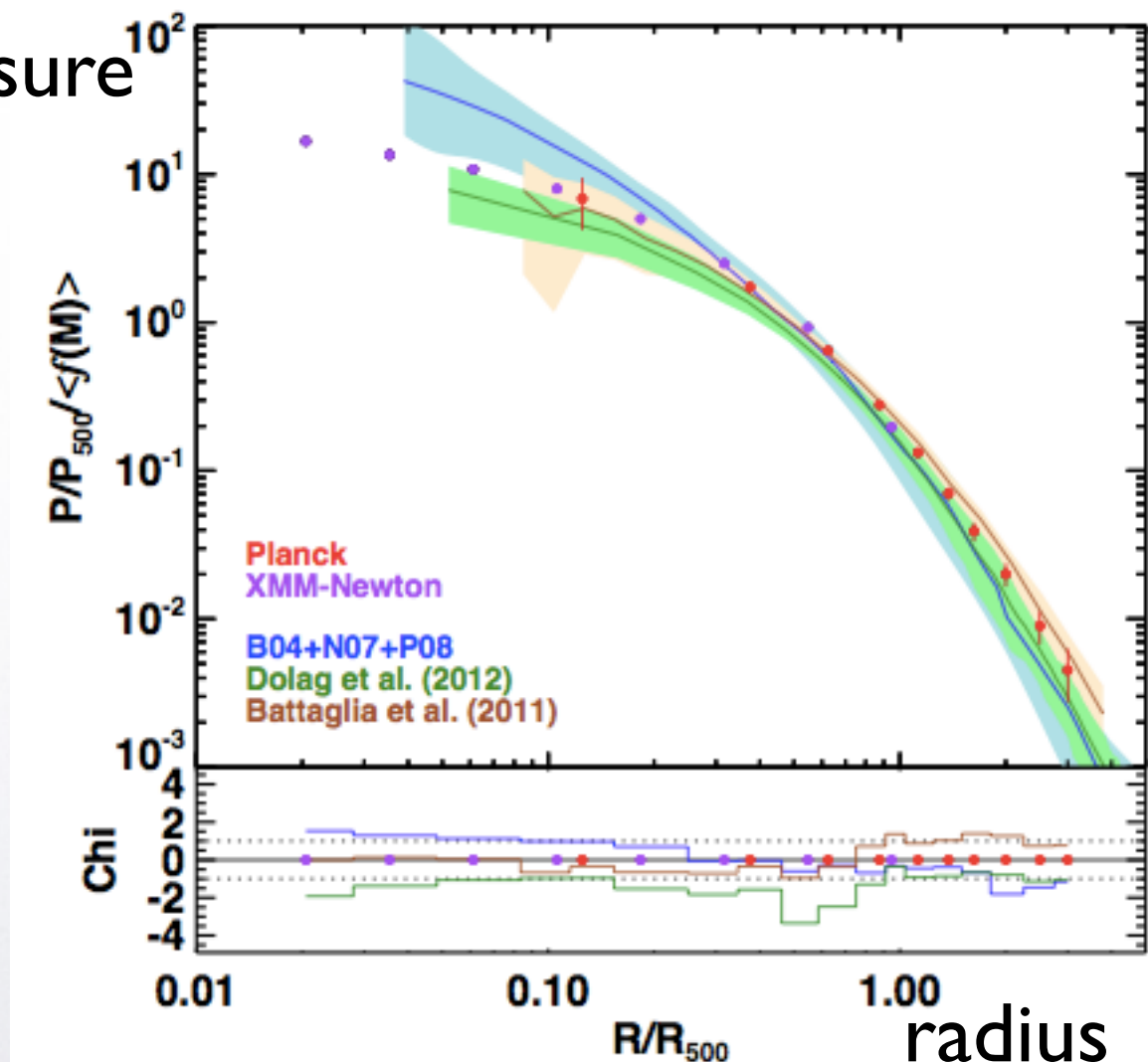
self-similar pressure

at r_{200}

(radius within which avg density is $200\rho_c$)

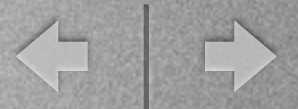
pressure

- P_0, x_c, β are fit to power-laws in M and $(1+z)$ -- capture deviations from self-similar profile (energy injection, nonthermal pressure support, etc.)
- Agrees well with all existing pressure profile observations (no tuning required) -- REXCESS (Arnaud), Planck stacked profile, Planck Coma



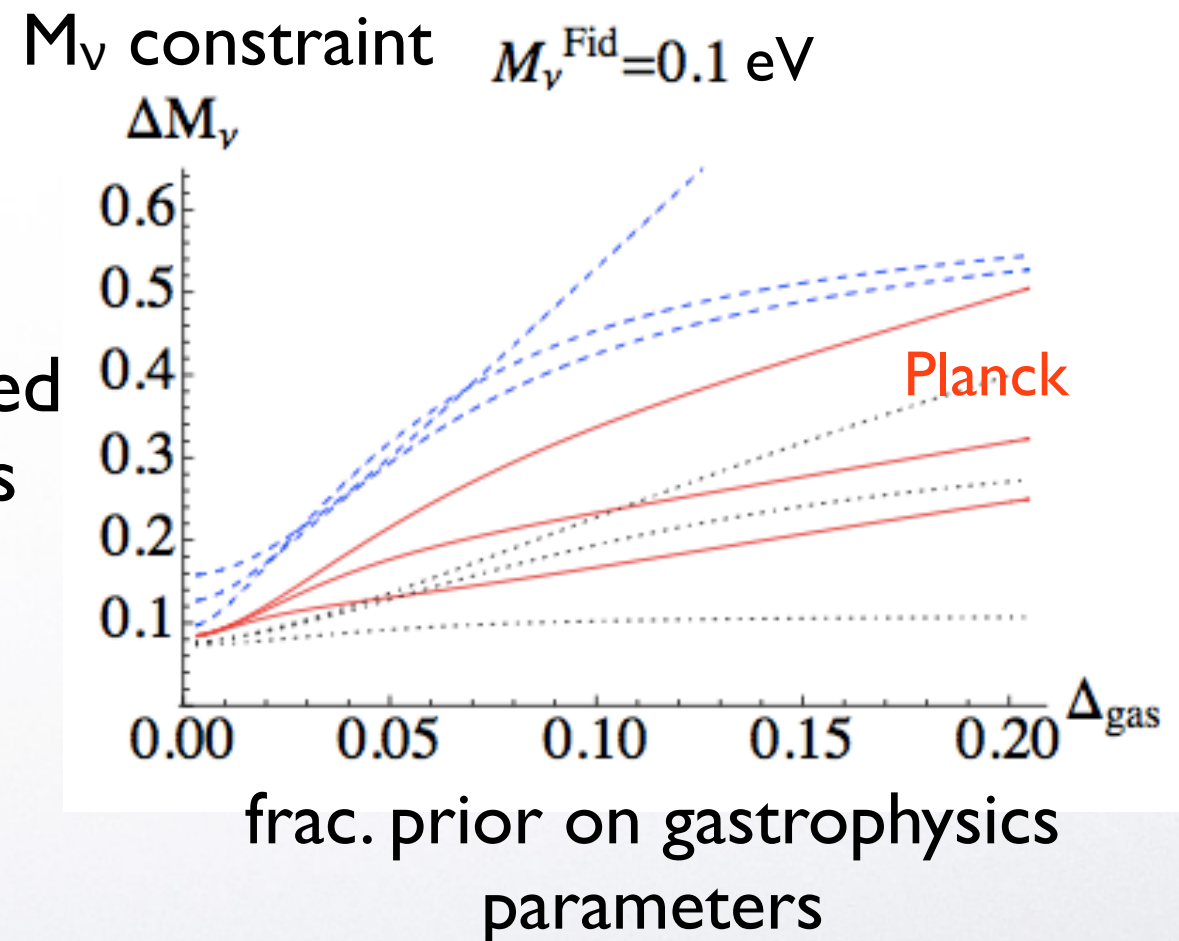


Thermal SZ Power Spectrum



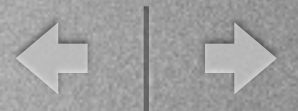
- Punchline: need to constrain gasrophysics and cosmology simultaneously

- Planck:
 - Forecast: signal over $50 < \ell < 1200$
 - SNR ~ 30 if foregrounds can be controlled
 - Only cosmological parameters that tSZ is useful for: σ_8 , Ω_m , (+ M_v , w , DE params)
 - Also: $\sim 10\%$ constraint on outer logarithmic slope of pressure profile

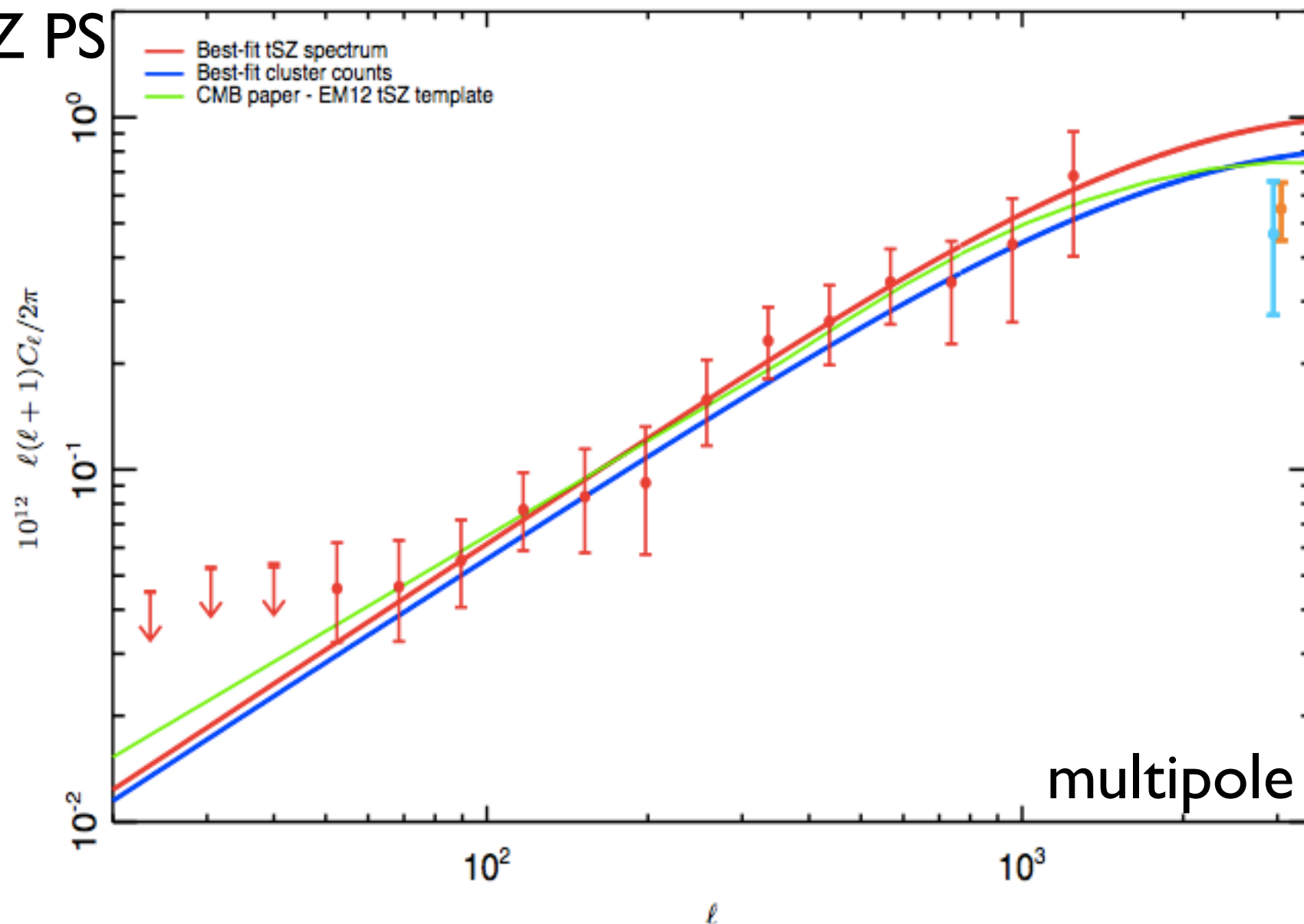




Thermal SZ Power Spectrum



tSZ PS



gastrophysics model is
fixed (Arnaud); no
variations considered

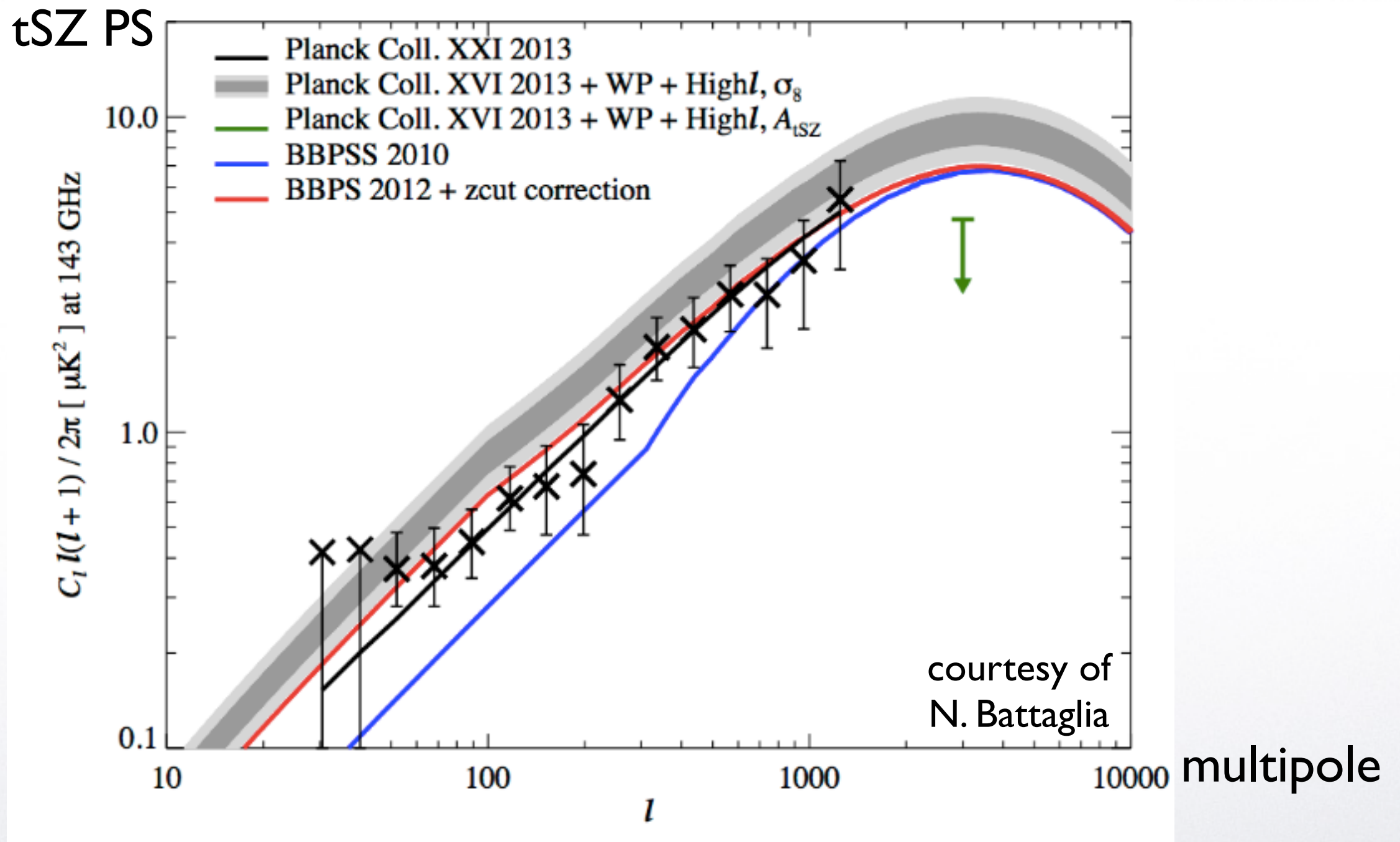
$$\sigma_8 (\Omega_m/0.28)^{3.2/8.1} = 0.784 \pm 0.016$$

12.3 σ detection

foreground uncertainties dominate the errors

Planck+WP CMB:
0.868 $\pm$ 0.013

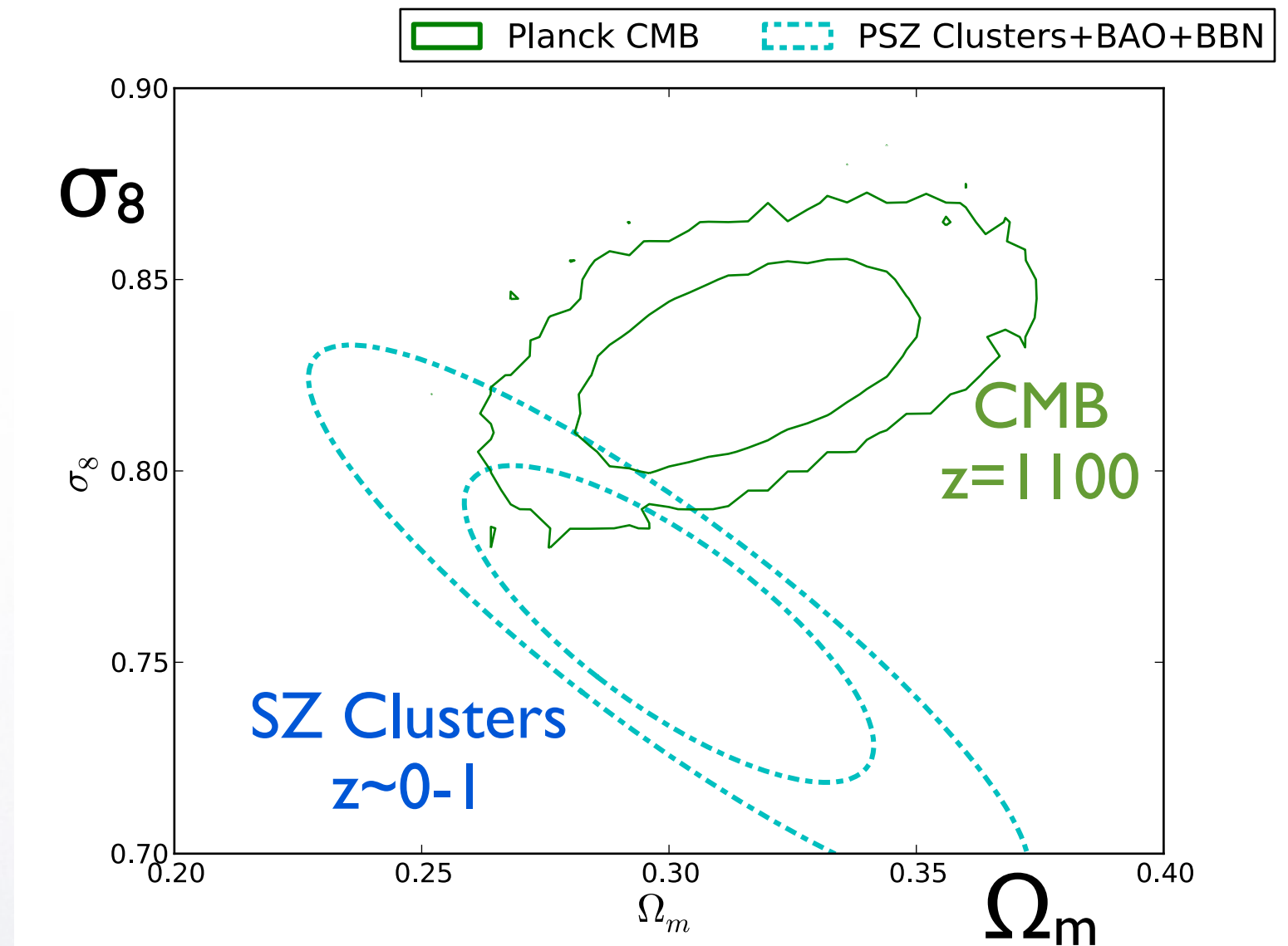
Thermal SZ Power Spectrum



What is the origin of the discrepancy between the measured tSZ signal and predictions based on primordial CMB constraints?



