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BERKELEY COSMOLOGY SEMINAR

2022-10-25

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# ISOLATING THE LINEAR SIGNAL IN SMALL SCALE RSD

**WHY ARE WE TALKING ABOUT THIS?**

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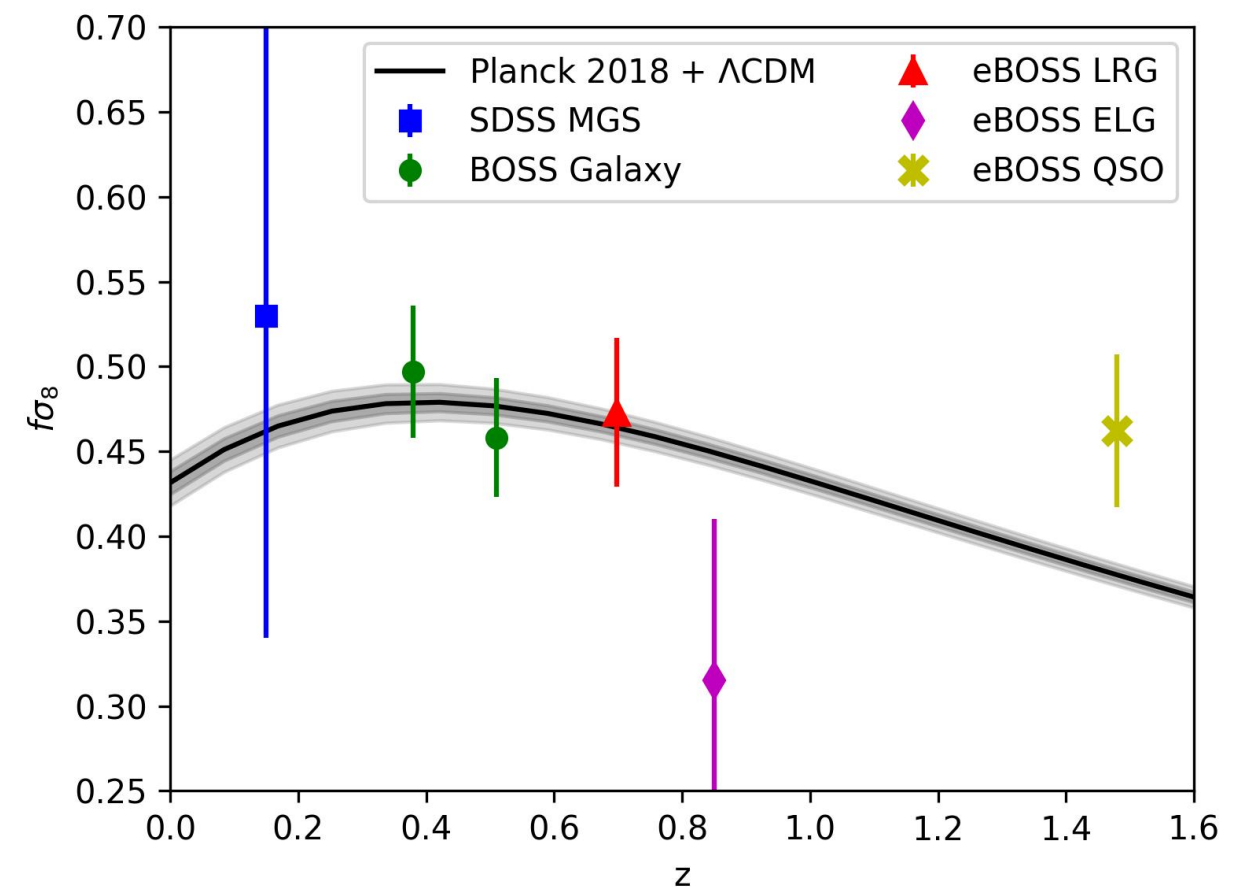
**BACKGROUND**

# BIG PICTURE

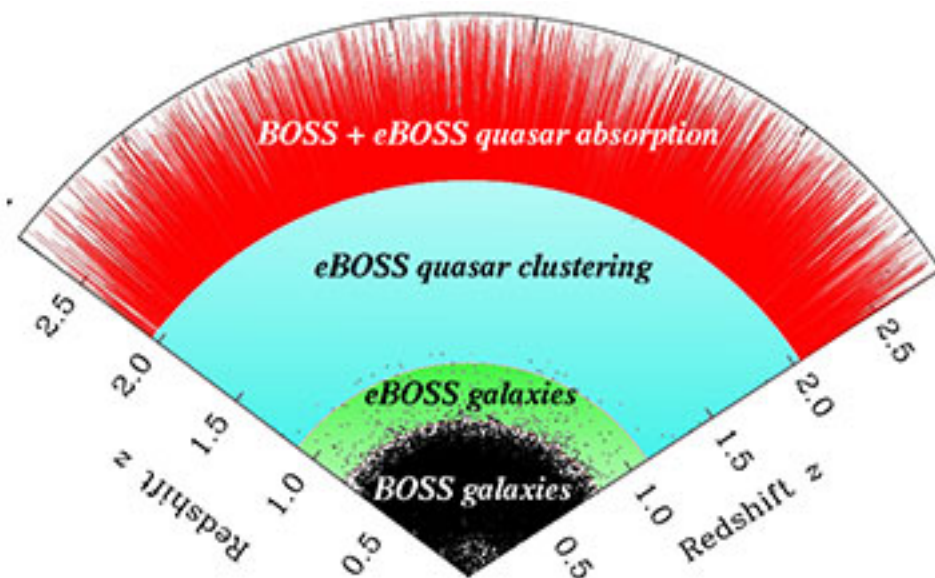
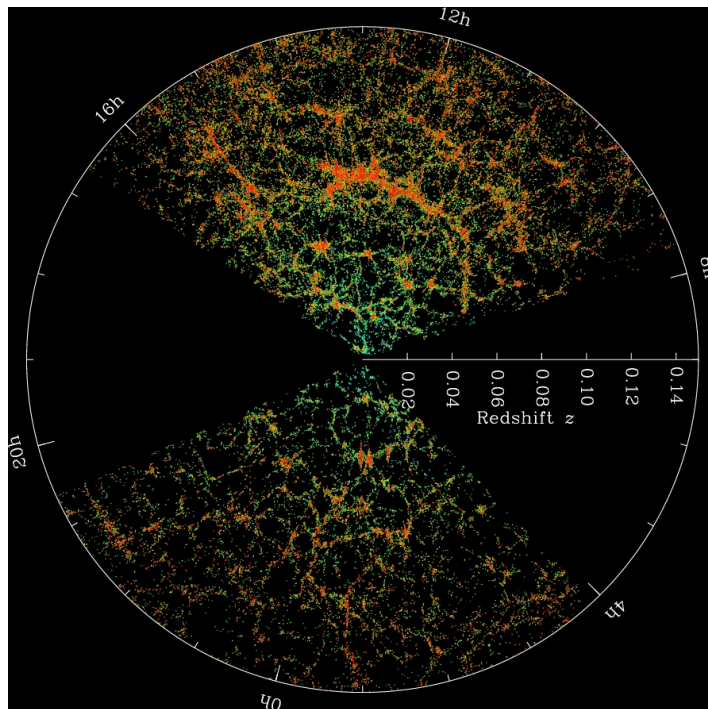
- ▶ Accelerated expansion of the Universe behaves like a cosmological constant, but lacks an underlying explanation
- ▶ Theories of dark energy or modified gravity affect the growth of structure, parameterized by  $f\sigma_8$ , and can be tested with galaxy clustering
- ▶  $f$  is the logarithmic growth rate of density fluctuations

$$f(\Omega_m) = \frac{d \ln D}{d \ln a} \quad ; \quad D \propto \delta_+$$

- ▶  $\sigma_8$  is the rms variance of density fluctuations in a sphere of radius  $8h^{-1}Mpc$



# GALAXY SPECTROSCOPIC SURVEYS



- ▶ Convert redshifts to distances assuming the Hubble flow
- ▶ The eBOSS observed 300 000 high redshift ( $0.6 < z < 1.0$ ) LRGs, as well as ELG and QSO
- ▶ Fibre collisions corrected by pairwise-inverse-probability weights, giving unbiased clustering at all scales

## CORRELATION FUNCTION

- ▶ Excess probability of finding another galaxy at a given separation relative to if they followed a Poissonian distribution
- ▶ Use  $\xi_0$ ,  $\xi_2$ , and  $w_p$  in analysis

