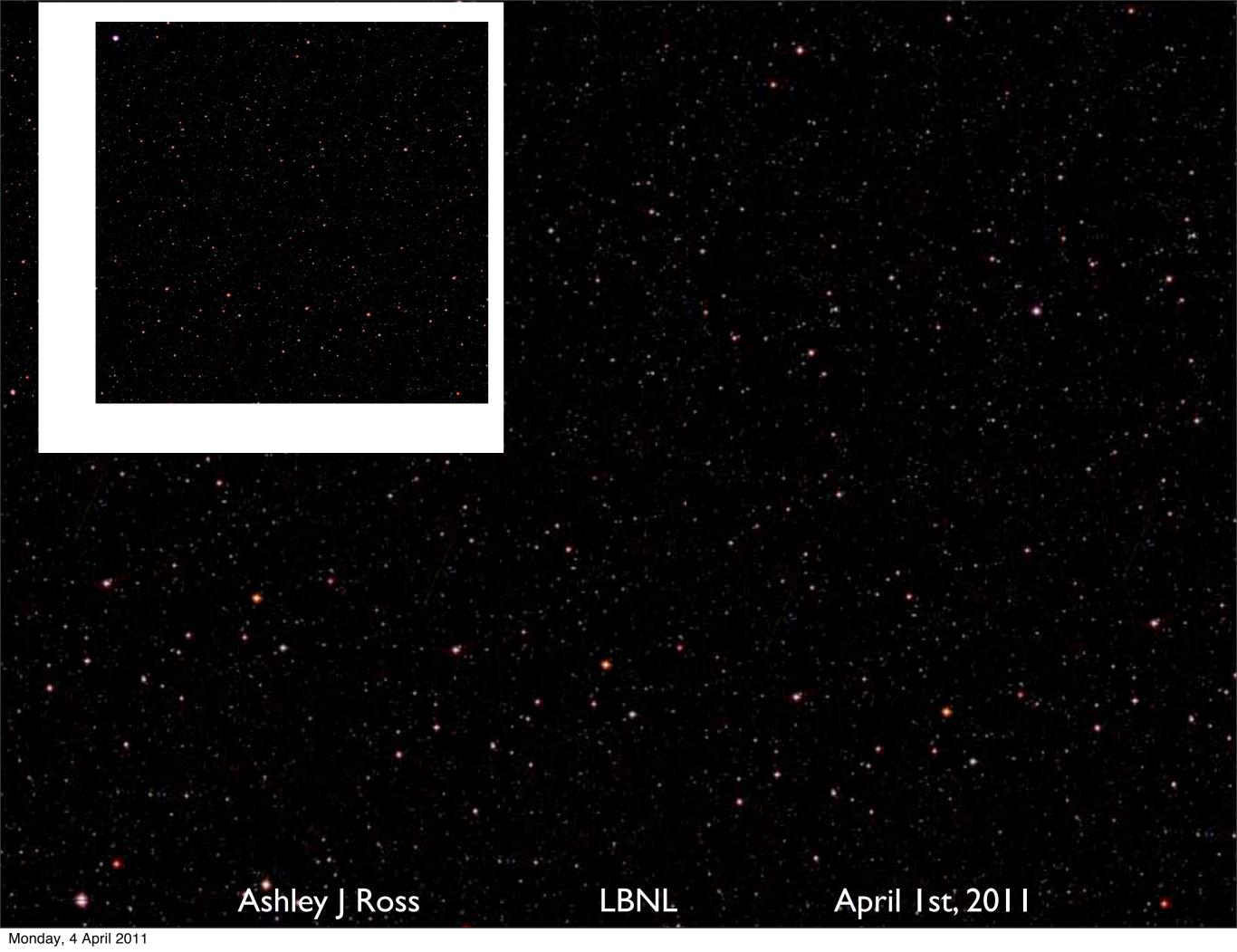
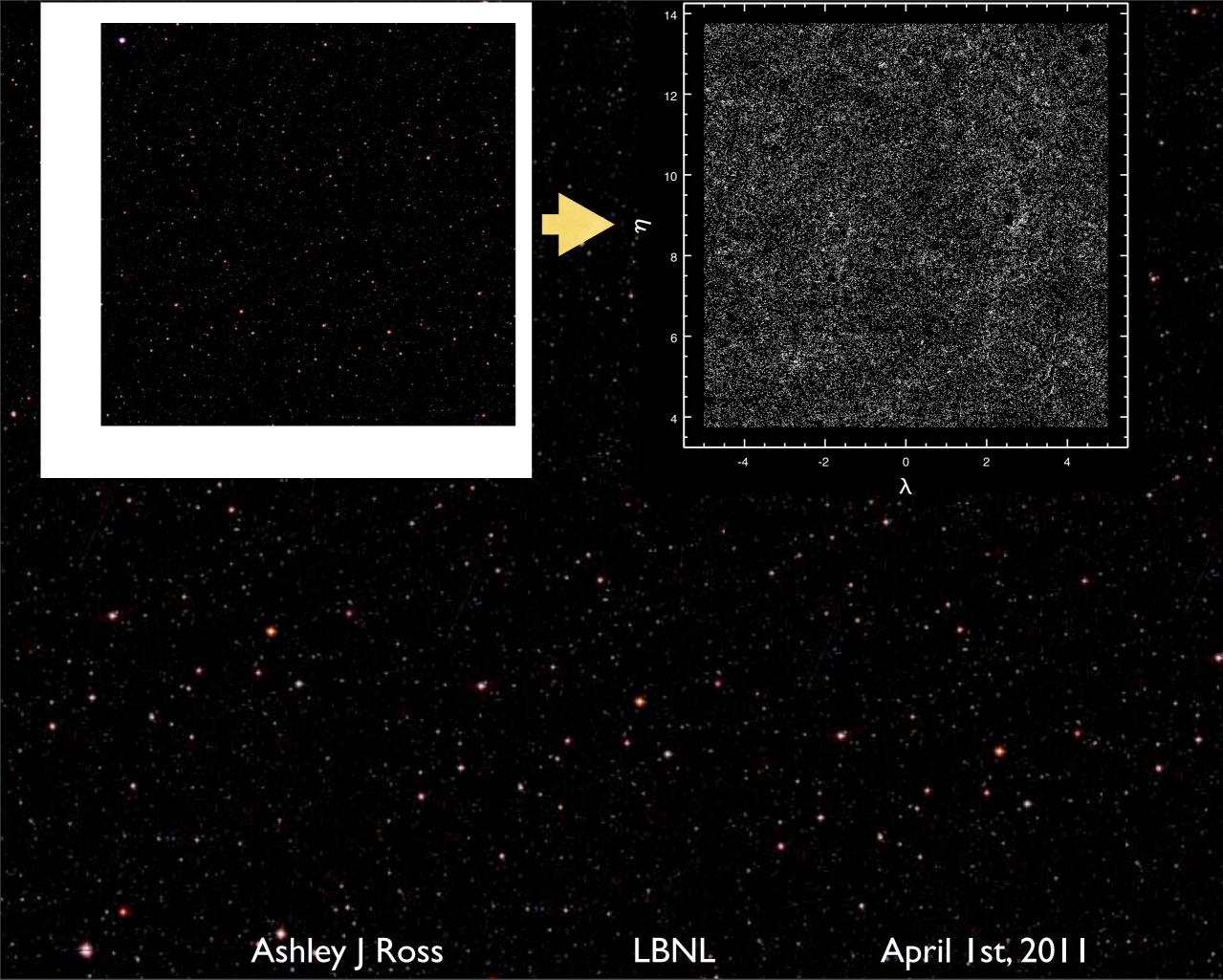
# Measuring and Analysing Galaxy Clustering with SDSS Photometric Data

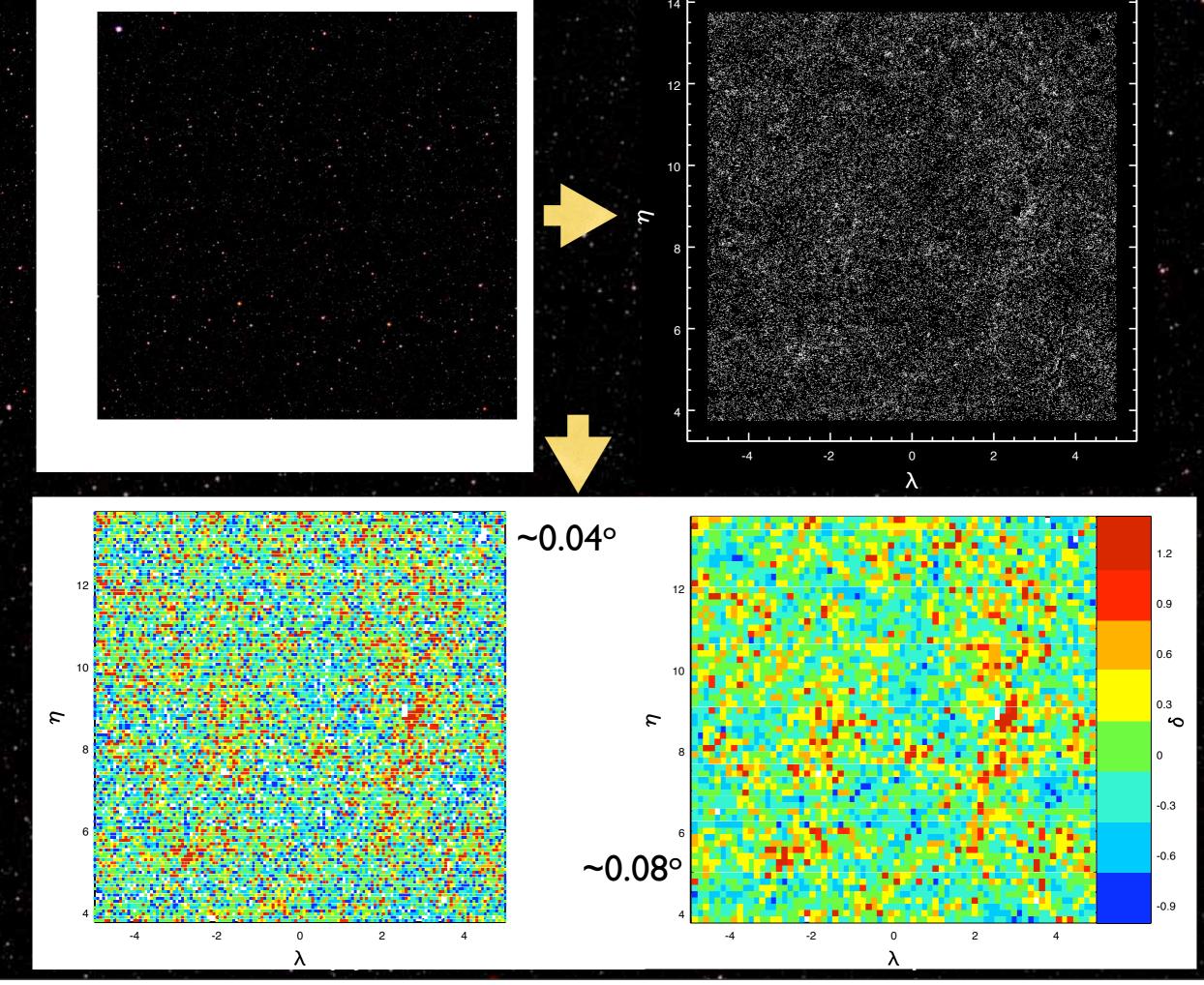
Ashley J Ross
(University of Portsmouth)
Collaborators:
Will Percival, Rita Tojeiro, Robert Brunner

#### Outline

- Measuring clustering with photometric surveys
- Bias of red galaxies
- HOD constraints from SDSS data
- DES and beyond







Monday, 4 April 2011

#### Correlation Functions

- ullet Overdensity,  $\delta = rac{N}{\langle N 
  angle} 1$
- 2-point angular correlation function, w:

$$w_2(\theta) = \langle \delta_i \delta_j \rangle$$

Alternatively:

$$w_2(\theta) = DD(\theta)/RR(\theta) - 1$$

Real-space denoted

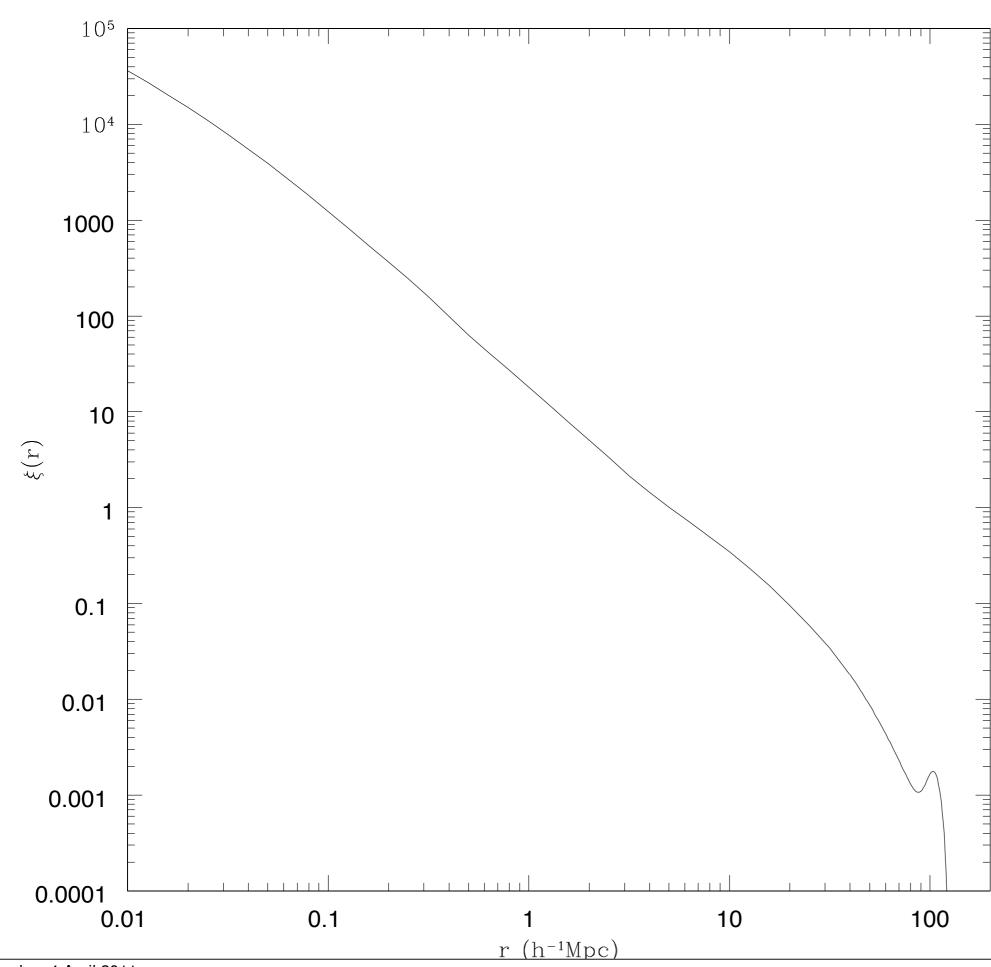
$$\xi_2(r)$$

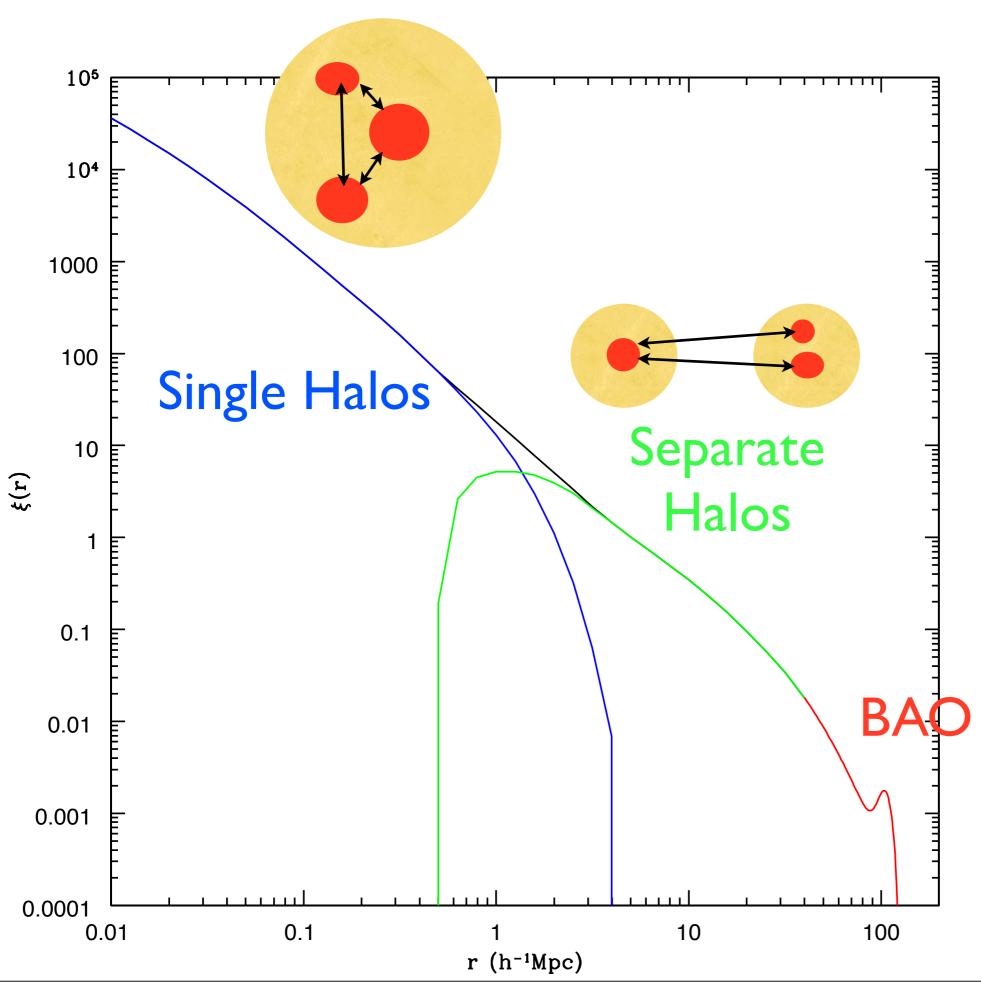
• Fourier transform P(k), angular version  $C_\ell$ 

Ashley J Ross

LBNL

April 1st, 2011

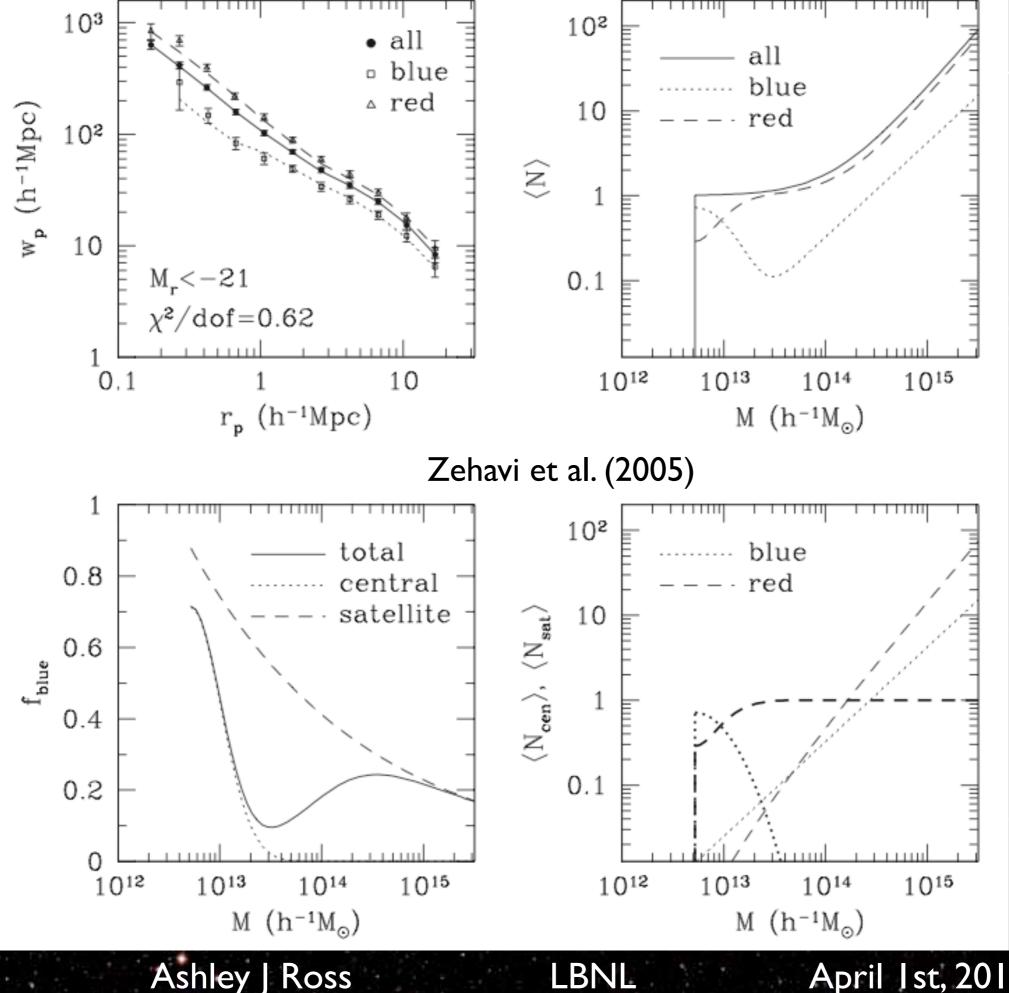




# Why Measure Galaxy Clustering?

Two main scientific pursuits:

- 1) Study galaxies themselves
- 2) Measure cosmological parameters



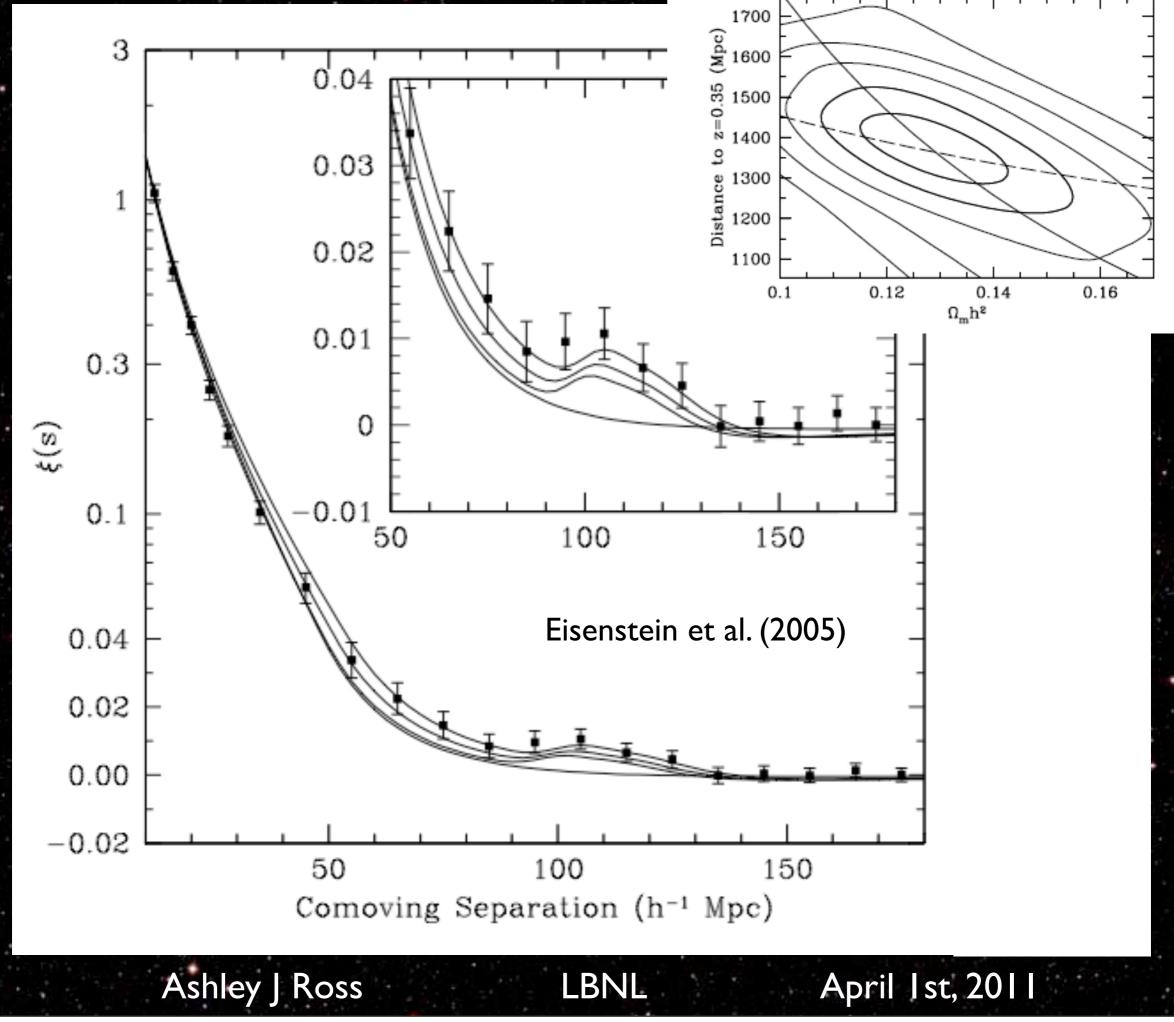
Ashley J Ross

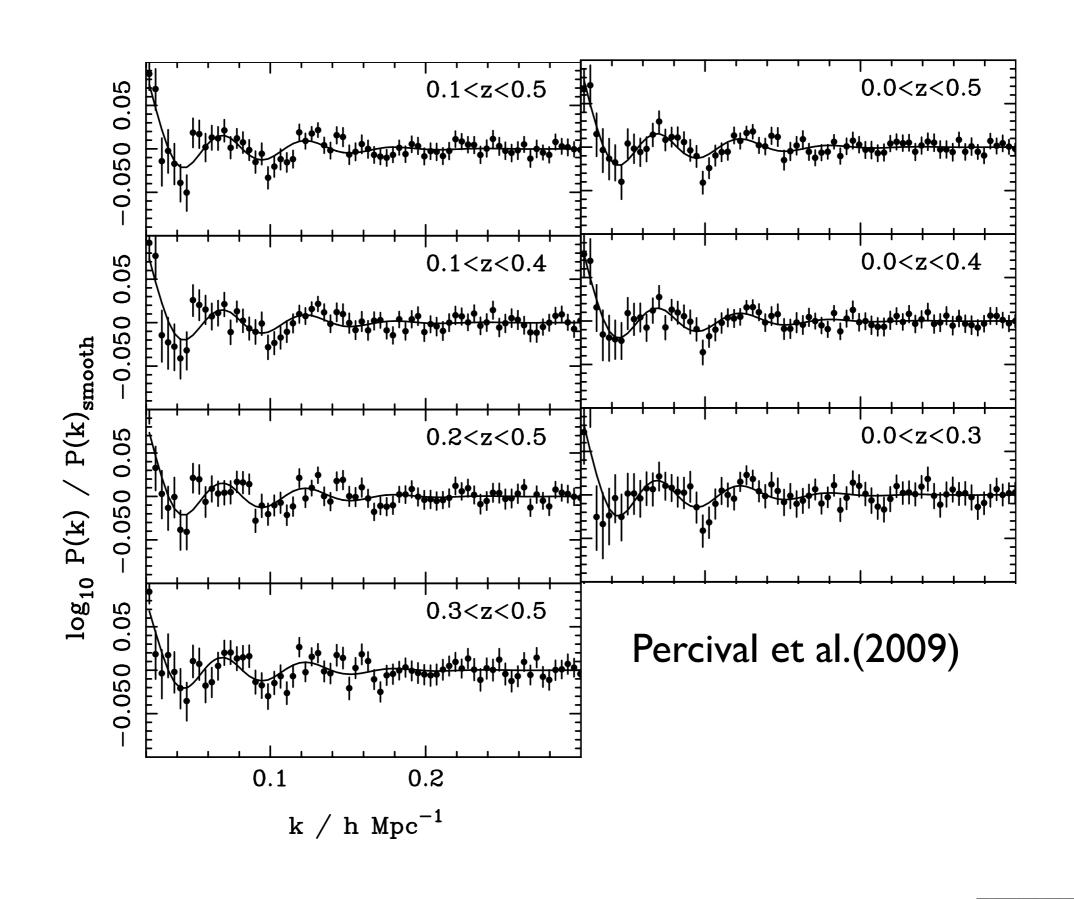
April 1st, 2011

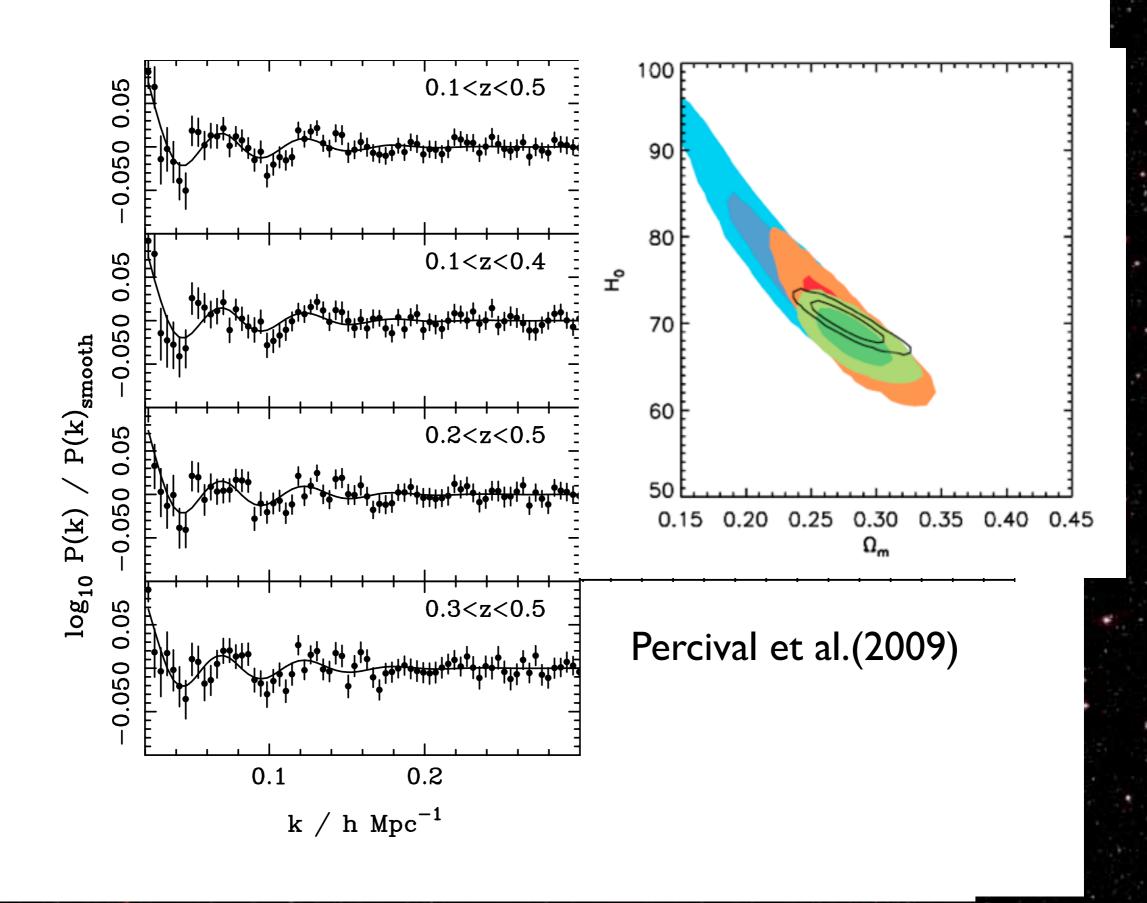
# Why Measure Galaxy Clustering?