Planck: Thermal SZ X CMB Lensing

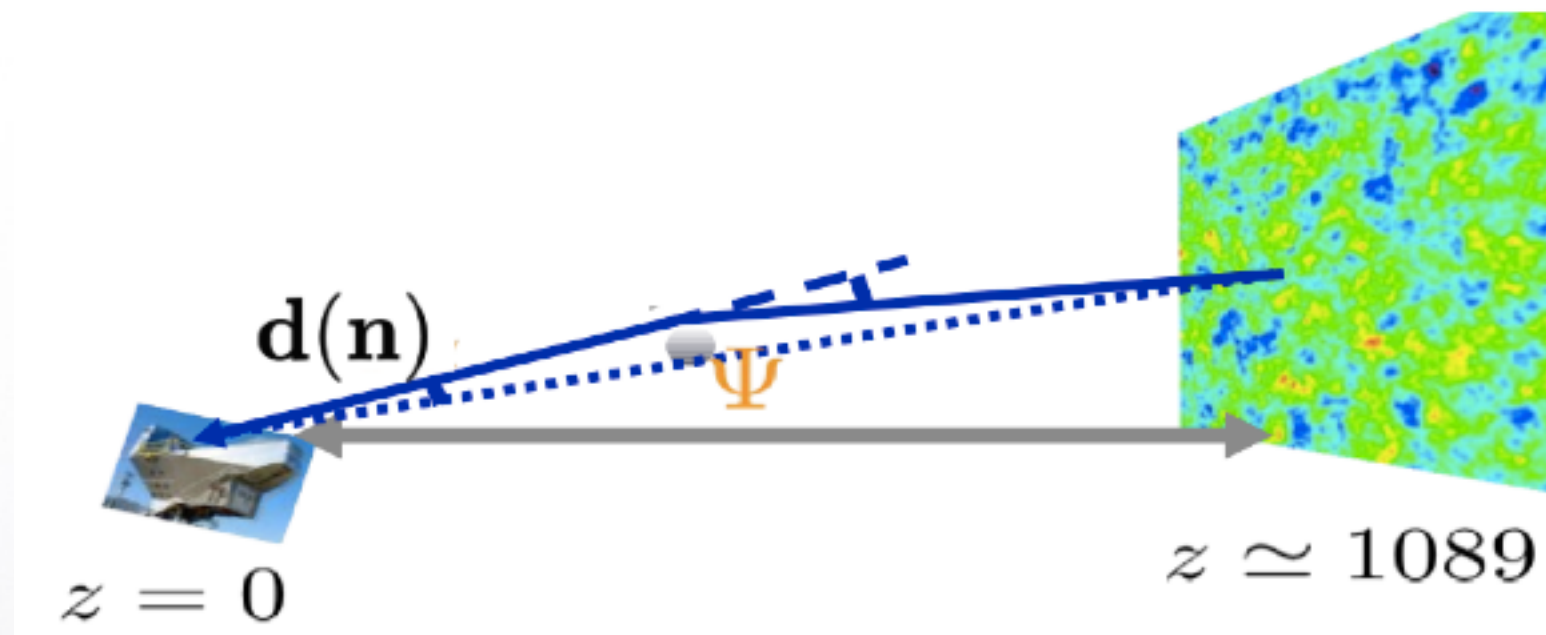




CMB Lensing



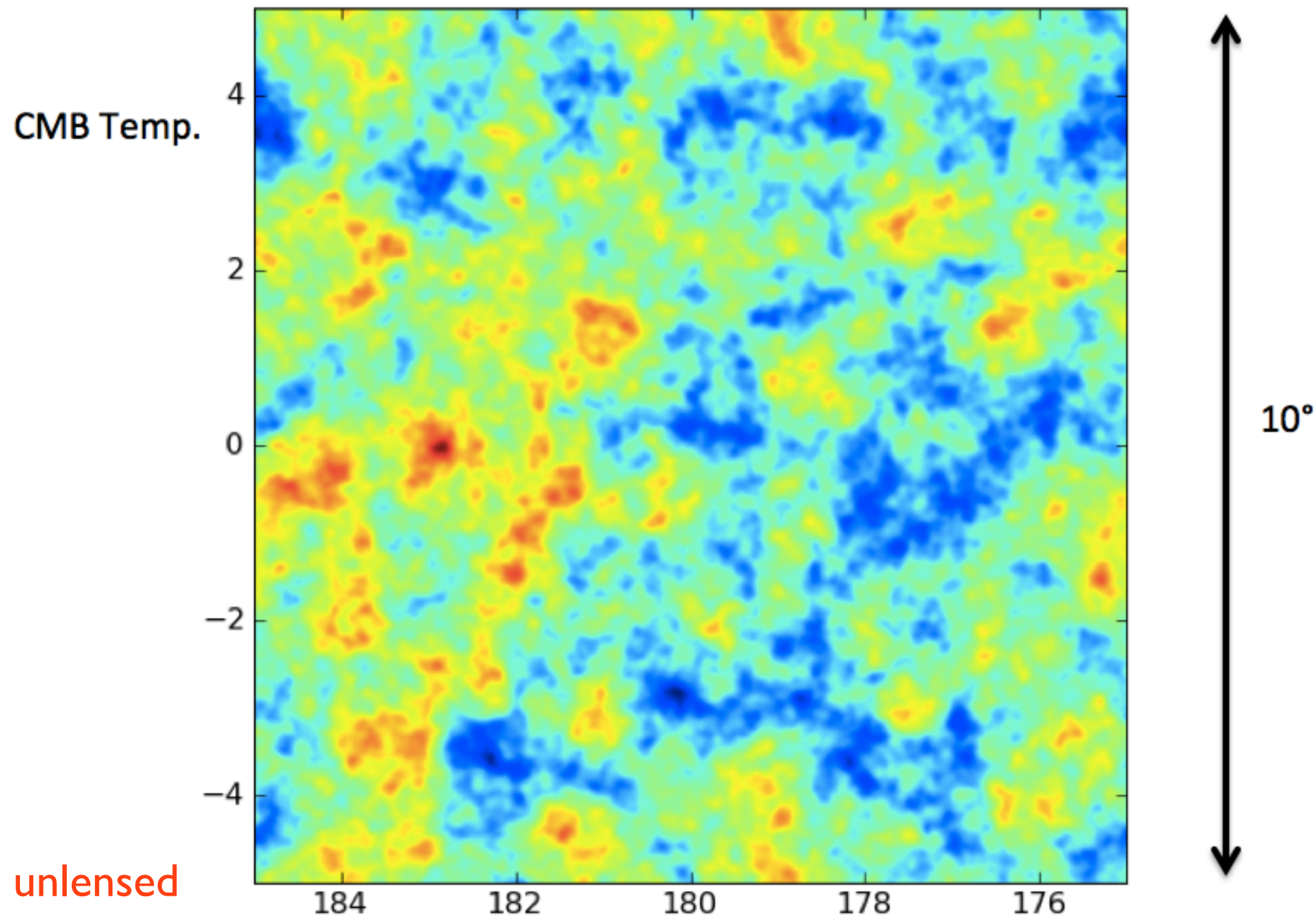
- CMB photons are gravitationally deflected by large-scale structure along the LOS
- Many (~ 50) small random deflections lead to a net deflection (~ 3 arcmin), coherent on $\sim$ deg scales, which remaps the CMB:



$$T(\hat{\mathbf{n}})_{\text{lensed}} = T(\hat{\mathbf{n}} + \mathbf{d}(\hat{\mathbf{n}}))_{\text{unlensed}}$$

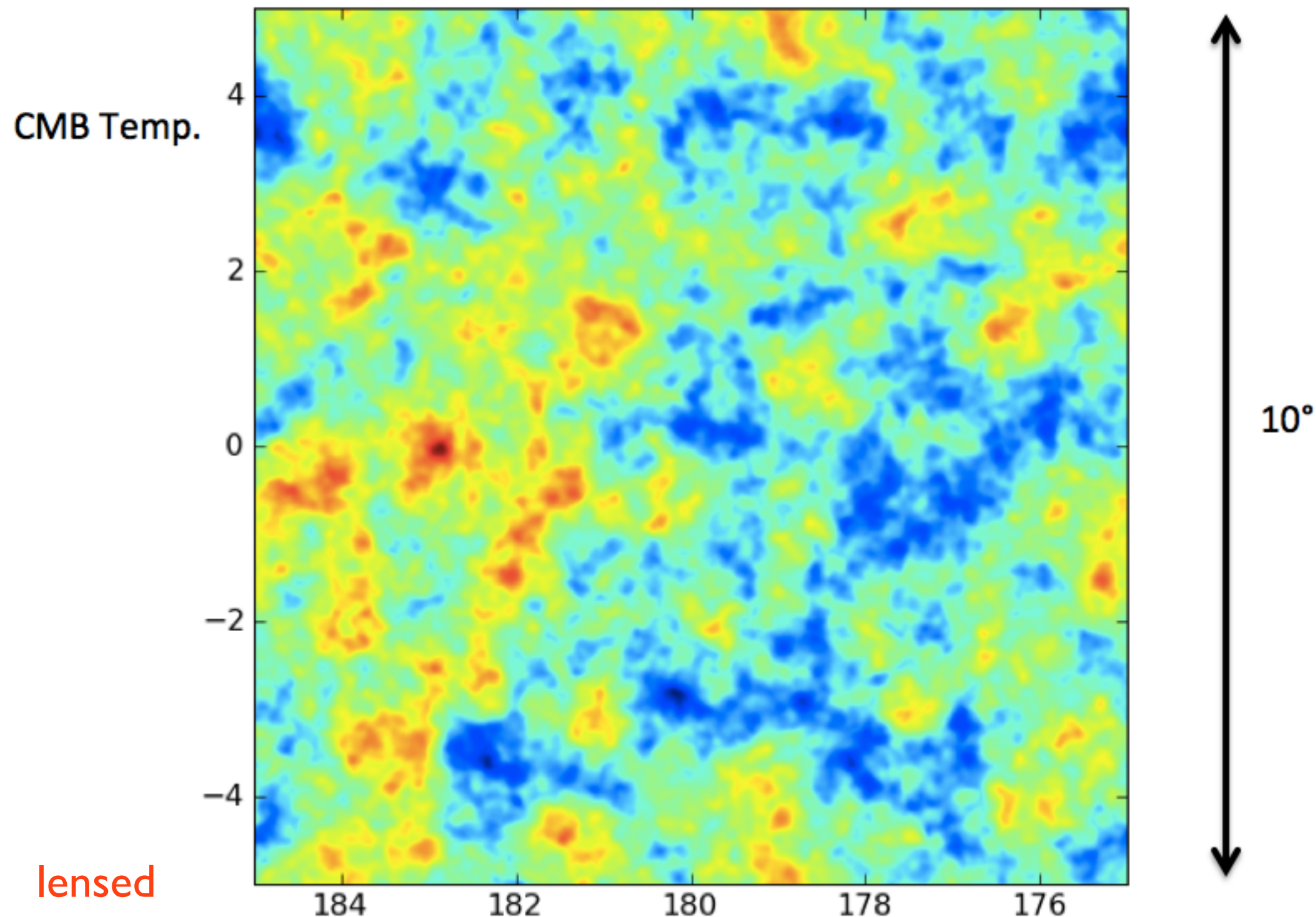


CMB Lensing





CMB Lensing



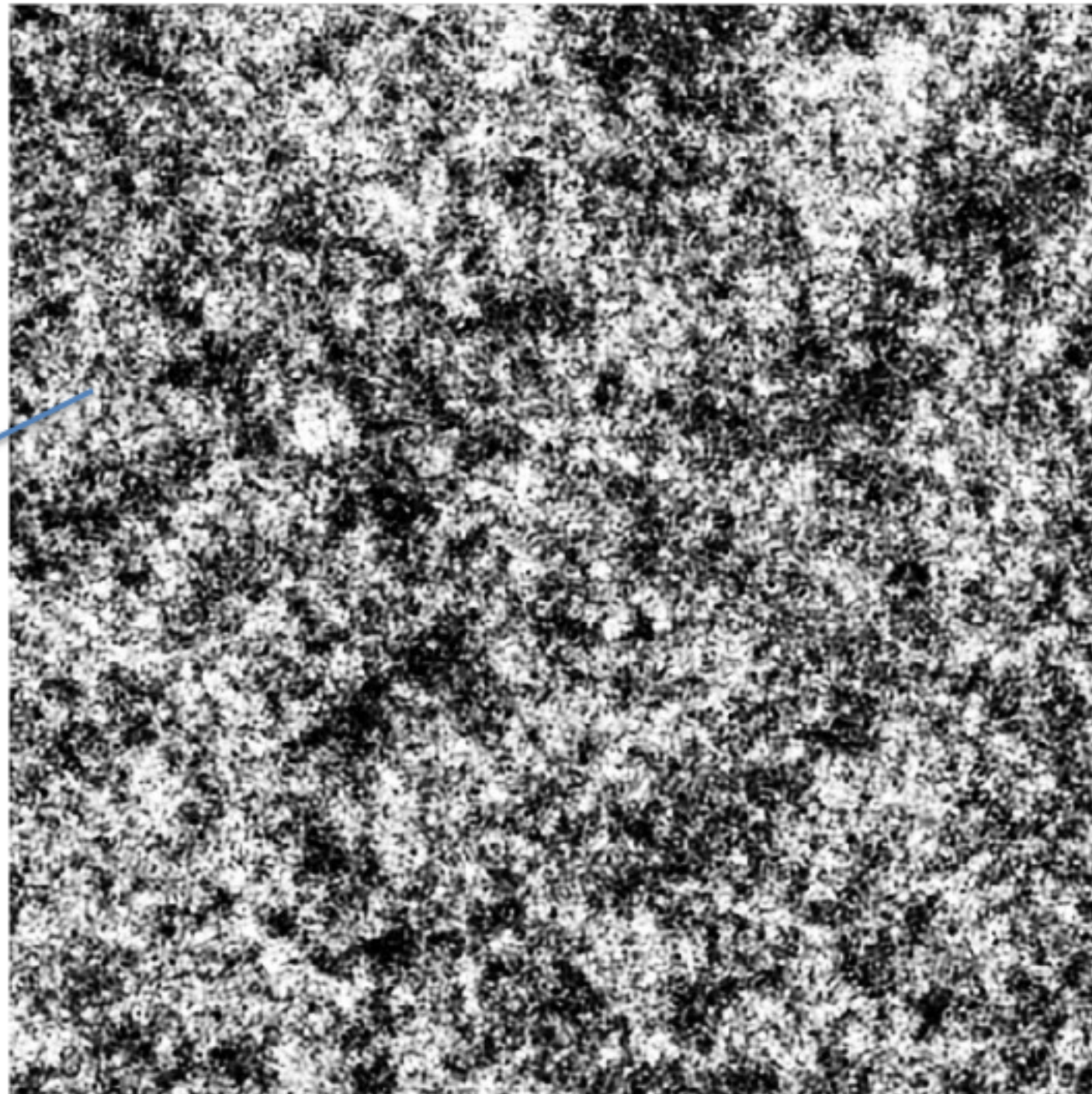


CMB Lensing



$$|\mathbf{d}(\hat{\mathbf{n}})|_{\text{filt}}$$

small
arcminute-
scale
deflections,
coherent on
degree scales



10°

B. Sherwin



- Cross-spectrum can be derived similarly to tSZ auto-spectrum
- Need the Fourier transform of both the y -profile and φ - (lensing potential) profile (e.g., computed from NFW) for each halo

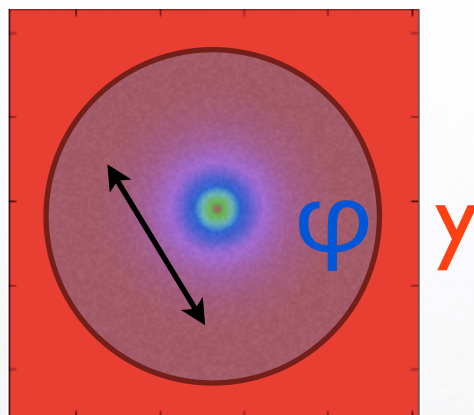


Thermal SZ x CMB Lensing



- Cross-spectrum can be derived similarly to tSZ auto-spectrum
- Need the Fourier transform of both the y -profile and φ - (lensing potential) profile (e.g., computed from NFW) for each halo
- Contributions from both “one-halo” and “two-halo” terms:

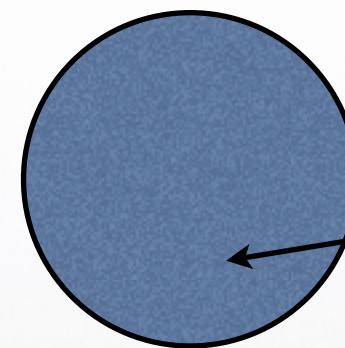
one-halo



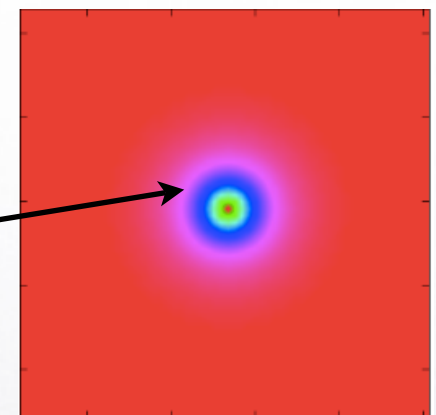
dominates on small scales

sensitive to number of
clusters and how gas
traces DM in clusters

φ two-halo



y



dominates on large scales

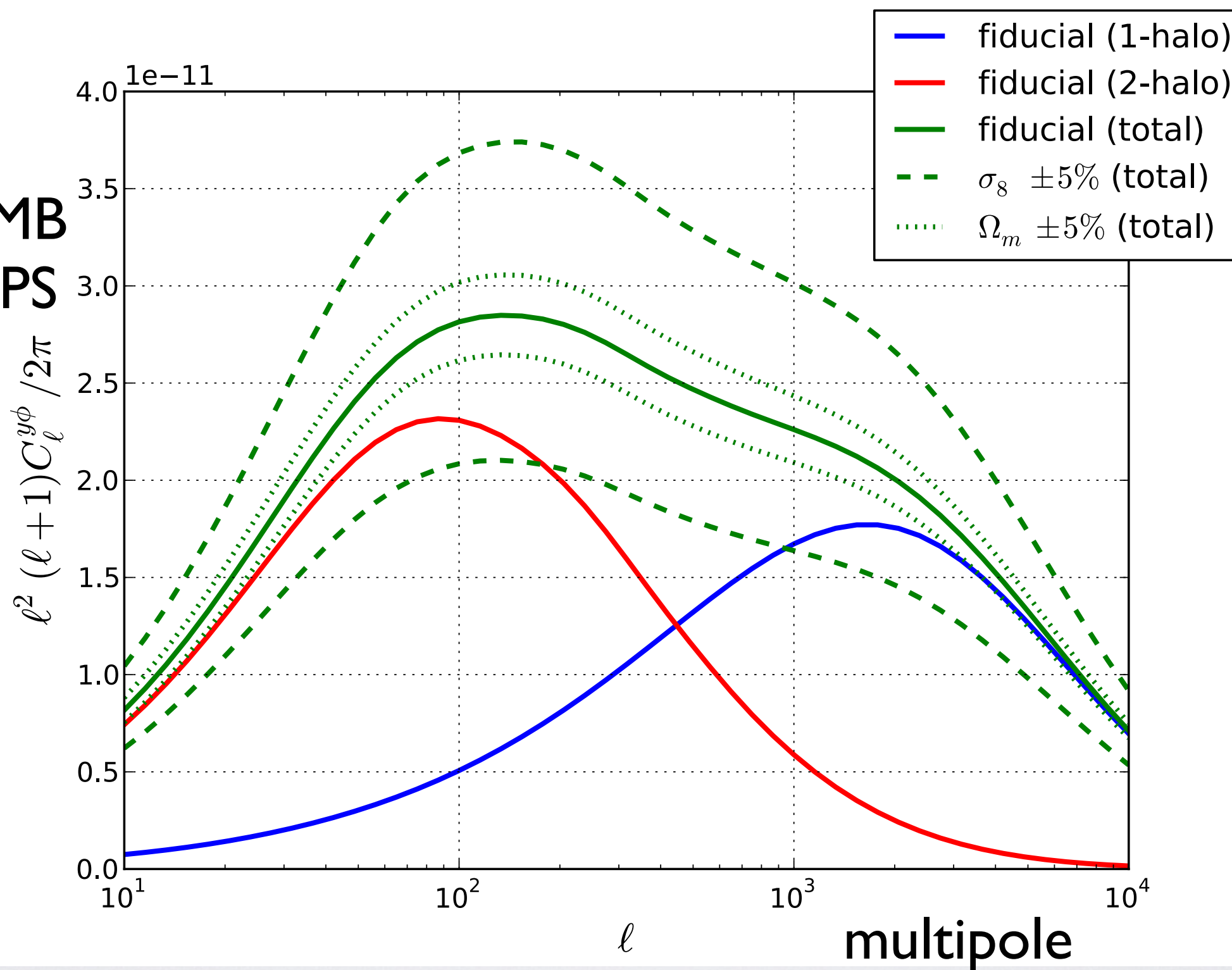
sensitive to how gas traces
DM on large scales
(amongst many things)



Thermal SZ x CMB Lensing

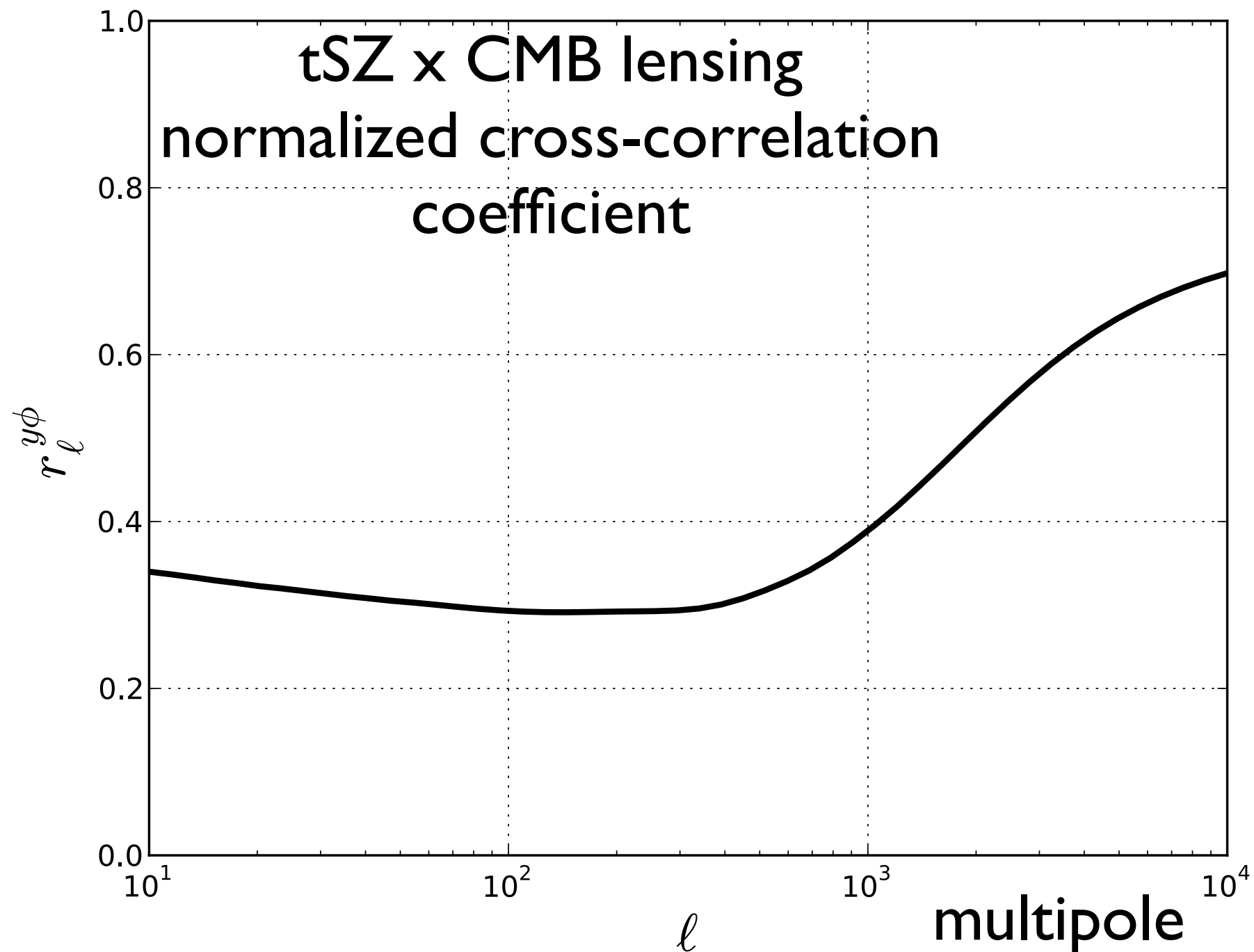


tSZ x CMB
Lensing PS



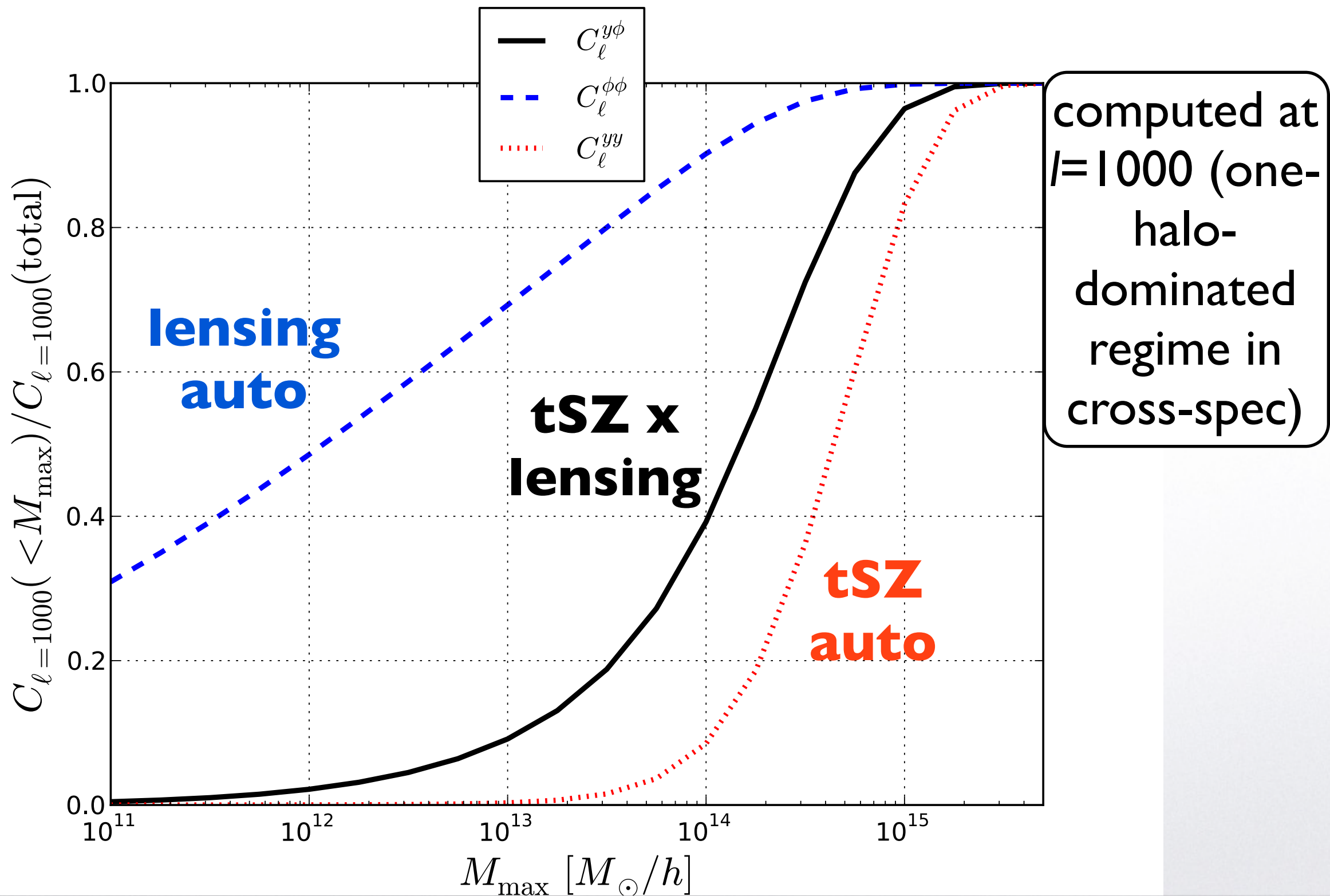
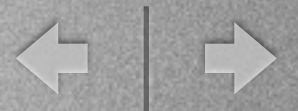