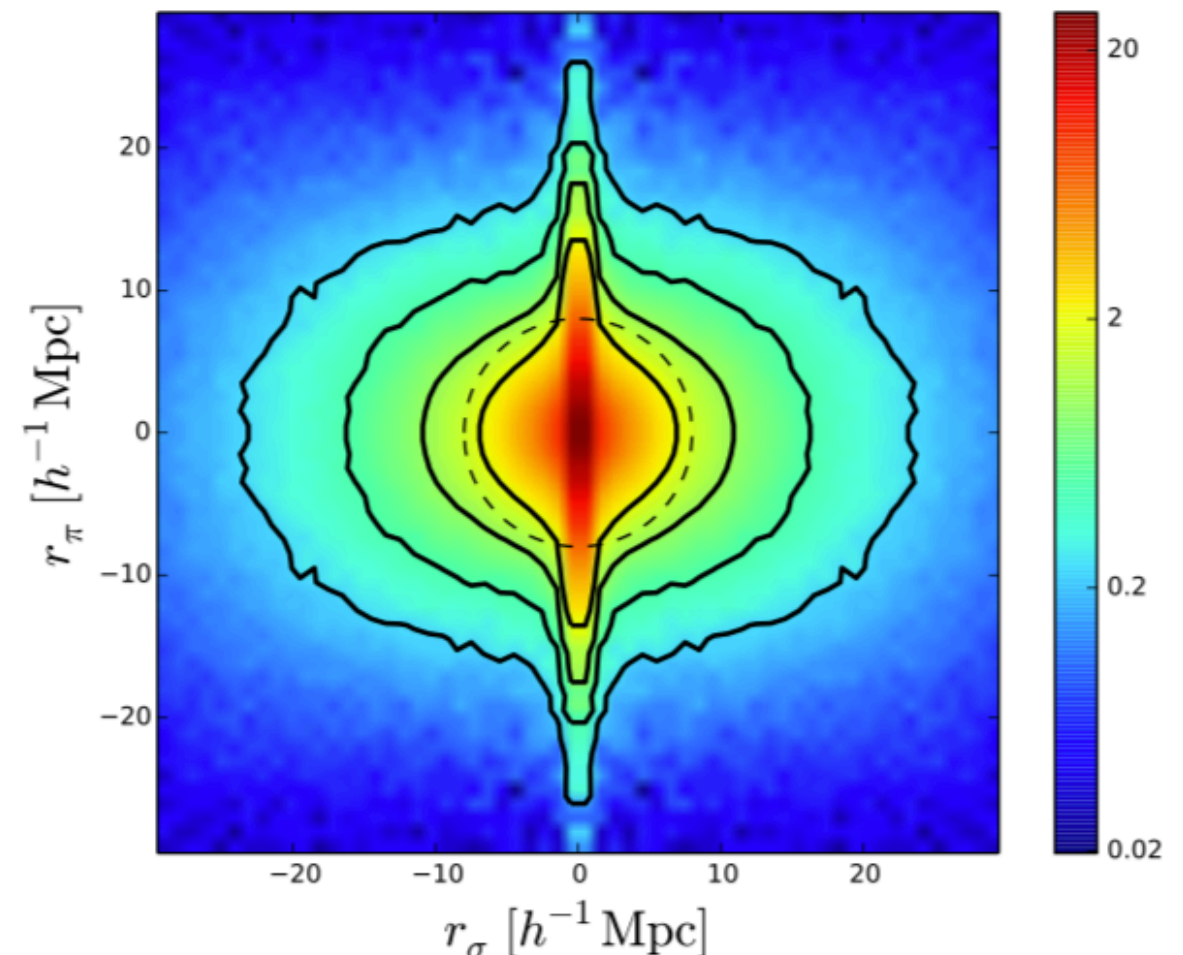
$$\xi(r_{\parallel}, r_{\perp}) = \frac{DD(r_{\parallel}, r_{\perp}) - 2DR(r_{\parallel}, r_{\perp})}{RR(r_{\parallel}, r_{\perp})} + 1$$

$$w_p(r_{\perp}) = 2 \int_0^{r_{\parallel, \max}} dr_{\parallel} \xi(r_{\parallel}, r_{\perp})$$

$$\xi_l(s) = \frac{2l+1}{2} \int d\mu_s \xi(s, \mu_s) L_l(\mu_s)$$

## REDSHIFT SPACE DISTORTIONS

- ▶ Peculiar velocities shift the position of galaxies in redshift space
- ▶ In the linear regime ( $>40 h^{-1}$  Mpc) gives a direct constraint on  $f\sigma_8$
- ▶ Better signal-to-noise below  $40 h^{-1}$  Mpc, but extracting linear information is non-trivial



2D correlation function in separation parallel (y-axis) and perpendicular (x-axis) to the line of sight.  
(Reid et al. 2014, 1404.3742)

**WHAT DID YOU DO?**

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**ANALYSIS METHODS**

## COSMOLOGICAL EMULATOR

- ▶ Gaussian process based machine learning trained on Aemulus simulation suite to predict galaxy correlation functions
- ▶ 16 parameter model; 7  $w$ CDM, 8 HOD, and velocity scaling parameter

$$w\text{CDM: } \Omega_m, \Omega_b, \sigma_8, h, n_s, N_{eff}, w$$

$$\text{HOD: } \log M_{sat}, \alpha, \log M_{cut}, \sigma_{\log M}, f_{max}, v_{bc}, v_{bs}, c_{vir}$$

$$\text{Velocity Scaling: } \gamma_f$$

- ▶ Keep  $N_{eff}, w$  fixed for a total of 14 free parameters



## VELOCITY SCALING

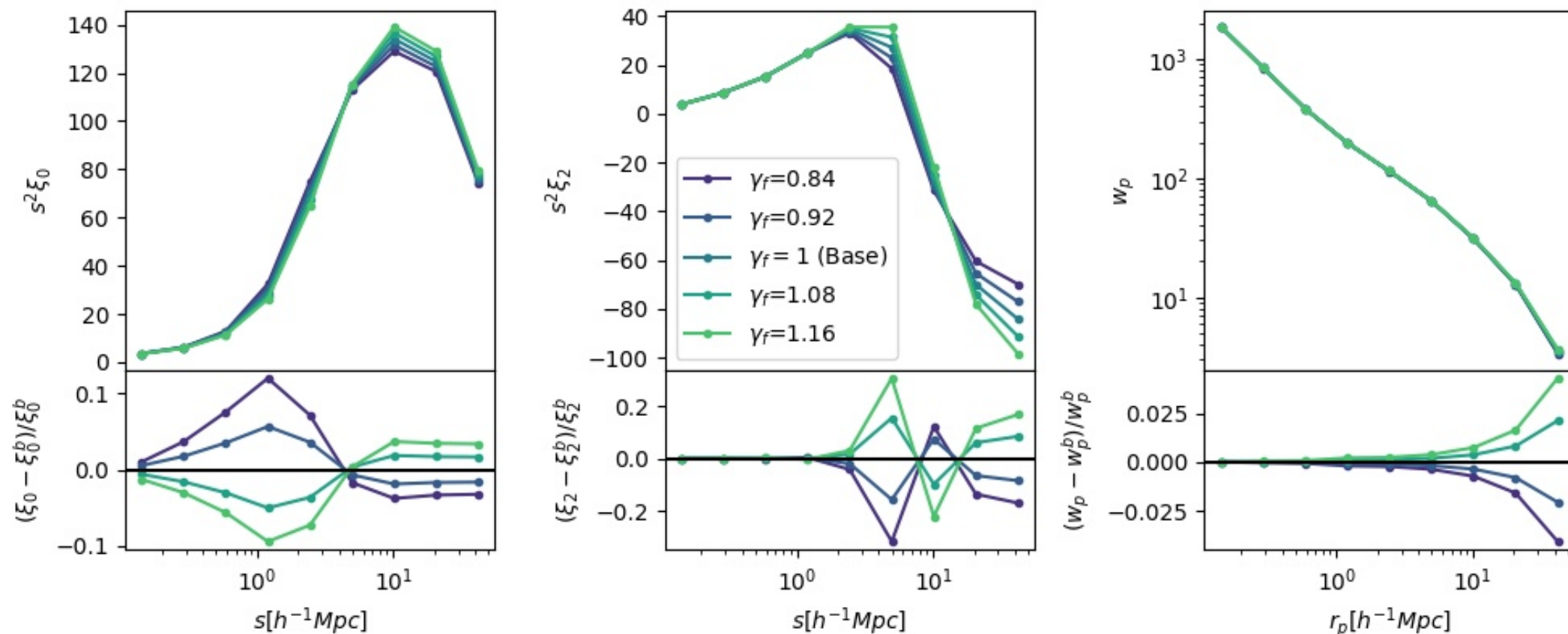
- ▶  $\gamma_f$  rescales all bulk halo velocities in the simulation
- ▶ In the linear regime the amplitude of the velocity field is directly proportional to  $f\sigma_8$