Two main scientific pursuits:

- 1) Study galaxies themselves
- 2) Measure cosmological parameters







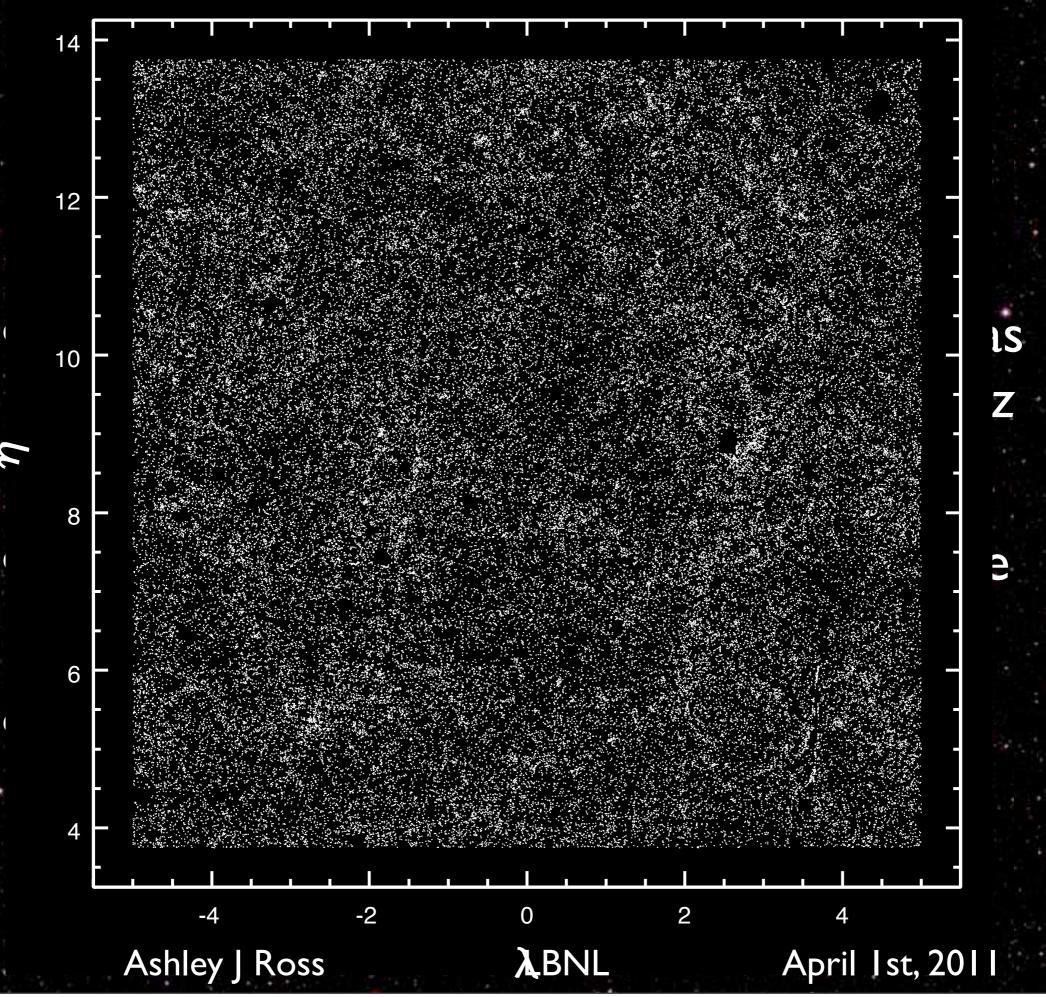
# Why Photometric Surveys?

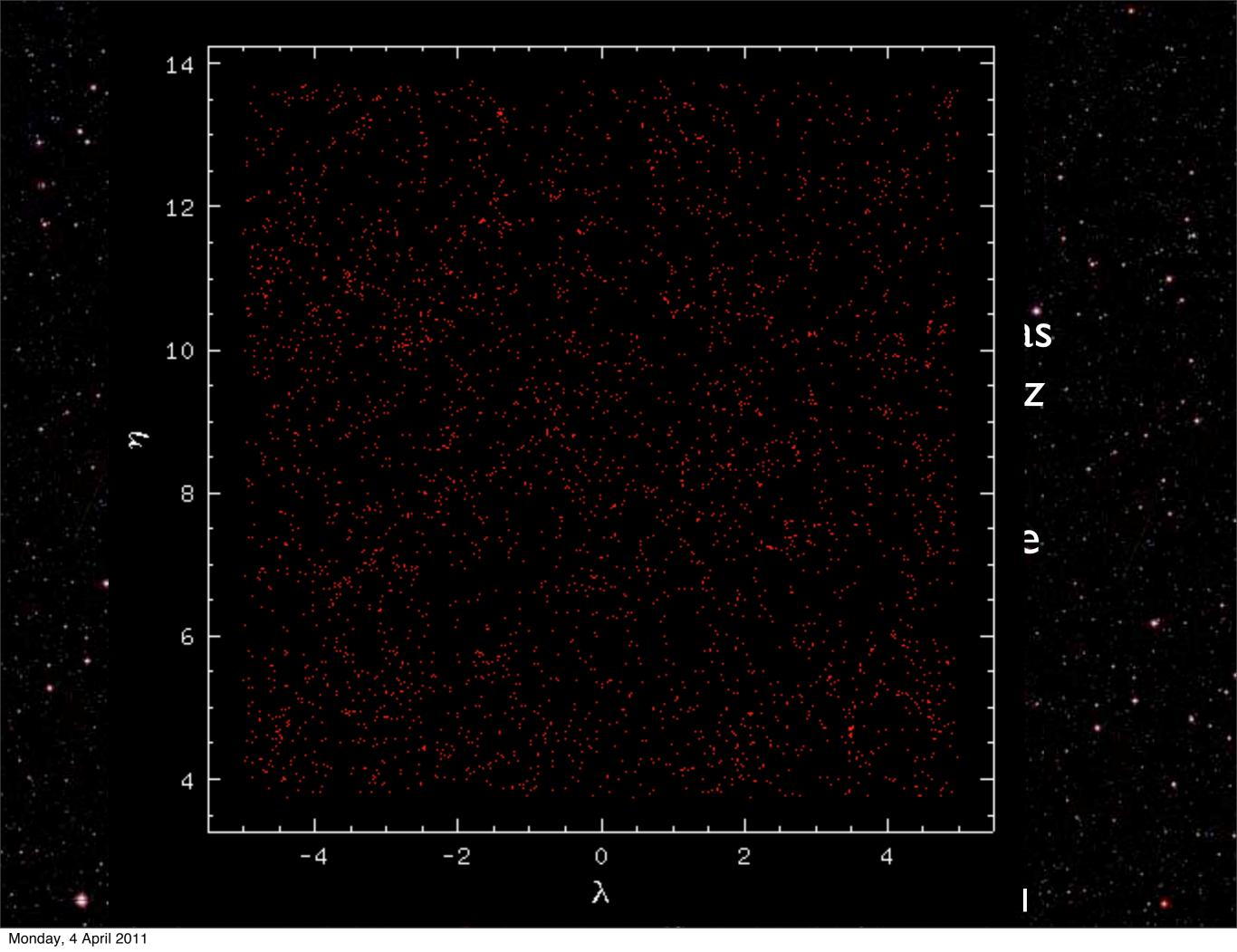
- More objects at higher redshifts (SDSS has ~2x10<sup>7</sup> photoz galaxies; L\* observable to z ~ 0.4)
- Extremely precise measurements, no fibre collisions
- Upcoming, deeper, wide-field surveys will rely primarily on photometry (DES, Pan-STARRS, LSST)

Ashley J Ross

LBNL

April 1st, 2011

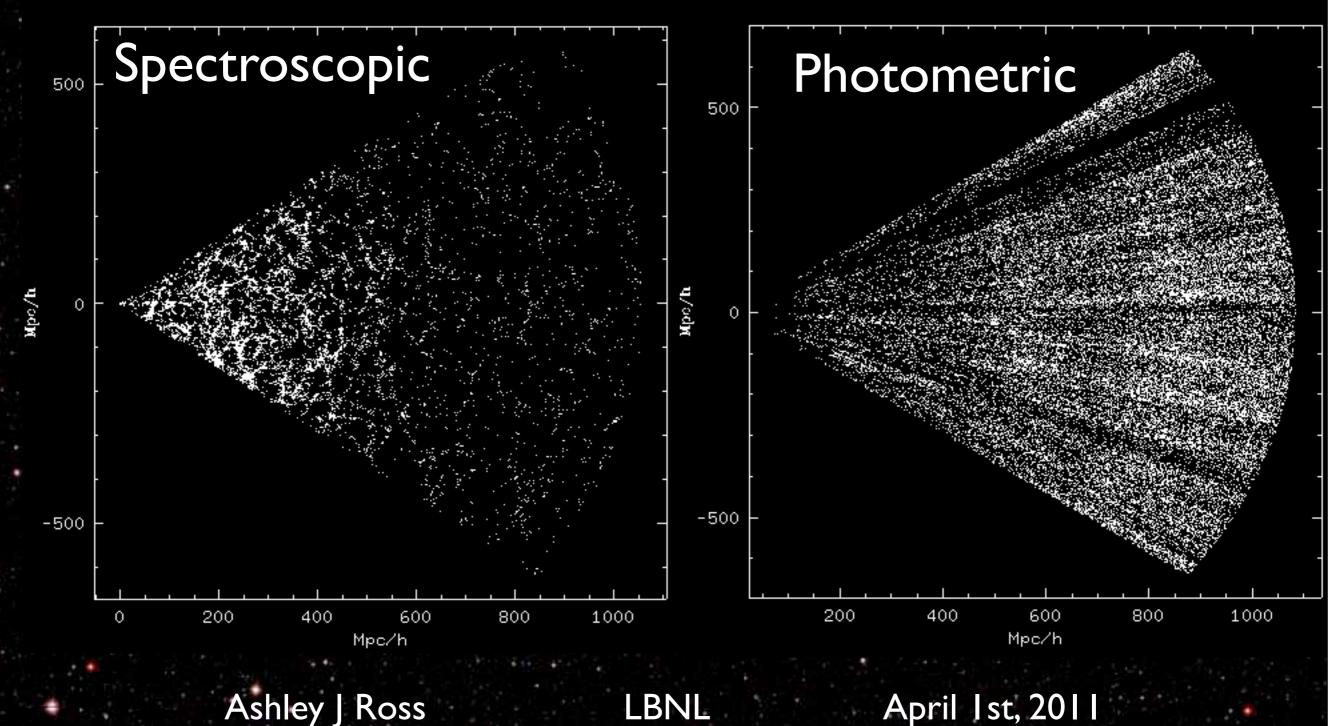




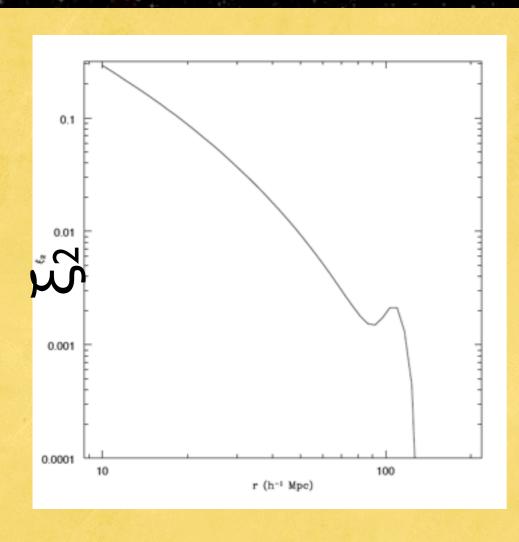
#### Photometric Redshifts

- (u)griz(y) imaging surveys allow  $\Delta z_{phot} \sim 0.03(1 + z)$
- One can accurately recreate dn/dz if errors well understood
- Radial clustering nearly wiped out