Thermal SZ x CMB Lensing



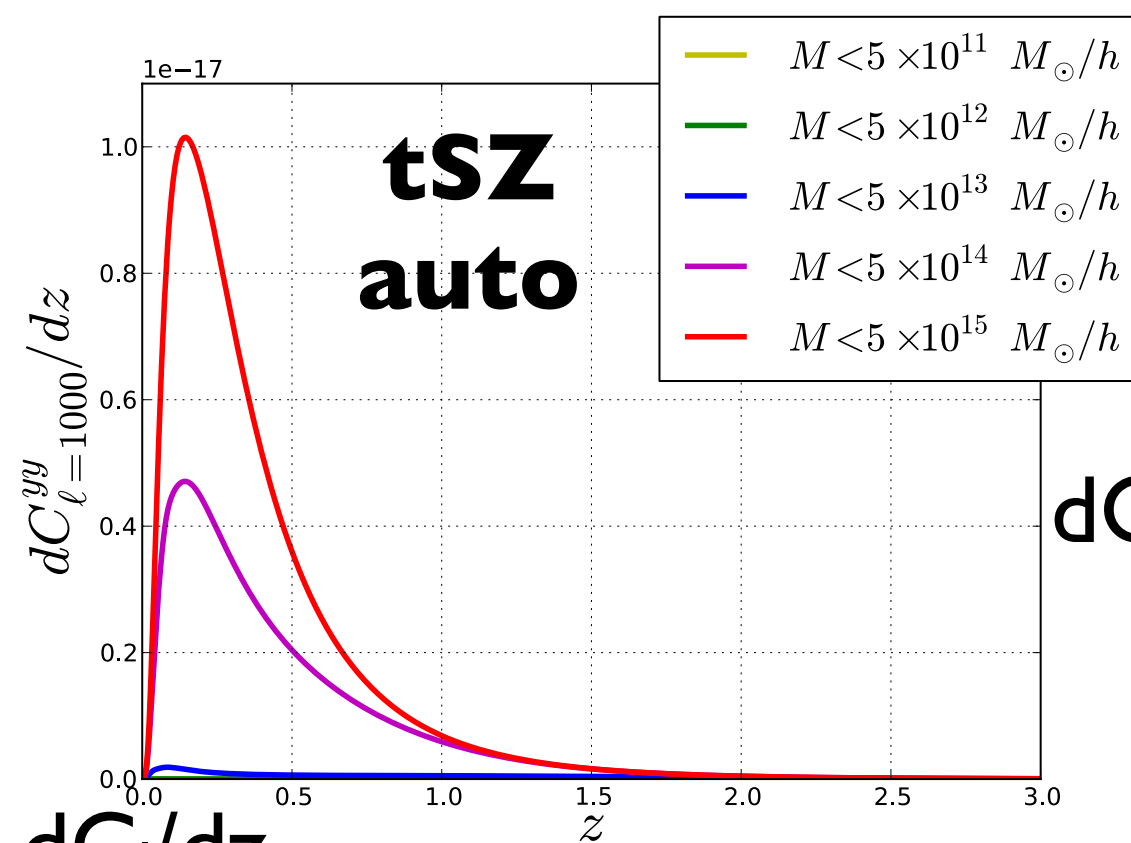


Mass/Redshift Contributions

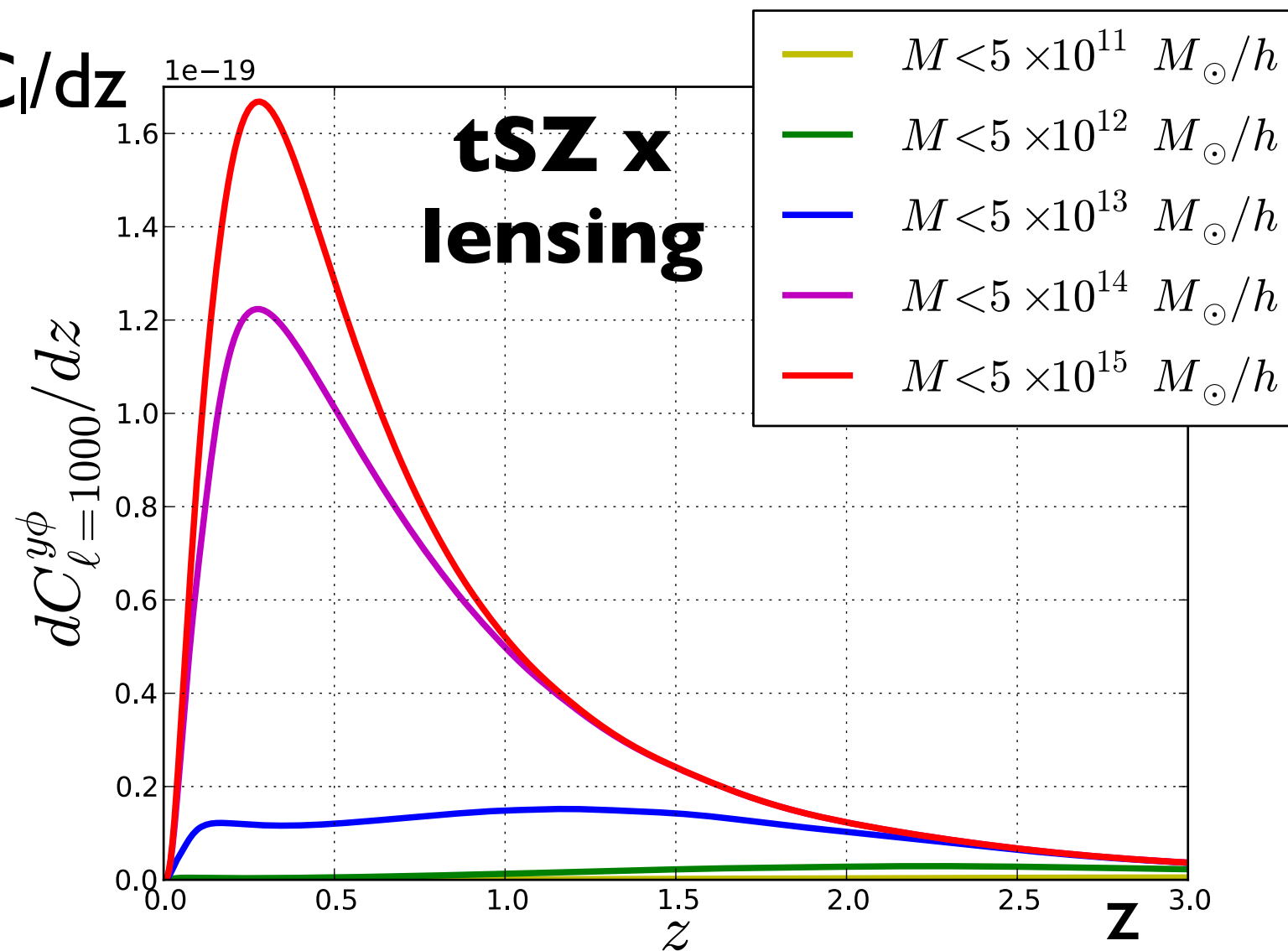
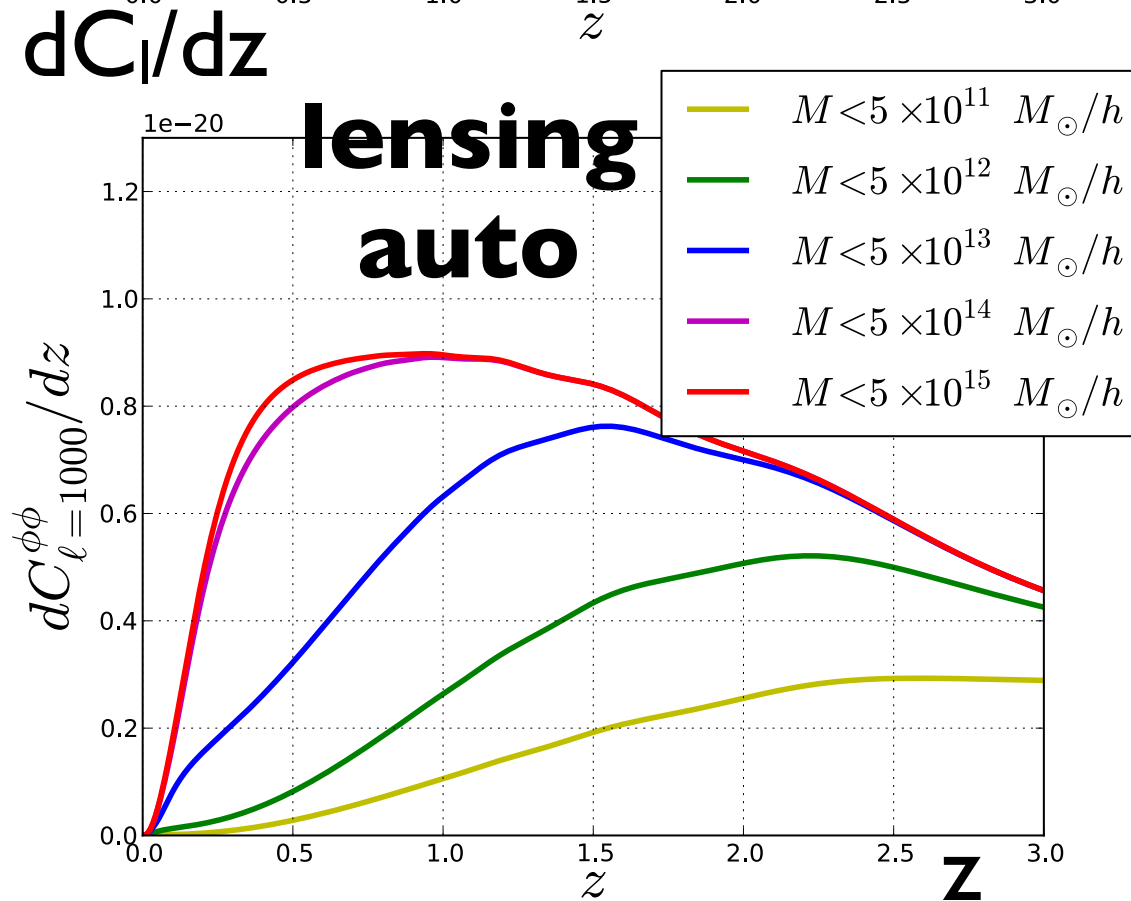




Mass/Redshift Contributions



computed at $l=1000$ (one-halo-dominated regime in cross-spec)

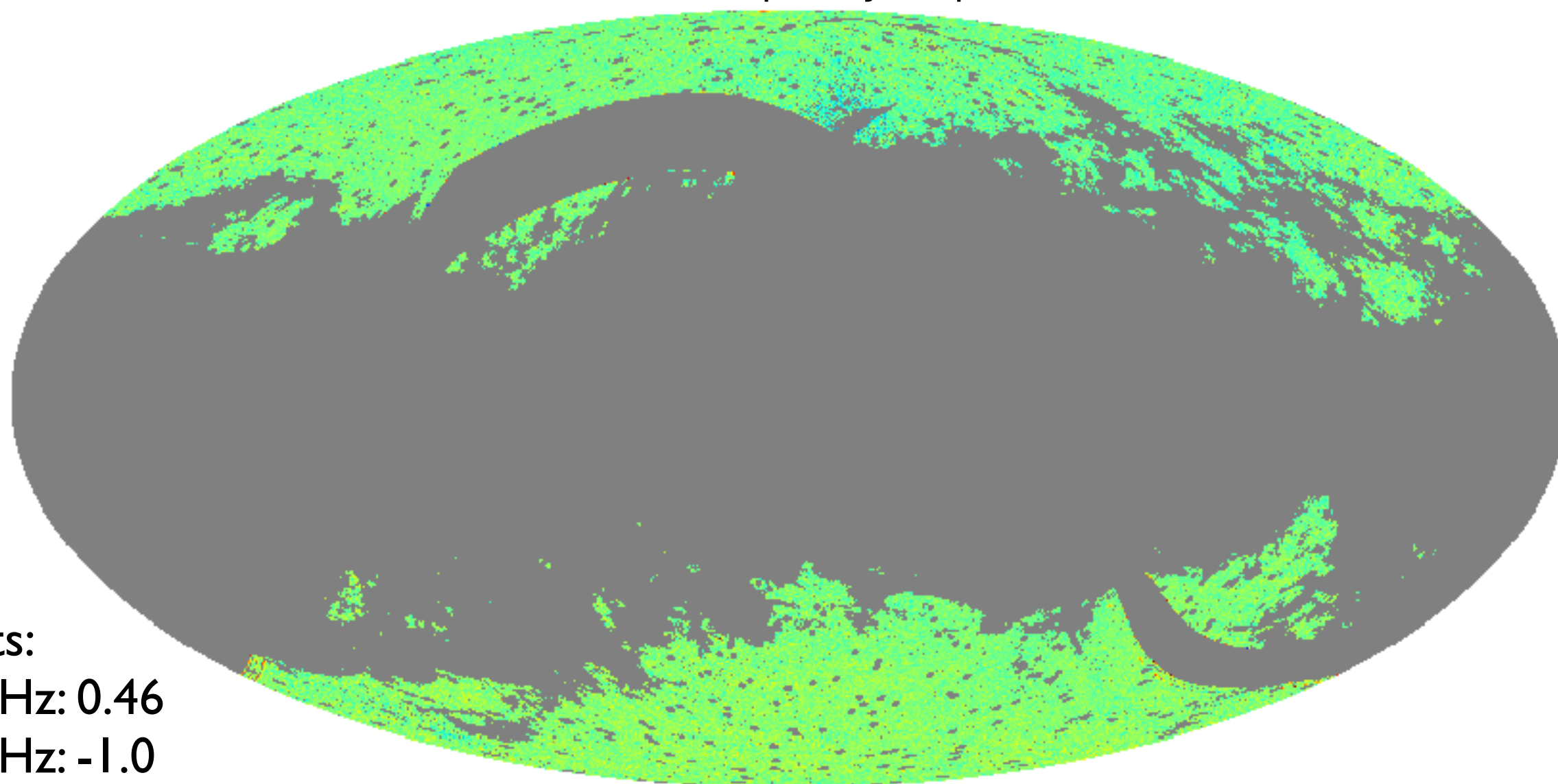




Cross-correlate a Compton- y map
with a CMB lensing potential map.



ILC Compton-y Map



weights:

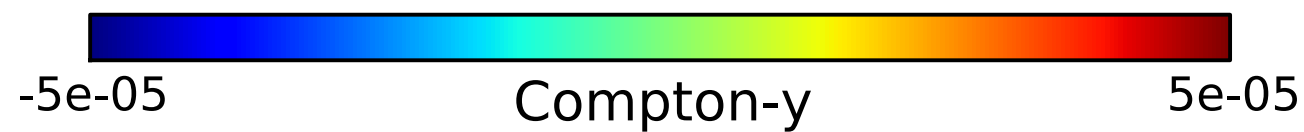
100 GHz: 0.46

143 GHz: -1.0

217 GHz: 0.54

353 GHz: 0.00032

545 GHz: -0.0028



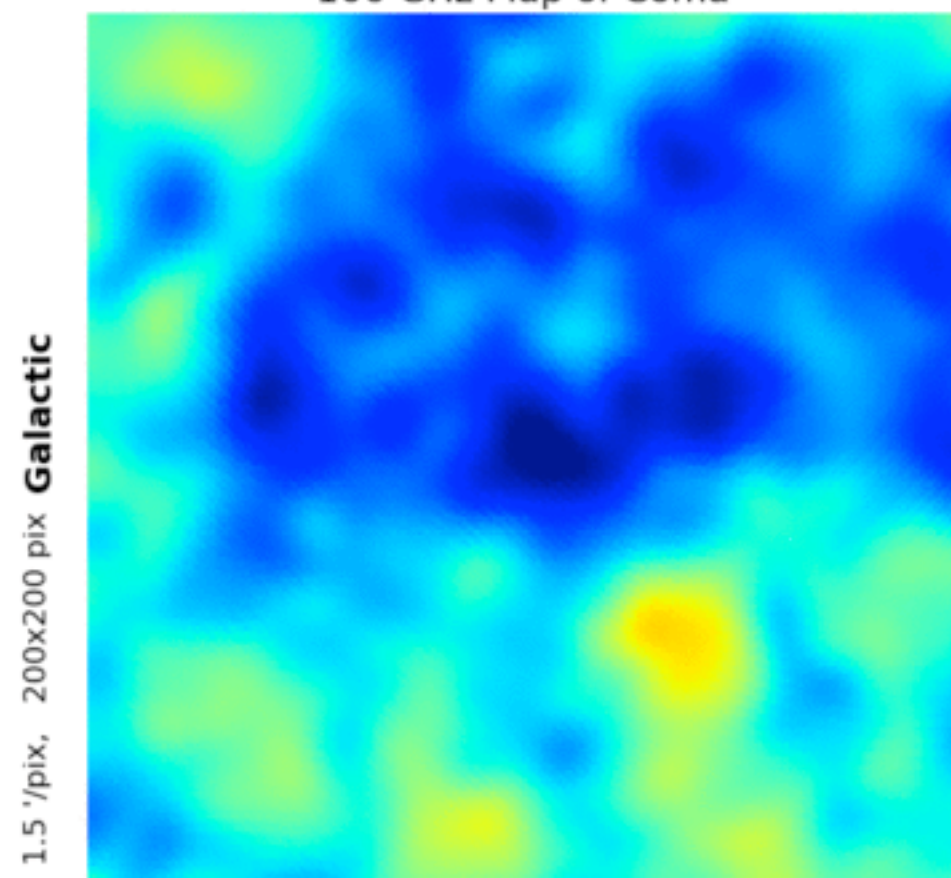
$f_{\text{sky}} \sim 0.25$



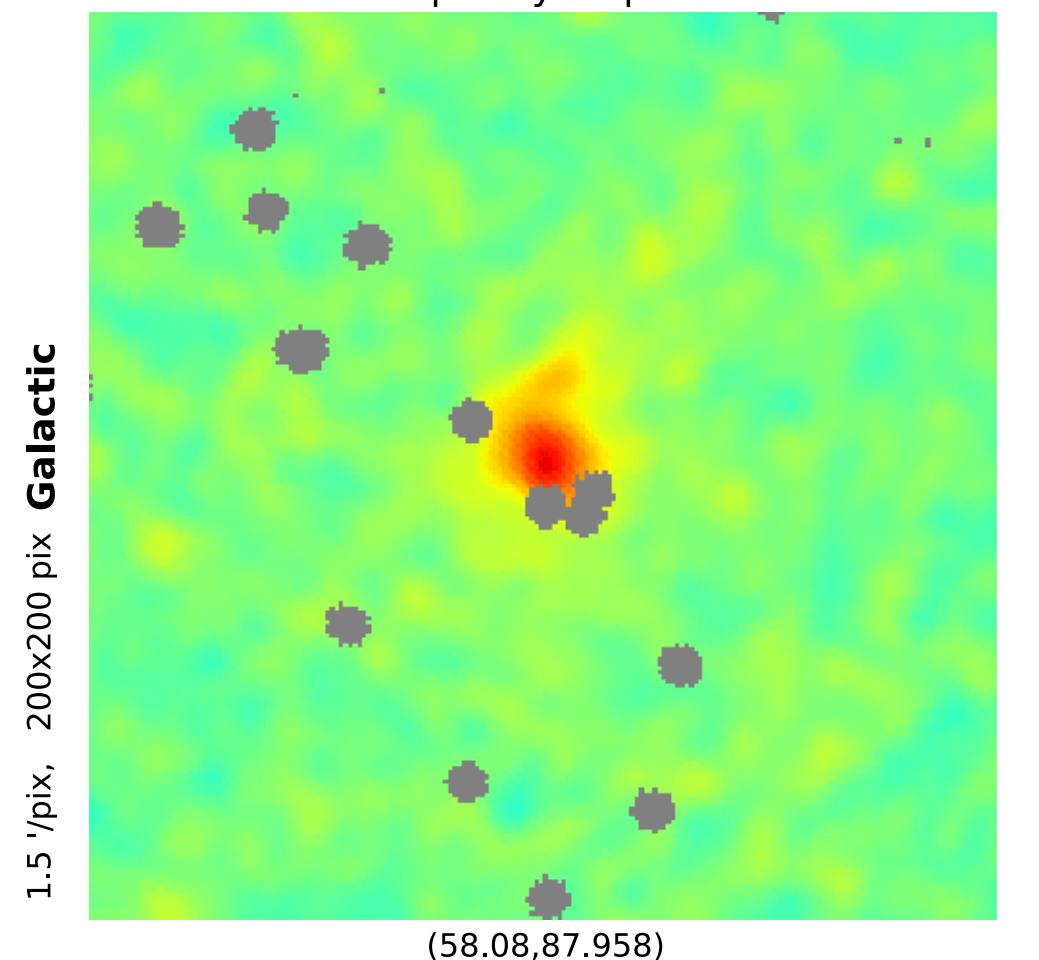
D.l.y-Map



100 GHz Map of Coma

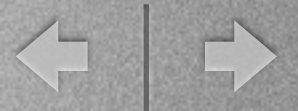


ILC Compton-y Map of Coma



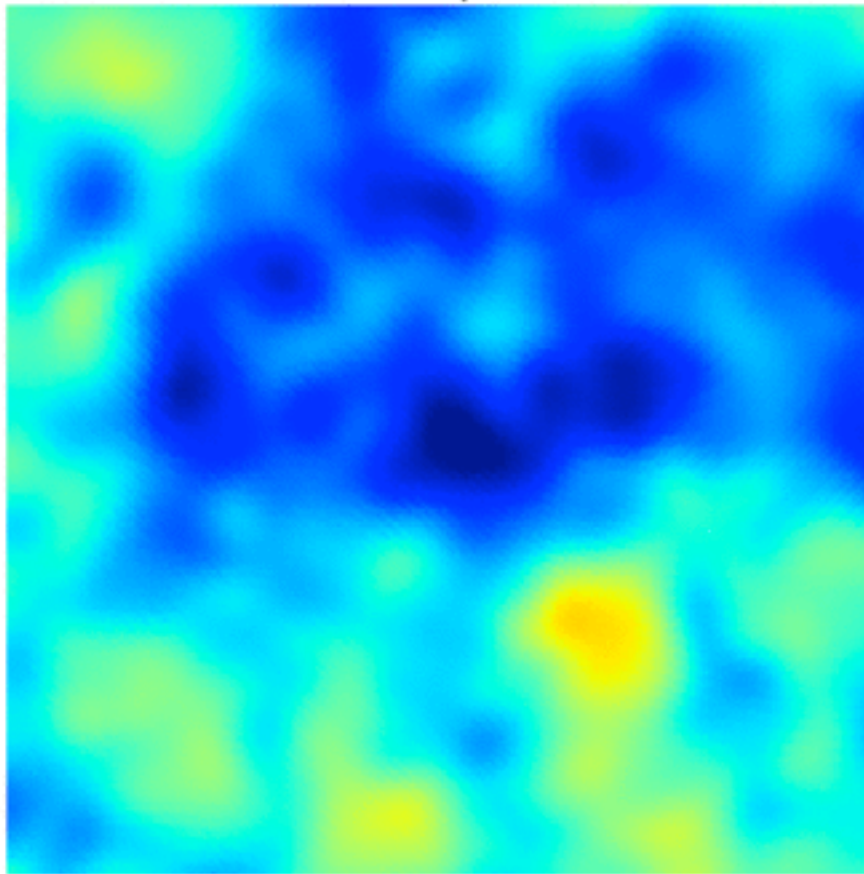


D.I.y-Map



100 GHz Map of Coma

1.5' / pix, 200x200 pix **Galactic**

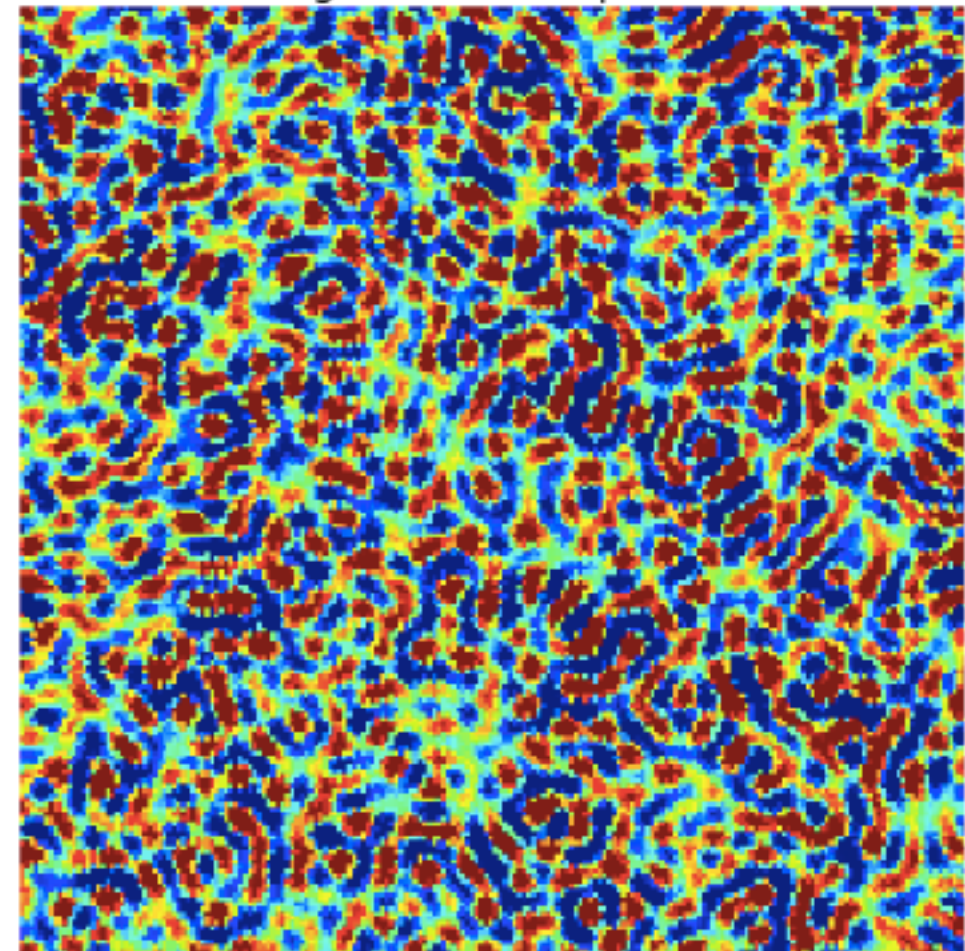


(58.08, 87.958)