$$\mathbf{v}_k = \frac{ik}{k^2} H a \delta_k \mathbf{f}$$

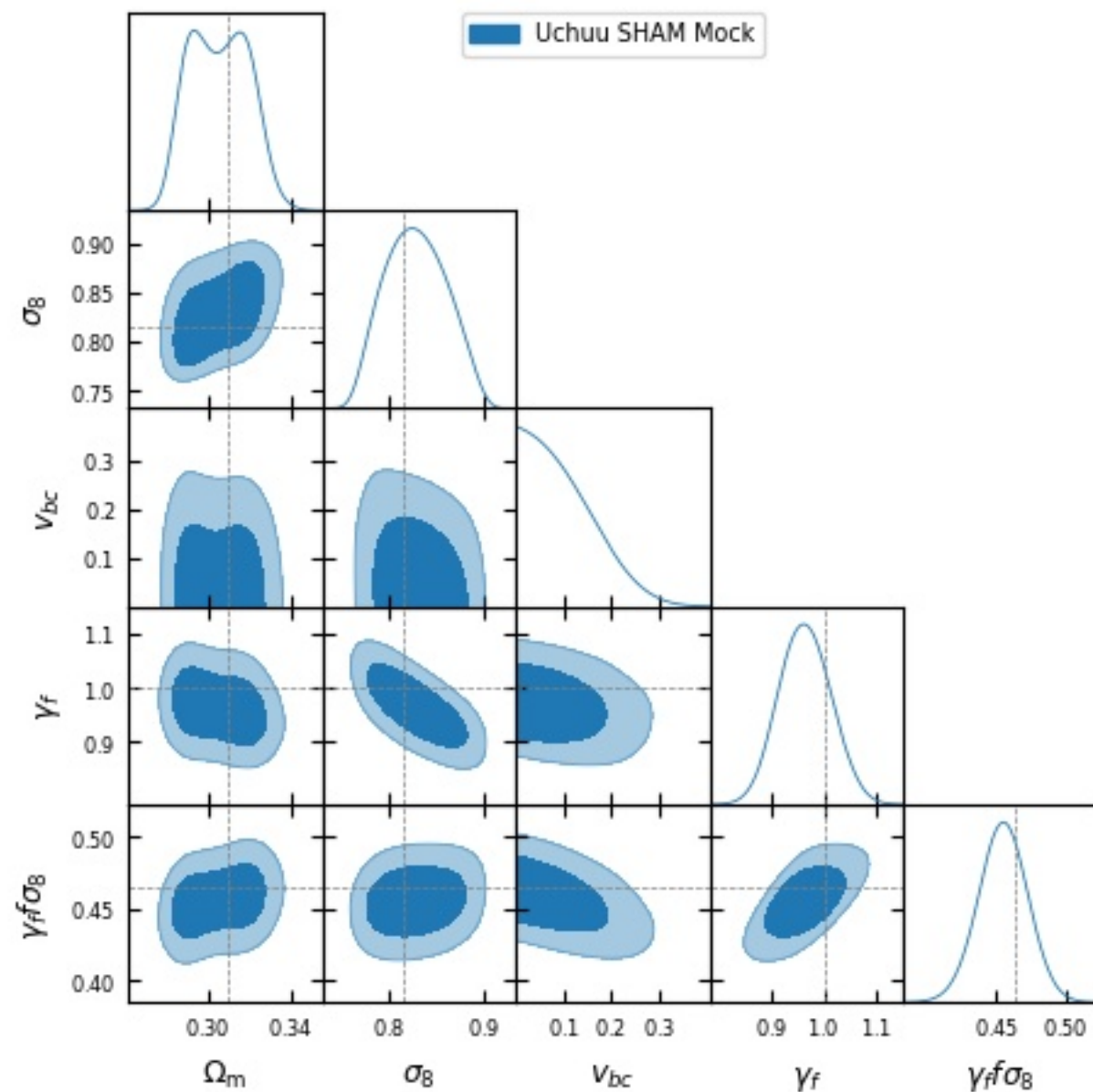
- ▶ A fractional change in  $\gamma_f$  is equal to a fractional change in the linear growth rate, so  $f_{meas} = \gamma_f f_{\Lambda\text{CDM}}$
- ▶ Parameterizes deviations from expected growth within a  $\Lambda\text{CDM}$  framework, assessing tension in the growth of structure specifically

# NON-LINEAR VELOCITIES

- ▶ On linear scales a change in  $\gamma_f$  corresponds to a change in the growth rate, but not necessarily true on non-linear scales
- ▶ Identify  $7 h^{-1}\text{Mpc}$  as the transition, so use  $7 < r < 60 h^{-1}\text{Mpc}$  to constrain  $f\sigma_8$ , and  $\gamma_f$  as a test of  $\Lambda\text{CDM}$  using  $0.1 < r < 60 h^{-1}\text{Mpc}$



# MOCK TESTING



- ▶ Tested full pipeline with a SHAM mock from the Uchuu simulation
- ▶ Using a different galaxy-halo connection model shows that the HOD parameterization is robust
- ▶ Recovered the expected cosmology and  $\gamma_f$