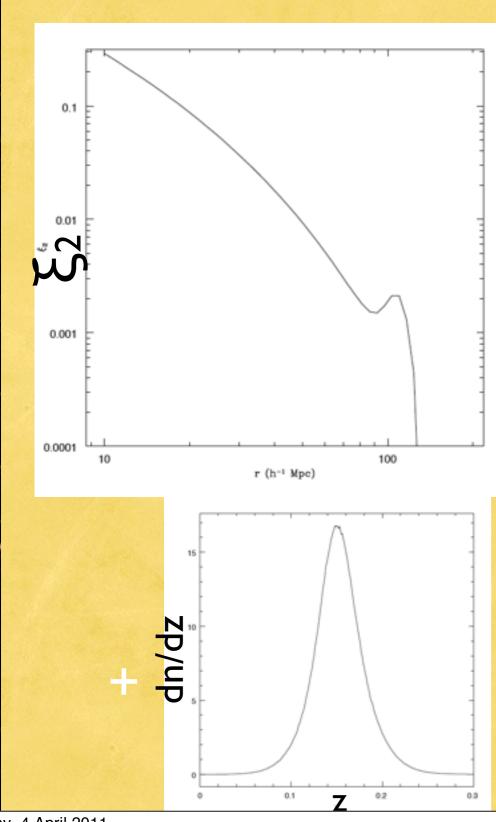
# Radial Clustering Wiped Out



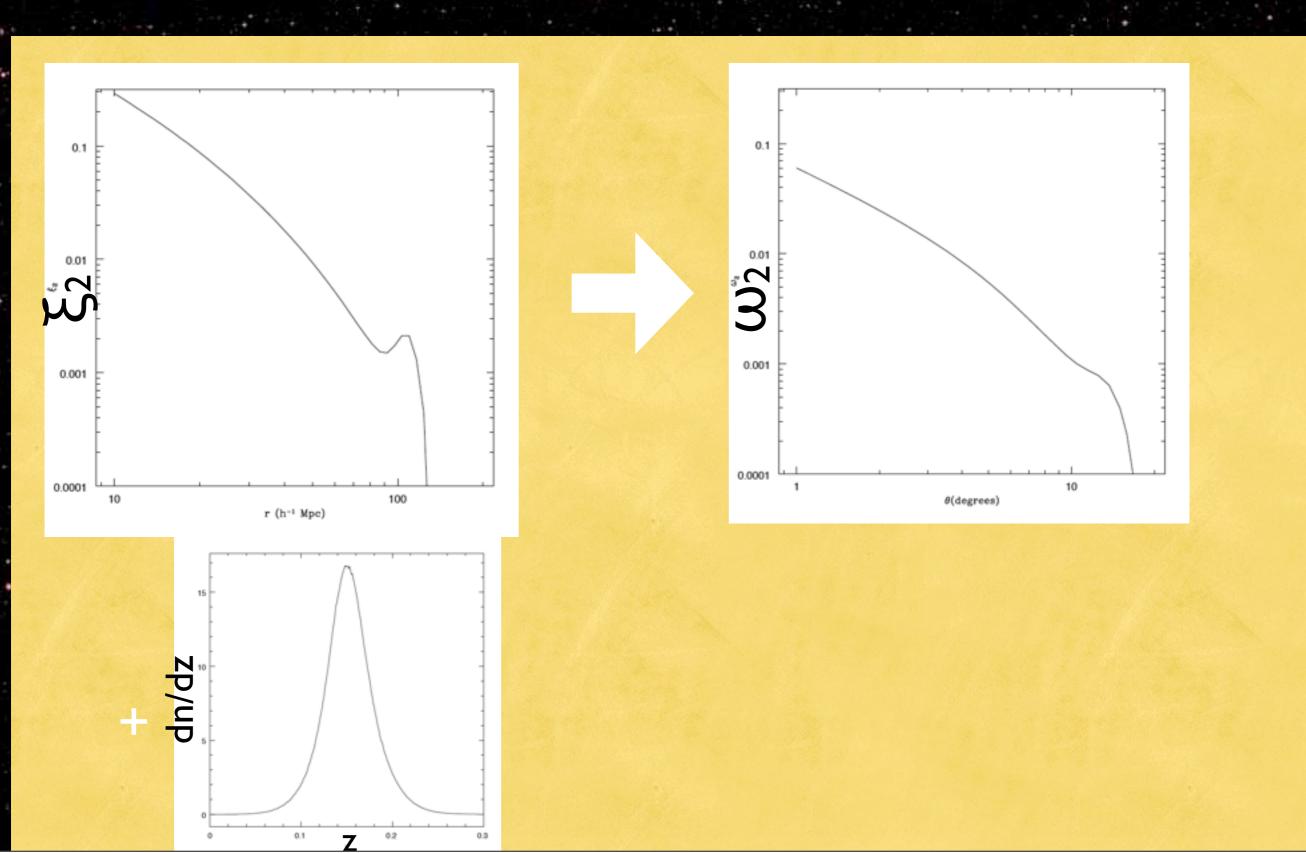
### BAO Peak Smeared



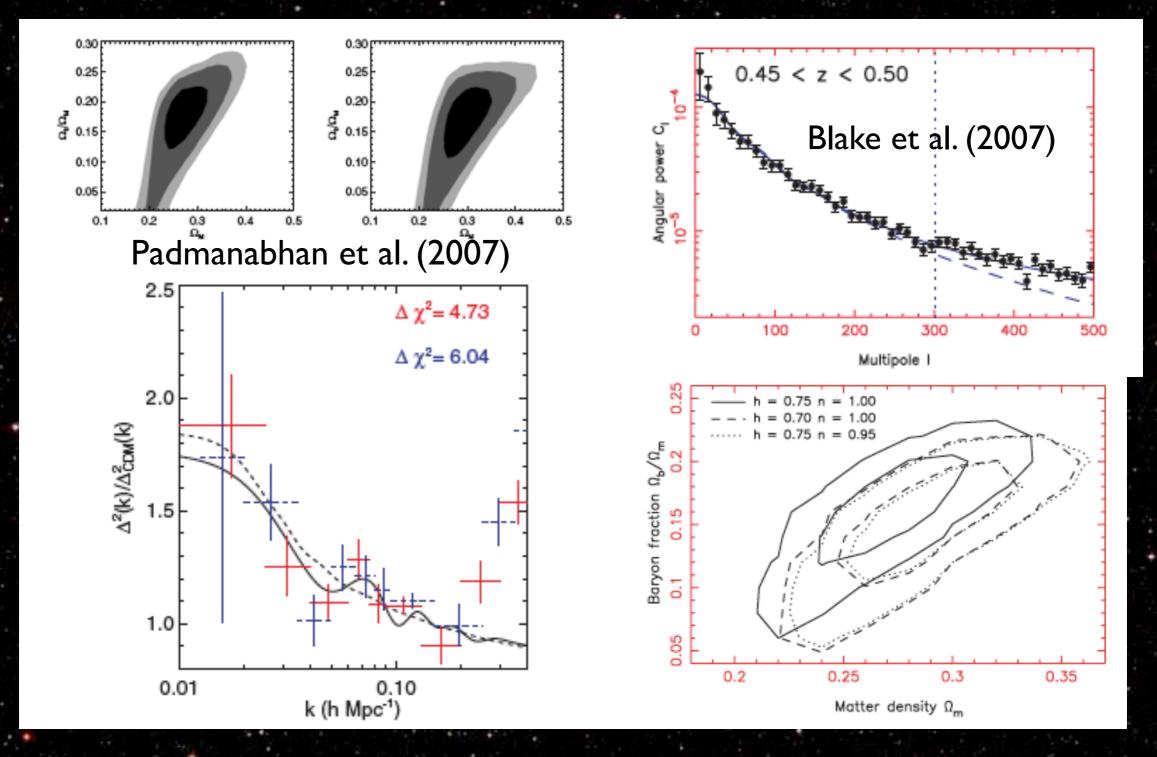
### BAO Peak Smeared



### BAO Peak Smeared



### SDSS Results

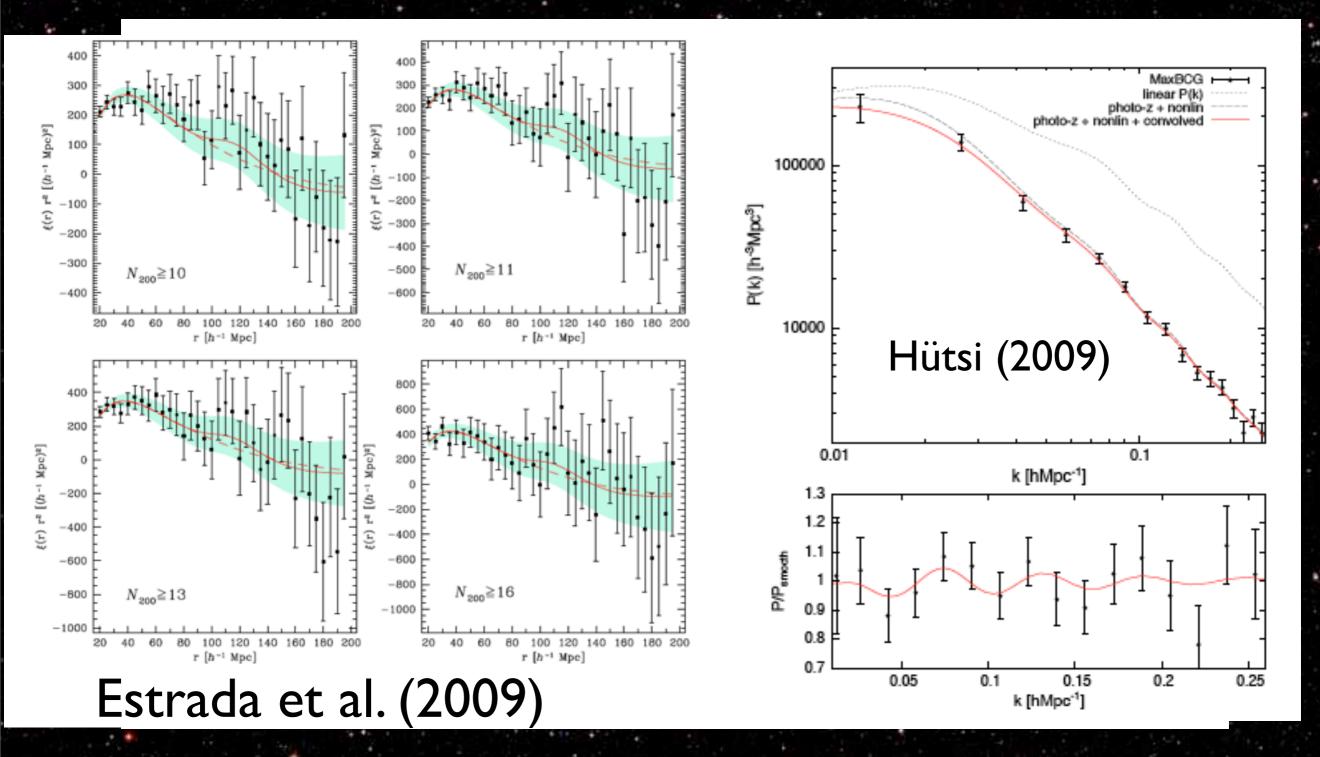


Ashley J Ross

LBNL

April 1st, 2011

### SDSS Results



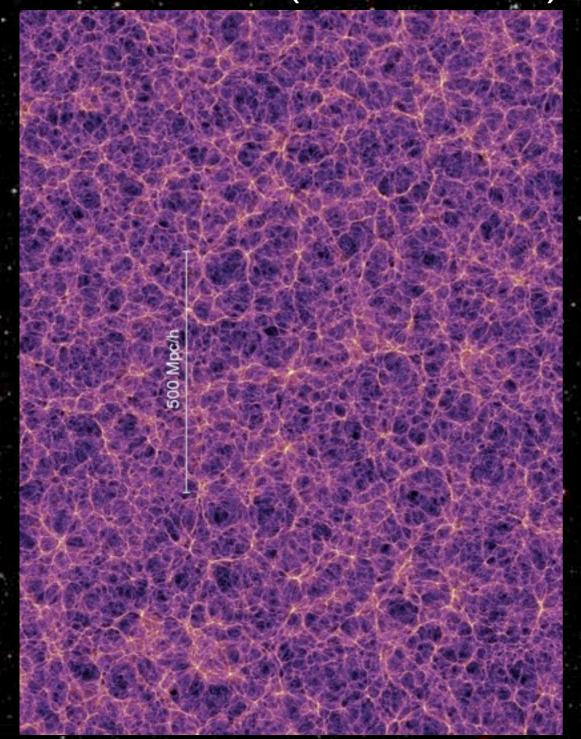
Ashley J Ross

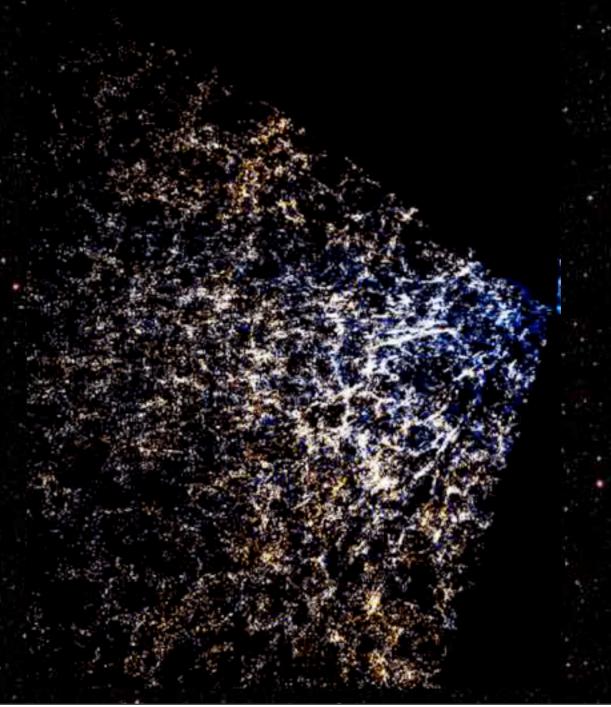
LBNL

April 1st, 2011

#### Dark Matter Vs. Galaxies

Dark Matter (Millennium) Galaxies (SDSS)





#### Bias

- Bias relates galaxy clustering to dark matter clustering
- Local bias model:

$$\delta_g = F(\delta_{\rm DM}) \Rightarrow \delta_g = b_1 \delta_{\rm DM} + 0.5 b_2 \delta_{\rm DM}^2 + O(\delta_{\rm DM}^3)$$

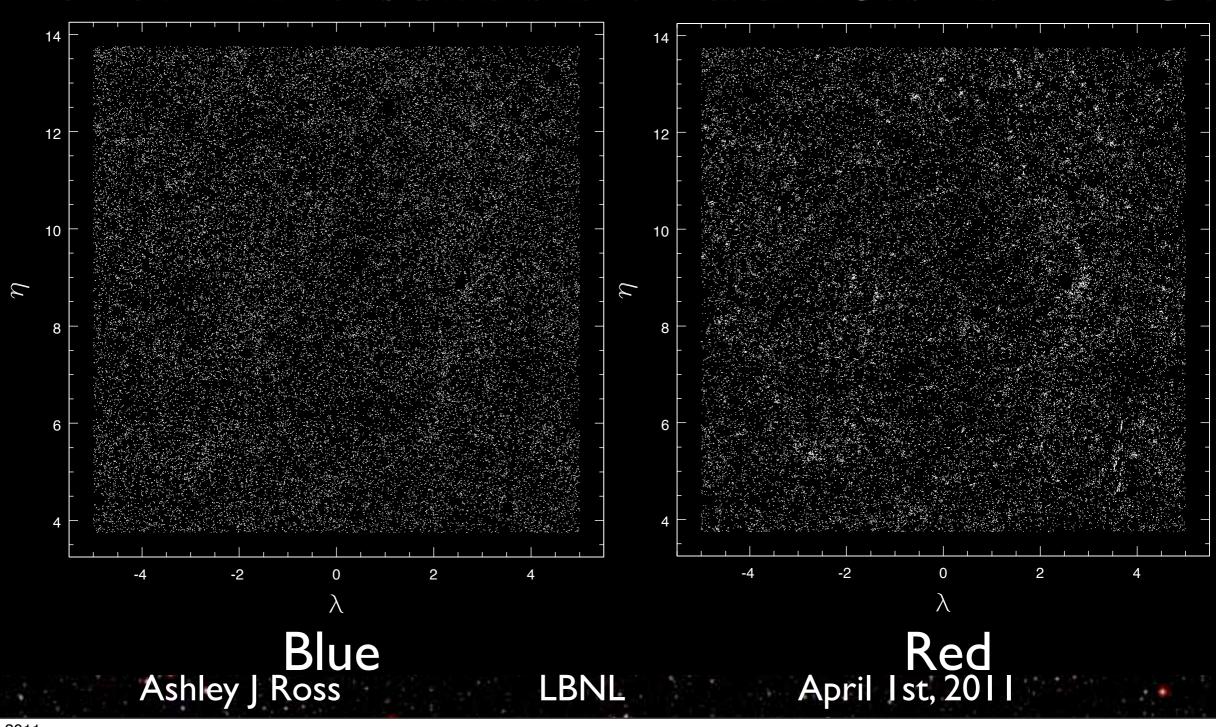
• For  $r_{\rm eq} \gtrsim 10h^{-1}{\rm Mpc}$ :