-0.00025  0.0005 **K CMB**

Lensing Potential Map of Coma

1.5' / pix, 200x200 pix **Galactic**



(58.08, 87.958)

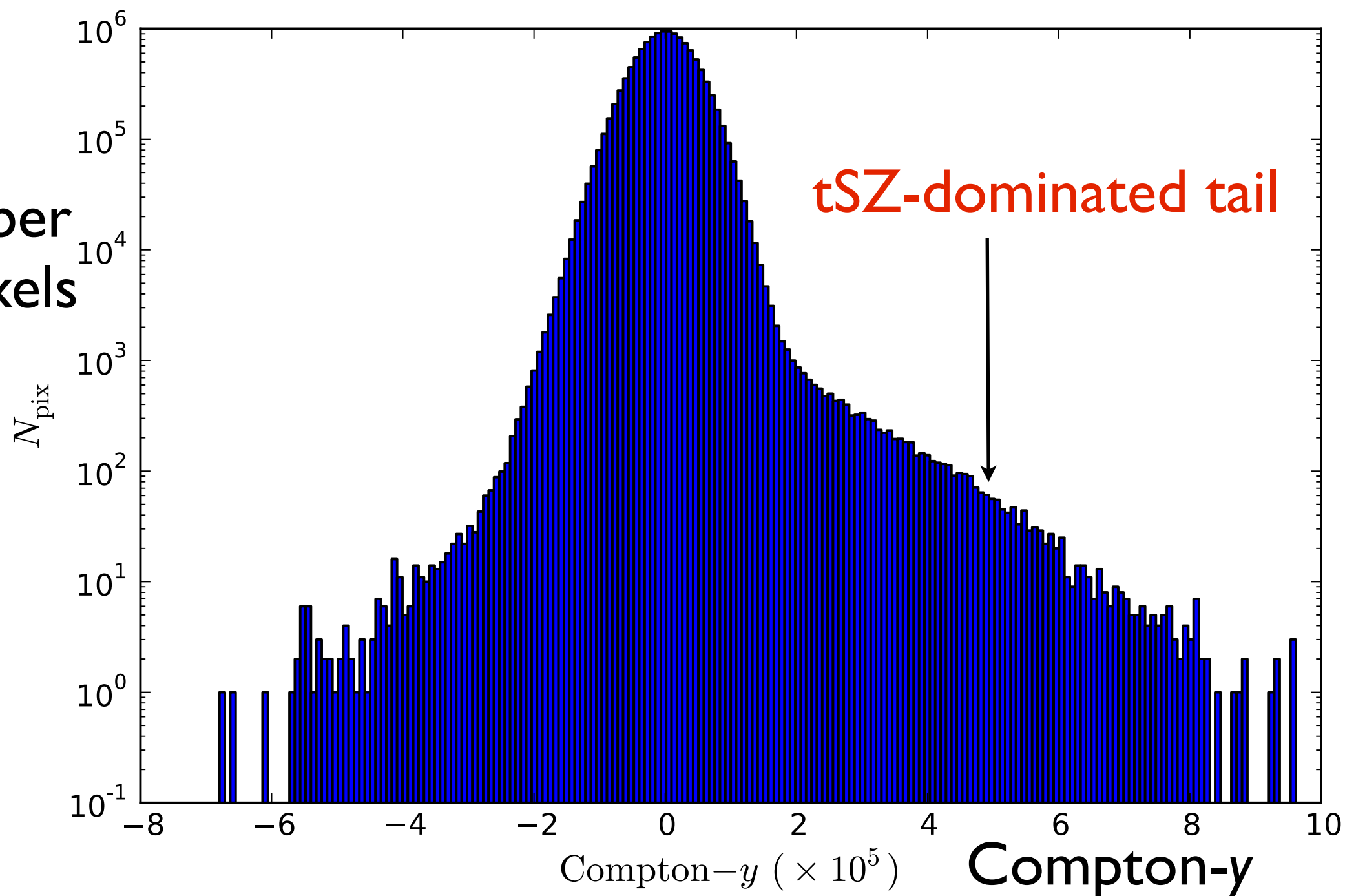
-3.8e+11  4.1e+11 **Phi**



D.I.y-Map: Histogram



number
of pixels

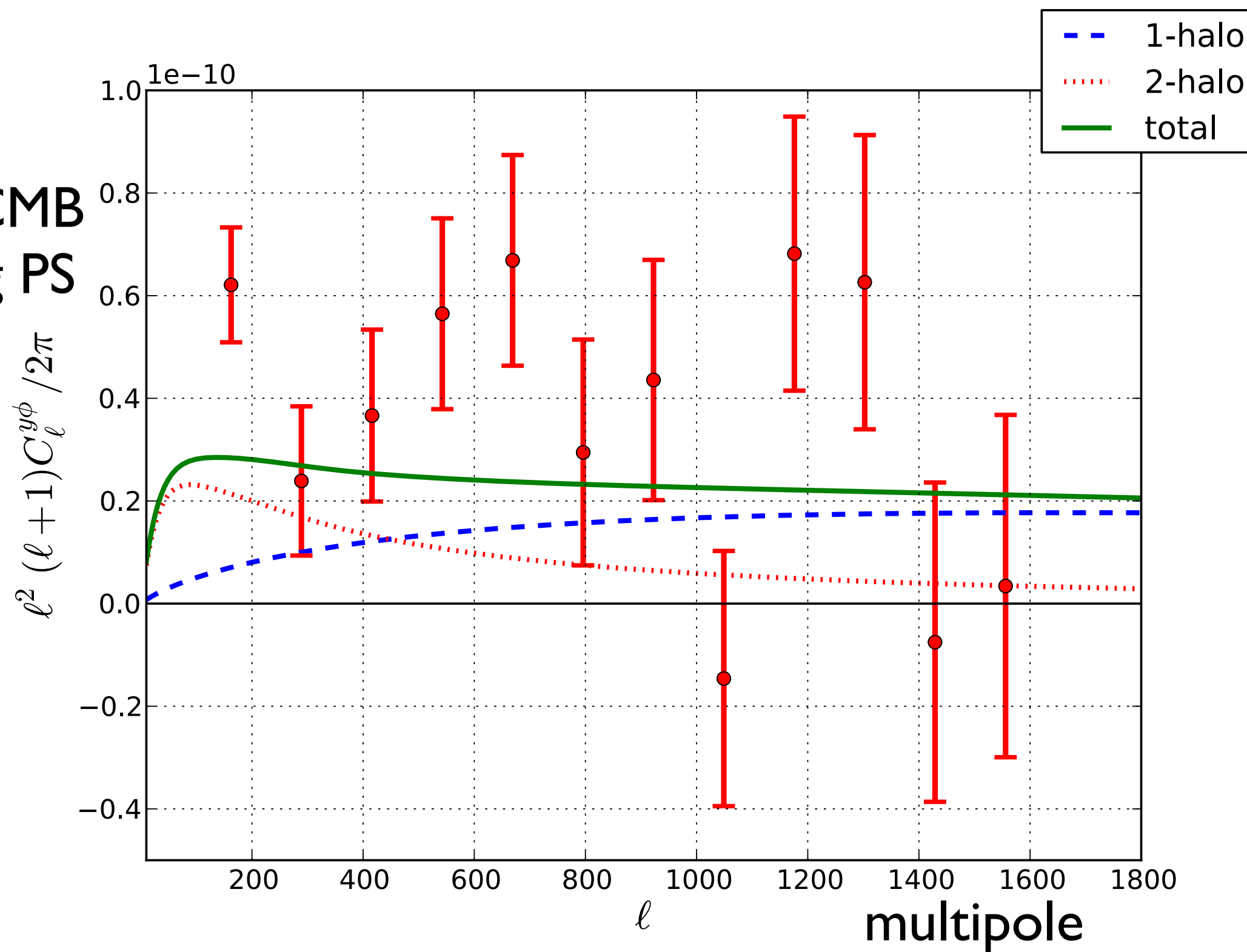




D.I.y x CMB Lensing



tSZ x CMB
Lensing PS



8.7 σ

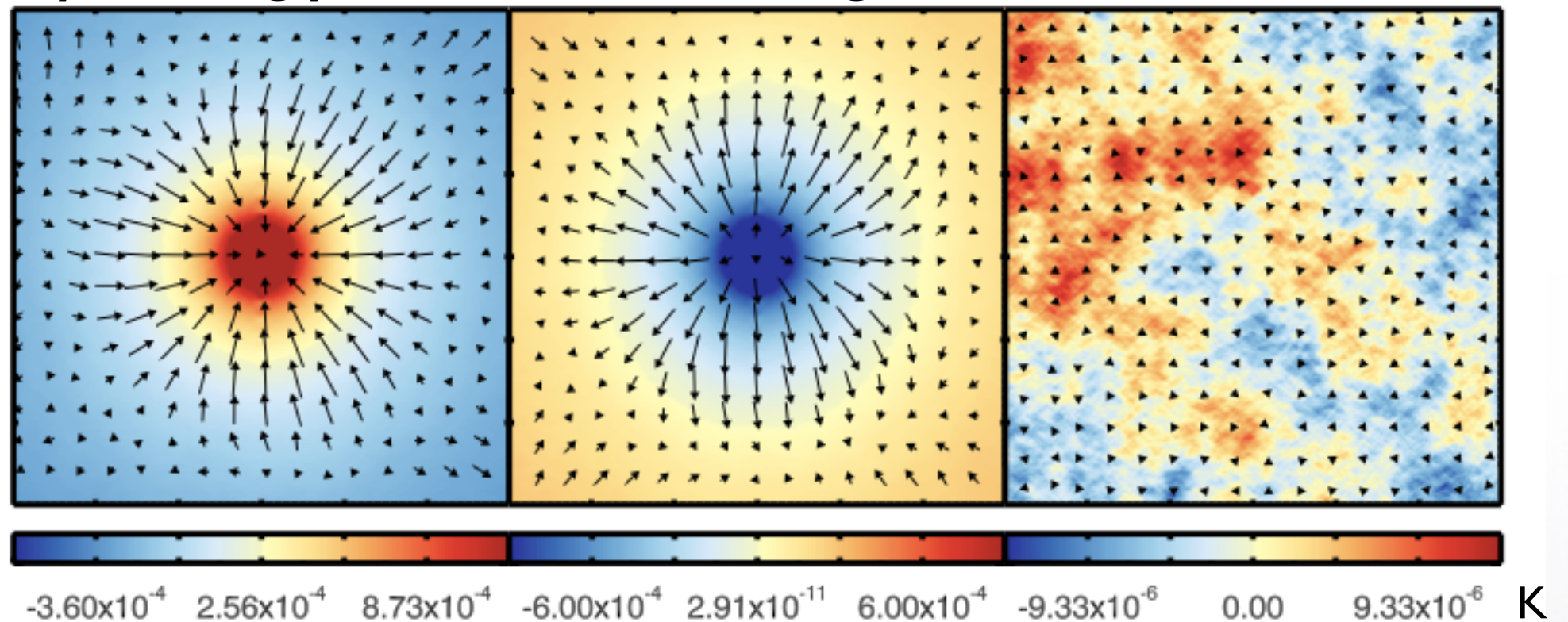


D.I.y x CMB Lensing



- Main contamination worry: cosmic infrared background (CIB)
- Correlates very strongly with CMB lensing

545 GHz

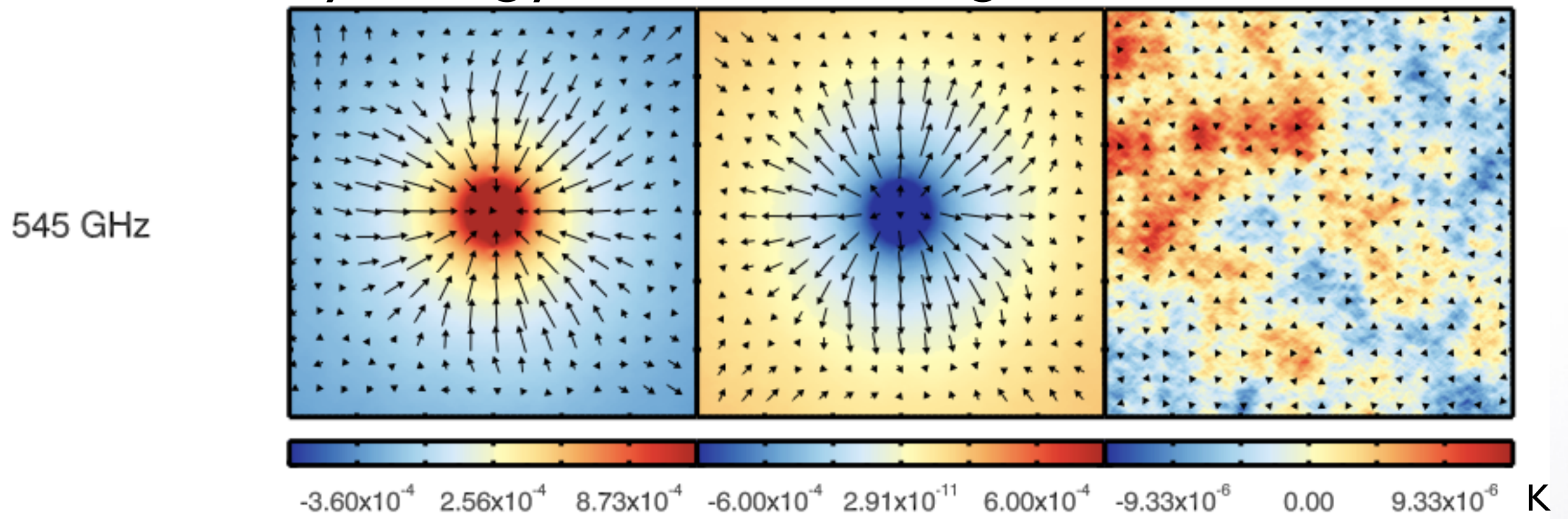




D.I.y x CMB Lensing



- Main contamination worry: cosmic infrared background (CIB)
- Correlates very strongly with CMB lensing



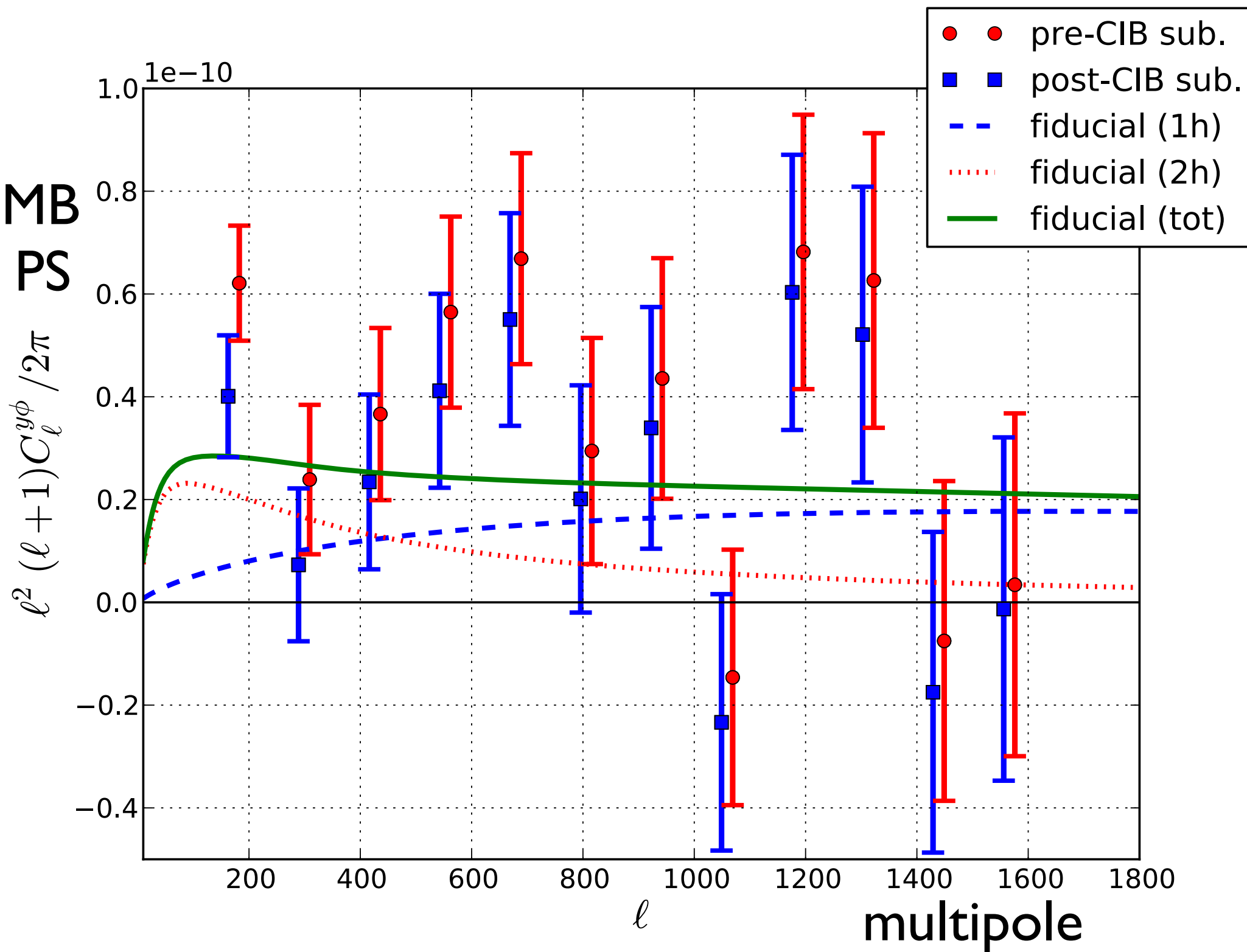
- Assess leakage of CIB into y-map as follows:
 - Cross-correlate with 857 GHz map
 - Separate contribution due to galactic dust from that due to CIB
 - Obtain coefficient describing $y \times$ CIB amplitude
 - Scale Planck CIB x lensing results by this coefficient and subtract the result from the $y \times$ lensing measurement