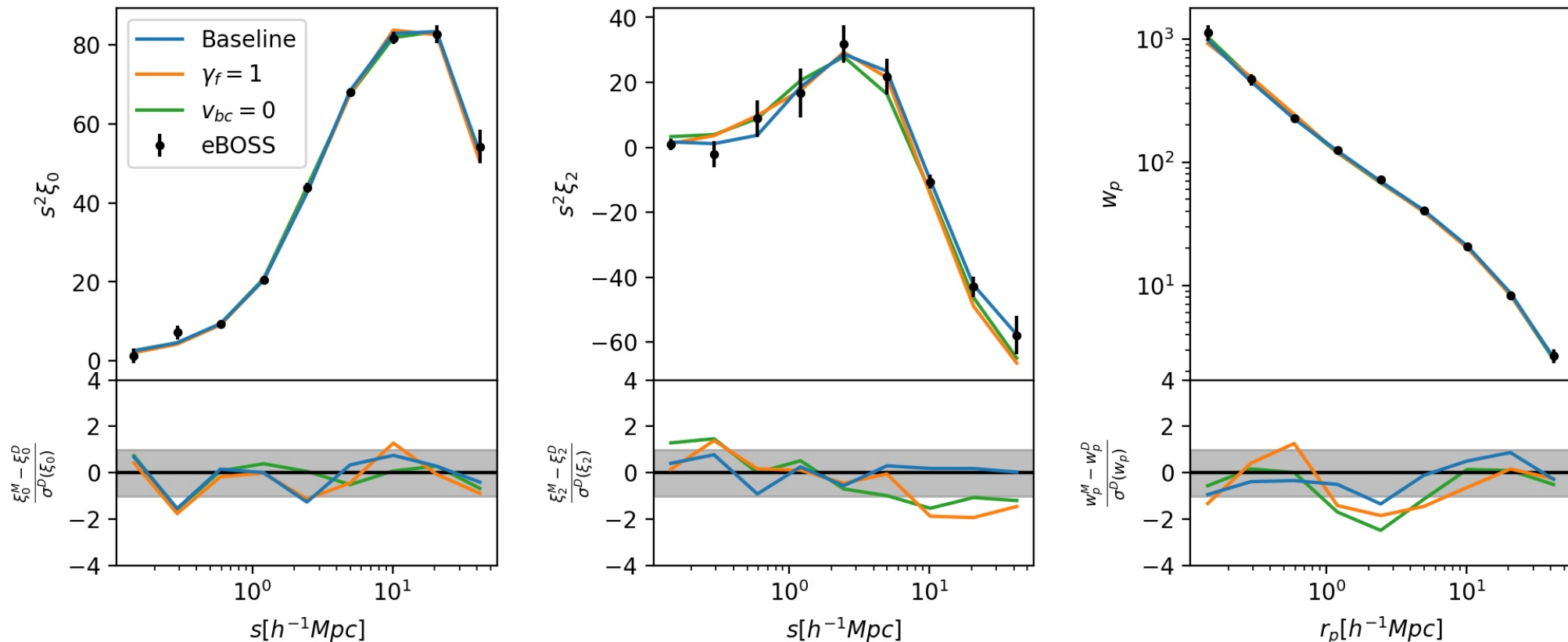
**FINALLY THE GOOD PART...**

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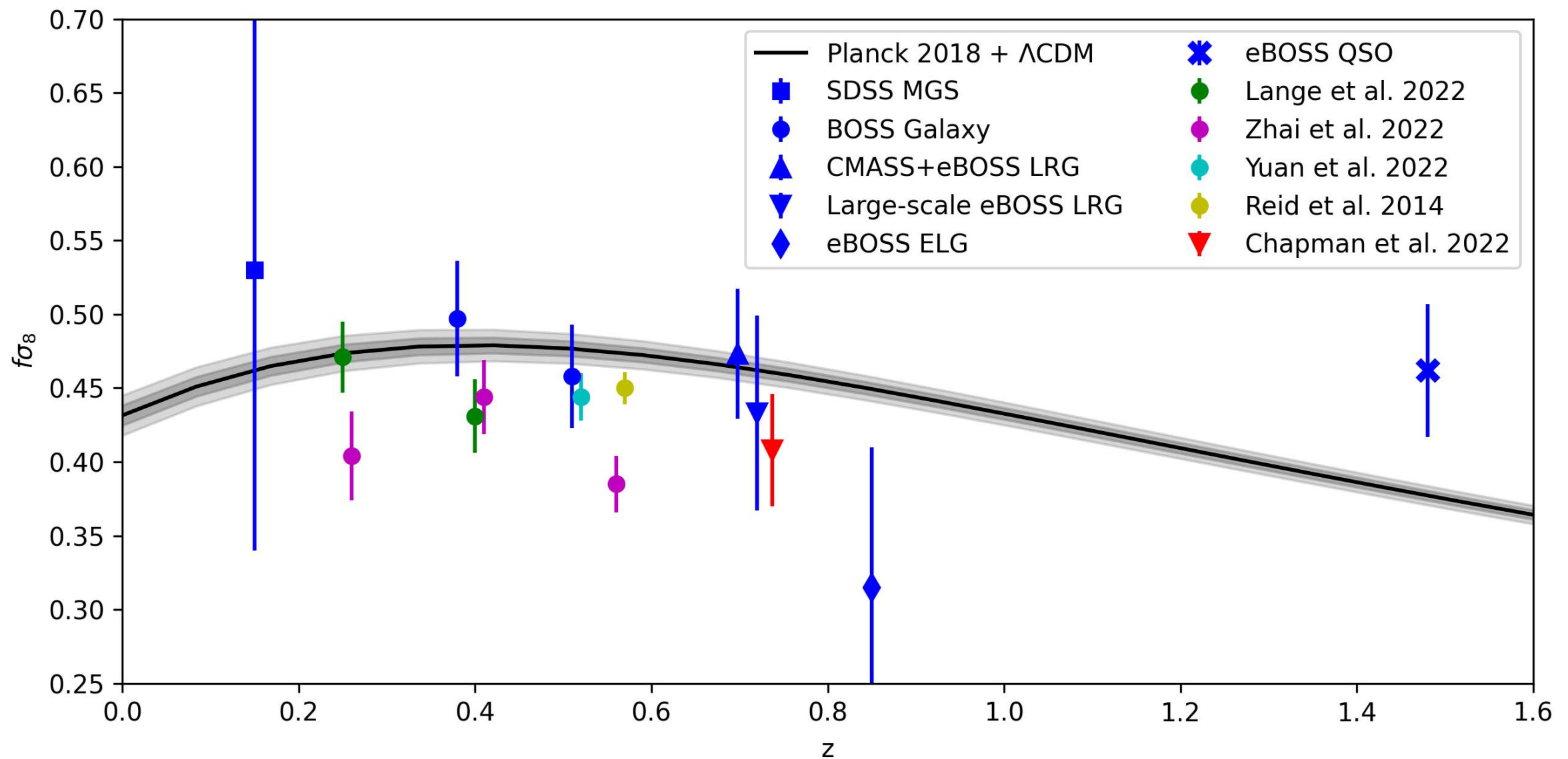
**PUBLISHED RESULTS**

# HEADLINE RESULTS

- ▶ Using  $7 < r < 60 h^{-1}\text{Mpc}$  measure  $f\sigma_8(z = 0.737) = 0.408 \pm 0.038$ ,  $1.4\sigma$  below the Planck2018 expectation and a factor of 1.7 better than the large scales
- ▶ Using  $0.1 < r < 60 h^{-1}\text{Mpc}$  measure  $\gamma_f = 0.767 \pm 0.052$ ,  $4.5\sigma$  below the value for  $\Lambda\text{CDM}$