$$\omega_2 \cong b_1^2 \omega_{2,\mathrm{DM}}$$

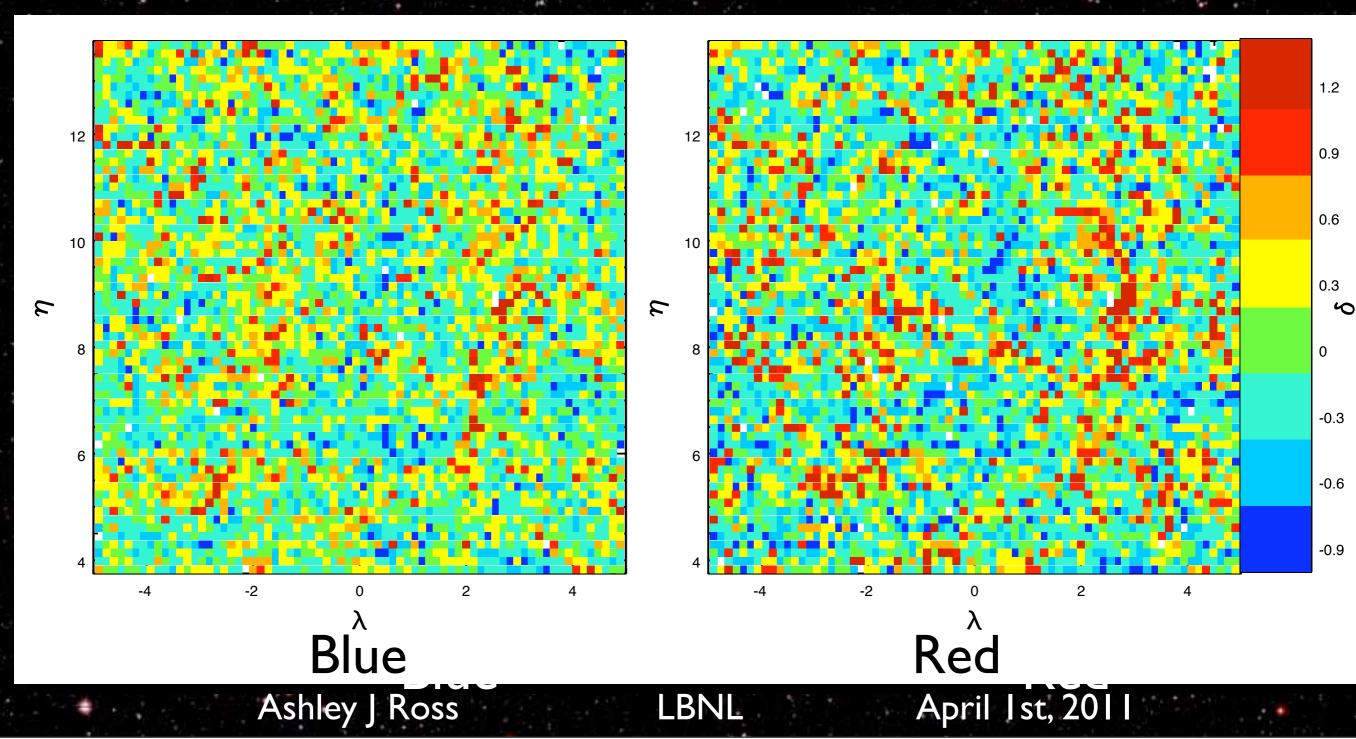
### Bias depends on Colour

- Red (early-type) galaxies more clustered than blue (late-type) galaxies
  - Red found in clusters, more blue in field
  - Bias much larger for early-type

### Bias depends on Colour



# Bias depends on Colour



#### Bias - Mass

- Galaxies exist in dark matter halos
- Clustering is due simply to gravity
- Galaxy bias should depend on the mass of the halos the galaxies occupy
- bias of galaxies relates to local environment

### Model Correlation Functions

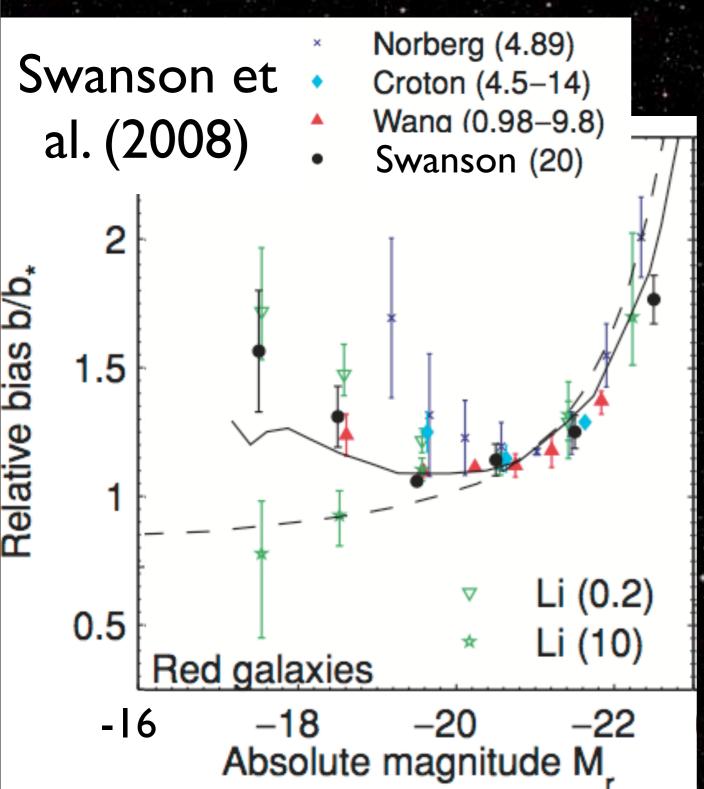
- redshift space correlation function (Halofit w/ linear RSD)
- $w(\theta)$ , project over n(z)

$$w(\theta) = \int dz_1 \int dz_2 n(z_1) n(z_2) \xi^s(\mu, r_{ev}(\theta, z_1, z_2))$$

$$r_{ev}(\theta, z_1, z_2) = \sqrt{\chi^2(z_1) + \chi^2(z_2) - 2\chi(z_1)\chi(z_2)\cos\theta}$$

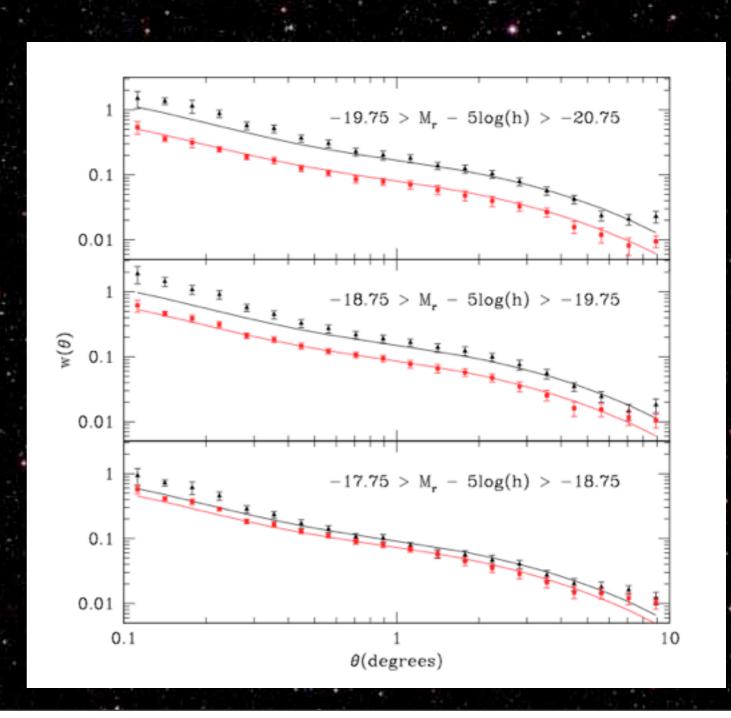
$$\mu = (\chi(z_1) - \chi(z_2))/r_{ev}$$

### Red Galaxy Bias

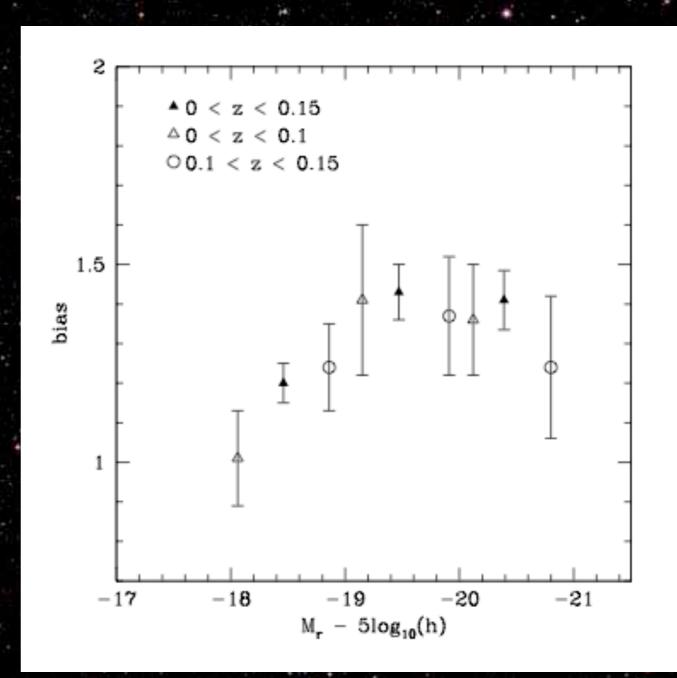


- Implies low luminosity red galaxies ~ exclusively satellites
- Other studies
   (groups, LRG cross-correlations)
   inconsistent

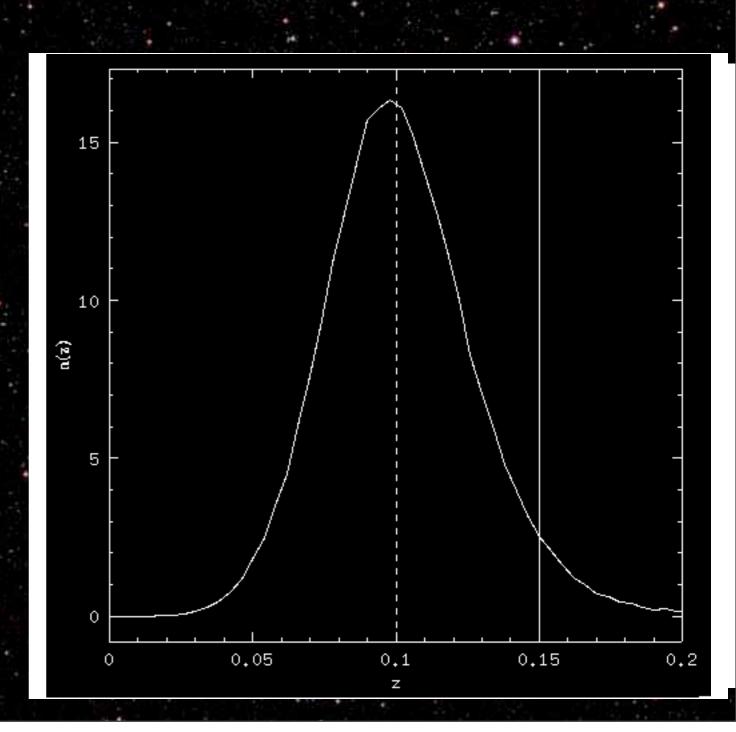
- $z_{phot} < 0.1, r < 20, M_r < -17.75, u-r > 2.2, g-r > 0.8$
- auto-correlations, crosscorrelations with z < 0.15 (z < 0.1, 0.1 < z < 0.15) spectroscopic samples
- bias relation robust to changes in color selection, photozs, etc.



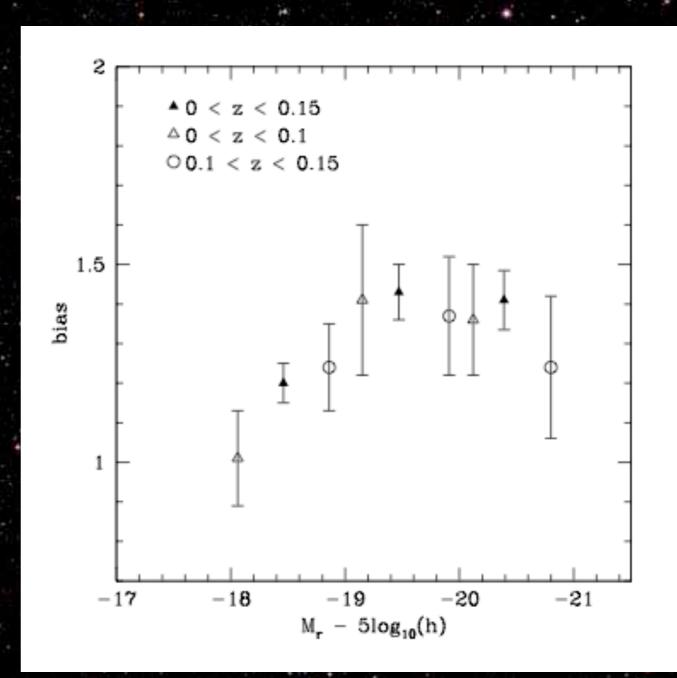
- $z_{phot} < 0.1, r < 20, M_r < -17.75, u-r > 2.2, g-r > 0.8$
- auto-correlations, crosscorrelations with z < 0.15 (z < 0.1, 0.1 < z < 0.15) spectroscopic samples
- bias relation robust to changes in color selection, photozs, etc.



- $z_{phot} < 0.1, r < 20, M_r < -17.75, u-r > 2.2, g-r > 0.8$
- auto-correlations, crosscorrelations with z < 0.15 (z < 0.1, 0.1 < z < 0.15) spectroscopic samples
- bias relation robust to changes in color selection, photozs, etc.

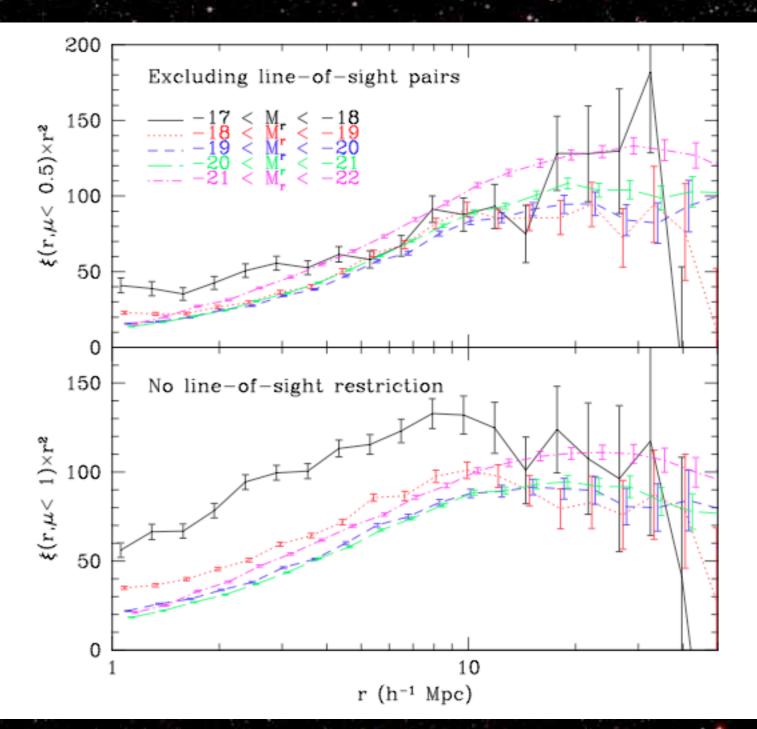


- $z_{phot} < 0.1, r < 20, M_r < -17.75, u-r > 2.2, g-r > 0.8$
- auto-correlations, crosscorrelations with z < 0.15 (z < 0.1, 0.1 < z < 0.15) spectroscopic samples
- bias relation robust to changes in color selection, photozs, etc.