D.I.y x CMB Lensing



tSZ x CMB
Lensing PS



6.2 σ



Interpretation: Gastrophysics

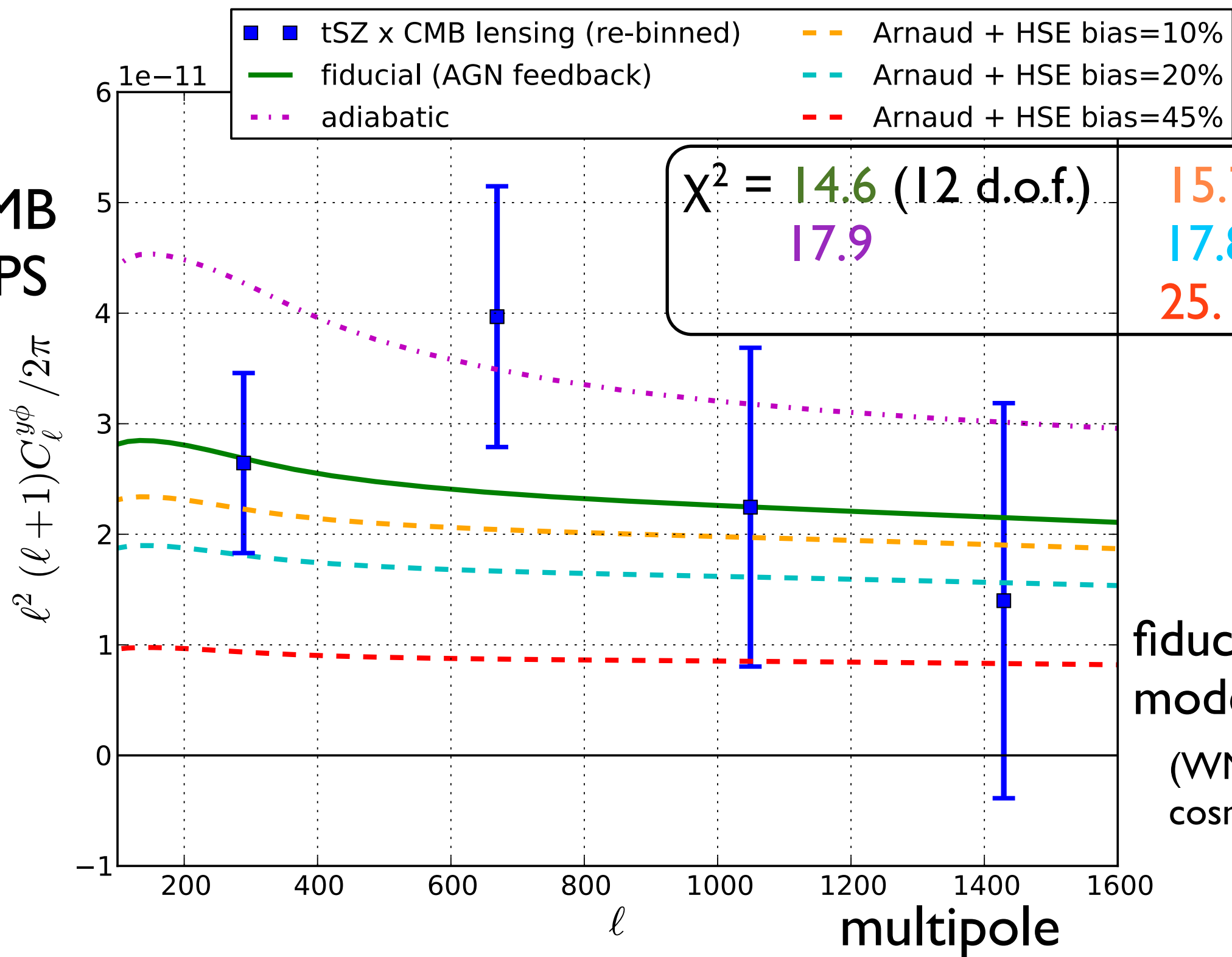




Interpretation: Gastrophysics

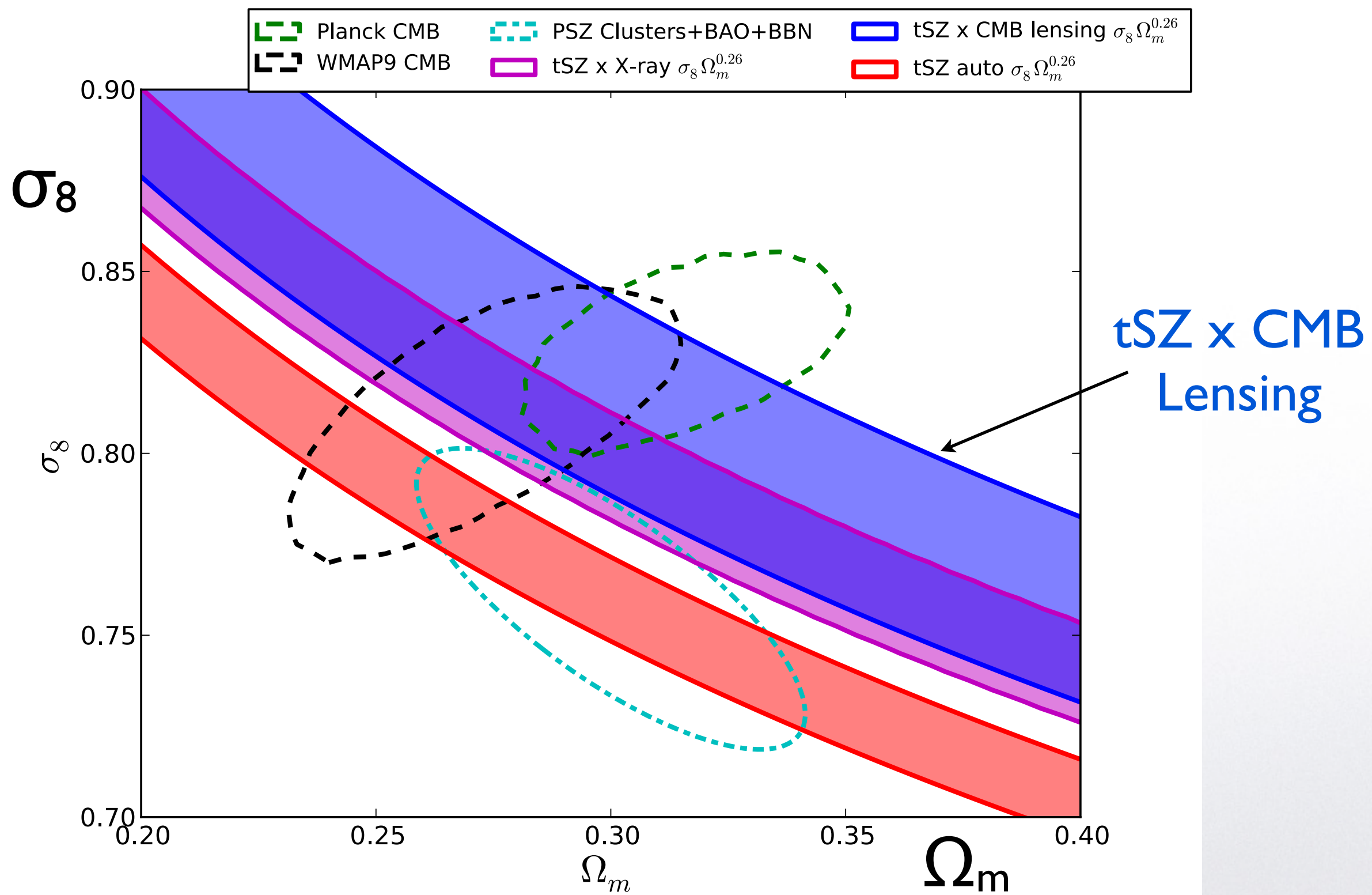


tSZ x CMB
Lensing PS



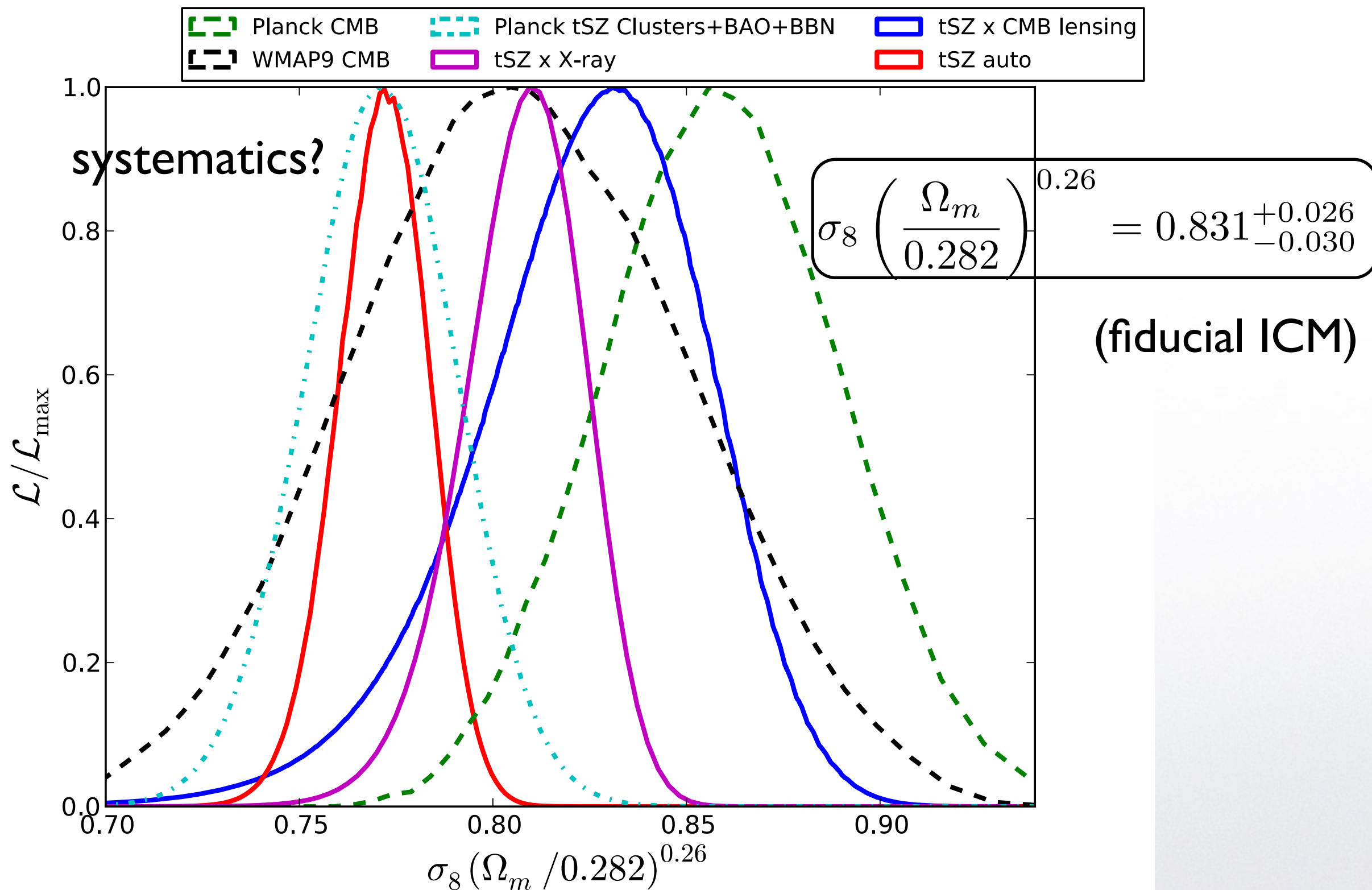


Interpretation: Cosmology





Interpretation: Cosmology

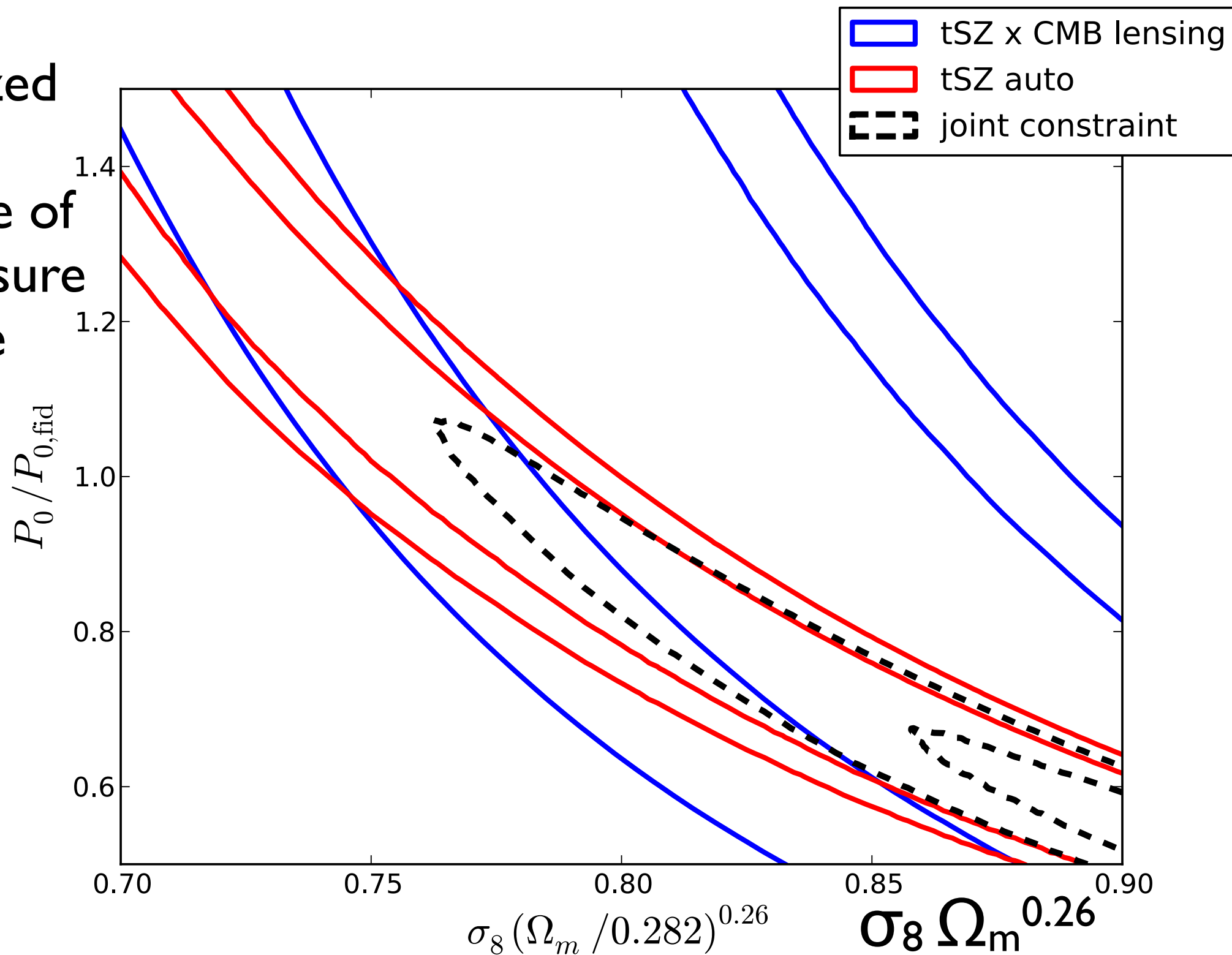




Interpretation: ICM + Cosmology



normalized
mean
amplitude of
ICM pressure
profile

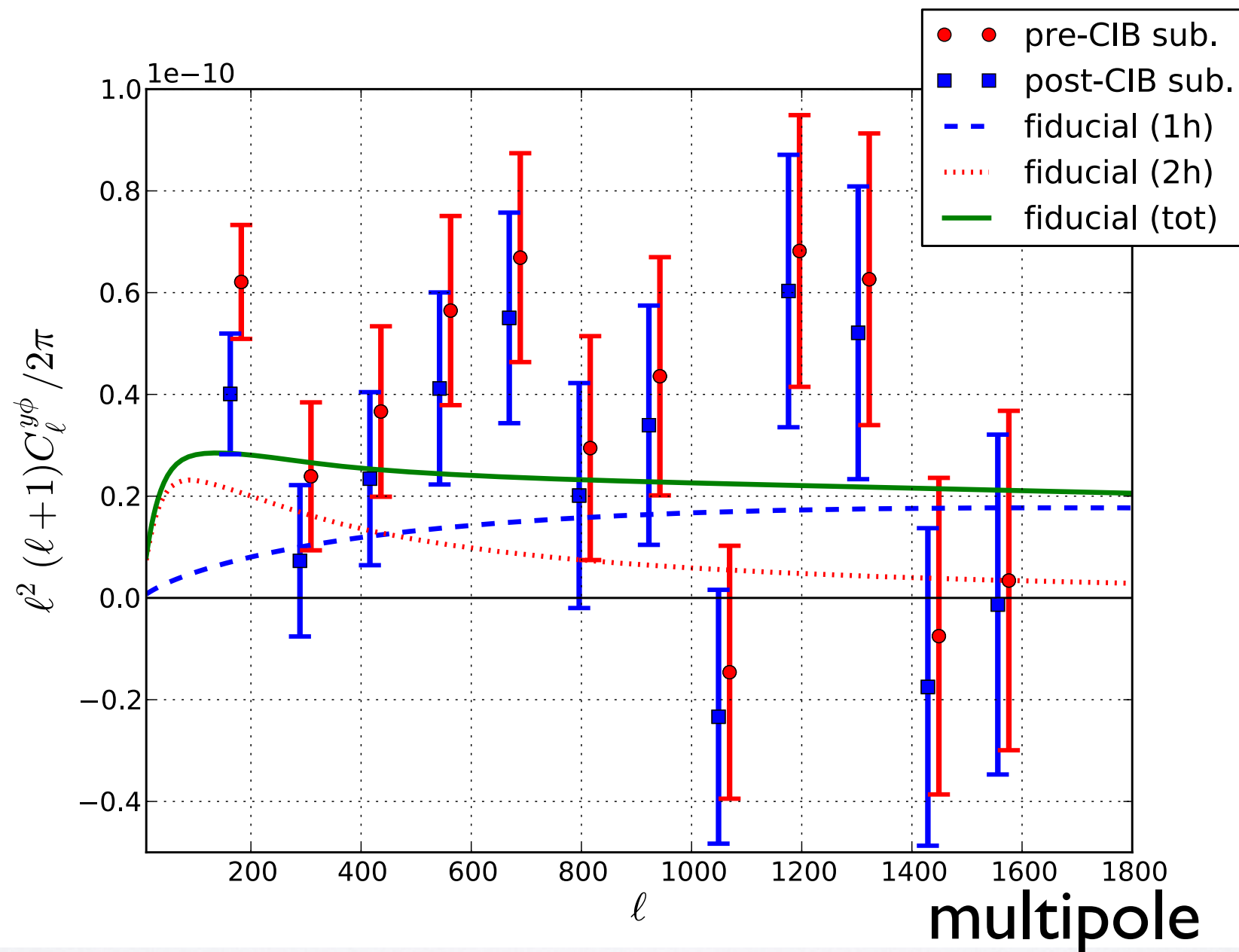




Interpretation



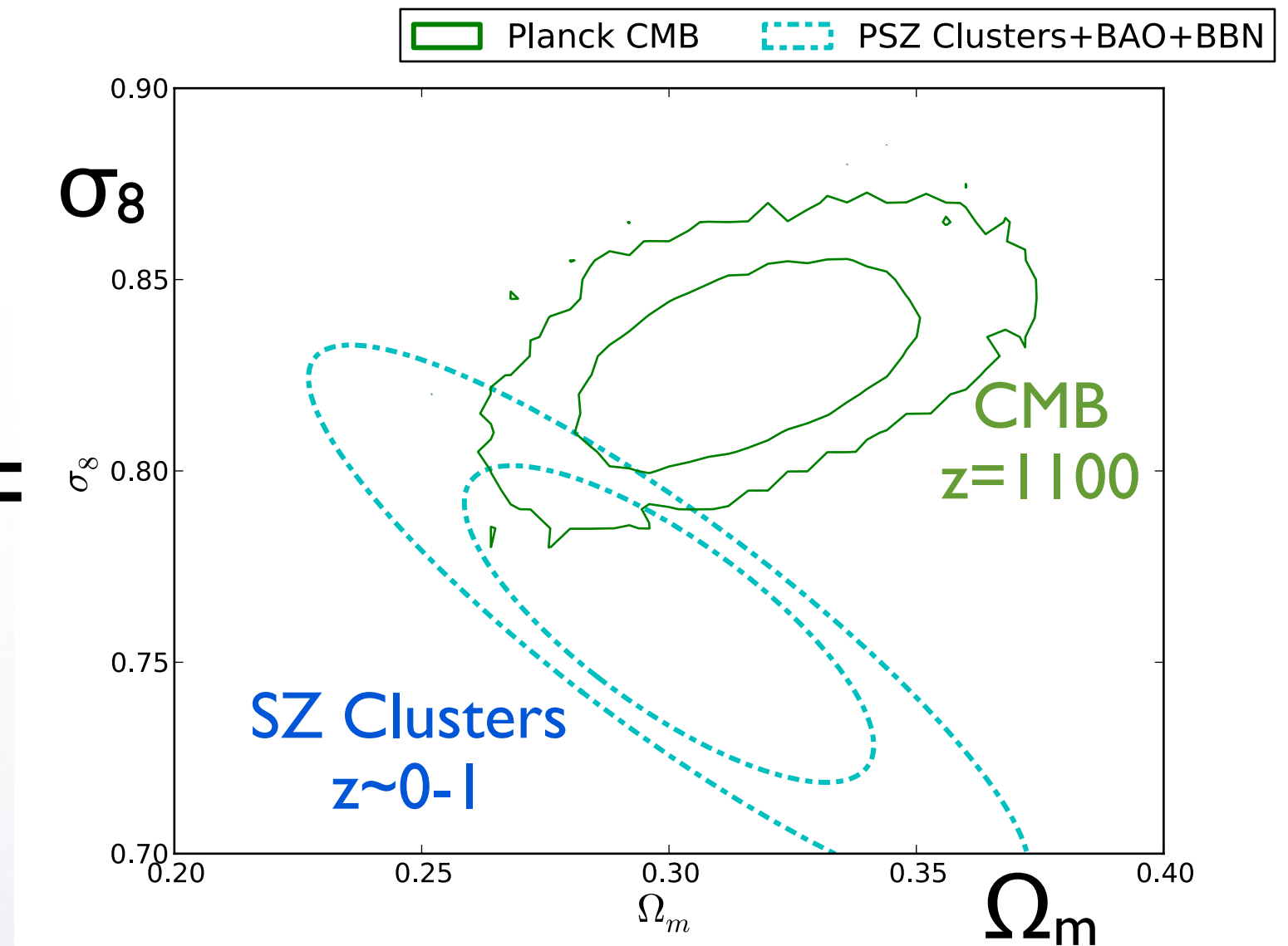
tSZ x CMB
Lensing PS



Direct confirmation that hot, ionized gas traces dark matter over a wide range of scales.



ACT: Thermal SZ 1-pt PDF

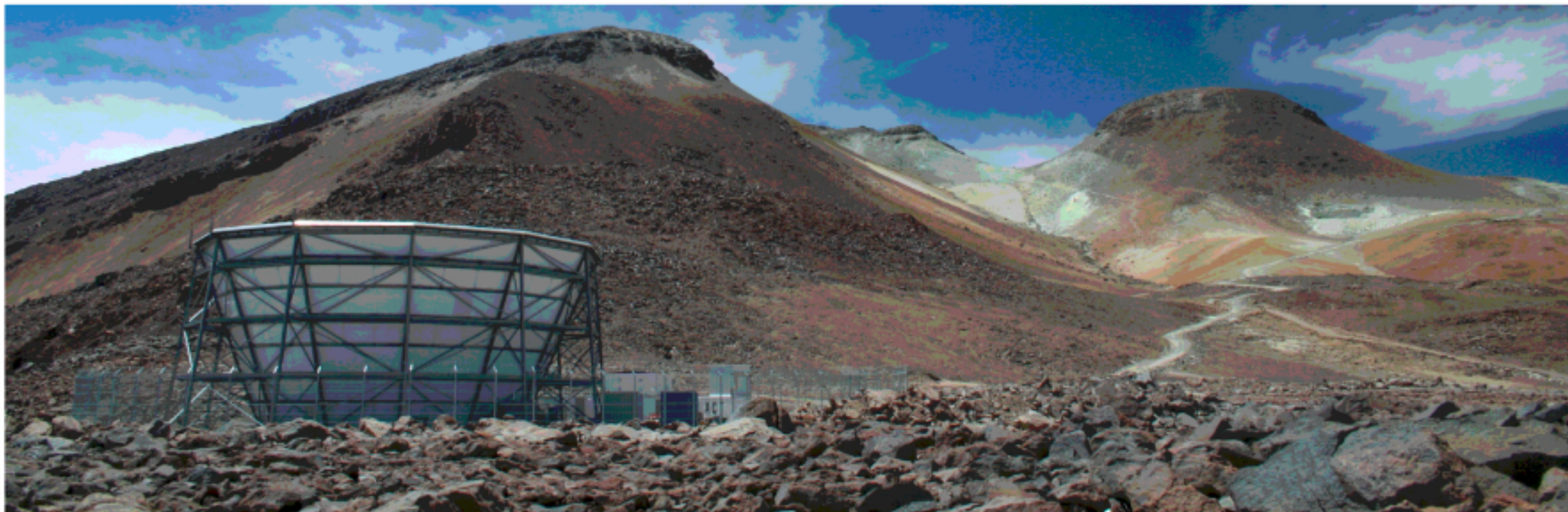




The Atacama Cosmology Telescope



<http://www.princeton.edu/atacama/>



ATACAMA COSMOLOGY TELESCOPE

148, 218,
277 GHz

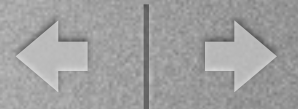


~1 arcmin
resolution

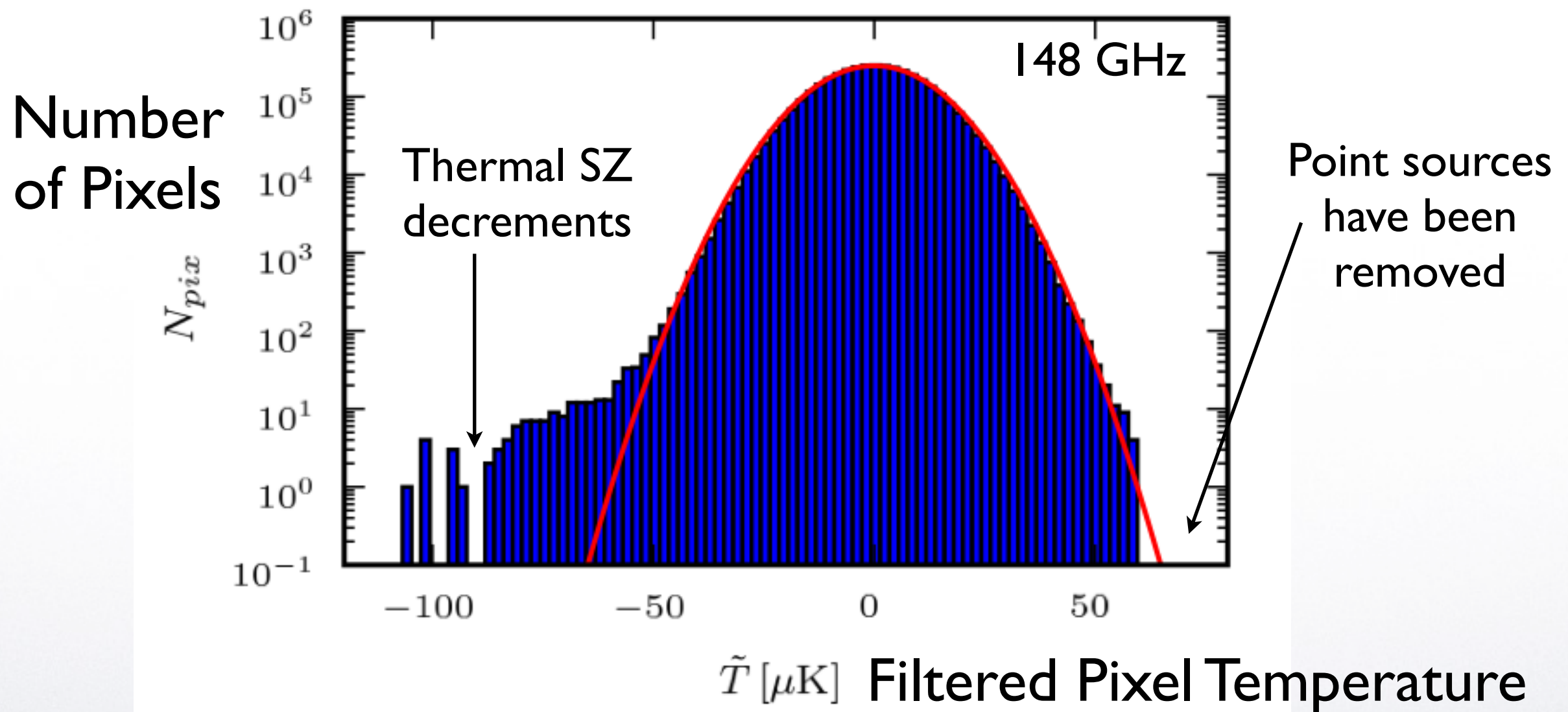