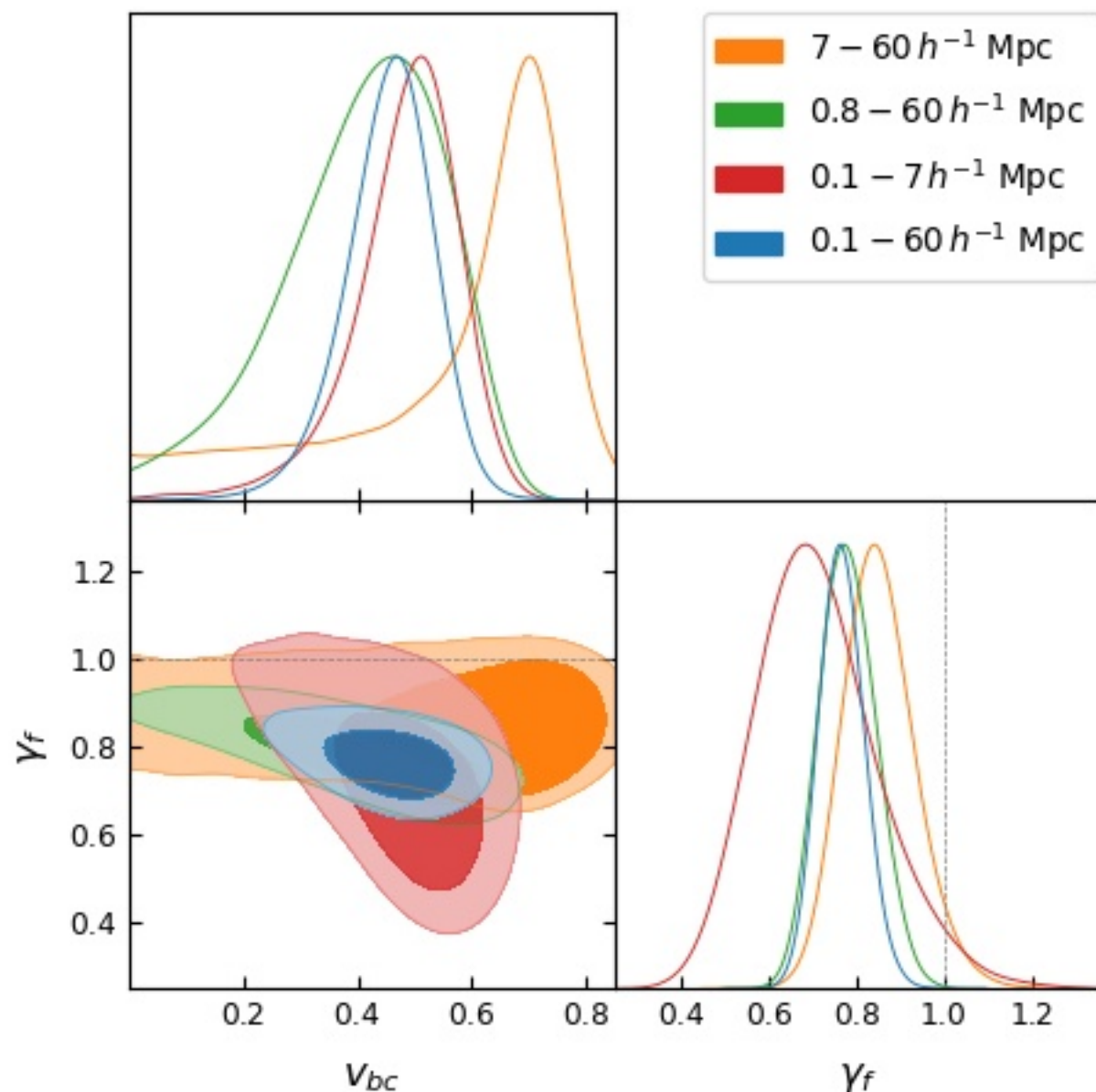


# COMPARISON TO OTHER SDSS RESULTS





# SCALE DEPENDENCE

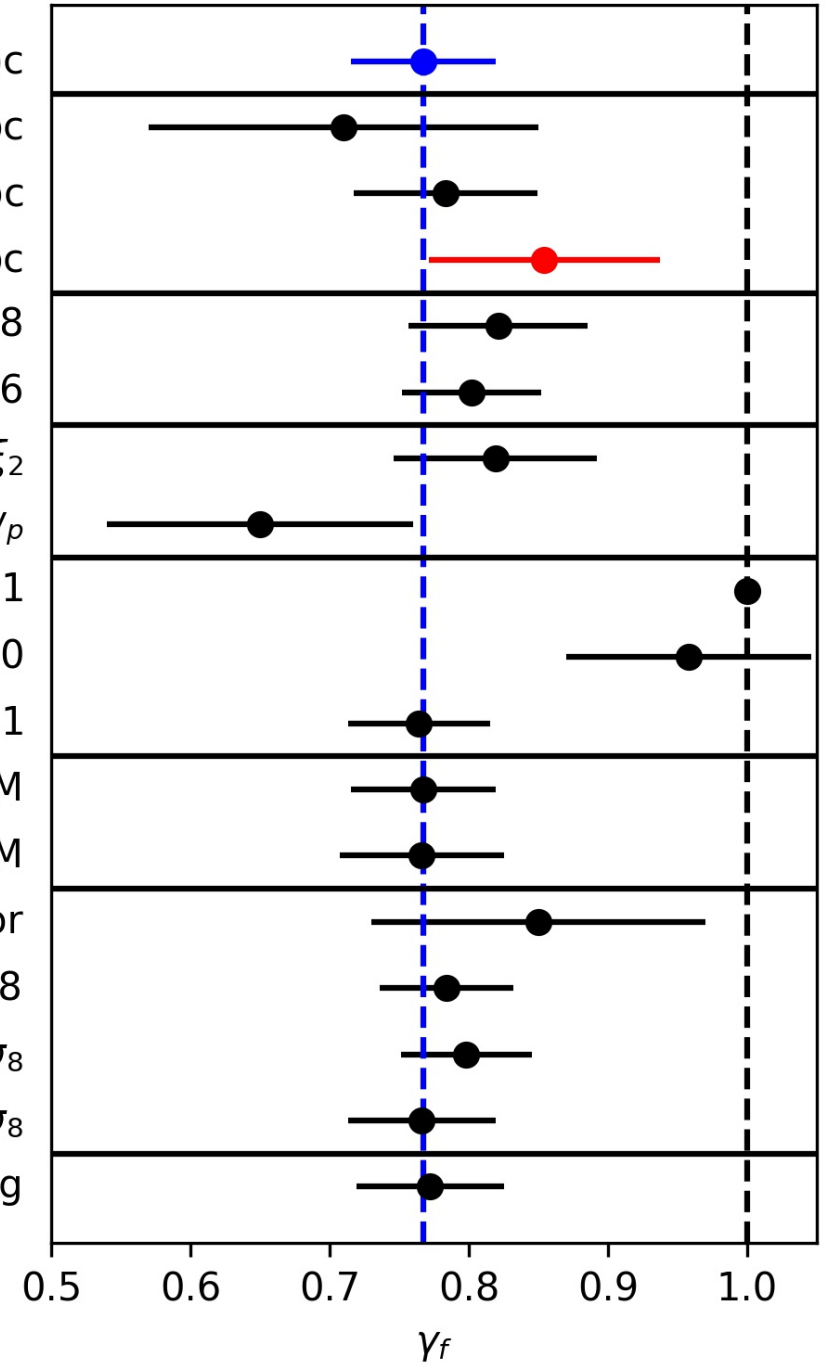


- ▶ Small scales prefer a low value of  $\gamma_f$  and non-zero  $v_{bc}$
- ▶ Large scales prefer a larger value of  $\gamma_f$  and no degeneracy with  $v_{bc}$
- ▶ The non-linear scales drive the stronger tension from all scales

## ALL FITS

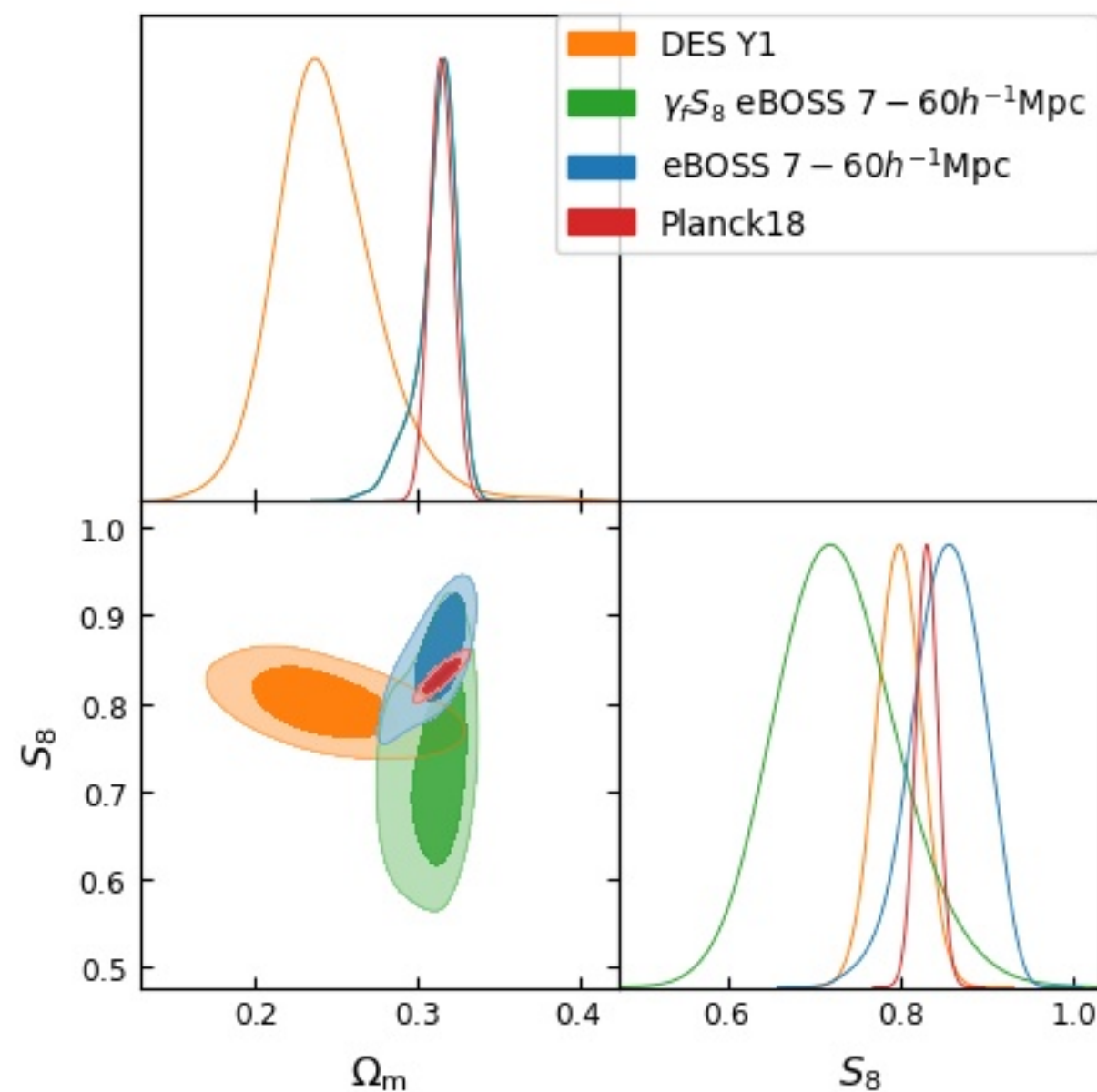
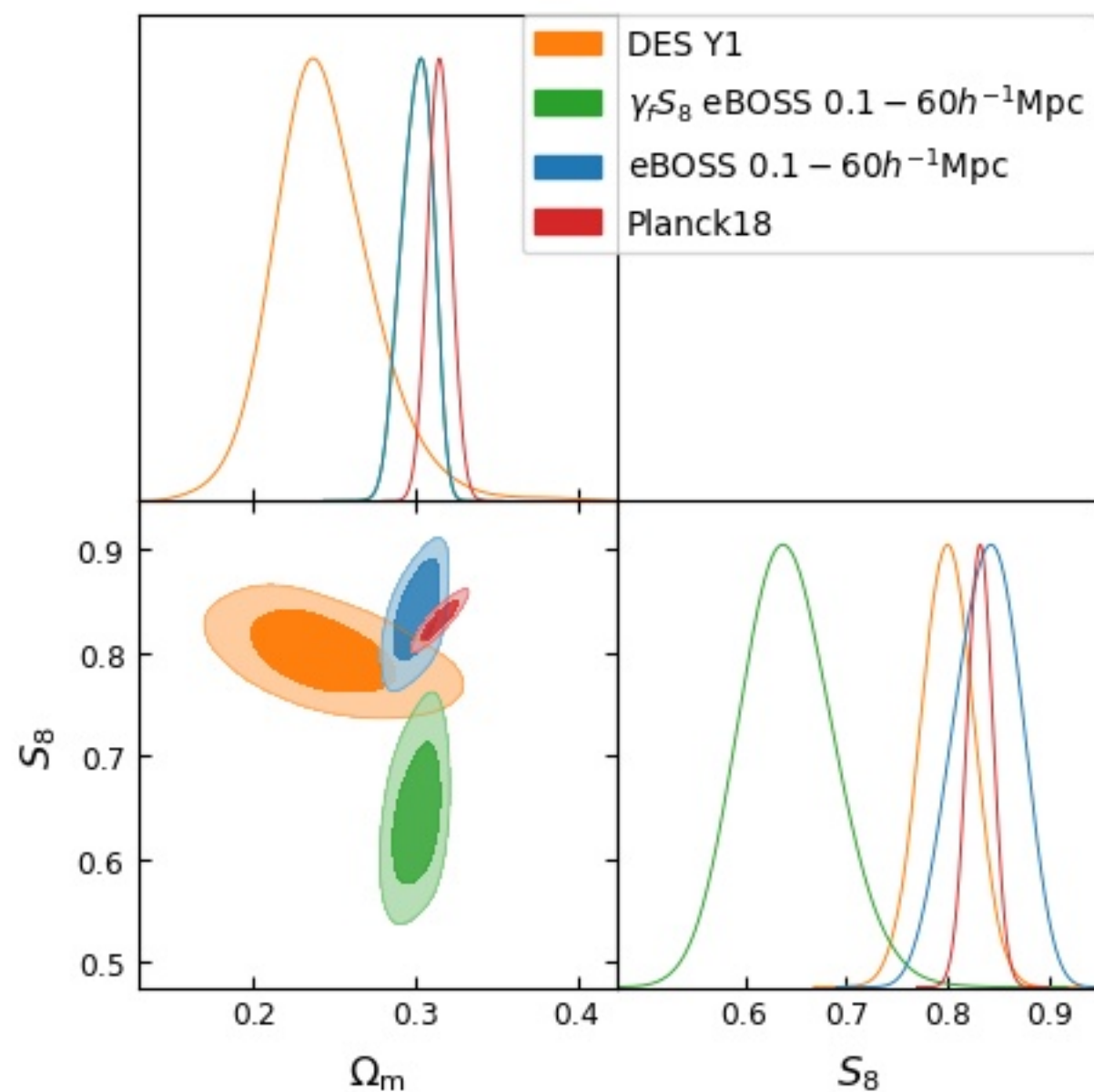
Run	$\gamma_f$	$N_P$	$N_D$	$\chi^2$
0.1 – 60 $h^{-1}$ Mpc	$0.767 \pm 0.052$	14	27	14.1
0.1 – 7 $h^{-1}$ Mpc	$0.71 \pm 0.14$	14	18	7.8
0.8 – 60 $h^{-1}$ Mpc	$0.783 \pm 0.066$	14	18	4.2
7 – 60 $h^{-1}$ Mpc	$0.854 \pm 0.083$	14	9	0.36
7 – 60 $h^{-1}$ Mpc, 8 parameters	$0.821 \pm 0.064$	8	9	0.74
7 – 60 $h^{-1}$ Mpc, 6 parameters	$0.802 \pm 0.050$	6	9	1.8
$\xi_0 + \xi_2$	$0.819 \pm 0.073$	14	18	5.0
$\xi_0 + w_p$	$0.65 \pm 0.11$	14	18	5.4
$\gamma_f = 1$	1	13	27	28.0
$v_{bc} = 0$	$0.958 \pm 0.088$	13	27	22.5
$f_{max} = 1$	$0.764 \pm 0.051$	13	27	16.6
Unsmoothed covariance matrix	$0.767 \pm 0.052$	14	27	14.3
Scaled mock covariance matrix	$0.766 \pm 0.059$	14	27	12.0
No training prior	$0.85 \pm 0.12$	14	27	12.1
eBOSS+Planck18	$0.784 \pm 0.048$	14*	27	18.5
eBOSS+Planck18 scaled $\sigma_8$	$0.798 \pm 0.047$	14*	27	19.1
eBOSS+Planck18 free $\sigma_8$	$0.766 \pm 0.053$	14*	27	18.0
No AP scaling	$0.772 \pm 0.053$	14	27	14.5