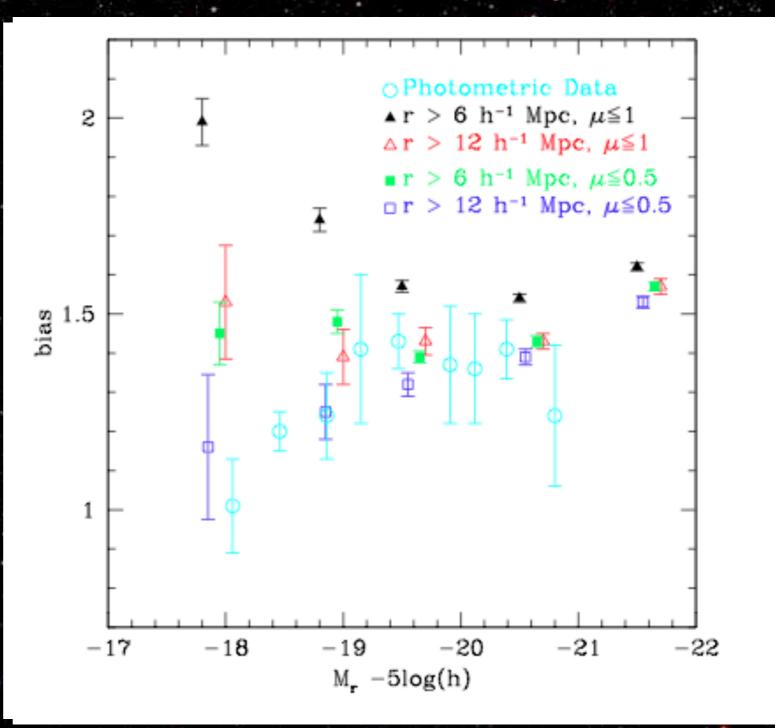
# DR7 Spectroscopic Galaxies

Strong
 dependence on
 angle to line-of sight & scale



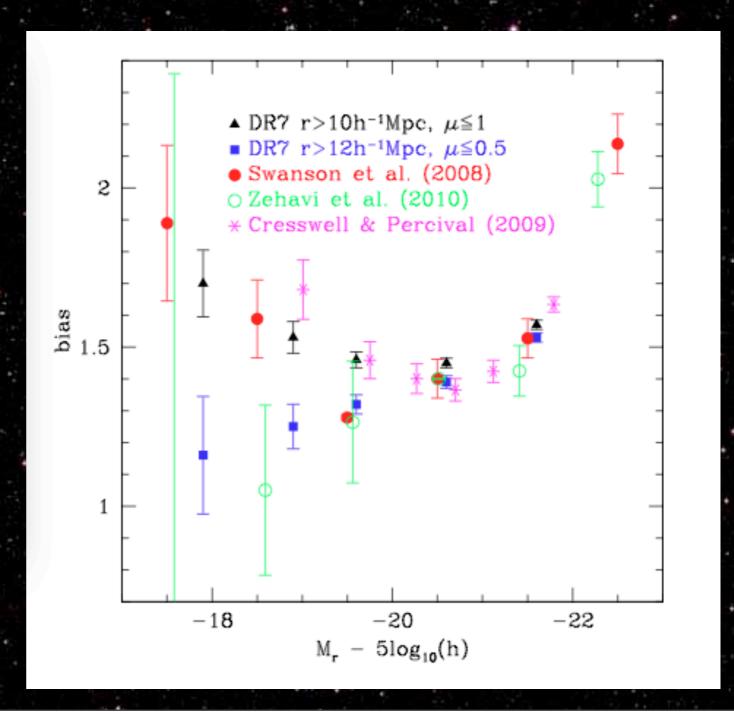
# DR7 Spectroscopic Galaxies

Strong
 dependence on
 angle to line-of sight & scale



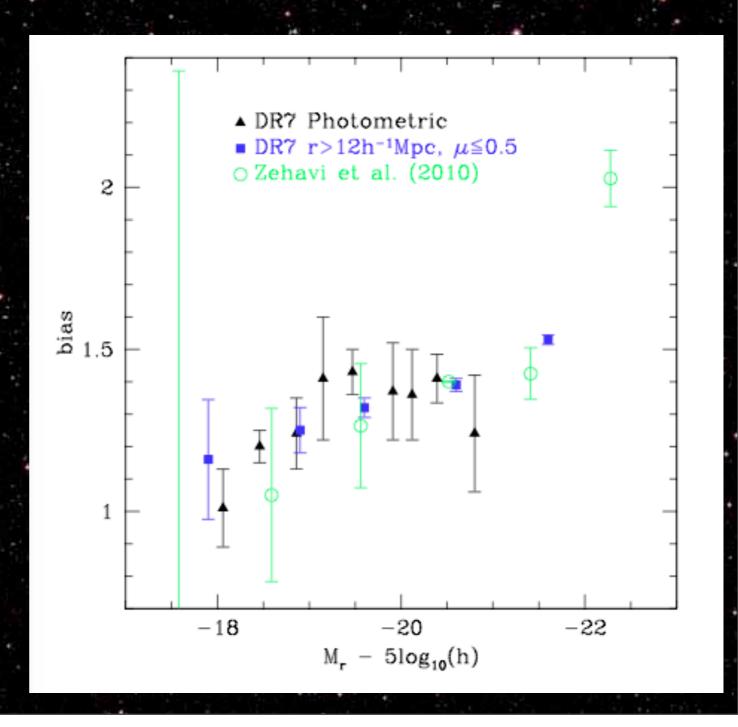
## Implications

- Previous results
   recovered for
   small-scales and los
   clustering
- Most robust (large volume, minimal los contribution) -> monotonic increase in bias with luminosity



## Implications

- Previous results
   recovered for
   small-scales and los
   clustering
- Most robust (large volume, minimal los contribution) -> monotonic increase in bias with luminosity



# SDSS HOD modeling with photozs

- Huge SDSS data set allows precise ω<sub>2</sub>
   measurements ideal for testing model
- Clustering measurements complementary to spectroscopic (larger range of scales, redshift range)

# HOD Modeling

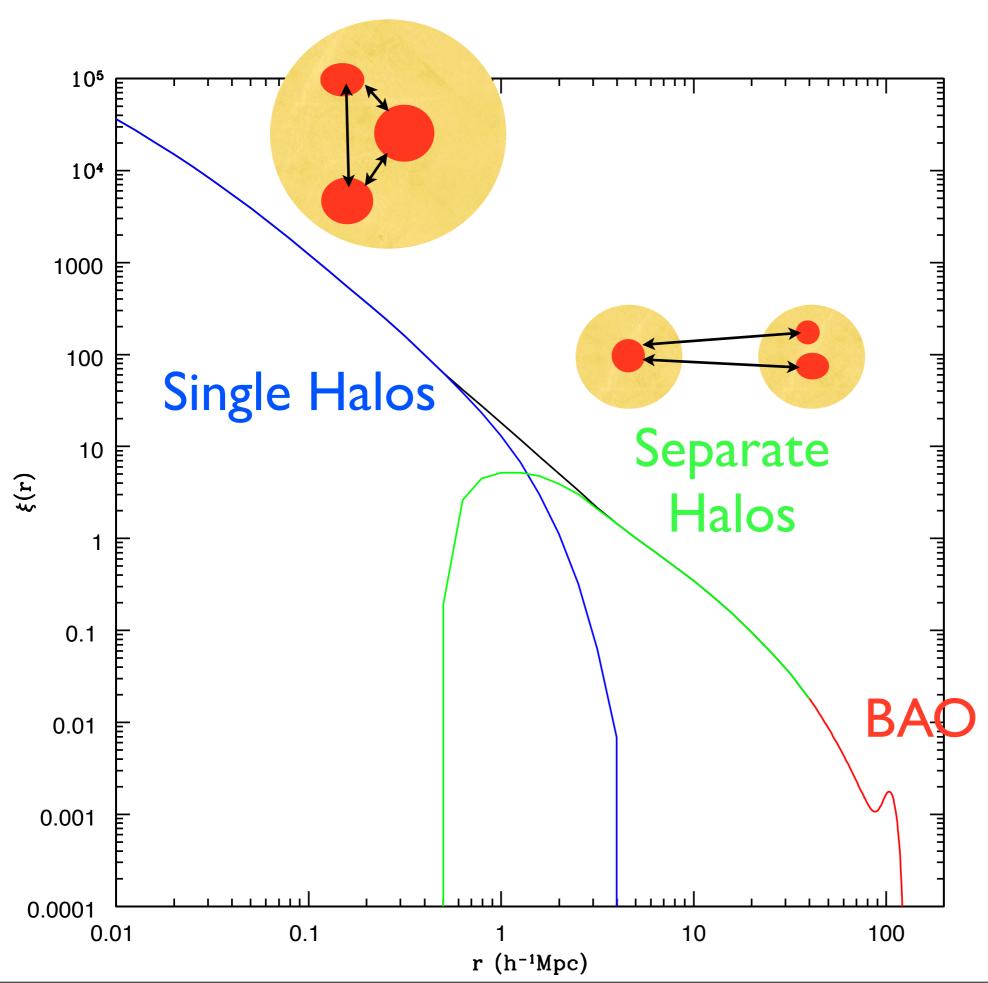
- Given model for DM halo number density as function of mass and redshift
- Model P(k) by modeling mean occupation of galaxies in dark matter halos

$$N(M) = N_{cen}(M) \times (1 + N_{sat}(M))$$

Two "I-halo" terms

$$P_{cs} = \int_{M_{vir}(r)}^{\infty} dMn(M)N_{cen}(M) \frac{2N_{sat}u(k|M)}{n_g^2}$$

$$P_{ss} = \int_{M_{vir}(r/2)}^{\infty} dMn(M)N_{cen}(M) \left(\frac{N_{sat}u(k|M)}{n_g}\right)^2$$



# HOD Modeling

- Given model for DM halo number density as function of mass and redshift
- Model P(k) by modeling mean occupation of galaxies in dark matter halos

$$N(M) = N_{cen}(M) \times (1 + N_{sat}(M))$$

Two "I-halo" terms

$$P_{cs} = \int_{M_{vir}(r)}^{\infty} dMn(M)N_{cen}(M) \frac{2N_{sat}u(k|M)}{n_g^2}$$

$$P_{ss} = \int_{M_{vir}(r/2)}^{\infty} dMn(M)N_{cen}(M) \left(\frac{N_{sat}u(k|M)}{n_g}\right)^2$$

### "2-halo" term

Essentially, determines bias given HOD model:

$$P_{2h}(k,r) = P_{matter}(k) \times \left[ \int_0^{M_{lim}(r)} dM n(M) b(M,r) \frac{N(M)}{n'_g} u(k|M) \right]^2$$

• so  $P(k,r) = P_{cs}(k) + P_{ss}(k) + P_{2h}(k,r) =>$ 

$$\xi(r) = \frac{1}{2\pi^2} \int_0^\infty dk P(k, r) k^2 \frac{\sin kr}{kr}$$

$$\omega_2(\theta) = \frac{2}{c} \int_0^\infty dz H(z) (dn/dz)^2 \int_0^\infty du \xi(r) = \sqrt{u^2 + x^2(z)\theta^2}$$

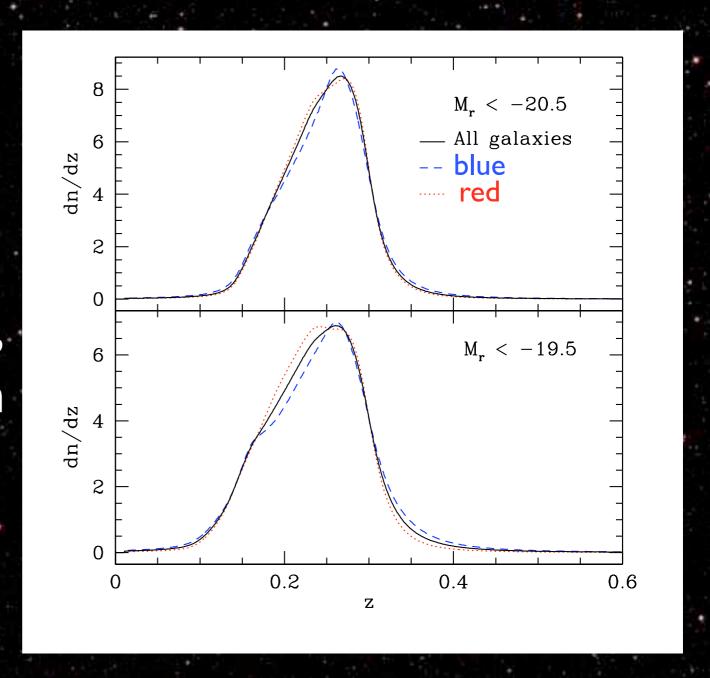
Ashley J Ross

LBNL

April 1st, 2011

## SDSS DR5 Galaxies

- Template based  $z_{phot} < 0.3$
- Two samples;
   M<sub>r</sub> -5logh < -19.5</li>
   (~4 million galaxies),
   < -20.5 (~1.3 million galaxies)</li>
- Split into red/blue samples via type value



Ashley J Ross

LBNL

April 1st, 2011

# HOD constraints with SDSS DR5 Galaxies

#### HOD model:

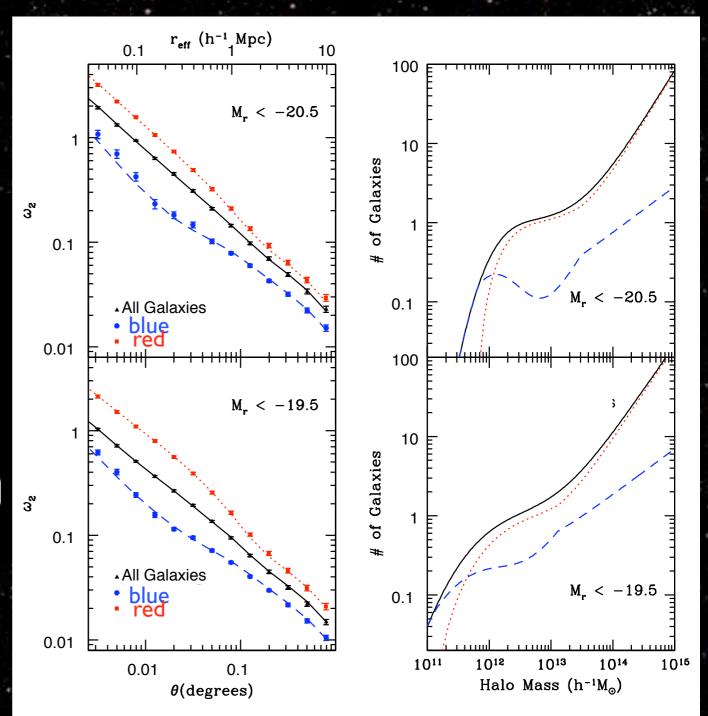
$$\langle N_c \mid M \rangle = 0.5 \left( 1 + \operatorname{erf} \left( \frac{M/M_{cut}}{\sigma_{cut}} \right) \right)$$

$$\langle N_s \mid M \rangle = 0.5 \left( 1 + \operatorname{erf} \left( \frac{M/M_{cut}}{\sigma_{cut}} \right) \right) \times (M/M_0)^{\alpha}$$

$$\langle N_c | M \rangle_{late} = \langle N_c | M \rangle \times f_{c0} \exp \left( \frac{-\log_{10}(M/M_{cut})}{\sigma_c} \right)$$

$$\langle N_s \mid M \rangle_{late} = \langle N_s \mid M \rangle \times f s_0 \exp\left(\frac{-\log_{10}(M/M_0)}{\sigma_s}\right)$$