The Atacama Cosmology Telescope (ACT) is a six-meter telescope on Cerro Toco in the Atacama Desert in the north of Chile, near the Llano de Chajnantor Observatory. It is designed to make high-resolution, microwave-wavelength surveys of the sky in order to study the cosmic microwave background radiation (CMB). At an altitude of 5190 meters (17,030 feet), it is one of the highest permanent, ground-based telescopes in the world.



Higher-order tSZ Statistics

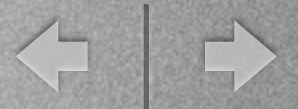


- ACT/SPT: small beams+low noise, hence significant detection of y NG

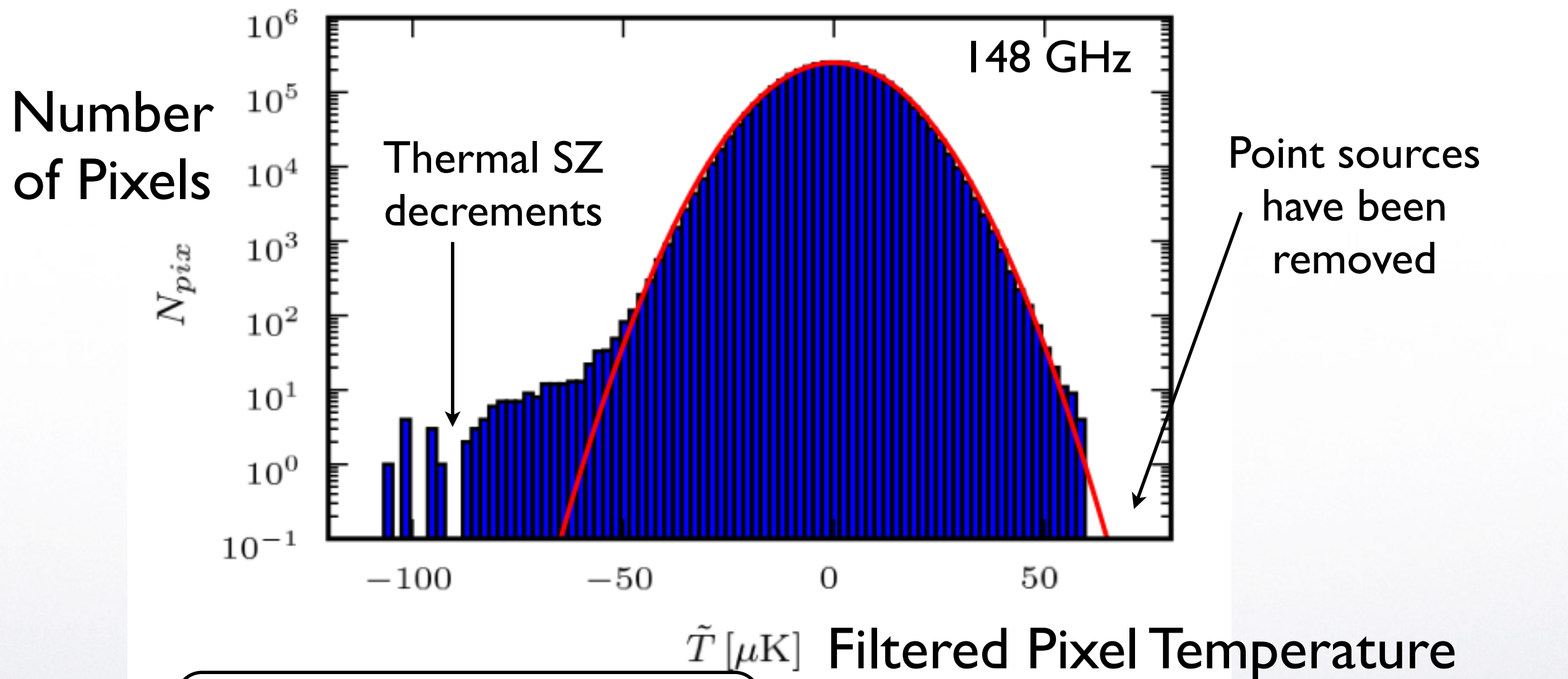




Higher-order tSZ Statistics



- ACT/SPT: small beams+low noise, hence significant detection of y NG



$$\langle \tilde{T}^3 \rangle = -31 \pm 6 \mu K^3 \quad (\text{Gaussian errors only})$$
$$\pm 14 \mu K^3 \quad (\text{with non-Gaussian error, i.e., CV})$$

$$\sigma_8 = 0.79^{+0.03}_{-0.03} \quad (68\% \text{ C.L.}) \quad {}^{+0.06}_{-0.06} \quad (95\% \text{ C.L.})$$