0.1 – 60  $h^{-1}$  Mpc  
 0.1 – 7  $h^{-1}$  Mpc  
 0.8 – 60  $h^{-1}$  Mpc  
 7 – 60  $h^{-1}$  Mpc  
 7 – 60  $h^{-1}$  Mpc,  $N_p = 8$   
 7 – 60  $h^{-1}$  Mpc,  $N_p = 6$   
 $\xi_0 + \xi_2$   
 $\xi_0 + w_p$   
 $\gamma_f = 1$   
 $v_{bc} = 0$   
 $f_{max} = 1$   
 Unsmoothed CM  
 Scaled mock CM  
 No training prior  
 eBOSS+Planck18  
 Planck18 scaled  $\sigma_8$   
 Planck18 free  $\sigma_8$   
 No AP scaling



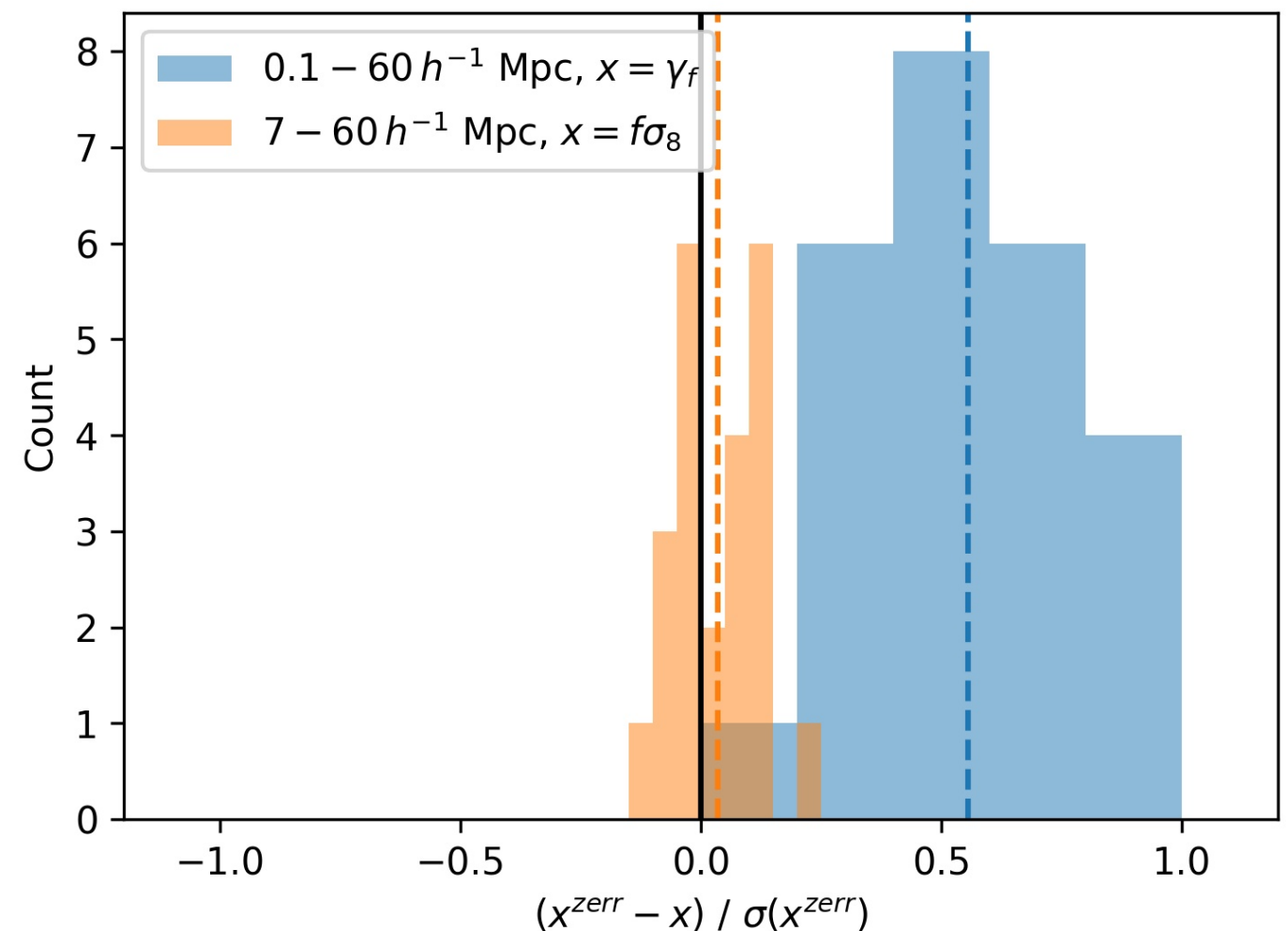


# COMPARISON TO LENSING



## REDSHIFT UNCERTAINTY

- ▶ The eBOSS sample has a redshift uncertainty well fit by a Gaussian of width  $\sigma = 91.8$  km/s, giving a mean offset of 65.6 km/s
- ▶ On non-linear scales the redshift uncertainty is similar to the halo velocities, giving a degeneracy with  $\gamma_f$
- ▶ Correcting this bias would shift our measurement to lower values of  $f\sigma_8$



**\*NEW RESULTS\***

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**ISOLATING THE LINEAR SIGNAL**

## LINEAR SIGNAL

- ▶ Split the scaling parameter into two independent scalings:  $\gamma_l$  for the linear component of the velocity, and  $\gamma_n$  for the non-linear
- ▶ Use the initial conditions code to calculate the linear velocity of each particle and evolve to low redshift assuming linear growth