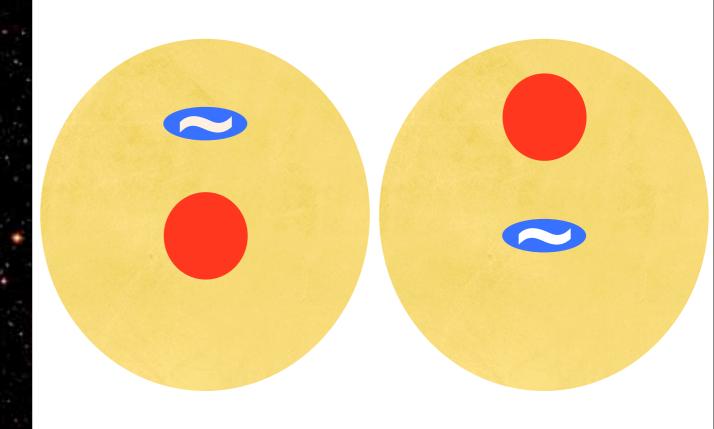
 +Segregation of blue/ red galaxies



- New modeling for red/ blue galaxies
- Place galaxies into separate halos as much as statistics allow
- Means ~ no mixing in low mass halos, some mixing in high mass halos

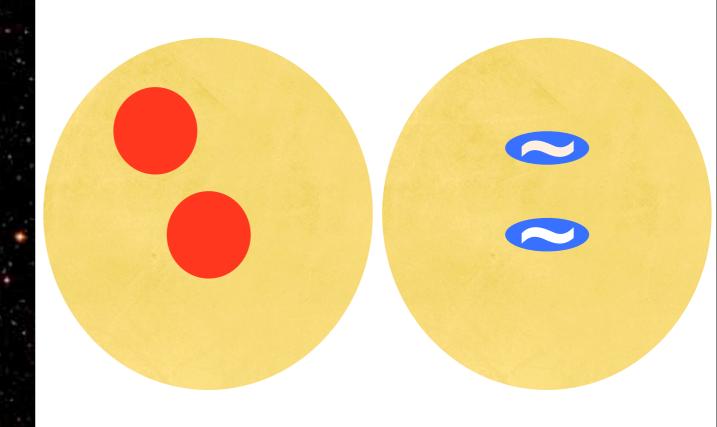
- New modeling for red/ blue galaxies
- Place galaxies into separate halos as much as statistics allow
- Means ~ no mixing in low mass halos, some mixing in high mass halos

Mixing (old model)

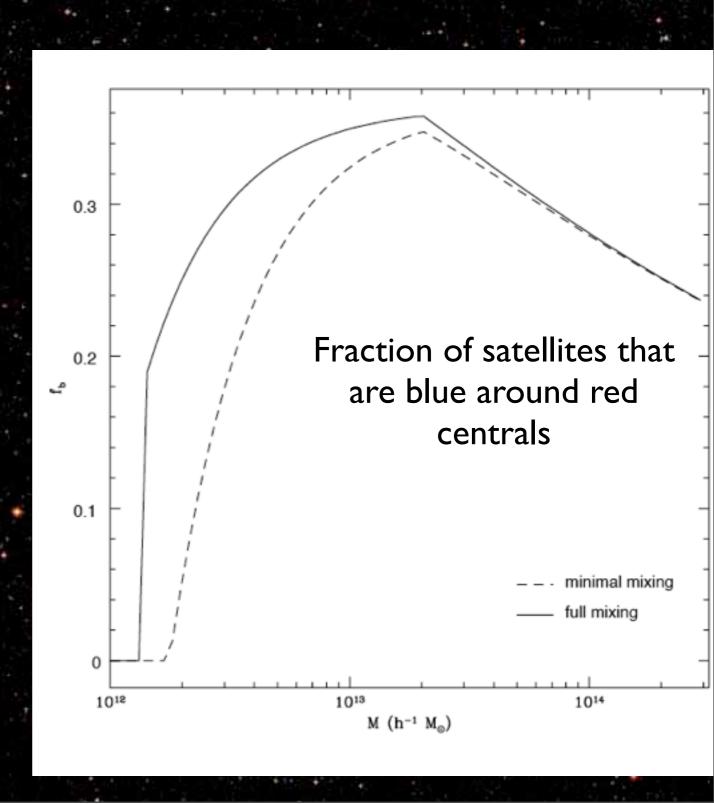


- New modeling for red/ blue galaxies
- Place galaxies into separate halos as much as statistics allow
- Means ~ no mixing in low mass halos, some mixing in high mass halos

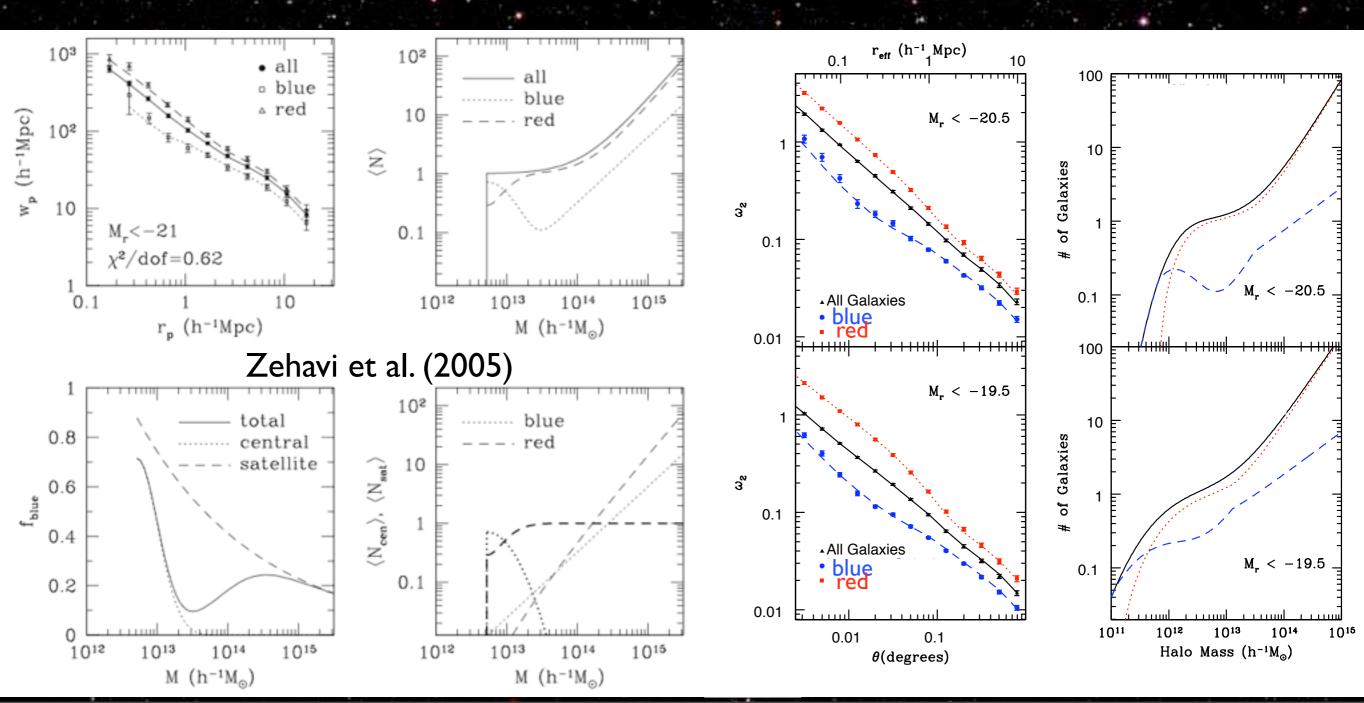
#### Minimal mixing



- New modeling for red/ blue galaxies
- Place galaxies into separate halos as much as statistics allow
- Means ~ no mixing in low mass halos, some mixing in high mass halos

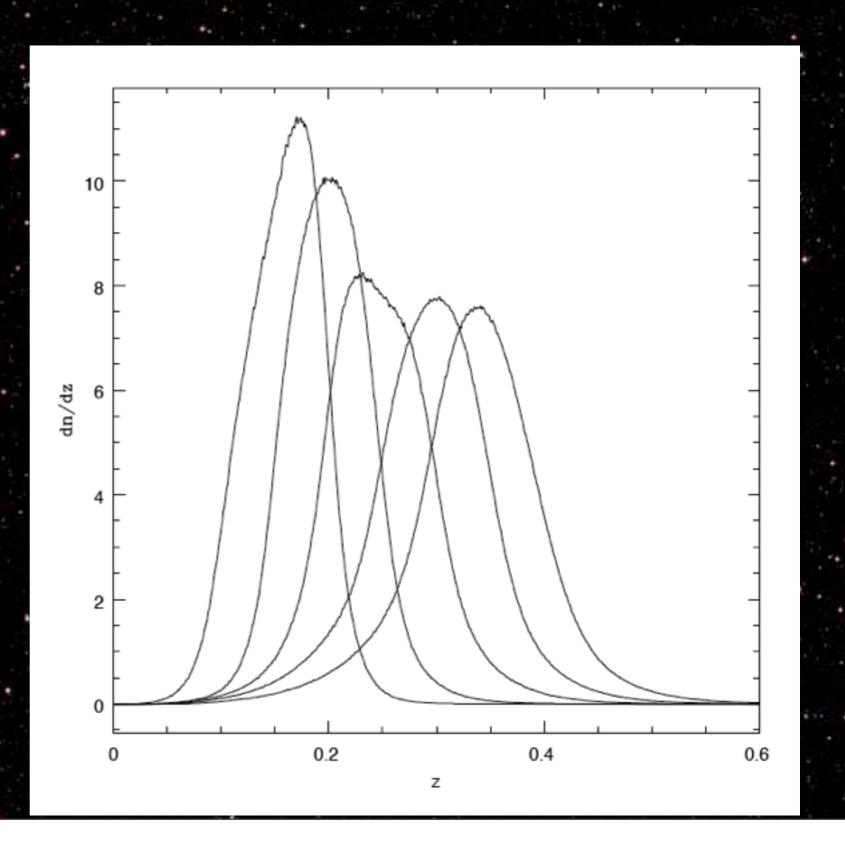


# Comparison with Spectroscopic



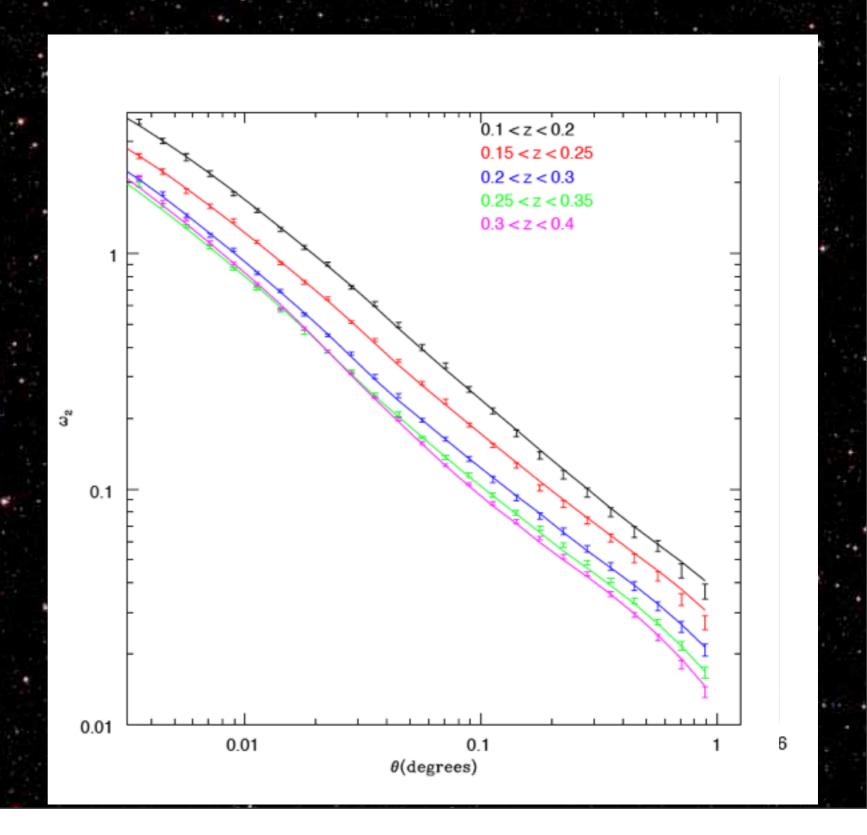
### Redshift Evolution

- Use DR7 galaxies
   with 0.1 < z <</li>
   0.4, M<sub>r</sub> -5logh <</li>
   -20.4
- Split into 5 (overlapping) photoz shells
- b<sub>1</sub> increases from1.2 to 1.35



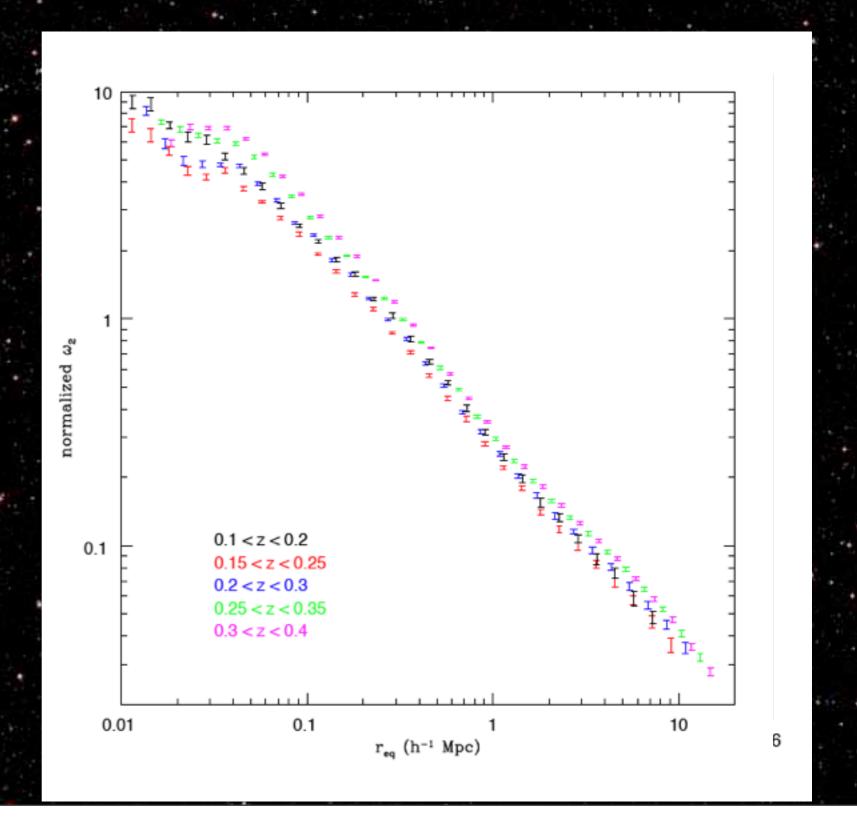
### Redshift Evolution

- Use DR7 galaxies
   with 0.1 < z <</li>
   0.4, M<sub>r</sub> -5logh <</li>
   -20.4
  - Split into 5 (overlapping) photoz shells
  - b<sub>1</sub> increases from1.2 to 1.35