Higher-order tSZ Statistics

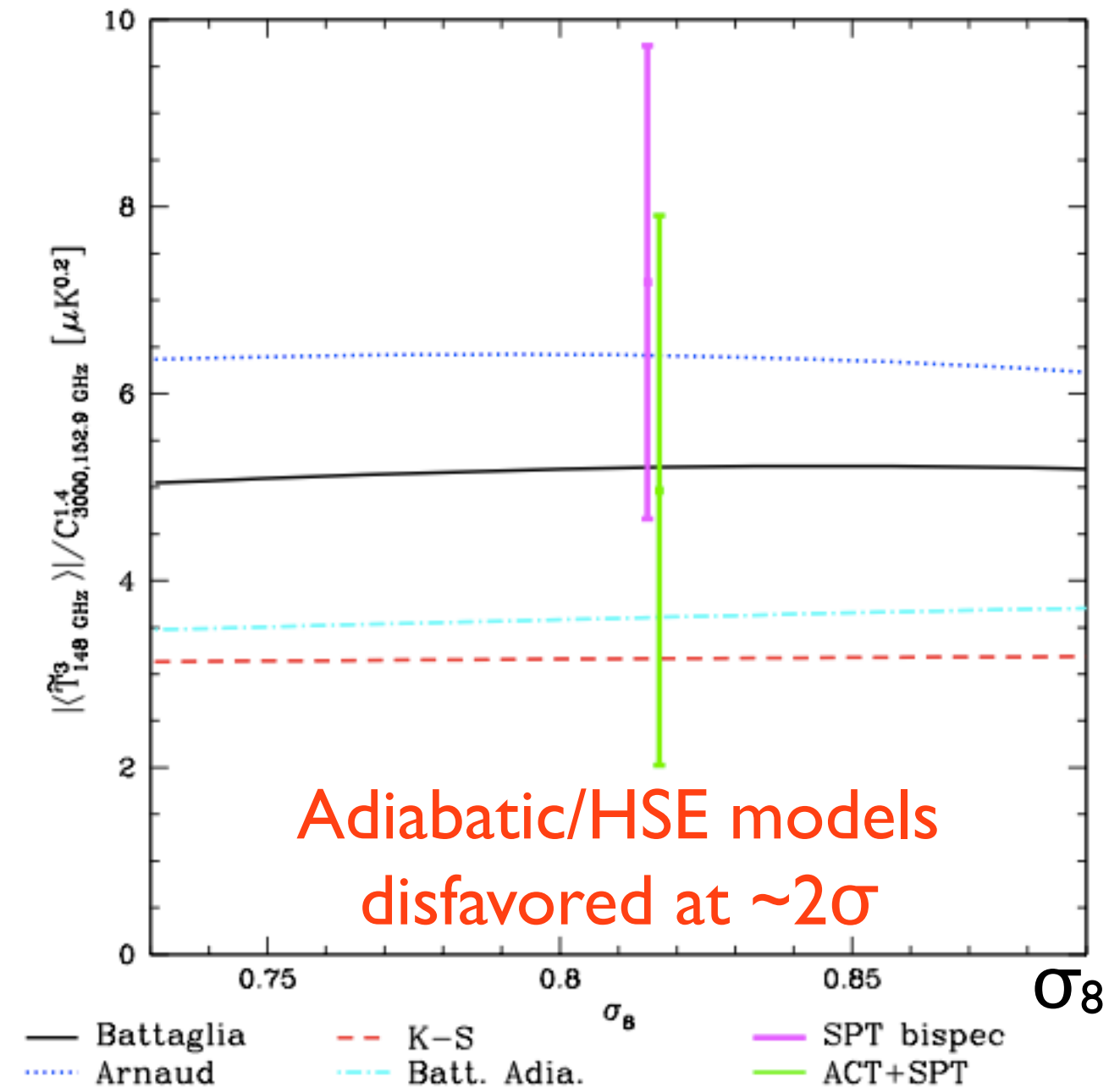


Different statistics
depend differently on
cosmology and ICM

$$C_\ell \propto \sigma_8^7 \quad \downarrow \quad \langle T^3 \rangle \propto \sigma_8^{11}$$

Can combine statistics to
break ICM-cosmology
degeneracy

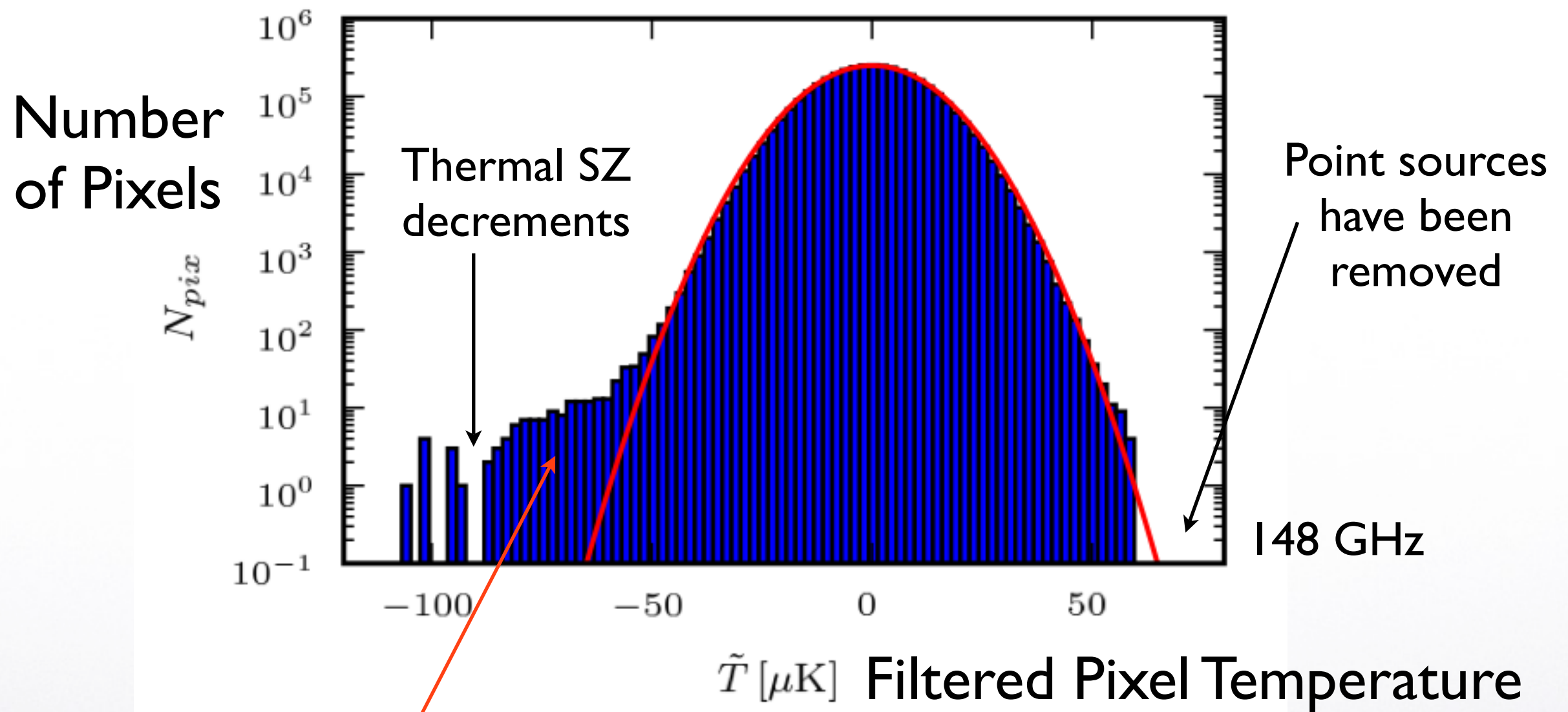
‘rescaled skewness’



(updated with new SPT results)



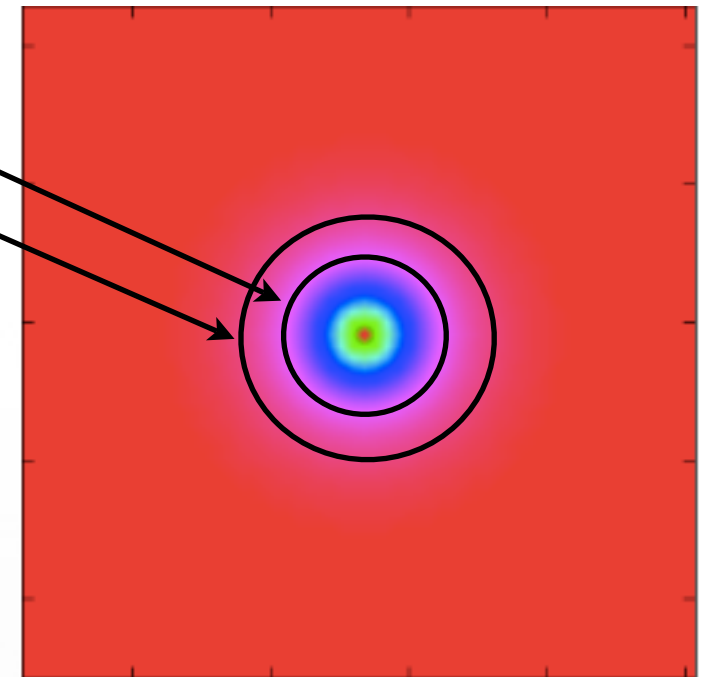
Beyond the Skewness



Why not compute the PDF itself? Have we used all of the information?

- Useful re-phrasing: how much sky area is subtended by Compton- y values in a given range?
- Simple for a spherical cluster: area between two circles
- Then add up such areas for all clusters:

$$b \equiv (y_{\min}, y_{\max})$$

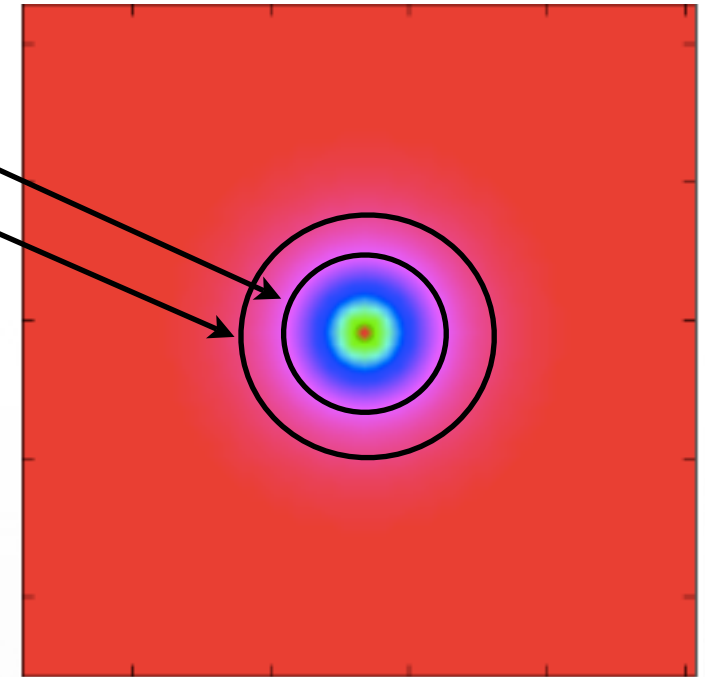


$$\langle P_b \rangle_{\text{noiseless}} = \int dz \frac{d^2 V}{dz d\Omega} \int dM \frac{dn}{dM} \pi (\theta^2(y_{\min}, M, z) - \theta^2(y_{\max}, M, z))$$

- Useful re-phrasing: how much sky area is subtended by Compton- y values in a given range?

$$b \equiv (y_{\min}, y_{\max})$$

- Simple for a spherical cluster: area between two circles
- Then add up such areas for all clusters:

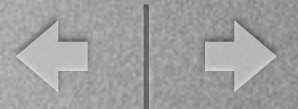


$$\langle P_b \rangle_{\text{noiseless}} = \int dz \frac{d^2 V}{dz d\Omega} \int dM \frac{dn}{dM} \pi (\theta^2(y_{\min}, M, z) - \theta^2(y_{\max}, M, z))$$

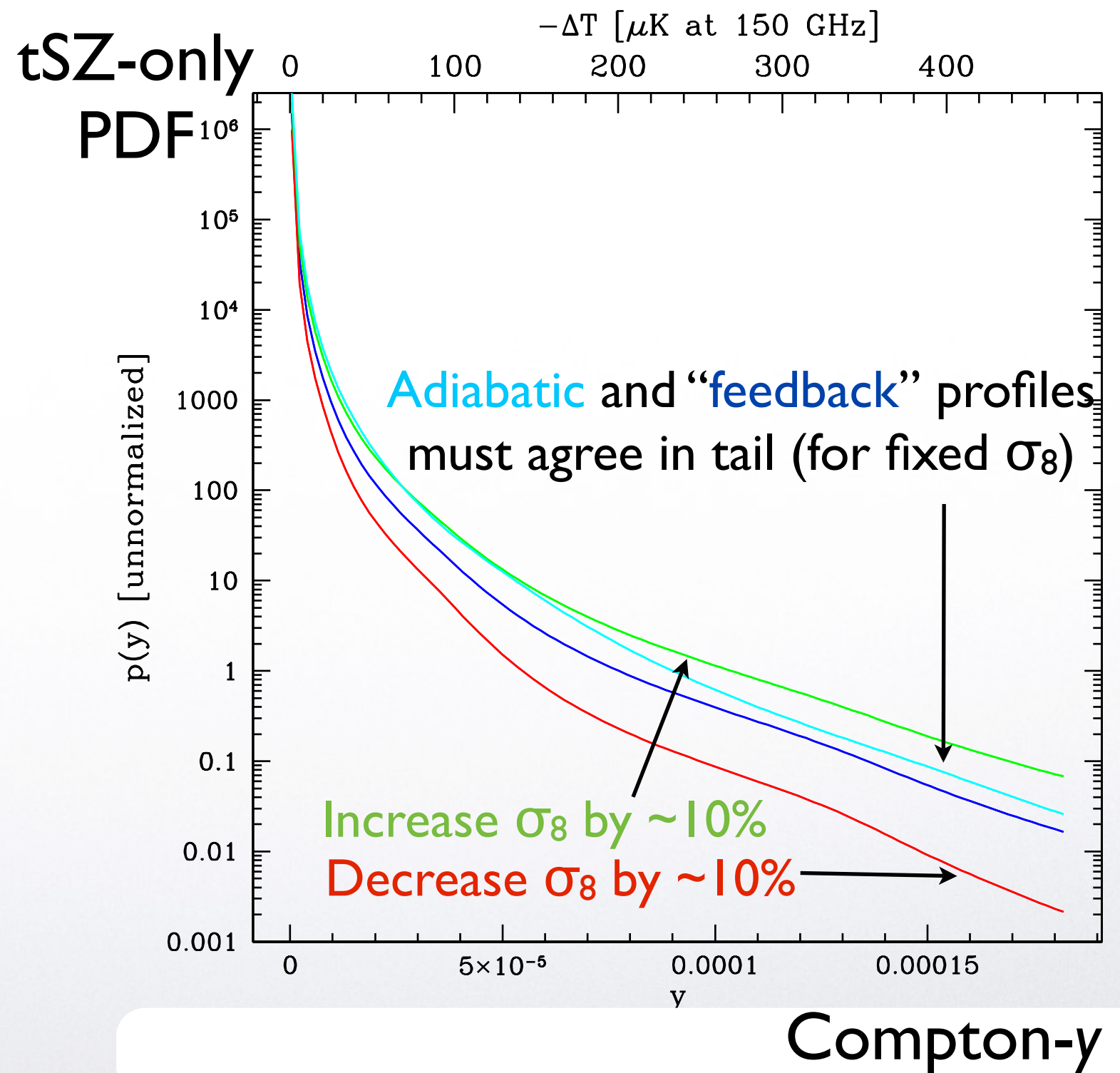
- Complications: non-tSZ contributions in CMB map
inhomogeneous atmospheric/instrumental noise
cluster overlaps along LOS

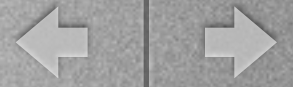


Thermal SZ PDF

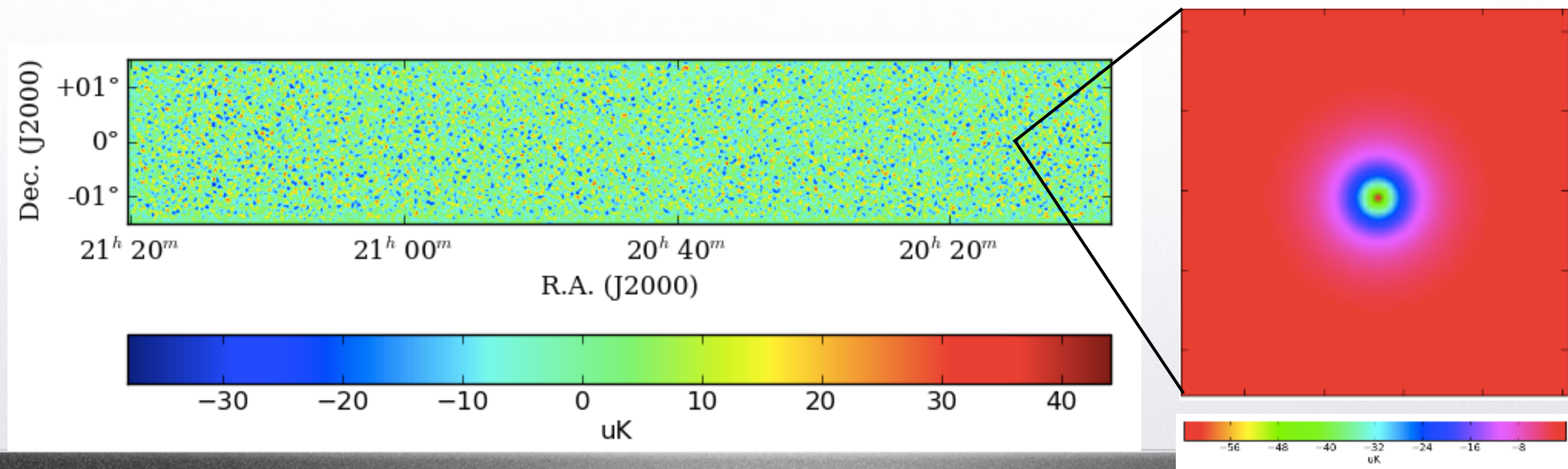


- PDF includes cosmological power of all tSZ moments
- y PDF provides natural generalization of “rescaled moments”
 - Cosmology (σ_8) sets the amplitude of the PDF tail (where profiles agree)
 - Gastrophysics determines the shape of the PDF at lower y
- Caveat: PDF discards (most of the) angular information which polyspectra contain





- Forecast: **factor of ~ 3 decrease in σ_8 error** compared to skewness alone if making same analysis assumptions (e.g., fixed gasphysics model)
- PDF shape breaks degeneracy: forecast ~ 10 -20% constraint on normalization of ICM pressure profile (P_0), with only small increase in $\Delta\sigma_8$
- In progress: robust determination of covariance matrix using a new simulation pipeline





Summary



- Thermal SZ measurements are a sensitive probe of both cosmology and the astrophysics of the ICM.
- Questions remain:
 - Can we understand the ICM well enough to use tSZ for cosmology?
 - How to best parametrize ICM?
 - What is the best tSZ statistic for a given experiment or desired parameter?
- Using cross-correlations and higher-order statistics we can clarify the origin of the current tension between tSZ and primordial CMB constraints.