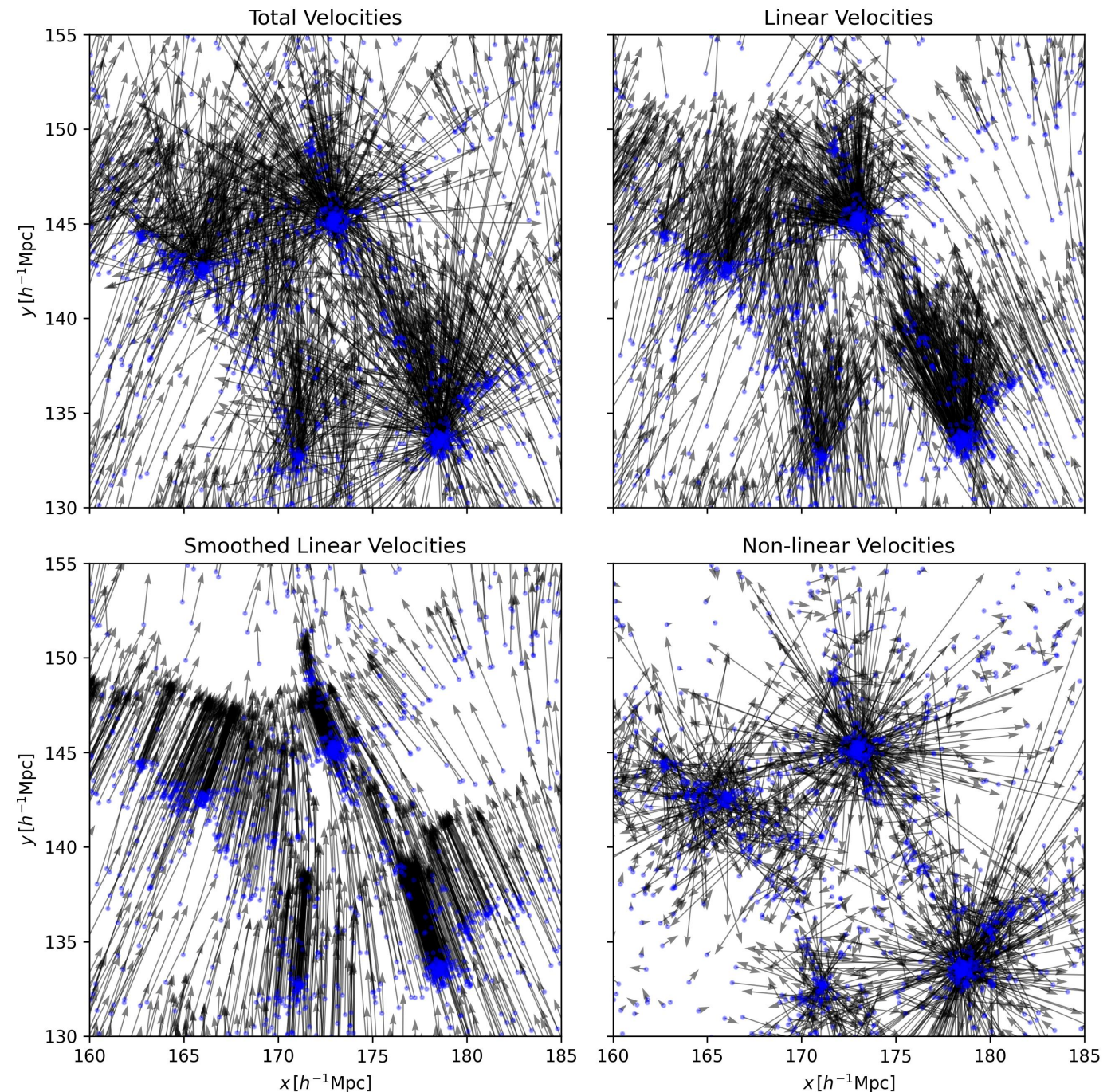
$$\mathbf{v}(z_2) = \frac{H a f \sigma_8(z_2)}{H a f \sigma_8(z_1)} \mathbf{v}(z_1)$$

- ▶ Non-linear velocities defined as the remainder between the total and linear velocity:  $\mathbf{v}_{nl} = \mathbf{v}_{tot} - \mathbf{v}_{lin}$

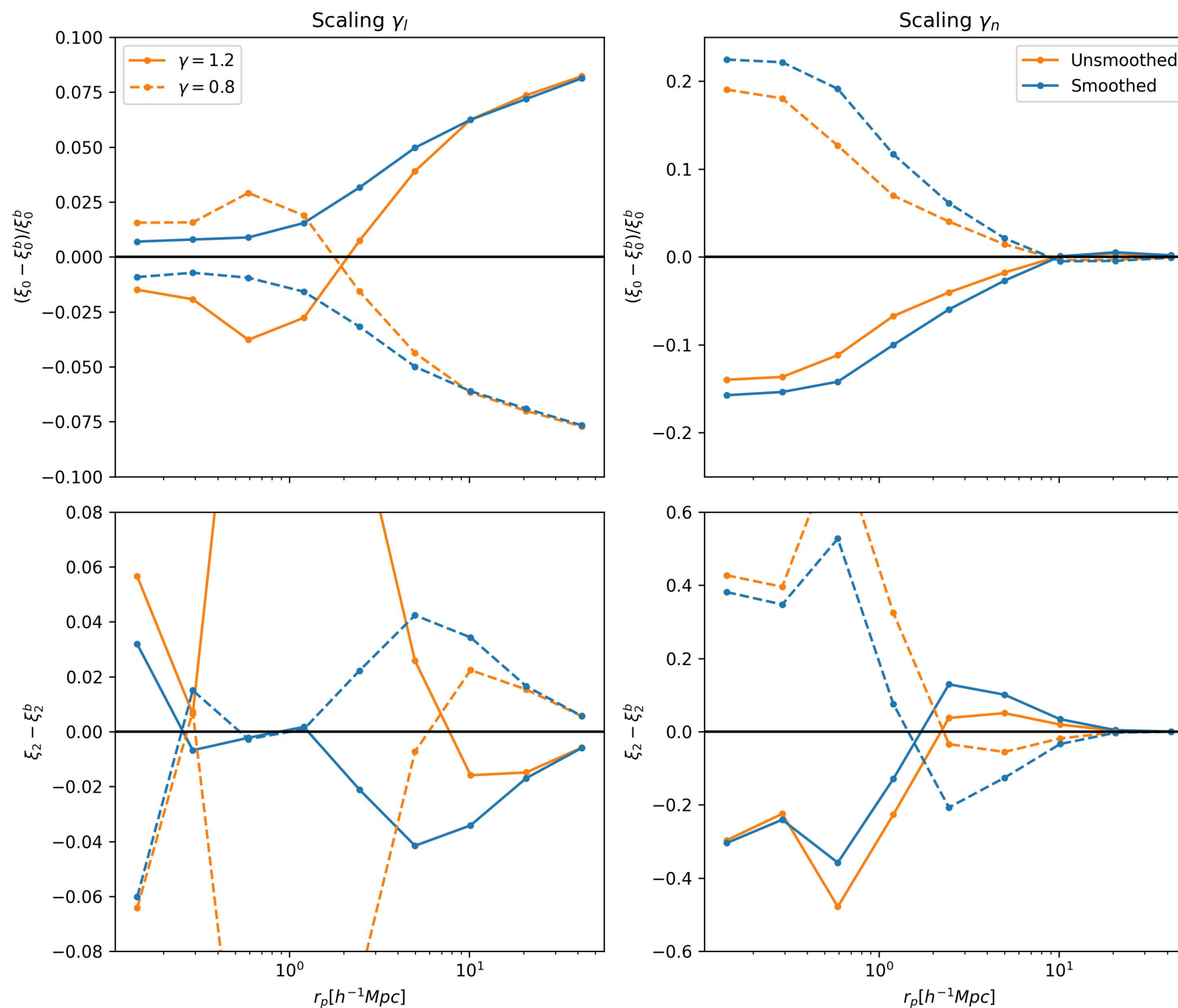


# SMOOTHING THE VELOCITY FIELD

- ▶ Initially assigned halos the mean linear velocity of their particles
- ▶ To better align linear velocity smoothed using a tophat kernel with radius  $5 h^{-1}\text{Mpc}$  on a grid with cell length  $1 h^{-1}\text{Mpc}$
- ▶ Maintains the large scale growth while ensuring already collapsed objects are comoving