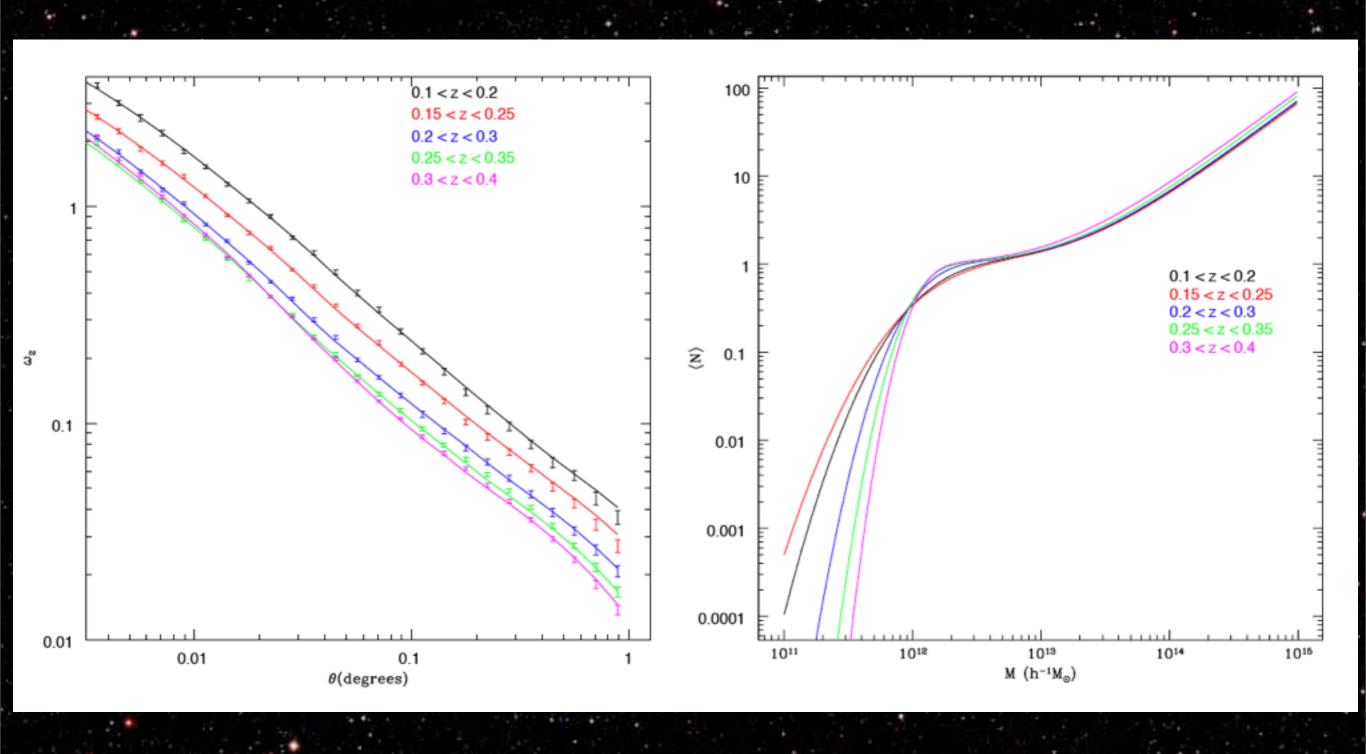


### Redshift Evolution

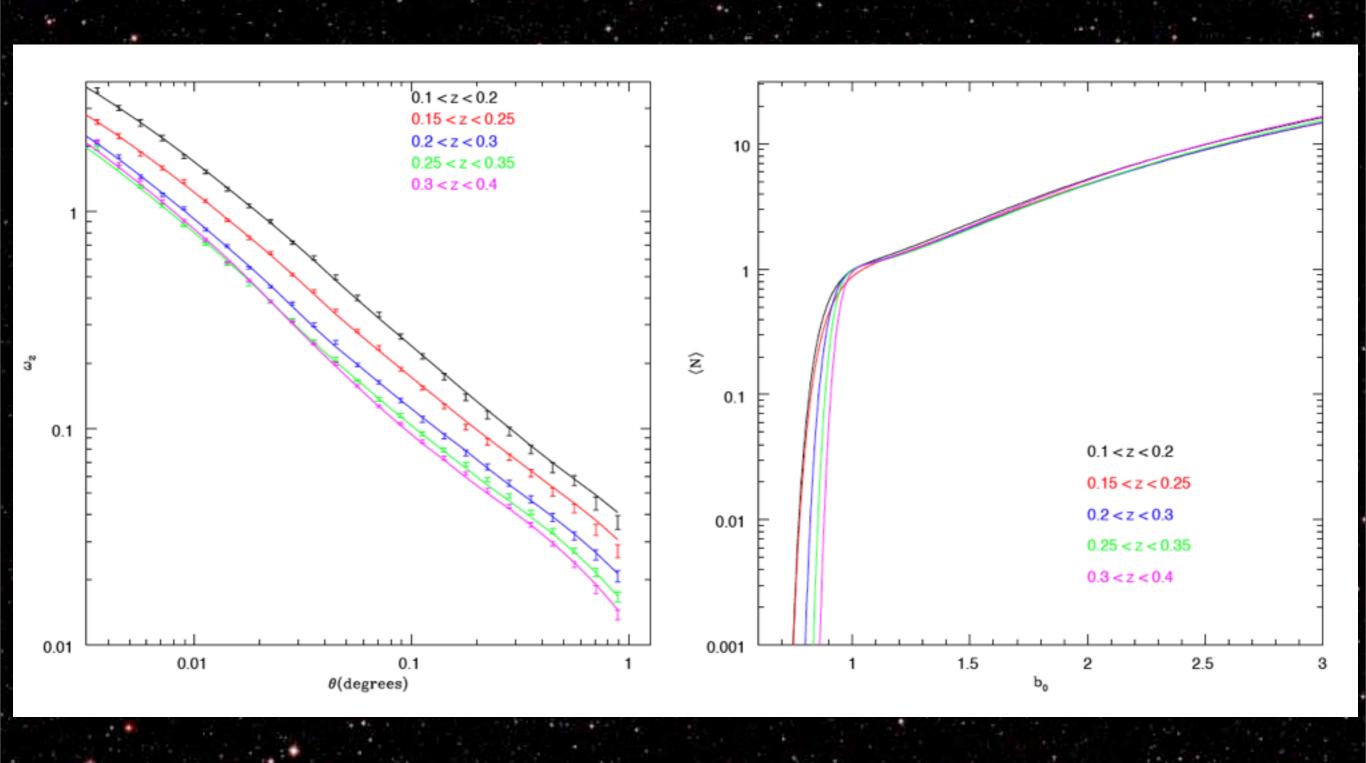
- Use DR7 galaxies
   with 0.1 < z <</li>
   0.4, M<sub>r</sub> -5logh <</li>
   -20.4
- Split into 5 (overlapping) photoz shells
- b<sub>1</sub> increases from
   1.2 to 1.35



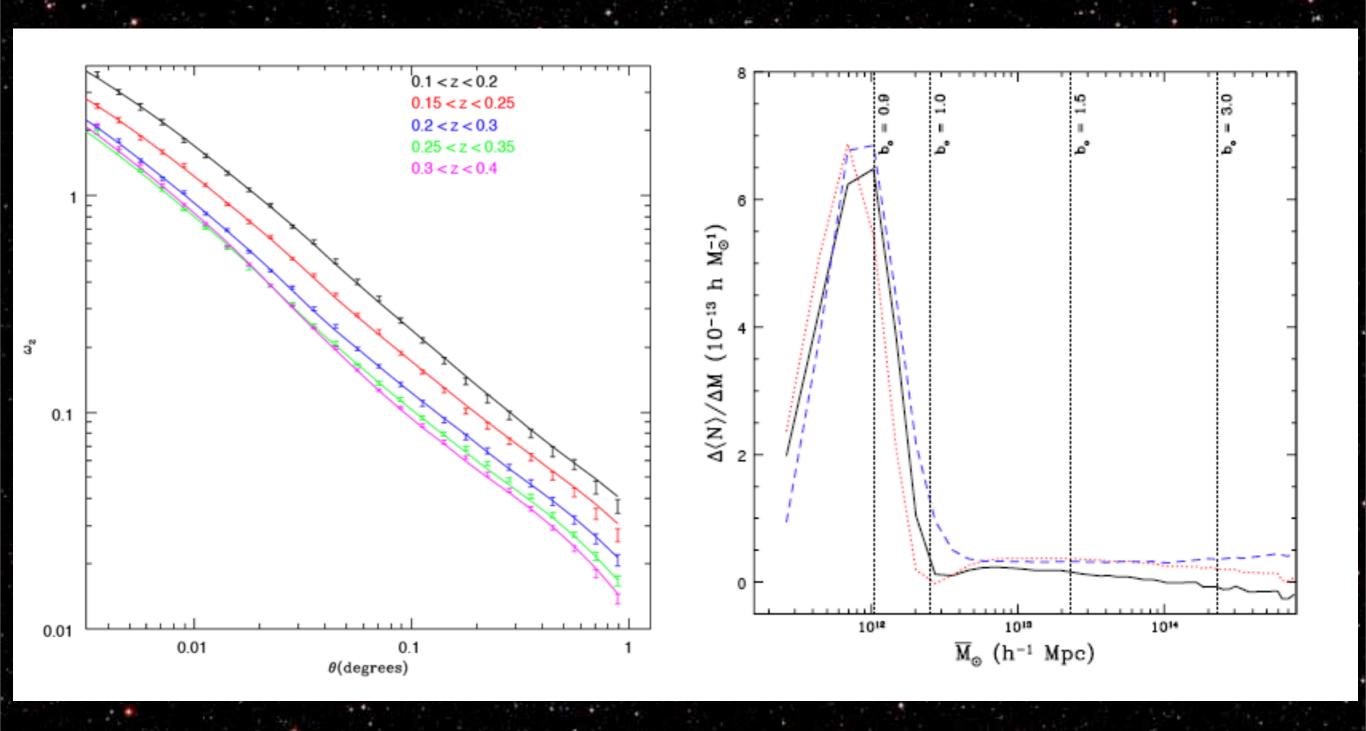
## HOD Model Fits



## HOD Model Fits

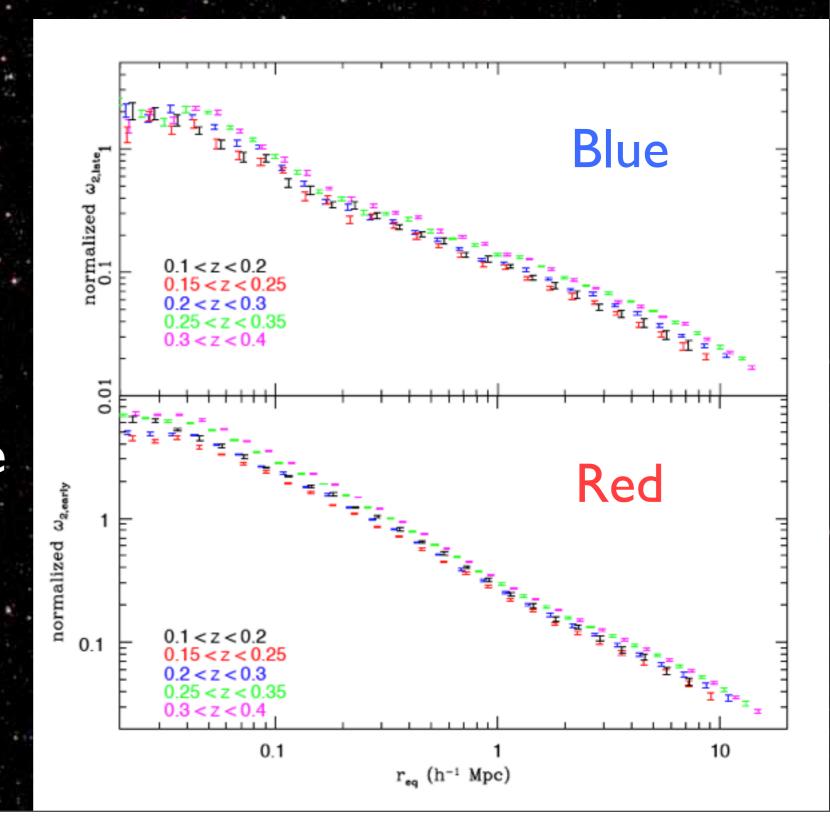


# HOD Model Fits



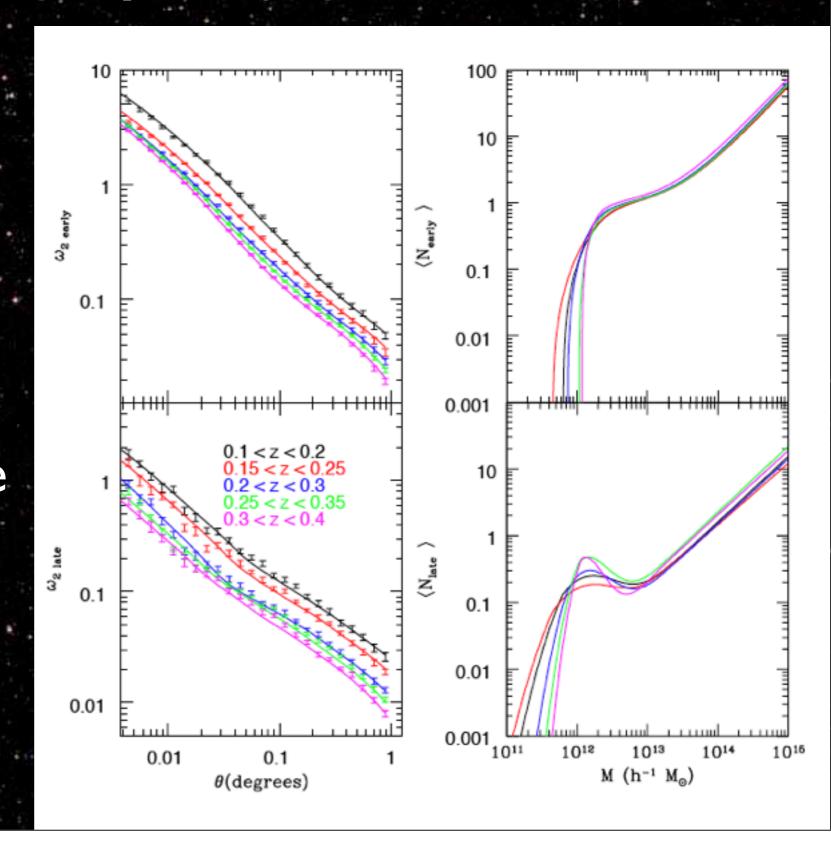
## Red/Blue

- Increase in bias similar for red and blue
- HOD fits continue to favour minimal mixing



## Red/Blue

- Increase in bias similar for red and blue
- HOD fits continue to favour minimal mixing



# SDSS HOD modeling

- Early/late-type galaxies prefer to exist in separate DM halos
- ~L\* Galaxies forming in 10<sup>12</sup> M<sub>solar</sub> halos
- Clustering measurements complementary to spectroscopic (larger range of scales, redshift range)
- DES will allow similar studies between z = 0
   and z = I

Ashley J Ross

LBNL

April 1st, 2011

### Conclusions

- Much can be learned from SDSS photometric data
  - More robust measure of red galaxy bias/luminosity relationship
  - HOD model for red /blue improved
  - Evolution bias -> galaxy interaction in low mass halos
- Future surveys will rely on photometric data
  - Develop methods for determining best photoz samples, measurement techniques
  - Best results will come from combining ω<sub>2</sub>,WL, and higher order measurements (will require focused collaboration!)