# LINEAR SIGNAL



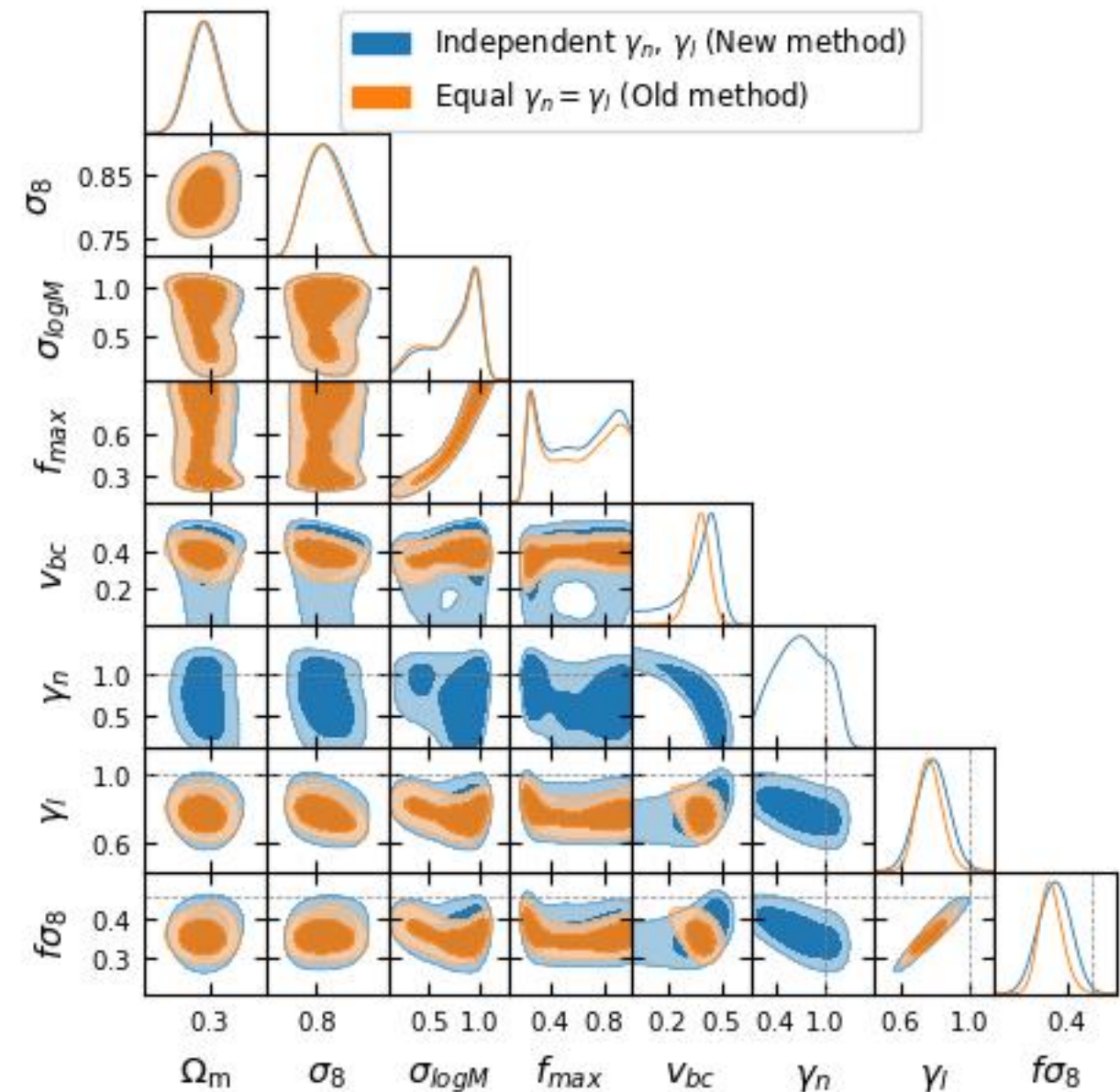


## BUILDING A NEW EMULATOR

- ▶ Change from Aemulus simulation suite to Abacus Suite because of the publicly available IC code zeldovich-PLT
- ▶ Abacus consists of 40 simulation boxes sampled over a range of cosmologies, with box length  $1100 h^{-1}\text{Mpc}$  and  $1440^3$  particles
- ▶ Rebuilt emulator using new parameters  $\gamma_l$  and  $\gamma_n$
- ▶ Fit to eBOSS LRG sample from Chapman et al. 2022 over full  $0.1 - 60 h^{-1}\text{Mpc}$

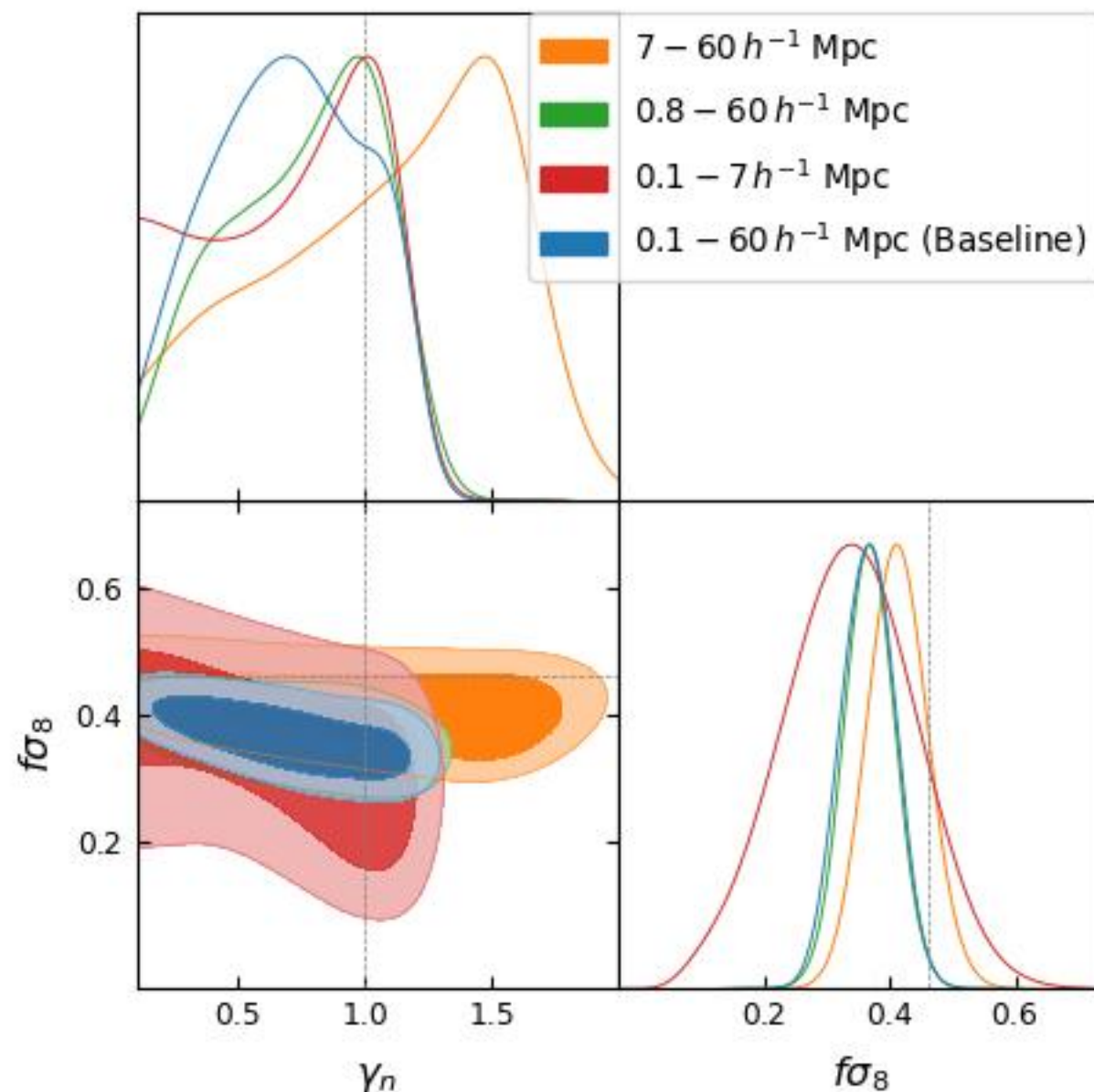
## NEW EMULATOR RESULTS

- ▶  $\gamma_l$  constraints remain similar to combined scaling in previous emulator, resulting in increased tension
- ▶ Low value of  $\gamma_n$  preferred by fit, but generally poorly constrained





## REDUCED SCALE DEPENDENCE



- ▶ Splitting the scaling parameter into  $\gamma_l$  and  $\gamma_n$  reduces the tension between the small and large scale measurements
- ▶ An offset of  $\sim 1\sigma$  still exists between the large and intermediate scales

# STATE OF THE FIELD

	Chapman et al. In Prep.	Chapman et al. 2022	Lange et al. 2022	Zhai et al. 2022	Yuan et al. 2022
Data	eBOSS LRG	eBOSS LRG	BOSS LOWZ	BOSS LOWZ+CMASS	BOSS CMASS
Simulations	Abacus	Aemulus	Aemulus	Aemulus	AbacusSummit
Model	Emulator+ $\gamma_l, \gamma_n$	Emulator+ $\gamma_f$	Cosmological Evidence Modelling	Emulator+ $\gamma_f$	Constrained HOD Emulator

- ▶ Four research groups, using a variety of data, simulations, and models have found consistently low values of  $f\sigma_8$
- ▶ Extensive tests have been performed on contamination of non-linear signal, galaxy-halo connection model, and observational systematics
- ▶ Common threads are the cosmological model, dark matter only simulations, and HOD

## FUTURE DIRECTIONS

- ▶ Retrain emulator using AbacusSummit for larger volume, more cosmologies, and higher resolution
- ▶ Refine velocity split model and extend to quasi-linear evolution
- ▶ Test modelling using recovery tests on hydrodynamical simulations, extended HOD models
- ▶ Investigate redshift uncertainty modelling dependence on redshift, halo mass, observational characteristics
- ▶ Measure small-scale RSD in DESI LRG and ELG samples

## SUMMARY

- ▶ Measured  $f\sigma_8(z = 0.737) = 0.408 \pm 0.038$  from small-scale RSD in eBOSS LRGs,  $1.4\sigma$  below the Planck2018 expectation and a factor of 1.7 better than the large scales
- ▶ Improved model using velocity split model, finding increased tension with Planck2018 +  $\Lambda$ CDM expectation
- ▶ Small-scale RSD give consistently low values of  $f\sigma_8$  across changes in data, simulations, and modelling
- ▶ Results point to HOD breakdown, deviation in small-scale CDM simulations, or tension with  $\Lambda$ CDM
- ▶ Contact me at **[mj3chapm@uwaterloo.ca](mailto:mj3chapm@uwaterloo.ca)** with additional comments and questions!